

# Searching for New Physics Through Interference Effects

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# Introduction

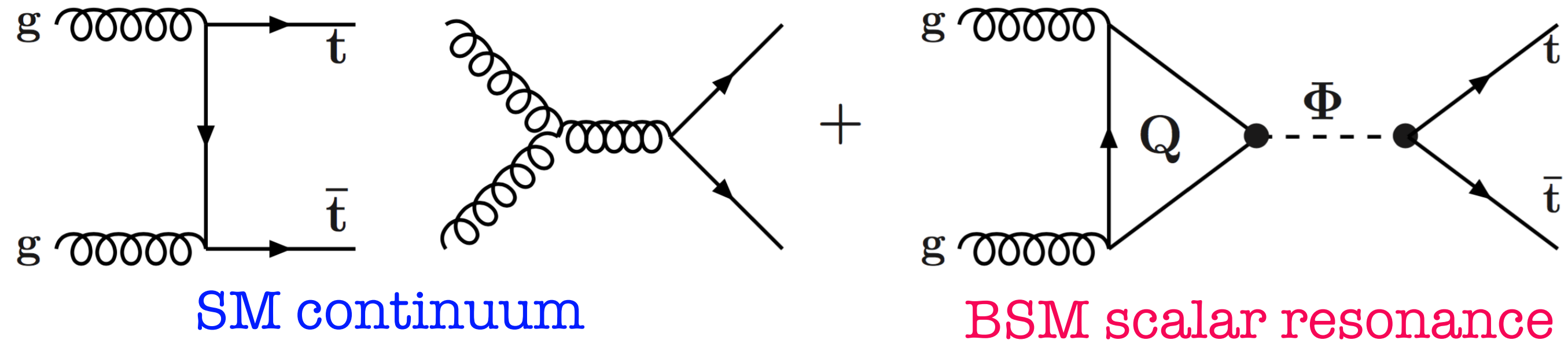
- Most of experimental searches interpreted as  $\sigma_{\text{signal}} \times BR$  so far
- But interferences could be huge and looking at it could shed light on new physics through non-trivial lineshape effects in various distributions
- Most of the extensions of the SM require additional scalar bosons, need to go beyond the usual  $5\sigma$  bump discovery
- LHC Run II has started to be sensible to such non standard effects

1. Basics of interference effects

2.  $t\bar{t}$  production as a window on new physics

3. BSM benchmarks, analysis and sensitivity plots

# When $(a + b)^2$ is not $a^2 + b^2$



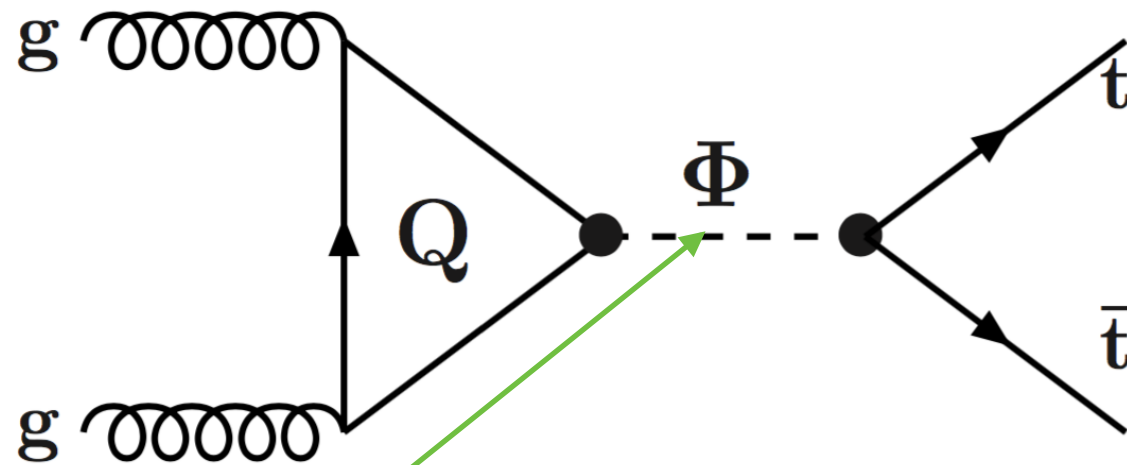
$$|\mathcal{A}_{tot}|^2 = |\mathcal{A}_{cont} + \mathcal{A}_{res}|^2$$

$$|\mathcal{A}_{tot}|^2 = \mathcal{A}_{cont}^2 + |\mathcal{A}_{res}|^2 + \underbrace{\mathcal{A}_{cont} \times (\mathcal{A}_{res} + \mathcal{A}_{res}^*)}_{\text{interference}}$$

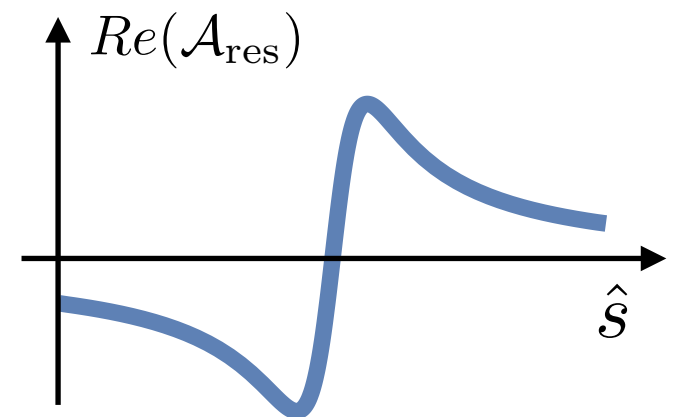
- In BSM analyses interferences are usually neglected
- They affect or not the total cross section
- But they always affect the invariant mass differential distribution

# Real part of Interferences

$$|\mathcal{A}_{tot}|^2 = \underbrace{\mathcal{A}_{cont}^2}_{\text{usual Breit-Wigner}} + \underbrace{|\mathcal{A}_{res}|^2}_{\text{interference(s)}} + \mathcal{A}_{cont} \times 2\text{Re}(\mathcal{A}_{res})$$



$$\mathcal{A}_{res} = \mathcal{A} \left[ \frac{M^2}{\hat{s} - M^2 + iM\Gamma} \right] = \mathcal{A} \left[ \underbrace{\frac{M^2(\hat{s} - M^2)}{(\hat{s} - M^2)^2 + M^2\Gamma^2}}_{\text{Real part}} - i \frac{M\Gamma}{(\hat{s} - M^2)^2 + M^2\Gamma^2} \right]$$

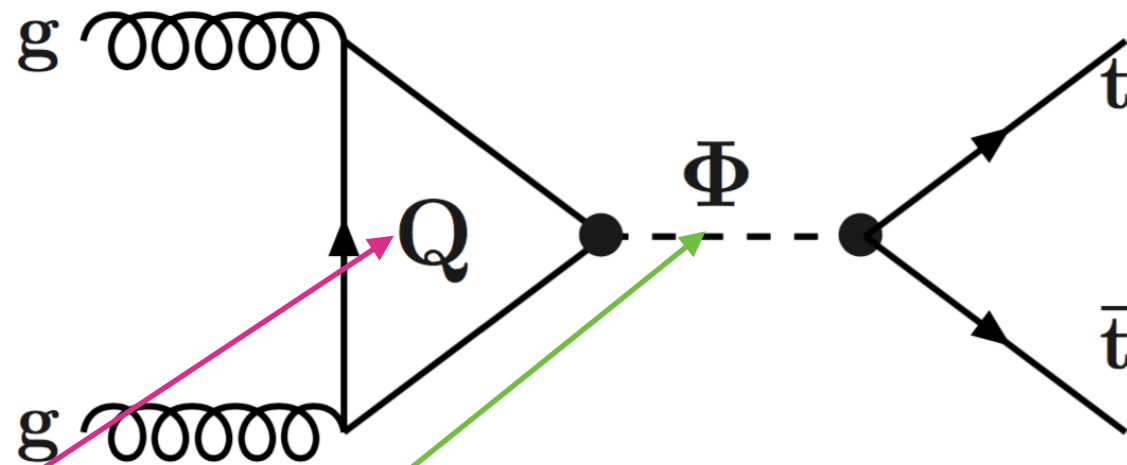


- No interference on shell
- The new contribution is antisymmetric around M so does not contribute to  $\sigma_{tot} \propto \int d\hat{s} |\mathcal{A}_{tot}|^2$
- But the amplitude could develop an imaginary part due to the loop...



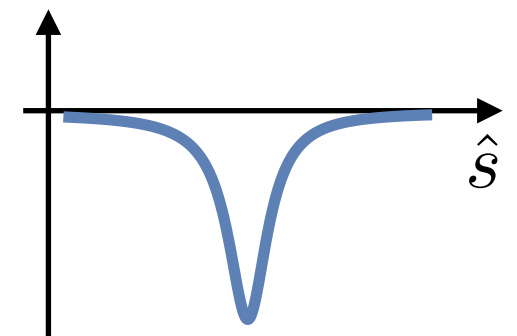
# Imaginary part of Interferences

$$|\mathcal{A}_{tot}|^2 = \underbrace{\mathcal{A}_{cont}^2}_{\text{usual Breit-Wigner}} + \underbrace{|\mathcal{A}_{res}|^2}_{\text{interference(s)}} + \mathcal{A}_{cont} \times 2\text{Re}(\mathcal{A}_{res})$$



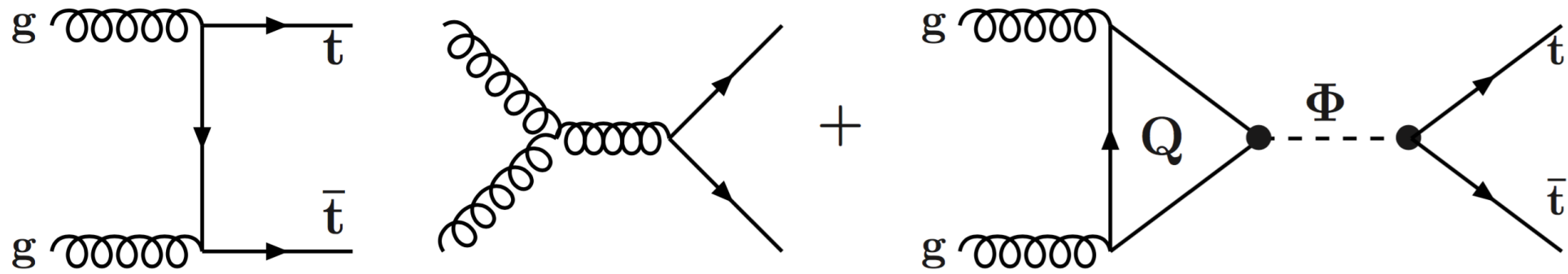
$$\mathcal{A}_{res} = \mathcal{A} e^{i\phi} \underbrace{\frac{M^2}{\hat{s} - M^2 + iM\Gamma}}_{\text{as before}} = \mathcal{A} \left[ \underbrace{\cos\phi \frac{M^2(\hat{s} - M^2)}{(\hat{s} + M^2)^2 + M^2\Gamma^2}}_{\text{as before}} + \underbrace{\sin\phi \frac{M\Gamma}{(\hat{s} - M^2)^2 + M^2\Gamma^2}}_{\text{new part}} + i(\dots) \right]$$

- New interference term does not vanish on shell
- The new contribution does contribute to  $\sigma_{tot}$



- Interferences are sensible to New Physics through many ways!

# Interference lineshapes



$d\sigma/dm_{t\bar{t}}$

Signal Breit-Wigner

«Imaginary» interference

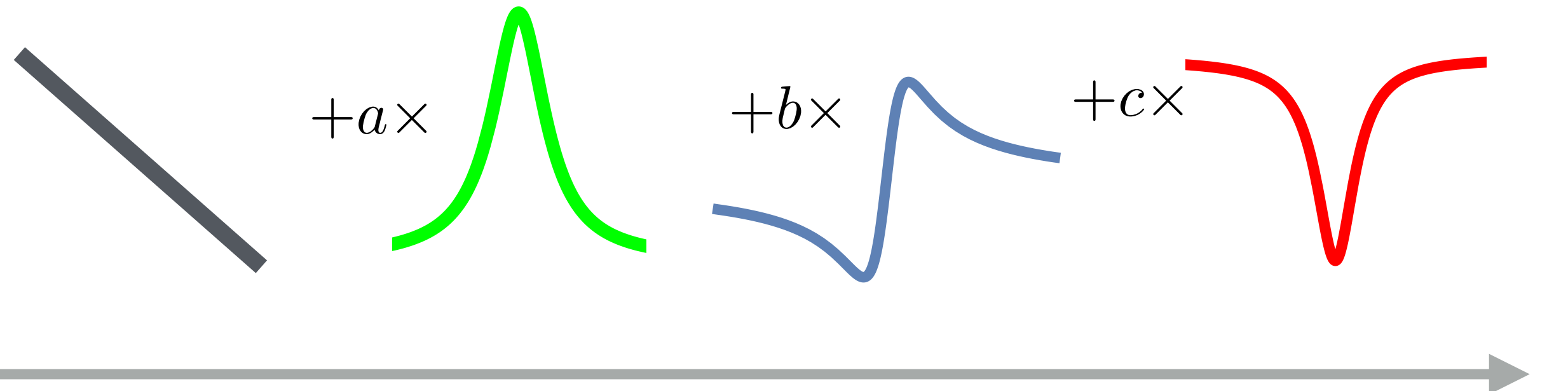
SM background

«Real» interference

$+a \times$

$+b \times$

$+c \times$



imagine the result with two (non) degenerate resonances as in the (2HDM) MSSM for example, with CP violation ...

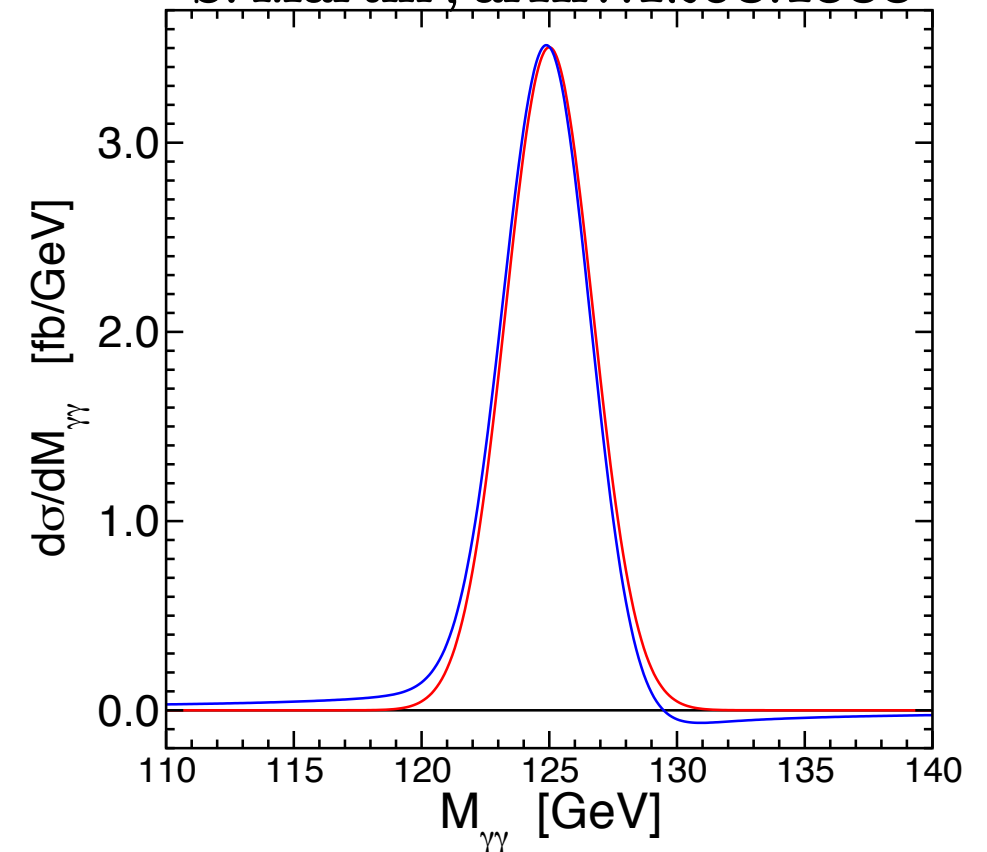
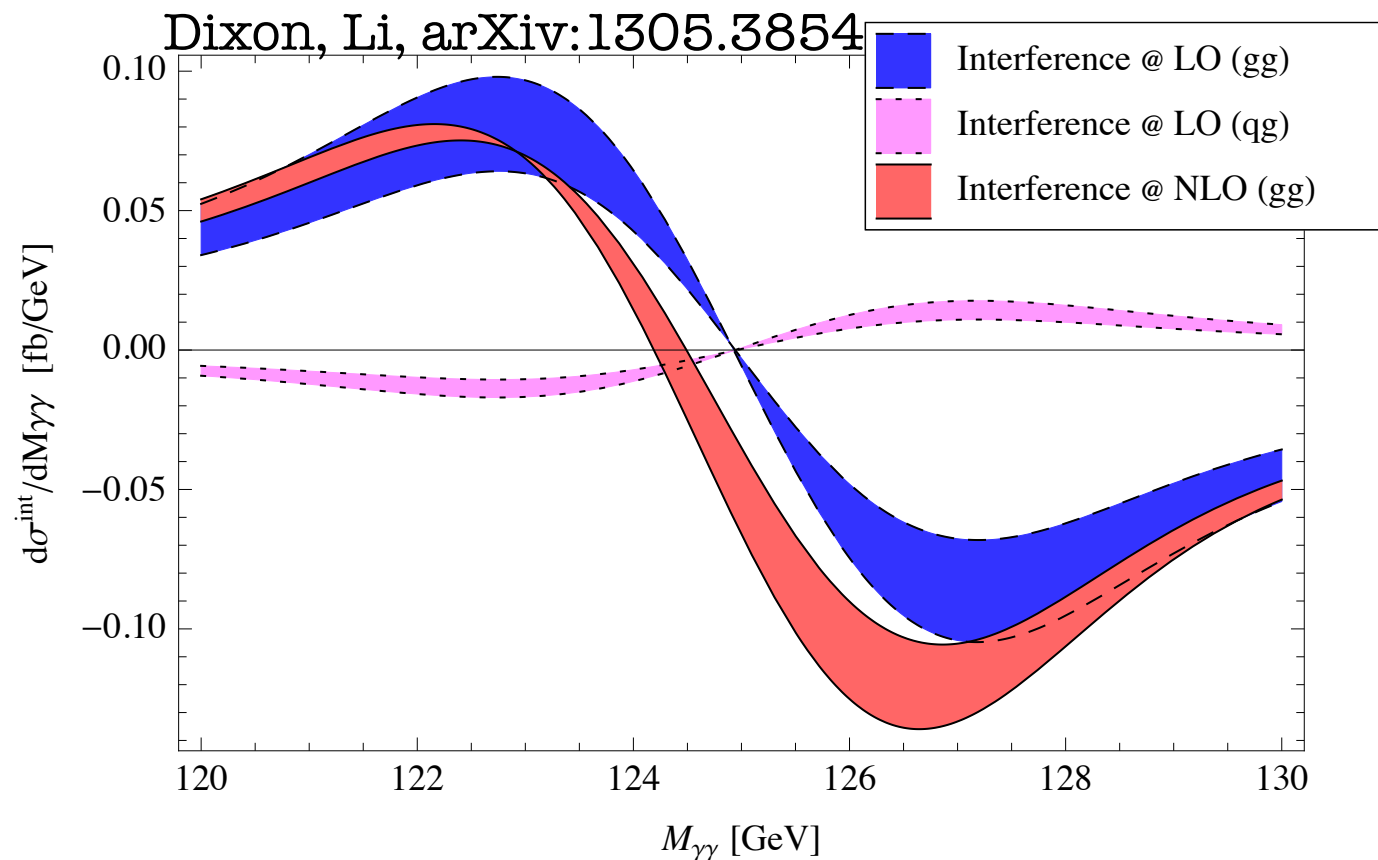
$m_{t\bar{t}}$

# SM Application: width measurements of the SM Higgs

Higgs mass peak shift in  $H \rightarrow \gamma\gamma$ :

$$\frac{d\sigma^{\text{inter}}}{dM_{\gamma\gamma}} = \frac{(M_{\gamma\gamma}^2 - m_H^2) \mathbf{R} + \cancel{m_H \Gamma_H \mathbf{I}}}{(M_{\gamma\gamma}^2 - m_H^2)^2 + m_H^2 \Gamma_H^2} \sim 1\%, \text{ negligible}$$

