

Beyond mean field : the Bohr Hamiltonian

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What's the point of using it?

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GENERAL MOTIVATION

Providing nuclear reaction models with « credible and coherent » microscopic inputs

- makes (really) senses when dealing with unmeasured target
- the sounder the underlying physics the better the predictive power
- no direct link between xs and n-n interaction for all nuclei
- many inputs needed
 - . Discrete levels properties (masses, J, p, deformation etc ...)
 - . Nuclear level densities up to 200MeV
 - . Gamma strength functions
 - . Fission properties (barriers, broken symetries, = path)
 - . Optical potential (spherical and deformed)
- all this can be derived from nuclear structure more or less directly
- all this can be used mostly through tables
- robust codes needed
- robust methodolodgy (recipes)
 - . to reduce human intervention while producing tables
 - . to fill gaps (even-even limitation for instance)

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All this has been done with Skm for all nuclei (S. Goriely) !

Let's do it with Gogny !

. Optical potential (sphencal and deformed)

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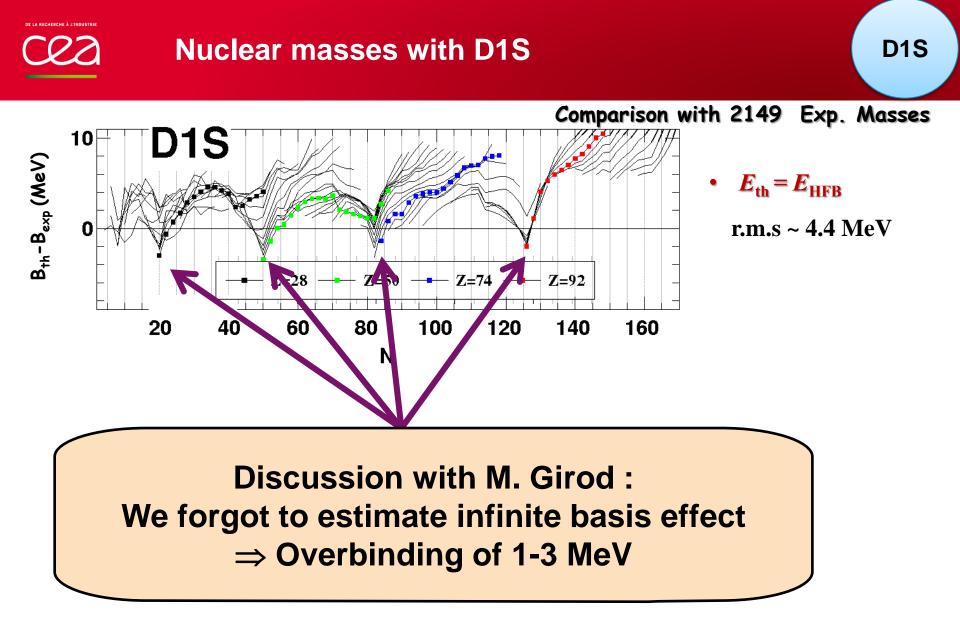


Motivation

- •The starting point : nuclear masses
- •Spectroscopy
- Nuclear Reaction inputs
- Conclusions & Perspectives

THE STARTING POINT :

Nuclear masses







$$B = B(N_0) + \Delta_{\infty}$$

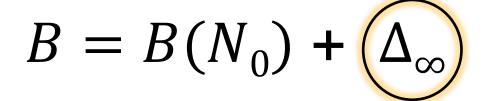
⇒ Infinite basis correction : code AMEDEE

