

Neutrino oscillations

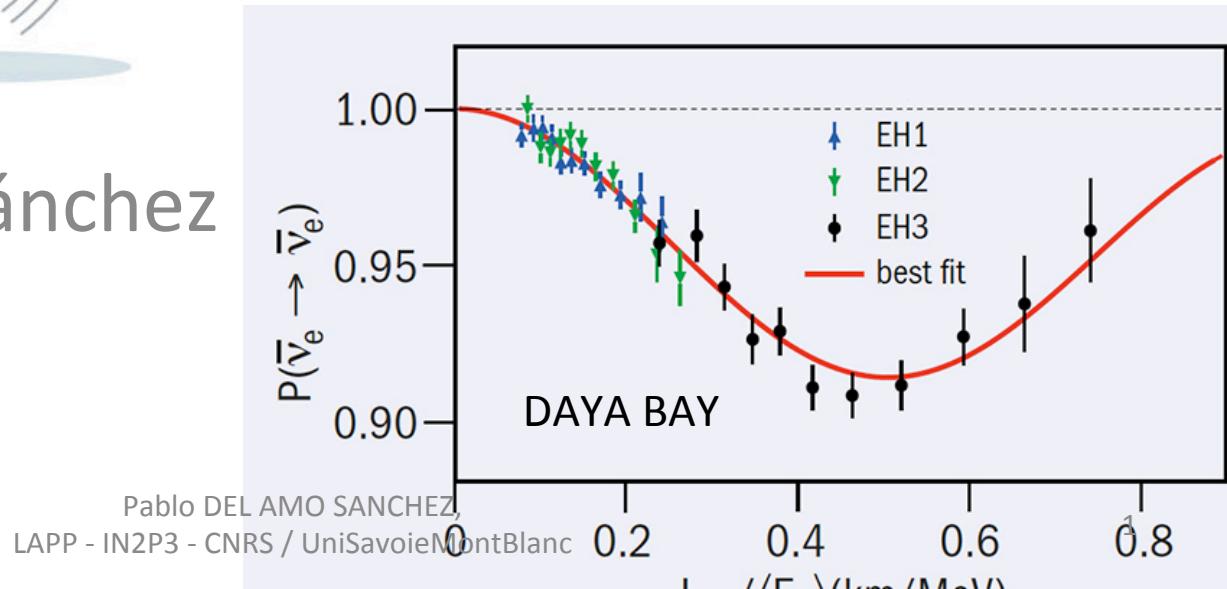
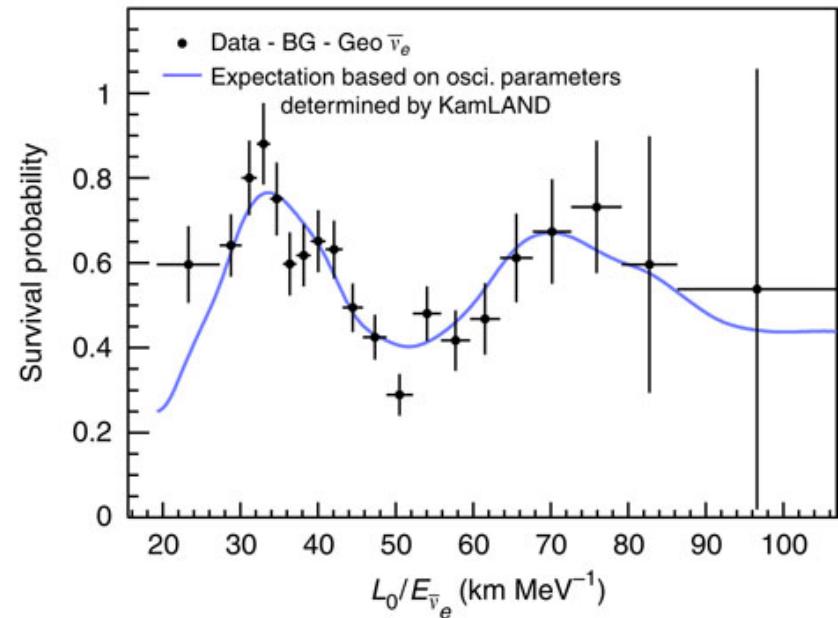


Pablo del Amo Sánchez

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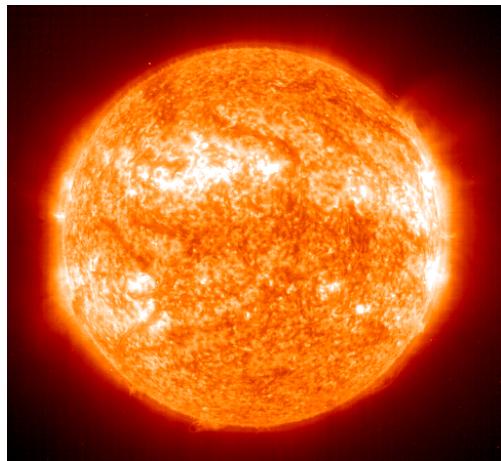
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Overview

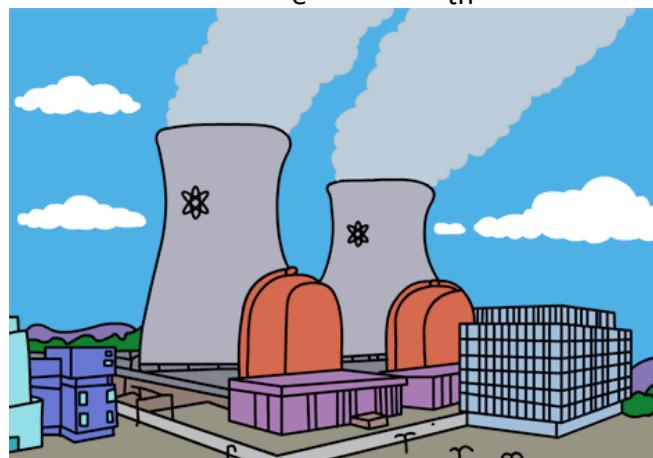
- Evidence for neutrino oscillations
 - Non historical approach
- How to go about detecting neutrinos

ν sources

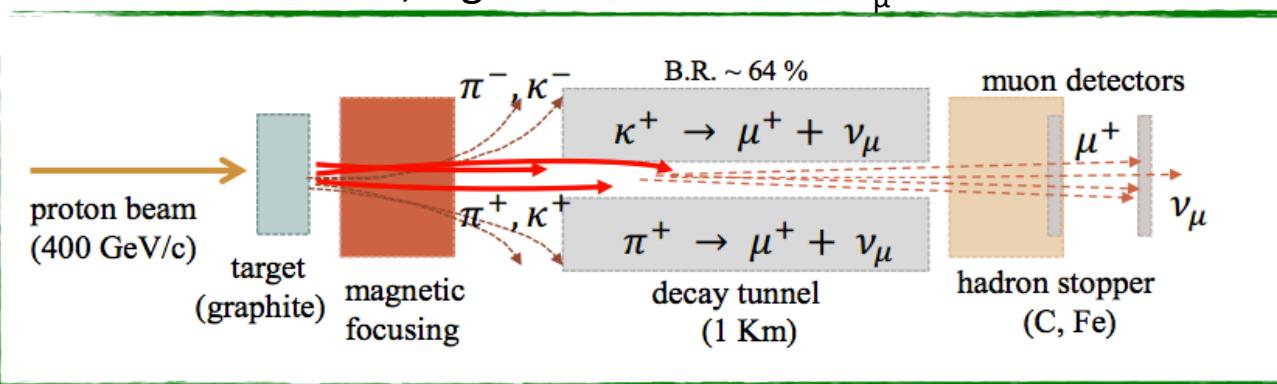
The Sun
 $65 \times 10^9 \nu_e \text{ cm}^{-2} \text{ s}^{-1}$ at Earth



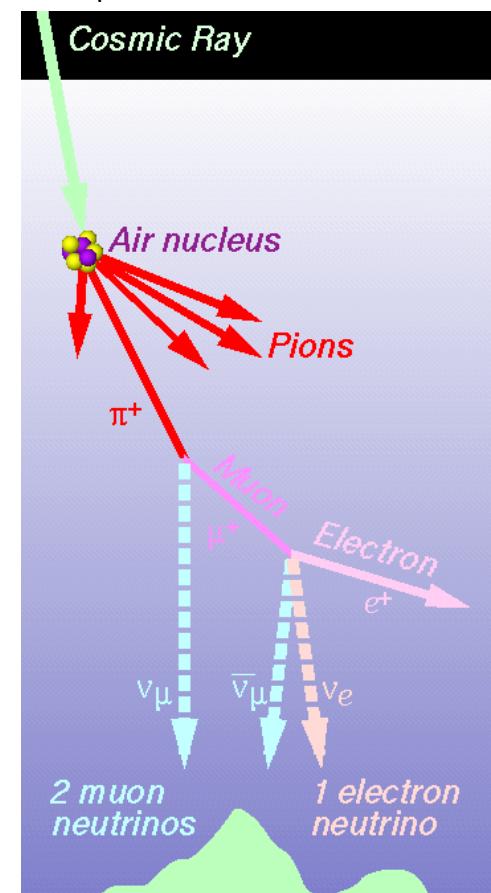
Nuclear reactors
 $2 \times 10^{20} \bar{\nu}_e \text{ s}^{-1} \text{ GW}_{\text{th}}^{-1}$



Accelerators, e.g. at OPERA: $1 \times 10^{12} \nu_\mu \text{ m}^{-2}$



Atmospheric ν (cosmic rays)
 $4 \times 10^2 \nu_{\mu+\text{e}} \text{ m}^{-2} \text{ s}^{-1} \text{ sr}^{-1}$ at 1 GeV



Plus: astrophysical neutrinos, CvB, etc

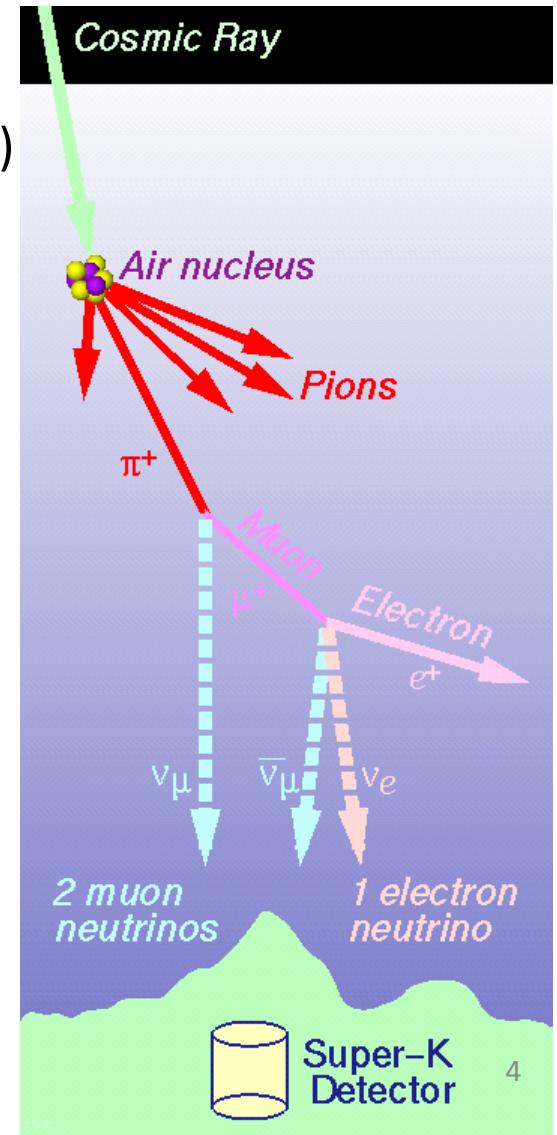
Atmospheric neutrinos

- Cosmic rays collisions in upper atmosphere (15 km)
- Plenty of pions from hadronic interactions
- $\pi^+ \rightarrow \mu^+ \nu_\mu$ and $\mu^+ \rightarrow e^+ \nu_e \bar{\nu}_\mu$

SO

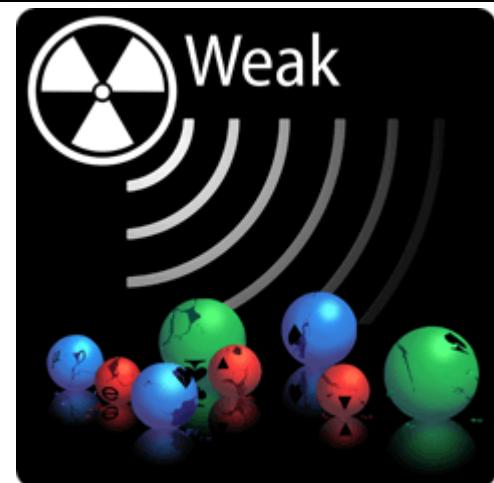
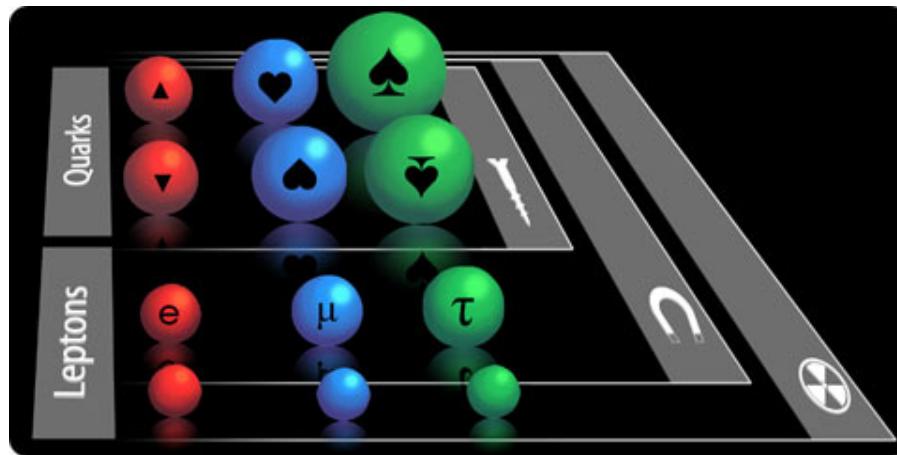
$$\nu_\mu : \nu_e = 2 : 1$$

(known better than 3% below 5 GeV)



How to detect neutrinos?

- ν electrically neutral
→ no ionization tracks!
 - nearly massless
→ $m_\nu < 1 \text{ eV}$ but $\sum m_\nu > 0.06 \text{ eV}$
 - tiny interaction cross-section
→ $\sigma \approx 10^{-42} \text{ cm}^2$ for IBD
- need copious sources and/or large detector masses



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Ex: SuperKamiokaNDE

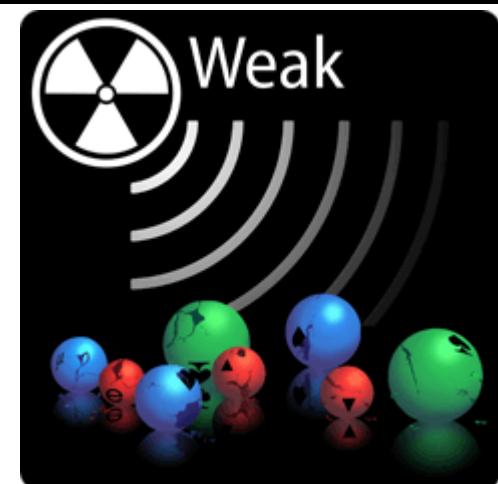
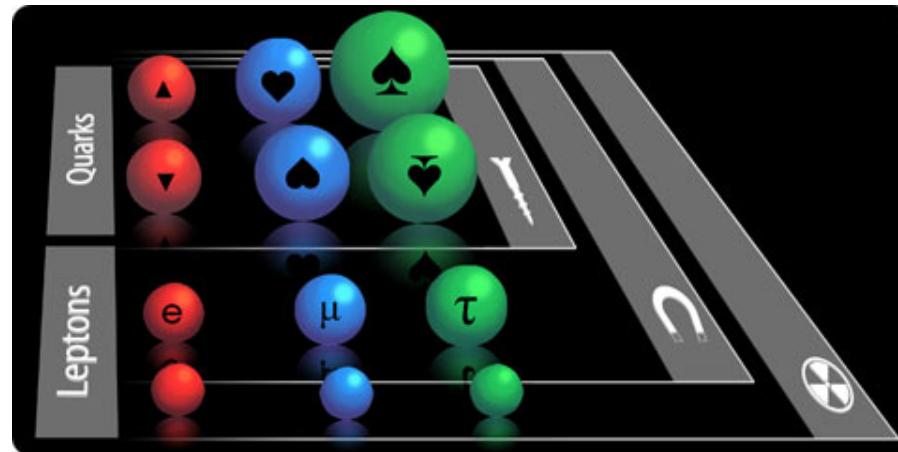
$$R = \phi N_N \sigma_N$$

$$R = 5 \nu_{\mu+e} \text{ evts/day}$$

$$\phi = 4 \times 10^2 \nu_{\mu+e} \text{ m}^{-2} \text{ s}^{-1} \text{ sr}^{-1} \text{ at } 1 \text{ GeV} = 0.5 \text{ cm}^{-2} \text{ s}^{-1}$$

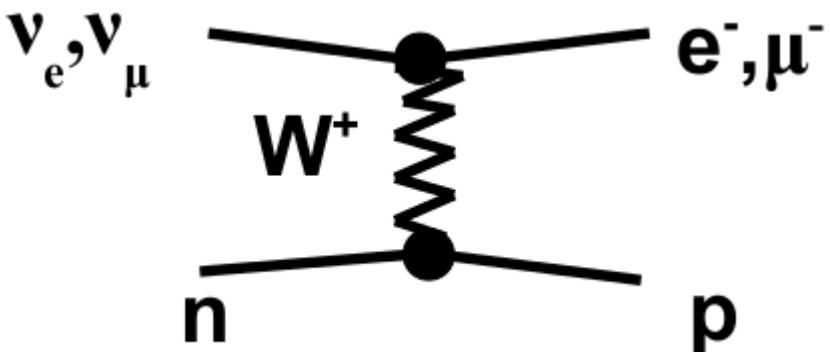
$$\sigma_N = 10^{-38} \text{ cm}^2 / \text{nucleon at } 1 \text{ GeV}$$

$$\Rightarrow N_N = 1.2 \times 10^{38} \text{ nucleons} \Rightarrow M = N_N \times 1.66 \times 10^{-27} \text{ Kg} = 19 \times 10^6 \text{ Kg} = 19 \text{ ktonnes}$$

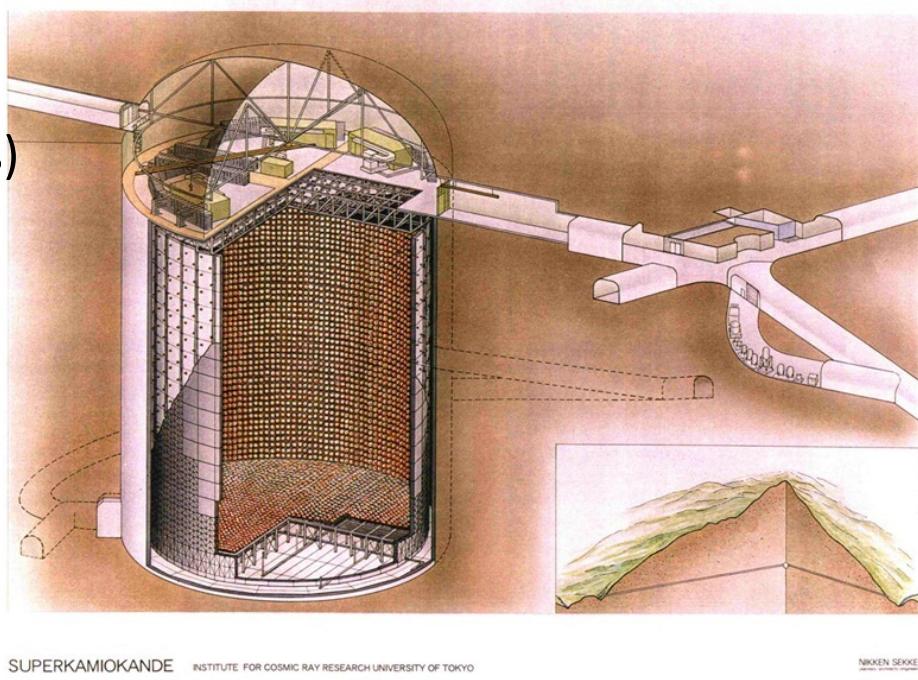


Water Cerenkov detectors

- Huge underground water tanks surrounded by photomultiplier tubes (PMTs)

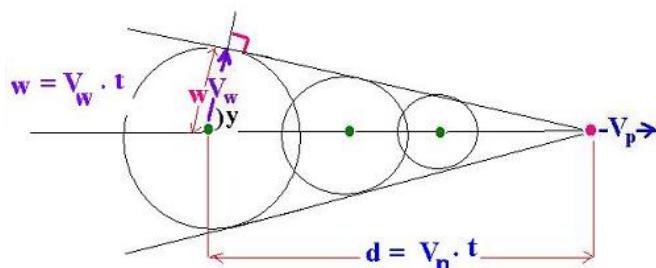


- Interacting particles produce light, light gives electrical signal in PMTs



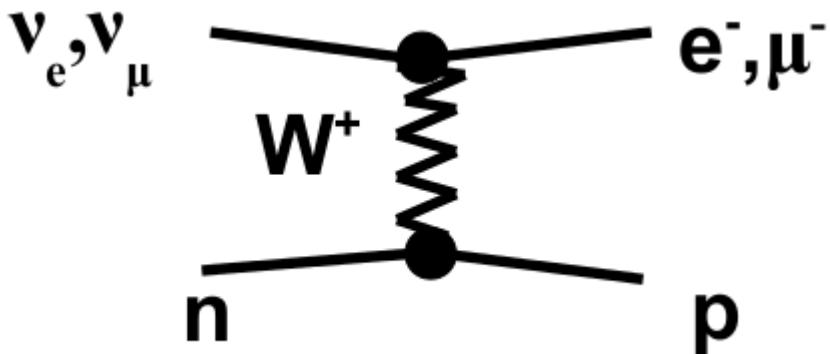
Cerenkov effect: particles faster than speed of light in medium radiate light (e.g. **blueish light** in nuclear reactors)