S. Martin, arXiv:1208.1533

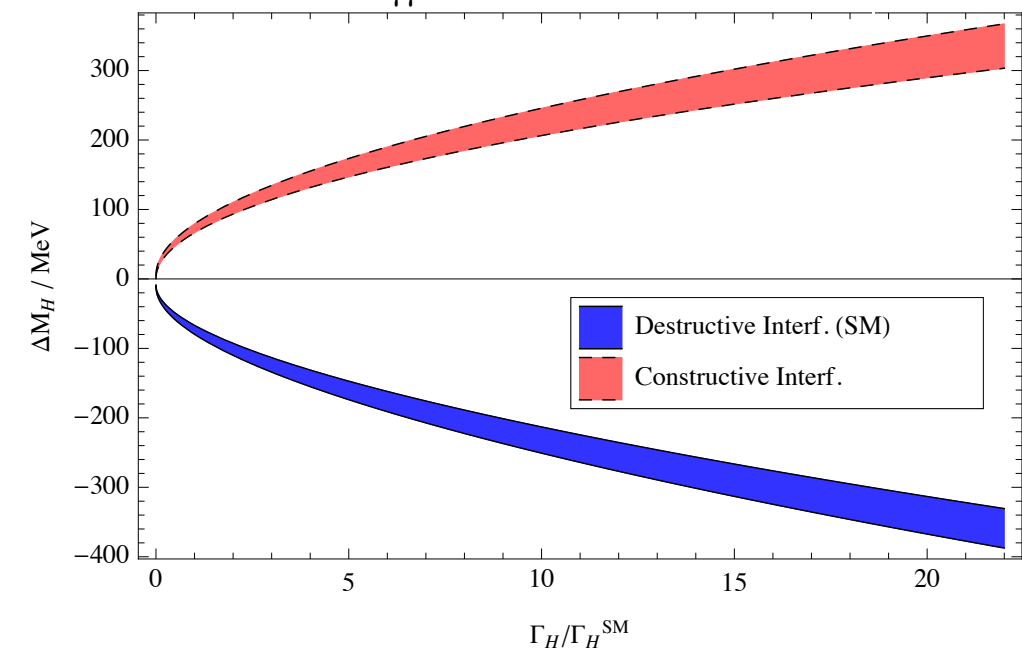


• **Mass shift** R-term related to the **Higgs width**

• Current data indicates  $\frac{\Gamma_H}{\Gamma_H^{\text{SM}}} \lesssim 200$

• With  $3\text{ab}^{-1}$ ,  $\frac{\Gamma_H}{\Gamma_H^{\text{SM}}} \lesssim 15$

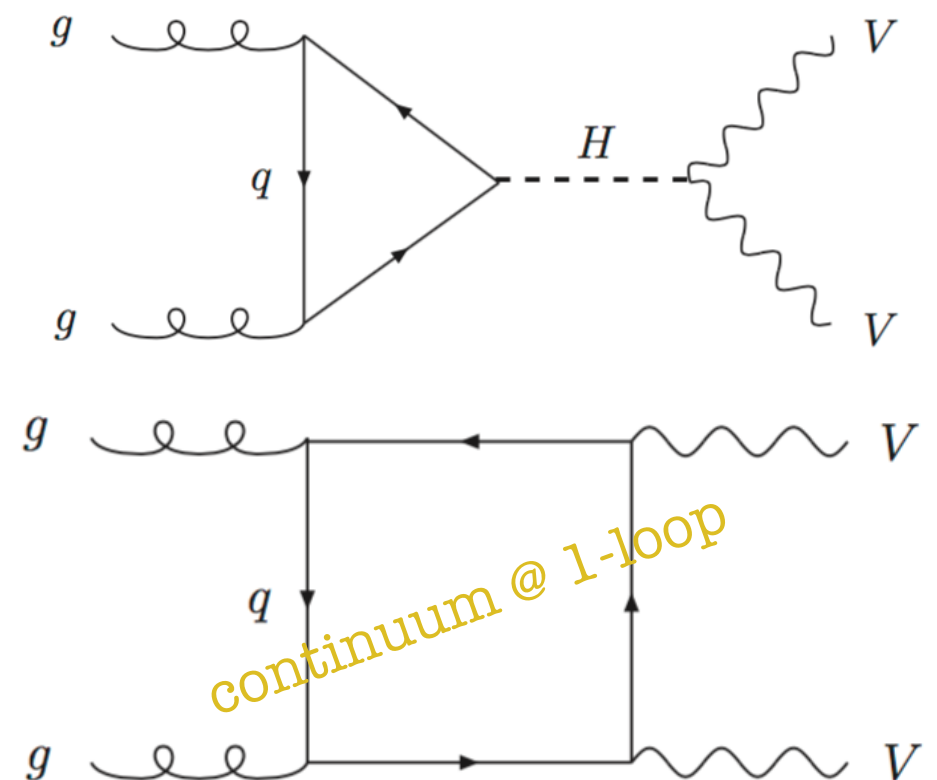
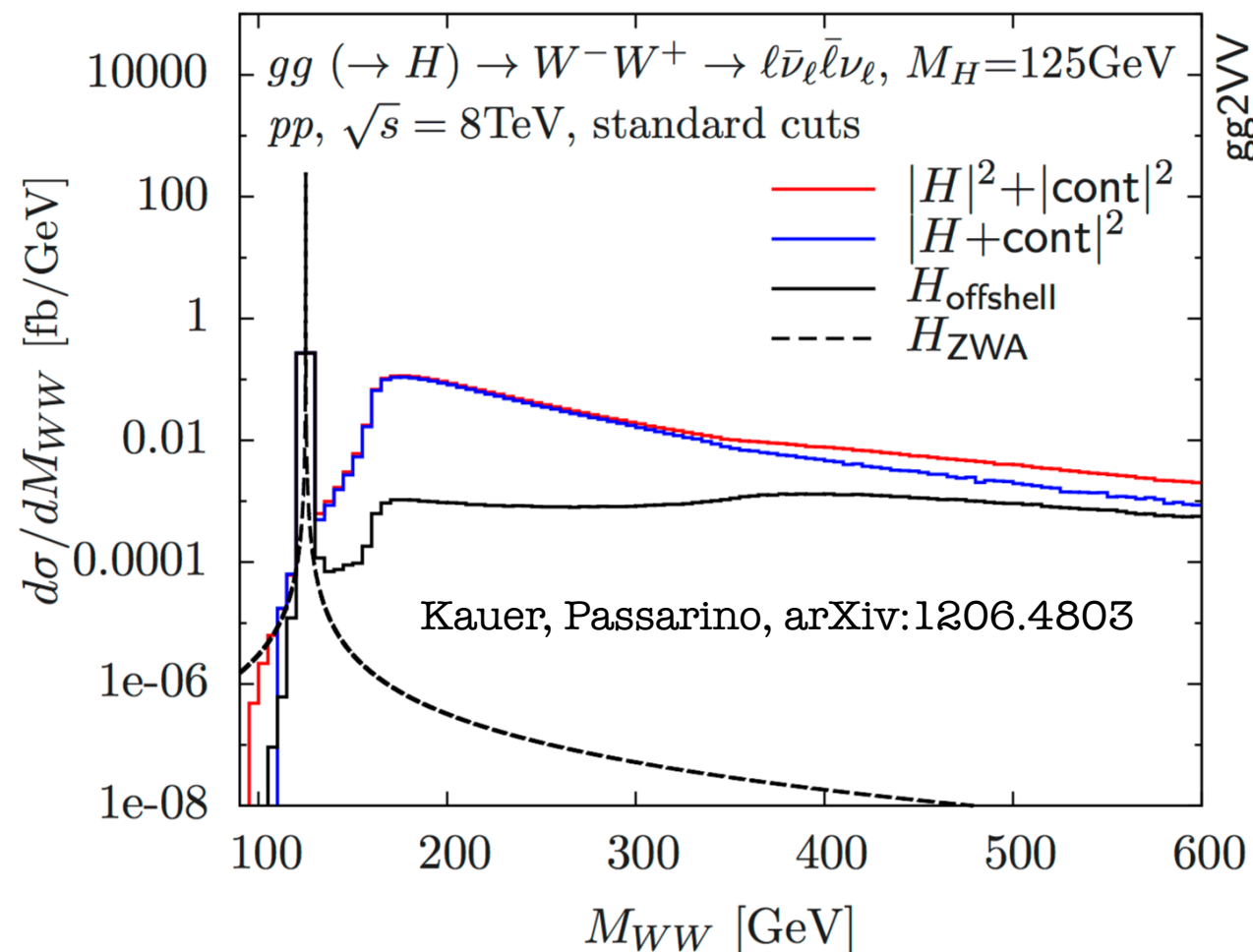
Bigger effect with BSM resonances in  $gg \rightarrow \Phi \rightarrow t\bar{t}$



# Application: width measurements of the SM Higgs

Higgs mass shift in off-shell regions:

$$\frac{d\sigma^{\text{inter}}}{dM_{VV}} = \frac{(M_{VV}^2 - m_H^2) \mathbf{R} + m_H \Gamma_H \mathbf{I}}{(M_{VV}^2 - m_H^2)^2 + m_H^2 \Gamma_H^2}$$

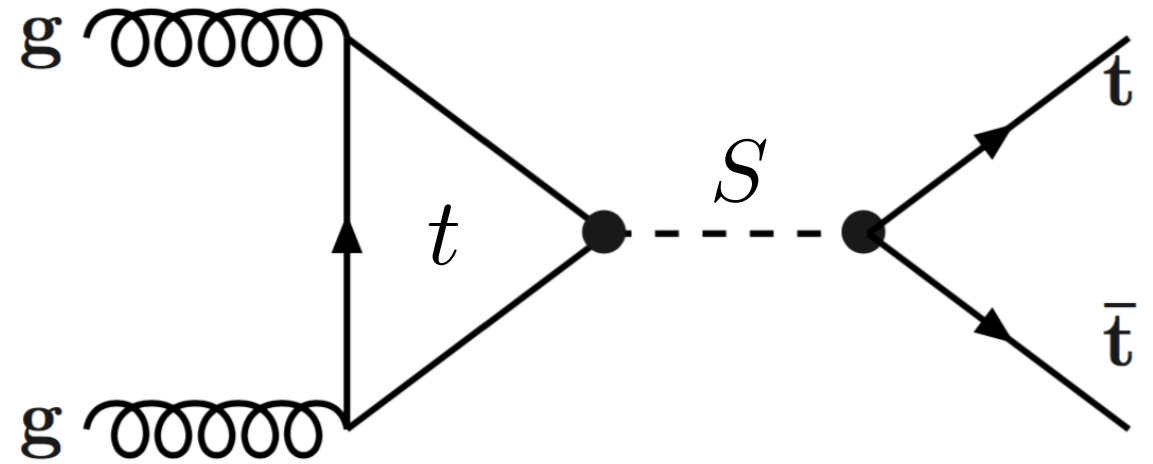


- Large interference effects,  $\mathcal{O}(10\%)$
- LHC Run 1 data yields a Higgs width constraint of  $\frac{\Gamma_H}{\Gamma_H^{SM}} \lesssim 5$

Bigger effects with heavier BSM resonances with large width (ex:  $gg \rightarrow \Phi \rightarrow t\bar{t}$ )

# BSM generic model

$$\mathcal{L}_{top} = y_t \bar{t} t S + i \tilde{y}_t \bar{t} \gamma_5 t S$$



$$\mathcal{L}_{top}^{\text{loop-induced}} = -g_{sgg}(\hat{s}) G_{\mu\nu} G^{\mu\nu} S - i \tilde{g}_{sgg}(\hat{s}) \tilde{G}_{\mu\nu} G^{\mu\nu} S$$

$$g_{sgg}(\hat{s}) = \frac{\alpha_s}{\#} \frac{y_t}{m_t} A_{1/2}(\tau)$$

$$A_{1/2}(\tau) = 2 [\tau + (\tau - 1) f(\tau)] \tau^{-2}$$

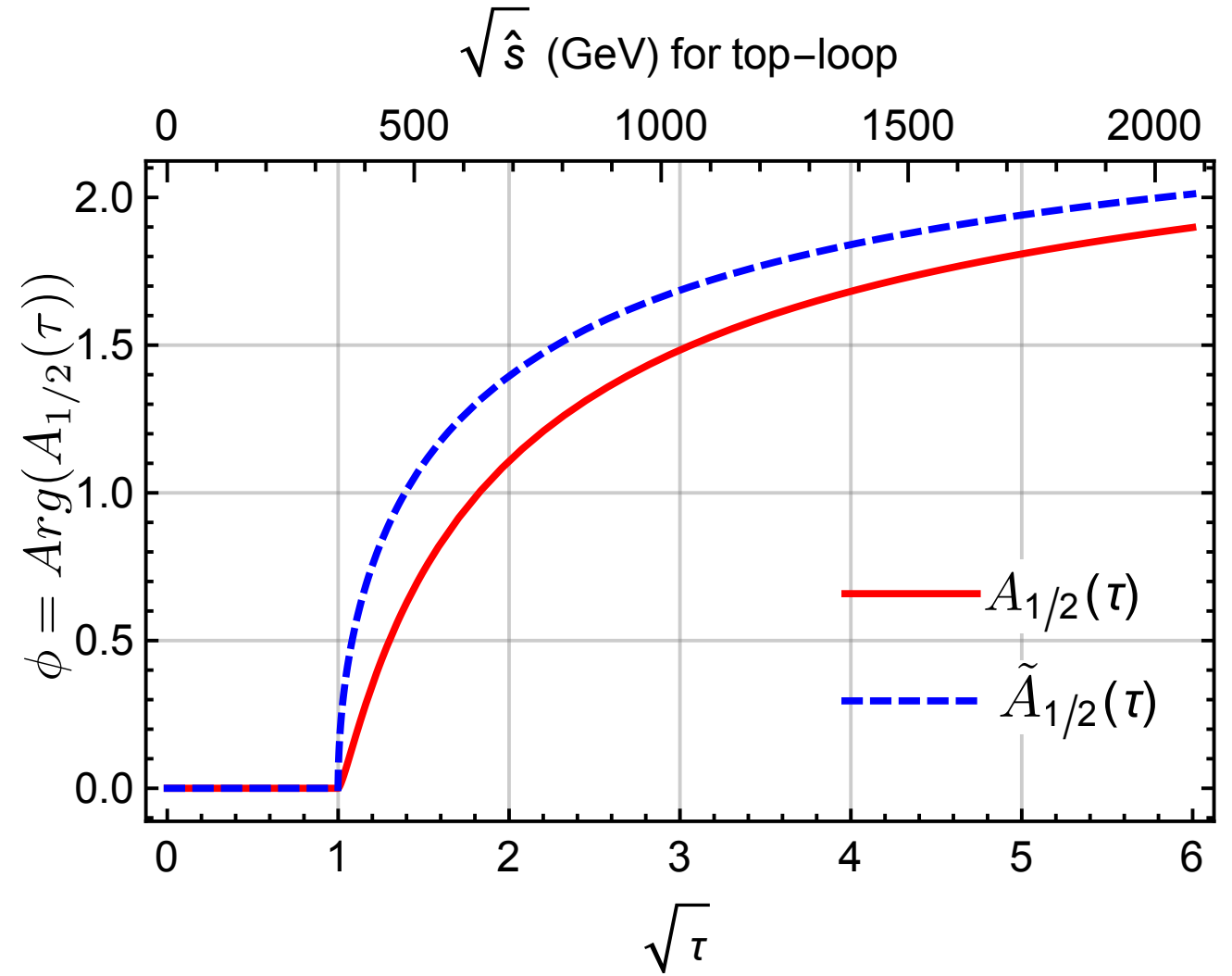
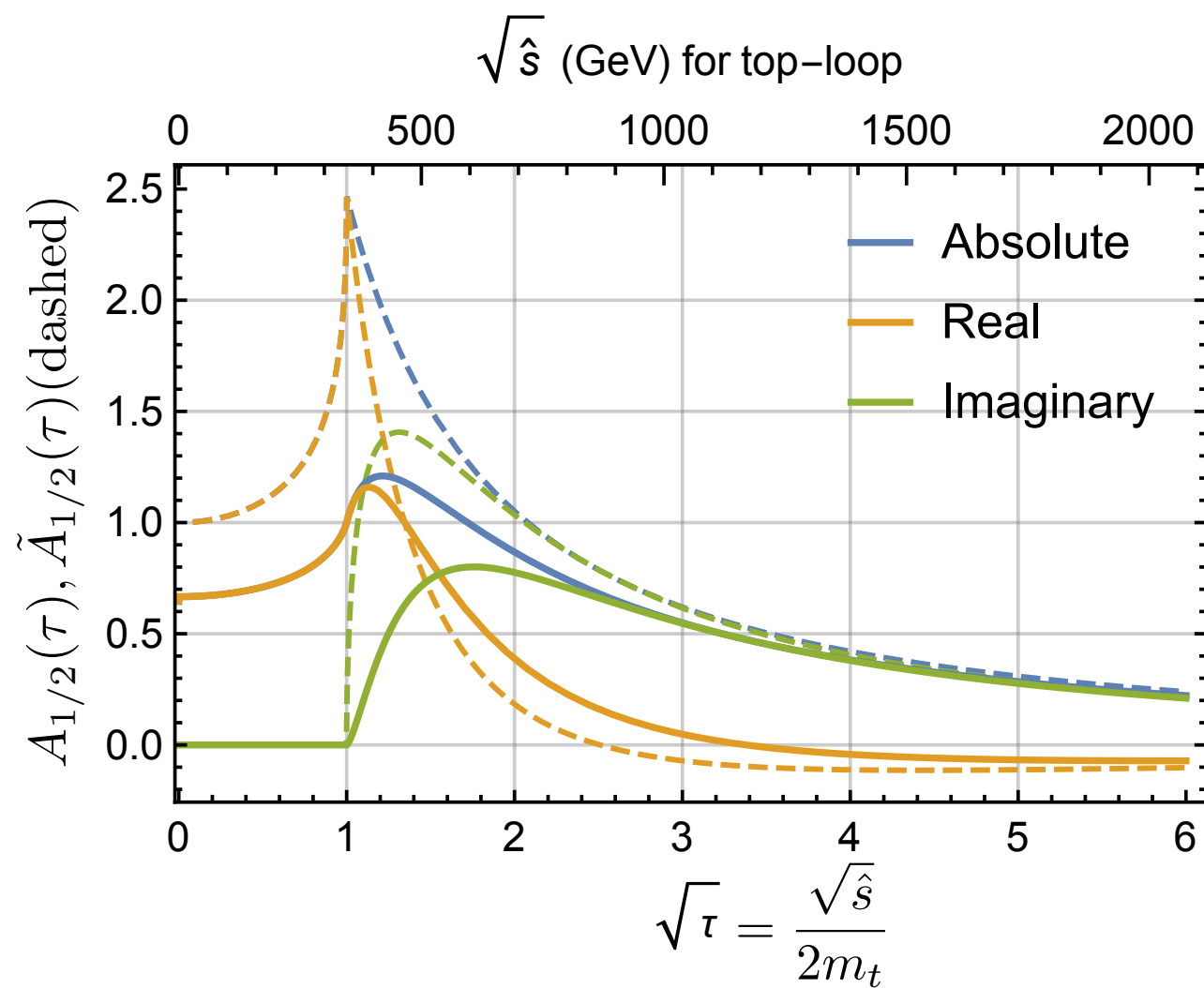
$$\tilde{g}_{sgg}(\hat{s}) = \frac{\alpha_s}{\#} \frac{\tilde{y}_t}{m_t} \tilde{A}_{1/2}(\tau)$$

$$\tilde{A}_{1/2}(\tau) = 2\tau^{-1} f(\tau)$$

$$f(\tau) = \begin{cases} \arcsin^2 \sqrt{\tau} & \text{for } \tau \leq 1, \\ -\frac{1}{4} \left[ \log \frac{1 + \sqrt{1 - \tau^{-1}}}{1 - \sqrt{1 - \tau^{-1}}} - i\pi \right]^2 & \text{for } \tau > 1 \end{cases}$$

$$\tau = \frac{\hat{s}}{4m_t^2}$$

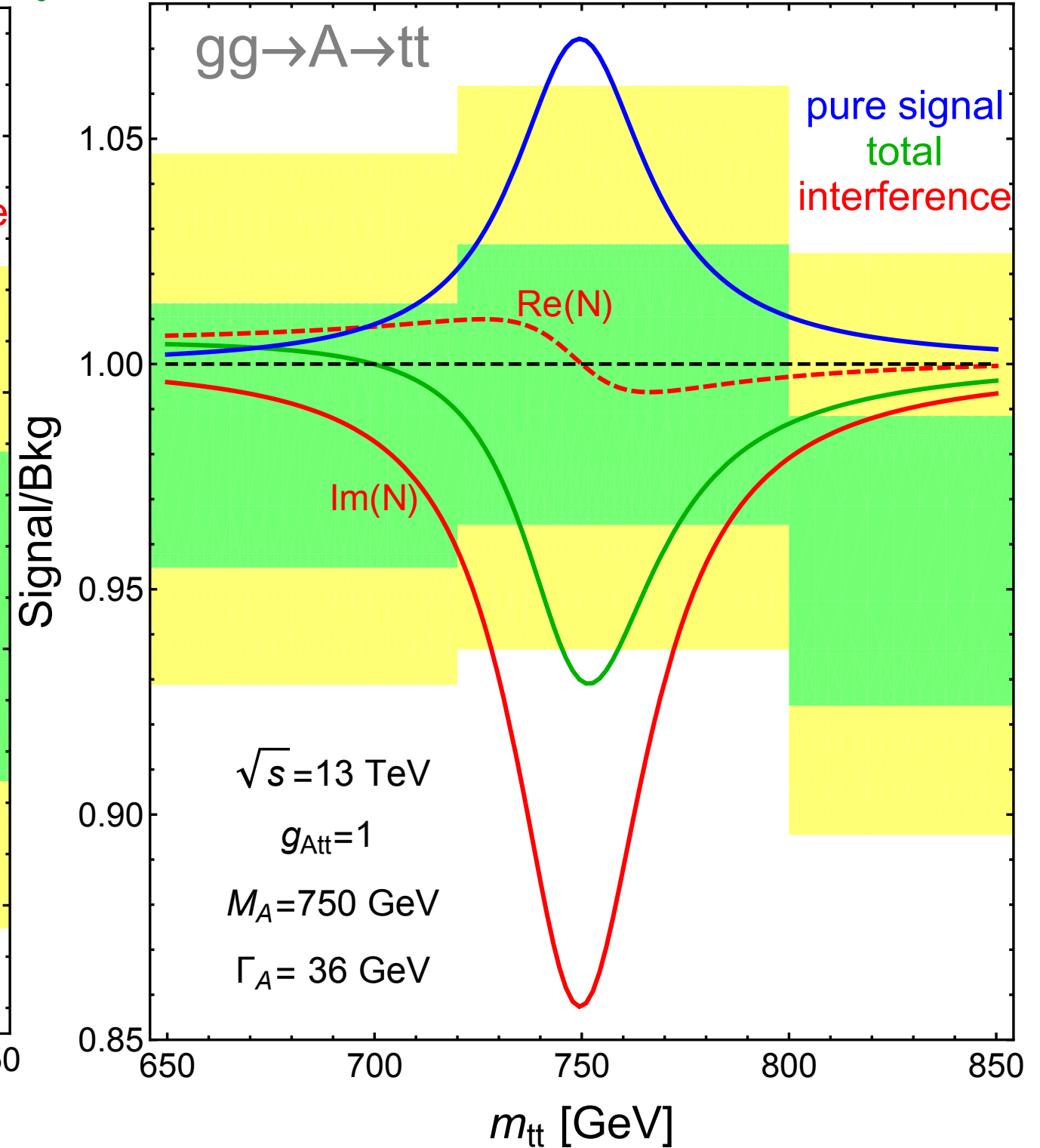
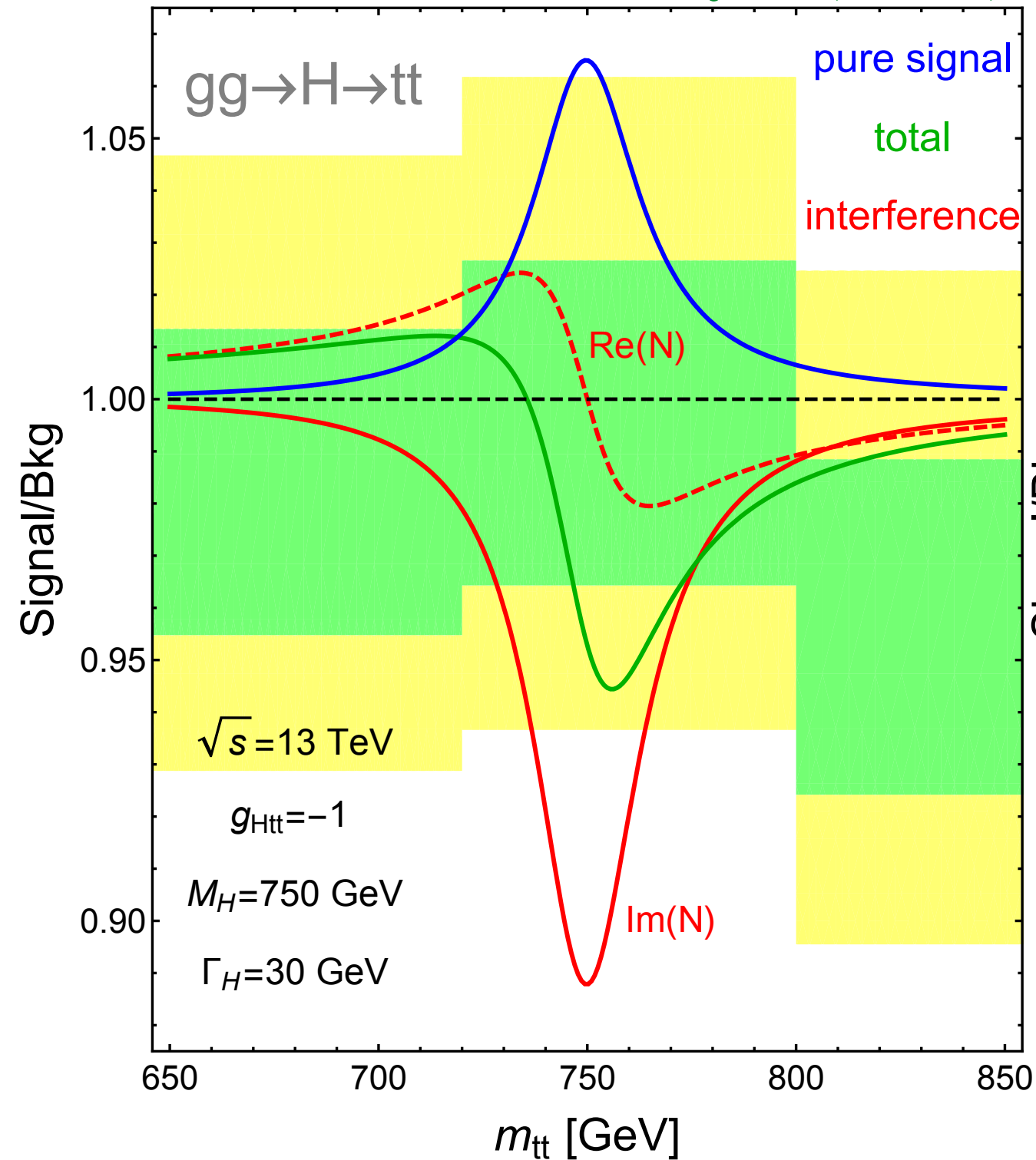
# The form factors



