



ttH to leptons: Tau channels and non-prompt backgrounds estimation

**Xuan Yang (LPSC)
Top-LHC France meeting
24th Apr. 2019**

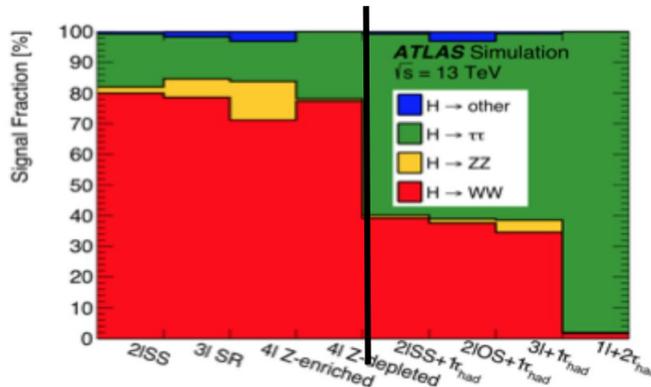
Outline

- Overview of ttH multileptons
- Overview of ATLAS tau channels
- Fake tau estimation
- Fake lepton estimation
 - Fake factor
 - Matrix method
- Statistical results of tau channels
- Future

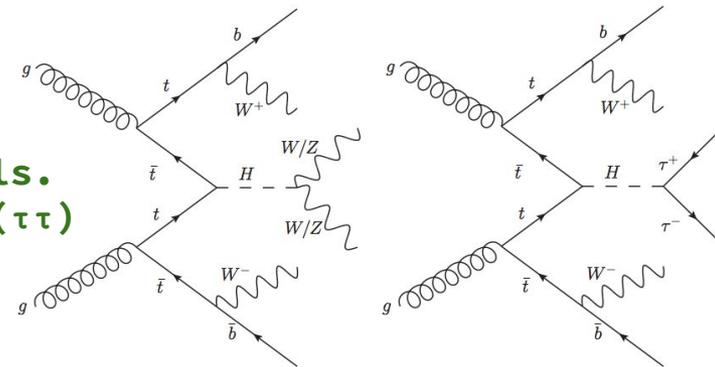
ttH

- Direct measurement of the Yukawa coupling between top quark and Higgs boson at tree level
- ttH production xs at 13 TeV is $\sim 1\%$ of total Higgs production xs \rightarrow **Very small!**
- ttH-multilepton mainly targets at decay modes with ≥ 1 leptons (WW, ZZ, $\tau\tau$)
- split by number of τ_{had} : 0_{τ} -channels, τ -channels
 - In the following, “tau” is always referred to as hadronic tau

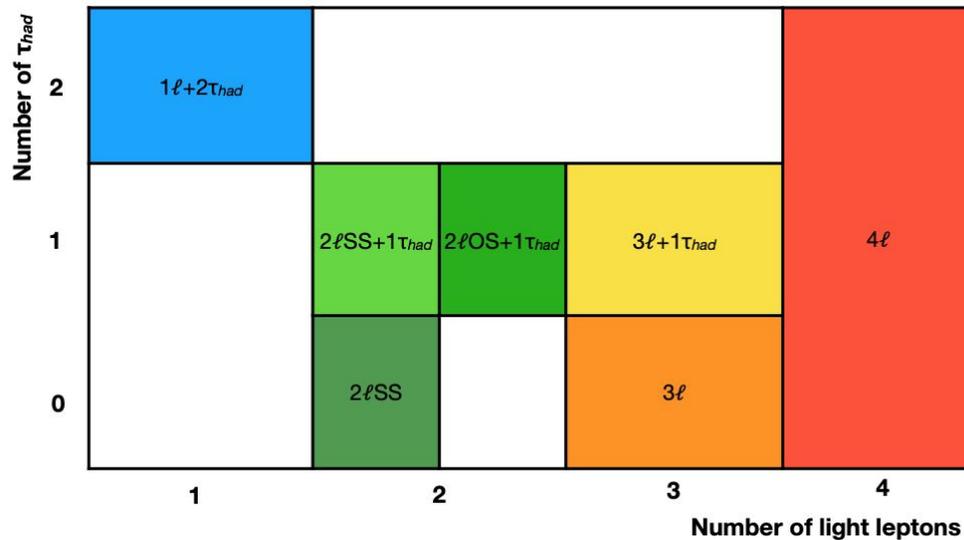
**0_{τ} -tau channels.
mainly
H(WW)**



**tau channels.
also H($\tau\tau$)**



ttH multilepton



What we have in multilepton:

→ 2/3/4 leptons (e/μ)

→ 1 or 2 hadronic tau (τ_{had})

→ several jets (usually ≥ 4)

→ in which some are b-tagged (usually ≥ 1)

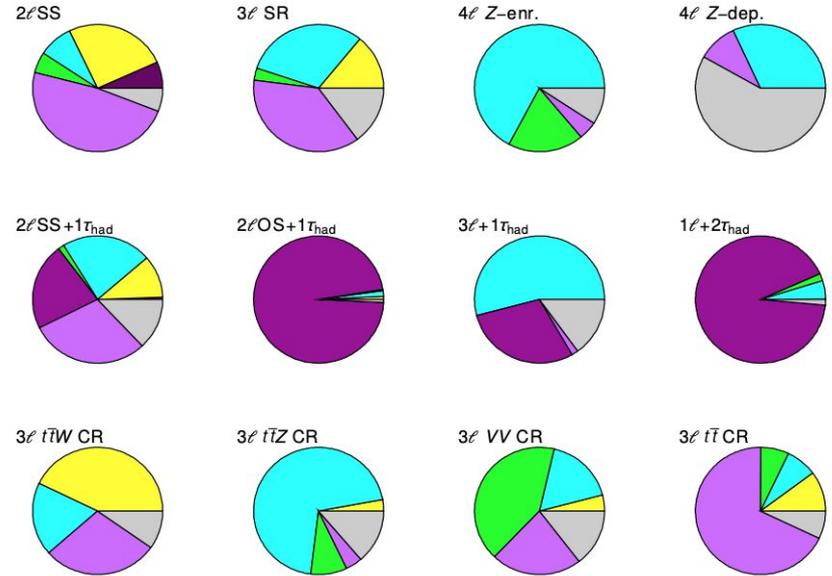
The selections among different sub-channels are orthogonal at object level to avoid overlaps. Each channel has their own requirement on the objects (i.e. tight lepton or loose lepton) to get maximum statistics and sensitivity. Detailed selections can be found in backup slides.

Backgrounds

- Reducible backgrounds: Can be suppressed by optimizing event selection, improving estimate method, etc
 - Non-prompt leptons
 - Fake tau
 - Charge mis-id (charge flip)
 - Diboson
 - ...
- Irreducible background: Can really mimic the signal topology, which are not possible to reduce by simple cuts
 - $t\bar{t}W$
 - $t\bar{t}Z$

ATLAS
 $\sqrt{s} = 13 \text{ TeV}$

q mis-id $t\bar{t}W$
 $t\bar{t}Z$ Diboson
 Fake τ_{had} Non-prompt
 Other



In most of the channels, non-prompt and fake tau are the main backgrounds. It is essential to get a good estimation of these backgrounds.

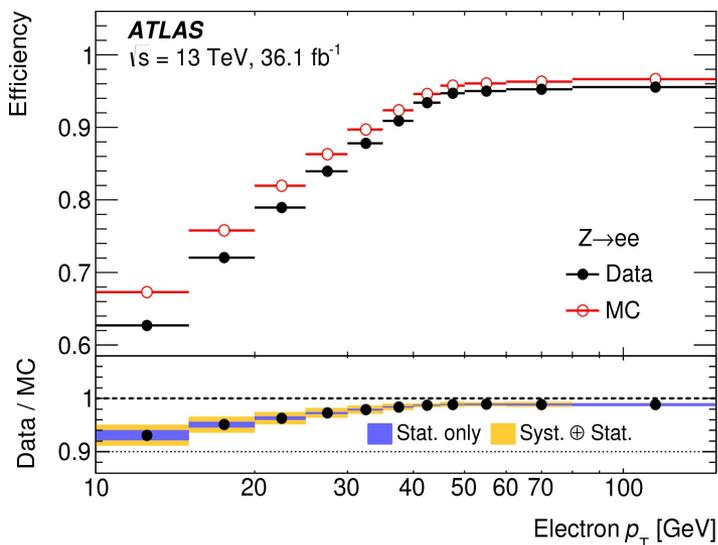
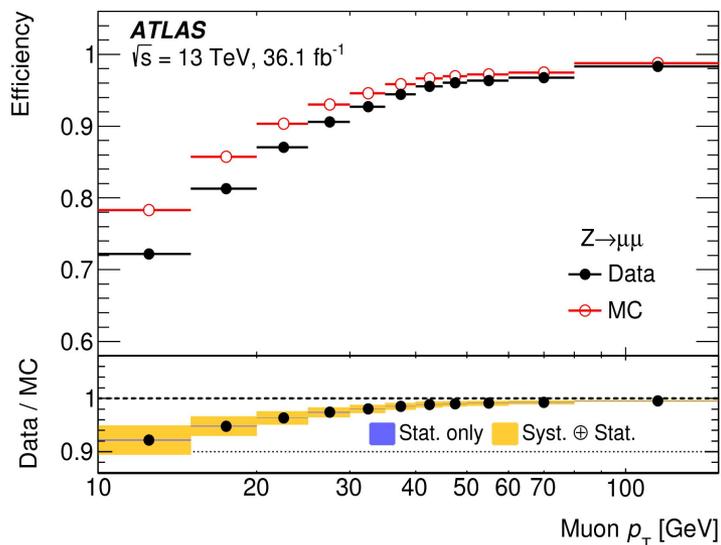
Leptons!