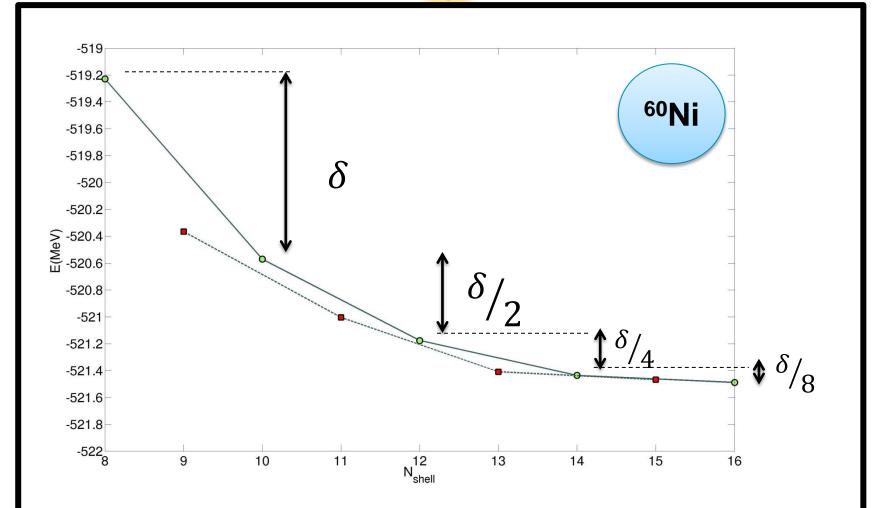
$$\Delta_{\infty} = E(N_0) - E(N = +\infty)$$

