

Updates on Survey Uniformity with FGCM... and a bit about reddening

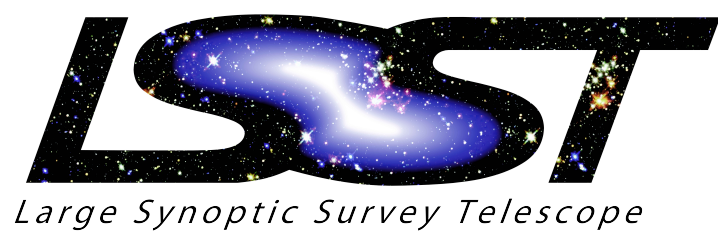


Eli Rykoff, + Dave Burke
and the DES Calibrations Crew



LSST/DESC Calibration Workshop

03 October, 2018



Introduction

- The Forward Global Calibration Method (FGCM) solves the global calibration problem with a physical model of the atmosphere and instrument
- Please see Burke, Rykoff+18 <http://adsabs.harvard.edu/abs/2018AJ....155...41B> and my talk in May: (link)
- Will describe progress, further steps, etc.

What is FGCM?

- The “Forward Global Calibration Method”
 - Solve the global calibration problem with a physical model of the atmosphere + instrument
 - Picking up on Stubbs & Tonry (2006)
 - Requires instrument throughput measurements
- Given a set of atmospheric parameters at any given time (under photometric conditions) we can predict the atmospheric extinction as a function of wavelength
 - Also need to know object SED (see e.g., Li+16)
- Once we know the atmospheric extinction, can predict fluxes of all the objects in an exposure

Advantages of FGCM

- Forward model approach always leads to physically possible solutions
 - Allows physically-motivated non-linearities with airmass
 - No gray terms in the model means no runaway solutions
- Uses full range of star colors — increase the s/n and this is useful information!
- Instrumental transmission variations, plus possible evolution of passbands is properly incorporated
- Works best with more overlap in time and space (like übercal), and multiple bands per night is very useful

The Atmosphere Model

- Atmospheric transmission can be described with a small number of parameters
 - Precipitable water vapor (PWV)
 - Aerosol Optical Depth (AOD) τ and α

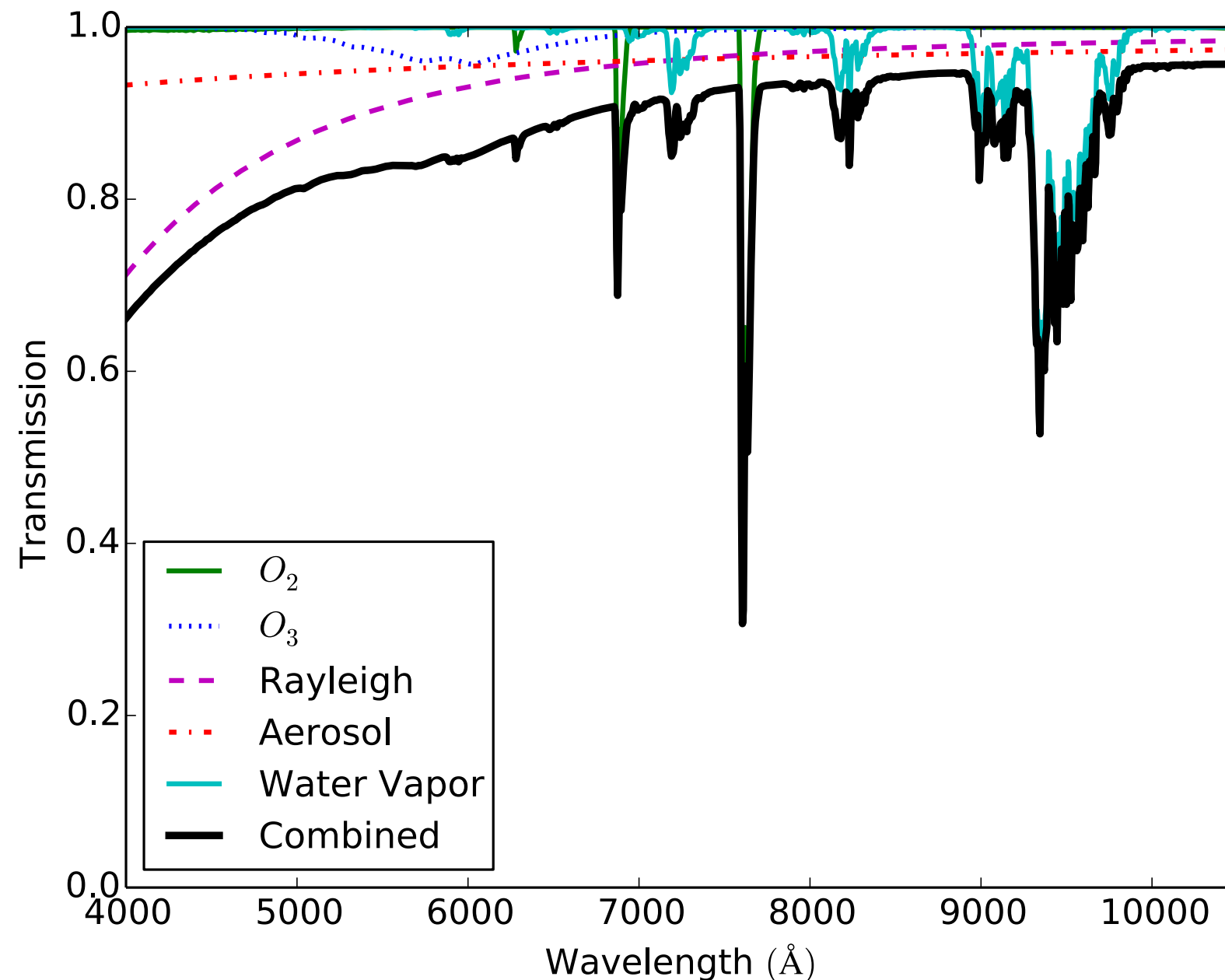
$$\tau(\lambda) = \tau_{7750} \times (\lambda/7750 \text{ \AA})^{-\alpha}$$

$$S_{\tau}(\lambda) = e^{-X\tau(\lambda)}$$

- Ozone (O_3)
- Given zenith distance and barometric pressure, compute Rayleigh and O_2 using MODTRAN

Atmosphere Constituents

- The FGCM standard atmosphere model



Fit Parameters

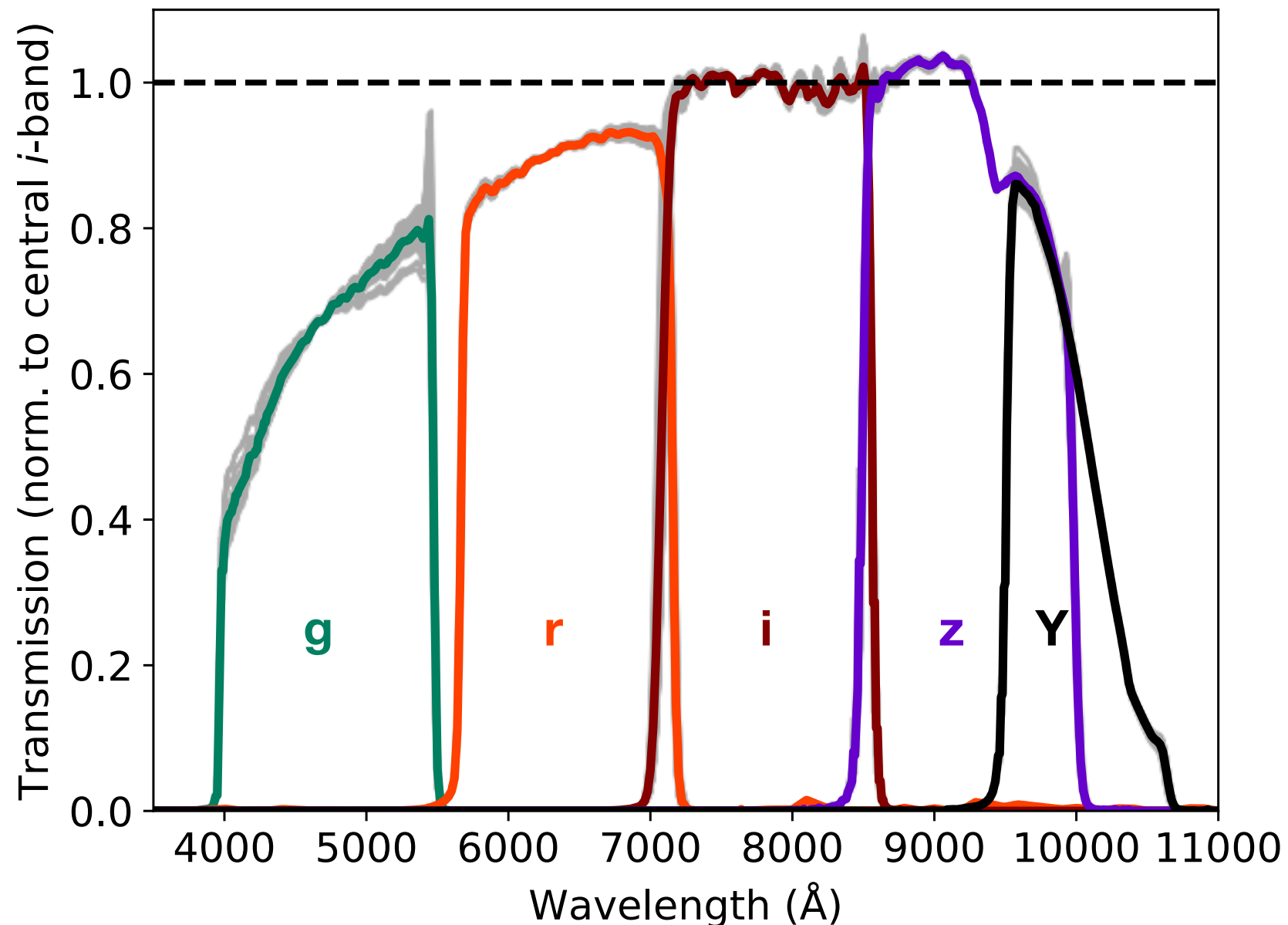
- PWV varies linearly through the night
 - Could/should add quadratic term
- A single-constituent aerosol, with optical depth τ_{7750} that varies linearly through the night, and single α per night
- A single value for Ozone each night
- Plus airmass and site-monitored barometric pressure

Instrumental Passband

- Instrumental effects (filter variations, anti-reflective coating differences, CCD QE differences) are as big or bigger than atmospheric effects
- Require (at least) CCD-by-CCD scans
 - For DES from the “DECal” system
 - For LSST from the CBP

Filters+CCDs

- From the DECam monochromatic scans
 - g band especially variable from chip to chip



