

# INTERPRETABLE MACHINE LEARNING FOR CLAS12 DATA ANALYSIS

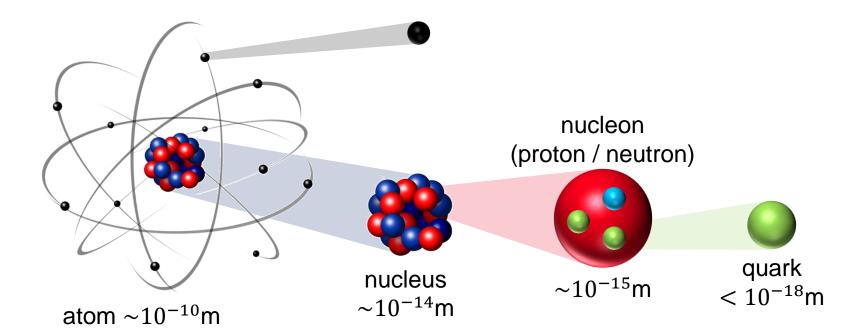
InTheArt | Noëlie Cherrier



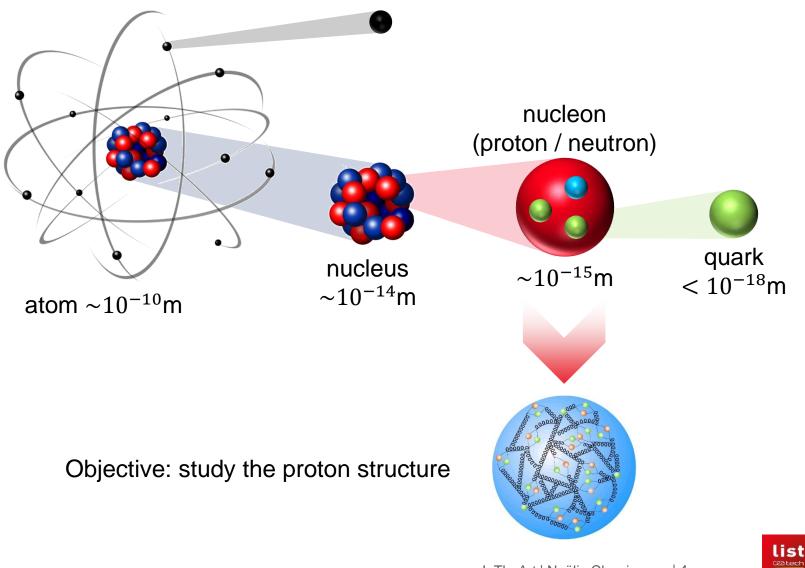
# OUTLINE

- Introduction
- Feature construction: principle
- Feature construction: practical use in algorithms
  - $\rightarrow$  Trees and ensemble models
  - $\rightarrow$  Generalized Additive Models (GAM)
- CLAS12 data analysis
  - $\rightarrow$  Comparison with classical and neural network approach
  - $\rightarrow$  Transfer learning

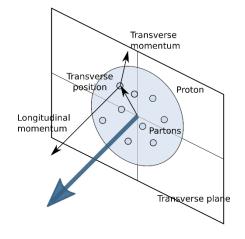


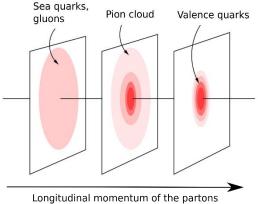




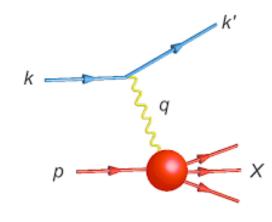


- Physics objective: tomography of the nucleon through Generalized Parton Distributions (GPDs)
  - → Correlation between longitudinal momentum and transverse position of the partons in the nucleon



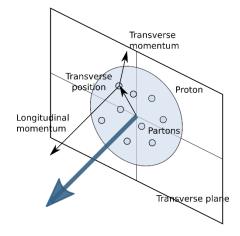


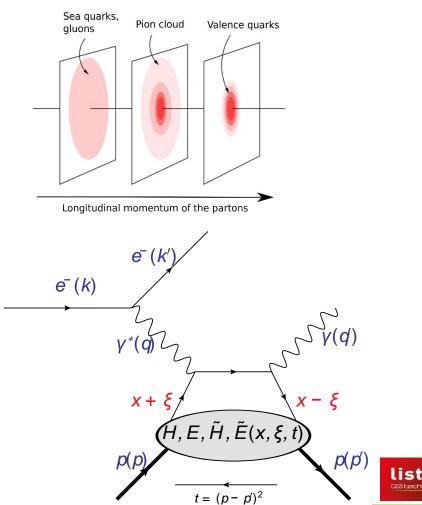
 Accessed through exclusive inelastic processes including Deeply Virtual Compton Scattering (DVCS)





