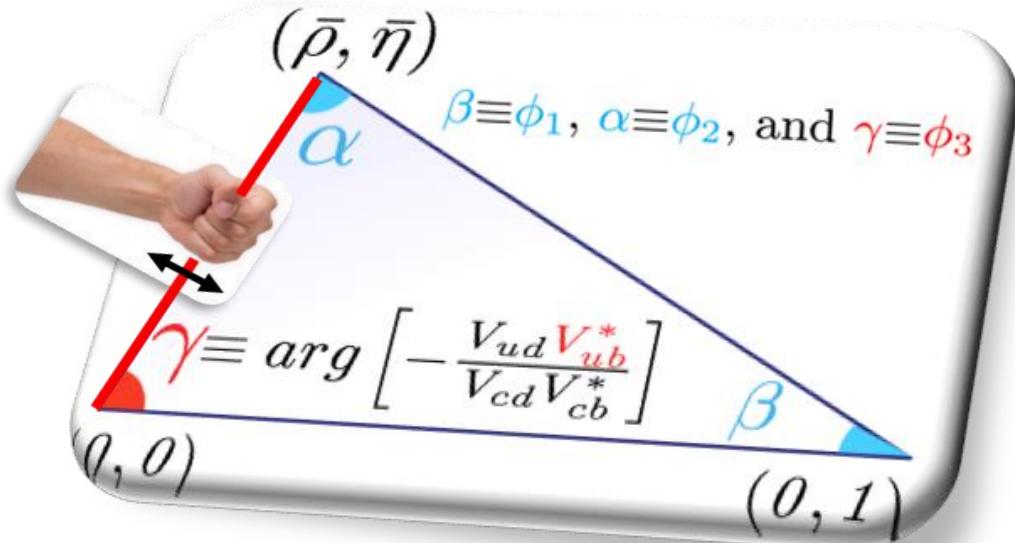
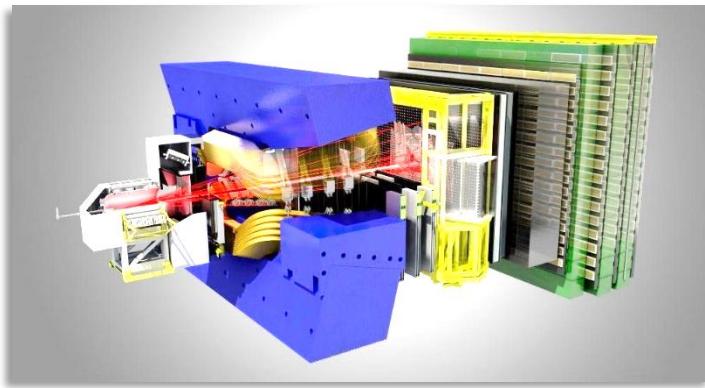


Recent results on the CKM angle γ with open charm B decays at LHCb

V. Tisserand (CKMfitter/LHCb), LPC-Clermont Ferrand, France
LLR Palaiseau le 28 janvier 2019



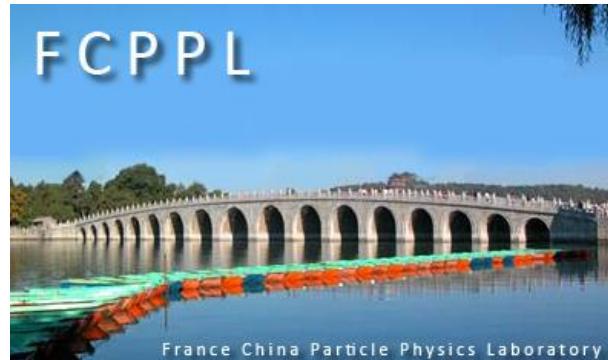
CKM
fitter



IN2P3
Les deux infinis

LPC
Particules
plasmas
applications
Laboratoire de Physique de Clermont

UCA
UNIVERSITÉ
Clermont
Auvergne



université
PARIS-SACLAY

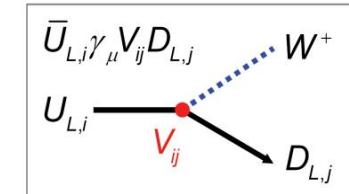


The Standard Model (SM) & the Unitary CKM Matrix

→ mixing of the 3 quarks families & CP violation

- the Higgs boson gives mass to elementary bosons & fermions (quarks, leptons) through Yukawa couplings, but there is not only that ! :

$$\mathcal{L}_{cc}^{\text{quarks}} = \frac{g}{2\sqrt{2}} W_\mu^\dagger \left[\sum_{ij} \bar{u}_i(q_2) \gamma^\mu (1 - \gamma^5) V_{ij} d_j \right] + \text{h.c}$$



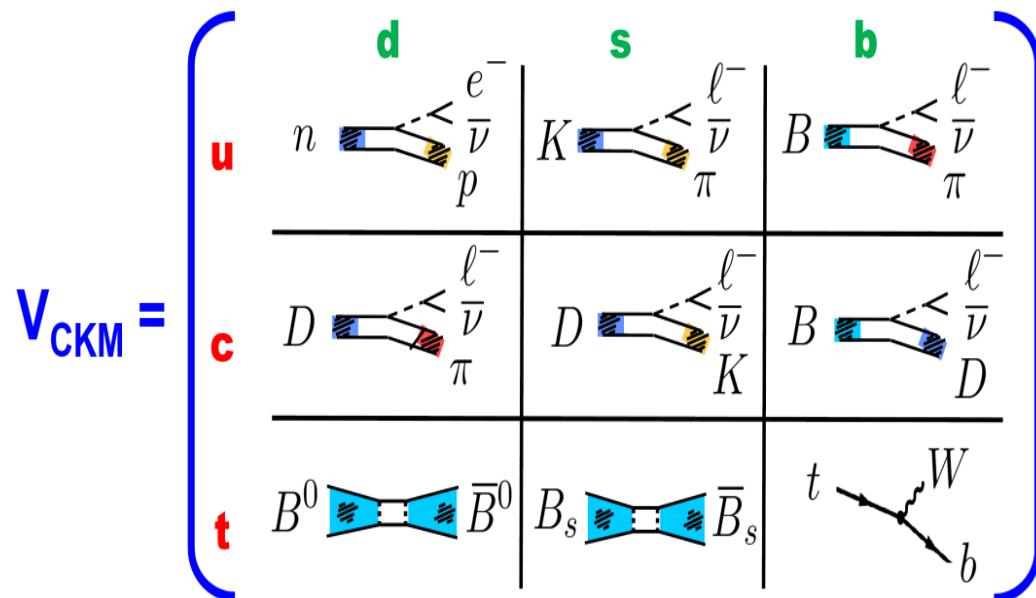
charged currents (EW) imply transitions between quark families : quarks decays [there are no neutral current changing flavour (FCNC) at tree level (i.e. GIM mechanism)].

$$V_{CKM} = \begin{pmatrix} d & s & b \\ u & 1-\lambda^2/2 & \lambda & A\lambda^3(\rho-i\eta) \\ c & -\lambda & 1-\lambda^2/2 & A\lambda^2 \\ t & A\lambda^3(1-\rho-i\eta) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^4) \quad (VV^\dagger=1)$$

- strong hierarchy in EW V_{ij} couplings for the 3 families (wrt diagonal couplings $\propto \lambda^N \approx (0.225)^N$: → Cabibbo angle).
- KM (Kobayashi-Maskawa) mechanism : 3 generations → 4 parameters: A , λ , ρ & 1 complex part η which phase is the unique source of CPV in SM.



The CKM Matrix : the unitary triangle & the very rich phenomenology of quark flavors



→ 4 parameters (A, λ, ρ & η) to be obtained/tested wrt data:
nucleons, K, D, $B_{(s)}$ & top quark physics.

→ unitarity relation in B_d system (1st line/3rd column):

$$\frac{V_{ud} V_{ub}^*}{V_{cd} V_{cb}^*} + 1 + \frac{V_{td} V_{tb}^*}{V_{cd} V_{cb}^*} = 0 \\ O(1) + O(1) + O(1)$$

Parametrisation « à la Wolfenstein » phase invariant
& valid at any orders in λ @ CKMfitter

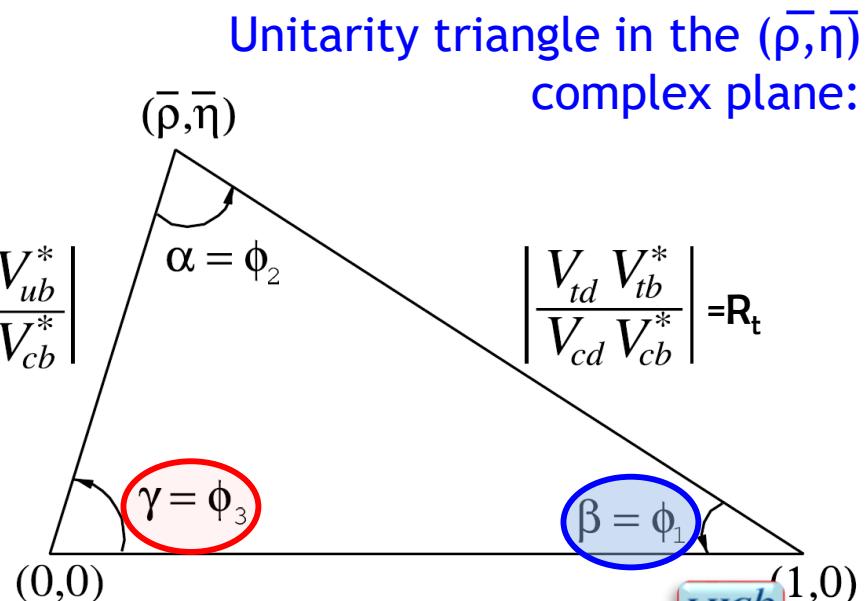
(EPJ C41, 1-131, 2005):

$$\bar{\rho} + i\bar{\eta} = -\frac{V_{ud} V_{ub}^*}{V_{cd} V_{cb}^*}$$

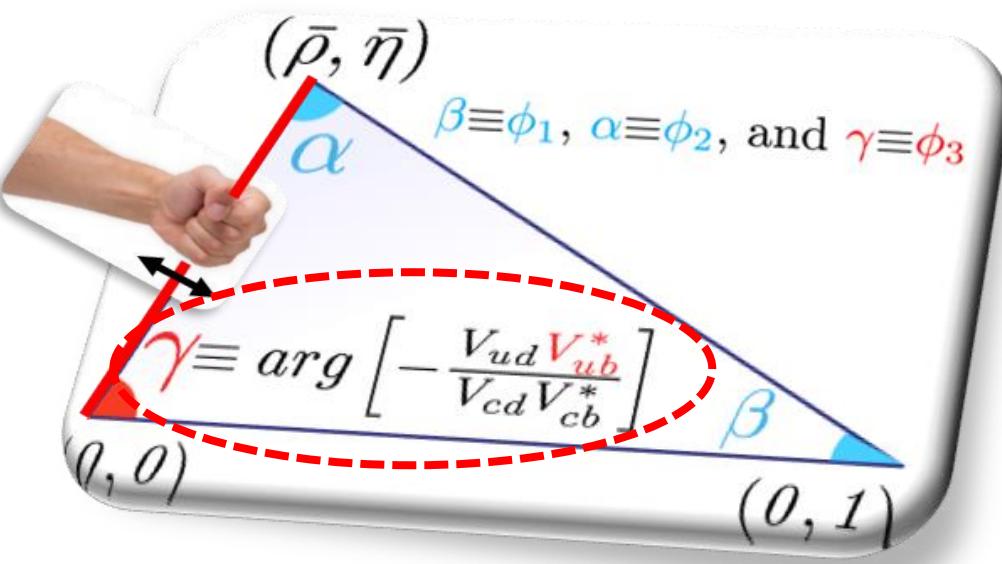
$$\lambda^2 = \frac{|V_{us}|^2}{|V_{ud}|^2 + |V_{us}|^2}$$

$$A^2 \lambda^4 = \frac{|V_{cb}|^2}{|V_{ud}|^2 + |V_{us}|^2}$$

$$R_u = \left| \frac{V_{ud} V_{ub}^*}{V_{cd} V_{cb}^*} \right|$$



→ The CKM angle γ is a fundamental parameter of the SM related to the complex phase in the KM mechanism responsible for CP violation in quark sector



Already 10 years ago after the B factories BaBar@SLAC and Belle@KEK we knew that



Kobayashi et
Masakwa, Nobel prize
of physics 2008

The KM mechanism is the main source of CPV at EW scale (i.e. @ $m_{W/Z}$)

→ So why do we still care about the CKM angle γ ?

$$\gamma[\text{combined}@2008] = (70^{+27}_{-29})^\circ$$

5 years after: the CKM angle γ after LHC run1 in 2013

$$\gamma \equiv \arg \left[-\frac{V_{ud} V_{ub}^*}{V_{cd} V_{cb}^*} \right]$$

→ Astonishing/impressive overall consistency:

- $(69^{+17}_{-16})^\circ$



PRD 87(2013)052015

- $(68^{+15}_{-14})^\circ$



arXiv:1301.2033

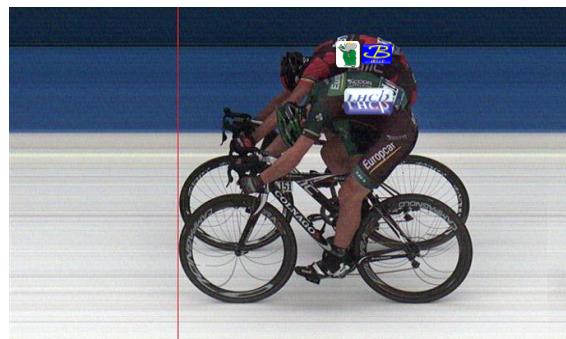
B-factories:
PBF book

$(67 \pm 11)^\circ$

- $(67 \pm 12)^\circ$

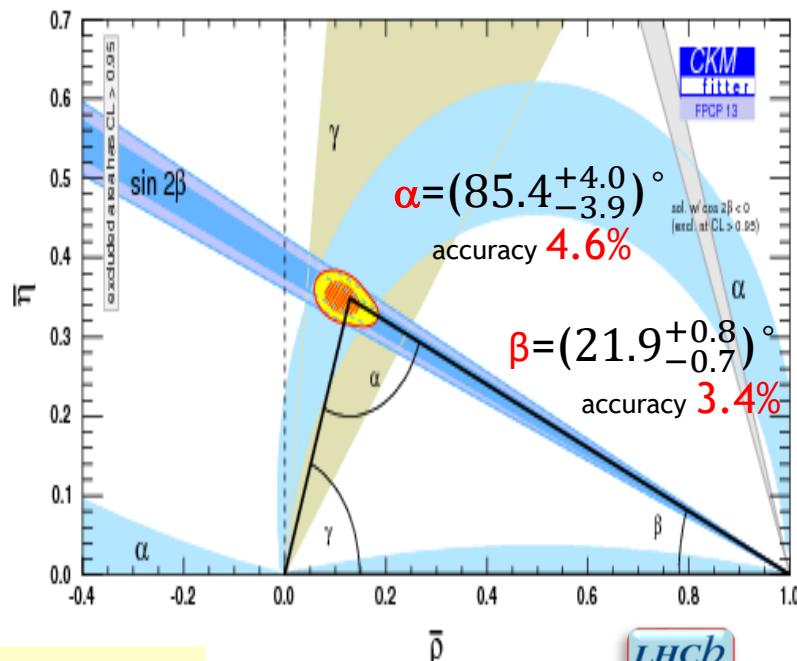
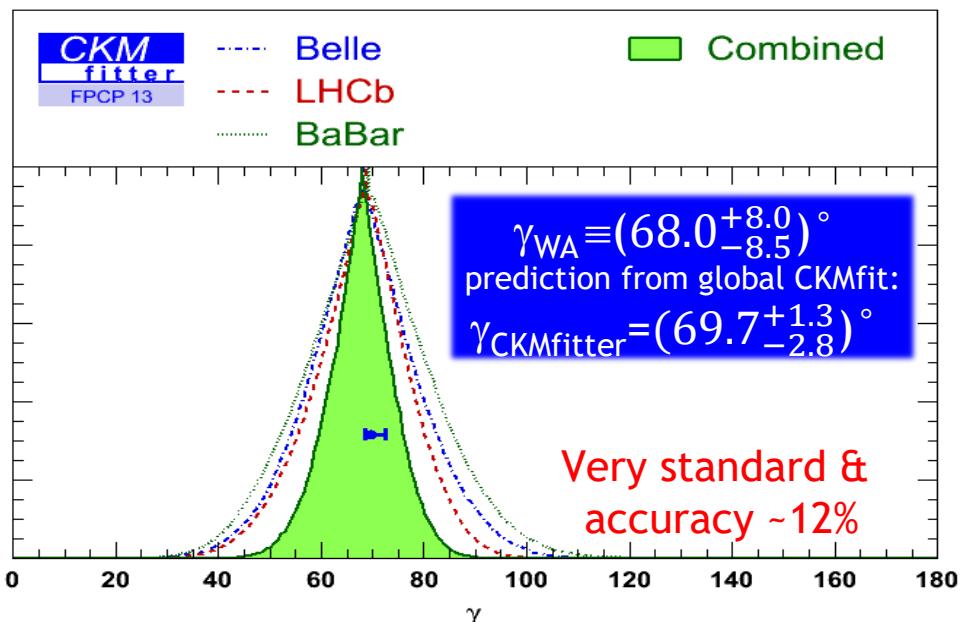


PLB 726(2013)151
LHCb-CONF-2013-006



→ Many DK like modes combined, observables are predictable!

→ M. Karbach (RIP) : "We understand what we're doing!"



LHCb was already competitive with only 2 years of data taking !

The theoretical usefulness of measuring accurately the CKM angle γ in 2018 and beyond

Angle γ is the least well known CKM constraint (although now only just (i.e. similar to α)) and remains a unique CPV parameter:

- SM benchmark or standard candle - only CKM angle accessible at tree level
- Determination from tree $B \rightarrow D\bar{K}$ decay theoretically extremely clean :

[arXiv:1308.5663]

$$\delta\gamma/\gamma \sim \mathcal{O}(10^{-7})$$

Only one caveat: New physics at tree level in Wilson coeff of interfering amplitudes C_1 and C_2 can cause sizeable (up to 5°) shifts in γ , however quite academic speculation, type of possible NP model very unclear and yet unmotivated
[arXiv:1412.1446]

- Probes NP scales extremely far beyond direct searches in ((N)M)FV NP scenarios:

[arXiv:1101.0134]

$$\Lambda_{NP}^\gamma \sim \mathcal{O}(10^3 \text{ TeV})$$

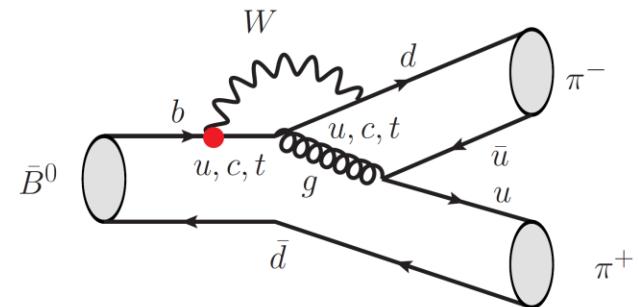
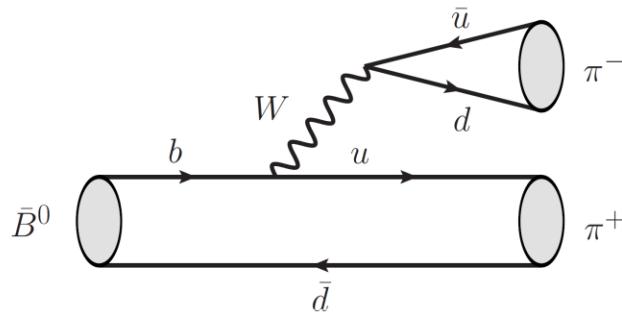
→ Use for “direct” vs “indirect” (i.e. “tree” vs “loop” processes) disagreement in global CKM fit consistency test :

- Tree level decays test the SM and are robust to New Physics (“standard candle for the SM KM coherence tests”): \perp constraint to $\sin(2\beta)$, need ideally precision of about $\sim 1^\circ$ and below
- Loops (B to charmless decays) test for physics beyond the SM but require a clean measurement as input & precise understanding of theory assumptions (SU(3) breaking, U-spin...).

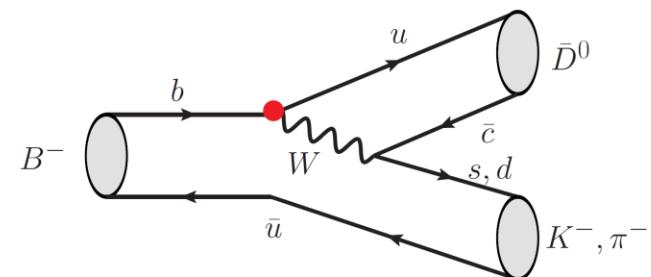
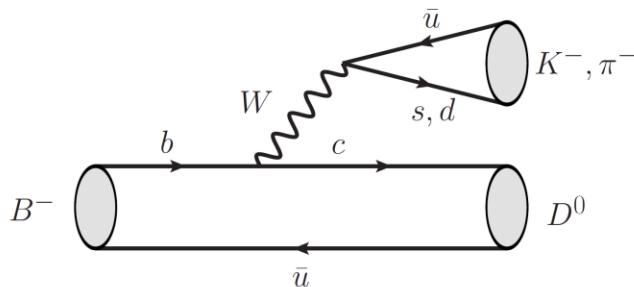


CKM angle γ in loops and trees

- From $B \rightarrow \pi\pi$ determine $\alpha = \pi - \beta - \gamma$ [Gronau, London 1990]
- Use $B \rightarrow \pi\pi$ and $B_s \rightarrow KK$ to extract γ [Fleischer 1999]



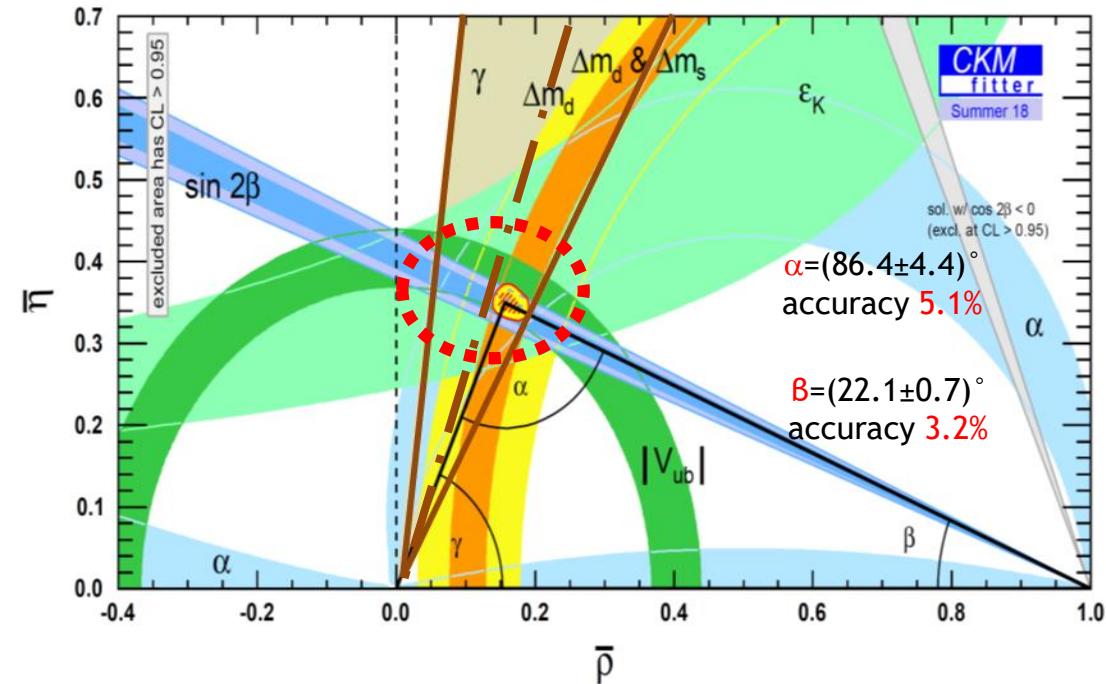
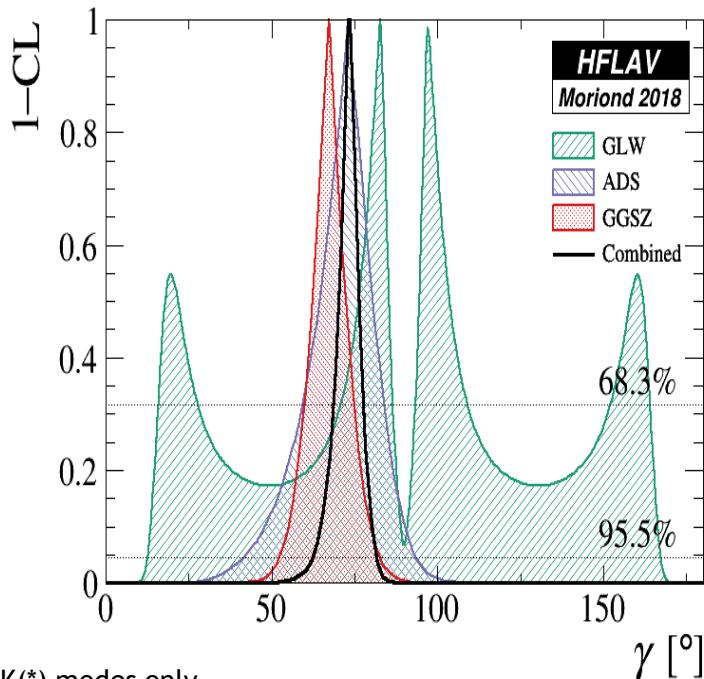
- Compare to γ from tree-level $B \rightarrow DK$ [Bigi, Sanda 1981]



I will come back later on it...

The early 2018 state of play

The current world average (HFLAV), LHCb combination and indirect determination (CKMfitter) on γ



D($^*\right)K($^*\right)$ modes only$

$$\gamma_{WA} = (73.5^{+4.2}_{-5.1})^\circ$$

$$\gamma_{LHCb} = (75.8^{+5.1}_{-5.7})^\circ$$

LHCb dominates WA

We entered yet the sub 5° (6%) precision era → but still not enough!

1.5 σ shift / WA

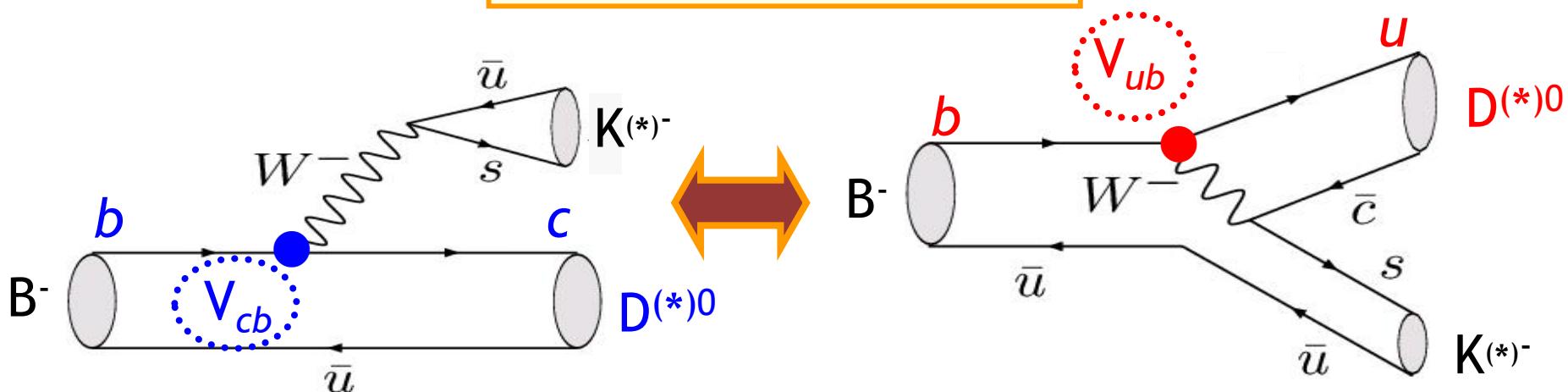
Need to measure at $< 1^\circ$ accuracy
→ test $\Lambda_{NP} > 17$ TeV (model indep.)

[arXiv:1309.2293]

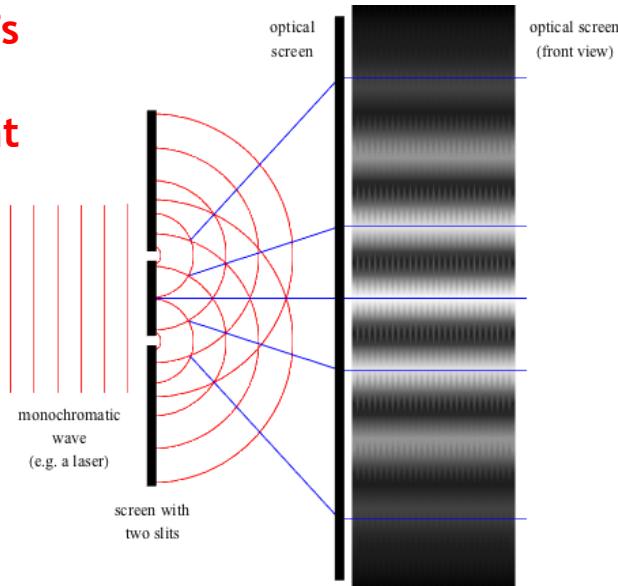


γ in $B^- \rightarrow \tilde{D}^{(*)0} K^{(*)-}$

Same final state $\tilde{D}^0 \equiv [D^0 / D^0]$



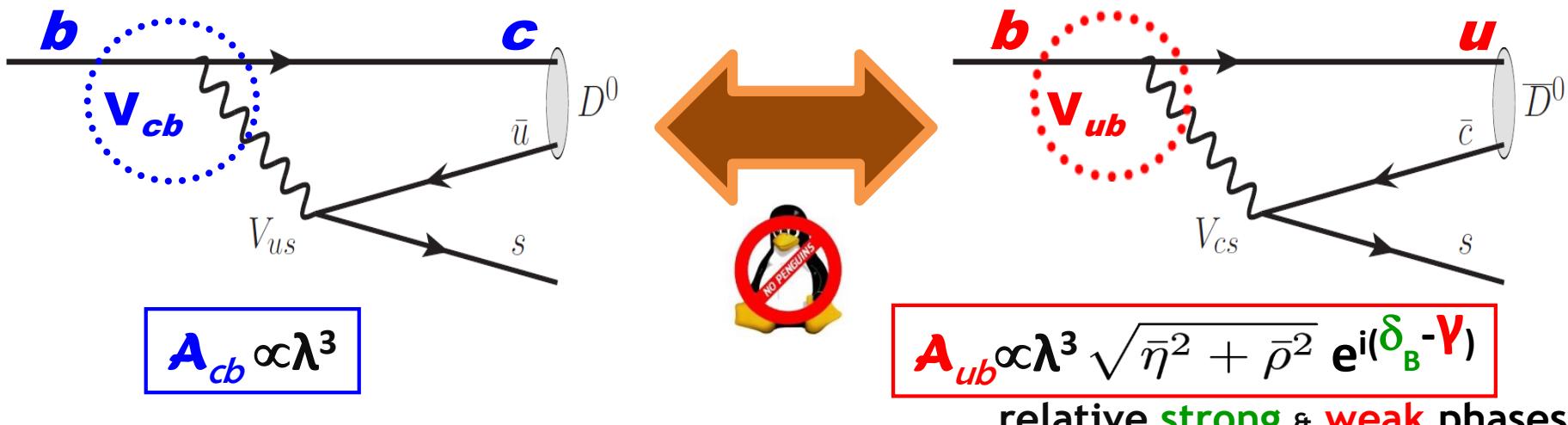
See Young's double slit experiment



$$\gamma \equiv \arg \left[-\frac{V_{ud} V_{ub}^*}{V_{cd} V_{cb}^*} \right]$$

Obtaining γ : use interference between $b \rightarrow c \bar{s}$ and $b \rightarrow u \bar{c} \bar{s}$

Gronau, Wyler (91); Gronau, London (90)



→ Take any spectator(s) you like. Color-allowed diagrams are also possible for certain spectators. For color-suppressed V_{ub} decays:

$$A_{tot} = A + A$$

CPV asymmetry size depends upon the critical parameter :

$$r_B \equiv |A/A| \sim 5\text{-}30\% \text{ color/Cabibbo suppression}$$

PLB 557(2003)198

if r_B small ⇒ small experim. sensitivity to γ (precision as $1/r_B$)

same $D \equiv [D^0/\bar{D}^0]$ final state

→ Experimentally unfold γ , δ_B , and r_B from ratios of BFs and B vs \bar{B} asymmetries observables

→ Hadronic nuisance parameters can be determined from data directly or from external inputs



Experimental aspects of γ measurements

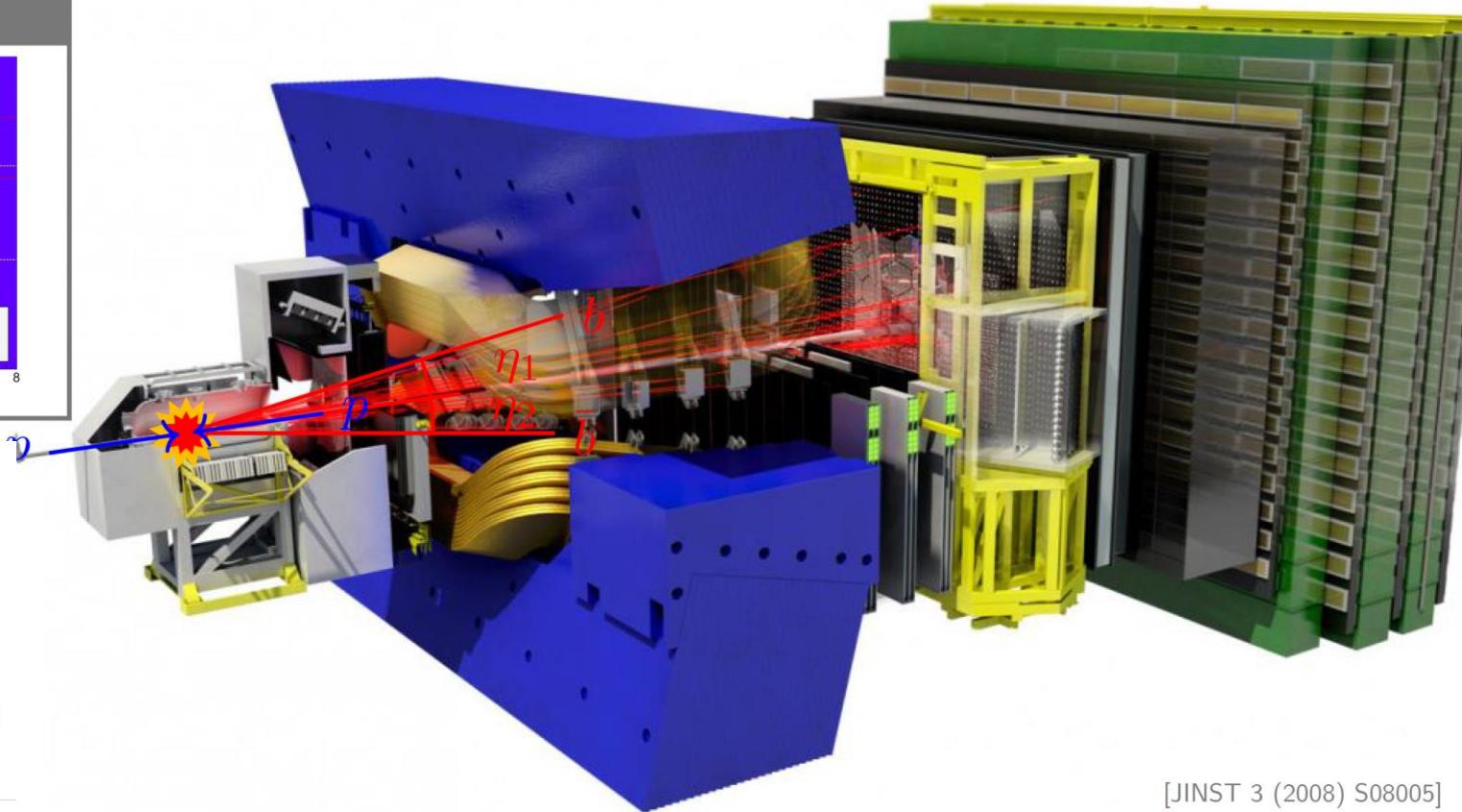
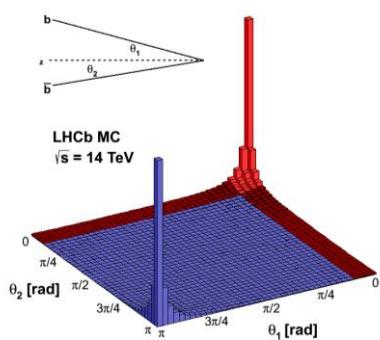
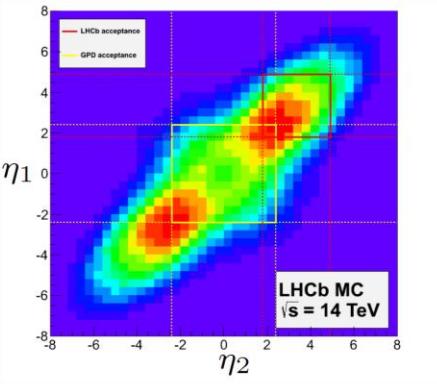
- measuring γ at tree level is difficult (typical BFs $< 10^{-6}$ and less, reconst. & selection efficiencies below %):
 - STATISTICS is THE NAME OF THE GAME ⇒ efficient detection/selection/ PID/ tracking/vertexing and even neutrals
 - combining many measurements/methods + inputs from charm factories (D parameters + mixing & CPV)
- Many methods/modes to combine for optimal & redundant determination of γ (and rigorous statistical treatment possibly matters !)
- various charmed modes in B^0 , B^+ , B_s^0 , Λ_b^0 , B_c^+ decays are useful to understand/confirm possible sensitivity to BSM physics and its nature

The LHCb experiment at LHC is designed to accomplish all of the above !