Paris on Sunday



Paris on Sunday



Paris on Sunday

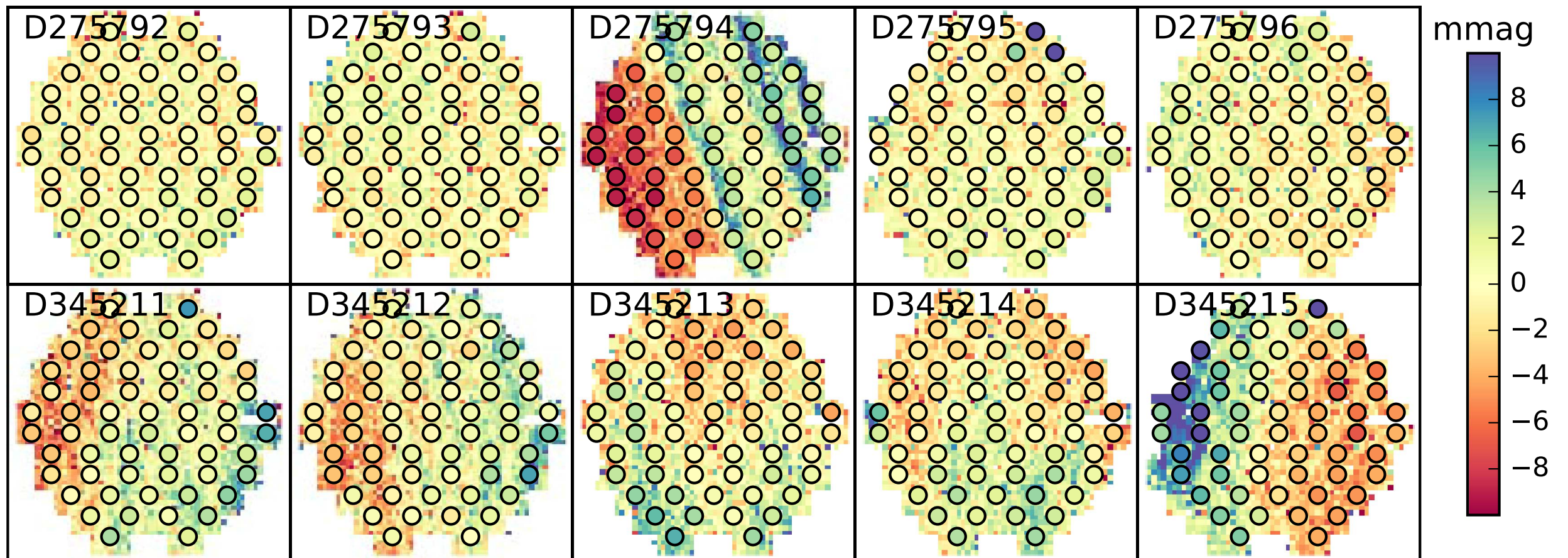


Paris on Sunday



Spatial Residuals

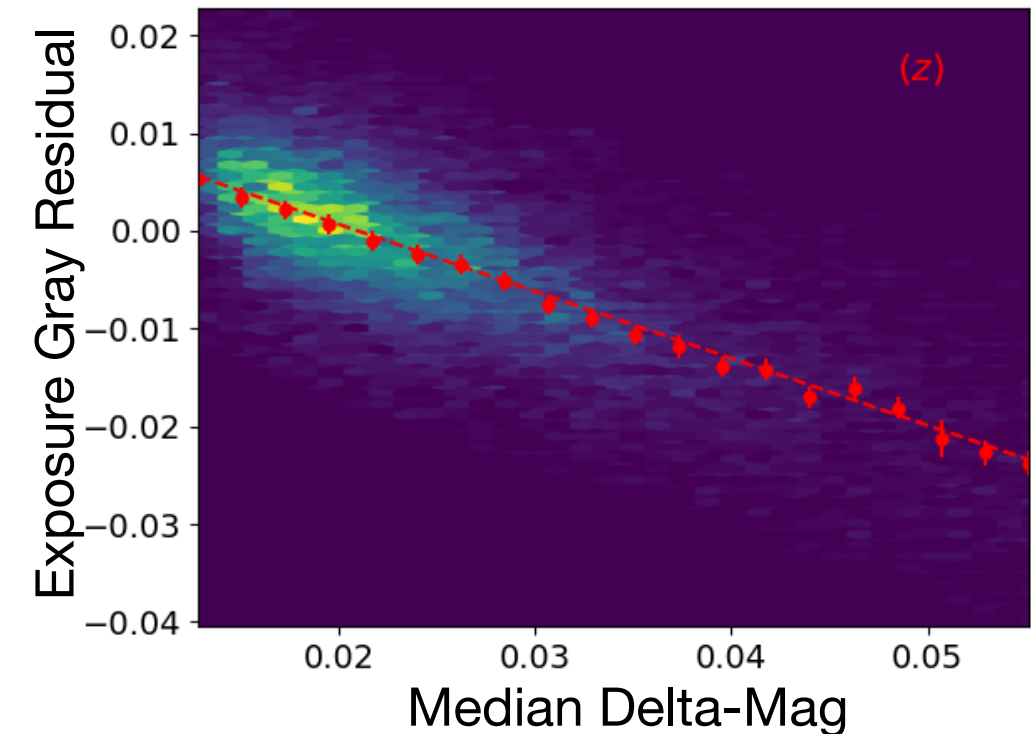
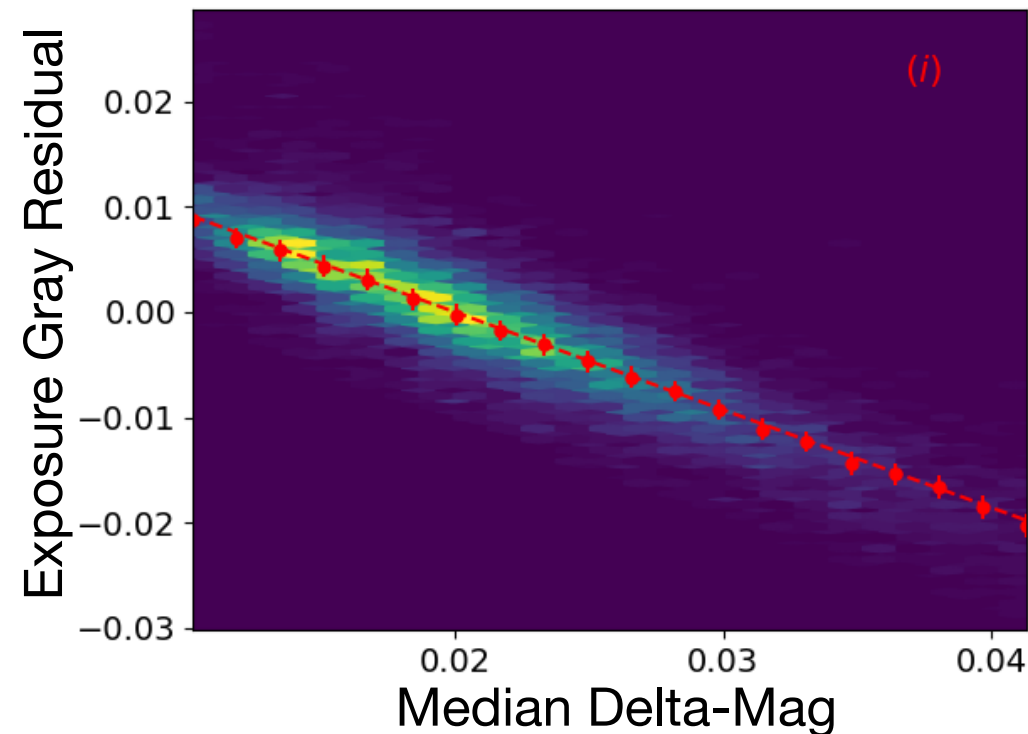
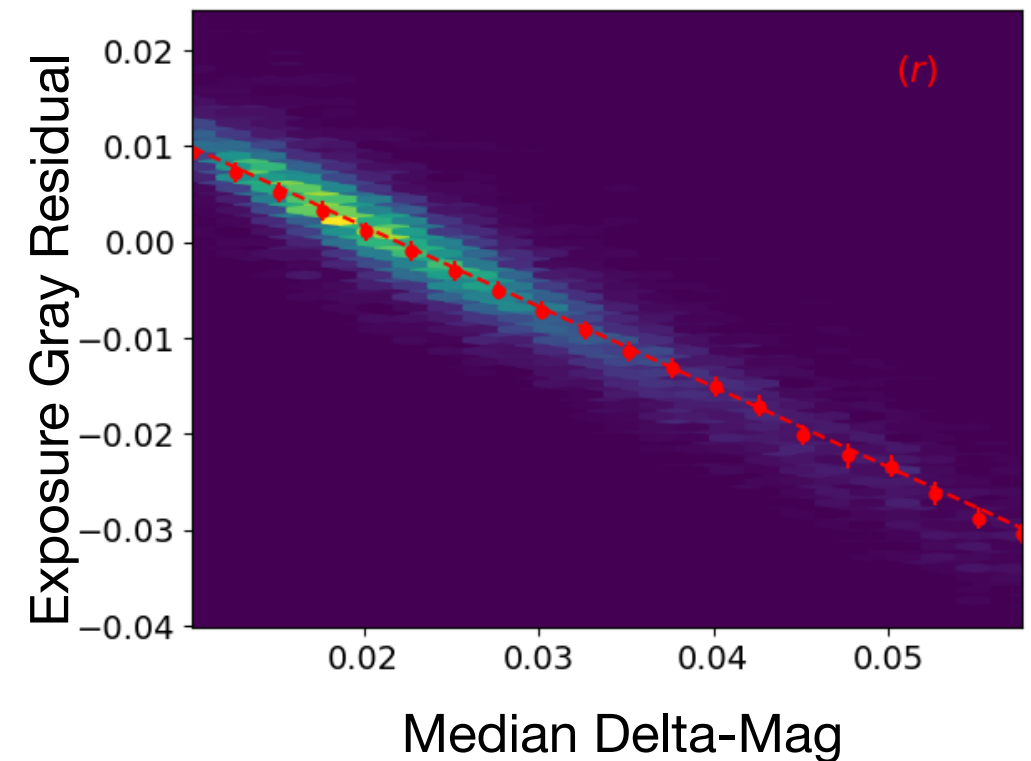
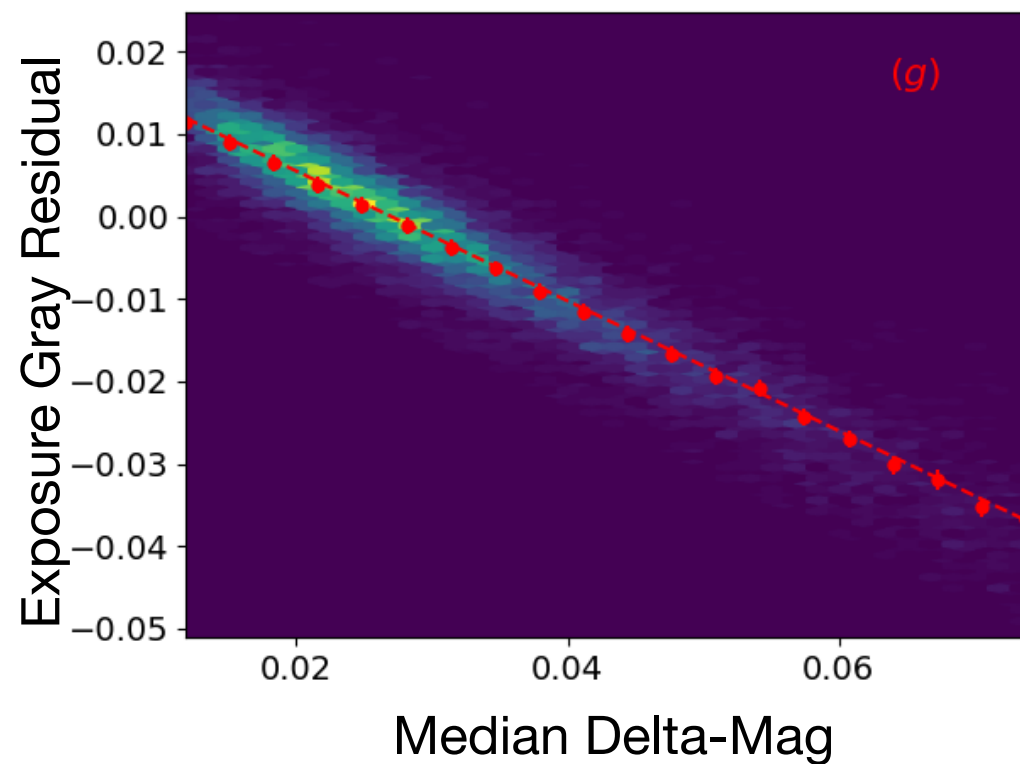
- Each panel is one exposure
- The background are the photometric residuals
- Inside the circles shows the predicted photometric residuals from the aperture correction



Bernstein++18

Aperture Corrections

- Compute median of Aperture mag (8") - (6")



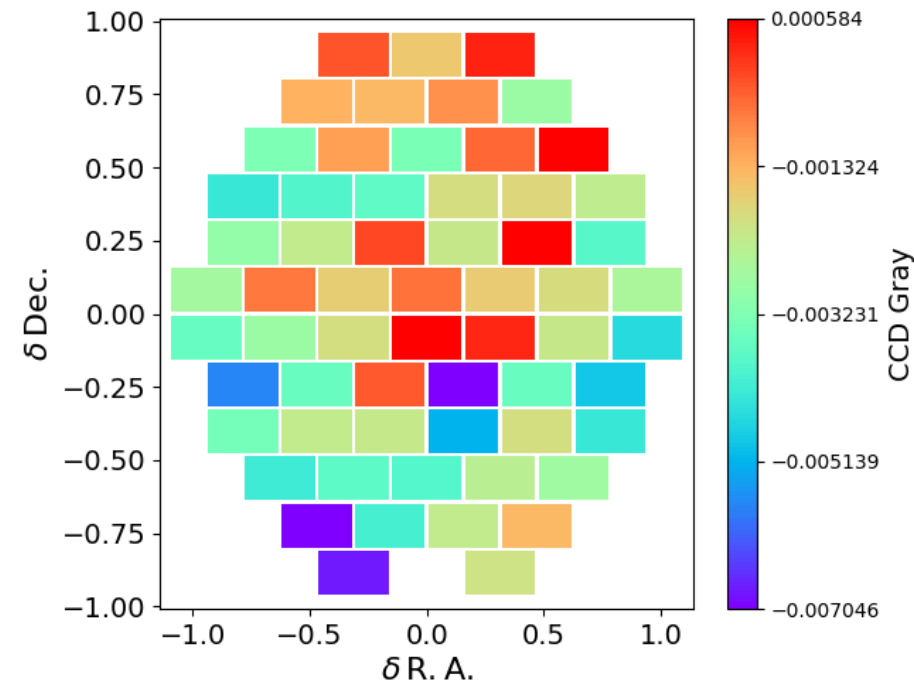
Gary's Conclusion

In summary, we find that *all* of the deviations above ≈ 1 mmag rms from a static response function plus secant airmass law on short timescales are plausibly attributable to spatial/temporal variations in aperture corrections. The A_t statistic measured from bright stars is an accurate predictor of these aperture corrections, so on a typical half-hour stretch of clear-sky observations we can homogenize the exposure zeropoints to ≈ 1 mmag, and if we have sufficient stellar data in an exposure to map out variation of A_t across the FOV, we could reduce any intra-exposure inhomogeneity to similar level.