- The most important background: **non-prompt leptons from semi-leptonic b decay**
- Implement a new variable to reject non-prompt leptons -> PromptLeptonIso (PLI)

PLI is a BDT trained with:

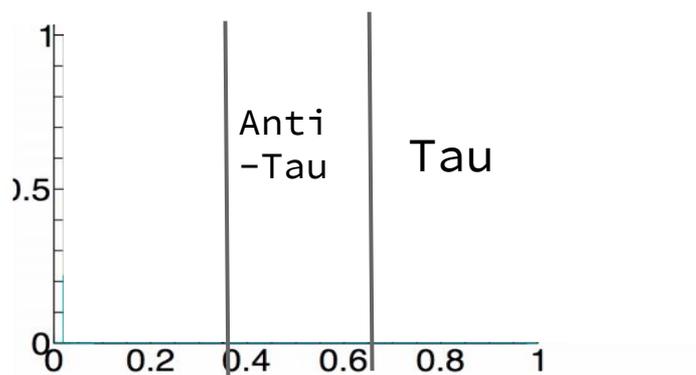
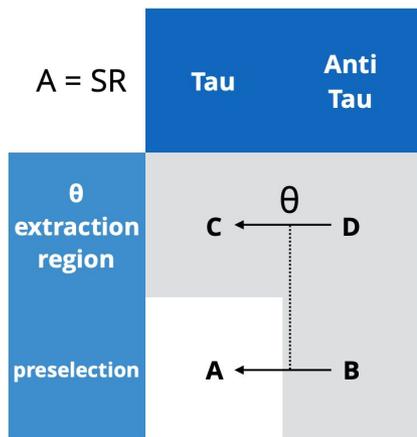
- lepton and overlapping track jets properties
- lepton track/calorimeter isolation variables

Scale factors (ratio of efficiency in data and in MC) to be used, measured from $Z(\ell\ell)$ events. Maximum 0.95 at low p_T .



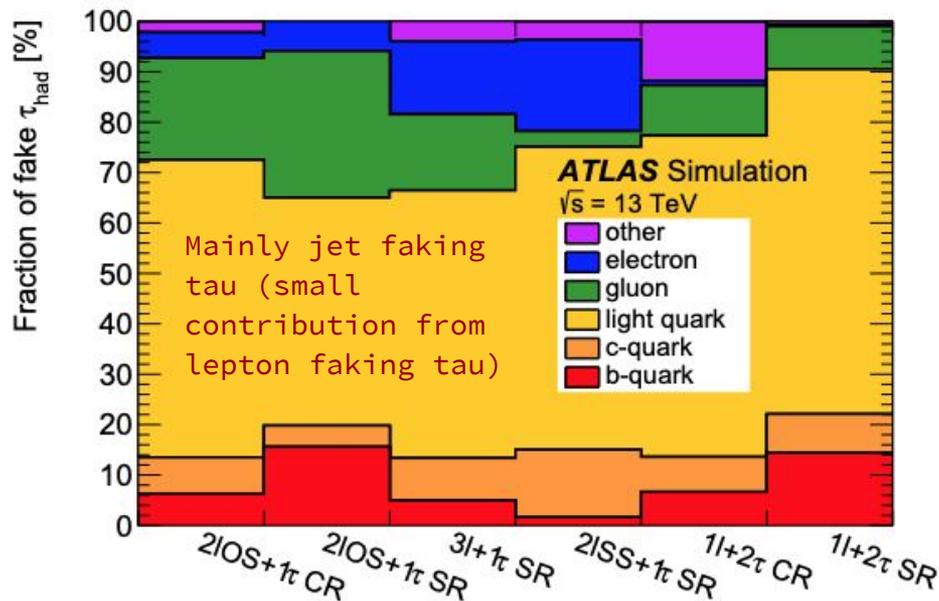
Fake tau estimation

- Fake tau is estimated from 2l0S+1tau control region, where is dominated by fake tau contribution.
 - Apply 2los1tau selection but requires at least 3 jets and veto b-tagged jets
- Fake factor method (ABCD method)
 - Fake rates parametrised in jet pT
 - Derived in C/D and applied to B to estimate A
- Fake tau in 1l2tau channel is measured from a 1l2tau CR with SS tau pair (OS in SR)
 - Jets have identical chance to be reconstructed as positive or negative charged tau
 - The estimation is taken from the SS data with small corrections from simulation samples (truth tau contribution)

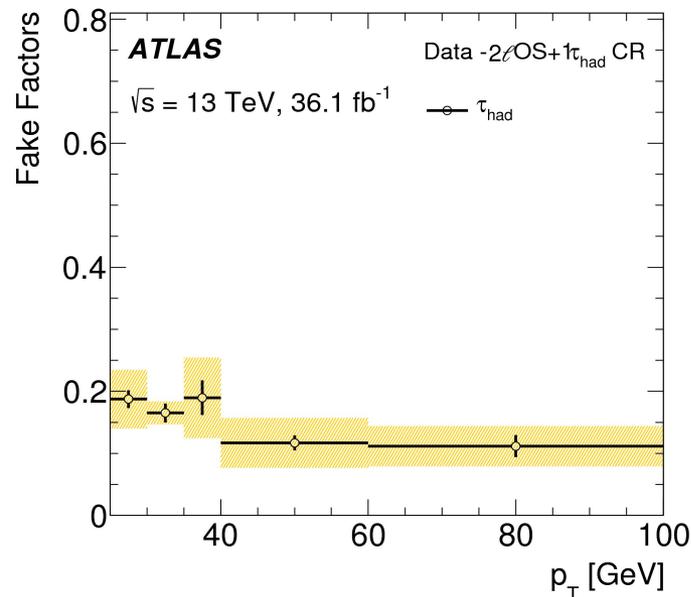


Cutting a BDT meant to identify hadronically decaying taus.

Fake tau estimation



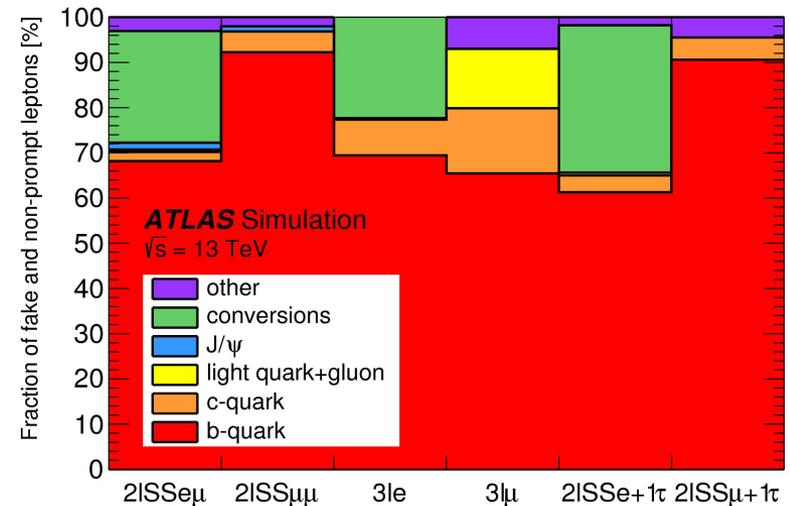
(b) Fake τ_{had} composition



Fake tau composition is similar across channels, which allow us to just scale the factors measured in $2lOS+1\tau$. A scale factor of 1.36 derived from $2lOS+1\tau$ CR (DD/Data) is applied to Monte carlos to get correct estimate in $3l+1\tau$ and $2lSS+1\tau$ regions.

