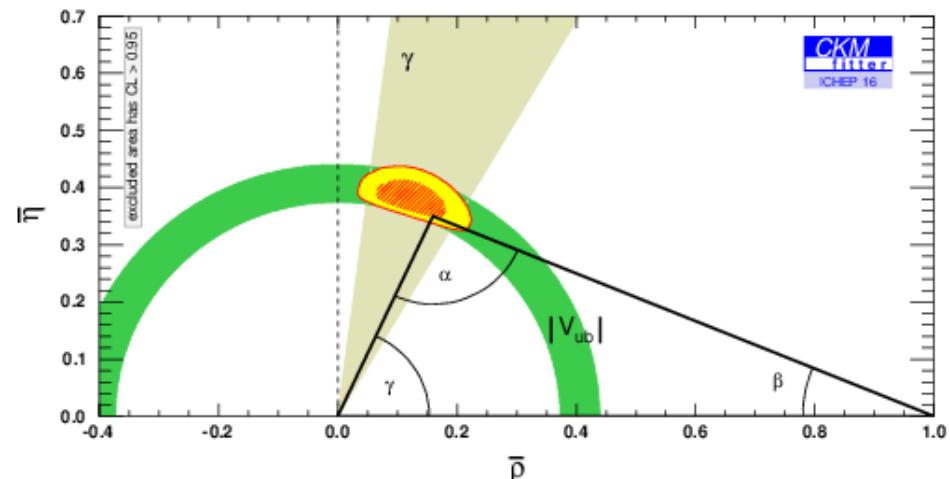
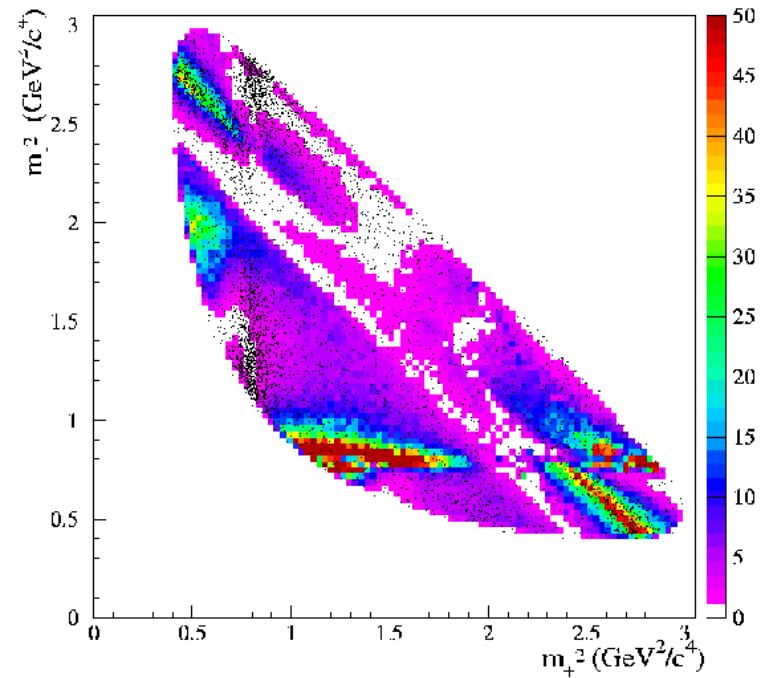
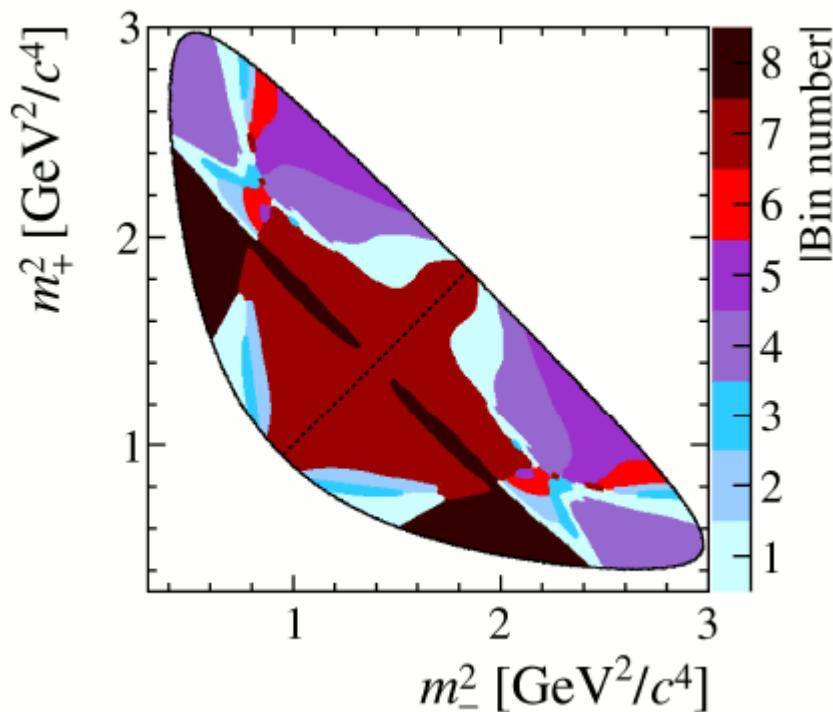
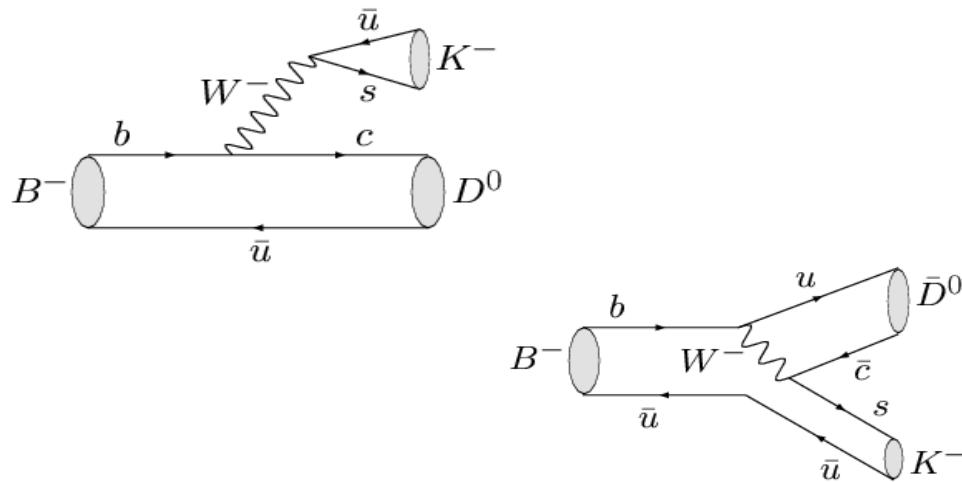


γ and $B \rightarrow D K$

K.Trabelsi
2019/05/28



How to get δ_D and related (charm) hadronic parameters ?

- dedicated experiments (CLEO-c, BES III) using quantum correlations, running at $\psi(3770)$
 - CLEO-c: R_D , $\cos\delta$, $\sin\delta$ (but also BES III result...)
 - CLEO-c: $R_{K\pi\pi^0}$, $\delta_{K\pi\pi^0}$, $R_{K3\pi}$, $\delta_{K3\pi}$

R_f : coherence factor , can take any value from 0 to 1

indicates lack coherence between the intermediate states involved in the decay

- mixing/CPV results from BaBar , Belle , CDF , LHCb...

- $D \rightarrow K\bar{K}$, $\pi\pi$: y_{CP} , A_Γ (BaBar , Belle , LHCb)
- $D \rightarrow K_S^0\pi\pi$: x , y , $|q/p|$, ϕ (BaBar , Belle)
- $D \rightarrow K l \nu$: R_M (BaBar , Belle...)
- $D \rightarrow K\pi\pi^0$: x'' , y'' (BaBar)
- $D \rightarrow K\pi$: x' , y' (BaBar , Belle, CDF , LHCb)
- ...

- **CLEO-c/BES III, use external inputs to access the relevant physics parameters**
- **strong phases information in B-factories/LHCb**
- **x , y are also needed for D-mixing corrections in ADS observables**

$$R^\mp = r_B^2 + r_D^2 + 2r_B r_D \cos(\delta_B \mp \gamma + \delta_D)$$

$$\rightarrow R^\mp = r_B^2 + r_D^2 + 2r_B r_D \cos(\delta_B \mp \gamma + \delta_D) - y r_D \cos\delta_D - y r_B \cos(\delta_B \mp \gamma) + x r_D \sin\delta_D - x r_B \sin(\delta_B \mp \gamma)$$

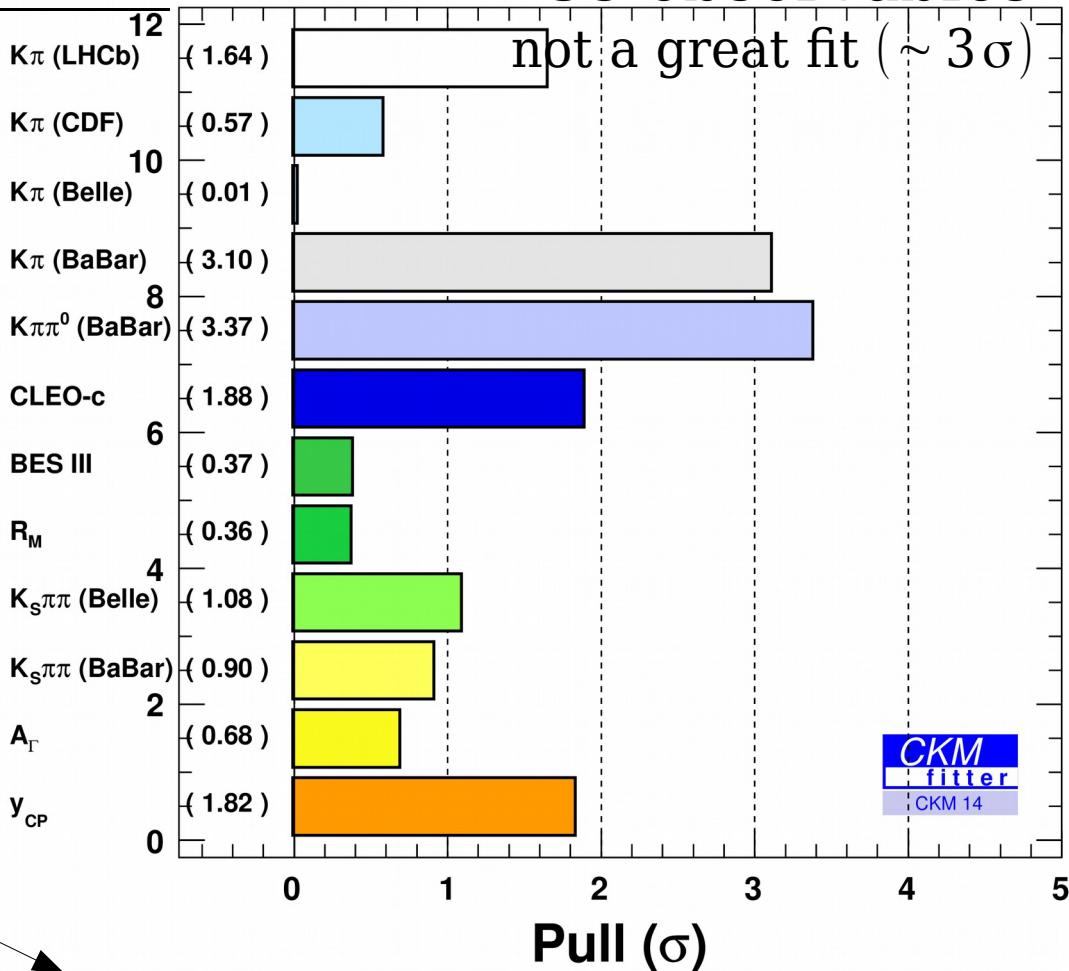
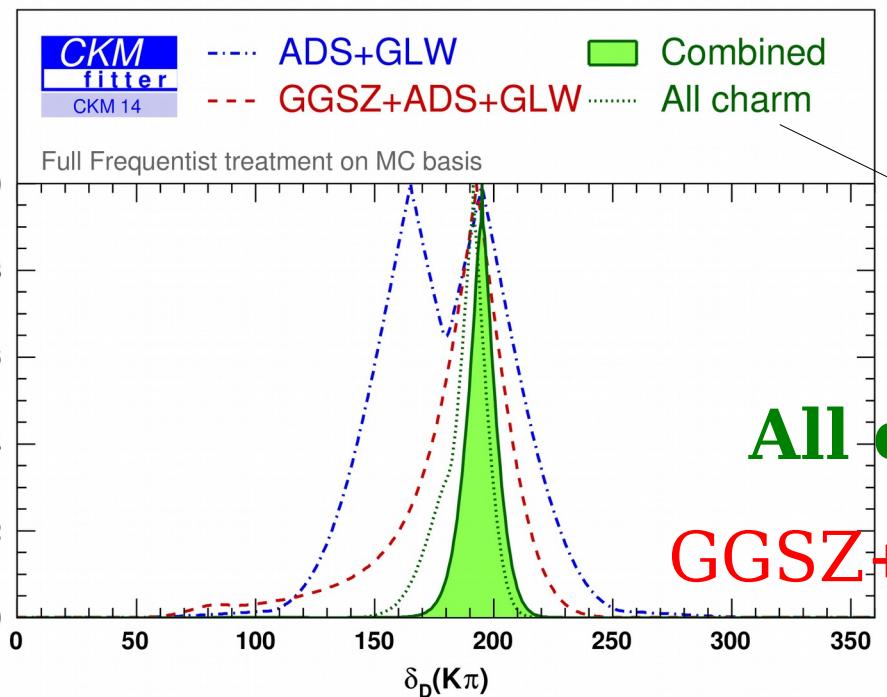
⇒ **combine charm observables to obtain γ and mixing/CPV charm parameters**

δ_D grand combination à la HFAG

~ 35 observables

8 parameters:

$x, y, \delta_D^{K\pi}, r_D, A_D, |q|/|p|, \phi, \delta_D(K\rho)$



(include $K3\pi, K\pi\pi^0$ info, see next slides)

$$\text{All charm: } \delta_D^{K\pi} = (191.4^{+8.2}_{-11.4})^\circ \quad (^{+16}_{-30})$$

$$\text{GGSZ+GLW+ADS: } \delta_D^{K\pi} = (193^{+18}_{-23})^\circ \quad (^{+34}_{-77})$$

B-factories

γ and r_B ... (BaBar example)

analysis with $227 \times 10^6 B\bar{B}$ [PRL 95, 121802 (2005)]

$$r_B(DK) = 0.12 \pm 0.08 \pm 0.03 \pm 0.04 \quad r_B(D^*K) = 0.17 \pm 0.10 \pm 0.03 \pm 0.03$$

$$\gamma = 70^\circ \pm 31^\circ (\text{stat})^{+12^\circ}_{-10^\circ} (\text{syst})^{+14^\circ}_{-11^\circ} (\text{model})$$

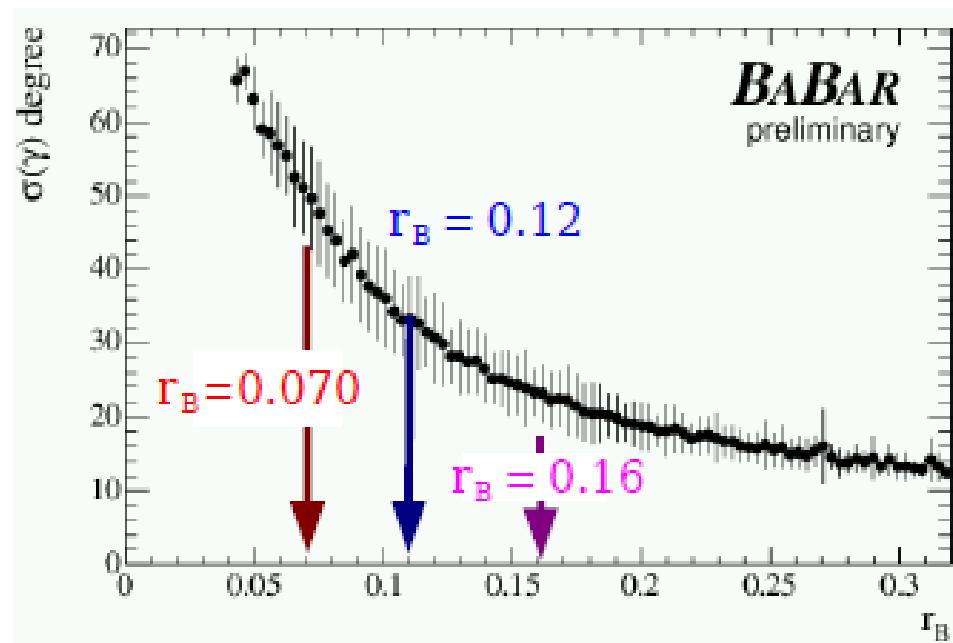
analysis with $347 \times 10^6 B\bar{B}$ [hep-ex/0607104]

$$r_B(DK) < 0.140 \quad 0.017 < r_B(D^*K) < 0.203$$

$$\gamma = 92^\circ \pm 41^\circ (\text{stat}) \pm 11^\circ (\text{syst}) \pm 12^\circ (\text{model})$$

uncertainty on γ scales as $1/r_B$! ($r_B = 0 \Rightarrow$ no constraint on γ)

DK case



if r_B is small, the $r_B(\text{true})$ found is biased to higher values and the error on γ is biased toward small values

The small r_B issue

clearly in the $r_B \rightarrow 0$ limit the interference disappears and there is no sensitivity to the phase γ

when the true value of r_B is small, then the distribution of \hat{r}_B best fit values for randomly generated data is biased towards larger values, until the experimental errors are sufficiently small to exclude the $r_B \sim 0$ region

on the other hand the error on γ is roughly proportional to $1/r_B$, hence for small r_B it is biased towards smaller values

in the language of frequentist statistics it means that the usual $\Delta \ln \mathcal{L} = 1/2$ rule does not work here, the 68%CL interval extracted from it does not cover the true value of γ at 68% frequency (undercoverage)