⇒ Assumption

$\Delta_{\infty} = 2[E(N_0) - E(N_0 + 2)]$

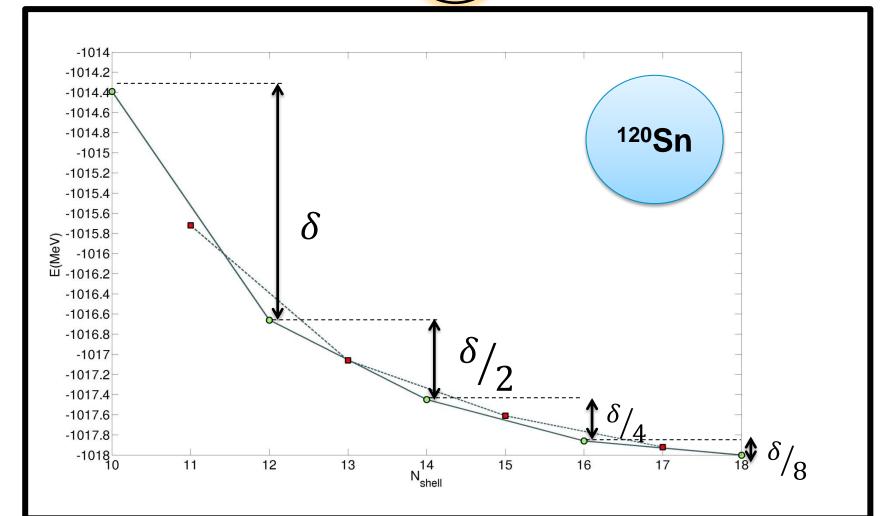








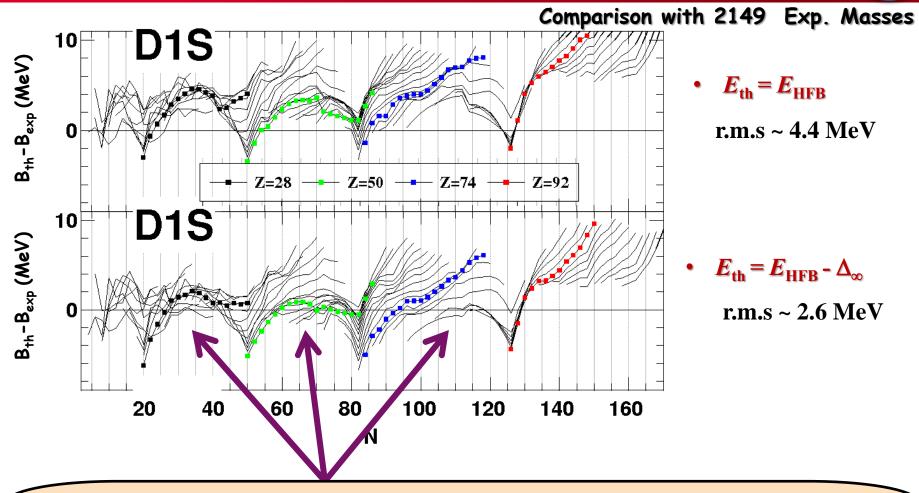
 $B = B(N_0) +$



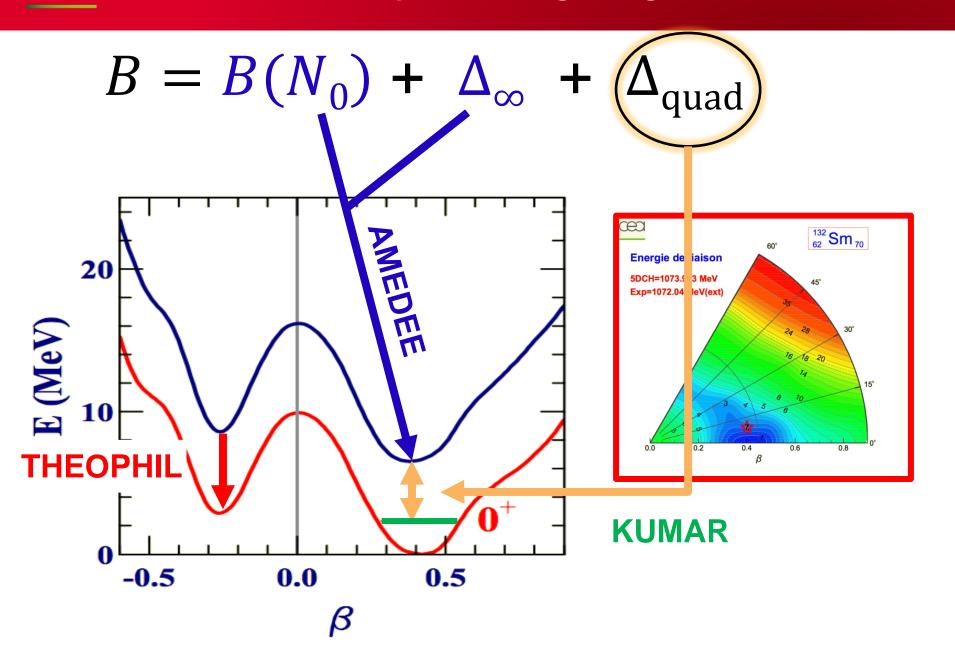


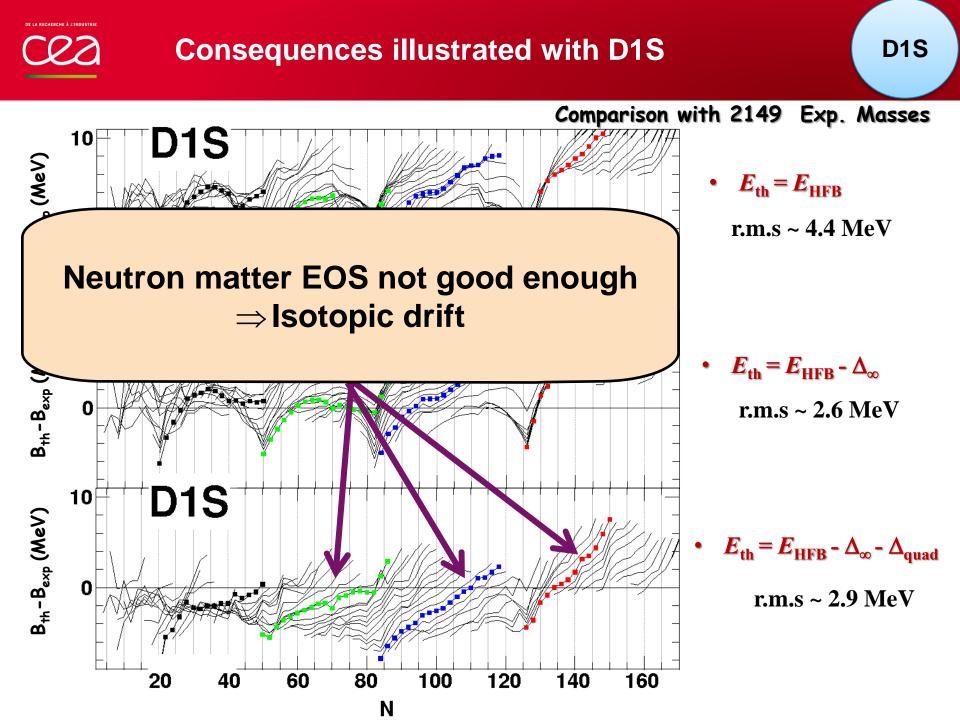
Consequences illustrated with D1S

D1S



Discussion with Girod : You forgot to include bmf (quadrupole) correlations ⇒Arches between magic nuclei



