



1st LISA Astrophysics Working Group Workshop | 12-14 Dic 2018

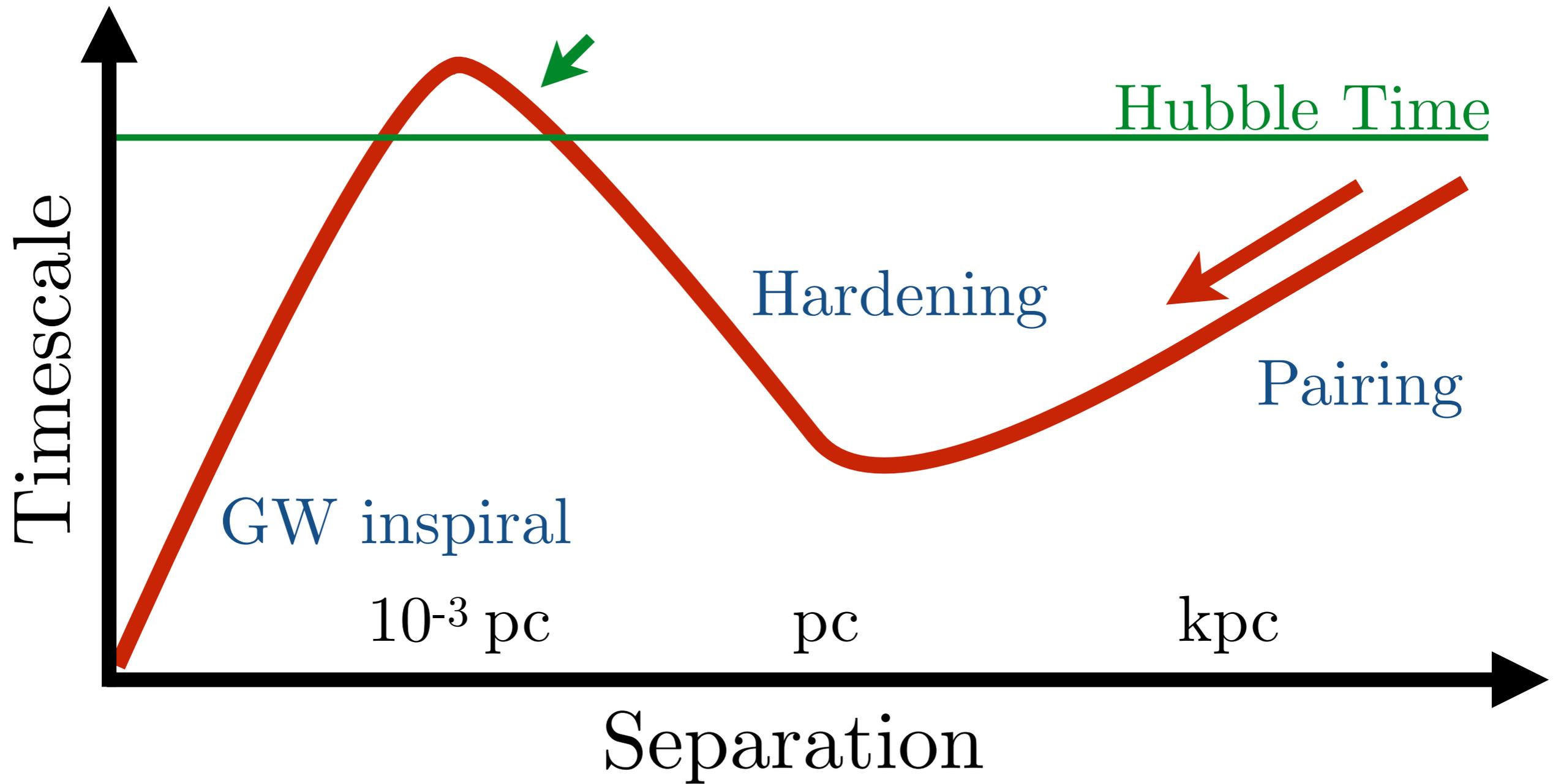
ACCRETION DISCS AROUND SUPERMASSIVE BLACK HOLE BINARIES: NON-STEADY LONG-TERM EVOLUTION AND SECOND DECOUPLING