- Ex: (Super-)KamiokaNDE et SNO



Water Cerenkov detectors

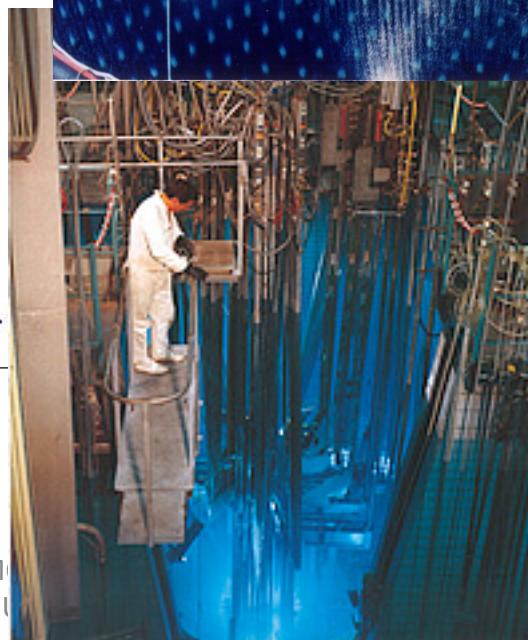
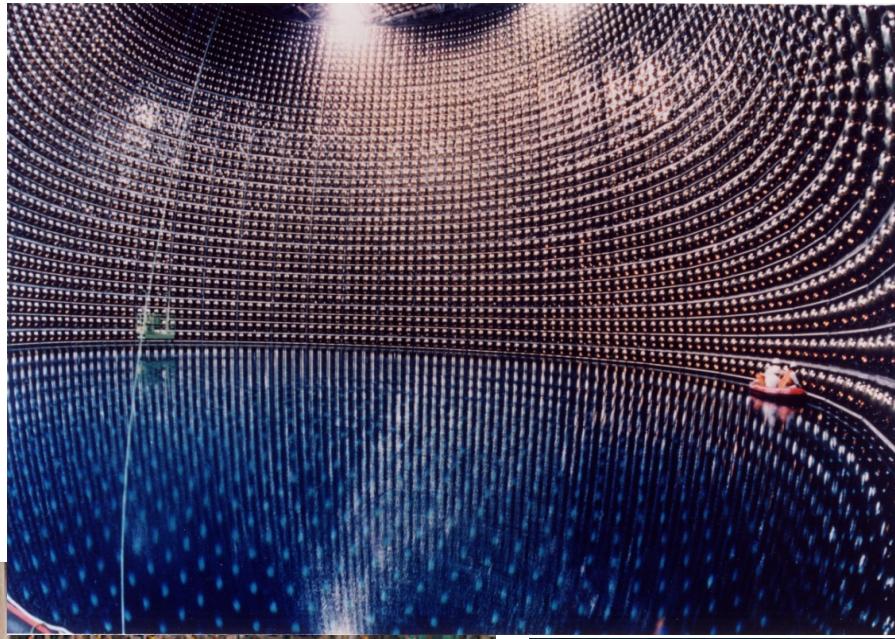
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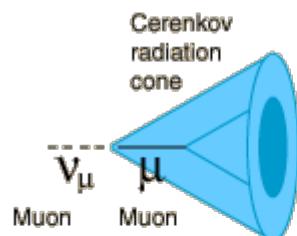
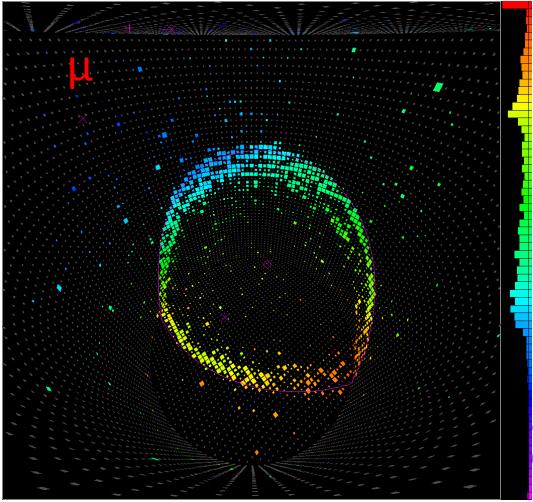
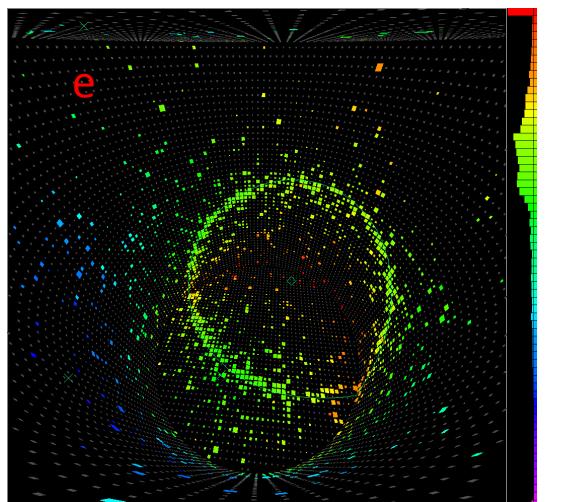
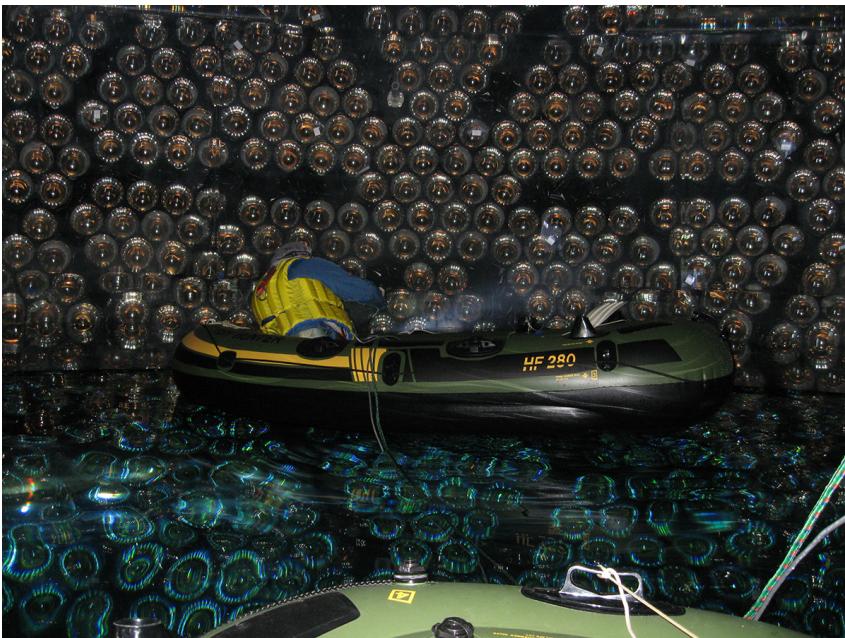
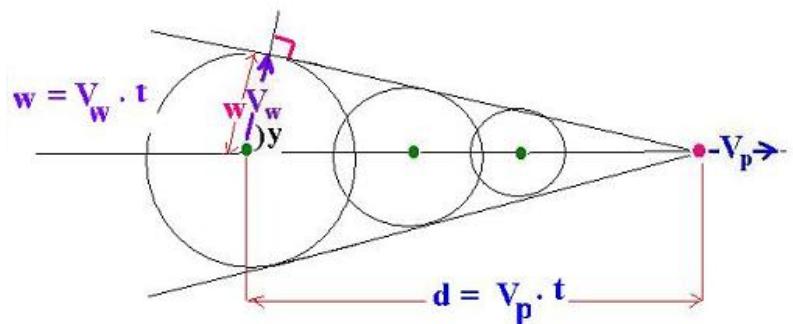
Cerenkov effect: particles faster than speed of light in medium radiate light (e.g. **blueish light** in nuclear reactors)

- Ex: (Super-)KamiokaNDE et SNO

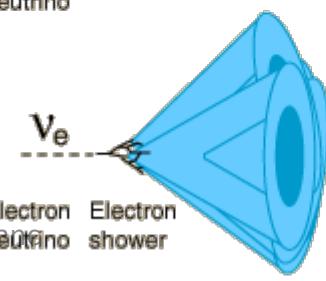


Water Cerenkov detectors

- SNO et (Super-)KamiokaNDE
- Directionality from Cerenkov cone
- Energy from total collected light
- Distinction between electrons and muons



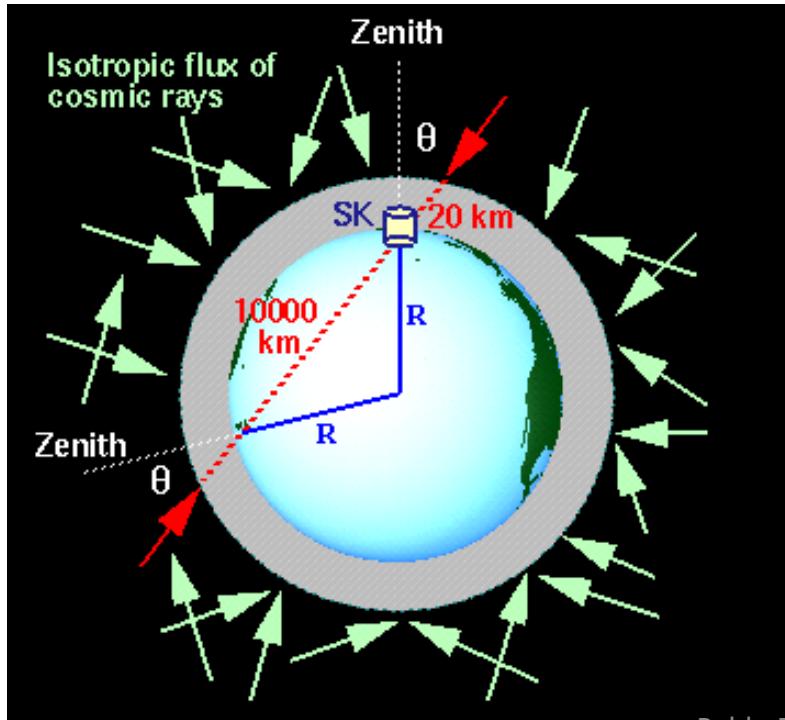
The Cerenkov radiation from a muon produced by a muon neutrino event yields a well defined circular ring in the photomultiplier detector bank.



The Cerenkov radiation from the electron shower produced by an electron neutrino event produces multiple cones and therefore a diffuse ring in the detector array.

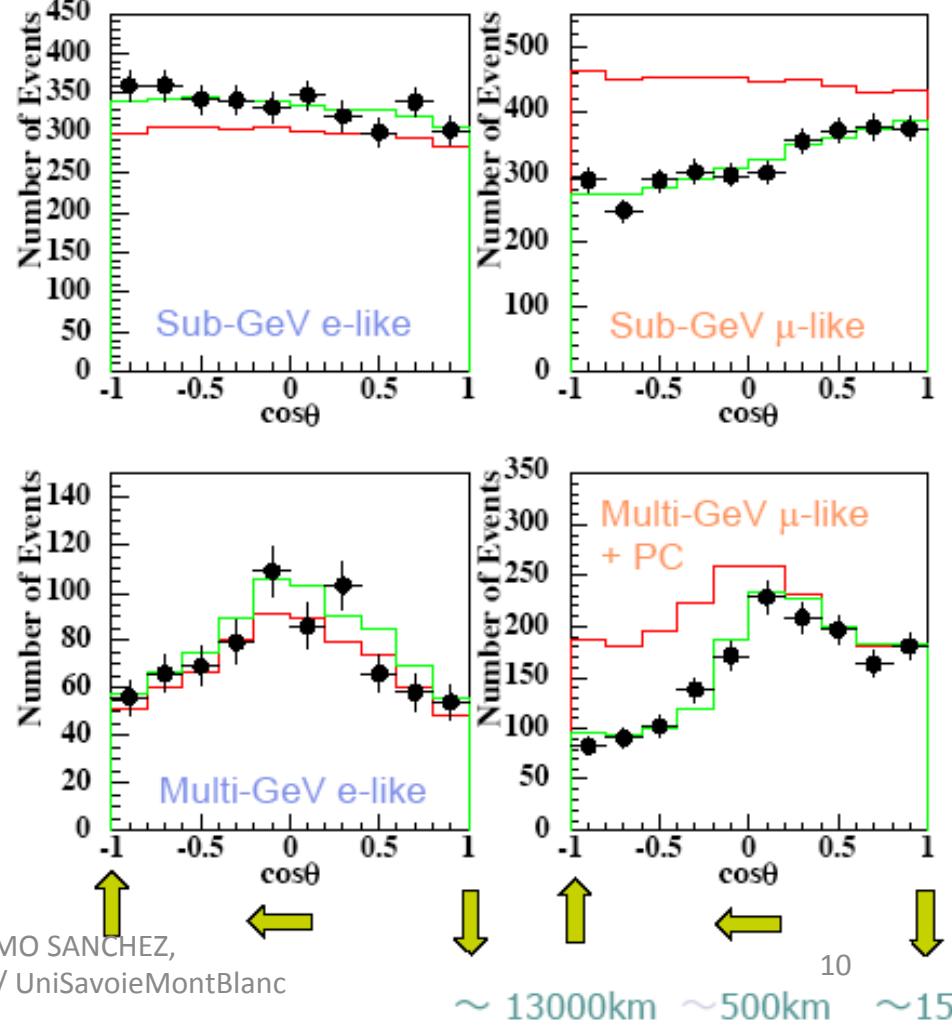
Super-KamiokaNDE

- 1000m deep, 50000 tons of water, 11000 PMTs
- Observed expected number of downgoing ν_μ , deficit in upgoing
- No excess in ν_e , so $\nu_\mu \rightarrow \nu_\tau$?



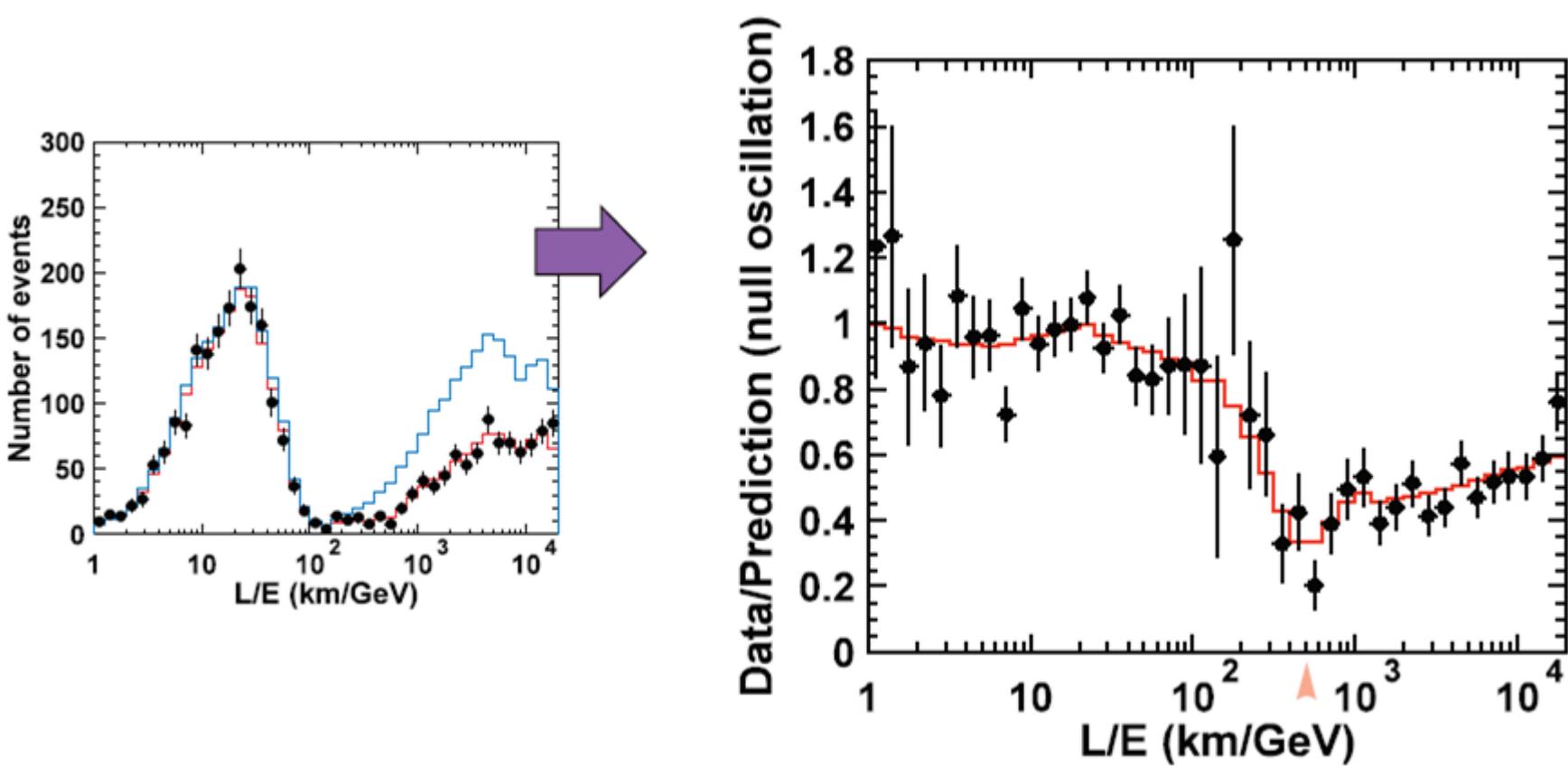
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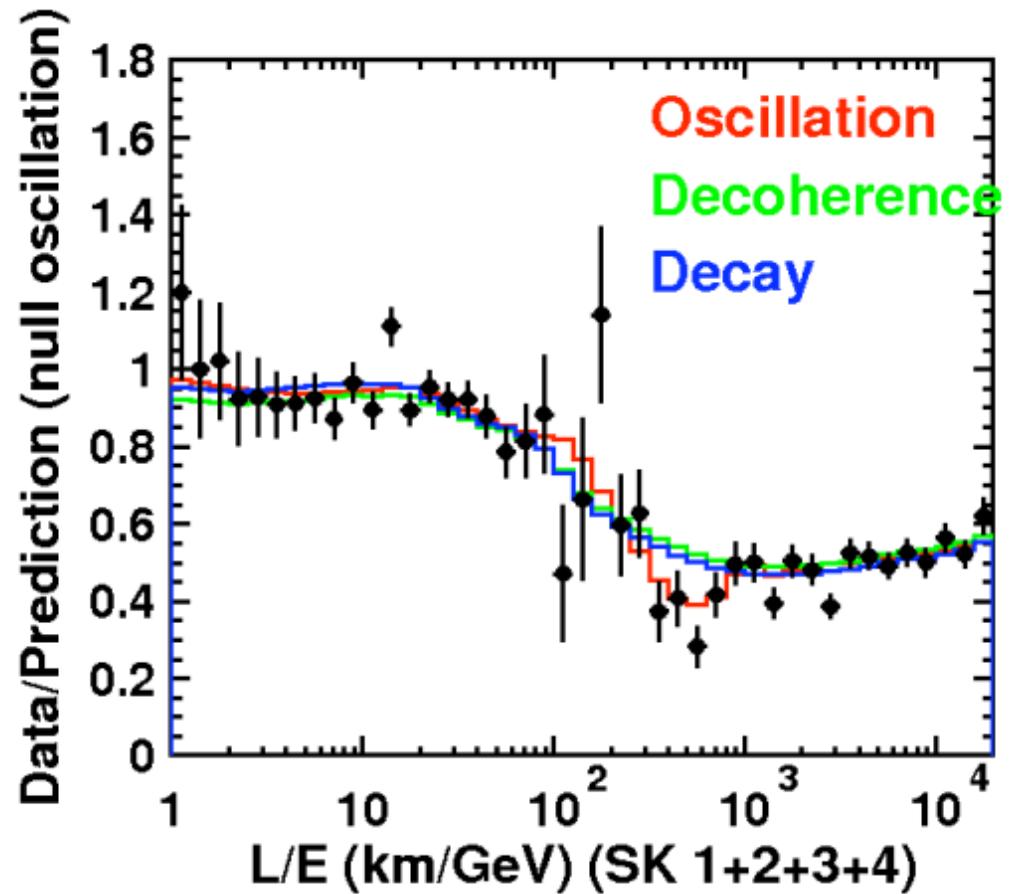
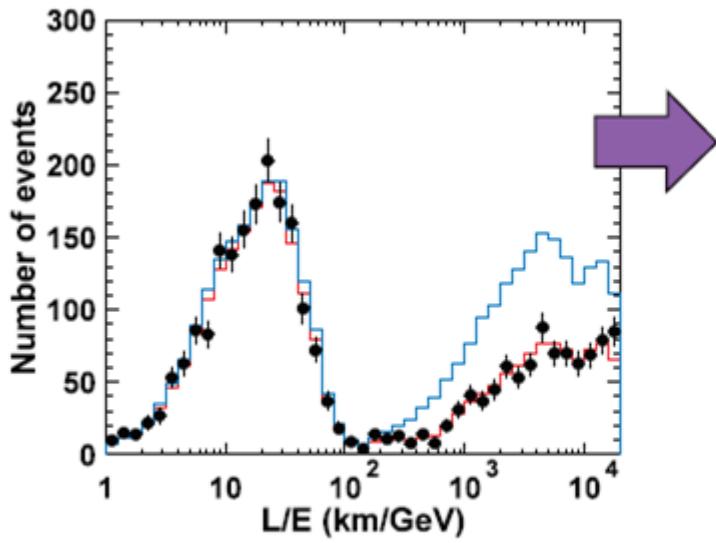


$\sim 13000\text{km}$ $\sim 500\text{km}$ $\sim 15\text{km}$

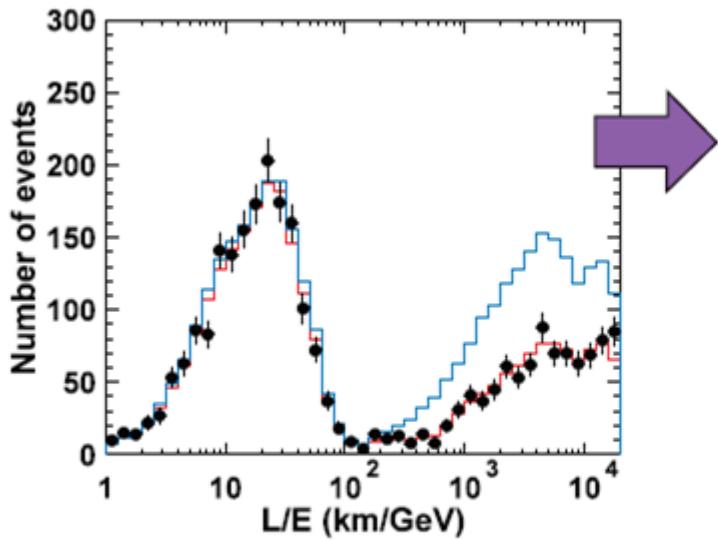
Atmospheric neutrinos disappear?



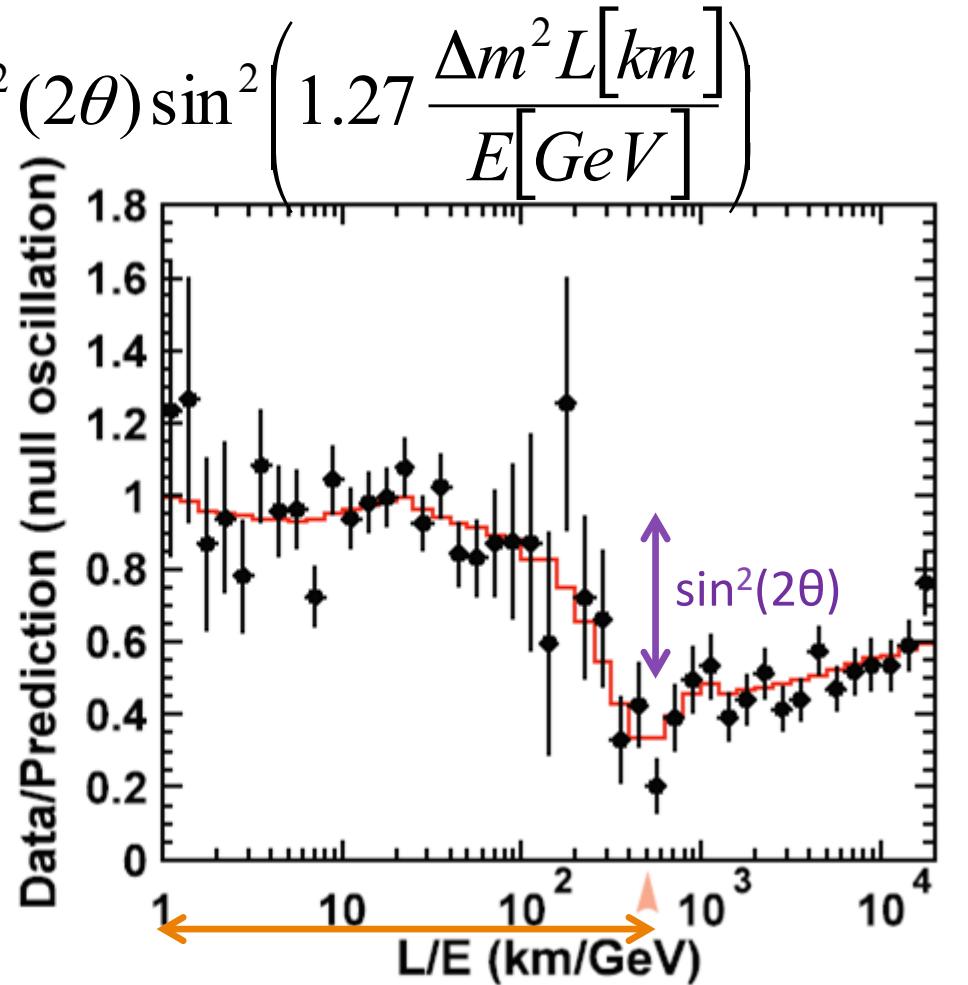
Atmospheric neutrinos disappear?