- In the SM, any heavy chiral fermion does not decouple :  $g_{hgg}(\hat{s}) = \frac{\alpha_s}{3\pi v} + \mathcal{O}(\tau)$
- $\phi$  growth quickly and is large  $\sim \pi/2 \Rightarrow$  particular BSM phenomenology
- $\phi = \pi/4$  :  $Re(A_{1/2}) = Im(A_{1/2})$ ,  $M_S = 550$  GeV and  $M_{PS} = 450$  GeV
- $\phi = \pi/2$  :  $Re(A_{1/2}) = 0$ ,  $M_S = 1.2$  TeV and  $M_{PS} = 850$  GeV

# New scalar with the top in the loop

A. Djouadi, J. Ellis, JQ arXiv: 1605.00542





## 2. $t\bar{t}$ production as a window on new physics



# The MSSM

In the MSSM: two Higgs doublets:  $H_1 = \begin{pmatrix} H_1^0 \\ H_1^- \end{pmatrix}$  and  $H_2 = \begin{pmatrix} H_2^+ \\ H_2^0 \end{pmatrix}$

After EWSB (which can be made radiative: more elegant than in the SM):

Three d.o.f. to make  $W_L^\pm, Z_L \Rightarrow 5$  physical states left out:  $h, H, A, H^\pm$

Only two free parameters at tree-level:  $\tan \beta, M_A$  but important rad. corr. :

$$M_h \xrightarrow{M_A \gg M_Z} M_Z |\cos 2\beta| + \frac{3\bar{m}_t^4}{2\pi^2 v^2 \sin^2 \beta} \left[ \ln \frac{M_S^2}{\bar{m}_t^2} + \frac{X_t^2}{2M_S^2} \left( 1 - \frac{X_t^2}{6M_S^2} \right) \right]$$

[Okada+Yamaguchi+Yanagida, Ellis+Ridolfi+Zwirner, Haber+Hempfling (1991)]

depending on  $\tan \beta$ ,  $M_S = \sqrt{\tilde{m}_{t_1} \tilde{m}_{t_2}}$ ,  $X_t = A_t - \frac{\mu}{\tan \beta}$ :  $M_h^{max} \rightarrow M_Z + 30 - 50 \text{ GeV}$

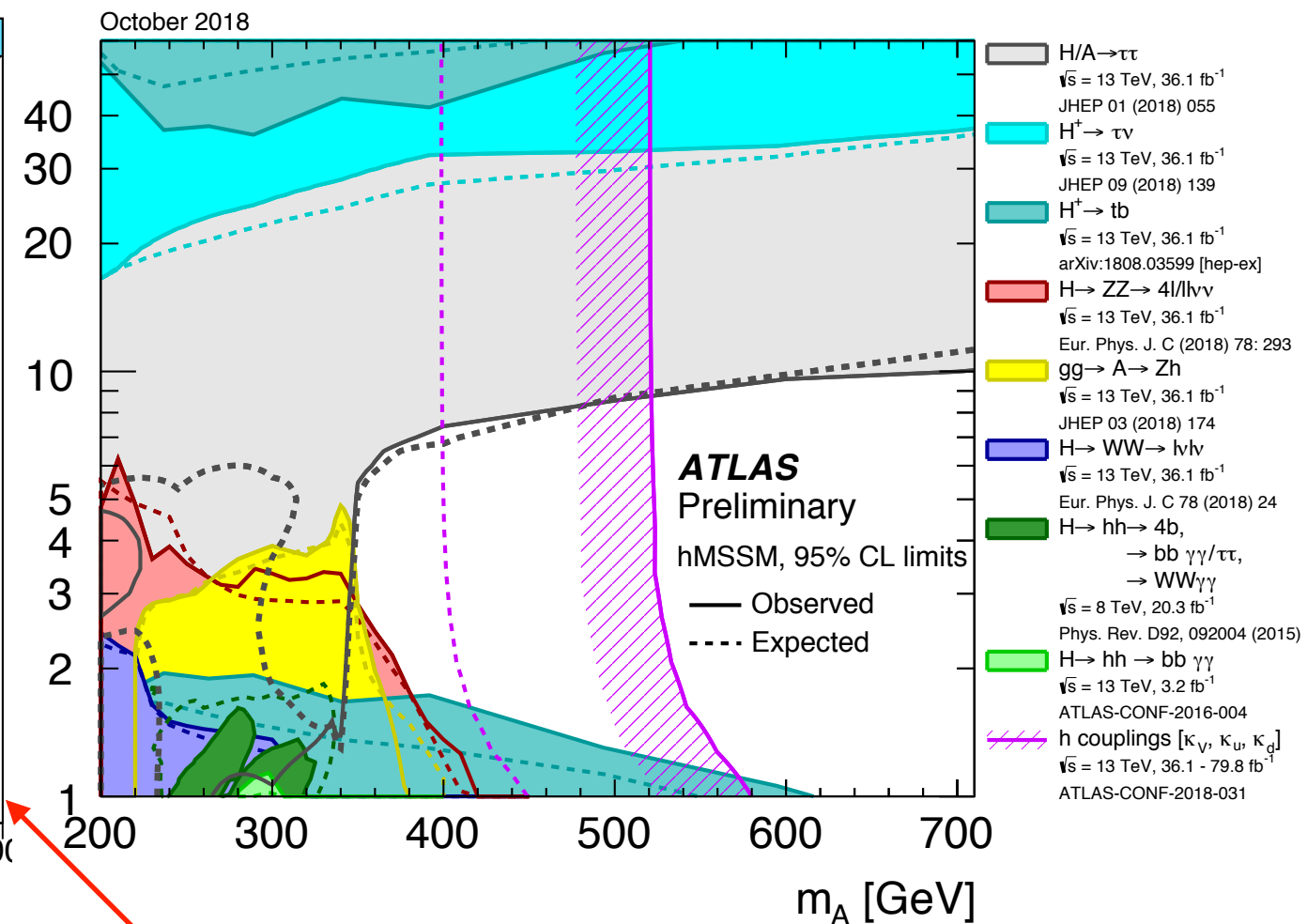
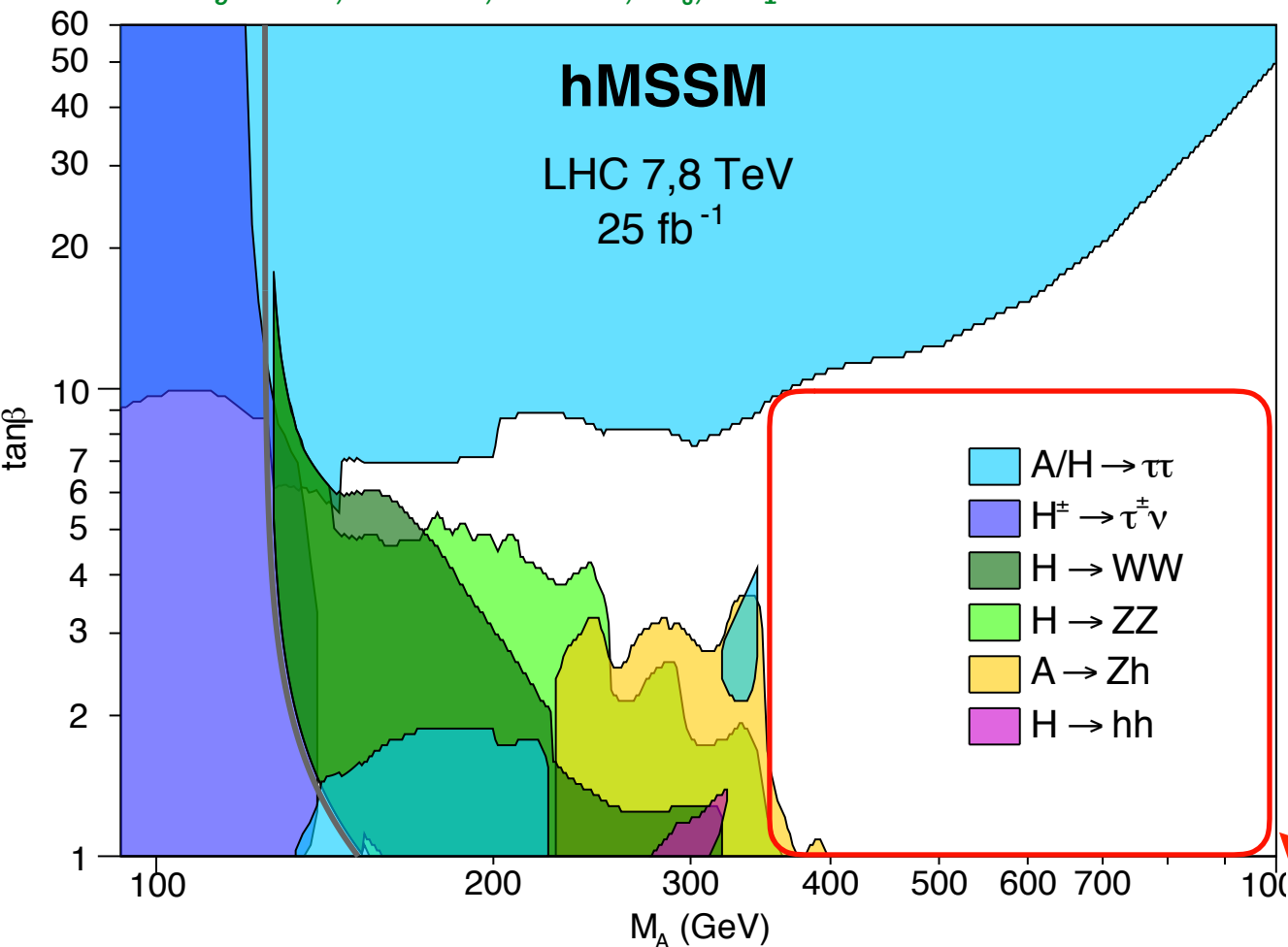
For low  $\tan \beta$ :  $H, A$  couplings to top quark enhanced:

$\Phi$	$g_{\Phi \bar{u}u}$	$g_{\Phi \bar{d}d}$	$g_{\Phi VV}$
$h$	$\frac{\cos \alpha}{\sin \beta} \rightarrow 1$	$\frac{\sin \alpha}{\cos \beta} \rightarrow 1$	$\sin(\beta - \alpha) \rightarrow 1$
$H$	$\frac{\sin \alpha}{\sin \beta} \rightarrow 1/\tan \beta$	$\frac{\cos \alpha}{\cos \beta} \rightarrow \tan \beta$	$\cos(\beta - \alpha) \rightarrow 0$
$A$	$1/\tan \beta$	$\tan \beta$	$0$

In the decoupling limit: MSSM reduces to SM but with a light SM Higgs

# Constraints on the MSSM heavy Higgs bosons

Djouadi, Maiani, Polosa, JQ, Riquer arXiv: 1502.05653



$M_h = 125$  GeV  
+ no light stops  
+  $H, A \rightarrow \tau\tau$

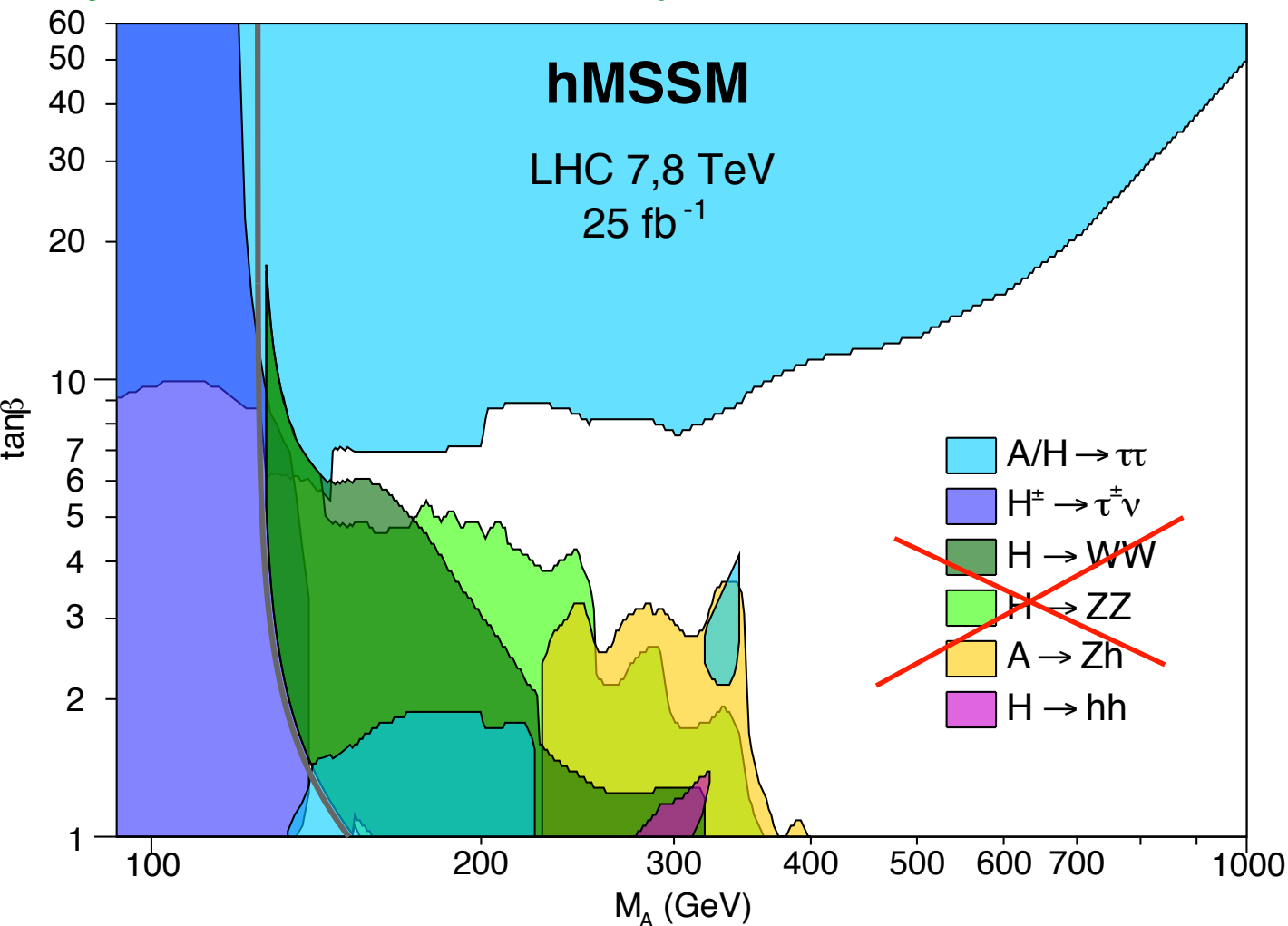
$\Rightarrow$  seem to favor the low  $\tan\beta$  region where  
H, A couplings to top quark are enhanced!

$\Rightarrow H, A \rightarrow t\bar{t}$

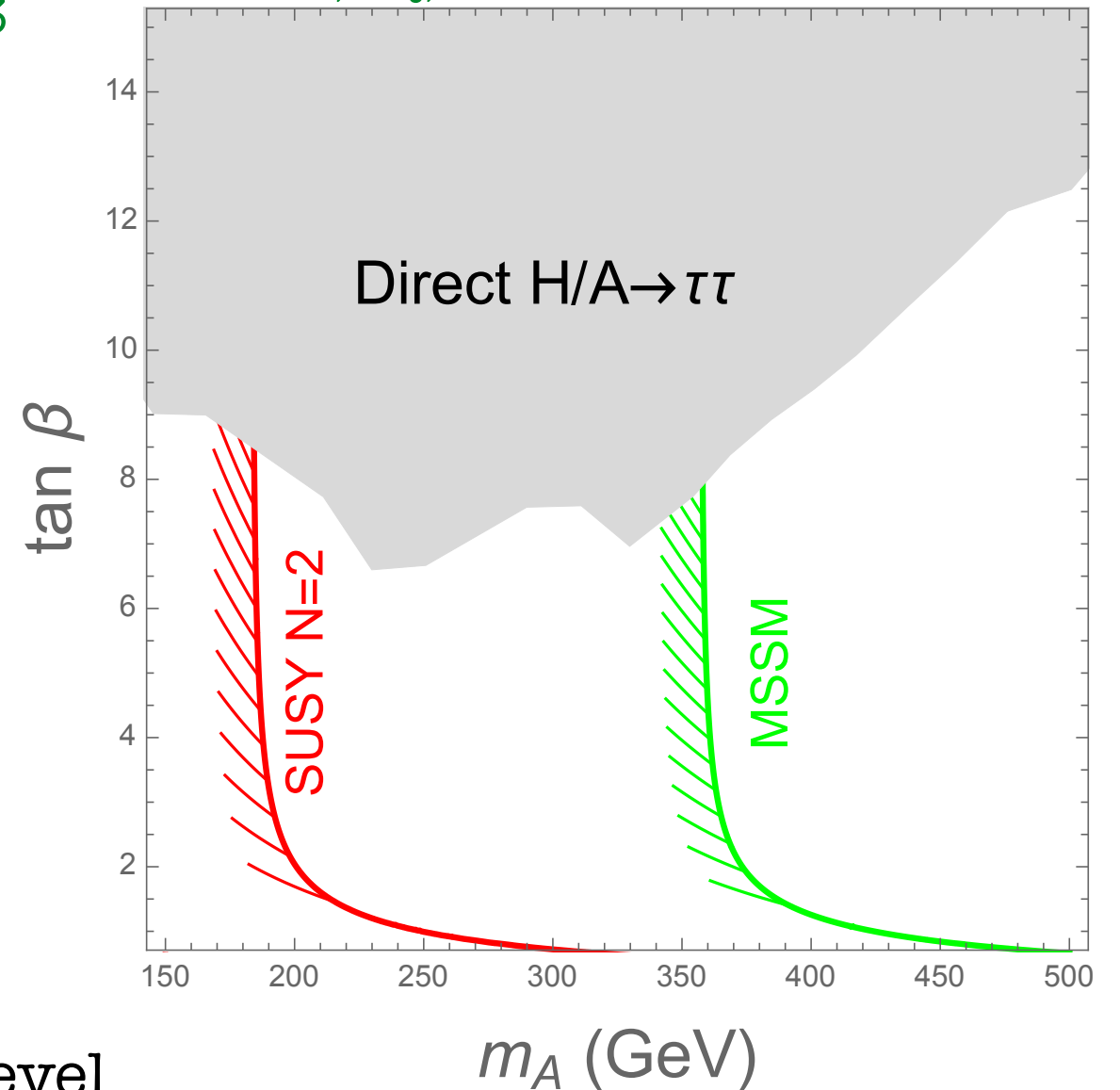
# N=2 SUSY ?

the MSSM is the « easiest » realization of SUSY, what if SUSY is non minimal?

Djouadi, Maiani, Polosa, JQ, Riquer arXiv: 1502.05653



J. Ellis, JQ, V. Sanz arXiv:1607.05541



the N=2 scalar potential is modified at tree-level

→ theory realizes automatically the alignment limit:  $\left| \begin{array}{l} h \text{ is SM-like \&} \\ H \text{ doesn't couple to W/Z} \end{array} \right.$

SUSY Higgs as light as 200 GeV are allowed

$H, A \rightarrow t\bar{t}$  : the channel to test directly the low  $\tan\beta$  region!

### 3. BSM benchmarks, analysis and sensitivity plots for $t\bar{t}$ production at the LHC

A. Djouadi, J. Ellis, A. Popov, JQ arXiv: 1901.03417

SM with an extra singlet (pseudo)scalar

Type II 2HDM

The hMSSM

Additional Vector-Like Quark in the loop

# Simulation of experimental sensitivity

Emulate distribution of reconstructed  $m_{t\bar{t}}$  starting from analytical results

- Start from analytical parton-level cross sections :  
(apply k-factors)

$$\frac{d\hat{\sigma}_{gg \rightarrow t\bar{t}}}{d\hat{s}}$$

- Convolute with PDF :

$$\frac{d\sigma_{pp \rightarrow t\bar{t}}}{dm_{t\bar{t}}}$$

- Apply event selection efficiency computed as a function of parton-level  $m_{t\bar{t}}$  :

$$\frac{d\sigma_{pp \rightarrow t\bar{t}}}{dm_{t\bar{t}}} \times \epsilon(m_{t\bar{t}})$$

- Convolute with a smearing kernel to emulate reconstruction resolution :

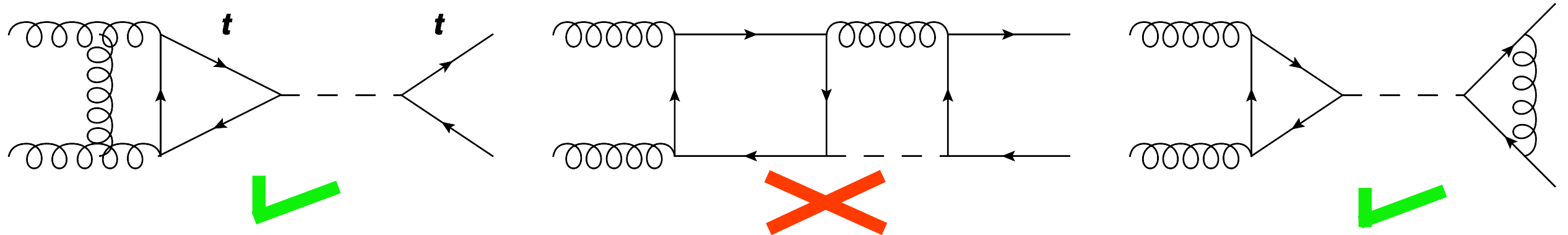
$$\frac{d\sigma_{pp \rightarrow t\bar{t}}}{dm_{t\bar{t}}} = \int \frac{d\sigma_{pp \rightarrow t\bar{t}}}{dm'_{t\bar{t}}} \times \epsilon(m'_{t\bar{t}}) \times G(m'_{t\bar{t}}, m_{t\bar{t}}) dm'_{t\bar{t}}$$

# Simulation of experimental sensitivity

Emulate distribution of reconstructed  $m_{t\bar{t}}$  starting from analytical results

- Start from analytical parton-level cross sections :

For 2HDM: Hespel, Maltoni, Vryonidou arXiv: 1606.04149



- Virtual NLO corrections to signal in the initial and final states are well known
- But the corrections connecting initial and final states are NOT known
  - impossible to have the full NLO interferences
  - use LO interferences scaled by K-factors

$$\sigma_{NLO} = \sigma_{NLO}^{back} + \sigma_{NLO}^{signal} + \sigma_{LO}^{inter} \sqrt{K_S K_B}$$

Interferences still important at « NLO »

- Convolute with PDF :
- Apply event selection efficiency computed as a function of parton-level  $m_{t\bar{t}}$  :
- Convolute with a smearing kernel to emulate reconstruction resolution :

# Simulation of experimental sensitivity

Emulate distribution of reconstructed  $m_{t\bar{t}}$  starting from analytical results

- Start from analytical parton-level cross sections :
- Convolute with PDF :

Generating MC samples for each signal hypothesis would not be practical.