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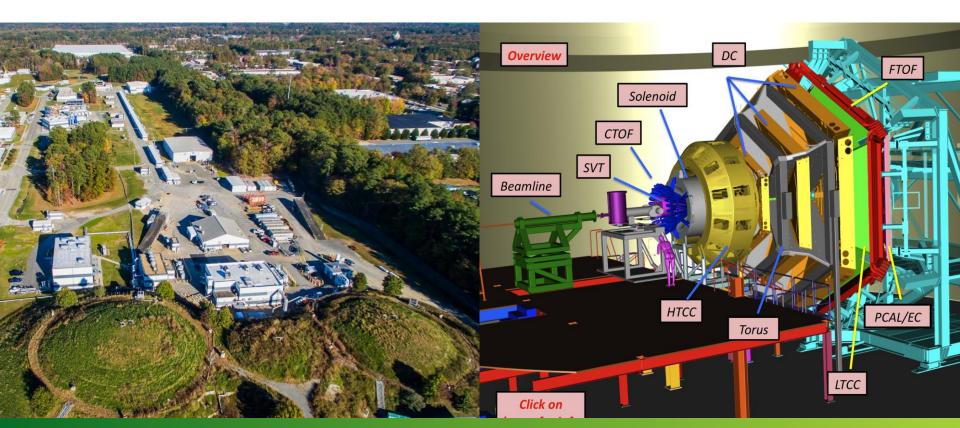




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- Jefferson Lab: 10.6 GeV electron beam
- CLAS12 data taking since 2018: hydrogen target

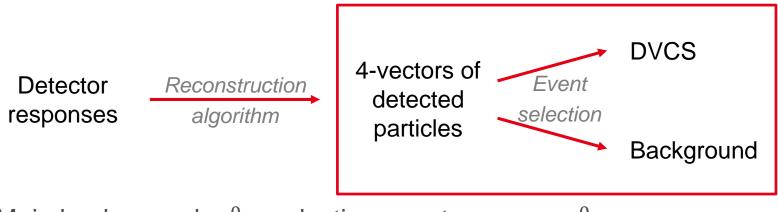
Event classification task: isolate DVCS events  $(ep \rightarrow ep\gamma)$ 



- Jefferson Lab: 10.6 GeV electron beam
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Event classification task: isolate DVCS events  $(ep \rightarrow ep\gamma)$ 

Machine learning approach to be compared to classical approach



Main background:  $\pi^0$ -production events  $ep \rightarrow ep\pi^0 \rightarrow ep\gamma\gamma$ 

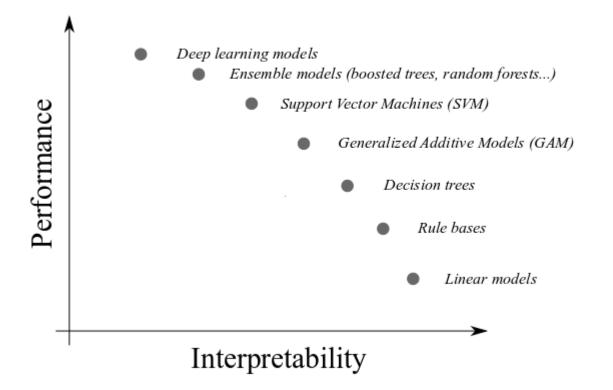


- Interpretability: it is defined as the ability to explain or to provide the meaning in understandable terms to a human
- **Transparency**: a model is considered to be transparent if by itself it is understandable. A model can feature different degrees of understandability
- Intelligibility (or understandability) denotes the characteristic of a model to make a human understand its function – how the model works – without any need for explaining its internal structure or the algorithmic means by which the model processes data internally



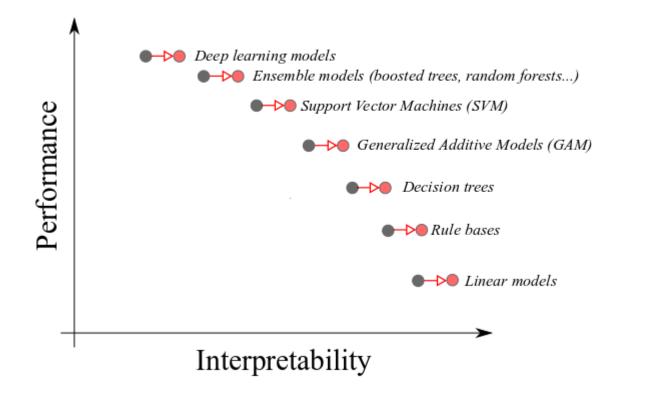
Arrieta, Alejandro Barredo, et al. "Explainable Artificial Intelligence (XAI): Concepts, Taxonomies, Opportunities and Challenges toward Responsible AI." *Information Fusion* (2019).