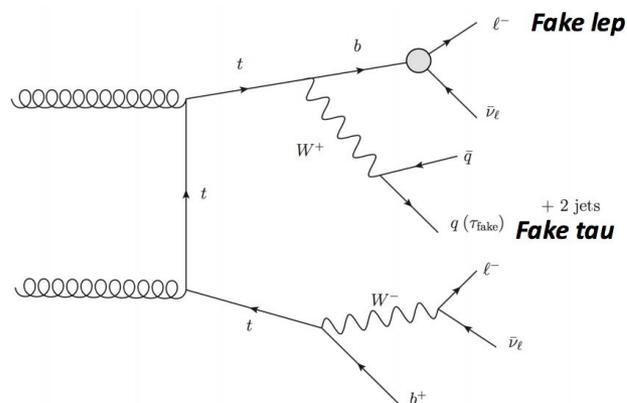
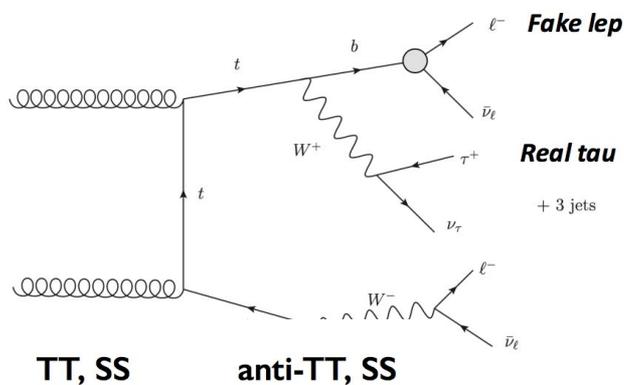
Fake lepton estimation

- Non-prompt lepton is the most important background in many channels.
- Crucial to the analysis to get a good estimates
- Extremely difficult to estimate from MC
- We developed two data-driven methods:
 - Fake factor: used in $2lss1\tau$
 - Matrix method: used in $2lss$, $3l$
- Charge mis-identification contribution is estimated from $Z \rightarrow ee$ events with a pure DD method.

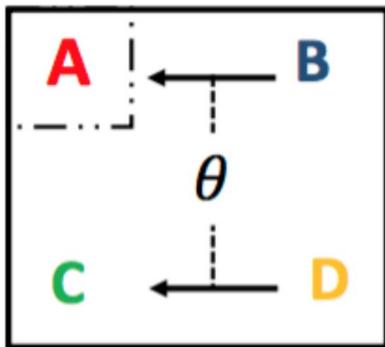


Fake factor

- ABCD method, same as for fake tau estimation.
- Most of the fakes are originated from ttbar
- fake factor is parameterised as a function of pT



≥ 4 jets



2,3 jets

C and D also include 0 tau events to increase stats.

anti-Tight = !tight, invert all the tight lepton selections.

Matrix method

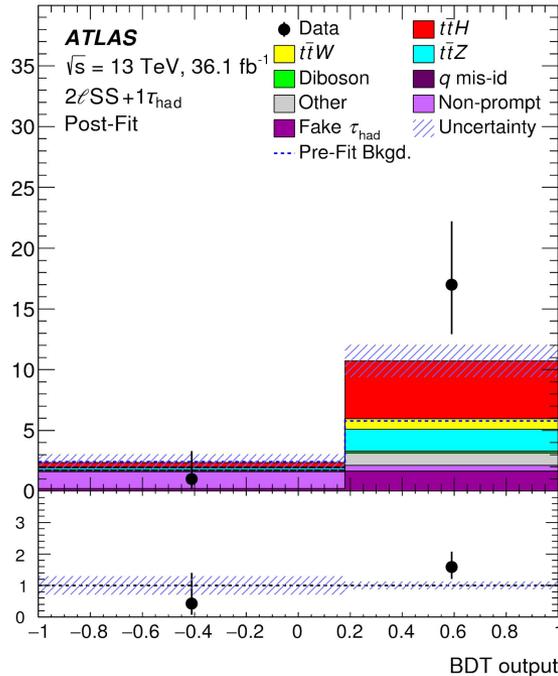
- Idea is similar: estimate fake lepton from looser region

$$\begin{pmatrix} N^{TT} \\ N^{T\bar{T}} \\ N^{\bar{T}T} \\ N^{\bar{T}\bar{T}} \end{pmatrix} = \begin{pmatrix} \epsilon_{r,1}\epsilon_{r,2} & \epsilon_{r,1}\epsilon_{f,2} & \epsilon_{f,1}\epsilon_{r,2} & \epsilon_{f,1}\epsilon_{f,2} \\ \epsilon_{r,1}\bar{\epsilon}_{r,2} & \epsilon_{r,1}\bar{\epsilon}_{f,2} & \epsilon_{f,1}\bar{\epsilon}_{r,2} & \epsilon_{f,1}\bar{\epsilon}_{f,2} \\ \bar{\epsilon}_{r,1}\epsilon_{r,2} & \bar{\epsilon}_{r,1}\epsilon_{f,2} & \bar{\epsilon}_{f,1}\epsilon_{r,2} & \bar{\epsilon}_{f,1}\epsilon_{f,2} \\ \bar{\epsilon}_{r,1}\bar{\epsilon}_{r,2} & \bar{\epsilon}_{r,1}\bar{\epsilon}_{f,2} & \bar{\epsilon}_{f,1}\bar{\epsilon}_{r,2} & \bar{\epsilon}_{f,1}\bar{\epsilon}_{f,2} \end{pmatrix} \begin{pmatrix} N^{rr} \\ N^{rf} \\ N^{fr} \\ N^{ff} \end{pmatrix}$$

Elements in the matrix is the efficiency of a real/fake lepton to pass tight/anti-tight selection, which are measured in data in a dedicated CR

The fake composition can be different between regions, we implement α -function to account for the difference since different composition has different fake rate. The fake rate measured in CR is reweighted by the α to get the fake rate in SR

2lSS+1tau

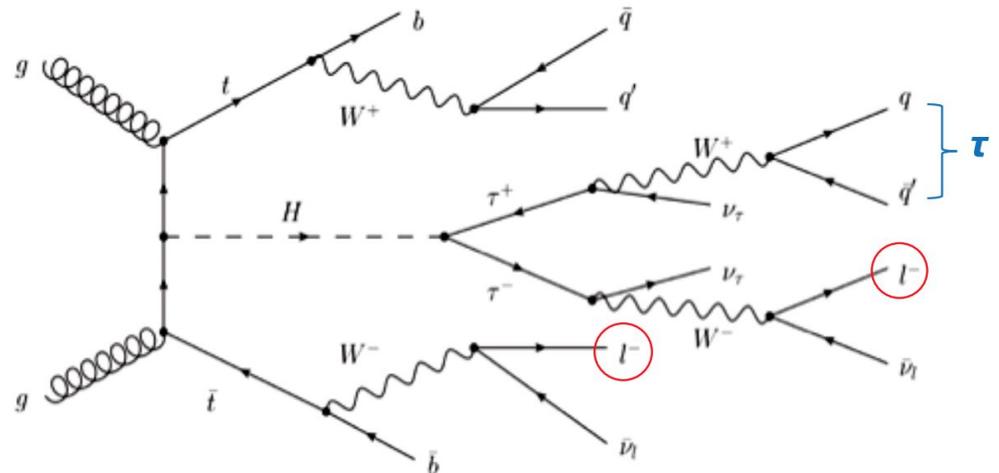


Post-fit distribution

BDT discriminant

- Main background:
 - $t\bar{t}b\bar{b}$ where additional light jet fakes a tau
 - Non-prompt light leptons
- Main systematic:
 - Fake factor non-closure
 - JES
- Sensitivity:
 - Expected: 1.1σ
 - Observed: 3.4σ

Fitted signal strength $3.5^{+1.5}_{-1.2}$ (stat.) $^{+0.9}_{-0.5}$ (syst.)