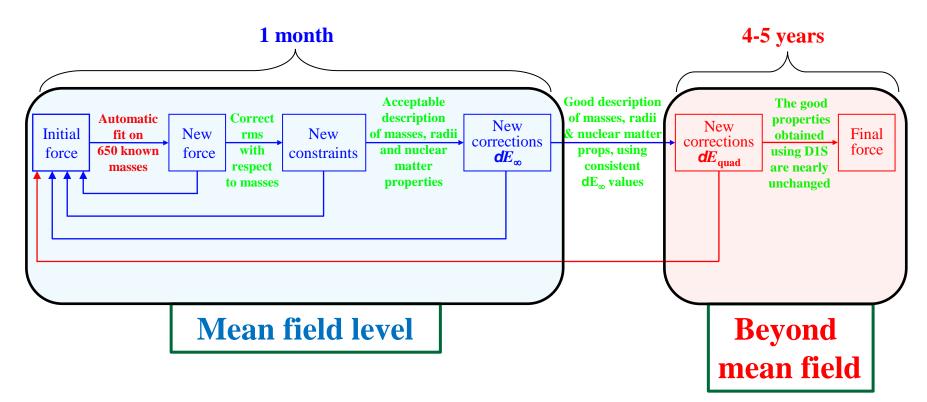




BASIC STRUCTURE PROPERTIES HFB Mass models

Most advanced theoretical approach = multireference level

• Methodology : $E = E_{mf} + dE_{\infty} + dE_{quad}$

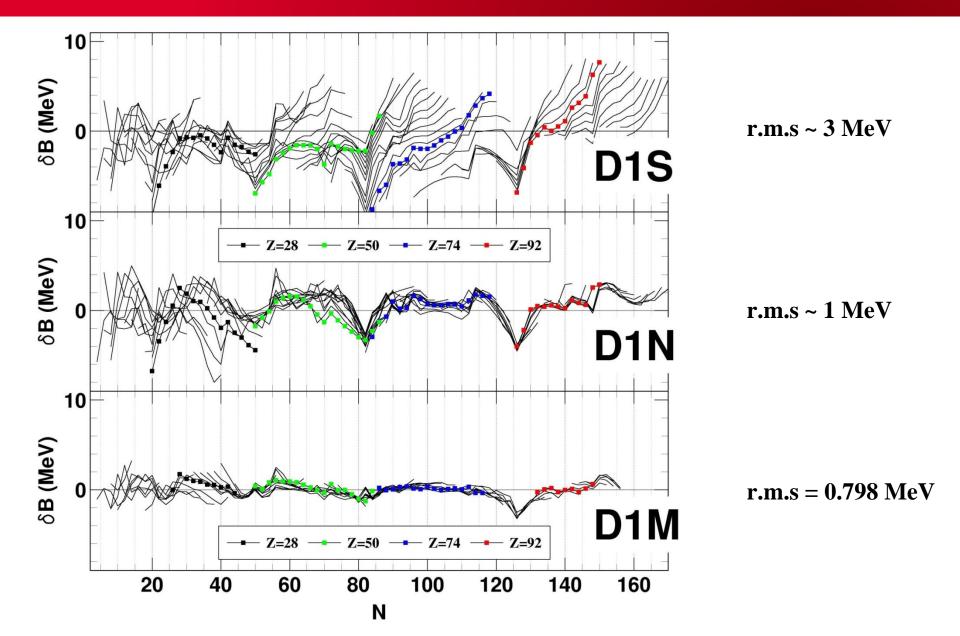


* Additional filters

- Collective properties (0+,2+, BE2), RPA modes, backbending properties, pairing properties, fission properties, gamma strength functions, level densities



Major goal reached : first Gogny mass model !