LHCb: Optimized for precision flavour measurements

$b\bar{b}$ production



[JINST 3 (2008) S08005]

[IJMPA 30 (2015) 1530022]

- $b\bar{b}$ produced in forward/backward direction → Optimized acceptance $2 < \eta < 5$
- Huge production cross-sections in LHCb acceptance
 $1.4 \times 10^{11} b\bar{b}$ -pairs per fb^{-1} (Run 2)
- All beauty, charm and strange hadrons produced
 $B_s^0, \Lambda_b^0, B_c^+, D_s^+, \Lambda_c^+, \Sigma, \Xi, \dots$

$$\sqrt{s} = 7 \text{ TeV} \quad \sqrt{s} = 13 \text{ TeV}$$

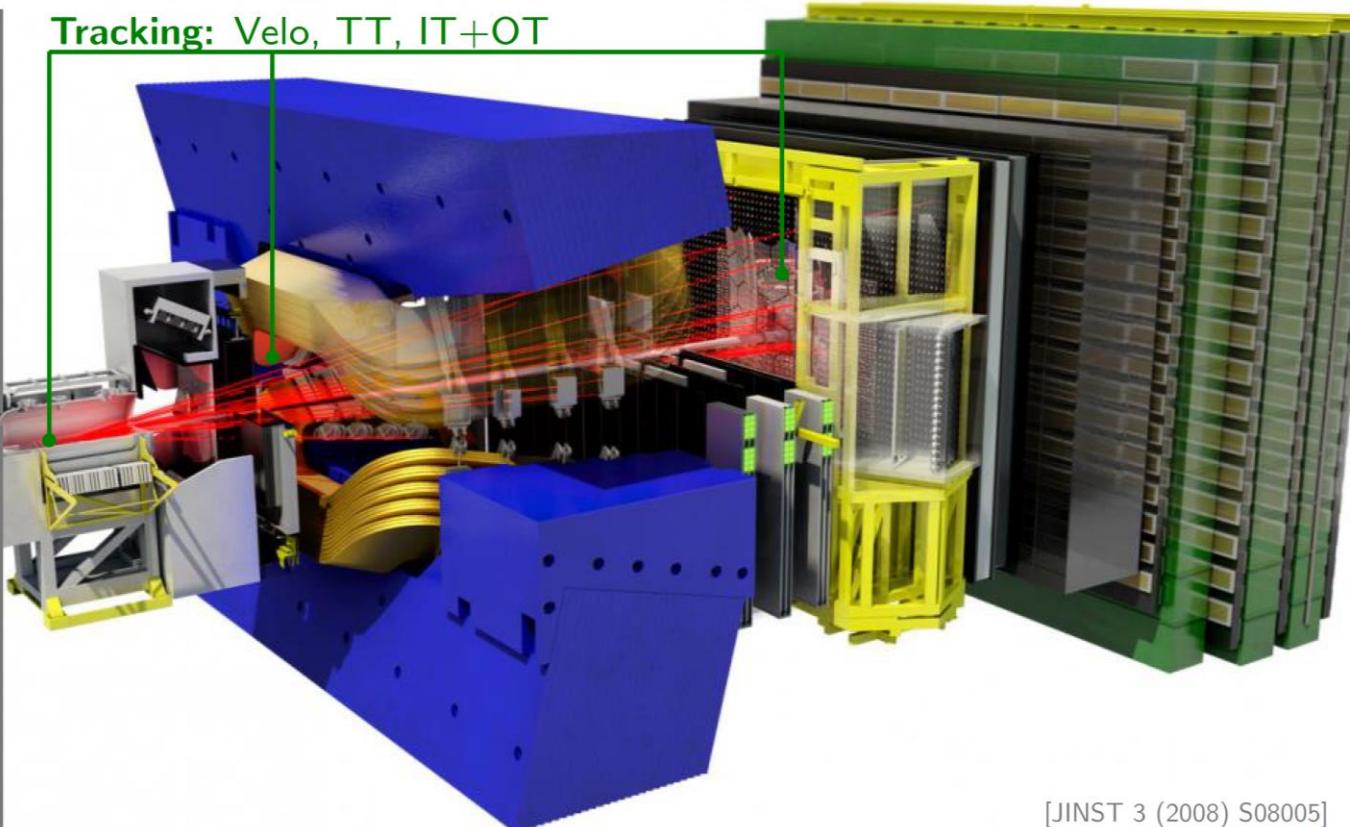
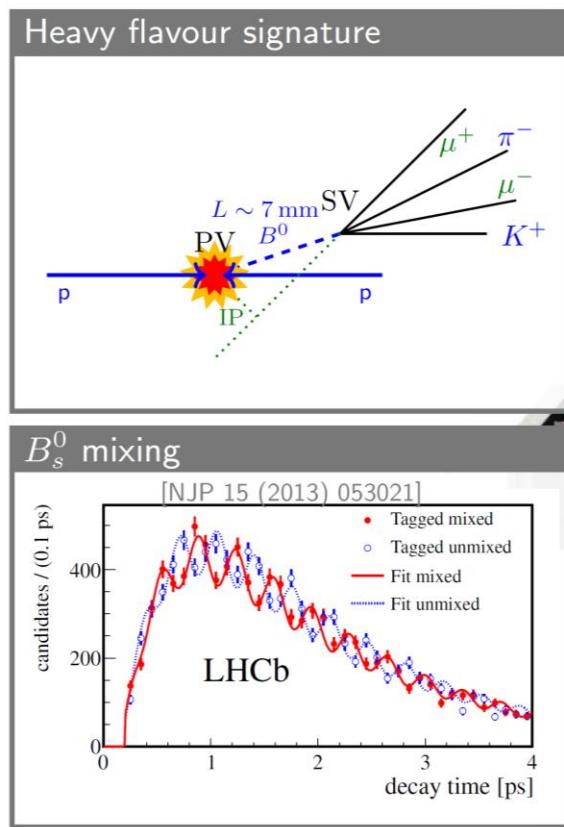
$$\sigma_{b\bar{b}}^{\text{acc.}} [\mu\text{b}] \quad 75.3 \pm 14.1 \quad 144 \pm 1 \pm 21$$

$$\sigma_{c\bar{c}}^{\text{acc.}} [\mu\text{b}] \quad 1419 \pm 134 \quad 2940 \pm 241$$

$$\text{Refs.} \quad \begin{array}{ll} [\text{PLB } 694:209 \text{ (2010)}] & [\text{PRL } 118 \text{ (2017) } 052002] \\ [\text{NPB } 871 \text{ (2013) } 1-20] & [\text{JHEP } 03 \text{ (2016) } 159] \end{array}$$



LHCb: Optimized for precision flavour measurements

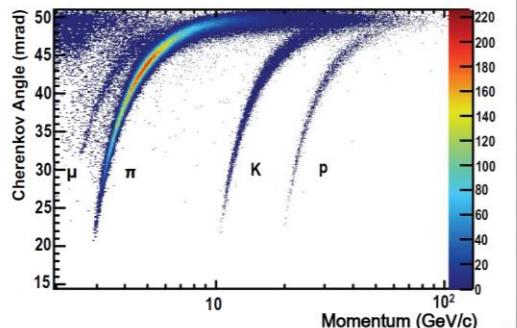


[JINST 3 (2008) S08005]
[IJMPA 30 (2015) 1530022]

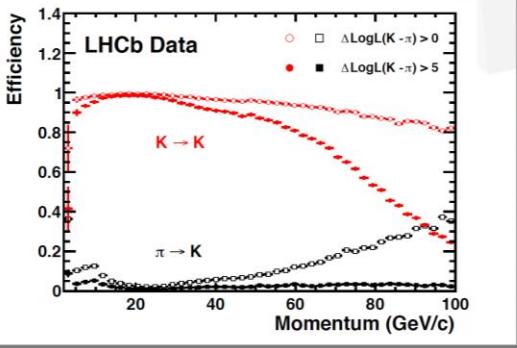
- Excellent IP resolution $\sim 20 \mu\text{m}$ to identify B decay vertices
- Decay time resolution $\sim 45 \text{ fs}$
- Resolutions $\sigma(p)/p = 0.5 - 1\%$, $\sigma(m) \sim 22 \text{ MeV}$ for two-body B -decays
 \rightarrow Low combinatorial backgrounds

LHCb: Optimized for precision flavour measurements

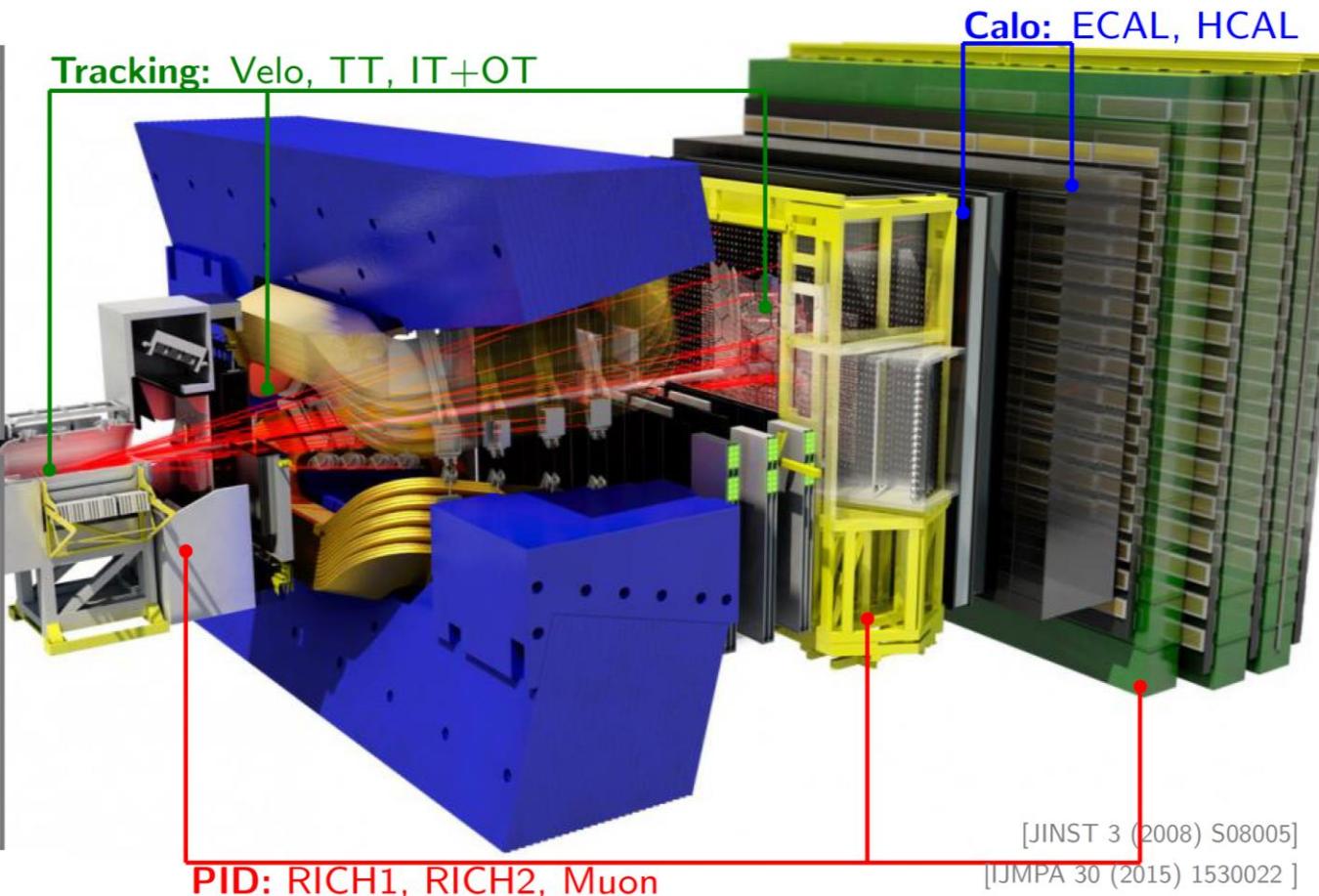
Cherenkov angle vs. momentum



K identification/ π misidentification

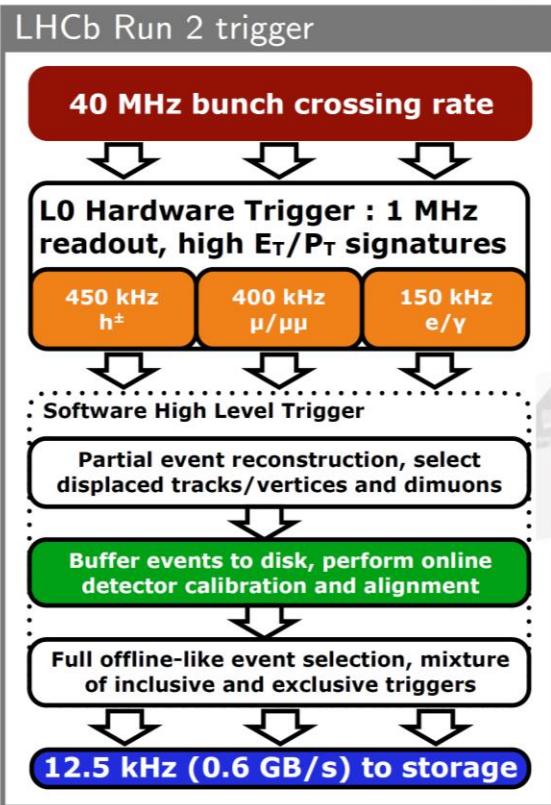


Tracking: Velo, TT, IT+OT

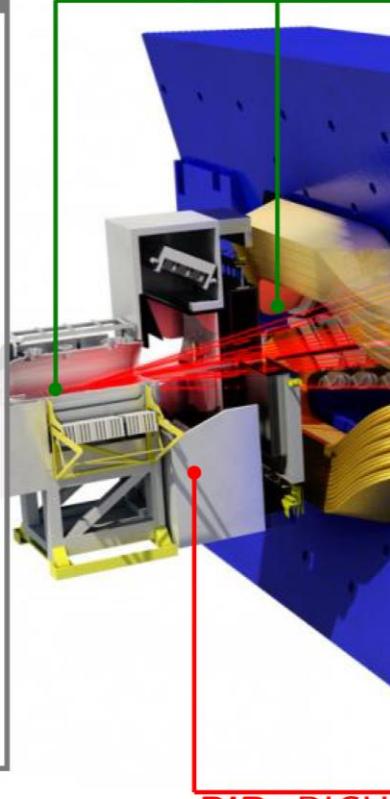


- Excellent particle identification through RICH detectors and muon system
- High identification efficiencies $\epsilon_{K \rightarrow K} \sim 95\%$, $\epsilon_{\mu \rightarrow \mu} \sim 97\%$
- Low misidentification probabilities $\epsilon_{\pi \rightarrow K} \sim 5\%$, $\epsilon_{\pi \rightarrow \mu} \sim 1 - 3\%$
→ Low backgrounds from misidentification

LHCb: Optimized for precision flavour measurements

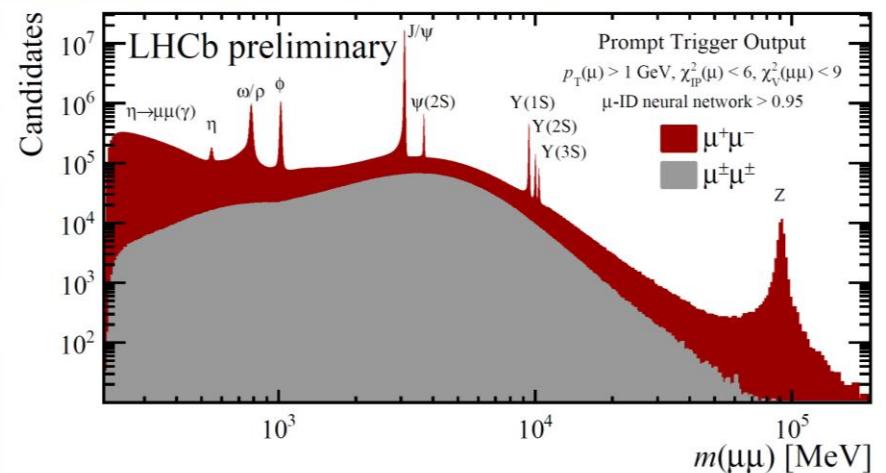


Tracking: Velo, TT, IT+OT



Calo: ECAL, HCAL

2016 μμ exotica line [PRL 120 (2018) 061801]



[JINST 3 (2008) S08005]

[IJMPA 30 (2015) 1530022]

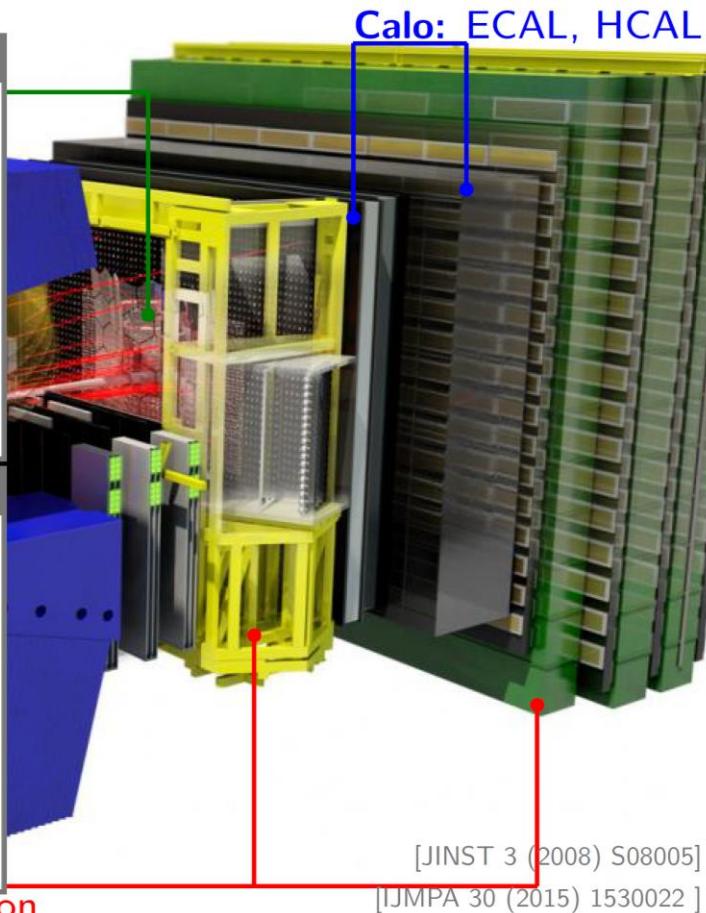
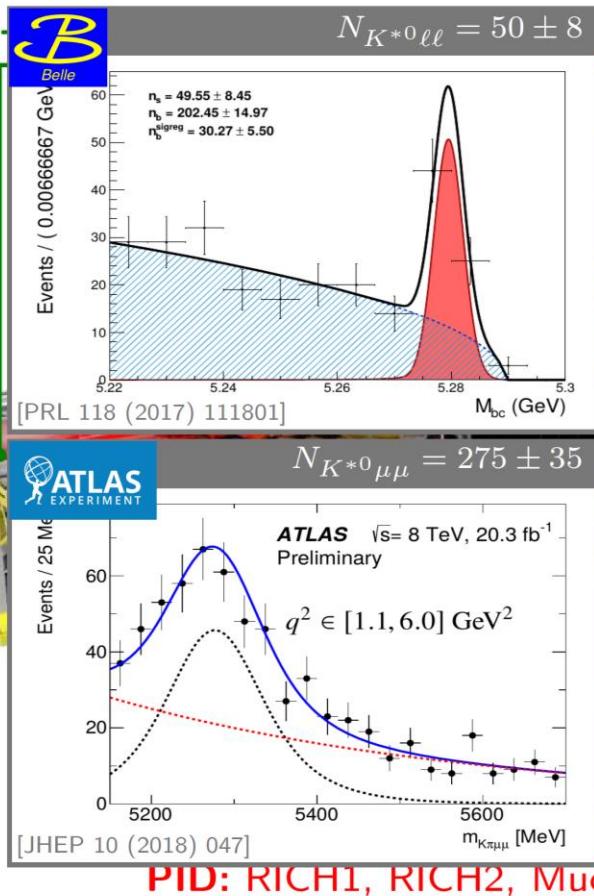
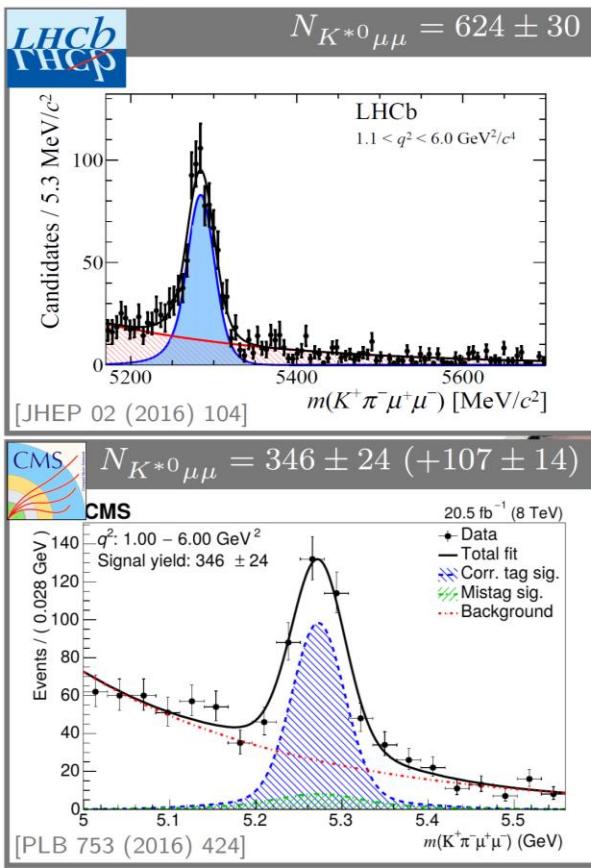
PID: RICH1, RICH2, Muon

- Flexible trigger system with low thresholds: $p_T(\mu) > 1.8 \text{ GeV}$, $E_T(e) > 3.0 \text{ GeV}$
- High efficiencies, e.g. $\epsilon_{\text{trigger}}(B \rightarrow J/\psi X) \sim 90\%$
- Since Run 2: Online calibration and alignment, allows use of PID in trigger
- Allows low p_T physics: charm, strange, exotica, ...

→ L0 HW trigger to be removed during LHC LS2



LHCb: Optimized for precision flavour measurements

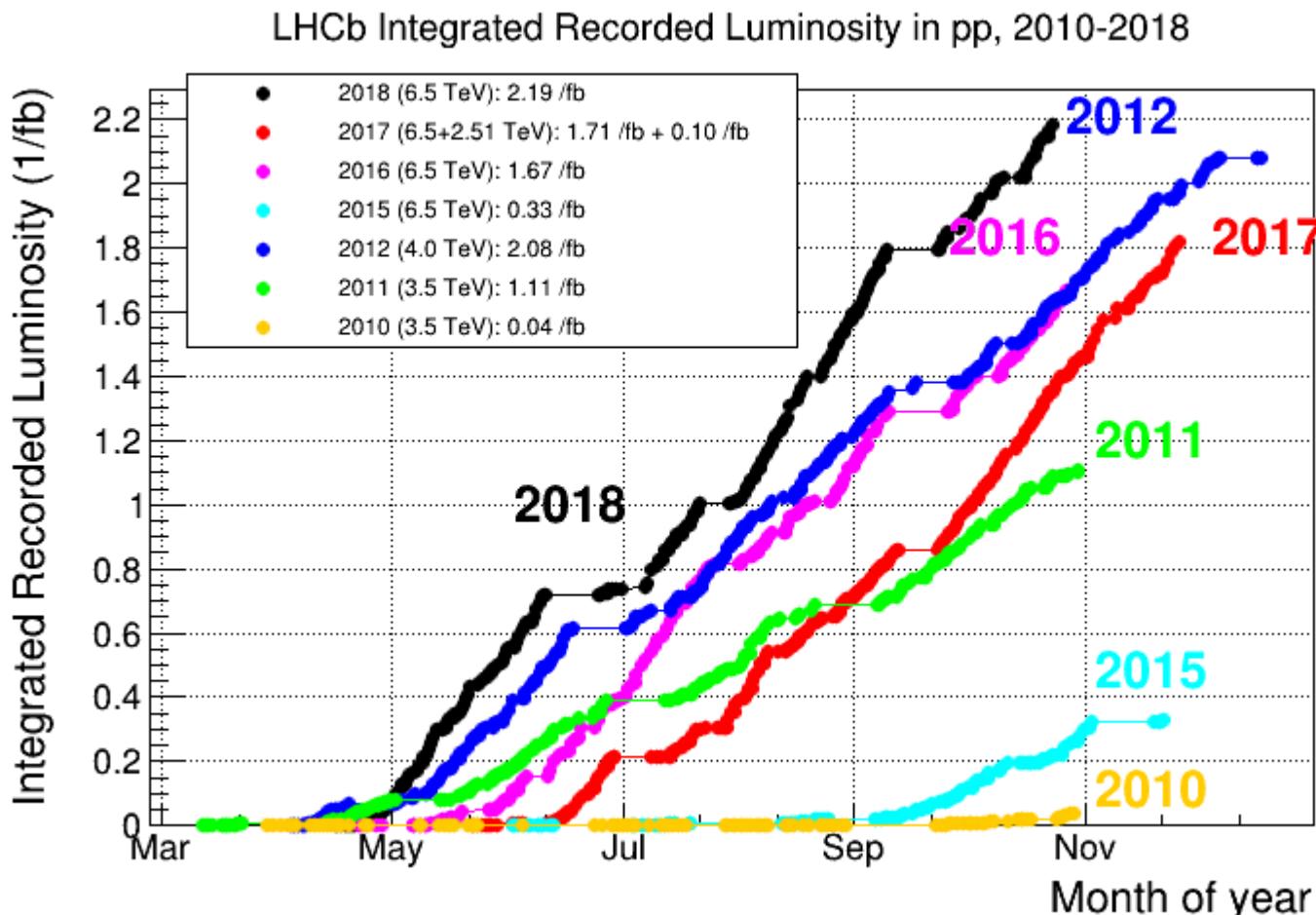


- Performance comparison using $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ Run 1 results as example
- LHCb compares very favourably
 - Largest yields ($b\bar{b}$ cross-section, large acceptance and high trigger efficiencies)
 - Excellent mass resolution and low combinatorial backgrounds
 - Negligible peaking backgrounds due to powerful particle identification



LHCb: so far accumulated statistics in LHC Run 1&2

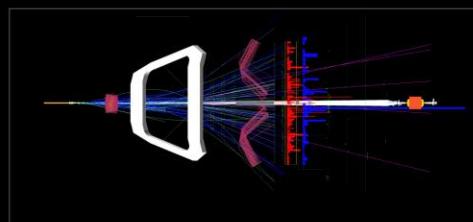
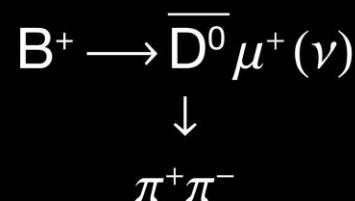
- Instantaneous luminosity was from 3.3 to $4.4 \times 10^{32} \text{ cm}^{-2} \cdot \text{s}^{-1}$
- the heavy-flavour cross-section is ~twice at 13 TeV compared to 7 TeV



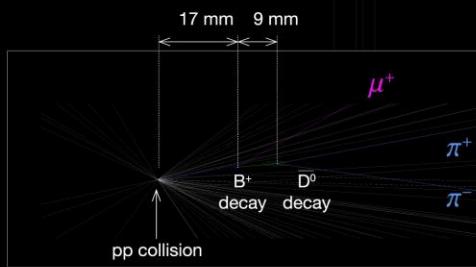
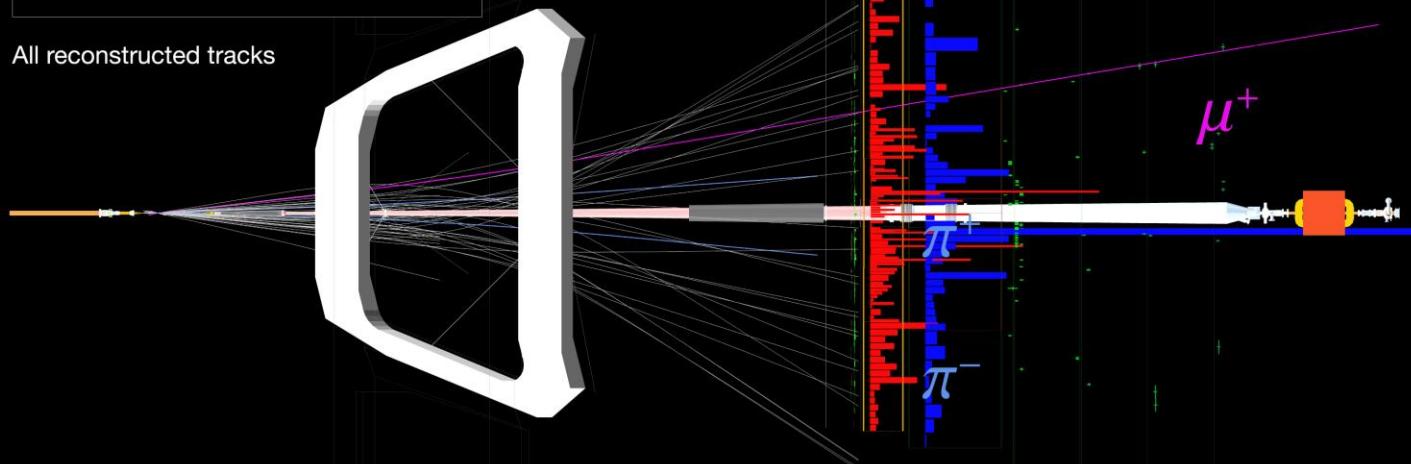
- Most published results use part of LHC Run 1 (<2013) + Run 2 (>2014) data
- Total number of b-hadrons is Run 1+Run 2 is about 5 times that of Run 1

LHCb: Optimized for precision flavour measurements

Very similar event display
as for $B \rightarrow D_{CP+} K$ events



All reconstructed tracks

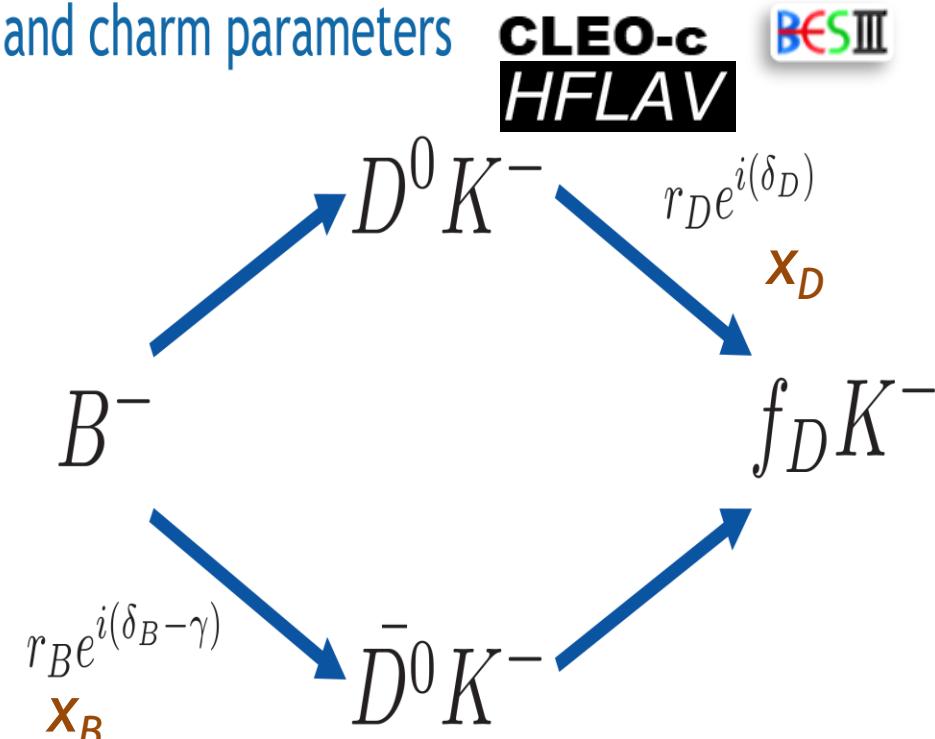


Only well reconstructed tracks with $p_T > 500$ MeV



Experimental aspects of γ measurements

- Theoretically straightforward, experimentally more challenging
 - Branching fractions ($\sim 10^{-7}$) and interference effects tend to be small ($\sim 10\%$)
 - Triggering on fully hadronic final states is not trivial (LHCb Trigger upgrade after LHCb LS2)
 - Many decay modes feature K_S^0 or π^0 mesons - lower efficiencies at LHCb
 - Statistically challenging - many decay modes, observables and hadronic parameters
 - External inputs required for several beauty and charm parameters
- The golden mode $B^- \rightarrow D K^-$
 - Sensitivity from interference of $b \rightarrow c$ and $b \rightarrow u$ amplitudes
 - Weak phase difference γ the same for all D meson decay final states



Measuring γ : several methods and approaches depending on the D meson decays

→ Time-integrated “well known” methods that need a lot of B mesons

→ counting direct CPV, $N(B)$ vs $N(\bar{B})$:

- GLW: D≡CP-eigenstate: many modes, but small asymmetry. PLB253(1991)483; PLB265(1991)172
- ADS: D≡Doubly-Cabibbo suppressed decays (DCS) $D^0 \rightarrow K^+ \pi^-$ OS to B^- decays: large asymmetry, but very few events. PRL78(1997)3257; PRD63(2001)036005
- GGSZ: D≡Dalitz: better than a mixture of ADS+GLW \Rightarrow large asymmetry in some regions, but strong phases varying other the Dalitz plane (model dep. vs indep.) PRL78(1997)3257; PRD68(2003)054018
- GLS (Grossman-Ligeti-Soffer): “Less well known” ADS variant D≡Singly-Cabibbo suppressed decays (SCSD) both OS and SS decays comparable in size \Rightarrow 4 amplitudes: 3-body $KK^0_S \pi$ dominated by coherent KK^* PRD-RC 67(2003)071301



→ Largest effects due to:

- Charm mixing
- Charm CPV

} Can't be ignored/neglected any more with improved sensitivity (especially for $D\pi$). Ways exist to account for it, when unfolding γ from modified observables (was PRD-RC72(2005)031501; PRD 67(2003)071301; PLB 649(2007)61; PRD82(2010)034033). A lot of papers + HFAG: PRD89(2014)014021; PRD 87 (2013)074002; EPJC73(2013)2476; PRD87(2013)034005; PRL 110(2013)061802 ...

→ Different B-decays (DK , D^*K , DK^* ...) \Rightarrow different hadronic nuisance factors (r_B , δ_B) for each

→ Many more modes explored at LHCb and B-factories (see next slide)



Measuring γ : some other methods/examples (non-exhaustive list)

- Many-body B final states:

- $B^+ \rightarrow D K^+ \pi^0$, $B^+ \rightarrow D K^+ \pi^+ \pi^-$, $B^0 \rightarrow D \pi^- K^+$, $D K_s \pi$
- $B_s \rightarrow D K^+ K^-$

Aleksan, Petersen, Soffer (02), Gershon (08), Gershon, Williams (09), Gershon, Poluektov (09, 10), Gronau, London (91), Gronau et al. (04, 07), London, Nandi (12)

- Use D^{*0} in addition to D^0 Bondar, Gershon (04)

- Use self tagging D^{0**} , D^{2*-} Sinha (04), Gershon (08)

- Use $D K^*$ & also $D K^*_{0,2}$ Wang (11)

- Other neutral B decays:

- time dependent CPV (i.e. tagging & vertexing) : $B_s (B_s) \rightarrow D_s^\mp K^\pm$ or $D_s^\mp K^\pm \pi \pi (\sin(2\beta_s + \gamma))$ or $B_d (B_d) \rightarrow D^{(*)\mp} \rho^\pm / \pi^\pm (\sin(2\beta + \gamma))$
- time-integrated, self-tag: $B_d \rightarrow D K^{*0}$

Aleksan, Dunietz, Kayser(92), Kayser, London (00), Atwood, Soni (03), Fleischer(03), Gronau et al. (04)

- Use beauty baryons: $\Lambda_b^0 \rightarrow D p K^-$

- Use other b-hadrons: $B_c^+ \rightarrow D_s^+ D$ & $B_s \rightarrow D^{(*)0} \phi$



Measuring γ : what LHCb actually has published

Latest update is [LHCb-CONF-2018-002](#) (ICHEP18) last was for [EPS 2017](#)

In Feb 2018 [Joint BESIII-LHCb workshop in IHEP](#)

| B decay | D decay | Method | Ref. | Dataset [†] | Status since last combination [3] |
|---|------------------------------------|------------|------|----------------------|-----------------------------------|
| $B^+ \rightarrow DK^+$ | $D \rightarrow h^+h^-$ | GLW | [14] | Run 1 & 2 | Minor update |
| $B^+ \rightarrow DK^+$ | $D \rightarrow h^+h^-$ | ADS | [15] | Run 1 | As before |
| $B^+ \rightarrow DK^+$ | $D \rightarrow h^+\pi^-\pi^+\pi^-$ | GLW/ADS | [15] | Run 1 | As before |
| $B^+ \rightarrow DK^+$ | $D \rightarrow h^+h^-\pi^0$ | GLW/ADS | [16] | Run 1 | As before |
| $B^+ \rightarrow DK^+$ | $D \rightarrow K_s^0 h^+h^-$ | GGSZ | [17] | Run 1 | As before |
| $B^+ \rightarrow DK^+$ | $D \rightarrow K_s^0 h^+h^-$ | GGSZ | [18] | Run 2 | New |
| $B^+ \rightarrow DK^+$ | $D \rightarrow K_s^0 K^+\pi^-$ | GLS | [19] | Run 1 | As before |
| $B^+ \rightarrow D^*K^+$ | $D \rightarrow h^+h^-$ | GLW | [14] | Run 1 & 2 | Minor update |
| $B^+ \rightarrow DK^{*+}$ | $D \rightarrow h^+h^-$ | GLW/ADS | [20] | Run 1 & 2 | Updated results |
| $B^+ \rightarrow DK^{*+}$ | $D \rightarrow h^+\pi^-\pi^+\pi^-$ | GLW/ADS | [20] | Run 1 & 2 | New |
| $B^+ \rightarrow DK^+\pi^+\pi^-$ | $D \rightarrow h^+h^-$ | GLW/ADS | [21] | Run 1 | As before |
| $B^0 \rightarrow DK^{*0}$ | $D \rightarrow K^+\pi^-$ | ADS | [22] | Run 1 | As before |
| $\rightarrow B^0 \rightarrow DK^+\pi^-$ | $D \rightarrow h^+h^-$ | GLW-Dalitz | [23] | Run 1 | As before |
| $B^0 \rightarrow DK^{*0}$ | $D \rightarrow K_s^0 \pi^+\pi^-$ | GGSZ | [24] | Run 1 | As before |
| $B_s^0 \rightarrow D_s^\mp K^\pm$ | $D_s^+ \rightarrow h^+h^-\pi^+$ | TD | [25] | Run 1 | Updated results |
| $B^0 \rightarrow D^\mp\pi^\pm$ | $D^+ \rightarrow K^+\pi^-\pi^+$ | TD | [26] | Run 1 | New |

98 observables,
40 free params.

- [15] PLB **760** (2016) 117
- [16] PRD **91** (2016) 112014
- [17] JHEP **10** (2014) 097
- [19] PLB **773** (2014) 36
- [20] JHEP **11** (2017) 156
- [21] PRD **92** (2015) 112005
- [22] PRD **90** (2014) 112002
- [23] PRD **93** (2016) 112018
- [24] JHEP **08** (2016) 137
- [25] JHEP **03** (2018) 059
- [26] LHCb-PAPER-2018-009

[†] Run 1 corresponds to an integrated luminosity of 3 fb^{-1} taken at centre-of-mass energies of 7 and 8 TeV. Run 2 corresponds to an integrated luminosity of 2 fb^{-1} taken at a centre-of-mass energy of 13 TeV.

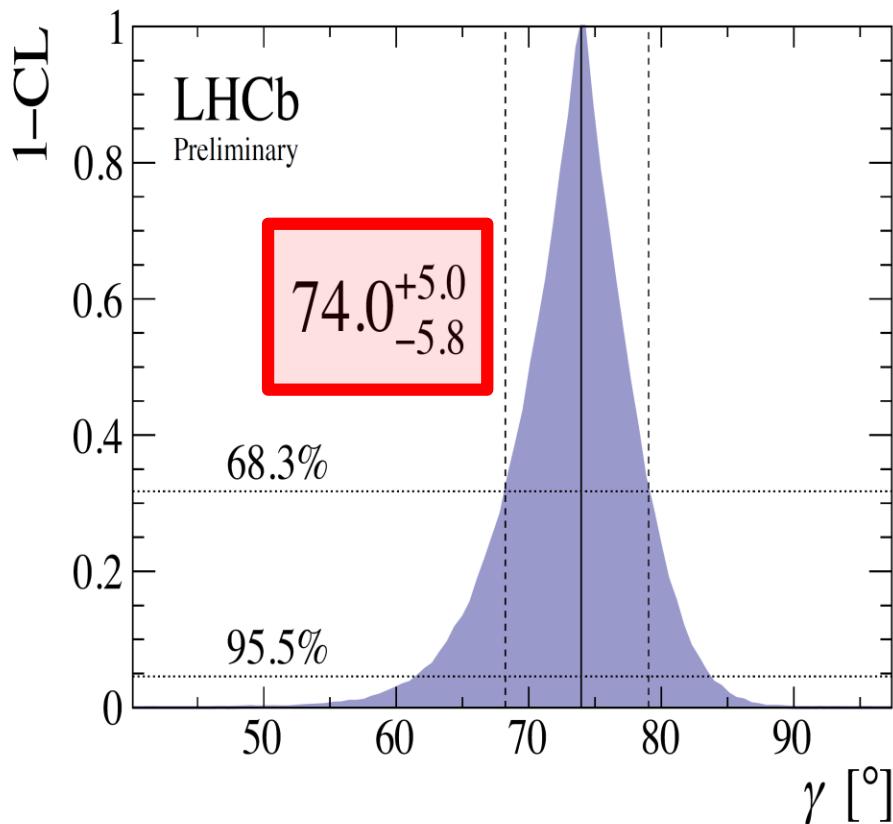
Most are Run1 based or partial Run2, many more to come soon.