Camilo Fontecilla

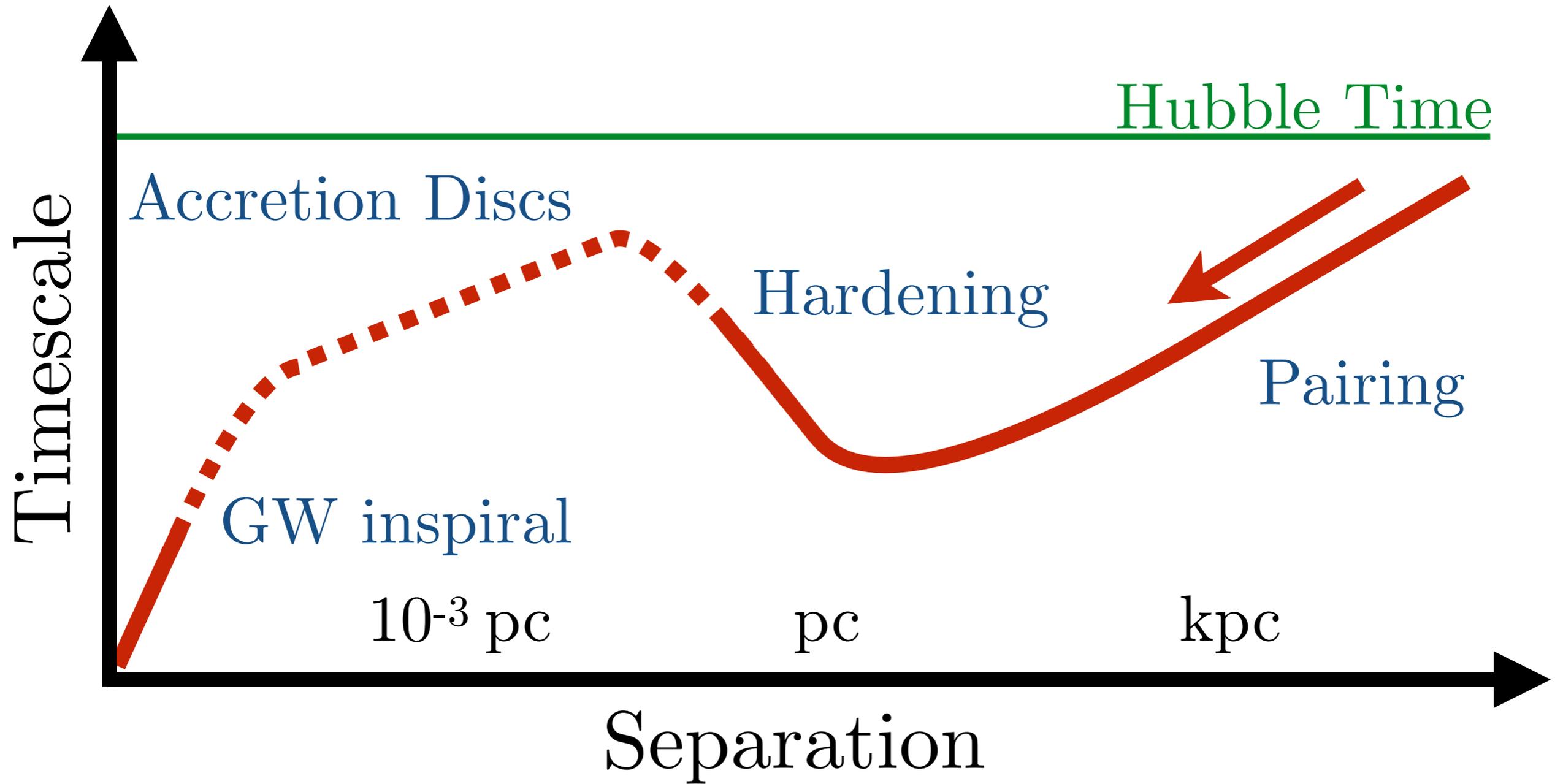
Collaborators:

| Jorge Cuadra | Zóltan Haiman | Xian Chen |

Context

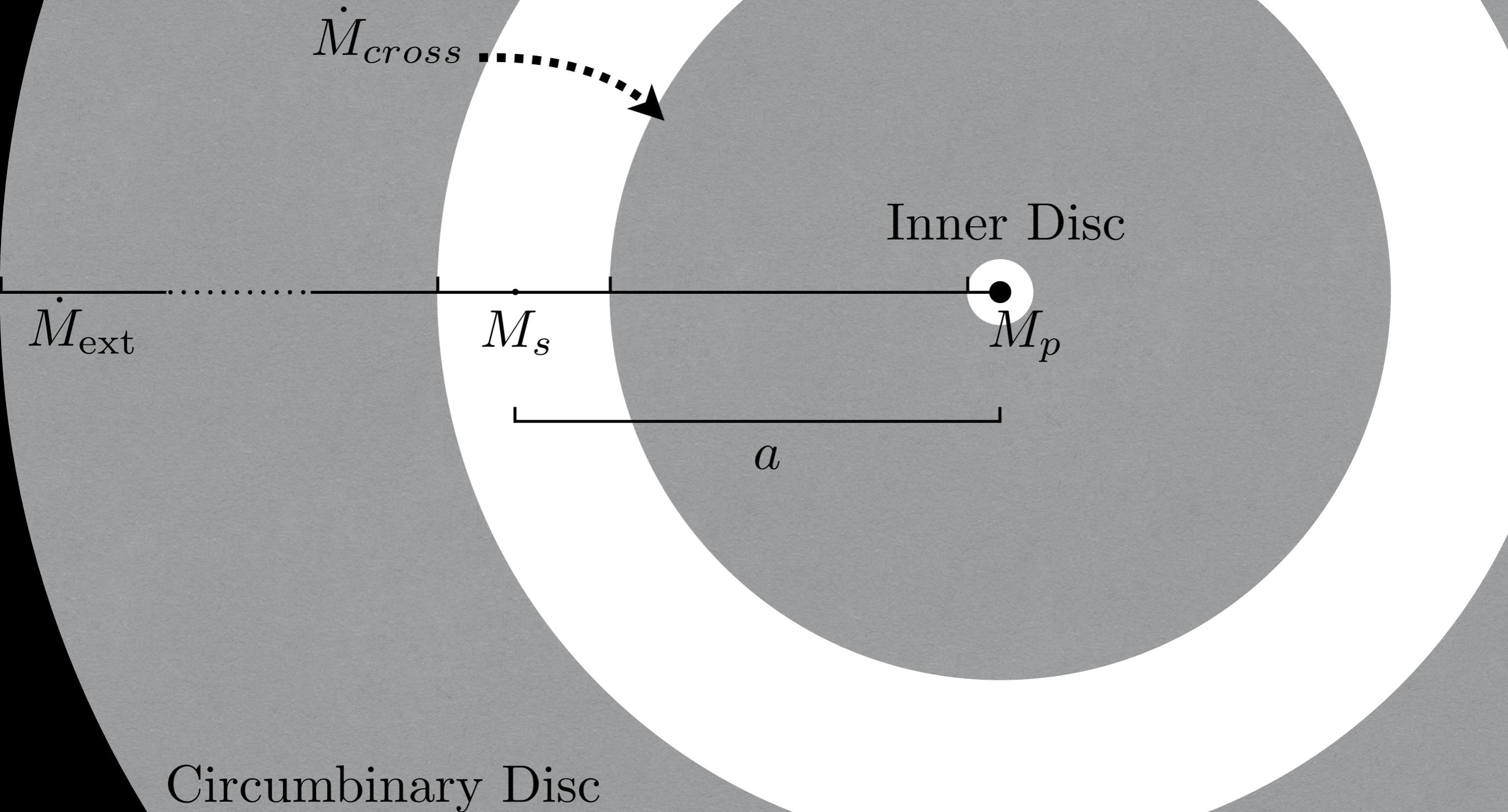


Context



Setup

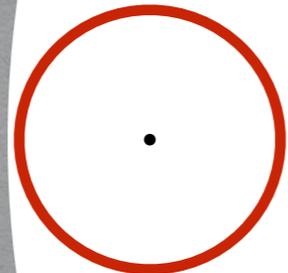
$$q \ll 1$$



Before *first* decoupling

$$a_0 = 10^5 R_S$$

$$a_f = 10^2 R_S$$



Inner Disc



Circumbinary Disc

Before *first* decoupling

$$a_0 = 10^5 R_S$$

$$a_f = 10^2 R_S$$

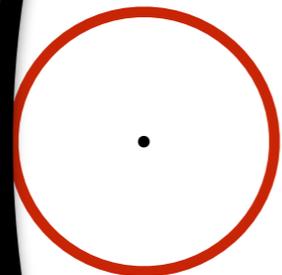


Circumbinary Disc

Before *first* decoupling

$$a_0 = 10^5 R_S$$

$$a_f = 10^2 R_S$$



Inner Disc



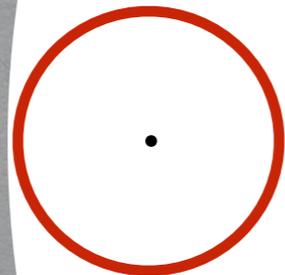
Circumbinary Disc

first and second decoupling

$$a \sim 10^2 R_S$$

$$t_{\text{GW}}(a) \ll t_\nu|_{\text{circ}}$$

$$t_{\text{GW}}(a) \leq t_\nu|_{\text{inner}}$$



Inner Disc



Circumbinary Disc

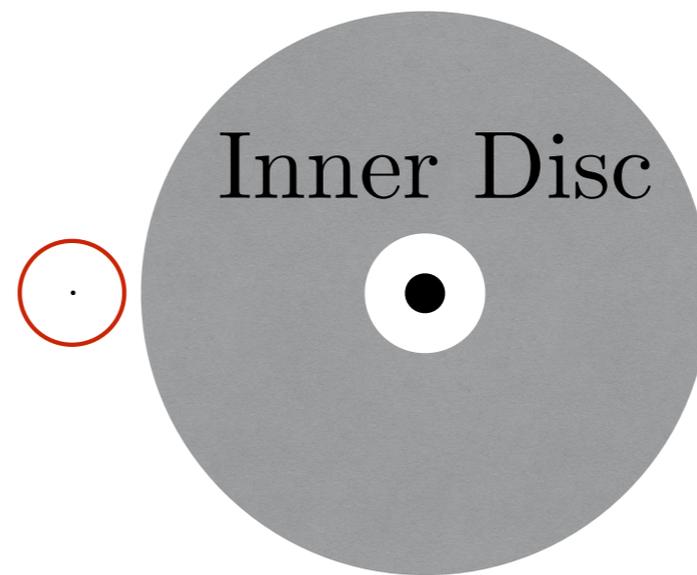
first and second decoupling

$$a \sim 10^2 R_S$$

$$t_{\text{GW}}(a) \ll t_\nu|_{\text{circ}}$$

$$t_{\text{GW}}(a) \leq t_\nu|_{\text{inner}}$$

Circumbinary Disc



Equations

Σ : surface density

r : radius

ν : viscosity

Λ_T : tidal torque

Ω : angular velocity

a : binary separation

M_s : secondary's mass

q : mass ratio

c : speed of light

R_S : Schwarzschild radius

γ : efficiency

- PDE for surface density evolution :

$$\frac{\partial \Sigma}{\partial t} = \frac{1}{r} \frac{\partial}{\partial r} \left\{ \underbrace{3r^{1/2} \frac{\partial}{\partial r} [\nu \Sigma r^{1/2}]}_{\text{Viscosity}} - \underbrace{2 \frac{\Lambda_T \Sigma}{\Omega}}_{\text{Tidal torque}} \right\}$$

- Binary distance evolution :

$$\frac{da}{dt} = - \underbrace{\frac{4\pi}{a M_s \Omega_s} \int \Lambda_T \Sigma r dr}_{\text{Disc interaction}} - \underbrace{\frac{8}{5} q(1+q)c \left(\frac{R_S}{a} \right)^3}_{\text{GW emission}}$$

