



3rd workshop on Gas-filled Detectors and Systems

GPU based transport simulations in gaseous detectors: Uroboros and more...

Samuel Salvador

Laboratoire de Physique Corpusculaire de Caen

Normandie Univ, ENSICAEN, UNICAEN, CNRS/IN2P3, LPC Caen, 14000 Caen, France

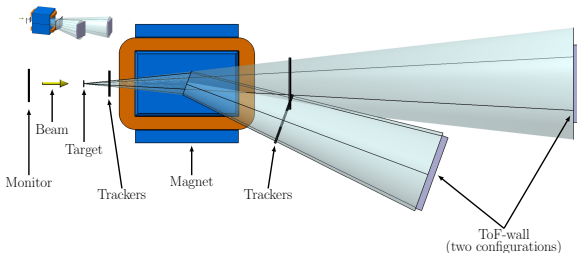
January 24th 2019



The context

FRACAS: A large acceptance mass spectrometer

- ▶ Fragmentation cross sections of ^{12}C
- ▶ From 100 to 400 MeV/n
- ▶ Targets of medical interest (C, H, O, N, Ca)
- ▶ ARCHADE centre around 2023



Designing the gas detectors using simulations

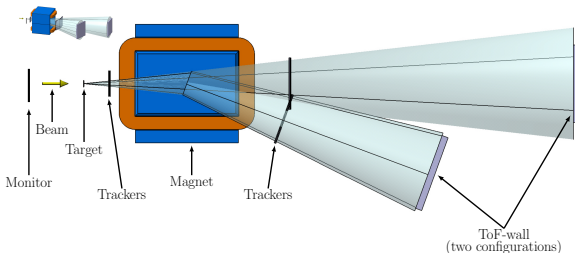
- ▶ Technology
- ▶ Gap and gas mixture
- ▶ Strips or pixels read-out

Accurate and fast MC simulations!

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Accurate and fast MC simulations!

What can be used? (That I know of!)

COMSOL

- ▶ Electrostatic and plasma physics

Garfield++

- ▶ Pretty well-known and tested
- ▶ Does a lot of things (like a lot!)
- ▶ Macroscopic and microscopic simulations
 - ▶ Microscopic is quite slow! (and serial)

Any macroscopic Monte Carlo simulation self made

- ▶ Not really that complicated (uses swarm parameters)
- ▶ Particles “follow” the drift lines
- ▶ Only effective description of space charge effects

Well, can we achieve a higher throuput?

Microscopic Monte Carlo simulation for particle drift in an electromagnetic field

- ▶ Highly parallel simulation
- ▶ Must include most of Garfield features
- ▶ Based on GP-GPU computing
- ▶ Perform at least as good!

Uroboros

"One is the all", third century, Egypt

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Uroboros



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GPU based algorithms: when gamers rule the world

GP-GPU: global programming on graphic processor units

- ▶ Originally developed for gaming purposes (obviously)
- ▶ Designed to execute rasterization (transforming vectors into pixel values)
- ▶ Displays a calculated frame of millions of pixels (4k display: ~ 8.3 Mpixels) in < 7 ms

High parallelism \implies around 80k concurrent threads (on a Titan V100)

CUDA++: nVidia GPU language

- ▶ Based on C++
- ▶ Needs some training and re-thinking to code for parallelism
- ▶ Attached strictly to hardware \implies very efficient!
- ▶ Large amount of libraries available (cuBLAS, cuFFT,...)

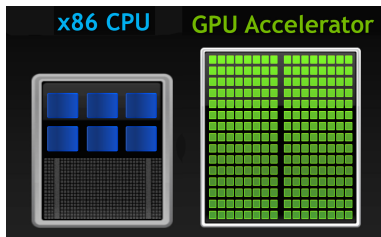
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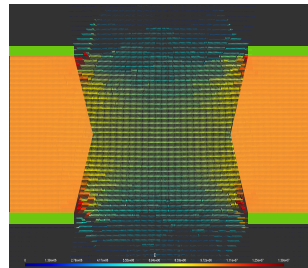
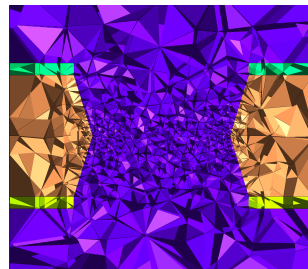
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Uroboros: What does it do?

- ▶ Beam tracks: γ , e, p, α , C
 - ▶ Analytically deposited energy (using Landau-Vavilov limit and δ -rays)
- ▶ or point-like sources
 - ▶ Thermal initial energy with N numbers of primary particles
- ▶ 2D or 3D calculations (for memory space concerns)
- ▶ Generate simple analytic fields or loads field maps
 - ▶ BEM or FEM generated
 - ▶ "Ramo" field maps (for each electrode) \Rightarrow Signals generation
- ▶ Detector geometry
- ▶ 3D periodicity



Uroboros: How?