Parton-level cross section  $\hat{\sigma}$  depends only on  $\hat{s} = m_{t\bar{t}}^2$

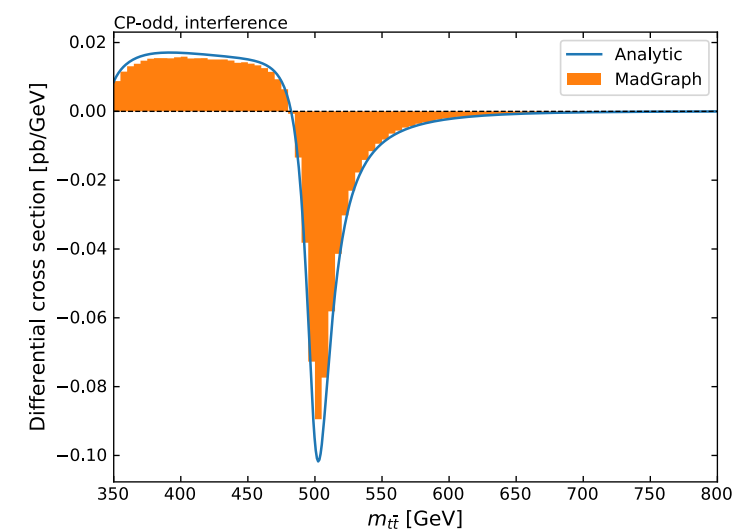
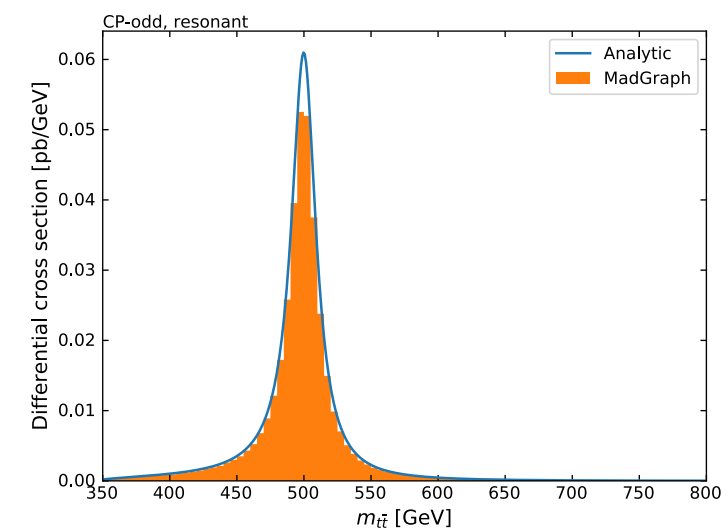
$$\begin{aligned} \rightarrow \frac{d\sigma}{d\hat{s}} &= \int \hat{\sigma}(\hat{s}) f_g(x_1) f_g(x_2) \delta(x_1 x_2 s - \hat{s}) dx_1 dx_2 \\ &= \frac{\hat{\sigma}(\hat{s})}{s} \int_{\hat{s}/s}^1 f_g(x_1) f_g\left(\frac{\hat{s}}{sx_1}\right) \frac{dx_1}{x_1} \equiv \hat{\sigma}(\hat{s}) \cdot F(\hat{s}, s) \end{aligned}$$

precomputed on a grid of  $\hat{s}$  and then interpolated for new  $\hat{s}$  

Differential cross section in  $m_{t\bar{t}}$  is computed fast with :

$$\begin{aligned} \rightarrow \frac{d\sigma}{dm_{t\bar{t}}} &= 2\sqrt{\hat{s}} \frac{d\sigma}{d\hat{s}} \\ &= 2\sqrt{\hat{s}} F(\hat{s}, s) \cdot \hat{\sigma}(\hat{s}) \end{aligned}$$

- Apply event selection efficiency computed as a function of parton-level  $m_{t\bar{t}}$  :
- Convolute with a smearing kernel to emulate reconstruction resolution :





# Simulation of experimental sensitivity

Emulate distribution of reconstructed  $m_{t\bar{t}}$  starting from analytical results

- Start from analytical parton-level cross sections :
- Convolute with PDF :
- Apply event selection efficiency computed as a function of parton-level  $m_{t\bar{t}}$

## Event selection « l+jets » :

- Focus on single-lepton channel
    - Exactly one  $e$  or  $\mu$  and no  $\tau$  in the ME final state
    - The  $e$  ( $\mu$ ) must have  $p_T > 30$  GeV and  $|\eta| < 2.4$
  - At least four jets
    - Consider generator-level jets with  $p_T > 20$  GeV and  $|\eta| < 2.4$
    - Jets that overlap with the lepton (within  $\Delta R < 0.4$ ) are removed
  - Two of the jets matched to  $b$  quarks within  $\Delta R < 0.4$ 
    - This emulates  $b$ -tagging, although false positives are ignored
  - Assume a 30% efficient lepton identification and  $b$ -tagging (event weights)
- 
- Convolute with a smearing kernel to emulate reconstruction resolution :



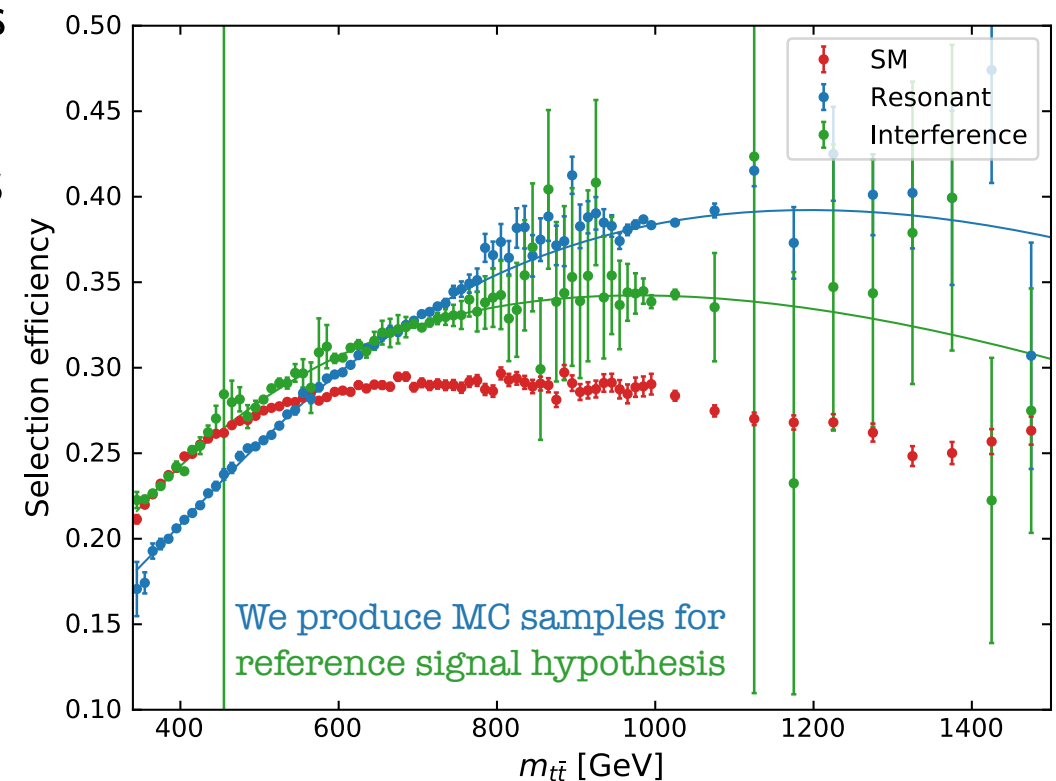
# Simulation of experimental sensitivity

Emulate distribution of reconstructed  $m_{t\bar{t}}$  starting from analytical results

- Start from analytical parton-level cross sections :
- Convolute with PDF :
- Apply event selection efficiency computed as a function of parton-level  $m_{t\bar{t}}$

## Selection efficiency :

- Efficiency of the event selection checked on MC samples for SM  $t\bar{t}$ , resonant part of the signal, and interference
  - Computed w. r. t. targeted decays
  - In bins of parton-level  $m_{t\bar{t}}$
- Efficiencies for the three processes are different
- Fitted  $\epsilon(m_{t\bar{t}})$  for signal
  - Described well with  $P_3(\ln m_{t\bar{t}})$



- Convolute with a smearing kernel to emulate reconstruction resolution :

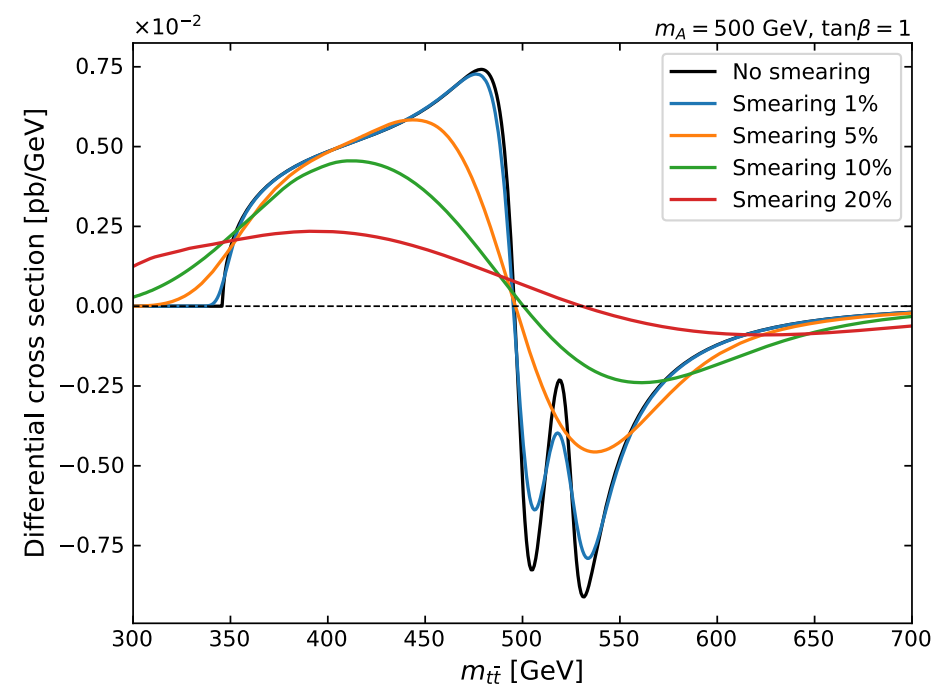
# Simulation of experimental sensitivity

Emulate distribution of reconstructed  $m_{t\bar{t}}$  starting from analytical results

- Start from analytical parton-level cross sections :
- Convolute with PDF :
- Apply event selection efficiency computed as a function of parton-level  $m_{t\bar{t}}$
- Convolute with a smearing kernel to emulate reconstruction resolution :
  - Apply Gaussian smearing to parton-level  $m_{t\bar{t}}$ :

$$\frac{d\tilde{\sigma}}{dm_{t\bar{t}}} = \int \frac{d\sigma}{dm'_{t\bar{t}}} \epsilon(m'_{t\bar{t}}) \cdot \frac{1}{\sqrt{2\pi} (r \cdot m'_{t\bar{t}})^2} \exp\left(-\frac{(m_{t\bar{t}} - m'_{t\bar{t}})^2}{2 (r \cdot m'_{t\bar{t}})^2}\right) dm'_{t\bar{t}}$$

- $r$  is relative  $m_{t\bar{t}}$  resolution
  - Integral is truncated to segment  $m_{t\bar{t}} \cdot (1 \pm 3r)$
- In the following use  $r = 20\%$ 
  - Some results for optimistic scenario  $r = 10\%$  will also be shown

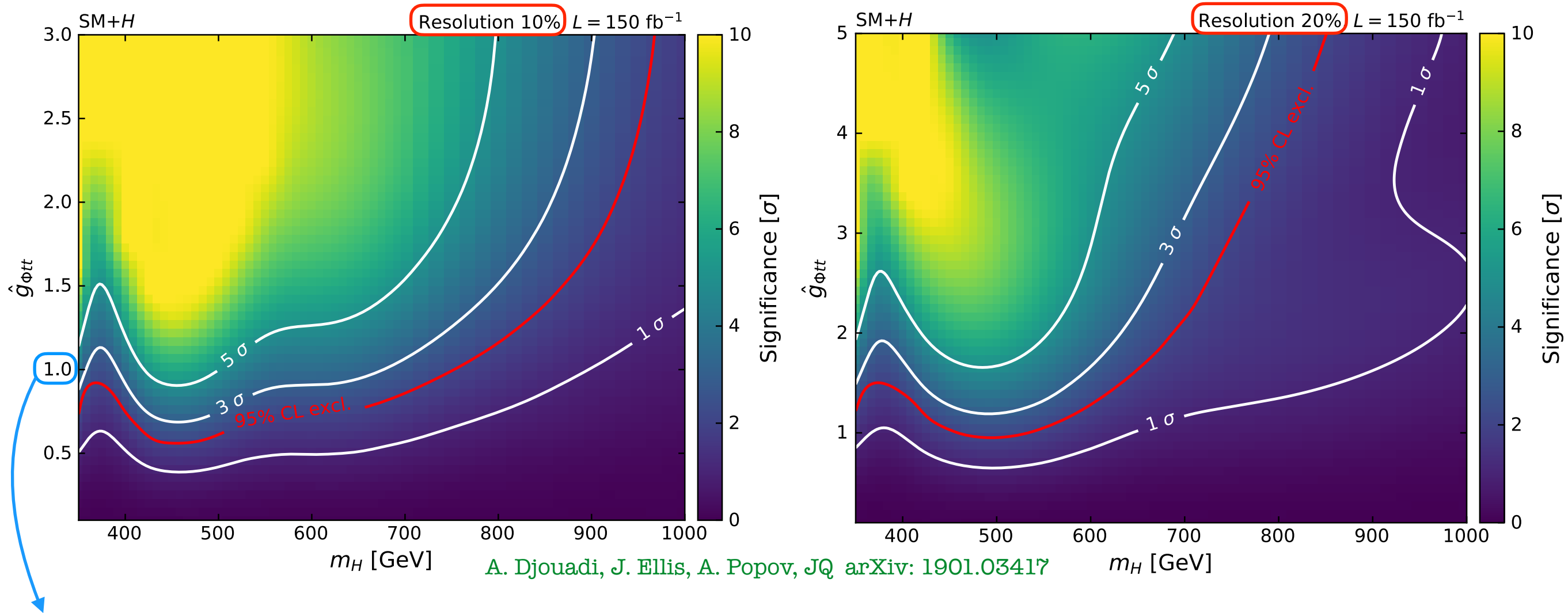


Analysis fully transparent and accessible on GitHub, easily applicable to other BSM models

# The SM with an extra singlet

$$\mathcal{L}^{\text{newYukawa}} \supset -g_{Ht\bar{t}}\bar{t}tH \quad \text{or} \quad ig_{At\bar{t}}\bar{t}\gamma_5 tA \quad \text{with} \quad g_{\Phi t\bar{t}} = \frac{m_t}{v} \times \hat{g}_{\Phi t\bar{t}}$$

$\downarrow$   
 $g_{ht\bar{t}}$



- boson H, with 10% mass res. & 3/ab:  $5\sigma$  discovery sensitivity up to  $M_H \sim 800 \text{ GeV}$   
95% CL exclusion up to  $M_H \sim 980 \text{ GeV}$
- boson A: exclusion range from 650 GeV (20% res.+ 150 /fb) to over 1 TeV (10% res. & 3 /ab)

**Reach of the search for effects in the  $m_{t\bar{t}}$  mass spectrum is impressive in the (pseudo) scalar case**

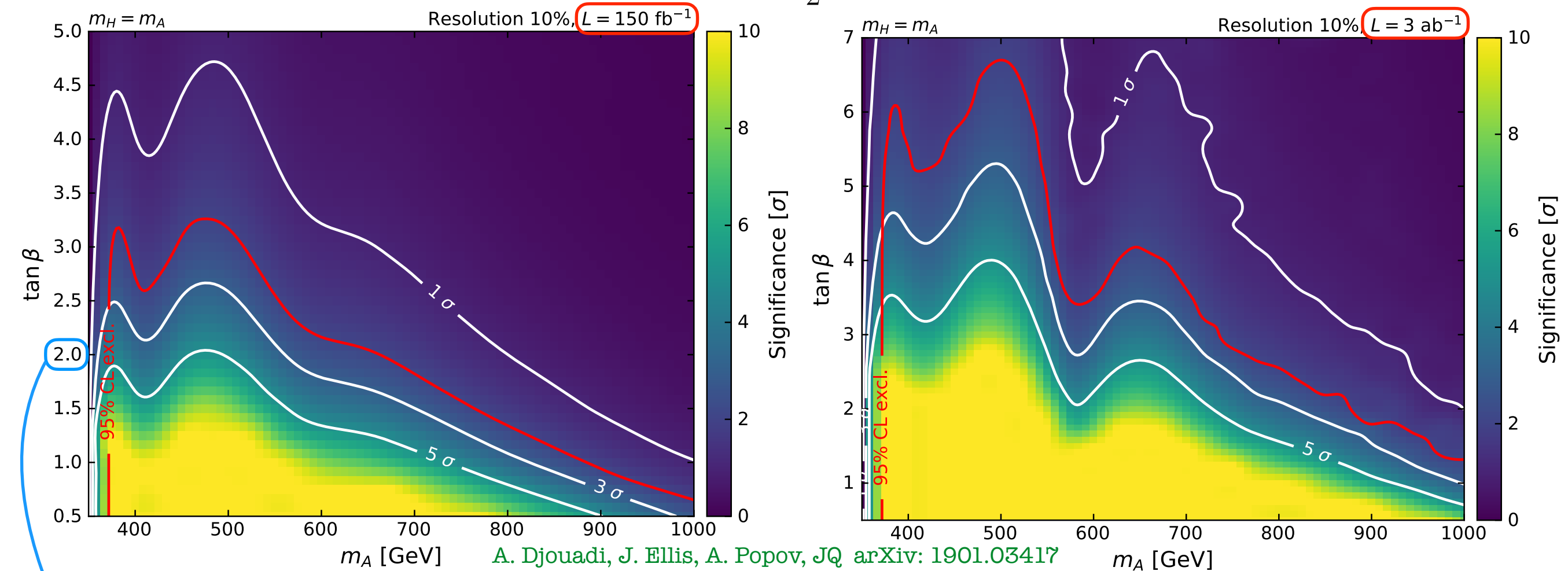
# Two Higgs doublet models

type II:

$\Phi$	$g_{\Phi\bar{u}u}$	$g_{\Phi\bar{d}d}$	$g_{\Phi VV}$	
$h$	$\frac{\cos \alpha}{\sin \beta} \rightarrow 1$	$\frac{\sin \alpha}{\cos \beta} \rightarrow 1$	$\sin(\beta - \alpha) \rightarrow 1$	SM-like Higgs coupling
$H$	$\frac{\sin \alpha}{\sin \beta} \rightarrow 1/\tan \beta$	$\frac{\cos \alpha}{\cos \beta} \rightarrow \tan \beta$	$\cos(\beta - \alpha) \rightarrow 0$	Heavy Higgs decouple from the gauge sector
$A$	$1/\tan \beta$	$\tan \beta$	0	

alignement limit :  $\alpha = \beta - \frac{\pi}{2}$

2HDM :  $M_h = 125 \text{ GeV}$ ,  $\alpha = \beta - \frac{\pi}{2}$ ,  $M_H \approx M_A$ ,  $M_{H^\pm} \geq \max(M_H, M_A)$



(with 10% mass resolution)

150 /fb

450 /fb

3 /ab

5 $\sigma$  discovery sensitivity up to :

x

540 GeV

730 GeV

95 % CL limit up to : 670 GeV

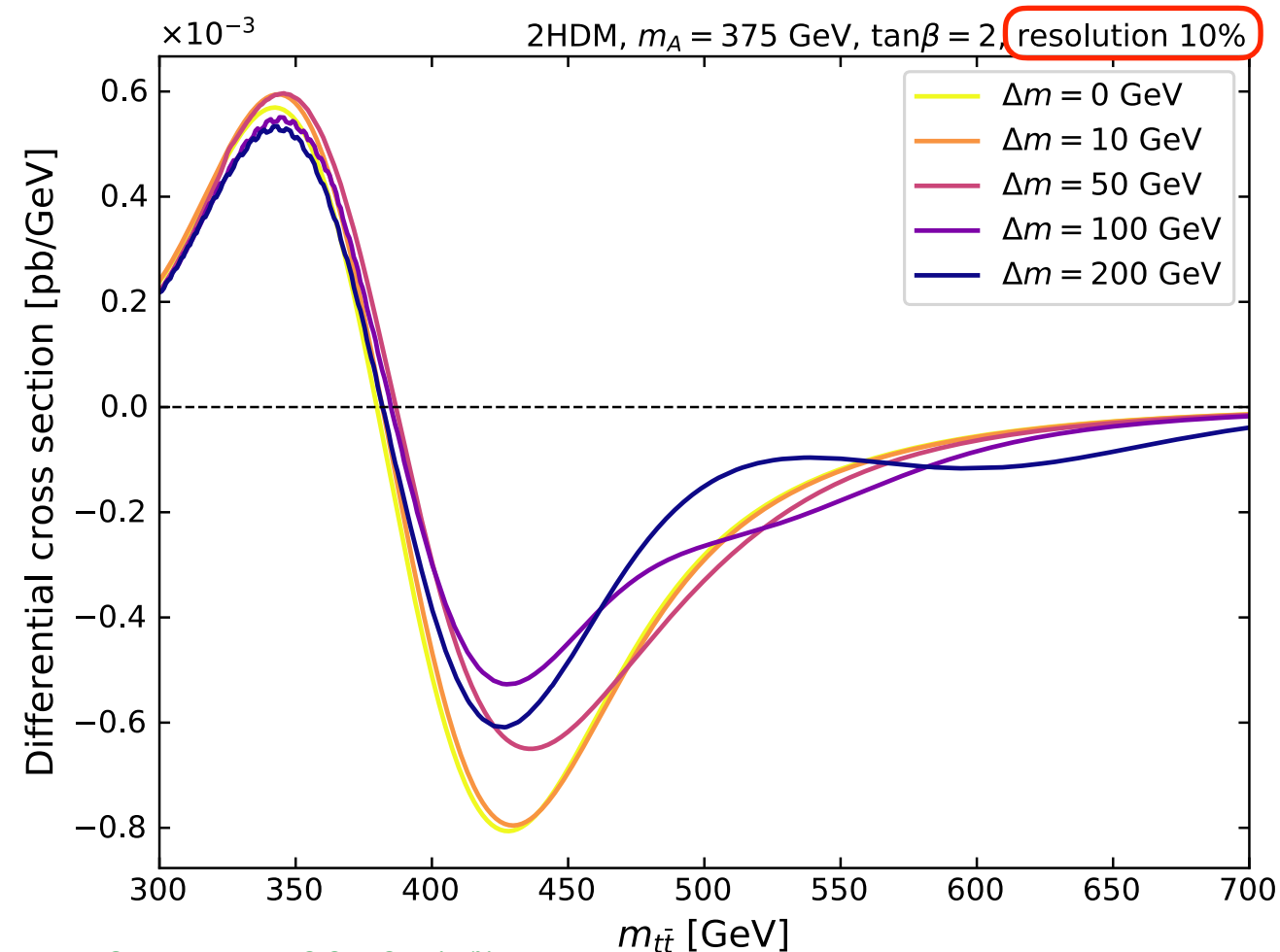
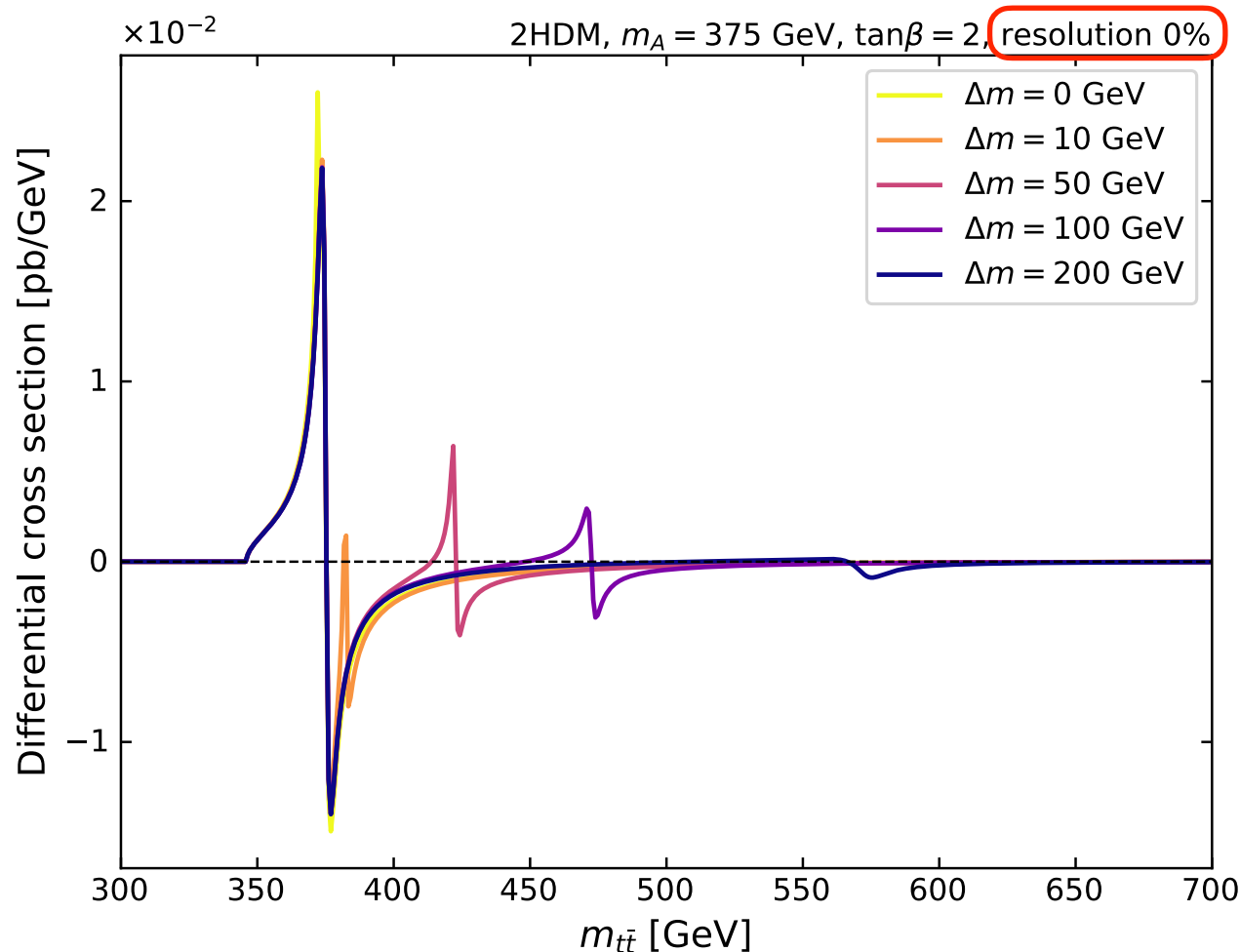
750 GeV