Measuring γ : the latest LHCb average

Latest update is [LHCb-CONF-2018-002](#) (ICHEP18) last was for [EPS 2018](#)
In Feb 2018 [Joint BESIII-LHCb workshop in IHEP](#)

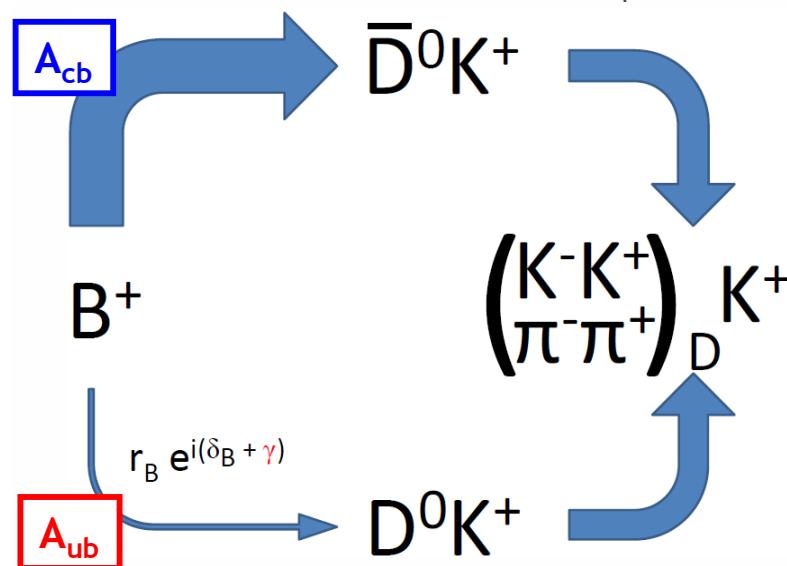
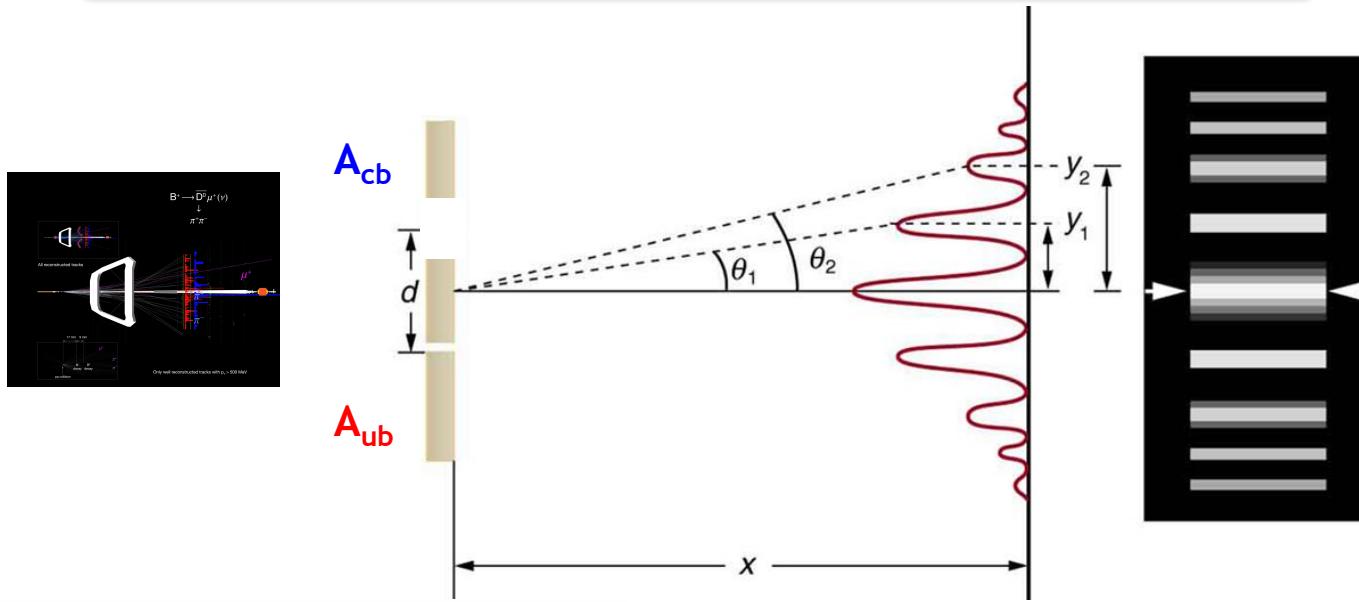
- We now have 98 observables and 40 free parameters

[LHCb-CONF-2018-002]



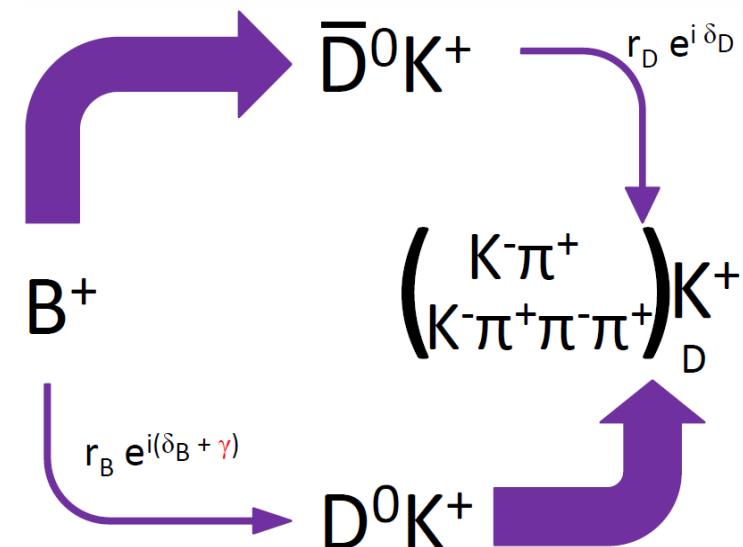
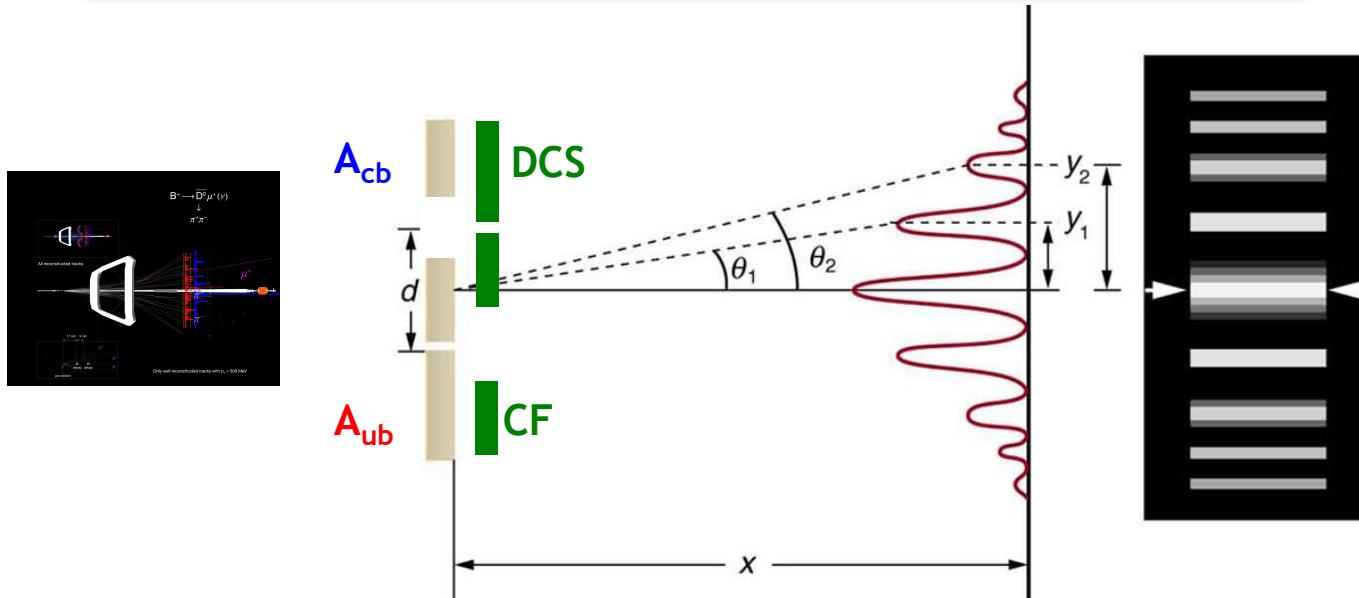
| Quantity | Value | 68.3% CL | 95.5% CL |
|--------------------------------|--------|------------------|------------------|
| γ [°] | 74.0 | [68.2, 79.0] | [61.6, 83.7] |
| r_B^{DK} | 0.0989 | [0.0939, 0.1040] | [0.0891, 0.1087] |
| δ_B^{DK} [°] | 131.2 | [125.3, 136.3] | [118.3, 140.9] |
| $r_B^{D^*K^+}$ | 0.191 | [0.153, 0.236] | [0.121, 0.287] |
| $\delta_B^{D^*K^+}$ [°] | 331.6 | [321.4, 339.8] | [309, 346] |
| $r_B^{DK^{*+}}$ | 0.092 | [0.059, 0.110] | [0.034, 0.126] |
| $\delta_B^{DK^{*+}}$ [°] | 40 | [20, 132] | [5, 155] |
| $r_B^{DK^{*0}}$ | 0.221 | [0.174, 0.265] | [0.123, 0.309] |
| $\delta_B^{DK^{*0}}$ [°] | 187 | [167, 210] | [148, 239] |
| $r_B^{DK\pi\pi}$ | 0.081 | [0.054, 0.106] | [0.000, 0.125] |
| $\delta_B^{DK\pi\pi}$ [°] | 351.4 | [314.0, 359.8] | [180, 360] |
| $r_B^{D_s^\mp K^\pm}$ | 0.301 | [0.215, 0.391] | [0.14, 0.49] |
| $\delta_B^{D_s^\mp K^\pm}$ [°] | 355 | [339, 372] | [321, 390] |
| $\delta_B^{D^\mp\pi^\pm}$ [°] | 17 | [0, 46] | [0, 76] |

Measuring γ : GLW D(*)K



One of the 2 Young's slit (i.e. the b to c)
is 10 times larger than the
other slit (i.e. the b to u)

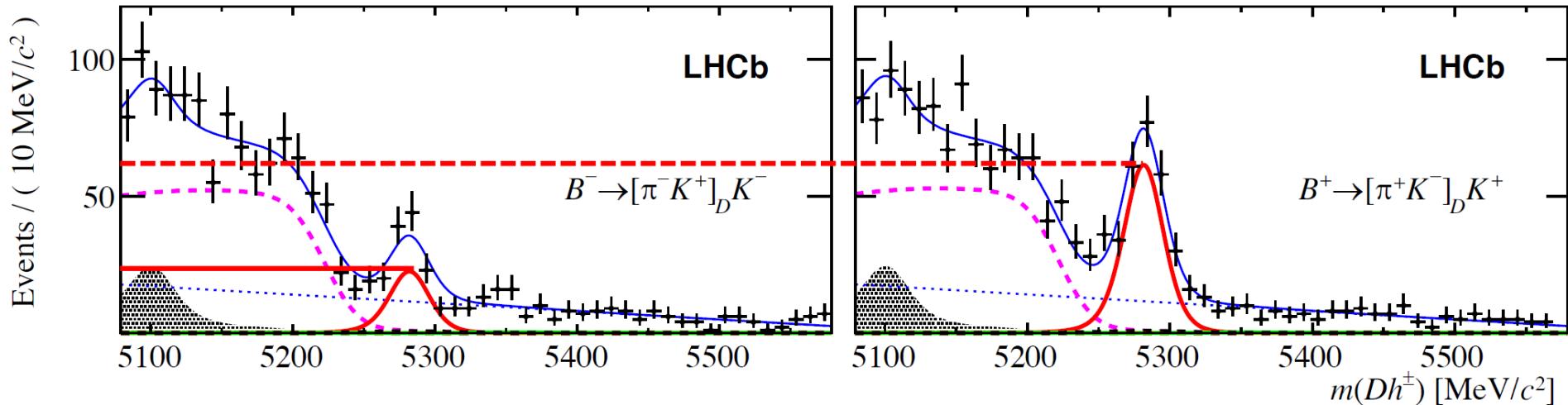
Measuring γ : ADS DK



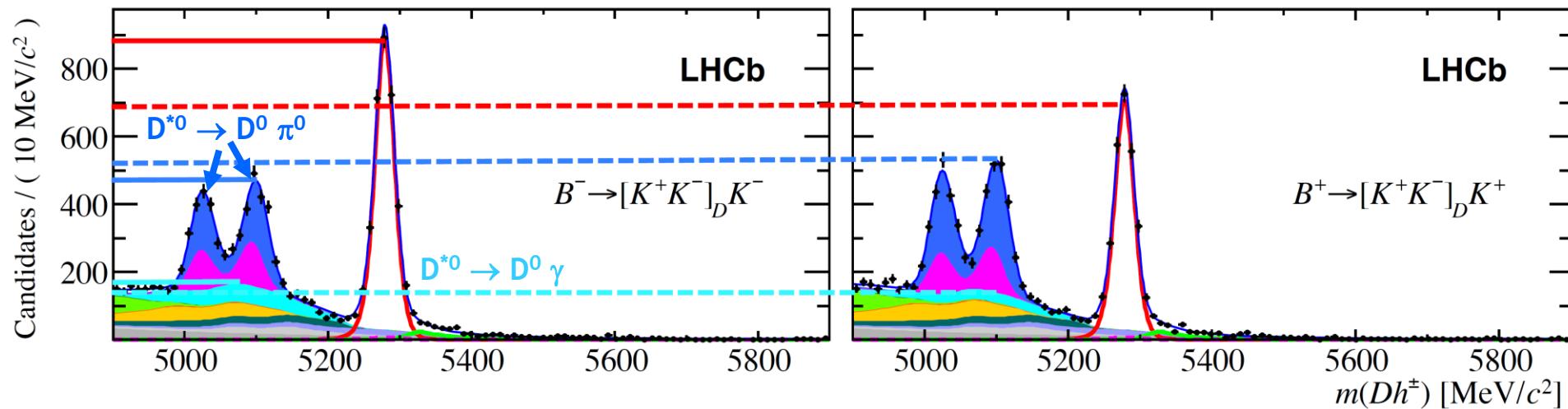
One of the 2 Young's slit (i.e. the b to c) is 10 times larger than the other slit (i.e. the b to u)
 But there is an other screen with a smaller slit behind the large in the first screen to compensate Doubly Cabibbo suppressed D decay (DCS)

Measuring γ : ADS DK & GLW D(*)K

ADS textbook like [arXiv:1603.08993] -40% asymmetry! (only Run1)

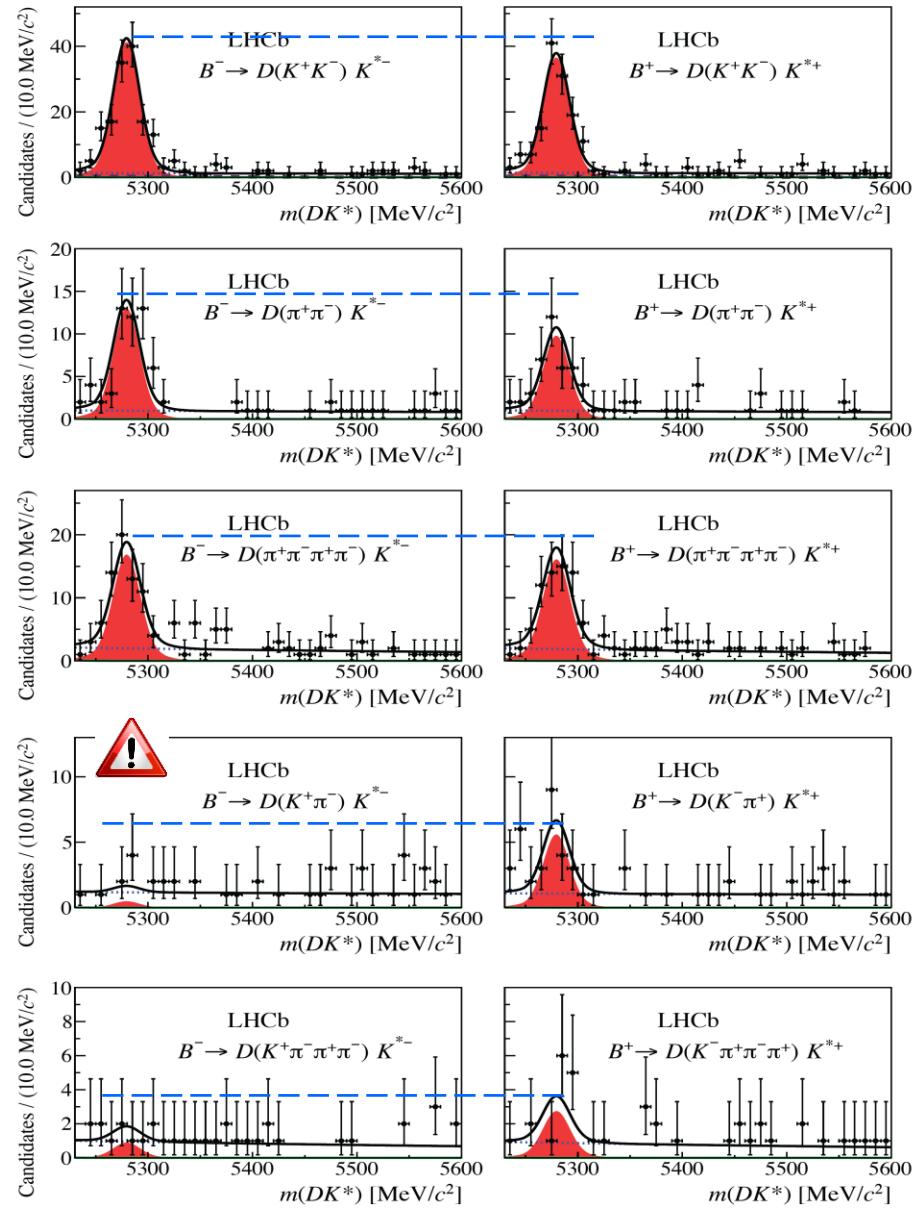
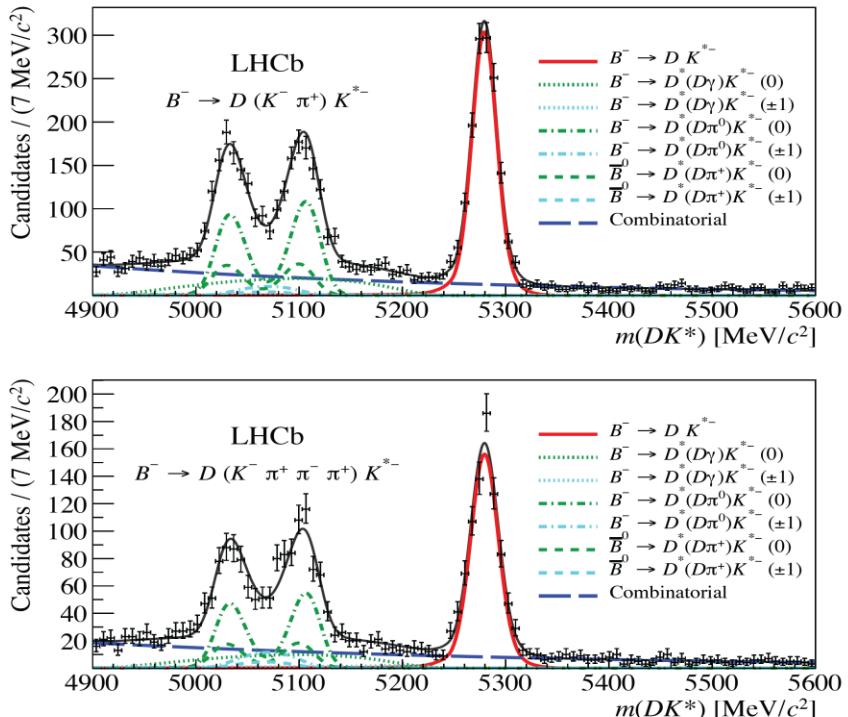


GLW DK and partial D*K [arXiv:1708.06370] (Run1& “Run2”)



Measuring γ : ADS/GLW DK*-

A fit to the favoured decays
in an extended range fixes
signal and background models.



Simultaneous fit to 56 subsamples:
yields of favoured modes and
 CP observables.

JHEP 11(2017) 156
(Run1& “Run2”)

K*⁻ in $K_s \pi^-$ and $K \pi^0$ is underway

Measuring γ : ADS/GLW DK*-

$$A_{CP+} = 0.08 \pm 0.06 \pm 0.01$$

$$R_{CP+} = 1.18 \pm 0.08 \pm 0.01$$

$$R_{ADS}^{K\pi} = 0.011 \pm 0.004 \pm 0.001$$

$$A_{ADS}^{K\pi} = -0.81 \pm 0.17 \pm 0.04$$

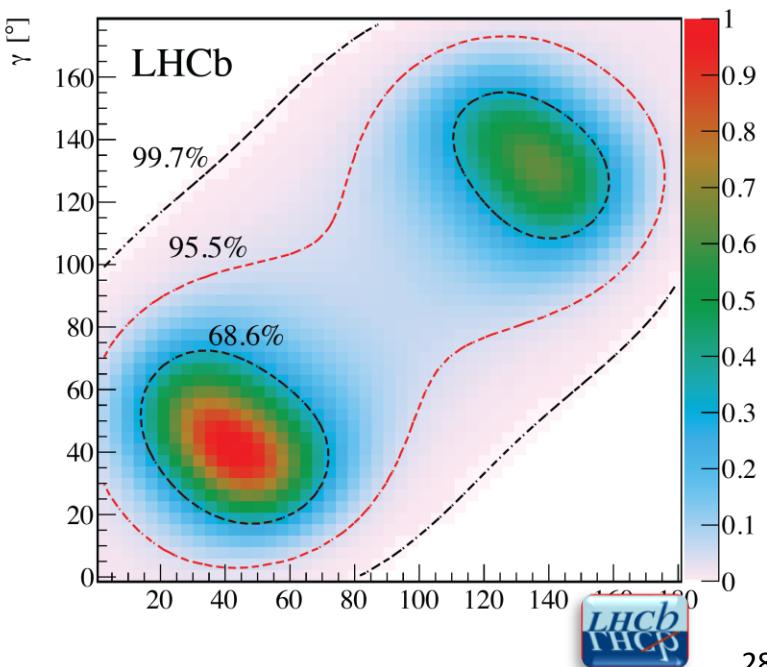
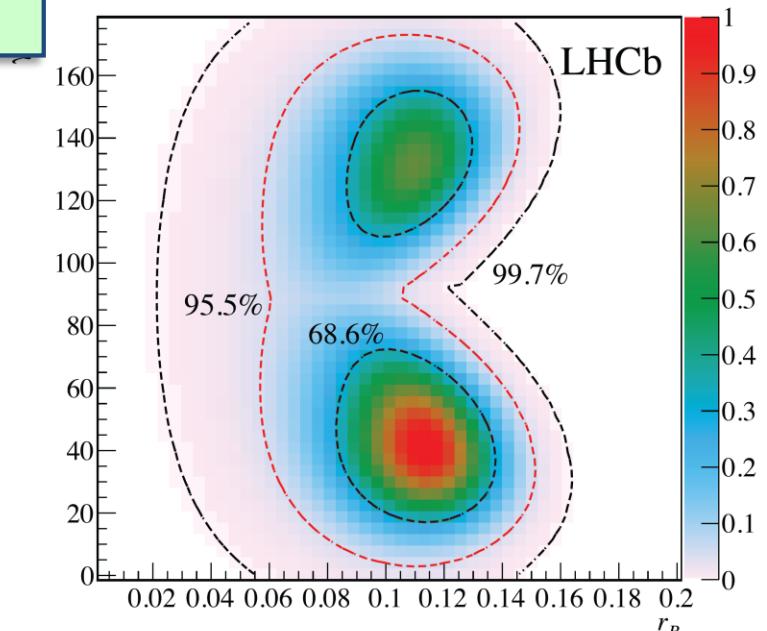
Huge asymmetry in ADS

$$A_{ADS}^{K\pi\pi\pi} = -0.45 \pm 0.21 \pm 0.14$$

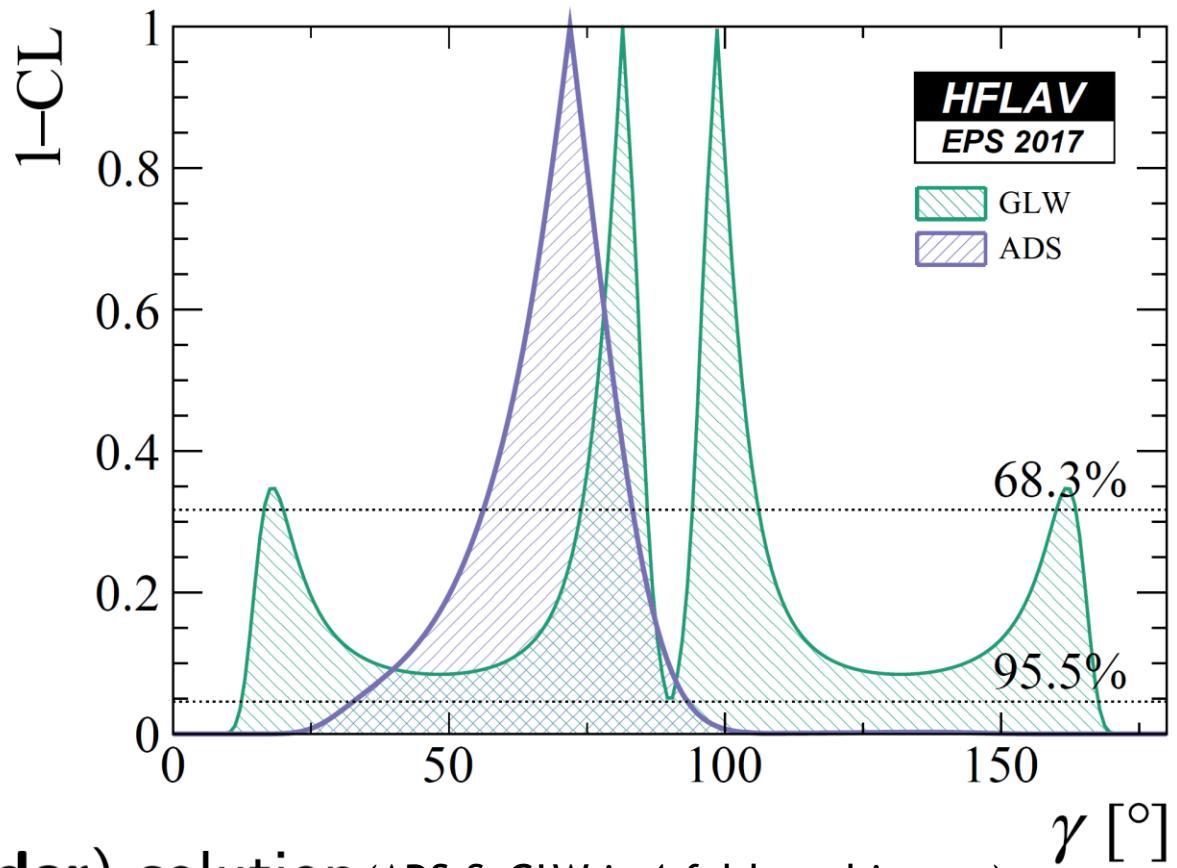
$$R_{ADS}^{K\pi\pi\pi} = 0.011 \pm 0.005 \pm 0.003$$

Values are inputs to the
 γ combination

(Run1& “Run2”)



Measuring γ : ADS DK and GLW D(*)K



- ▶ A single (**yet broader**) solution (ADS & GLW is 4-folds ambiguous)
- ▶ Require knowledge of r_D , δ_D , κ_D from charm friends

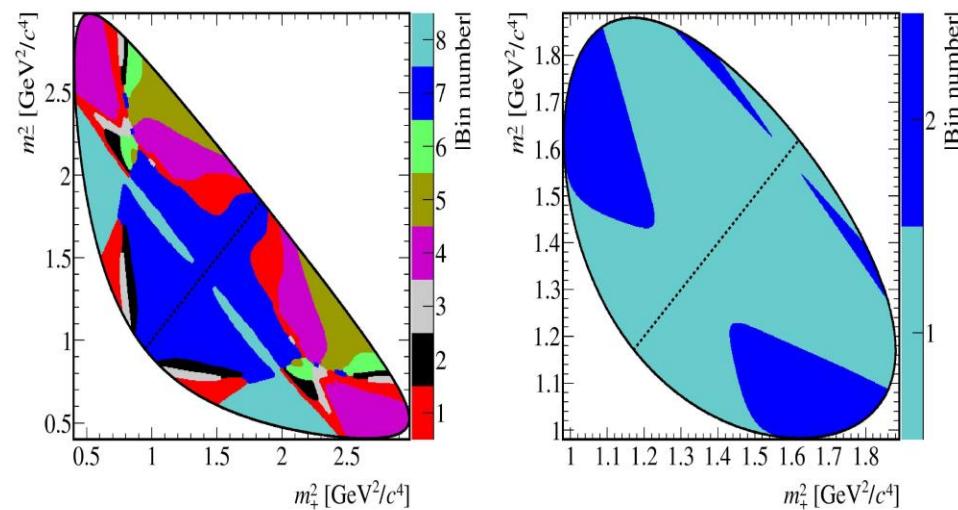
CLEO-c
BES III
HFLAV



The most precise measurement of γ : GGSZ DK and $D \rightarrow K_S \pi\pi$ & $K_S K K$ Model Independent Method (MIM)

- GGSZ method for 3 body decays like $D \rightarrow K_S^0 \pi^+ \pi^-$ [Phys. Rev. D68 (2003) 054018]
 - Strong phase variation across the D Dalitz plot required as an input
 - Model independent - take inputs from quantum correlated $D^0 \bar{D}^0$ decays (CLEO-c)
 - Model dependent - perform an amplitude analysis to the D Dalitz plot
- LHCb Run II analysis with $B^- \rightarrow D(K_S^0 \pi^+ \pi^-, K_S^0 K^+ K^-) K^-$
 - New analysis with Run II data
 - Take strong phase information from CLEO-c in bins of the D Dalitz plot
 - Bins optimised for best sensitivity to γ , strong phase is ~constant across each bin

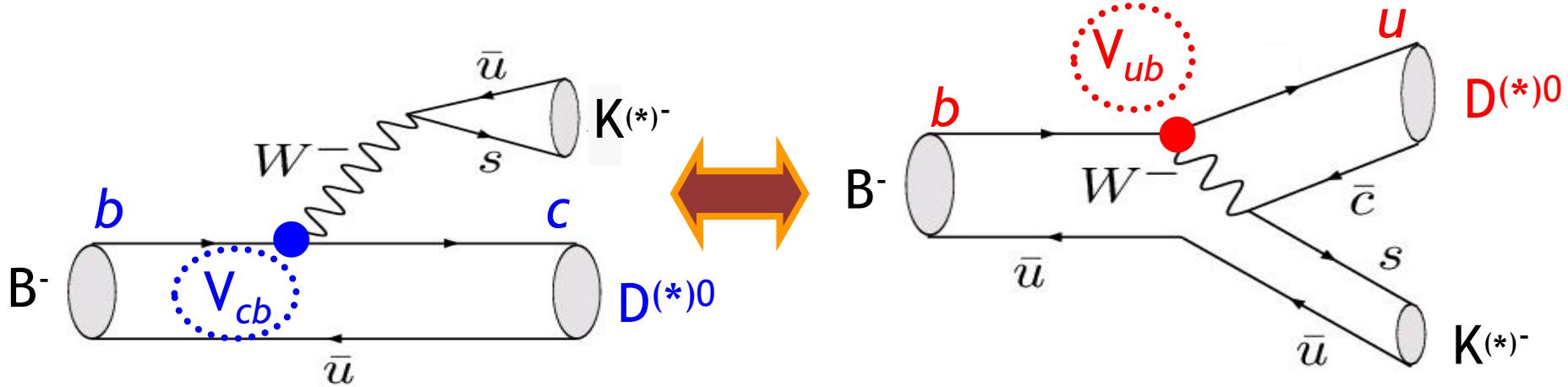
[LHCb-PAPER-2018-017]



- $B \rightarrow D^{*\pm} \mu^\mp \nu_\mu X$, $B^\pm \rightarrow D \pi^\pm$: control channels

γ in $B^- \rightarrow \tilde{D}^{(*)0} K^{(*)-}$

Same final state $\tilde{D}^0 \equiv [D^0 / D^0]$



$$\gamma \equiv \arg \left[-\frac{V_{ud} V_{ub}^*}{V_{cd} V_{cb}^*} \right]$$

How does this GGSZ MIM work ?

- The amplitude for $B^- \rightarrow [K_S^0 h^+ h^-]_D K^-$:

$$A_{B^-} \propto A_D(m_-^2, m_+^2) + r_B e^{i(\delta_B - \gamma)} A_{\bar{D}}(m_-^2, m_+^2)$$

- The Dalitz plot density :

$$\frac{d\Gamma}{dm_-^2 dm_+^2} = A_D^2(m_-^2, m_+^2) + r_B^2 A_{\bar{D}}^2(m_+^2, m_-^2) +$$

$2r_B \operatorname{Re}[A_D(m_-^2, m_+^2) A_D^*(m_+^2, m_-^2)] e^{-i(\delta_B - \gamma)}$

symmetric w.r.t
 $m_+ = m_-$,
 $m_\pm \equiv m(K_S^0 h^\pm)$

- Measure the yields in each of the bins of the Dalitz plot

[LHCb-PAPER-2018-017]

$$N_{\pm i}^+ = h_{B^+} (F_{\mp i} + (x_+^2 + y_+^2) F_{\pm i} + 2\sqrt{F_i F_{-i}} (x_+ c_{\pm i} + y_+ s_{\pm i}))$$

$$N_{\pm i}^- = h_{B^-} (F_{\pm i} + (x_-^2 + y_-^2) F_{\mp i} + 2\sqrt{F_i F_{-i}} (x_- c_{\pm i} + y_- s_{\pm i}))$$

- Fraction of D^0 and \bar{D}^0 in each bin (from semileptonic control sample)
- Strong phase measurements from CLEO-c measurements of QC $D^0 \bar{D}^0$ decays
- The parameters of interest!

$$x_\pm = r_B \cos(\delta_B \pm \gamma) \quad y_\pm = r_B \sin(\delta_B \pm \gamma)$$

Ratio of B decay amplitudes

Strong phase difference of B decay amplitudes



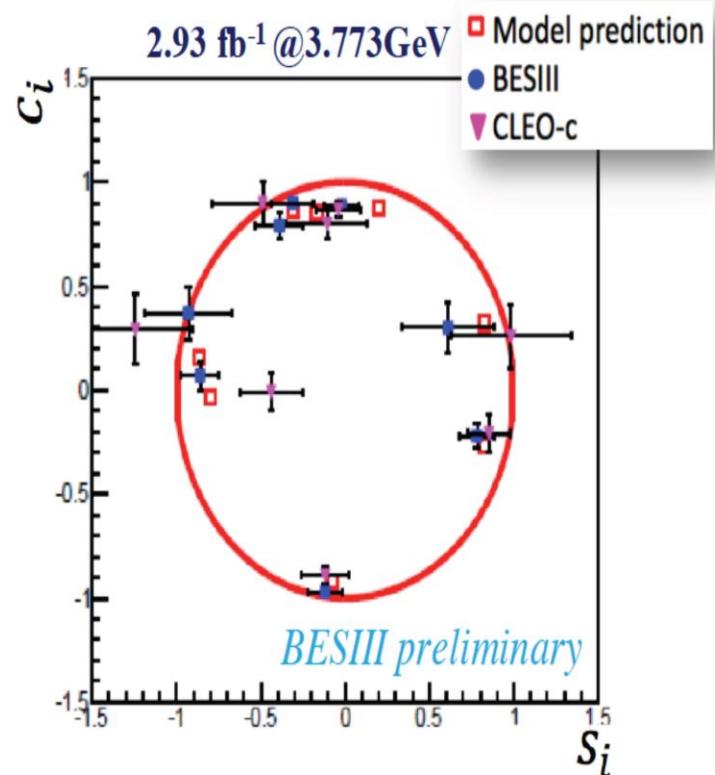
Eagerly waiting for this to be combined/deployed !
 We need BESIII for this and other D decays strong inputs

- $D^0 \rightarrow K_S \pi^+ \pi^-$ strong phase differences c_i and s_i



| Bins | c_i | | s_i | |
|------|--------------------|--------------------|--------------------|--------------------|
| | BES-III | CLEO-c | BES-III | CLEO-c |
| 1 | 0.066 ± 0.066 | -0.009 ± 0.088 | -0.843 ± 0.119 | -0.438 ± 0.184 |
| 2 | 0.796 ± 0.061 | 0.900 ± 0.106 | -0.357 ± 0.148 | -0.490 ± 0.295 |
| 3 | 0.361 ± 0.125 | 0.292 ± 0.168 | -0.962 ± 0.258 | -1.243 ± 0.341 |
| 4 | -0.985 ± 0.017 | -0.890 ± 0.041 | -0.090 ± 0.093 | -0.119 ± 0.141 |
| 5 | -0.278 ± 0.056 | -0.208 ± 0.085 | 0.778 ± 0.092 | 0.853 ± 0.123 |
| 6 | 0.267 ± 0.119 | 0.258 ± 0.155 | 0.635 ± 0.293 | 0.984 ± 0.357 |
| 7 | 0.902 ± 0.017 | 0.869 ± 0.034 | -0.018 ± 0.103 | -0.041 ± 0.132 |
| 8 | 0.888 ± 0.036 | 0.798 ± 0.070 | -0.301 ± 0.140 | -0.107 ± 0.240 |

CLEO-c results can be found in Phys.Rev. D82 (2010) 112006



This (CLEO-c) limits the systematics on γ GGSZ:
 4° (strong phase map) wrt to 2° (LHCb exp.)

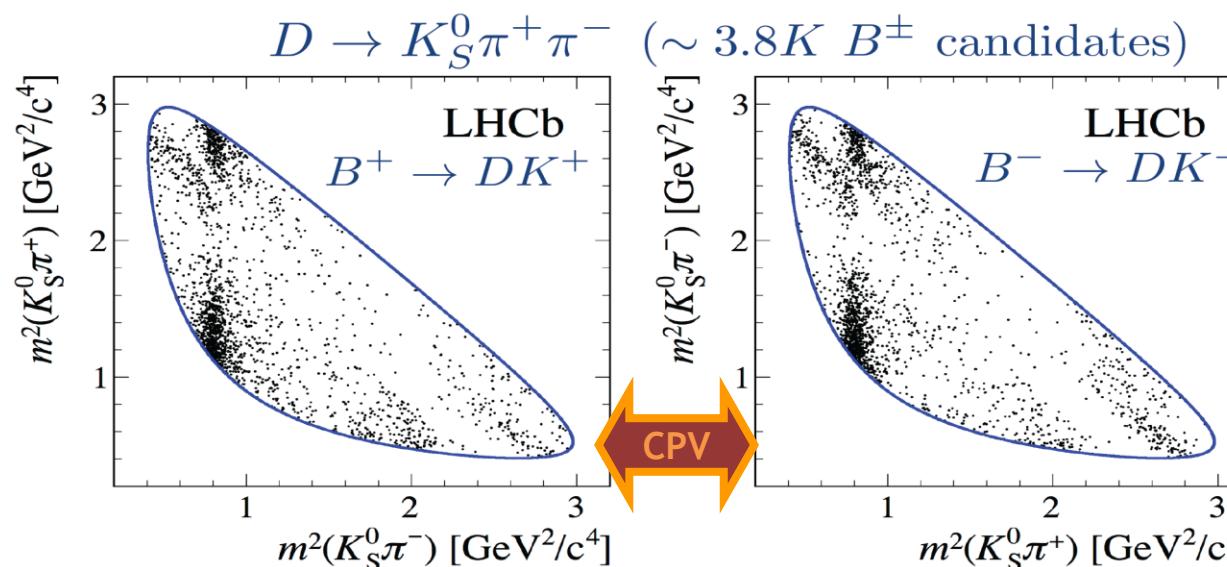
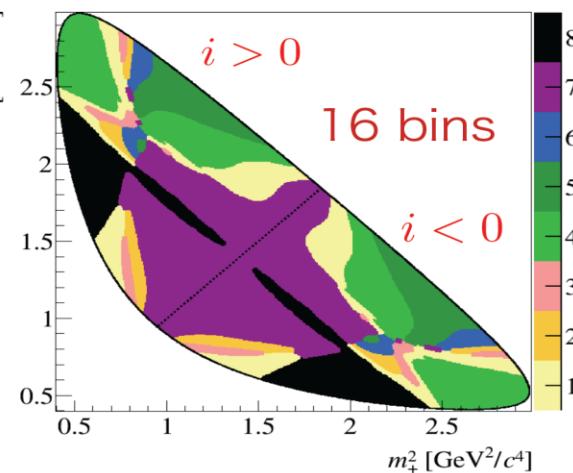
2° achievable, see arXiv:1712.07853

(Craik, Gershon, Poluektov: $B^0 \rightarrow D K^+ \pi^-$, $D \rightarrow K_0 S \pi^+ \pi^-$ double Dalitz plot analysis)

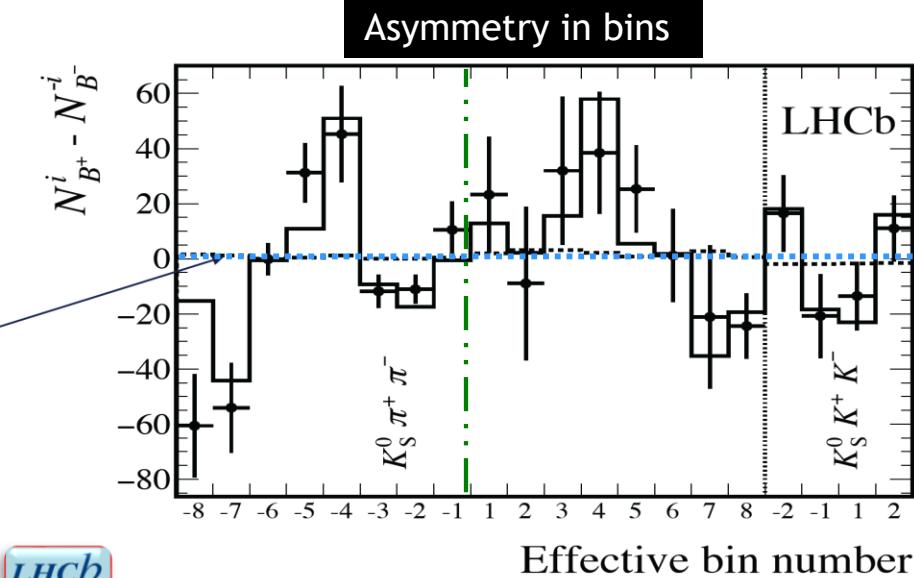


Following the B-mass fits perform the CP fit for Extract yields in each bin of the Dalitz plot

("Run2")



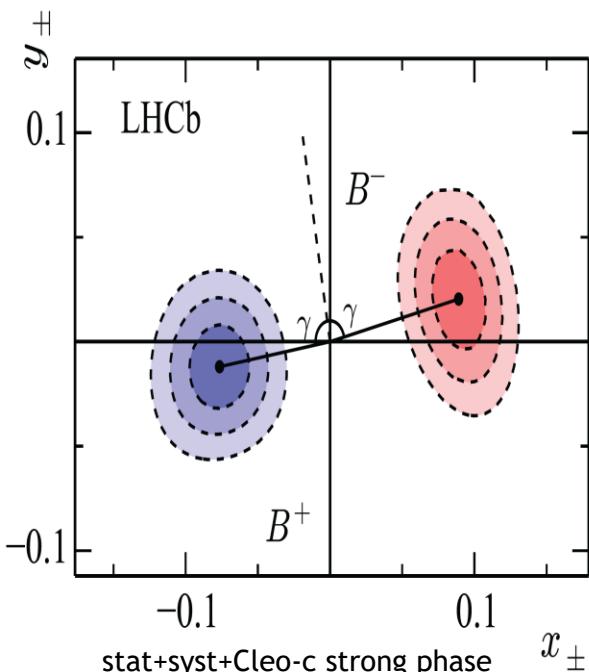
- $B^\pm \rightarrow DK^\pm$ yields determined independently as a cross-check, and compared to the nominal fit
- data fitted assuming no CPV
 $x_+ = x_- \equiv x_0, \quad y_+ = y_- \equiv y_0$
- p-value of 2×10^{-6} disfavours CP-conserving hypothesis



GGSZ MIM Run2 &1+2

- Following the mass fits perform the CP fit for x_{\pm}, y_{\pm}

[LHCb-PAPER-2018-017]



$$x_- = (-9.0 \pm 1.7 \pm 0.7 \pm 0.4) \times 10^{-2}$$

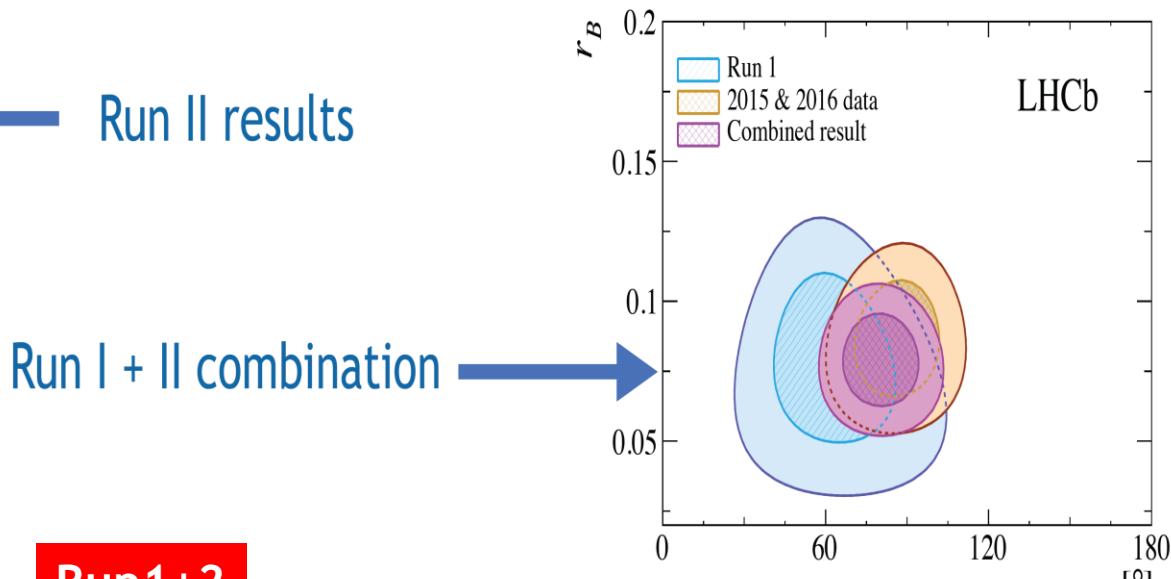
$$y_- = (-2.1 \pm 2.2 \pm 0.5 \pm 1.1) \times 10^{-2}$$

$$x_+ = (-7.7 \pm 1.9 \pm 0.7 \pm 0.4) \times 10^{-2}$$

$$y_+ = (-1.0 \pm 1.9 \pm 0.4 \pm 0.9) \times 10^{-2}$$

$$|(x_+, y_+) - (x_-, y_-)| = (17.0 \pm 2.7) \times 10^{-2}$$

6.4 σ : first observation of CPV in $B^{\pm} \rightarrow DK^{\pm}$ with $D^0 \rightarrow K_S^0 h^+ h^-$