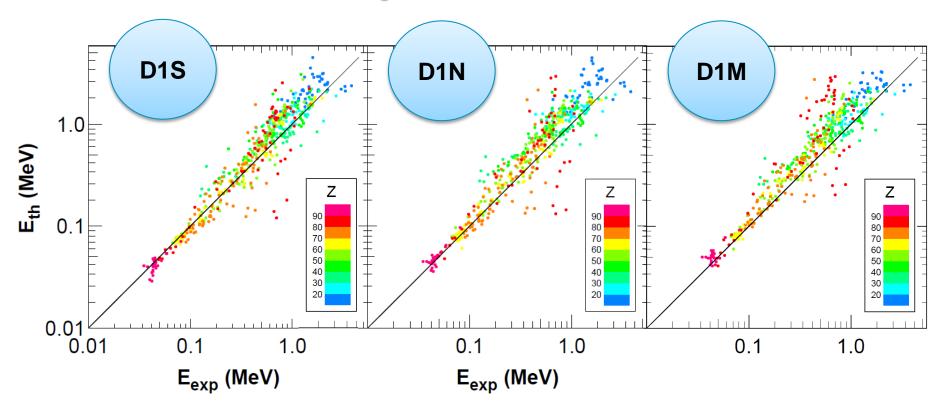
SPECTROSCOPY



- Several tens of papers with D1S
 - Collective states spectroscopy (rotations and vibrations)
 - Shape coexistence & mixing
 - Transition strengths
 - Drip lines (through mass differences)
 - Improved nuclear deformations (radii, β and γ Bohr parameters)
- \Rightarrow Showing the predictive power of the D1S effective interaction
- Global systematics published in PRC81 (2010) 014303 with D1S
 not with Kumar/Girod code but with J. Libert one
- Web site : <u>www.phynu.cea.fr</u> (D1S now, D1M soon)

SPECTROSCOPY

Excitation energies of the first 2⁺ for 519 e-e nuclei





SPECTROSCOPY

STRUCTURE OF EVEN-EVEN NUCLEI USING A MAPPED ...

PHYSICAL REVIEW C 81, 014303 (2010)

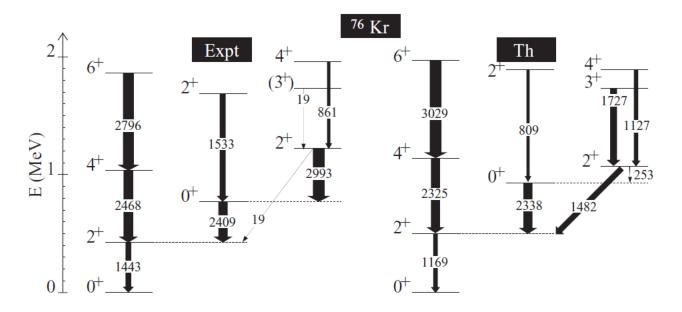
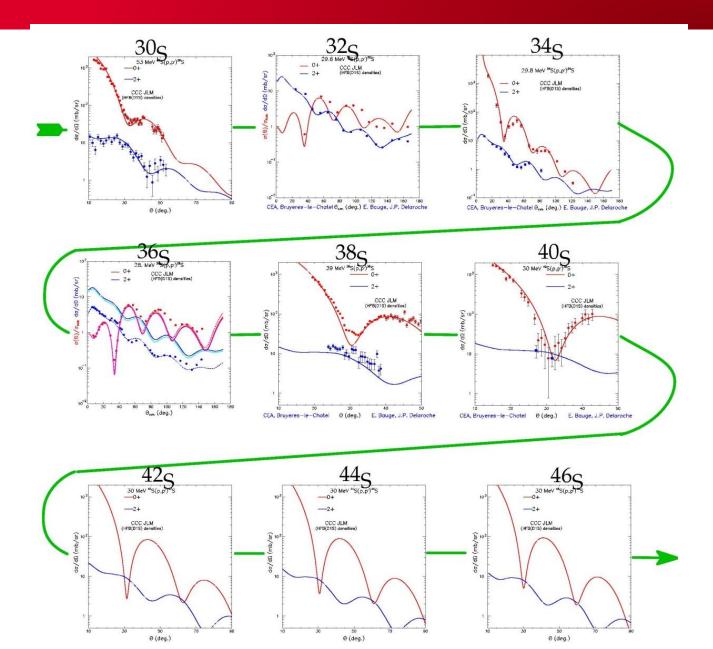