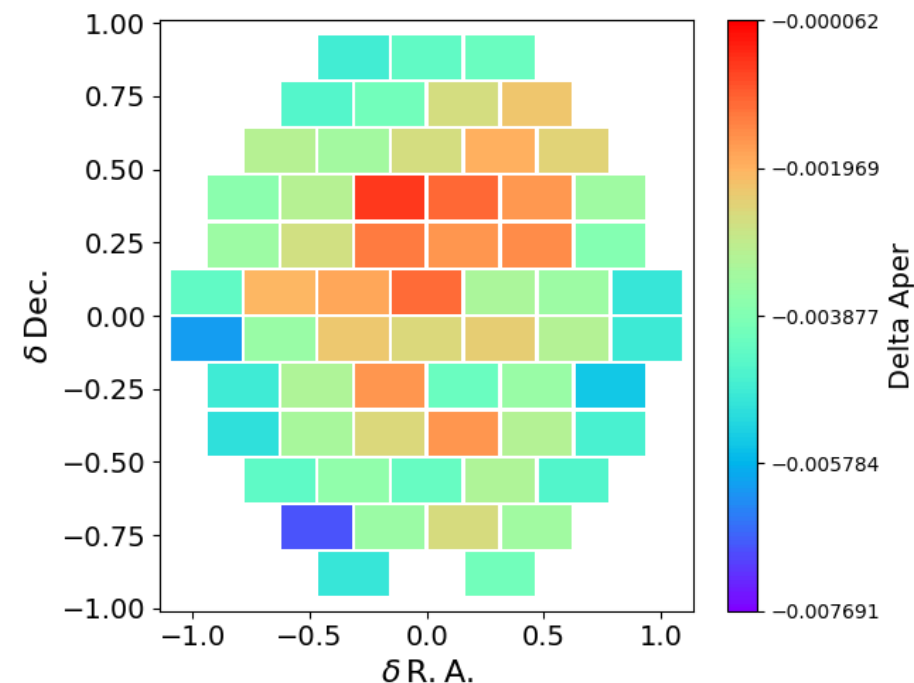
Spatial Variations in Wide-Field

- Comparing predictions to A

A typical exposure



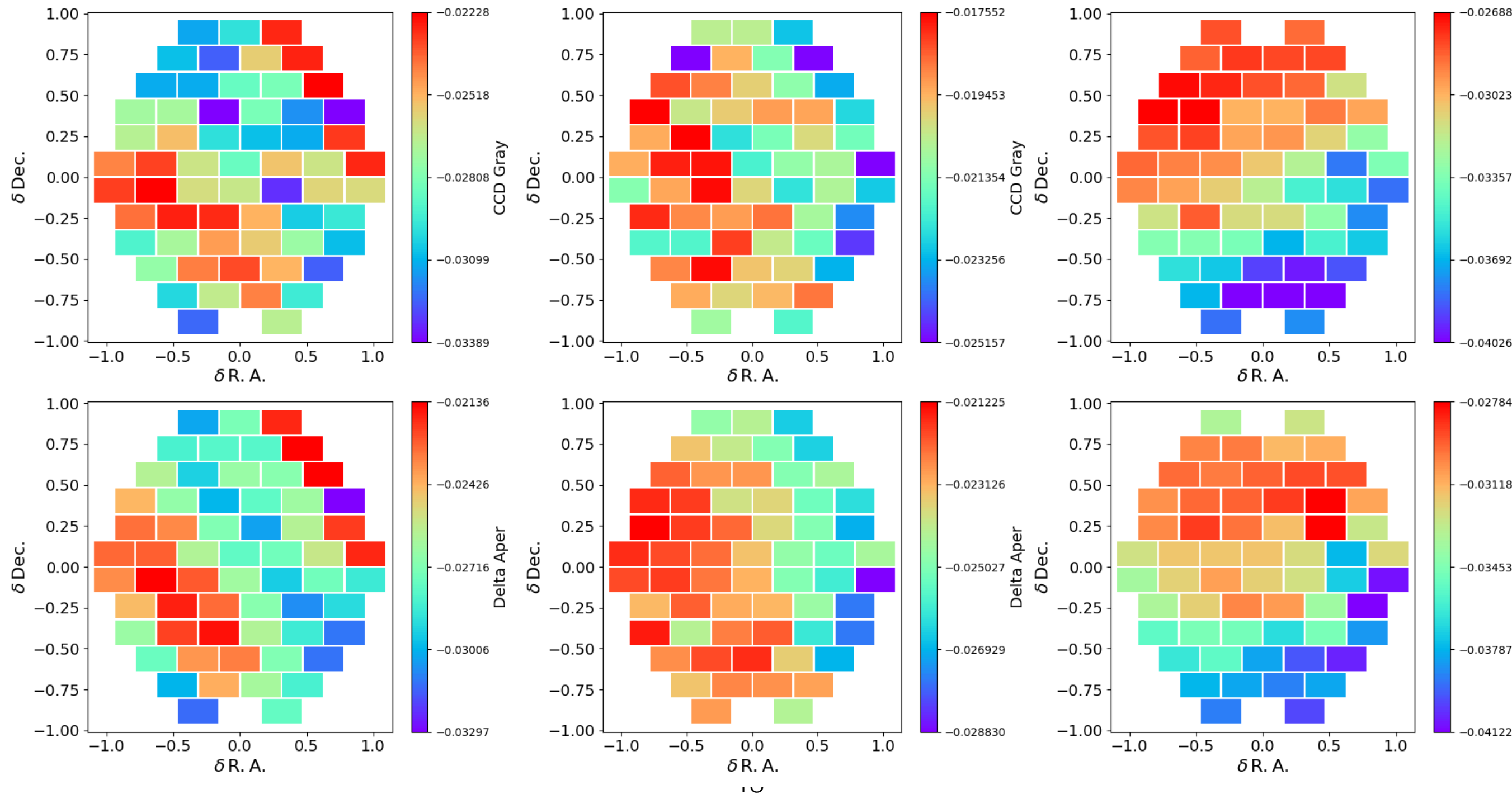
Per-CCD Fit Residual



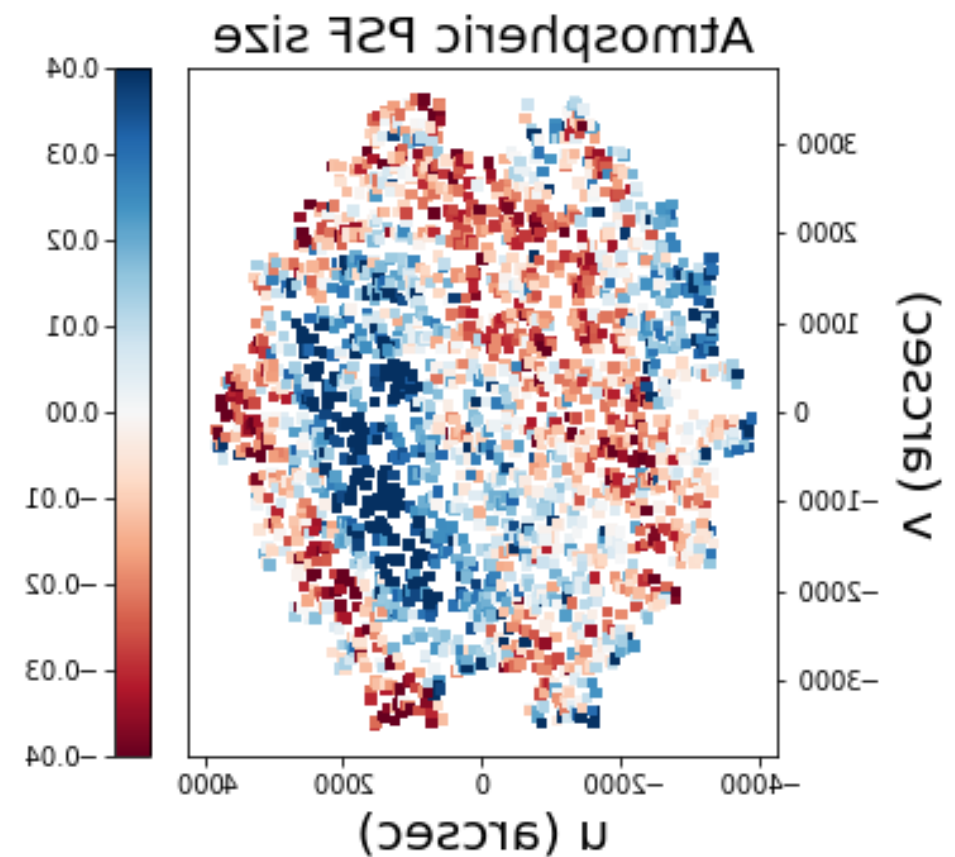
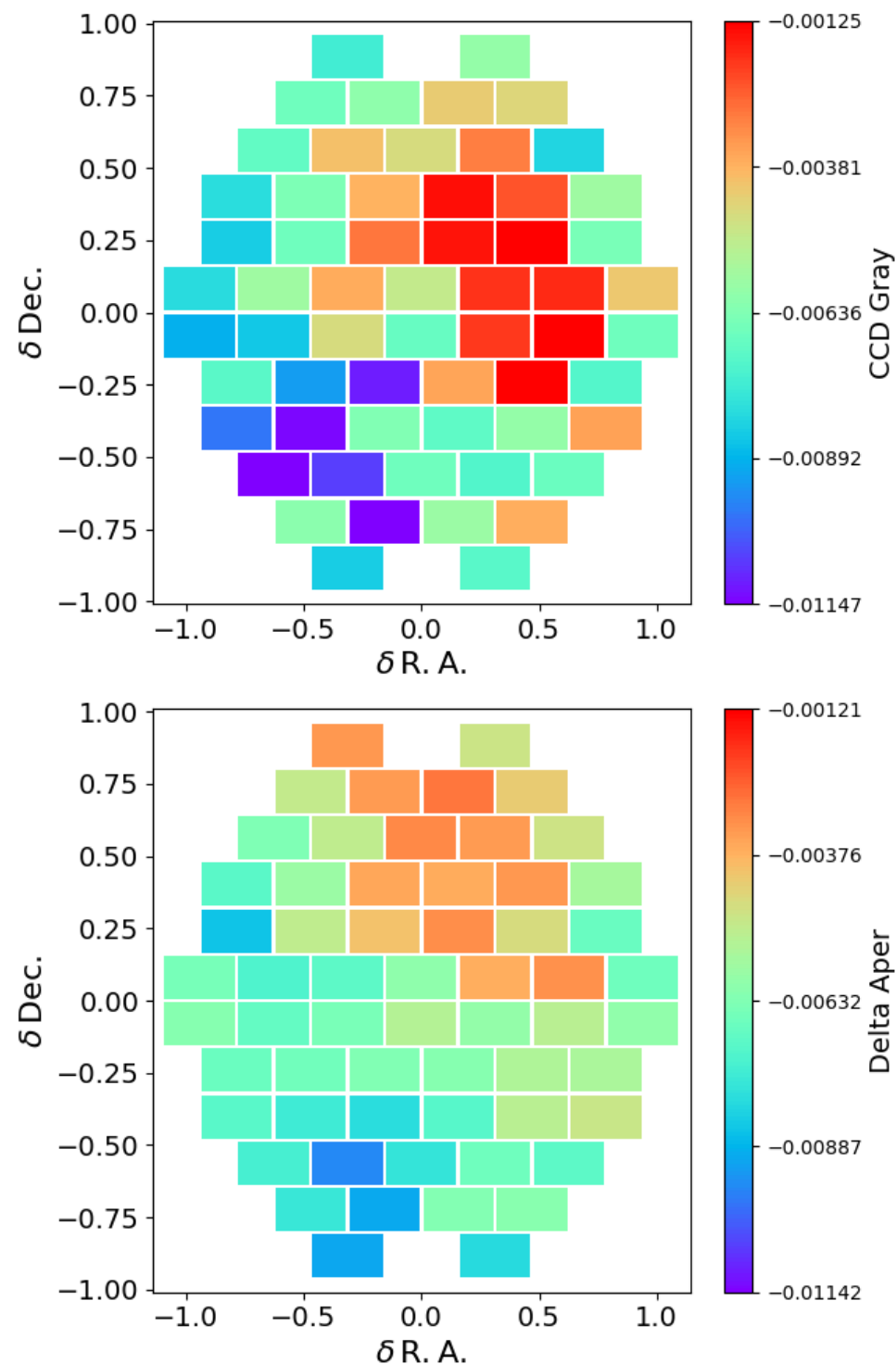
Per-CCD residual predicted
from Delta-Aper

Spatial Variation in Wide Field

- Some less typical exposures (top: measurements; bottom: predictions)