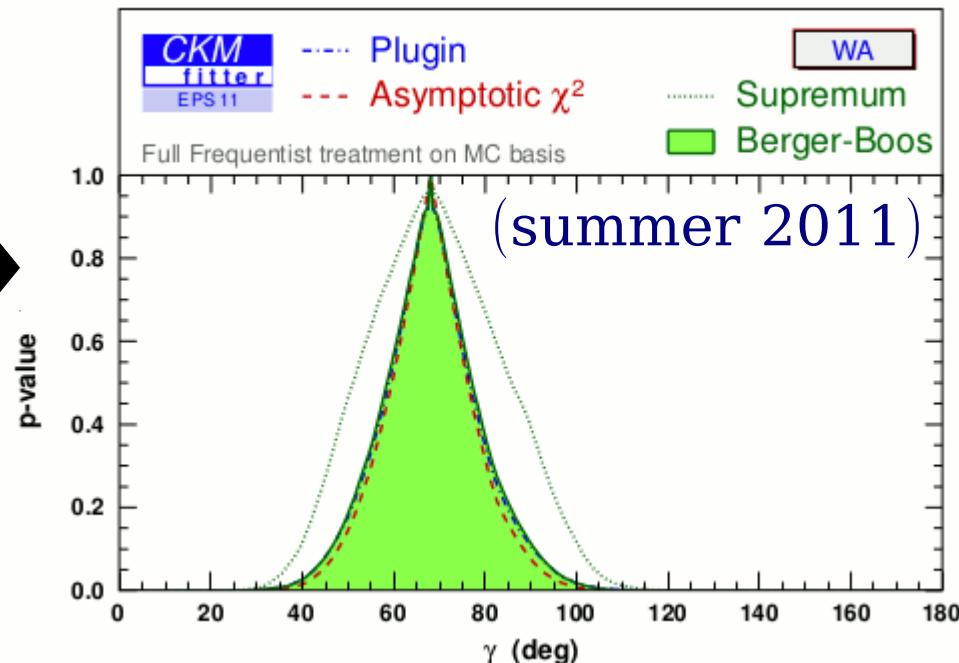
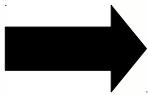
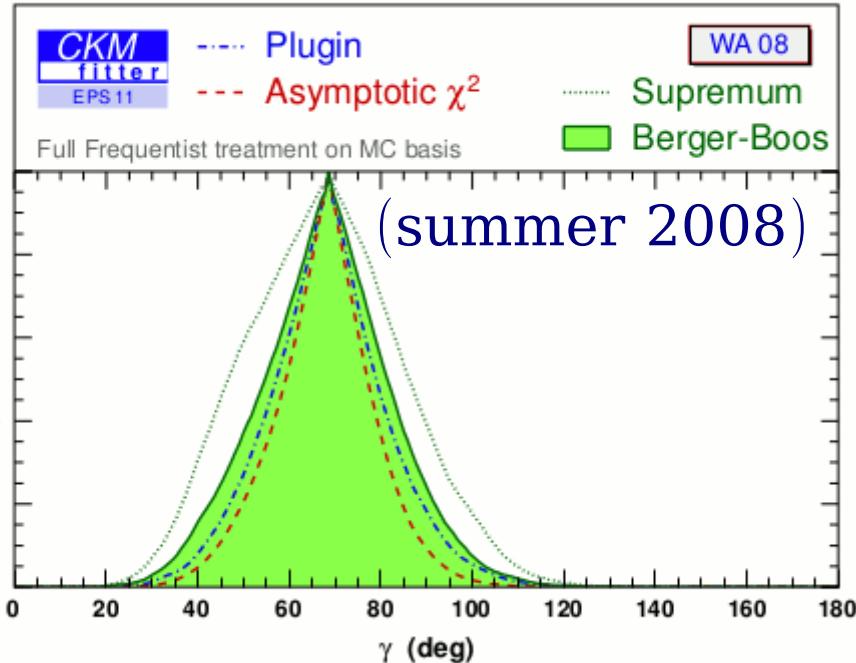
to correct for this effect one has to compute the actual distribution of the profile log-likelihood, and from that distribution deduce a p-value or a CL interval

problem: as soon as the log-likelihood is not distributed as a χ^2 , its distribution *a priori* depends on the *nuisance parameters*, namely r_B , δ_B etc.

Different treatments of the nuisance parameters

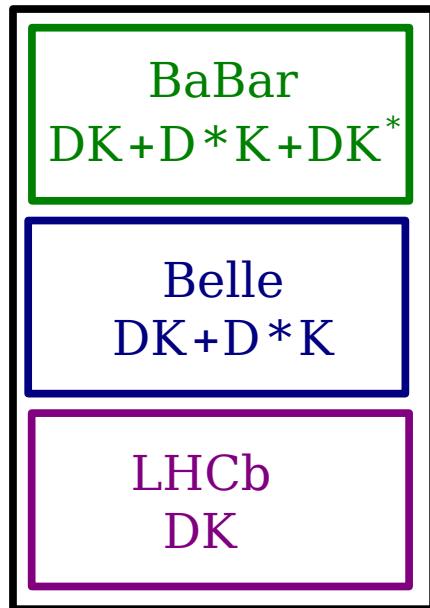
to compute the distributions of the log-likelihood depending on the nuisance parameters ν :

1. use the best fit estimate, $\nu = \hat{\nu}$ (plugin method): coverage not guaranteed if the true value of ν is different from $\hat{\nu}$
2. use the worst-case distribution: maximize the p-value over all possible values of ν (supremum method): coverage or overcoverage guaranteed by construction
3. maximize the p-value-a well - chosen subspace $\nu \in N$ (constrained supremum method, e.g. Berger-Boos)



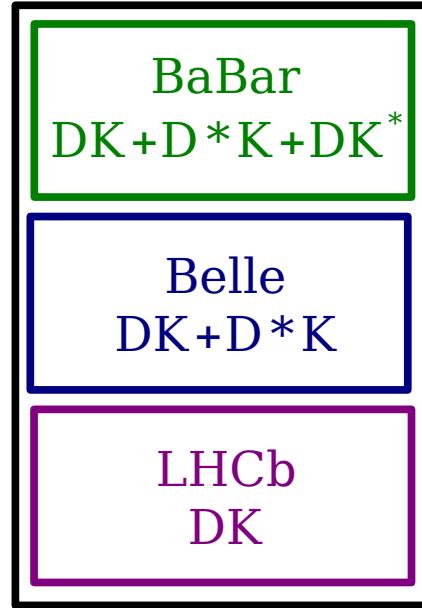
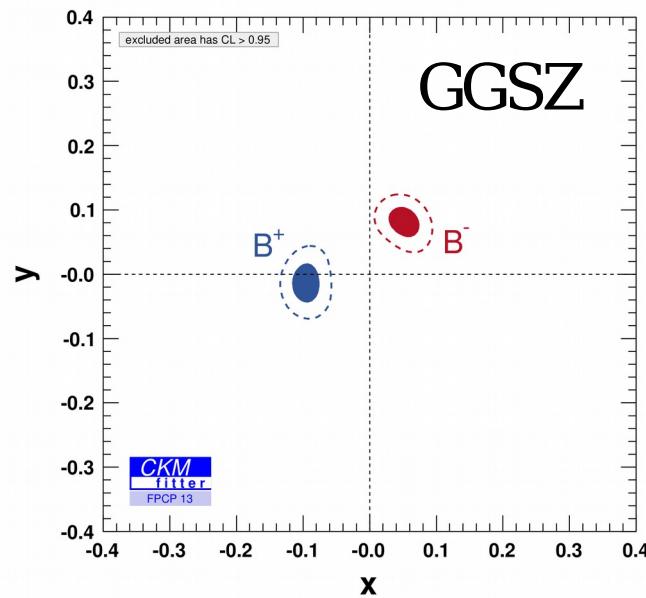
r_B 's away from zero , dependence wrt nuisance parameters is now weak

GGSZ, GLW , ADS in charged B decays

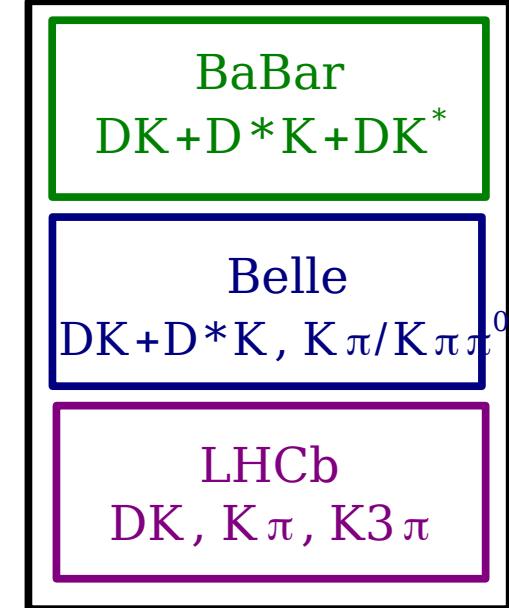
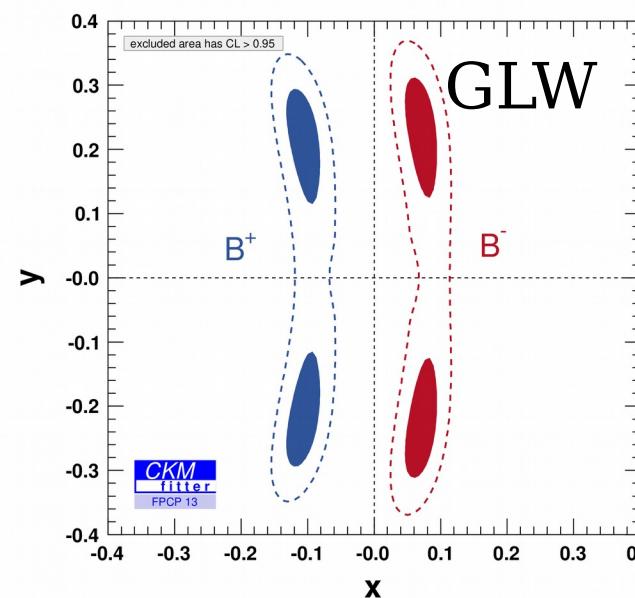


GGSZ

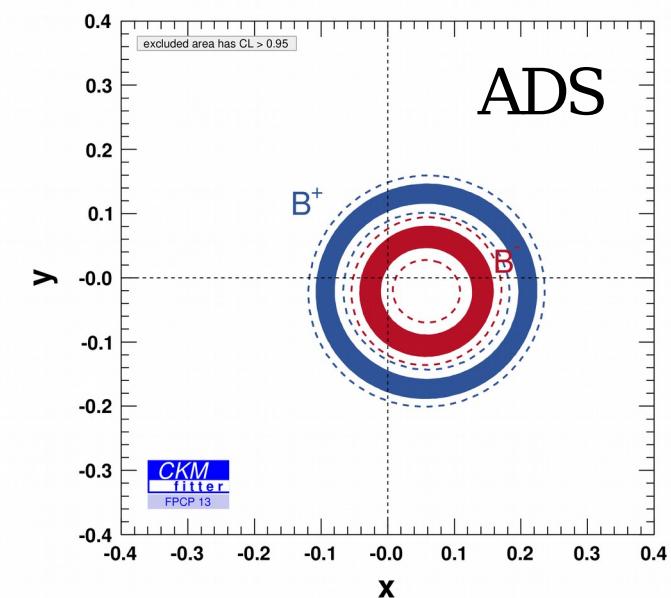
$$x_{\pm} = r_B \cos(\delta_B \pm \gamma) \text{ and } y_{\pm} = r_B \sin(\delta_B \pm \gamma) \quad [\text{just for illustration}]$$



GLW



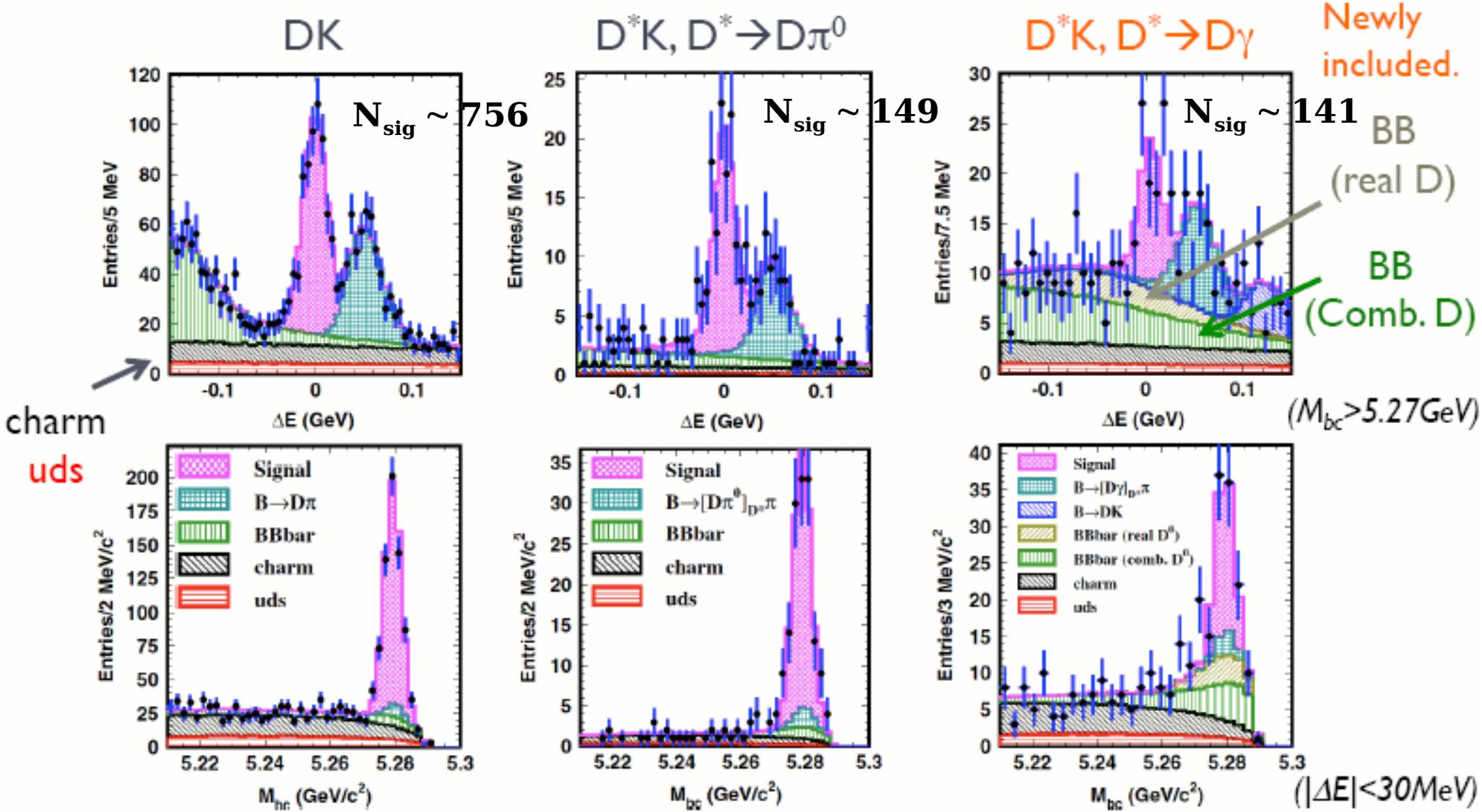
ADS



$B^- \rightarrow D^{(*)}(K_S\pi\pi)K^-$ Dalitz, ΔE and M_{bc} projections

$|\cos\theta_{\text{thr}}| < 0.8$ and $F > -0.7$

PRD 81, 112002 (2010)
 $657 \times 10^6 B\bar{B}$ pairs

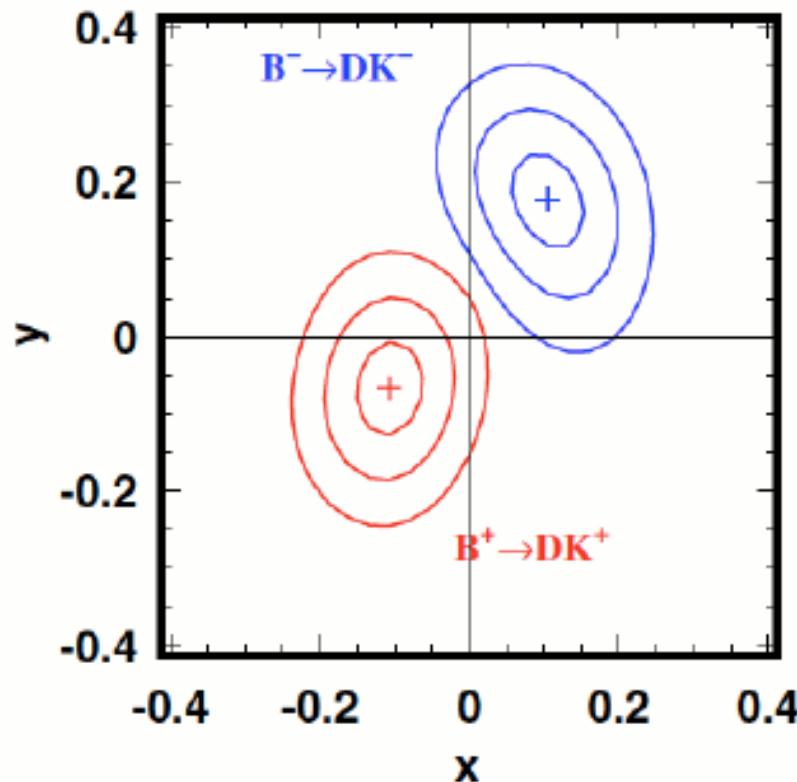


γ measurement with $B \rightarrow D(K_S \pi \pi) K$

PRD 81, 112002 (2010)