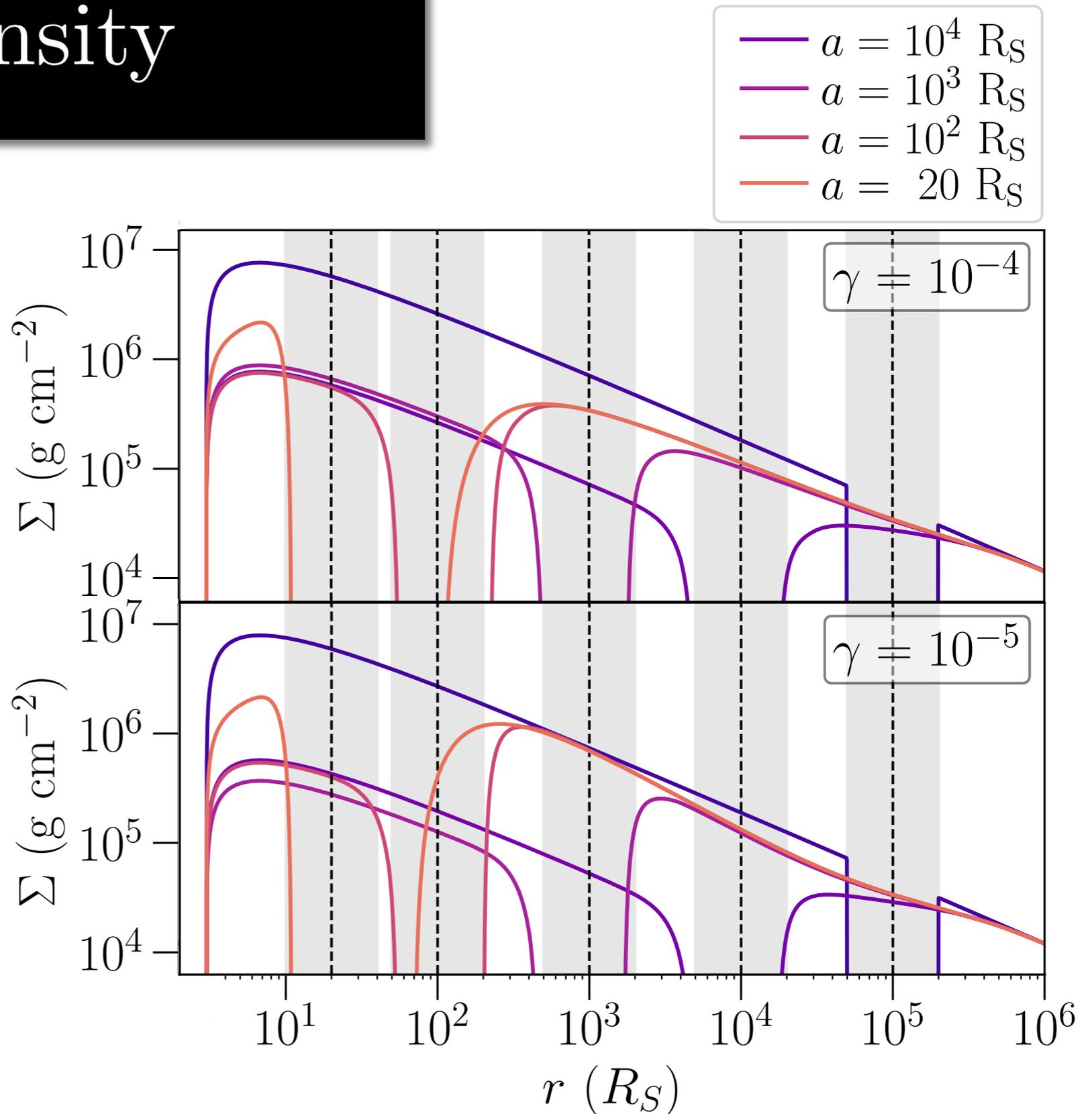
- Inflow through cavity : $\dot{M} = \gamma \Omega_s r^2 \Sigma$