Run 1+2

$$\gamma = 80^{\circ} {}^{+10^{\circ}} {}_{-9^{\circ}} \left({}^{+19^{\circ}} {}_{-18^{\circ}} \right)$$

$$r_B = 0.080 {}^{+0.011} {}_{-0.011} \left({}^{+0.022} {}_{-0.023} \right)$$

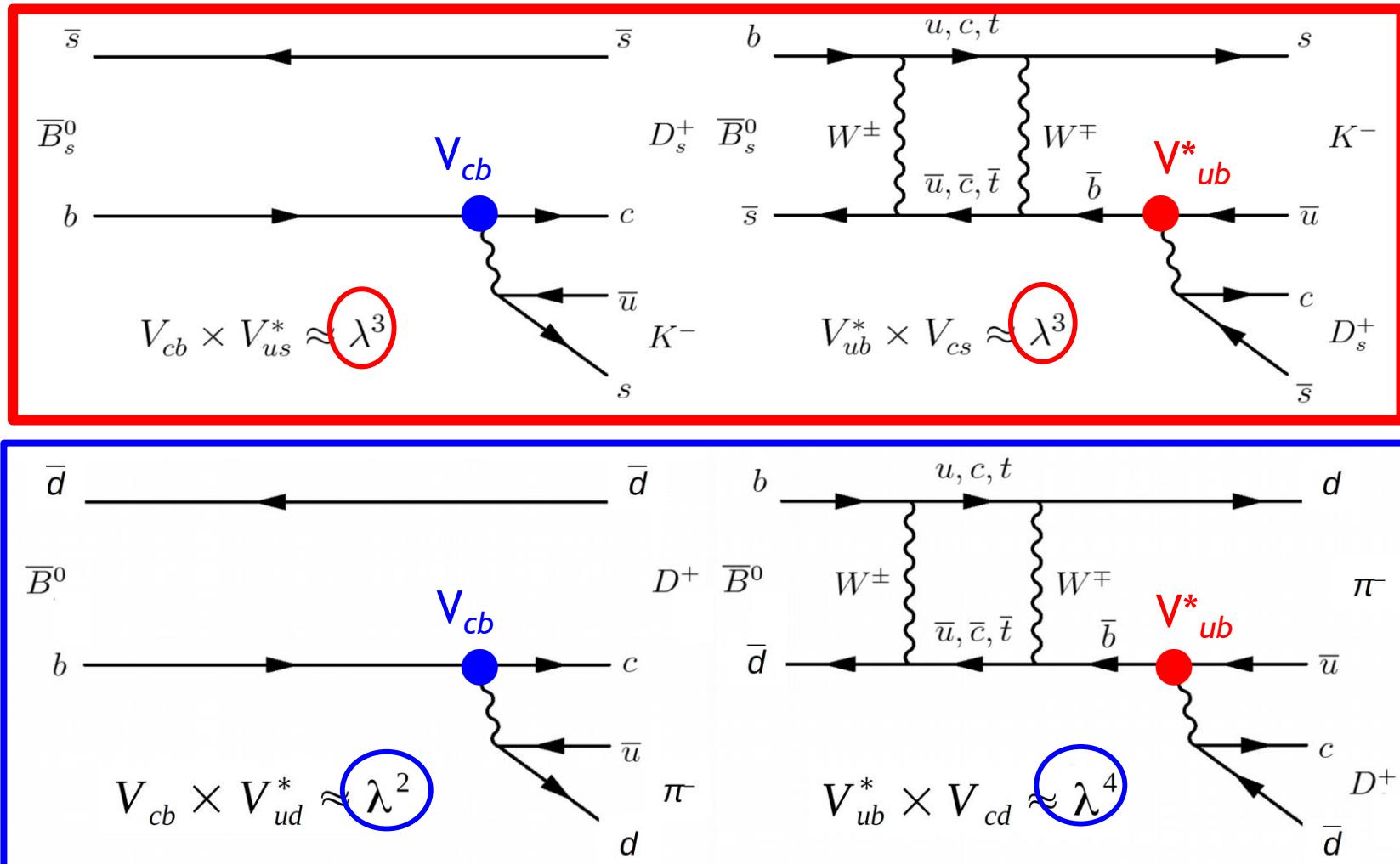
$$\delta_B = 110^{\circ} {}^{+10^{\circ}} {}_{-10^{\circ}} \left({}^{+19^{\circ}} {}_{-20^{\circ}} \right)$$

68, 95% CL



Time dependent CPV measurements

$B_s \rightarrow D_s^\mp K^\pm$ & $B_d \rightarrow D^\mp \pi^\pm$



→ Sensitive to $\gamma - 2\beta_s$ ($B_s \rightarrow D_s K$) or $\gamma + 2\beta$ ($B^0 \rightarrow D \pi$), i.e. not Trees !!!!
Know $\beta_{(s)}$ independently → sensitivity to γ [or vice versa]

Time dependent CPV measurements

$B_s \rightarrow D_s^\mp K^\pm$ & $B_d \rightarrow D^\mp \pi^\pm$

PROS & CONS

$B_s \rightarrow D_s K$ (LHCb golden mode:
vertexing/PID/trigger)

- Smaller yields
 - background challenges
 - control samples available
- Fast oscillations
- Non-zero $\Delta\Gamma$ s
 - extra observables
- Large interference effects

$B^0 \rightarrow D\pi$ (challenging but
excellent LHCb sensitivity)

- Huge yields
 - little background
 - control sample challenges
- Slow oscillations
- Negligible $\Delta\Gamma$ d
 - fewer observables
- Small interference effects

(Run1)

TD CPV $B_s \rightarrow D_s^\mp K^\pm$

$$\frac{d\Gamma_{B_s^0 \rightarrow f}(t)}{dt} = \frac{1}{2} |A_f|^2 (1 + |\lambda_f|^2) e^{-\Gamma_s t} \left[\cosh\left(\frac{\Delta\Gamma_s t}{2}\right) + \underline{A_f^{\Delta\Gamma}} \sinh\left(\frac{\Delta\Gamma_s t}{2}\right) \right. \\ \left. + \underline{C_f} \cos(\Delta m_s t) - \underline{S_f} \sin(\Delta m_s t) \right],$$

$$\frac{d\Gamma_{\bar{B}_s^0 \rightarrow f}(t)}{dt} = \frac{1}{2} |A_f|^2 \left| \frac{p}{q} \right|^2 (1 + |\lambda_f|^2) e^{-\Gamma_s t} \left[\cosh\left(\frac{\Delta\Gamma_s t}{2}\right) + \underline{A_f^{\Delta\Gamma}} \sinh\left(\frac{\Delta\Gamma_s t}{2}\right) \right. \\ \left. - \underline{C_f} \cos(\Delta m_s t) + \underline{S_f} \sin(\Delta m_s t) \right],$$

Five observables
for three unknowns
→ measure $\gamma - 2\beta_s$
(up to ambiguity)

... and similar equations for \bar{f} (e.g. $f = D_s^- K^+$, $\bar{f} = D_s^+ K^-$)

$$C_f = \frac{1 - r_{D_s K}^2}{1 + r_{D_s K}^2},$$

Also determine strong
phase difference δ

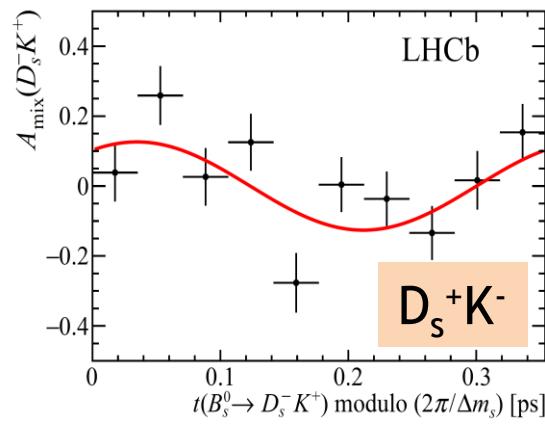
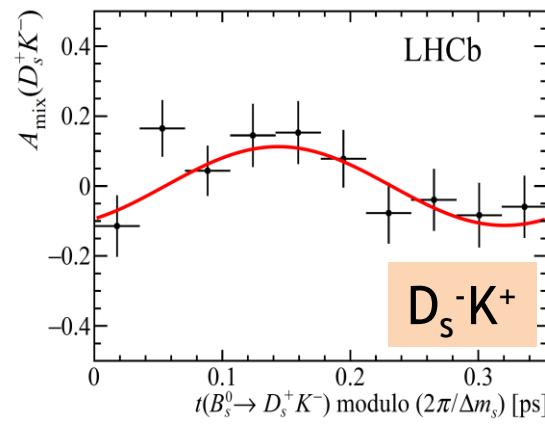
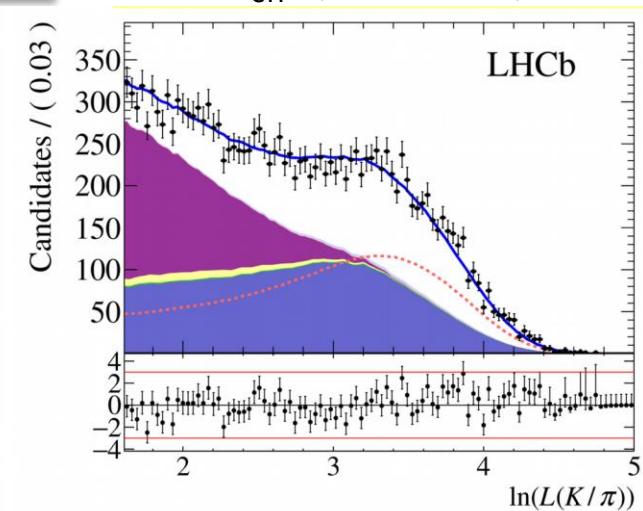
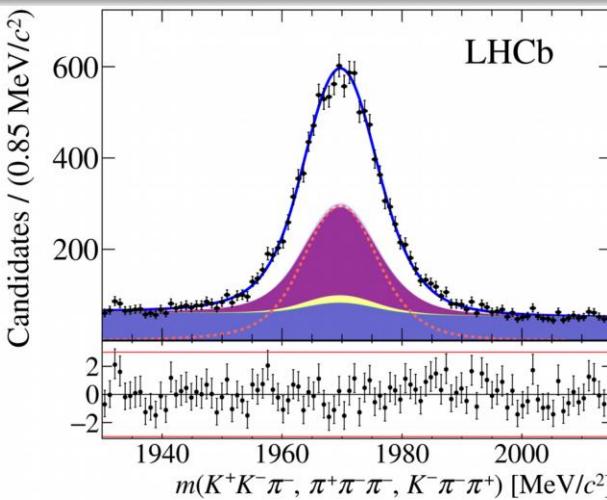
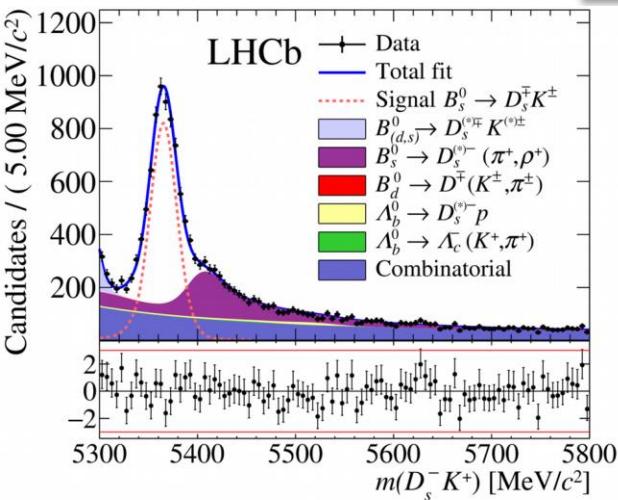
$$A_f^{\Delta\Gamma} = \frac{-2r_{D_s K} \cos(\delta - (\gamma - 2\beta_s))}{1 + r_{D_s K}^2}, \quad A_{\bar{f}}^{\Delta\Gamma} = \frac{-2r_{D_s K} \cos(\delta + (\gamma - 2\beta_s))}{1 + r_{D_s K}^2},$$

$$S_f = \frac{2r_{D_s K} \sin(\delta - (\gamma - 2\beta_s))}{1 + r_{D_s K}^2}, \quad S_{\bar{f}} = \frac{-2r_{D_s K} \sin(\delta + (\gamma - 2\beta_s))}{1 + r_{D_s K}^2}.$$



TD CPV $B_s \rightarrow D_s^\mp K^\pm$

efficient flavour tagging
 $\varepsilon_{\text{eff}} = (5.80 \pm 0.25)\%$



| Parameter | Value |
|----------------------|------------------------------|
| C_f | $0.730 \pm 0.142 \pm 0.045$ |
| $A_f^{\Delta\Gamma}$ | $0.387 \pm 0.277 \pm 0.153$ |
| $A_f^{\Delta\Gamma}$ | $0.308 \pm 0.275 \pm 0.152$ |
| S_f | $-0.519 \pm 0.202 \pm 0.070$ |
| S_f | $-0.489 \pm 0.196 \pm 0.068$ |

$$\gamma = (128^{+17}_{-22})^\circ$$

$$\delta = (358^{+13}_{-14})^\circ$$

$$r_{D_s K} = 0.37^{+0.10}_{-0.09}$$

3.8 σ evidence for CP violation
 2.3 σ compatibility wrt LHCb@2016 average

TD CPV $B_d \rightarrow D^\mp \pi^\pm$

$$\Gamma_{B^0 \rightarrow f}(t) \propto e^{-\Gamma t} [1 + \underline{C_f} \cos(\Delta m t) - \underline{S_f} \sin(\Delta m t)]$$

$$\Gamma_{B^0 \rightarrow \bar{f}}(t) \propto e^{-\Gamma t} [1 + \underline{C_{\bar{f}}} \cos(\Delta m t) - \underline{S_{\bar{f}}} \sin(\Delta m t)]$$

...and similar Eqs. for \bar{B}^0 (e.g. $f = D^- \pi^+$, $\bar{f} = D^+ \pi^-$)

$$C_f = \frac{1 - r_{D\pi}^2}{1 + r_{D\pi}^2} = -C_{\bar{f}},$$

But $r_{D\pi}$ is about 2% so C is very close to 1 !

$$S_f = -\frac{2r_{D\pi} \sin [\delta - (2\beta + \gamma)]}{1 + r_{D\pi}^2},$$

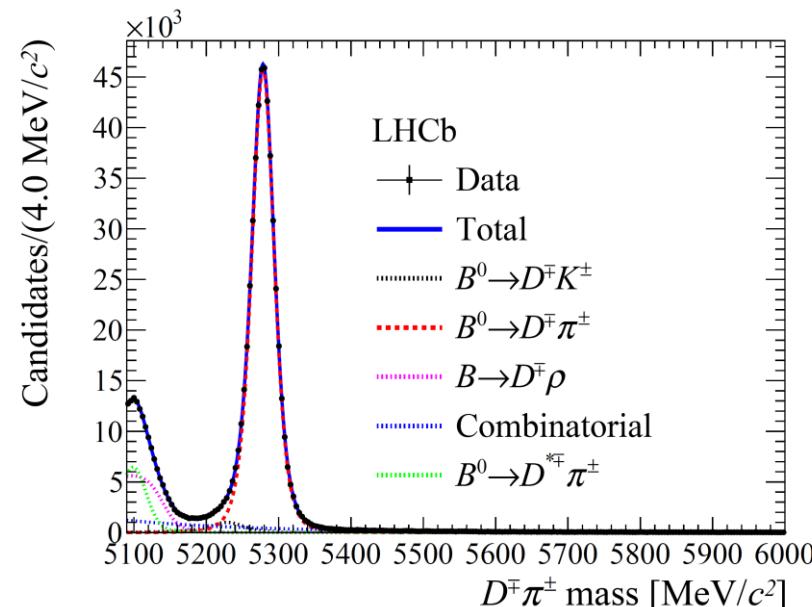
$$S_{\bar{f}} = \frac{2r_{D\pi} \sin [\delta + (2\beta + \gamma)]}{1 + r_{D\pi}^2},$$

So we have only 2 observables
for three unknowns

→ need external input to measure $\gamma + 2\beta$

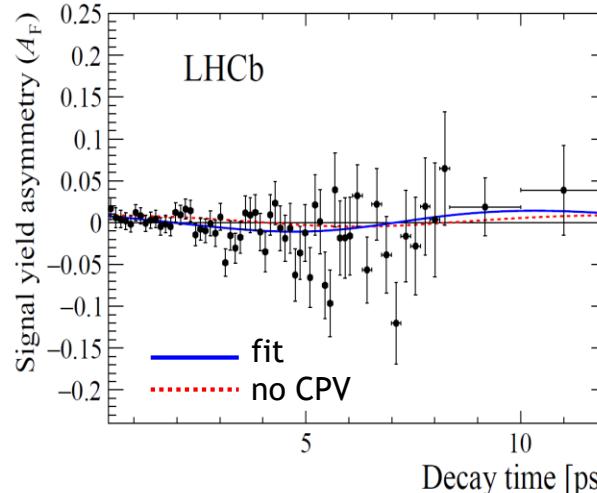
Signal yield of $479\,000 \pm 700$!!!
Against $34\,400 \pm 300$ bkgd

Flavour Tagging $\varepsilon_{\text{eff}} = (5.59 \pm 0.01)\%$

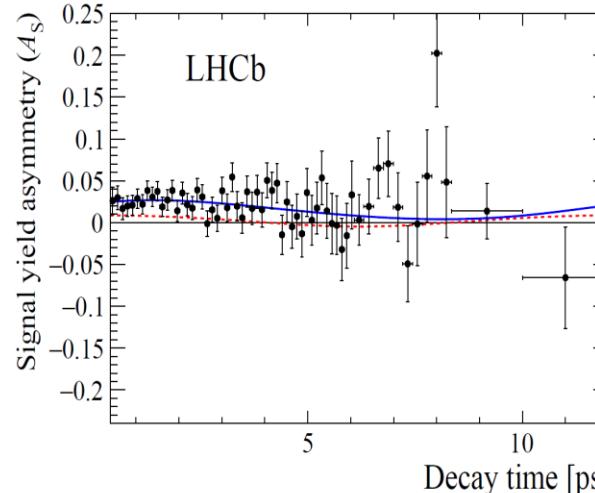


TD CPV $B_d \rightarrow D^\mp \pi^\pm$

favoured (F) $\bar{b} \rightarrow \bar{c}ud\bar{d}$



suppressed (S) $\bar{b} \rightarrow \bar{u}cd\bar{d}$



$$A_F = \frac{\Gamma_{B^0 \rightarrow f}(t) - \Gamma_{\bar{B}^0 \rightarrow \bar{f}}(t)}{\Gamma_{B^0 \rightarrow f}(t) + \Gamma_{\bar{B}^0 \rightarrow \bar{f}}(t)}$$

$$A_S = \frac{\Gamma_{\bar{B}^0 \rightarrow f}(t) - \Gamma_{B^0 \rightarrow \bar{f}}(t)}{\Gamma_{\bar{B}^0 \rightarrow f}(t) + \Gamma_{B^0 \rightarrow \bar{f}}(t)}$$

$$S_f = 0.058 \pm 0.020 \text{ (stat)} \pm 0.011 \text{ (syst)}$$

$$S_{\bar{f}} = 0.038 \pm 0.020 \text{ (stat)} \pm 0.007 \text{ (syst)}$$

correlations of 60% (-41%) for
statistical (systematic) uncertainties

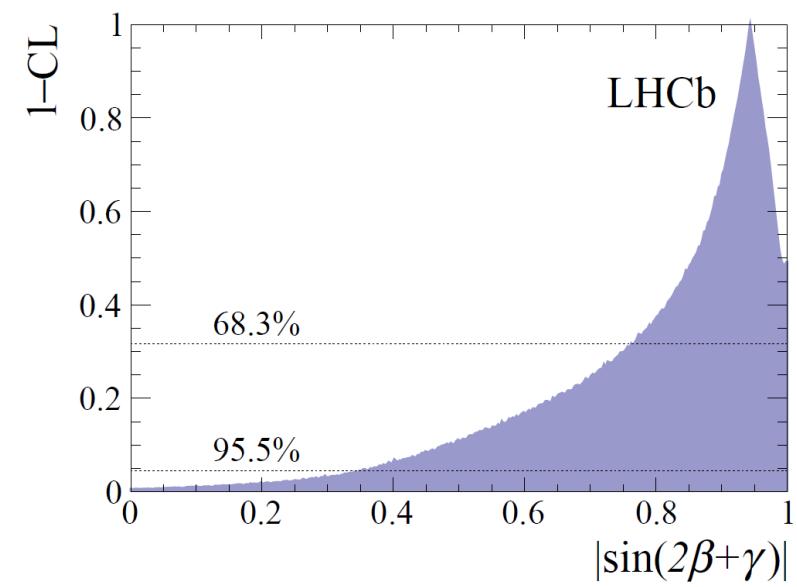
→ $r_{D\pi}$ from external inputs (PDG, LQCD, CKMfitter):

$$r_{D\pi} = \tan \theta_c \frac{f_{D^+}}{f_{D_s}} \sqrt{\frac{\mathcal{B}(B^0 \rightarrow D_s^+ \pi^-)}{\mathcal{B}(B^0 \rightarrow D^- \pi^+)}}$$

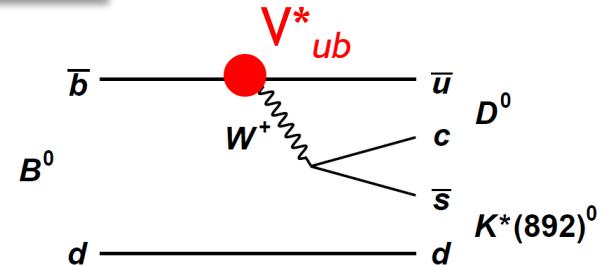
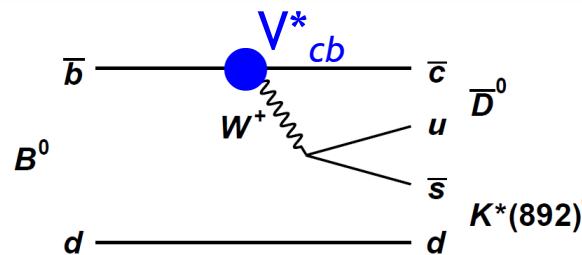
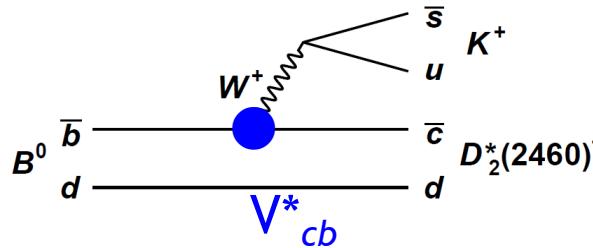
$$= (1.82 \pm 0.12 \pm 0.36)\% \text{ (includes 20% SU(2) breaking)}$$

→ HFLAV $\mathcal{B}=(22.2 \pm 0.7)\%$, bings to CPV@2.7 σ :

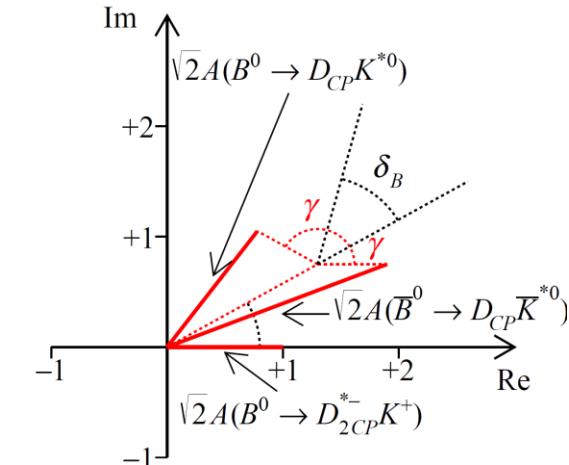
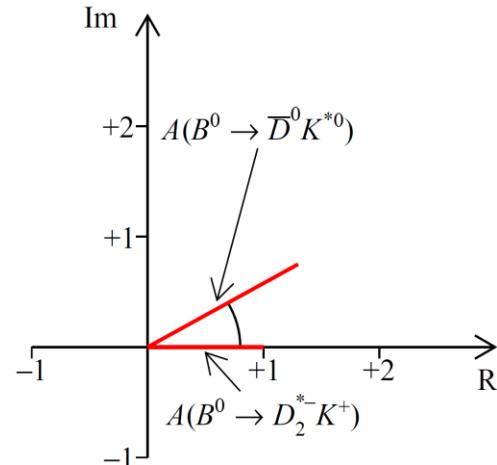
$\gamma \in [5, 86]^\circ \cup [185, 266]^\circ \text{ @68\% CL}$



3-body decay $B^0 \rightarrow D\pi^-K^+$



→ 1^{rst} idea Gershon, Williams (2009):
use Dalitz structure of B decays



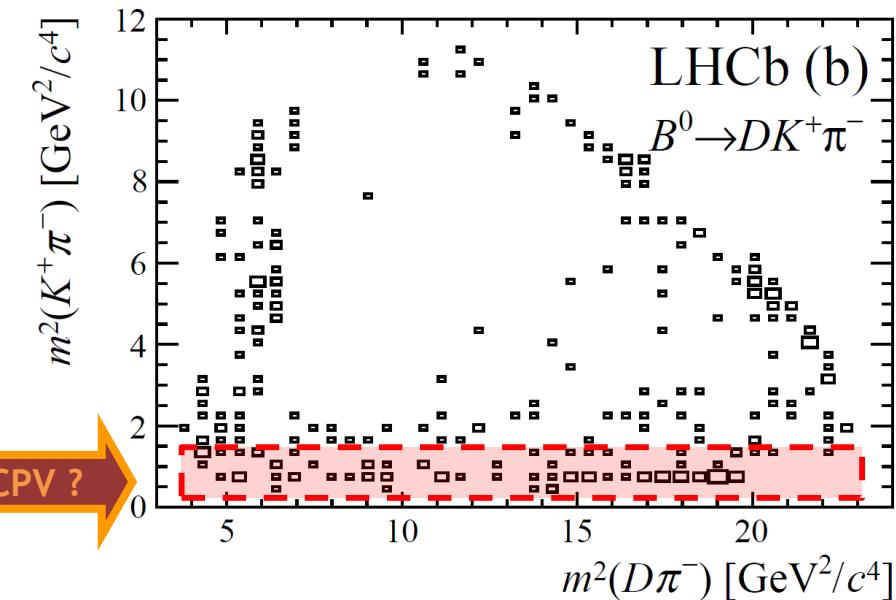
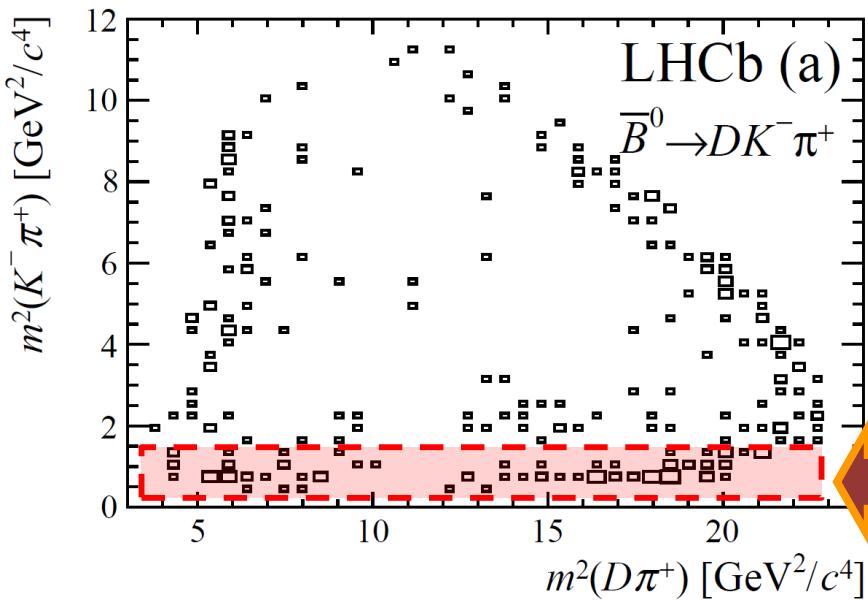
$B^0 \rightarrow D\pi^-K^+$ [Phys. Rev. D80 (2009) 092002]

→ Get multiple interfering resonances which increase sensitivity to
 $D^*_0(2400)^-, D^*_2(2460)^-, K^*(892)^0, K^*(1410)^0, K^*_2(1430)^0$

→ Fit B decay Dalitz Plot for cartesian parameters
(similar to GGSZ except for the B not the D)

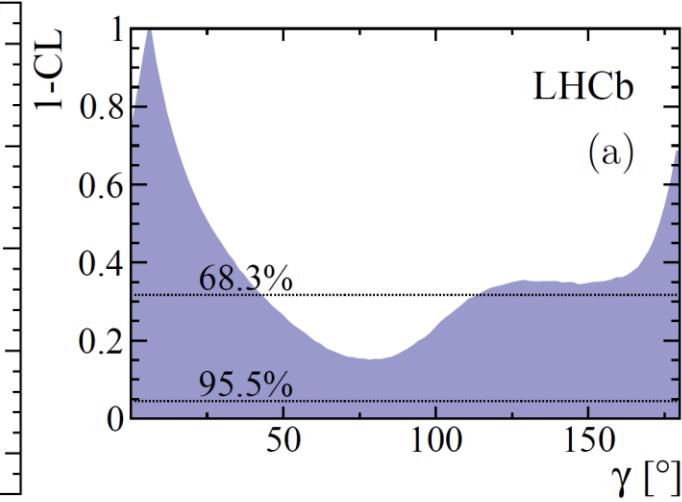
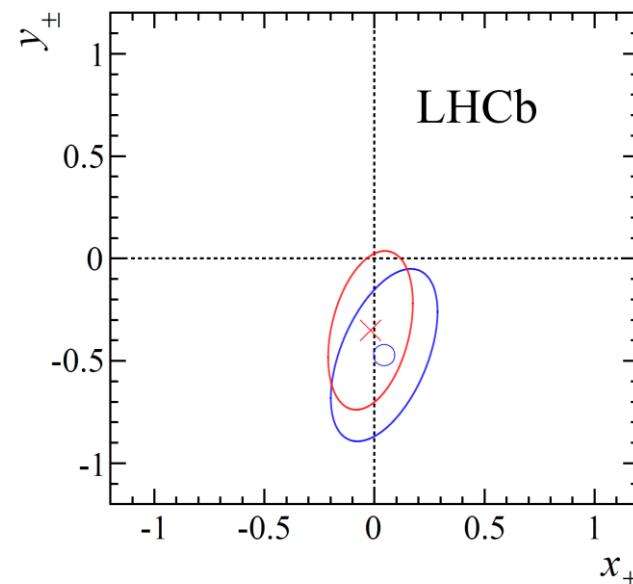
- $D_{CP+} \rightarrow K^+K^-, \pi^+\pi^-$ - GLW-Dalitz (done by LHCb - [arXiv:1602.03455]) HERE !
- $D \rightarrow K\pi$ - ADS-Dalitz (difficult due to backgrounds from $B_s^0 \rightarrow D^{(*)0}K^+\pi^-$)
- $D \rightarrow K^0_S \pi^+\pi^-$ - GGSZ-Dalitz!)

3-body decay $B^0 \rightarrow D\pi^-K^+$



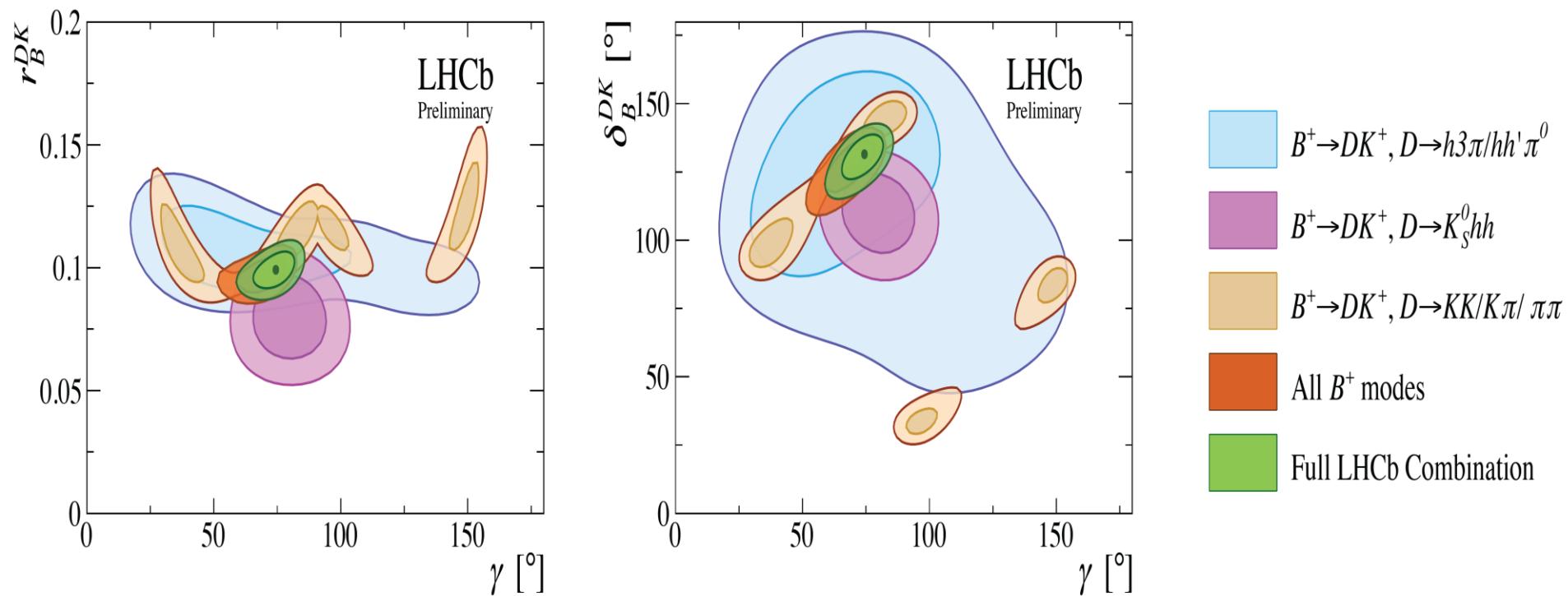
For the first time in the
 $B^0 \rightarrow D\bar{K}^*(892)^0$ decay

- @68% CL
- no CPV $\equiv (0,0)$
- yet weak constraint
- proof of feasibility



The new LHCb combination

- Breakdown the results by methods - the power of the combination
 - For example look at inputs from B^+ decays
 - Methods vary in precision and number of solutions

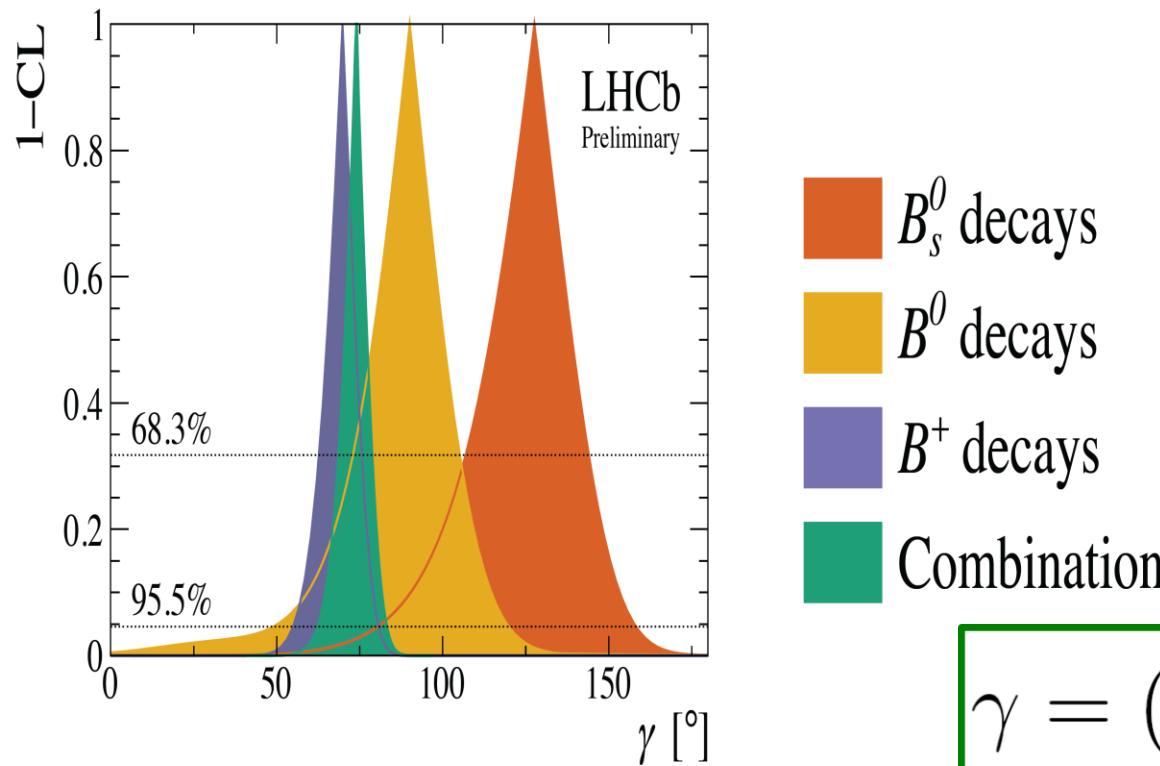


[LHCb-CONF-2018-002]

The new LHCb combination

- Breakdown the results by B meson type

- Everything consistent at the 2 sigma level currently
- In the SM they should be the same - if NP appears it could affect the different species differently due to differing decay topologies



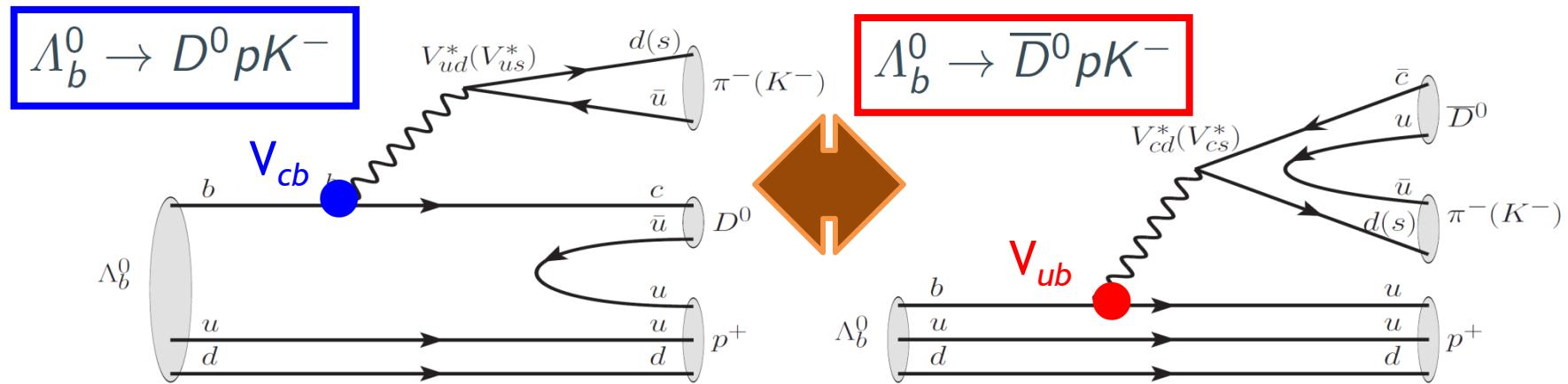
Beauty baryon Λ_b^0/Ξ_b^0 decays to $D^0\bar{p}K^-$ final states

1 fb^{-1}
(2011)

PRD 89(2014)03 (arXiv:1311.4823)

- Beauty baryon sector remains largely unexplored ⇒ this is LHCb game field
- Decays such as $\Lambda_b \rightarrow D^0\Lambda$ and $\Lambda_b \rightarrow D^0pK^-$ can be used to measure γ

Z. Phys. C56(1992)129; Mod. Phys. Lett. A 14(1999)63; PRD 65(2002)073029



- LHCb has studied beauty baryon decays to $D^0\bar{p}K^-$ and $\Lambda_c^+\bar{h}^-$ final states, using 1 fb^{-1} of data:
 - The Cabibbo favored final states $D^0 \rightarrow K^-\pi^+$ and $\Lambda_c^+ \rightarrow pK^-\pi^+$ are used. The Common $pK^-\pi^+$ final states is used to reduce systematic uncertainties.
 - $\Lambda_b \rightarrow D^0 p \pi^-$ seen with 3383 ± 94 ! See also Amp. Analysis: [arXiv:1701.07873]

Beauty baryon Λ_b^0/Ξ_b^0 decays to $D^0\bar{p}K^-$ final states

1 fb^{-1}
(2011)

PRD 89(2014)03 (arXiv:1311.4823)

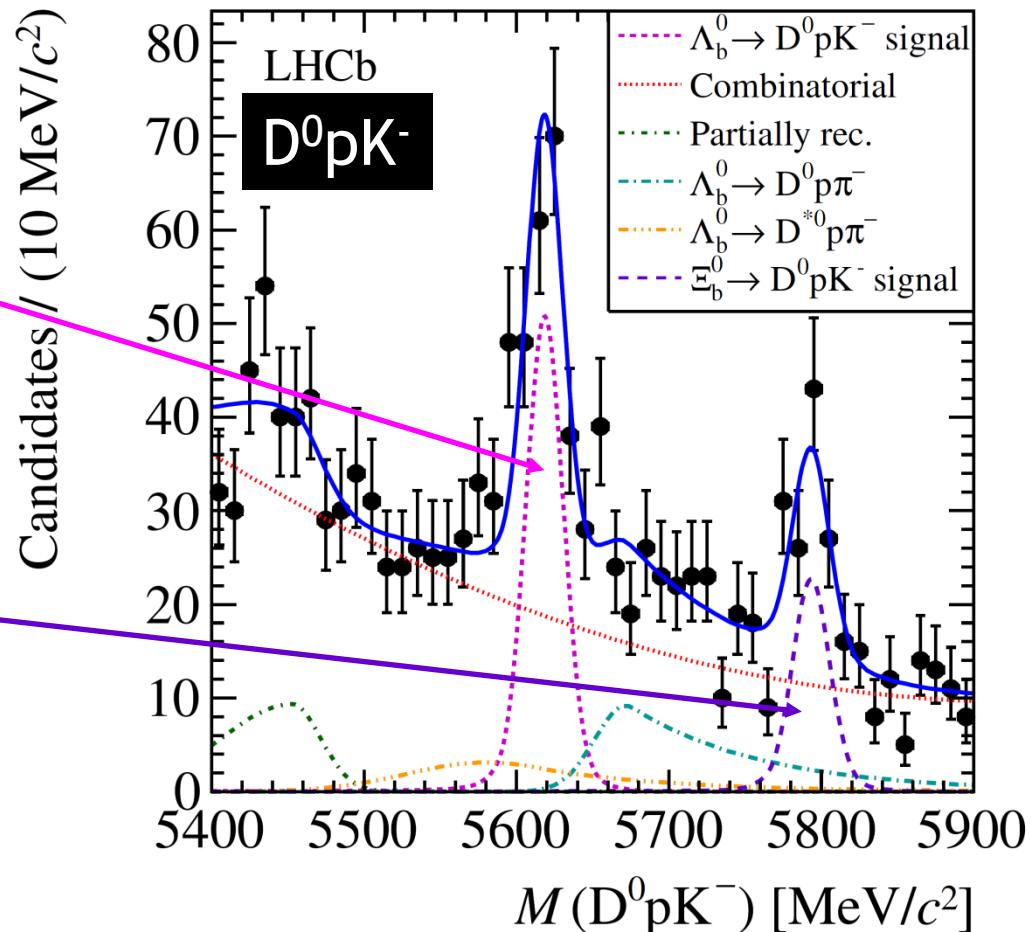
→ Observation of (signif incl. syst.):

$\Lambda_b^0 \rightarrow D^0 p K^-$ @ 9.0σ : $R_{\Lambda_b^0 \rightarrow D^0 p K^-}$

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow D^0 p K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow D^0 p \pi^-)} = (7.3 \pm 0.8^{+0.5}_{-0.6})\%$$

$\Xi_b^0 \rightarrow D^0 p K^-$ @ 5.9σ : $R_{\Xi_b^0 \rightarrow D^0 p K^-}$

$$\frac{f_{\Xi_b^0} \times \mathcal{B}(\Xi_b^0 \rightarrow D^0 p K^-)}{f_{\Lambda_b^0} \times \mathcal{B}(\Lambda_b^0 \rightarrow D^0 p K^-)} = (44 \pm 9 \pm 6)\%$$



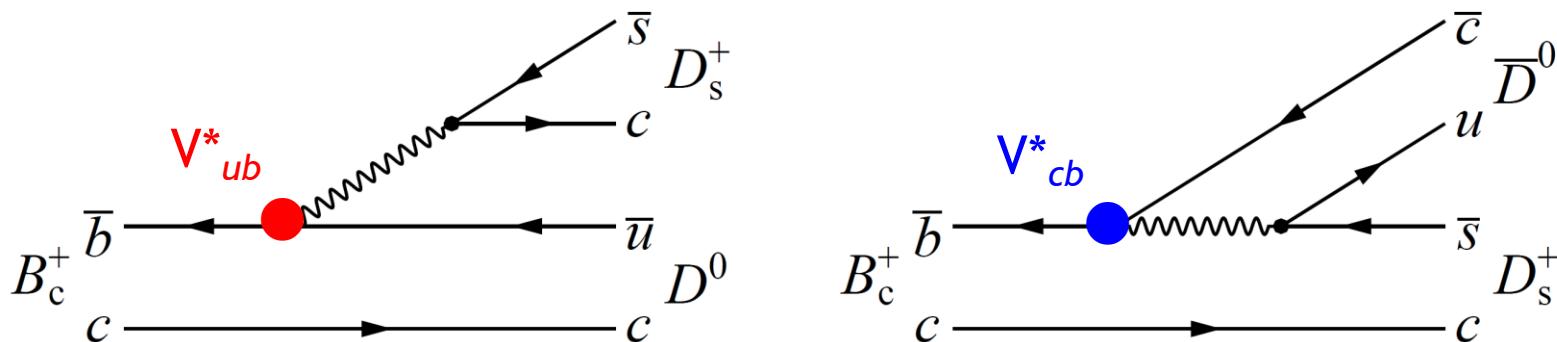
A lot of events already ⇒ high time to move to CP analyses
LHCb has almost 15 times this is hands (ADS underway)



γ measurements in B_c^+ decays ?