$657 \times 10^6 B\bar{B}$ pairs

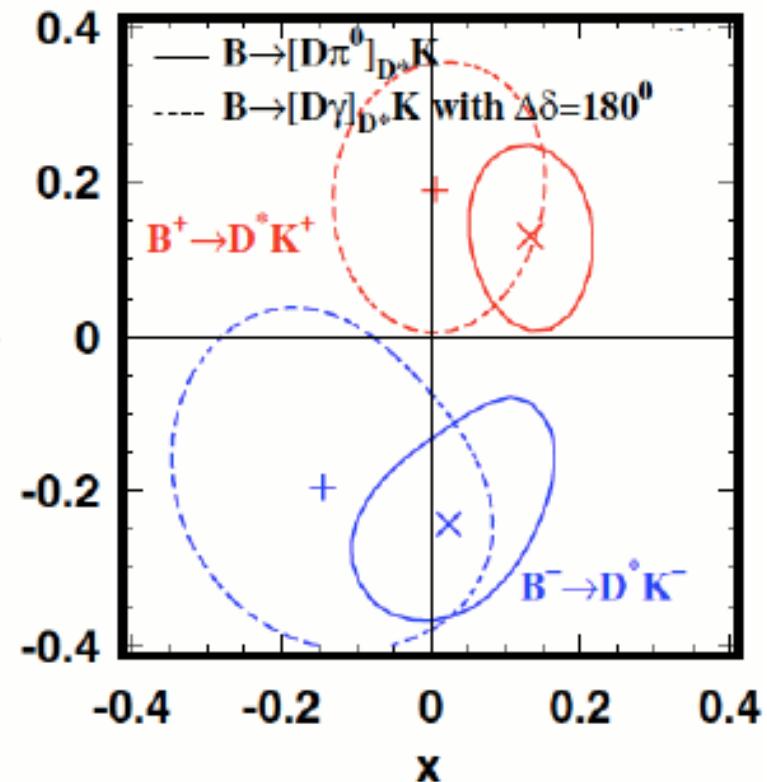
$$x_{\pm} = r_B \cos(\delta_B \pm \gamma), \quad y_{\pm} = r_B \sin(\delta_B \pm \gamma)$$



$$\gamma = (80.8^{+13.1}_{-14.8} \pm 5.0 \pm 8.9)^\circ$$

$$r_B = 0.161^{+0.040}_{-0.038} \pm 0.011^{+0.050}_{-0.010}$$

$$\delta_B = (137.4^{+13.0}_{-15.7} \pm 4.0 \pm 22.9)^\circ$$



$$\gamma = (73.9^{+18.9}_{-20.2} \pm 4.2 \pm 8.9)^\circ$$

$$r_B = 0.196^{+0.073}_{-0.072} \pm 0.013^{+0.062}_{-0.012}$$

$$\delta_B = (341.7^{+18.6}_{-20.9} \pm 3.2 \pm 22.9)^\circ$$

combining both B modes (Dalitz): $\gamma = (78.4^{+10.8}_{-11.6} \pm 3.6 \pm 8.9)^\circ$

CPV significance is 3.5 standard deviations

(model-dependent error will limit viability of this approach)



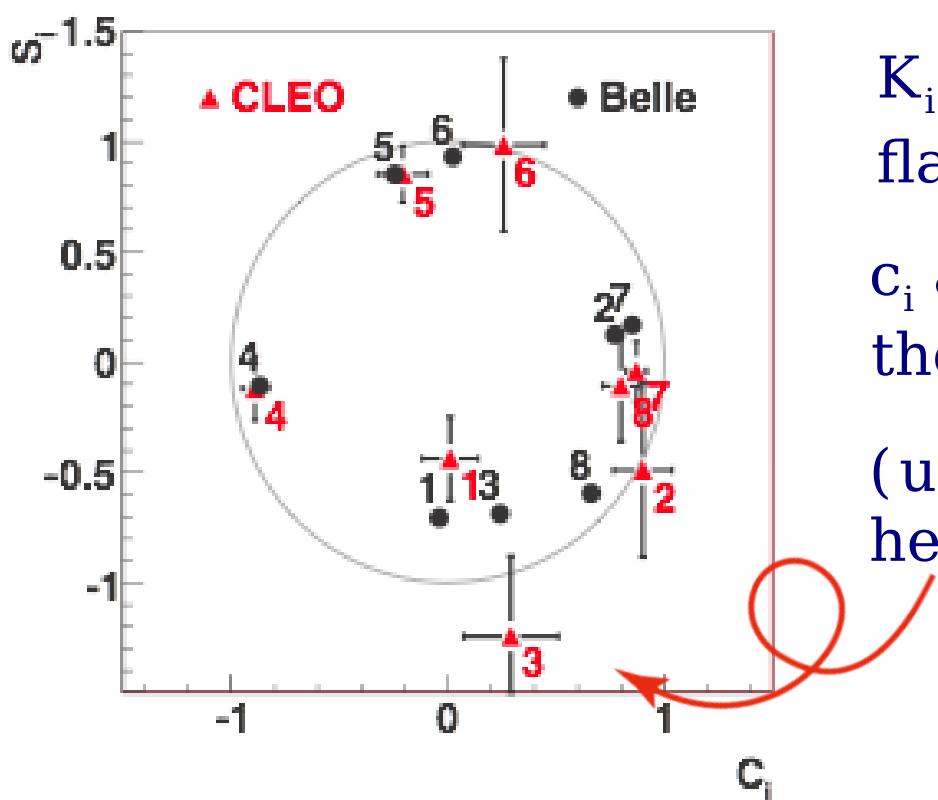
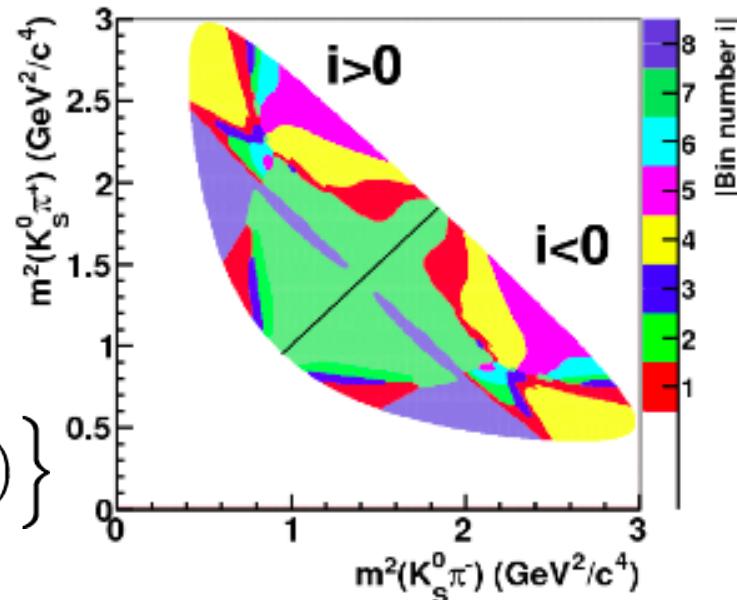
Binned Dalitz method: avoid the modeling error by "optimal" binning of the Dalitz plot

[choice of bins guided by model, but extraction of γ is not biased by this choice]

minimize χ^2 in fit to all bins for each mode

Expected number of $B^\pm \rightarrow D K^\pm$ events in bin i is:

$$N_i^\pm = h \left\{ K_i + r_B^2 K_{-i} + 2\sqrt{K_i K_{-i}}(x_\pm c_i + y_\pm s_i) \right\}$$



K_i is the # of events in bin i from a flavour-tagged sample ($D^{*\pm} \rightarrow D \pi^\pm$)

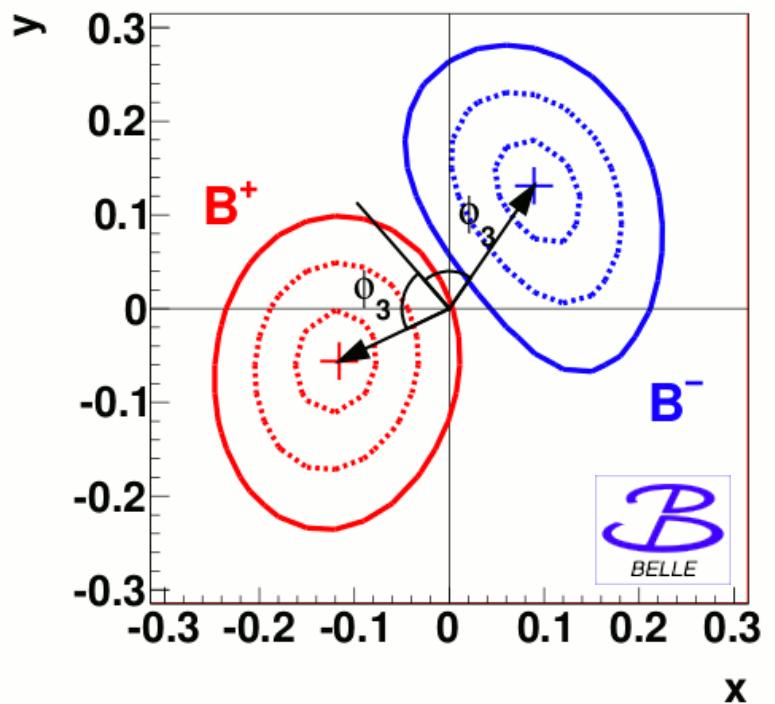
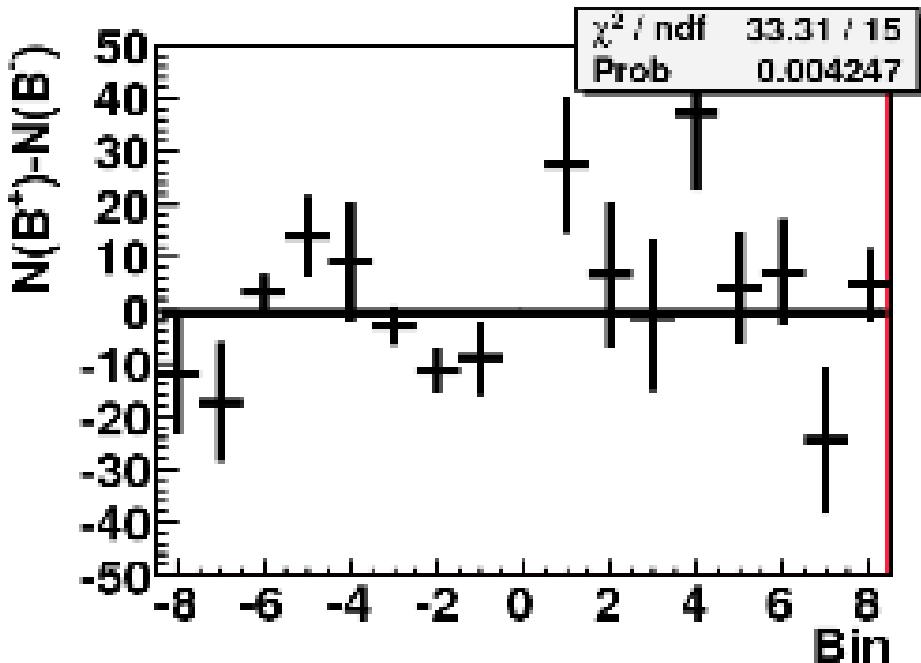
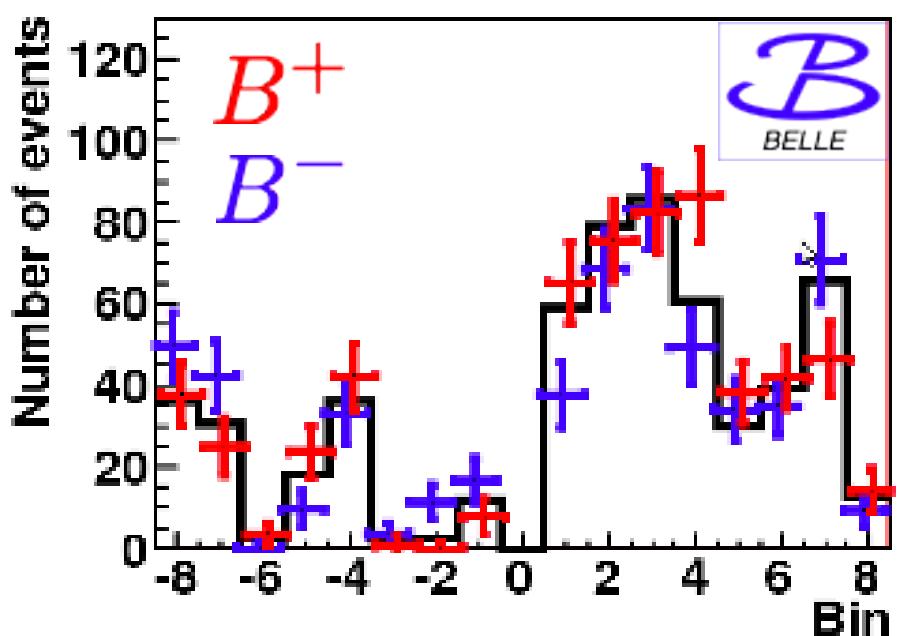
c_i and s_i contain information about the strong-phase difference in bin i

(use CLEO data for $\psi(3770) \rightarrow D^0 \bar{D}^0$ here; can be measured by BES-III too)

Bondar and Poluektov
EPJ C55, 51 (2008)

Binned Dalitz method result in $B \rightarrow DK$

772 M $B\bar{B}$
 PRD 85, 112014 (2012)
 [arXiv:1204.6561]



$$\gamma = (77.3 {}^{+15.1}_{-14.9} \pm 4.1 \pm 4.3)^\circ$$

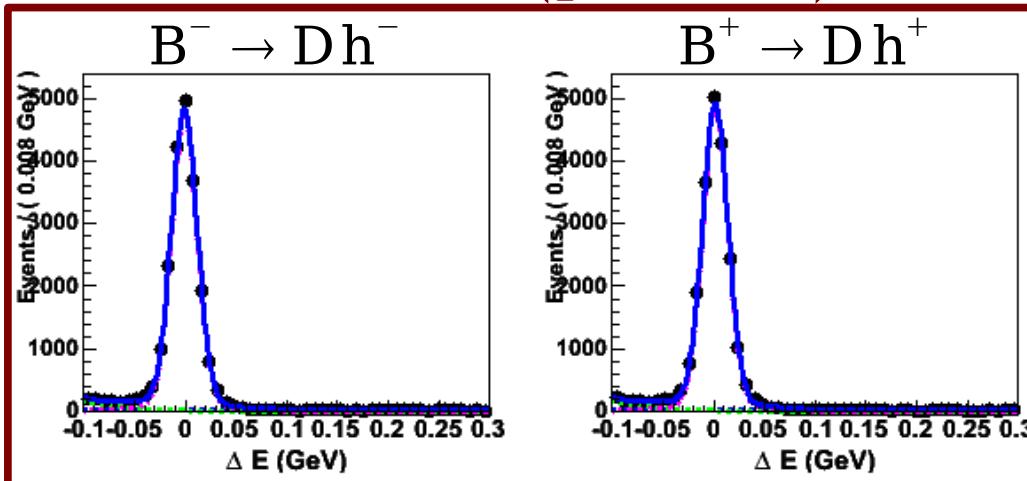
$$r_B = 0.145 \pm 0.030 \pm 0.010 \pm 0.011$$

$$\delta_B = (129.9 \pm 15.0 \pm 3.8 \pm 4.7)^\circ$$

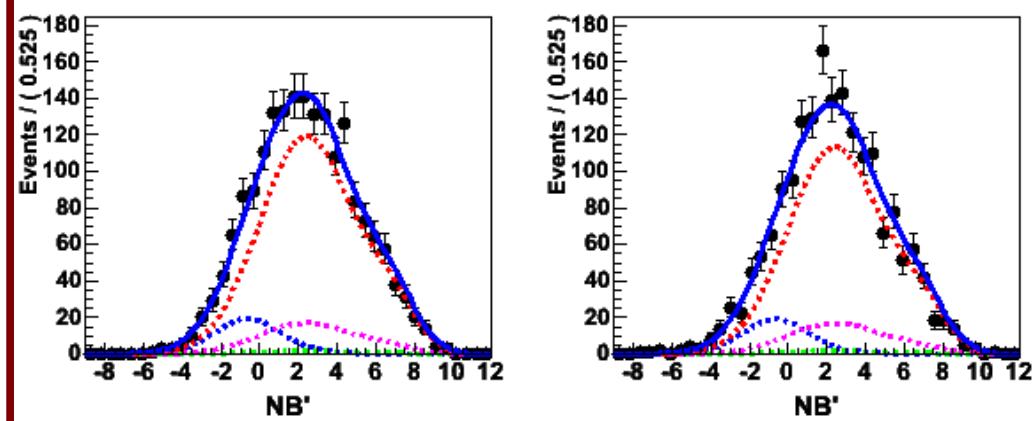
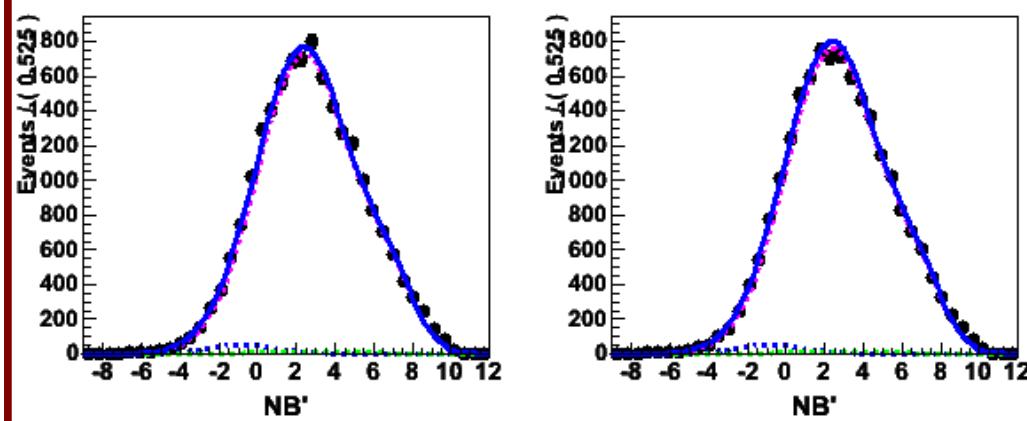
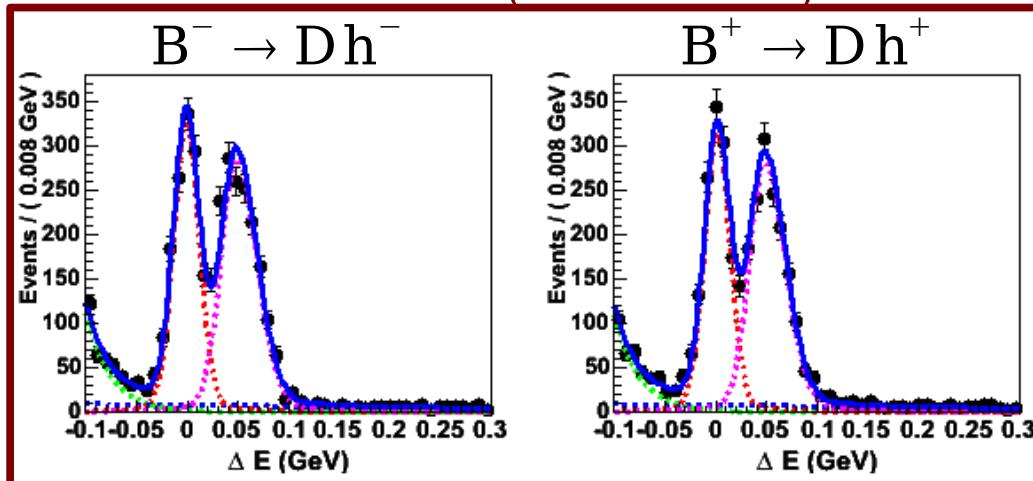
uncertainty in c_i, s_i
 from CLEO data size
 (can be reduced using
 future BES-III data)