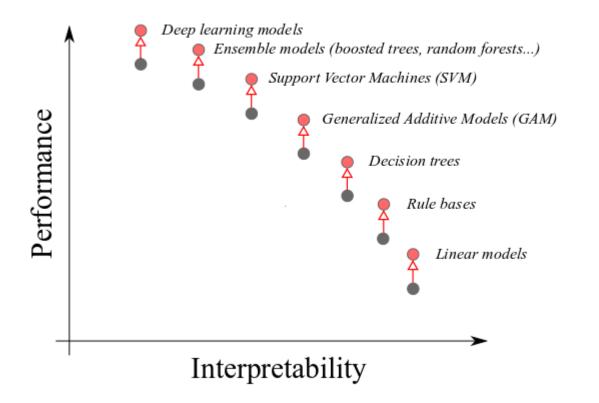


Post-hoc explainability methods (feature importance, simplification...)





Make up for the model drawbacks (notably internal representation)

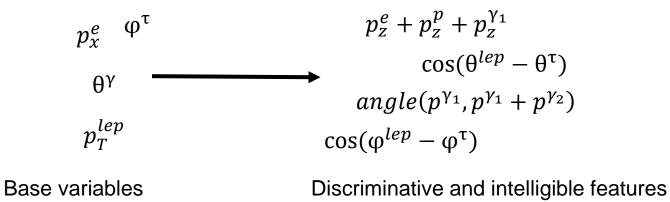




# **FEATURE CONSTRUCTION: PRINCIPLE**



Motivation: these models do not build a sufficiently complex internal representation of the data

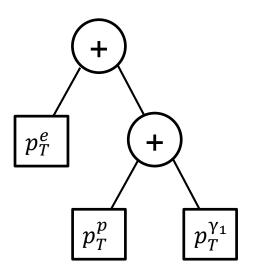


In machine learning: feature engineering, feature construction



Motivation: these models do not build a sufficiently complex internal representation of the data

Constrained Genetic Programming: evolve a population of high-level feature candidates



Feature candidate example

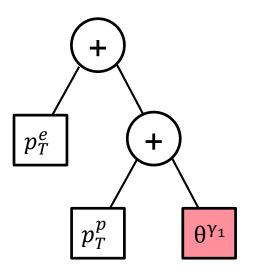
- $\rightarrow$  Nodes are mathematical operators
- $\rightarrow$  Leaves are base variables

Cherrier, N., Poli, J. P., Defurne, M., & Sabatié, F. (2019, June). Consistent Feature Construction with Constrained Genetic Programming for Experimental Physics. In 2019 IEEE Congress on Evolutionary Computation (CEC) (pp. 1650-1658). IEEE.



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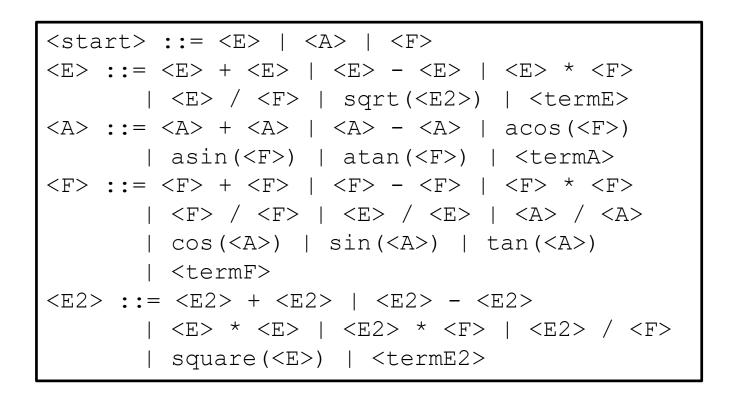
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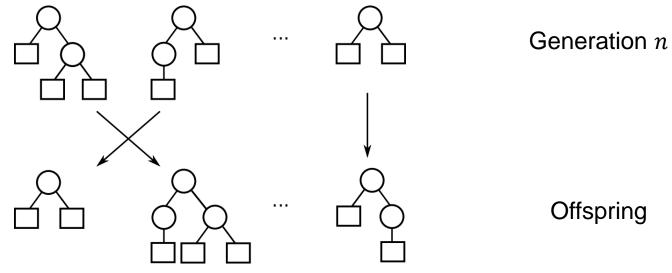