Atmospheric neutrinos oscillate!

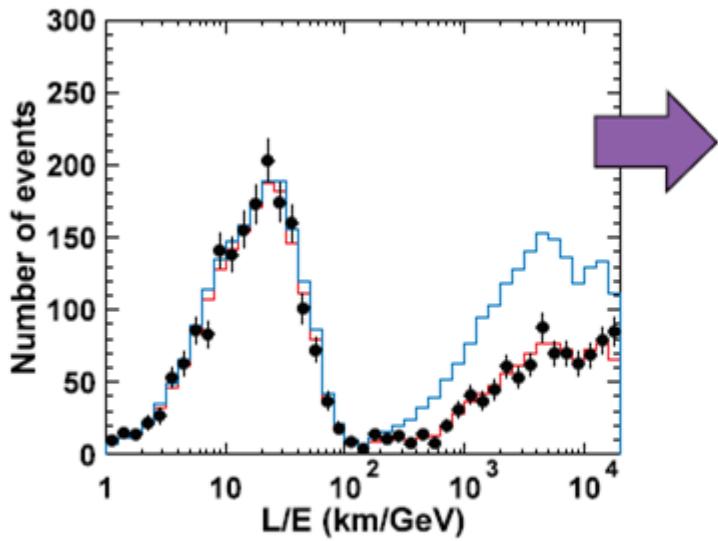


$$P(\nu_\alpha \rightarrow \nu_\beta) = \sin^2(2\theta) \sin^2\left(1.27 \frac{\Delta m^2 L [km]}{E [GeV]}\right)$$

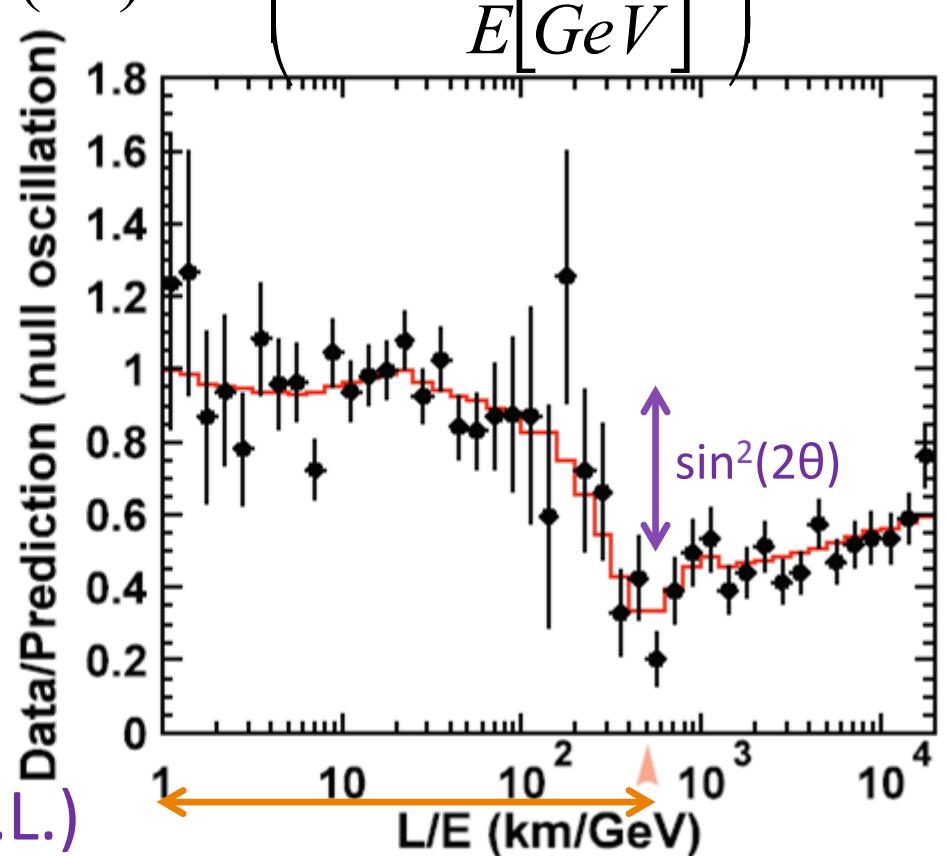


$$L/E \sim 500 \text{ km/GeV} \leftrightarrow \Delta m^2 \sim 2.3 \times 10^{-3} \text{ eV}^2$$

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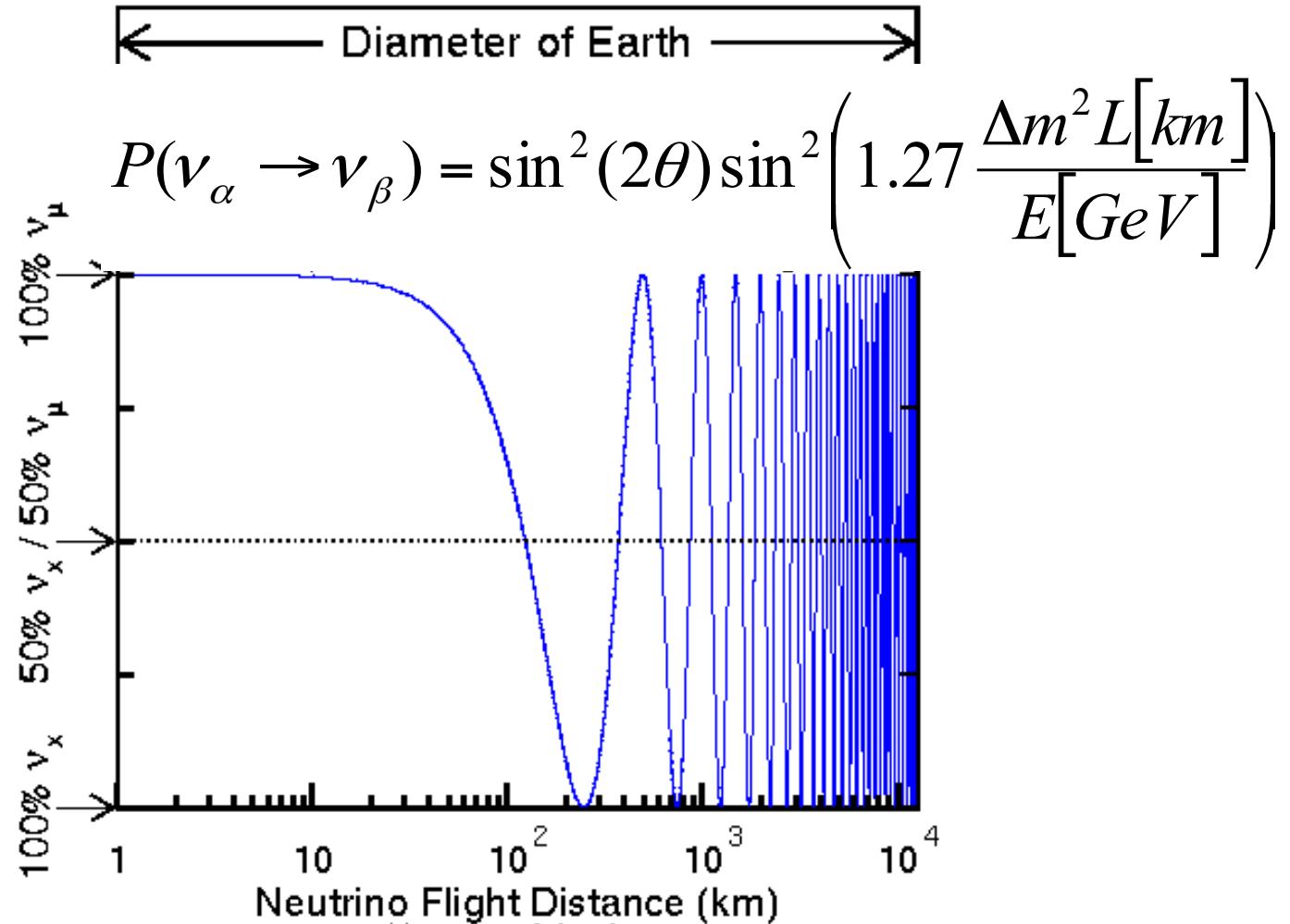
$$\sin^2(2\theta) = 1.00 (>0.93 \text{ 90% C.L.})$$

$$\Delta m^2 = (2.50 \pm 0.27) \times 10^{-3} \text{ eV}^2 \quad L/E \sim 500 \text{ km/GeV} \leftrightarrow \Delta m^2 \sim 2.3 \times 10^{-3} \text{ eV}^2$$

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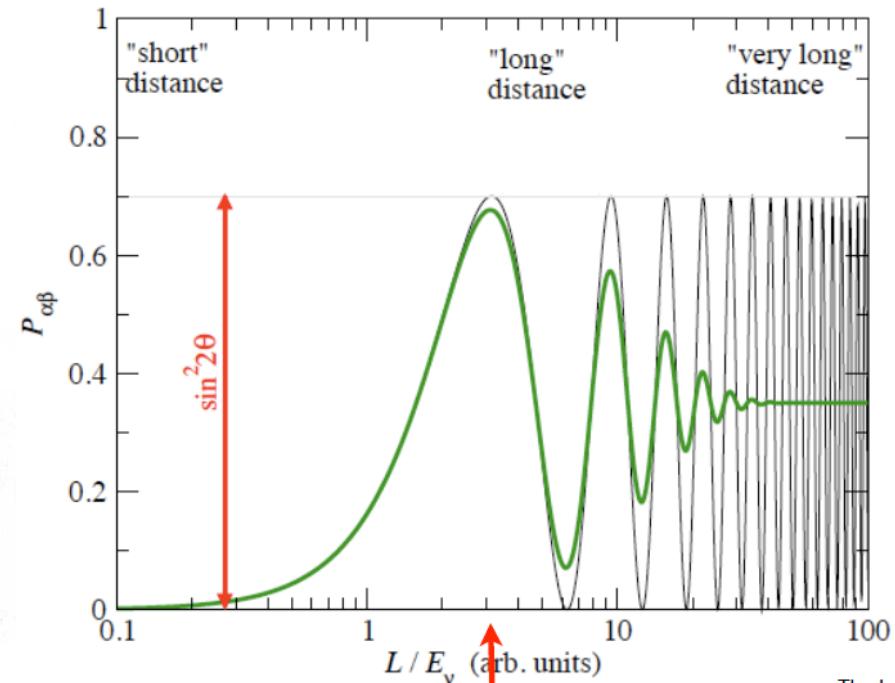
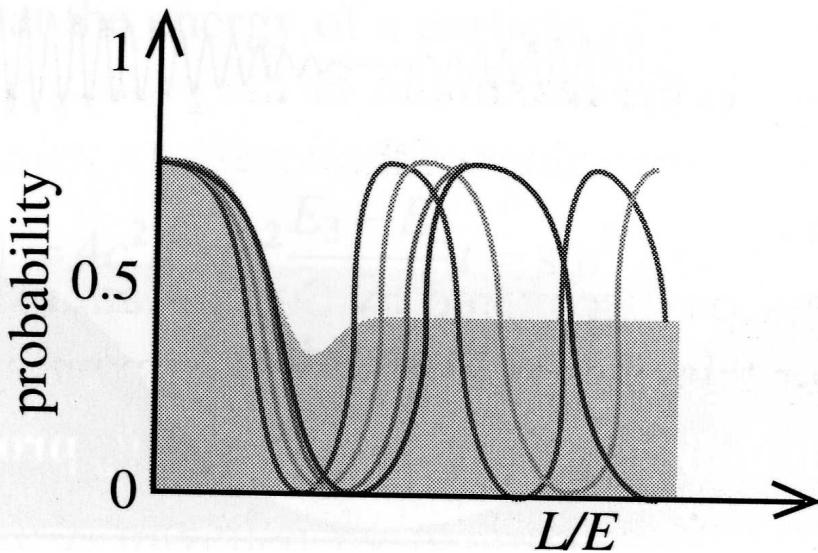
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But why don't we see this?



Because...

- Two effects:
 - Neutrinos not monochromatic \rightarrow different oscillation lengths
 - Experimental resolution: if too close, maxima and minima blurred

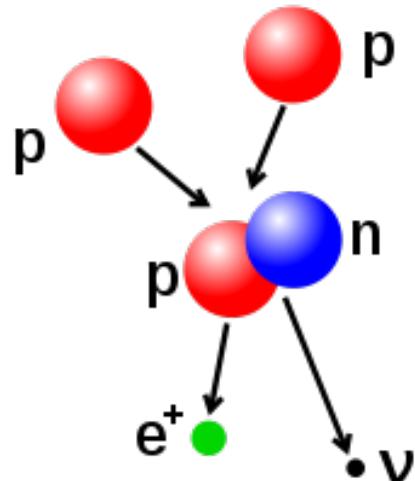
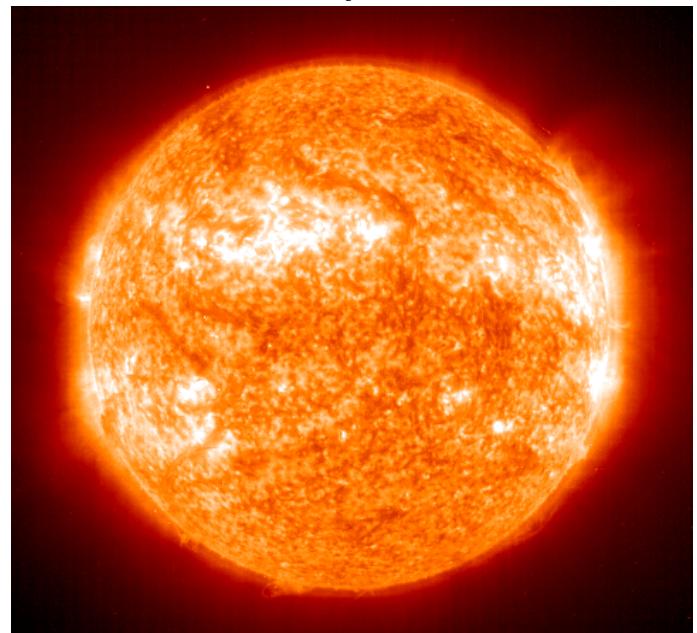
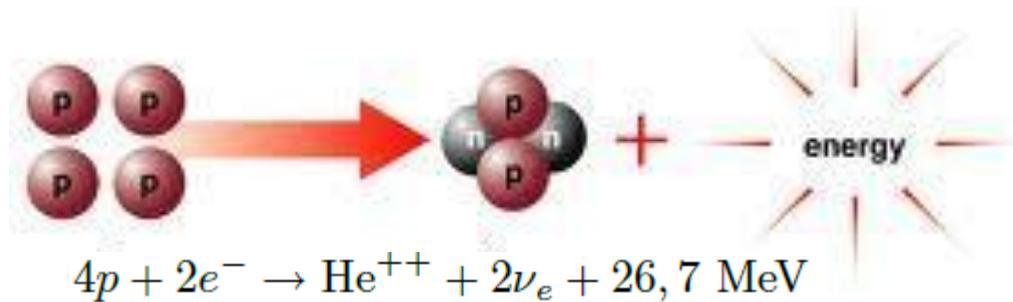


Thanks to T. Schwetz

The solar neutrino saga

Neutrinos from the Sun

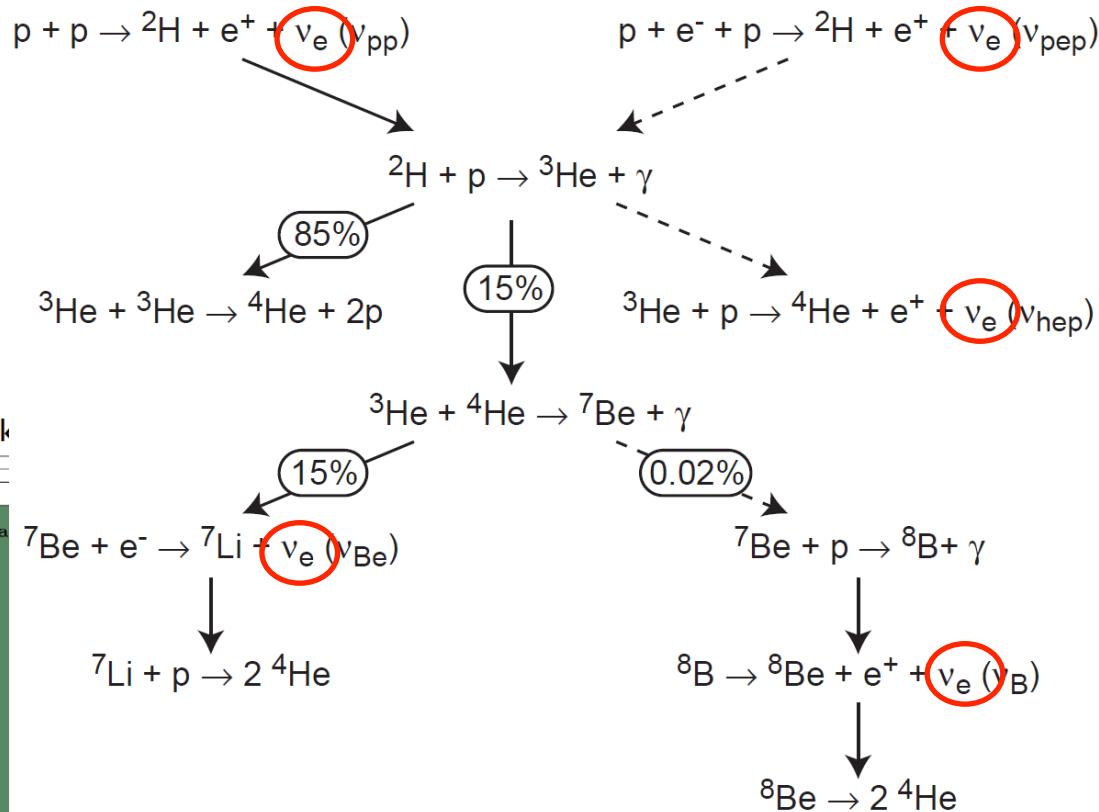
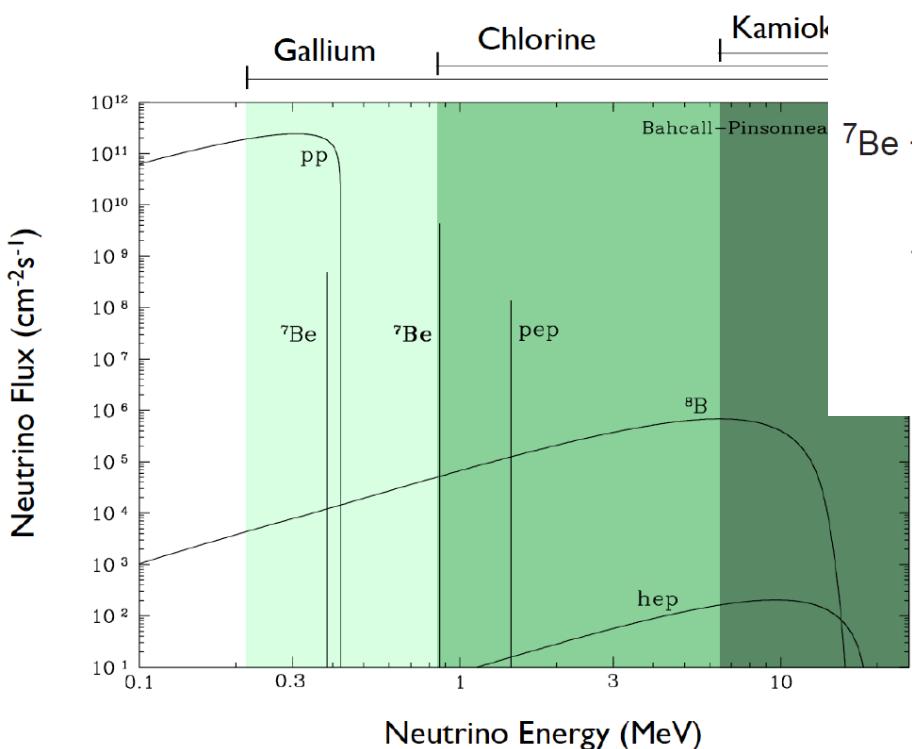
- Hydrogen fusion in the Sun requires inverse beta decay:



$$\begin{aligned}\text{Solar constant} &= 1361 \text{ J/s m}^2 \\ \Phi_{\nu_e}^{\text{sun}} &= 6.4 \times 10^{14} \nu_e / \text{s m}^2\end{aligned}$$

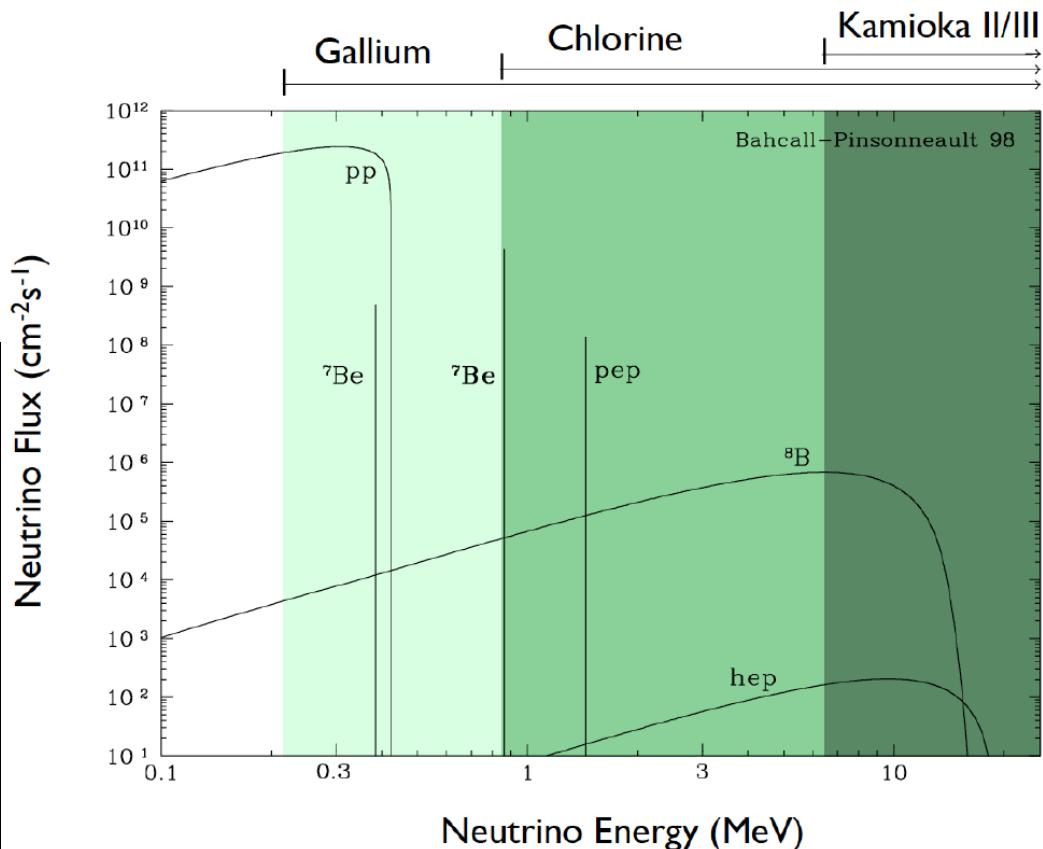
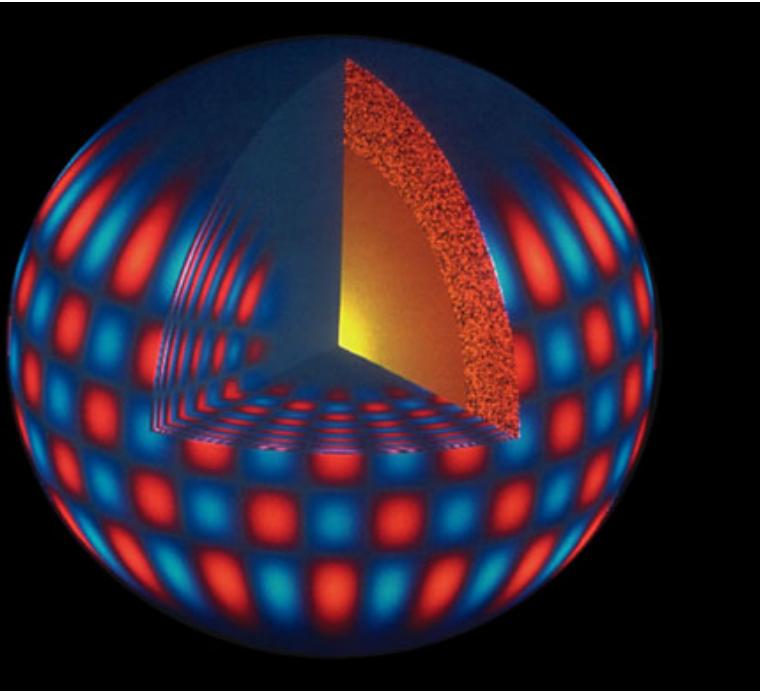
Neutrinos from the Sun