Fit for GLW Dh

KID<0.6 (pion-like)



KID>0.6 (kaon-like)



$$N_{\eta, KID>0.6}^{DK} = \frac{1}{2} (1 - \eta A^{DK}) N_{tot}^{D\pi} R_{K/\pi} \epsilon$$

$$N_{\eta, KID<0.6}^{DK} = \frac{1}{2} (1 - \eta A^{DK}) N_{tot}^{D\pi} R_{K/\pi} (1 - \epsilon)$$

$$N_{\eta, KID>0.6}^{D\pi} = \frac{1}{2} (1 - \eta A^{D\pi}) N_{tot}^{D\pi} \kappa$$

$$N_{\eta, KID<0.6}^{D\pi} = \frac{1}{2} (1 - \eta A^{D\pi}) N_{tot}^{D\pi} (1 - \kappa)$$

$B \rightarrow D\pi$

$B \rightarrow DK$

$B\bar{B}$

continuum

$B \rightarrow Dh$, $D \rightarrow K\pi \rightarrow R_{D_{\text{fav}}}$

$$\begin{aligned}
 N_{\eta, KID>0.6}^{DK} &= \frac{1}{2} (1 - \eta A^{DK}) N_{tot}^{D\pi} R_{K/\pi} \epsilon \\
 N_{\eta, KID<0.6}^{DK} &= \frac{1}{2} (1 - \eta A^{DK}) N_{tot}^{D\pi} R_{K/\pi} (1 - \epsilon) \\
 N_{\eta, KID>0.6}^{D\pi} &= \frac{1}{2} (1 - \eta A^{D\pi}) N_{tot}^{D\pi} \kappa \\
 N_{\eta, KID<0.6}^{D\pi} &= \frac{1}{2} (1 - \eta A^{D\pi}) N_{tot}^{D\pi} (1 - \kappa)
 \end{aligned}$$

	kaon fake (1- ϵ)	kaon eff ϵ	pion eff (1- κ)	pion fake κ	
MC	14.70 ± 0.06	85.41 ± 0.06	95.42 ± 0.03	4.47 ± 0.03	↔
data	15.86 ± 0.40	84.32 ± 0.39	92.13 ± 0.46	7.94 ± 0.31	

Efficiency and fake rate (in %) for kaon and pion, for data and MC. ϵ will be fixed in the fit but κ will be floated (see text for further explanations). These numbers are obtained after properly weighting the values provided by PID group for SVD1 and SVD2.

$B \rightarrow D h$, $D \rightarrow K\pi \rightarrow R_+$

$D \rightarrow K^+ K^-$, $\pi^+ \pi^-$

data (772 MB \bar{B})

$B \rightarrow D\pi$

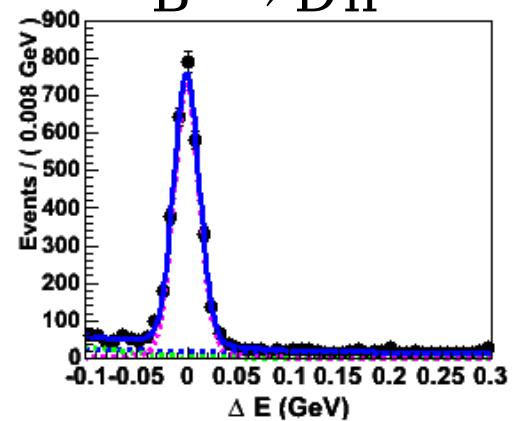
$B \rightarrow DK$

$B\bar{B}$

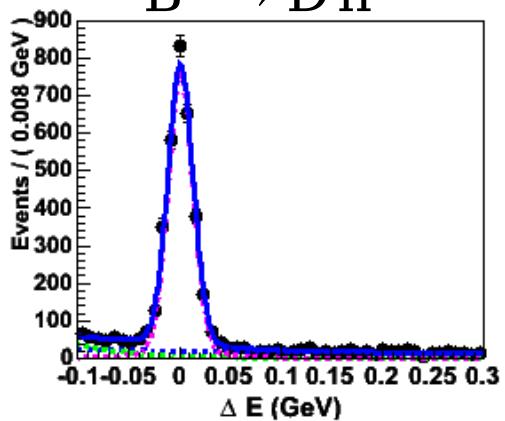
continuum

h is a pion candidate ($KID < 0.6$)

$B^- \rightarrow Dh^-$

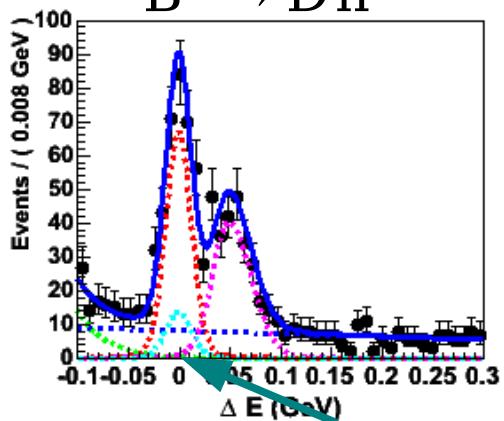


$B^+ \rightarrow Dh^+$

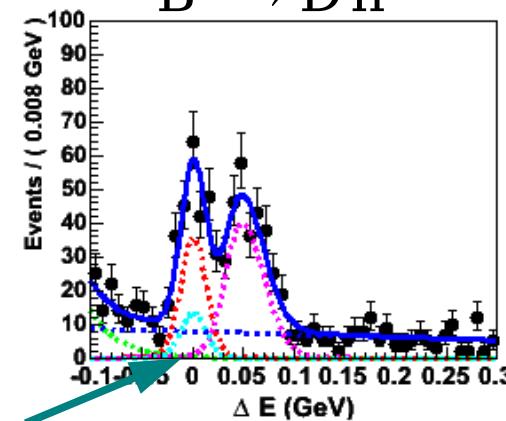


h is a kaon candidate ($KID > 0.6$)

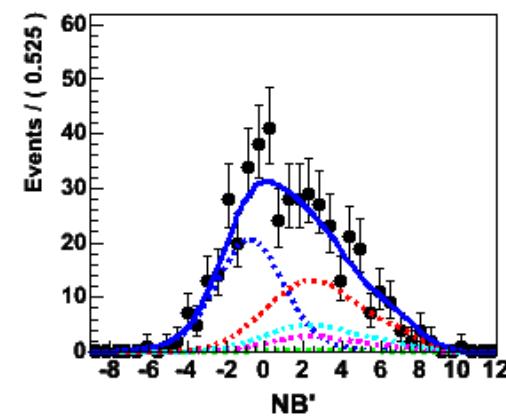
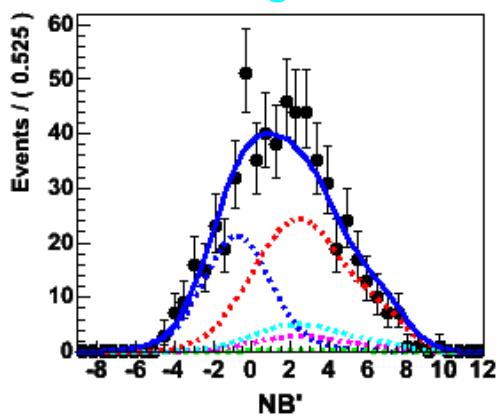
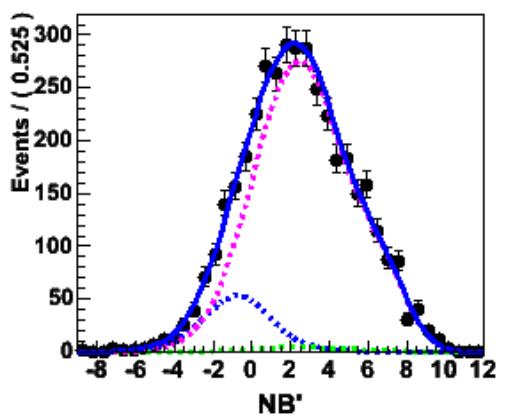
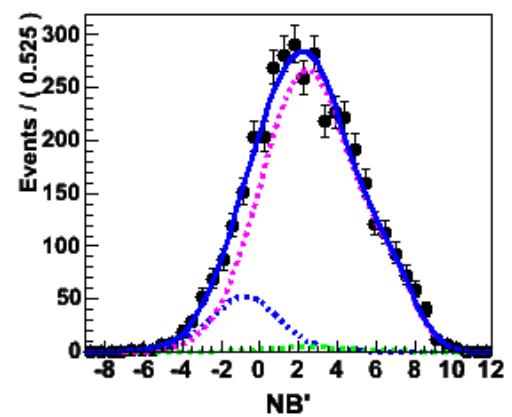
$B^- \rightarrow Dh^-$



$B^+ \rightarrow Dh^+$



large KKK contribution !!



$$\Rightarrow R_{D_{CP+}} = (7.56 \pm 0.51)\%, \quad A_{D_{CP+}} = (28.7 \pm 6.0)\%$$

large asymmetry !!

GLW Results

Yields	$B \rightarrow D\pi$	$B \rightarrow DK$
$D \rightarrow K\pi$	50432 ± 243	3692 ± 83
$D \rightarrow KK, \pi\pi$	7696 ± 106	582 ± 40
$D \rightarrow K_S \pi^0, K_S \eta$	5745 ± 91	476 ± 37

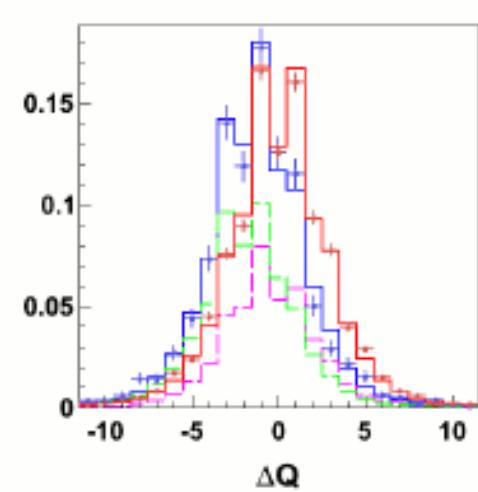
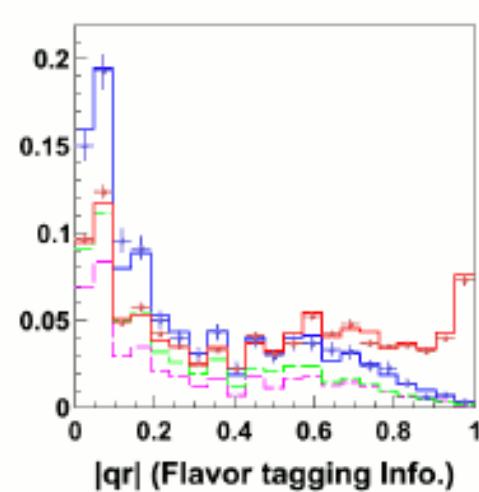
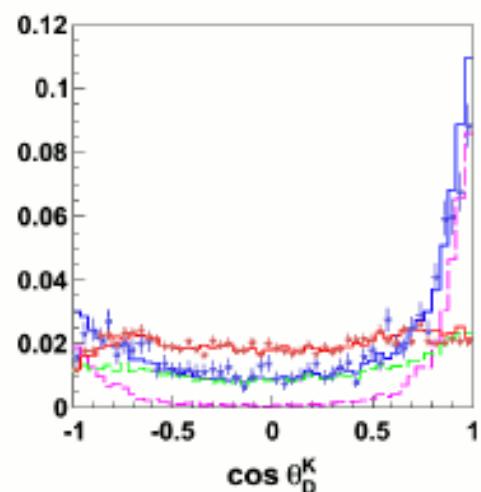
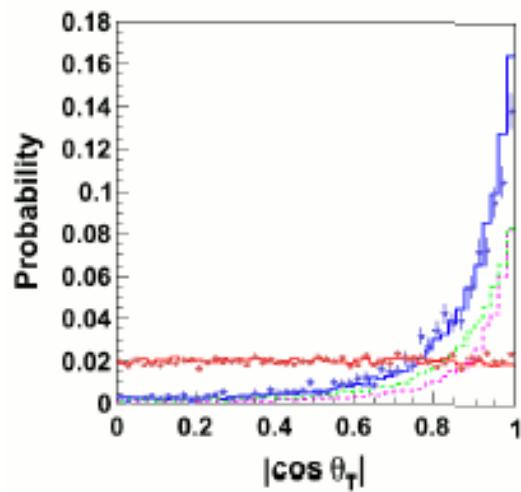
$$R_{CP+} = 1.03 \pm 0.07 \pm 0.03$$

$$R_{CP-} = 1.13 \pm 0.09 \pm 0.05$$

$$A_{CP+} = +0.29 \pm 0.06 \pm 0.02$$

$$A_{CP-} = -0.12 \pm 0.06 \pm 0.01$$

systematics dominated by peaking background,
double ratio approximation

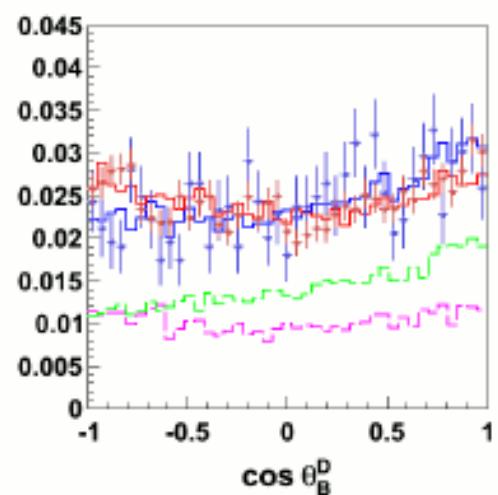
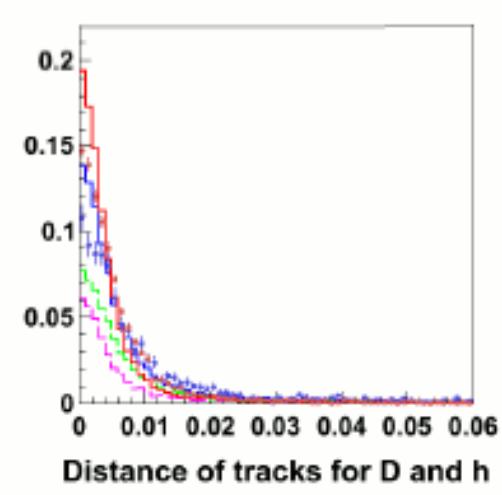
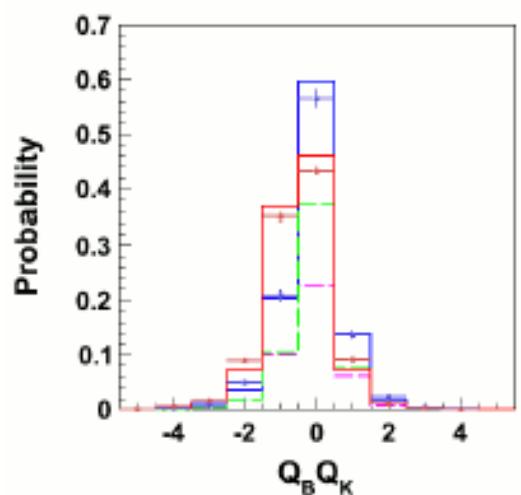


Angle between thrust axes of B decay and remainder. No full correlation to LR(KSFW).

Decay angle of $D \rightarrow K\pi$.

Flavor tagging Info. by MDLH. (NB possible.)

Difference of charges in D hemisphere and opposite hemisphere.



Product of charge of B and sum of charges for K not used in B reconstruction.

Distance of tracks for D and K .