[arXiv:1712.04702]
(Run1)

- Massive sample of B_c^+ produced in LHCb: $\sim 30K$ $B_c^+ \rightarrow J/\psi \pi^+$ with Run1+Run2
- Branching fraction of $B_c^+ \rightarrow J/\psi \pi^+$: $(0.6-2.9) \times 10^{-3}$
PRD 49 (1994) 3399, PRD 68 (2003) 094020, PRD 89 (2014) 034008
- Able to access B_c^+ decays with Branching Fractions of $10^{-5}-10^{-6}$
- $B_c^+ \rightarrow D_{(s)}^+ D^0$ decays sensitive to γ with $r_{Ds} \sim 1$ and $r_D \sim 0.1$

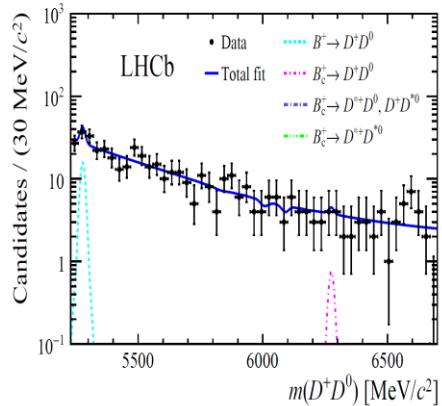
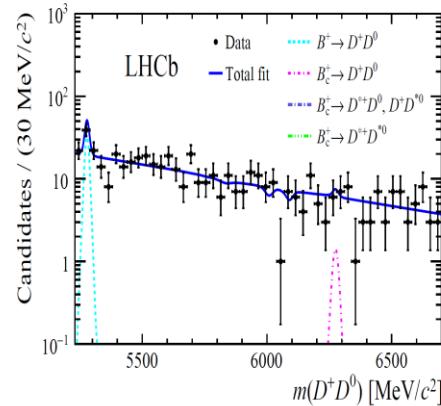
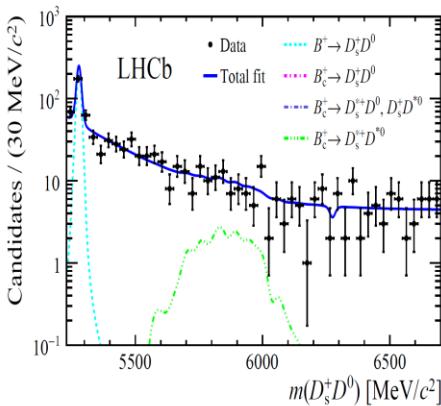
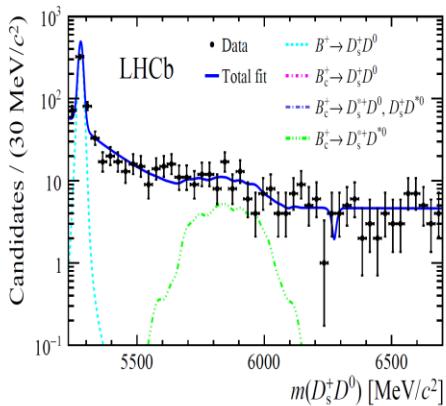
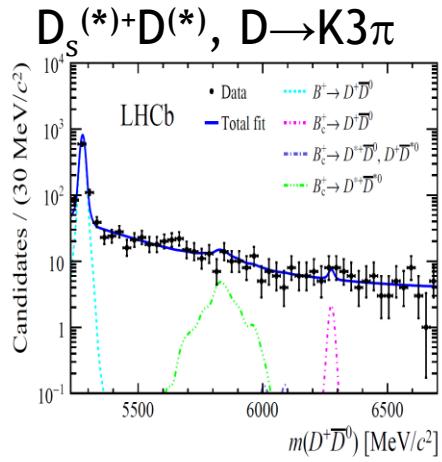
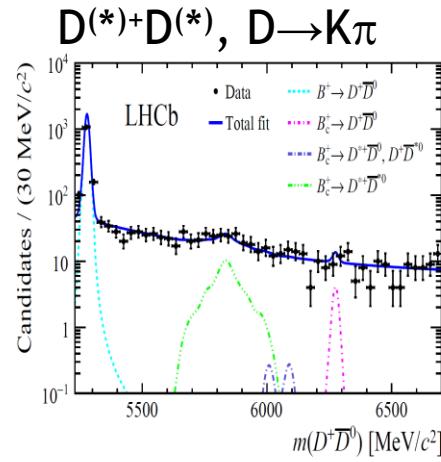
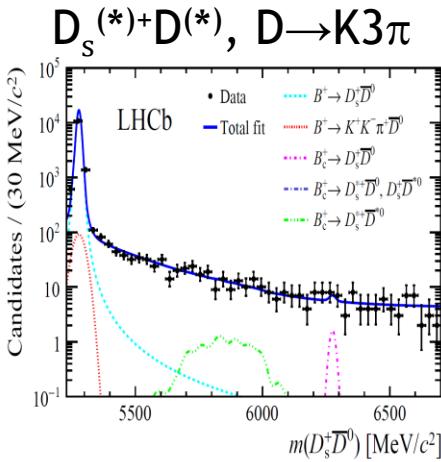
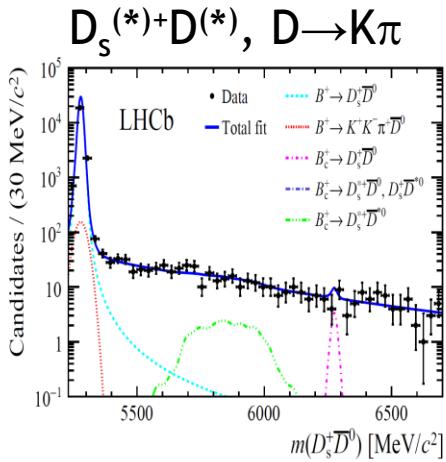


- The branching fractions are predicted to be:

| Channel | Prediction for the branching fraction [10^{-6}] | | | |
|-------------------------------------|---|-----------|-----------|-----------|
| | Ref. [9] | Ref. [10] | Ref. [11] | Ref. [12] |
| $B_c^+ \rightarrow D_s^+ \bar{D}^0$ | 2.3 ± 0.5 | 4.8 | 1.7 | 2.1 |
| $B_c^+ \rightarrow D_s^+ D^0$ | 3.0 ± 0.5 | 6.6 | 2.5 | 7.4 |
| $B_c^+ \rightarrow D^+ \bar{D}^0$ | 32 ± 7 | 53 | 32 | 33 |
| $B_c^+ \rightarrow D^+ D^0$ | 0.10 ± 0.02 | 0.32 | 0.11 | 0.32 |

Results of $B_c^+ \rightarrow D_{(s)}^{(*)} + D^{(*)0}$ searches

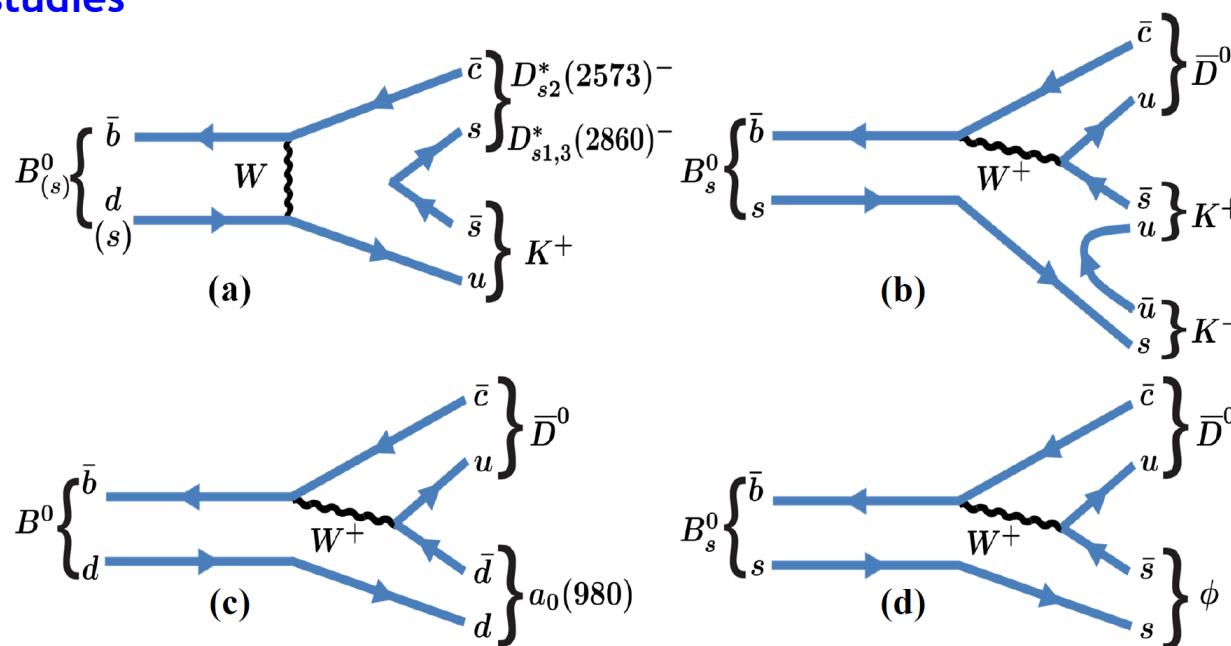
[arXiv:1712.04702]
(Run1)



- Nothing observed and upper limits set on these decays
- Absolute Branching fraction upper limits at level of 10^{-4} – 10^{-3} , consistent with expectations in previous slide
- Decays with $D(s)^*$ and D^* are searched without reconstructing γ/π^0

Physics with/of $B^0_{(s)} \rightarrow \bar{D}^0 K^+ K^-$ decays

- ✓ Time-Dependent Dalitz analyses can be used to access CKM angles γ and to obtain clean (i.e. tree decays) determination of $\beta_{(s)}$ in $B_{(s)}-\bar{B}_{(s)}$ mixing (Phys. Rev D85 (2012) 114015)
- ✓ Rich phenomenology of Dalitz structures are interesting for excited D_s^{**} charmed B-decays spectroscopy studies



First steps:

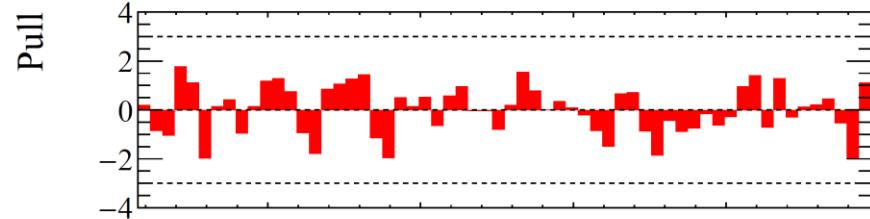
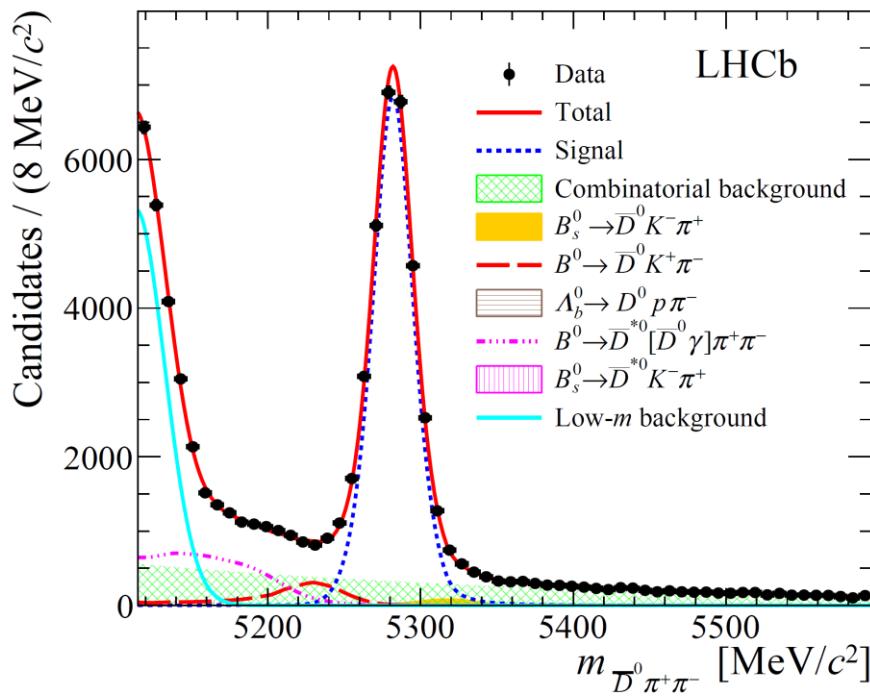
- ✓ Analysis already performed with early LHCb dataset (0.6/fb) : observation of B^0 channel and only evidence for B_s^0 mode (Phys. Rev. Lett. 109 (2012) 131801)
- ✓ Updated measurements performed with 3/fb (Run1: 2011+2012) → new analysis
 - Improved background treatment (e.g. : $B^0_{(s)} \rightarrow \bar{D}^0 K^+ \pi^+$ and $\Lambda_b \rightarrow D^0 p K^-$)
 - control/norm. mode: $\bar{B}^0 \rightarrow D^0 \pi^+ \pi^-$

Future developments in collaboration with UCAS/Tsinghua colleagues



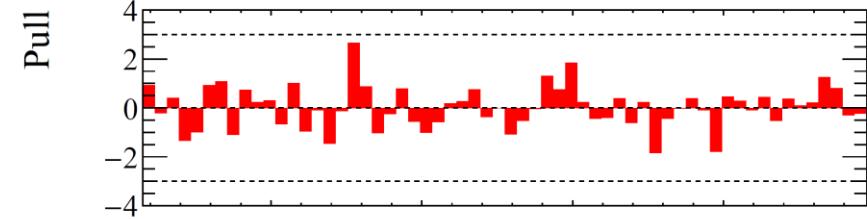
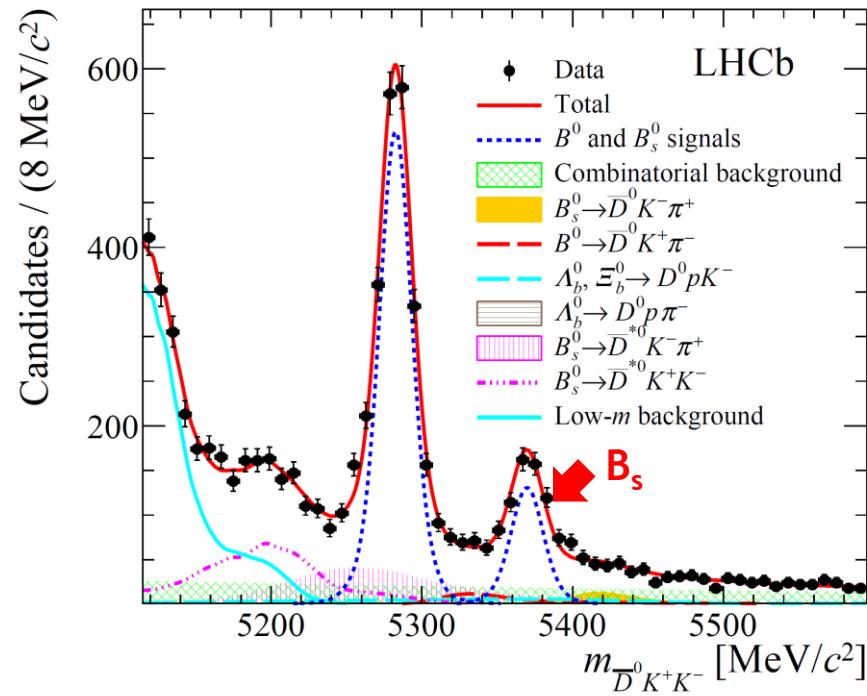
invariant mass fit of $B^0_{(s)} \rightarrow \bar{D}^0 h^+ h^-$ decays

$B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-$



$29\,943 \pm 243$

$B^0_{(s)} \rightarrow \bar{D}^0 K^+ K^-$

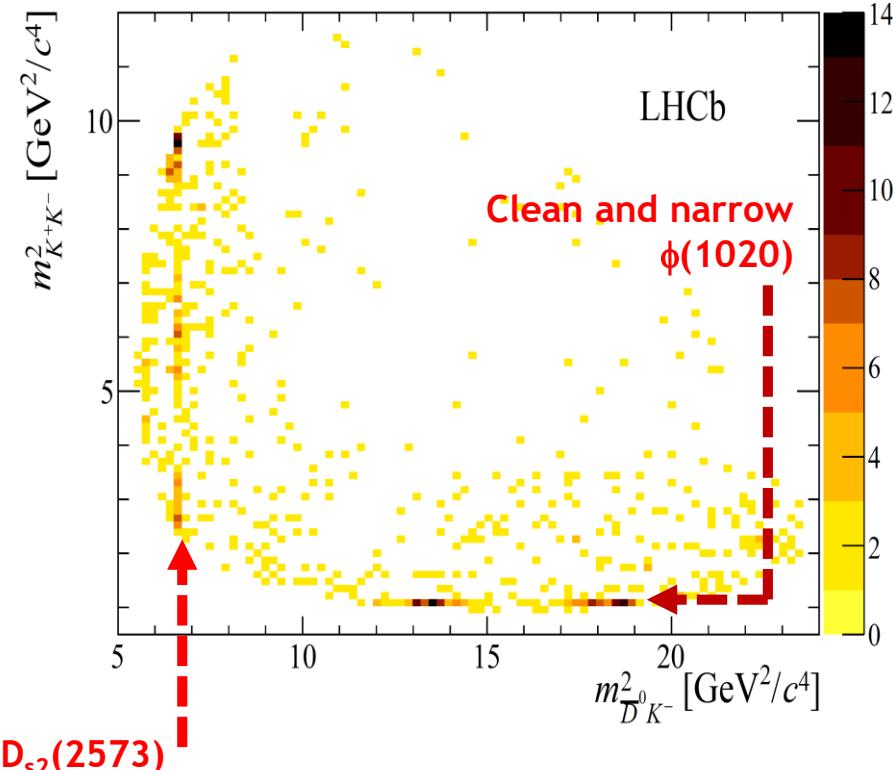
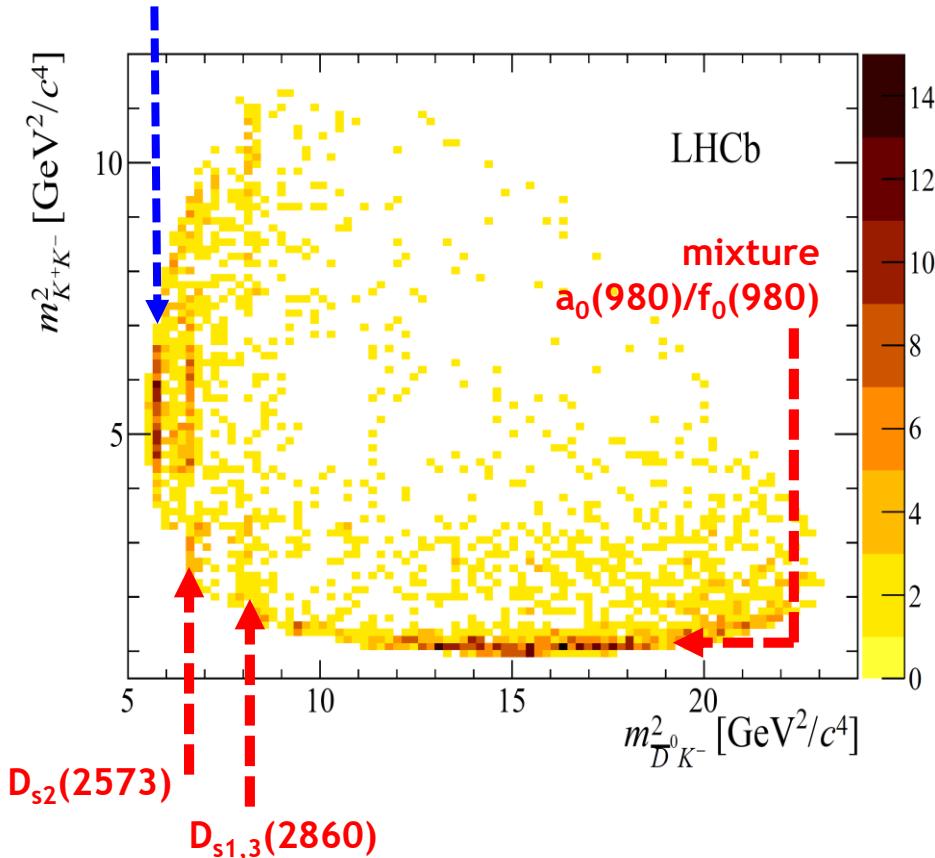


1918 ± 74 B^0 & NEW $\rightarrow 473 \pm 33$ B_s^0
Observed for the 1st time!

ratio of yields $r_{B_s^0/B^0} = (24.7 \pm 1.7)\%$



Inspection of Dalitz plot

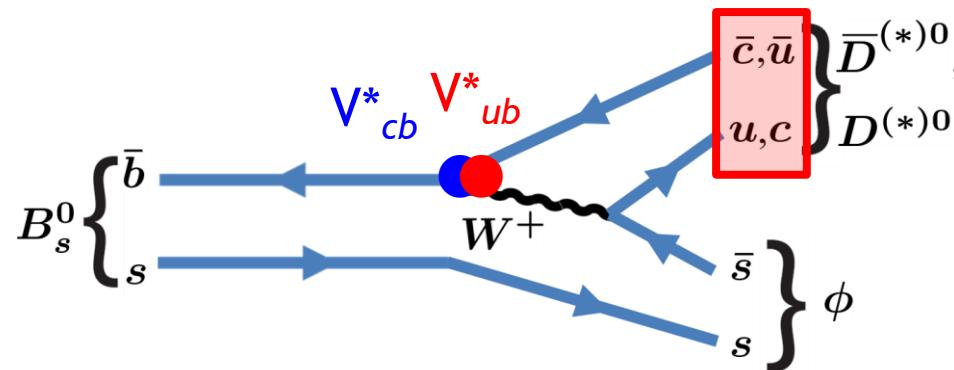
 $B^0 \rightarrow \bar{D}^0 K^+ K^-$ (in [5240,5320] MeV/c²) $B_s^0 \rightarrow \bar{D}^0 K^+ K^-$ (in [5340,5400] MeV/c²)non subtracted background $D_{s1}(2536)$ 

→ Performed only with LHC Run1 : motivates amplitude analysis with additional LHCb data

Future developments in collaboration with UCAS/Tsinghua colleagues

Studies of $B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi$

- ✓ The $\phi(1020)$ is a narrow resonance and using the selected candidates in $B^0_{(s)} \rightarrow \bar{D}^0 K^+ K^-$ of 1807.01891 (Phys. Rev. D98 072006 (2018)) permits studies on $B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi$
- ✓ Significant sensitivity to the CKM angle γ for $B^0_s \rightarrow \bar{D}^{(*)0}\phi$ decays:
(Phys. Lett. B253 (1991) 483 & LHCb-PUB-2010-005)
 - Precision on CKM angle γ still limited (i.e. around 5°) to indirectly constraint BSM physics → alternate methods are very welcome
 - $b \rightarrow c$ and $b \rightarrow u$ interfering transition of about same size: $r_B \approx 30\text{-}50\%$ ($B^0_s \rightarrow D^+_s K^-$ JHEP 03 (2018) 059)
 - For the D^{*0} decay (VV) the reconstruction can be partial, if f_L known, to almost double the B^0_s dataset (i.e. omit γ/π^0 (Phys. Lett. B777 (2017) 16))

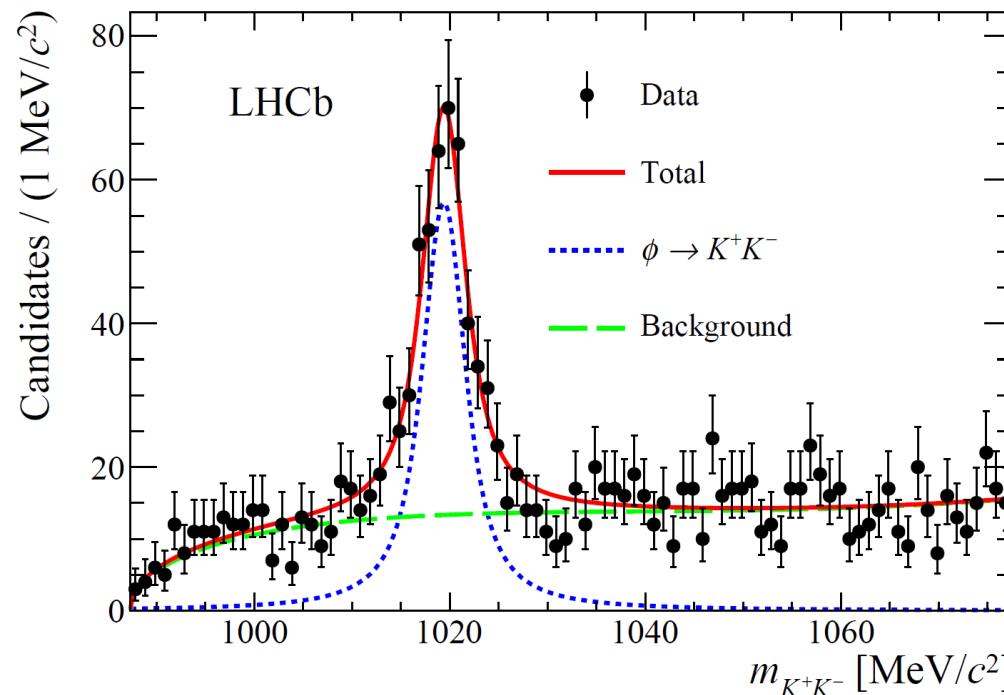


Before summer 2018:

- ✓ $\mathcal{B}(B_s^0 \rightarrow \bar{D}^0\phi)$ is $(3.0 \pm 0.8) \times 10^{-5}$ as measured with LHCb 1/fb with a specific selection normalised to $\mathcal{B}(B_s^0 \rightarrow \bar{D}^0 \bar{K}^{*0})$ (Phys. Lett. B727 (2013) 403)
- ✓ $B_s^0 \rightarrow \bar{D}^{*0}\phi$ was still unobserved

The $\phi \rightarrow K^+K^-$ spectrum of $B^0_{(s)} \rightarrow \bar{D}^{(*)0} K^+ K^-$

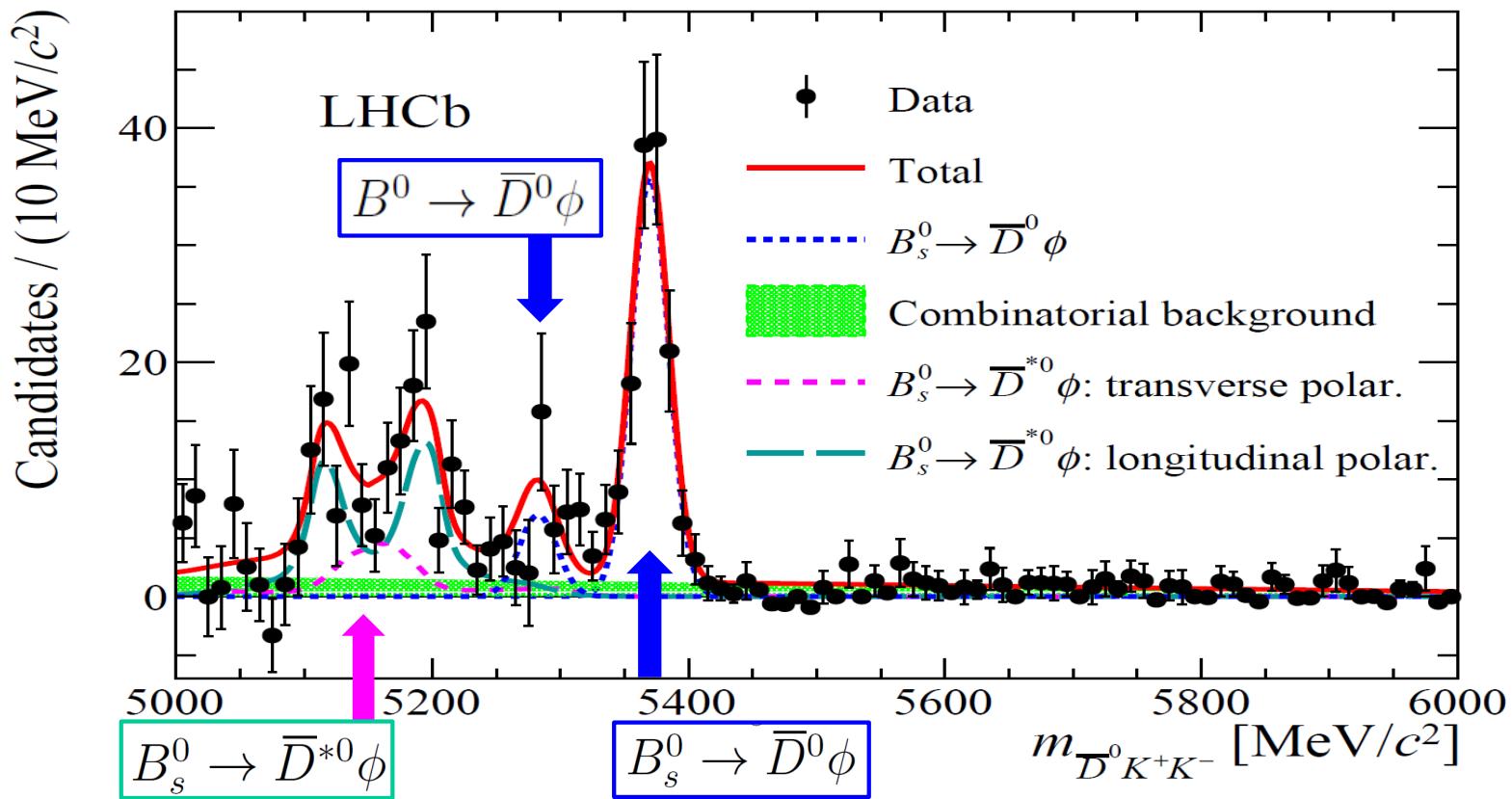
- ✓ Using selected $B^0_{(s)}$ candidates (see slide on invariant mass fit) in the window $m_{DKK} \in [5000, 6000] \text{ GeV}/c^2$ obtain the following m_{KK} spectrum:



427 ± 30 ϕ signal candidates
 1152 ± 41 K^+K^- background

- ✓ Fit signal with relativistic Breit-Wigner PDF and background with threshold PDF proportional to $(p \times q) \cdot (1 + ax + b(2x^2 - 1))$, where p & q are the momentum of the K in the KK rest frame and D in DKK rest frame and $x = 2(m_{K^+K^-} - 2m_K)/90 \text{ MeV}/c^2 - 1$
- ✓ Fit used to obtain sPlot-projected mass spectrum $m_{\bar{D}^0 K^+ K^-}$ (correlations with m_{KK} less than 6%)

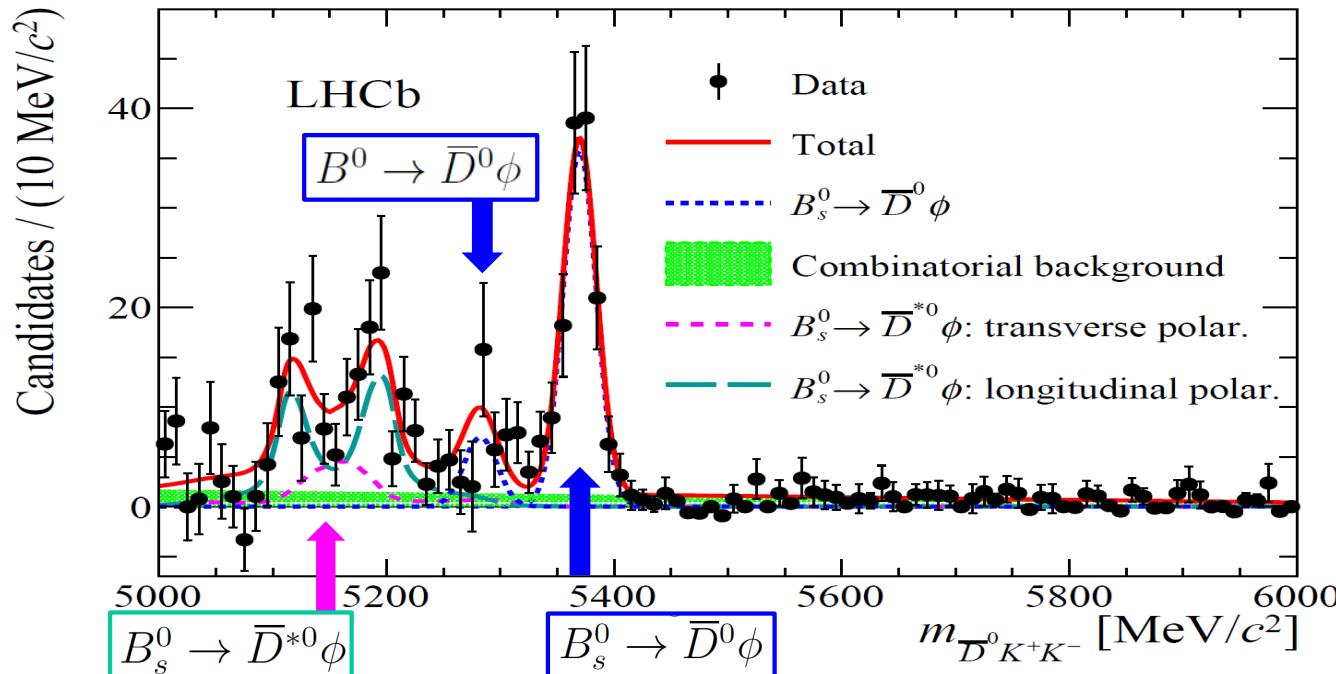
The projected mass spectrum of $B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi$



Invariant mass fit:

- ✓ Shape of B^0 and B_s^0 decaying to $\bar{D}^0\phi$ modelled by Gaussian functions (mass difference fixed to PDG2018).
- ✓ Shape of B_s^0 decaying to $\bar{D}^{*0}\phi$ determined from simulation : sum of 2 PDFs with fully longitudinal/transverse polarisation ($f_L=1$ or 0) and relative branching fraction D^{*0} to $D^0\gamma/D^0\pi^0$ fixed to PDG2018 value.
- ✓ Remaining combinatorial background modelled by straight line.

Fit results for $B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi$



$N_{B_s^0 \rightarrow \bar{D}^0\phi} = 132 \pm 13$, $N_{B^0 \rightarrow \bar{D}^0\phi} = 26 \pm 11$, and $N_{B_s^0 \rightarrow \bar{D}^{*0}\phi} = 163 \pm 19$, with $f_L = (73 \pm 15)\%$.

Observation of $B_s^0 \rightarrow \bar{D}^{*0}\phi$ with more than 7 standard deviations !

The whole procedure was repeated with various m_{KK} background fit parameters obtained from various regions to evaluate possible biases due to K^+K^- S-Waves under the ϕ resonance.