900 GeV

# Two Higgs doublet models

effect of the mass splitting  $M_H - M_A$

- $M_H - M_A \nearrow$  : leads initially to a degradation in the sensitivity (partial cancelation)
- When the mass separation is large enough the structures from the two states do not overlap and the sensitivity increases again



A. Djouadi, J. Ellis, A. Popov, JQ arXiv: 1901.03417

# The hMSSM

In the basis  $(H_d, H_u)$ , the CP-even Higgs mass matrix can be written as:

$$M_S^2 = M_Z^2 \begin{pmatrix} c_\beta^2 & -s_\beta c_\beta \\ -s_\beta c_\beta & s_\beta^2 \end{pmatrix} + M_A^2 \begin{pmatrix} s_\beta^2 & -s_\beta c_\beta \\ -s_\beta c_\beta & c_\beta^2 \end{pmatrix} + \begin{pmatrix} \Delta\mathcal{M}_{11}^2 & \Delta\mathcal{M}_{12}^2 \\ \Delta\mathcal{M}_{12}^2 & \Delta\mathcal{M}_{22}^2 \end{pmatrix}$$

$\Delta\mathcal{M}_{ij}^2$ : radiative corrections

One derives the neutral CP-even Higgs boson masses and the mixing angle  $\alpha$ :

$$M_{h/H}^2 = f_{h/H}(M_A, \tan\beta, \Delta\mathcal{M}_{11}, \Delta\mathcal{M}_{12}, \Delta\mathcal{M}_{22})$$

$$\tan\alpha = f_\alpha(M_A, \tan\beta, \Delta\mathcal{M}_{11}, \Delta\mathcal{M}_{12}, \Delta\mathcal{M}_{22})$$

$M_h$  should be an input now...

$\Delta\mathcal{M}_{22}^2$  involves the by far dominant stop-top sector correction:  $\Delta\mathcal{M}_{22}^2 \gg \Delta\mathcal{M}_{11}^2, \Delta\mathcal{M}_{12}^2$

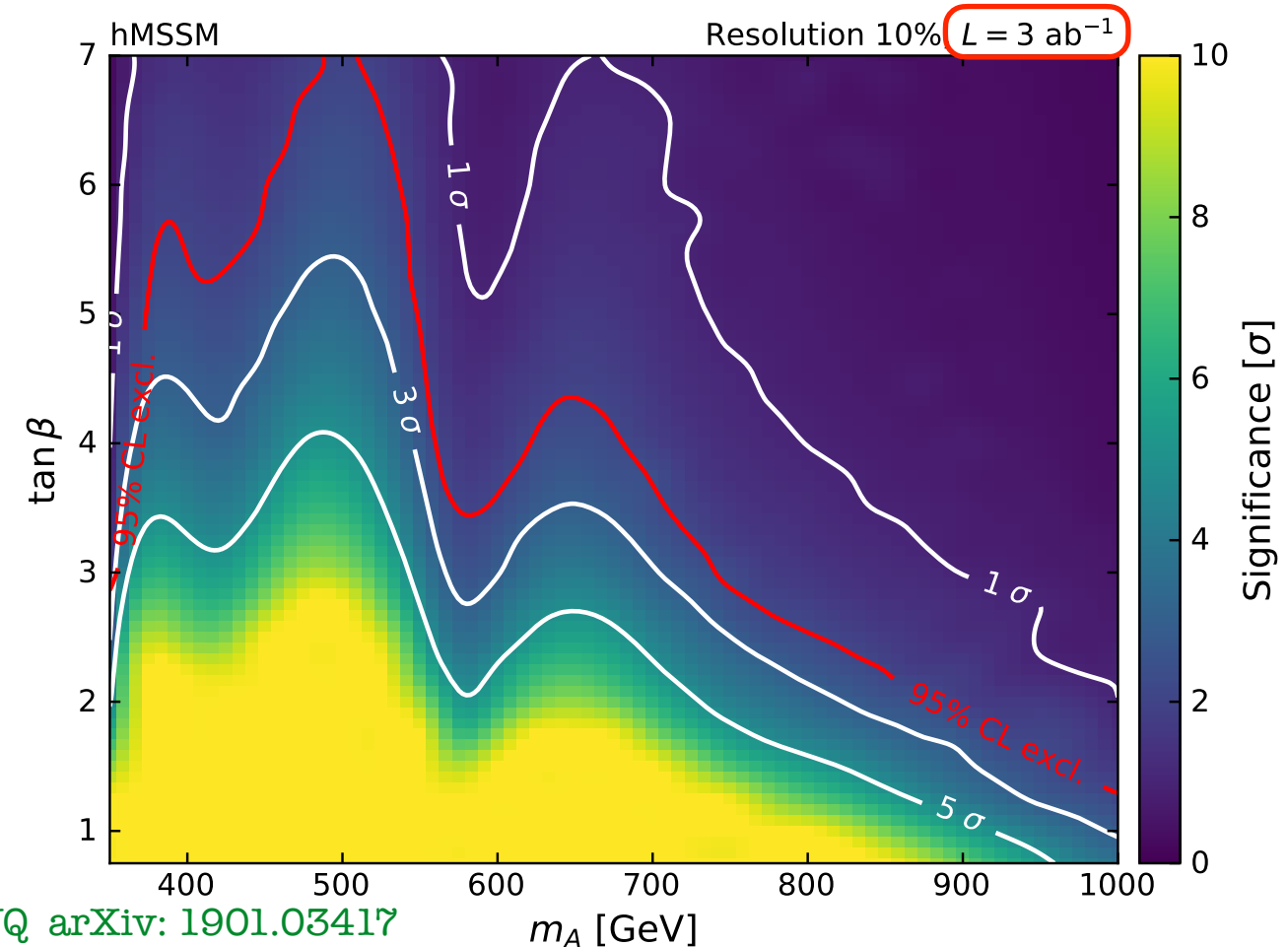
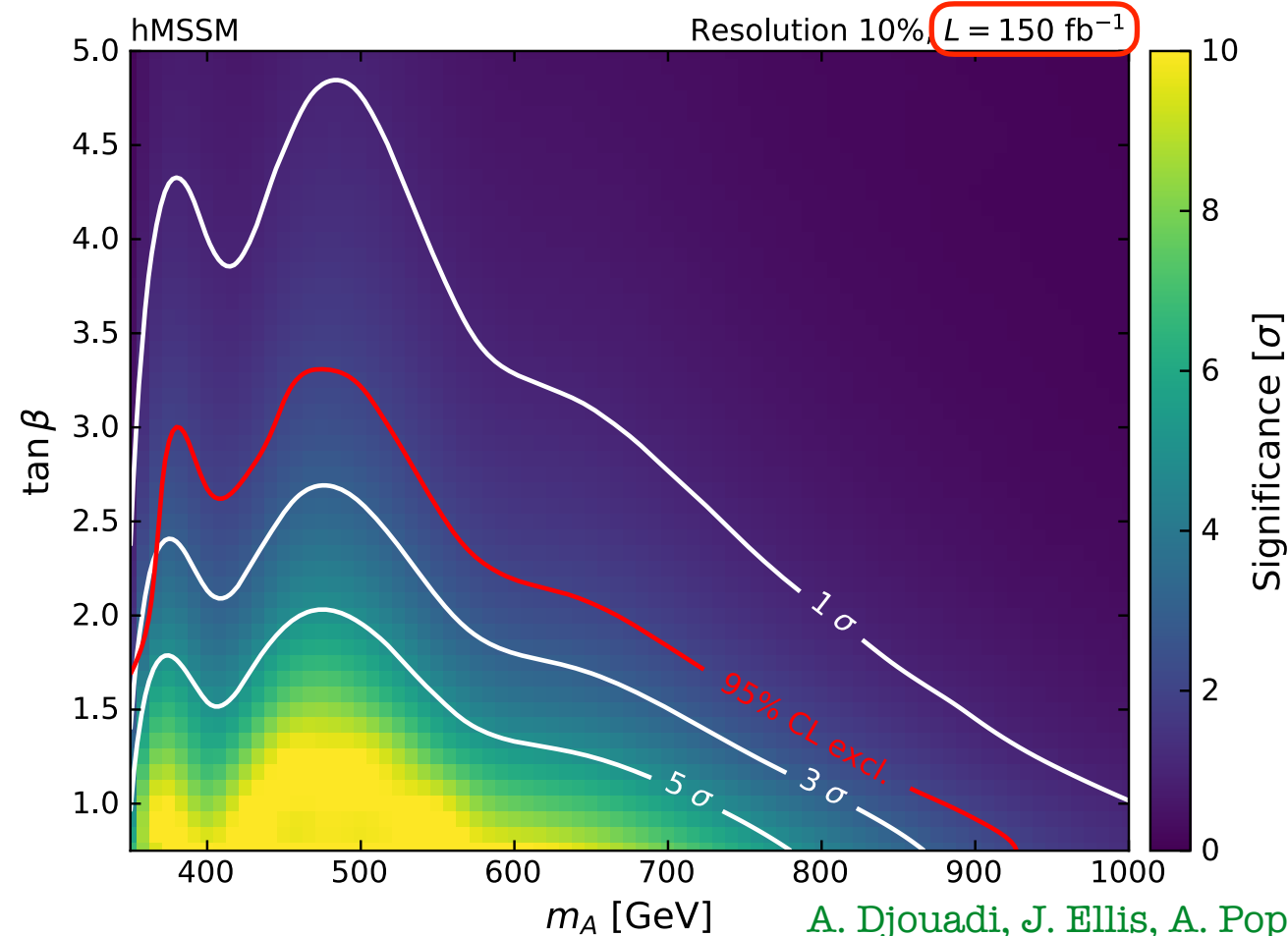
→ One can trade  $\Delta\mathcal{M}_{22}^2$  ( $M_S$ ) for the by now known  $M_h$

In this case, one can simply describe the Higgs sector in terms of  $M_A, \tan\beta$  and  $M_h$ :

hMSSM :

$$M_H^2 = \frac{(M_A^2 + M_Z^2 - M_h^2)(M_Z^2 c_\beta^2 + M_A^2 s_\beta^2) - M_A^2 M_Z^2 c_{2\beta}^2}{M_Z^2 c_\beta^2 + M_A^2 s_\beta^2 - M_h^2}$$

$$\alpha = -\arctan\left(\frac{(M_Z^2 + M_A^2)c_\beta s_\beta}{M_Z^2 c_\beta^2 + M_A^2 s_\beta^2 - M_h^2}\right)$$



A. Djouadi, J. Ellis, A. Popov, JQ arXiv: 1901.03417

(with 10% mass resolution)	150 /fb	450 /fb	3 /ab
5 $\sigma$ discovery sensitivity up to :	x	530 GeV	700 GeV
95 % CL limit up to :	660 GeV	740 GeV	870 GeV

very similar to  
previous 2HDM



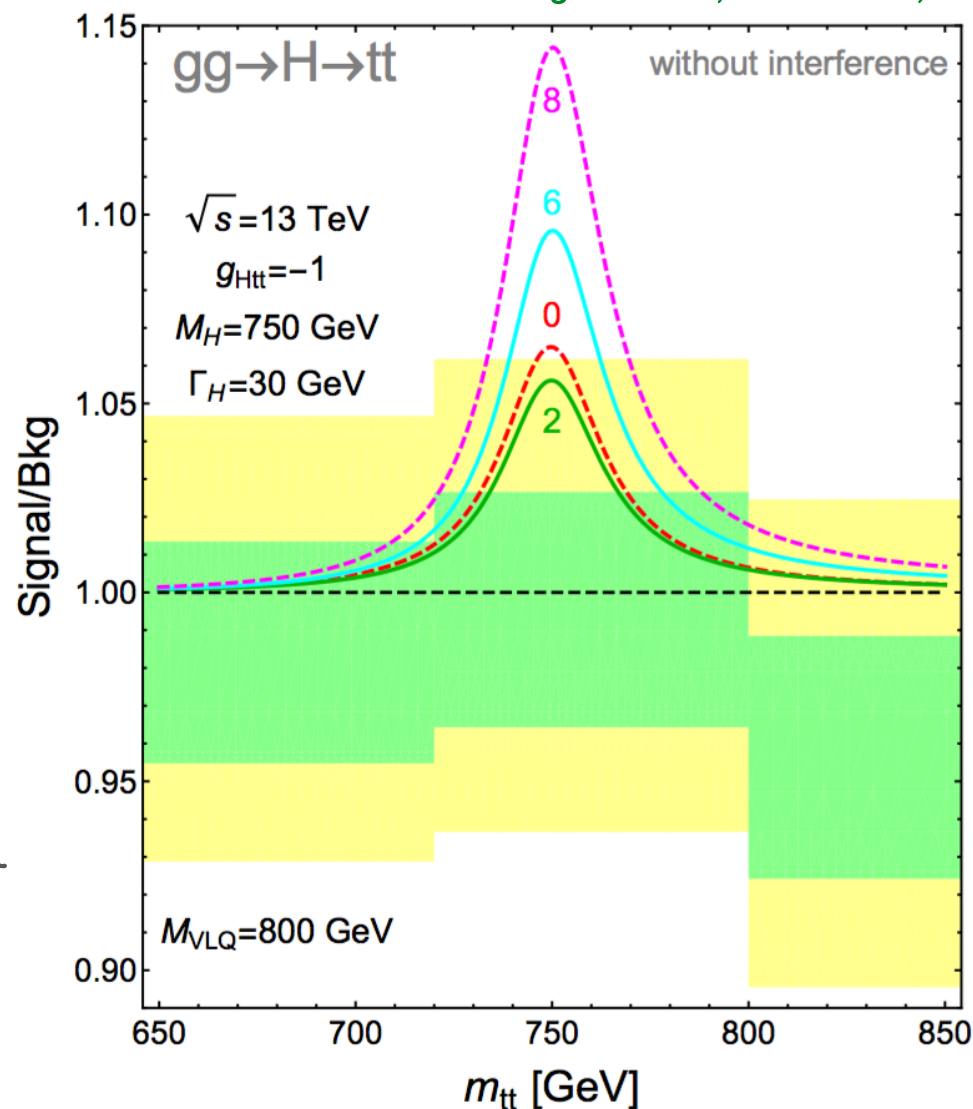
# If VLQ are also in the loop

The top quark and VLQ induce the gluon width :

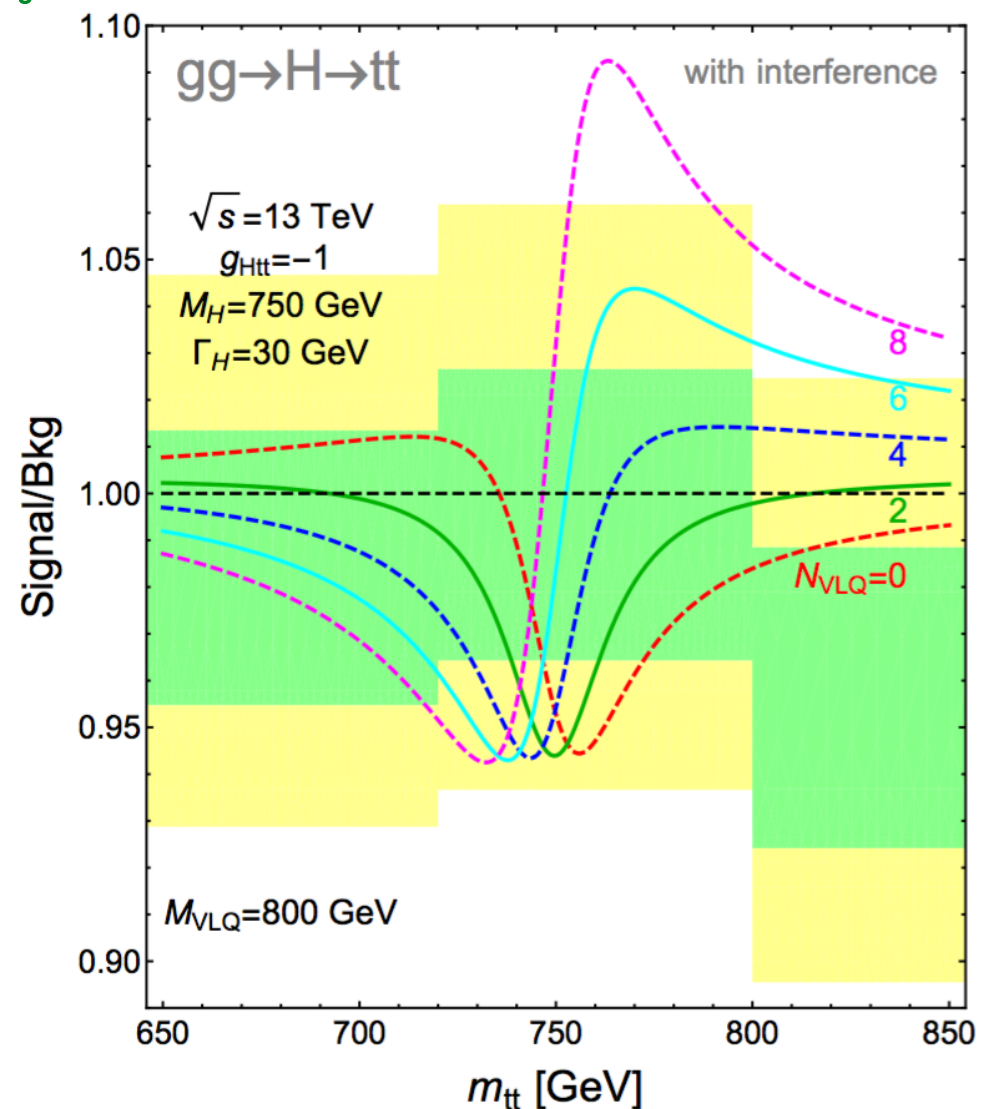
$$\Gamma(\Phi \rightarrow gg) = \frac{G_\mu \alpha_s^2 M_\Phi^3}{64\sqrt{2}\pi^3} \left| \sum_Q \hat{g}_{\Phi QQ} A_{1/2}^\Phi(\tau_Q) \right|^2 \quad \text{with} \quad \hat{g}_{\Phi QQ} = \frac{v}{m_Q} \hat{y}_Q$$

note that heavy VLQ decouple  $\neq$  heavy chiral fermion regarding  $\Gamma(h_{\text{SM}} \rightarrow gg)$