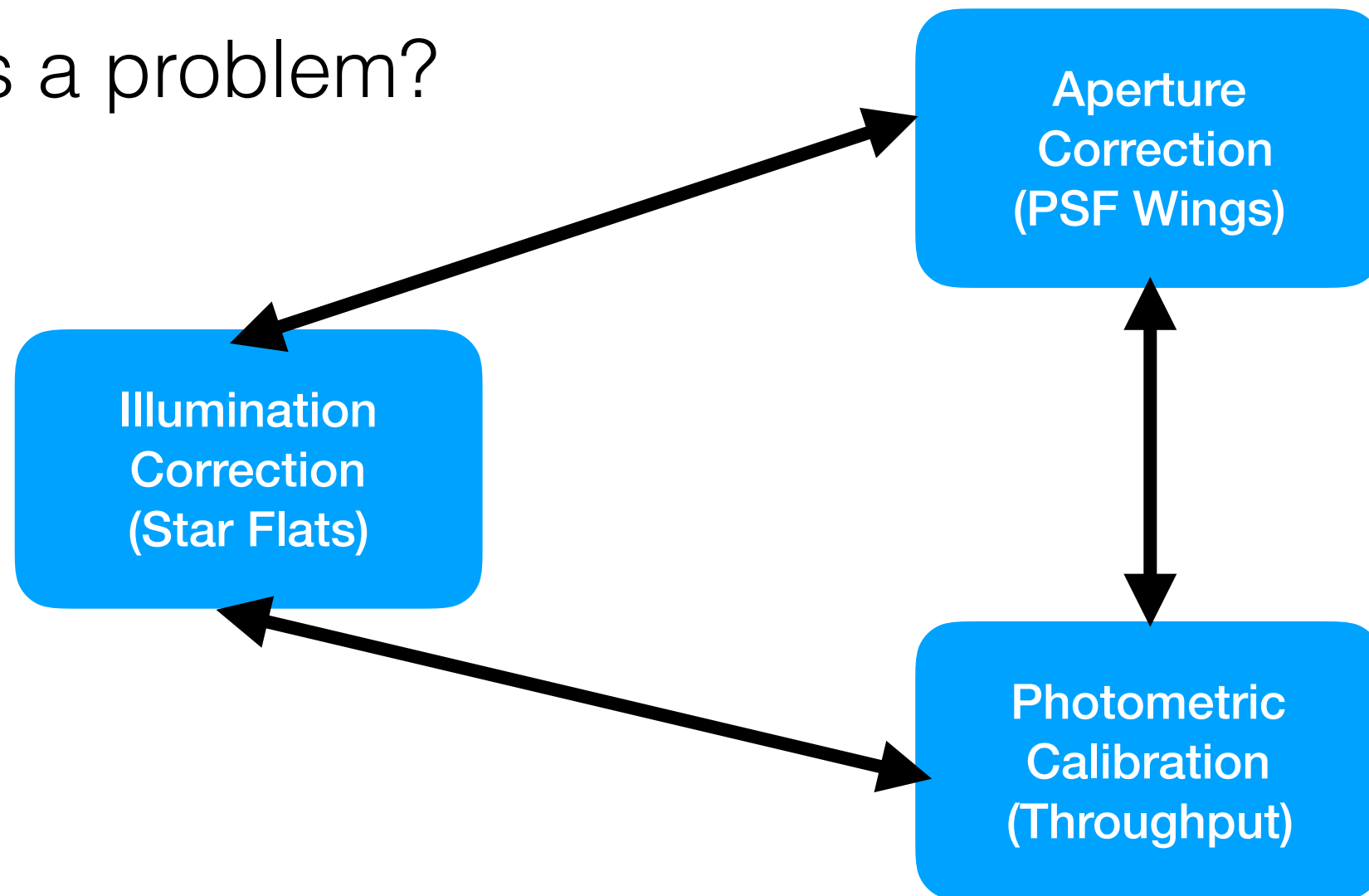
Spatial Variation in Atmospheric PSF



Atmospheric model for PSF size
(see Pierre-Francois' talk next)

Ambiguities in Calibration

- We currently use uncorrected aperture magnitudes as the basis of calibration
- This leads to ambiguities in the sources of variation
- Is this a problem?



Modeling Magnitude Errors

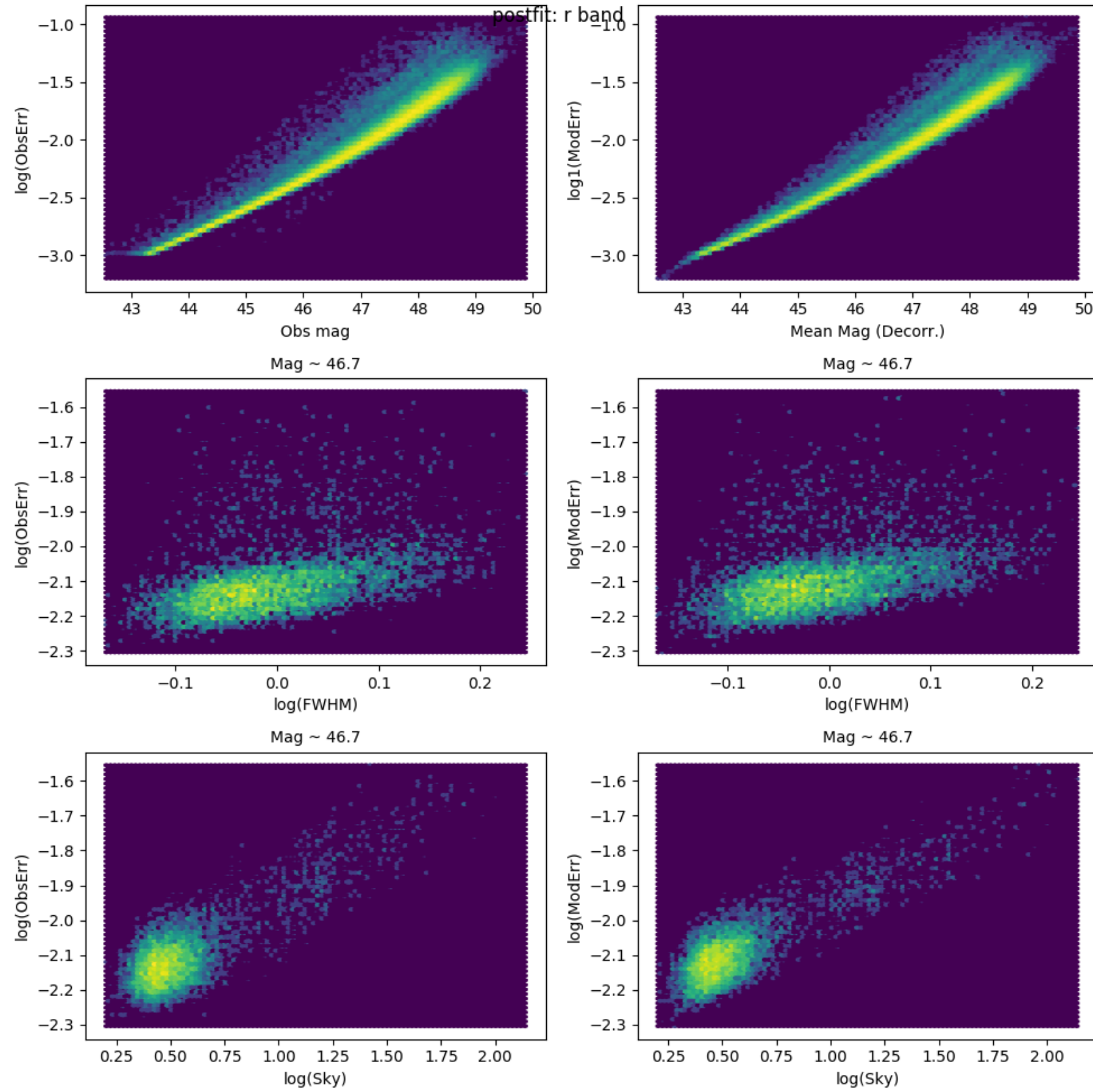
- The FGCM computation for chi2 uses the quoted photometric errors (as comes out of the pipeline)

$$\overline{m_b^{\text{std}}(j)} = \frac{\sum_i m_b^{\text{std}}(i, j) \sigma^{\text{phot}}(i, j)^{-2}}{\sum_i \sigma^{\text{phot}}(i, j)^{-2}}$$

$$\chi^2 = \sum_{(i,j)} \frac{\left(m_b^{\text{std}}(i, j) - \overline{m_b^{\text{std}}(j)}\right)^2}{\sigma^{\text{phot}}(i, j)^2}$$

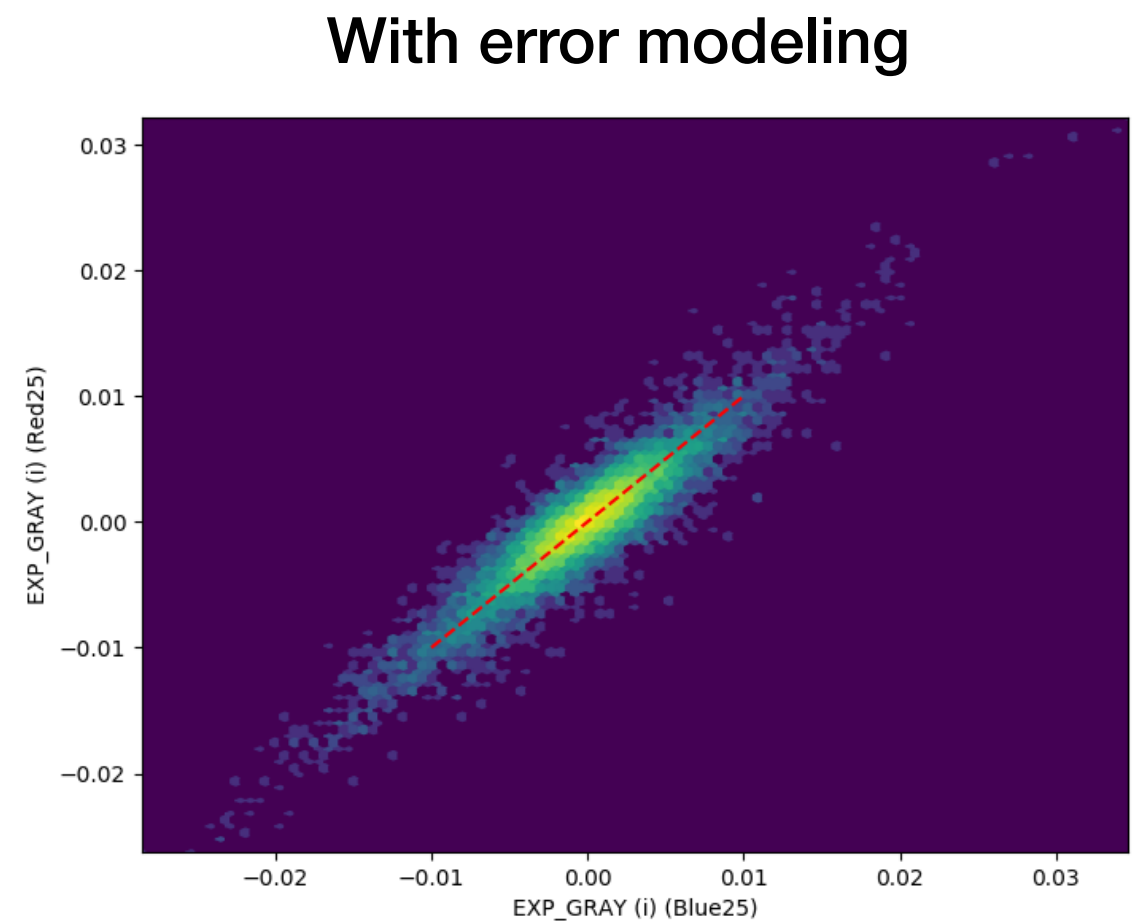
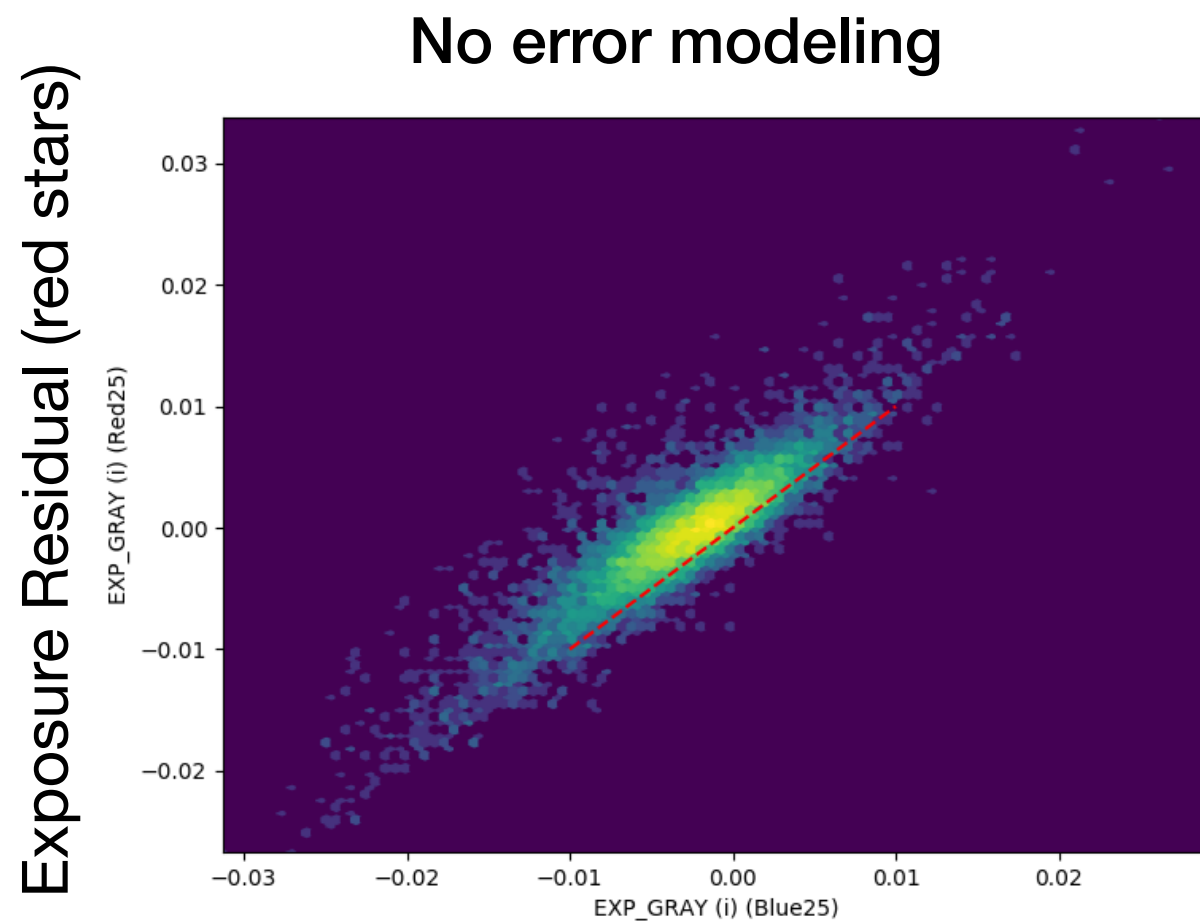
- This can be biased near the faint end because of fluctuations.
- We can predict the magnitude error empirically given the sky brightness, seeing, and knowledge of the true magnitude + local transparency