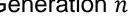
Grammar-guided Genetic Programming



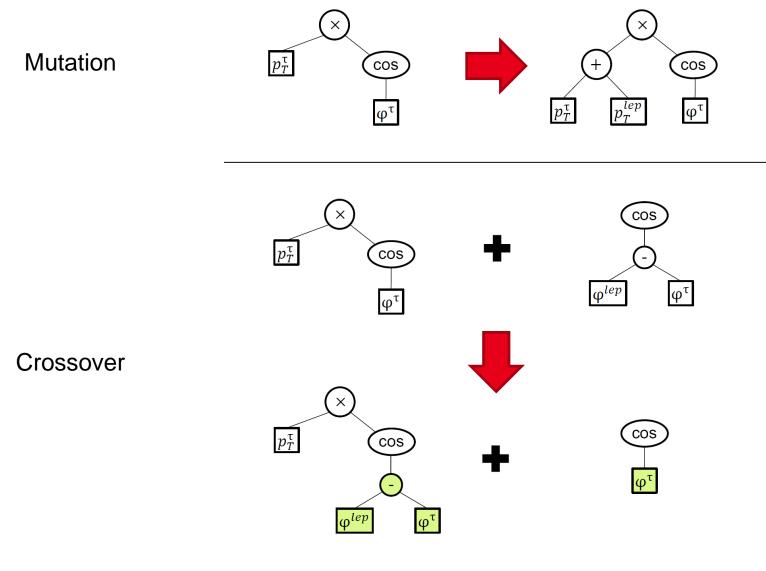
Ratle, A., & Sebag, M. (2001). Grammar-guided genetic programming and dimensional consistency: application to non-parametric identification in mechanics. Applied Soft Computing, 1(1), 105-118.



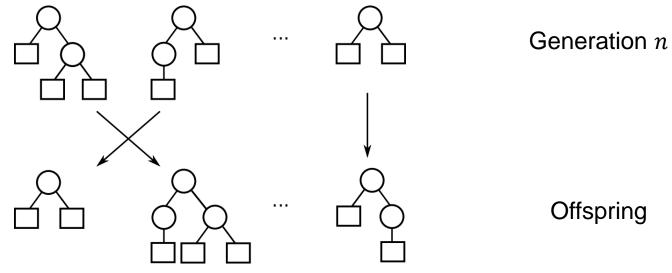






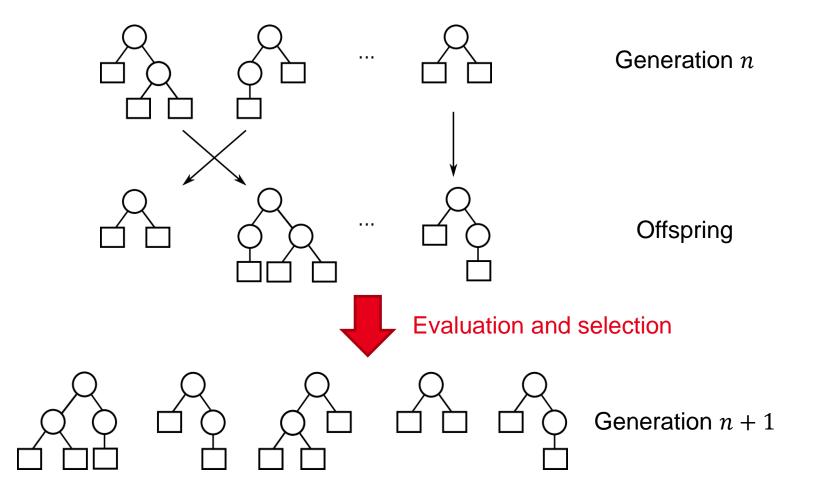


List CR2tech





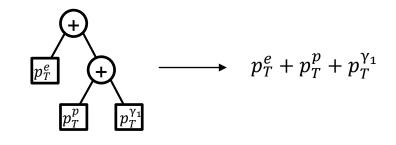






Different FC methods, main difference = how to evaluate the feature candidates Filter, wrapper, or embedded methods

prior FC (before learning the ML model)



<u>Filter</u> Information gain, Gini index, ... of the candidate feature

> Wrapper Inclusion into the initial list:

 $p_T^e, \Theta^e, \varphi^e, p_T^p, \Theta^p, \varphi^p, \text{ etc.}, p_T^e + p_T^p + p_T^{\gamma_1}$ 

and training of a ML algorithm (the fitness of the candidate is the test score of the ML algorithm) Embedded

Build features during the induction process, usually with filter fitness functions

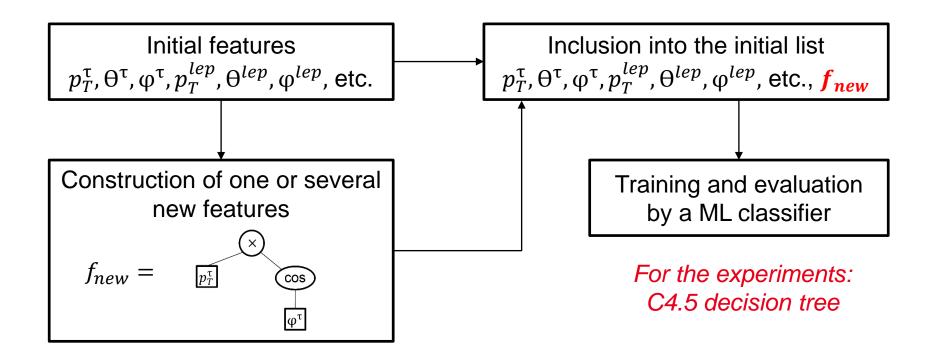
- Decision trees and ensemble methods
- Generalized Additive Models