FIG. 1. Experimental and theoretical spectra (MeV) and transition strengths (e^2 fm⁴) of ⁷⁶Kr showing the excitations that we examine in the present global study. The experimental spectrum, on the left, is from Ref. [23] as well as from data repository for the 3⁺ and 4⁺ members of the γ band [24]. Calculated values are those from Ref. [23].

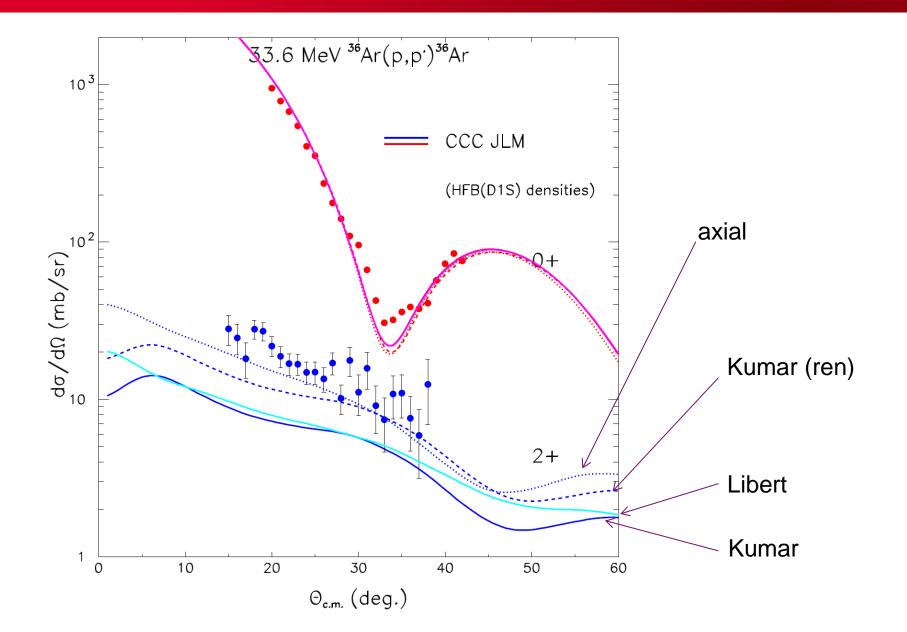
NUCLEAR REACTION INPUTS

Optical model





Optical model





See PRC 78 (2008) 064307 and PRC 86 (2012) 064317 for details

- TDHFB + effective nucleon-nucleon interaction ⇒ temperature (energy) dependent single particle level schemes
- Combinatorial calculation \Rightarrow intrinsic p-h and total state densities ω_{ph} (U, K, π)
- Collective effects \Rightarrow from state to level densities $\rho(\mathbf{U}, \mathbf{J}, \pi)$

1) folding of intrinsic states and vibrational states : $\omega = \omega_{ph} * \omega_{vib}$

 $\rho(\mathbf{U}, \mathbf{J}, \pi) = \sum_{\mathbf{K}} \omega \left(\mathbf{U} - \mathbf{E}_{rot}^{\mathbf{JK}} \mathbf{K}, \pi\right)$