- Neutrino flux from the Sun
accurately predicted (Bahcall et al)



Neutrinos from the Sun

- Neutrino flux from the Sun accurately predicted (Bahcall et al)
- Model in good agreement with results from helioseismology



Homestake experiment

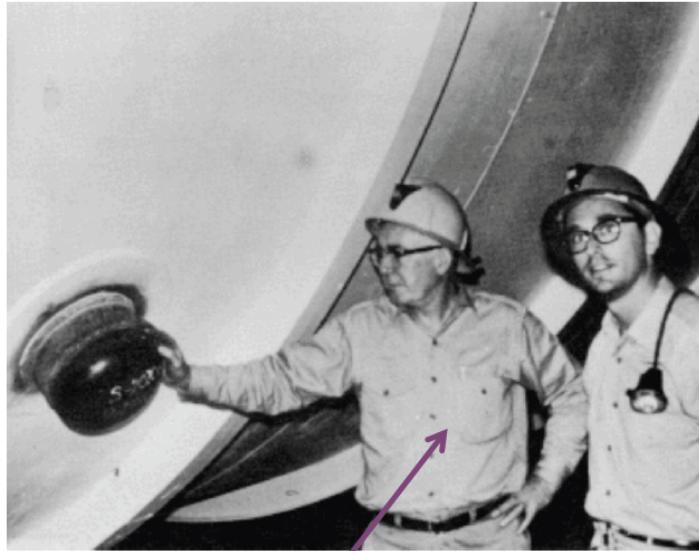
Late 1960s: Ray Davis set to test ν_e flux predictions in underground mine (under 1500m of rock)

Experiment run for 30 years (till 1994):

observed 2.56 ± 0.23 SNU
expected 8.2 ± 1.8 SNU

} ~30%

1 Solar Neutrino Unit = 10^{-36} interactions/s atom

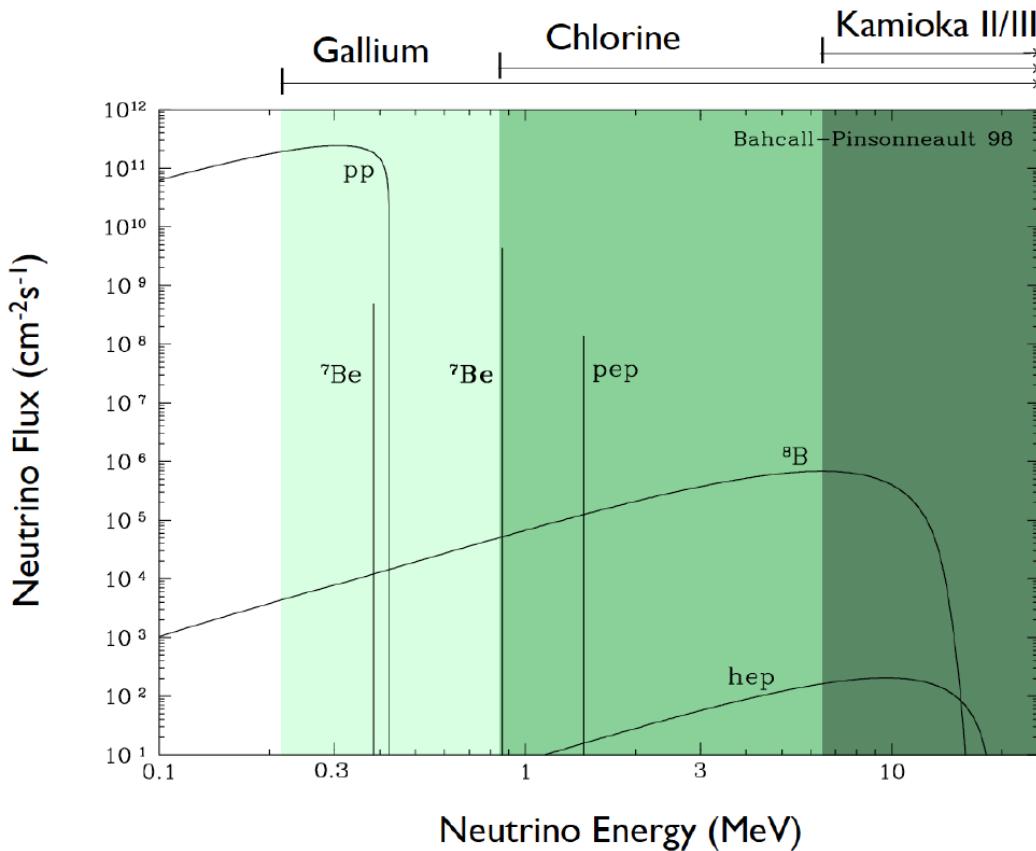


- **Homestake:** $\nu_e + ^{37}\text{Cl} \rightarrow ^{37}\text{Ar} + e^-$
 - Located in Lead, SD
 - 615 tons of C_2Cl_4 (Cleaning fluid)
 - Extraction method:
 - Pump in He that displaces Ar
 - Collect Ar in charcoal traps
 - Count Ar using radioactive decay
 - Never Calibrated with source



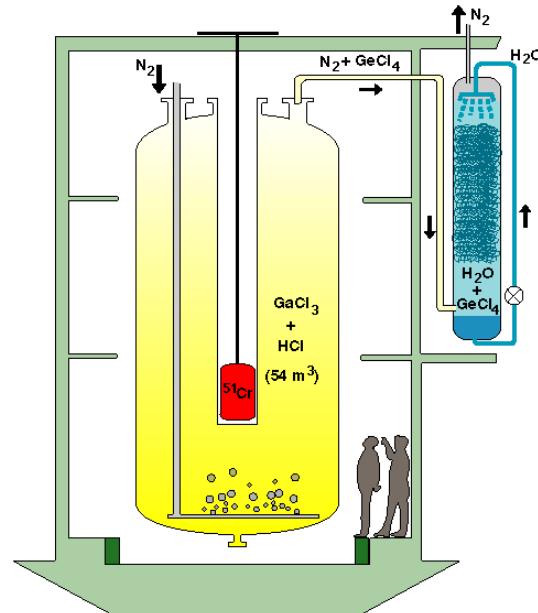
Problems?

- Problems with experiment? With ν_e flux predictions?
- Test other parts of the ν_e spectrum with different experimental techniques



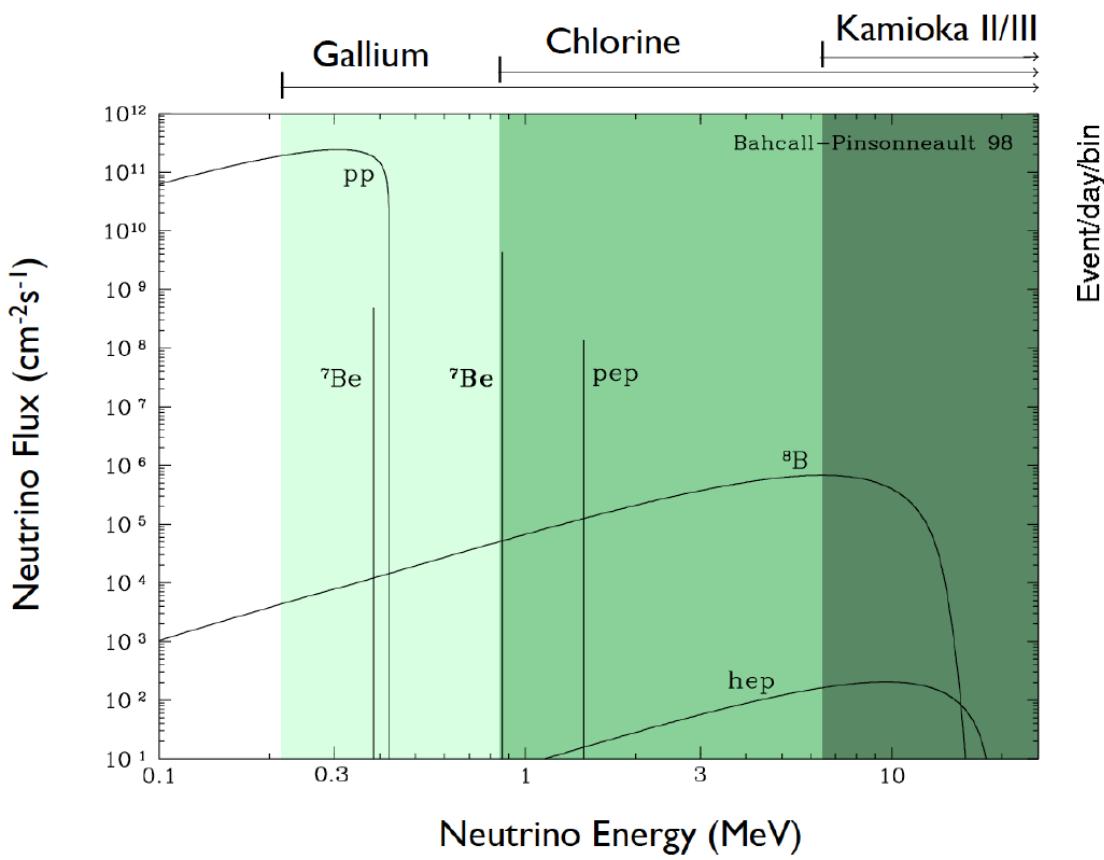
Gallex: $\nu_e + {}^{71}\text{Ga} \rightarrow {}^{71}\text{Ge} + e^-$
 Observed $68.1 \pm 3.75 \text{ SNU}$
 Expected $127 \pm 12 \text{ SNU}$

} ~50%

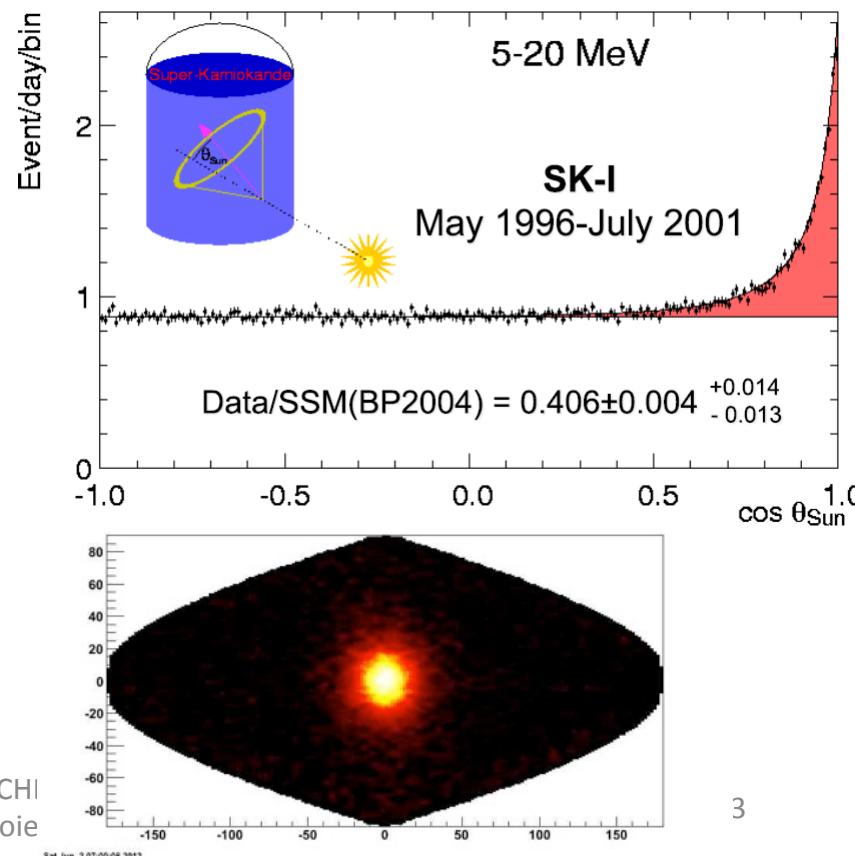


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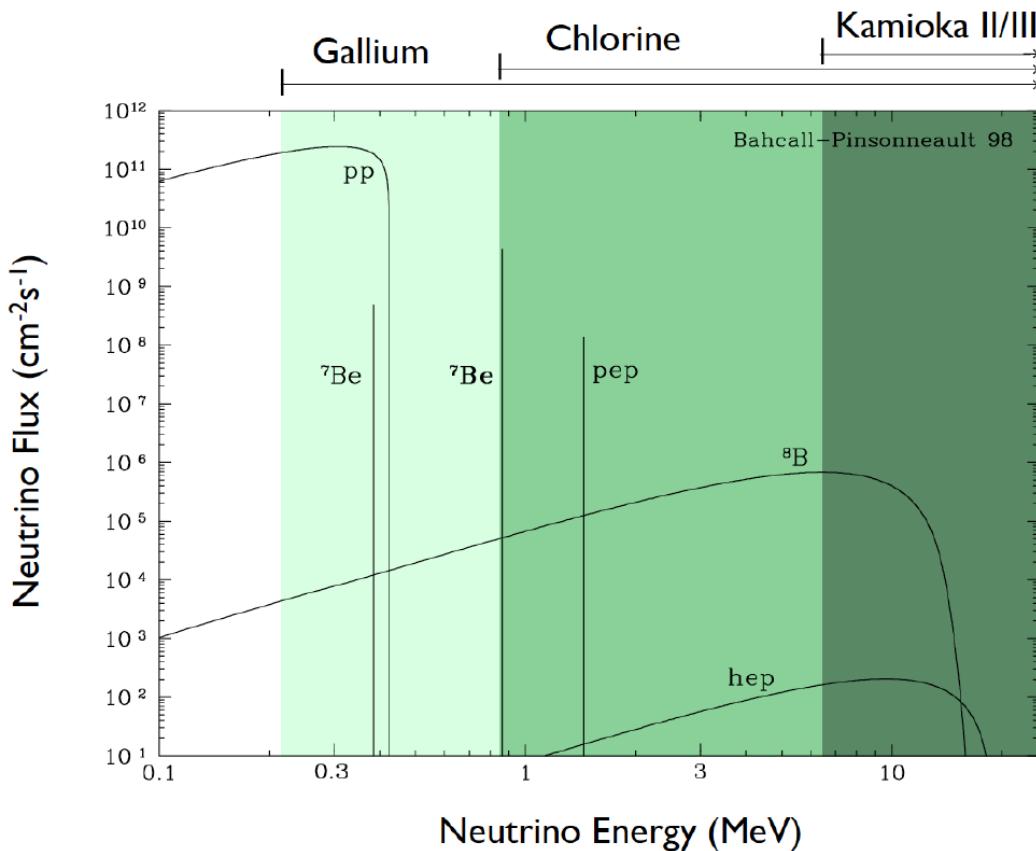


KamiokaNDE: $\nu_e + e^- \rightarrow \nu_e + e^-$
Observed $\sim 40\%$ of expectation



Problems?

- Problems with experiment? With ν_e flux predictions?
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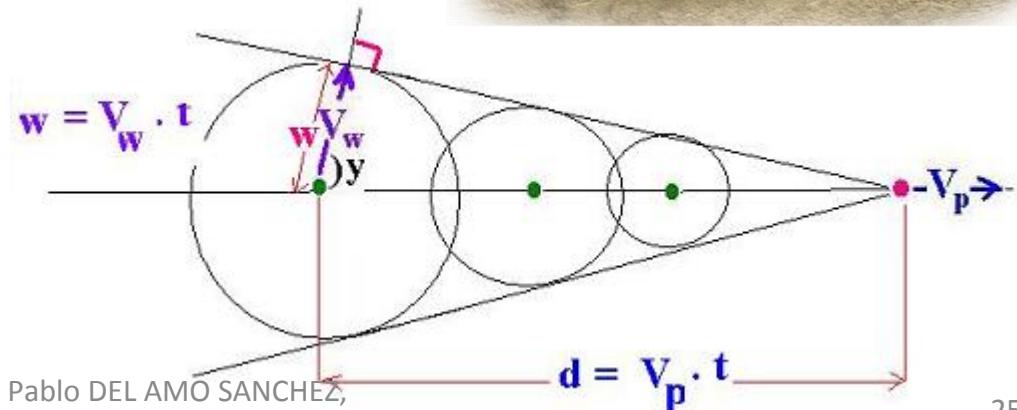
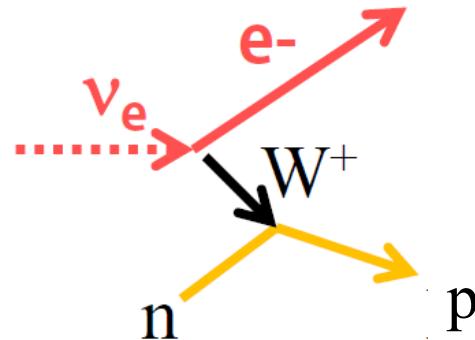
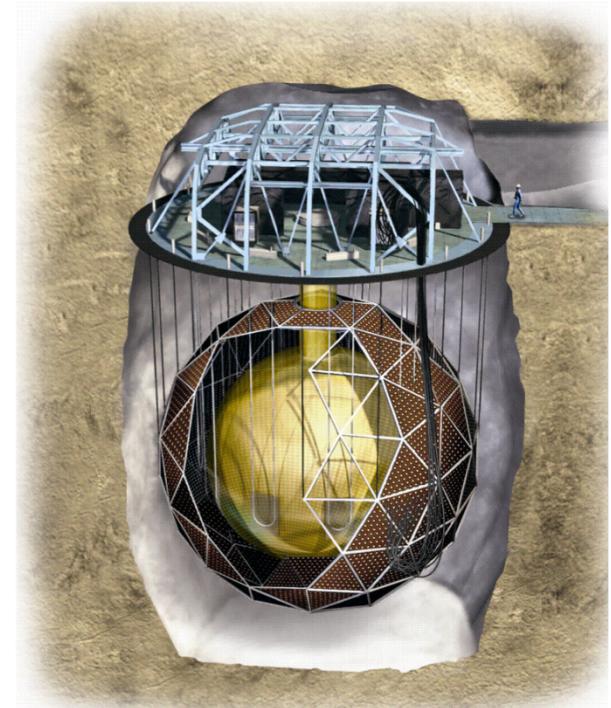
Experiment type	Observed/Expected
Chlorine	~30%
Gallium	~60%
KamiokaNDE	~40%

Perhaps neutrinos are oscillating after all, as suggested by Pontecorvo et al?
These experiments only sensitive to ν_e try and detect ν_μ and ν_τ too! → SNO

Sudbury Neutrino Observatory (SNO)

- 2000 m deep (Sudbury, Ontario)
- Cosmics veto
- 1000 tons of Heavy water (D_2O),
shielded by 7000 tons light water (H_2O)
seen by 9500 photomultiplier tubes (PMTs)
- So-called **Water Cerenkov detector**

Particles faster than speed of light in medium
radiate light (e.g. blueish light in nuclear reactors)



SNO

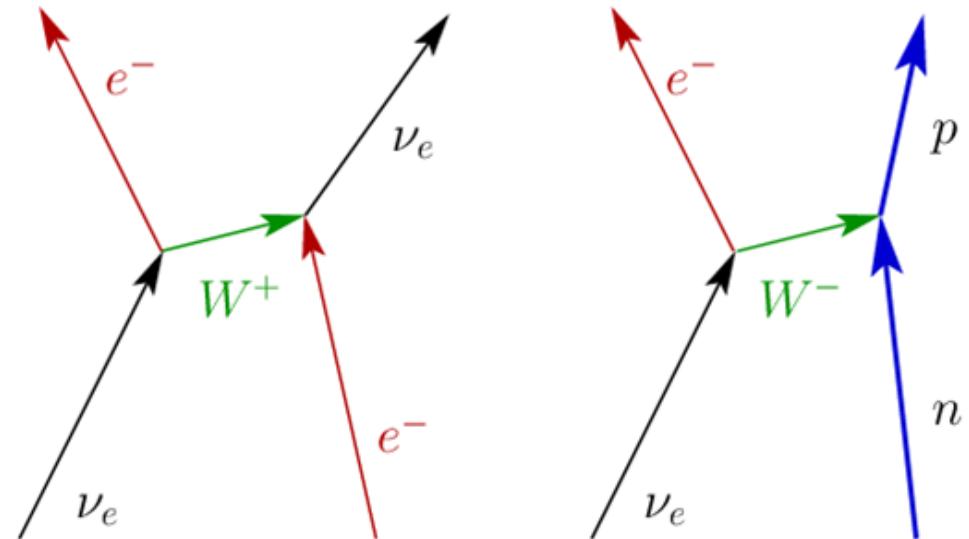
- SNO measures well ν_e flux:

CC : $\nu_e + d \rightarrow p + p + e^-$

- Good measurement of the ν_e spectrum.
- Some directional information.
- Only sensitive to ν_e .

ES : $\nu_e + e^- \rightarrow \nu_e + e^-$

- Strong directional sensitivity.
- Low statistics.



Charged current

- Cannot see ν_μ / ν_τ flux in this way: neutrinos from Sun not energetic enough to produce heavy μ or τ particles in interactions

SNO

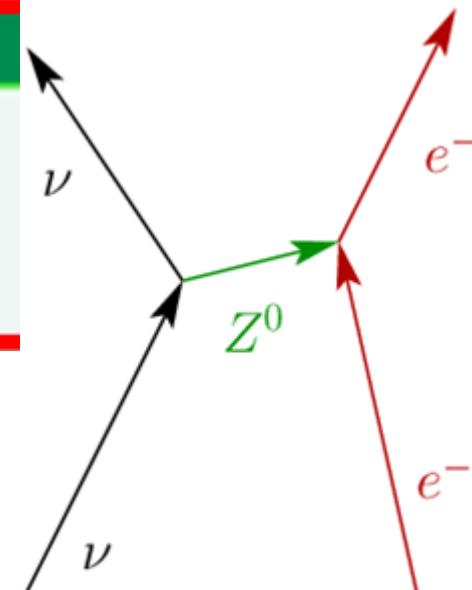
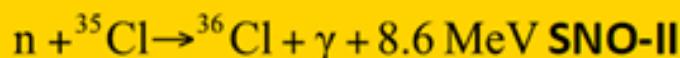
- But it measures the total $\nu_e + \nu_\mu + \nu_\tau$ flux by means of Neutral Current interactions!