# FEATURE CONSTRUCTION: PRACTICAL USE IN ML ALGORITHMS

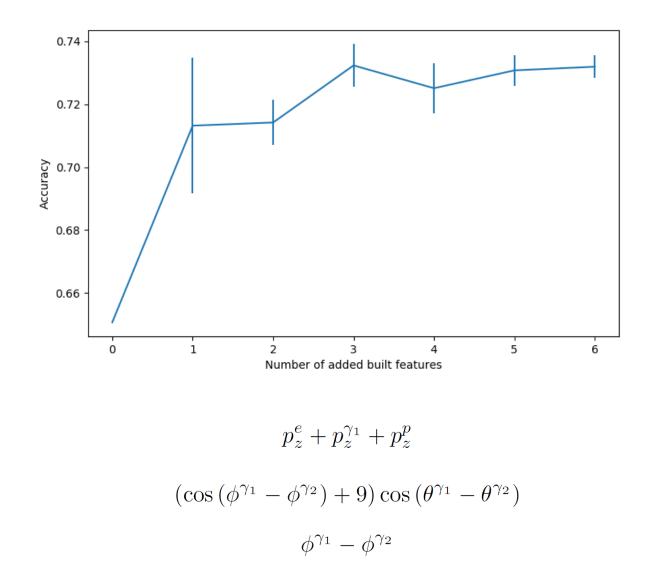


#### **PRIOR FEATURE CONSTRUCTION**



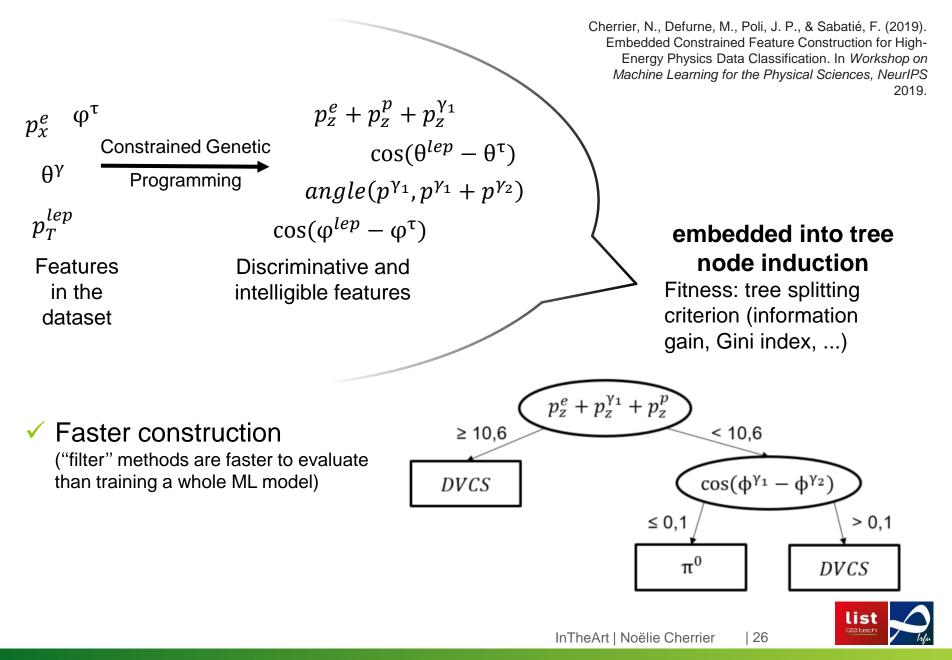


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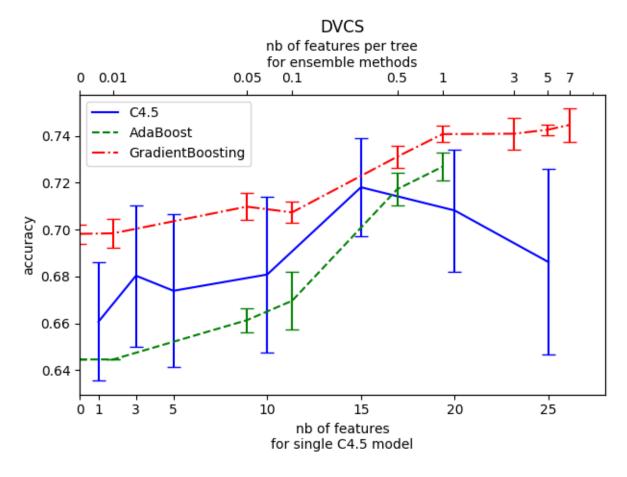
#### **EMBEDDED FEATURE CONSTRUCTION: IN TREES**



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"Weak" learner in ensemble methods: decision tree with embedded feature construction

ex: AdaBoost, gradient boosting, XGBoost, etc.