A. Djouadi, J. Ellis, JQ arXiv: 1605.00542

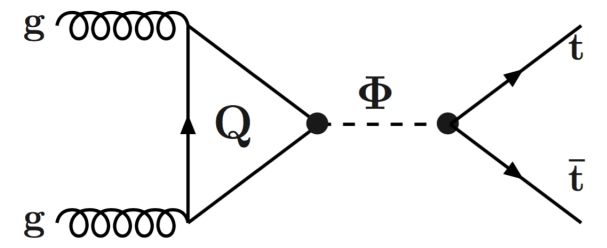


strong  
exclusion  
limits



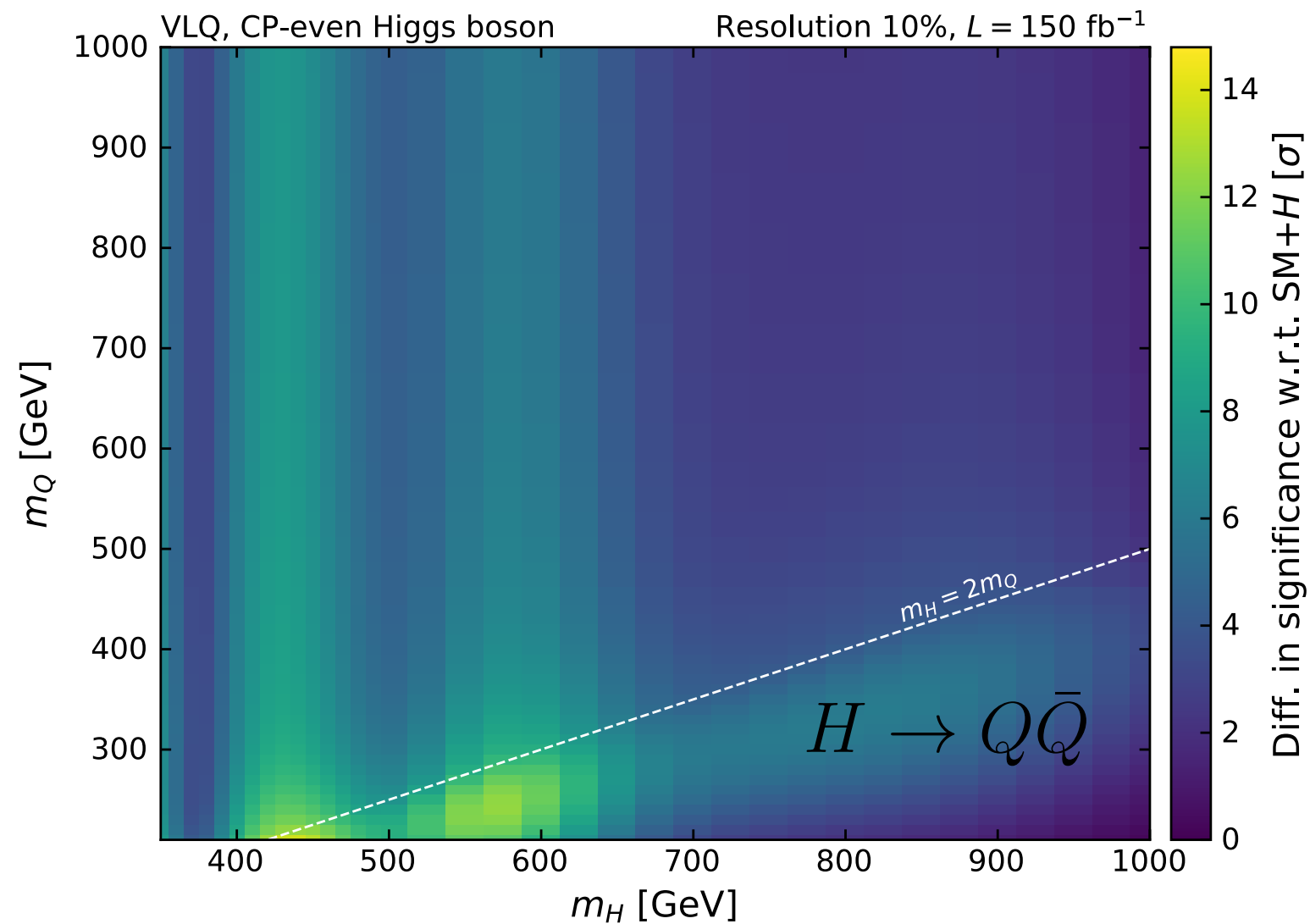
weaker  
exclusion  
limits

# Additional Vector-Like Quark to



Consider a CP-even heavy Higgs with  $\hat{g}_{\Phi Q\bar{Q}} = \hat{g}_{\Phi t\bar{t}} = 1$  and a single VLQ species

compare this model with the SM+H model:



increase in the significance over all the plane



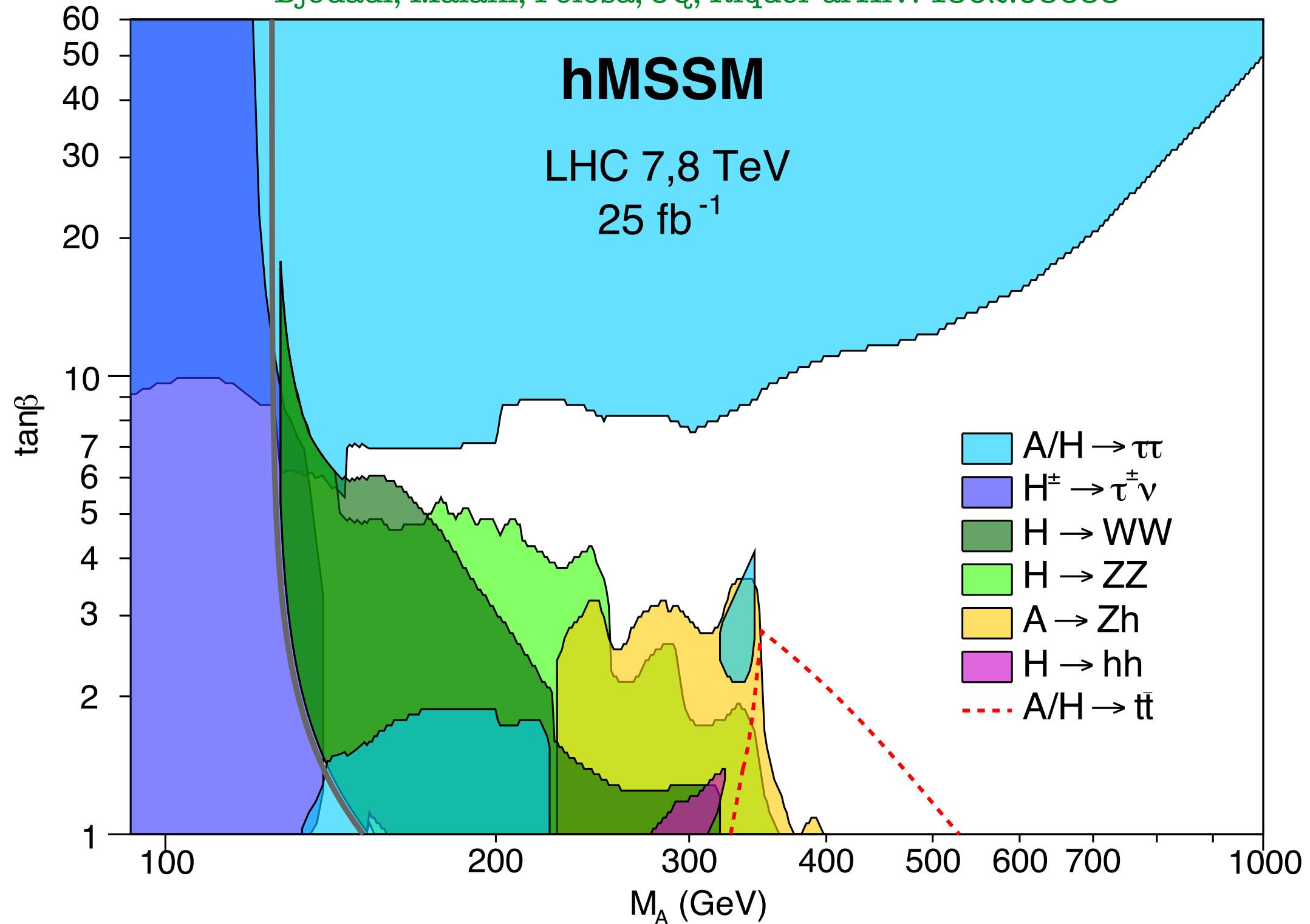
# Conclusions

- Searching for a top quark pair resonance is promising for new physics
- Interference effects are crucial: need to go beyond a parametrization in terms of the total rate \* **NEW for LHC run II** \*
- Interference effects contain information on new resonances and also new particles in the loop inducing coupling to gluons
- Develop procedure to analyse carefully lineshapes looking for bump, peak-dip, dip-peak and simple deep
- the  $gg \rightarrow t\bar{t}$  process will allow us to test the low  $\tan\beta$  region of the MSSM Higgs sector
- A lot still need to be studied regarding BSM interference effects

Backup slides

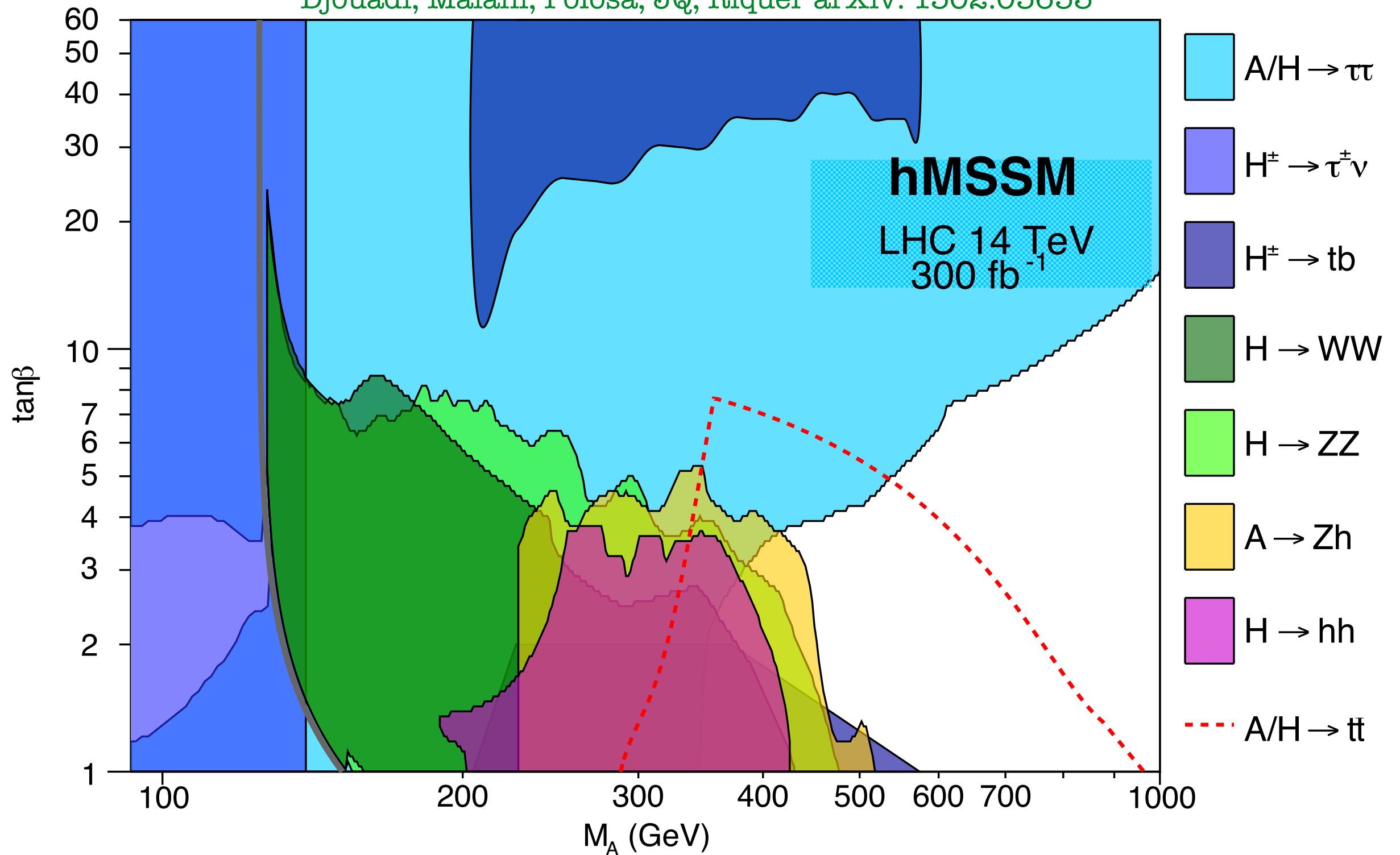
# Constraints from LHC run I

Djouadi, Maiani, Polosa, JQ, Riquer arXiv: 1502.05653



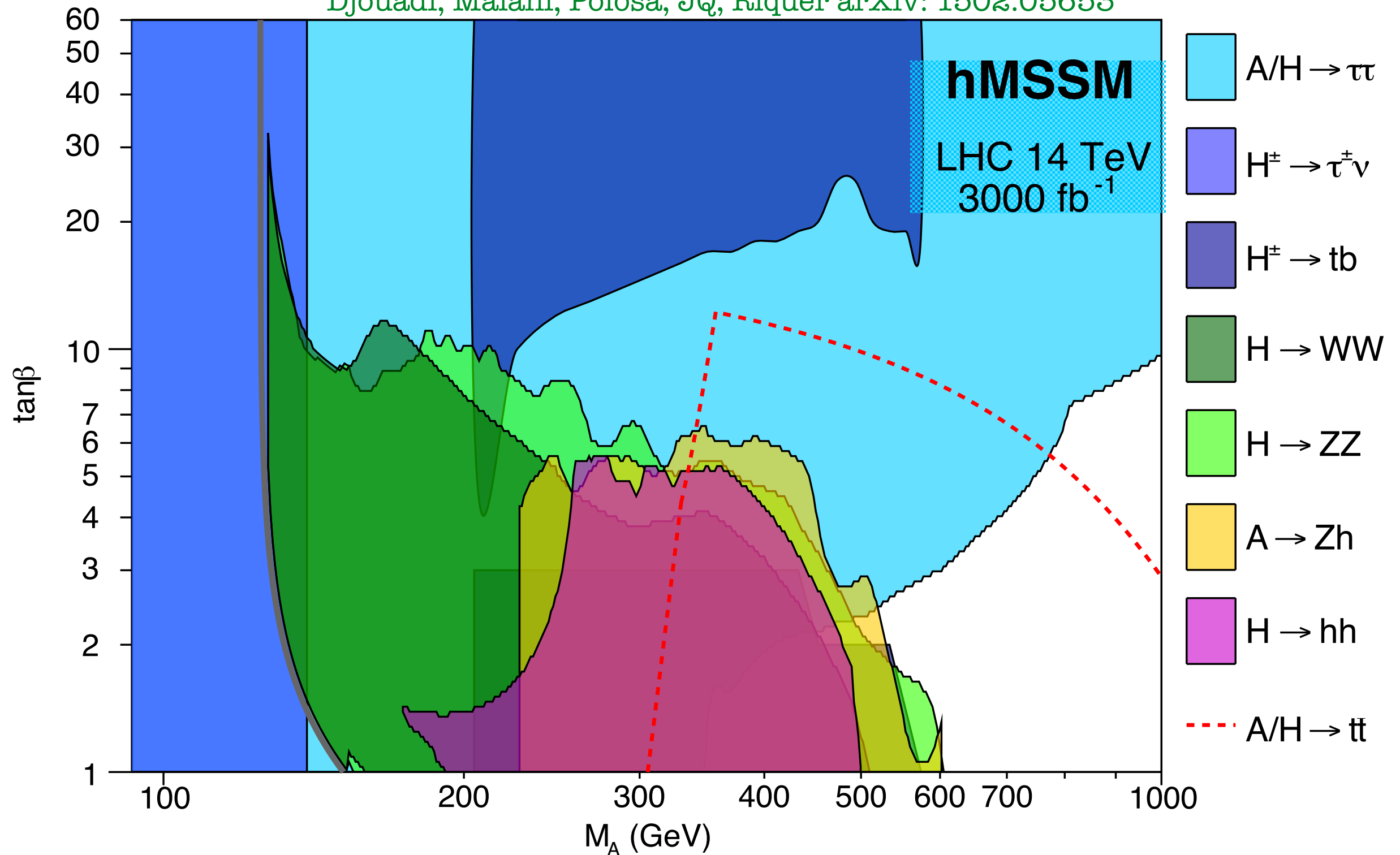
# Projected constraints 1

Djouadi, Maiani, Polosa, JQ, Riquer arXiv: 1502.05653



# Fully covering the MSSM Higgs sector up to the TeV

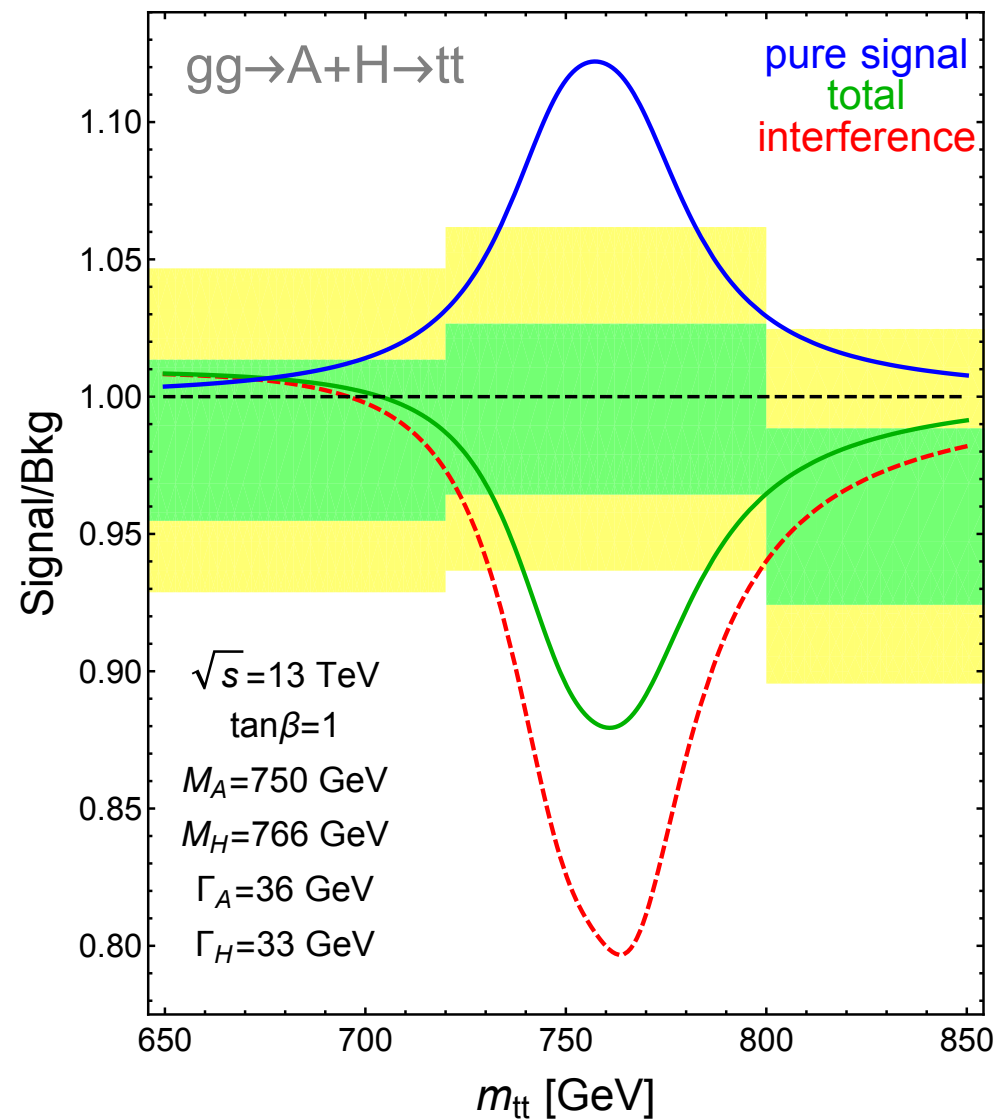
Djouadi, Maiani, Polosa, JQ, Riquer arXiv: 1502.05653



# If the resonances are the heavy Higgs of the MSSM

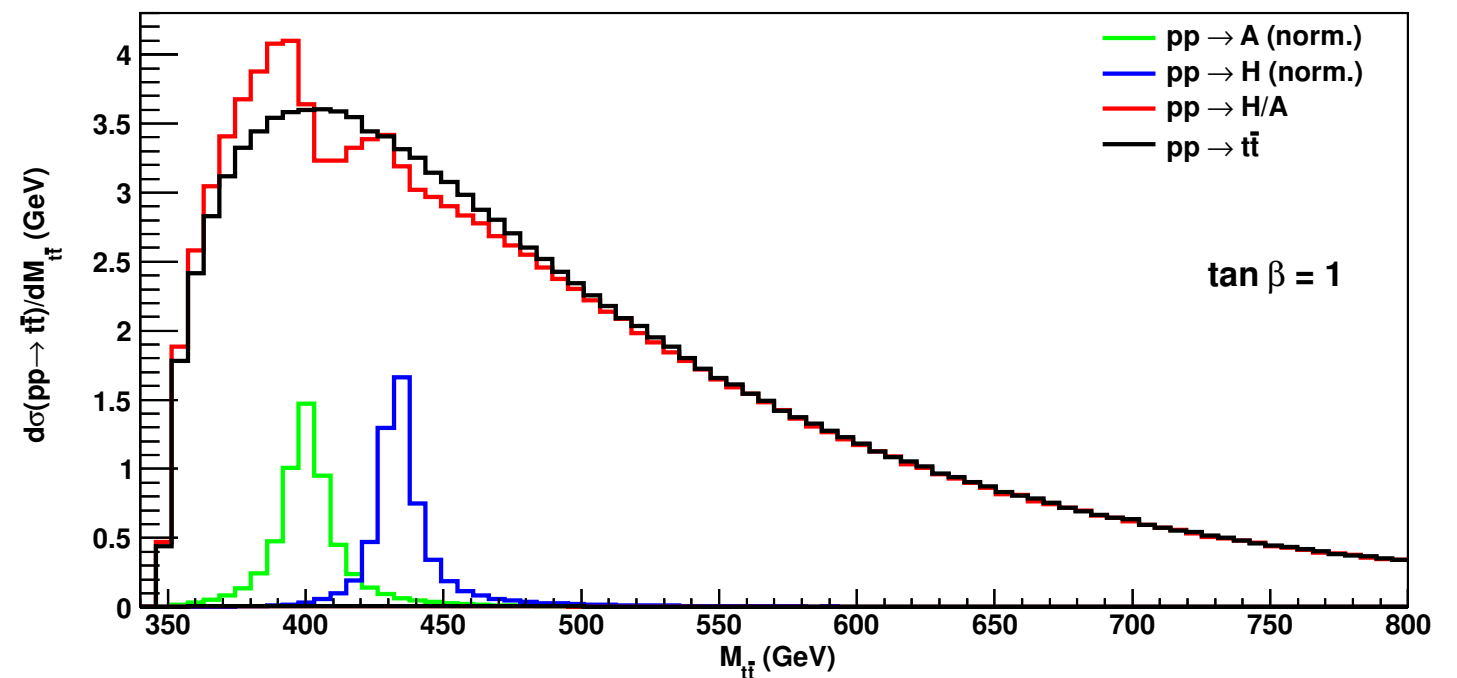
looking for a dip

J. Ellis, A. Djouadi, JQ arXiv: 1605.00542



nearly degenerate H,A

looking for a peak & dip



non degenerate H,A

- In the high mass region, the two resonances would mimic a single broad resonance
- In a 2HDM, the signal could be anything (including nothing due to cancelations)

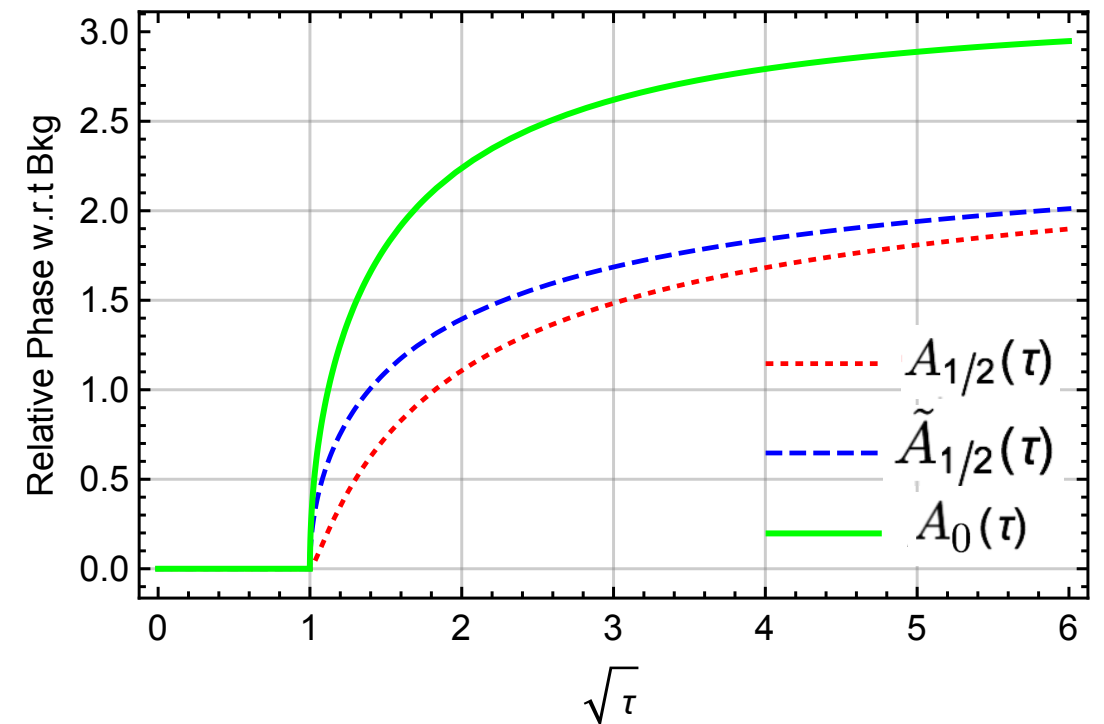
# Systematic uncertainties

- Uncertainties in signal
  - Renormalization scale  $\mu_R$  in ME varied by factor 2
    - Simultaneously in  $R$  and  $I$  and also SM  $t\bar{t}$
- Uncertainties in SM  $t\bar{t}$ 
  - 10% rate variation
    - Represent some experimental uncertainties that affect mostly the rate and also change in cross section due to variations of  $\mu_R$  and  $\mu_F$  (see below)
  - Scaling  $m_{t\bar{t}} \mapsto (1 \pm \alpha) m_{t\bar{t}}$ ,  $\alpha = 0.01$ 
    - Proxy for the uncertainty in jet  $p_T$  scale
  - Renormalization and factorization scales in ME varied by factor 2
    - Variations are rescaled so that they do not change the inclusive cross section
    - Rational: the impact on the rate is huge, and uncertainties would be tightly constrained because of this. Factorizing into rate and shape variations allows to preserve the latter ones
  - Renormalization scale in FSR is varied by factor 2
  - Mass of top quark varied by 0.5 GeV
  - All PDF uncertainties (30 in total) and variation of  $\alpha_s$  in PDF