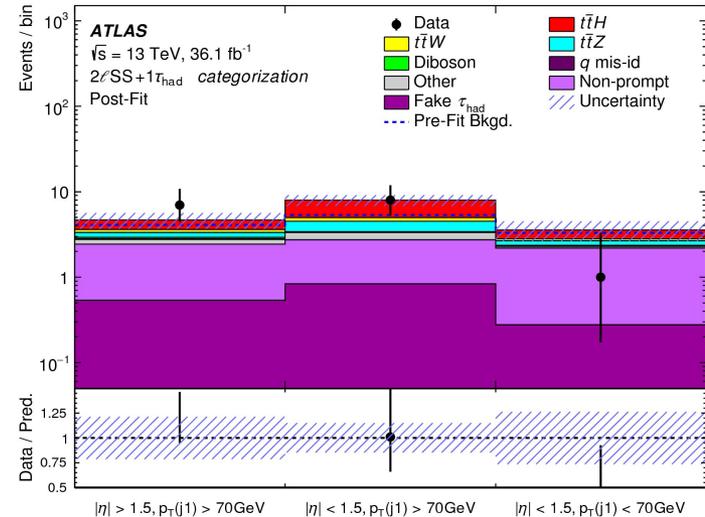
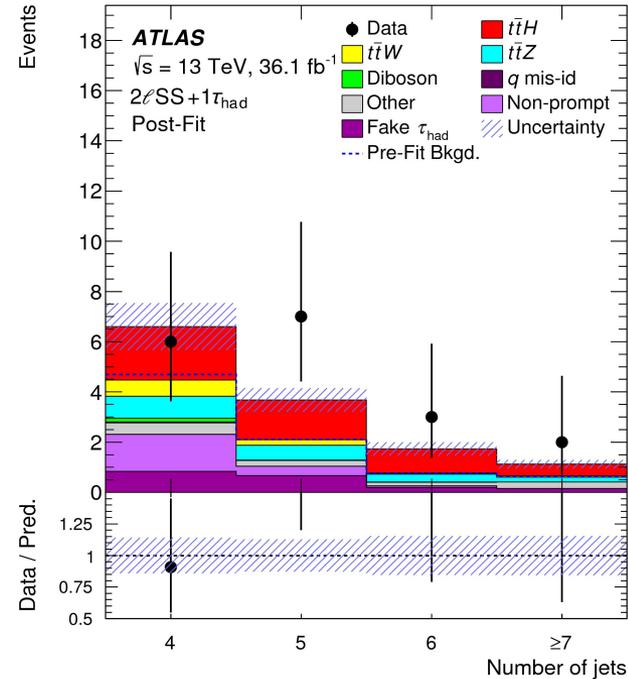


2lSS+1tau

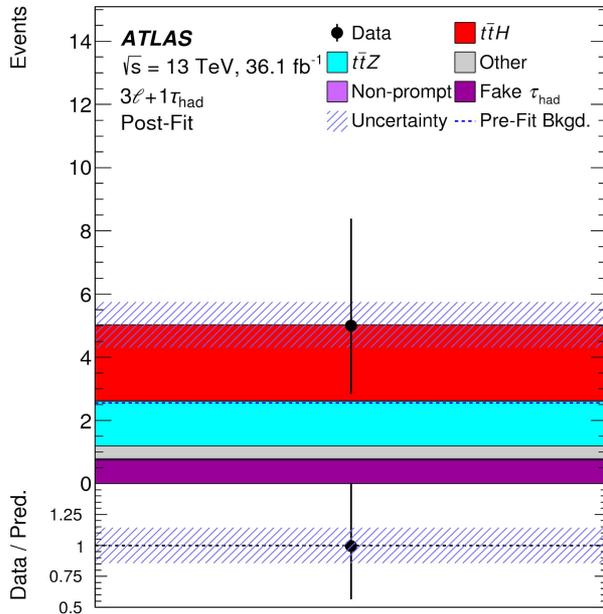
The most sensitive variables in the BDT training are:

- HTjets: Scalar sum of jets p_T
- Jet multiplicity

Beside the BDT approach, we also developed an alternative cut&count analysis, categorisation. It give similar sensitivity to the BDT analysis. Details are in the backup slides.



3l+1tau

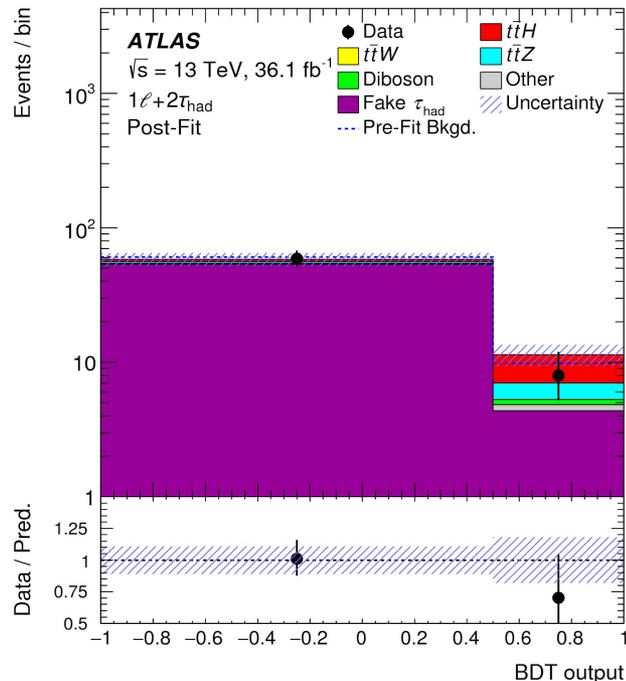


Post-fit distribution

One bin channel

- Main background:
 - $t\bar{t}$ where additional light jet fakes a tau
 - $t\bar{t}Z$
- Main systematic:
 - Tau scale factor
 - theoretical uncertainties
 - Fake tau related
 - Statistical uncertainty (γ)
- Sensitivity:
 - Expected: 0.9σ
 - Observed: 1.3σ

1l+2tau

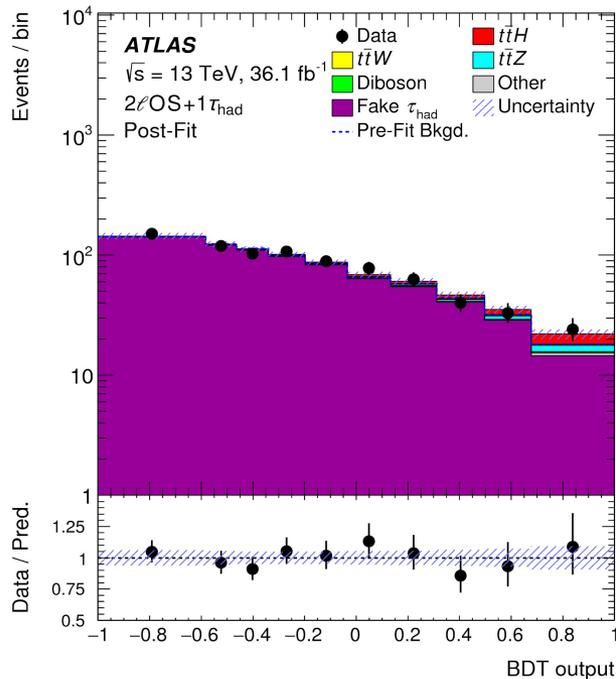


Post-fit distribution

BDT discriminator

- Main background:
 - $t\bar{t}$ where additional light jet fakes a tau
- Leading discriminant:
 - the minimum ΔR between the selected jets in the event
 - the scalar sum of jet p_T
 - the di-tau invariant mass
- Main systematic:
 - Fake tau related
- Sensitivity:
 - Expected: 0.6σ
 - Observed: - (the fitted signal strength is negative)