NC : $\nu_x + d \rightarrow n + p + \nu_x$

- Measures total ${}^8\text{B}$ flux from the Sun.
- Equal cross-section to all (active) neutrino flavours.

Signature event of SNO

3 neutron detection methods:



Neutral current



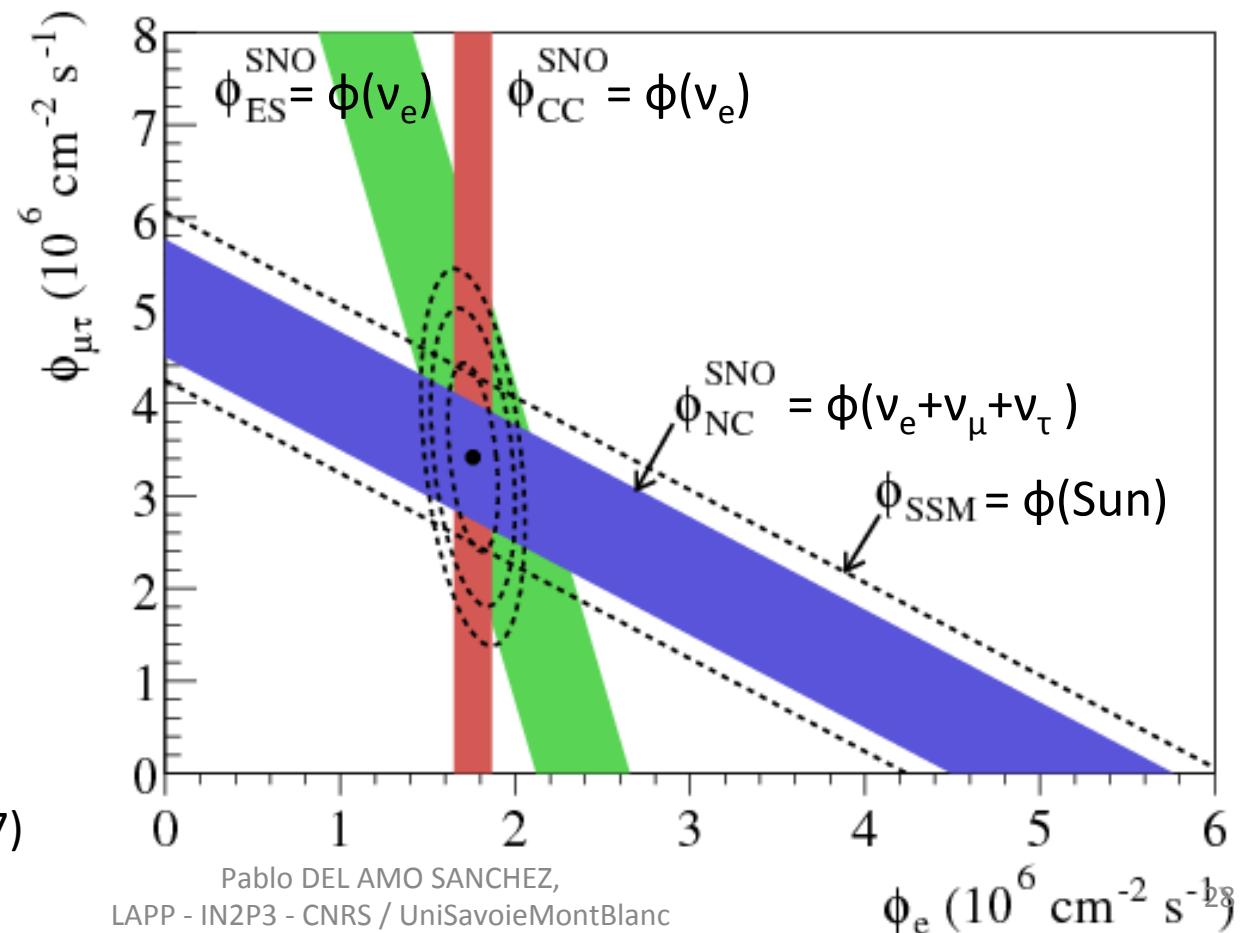
Solar neutrinos oscillate!

Less ν_e than predicted but total $\nu_e + \nu_\mu + \nu_\tau$ correct!



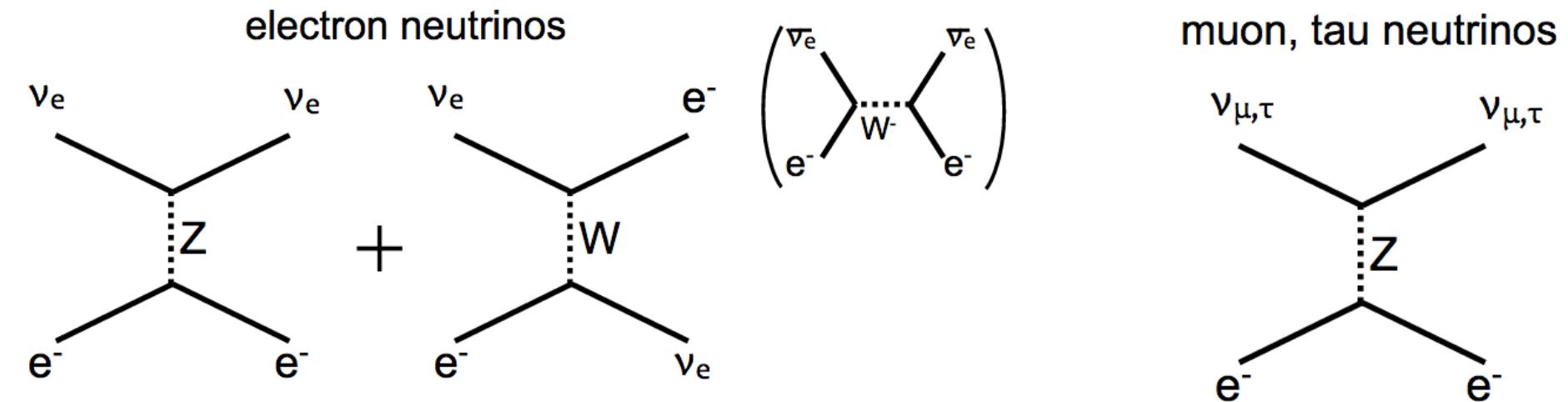
Бруно Понтецорво

Bruno Pontecorvo (1957)



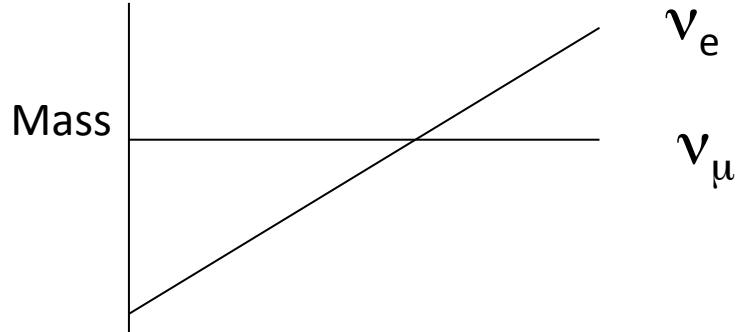
Matter effects are important!

- High electron density in Sun \rightarrow matter effects!
- ν_e get heavier, ν_μ & ν_τ unaffected.

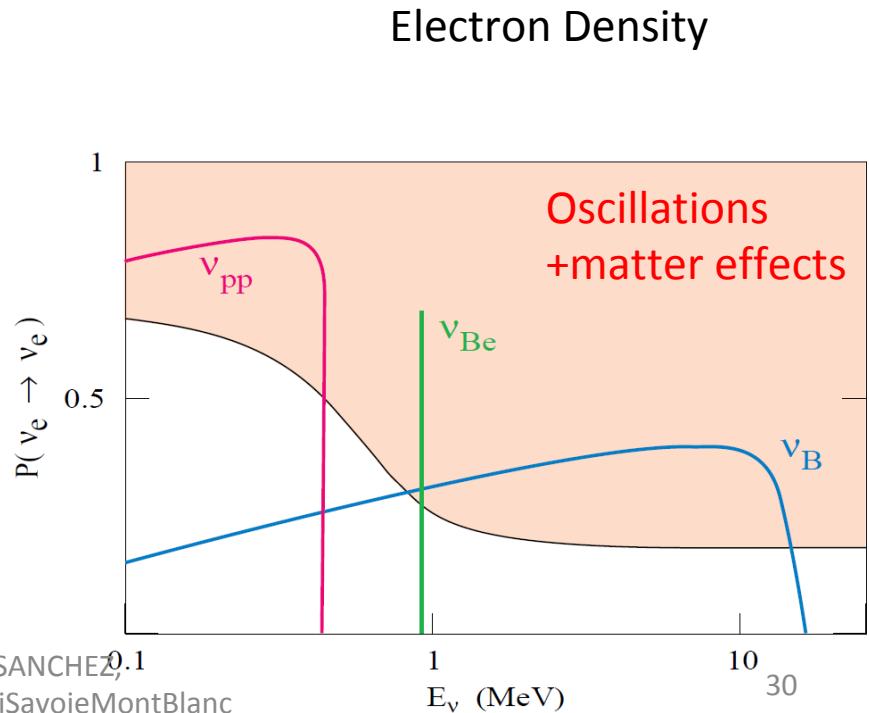
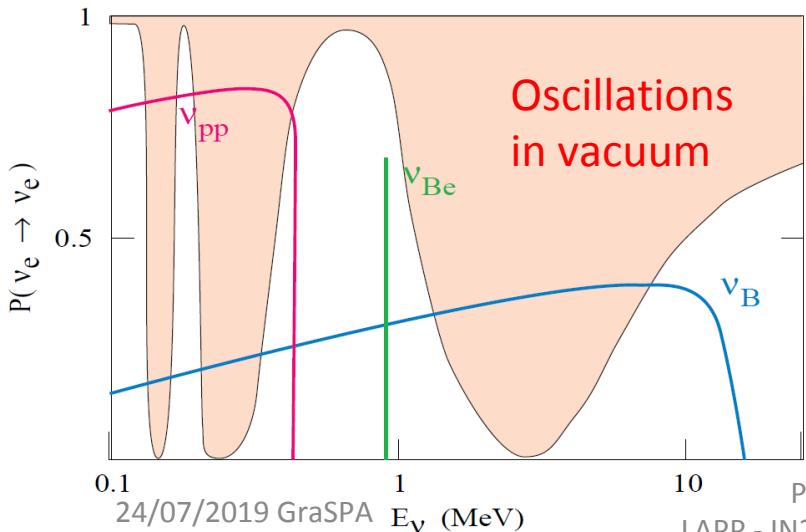


Matter effects are important!

- High electron density in Sun → matter effects!
- ν_e get heavier, ν_μ & ν_τ unaffected.
Resonance effects may enhance oscillation



$$P(\nu_e \rightarrow \nu_e) = 1 - \sin^2(2\theta) \sin^2 \left(1.27 \frac{\Delta m^2 L [km]}{E [GeV]} \right)$$



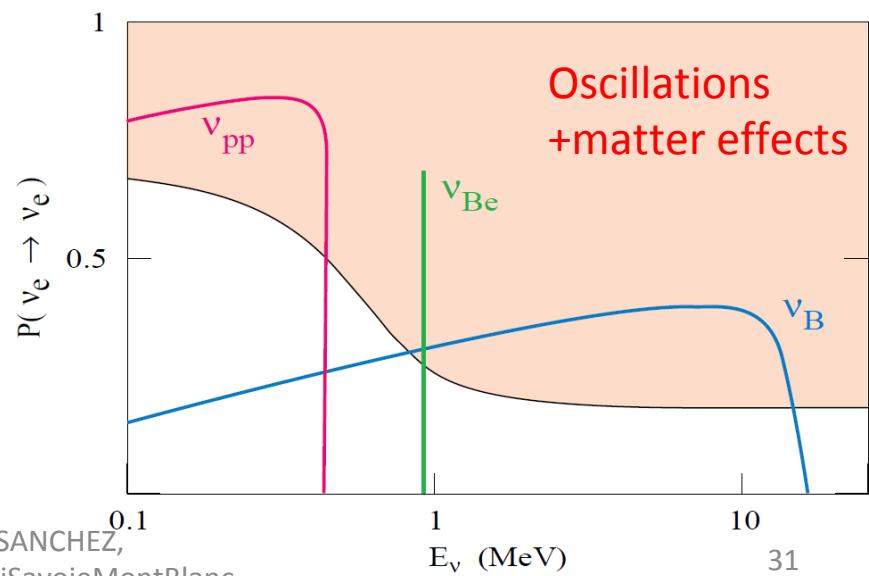
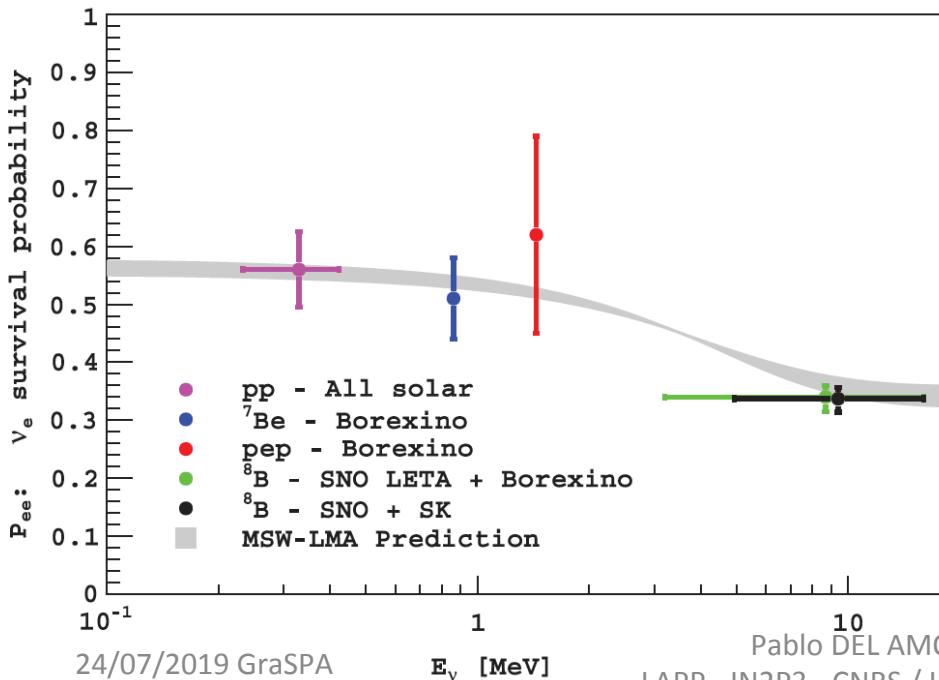
Matter effects are important!

- Found oscillation parameters for solar neutrinos:

$$P(\nu_e \rightarrow \nu_e) = 1 - \sin^2(2\theta) \sin^2\left(1.27 \frac{\Delta m^2 L [km]}{E [GeV]}\right)$$

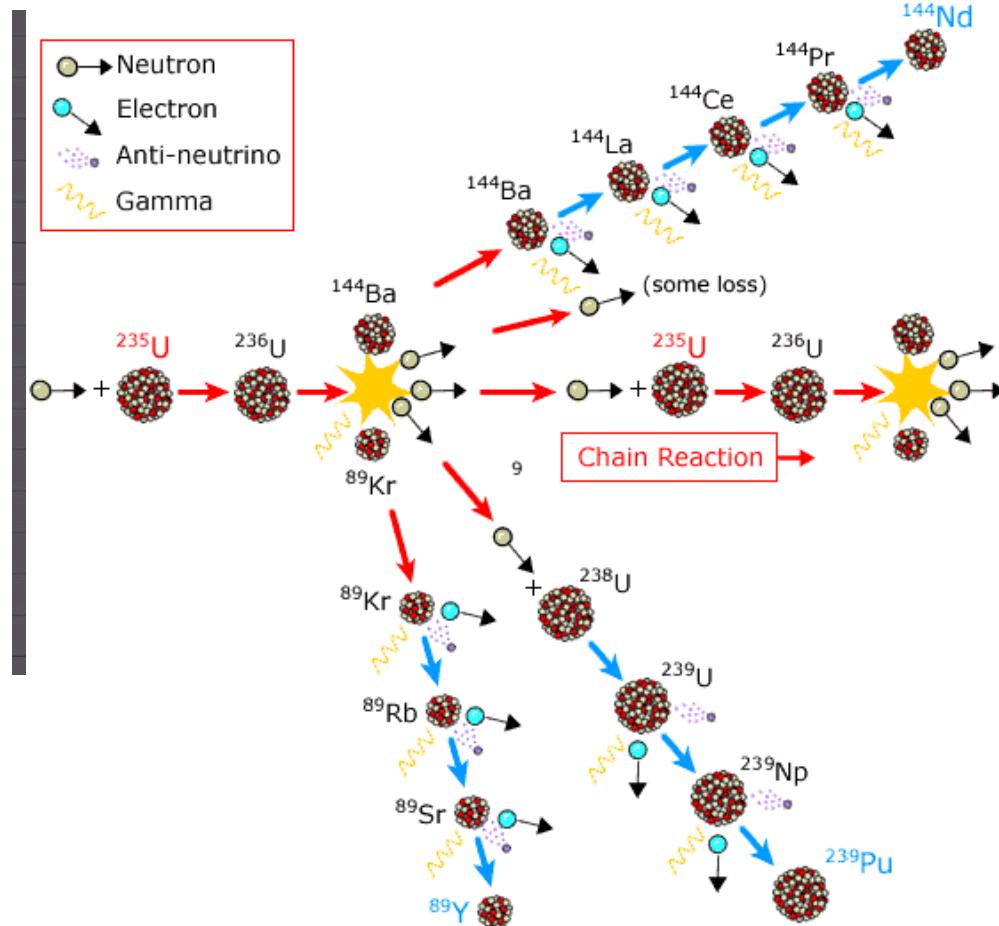
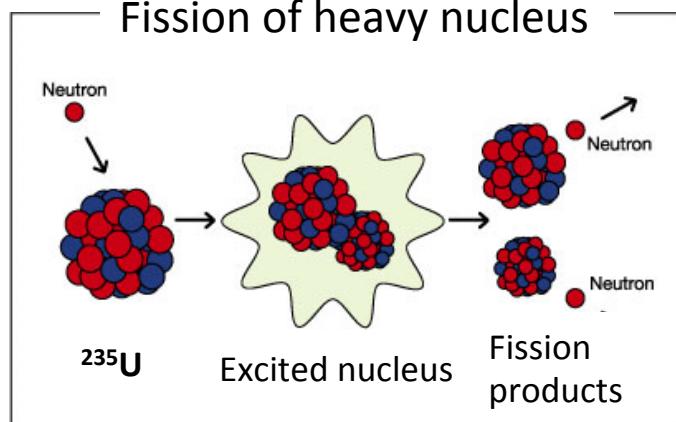
$$\sin^2(2\theta) = 0.857 \pm 0.024$$

$$\Delta m^2 = (7.5 \pm 0.20) \times 10^{-5} \text{ eV}^2$$



The trilogy: reactor neutrino experiments

ν from nuclear reactors



- Fission products are neutron rich and undergo beta decay: $n \rightarrow p e^- \bar{\nu}_e$
- On average, $6 \bar{\nu}_e$ and 200 MeV per fission: $2 \times 10^{20} \bar{\nu}_e \text{ s}^{-1} \text{ GW}_{\text{th}}^{-1}$

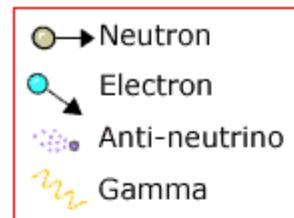
Reactor neutrinos

- Nuclear reactors, source of abundant antineutrinos! $\bar{\nu}_e$

Fission products are neutron rich

Too many neutrons to be stable

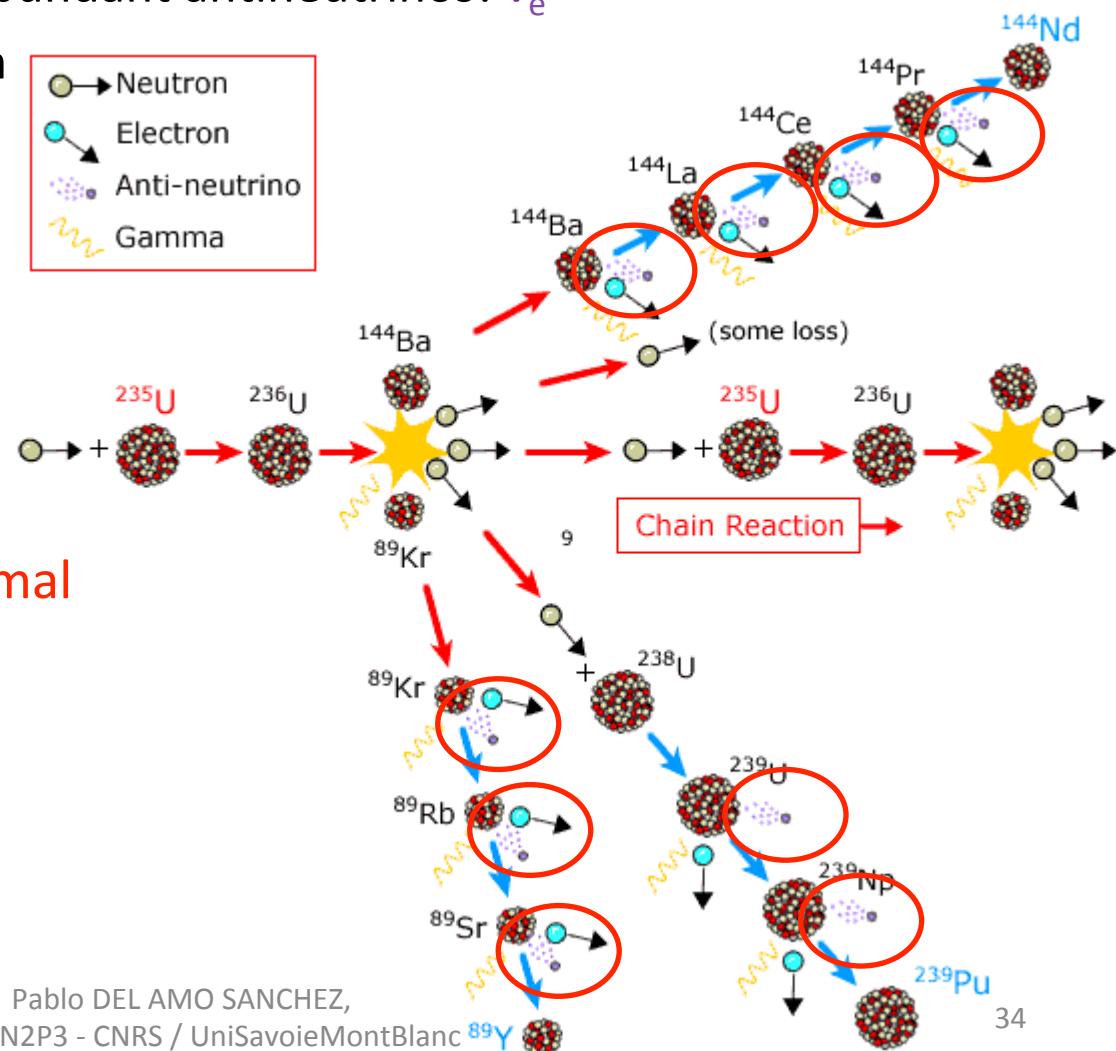
→ plenty of beta decays!



