

# CMB in (relative) tensions



# **CMB** power spectra



CMB in (relative) tensions



### 6 parameters

2 for the primordial matter spectrum

$$\mathcal{P}_{\mathcal{R}}(k) = \mathbf{A}_{s} \left(\frac{k}{k_{0}}\right)^{n_{s}-1}$$

- $H_0$  (in practice sound horizon - 1 expansion rate
- 2 parameters for densities  $\Omega_b h^2$   $\Omega_c h^2$
- reionization

## hypothesis (released in the extensions to ΛCDM)

- flat Universe  $\Omega_k = 0$
- No running  $dn_s/d\ln k = 0$  standard neutrinos with low mass
- $\mathcal{P}_t(k) = A_t \left(\frac{k}{k_0}\right)^{n_t} = 0$ - No tensor
- 3 neutrinos  $N_{\rm eff} = 3.046$

$$\sum m_{\nu} = 0.06 \ eV$$

 $\theta_{\rm s}$  )

# **ACDM results**

#### with spectra

#### [Planck 2018 results. VI]



# polarization spectra are generally highly consistent with TT spectra



### ACDM results with time

	WMAP	Planck 2013	Planck 2015	Planck 2018
$\Omega_b h^2$	0.02264 ± 0.00050	0.02205 ± 0.00028	0.02225 ± 0.00016	$0.02236 \pm 0.00015$
$\Omega_{c}h^{2}$	0.1138 ± 0.0045	0.1199 ± 0.0027	0.1198 ± 0.0015	$0.1202 \pm 0.0014$
H <sub>0</sub>	70.0 ± 2.2	67.3 ± 1.2	67.27 ± 0.66	67.27 ± 0.60
ns	0.972 ± 0.013	0.960 ± 0.007	0.964 ± 0.005	0.965 ± 0.004
10 <sup>9</sup> As	2.189 ± 0.090	2.196 ± 0.060	2.207 ± 0.074	2.101 ± 0.033
τ	$0.089 \pm 0.014$	$0.089 \pm 0.014$	$0.079 \pm 0.017$	$0.054 \pm 0.007$
$\Omega_{\Lambda}$	0.721 ± 0.025	0.685 ± 0.018	0.684 ± 0.009	0.685 ± 0.007
$\Omega_{m}$	0.279 ± 0.023	0.315 ± 0.018	0.316 ± 0.009	$0.315 \pm 0.007$

### • Very stable with time

• Precision cosmology (below 1% error bar for most of them)



# ACDM results

Planck 2015-2018

2018 *Planck* TT, TE, EE+2018 lowE

#### [Planck 2018 results. VI]



"A total systematic uncertainty of round  $0.5\sigma$  may be more realistic, and values should not be overinterpreted beyond this level."

[Planck 2018 results. VI]

2018, No polar efficiency correction



# Extensions

#### [Planck 2018 results. VI]

**Table 5.** Constraints on standard cosmological parameters from *Planck* TT,TE,EE+lowE+lensing when the base- $\Lambda$ CDM model is extended by varying additional parameters. The constraint on  $\tau$  is also stable but not shown for brevity; however, we include  $H_0$  (in km s<sup>-1</sup>Mpc<sup>-1</sup>) as a derived parameter (which is very poorly constrained from *Planck* alone in the  $\Lambda$ CDM+ $w_0$  extension). Here  $\alpha_{-1}$  is a matter isocurvature amplitude parameter, following PCP15. All limits are 68 % in this table. The results assume standard BBN except when varying  $Y_P$  independently (which requires non-standard BBN). Varying  $A_L$  is not a physical model (see Sect. 6.2).