Future developments in collaboration with UCAS/Tsinghua colleagues

Measuring γ in $B_s^0 \rightarrow \bar{D}^{(*)0} \phi$ decays

Based on Phys. Lett. B253 (1991) 483 & LHCb-PUB-2010-005 one can define in a **time integrated manner** with D Cabibbo-favoured (CF) or **doubly-Cabibbo suppressed** decays (DCS) decays merged the observables (normalised rates):

$D \rightarrow K\pi, K3\pi, K\pi\pi^0$ flavour specific

$$R_{K\pi}^- = \frac{\Gamma(D(K^-\pi^+)\phi)}{\Gamma(D(K^-\pi^+)\phi) + \Gamma(D(K^+\pi^-)\phi)}$$

$$R_{K\pi}^+ = \frac{\Gamma(D(K^+\pi^-)\phi)}{\Gamma(D(K^-\pi^+)\phi) + \Gamma(D(K^+\pi^-)\phi)}$$

$$R_{K3\pi}^- = \frac{\Gamma(D(K^-\pi^-\pi^+)\phi)}{\Gamma(D(K^-\pi^+)\phi) + \Gamma(D(K^+\pi^-)\phi)}$$

$$R_{K3\pi}^+ = \frac{\Gamma(D(K^+\pi^-\pi^+)\phi)}{\Gamma(D(K^-\pi^+)\phi) + \Gamma(D(K^+\pi^-)\phi)}$$

$$R_{K\pi\pi^0}^- = \frac{\Gamma(D(K^-\pi^+\pi^0)\phi)}{\Gamma(D(K^-\pi^+)\phi) + \Gamma(D(K^+\pi^-)\phi)}$$

$$R_{K\pi\pi^0}^+ = \frac{\Gamma(D(K^+\pi^-\pi^0)\phi)}{\Gamma(D(K^-\pi^+)\phi) + \Gamma(D(K^+\pi^-)\phi)}$$

$D \rightarrow KK \& \pi\pi$ CP+ eigenstates

$$R_{KK} = \frac{\Gamma(D(K^+K^-)\phi)}{\Gamma(D(K^-\pi^+)\phi) + \Gamma(D(K^+\pi^-)\phi)}$$

$$R_{\pi\pi} = \frac{\Gamma(D(\pi^+\pi^-)\phi)}{\Gamma(D(K^-\pi^+)\phi) + \Gamma(D(K^+\pi^-)\phi)}$$

or $D \rightarrow Ks\pi\pi$ $KsKK$ with lower rates and more challenging

→ Precision Counting $B_s \rightarrow D^{(*)0}\phi$ signal rates in those modes allows to access to γ and $(r^{(*)}_{B_s}, \delta^{(*)}_{B_s})$ parameters : 8x3 observables and 3 unknowns

→ with external inputs on strong D decays + B_s decay time & mixing parameters $HFLAV$
 $y = \Delta\Gamma_s / 2\Gamma_s$ & β_s

CLEO-c BESIII

Future developments in collaboration with UCAS/Tsinghua colleagues



Measuring γ in $B_s^0 \rightarrow \bar{D}^{(*)0} \phi$ decays

Based on Phys. Lett. B253 (1991) 483 & LHCb-PUB-2010-005 one can define in a **time integrated manner** with D Cabibbo-favoured (CF) or doubly-Cabibbo suppressed decays (DCS) decays merged the observables (normalised rates):

$$R_{K\pi}^- = \frac{\left(1+r_B^2\right)\left(1+\left(r_D^{K\pi}\right)^2\right)+4r_B r_D^{K\pi} \cos\delta_B \cos(\delta_{K\pi} + \gamma) - 2y r_B \cos(2\beta_s + \delta_B - \gamma)}{2\left[\left(1+r_B^2\right)\left(1+\left(r_D^{K\pi}\right)^2\right)+4r_B r_D^{K\pi} \cos\delta_B \cos\delta_{K\pi} \cos\gamma - 2y r_B \cos(2\beta_s - \gamma) \cos\delta_B\right]}$$

$$R_{K\pi}^+ = \frac{\left(1+r_B^2\right)\left(1+\left(r_D^{K\pi}\right)^2\right)+4r_B r_D^{K\pi} \cos\delta_B \cos(\delta_{K\pi}-\gamma)-2y r_B \cos(2\beta_s-\delta_B-\gamma)}{2\left[\left(1+r_B^2\right)\left(1+\left(r_D^{K\pi}\right)^2\right)+4r_B r_D^{K\pi} \cos\delta_B \cos\delta_{K\pi} \cos\gamma-2y r_B \cos(2\beta_s-\gamma)\cos\delta_B\right]}$$

$$R_{KK} = F_{KK} \frac{4 \left[1 + r_B^2 + 2r_B \cos \delta_B \cos \gamma - 2y\sqrt{1+2r_B^2+4r_B \cos \delta_B \cos \gamma} \cos \left(2\beta_s + \tan^{-1} \left(\frac{r_B \sin(\delta_B - \gamma)}{1+r_B \cos(\delta_B - \gamma)} \right) - \tan^{-1} \left(\frac{r_B \sin(\delta_B + \gamma)}{1+r_B \cos(\delta_B + \gamma)} \right) \right] }{2 \left[\left(1 + r_B^2 \right) \left(1 + \left(r_D^{K\pi} \right)^2 \right) + 4r_B r_D^{K\pi} \cos \delta_B \cos \delta_{K\pi} \cos \gamma - 2y r_B \cos(2\beta_s - \gamma) \cos \delta_B \right]}$$

$$\text{avec } F_{KK} = \frac{\varepsilon(D \rightarrow KK) Br(D^0 \rightarrow KK)}{\varepsilon(D \rightarrow K\pi) [Br(D^0 \rightarrow K^+ \pi^+) + Br(D^0 \rightarrow K^- \pi^+)]}$$

$$R_{\pi\pi} = F_{\pi\pi} \frac{4 \left[1 + r_B^2 + 2r_B \cos \delta_B \cos \gamma - 2y \sqrt{1 + 2r_B^2 + 4r_B \cos \delta_B \cos \gamma} \cos \left(2\beta_s + \tan^{-1} \left(\frac{r_B \sin(\delta_B - \gamma)}{1 + r_B \cos(\delta_B - \gamma)} \right) - \tan^{-1} \left(\frac{r_B \sin(\delta_B + \gamma)}{1 + r_B \cos(\delta_B + \gamma)} \right) \right] }{2 \left[\left(1 + r_B^2 \right) \left(1 + \left(r_D^{K\pi} \right)^2 \right) + 4r_B r_D^{K\pi} \cos \delta_B \cos \delta_{K\pi} \cos \gamma - 2y r_B \cos(2\beta_s - \gamma) \cos \delta_B \right]}$$

$$\text{avec } F_{\pi\pi} = \frac{\varepsilon(D \rightarrow \pi\pi) Br(D^0 \rightarrow \pi\pi)}{\varepsilon(D \rightarrow K\pi) [Br(D^0 \rightarrow K^-\pi^+) + Br(D^0 \rightarrow K^+\pi^-)]}$$

→ Efficiencies must account decay time acceptance

$$R_{K3\pi}^- = F_{K3\pi} \frac{\left[\left(1+r_B^2\right) \left(1+\left(r_D^{K3\pi}\right)^2\right) + 4r_B R_{K3\pi} r_D^{K3\pi} \cos\delta_B \cos(\delta_{K3\pi} + \gamma) - 2yr_B \cos(2\beta_s + \delta_B - \gamma) \right]}{2 \left[\left(1+r_B^2\right) \left(1+\left(r_D^{K\pi}\right)^2\right) + 4r_B r_D^{K\pi} \cos\delta_B \cos\delta_{K\pi} \cos\gamma - 2yr_B \cos(2\beta_s - \gamma) \cos\delta_B \right]}$$

$$\text{avec } F_{K3\pi}^- = \frac{\varepsilon(D \rightarrow K3\pi) [Br(D^0 \rightarrow K^-3\pi) + Br(\bar{D}^0 \rightarrow K^-3\pi)]}{\varepsilon(D \rightarrow K\pi) [Br(D^0 \rightarrow K^-\pi^+) + Br(\bar{D}^0 \rightarrow K^+\pi^-)]}$$

$$R_{K3\pi}^+ = F_{K3\pi}^+ \frac{\left[\left(1+r_B^2\right) \left(1+\left(r_D^{K3\pi}\right)^2\right) + 4r_B R_{K3\pi} r_D^{K3\pi} \cos\delta_B \cos(\delta_{K3\pi} - \gamma) - 2yr_B \cos(2\beta_s - \delta_B - \gamma) \right]}{2 \left[\left(1+r_B^2\right) \left(1+\left(r_D^{K\pi}\right)^2\right) + 4r_B r_D^{K\pi} \cos\delta_B \cos\delta_{K\pi} \cos\gamma - 2yr_B \cos(2\beta_s - \gamma) \cos\delta_B \right]}$$

$$avec \quad F_{K3\pi}^+ = \frac{\varepsilon(D \rightarrow K3\pi) [Br(D^0 \rightarrow K^+3\pi) + Br(\bar{D}^0 \rightarrow K^+3\pi)]}{\varepsilon(D \rightarrow K\pi) [Br(D^0 \rightarrow K^-\pi^+) + Br(D^0 \rightarrow K^+\pi^-)]}$$

$$R_{K\pi\pi^0}^- = F_{K\pi\pi^0}^- \left[\frac{\left(1+r_B^2\right)\left(1+\left(r_D^{K\pi\pi^0}\right)^2\right) + 4r_B R_{K\pi\pi^0} r_D^{K\pi\pi^0} \cos\delta_B \cos(\delta_{K\pi\pi^0} + \gamma) - 2y r_B \cos(2\beta_s + \delta_B - \gamma)}{2\left[\left(1+r_B^2\right)\left(1+\left(r_D^{K\pi}\right)^2\right) + 4r_B r_D^{K\pi} \cos\delta_B \cos\delta_{K\pi} \cos\gamma - 2y r_B \cos(2\beta_s - \gamma) \cos\delta_B\right]} \right]$$

$$avec \quad F_{K\pi\pi^0}^- = \frac{\varepsilon(D \rightarrow K\pi\pi^0) [Br(D^0 \rightarrow K^-\pi\pi^0) + Br(\bar{D}^0 \rightarrow K^-\pi\pi^0)]}{\varepsilon(D \rightarrow K\pi) [Br(D^0 \rightarrow K^-\pi^+) + Br(\bar{D}^0 \rightarrow K^+\pi^-)]}$$

$$R_{K\pi\pi^0}^+ = F_{K\pi\pi^0}^+ \frac{\left[\left(1+r_B^2\right) \left(1+\left(r_D^{K\pi\pi^0}\right)^2\right) + 4r_B R_{K\pi\pi^0} r_D^{K\pi\pi^0} \cos\delta_B \cos(\delta_{K\pi\pi^0} - \gamma) - 2y r_B \cos(2\beta_s - \delta_B - \gamma) \right]}{2 \left[\left(1+r_B^2\right) \left(1+\left(r_D^{K\pi}\right)^2\right) + 4r_B r_D^{K\pi} \cos\delta_B \cos\delta_{K\pi} \cos\gamma - 2y r_B \cos(2\beta_s - \gamma) \cos\delta_B \right]}$$

$$avec \quad F_{K\pi\pi^0}^+ = \frac{\varepsilon(D \rightarrow K\pi\pi^0) [Br(D^0 \rightarrow K^+\pi\pi^0) + Br(\bar{D}^0 \rightarrow K^+\pi\pi^0)]}{\varepsilon(D \rightarrow K\pi) [Br(D^0 \rightarrow K^-\pi^+) + Br(D^0 \rightarrow K^+\pi^-)]}$$

Future developments in collaboration with UCAS/Tsinghua colleagues



Sensitivity to γ in $B_s^0 \rightarrow \bar{D}^{(*)0} \phi$ decays

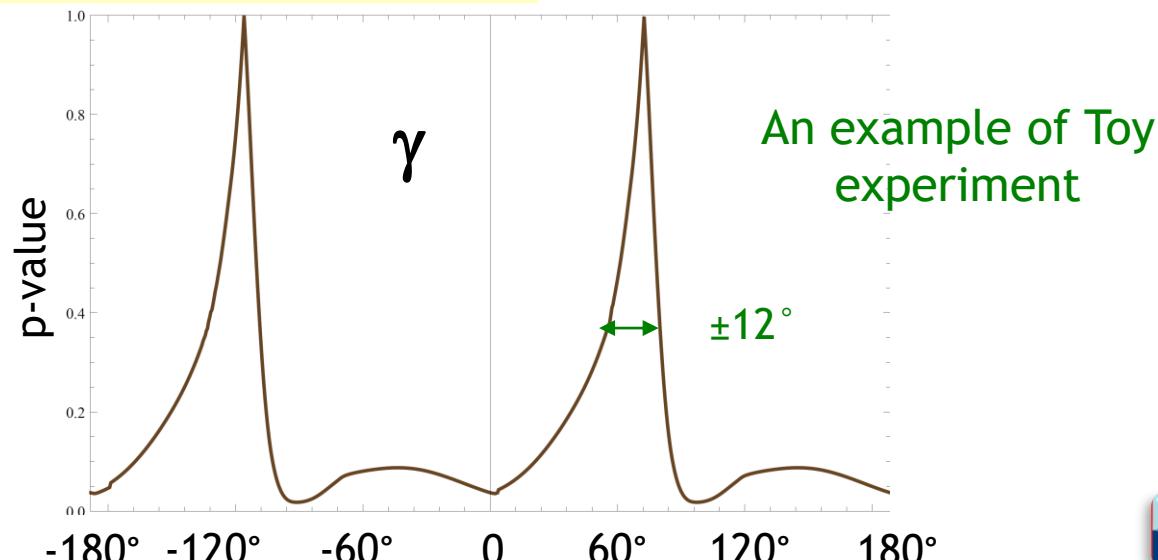
An educated but rough estimate of LHCb Run1+Run2 data number of quasi pure $B_s \rightarrow D^{(*)0} \phi$ candidates (with only B to $D^* \phi$ events with $f_L=1$, for a defined CP eigen-state):

| decay | $K\pi$ | $K3\pi$ | K^+K^- | $\pi^+\pi^-$ | $K\pi\pi^0$ | $K_s^0\pi^+\pi^-$ | $K_s^0K^+K^-$ |
|--------------------|--------|---------|----------|--------------|-------------|-------------------|---------------|
| $D\phi$ | 604 | 228 | 80 | 23 | 60 | 52 | 7-8 |
| $D^*(D\pi^0)\phi$ | 350 | 132 | 46 | 14 | 35 | - | - |
| $D^*(D\gamma)\phi$ | 191 | 72 | 25 | 7 | 19 | - | - |

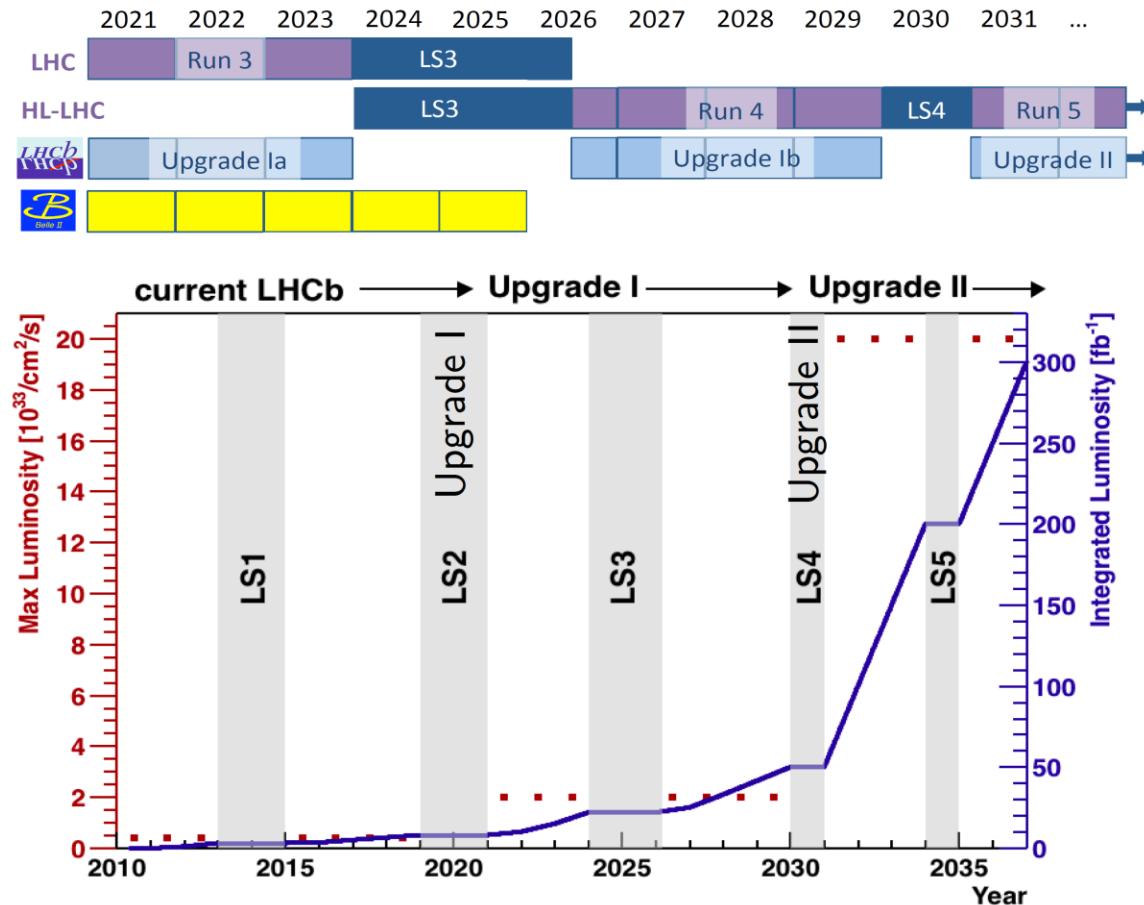
VERY PRELIMINARY:

Expect a statistical sensitivity to the angle γ at the level of $<10-15^\circ$

Detailed sensitivity study underway with UCAS/Tsinghua LHCb colleagues, using CKMfitter package



LHCb upgrade schedule towards 50/fb and 300/fb in 12 and 20 years !



- Upgrade I a+b: 50 fb^{-1} after Run 3+4 at $\mathcal{L} = 2 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$
- Upgrade II: 300 fb^{-1} after Run 5+6 at $\mathcal{L} = 2 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$
- Full Belle 2 detector data taking starting 2019, 50 ab^{-1} sample 2025

LHCb: Trigger/detector upgrade phase 1 for Run 3 starting in 2021

LHCb Upgrade Trigger Diagram

30 MHz inelastic event rate
(full rate event building)



Software High Level Trigger

Full event reconstruction, inclusive and exclusive kinematic/geometric selections



Buffer events to disk, perform online detector calibration and alignment



Add offline precision particle identification and track quality information to selections

Output full event information for inclusive triggers, trigger candidates and related primary vertices for exclusive triggers



2-5 GB/s to storage



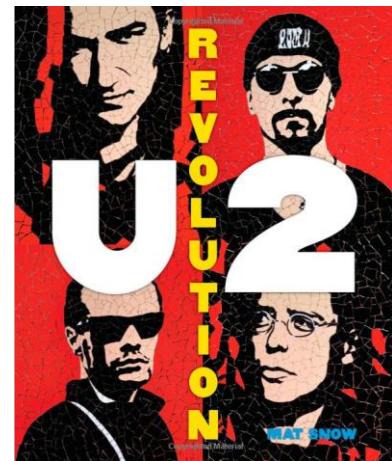
- Removal of L0 bottleneck and move to full software trigger will increase efficiencies, by a factor of ~ 2 for hadronic modes
- Upgrade I replaces frontend electronics: readout at inelastic 30 MHz rate
- Far reaching detector upgrades to improve occupancy, radiation hardness
Vertex Locator \rightarrow Pixel; Main trackers \rightarrow SciFi Tracker, UT; RICH photodetectors



Physics case for an LHCb Upgrade II

Opportunities in flavour physics, and beyond, in the HL-LHC era

The LHCb collaboration



Abstract

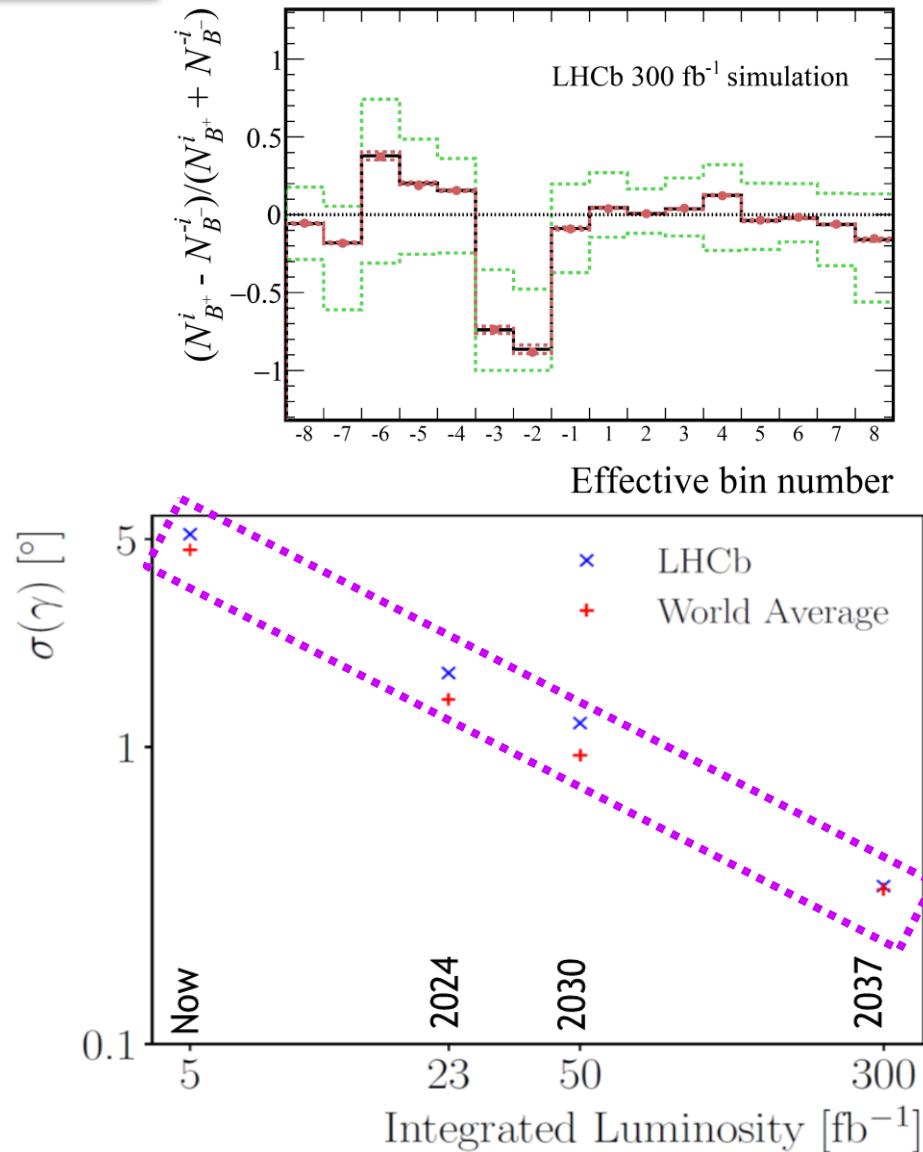
The LHCb Upgrade II will fully exploit the flavour-physics opportunities of the HL-LHC, and study additional physics topics that take advantage of the forward acceptance of the LHCb spectrometer. The LHCb Upgrade I will begin operation in 2020. Consolidation will occur, and modest enhancements of the Upgrade I detector will be installed, in Long Shutdown 3 of the LHC (2025) and these are discussed here. The main Upgrade II detector will be installed in long shutdown 4 of the LHC (2030) and will build on the strengths of the current LHCb experiment and the Upgrade I. It will operate at a luminosity up to $2 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$, ten times that of the Upgrade I detector. New detector components will improve the intrinsic performance of the experiment in certain key areas. An Expression Of Interest proposing Upgrade II was submitted in February 2017. The physics case for the Upgrade II is presented here in more depth. CP -violating phases will be measured with precisions unattainable at any other envisaged facility. The experiment will probe $b \rightarrow s\ell^+\ell^-$ and $b \rightarrow d\ell^+\ell^-$ transitions in both muon and electron decays in modes not accessible at Upgrade I. Minimal flavour violation will be tested with a precision measurement of the ratio of $\mathcal{B}(B^0 \rightarrow \mu^+ \mu^-)/\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-)$. Probing charm CP violation at the 10^{-5} level may result in its long sought discovery. Major advances in hadron spectroscopy will be possible, which will be powerful probes of low energy QCD. Upgrade II potentially will have the highest sensitivity of all the LHC experiments on the Higgs to charm-quark couplings. Generically, the new physics mass scale probed, for fixed couplings, will almost double compared with the pre-HL-LHC era; this extended reach for flavour physics is similar to that which would be achieved by the HE-LHC proposal for the energy frontier.

Looking forwards : LHCb upgrade & gains on γ precision

Physics case for an LHCb Upgrade II
arXiv:1808.08865

Exciting times - measurements of γ are reaching a high precision era:

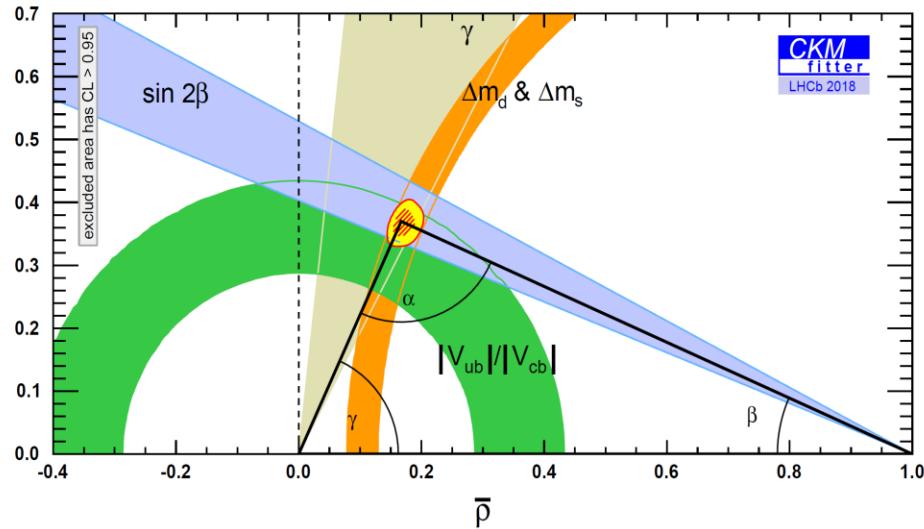
- We look forward to collaboration and competition from Belle-II
- With 50 ab^{-1} at Belle-II and a possible 300 fb^{-1} sample at LHCb: $\sigma(\gamma) < 0.35^\circ$ to tackle BSM physics in CKM global fit well above a few 10 TeVs
- New ideas can help us go even further (some of them shown in this seminar)
- Will require new charm inputs from BES-III, LHCb and Belle-II



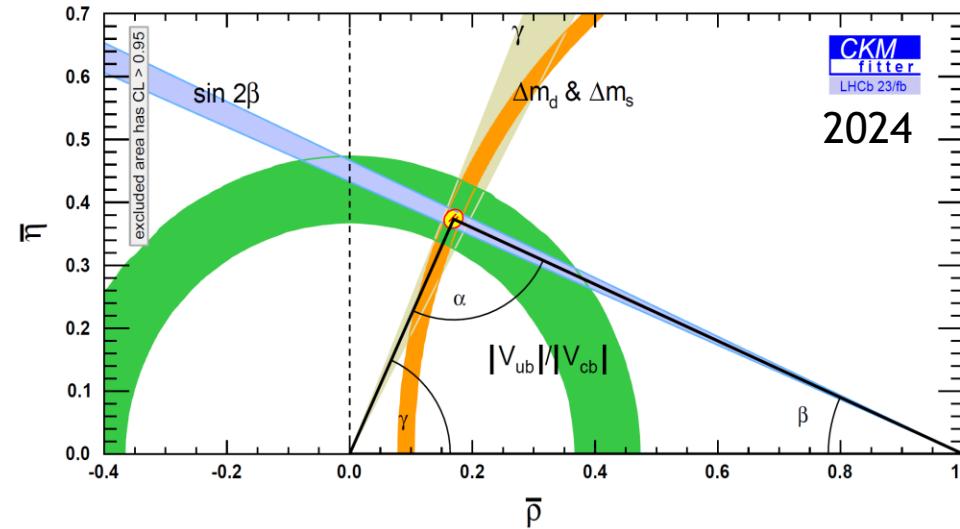
Prospects for CKM fit : LHCb upgrade

Physics case for an LHCb Upgrade II
arXiv:1808.08865

LHCb now



LHCb Upgrade Ia 23 fb^{-1}

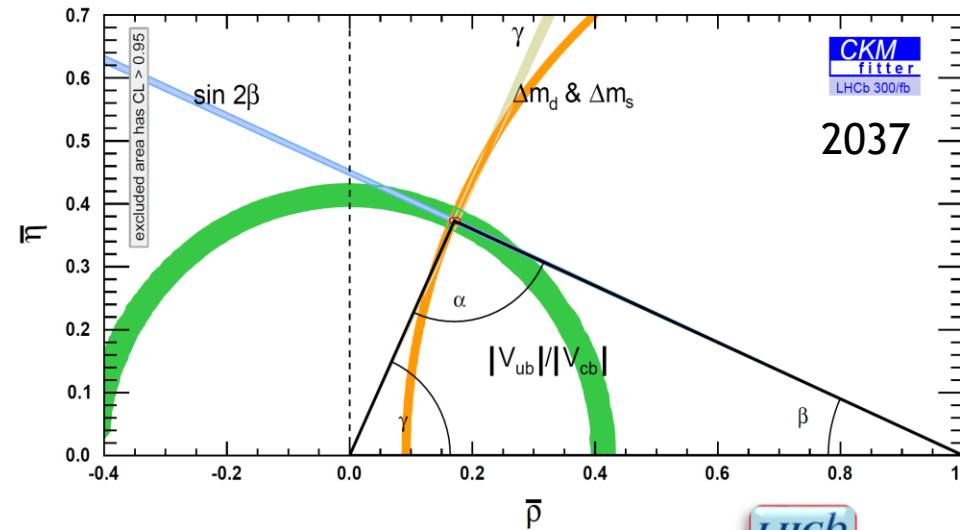


Inputs

| | LHCb (now) | LHCb 23 fb^{-1} | LHCb 300 fb^{-1} |
|---|---------------------------|---------------------------|----------------------------|
| CKM inputs (LHCb) | | | |
| $\sin 2\beta$ | 0.760 ± 0.034 | 0.7480 ± 0.0095 | 0.7480 ± 0.0024 |
| γ rad | $1.296^{+0.087}_{-0.101}$ | 1.136 ± 0.025 | 1.136 ± 0.005 |
| $ V_{ub} / V_{cb} $ | 15% | 6% | 1% |
| $\Delta m_d (\text{ps}^{-1})$ | 0.5065 ± 0.0020 | same | or better |
| $\Delta m_s (\text{ps}^{-1})$ | 17.757 ± 0.021 | same | same |
| Hadronic input (LQCD) | | | |
| $\xi = \frac{f_{B_d} \sqrt{B_{B_d}}}{f_{B_s} \sqrt{B_{B_s}}}$ | 2.0% | 0.6% | 0.2% |

LHCb “alone”

LHCb Upgrade II 300 fb^{-1}



Facing other experiments

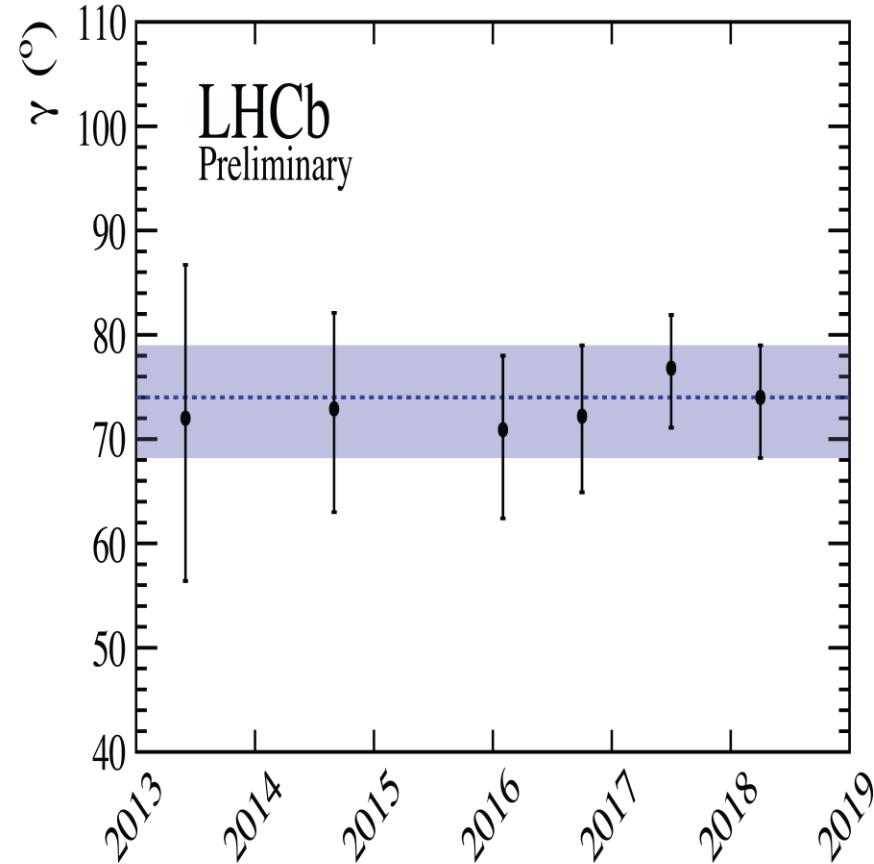
Physics case for an LHCb Upgrade II
arXiv:1808.08865

| Observable | Current LHCb | LHCb 2025 | Belle II | Upgrade II | ATLAS & CMS |
|---|--------------------------------|------------------------------|-------------------------------------|------------------------------|-------------------|
| EW Penguins | | | | | |
| R_K ($1 < q^2 < 6 \text{ GeV}^2 c^4$) | 0.1 [274] | 0.025 | 0.036 | 0.007 | — |
| R_{K^*} ($1 < q^2 < 6 \text{ GeV}^2 c^4$) | 0.1 [275] | 0.031 | 0.032 | 0.008 | — |
| R_ϕ, R_{pK}, R_π | — | 0.08, 0.06, 0.18 | — | 0.02, 0.02, 0.05 | — |
| CKM tests | | | | | |
| γ , with $B_s^0 \rightarrow D_s^+ K^-$ | $(^{+17}_{-22})^\circ$ [136] | 4° | — | 1° | — |
| γ , all modes | $(^{+5.0}_{-5.8})^\circ$ [167] | 1.5° | 1.5° | 0.35° | — |
| $\sin 2\beta$, with $B^0 \rightarrow J/\psi K_S^0$ | 0.04 [609] | 0.011 | 0.005 | 0.003 | — |
| ϕ_s , with $B_s^0 \rightarrow J/\psi \phi$ | 49 mrad [44] | 14 mrad | — | 4 mrad | 22 mrad [610] |
| ϕ_s , with $B_s^0 \rightarrow D_s^+ D_s^-$ | 170 mrad [49] | 35 mrad | — | 9 mrad | — |
| $\phi_s^{s\bar{s}s}$, with $B_s^0 \rightarrow \phi\phi$ | 154 mrad [94] | 39 mrad | — | 11 mrad | Under study [611] |
| a_{sl}^s | 33×10^{-4} [211] | 10×10^{-4} | — | 3×10^{-4} | — |
| $ V_{ub} / V_{cb} $ | 6% [201] | 3% | 1% | 1% | — |
| $B_s^0, B^0 \rightarrow \mu^+ \mu^-$ | | | | | |
| $\mathcal{B}(B^0 \rightarrow \mu^+ \mu^-)/\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-)$ | 90% [264] | 34% | — | 10% | 21% [612] |
| $\tau_{B_s^0 \rightarrow \mu^+ \mu^-}$ | 22% [264] | 8% | — | 2% | — |
| $S_{\mu\mu}$ | — | — | — | 0.2 | — |
| $b \rightarrow c \ell^- \bar{\nu}_l$ LUV studies | | | | | |
| $R(D^*)$ | 0.026 [215, 217] | 0.0072 | 0.005 | 0.002 | — |
| $R(J/\psi)$ | 0.24 [220] | 0.071 | — | 0.02 | — |
| Charm | | | | | |
| $\Delta A_{CP}(KK - \pi\pi)$ | 8.5×10^{-4} [613] | 1.7×10^{-4} | 5.4×10^{-4} | 3.0×10^{-5} | — |
| $A_\Gamma (\approx x \sin \phi)$ | 2.8×10^{-4} [240] | 4.3×10^{-5} | 3.5×10^{-4} | 1.0×10^{-5} | — |
| $x \sin \phi$ from $D^0 \rightarrow K^+ \pi^-$ | 13×10^{-4} [228] | 3.2×10^{-4} | 4.6×10^{-4} | 8.0×10^{-5} | — |
| $x \sin \phi$ from multibody decays | — | $(K3\pi) 4.0 \times 10^{-5}$ | $(K_S^0 \pi\pi) 1.2 \times 10^{-4}$ | $(K3\pi) 8.0 \times 10^{-6}$ | — |

Conclusions

- Excellent progress from LHCb over the last few years
 - As shown today we are currently exploiting our beautiful Run-II data sample
 - The Run-II precision will be around 3 or 4 degrees
- Latest combination gives
$$\gamma_{\text{LHCb}} = (74.0^{+5.0}_{-5.8})^\circ$$
- Indirect measurements
$$\gamma_{\text{CKMfitter}} = (65.6^{+1.0}_{-3.4})^\circ$$
- Watch this space...
 - Lots more to come from LHCb, LHCb upgrade(s) and Belle-II!

1.7 σ shift



BACKUP Slides

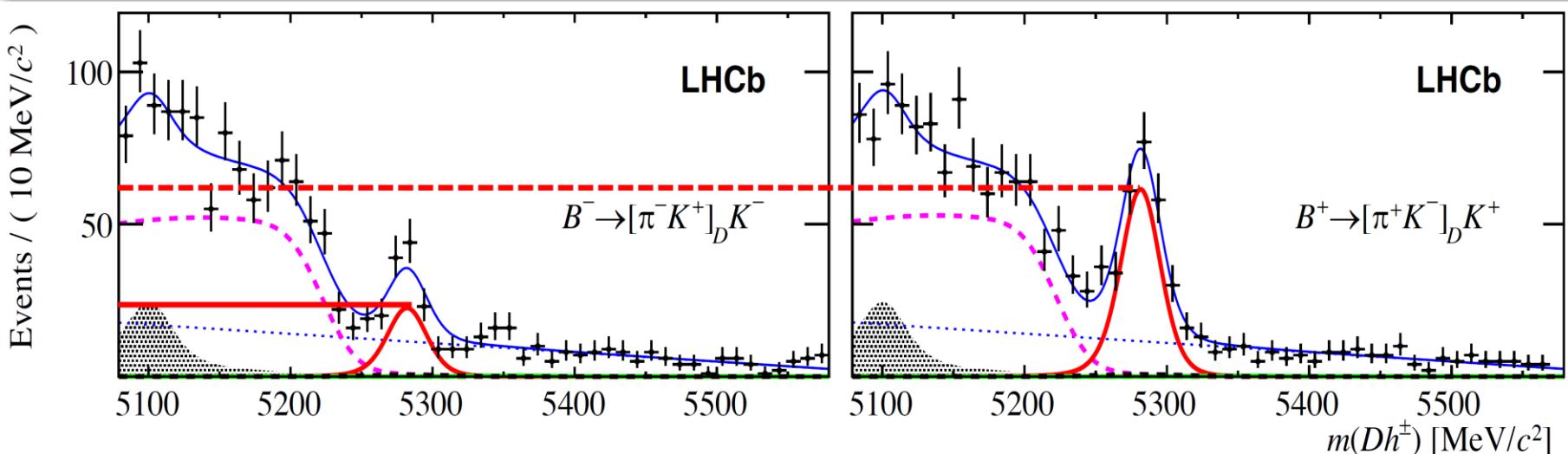


Measuring γ : ADS DK

ADS observables

$$A_{ADS} = \frac{\Gamma(B^- \rightarrow [K^+ \pi^-]_D K^-) - \Gamma(B^+ \rightarrow [K^- \pi^+]_D K^+)}{\Gamma(B^- \rightarrow [K^+ \pi^-]_D K^-) + \Gamma(B^+ \rightarrow [K^- \pi^+]_D K^+)} = \frac{2r_B r_D \kappa_D \sin(\delta_B + \delta_D) \sin(\gamma)}{r_B^2 + r_D^2 + 2r_B r_D \kappa_D \cos(\delta_B + \delta_D) \cos(\gamma)} \quad (3)$$

$$R_{ADS} = \frac{\Gamma(B^- \rightarrow [K^+ \pi^-]_D K^-) + \Gamma(B^+ \rightarrow [K^- \pi^+]_D K^+)}{\Gamma(B^- \rightarrow [K^- \pi^+]_D K^-) + \Gamma(B^+ \rightarrow [K^+ \pi^-]_D K^+)} = r_B^2 + r_D^2 + 2r_B r_D \kappa_D \cos(\delta_B + \delta_D) \cos(\gamma) \quad (4)$$



- ▶ Much harder to extract partially reconstructed observables because of $B_s^0 \rightarrow D^{(*)0} K^+ \pi^-$ backgrounds.