#### **GENERALIZED ADDITIVE MODELS (GAM)**

Generalized Linear Models (GLM) :

 $g(\hat{y}) = \beta_0 + \beta_1 x_1 + \dots + \beta_d x_d$  $g(\hat{y}) = \hat{y} \text{ for regression, } g(\hat{y}) = \ln(\frac{\hat{y}}{1-\hat{y}}) \text{ for classification}$ 

 $\hat{y}$  predicted output y true output  $x_1, ..., x_d$  input variables

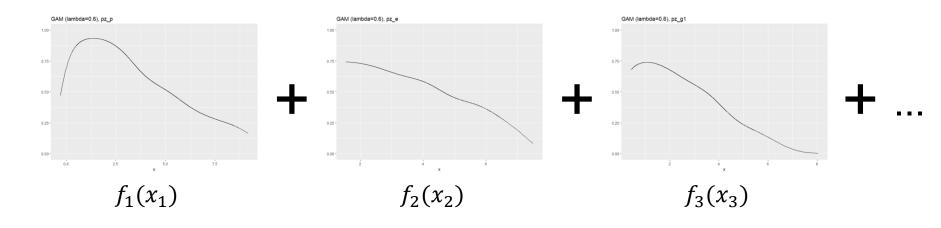


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#### Generalized Additive Models (GAM) :

 $g(\hat{y}) = \beta_0 + f_1(x_1) + \dots + f_d(x_d)$ 



Hastie, T. J. (1986). Generalized additive models. In *Statistical models in S* (pp. 249-307). Routledge. Lou, Y., Caruana, R., Gehrke, J., & Hooker, G. (2013, August). Accurate intelligible models with pairwise interactions. *ACM SIGKDD 2013*.



Idea: build one feature at a time, associated with one term of the GAM  $\rightarrow$  gradient boosting



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<u>Idea</u>: build one feature at a time, associated with one term of the GAM  $\rightarrow$  gradient boosting

<u>Objective function</u>: minimize the cross entropy  $-y \ln(\hat{y}) - (1-y) \ln(1-\hat{y})$ 



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<u>Objective function</u>: minimize the cross entropy  $-y \ln(\hat{y}) - (1-y) \ln(1-\hat{y})$ 

1) Compute  $\beta_0 = \ln\left(\frac{p_0}{1-p_0}\right)$  to form the 1st model  $g(\hat{y}) = \beta_0$ . The residual is  $r = y - \hat{y} = y - p_0$  ( $p_0$  proportion of the majority class)



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2) Build one feature  $x_1$  discriminative wrt the residual

Fitness function for the Genetic Programming algorithm:

- Shallow tree (maximum 4 leaves)
- Feature fitness: RMS error of the inducted tree with the residual



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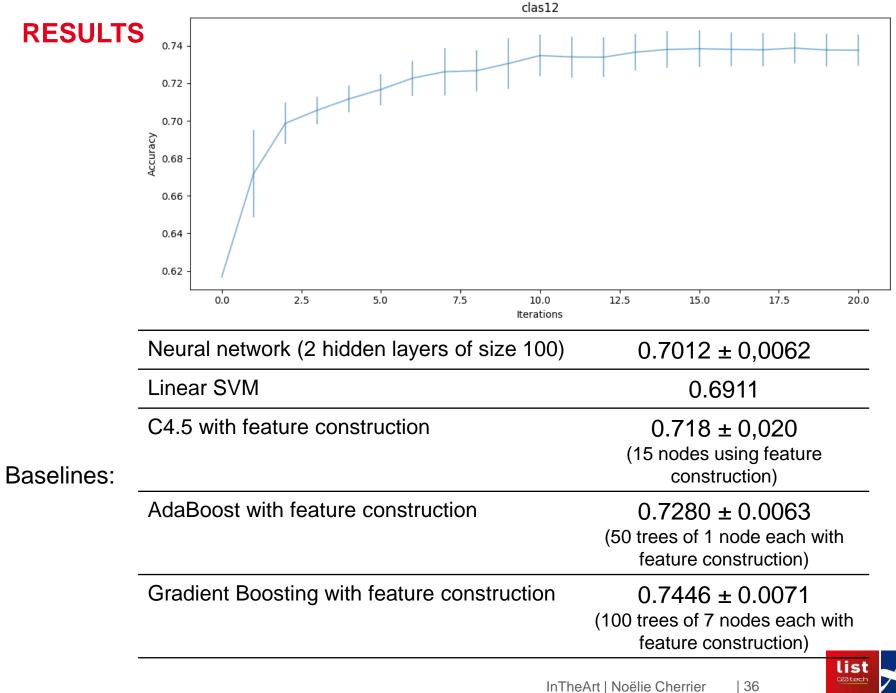
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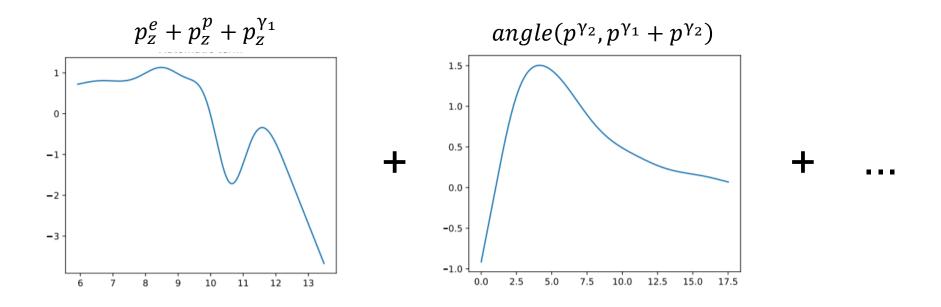
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- 3) Fit a shape function  $f_1(x_1)$  to the residual
- 4) Compute the new model:  $g(\hat{y}) = g(\hat{y}) + f_1(x_1)$  and the new residual  $r = y \hat{y}$ , and go back to step 2