- $\sim 6 \bar{\nu}_e / \text{fission}$

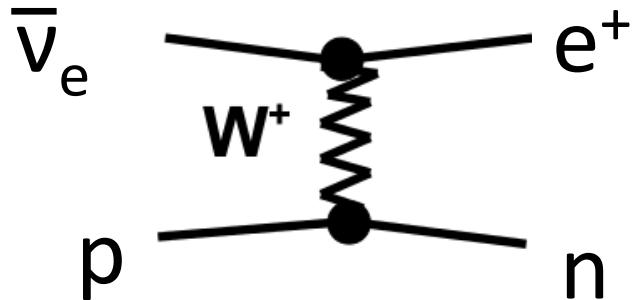
- $\sim 200 \text{ MeV/fission}$

$$2 \times 10^{20} \bar{\nu}_e / \text{GW}_{\text{thermal}}$$



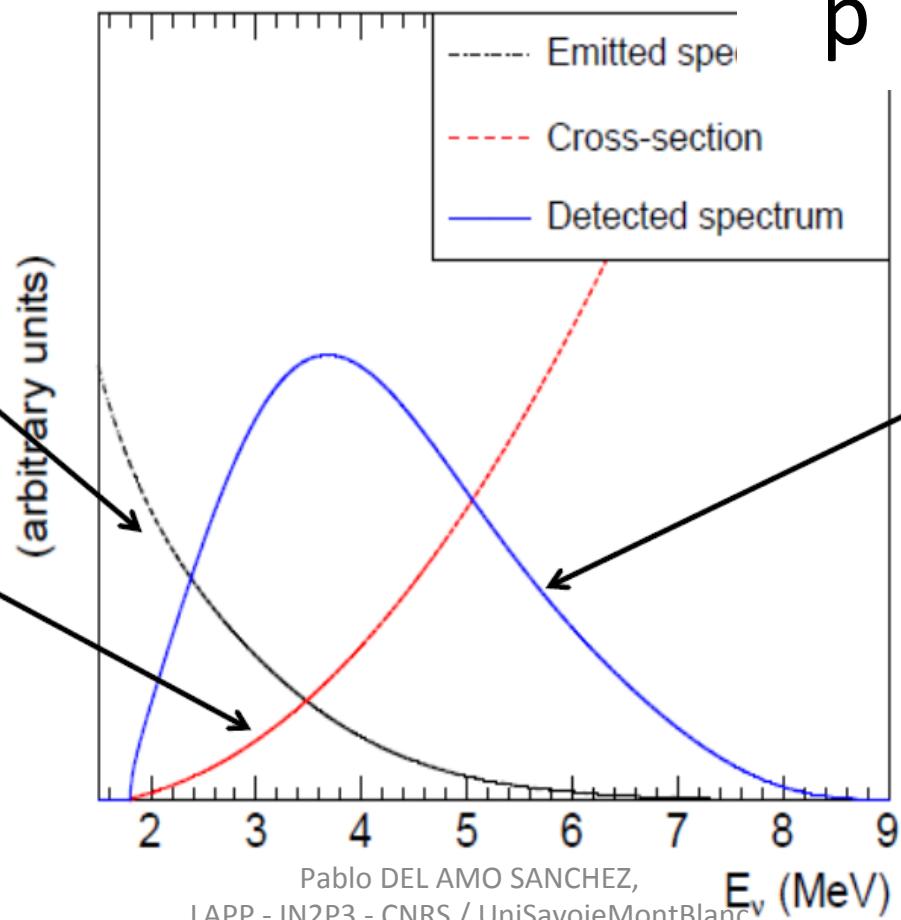
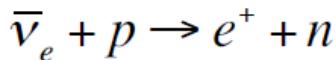
Liquid scintillator detectors

- Detect reactor $\bar{\nu}_e$ through inverse beta decay



Exponential decrease of emitted spectrum

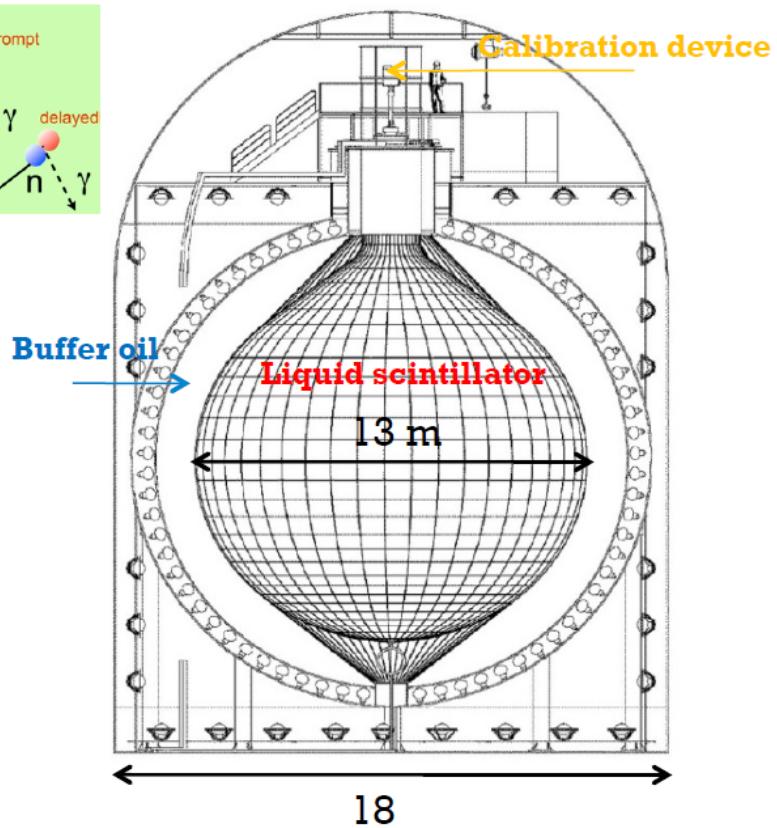
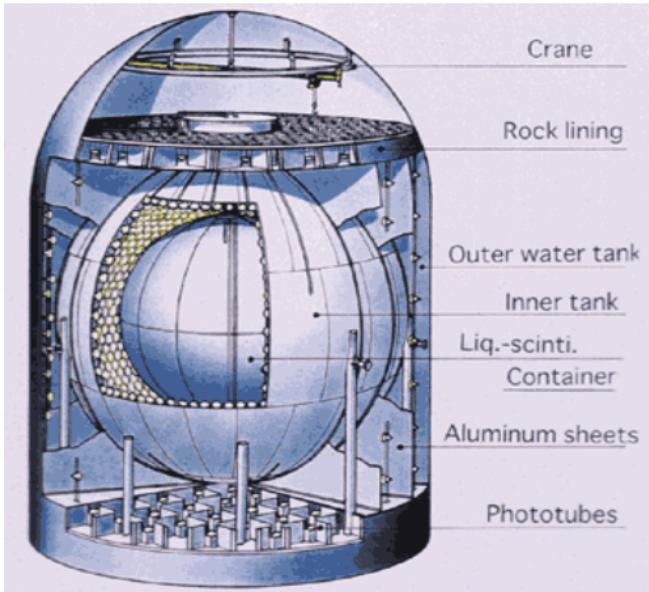
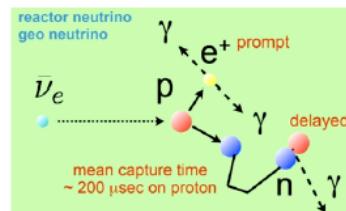
β -inverse detection process



Liquid scintillator detectors

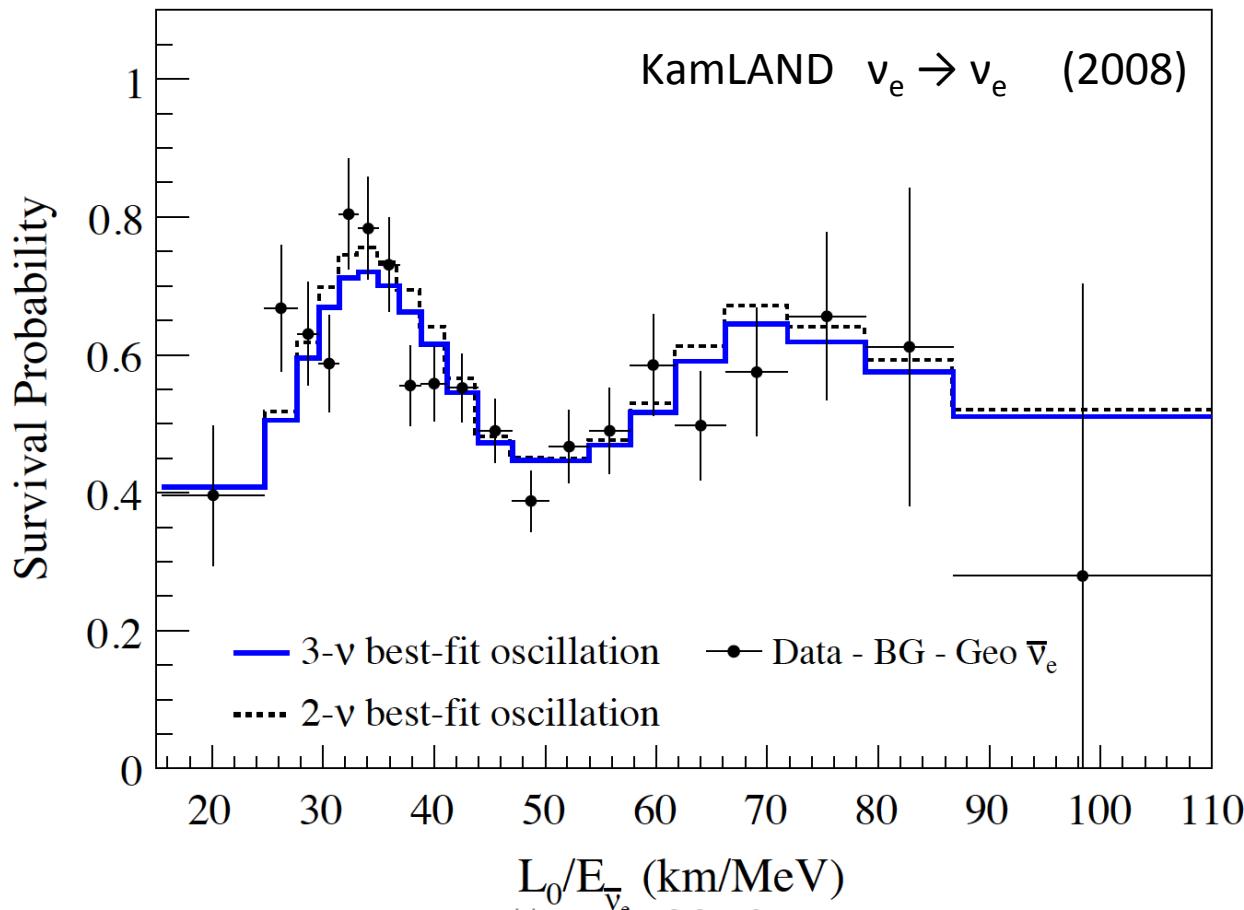
- KamLAND: Kamioka Liquid scintillator AntiNeutrino Detector

- 1000 ton liquid scintillator:
- Spherical plastic balloon
- 1325 17" + 554 20" PMTs
- Inverse β decay detection



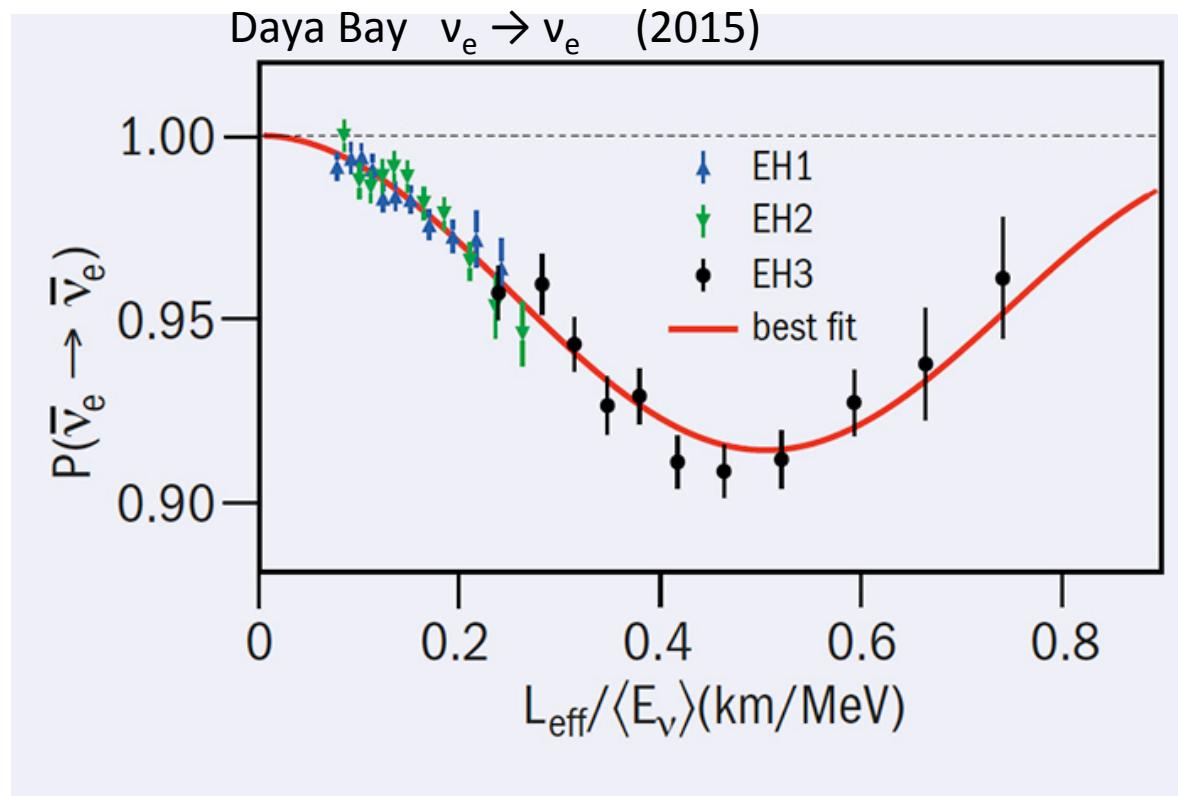
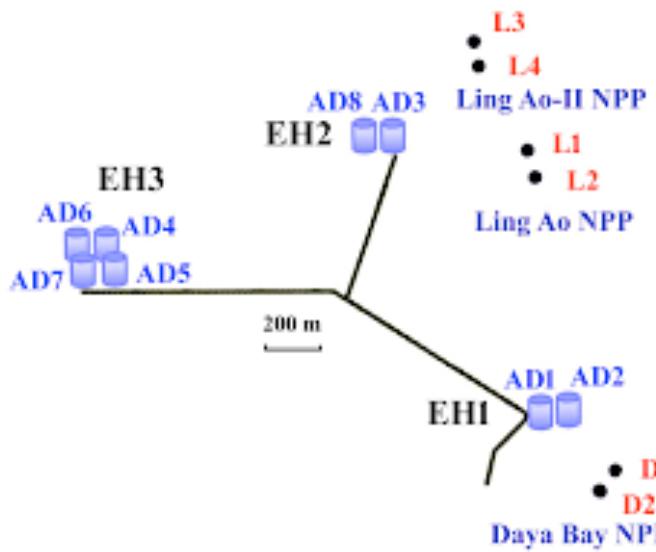
Reactor neutrinos oscillate!

- Confirm solar neutrino oscillations



Reactor neutrinos oscillate!

- Confirm solar neutrino oscillations



What have we learnt so far?

- **Neutrinos oscillate!**

ν_e, ν_μ, ν_τ different from ν_1, ν_2, ν_3

- Two different oscillation frequencies:

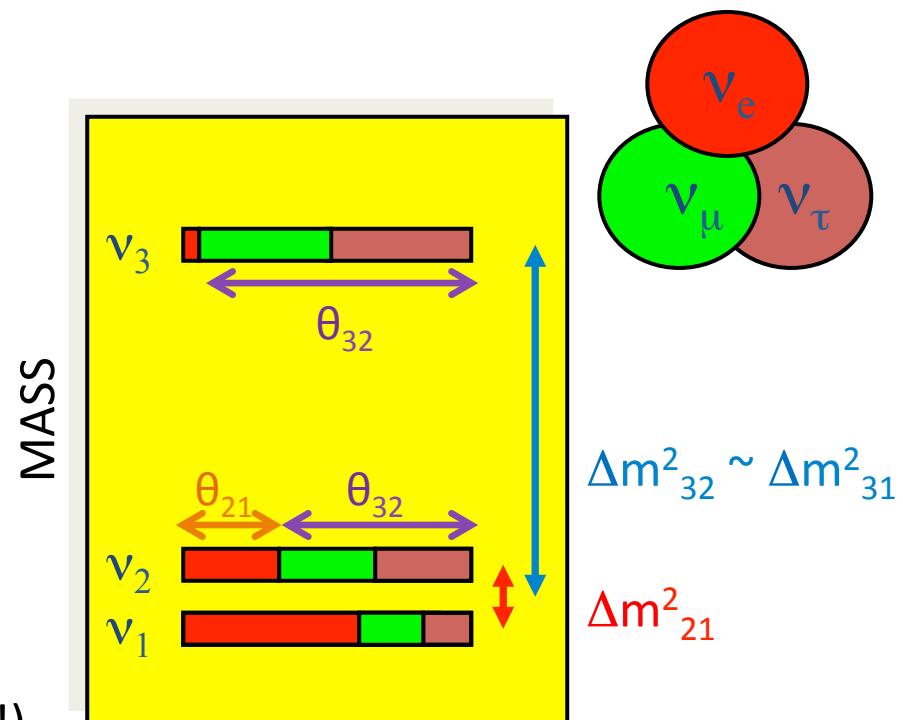
fast: **atmospheric**, $\Delta m^2_{32} \sim \Delta m^2_{31}$

slow: **solar**, Δm^2_{21} atm $\sim 20 \times$ **solar**

- Neutrinos mix a lot! (Mixing angles large!)

atmospheric, maximal $\theta_{32} = 45^\circ \pm 6^\circ$

solar, large $\theta_{21} = 34^\circ \pm 1^\circ$



Convention: ν_1 is state with most ν_e

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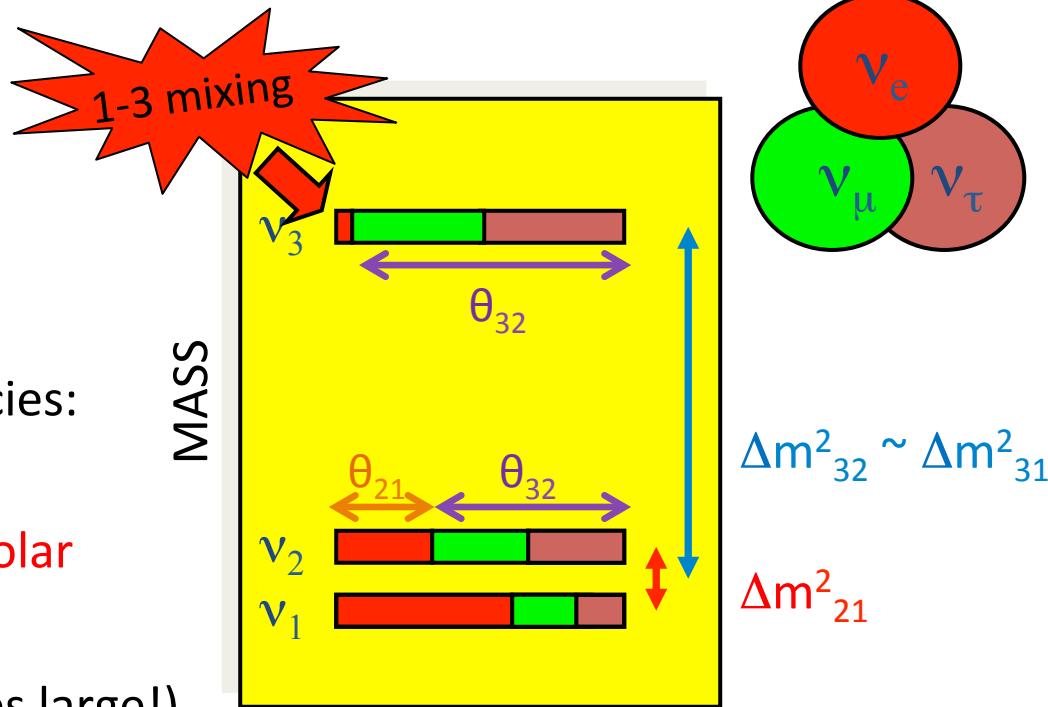
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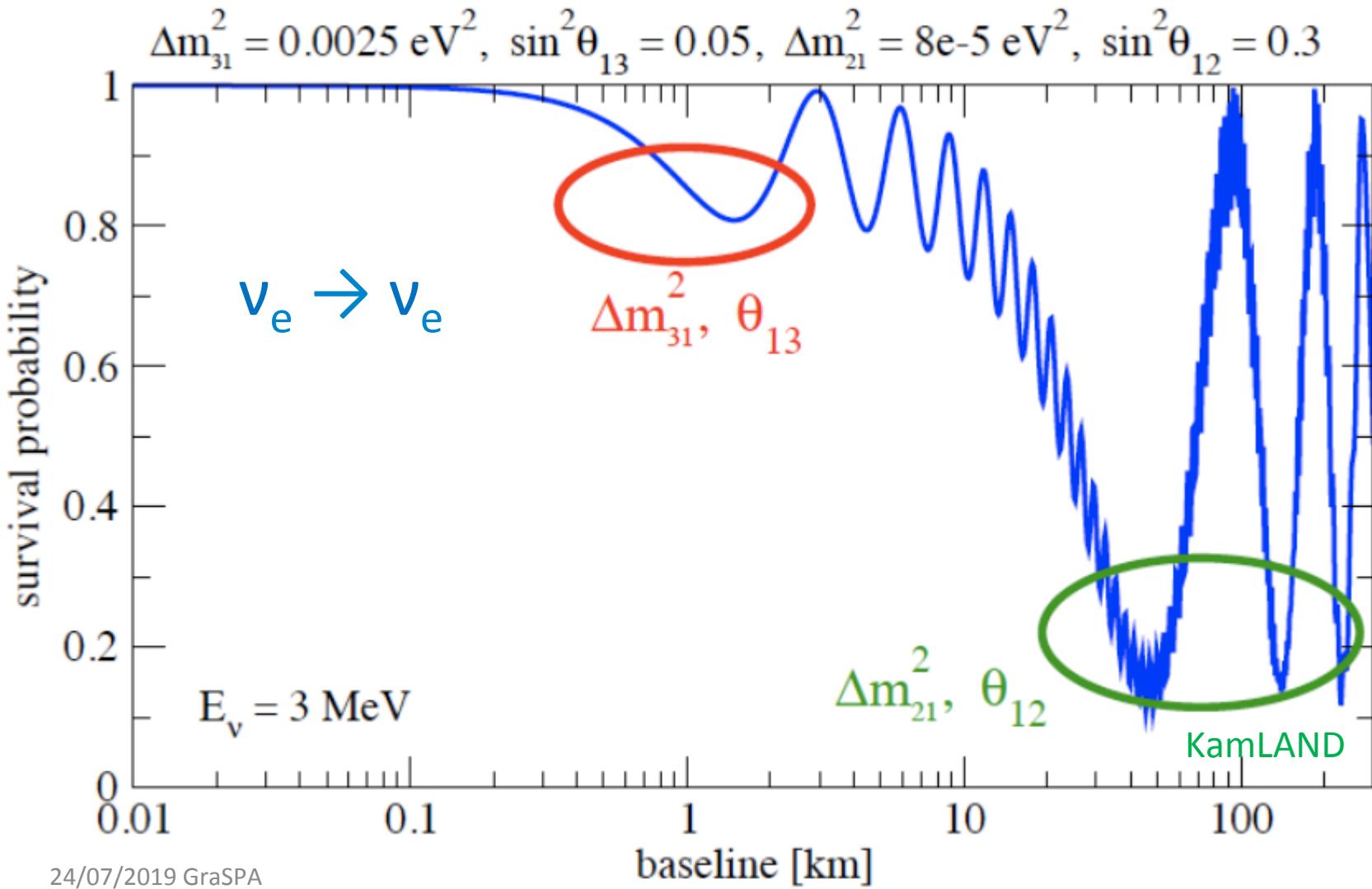
solar, large $\theta_{21} = 34^\circ \pm 1^\circ$

- What is the amount of ν_e in ν_3 (θ_{13})?