Measuring γ : GLW $D^{(*)}K$

- a positive CP asymmetry observed in $B^\pm \rightarrow D_{CP} K^\pm$

- $B^- \rightarrow D^* K^-$, $D^* \rightarrow D\pi^0$:

$$D = D^0 + r_B e^{i(\delta_B - \gamma)} \bar{D}^0$$

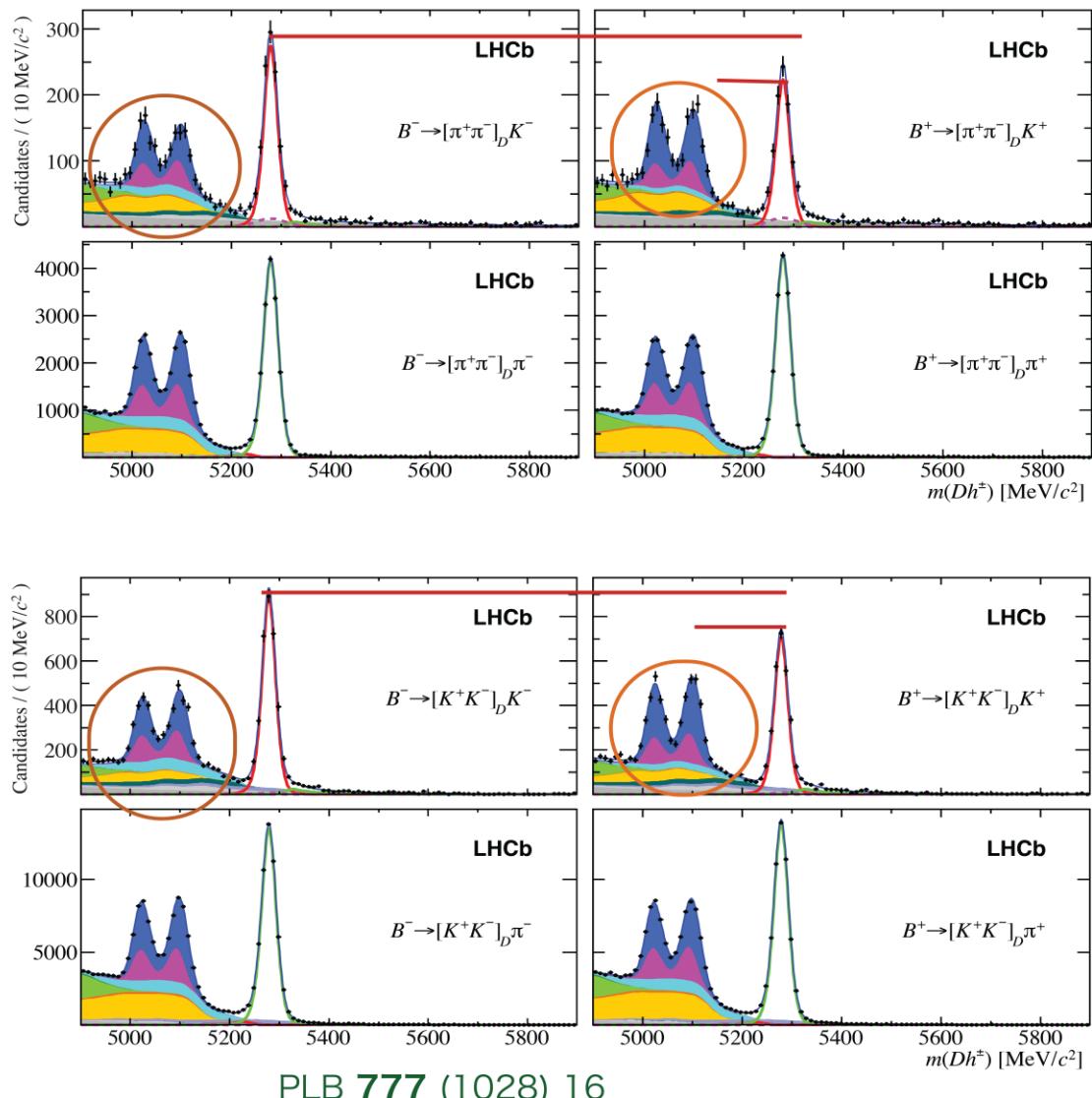
- $B^- \rightarrow D^* K^-$, $D^* \rightarrow D\gamma$:

$$D = D^0 + r_B e^{i(\delta_B + \pi - \gamma)} \bar{D}^0$$

PRD **70**, 091503

CP asymmetries from $D^* \rightarrow D\pi^0$ and $D^* \rightarrow D\gamma$ have opposite signs

The $B^\mp \rightarrow D^{(*)} h^\mp$ signals



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Measuring γ : GLW D(*)K

Defining

$$R_{K/\pi}^{K\pi} \equiv \frac{\Gamma(B^- \rightarrow [K^-\pi^+]_D K^-) + \Gamma(B^+ \rightarrow [K^+\pi^-]_D K^+)}{\Gamma(B^- \rightarrow [K^-\pi^+]_D \pi^-) + \Gamma(B^+ \rightarrow [K^+\pi^-]_D \pi^+)} \approx \frac{\mathcal{B}(B^- \rightarrow D^0 K^-)}{\mathcal{B}(B^- \rightarrow D^0 \pi^-)}$$

and averaging R_{KK} , $R_{\pi\pi}$ and A_{CP}^{KK} , $A_{CP}^{\pi\pi}$:

$$\begin{aligned} R_{CP+} &= \frac{\Gamma(B^- \rightarrow D_{CP} K^-) + \Gamma(B^+ \rightarrow D_{CP} K^+)}{\Gamma(B^- \rightarrow D_{CP} \pi^-) + \Gamma(B^+ \rightarrow D_{CP} \pi^+)} \times \frac{1}{R_{K/\pi}^{K\pi}} \\ &= 1 + (r_B^{DK})^2 + 2r_B^{DK} \cos \delta_B^{DK} \cos \gamma \end{aligned}$$

$$A_{CP+} = \frac{2r_B^{DK} \sin \delta_B^{DK} \sin \gamma}{1 + (r_B^{DK})^2 + 2r_B^{DK} \cos \delta_B^{DK} \cos \gamma}$$

$$R_{CP+} = 0.989 \pm 0.013 \pm 0.010$$

$$A_{CP+} = 0.124 \pm 0.012 \pm 0.002$$

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Values of these and the other observables to be used in the γ combination



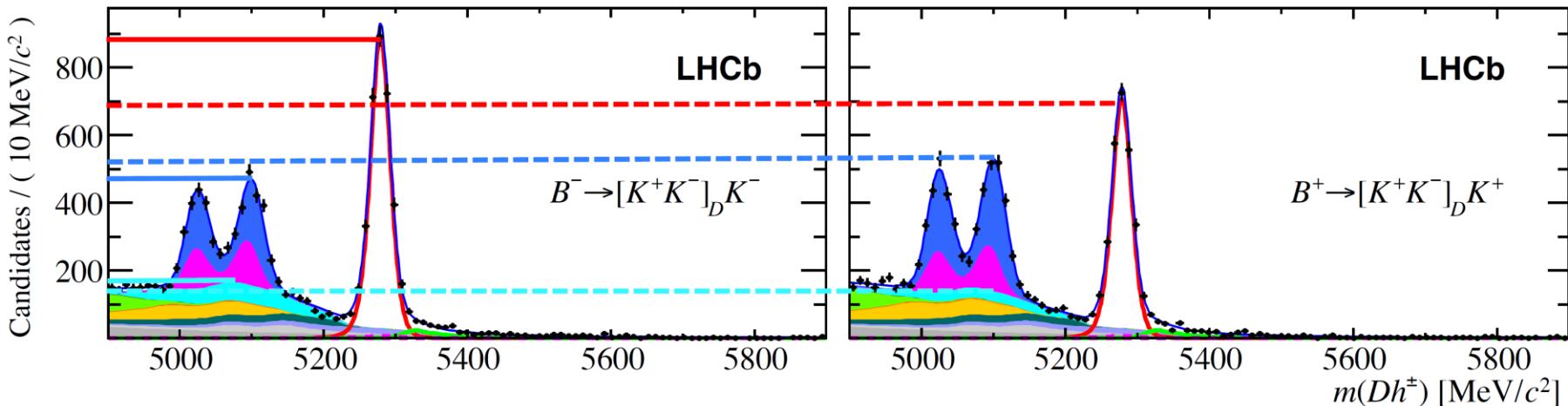
Measuring γ : GLW D(*)K

- CP eigenstates e.g. $D \rightarrow KK$, $D \rightarrow K_S^0\pi^0$
- [Phys. Lett. B253 (1991) 483]
- Gronau, London, Wyler (1991)
- [Phys. Lett. B265 (1991) 172]

GLW observables

$$A_{CP} = \frac{\Gamma(B^- \rightarrow D_{CP}^0 K^-) - \Gamma(B^+ \rightarrow D_{CP}^0 K^+)}{\Gamma(B^- \rightarrow D_{CP}^0 K^-) + \Gamma(B^+ \rightarrow D_{CP}^0 K^+)} = \frac{\pm 2r_B(2F^+ + 1) \sin(\delta_B) \sin(\gamma)}{1 + r_B^2 \pm 2r_B(2F^+ + 1) \cos(\delta_B) \cos(\gamma)} \quad (1)$$

$$R_{CP} = \frac{\Gamma(B^- \rightarrow D_{CP}^0 K^-) + \Gamma(B^+ \rightarrow D_{CP}^0 K^+)}{\Gamma(B^- \rightarrow D^0 K^-) + \Gamma(B^+ \rightarrow D^0 K^+)} = 1 + r_B^2 \pm 2r_B(2F^+ + 1) \cos(\delta_B) \cos(\gamma) \quad (2)$$



- LHCb has recently extracted GLW observables from partially reconstructed $B^- \rightarrow D^{*0} K^-$ in the same fit - [Phys. Lett. B777 (2018) 16]
- Can extend to quasi-CP-eigenstates ($D^0 \rightarrow KK\pi^0$) if fraction of CP content, F^+ , is known

$F^+=0$ in Eq (1) & (2) for KK and $\pi\pi$



Measurement of CP observables in $B^\pm \rightarrow DK^{*\pm}$ decays
 using two- and four-body D final states JHEP 11(2017) 156

12 CP observables from $B^- \rightarrow D(\rightarrow f)K^*(892)^-$, $K^*(892)^- \rightarrow K_S^0\pi^-$
 $f = K^-K^+$, $\pi^-\pi^+$, $K^\mp\pi^\pm$, $\pi^+\pi^-\pi^+\pi^-$, $K^\mp\pi^\pm\pi^+\pi^-$

$$A_{CP}^f = \frac{\Gamma(B^- \rightarrow D(\rightarrow f)K^{*-}) - \Gamma(B^+ \rightarrow D(\rightarrow \bar{f})K^{*+})}{\Gamma(B^- \rightarrow D(\rightarrow f)K^{*-}) + \Gamma(B^+ \rightarrow D(\rightarrow \bar{f})K^{*+})} \quad (A_{CP} = A_{\text{raw}} - A_{\text{prod}} - A_{\text{det}})$$

$$R_f = \frac{\Gamma(B^- \rightarrow D(\rightarrow f)K^{*-}) + \Gamma(B^+ \rightarrow D(\rightarrow \bar{f})K^{*+})}{\Gamma(B^- \rightarrow D_{\text{fav}}K^{*-}) + \Gamma(B^+ \rightarrow D_{\text{fav}}K^{*+})} \times \frac{\mathcal{B}(D_{\text{fav}}^0)}{\mathcal{B}(D^0 \rightarrow f)}$$

Neglecting CPV and mixing in D decays:

$$A_{CP}^{KK} = A_{CP}^{\pi\pi} = A_{CP+}$$

$$R_{KK} = R_{\pi\pi} = R_{CP+}$$

The ADS modes:

$$B^- \rightarrow [K^+\pi^-]_D K^{*-}$$

$$B^- \rightarrow [K^+\pi^-\pi^+\pi^-]_D K^{*-}$$

No CPV expected in favoured decays D_{fav}

$$B^- \rightarrow [K^-\pi^+]_D K^{*-}$$

$$B^- \rightarrow [K^-\pi^+\pi^+\pi^-]_D K^{*-}$$



The relation between CP observables and physics parameters:

$$A_{CP+} = \frac{2\kappa r_B \sin \delta_B \sin \gamma}{1 + r_B^2 + 2\kappa r_B \cos \delta_B \cos \gamma}, \quad R_{CP+} = 1 + r_B^2 + 2\kappa r_B \cos \delta_B \cos \gamma,$$

κ accounts for $K_S^0 \pi$ not from K^* ($\kappa=1$: pure K^*)

$\kappa = 0.95 \pm 0.06$,
from simulations

$$A_{\pi\pi\pi\pi} = \frac{2\kappa (2F_{4\pi} - 1) r_B \sin \delta_B \sin \gamma}{1 + r_B^2 + 2\kappa (2F_{4\pi} - 1) r_B \cos \delta_B \cos \gamma}, \quad F_{4\pi} (\sim 0.75) : \pi^- \pi^+ \pi^- \pi^+ \text{ is not a pure } CP \text{ eigenstate}$$

$$R_{\pi\pi\pi\pi} = 1 + r_B^2 + 2\kappa (2F_{4\pi} - 1) r_B \cos \delta_B \cos \gamma,$$

PLB **747** (2015) 9

ADS decays need additional external inputs

$$R_{K\pi}^\pm = \frac{r_B^2 + (r_D^{K\pi})^2 + 2\kappa r_B r_D^{K\pi} \cos(\delta_B + \delta_D^{K\pi} \pm \gamma)}{1 + r_B^2 (r_D^{K\pi})^2 + 2\kappa r_B r_D^{K\pi} \cos(\delta_B - \delta_D^{K\pi} \pm \gamma)},$$

$r_D^{K\pi}, \delta_D^{K\pi}$
HFLAV, arXiv:1612.07233

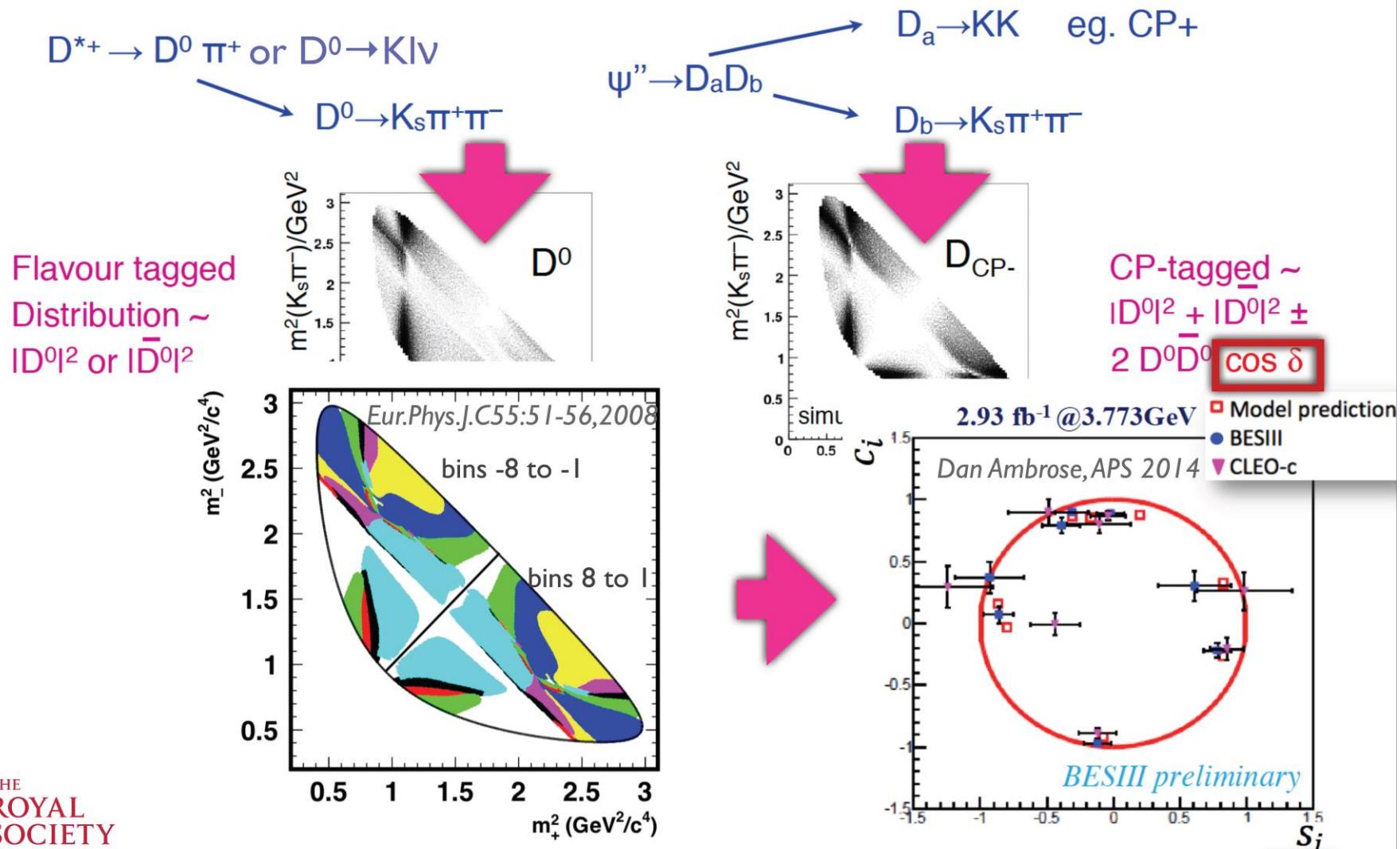
$$R_{K\pi\pi\pi}^\pm = \frac{r_B^2 + (r_D^{K3\pi})^2 + 2\kappa r_B \kappa_{K3\pi} r_D^{K3\pi} \cos(\delta_B + \delta_D^{K3\pi} \pm \gamma)}{1 + (r_B r_D^{K3\pi})^2 + 2\kappa r_B \kappa_{K3\pi} r_D^{K3\pi} \cos(\delta_B - \delta_D^{K3\pi} \pm \gamma)}.$$

$r_D^{K3\pi}, \delta_D^{K3\pi}, \kappa_{K3\pi}$
PRL **116** (2016) 241801
PLB **757** (2016) 520



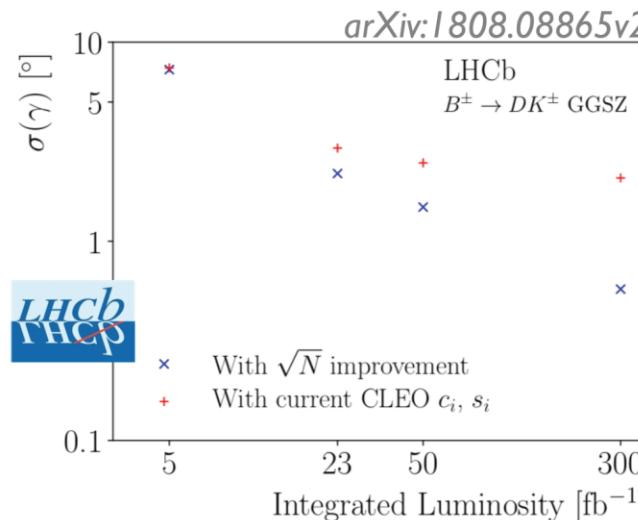
Measure strong phases

e.g. probe strong-phase distribution of multibody decays...



Importance of this measurement

- Most precise determination of γ from a single channel from $B \rightarrow D\bar{K}$ with $D \rightarrow K_{\text{shh}}$ $\gamma = (80.0^{+10.0}_{-9.0})^\circ$ *JHEP 08 176*
- Uncertainty due to strong-phase inputs (CLEO-c) $4^\circ >$ uncertainty due to experimental systematic effects 2°



3° with 50 ab⁻¹ at BELLEII

P. Krishnan, FPCP2018

- Input important for $B \rightarrow D\bar{K}\pi$ with $D \rightarrow K_{\text{shh}}$, precision of 2° achievable after the upgrade *Craik et al., arXiv:1712.0853*

How does this GGSZ Model Indep. Method works ?

- The Dalitz plot is divided into $2n$ bins, from $i = -n$ to $i = +n$. The populations of bins $\pm i$ are

$$N_{\pm i}^+ = h_{B^+} \left[F_{\mp i} + (x_+^2 + y_+^2) F_{\pm i} + 2\sqrt{F_i F_{-i}} (x_+ c_{\pm i} - y_+ s_{\pm i}) \right]$$

$$N_{\pm i}^- = h_{B^-} \left[F_{\pm i} + (x_-^2 + y_-^2) F_{\mp i} + 2\sqrt{F_i F_{-i}} (x_- c_{\pm i} + y_- s_{\pm i}) \right]$$

↑ normalization factors ↑ fraction of decays in bins $\pm i$ ↑ strong phases from CLEO-c

$$F_i = \frac{\int_i dm_-^2 dm_+^2 |A_D(m_-^2, m_+^2)|^2 \eta(m_-^2, m_+^2)}{\sum_j \int_j dm_-^2 dm_+^2 |A_D(m_-^2, m_+^2)|^2 \eta(m_-^2, m_+^2)}$$

from $B \rightarrow D^{*\pm} \mu^\mp \nu_\mu X$ with
 $D^{*+} \rightarrow D^0 \pi^+$, $D^0 \rightarrow K_S^0 \pi^+ \pi^+$

$$c_i \equiv \frac{\int_i dm_-^2 dm_+^2 |A_D(m_-^2, m_+^2)| |A_D(m_+^2, m_-^2)| \cos[\delta_D(m_-^2, m_+^2) - \delta_D(m_+^2, m_-^2)]}{\sqrt{\int_i dm_-^2 dm_+^2 |A_D(m_-^2, m_+^2)|^2 \int_i dm_-^2 dm_+^2 |A_D(m_+^2, m_-^2)|^2}}$$

γ , r_B , δ_B translated into $x_\pm \equiv r_B \cos(\delta_B \pm \gamma)$, $y_\pm \equiv r_B \sin(\delta_B \pm \gamma)$

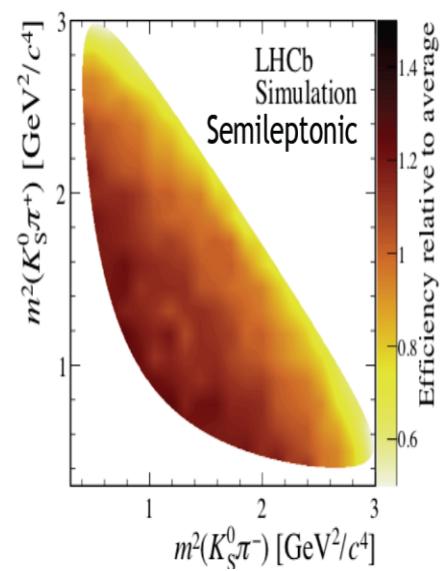
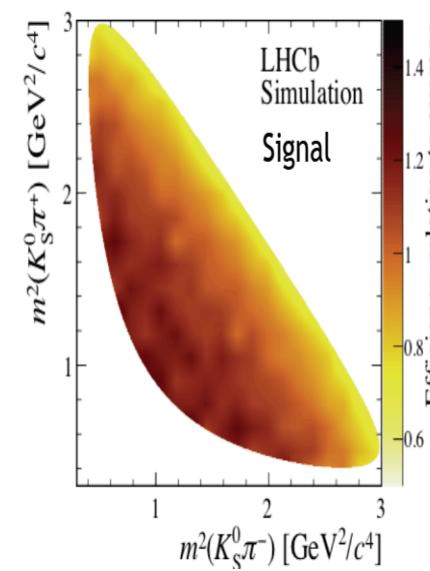
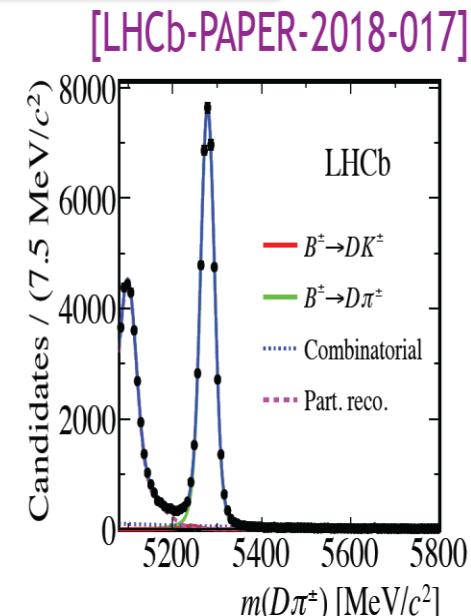
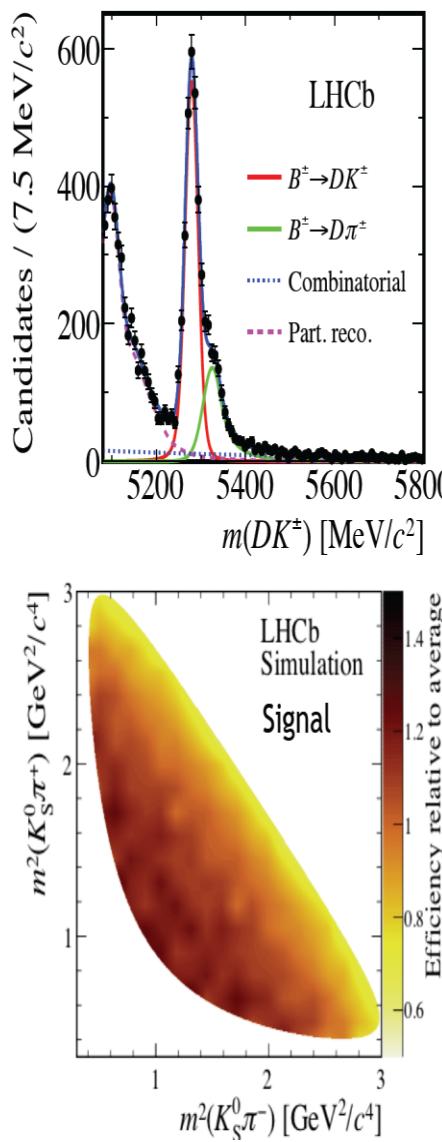
How does this GGSZ Model Indep. Method works ?

- Fitting the invariant mass distribution

- Cross-feeds from $\pi \rightarrow K$ misid taken from control mode $B^- \rightarrow D\pi^-$

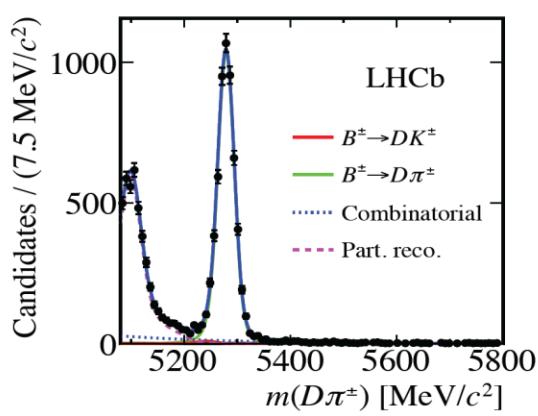
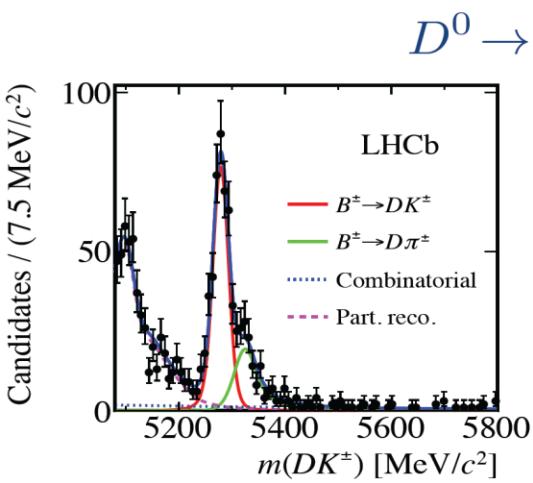
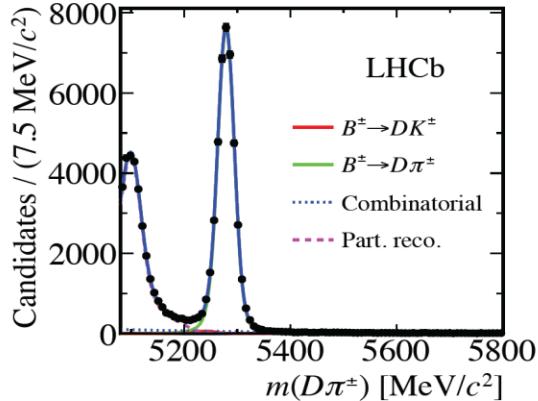
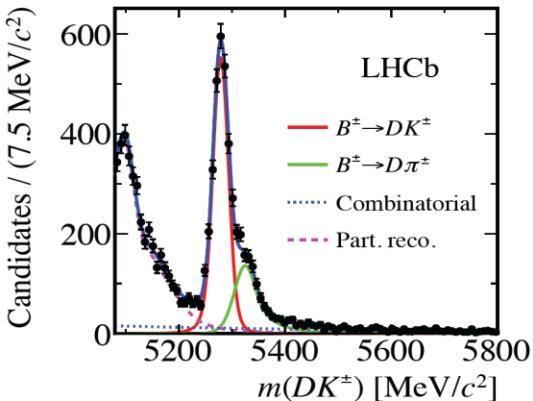
- Efficiencies over the D Dalitz plot

- Taken from simulation with data driven corrections
- Smoothly varying
- Account for differences between the signal decays and semileptonic control sample used to described the fraction of $D^0\bar{D}^0$ in each bin



How does this GGSZ Model Indep. Method works ?

$$D^0 \rightarrow K_S^0 \pi^+ \pi^- \quad \text{JHEP 08, 176}$$



$B^- \rightarrow D\pi^-$ used to estimate contamination in $B^- \rightarrow DK^-$ sample due to $\pi - K$ misID

A fit to the 8 $B^\pm \rightarrow Dh^\pm$ subsamples, integrated over the DP, fix the shapes of signal and bkg.

yields/bin of $B^\pm \rightarrow D\pi^\pm$:
direct B^\pm mass fit

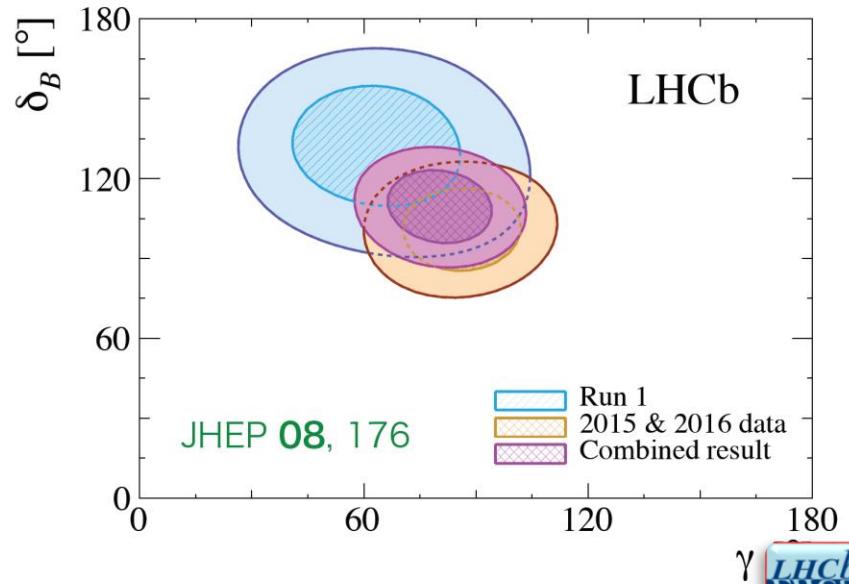
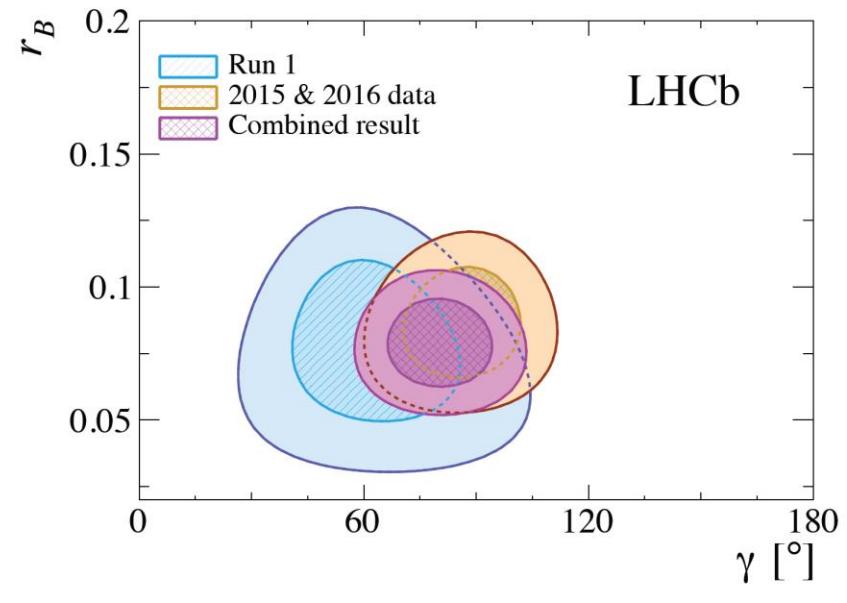
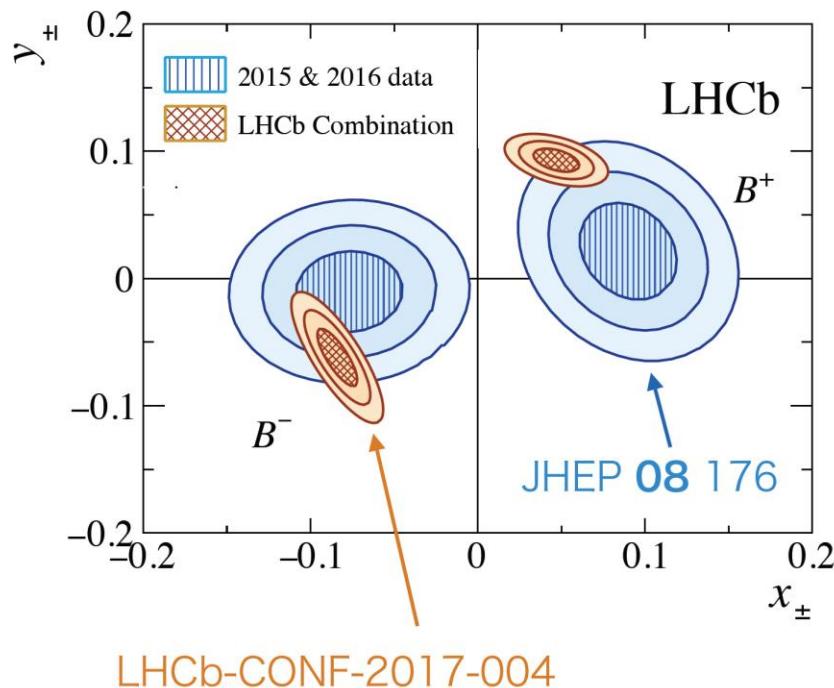
yields/bin of $B^\pm \rightarrow DK^\pm$:

$$S_i^\pm = N_{\text{tot}}(DK) \times \frac{N_i^\pm}{\sum_{-n}^{+n} N_i^\pm}$$

$$N_{\pm i}^+ = h_{B^+} \left[F_{\mp i} + (x_+^2 + y_+^2) F_\pm + 2\sqrt{F_i F_{-i}} (x_+ c_{\pm i} - y_+ s_{\pm i}) \right]$$



GGSZ Model Indep. Method Run1/2



Dalitz structure of other multibody D modes

- ▶ We have a good model for the GGSZ modes ($D \rightarrow K_S^0 \pi\pi$ and $D \rightarrow K_S^0 KK$) but development of others (e.g. the 4-body charm decays) could prove very useful.
- ▶ Recent measurements of $D^0 \rightarrow K^+ \pi^- \pi^+ \pi^-$ amplitude model at LHCb - [\[arXiv:1712.08609\]](https://arxiv.org/abs/1712.08609)
 - ▶ Indeed equivalent knowledge of c_i and s_i for this and related modes allows for binned Dalitz analyses in γ (see Tim Evans talk later)
- ▶ For some modes (e.g. $D \rightarrow KK\pi^0$ and $D^0 \rightarrow 4\pi$) there is a low F^+ value suggesting a Dalitz analysis could offer considerable improvement
- ▶ Many recent developments in $D^0 \rightarrow \pi^+ \pi^- \pi^+ \pi^-$ and $D^0 \rightarrow K^+ K^- \pi^+ \pi^-$ Dalitz models with CLEO data - [\[JHEP 05 \(2017\) 143\]](https://arxiv.org/abs/1705.0143)
- ▶ Can one define optimal binning schemes for various $D^0 \rightarrow 4h$ and $D^0 \rightarrow hh\pi^0$ from which c_i and s_i equivalents can be extracted?

TDCPV $B_s \rightarrow D_s^\mp K^\pm$

$$\frac{d\Gamma_{B_s^0 \rightarrow f}(t)}{dt} = \frac{1}{2} |A_f|^2 (1 + |\lambda_f|^2) e^{-\Gamma_s t} \left[\cosh\left(\frac{\Delta\Gamma_s t}{2}\right) + \underline{A_f^{\Delta\Gamma}} \sinh\left(\frac{\Delta\Gamma_s t}{2}\right) \right. \\ \left. + \underline{C_f} \cos(\Delta m_s t) - \underline{S_f} \sin(\Delta m_s t) \right],$$

$$\frac{d\Gamma_{\bar{B}_s^0 \rightarrow f}(t)}{dt} = \frac{1}{2} |A_f|^2 \left| \frac{p}{q} \right|^2 (1 + |\lambda_f|^2) e^{-\Gamma_s t} \left[\cosh\left(\frac{\Delta\Gamma_s t}{2}\right) + \underline{A_f^{\Delta\Gamma}} \sinh\left(\frac{\Delta\Gamma_s t}{2}\right) \right. \\ \left. - \underline{C_f} \cos(\Delta m_s t) + \underline{S_f} \sin(\Delta m_s t) \right],$$

... and similar equations for \bar{f} (e.g. $f = D_s^- K^+$, $\bar{f} = D_s^+ K^-$)

Five independent observables assuming no CP violation in mixing or in decay

$$C_f = \frac{1 - |\lambda_f|^2}{1 + |\lambda_f|^2} = -C_{\bar{f}} = -\frac{1 - |\lambda_{\bar{f}}|^2}{1 + |\lambda_{\bar{f}}|^2},$$

$$S_f = \frac{2\mathcal{I}m(\lambda_f)}{1 + |\lambda_f|^2}, \quad A_f^{\Delta\Gamma} = \frac{-2\mathcal{R}e(\lambda_f)}{1 + |\lambda_f|^2},$$

$$S_{\bar{f}} = \frac{2\mathcal{I}m(\lambda_{\bar{f}})}{1 + |\lambda_{\bar{f}}|^2}, \quad A_{\bar{f}}^{\Delta\Gamma} = \frac{-2\mathcal{R}e(\lambda_{\bar{f}})}{1 + |\lambda_{\bar{f}}|^2}.$$

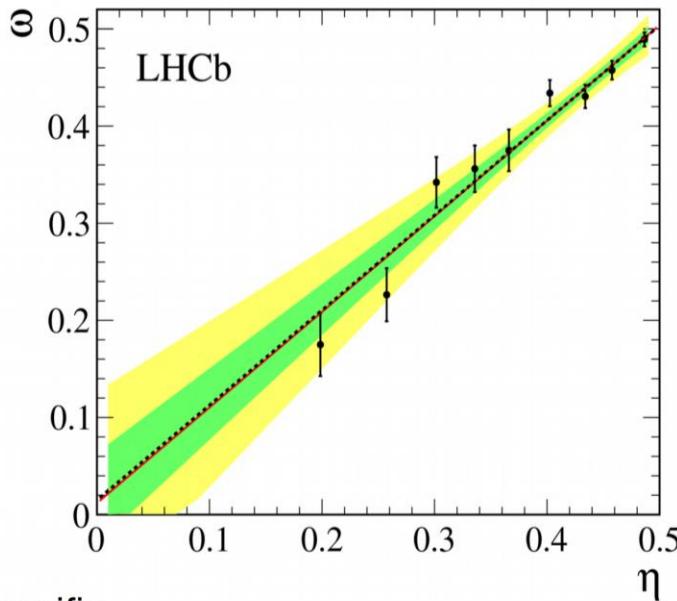
$$\lambda_f = \frac{q}{p} \frac{\bar{A}_f}{A_f}$$

$$|\lambda_f| = |\lambda_{\bar{f}}| \\ \equiv r_{D_s K} \sim 0.4$$

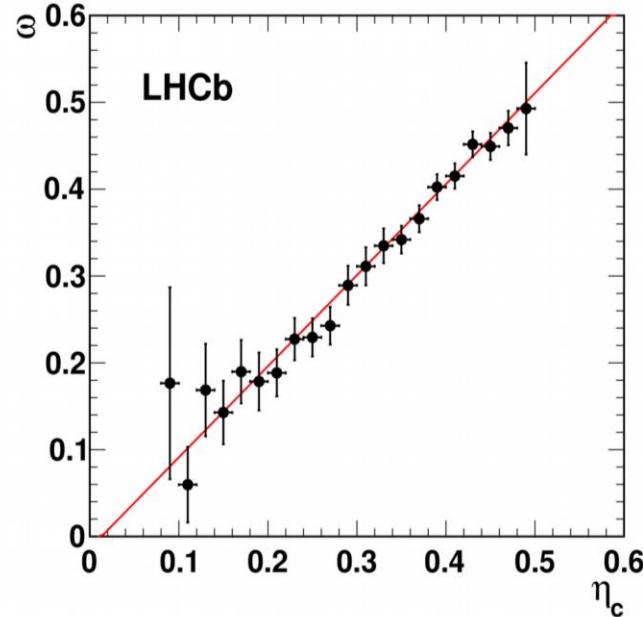


Tagging $B_s \rightarrow D_s^\mp K^\pm$

Same side kaon
LHCb-PAPER-2015-056
JINST 11 (2016) P05010



Opposite side taggers
LHCb-PAPER-2011-027
EPJ C72 (2012) 2022



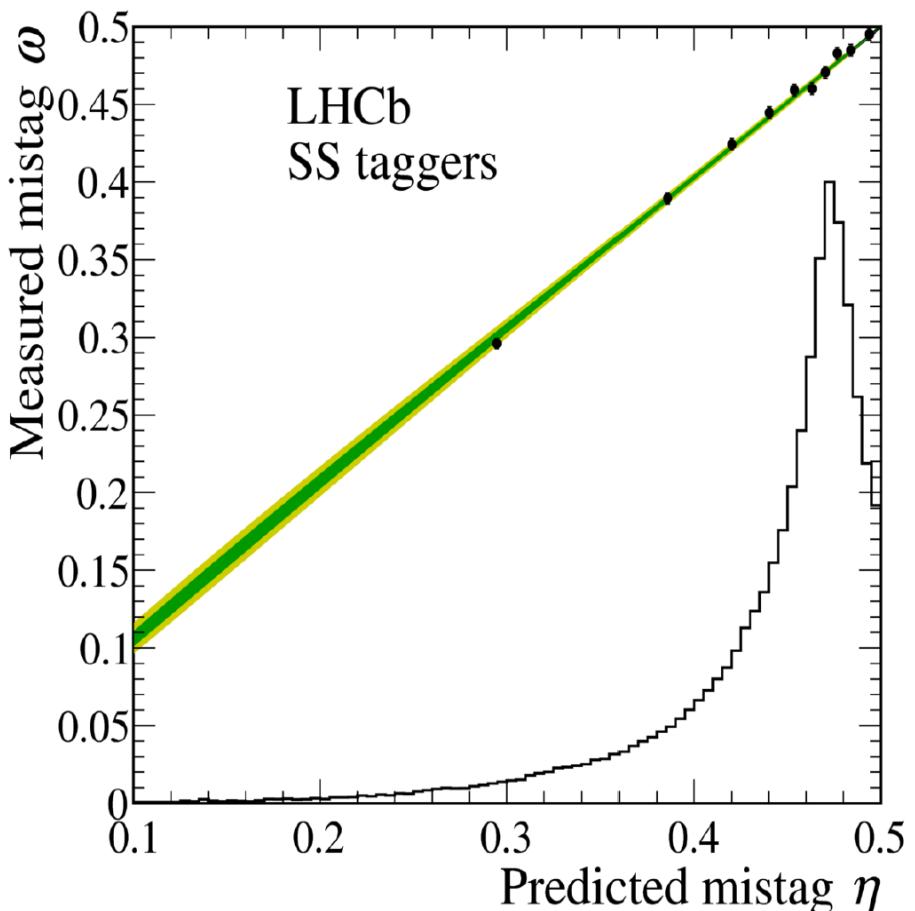
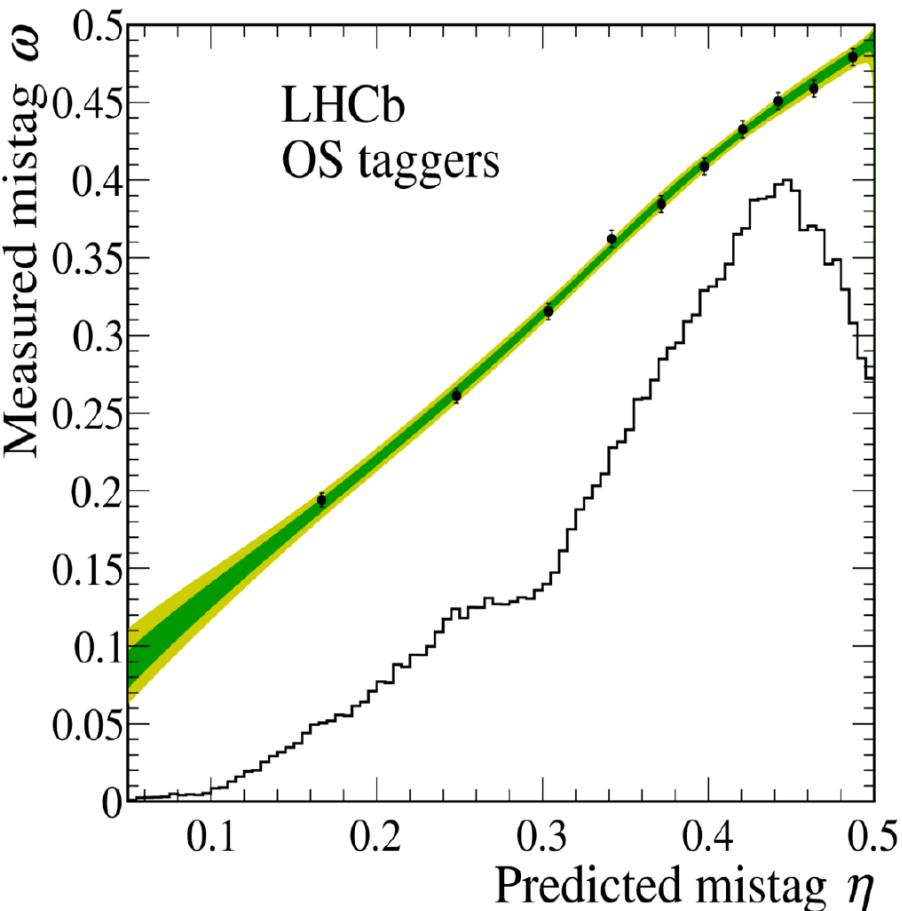
Analysis-specific
calibration:

| $B_s^0 \rightarrow D_s^- \pi^+$ | $\varepsilon_{\text{tag}} [\%]$ | $\varepsilon_{\text{eff}} [\%]$ |
|---------------------------------|---------------------------------|---------------------------------|
| OS only | 12.94 ± 0.11 | 1.41 ± 0.11 |
| SS only | 39.70 ± 0.16 | 1.29 ± 0.13 |
| Both OS and SS | 24.21 ± 0.14 | 3.10 ± 0.18 |
| Total | 76.85 ± 0.24 | 5.80 ± 0.25 |