Results

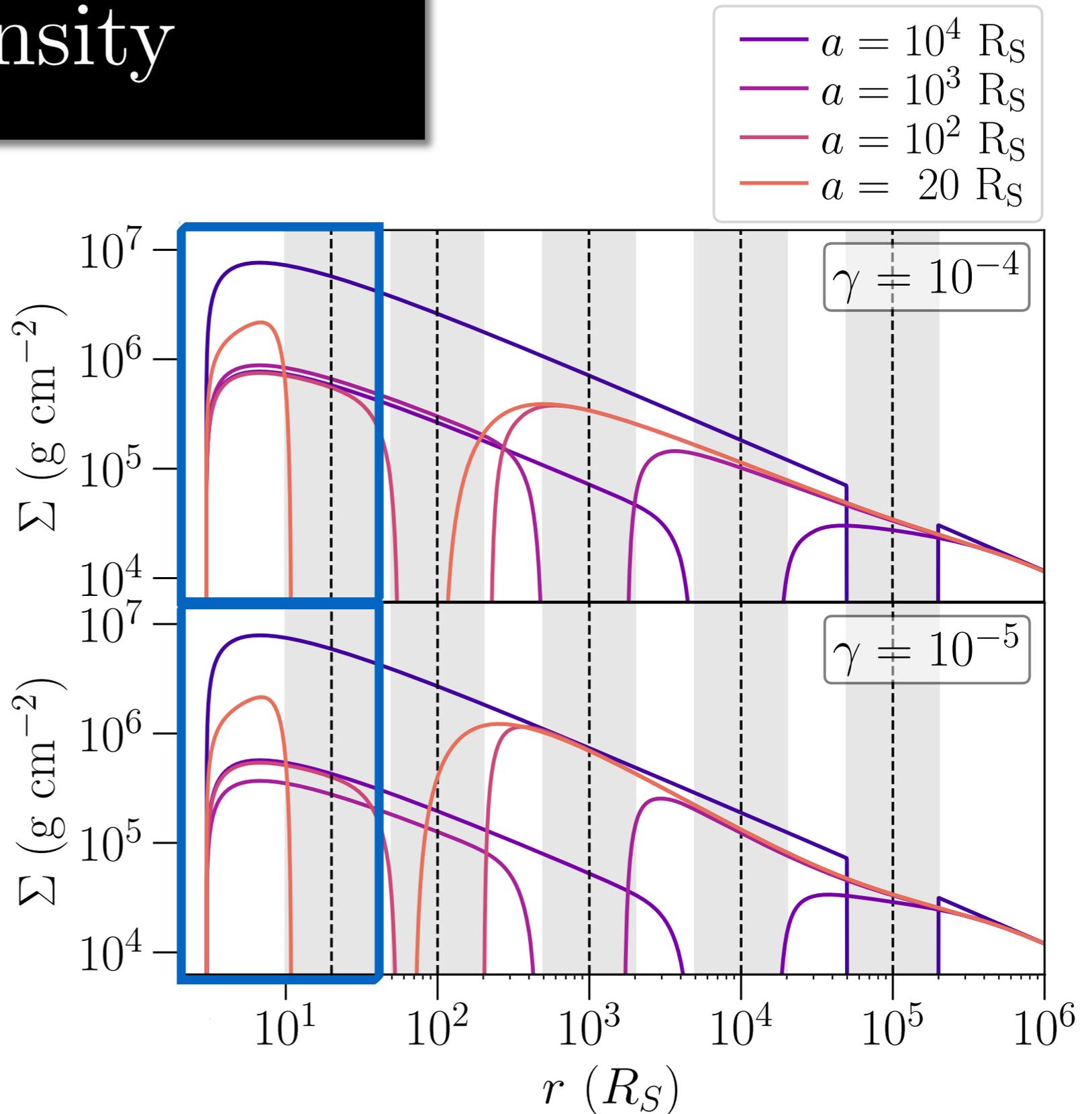
Surface Density

- Simulation for $q = 0.1$
- Circumbinary disc shape changes with γ
- At the end, when $a = 20R_S$, the inner discs are similar