Modeling Magnitude Errors



Modeling Magnitude Errors

- Look at gray residuals per exposure for red vs blue stars



Gaia Flux Excess

- Before I look again at the uniformity compared to Gaia, let's look at the uniformity of Gaia internally
- Gaia DR2 suggests using the “flux excess” which is $(\text{flux}_{\text{BP}} + \text{flux}_{\text{RP}}) / \text{flux}_{\text{G}}$ ($> \sim 1$) to cut bad objects

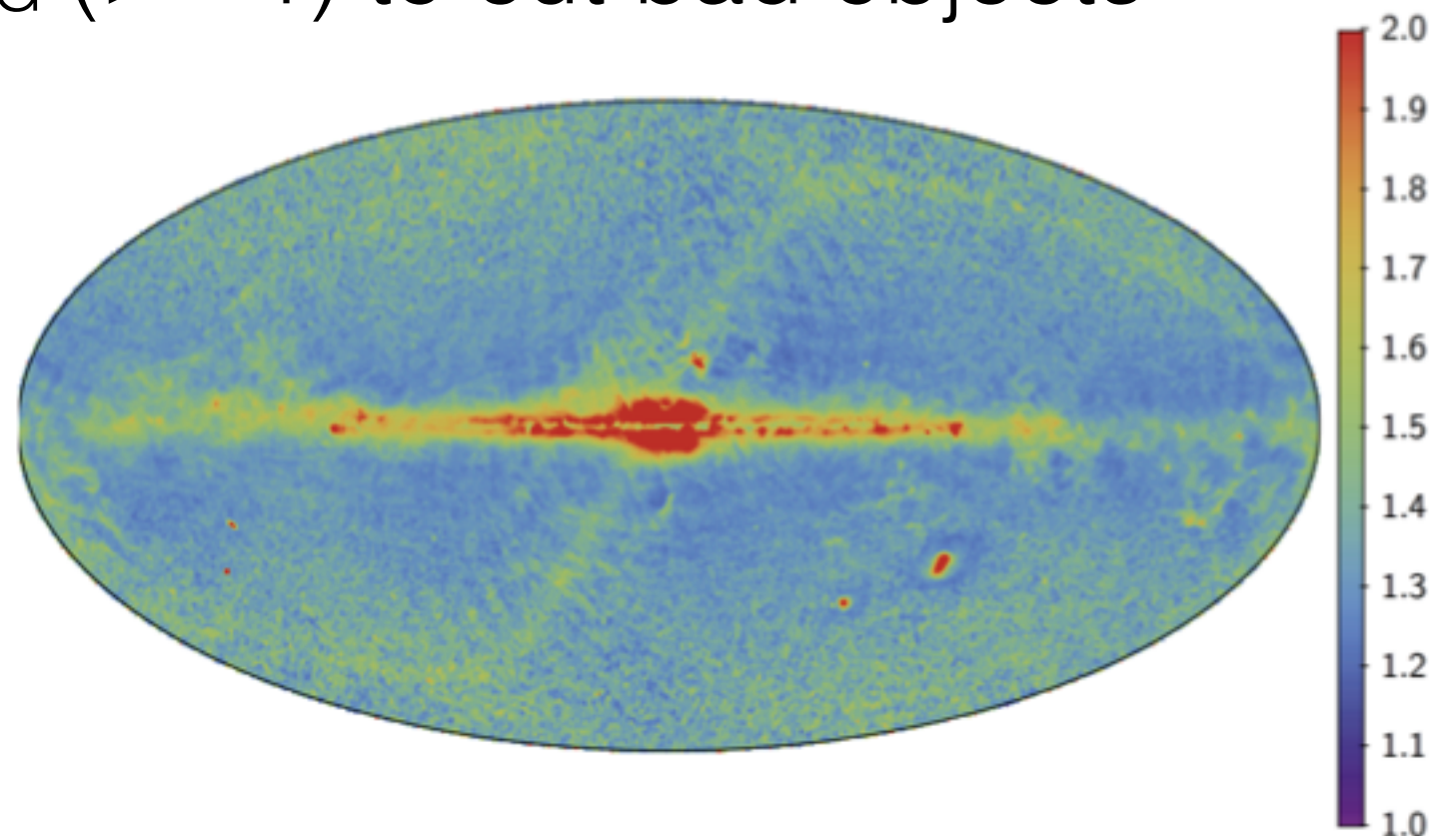
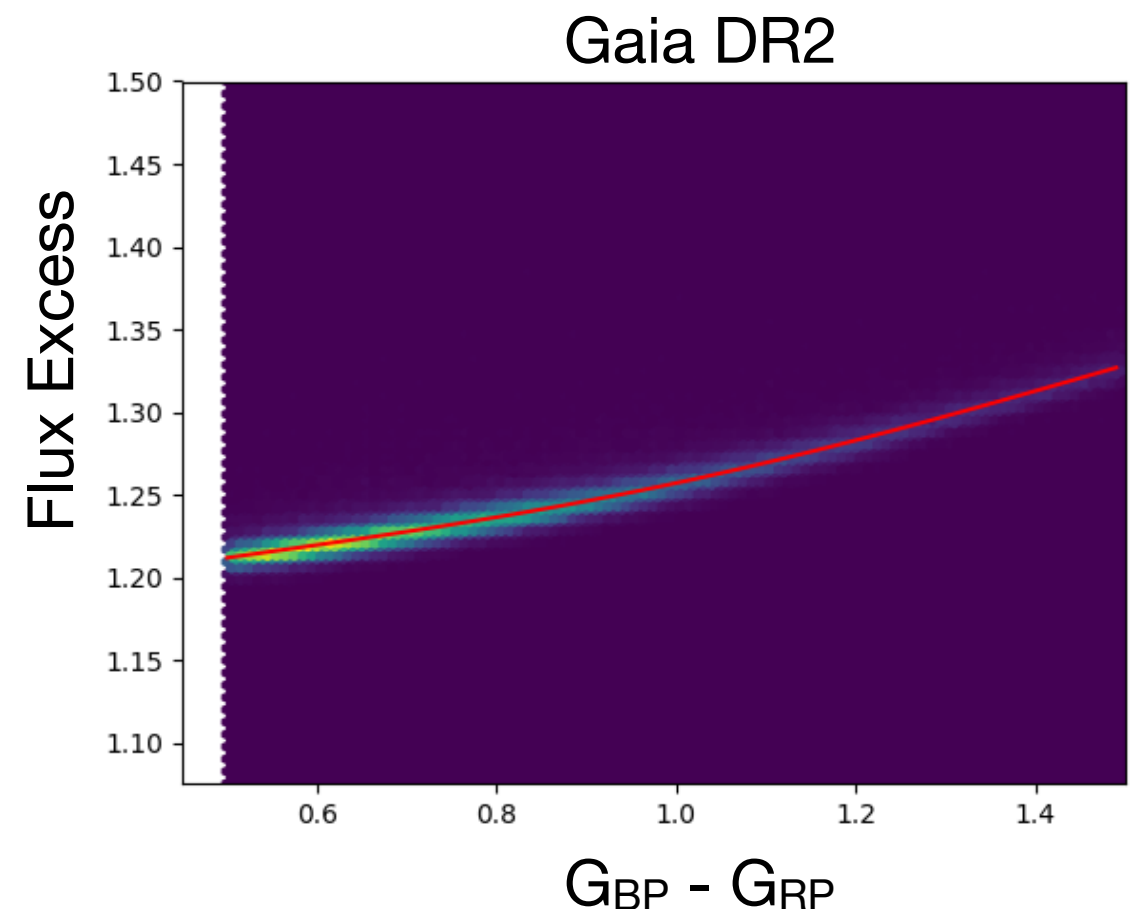
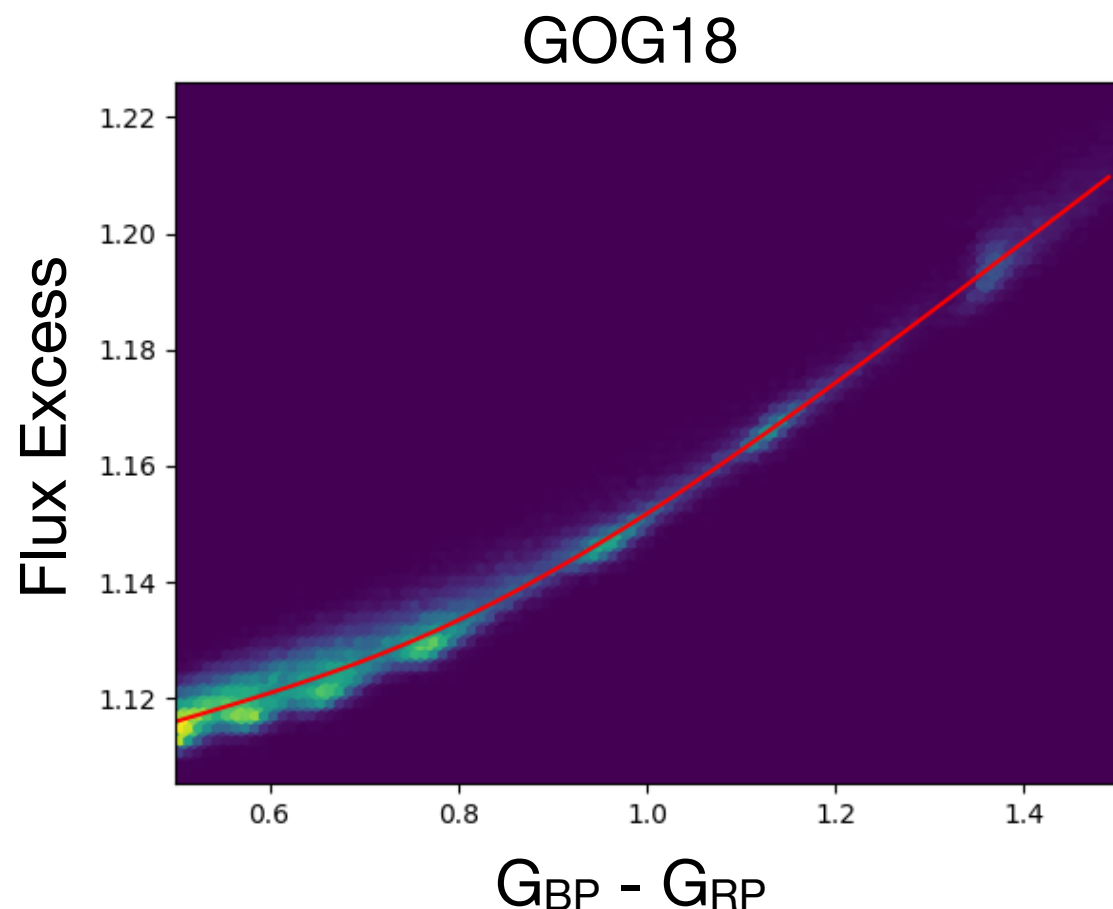


Fig. 18. Median flux excess in galactic coordinates for a random set of sources.