#### RESULTS

Example of a model (the lower the *y* value, the higher the probability to have a DVCS event):





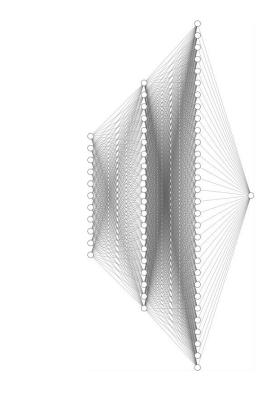
# **CLAS12 DATA ANALYSIS**



#### **Classical DVCS event selection**

 $\begin{aligned} -0,05 \ GeV^2 &\leq MM^2_{ep \to ep \gamma X} \leq 0,05 \ GeV^2 \\ 0,1 \ GeV &\leq MM_{ep \to e \gamma X} \leq 1,7 \ GeV \\ -1 \ GeV &\leq missing \ energy \leq 2 \ GeV \\ missing \ p_T \ (ep \to ep X) \leq 0,4 \ GeV \\ cone \ angle &\leq 4^\circ \end{aligned}$ 

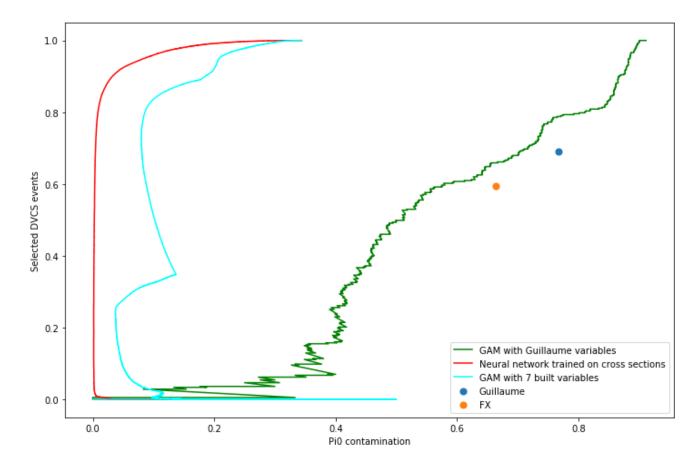
#### Neural network approach



2 hidden layers of size (20, 30) 11 high-level input features



Y axis: percentage of selected DVCS events among all existing DVCS in simulated data X axis: percentage of Pi0 events still present in the selected subset