Complete microscopic level physics

- ▶ Gases available: Ar, CO₂, N₂, CF₄, CH₄, iC₄H₁₀, O₂
- ▶ Interaction cross sections for mixture gases
- ▶ Electron anisotropy scattering for nonpolar molecules¹:

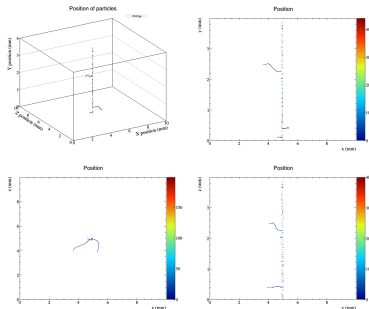
$$\theta = \cos^{-1} \left(1 - \frac{2R(1 - \xi)}{1 + \xi(1 - 2R)} \right),$$

where $\xi(E) = f \left(\frac{\sigma m}{\sigma} \right)$

otherwise, screened-Coulomb scattering:

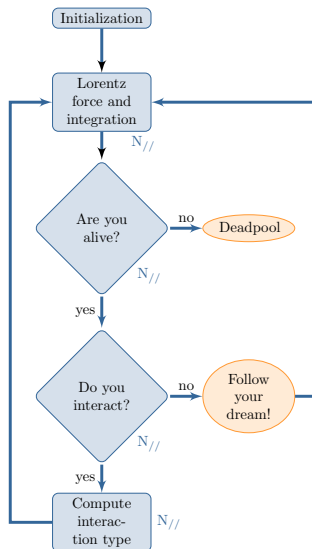
$$\theta = \cos^{-1} \left(1 - \frac{2R}{1 + 8 \frac{E}{E_0} (1 - R)} \right).$$

- ▶ Penning transfer probability
- ▶ Three different integration algorithms: Euler, Leap-Frog or PEFRL² ($\delta t=25$ fs)

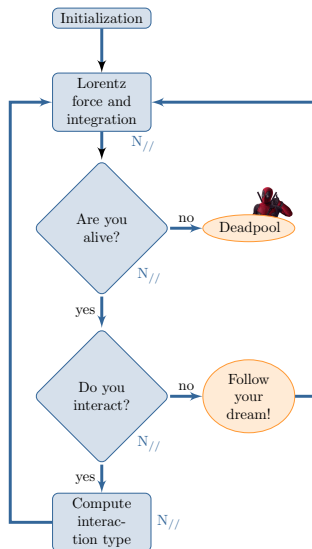


¹A. Okhrimovskyy *et al.*, Phys. Rev. E, 65, 037402 ²I.P. Omelyan *et al.*, Comp. Phys. Comm., 146, 188-202, 2002

Uroboros: A bit of algorithmics

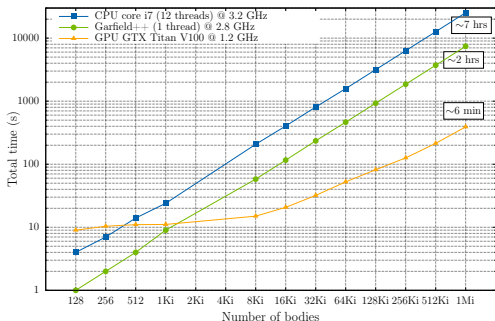


Uroboros: A bit of algorithmics



Speed-up

CPU vs. GPU comparison



- ▶ PPAC in 50 mbar Ar/CO₂ 80/20 with 1.6 mm gap
- ▶ Drift of N electrons
- ▶ Almost same CPU/GPU code
- ▶ Simple microscopic drift in Garfield
- ▶ Comparison of total computation time
- ▶ 19 times faster than Garfield!

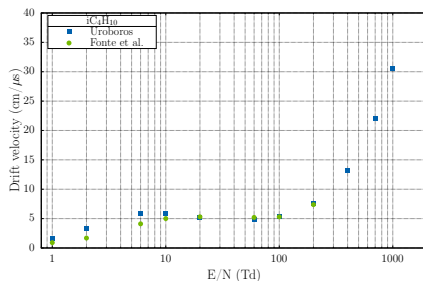
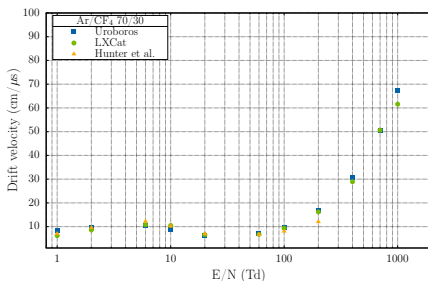
Allows for systematic studies with MC simulation for high gains

You're sure it works?

Comparisons with swarm parameters from the literature and LXCat

LXCat (BOLSIG+): Online Boltzmann equation solver for low-temperature plasmas¹

► Drift velocities

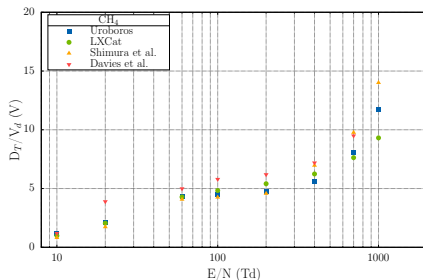
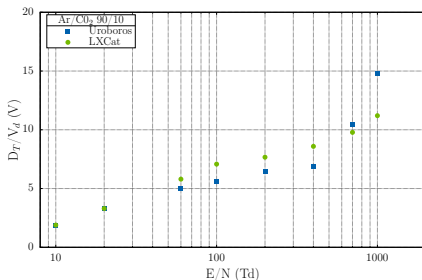


¹G.J.M. Hagelaar and L.C. Pitchford, "Solving the Boltzmann equation to obtain electron transport coefficients and rate coefficients for fluid models", Plasma Sci Sources and Tech 14, 722 (2005).