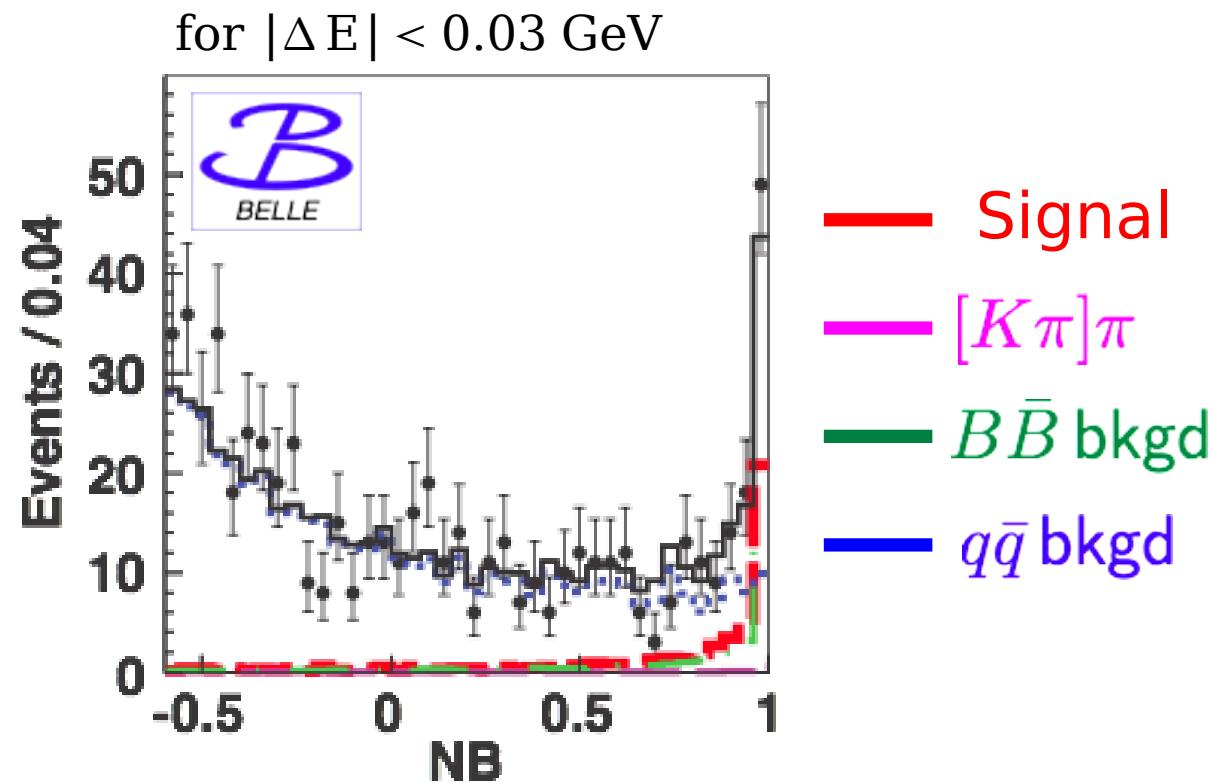
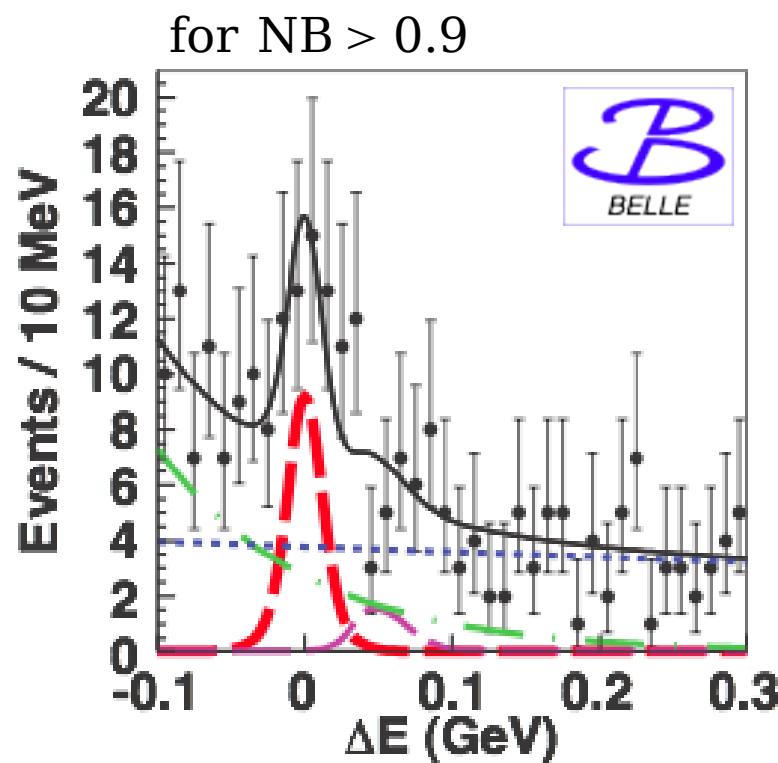
Decay angle of $B \rightarrow DK$.

10 variables combined to obtain a single NN output (NB)

for example , at 99 % bckg rej. signal eff. = 42 % now becomes 60 %

Yields for the ADS mode $B^- \rightarrow [K^+ \pi^-]_D K^-$ from 772 million $B\bar{B}$ events
PRL 106, 231803 (2011)

Fit ΔE and NB distributions together to extract signal



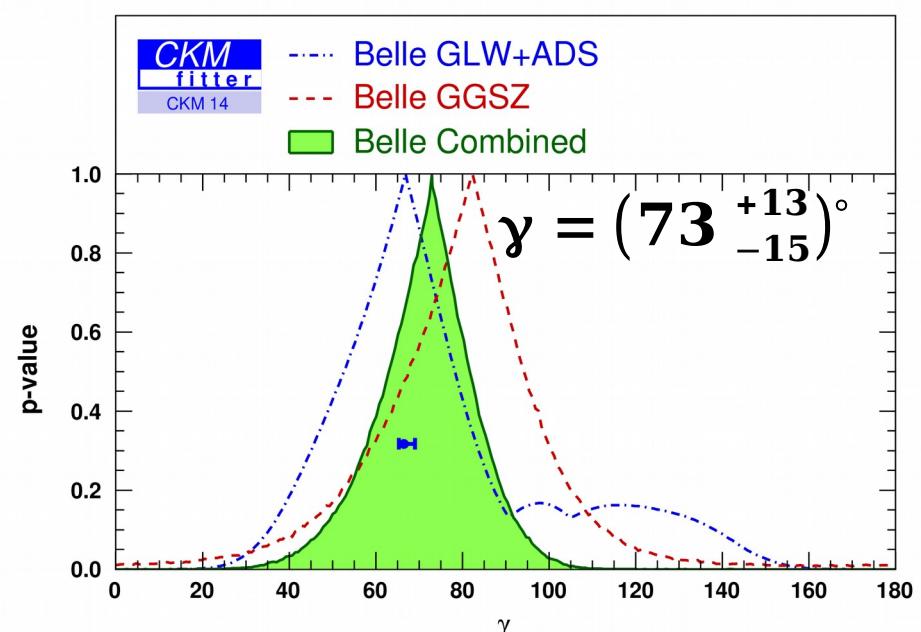
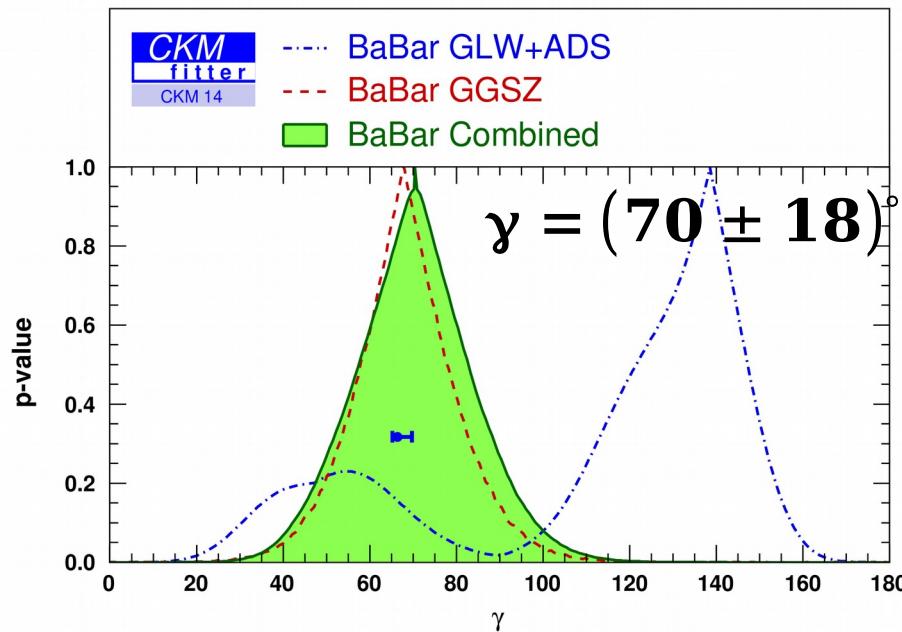
$56.0^{+15.1}_{-14.2}$ events

$$R_{DK} = (1.63^{+0.44}_{-0.41}{}^{+0.07}_{-0.13}) \times 10^{-2}$$

$$A_{DK} = -0.39^{+0.26}_{-0.28}{}^{+0.04}_{-0.03}$$

**First evidence obtained
with a significance of 3.8σ
(including syst.)**

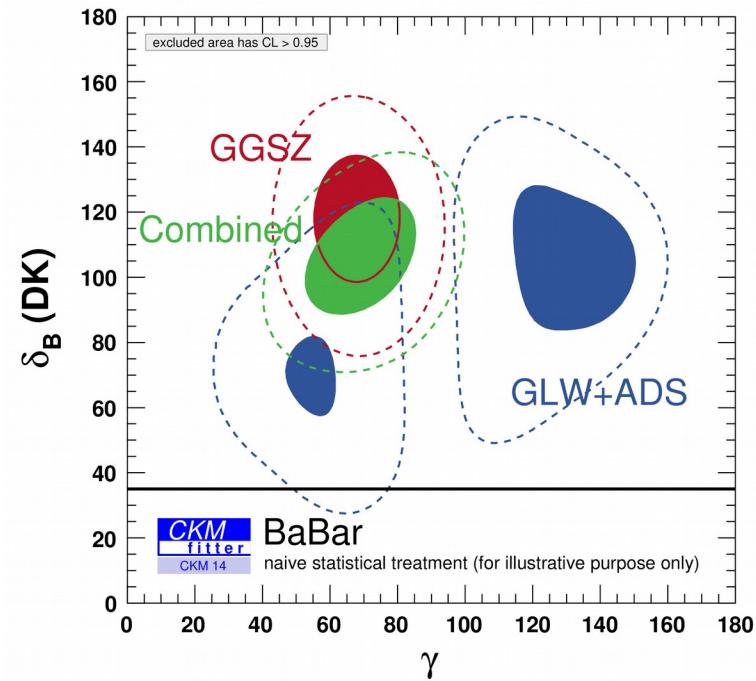
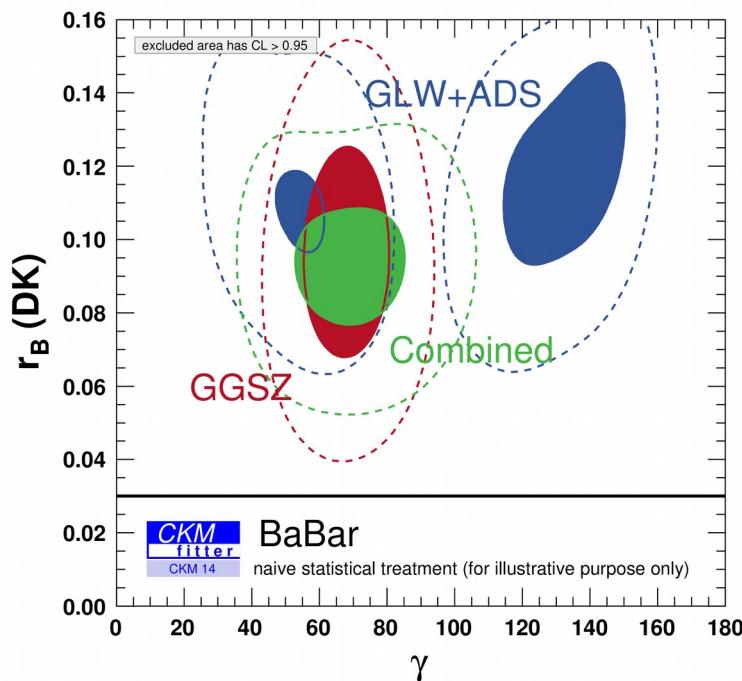
BaBar , Belle...



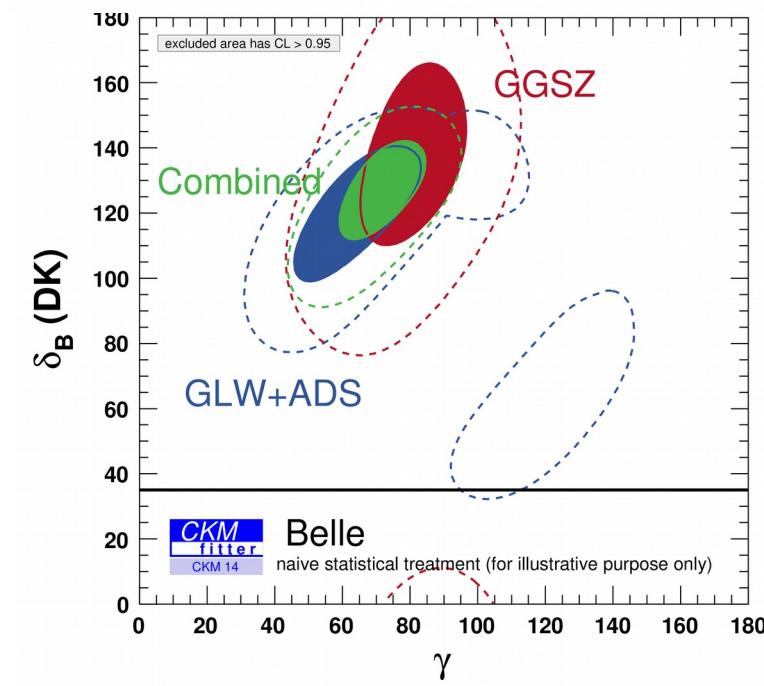
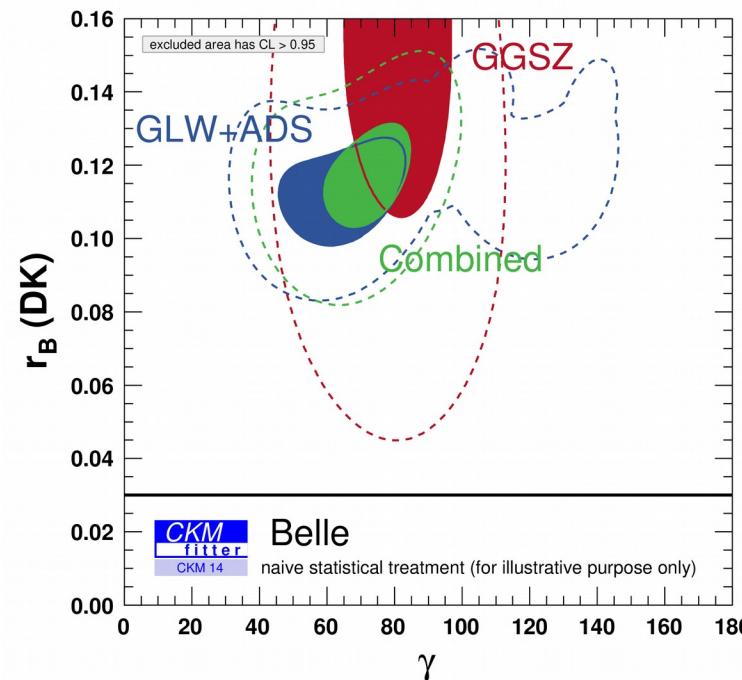
GGSZ versus GLW+ADS

($r_B(\text{DK})$ vs γ , $\delta_B(\text{DK})$ vs γ)

BaBar



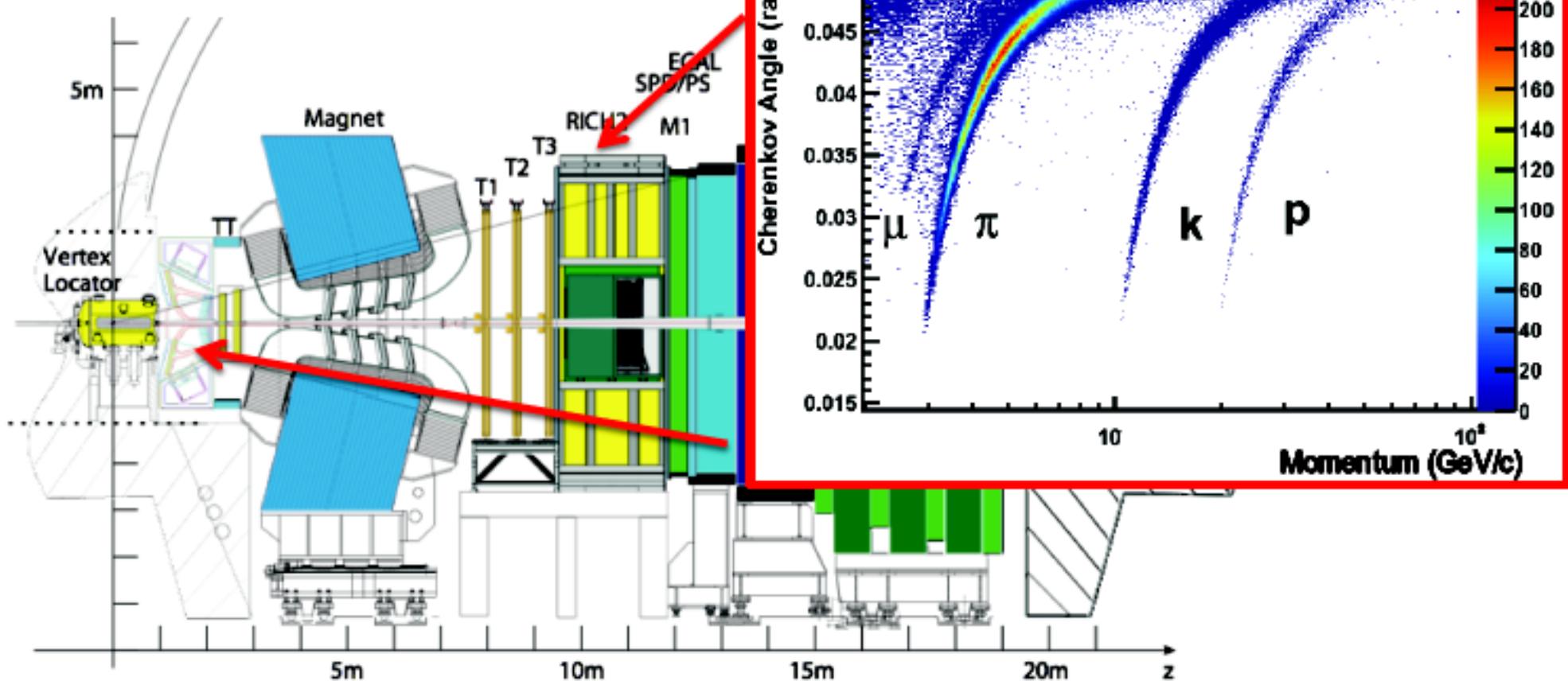
Belle



LHCb

RICH DETECTORS

- Provide discrimination between kaons, pions and protons between 5 and 100 GeV/c . Typical kaon ID $\sim 95\%$ for $\sim 5\% \pi \rightarrow K$ mis-ID probability