Convention: ν_1 is state with most ν_e

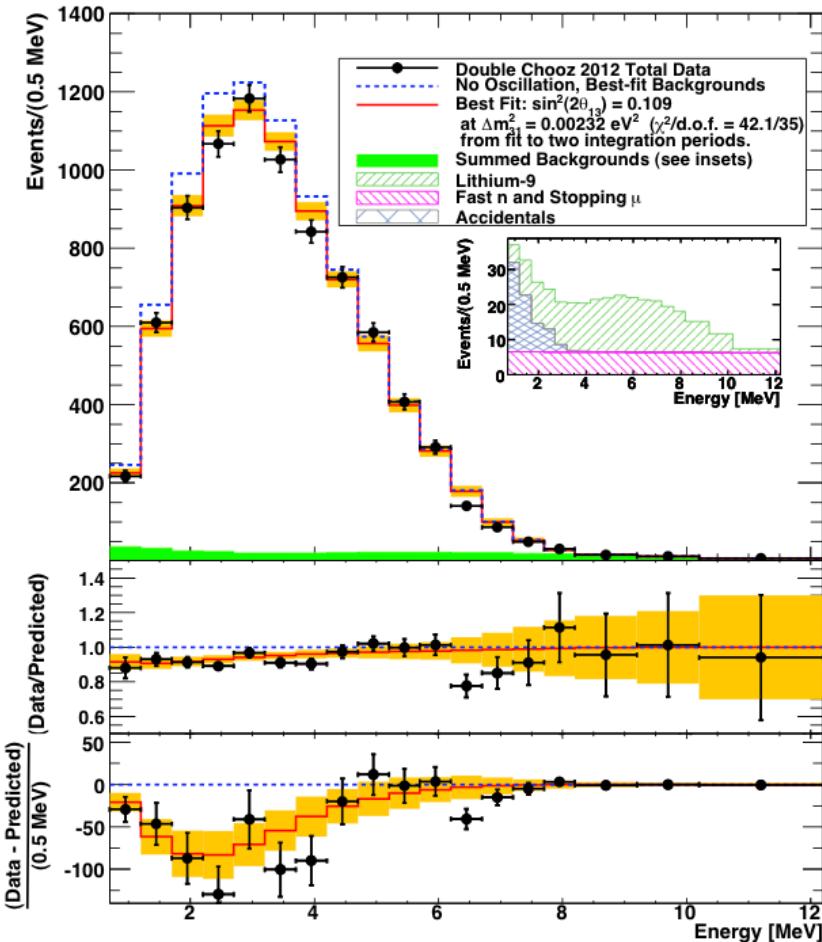
Amount of ν_e in faster oscillations (θ_{13})



Amount of ν_e in fast oscillations (θ_{13})

Oscillation probability depends on energy → search for energy-dependent depletion

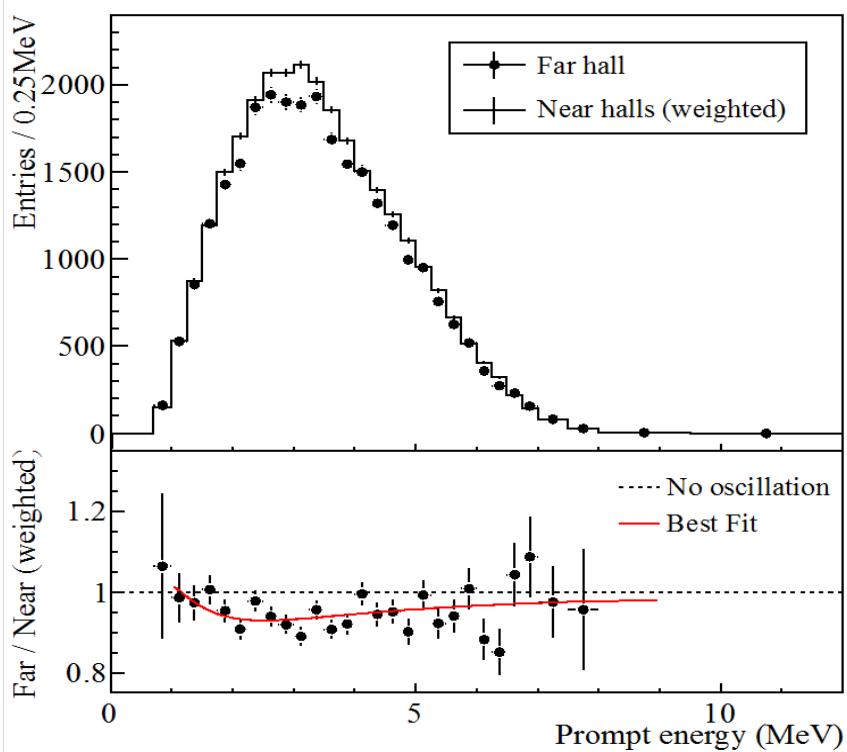
- Double Chooz: liquid scintillator detector, 1 km away from reactors



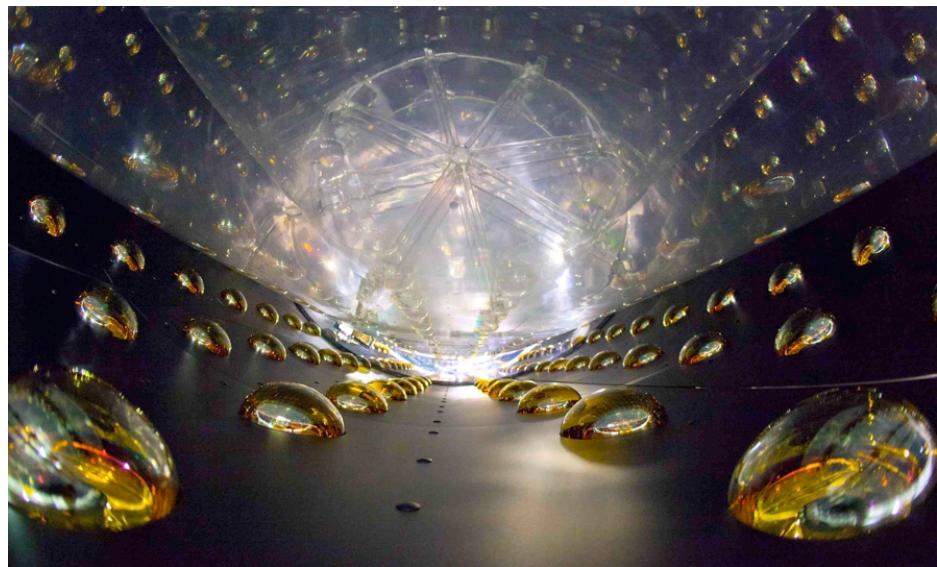
Amount of ν_e in fast oscillations (θ_{13})

Oscillation probability depends on energy → search for energy-dependent depletion

- Daya Bay: very similar detector to Double Chooz and Reno, all 1-2 km away from reactors



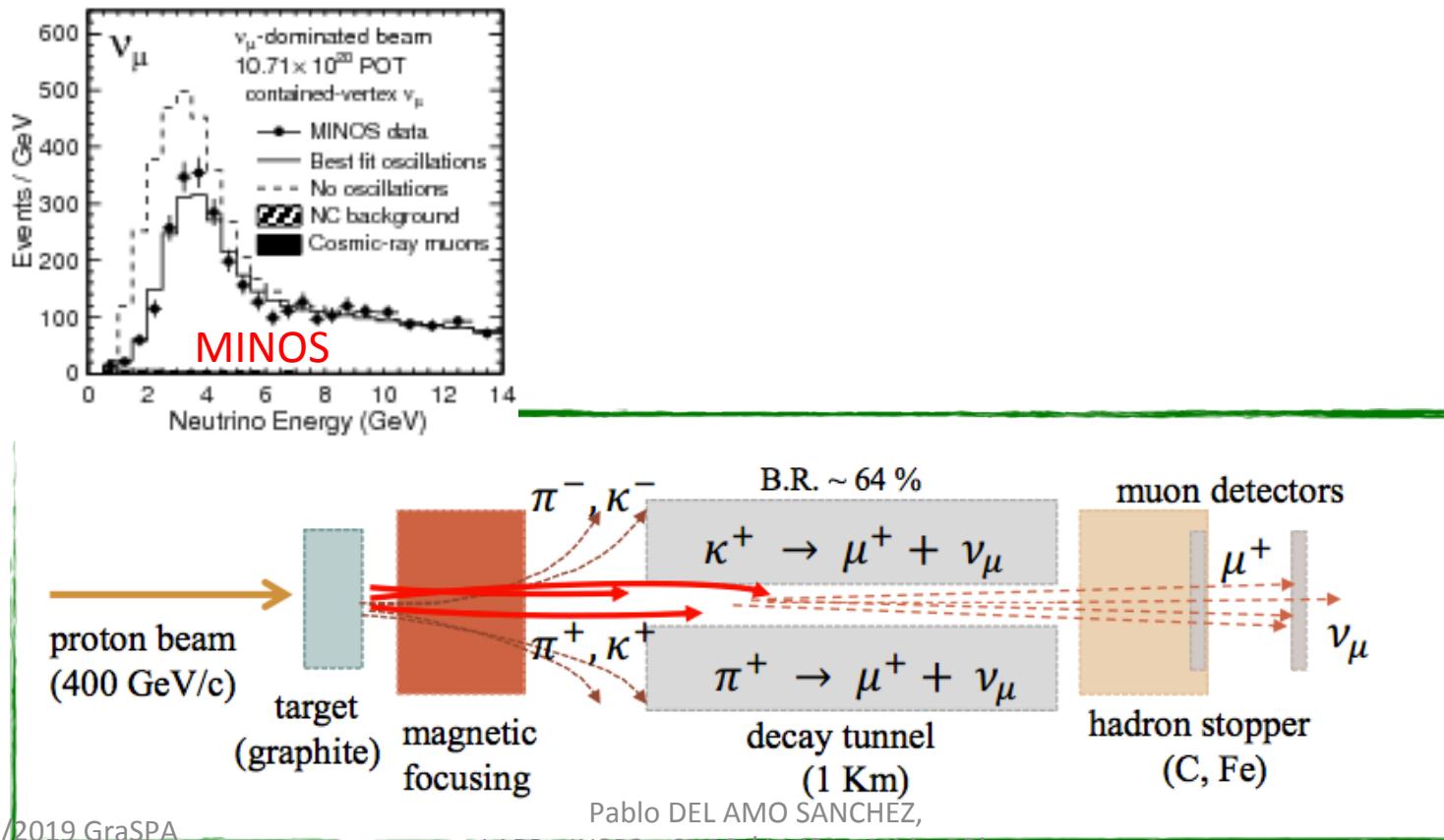
$$\sin^2(2\theta_{13}) = 0.089 \pm 0.012$$
$$\theta_{13} = 9.1^\circ \pm 0.6^\circ \quad (\approx \theta_{\text{Cabbibo}}!)$$



Fourth parts couldn't be better: accelerator neutrinos

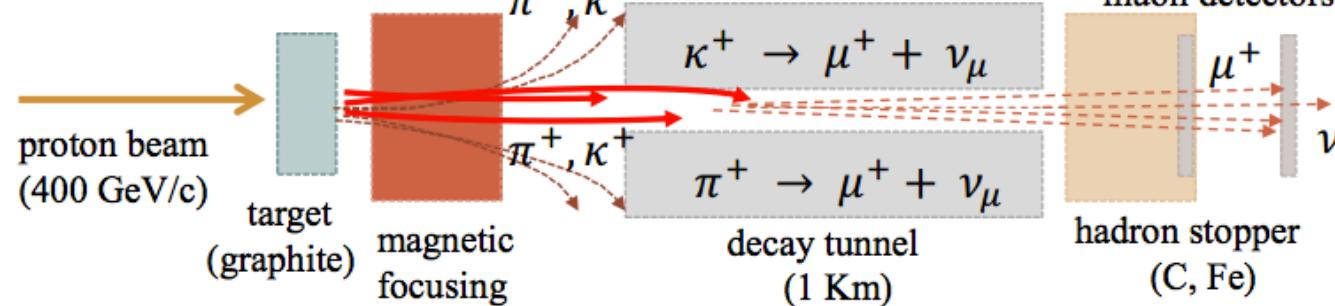
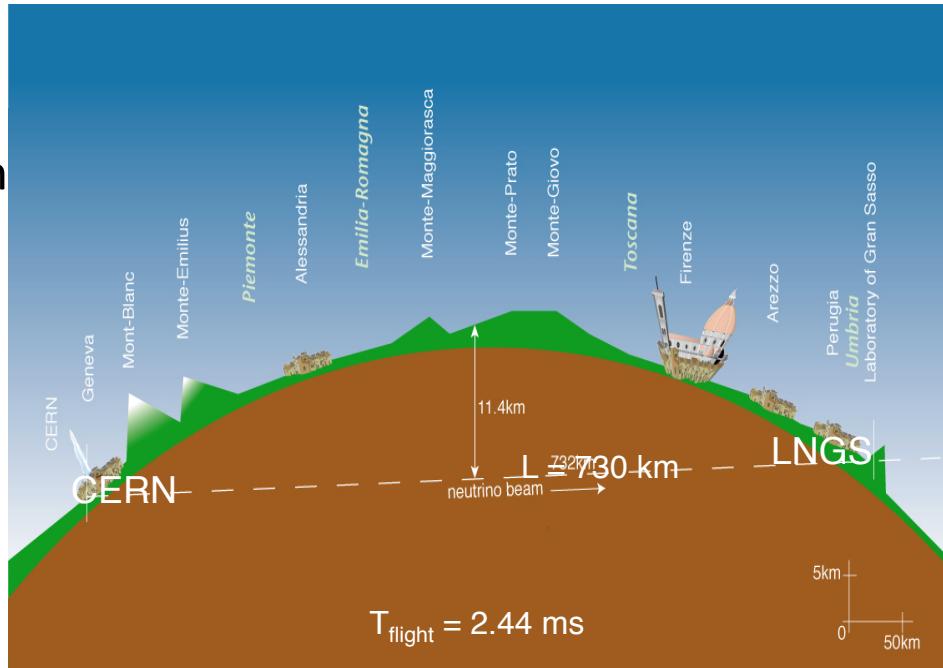
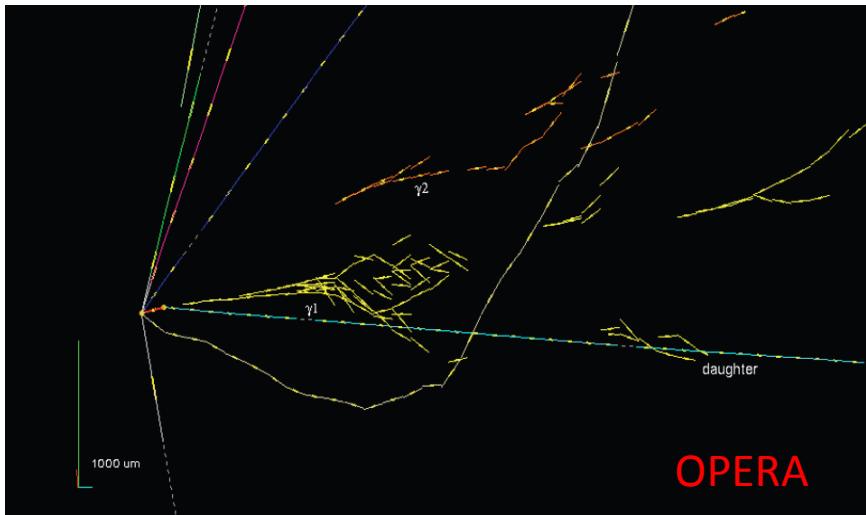
Accelerator experiments

- Can also produce neutrino beams:
- Results in excellent agreement with other neutrino sources:



$\nu_\mu \rightarrow \nu_\tau$ appearance

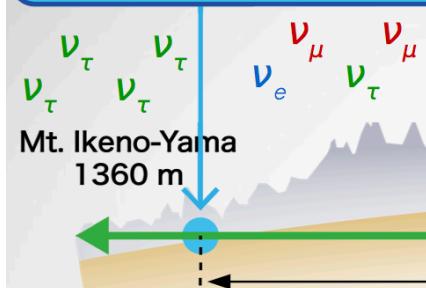
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Recent results: T2K

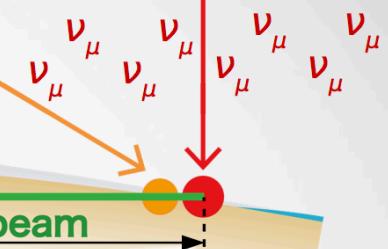
The T2K experiment

Super Kamiokande

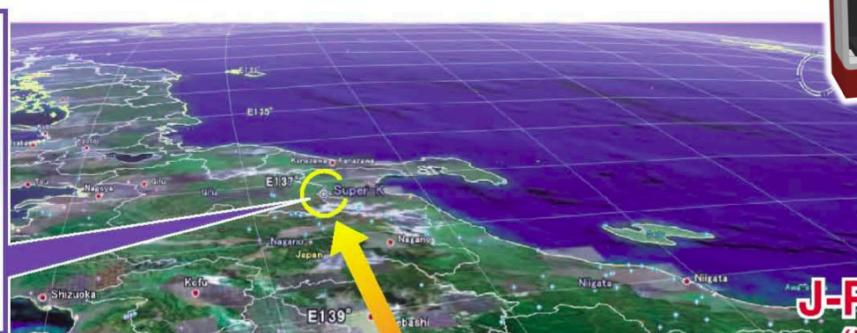
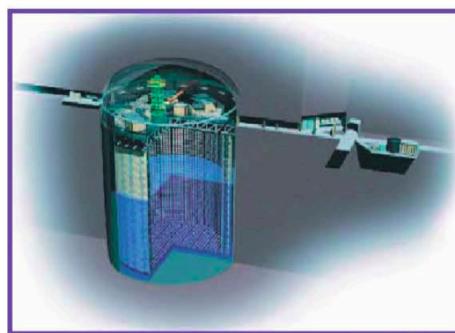


Near Detector

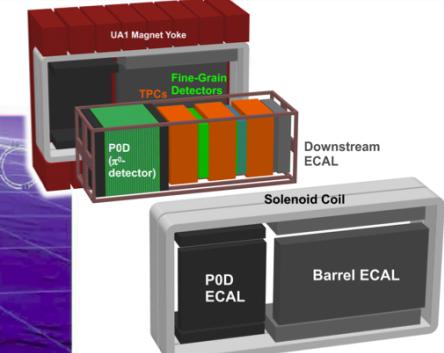
J-PARC



Neutrino beam



Super-Kamiokande
(ICRR, Univ. Tokyo)

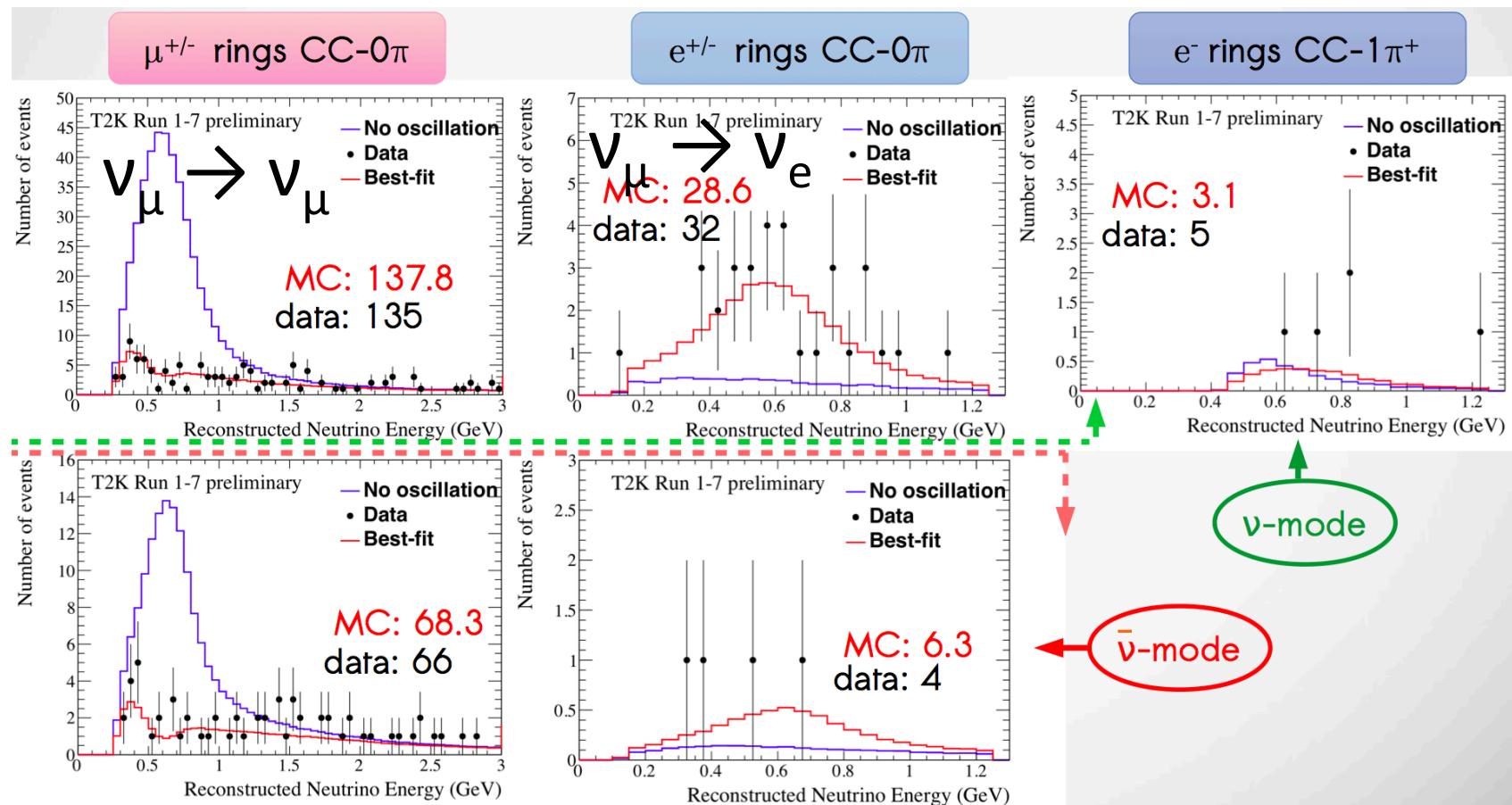


J-PARC Main Ring
(KEK-JAEA, Tokai)



Recent results: $\nu_\mu \rightarrow \nu_e$ appearance

- T2K observes 32 ν_e events, 5 background events expected
- Appearance of different flavour ($\nu_\mu \rightarrow \nu_e$) at $> 8\sigma$



Neutrino mixing matrix

3 angles and 1 CP phase:

$\theta_{12}, \theta_{13}, \theta_{23}, \delta$

+ 2 phases

$$U_{PMNS} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & 0 & s_{13} \cdot e^{-i\delta} \\ 0 & 1 & 0 \\ -s_{13} \cdot e^{i\delta} & 0 & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} 1 & 0 & 0 \\ 0 & e^{i\alpha_1} & 0 \\ 0 & 0 & e^{i\alpha_2} \end{pmatrix}$$

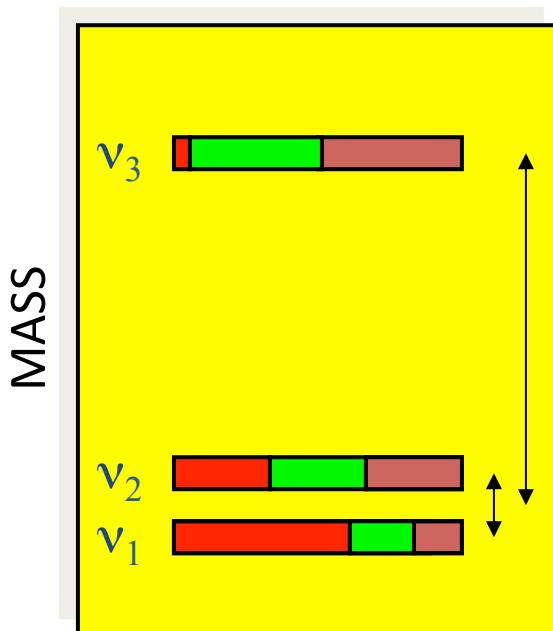
The diagram illustrates the structure of the PMNS mixing matrix. It consists of four horizontal bars: a green bar labeled "atmospheric ν" at the top, a blue bar labeled "Reactor" in the middle, a red bar labeled "Dirac" below it, and a pink bar labeled "solar ν" at the bottom. Below the blue bar, there is a black bar labeled "Majorana". Red circles highlight two specific elements: $s_{13} \cdot e^{-i\delta}$ in the third row of the second matrix and $-s_{13} \cdot e^{i\delta}$ in the first row of the second matrix.

$$c_{ij} = \cos \theta_{ij}$$

$$s_{ij} = \sin \theta_{ij}$$

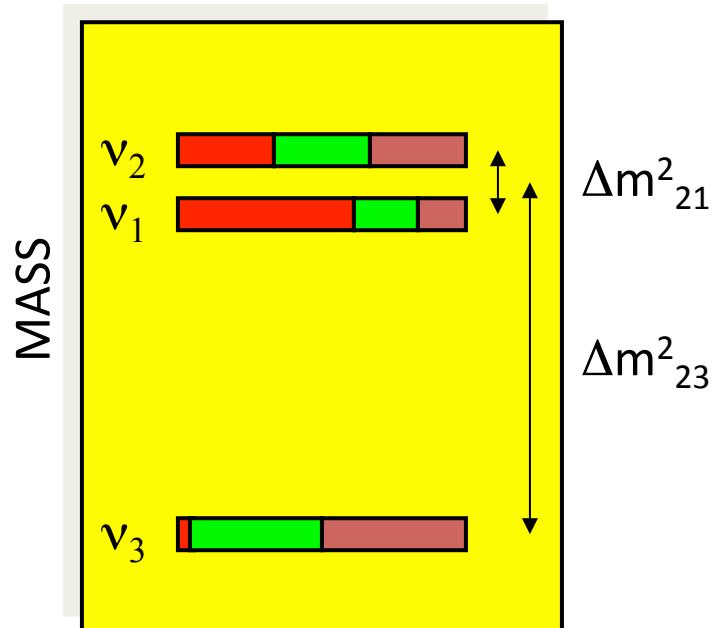
δ , matter-antimatter asymmetry in neutrinos?