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Comparisons with swarm parameters from the literature and LXCat

► Diffusion coefficient

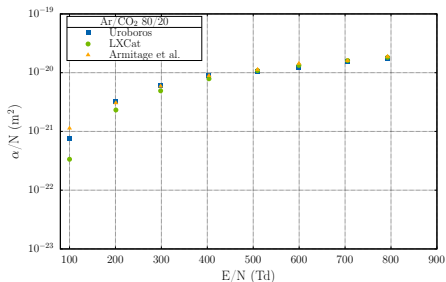
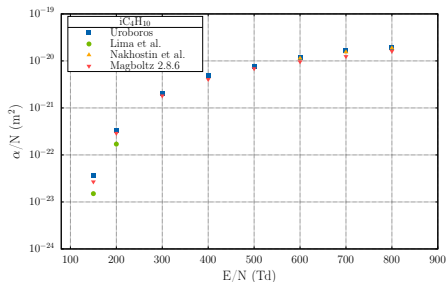


Edgar Barlerin's master thesis

And?

Comparisons with swarm parameters from the literature and LXCat

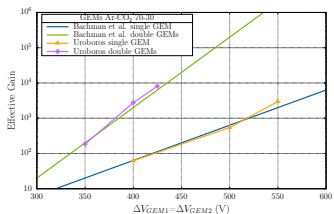
► First Townsend coefficient α



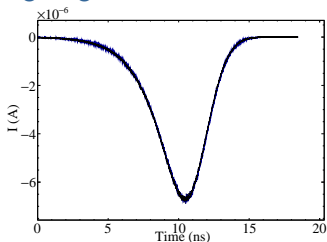
Some discrepancies but overall good agreement with experimental data

That's it?

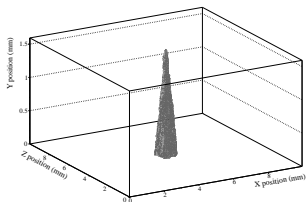
Gain comparison for GEM detectors



Signal generation

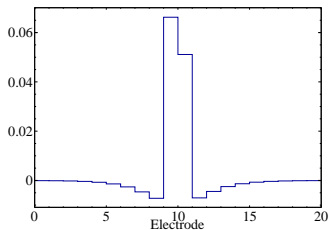


Avalanche generation



^{12}C 200 MeV/n in PPAC 1.6 mm gap, iC_4H_{10}

Position reconstruction



Intermission

Let's have a (short) break...

What's next?

Include real time space charge effects!

Next level programming

- ▶ Use an element method (FEM or BEM) to calculate the field
- ▶ Include particles (electrons and ions) as charge density distributions in Poisson equation
- ▶ Re-calculate the field every N-steps

Why is that challenging?

- ▶ An avalanche contains about 10^6 electrons
- ▶ Nearly impossible (for now) to include individual charges
- ▶ Use approximation method such as Barnes-Hut or FMM
- ▶ Need to include octree in the code (not so difficult...)
- ▶ Re-calculate the field with the new method
- ▶ Iterate!

What's next?

Include real time space charge effects!

Why?

- ▶ Very high intensity beams
- ▶ Design for high gain detectors
- ▶ Ions charging up in specific detectors

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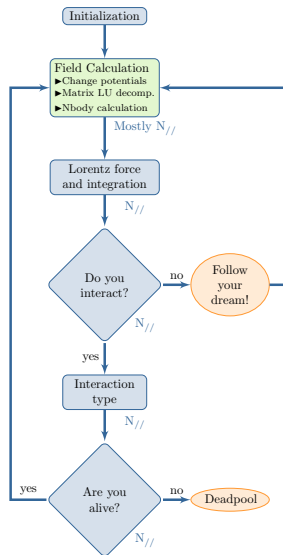
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So, what did we do about it?

Ouroboros BEM edition!

- ▶ Build (or read) the geometry using predefined shapes
- ▶ BEM to calculate the electric field
- ▶ Fill matrix with cell properties
- ▶ Change each cell potential according to the floating charges
 - ▶ Exact method (brute-force)
- ▶ Solve problem with LU decomposition (80% time consuming)
- ▶ Add the electric field generated by the charges
 - ▶ Exact or approx. method (Barnes-hut)



Ouroboros_BEM

Drawbacks

- ▶ Quite slow (10 times slower)
- ▶ Memory limitation on # of cells in the geometry (12 GB = ~ 12000 cells)
- ▶ Cannot use geometry symmetries

Remaining work

- ▶ Dynamic mesh refinement
- ▶ Dielectric material properties
- ▶ Ramo electric signals