# If the stops are also in the loop

$$g_{Sgg}^{\tilde{q}}(\hat{s}) = -\frac{\alpha_s}{8\pi} \sum_{q;i=1,2} \frac{g_i^{\tilde{q}} v}{m_{\tilde{q}_i}^2} \frac{1}{\tau_i^{\tilde{q}}} \left( 1 - \frac{1}{\tau_i^{\tilde{q}}} f(\tau_i^{\tilde{q}}) \right)$$

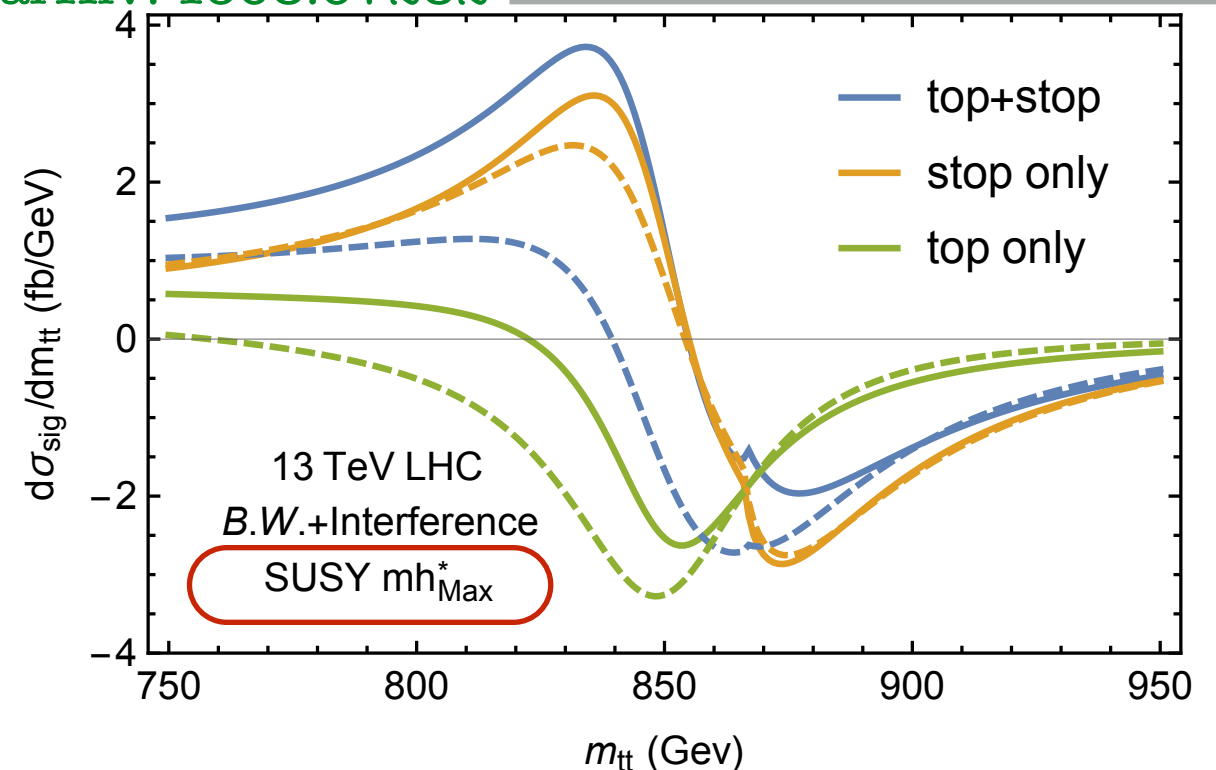
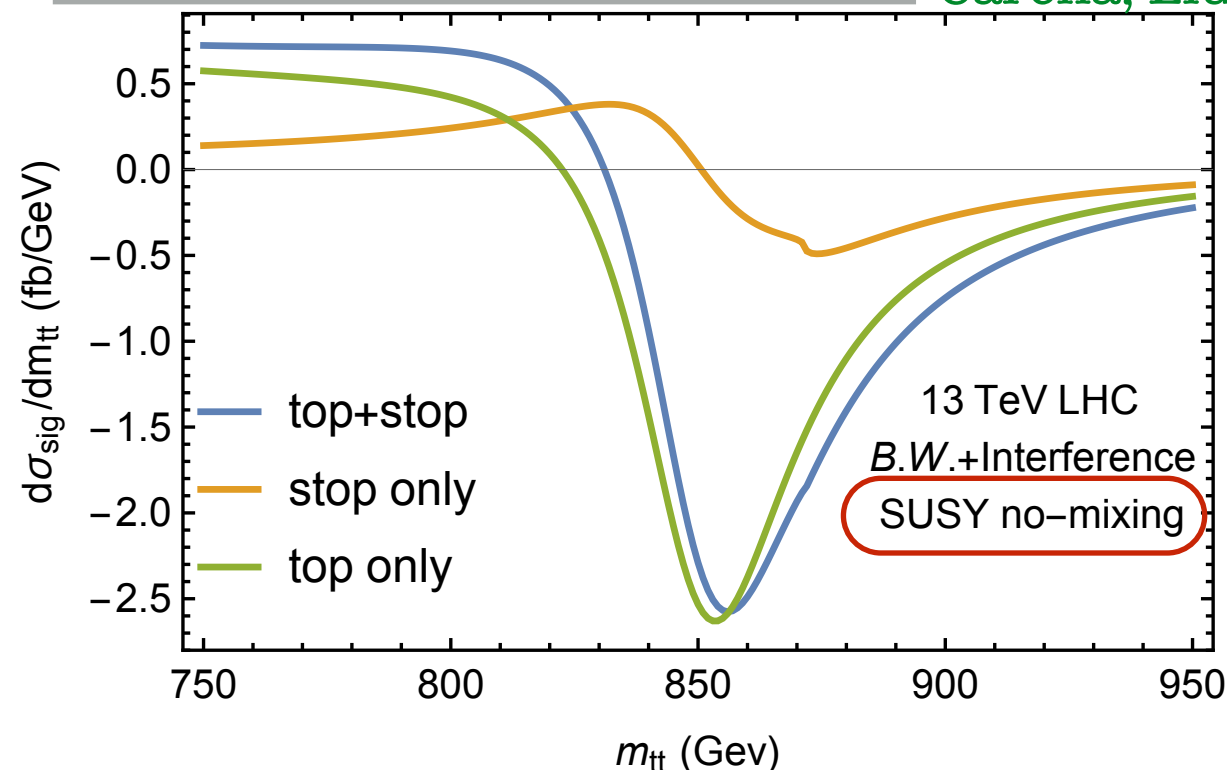
- Dip structure less prominent for scalars than fermions
- Stops change the heavy scalar lineshapes in a distinct way depending on the stop mixing.



the top contribution dominates

Carena, Liu arXiv: 1608.07282

the stop contribution dominates





# Vector Like Fermions

What are Vector-Like fermions?

The left-handed and right-handed chiralities of a Vector-Like fermion transform in the same way under the SM gauge groups  $SU(3)_c \times SU(2)_L \times U(1)_Y$

Why are they called « vector-like »?

$$\mathcal{L}_W = \frac{g}{\sqrt{2}} (J^{\mu+} W_\mu^+ + J^{\mu-} W_\mu^-) \quad \text{Charged current}$$

- SM chiral quarks: only left-handed charged currents

$$J^{\mu+} = J_L^{\mu+} + J_R^{\mu+} \quad \text{with} \quad \begin{cases} J_L^{\mu+} = \bar{u}_L \gamma^\mu d_L = \bar{u} \gamma^\mu (1 - \gamma^5) d = V - A \\ J_R^{\mu+} = 0 \end{cases}$$

- Vector-Like quarks: both left-handed and right-handed charged currents

$$J^{\mu+} = J_L^{\mu+} + J_R^{\mu+} = \bar{u}_L \gamma^\mu d_L + \bar{u}_R \gamma^\mu d_R = \bar{u} \gamma^\mu d = V$$

New type of gauge invariant mass term (without the Higgs)

$$\mathcal{L}_M = -M \bar{\psi} \psi \quad \text{ex: the MSSM higgsino is a VL-Fermion}$$

## Non-exhaustive list regarding interferences at the LHC (last 3 years):

### ▷ Final state $t\bar{t}/gg/\gamma\gamma$ :

[1605.00542 Djouadi Ellis Quevillon]:  $gg \rightarrow \phi \rightarrow t\bar{t}$  and  $gg \rightarrow \phi \rightarrow \gamma\gamma$

[1608.07282 Carena Liu]:  $gg \rightarrow \phi \rightarrow t\bar{t}$

[1606.04149 Hespel Maltoni Vryonidou]:  $gg \rightarrow \phi \rightarrow t\bar{t}$  (2HDM, NLO)

[1707.06760 Franzosi Vryonidou Zhang]:  $gg \rightarrow \phi \rightarrow t\bar{t}$  (NLO advanced)

[1606.03026 Martin]:  $pp \rightarrow \phi \rightarrow gg$

[1511.05584 Bernreuther Galler Mellein Si Uwer]:  $gg \rightarrow \phi \rightarrow t\bar{t}$

[1702.06063 Bernreuther Galler Mellein Si Uwer]:  $gg \rightarrow \phi \rightarrow t\bar{t}$  (polarization, spin)

[1505.00291 Jung Song Yoon]: Generic discussion with complex phase (also  $b\bar{b}$ )

### ▷ Final state $VV$ : (Consistent model due to unitarity needed!)

[1501.02139 Maina]:  $gg \rightarrow \phi \rightarrow VV$  (SM+singlet)

[1502.04113 Kauer O'Brien]:  $gg \rightarrow \phi \rightarrow VV$  (SM+singlet)

[1506.02257 Ballestrero Maina]:  $VBF \rightarrow \phi \rightarrow VV$  (SM+singlet)

[1506.01694 Kauer O'Brien Vryonidou]:  $gg \rightarrow \phi \rightarrow VV \rightarrow 4l$  (SM)

[1510.03450 Jung Song Yoon]:  $gg \rightarrow \gamma\gamma/ZZ$  (2HDM)

[1512.07232 Greiner SL Weiglein]:  $gg \rightarrow VV \rightarrow 4l$  (2HDM)

### ▷ Final state $HH$ :

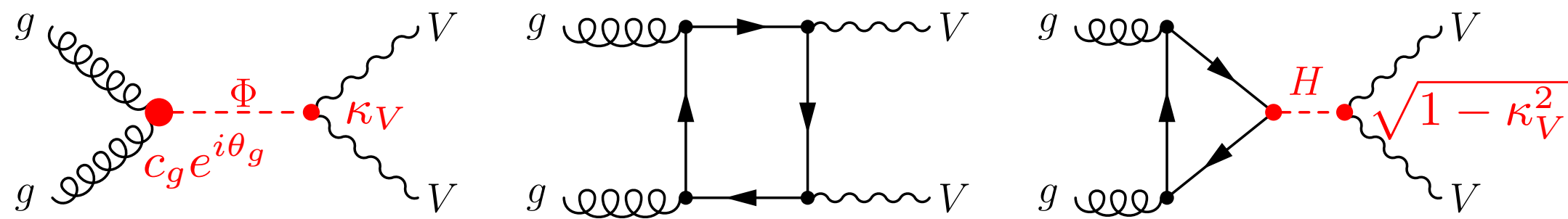
[1407.0281 Hespel Lopez-Val Vryonidou]:  $gg \rightarrow \Phi \rightarrow HH$  (2HDM, NLO)

[1508.05397 Dawson Lewis]:  $gg \rightarrow \Phi \rightarrow HH$  (SM+singlet, NLO)

### ▷ Interferences among heavy Higgs bosons:

[1411.4652 1705.05757 Fuchs Weiglein]:  $\phi$ 's of the MSSM

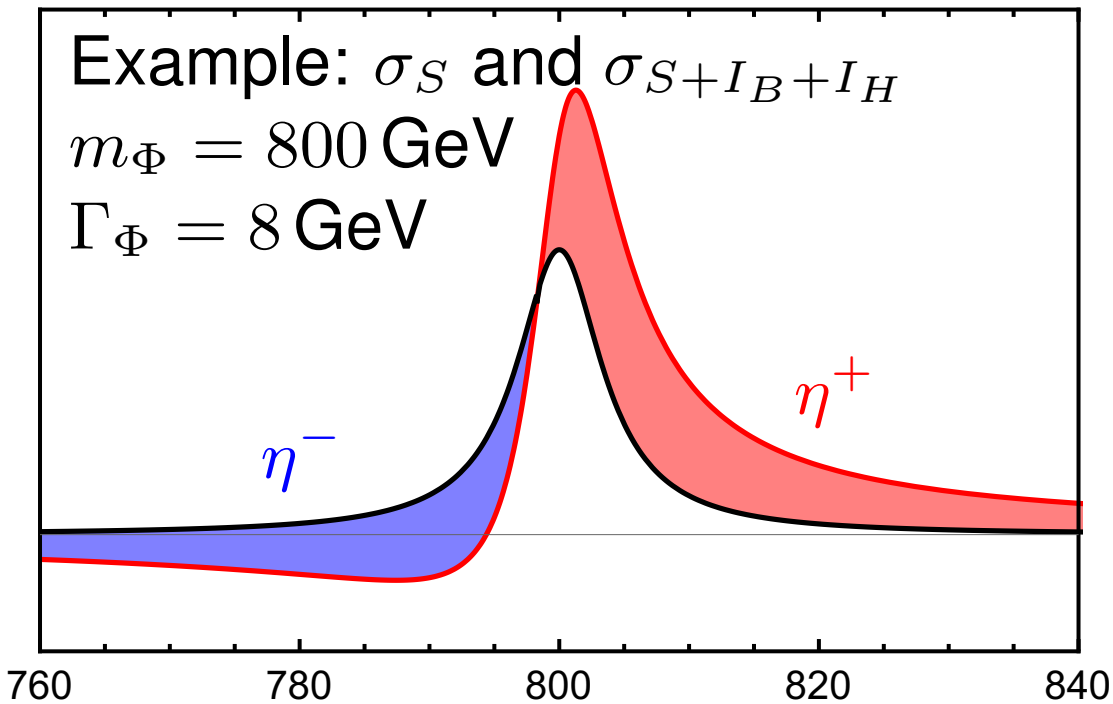
Idea: Classify relevance of interferences in the  $VV$  and  $HH$  final states:  
 Interferences among



Simplified approach with 5 parameters:  $c_g e^{i\theta_g}$ ,  $m_\Phi$ ,  $\Gamma_\Phi$ ,  $\kappa_V$   
 Similar for  $HH$  with  $\lambda_{\Phi hh}$  and  $\lambda_{hhh}$  instead of  $\kappa_V$

Quantify interference in terms of:

$$\eta = \sigma_{I_B+I_H} / \sigma_S \quad \text{with} \quad \sigma_X = \int_{m_\Phi - 5\Gamma_\Phi}^{m_\Phi + 5\Gamma_\Phi} dm_{VV} \frac{d\sigma^X}{dm_{VV}}$$



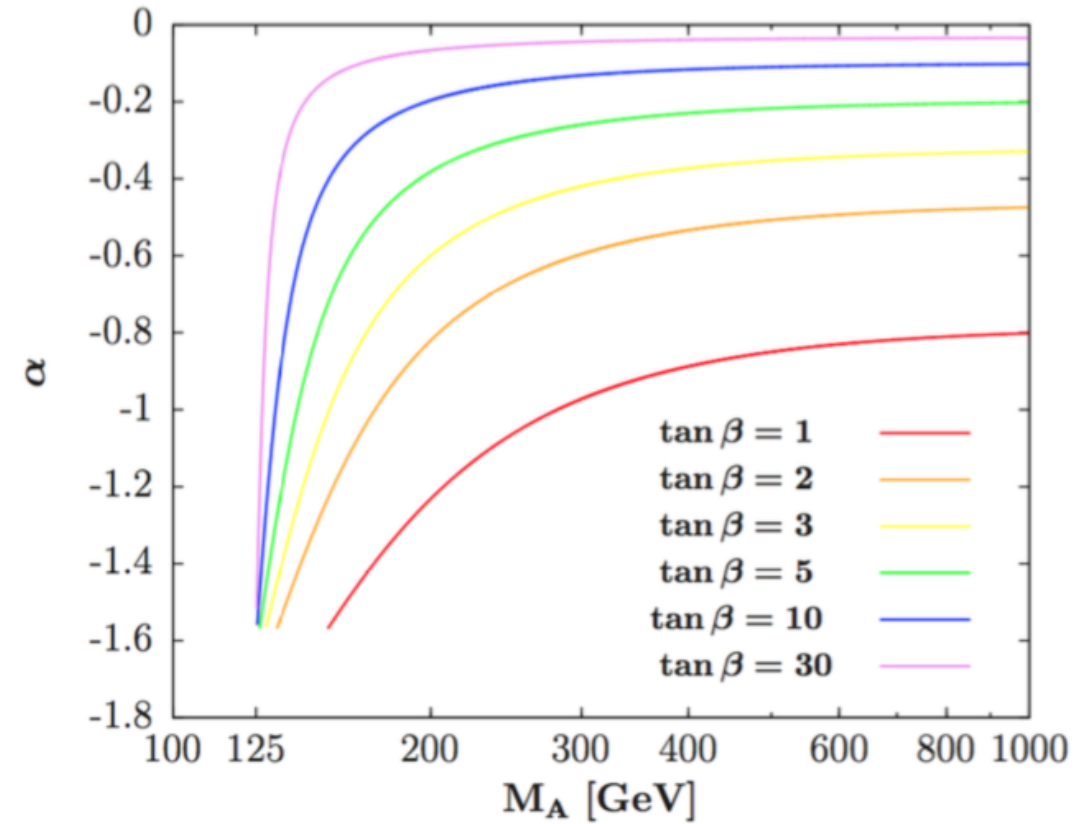
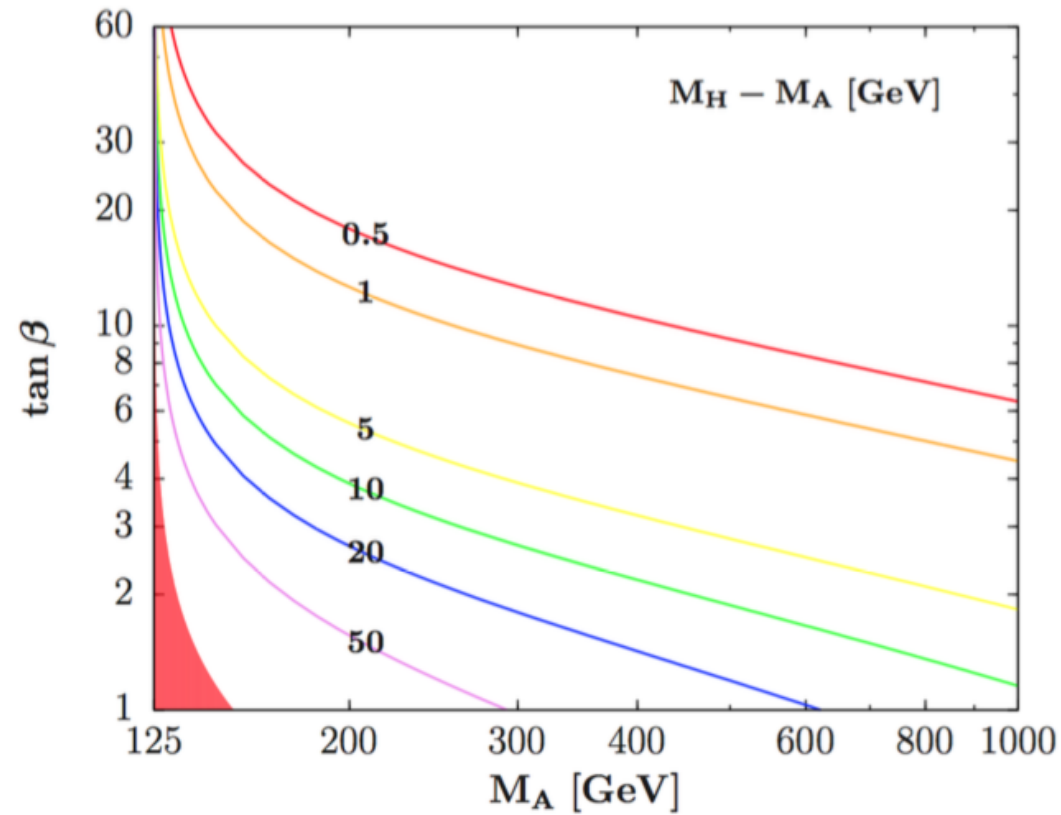
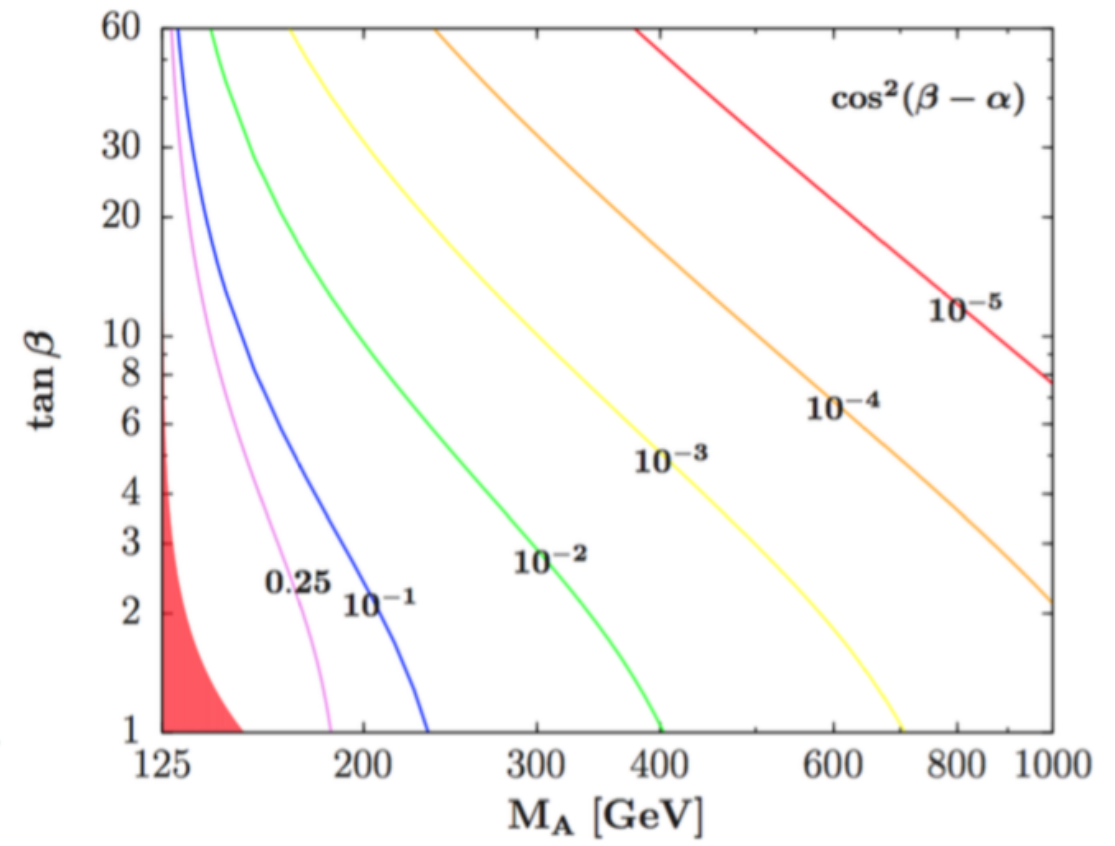
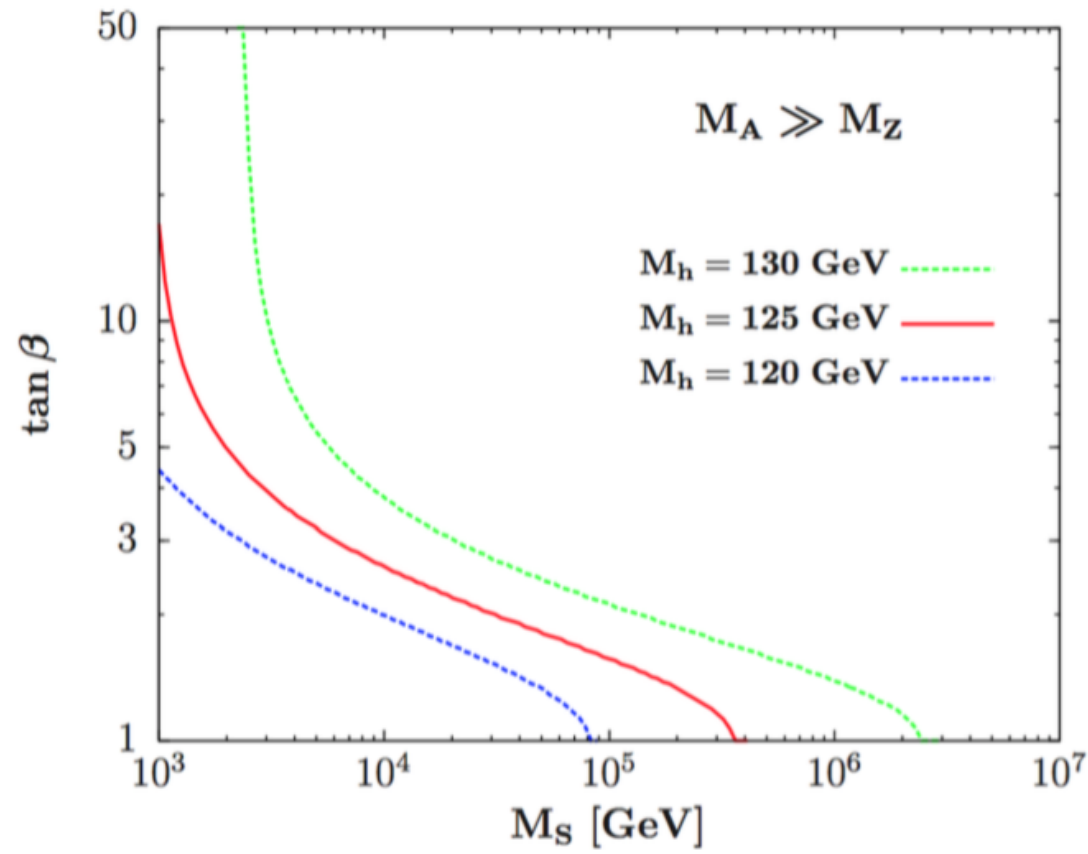
E.g. provide relative corrections:

$$\eta^\mp = \begin{pmatrix} \eta^- \\ \eta^+ \\ \eta \end{pmatrix} = \begin{pmatrix} -165\% \\ +160\% \\ +38\% \end{pmatrix}$$

Make tables, figures as a function of free parameters. Provide guidance.  
 Check quantity  $\Gamma_\Phi / m_\Phi \cdot \sigma_S / \sigma_B$ .