2lOS+1tau

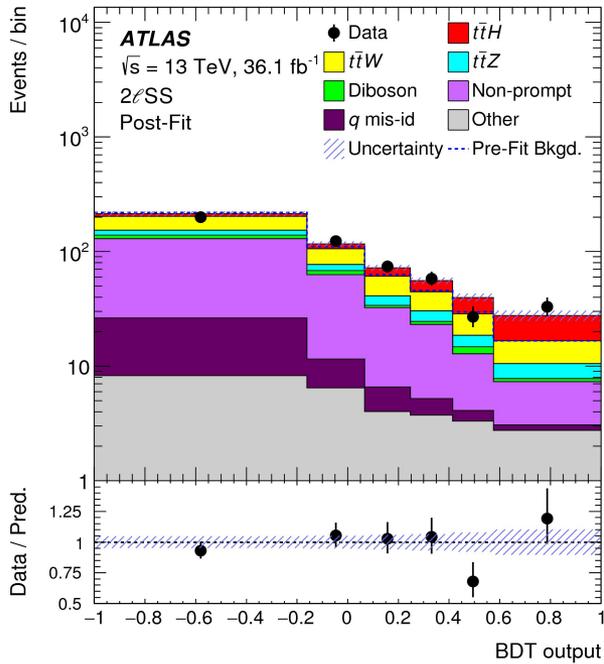


Post-fit distribution

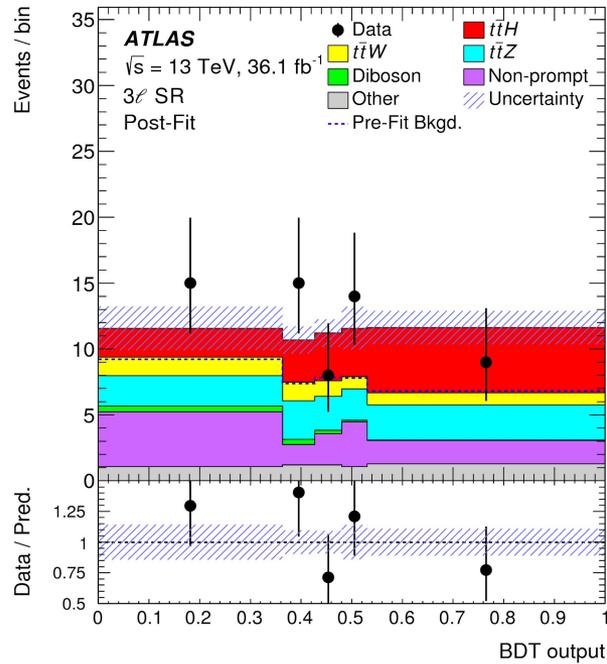
BDT discriminant

- Main background:
 - $t\bar{t}$ where additional light jet fakes a tau
- Leading discriminant:
 - invariant mass of light lepton pair
 - transverse momentum of hadronic tau
 - smallest ΔR distance between a lepton and a jet
- Main systematic:
 - Fake tau related
- Sensitivity:
 - Expected: 0.5σ
 - Observed: 0.9σ

Non-tau channels

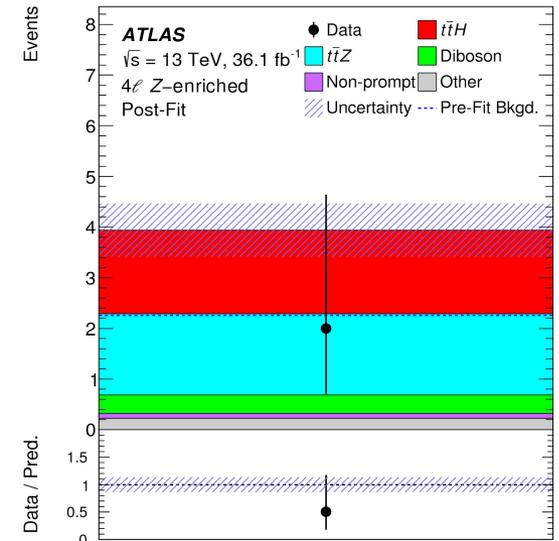
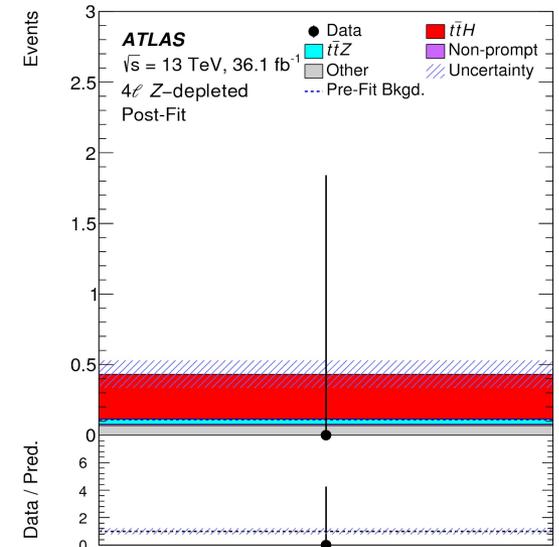


2lss0tau: combination of BDT (vs. $t\bar{t}$) and BDT (vs. $t\bar{t}V$)

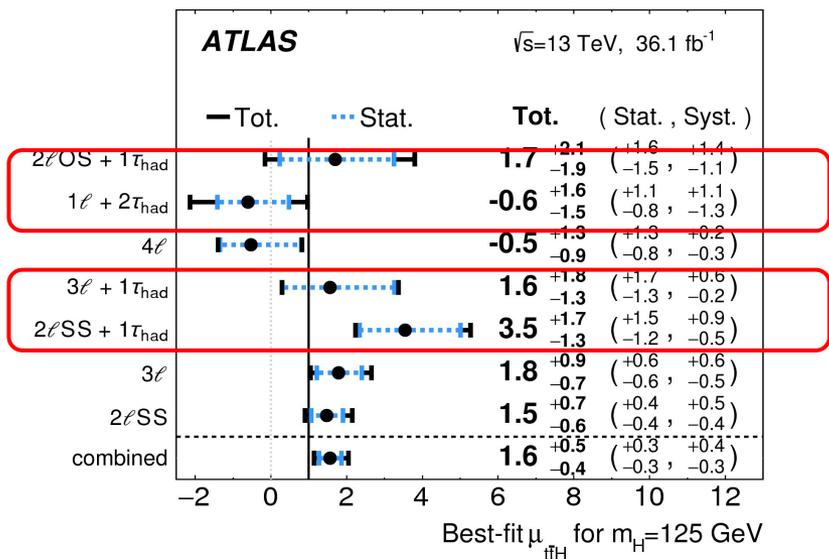


3l0tau: multi-class BDT

4l: split into Z-enriched and z-depleted



Statistical results



Analysis strategy:

- 2lss1tau: BDT (ttH-vs-allbkg)
- 3l1tau: event counting
- 1l2tau: BDT (ttH-vs-top)
- 2los1tau: BDT (ttH-vs-ttbar)

2lss1tau is a bit off (3.5σ), but still compatible. Overall compatibility (comparing to combined result) for all channels is 34%

Observed 4.1σ for 0tau and tau channels combined fit. Compatible with SM prediction

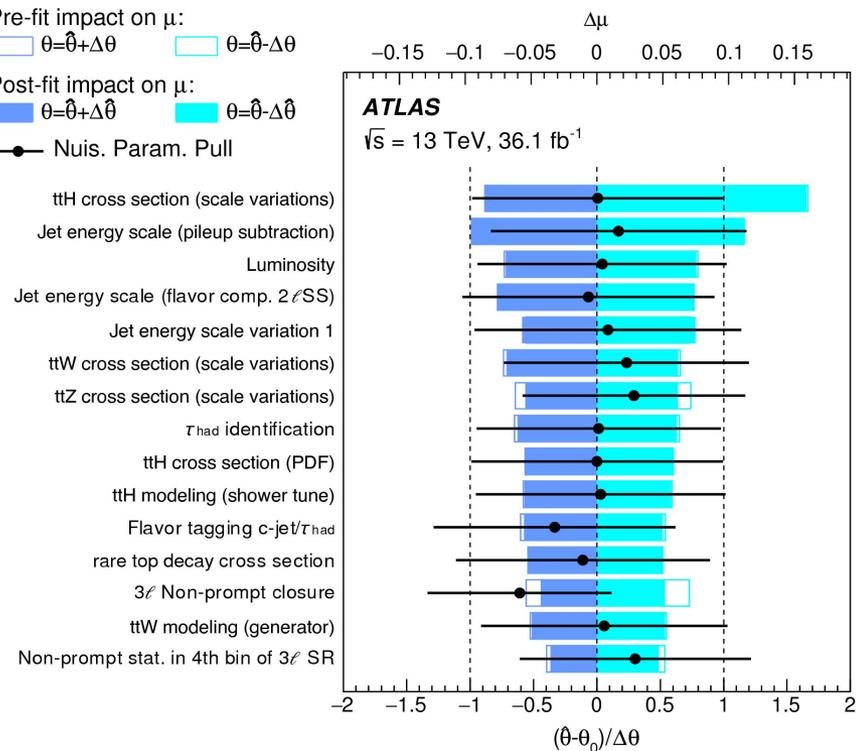
| Channel | Best-fit μ | | | | Significance | |
|----------------------------|--|--|---|--|--------------|--------------|
| | Observed | Expected | Observed | Expected | Observed | Expected |
| 2l0S+1 τ_{had} | 1.7 ^{+1.6} _{-1.5} (stat.) | +1.4 ^{+1.4} _{-1.1} (syst.) | 1.0 ^{+1.5} _{-1.4} (stat.) | +1.2 ^{+1.2} _{-1.1} (syst.) | 0.9 σ | 0.5 σ |
| 1l+2 τ_{had} | -0.6 ^{+1.1} _{-0.8} (stat.) | +1.1 ^{+1.1} _{-0.8} (syst.) | 1.0 ^{+1.1} _{-0.9} (stat.) | +1.2 ^{+1.2} _{-1.1} (syst.) | — | 0.6 σ |
| 4l | -0.5 ^{+1.3} _{-0.8} (stat.) | +0.2 ^{+0.2} _{-0.3} (syst.) | 1.0 ^{+1.7} _{-1.2} (stat.) | +0.4 ^{+0.4} _{-0.2} (syst.) | — | 0.8 σ |
| 3l+1 τ_{had} | 1.6 ^{+1.7} _{-1.3} (stat.) | +0.6 ^{+0.6} _{-0.2} (syst.) | 1.0 ^{+1.5} _{-1.1} (stat.) | +0.4 ^{+0.4} _{-0.2} (syst.) | 1.3 σ | 0.9 σ |
| 2lSS+1 τ_{had} | 3.5 ^{+1.5} _{-0.8} (stat.) | +0.9 ^{+0.9} _{-0.5} (syst.) | 1.0 ^{+1.1} _{-0.8} (stat.) | +0.5 ^{+0.5} _{-0.3} (syst.) | 3.4 σ | 1.1 σ |
| 3l | 1.8 ^{+0.6} _{-0.6} (stat.) | +0.6 ^{+0.6} _{-0.5} (syst.) | 1.0 ^{+0.6} _{-0.5} (stat.) | +0.5 ^{+0.5} _{-0.4} (syst.) | 2.4 σ | 1.5 σ |
| 2lSS | 1.5 ^{+0.4} _{-0.4} (stat.) | +0.5 ^{+0.5} _{-0.4} (syst.) | 1.0 ^{+0.4} _{-0.4} (stat.) | +0.4 ^{+0.4} _{-0.4} (syst.) | 2.7 σ | 1.9 σ |
| Combined | 1.6 ^{+0.3} _{-0.3} (stat.) | +0.4 ^{+0.4} _{-0.3} (syst.) | 1.0 ^{+0.3} _{-0.3} (stat.) | +0.3 ^{+0.3} _{-0.3} (syst.) | 4.1 σ | 2.8 σ |