Parameter(s)	$\Omega_{ m b}h^2$	$\Omega_{ m c} h^2$	$100\theta_{\rm MC}$	$H_0$	n <sub>s</sub>	$\ln(10^{10}A_{\rm s})$
Base ACDM	$0.02237 \pm 0.00015$	$0.1200 \pm 0.0012$	$1.04092 \pm 0.00031$	$67.36 \pm 0.54$	$0.9649 \pm 0.0042$	$3.044 \pm 0.014$
<i>r</i>	$0.02237 \pm 0.00014$	$0.1199 \pm 0.0012$	$1.04092 \pm 0.00031$	$67.40 \pm 0.54$	$0.9659 \pm 0.0041$	$3.044 \pm 0.014$
$dn_s/d\ln k$	$0.02240 \pm 0.00015$	$0.1200 \pm 0.0012$	$1.04092 \pm 0.00031$	$67.36 \pm 0.53$	$0.9641 \pm 0.0044$	$3.047 \pm 0.015$
$dn_s/d\ln k, r \ldots \ldots$	$0.02243 \pm 0.00015$	$0.1199 \pm 0.0012$	$1.04093 \pm 0.00030$	$67.44 \pm 0.54$	$0.9647 \pm 0.0044$	$3.049 \pm 0.015$
$d^2n_s/d\ln k^2$ , $dn_s/d\ln k$ .	$0.02237 \pm 0.00016$	$0.1202 \pm 0.0012$	$1.04090 \pm 0.00030$	$67.28 \pm 0.56$	$0.9625 \pm 0.0048$	$3.049 \pm 0.015$
$N_{\mathrm{eff}}$	$0.02224 \pm 0.00022$	$0.1179 \pm 0.0028$	$1.04116 \pm 0.00043$	$66.3 \pm 1.4$	$0.9589 \pm 0.0084$	$3.036 \pm 0.017$
$N_{\rm eff}, {\rm d}n_{\rm s}/{\rm d}\ln k$	$0.02216 \pm 0.00022$	$0.1157 \pm 0.0032$	$1.04144 \pm 0.00048$	$65.2 \pm 1.6$	$0.950 \pm 0.011$	$3.034 \pm 0.017$
$\Sigma m_{\nu}$	$0.02236 \pm 0.00015$	$0.1201 \pm 0.0013$	$1.04088 \pm 0.00032$	$67.1^{+1.2}_{-0.67}$	$0.9647 \pm 0.0043$	$3.046 \pm 0.015$
$\Sigma m_{\nu}, N_{\rm eff}$	$0.02223 \pm 0.00023$	$0.1180 \pm 0.0029$	$1.04113 \pm 0.00044$	$66.0^{+1.8}_{-1.6}$	$0.9587 \pm 0.0086$	$3.038 \pm 0.017$
$m_{\nu, \text{ sterile}}^{\text{eff}}, N_{\text{eff}} \dots \dots$	$0.02242^{+0.00014}_{-0.00016}$	$0.1200^{+0.0032}_{-0.0020}$	$1.04074^{+0.00033}_{-0.00029}$	$67.11_{-0.79}^{+0.63}$	$0.9652^{+0.0045}_{-0.0056}$	$3.050^{+0.014}_{-0.016}$
$\alpha_{-1}$	$0.02238 \pm 0.00015$	$0.1201 \pm 0.0015$	$1.04087 \pm 0.00043$	$67.30 \pm 0.67$	$0.9645 \pm 0.0061$	$3.045 \pm 0.014$
$w_0 \ldots \ldots \ldots \ldots \ldots$	$0.02243 \pm 0.00015$	$0.1193 \pm 0.0012$	$1.04099 \pm 0.00031$	• • •	$0.9666 \pm 0.0041$	$3.038 \pm 0.014$
$\Omega_K$	$0.02249 \pm 0.00016$	$0.1185 \pm 0.0015$	$1.04107 \pm 0.00032$	$63.6^{+2.1}_{-2.3}$	$0.9688 \pm 0.0047$	$3.030^{+0.017}_{-0.015}$
$Y_{\rm P}$	$0.02230 \pm 0.00020$	$0.1201 \pm 0.0012$	$1.04067 \pm 0.00055$	$67.19 \pm 0.63$	$0.9621 \pm 0.0070$	$3.042 \pm 0.016$
$Y_{\rm P}, N_{\rm eff}$	$0.02224 \pm 0.00022$	$0.1171^{+0.0042}_{-0.0049}$	$1.0415 \pm 0.0012$	$66.0^{+1.7}_{-1.9}$	$0.9589 \pm 0.0085$	$3.036 \pm 0.018$
$A_{\rm L}$	$0.02251 \pm 0.00017$	$0.1182 \pm 0.0015$	$1.04110 \pm 0.00032$	$68.16 \pm 0.70$	$0.9696 \pm 0.0048$	$3.029^{+0.018}_{-0.016}$

# **ACDM** impressively stable when opening one extension at a time



# Extensions

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# Hubble constant

[Wong et al. 2019]





# **Hubble constant**

[Freedman et al. 2019] cf. talk on GAIA companion parallaxes (L. Breuval)



M. Tristram

# amplitude of the fluctuation $\sigma_8$

[Planck 2015 results. XIII] [Planck 2018 results. VI]

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tension with WL and SZ cluster count

## amplitude of the fluctuation $\sigma_8$ consistency with SZ







M. Tristram

# the A<sub>L</sub> parameter

• weak lensing enters the prediction of the CMB spectrum through a convolution of the unlensed spectrum with the lensing potential power spectrum  $C_\ell^\Psi$ 

smooth out the acoustic peaks

- The A<sub>L</sub> parameter is a fudge factor defined as:
  - $A_L = 0$  : weak lensing ignored
  - $A_L = 1$  : standard  $\Lambda CDM$
- PLANCK lensing measurements



 $C^{\Psi}_{\ell} \to A_L C^{\Psi}_{\ell}$ 

[Lewis&Challinor, Phys. Rept. 429 1 (2006)] [Calabrese et al, PRD 77 123531 (2008)]

 $A_{L} = 1.011 \pm 0.028$  (Planck  $\phi\phi$ )



 Measuring A<sub>L</sub> ≠ 1 indicates either a problem in the model (e.g. modification of the gravity) or remaining systematics in the data



### the A<sub>L</sub> parameter results

[Planck 2018 results. VI] [Couchot et al. 2017a]

the three likelihoods share the same data but different foreground <sup>[Cou</sup> modelling. Reveal the impact of the uncertainties related to foregrounds.