2) construction of rotational bands for deformed nuclei

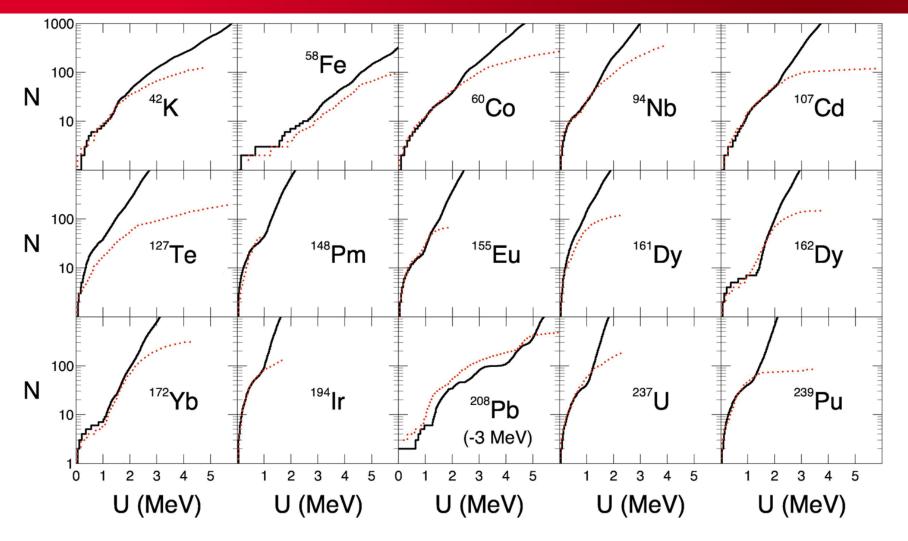
Predicted within the same theoretical framework (coherence)

trivial relation for spherical nuclei

 $\rho(\mathbf{U}, \mathbf{J}, \pi) = \omega (\mathbf{U}, \mathbf{K}=\mathbf{J}, \pi) - \omega (\mathbf{U}, \mathbf{K}=\mathbf{J}+1, \pi)$

- Phenomenological mixing of spherical and deformed densities for small deformations

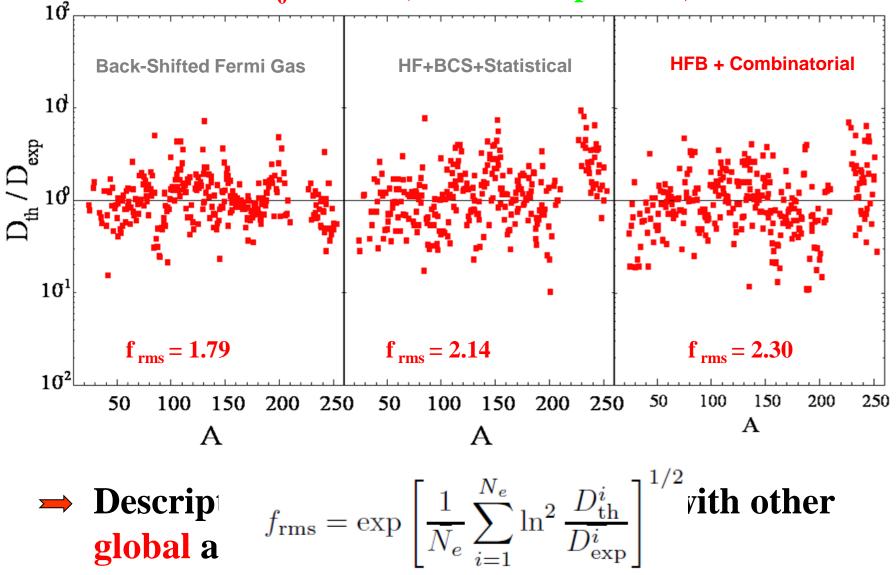
LEVEL DENSITIES (The combinatorial method)



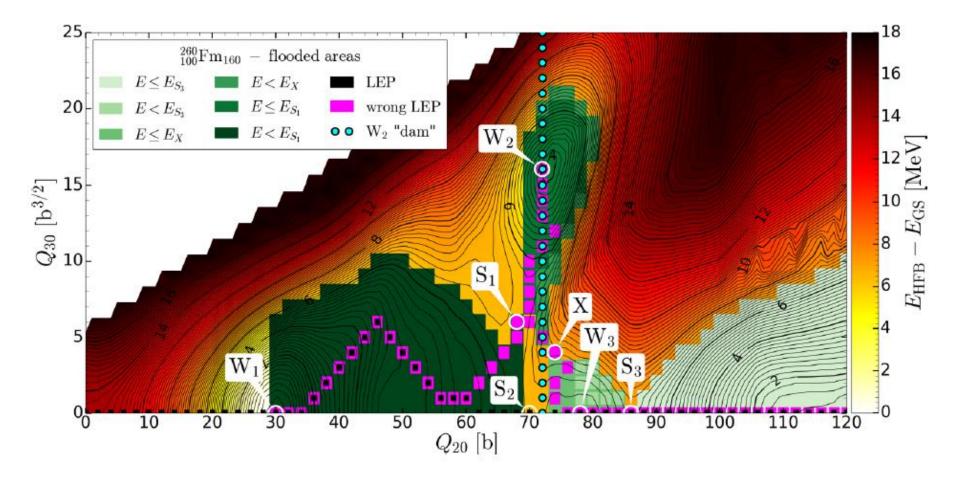
→ Structures typical of non-statistical feature