LHCb-PAPER-2017-047, 3 fb^{-1}
JHEP 03 (2018) 059

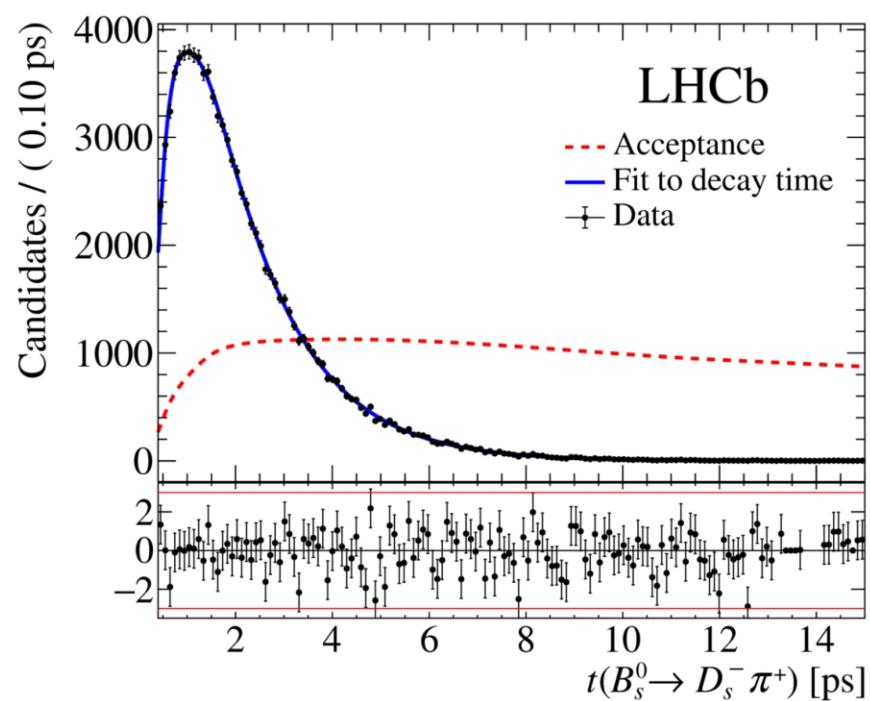
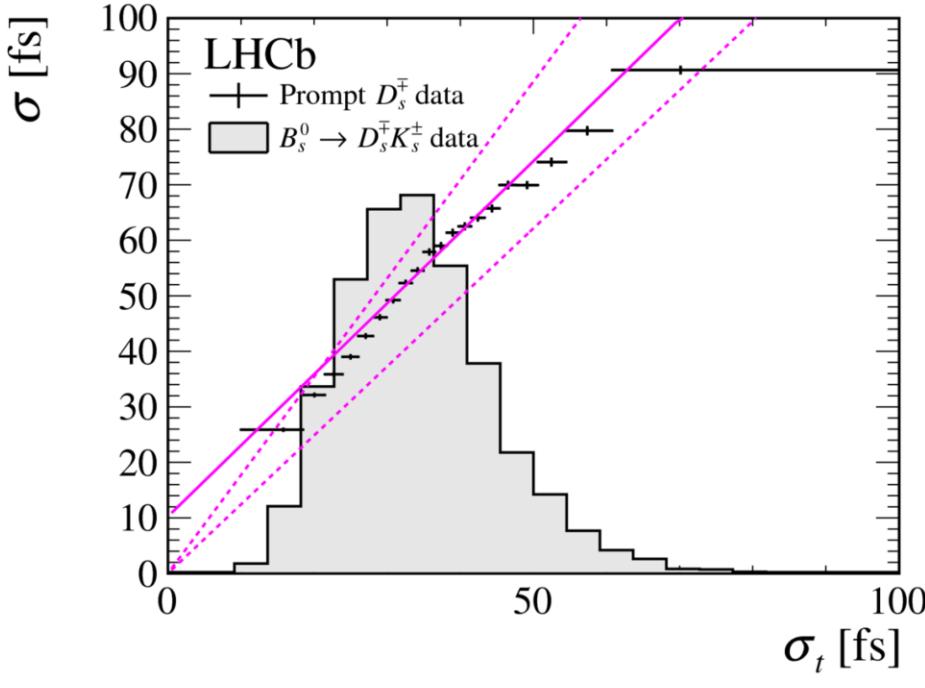
$$\epsilon_{\text{eff}} = \epsilon_{\text{tag}} (1 - 2 \langle \omega \rangle)^2$$

Tagging $B_d \rightarrow D^\mp \pi^\pm$



Exploit fact that $|C|=1$ to calibrate tagging with signal channel
 $\varepsilon_{\text{eff}} = (5.59 \pm 0.01)\%$

Decay time resolution and acceptance $B_s \rightarrow D_s^\mp K^\pm$



- Candidate-by-candidate resolution used to improve sensitivity
 - Vertex fit gives good estimate (σ_t); calibrated with prompt D_s mesons
- Known lifetime of $B_s \rightarrow D_s \pi$ used to obtain acceptance function
 - Corrections for $B_s \rightarrow D_s K/B_s \rightarrow D_s \pi$ differences obtained from MC
 - Important source of systematic uncertainty on $A^{\Delta\Gamma}$ observables

Systematics $B_s \rightarrow D_s^\mp K^\pm$

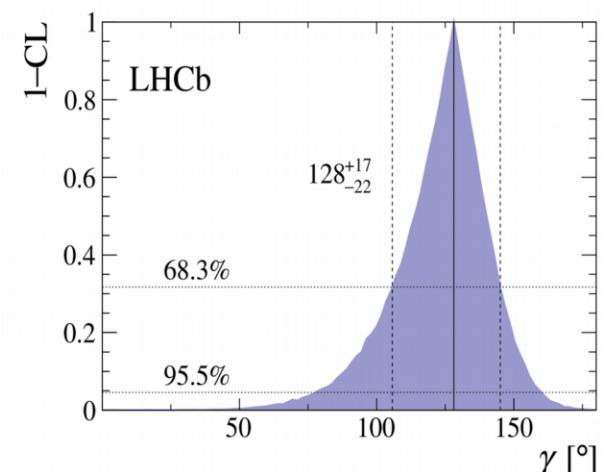
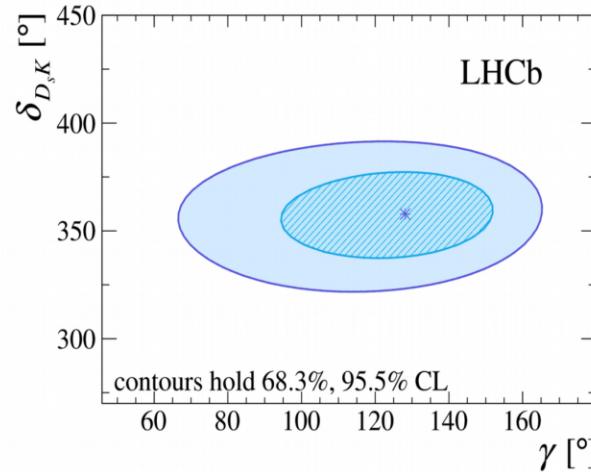
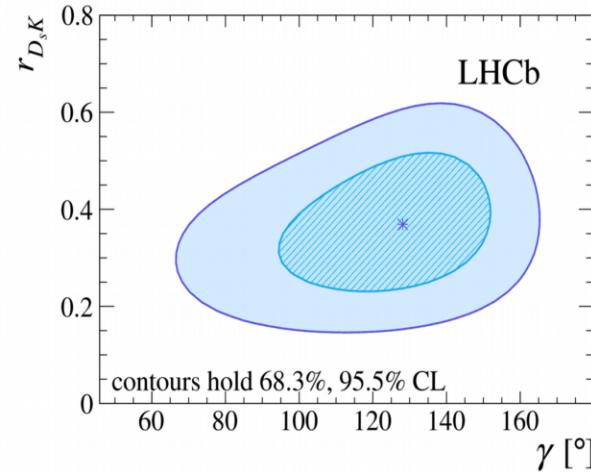
Quoted relative to the statistical uncertainty

| Source | C_f | $A_f^{\Delta\Gamma}$ | $A_{\bar{f}}^{\Delta\Gamma}$ | S_f | $S_{\bar{f}}$ |
|--|-------|----------------------|------------------------------|-------|---------------|
| Detection asymmetry | 0.02 | 0.28 | 0.29 | 0.02 | 0.02 |
| Δm_s | 0.11 | 0.02 | 0.02 | 0.20 | 0.20 |
| Tagging and scale factor | 0.18 | 0.02 | 0.02 | 0.16 | 0.18 |
| Tagging asymmetry | 0.02 | 0.00 | 0.00 | 0.02 | 0.02 |
| Correlation among observables | 0.20 | 0.38 | 0.38 | 0.20 | 0.18 |
| Closure test | 0.13 | 0.19 | 0.19 | 0.12 | 0.12 |
| Acceptance, simulation ratio | 0.01 | 0.10 | 0.10 | 0.01 | 0.01 |
| Acceptance data fit, Γ_s , $\Delta\Gamma_s$ | 0.01 | 0.18 | 0.17 | 0.00 | 0.00 |
| Total | 0.32 | 0.55 | 0.55 | 0.35 | 0.35 |

Mainly from control samples – will scale with statistics
 Others also appear reducible



Constraint on γ : $B_s \rightarrow D_s^\mp K^\pm$



Measurements of five observables converted to constraints on three parameters using
GammaCombo ([LHCb-PAPER-2016-032](#), [LHCb-CONF-2018-002](#))

$\gamma - 2\beta_s$ converted to γ using
 $-2\beta_s$ from $B_s \rightarrow J/\psi \phi$

$$\gamma = (128^{+17}_{-22})^\circ,$$

$$\delta = (358^{+13}_{-14})^\circ,$$

$$r_{D_s K} = 0.37^{+0.10}_{-0.09},$$

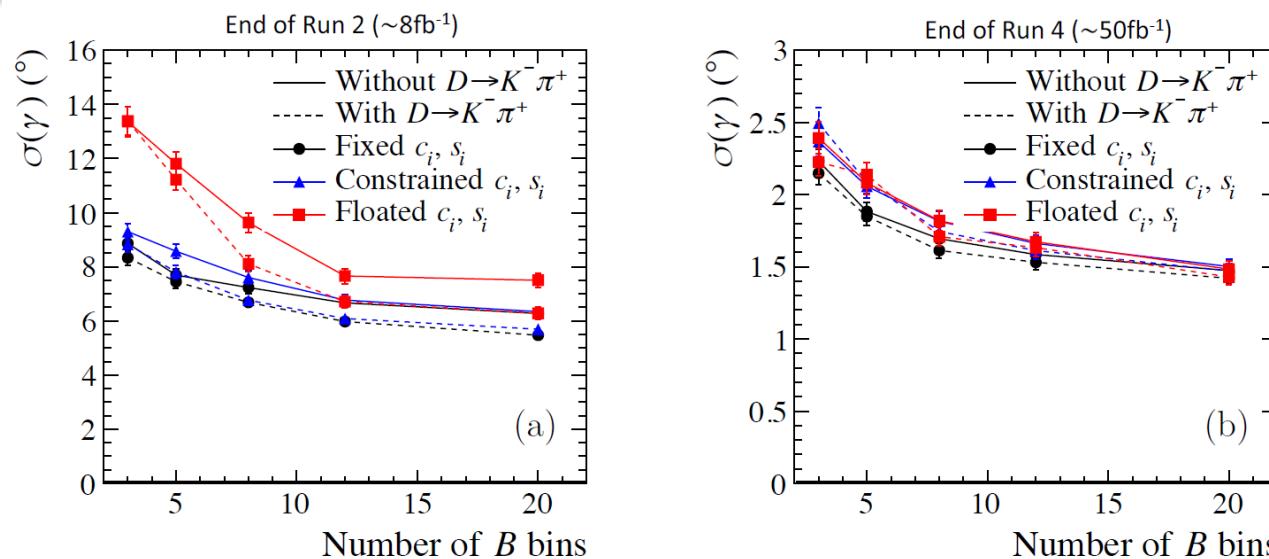
**3.8 σ evidence
for CP violation**

3-body decay $B^0 \rightarrow D\pi^-K^+$

- ▶ Some studies of future prospects of the B Dalitz method with GGSZ modes in [arXiv:1712.07853]
- ▶ Can include GLW, ADS and GGSZ modes in single framework to improve constraints on B Dalitz bins, \varkappa_j and σ_j
- ▶ The double Dalitz method has sufficient information (large number of bins) to extract c_i and s_i

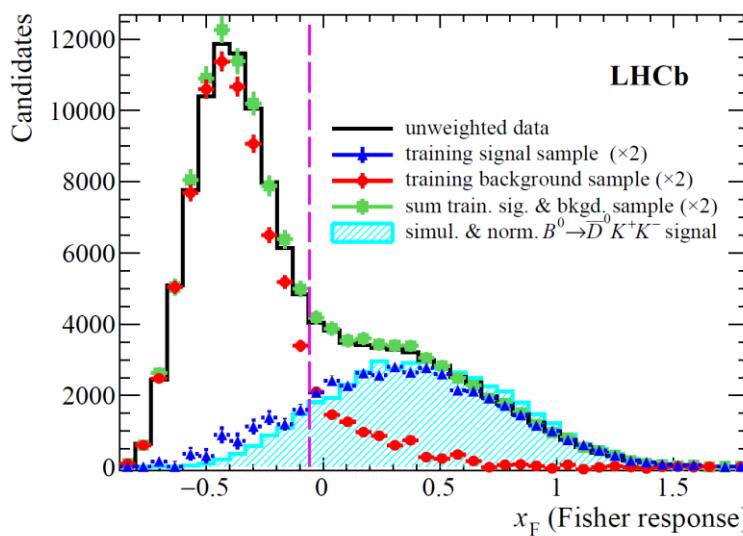
Double Dalitz observables (partial rate as function of both Dalitz positions)

$$|A|^2 = |A_B|^2 |A_D|^2 + |\bar{A}_B|^2 |\bar{A}_D|^2 + 2|A_B||A_D||\bar{A}_B||\bar{A}_D|[(\varkappa c - \sigma s) \cos(\gamma) - (\varkappa s + \sigma c) \sin(\gamma)]$$



Selection of $B^0_{(s)} \rightarrow \bar{D}^0 K^+ K^-$ decays

- ✓ \bar{D}^0 reconstructed in $K^+ \pi^-$ decay
- ✓ Kinematic and topological discriminating variables
- ✓ Charmless B decays rejected by requiring the D meson vertex to be downstream of the B meson vertex
- ✓ Veto of $B^0 \rightarrow D^*(2010)^- \pi^+$, $D^*(2010)^- \rightarrow \bar{D}^0 \pi^-$
- ✓ Combinatorial background rejected with robust MVA Fisher discriminant optimised on data with $B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-$ using sPlot technique



- ✓ Selections for $B^0_{(s)} \rightarrow \bar{D}^0 K^+ K^-$ signal and $B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-$ normalisation modes differ only on the PID of the $h^+ h^-$ pair (use of RICHs)
- ✓ One candidate/event only

invariant mass fit of $B^0_{(s)} \rightarrow \bar{D}^0 h^+ h^-$ decays

- ✓ Signals modelled with 2 Crystal Ball functions (tails params. fixed from simulation) and mass difference between B^0 and B^0_s for $D\bar{K}^+K^-$ fixed to PDG2018 value ($87.35 \text{ MeV}/c^2$)
- ✓ Surviving combinatorial background modelled with exponential function
- ✓ Mis-identified and partially reconstructed b-hadron decays modelled from simulation with corrections to match data
- ✓ Specific treatment of $\Lambda_b \rightarrow D^0 p \pi^-$, $\Lambda_b \rightarrow D^0 p K^-$ and $\Xi_b \rightarrow D^0 p K^-$ backgrounds constrained from data

Likelihood function:

$$\mathcal{L}_{\bar{D}^0 h^+ h^-} = \frac{v^n}{n!} e^{-v} \prod_{i=1}^n \mathcal{P}_\theta^{\text{tot}}(m_{i,\bar{D}^0 h^+ h^-})$$

v is the sum of the yields and n the number of observed candidates

- $B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-$ (7 background components):

$$\mathcal{P}_\theta^{\text{tot}}(m_{\bar{D}^0 \pi^+ \pi^-}) = N_{\bar{D}^0 \pi^+ \pi^-} \times \mathcal{P}_{\text{sig}}^{B^0}(m_{\bar{D}^0 \pi^+ \pi^-}) + \sum_{j=1}^7 N_{j,\text{bkg}} \times \mathcal{P}_{j,\text{bkg}}(m_{\bar{D}^0 \pi^+ \pi^-})$$

- $B^0_{(s)} \rightarrow \bar{D}^0 K^+ K^-$ (2 signal + 9 background components):

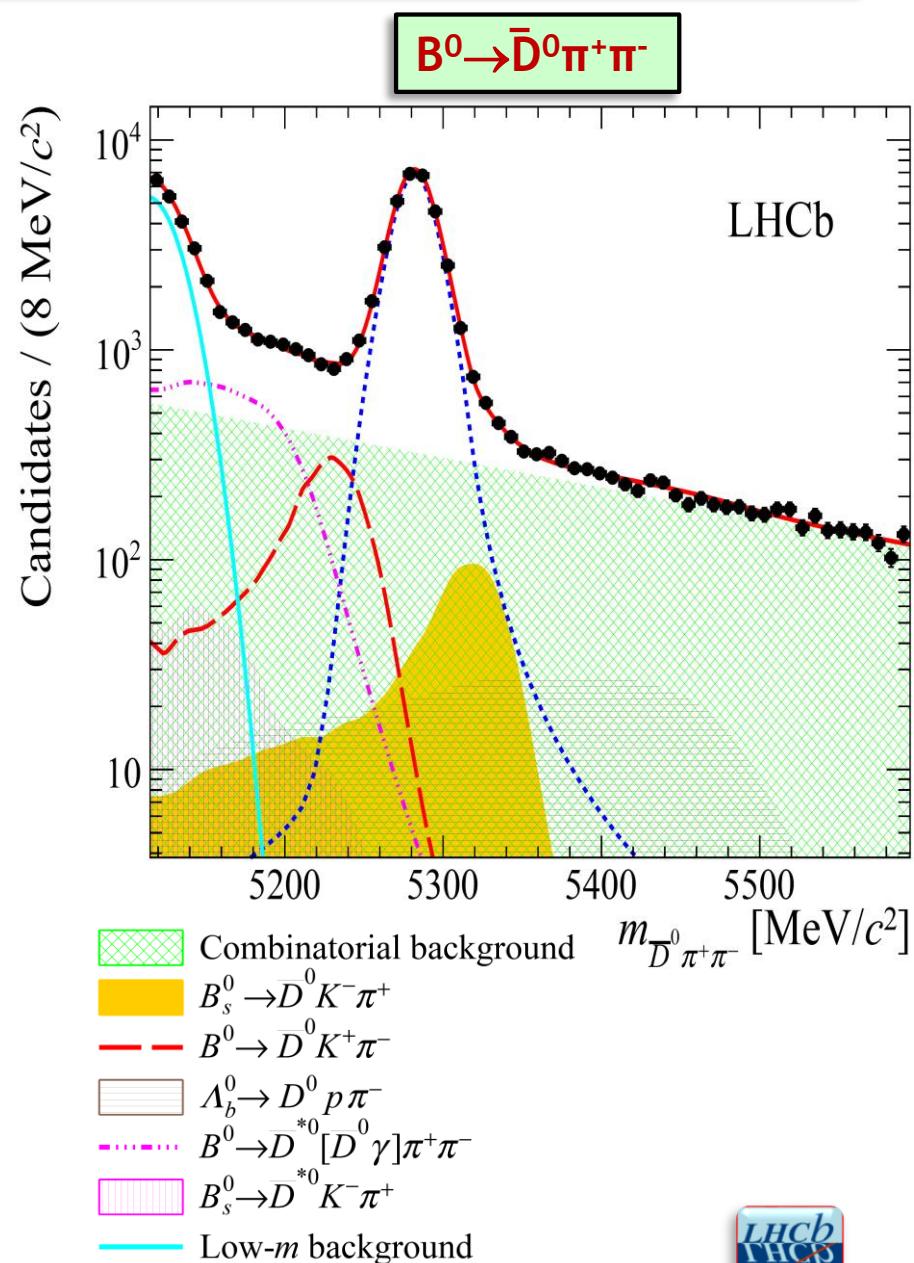
$$\begin{aligned} \mathcal{P}_\theta^{\text{tot}}(m_{\bar{D}^0 K^+ K^-}) &= N_{B^0 \rightarrow \bar{D}^0 K^+ K^-} \times \mathcal{P}_{\text{sig}}^{B^0}(m_{\bar{D}^0 K^+ K^-}) \\ &+ N_{B_s^0 \rightarrow \bar{D}^0 K^+ K^-} \times \mathcal{P}_{\text{sig}}^{B_s^0}(m_{\bar{D}^0 K^+ K^-}) \\ &+ \sum_{j=1}^9 N_{j,\text{bkg}} \times \mathcal{P}_{j,\text{bkg}}(m_{\bar{D}^0 K^+ K^-}). \end{aligned}$$



invariant mass fit of $B^0_{(s)} \rightarrow \bar{D}^0 h^+ h^-$ decays

Fit output details

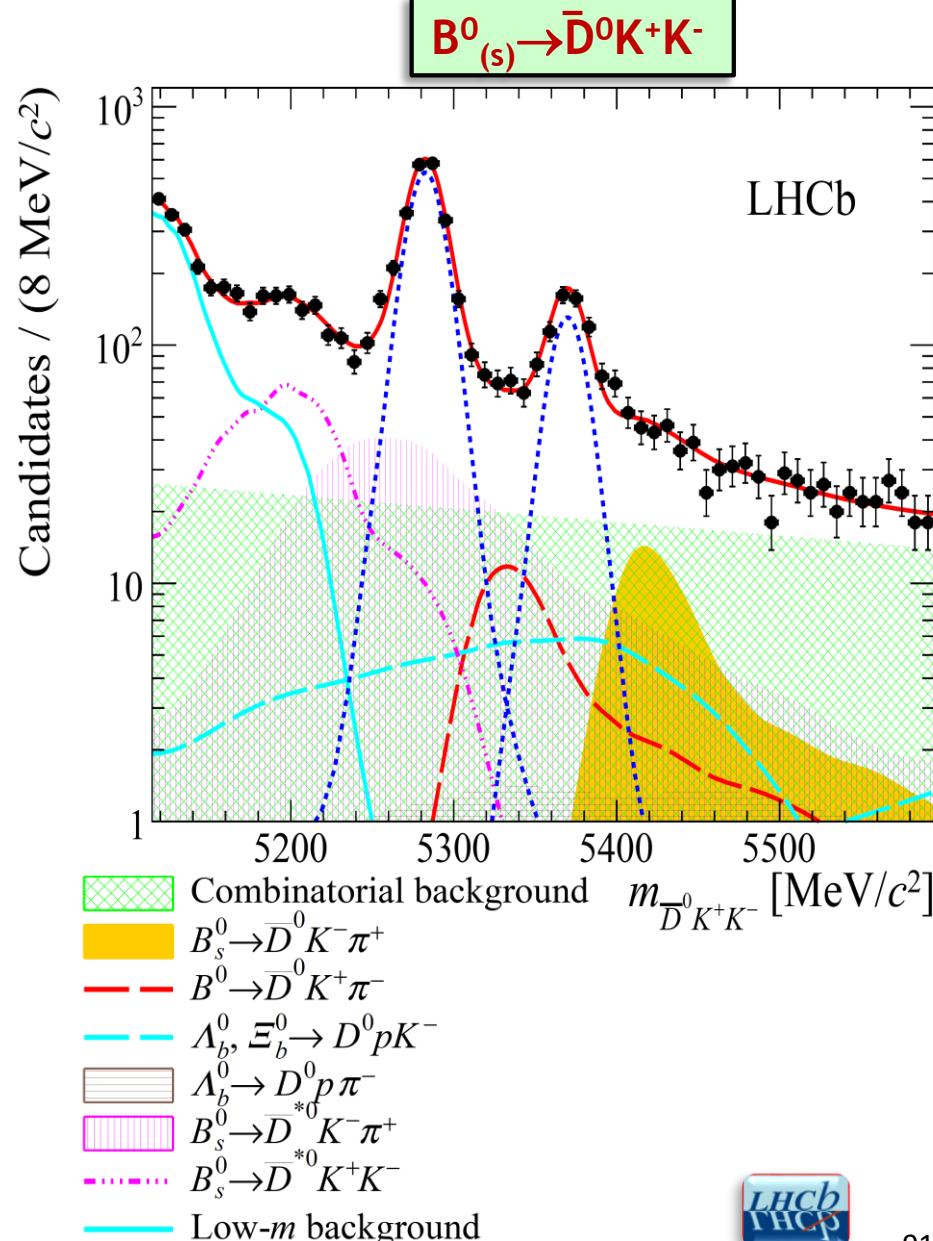
| Parameter | $B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-$ | $B^0_{(s)} \rightarrow \bar{D}^0 K^+ K^-$ |
|---|---|---|
| m_0 [MeV/ c^2] | 5282.0 ± 0.1 | 5282.6 ± 0.3 |
| σ_1 [MeV/ c^2] | 9.7 ± 1.0 | fixed at 9.7 |
| σ_2 [MeV/ c^2] | 16.2 ± 0.8 | fixed at 16.2 |
| f_{CB} | 0.3 ± 0.1 | 0.6 ± 0.1 |
| $a_{\text{comb.}}$ [$10^{-3} \times (\text{MeV}/c^2)^{-1}$] | -3.2 ± 0.1 | -1.3 ± 0.4 |
| $N_{B^0 \rightarrow \bar{D}^0 h^+ h^-}$ | $29\,943 \pm 243$ | 1918 ± 74 |
| $N_{B^0_s \rightarrow \bar{D}^0 h^+ h^-}$ | — | 473 ± 33 |
| $N_{\text{comb.}}$ | $20\,266 \pm 463$ | 1720 ± 231 |
| $N_{B^0_s \rightarrow \bar{D}^0 K^- \pi^+}$ | 923 ± 191 | 151 ± 47 |
| $N_{B^0 \rightarrow \bar{D}^0 K^+ \pi^-}$ | 2450 ± 211 | 131 ± 65 |
| $N_{A_b^0 \rightarrow D^0 p K^-}$ (constrained) | — | 197 ± 44 |
| $N_{\Xi_b^0 \rightarrow D^0 p K^-}$ (constrained) | — | 57 ± 20 |
| $N_{A_b^0 \rightarrow D^0 p \pi^-}$ (constrained) | 1016 ± 136 | 74 ± 32 |
| $N_{B^0_s \rightarrow \bar{D}^{*0} K^- \pi^+}$ | 540 (fixed) | 833 ± 185 |
| $N_{B^0_s \rightarrow \bar{D}^{*0} K^+ K^-}$ | — | 775 ± 100 |
| $N_{B^0 \rightarrow \bar{D}^{*0} [\bar{D}^0 \gamma] \pi^+ \pi^-}$ | 7697 ± 325 | — |
| $N_{\text{Low-}m}$ | $14\,914 \pm 222$ | 1632 ± 68 |
| χ^2/ndf (p -value) | $52/46$ (25%) | $43/46$ (60%) |



invariant mass fit of $B^0_{(s)} \rightarrow \bar{D}^0 h^+ h^-$ decays

Fit output details

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| f_{CB} | 0.3 ± 0.1 | 0.6 ± 0.1 |
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| $N_{B^0_s \rightarrow \bar{D}^0 h^+ h^-}$ | — | 473 ± 33 |
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Ratios of branching fractions & efficiencies

- ✓ Compute ratios of branching fractions:

$$\frac{\mathcal{B}(B^0 \rightarrow \bar{D}^0 K^+ K^-)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-)} = \frac{N_{B^0 \rightarrow \bar{D}^0 K^+ K^-}}{N_{B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-}} \times \frac{\varepsilon_{B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-}}{\varepsilon_{B^0 \rightarrow \bar{D}^0 K^+ K^-}}$$

$$\frac{\mathcal{B}(B_s^0 \rightarrow \bar{D}^0 K^+ K^-)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0 K^+ K^-)} = r_{B_s^0/B^0} \times \frac{\varepsilon_{B^0 \rightarrow \bar{D}^0 K^+ K^-}}{\varepsilon_{B_s^0 \rightarrow \bar{D}^0 K^+ K^-}} \times \frac{1}{f_s/f_d}$$

- ✓ $\mathcal{B}(B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-)$ from PDG2018 (including Phys. Rev. D 92 (2015) 032002)
- ✓ f_s/f_d from LHCb (JHEP 04 (2003) 001 & LHCb-CONF-2013-011)
- ✓ Efficiencies account for acceptance/reconstruction, hardware L0 /software HLT1/2 triggering, PID and selections (including Fisher discriminant).
 - Mostly computed with simulation, but PID/tracking simulation corrected with data control samples.
 - Hardware L0 trigger part determined from calibration data samples.
 - Global efficiency corrected for phase-space effects in $B^0_{(s)} \rightarrow \bar{D}^0 h^+ h^-$ multi-body decays on event-by-event basis using sPlot technique (i.e. sWeights).



Systematic uncertainties

- ✓ Many sources of systematic uncertainty cancel in the ratios of branching fractions
 - ✓ Other non-vanishing sources:
 - Hardware L0 trigger (signal specific part).
 - PID difference in the h^+h^- selection for $B^0_{(s)} \rightarrow \bar{D}^0 K^+ K^-$ signal and $B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-$ normalisation mode.
 - Signal and background modelling in the invariant mass fit.
-
-

| Source [%] | $\mathcal{R}_{\bar{D}^0 K^+ K^- / \bar{D}^0 \pi^+ \pi^-}$ | $\mathcal{R}_{B_s^0 / B^0}$ |
|-----------------------|---|-----------------------------|
| HW trigger efficiency | 2.0 | — |
| PID efficiency | 2.0 | — |
| PDF modelling | 3.2 | 4.5 |
| f_s/f_d | — | 5.8 |
| Total [%] | 4.3 | 7.3 |

Where:

$$\mathcal{R}_{\bar{D}^0 K^+ K^- / \bar{D}^0 \pi^+ \pi^-} \equiv \mathcal{B}(B^0 \rightarrow \bar{D}^0 K^+ K^-) / \mathcal{B}(B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-)$$

$$\mathcal{R}_{B_s^0 / B^0} \equiv \mathcal{B}(B_s^0 \rightarrow \bar{D}^0 K^+ K^-) / \mathcal{B}(B^0 \rightarrow \bar{D}^0 K^+ K^-)$$

Results 3/fb

$$\frac{\mathcal{B}(B^0 \rightarrow \bar{D}^0 K^+ K^-)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-)} = (6.9 \pm 0.4 \pm 0.3)\%$$

stat. syst.

$$\mathcal{B}(B^0 \rightarrow \bar{D}^0 K^+ K^-) = (6.1 \pm 0.4 \pm 0.3 \pm 0.3) \times 10^{-5}$$

stat. syst. normalis.

(was $(4.7 \pm 0.9 \pm 0.6 \pm 0.5) \times 10^{-5}$ with 0.6/fb *)

$$\frac{\mathcal{B}(B_s^0 \rightarrow \bar{D}^0 K^+ K^-)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0 K^+ K^-)} = (93.0 \pm 8.9 \pm 6.9)\%$$

stat. syst.

$$\mathcal{B}(B_s^0 \rightarrow \bar{D}^0 K^+ K^-) = (5.7 \pm 0.5 \pm 0.4 \pm 0.5) \times 10^{-5}$$

stat. syst. normalis.

Observed !

(was $(4.2 \pm 1.3 \pm 0.9 \pm 1.1) \times 10^{-5}$ with 0.6/fb *)

Branching fractions of $B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi$

$$\frac{\mathcal{B}(B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0\pi^+\pi^-)} = \frac{N_{B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi} \times \varepsilon(B^0 \rightarrow \bar{D}^0\pi^+\pi^-)}{N_{B^0 \rightarrow \bar{D}^0\pi^+\pi^-} \times \varepsilon(B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi)} \times \frac{\mathcal{F}}{\mathcal{B}(\phi \rightarrow K^+K^-)},$$

where \mathcal{F} is 1 for B^0 decays and f_d/f_s for B^0_s decays.

- ✓ Efficiencies computed as for 1807.01891.
- ✓ Various sources of systematic uncertainties considered [%]:

| Source | $\frac{\mathcal{B}(B^0_s \rightarrow \bar{D}^0\phi)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0\pi^+\pi^-)}$ | $\frac{\mathcal{B}(B^0 \rightarrow \bar{D}^0\phi)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0\pi^+\pi^-)}$ | $\frac{\mathcal{B}(B^0_s \rightarrow \bar{D}^{*0}\phi)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0\pi^+\pi^-)}$ | $\frac{\mathcal{B}(B^0_s \rightarrow \bar{D}^{*0}\phi)}{\mathcal{B}(B^0_s \rightarrow \bar{D}^0\phi)}$ | f_L |
|--|---|---|--|--|-------|
| $N_{B^0_{(s)} \rightarrow \bar{D}^{(*)0}\phi}$ | 1.5 | 27.0 | 4.8 | 4.9 | 4.1 |
| $N_{B^0 \rightarrow \bar{D}^0\pi^+\pi^-}$ | 2.0 | 2.0 | 2.0 | — | — |
| ϵ_{PID} | 2.0 | 2.0 | 2.0 | — | — |
| $\epsilon_{\text{trigger}}$ | 2.0 | 2.0 | 2.0 | — | — |
| $\mathcal{B}(\phi \rightarrow K^+K^-)^*$ | 1.0 | 1.0 | 1.0 | — | — |
| f_s/f_d^{**} | 5.8 | — | 5.8 | — | — |
| Lifetime*** | 0.8 | — | 0.8 | 1.6 | 1.6 |
| Total | 7.0 | 27.1 | 8.4 | 5.2 | 4.4 |

* PDG2018

** JHEP 04 (2003) 001 & LHCb-CONF-2013-011

*** See: Phys. Rev. D 86 (2012) 014027



Results for Branching fractions of $B_s^0 \rightarrow \bar{D}^{(*)0}\phi$

$$\frac{\mathcal{B}(B_s^0 \rightarrow \bar{D}^0\phi)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0\pi^+\pi^-)} = (3.4 \pm 0.4 \pm 0.2)\% \quad \text{stat. syst.}$$

$$\mathcal{B}(B_s^0 \rightarrow \bar{D}^0\phi) = (3.0 \pm 0.3 \pm 0.2 \pm 0.2) \times 10^{-5} \quad \text{stat. syst. normalis.}$$

Compatible and twice as accurate as Phys. Lett. B727 (2013) 403

$$\frac{\mathcal{B}(B_s^0 \rightarrow \bar{D}^{*0}\phi)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0\pi^+\pi^-)} = (4.2 \pm 0.5 \pm 0.4)\% \quad \text{stat. syst.}$$

Observation with more than 7 standard deviations !

$$\mathcal{B}(B_s^0 \rightarrow \bar{D}^{*0}\phi) = (3.7 \pm 0.5 \pm 0.3 \pm 0.2) \times 10^{-5} \quad \text{stat. syst. normalis.}$$

$$\frac{\mathcal{B}(B_s^0 \rightarrow \bar{D}^{*0}\phi)}{\mathcal{B}(B_s^0 \rightarrow \bar{D}^0\phi)} = 1.23 \pm 0.20 \pm 0.06 \quad \text{stat. syst.}$$

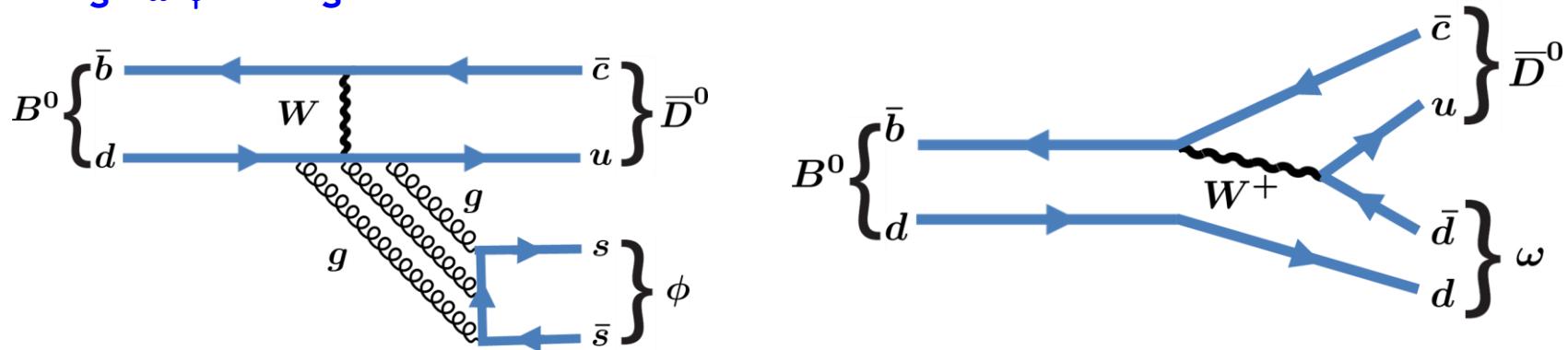
Fraction of longitudinal polarisation:

$$f_L = (73 \pm 15 \pm 3)\% \quad \text{stat. syst.}$$

- ✓ $f_L < 90\%$, compatible with colour-suppressed VV open charm B^0 -decays (e.g. BaBar: Phys. Rev D 84 (2011) 112007 or Belle: Phys. Rev. D 92 (2015) 012013)
- ✓ About the same number of fully longitudinally polarised $B_s \rightarrow D^*\phi$ wrt $B_s \rightarrow D\phi$: $1.23 \times 0.73 = 0.9$
→ Yet another mode for CKM angle γ !

Search for the $B^0 \rightarrow \bar{D}^0 \phi$ decay

→ Occurs through W-exchange diagram + Okubo-Zweig-Iizuka (OZI) suppression or through $\omega\phi$ mixing



→ Yet non-significant $B^0 \rightarrow \bar{D}^0 \phi$ signal ($\sim 2\sigma$), interpreted as:

$$\frac{\mathcal{B}(B^0 \rightarrow \bar{D}^0 \phi)}{\mathcal{B}(B^0 \rightarrow \bar{D}^0 \pi^+ \pi^-)} = (1.2 \pm 0.7 \pm 0.3) \times 10^{-3}$$

$$\mathcal{B}(B^0 \rightarrow \bar{D}^0 \phi) = (1.1 \pm 0.6 \pm 0.3 \pm 0.1) \times 10^{-6}$$

Adapted prediction from Phys. Lett. B 666 (2008) 185 + BaBar
Phys. Rev. D 84 (2011) 112007: $(1.6 \pm 0.1) \times 10^{-6}$

→ Upper limits set on both branching fraction and mixing angle (i.e. ideally mixed states*) assuming that the contribution from $\omega\phi$ mixing dominates (@ 90% (95%) of CL):

$$\mathcal{B}(B^0 \rightarrow \bar{D}^0 \phi) < 2.0 \text{ (2.2)} \times 10^{-6} \quad \rightarrow \quad |\delta| < 5.2^\circ \text{ (5.5^\circ)}$$

Factor 6 better improvement wrt BaBar

(Phys. Rev. D76 (2007) 051103)

$$* \omega^I \equiv (u\bar{u} + d\bar{d})/\sqrt{2} \text{ and } \phi^I \equiv s\bar{s} \quad \begin{pmatrix} \omega \\ \phi \end{pmatrix} = \begin{pmatrix} \cos \delta & \sin \delta \\ -\sin \delta & \cos \delta \end{pmatrix} \begin{pmatrix} \omega^I \\ \phi^I \end{pmatrix}$$

