Further Studies of Pion and Kaon Structure at an EIC

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EIC Users Group Meeting 2019 (EICUGM2019)

Ecole Nationale Superieure de Chimie, July 22 – 26, 2019

Based on...

□ PIEIC Workshops hosted at ANL (2017) and CUA (2018)



Supported by more than 50 authors

The incomplete Hadron: Mass Puzzle

"Mass without mass!"



 Proton: Mass ~ 940 MeV
 preliminary LQCD results on mass budget, or view as mass acquisition by DCSB

 Kaon: Mass ~ 490 MeV
 at a given scale, less gluons than in pion

 Pion: Mass ~ 140 MeV
 mass enigma – gluons vs Goldstone boson



The light quarks acquire (most of) their masses as effect of the gluon cloud.

The strange quark is at the boundary both emergent-mass and Higgs-mass generation mechanisms are important.



Origin of Mass of QCD's Pseudoscalar Goldstone Modes

- □ The pion is both the lightest bound quark system with a valence $\bar{q}q$ structure and a Nambu-Goldstone boson
- □ There are exact statements from QCD in terms of current quark masses due to PCAC (*Phys. Rep.* 87 (1982) 77; *Phys. Rev.* C 56 (1997) 3369; *Phys. Lett.* B420 (1998) 267)
- $f_{\pi}m_{\pi}^{2} = \left(m_{u}^{\zeta} + m_{d}^{\zeta}\right)\rho_{\pi}^{\zeta}$ $f_{K}m_{K}^{2} = \left(m_{u}^{\zeta} + m_{s}^{\zeta}\right)\rho_{K}^{\zeta}$

- Pseudoscalar masses are generated dynamically
 - > From these exact statements, it follows the mass of bound states increases as \sqrt{m} with the mass of the constituents.
 - > In contrast, in, *e.g.* the CQM, bound state mass rises linearly with constituent mass, *e.g.*, with constituent quarks Q: in the nucleon $m_Q \sim \frac{1}{3}m_N \sim 310$ MeV, in the pion $m_Q \sim \frac{1}{2}m_{\pi} \sim 70$ MeV, in the kaon (with one s quark) $m_Q \sim 200$ MeV – This is not real.
 - In both DSE and LQCD, the mass function of quarks is the same, regardless what hadron the quarks reside in – This is real. It is the Dynamical Chiral Symmetry Breaking (D_χSB) that makes the pion and kaon masses light.

The role of gluons in the chiral limit

In the chiral limit, using a parton model basis: the entirety of the proton mass is produced by gluons and due to the trace anomaly

$$\langle P(p)|\Theta_0|P(p)\rangle = -p_\mu p_\mu = m_N^2$$

In the chiral limit, for the pion $(m_{\pi} = 0)$:

$$\langle \pi(q) | \Theta_0 | \pi(q) \rangle = -q_\mu q_\mu = m_\pi^2 = 0$$

Sometimes interpreted as: in the chiral limit the gluons disappear and thus contribute nothing to the pion mass.

This is unlikely as quarks and gluons still dynamically acquire mass – this is a universal feature in hadrons – so more likely a cancellation of terms leads to "0"

Nonetheless: are there gluons at large Q² in the pion or not?

Fundamental Questions

For understanding the origin of hadron masses and distribution of that mass within

How do hadron masses and radii emerge for light-quark systems from QCD?

What is the origin and role of dynamical chiral symmetry breaking?

□ What is the interplay of the strong-mass and Higgs generation mechanisms?

What are the basic mechanisms that determine the distribution of mass, momentum, charge, spin, etc. within hadrons?

Requires coherent effort in QCD phenomenology and continuum calculations, exascale computing as provided by lattice QCD, and experiment

Key Experimental Efforts

- Hadron masses in light quark systems
 - Pion and kaon parton distribution functions (PDFs) and generalized parton distributions (GPDs)
- Gluon (binding) energy in Nambu-Goldstone modes
 - Open charm production from pion and kaon
- ❑ Mass acquisition from Dynamical Chiral Symmetry Breaking (DCSB)
 - Pion and kaon form factors
- □ Strong vs. Higgs mass generating mechanisms
 - Valence quark distributions in pion and kaon at large momentum fraction x
 - Timelike analog of mass acquisition
 - Fragmentation of a quark into pions or kaons

Pion and Kaon Sullivan Process

The Sullivan process can provide reliable access to a meson target as t becomes space-like if the pole associated with the ground-state meson remains the dominant feature of the process and the structure of the related correlation evolves slowly and smoothly with virtuality.





To check these conditions are satisfied empirically, one can take data covering a range in t and compare with phenomenological and theoretical expectations.

□ Recent theoretical calculations found that for $-t \le 0.6 \text{ GeV}^2$, all changes in pion structure are modest so that a well-constrained experimental analysis should be reliable Similar analysis for the kaon indicates that Sullivan processes can provide a valid kaon target for $-t \le 0.9 \text{ GeV}^2$

[S.-X. Qin, C. Chen, C. Mezrag and C. D. Roberts, Phys. Rev. C 97 (2018) 015203.]

Experimental Validation (Pion Form Factor example)

Experimental studies over the last decade have given <u>confidence</u> in the electroproduction method yielding the physical pion form factor

Experimental studies include:

- Take data covering a range in –t and compare with theoretical expectation
 - $\circ \ \ \mathsf{F}_{\pi} \ \text{values do not depend on -t} \\ \ \text{confidence in applicability of} \\ \text{model to the kinematic regime} \\ \text{of the data}$
- Verify that the pion pole diagram is the dominant contribution in the reaction mechanism
 - $R_L (= \sigma_L(\pi^-)/\sigma_L(\pi^+))$ approaches the pion charge ratio, consistent with pion pole dominance

[G. Huber et al, PRL**112** (**2014**)182501]

[R. J. Perry et al., arXiV:1811.09356 (2019).]