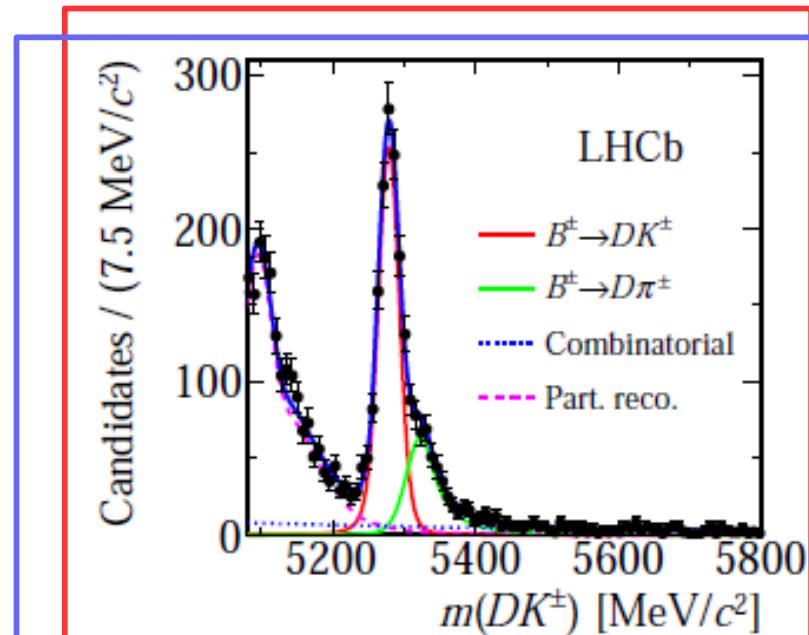
GGSZ, $B \rightarrow DK$, $D \rightarrow K_S \pi\pi$, $K_S KK$

[arXiv:1806.01202]

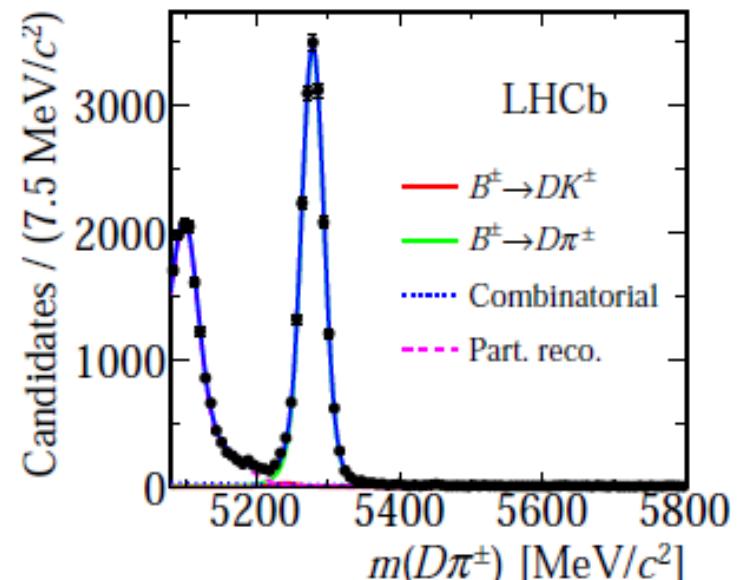
shown for $D \rightarrow K_S \pi\pi$ (last 2 fb^{-1})

DK-like

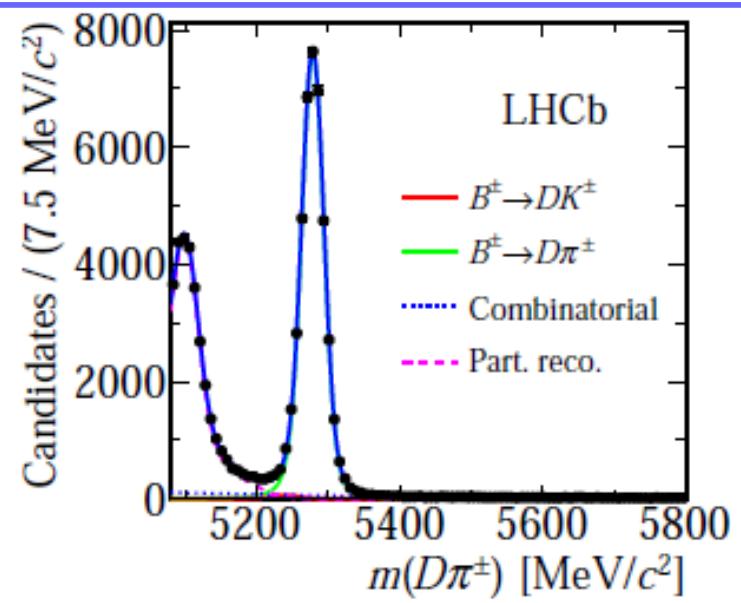
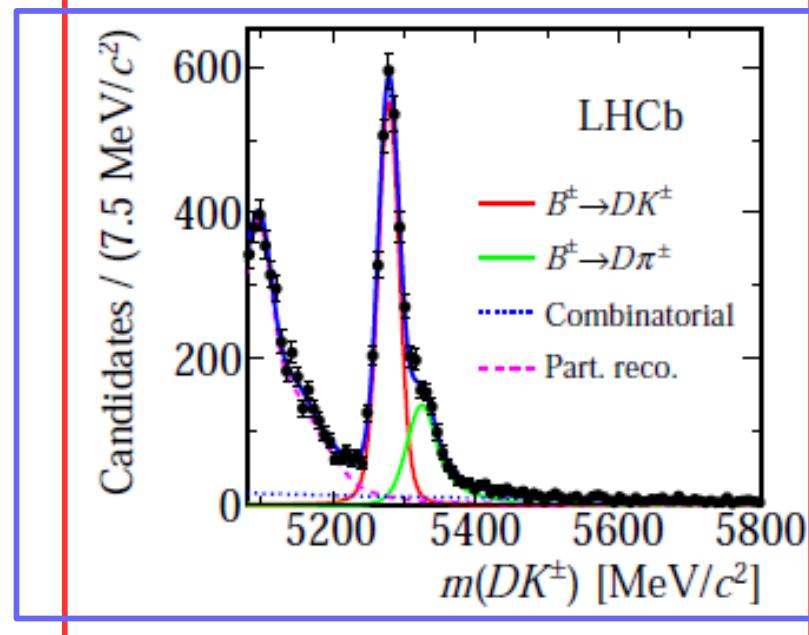
long K_S



$\text{D}\pi\text{-like}$



downstream
K_S



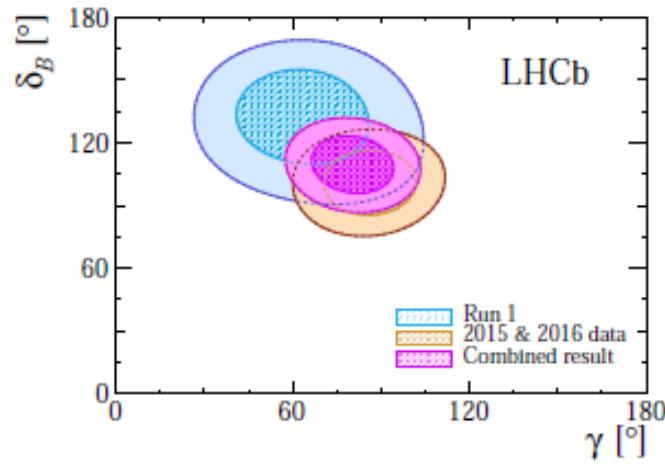
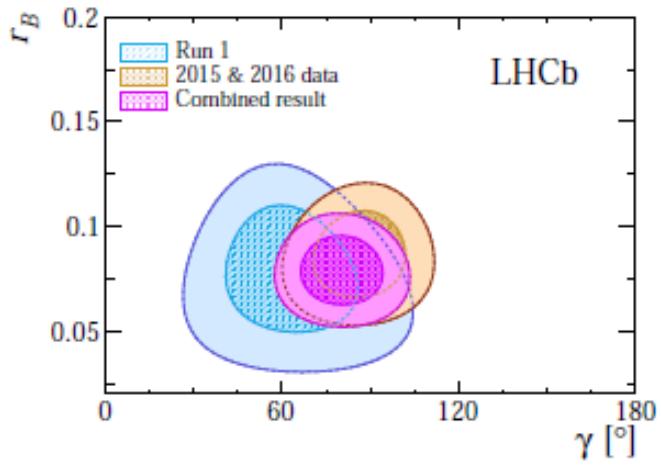
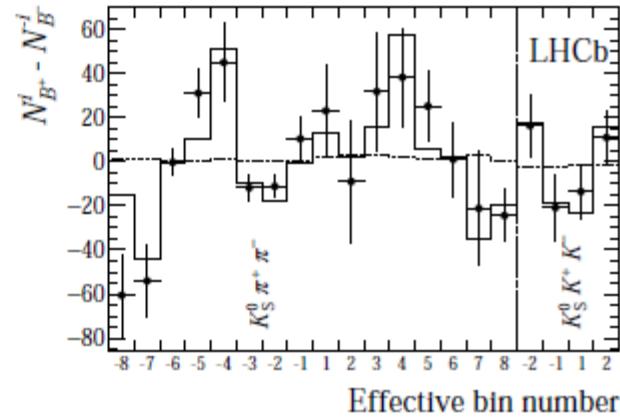
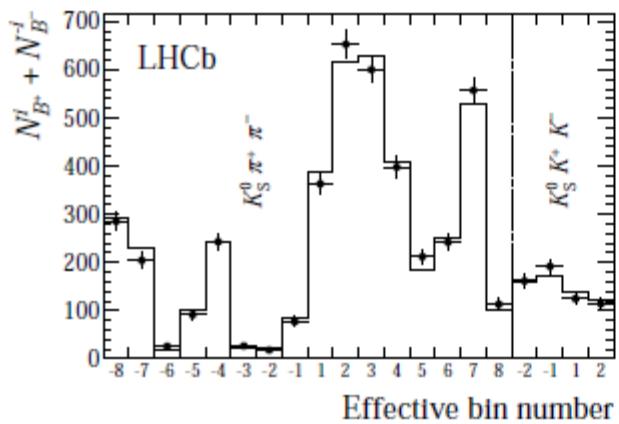
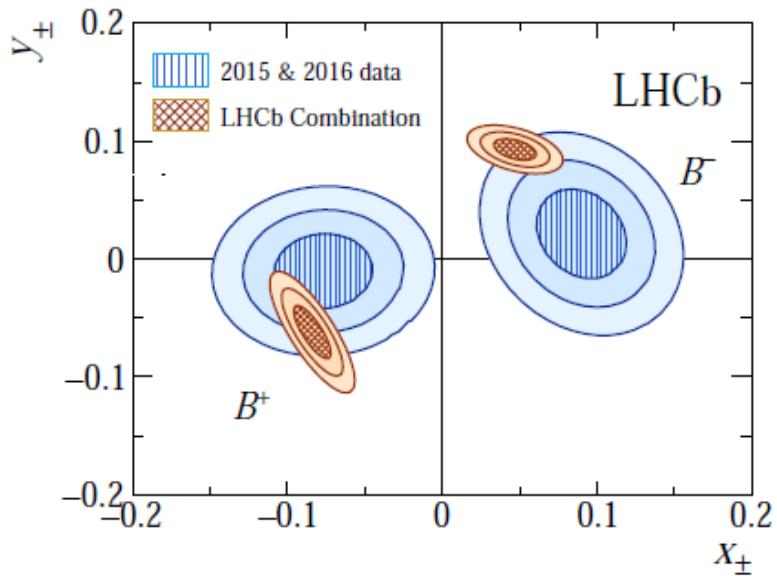
	$B^- \rightarrow DK^-$		$B^+ \rightarrow DK^+$	
	Long	Downstream	Long	Downstream
$D \rightarrow K_S^0 \pi^+ \pi^-$	602 ± 26	1315 ± 39	606 ± 26	1334 ± 39
$D \rightarrow K_S^0 K^+ K^-$	92 ± 10	189 ± 15	82 ± 10	193 ± 15

GGSZ, $B \rightarrow D\bar{K}$, $D \rightarrow K_S \pi\pi$, $K_S \bar{K}K$

[arXiv:1806.01202]

5 fb^{-1}

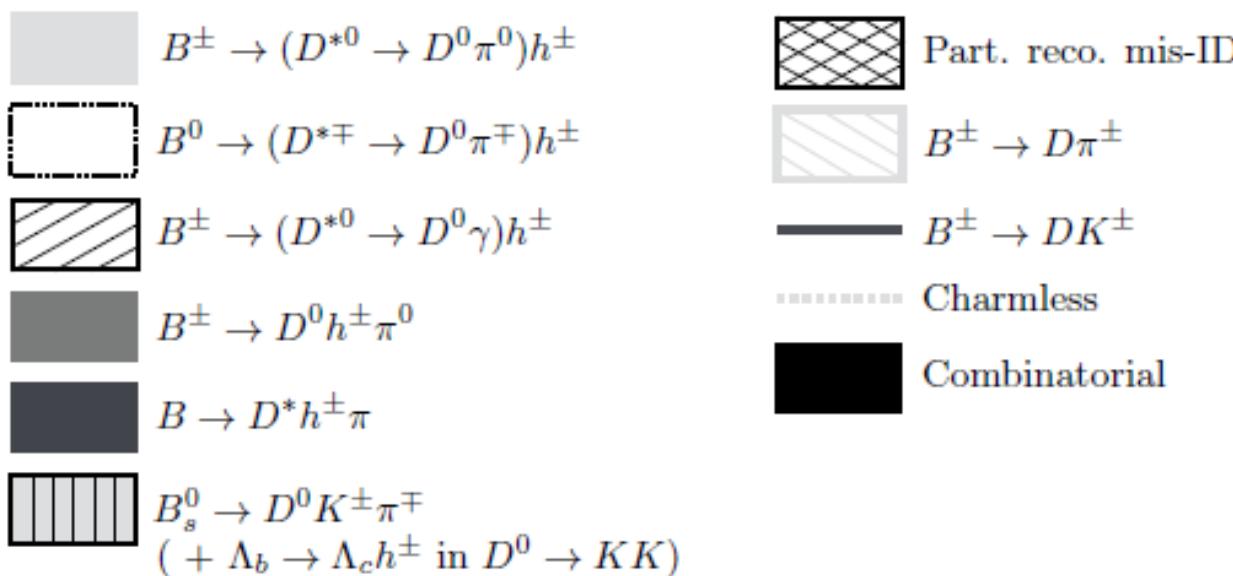
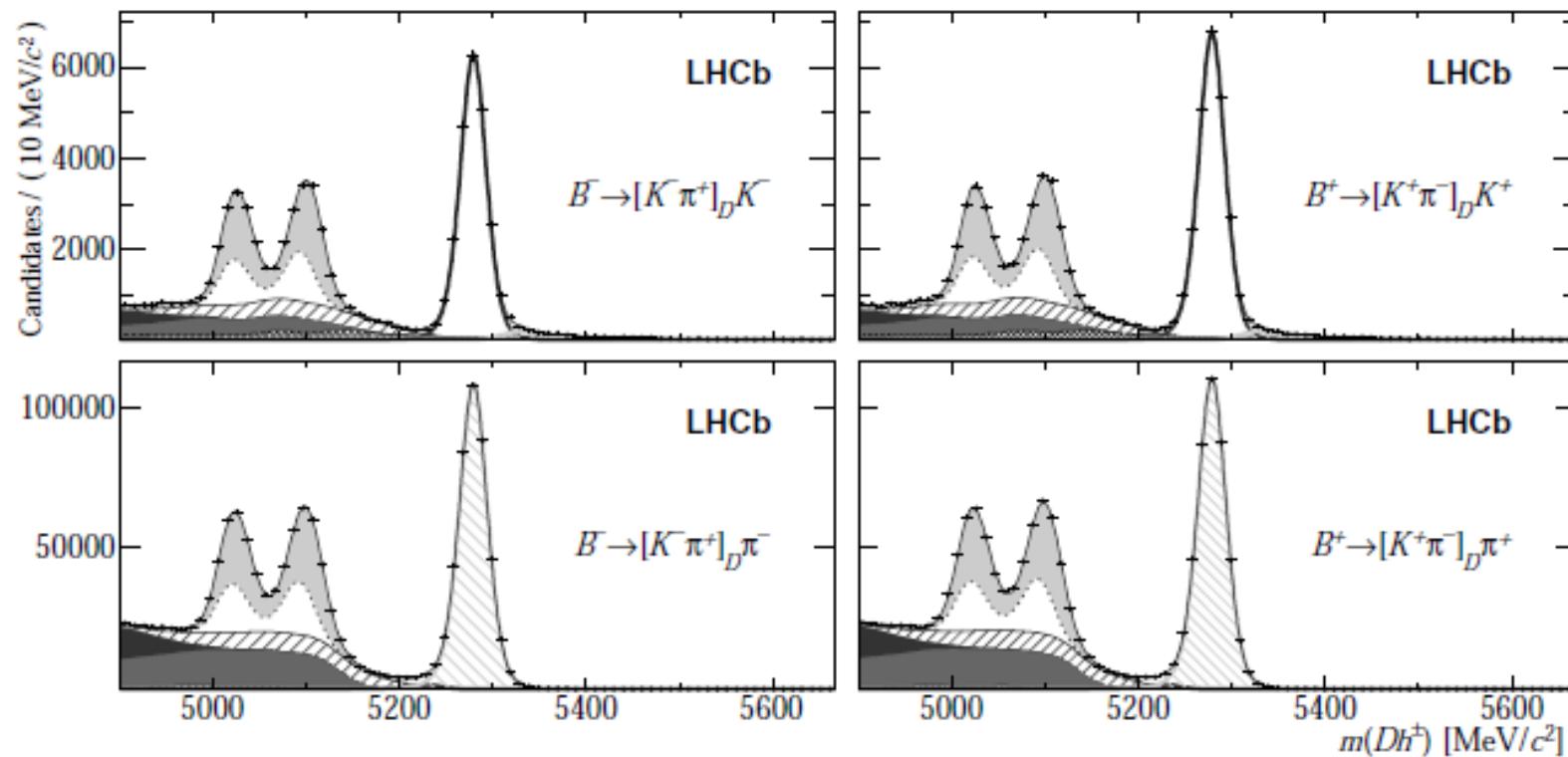
Cartesian coordinates combining data until 2016