# The definition of the hMSSM

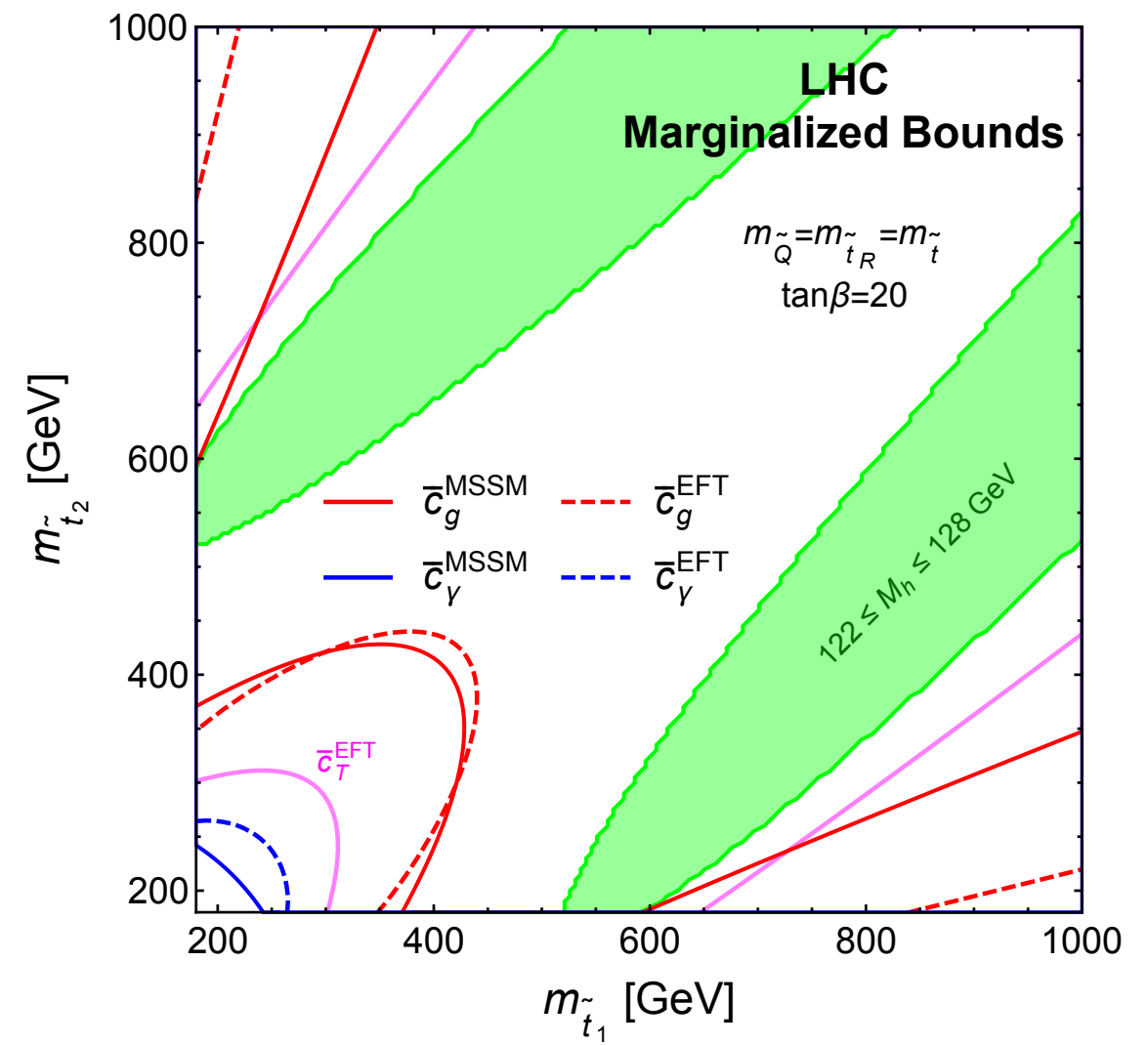
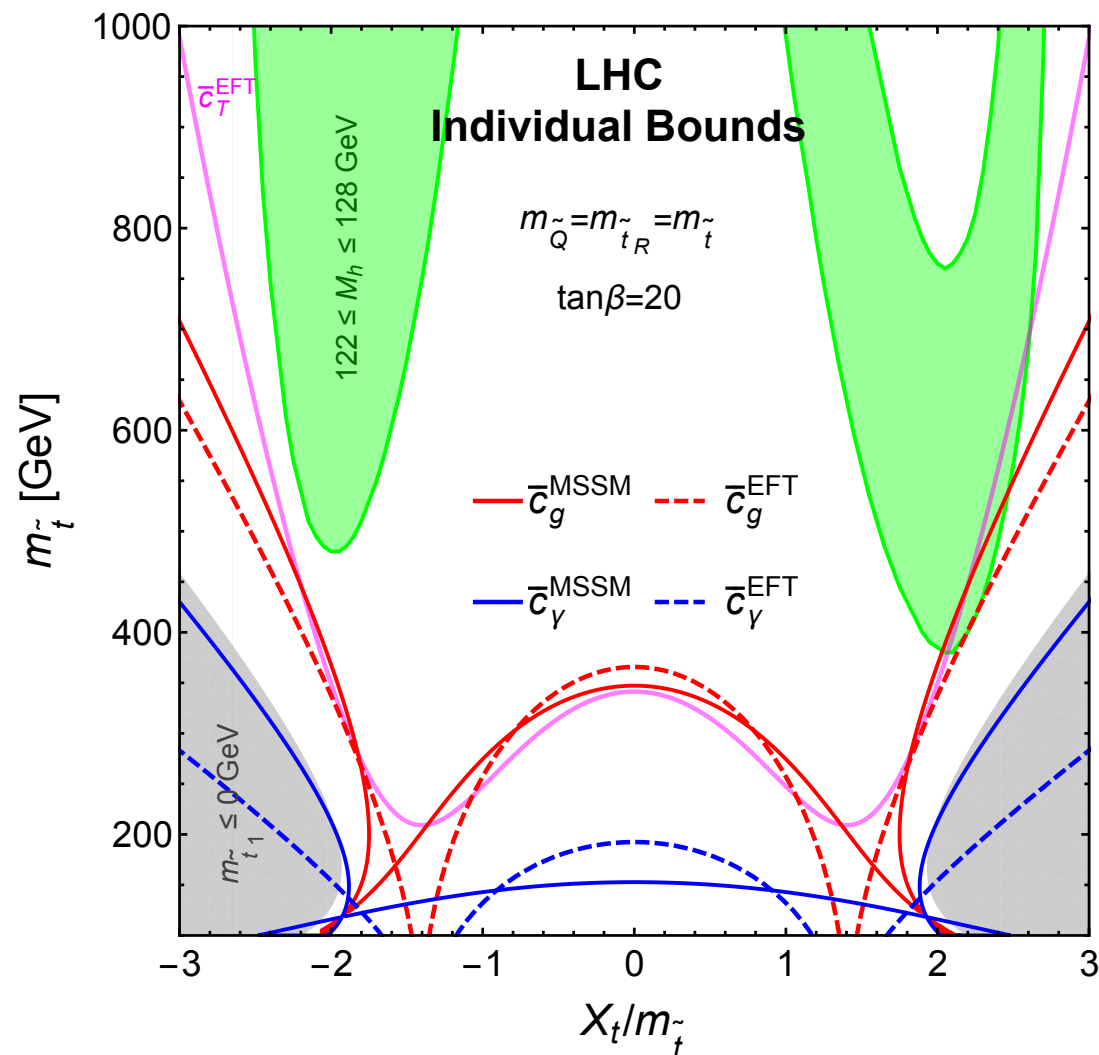
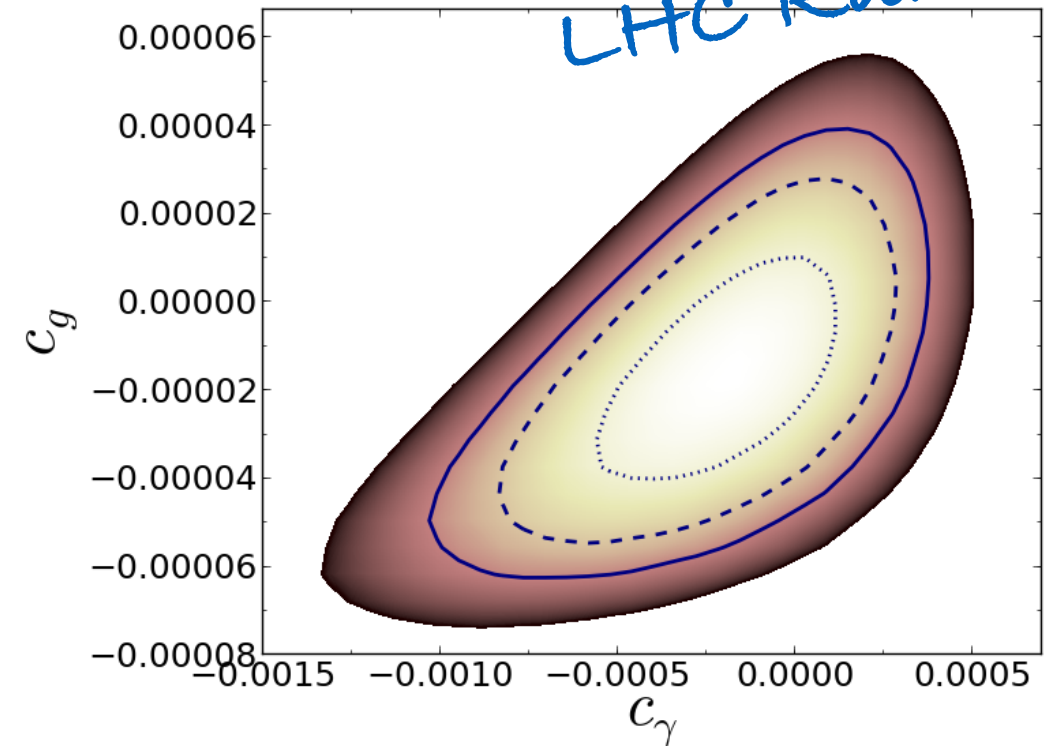
Djouadi, Maiani, Polosa, JQ, Riquer, arXiv:1502.05653



# Indirect Constraints on Stops

A. Drozd, J. Ellis, JQ and T. You arXiv:1504.02409

Coeff.	Experimental constraints		95 % CL limit	deg. $m_{\tilde{t}_1}, X_t = 0$
$\bar{c}_g$	LHC	marginalized individual	$[-4.5, 2.2] \times 10^{-5}$ $[-3.0, 2.5] \times 10^{-5}$	$\sim 410$ GeV $\sim 390$ GeV
$\bar{c}_\gamma$	LHC	marginalized individual	$[-6.5, 2.7] \times 10^{-4}$ $[-4.0, 2.3] \times 10^{-4}$	$\sim 215$ GeV $\sim 230$ GeV
$\bar{c}_T$	LEP	marginalized individual	$[-10, 10] \times 10^{-4}$ $[-5, 5] \times 10^{-4}$	$\sim 290$ GeV $\sim 380$ GeV
$\bar{c}_W + \bar{c}_B$	LEP	marginalized individual	$[-7, 7] \times 10^{-4}$ $[-5, 5] \times 10^{-4}$	$\sim 185$ GeV $\sim 195$ GeV

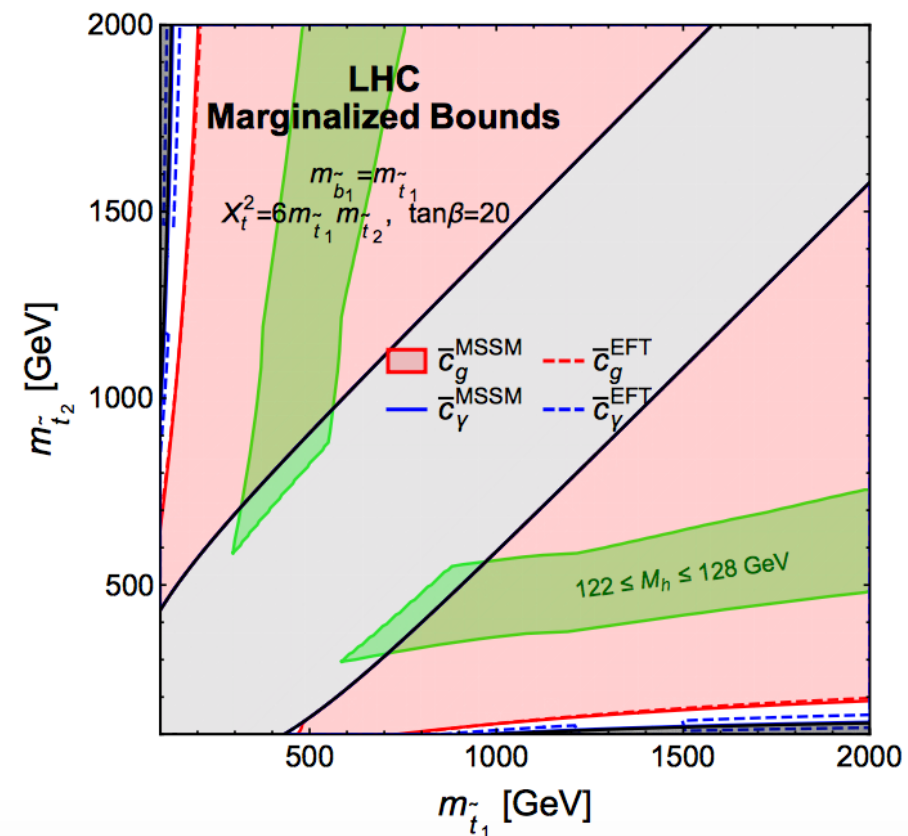
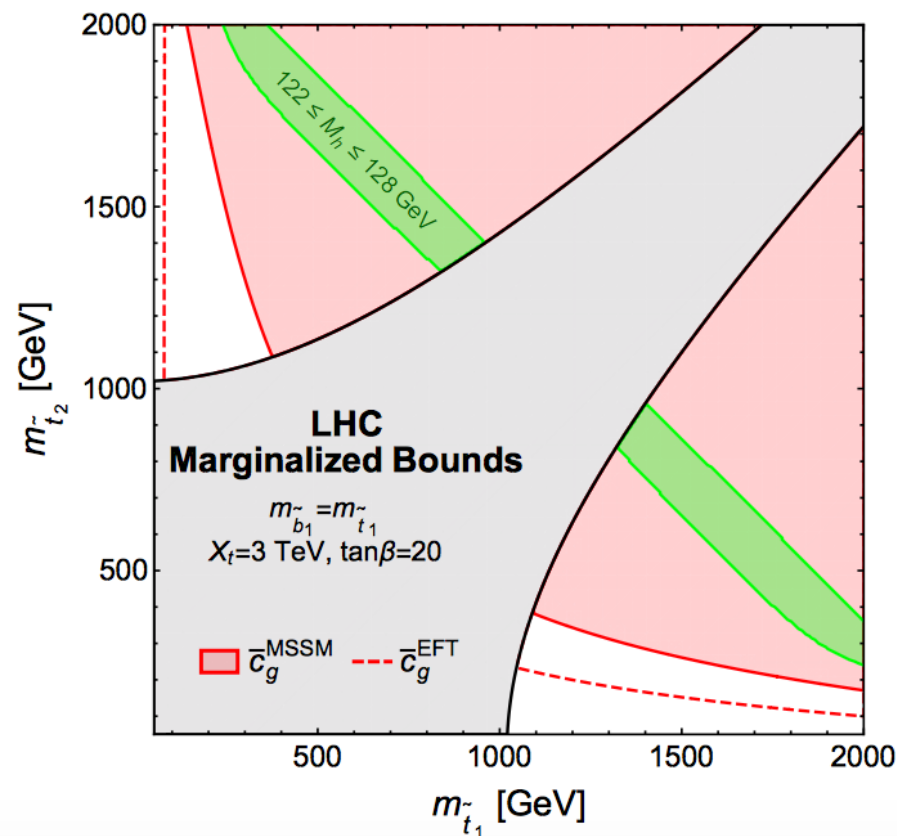
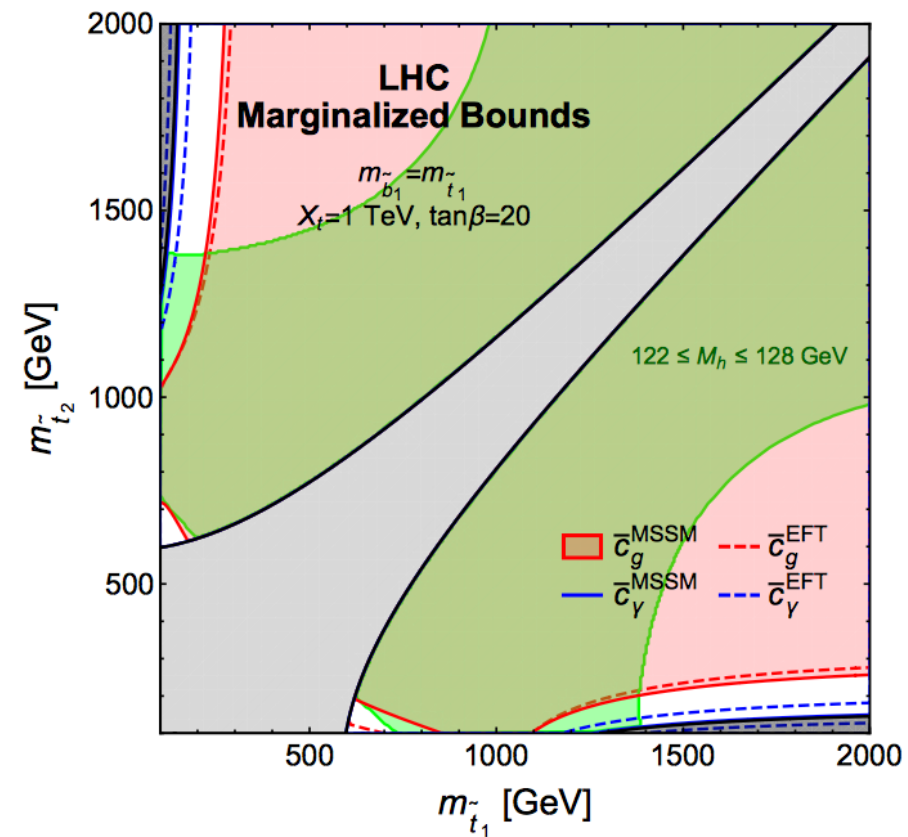
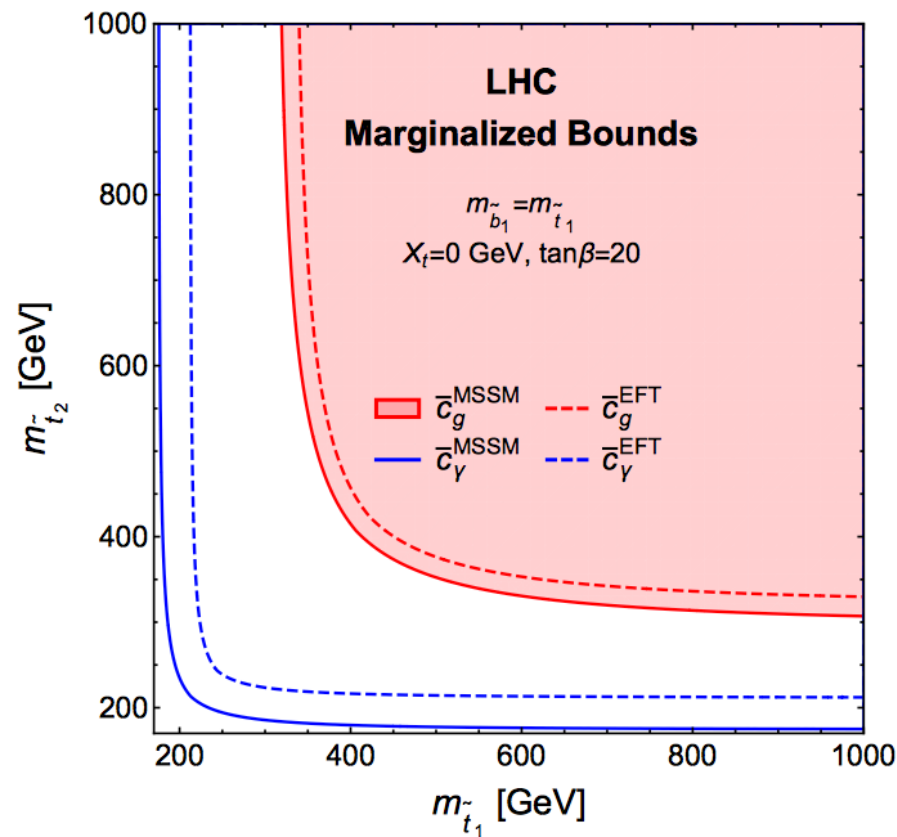




# Indirect Constraints on Stops

LHC Run 1

A. Drozd, J. Ellis, JQ and T. You arXiv:1504.02409



The current sensitivity is already comparable to that of direct LHC searches