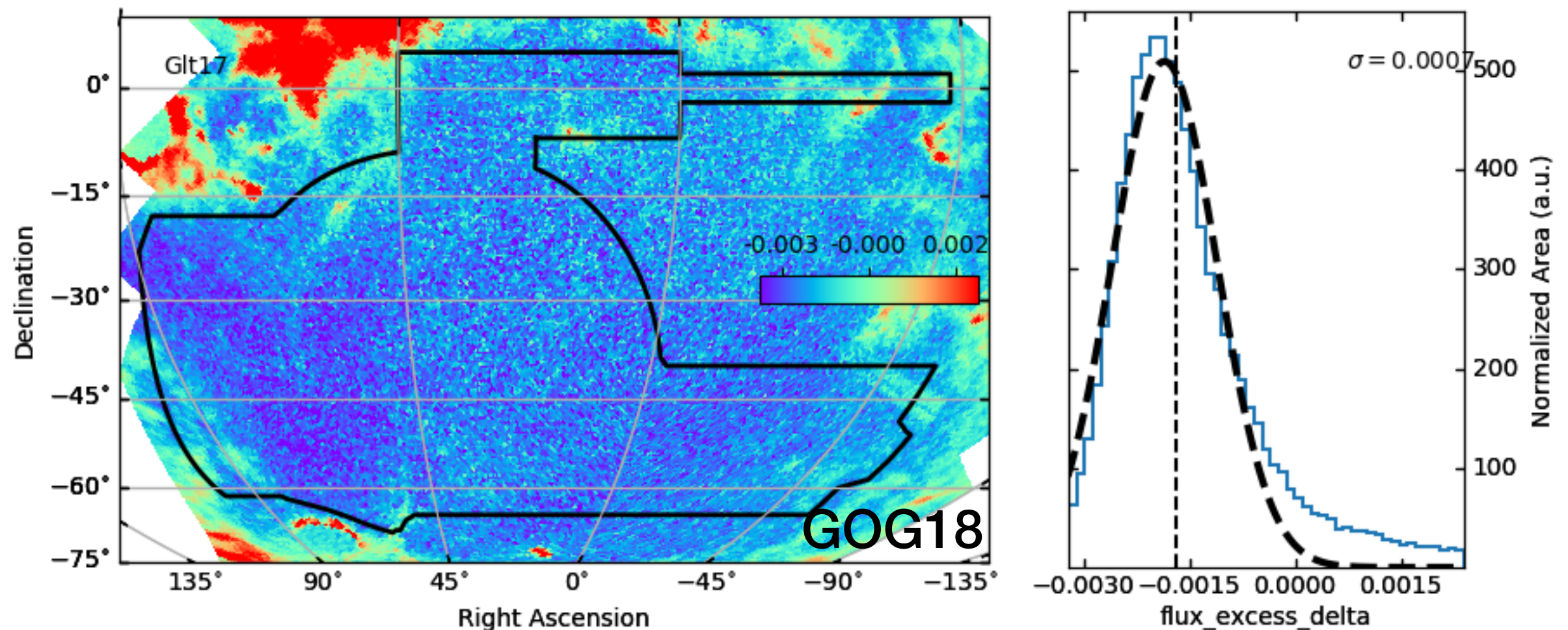
Gaia Flux Excess

- We can calibrate the flux excess as a function of Gaia color for both Gaia Object Generator (GOG18) and Gaia DR2
- GOG18 is supposed to give realistic errors for the full Gaia survey