LEVEL DENSITIES (The combinatorial method)

D₀ values (s-waves & p-waves)

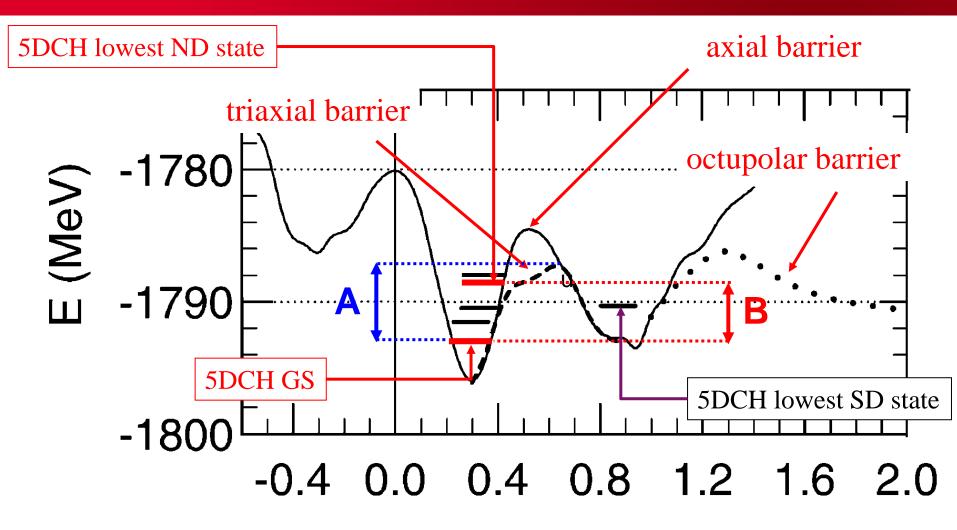


Fission paths





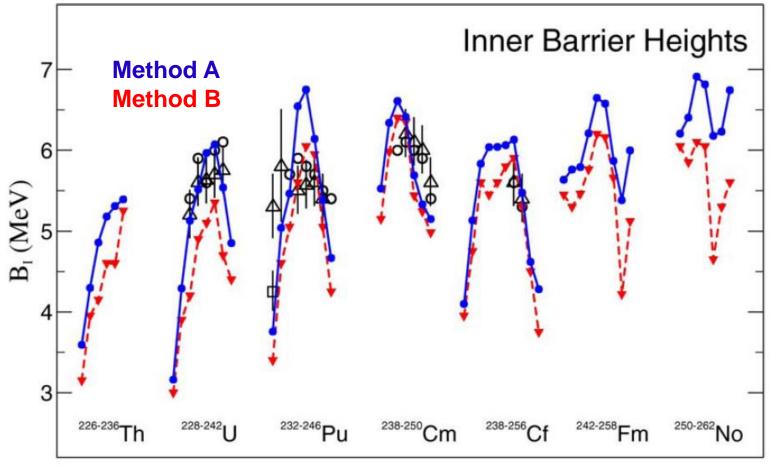
Fission barriers



Determining a fission is a complex task depending on the considered degrees of freedom

Cea

Fission barrier heights



Isotopic chains

CONCLUSIONS & PROSPECTS



5DCH powerfull approach for systematic approach : robust and fast

Provides usefull nuclear reaction input on top of pure structure data

There is a clear need to maintain the know how and even push the approach further

Perspectives :

- Develop new codes with « young » staff members
- HFB3 project started
- Update of FELIX (TDGCM+GOA into GCM+GOA) under consideration