Systematics

- Largest impact on μ :
 - Signal modelling
 - JES and JER
 - non-prompt leptons
- No significant constrain or pulls of nuisance parameters

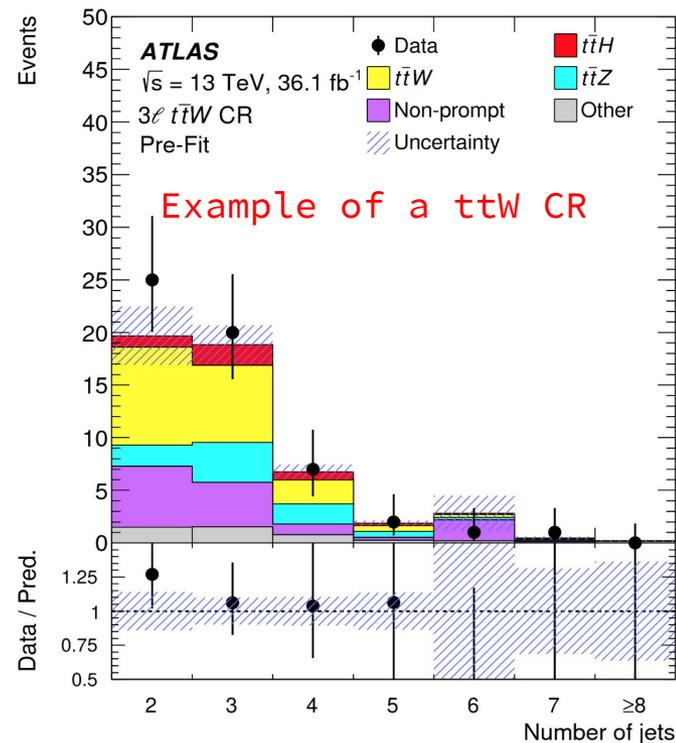
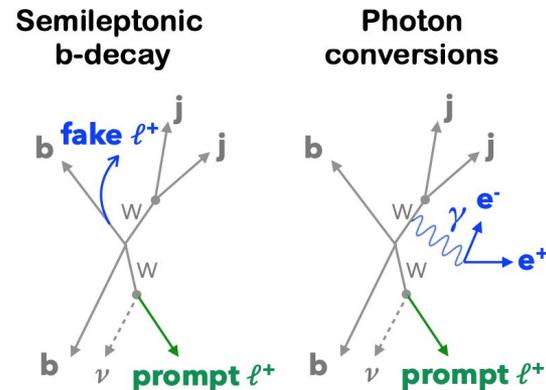
| Uncertainty Source | $\Delta\mu$ | |
|--|--------------|--------------|
| $t\bar{t}H$ modelling (cross section) | +0.20 | -0.09 |
| Jet energy scale and resolution | +0.18 | -0.15 |
| Non-prompt light-lepton estimates | +0.15 | -0.13 |
| Jet flavour tagging and τ_{had} identification | +0.11 | -0.09 |
| $t\bar{t}W$ modelling | +0.10 | -0.09 |
| $t\bar{t}Z$ modelling | +0.08 | -0.07 |
| Other background modelling | +0.08 | -0.07 |
| Luminosity | +0.08 | -0.06 |
| $t\bar{t}H$ modelling (acceptance) | +0.08 | -0.04 |
| Fake τ_{had} estimates | +0.07 | -0.07 |
| Other experimental uncertainties | +0.05 | -0.04 |
| Simulation statistics | +0.04 | -0.04 |
| Charge misassignment | +0.01 | -0.01 |
| Total systematic uncertainty | +0.39 | -0.30 |

Pre-fit impact on μ :
 \square $\theta=\hat{\theta}+\Delta\theta$ \square $\theta=\hat{\theta}-\Delta\theta$
 Post-fit impact on μ :
 \blacksquare $\theta=\hat{\theta}+\Delta\hat{\theta}$ \blacksquare $\theta=\hat{\theta}-\Delta\hat{\theta}$
 ● Nuis. Param. Pull