$$\gamma = 80^\circ {}^{+10^\circ} {}^{-9^\circ} \left({}^{+19^\circ} {}^{-18^\circ} \right),$$

$$r_B = 0.080 {}^{+0.011} {}^{-0.011} \left({}^{+0.022} {}^{-0.023} \right),$$

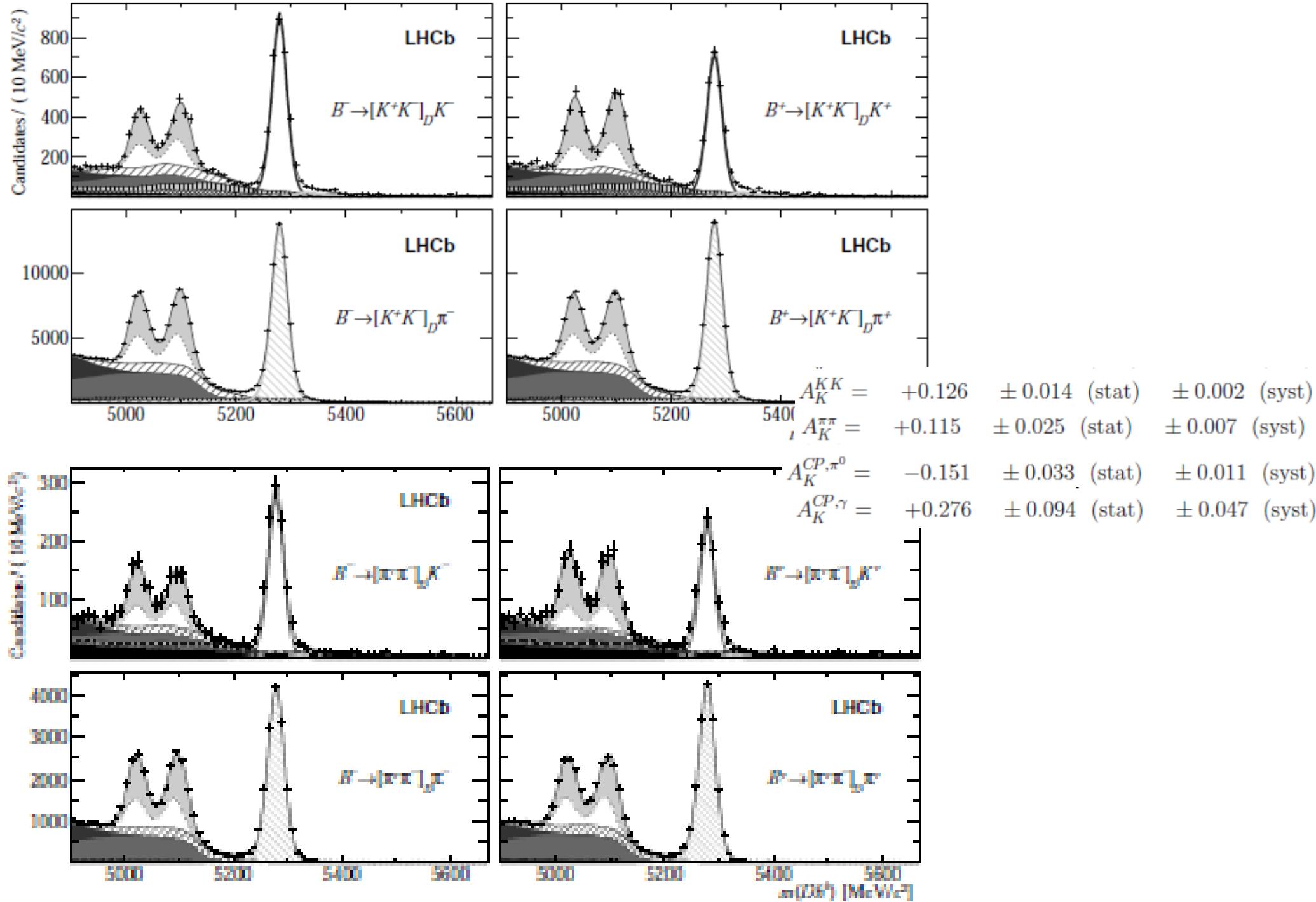
$$\delta_B = 110^\circ {}^{+10^\circ} {}^{-10^\circ} \left({}^{+19^\circ} {}^{-20^\circ} \right).$$



GLW, $B \rightarrow D\bar{K}$, $D \rightarrow K^+ K^-$, $\pi^+ \pi^-$

[arXiv:1708.06370]

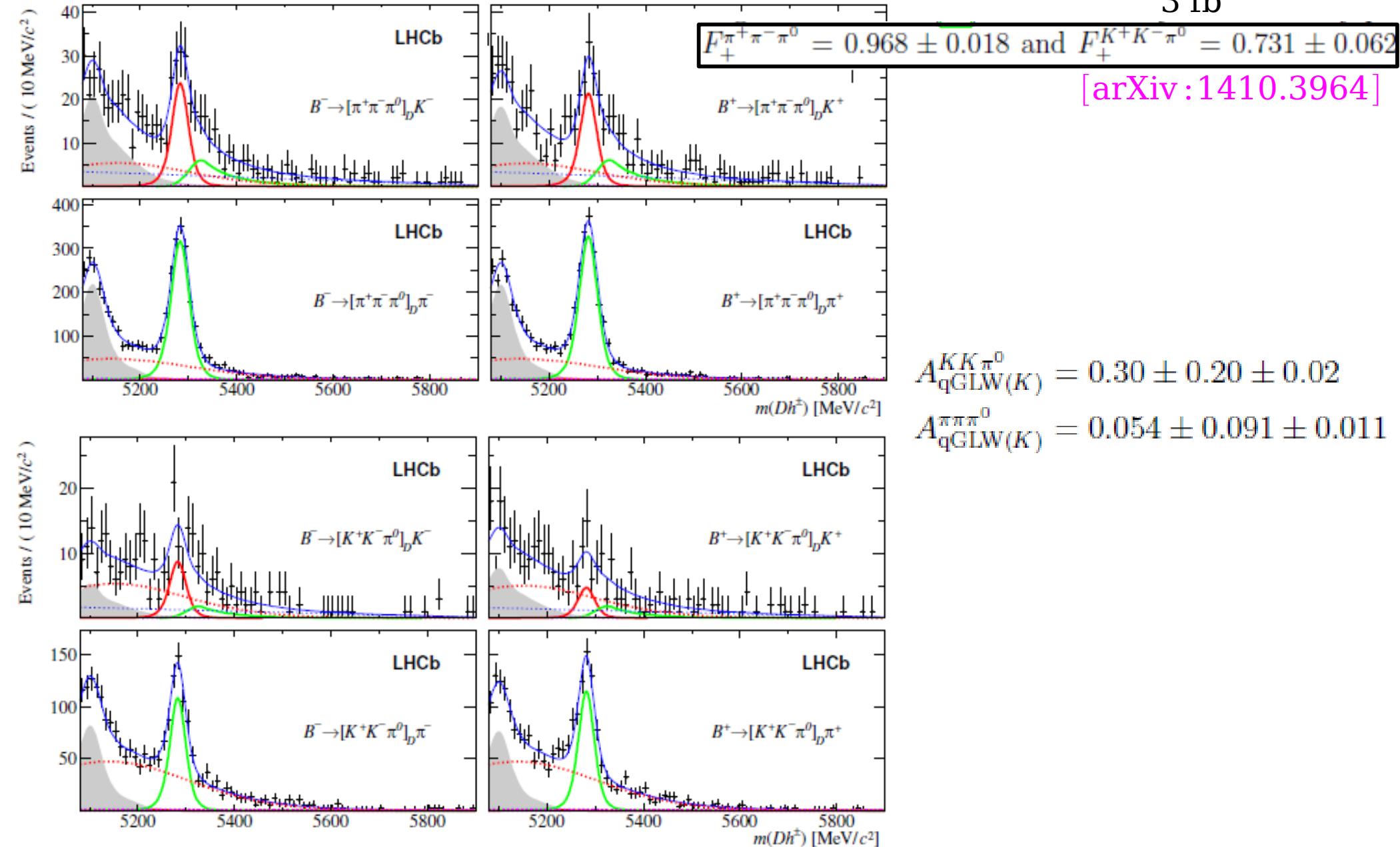
5 fb^{-1}



$B \rightarrow D\bar{K}$, $D \rightarrow \pi^+ \pi^- \pi^0$, $K^+ K^- \pi^0$ (quasi GLW)

[arXiv:1504.05442]

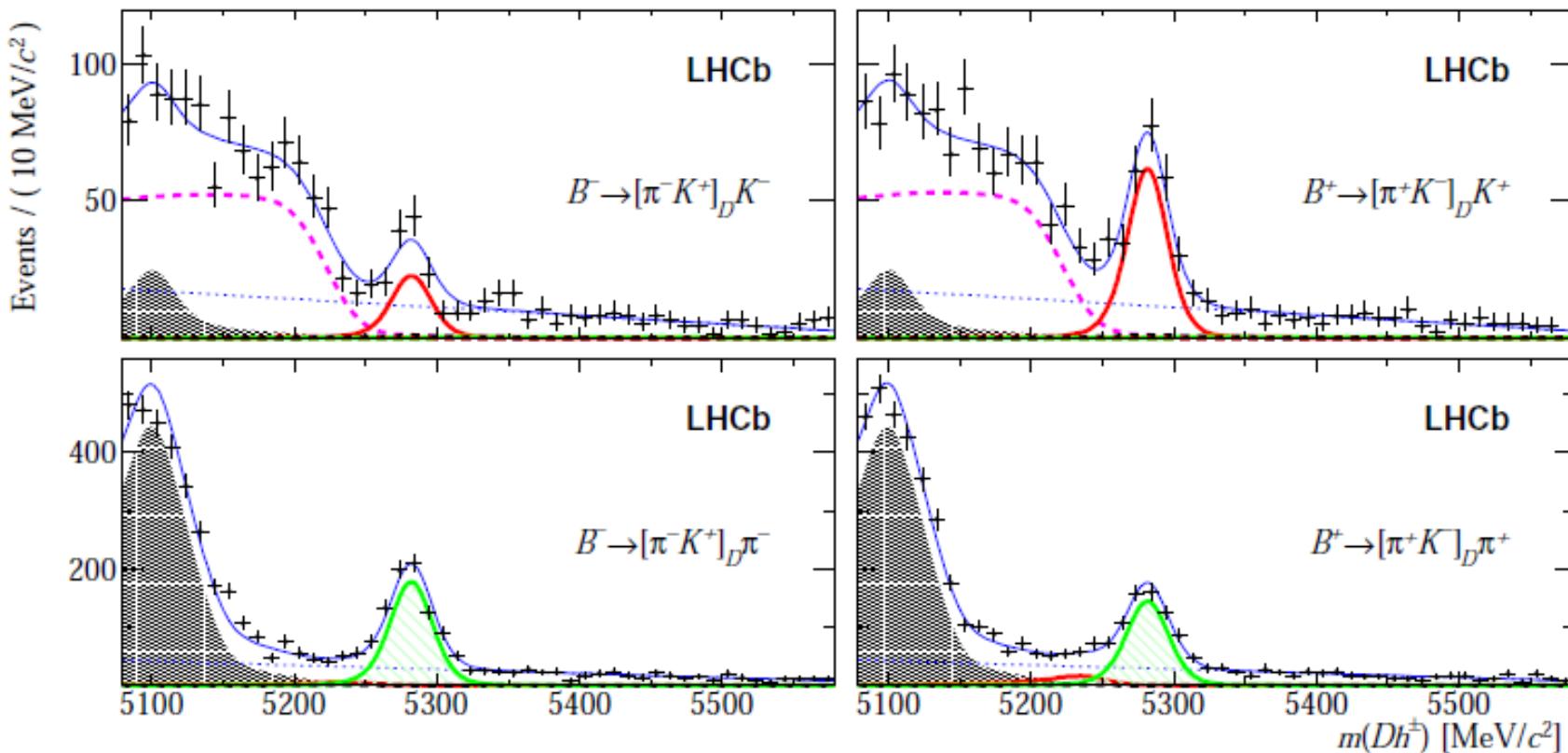
3 fb^{-1}



ADS, $B \rightarrow D K$, $D \rightarrow K^+ \pi^-$

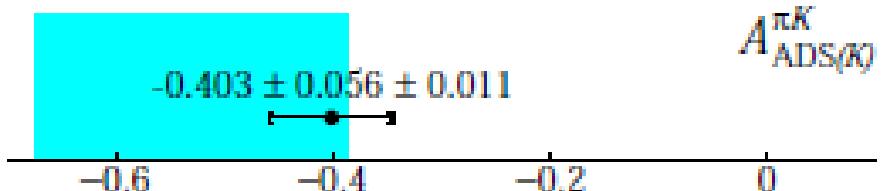
[arXiv:1603.08993]

3 fb^{-1}



$$A_{\text{ADS}(K)}^{\pi K} = -0.403 \quad \pm 0.056 \quad \pm 0.011$$

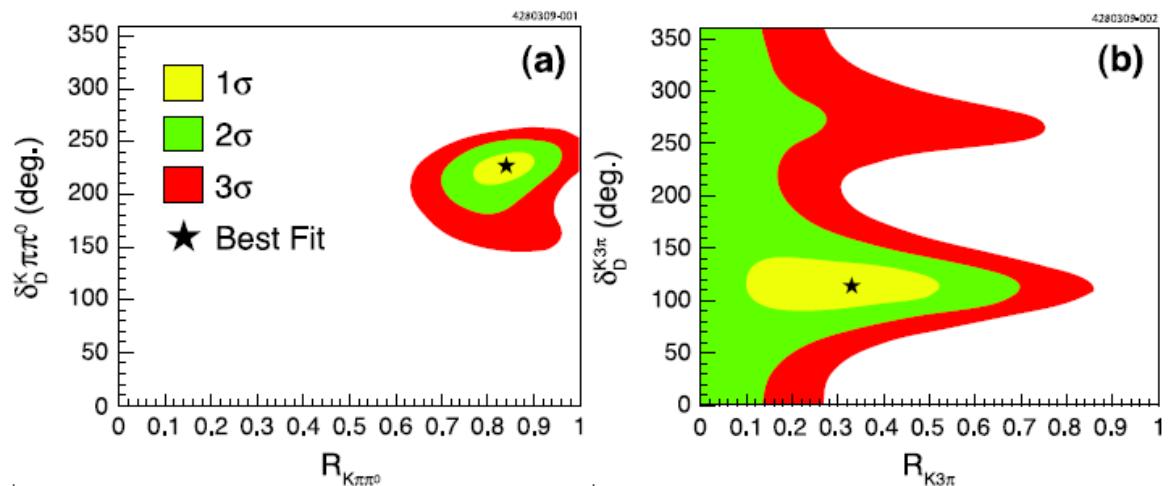
$$R_{\text{ADS}(K)}^{\pi K} = 0.0188 \quad \pm 0.0011 \quad \pm 0.0010$$



quasi-GLW, quasi-ADS...

certain multi-body decays are almost pure CP-eigenstates:
⇒ quasi-GLW, for example for $D \rightarrow 4\pi$, $2F_+ - 1 = 0.737 \pm 0.028$

other like ADS modes: for example $D \rightarrow K\pi\pi^0$, coherence factor ~ 1