Mass ordering?



Normal mass ordering

?



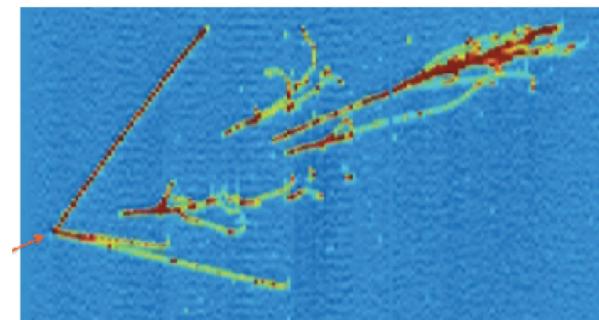
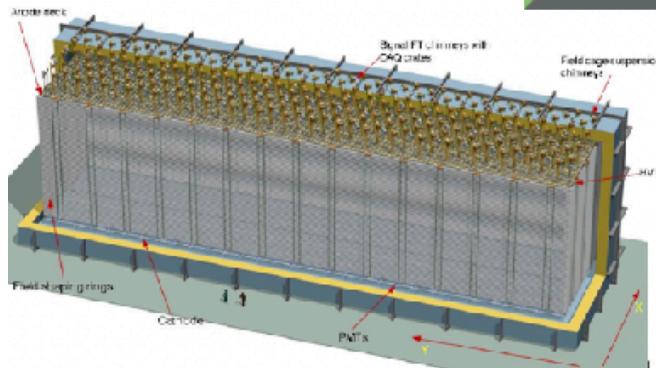
Inverted mass ordering

Which mass state is the lightest?

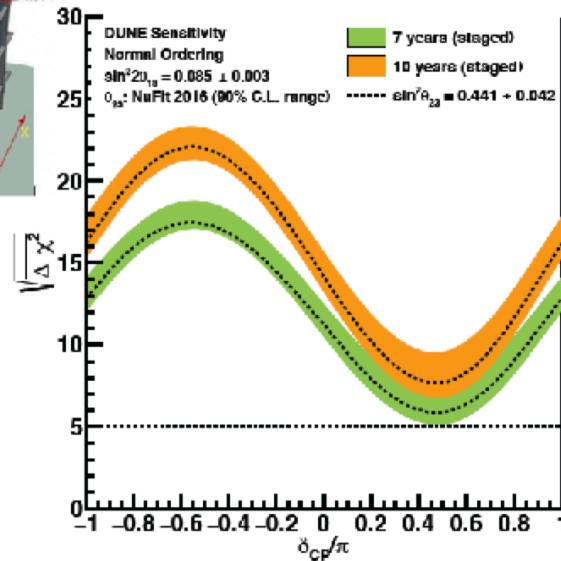
Future long baseline projects...

DUNE

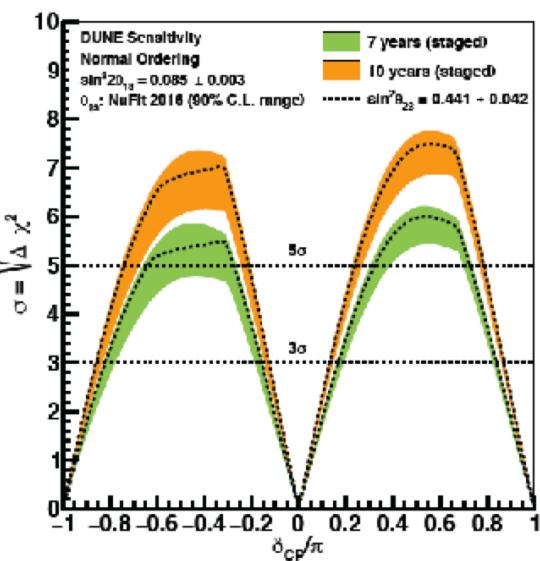
40 kton Lq. Ar TPC
Starting around 2026



Sensitivity
Mass Hierarchy



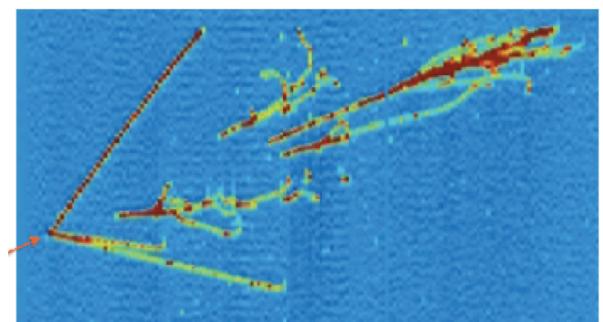
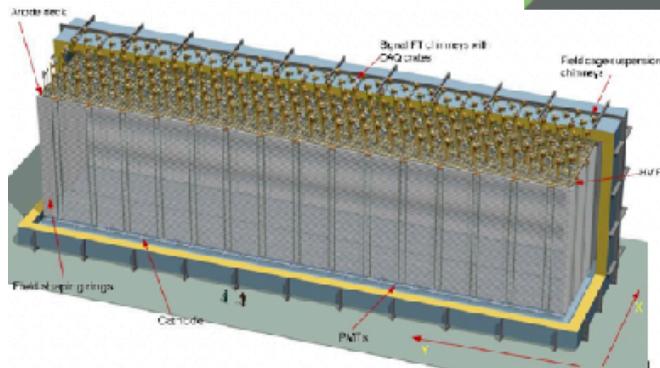
CP Violation



Future long baseline projects...

DUNE

40 kton Lq. Ar TPC
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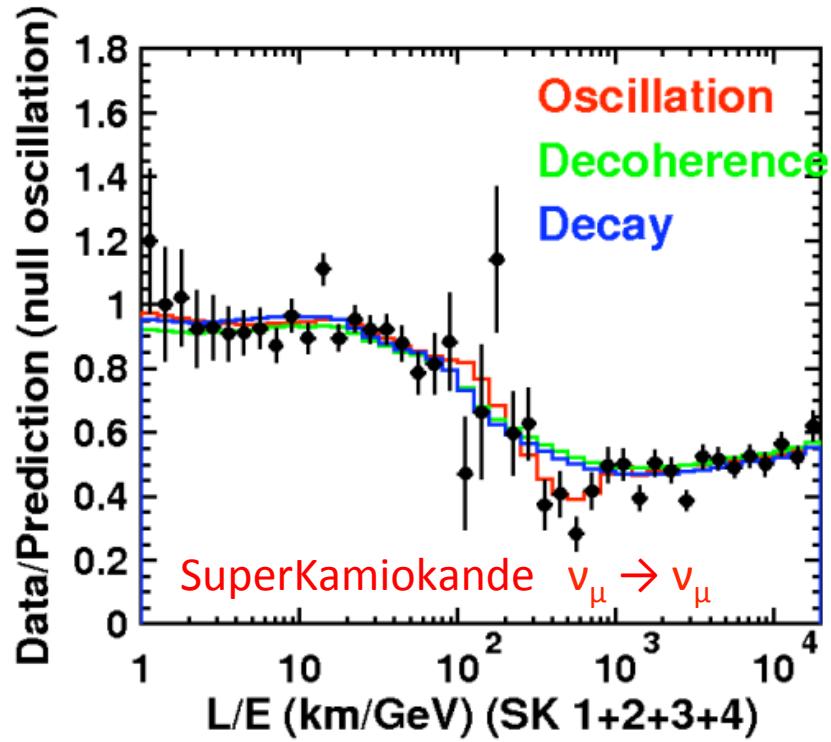
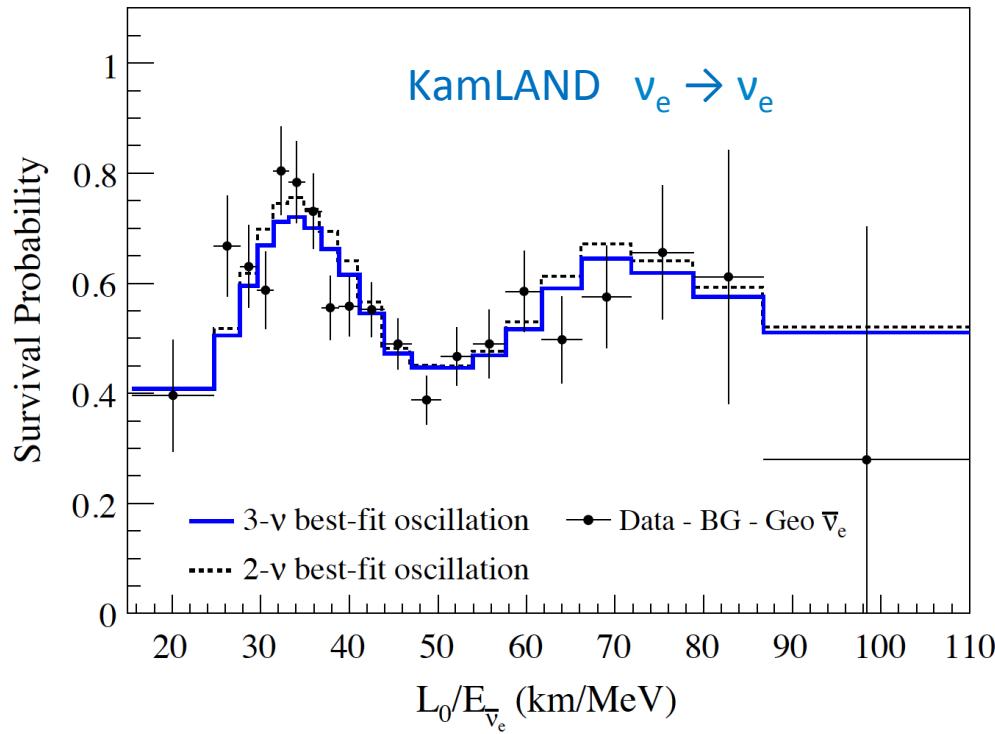
24/07/2019 GraSPA

Broad physics programme!

- Long baseline oscillations
- Mass ordering
- Matter-antimatter asymmetry
- SN neutrinos
- Proton decay
- And more...

Conclusions

- Neutrinos oscillate! Masses $\neq 0$ (2015 Nobel prize)
 ν_e, ν_μ, ν_τ different from ν_1, ν_2, ν_3

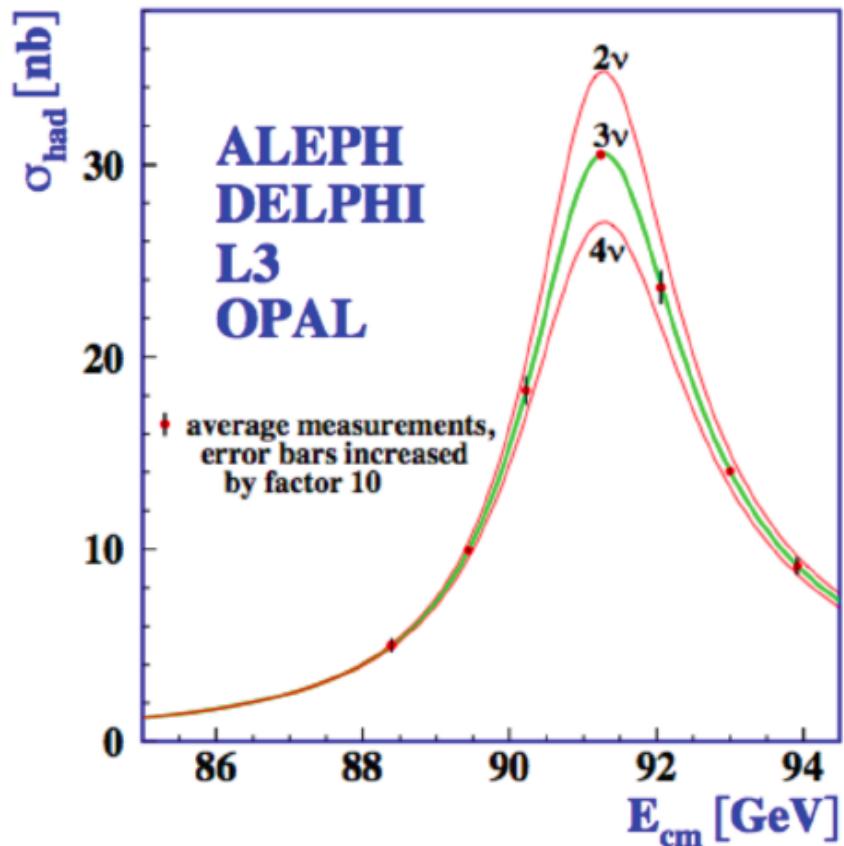


Conclusions

- Neutrinos oscillate! Masses $\neq 0$ (2015 Nobel prize)
 ν_e, ν_μ, ν_τ different from ν_1, ν_2, ν_3
- Two different oscillation frequencies:
fast: atmospheric, $\Delta m^2_{32} \sim \Delta m^2_{31}$
slow: solar, Δm^2_{21} atm $\sim 20 \times$ solar
- Neutrinos mix a lot! (Mixing angles large compared to quarks' mix angles!)
atmospheric, maximal $\theta_{32} = 45^\circ \pm 6^\circ$
solar, large $\theta_{21} = 34^\circ \pm 1^\circ$
reactor, not so small $\theta_{13} = 9.1^\circ \pm 0.6^\circ$ (c.f. biggest angle in quarks, Cabibbo's = 13°)
- For the future: matter-antimatter asymmetry in neutrinos?
which is the lightest mass state?

BACK UP SLIDES

How many neutrinos are there?



$$\Gamma_{\text{inv}} = \Gamma_Z - \Gamma_{\text{had}} - 3\Gamma_l$$

$$\Gamma_{\text{inv}} = N_\nu \cdot \Gamma_\nu$$

PDG K. Nakamura et al., JPG 37, 075021 (2010)

Number $N = 2.984 \pm 0.008$
(Standard Model fits to LEP data)

Number $N = 2.92 \pm 0.05$ ($S=1.2$)
(Direct measurement of invisible Z width)

Etats propres de saveur et de masse

- Matrice PMNS (Pontecorvo-Maki-Nakagawa-Sakata) relie états propres de masse (ν_1, ν_2, ν_3) et de saveur (ν_e, ν_μ, ν_τ)

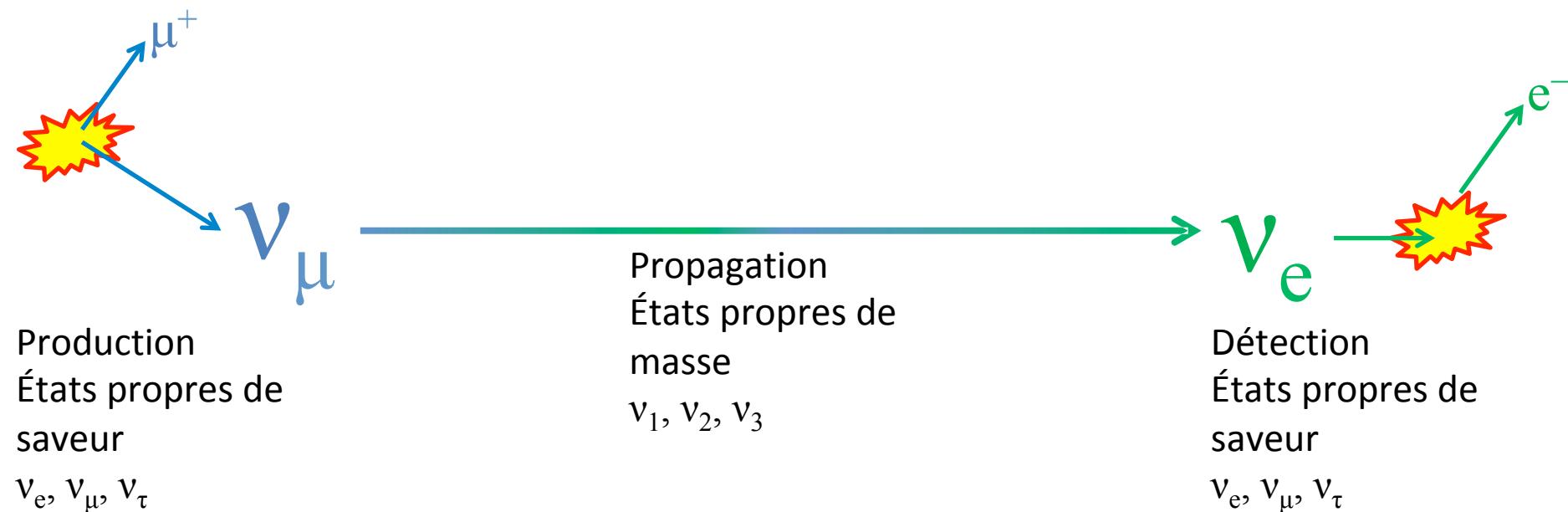
$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = U_{PMNS} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix} \quad U_{PMNS} = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} \end{pmatrix}$$

p.ex.

$$|\nu_\mu\rangle = U_{\mu 1} |\nu_1\rangle + U_{\mu 2} |\nu_2\rangle + U_{\mu 3} |\nu_3\rangle$$

Oscillations des neutrinos

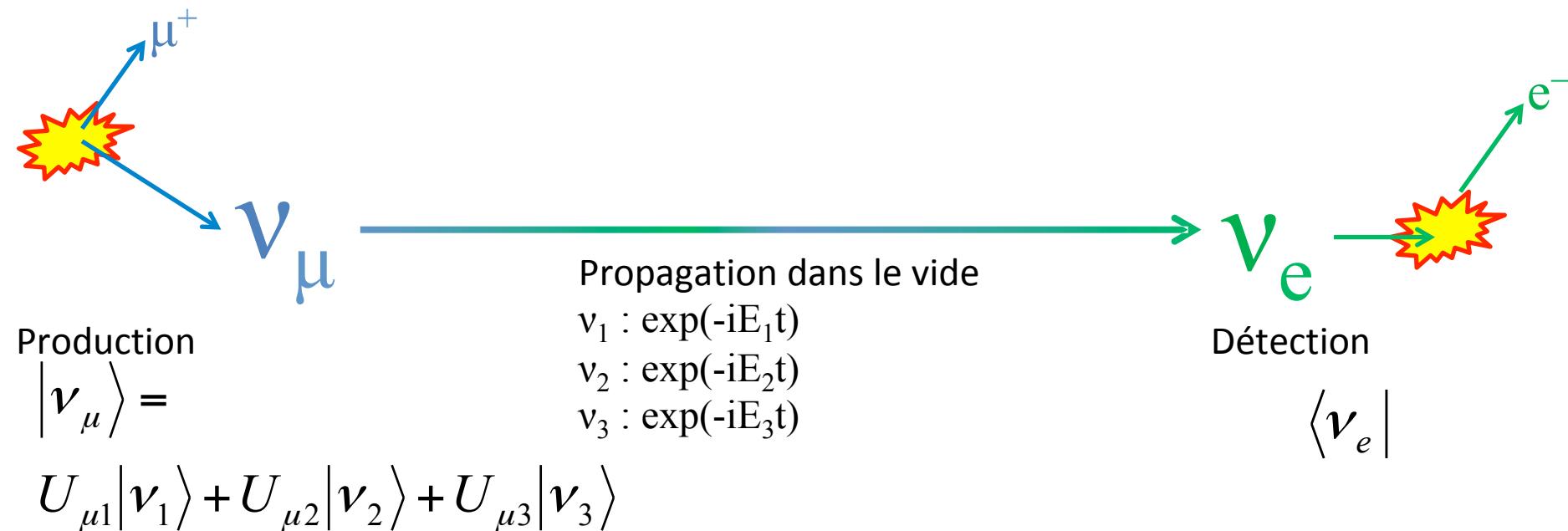
- Neutrinos sont créés dans des états propres de saveur, se propagent comme des états propres de masse, et sont détectés comme des états propres de la saveur : (ex : neutrinos atmosphériques, issus des désintégrations des pions)



(Analogue aux oscillations des kaons neutres : production et détection en termes des états de saveur K^0 et \bar{K}^0 , propagation en termes de K_{short} et K_{long})

Oscillations des neutrinos

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Masses m_1, m_2, m_3 différentes \rightarrow phases $-iE_1 t, -iE_2 t, -iE_3 t$ différentes \rightarrow
 \rightarrow proportion des composantes e, μ , τ change avec le temps

Un peu d'histoire

- Oscillation neutrino-antineutrino proposée par Bruno Pontecorvo (1957) par analogie avec les oscillations K^0 et \bar{K}^0
- Mélange entre les saveurs proposé par Maki, Nakagawa et Sakata (1962)
- Calcul de la probabilité d'oscillation entre saveurs par Gribov et Pontecorvo (1967, 1969)
- Etudes expérimentales expliquées en détail page 12 et suivantes