[T. Horn, C.D. Roberts, J. Phys. G43 (2016) no.7, 073001]

EIC – Versatility and Luminosity is Key

Why would pion and kaon structure functions, and even measurements of pion structure beyond (pion GPDs and TMDs) be feasible at an EIC?

- \Box L_{EIC} = 10³⁴ = 1000 x L_{HERA}
- Detection fraction @ EIC in general much higher than at HERA
- Fraction of proton wave function related to pion Sullivan process is roughly 10⁻³ for a small –t bin (0.02).
- Hence, pion data @ EIC should be comparable or better than the proton data @ HERA, or the 3D nucleon structure data @ COMPASS
- If we can convince ourselves we can map pion (kaon) structure for -t < 0.6 (0.9) GeV2, we gain at least a decade as compared to HERA/COMPASS.



Ratio of the F_2 structure function related to the pion Sullivan process as compared to the proton F_2 structure function in the low-t vicinity of the pion pole, as a function of Bjorken-x (for JLab kinematics)

World Data on pion structure function F_{2}^{π}



Global pion PDF fit with EIC pseudodata

[T. Horn, N. Sato, R. Trotta]

□ 5 GeV (e-) on 50 GeV (p)

0.1 < y < 0.8

- EIC pseudodata fitted using self-serve pion PDF framework
- EIC will improve the PDFs, especially for kaons as will have similar-quality data.
- DY measurements by COMPASS++/AMBER could constrain x>02



Precision gluon constraints of pion and kaon PDFs are possible.

Kaon structure functions – gluon pdfs



- Valence quarks carry 52% of the pion's momentum at the light front, at the scale used for Lattice QCD calculations, or ~65% at the perturbative hadronic scale
- At the same scale, valence-quarks carry ²/₃ of the kaon's light-front momentum, or roughly 95% at the perturbative hadronic scale



Thus, at a given scale, there is far less glue in the kaon than in the pion:

- heavier quarks radiate less readily than lighter quarks
- heavier quarks radiate softer gluons than do lighter quarks
- Landau-Pomeranchuk effect: softer gluons have longer wavelength and multiple scatterings are suppressed by interference.
- □ Momentum conservation communicates these effects to the kaon's u-quark.

Pion Form Factor Prospects

- 1. Models show a strong dominance of σ_L at small –t at large Q².
- 2. Assume dominance of this longitudinal cross section
- 3. Measure the π^{-}/π^{+} ratio to verify it will be diluted (smaller than unity) if σ_{T} is not small, or if non-pole backgrounds are large



- Assumed 5 GeV(e⁻) x 100 GeV(p) with an integrated luminosity of 20 fb⁻¹/year, and similar luminosities for d beam data
- □ R= σ_L/σ_T assumed from VR model and assume that π pole dominance at small t confirmed in ²H π ⁻/ π ⁺ ratios
- Assumed a 10% experimental systematic uncertainty, and a 100% systematic uncertainty in the model subtraction to isolate σ_L

Can we measure the kaon form factor at EIC? Not clear – needs guidance from JLab 12- GeV

[Garth Huber, Tanja Horn]

Conclusions – Pion and Kaon Structure

- Nucleons and the lightest mesons pions and kaons, are the basic building blocks of nuclear matter. We should know their structure (functions).
- □ The distributions of quarks and gluons in pions, kaons, nucleons will differ.
 - Utilizing electroweak processes, be it through parity-violating processes or neutral vs chargedcurrent interactions, some flavor dependence appears achievable.
 - If we can convince ourselves off-shellness considerations are under control, one could also access pion GPDs and TMDs.
- Is the origin of mass encoded in differences of gluons in pions, kaons and nucleons (at non-asymptotic Q²)?
 - How much glue is in the pion?
- □ The pion form factor may be measured at an EIC up to $Q^2 = 35 \text{ GeV}^2$, and could provide a direct connection to mass generation in the Standard Model.
- Some effects may appear trivial the heavier-mass quark in the kaon "robs" more of the momentum, and the structure functions of pions, kaons and protons at large-x should be different, but confirming these would be textbook material.

Quark Fragmentation into Pions and Kaons

Timelike analog of mass acquisition – measure fragmentation of quarks into pions and kaons

□ Projections for integrated luminosity = 10 fb⁻¹



□ EIC can provide precision data at large x (z>0.5) and transverse momentum (as picked up on the fragmentation process) of k_T=0.1, 0.3, 0.5

Detection of ¹H(e,e'K⁺) Λ , Λ decay to p + π^{-}





Figure from K.Park

Experimental Considerations

Need excellent detection capabilities, and good resolution in -t



EIC provides huge gain in acceptance for diffractive physics and forward tagging to measure $F_2^{n}!!!$

Diffraction



- Reconstruction of energy and position to sufficiently constrain the scattering kinematics and 4-momentum of the pion
- □ FFQ and ZDC: $\delta p_L/p_L \sim 10^{-4}$, $\delta p_T \sim 20$ MeV, complete coverage to $p_T=0$

Process	Forward Particle	Geometric Detection Efficiency (at small –t)
¹ H(e,e'π ⁺)n	Ν	> 20%
¹ H(e,e'K⁺)∧	Λ	50%
¹ H(e,e'K ⁺)Σ	Σ	17%

Geometric acceptance for decay products