> $A_{\rm L} = 1.243 \pm 0.096$  (68 %, TT + lowE [Plik])  $A_{\rm L} = 1.246 \pm 0.095$  (68 %, TT + lowE [CamSpec])

 $A_{\rm L} = 1.160 \pm 0.075$  (68 %, TT + lowE [Hillipop])

TT, TE and EE are barely compatible



### the A<sub>L</sub> parameter A<sub>L</sub> and optical depth

[Planck 2018 results. VI] [Couchot et al. 2017a]

#### tension on optical depth

 $\tau = 0.1274 \pm 0.0366$  (68 %, TT [Plik]) Planck 2018

 $\tau = 0.0507 \pm 0.0080$  (68 %, EE [lowE])

#### relation with A<sub>L</sub>

low- $\ell$ : pulls  $\tau \searrow$ high- $\ell$ : amplitude  $C_{\ell} \propto A_{\rm s} e^{-2\tau} \rightarrow A_{\rm s} \searrow$ high- $\ell$ : to preserve lensing information  $(C_{\ell}^{\Phi} \propto A_{\rm s} A_{\rm L}) : A_{\rm L} \nearrow$ 



curvature

#### [Planck 2018 results. VI]

data	$\Omega_k$
PlanckTT + lowE	$-0.056^{+0.028}_{-0.018}$
PlanckTT,TE,EE + lowE	$-0.044^{+0.018}_{-0.015}$
PlanckTT,TE,EE + lowE + lensing	$-0.0106 \pm 0.0065$
PlanckTT,TE,EE + lowE + lensing + BAO	$-0.0007 \pm 0.0019$

 $H_0 = 63.6 \pm 2.2$ 





CMB in (relative) tensions

# neutrino sector

## CMB sensitive to the number of relativistic species at decoupling

- standards neutrinos :  $N_{eff} = 3.046$
- confuse situation since WMAP + SPT + ACT...

$$\rho = N_{\text{eff}} \frac{7}{8} \left(\frac{4}{11}\right)^{4/3} \rho_{\gamma}.$$





### neutrino sector Σm<sub>ν</sub>

 constraints on the sum of neutrino masses is important for the neutrino hierarchy





## neutrino sector Σm, and AL

[Couchot et al. 2017b]

#### • tension on $A_L$ shows up on the neutrino sector

– high value for  $A_L \rightarrow artificially$  tighter constraints on  $\Sigma m_{\nu}$ 



M. Tristram

CMB in (relative) tensions

### neutrino sector Σm, and reionization



simulations do not include properly systematic effects

lower limit on sum of neutrino masses is **too optimistic** 



# **CMB error bars**



#### Cosmic Variance

driven by the cosmology. Easy to simulate and propagate using a fiducial model (valid given our current level of sensitivity on power spectra and the range allowed for parameters)

#### Statistical Noise

more complicated to estimate from the data. Current **Planck noise simulations need to be rescaled a posteriori** to match data jack-knives.

#### Systematic effects

should include foreground models uncertainty + instrumental parameter uncertainties. not only important for potential bias but also for their effect on **increasing the variance**. Very hard but no other way than realistic Monte Carlo. Currently only **300 sims** for Planck **neglecting correlations with foregrounds and CMB**.



# **CMB tensions**

### Hubble constant (H<sub>0</sub>, up to 5σ)

- hard to change with CMB measurements except changing cosmo
  - number of relativistic species, non-standard thermal history or radiation (light relics)
  - early DE (e.g. [Poulin et al. 2019])
  - non-standard neutrino interactions (e.g. [Kreisch et al. 2019])
- large variations on the local measurements depending on the first ladder

### • Amplitude of the fluctuations ( $S_{8}$ , $\sigma_{8}$ less than $2\sigma$ )

- reduced by  $1\sigma$  with new optical depth constraints
- large degeneracy with DE

### Internal consistency (A<sub>L</sub>, more than 2σ)

- more subtil, depends on the details of foreground models
- relation with  $\tau$ ,  $\Omega_k$ ,  $\Sigma m_v$ ...
- no effect on LCDM but important for extensions



# conclusions

### • CMB results on ΛCDM are robust and stable

- in time
- for various spectra (TT,TE,EE, $\phi\phi$ )
- when opening extensions one by one

## • Error bars

- given the precision on cosmological parameters, error bars need to be even more accurate
- in particular at low- $\ell$ : uncertainties are underestimated

### Consequences

- need to work on foreground modelling (how to build a realistic stochastic description of the foregrounds ?) ANR BxB (F. Boulanger)
- need to rely on heavy Monte Carlo simulations

#### next Planck map release (NPIPE) coming soon !