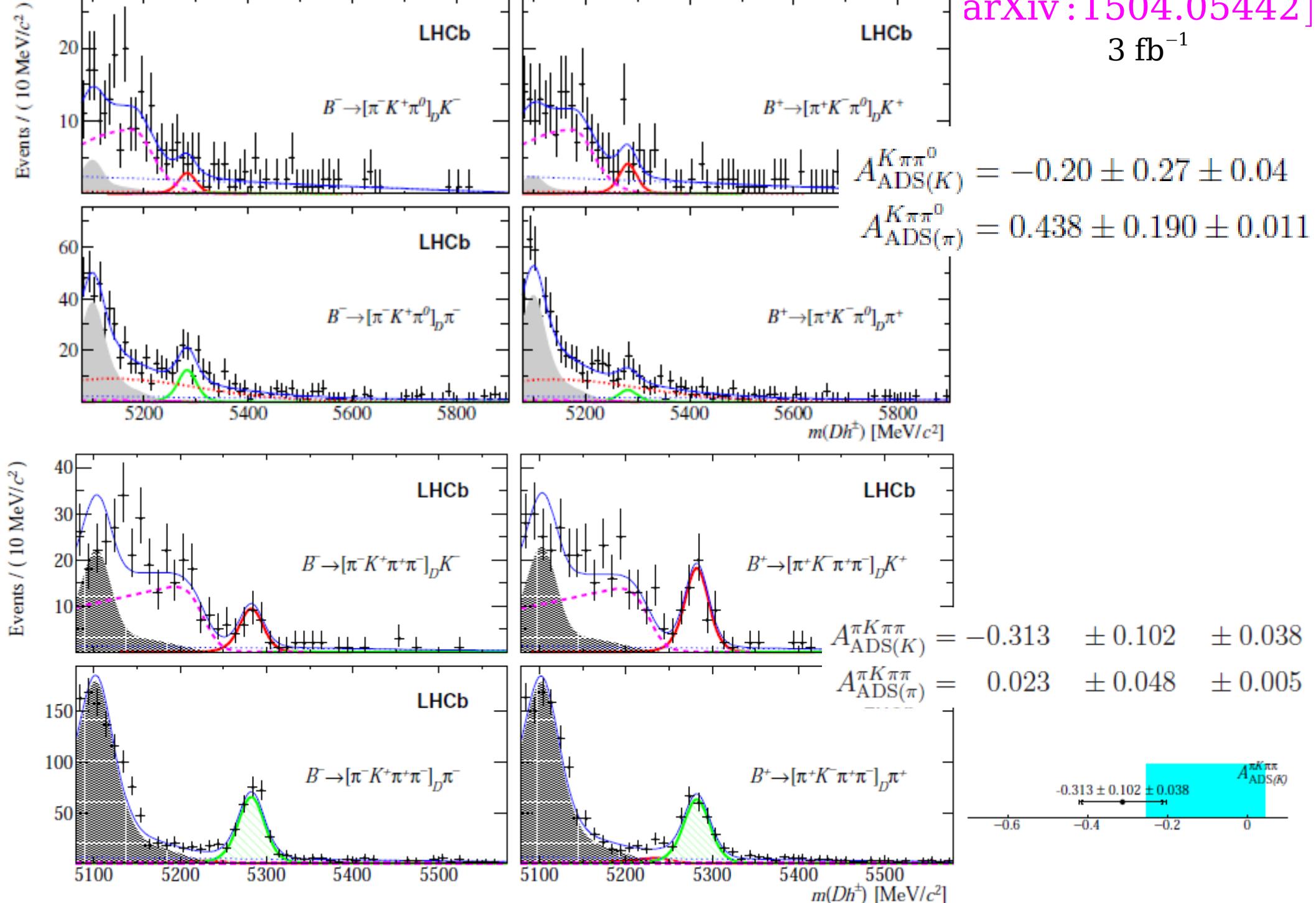


yields of double-tagged events where one meson decays into $K^- \pi^+ \pi^0$ (or $K3\pi$), and the other meson decays into CP-odd, CP-even and $K\pi$

$B \rightarrow D K$, $D \rightarrow K^+ \pi^- \pi^0$, $K 3\pi$ (quasi ADS)

arXiv:1504.05442]

3 fb⁻¹



GGSZ, $B \rightarrow DK$, $D \rightarrow K_S \pi\pi, K_S KK$

GLW, $B \rightarrow DK$, $D \rightarrow K^+ K^-$, $\pi^+ \pi^-$

ADS, $B \rightarrow DK$, $D \rightarrow K^+ \pi^-$

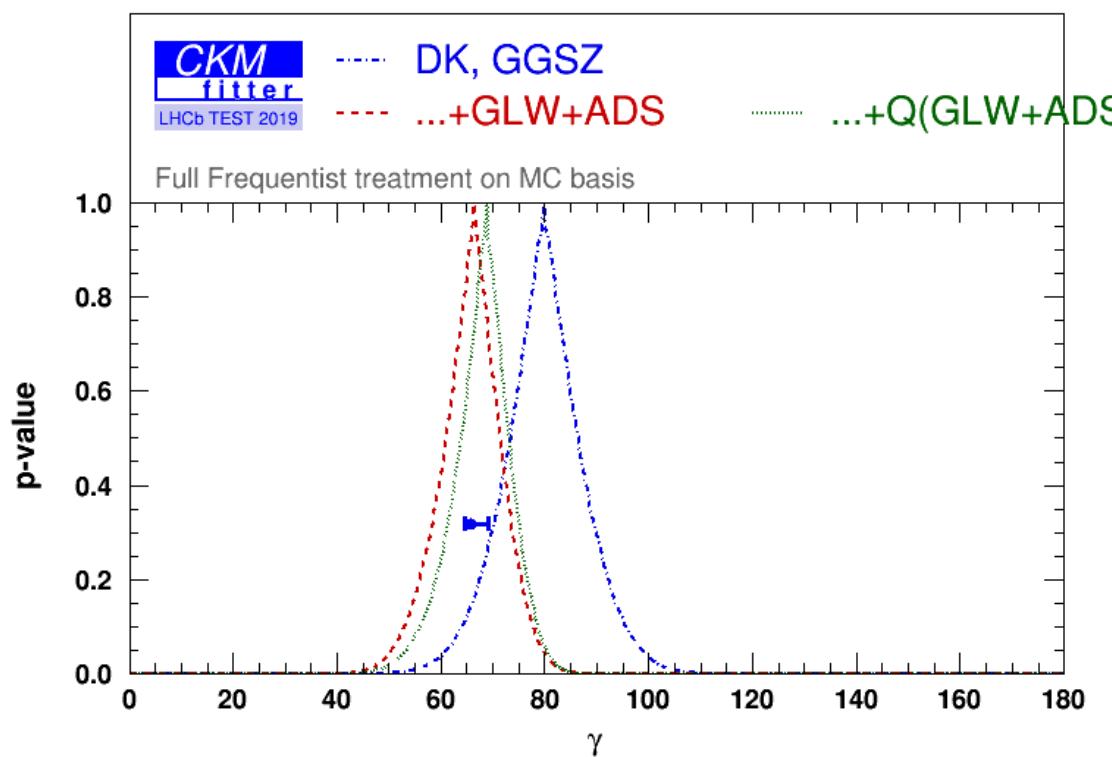
$B \rightarrow DK$, $D \rightarrow \pi^+ \pi^- \pi^0$, $K^+ K^- \pi^0$ (quasi GLW)

$B \rightarrow DK$, $D \rightarrow K^+ \pi^- \pi^0$, $K3\pi$ (quasi ADS)

$$\gamma(DK, GGSZ) = (80 \pm 10)^\circ$$

$$\gamma(DK, GGSZ+GLW+ADS) = (66.4^{+7.2}_{-8.2})^\circ$$

$$\gamma(DK, GGSZ+GLW+ADS+QGLW+QADS) = (68.7^{+6.2}_{-7.4})^\circ$$



D^*K , DK^* , $DK\pi\pi$

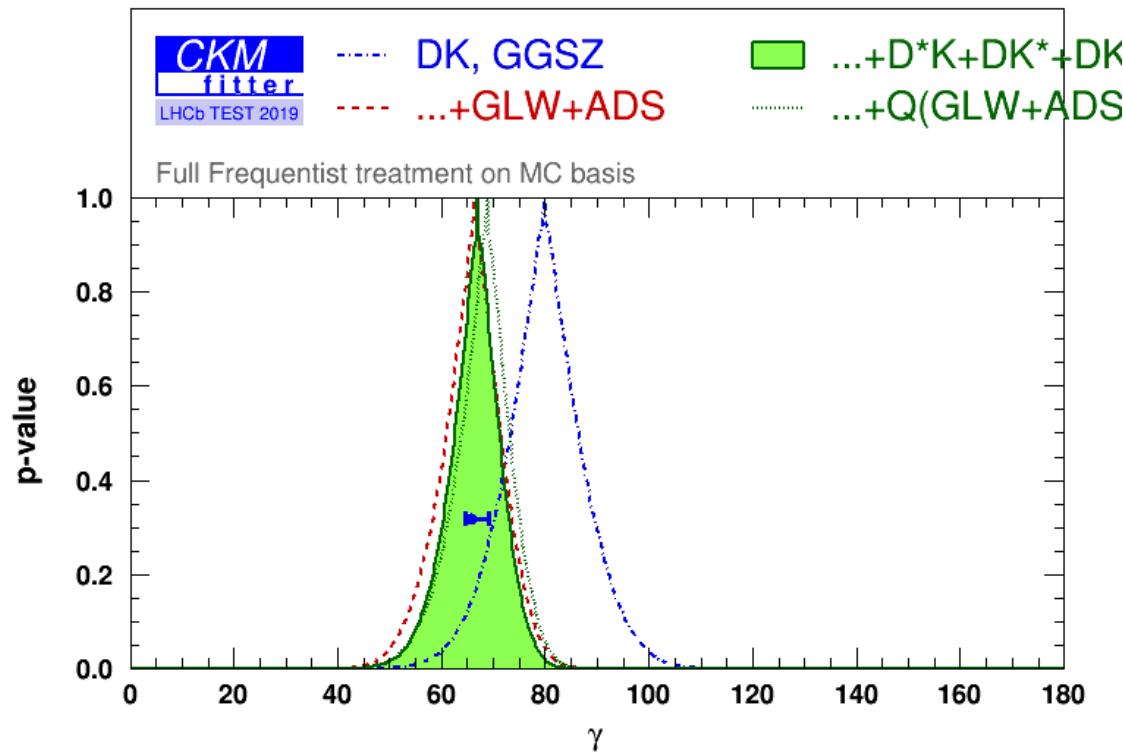
$D^{*CP}K^-$	LHCb $\int L dt = 5 \text{ fb}^{-1}$	$-0.151 \pm 0.033 \pm 0.011$	$0.276 \pm 0.094 \pm 0.047$	$1.138 \pm 0.029 \pm 0.016$	$0.902 \pm 0.087 \pm 0.112$	(stat) (syst)	PLB 777 (2018) 16	
$D_{CP}K^{*-}$	LHCb KK $\int L dt = 4.8 \text{ fb}^{-1}$	$0.06 \pm 0.07 \pm 0.01$	-	$1.22 \pm 0.09 \pm 0.01$	-	-	JHEP 11 (2017) 156	
	LHCb pipi $\int L dt = 4.8 \text{ fb}^{-1}$	$0.15 \pm 0.13 \pm 0.02$	-	$1.08 \pm 0.14 \pm 0.03$	-	-	JHEP 11 (2017) 156	
$D_{CP}K^-\pi^+\pi^-$	LHCb KK $\int L dt = 3 \text{ fb}^{-1}$	$-0.045 \pm 0.064 \pm 0.011$	-	$1.043 \pm 0.069 \pm 0.034$	-	-	PRD 92 (2015) 112005	
	LHCb pi pi $\int L dt = 3 \text{ fb}^{-1}$	$-0.054 \pm 0.101 \pm 0.011$	-	$1.035 \pm 0.108 \pm 0.038$	-	-		
$D_{\pi\pi\pi\pi}K^{*-}$	LHCb $\int L dt = 4.8 \text{ fb}^{-1}$	$0.02 \pm 0.11 \pm 0.01$		$1.08 \pm 0.13 \pm 0.03$		JHEP 1711 (2017) 156		
DK^{*-} $D \rightarrow K\pi$	LHCb $\int L dt = 4.8 \text{ fb}^{-1}$	$-0.81 \pm 0.17 \pm 0.04$		$0.011 \pm 0.004 \pm 0.001$		JHEP 1711 (2017) 156		
DK^{*-} $D \rightarrow K3\pi$	LHCb $\int L dt = 4.8 \text{ fb}^{-1}$	$-0.45 \pm 0.21 \pm 0.14$		$0.011 \pm 0.005 \pm 0.003$		JHEP 1711 (2017) 156		
$DK^-\pi^+\pi^-$ $D \rightarrow K\pi$	LHCb $\int L dt = 3 \text{ fb}^{-1}$	$-0.32 {}^{+0.27}_{-0.34}$		$0.0082 {}^{+0.0038}_{-0.0030}$		PRD 92 (2015) 112005		

$$\gamma(\text{DK, GGSZ}) = (80 \pm 10)^\circ$$

$$\gamma(\text{DK, GGSZ+GLW+ADS}) = (66.4^{+7.2}_{-8.2})^\circ$$

$$\gamma(\text{DK, GGSZ+GLW+ADS+QGLW+QADS}) = (68.7^{+6.2}_{-7.4})^\circ$$

$$\gamma(\text{DK, GGSZ+GLW+ADS+QGLW+QADS; D}^*\text{K, DK}^*, \text{DK}\pi\pi) = (67.0^{+5.9}_{-6.7})^\circ$$



Experiment	A_{CP+}	R_{CP+}	Reference			
LHCb KK $\int L dt = 3 \text{ fb}^{-1}$	$-0.20 \pm 0.15 \pm 0.02$	$1.05^{+0.17}_{-0.15} \pm 0.04$	PRD 90 (2014) 112002			
LHCb pipi $\int L dt = 3 \text{ fb}^{-1}$	$-0.09 \pm 0.22 \pm 0.02$	$1.21^{+0.28}_{-0.25} \pm 0.05$	PRD 90 (2014) 112002			
Experiment	R_+	R_-	Reference			
LHCb $\int L dt = 3 \text{ fb}^{-1}$	$0.06 \pm 0.03 \pm 0.01$	$0.06 \pm 0.03 \pm 0.01$	PRD 90 (2014) 112002			
Experiment	$x+$	$y+$	$x-$	$y-$	Correlation	Reference
LHCb $\int L dt = 3 \text{ fb}^{-1}$	$0.04 \pm 0.16 \pm 0.11$	$-0.47 \pm 0.28 \pm 0.22$	$-0.02 \pm 0.13 \pm 0.14$	$-0.35 \pm 0.26 \pm 0.41$	(stat) (syst)	PR D93 (2016) 112018

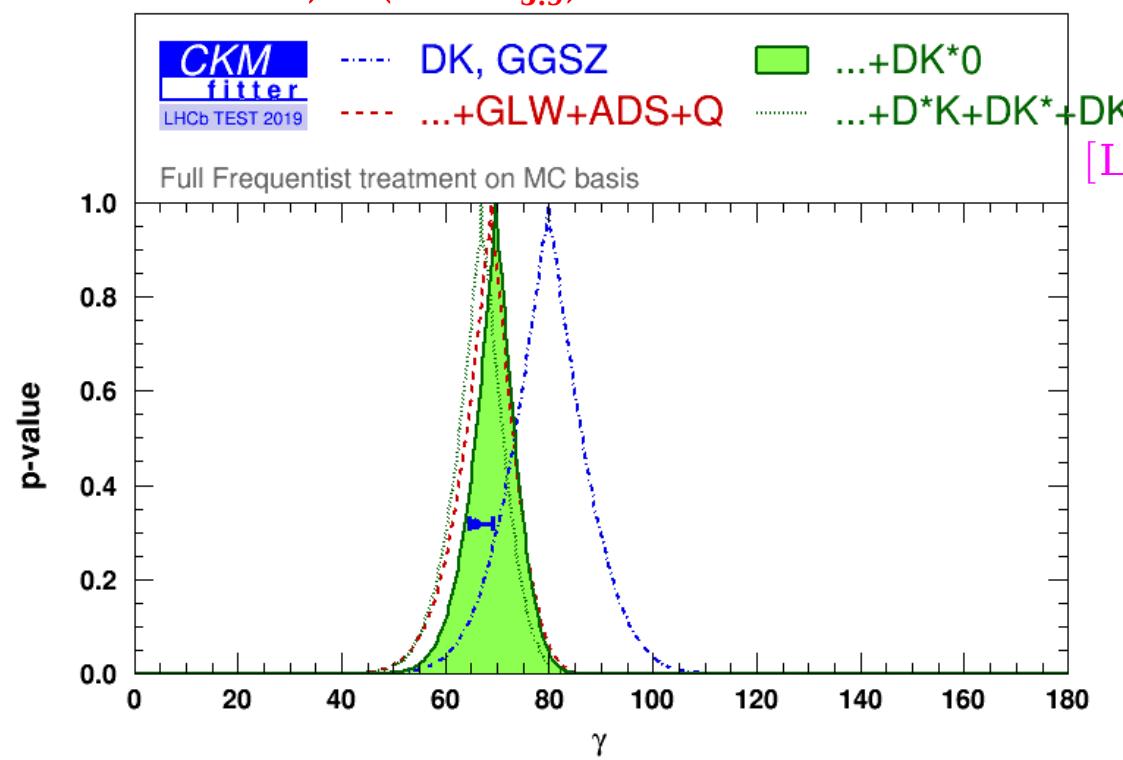
$$\gamma(\text{DK, GGSZ}) = (80 \pm 10)^\circ$$

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$$\gamma(\text{DK, GGSZ+GLW+ADS+QGLW+QADS}) = (68.7^{+6.2}_{-7.4})^\circ$$

$$\gamma(\text{DK, GGSZ+GLW+ADS+QGLW+QADS; } D^*K, DK^*, DK\pi\pi) = (67.0^{+5.9}_{-6.7})^\circ$$

$$\gamma(\text{DK, } D^*K, DK^*, DK\pi\pi + DK^{*0}) = (69.7^{+5.3}_{-5.9})^\circ$$



[LHCb-CONF-2018-002]

$$\gamma_{\text{LHCb}} = (74.0^{+5.0}_{-5.8})^\circ$$

$$\gamma_{\text{UT}} = (65.6^{+1.0}_{-3.4})^\circ$$

Ultimate γ -from-tree decays

precision will be reached through many individual measurements