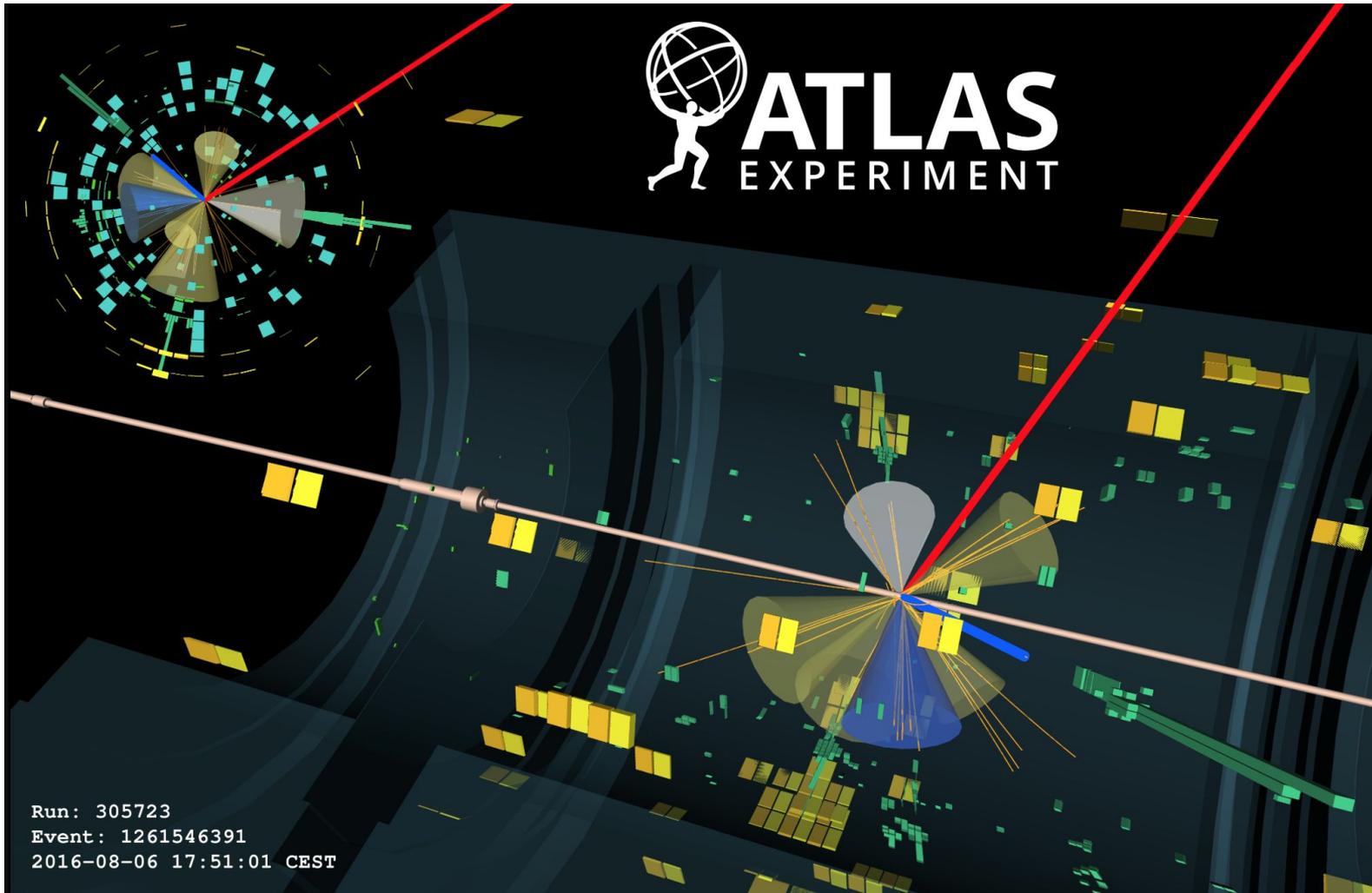


Future

- Working on updates with more statistics with a further improved analysis in terms of backgrounds understanding
- The tighter we cut on heavy flavour backgrounds, the more there is a non negligible presence of conversions which forces us to reinforce non-prompt estimate
- The tighter we cut and reduce non-prompt background, the more $t\bar{t}Z$ and $t\bar{t}W$ backgrounds are becoming dominant. In the future we have increasing interests towards building $t\bar{t}W$ regions that can be used as a control regions
- Exploring new possibilities:
 - New methods: Machine learning further than BDT (xgboost, DNN...), MEM



Event display of 2lss1tau candidate

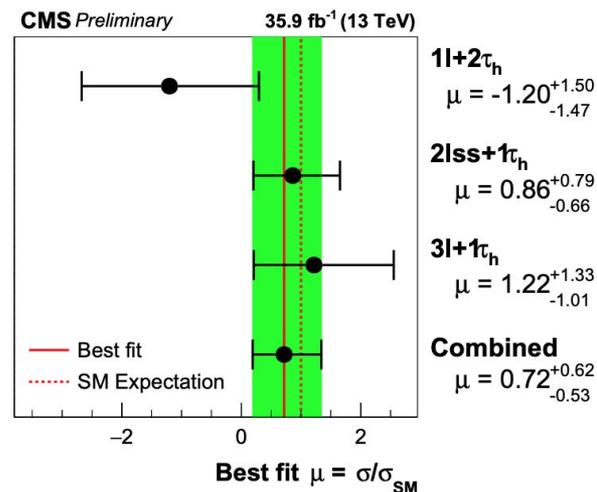
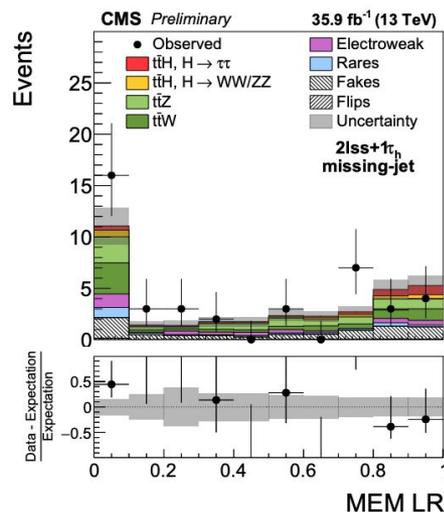
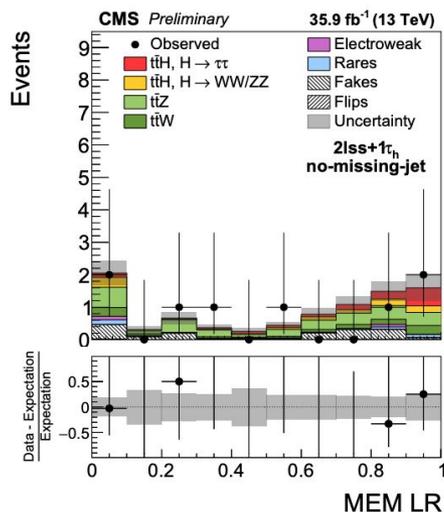


BACKUP

CMS tau channels

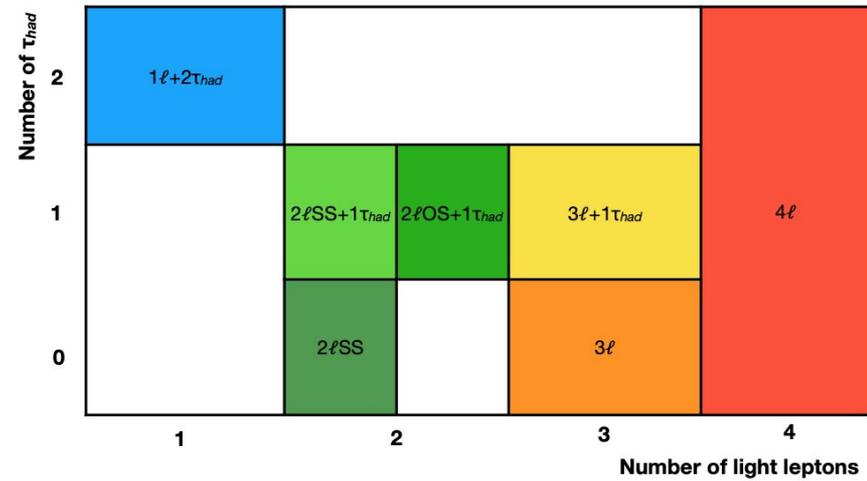
More to come in
Cristina's talk!

- 2lss1tau, 1l2tau, 3l1tau (same as ATLAS, except 2los1tau)
 - 2los1tau will become a useful tau CR in next round in ATLAS
- BDT is trained for 1l2tau and 3l1tau
- Matrix element method (MEM) is implemented in 2lss1tau for event reconstruction
- Events selected in 2lss1tau SR are further categorised:
 - “No missing jet category”: full event reconstruction
 - “missing jet category”: one of the jets originated from W boson is missing



ttH multilepton

Orthogonal among all channels at object level to avoid overlaps.



| | e | | | | | μ | | | | |
|--|----------|----------------|----|-------|-----|-------|----------------|----|---|--|
| | L | L [†] | L* | T | T* | L | L [†] | L* | T | |
| Isolation | No | Yes | | | | No | Yes | | | |
| Non-prompt lepton BDT | No | Yes | | | | No | Yes | | | |
| Identification | Loose | | | Tight | | Loose | | | | |
| Charge mis-assignment veto | No | | | | Yes | N/A | | | | |
| Transverse impact parameter significance $ d_0 /\sigma_{d_0}$ | < 5 | | | | | < 3 | | | | |
| Longitudinal impact parameter $ z_0 \sin \theta $ | < 0.5 mm | | | | | | | | | |

Lepton definitions

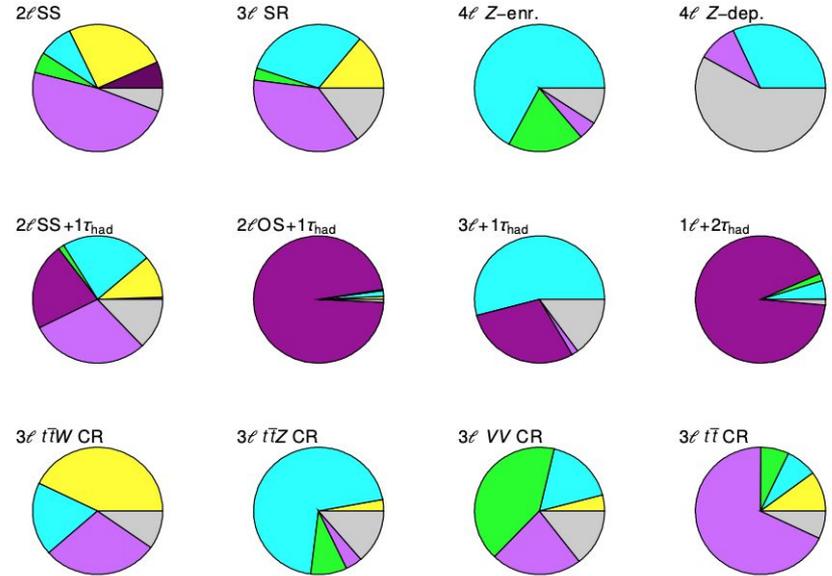
| | Non-tau channels | | | Tau channels | | | |
|------------------------|------------------|------------------|------------------|-------------------|---------------------|---------------------|----------------------|
| | 2lSS | 3l | 4l | 1l+2 τ_{had} | 2lSS+1 τ_{had} | 2lOS+1 τ_{had} | 3l+1 τ_{had} |
| Light lepton | 2T* | 1L*, 2T* | 2L, 2T | 1T | 2T* | 2L [†] | 1L [†] , 2T |
| τ_{had} | 0M | 0M | – | 1T, 1M | 1M | 1M | 1M |
| N_{jets}, N_{b-jets} | $\geq 4, = 1, 2$ | $\geq 2, \geq 1$ | $\geq 2, \geq 1$ | $\geq 3, \geq 1$ | $\geq 4, \geq 1$ | $\geq 3, \geq 1$ | $\geq 2, \geq 1$ |