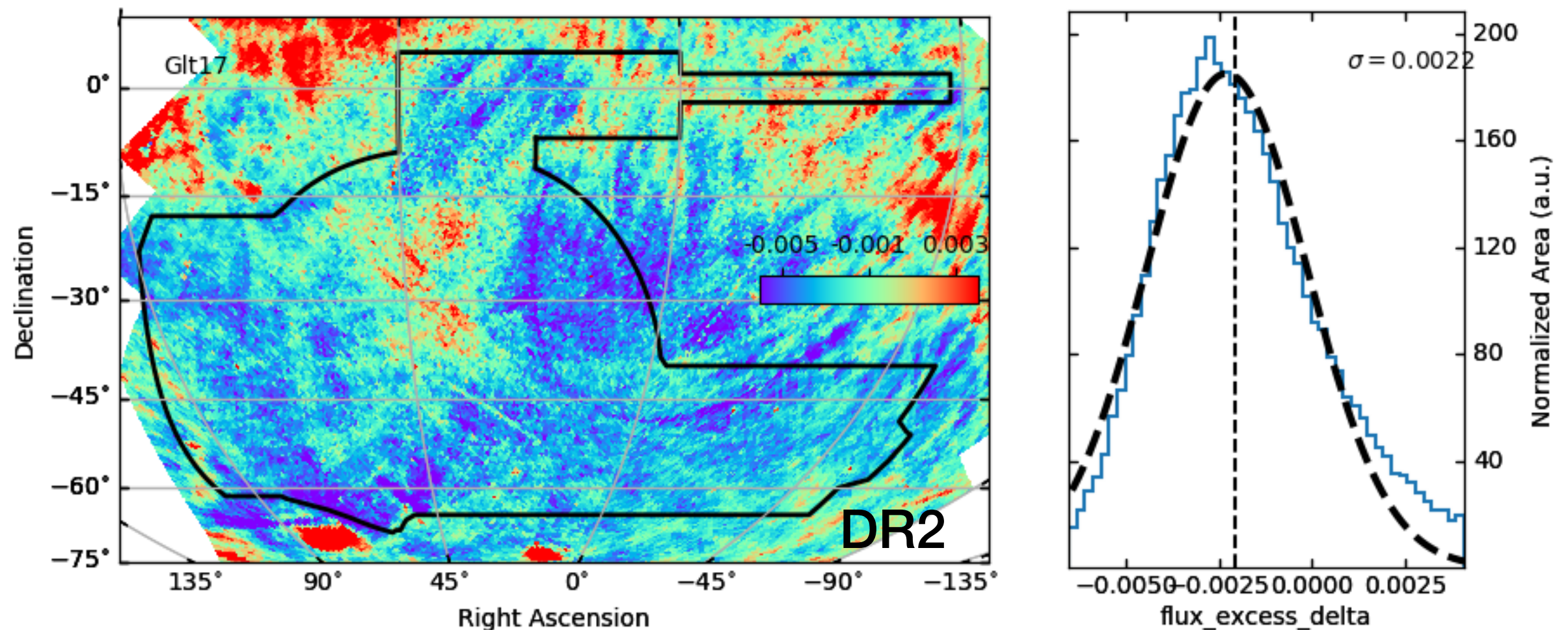
Median Flux Excess Map

- Look at the median flux excess as a function of position for GOG18



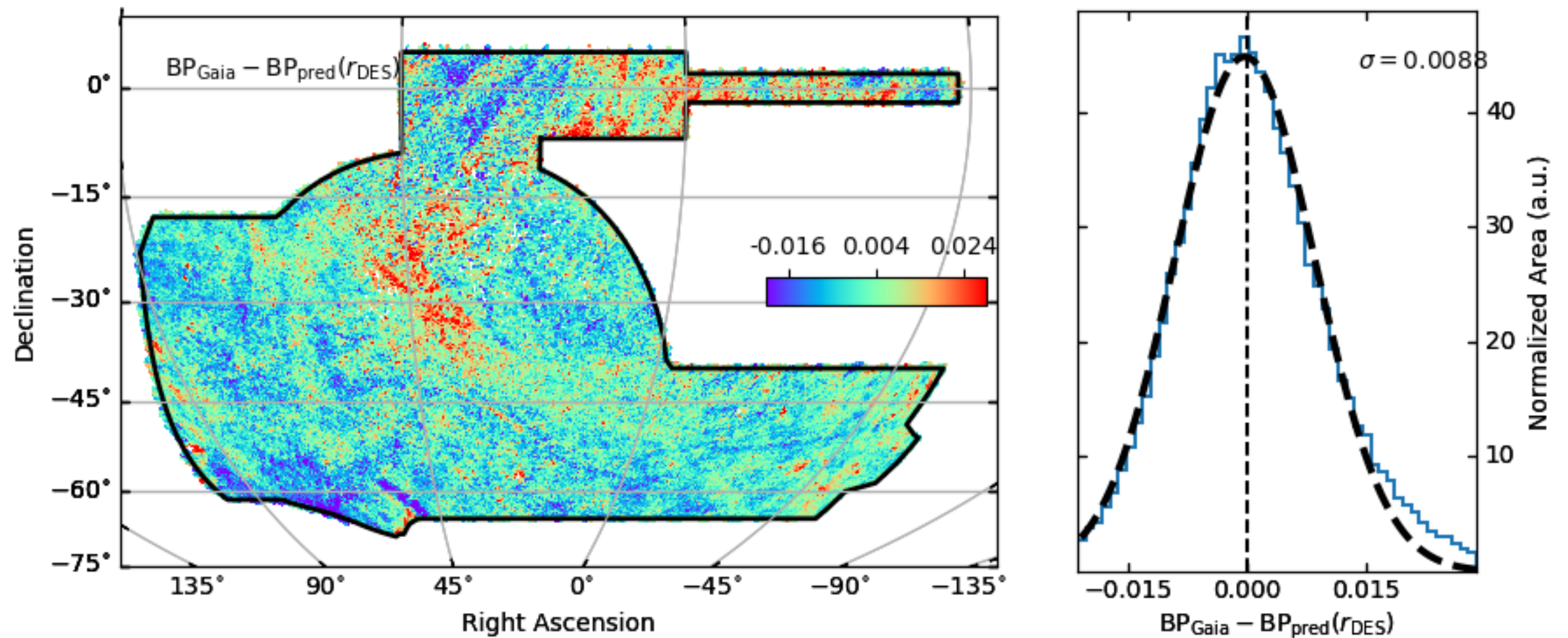
Median Flux Excess Map

- Look at the median flux excess as a function of position for Gaia DR2



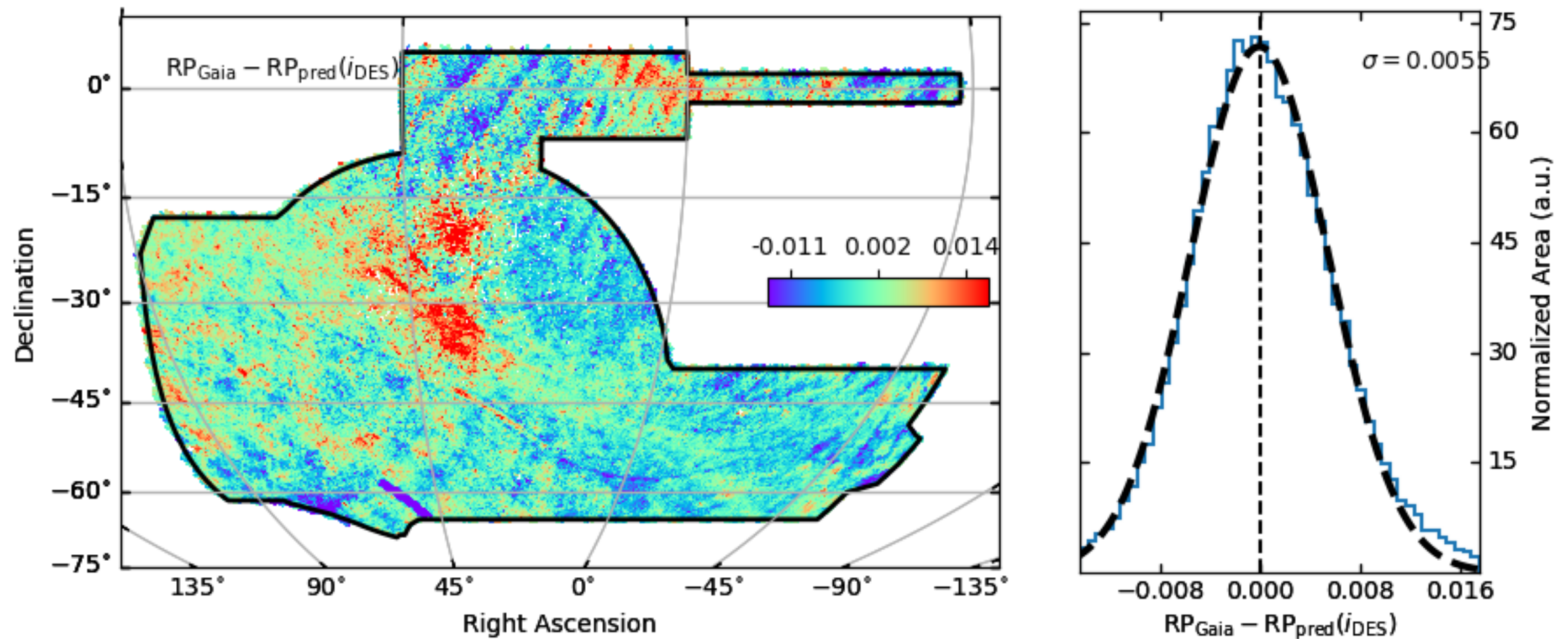
Gaia BP and DES r

- Offsets are highly correlated with internal Gaia offsets



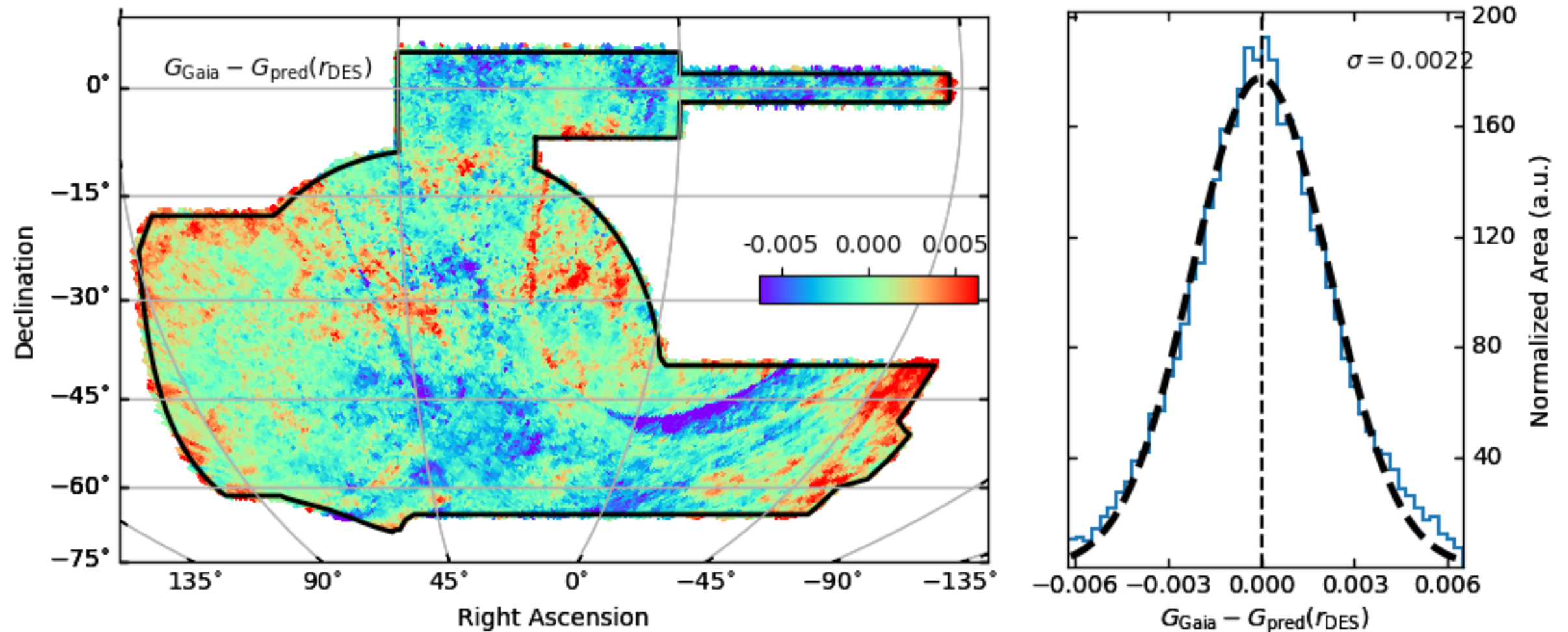
Gaia RP and DES I

- Offsets are highly correlated with internal Gaia offsets



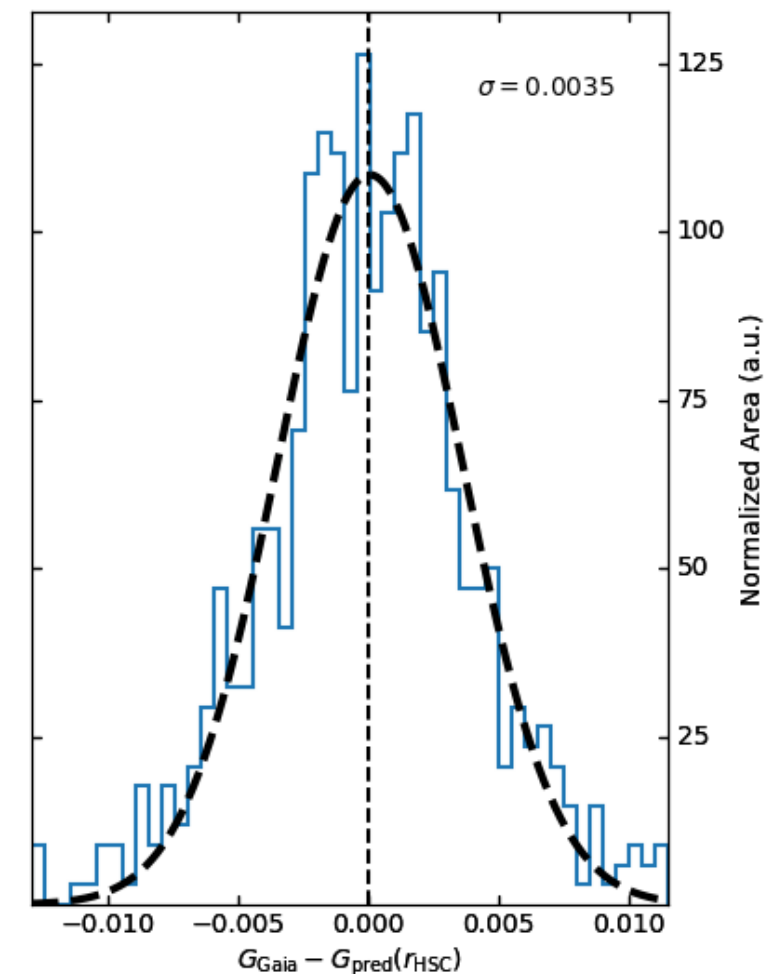
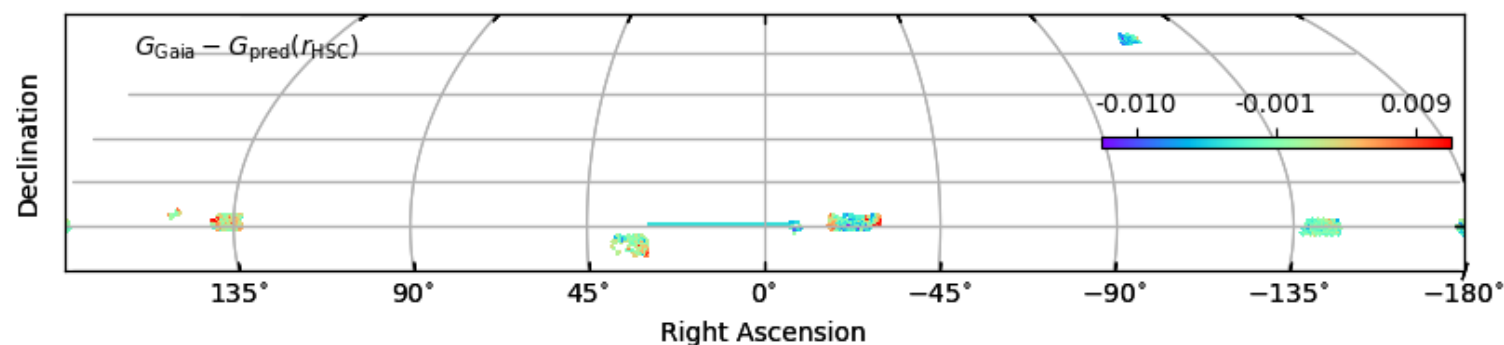
Gaia G and DES r

- Latest comparison plot between Gaia G and DES r + g-r + r-i + i-z (best SED transfer)
- 2.2 mmag uniformity (low Galactic latitude)



HSC PDR1 Uniformity

- ~ 4 mmag in r-band after comparing to Gaia DR2
- Though some systematics between widely separated fields

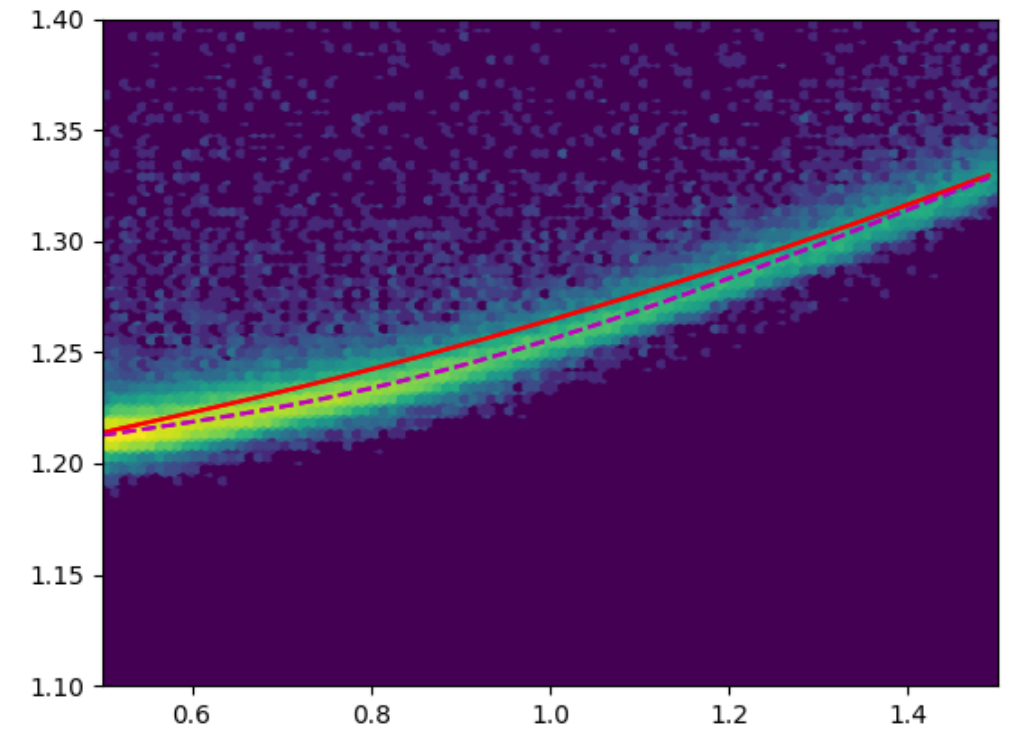
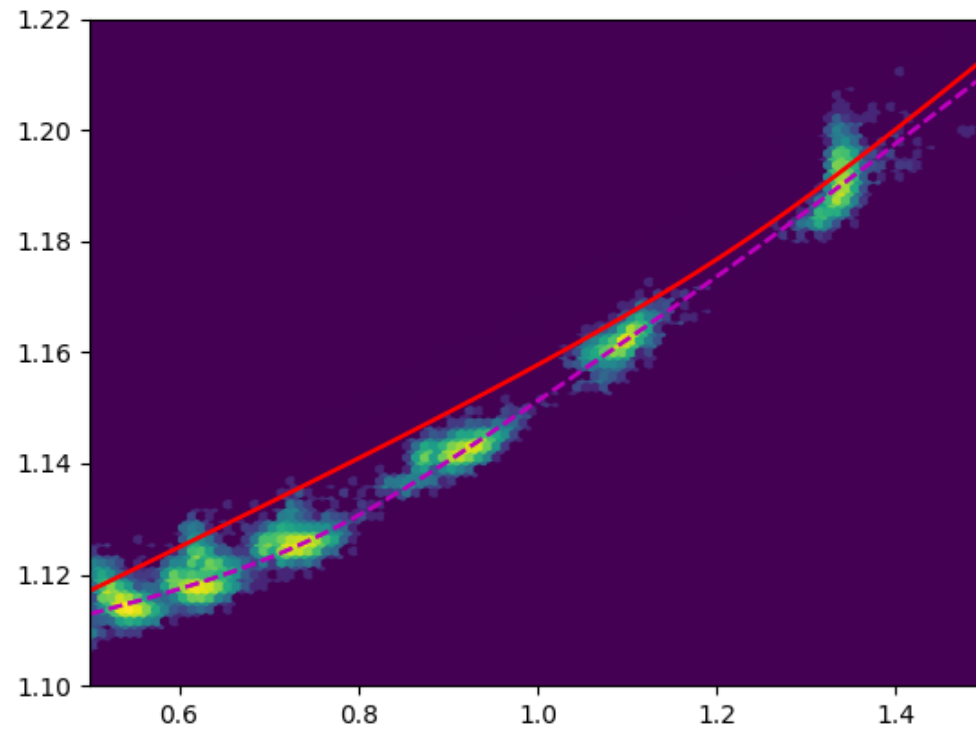


About that Reddening...