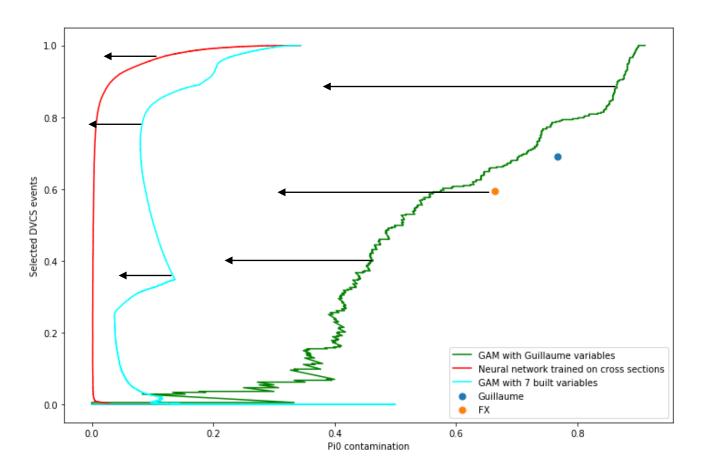




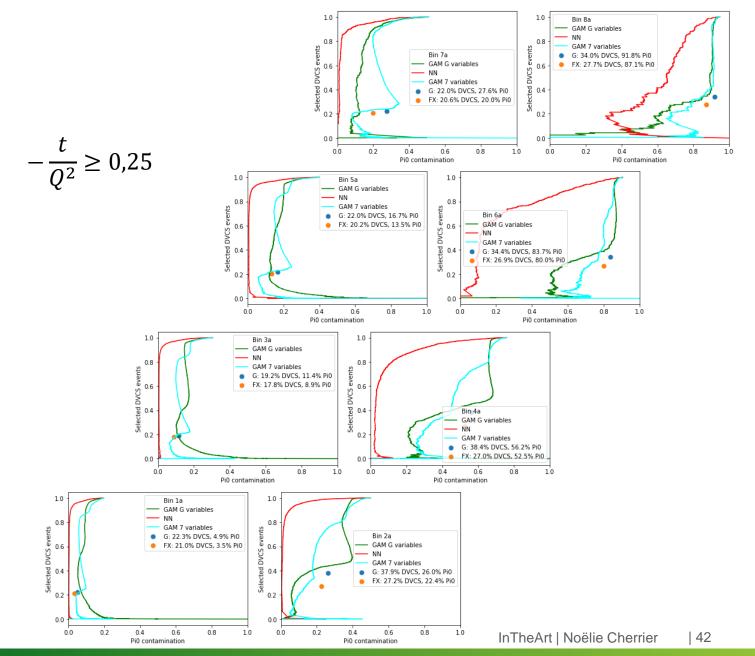
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 $\underline{\wedge}$ 

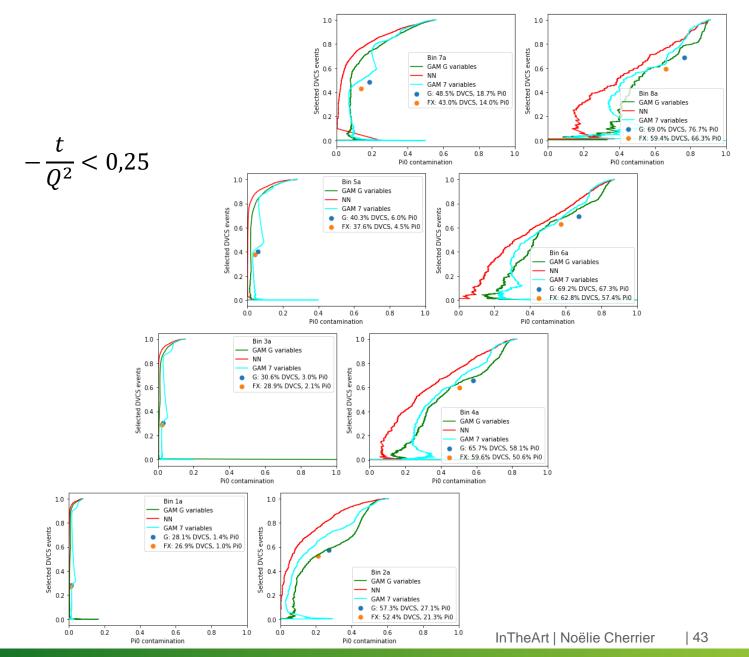
Pi0 subtraction method











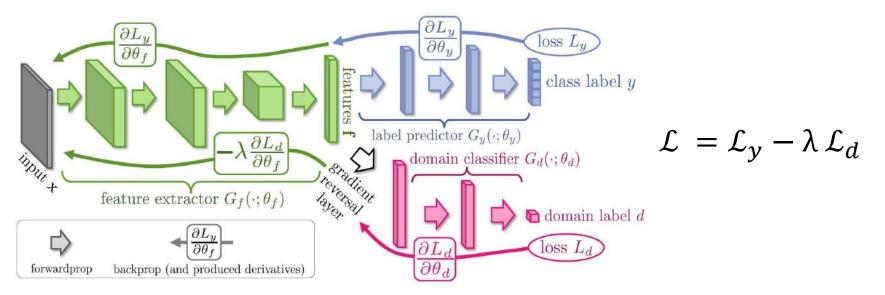


# **TRANSFER LEARNING**

Issues:

- Shifts due to detector resolutions and calibrations
- Different data distributions (due to cross sections)
- New classes present in real data but not in simulations (other physics processes, accidental background, ...)

First approach from the neural network track:



Ganin, Y., & Lempitsky, V. (2014). Unsupervised domain adaptation by backpropagation. arXiv preprint arXiv:1409.7495

Baalouch, M., Defurne, M., Poli, J. P., & Cherrier, N. (2019). Sim-to-Real Domain Adaptation For High Energy Physics. In Workshop on Machine Learning for the Physical Sciences, NeurIPS 2019.



# **TRANSFER LEARNING**

Two approaches to transfer learning or domain adaptation for interpretable ML models:

- Modify thresholds and leaf weights by learning a transformation from source to target data
- Find a domain-invariant feature representation

Ideas:

- Select a subset of data containing only  $\pi_0$ -production events and learn the transformation on this subset
- Weight real events to "remove" the influence of cross-sections and get distributions comparable to those of simulated data

Still work in progress!



# CONCLUSION

- Analysis of CLAS12 data to select DVCS events
- Feature construction principle: get new discriminative high-level variables
- Implementation in several "interpretable" algorithms
- Comparison with other analysis methods
- Still work to do with transfer learning to be able to apply all of this on real data

# Thank you!