Event selection

ATLAS
 $\sqrt{s} = 13 \text{ TeV}$

■ $t\bar{t}W$
■ $t\bar{t}Z$
■ Diboson
 ■ Fake τ_{had}
■ Non-prompt
 ■ Other

| Channel | Selection criteria |
|-----------------------------------|--|
| Common | $N_{\text{jets}} \geq 2$ and $N_{b\text{-jets}} \geq 1$ |
| 2 ℓ SS | Two very tight light leptons with $p_T > 20 \text{ GeV}$ Same-charge light leptons Zero medium τ_{had} candidates $N_{\text{jets}} \geq 4$ and $N_{b\text{-jets}} < 3$ |
| 3 ℓ | Three light leptons with $p_T > 10 \text{ GeV}$; sum of light-lepton charges ± 1 Two same-charge leptons must be very tight and have $p_T > 15 \text{ GeV}$ The opposite-charge lepton must be loose, isolated and pass the non-prompt BDT Zero medium τ_{had} candidates $m(\ell^+\ell^-) > 12 \text{ GeV}$ and $ m(\ell^+\ell^-) - 91.2 \text{ GeV} > 10 \text{ GeV}$ for all SFOC pairs $ m(3\ell) - 91.2 \text{ GeV} > 10 \text{ GeV}$ |
| 4 ℓ | Four light leptons; sum of light-lepton charges 0 Third and fourth leading leptons must be tight $m(\ell^+\ell^-) > 12 \text{ GeV}$ and $ m(\ell^+\ell^-) - 91.2 \text{ GeV} > 10 \text{ GeV}$ for all SFOC pairs $ m(4\ell) - 125 \text{ GeV} > 5 \text{ GeV}$ Split 2 categories: Z-depleted (0 SFOC pairs) and Z-enriched (2 or 4 SFOC pairs) |
| 1 ℓ +2 τ_{had} | One tight light lepton with $p_T > 27 \text{ GeV}$ Two medium τ_{had} candidates of opposite charge, at least one being tight $N_{\text{jets}} \geq 3$ |
| 2 ℓ SS+1 τ_{had} | Two very tight light leptons with $p_T > 15 \text{ GeV}$ Same-charge light leptons One medium τ_{had} candidate, with charge opposite to that of the light leptons $N_{\text{jets}} \geq 4$ $ m(ee) - 91.2 \text{ GeV} > 10 \text{ GeV}$ for ee events |
| 2 ℓ OS+1 τ_{had} | Two loose and isolated light leptons with $p_T > 25, 15 \text{ GeV}$ One medium τ_{had} candidate Opposite-charge light leptons One medium τ_{had} candidate $m(\ell^+\ell^-) > 12 \text{ GeV}$ and $ m(\ell^+\ell^-) - 91.2 \text{ GeV} > 10 \text{ GeV}$ for the SFOC pair $N_{\text{jets}} \geq 3$ |
| 3 ℓ +1 τ_{had} | 3 ℓ selection, except: One medium τ_{had} candidate, with charge opposite to the total charge of the light leptons The two same-charge light leptons must be tight and have $p_T > 10 \text{ GeV}$ The opposite-charge light lepton must be loose and isolated |



In most of the channel, non-prompt and fake tau are the main backgrounds. It is essential to get a good estimation of these backgrounds.

Charge Mis-ID

- The charge of electrons can be mis-identified due to:
 - Wrong assignment of EM cluster
 - Slightly curved track that induces measurement error
- Estimated by a pure data-driven method

$$N^{os} = (1 - 2\varepsilon + 2\varepsilon^2)N \text{ opposite-sign events,} \quad \longrightarrow \quad N^{ss} = \frac{\varepsilon_i + \varepsilon_j - 2\varepsilon_i \varepsilon_j}{1 - \varepsilon_i - \varepsilon_j + 2\varepsilon_i \varepsilon_j} N^{os} \text{ for the } ee \text{ channel,}$$

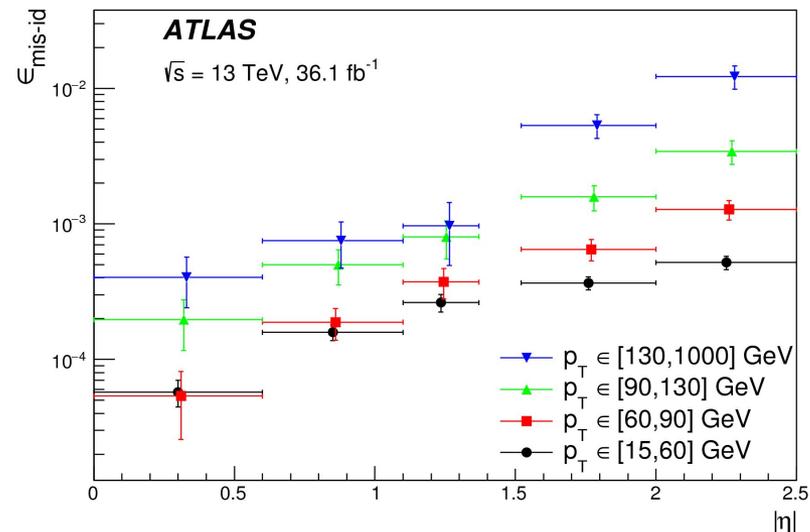
$$N^{ss} = 2\varepsilon(1 - \varepsilon)N \text{ same-sign events,} \quad N^{ss} = \frac{\varepsilon}{1 - \varepsilon} N^{os} \text{ for the } e\mu \text{ channel,}$$

ε is the rate of a single electron to be mis-identified.
 N is the total number of true OS events

ε is measured in $Z \rightarrow ee$ events, by a likelihood method.

$$N_{ss}^{ij} = N^{ij}(\varepsilon_i + \varepsilon_j - 2\varepsilon_i \varepsilon_j).$$

Number of SS pair in Zee peak.

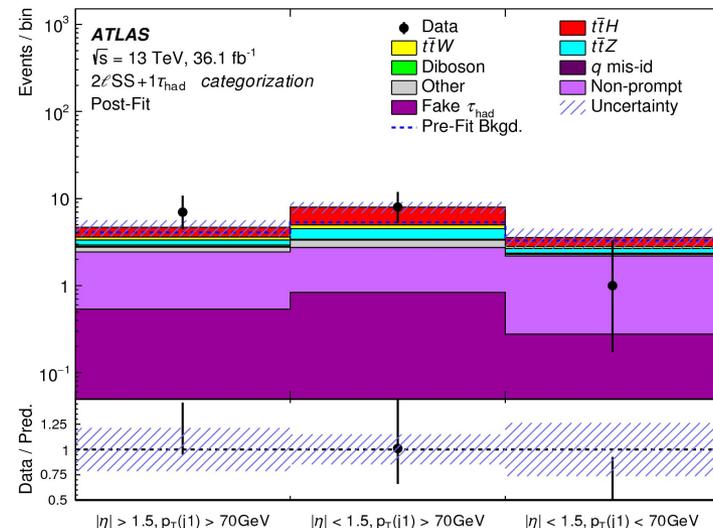


2lss+1tau: alternative

- Beside BDT, a cut-based analysis, categorisation, is also performed as a cross-check and alternative approach
 - Since it's a statistical limited channel, cut-based analysis could be more valid
- Categories set by cutting on two variables based on SR
 - Cat 1 = $\max(\eta_{2\text{leadlepton}}) > 1.5 \ \&\& \ \text{jet1pT} > 70 \text{ GeV}$.
 - Cat 2 = $\max(\eta_{2\text{leadlepton}}) < 1.5 \ \&\& \ \text{jet1pT} > 70 \text{ GeV}$.
 - Cat 3 = $\max(\eta_{2\text{leadlepton}}) < 1.5 \ \&\& \ \text{jet1pT} < 70 \text{ GeV}$.

$\max(\eta_{2\text{leadlepton}}$: maximum pseudo-rapidity of two leading leptons

Observed significance:
2.3 σ



Bkg composition