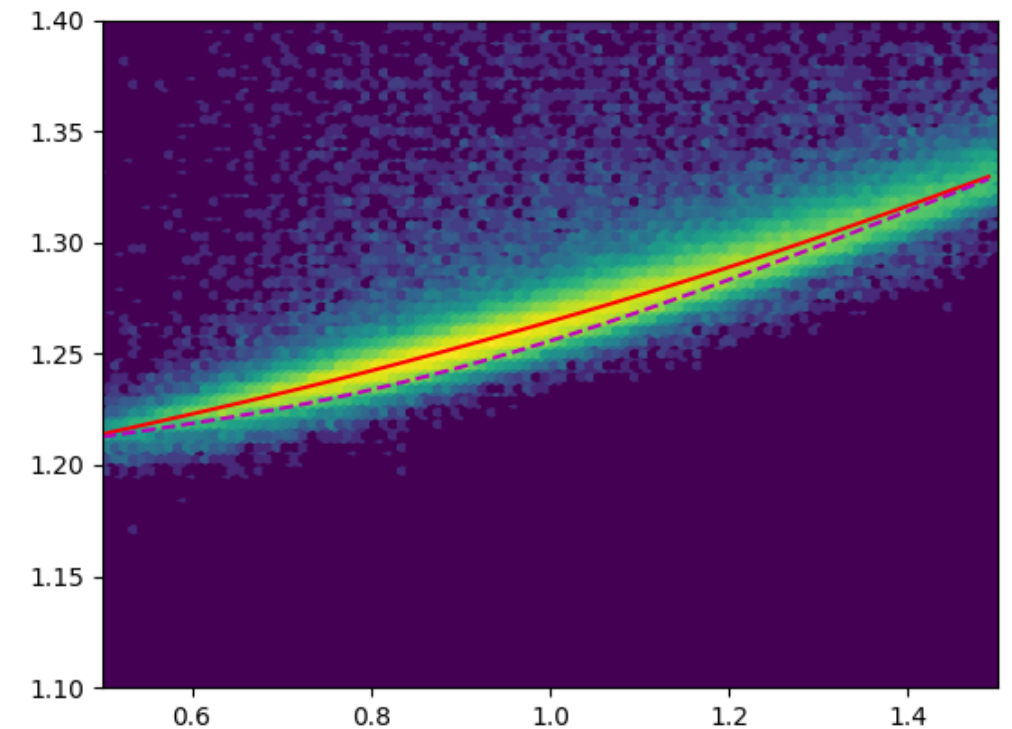
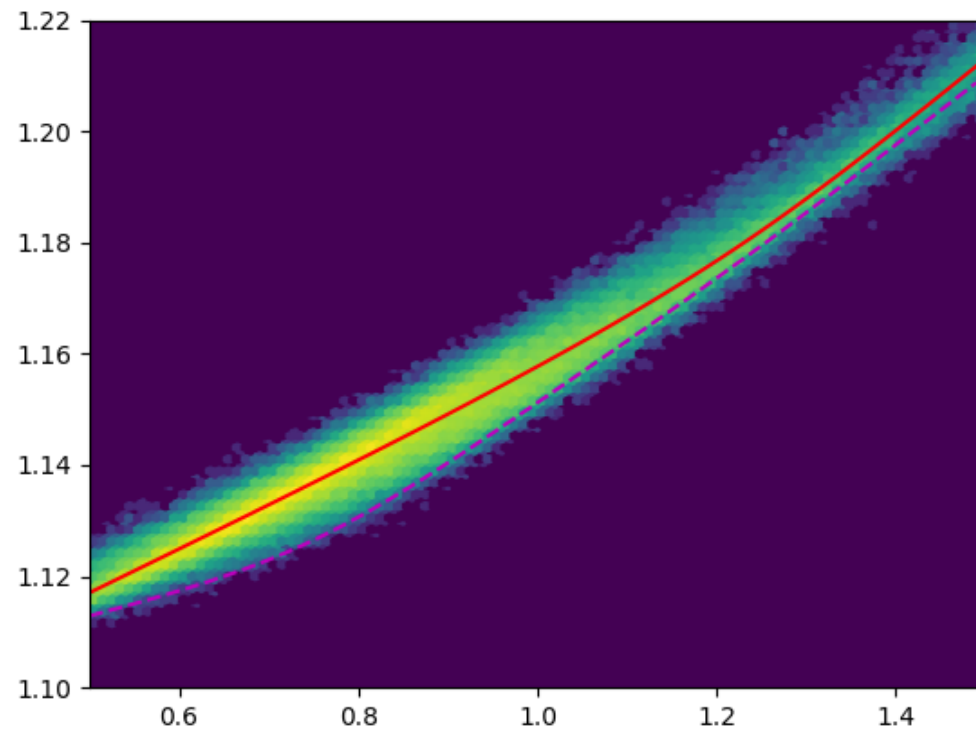
GOG18

DR2

Low
Reddening

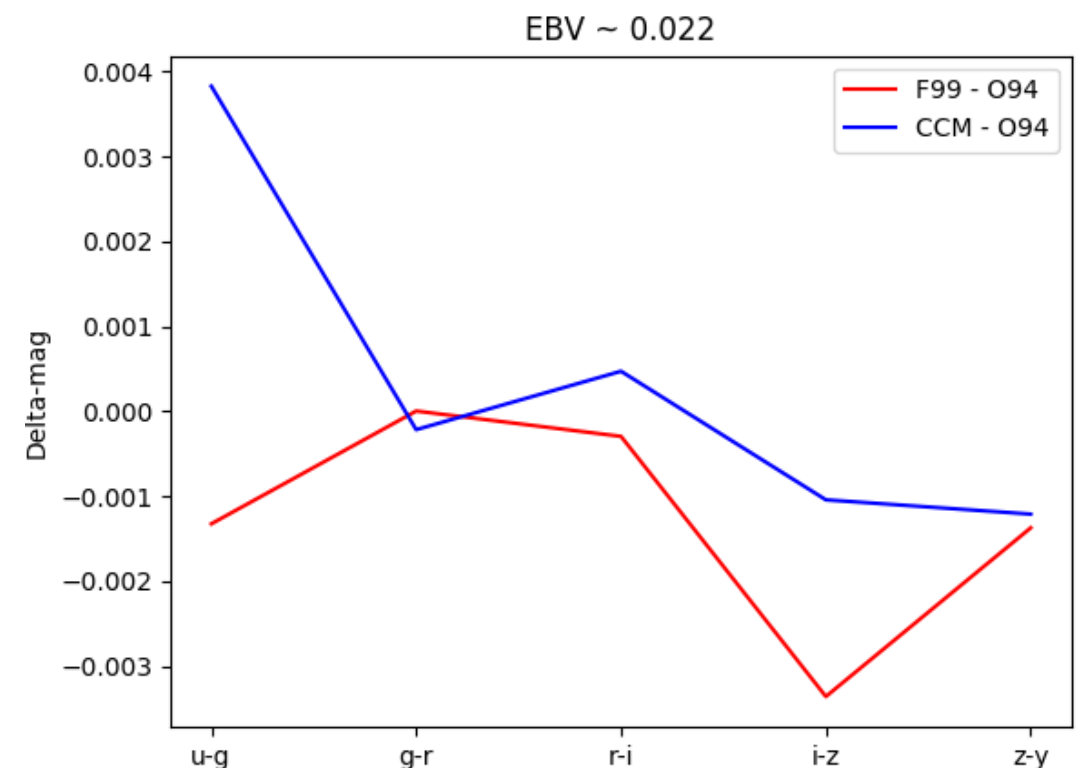
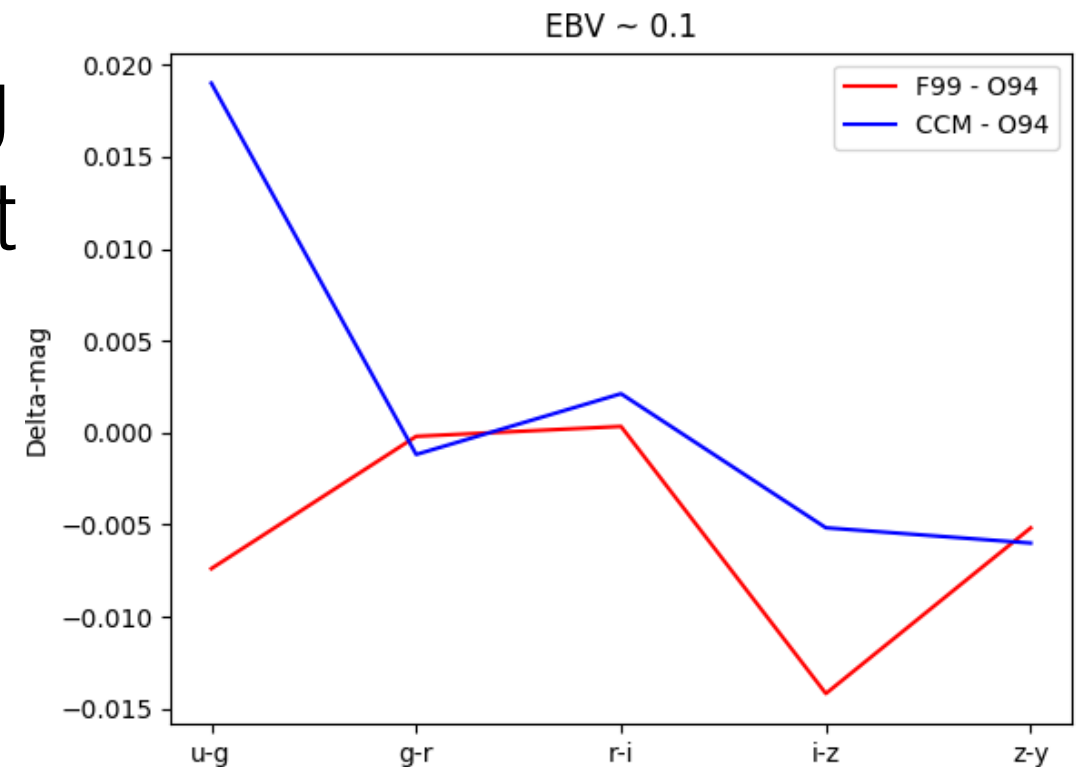
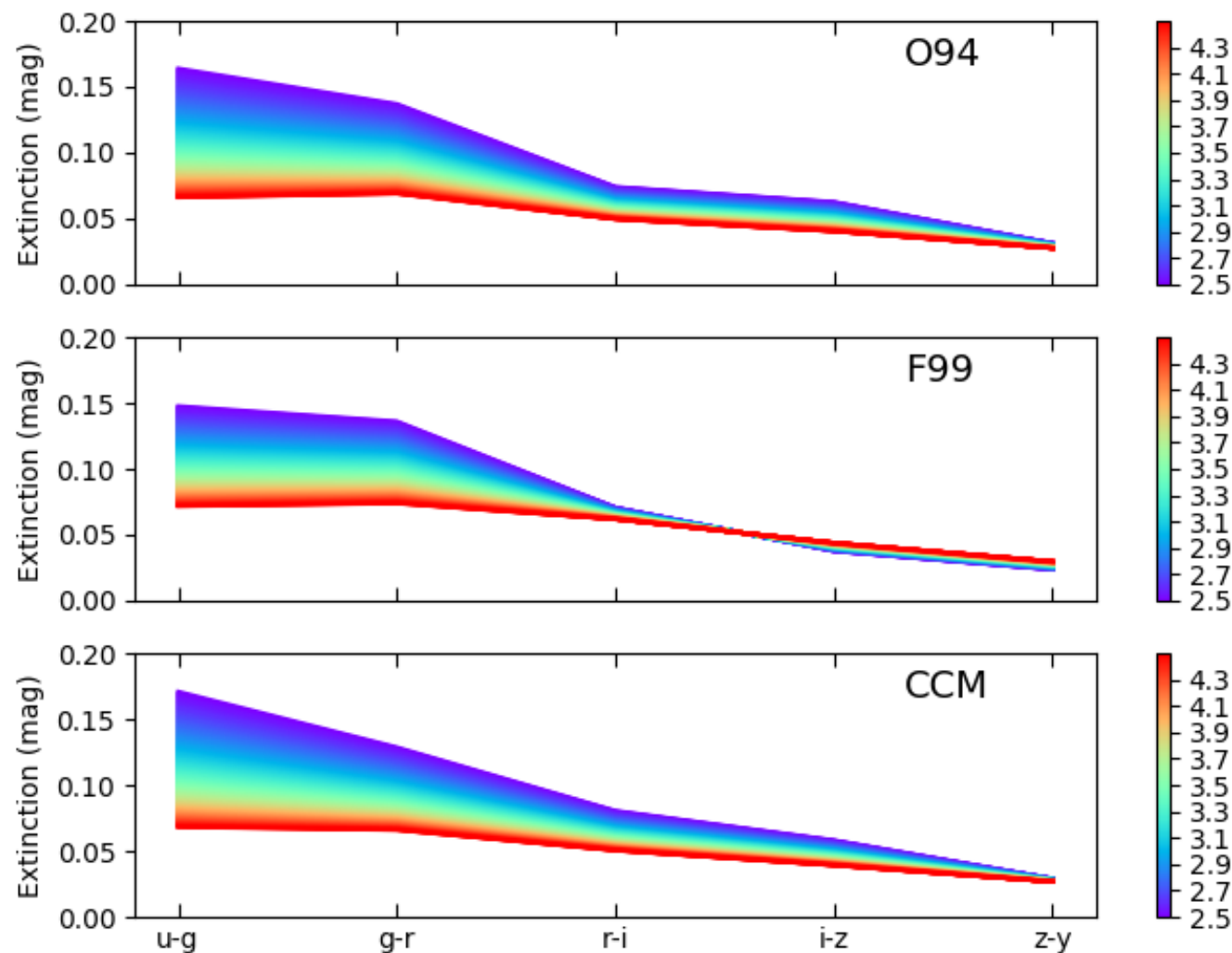


High
Reddening



And the Reddening Law!

- Comparing reddening laws shows issues at the $>mmag$ level (depending on amount of reddening)



Discussion

- This is a grab-bag of issues to get below the 5mmag uniformity level (that I know about...)