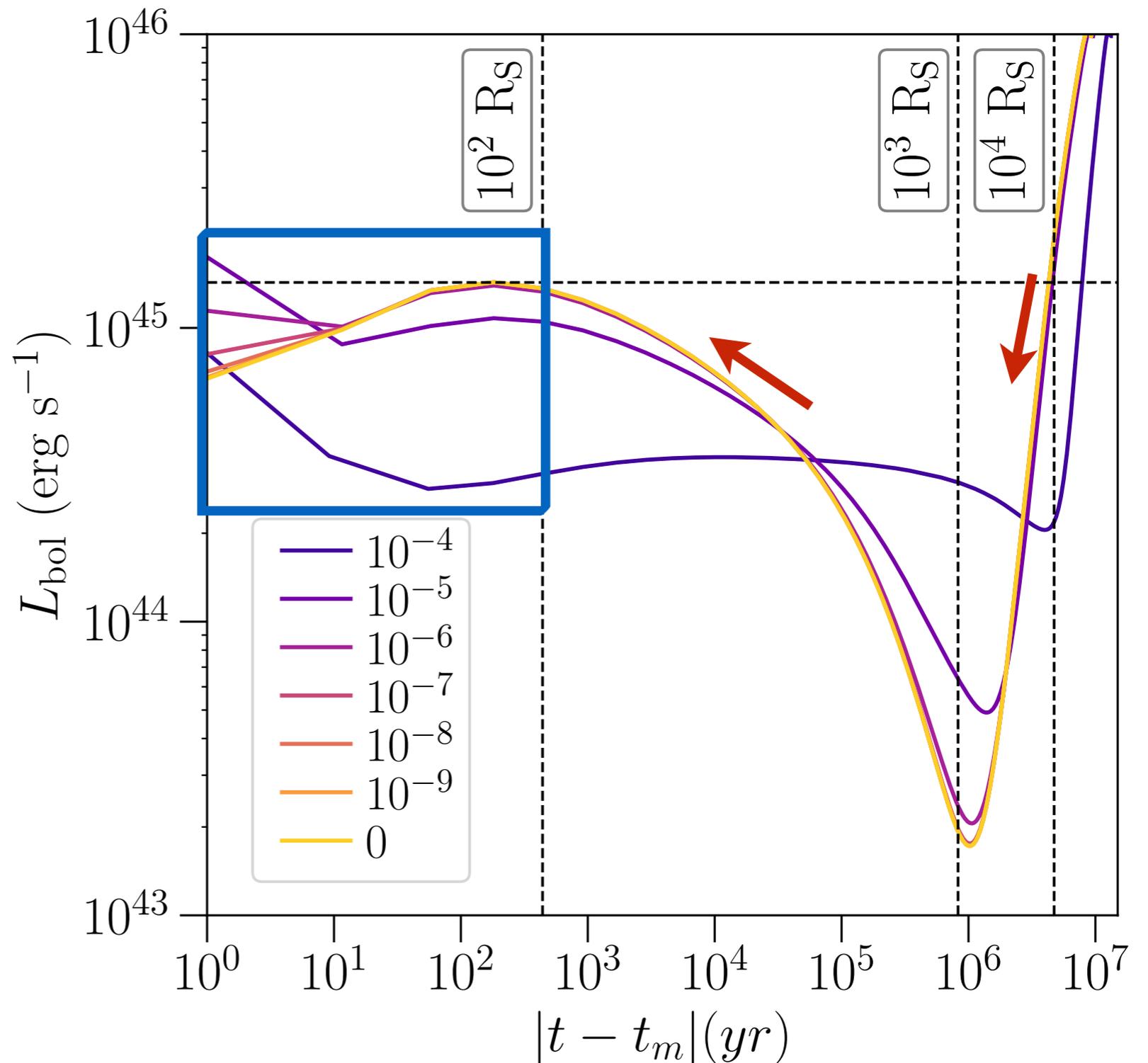
Surface Density

- Simulation for $q = 0.1$
- Circumbinary disc shape changes with γ
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Bolometric Luminosity

- Times moves from right to left
- Results converge when we reduce γ
- At the end: peak in EM emission

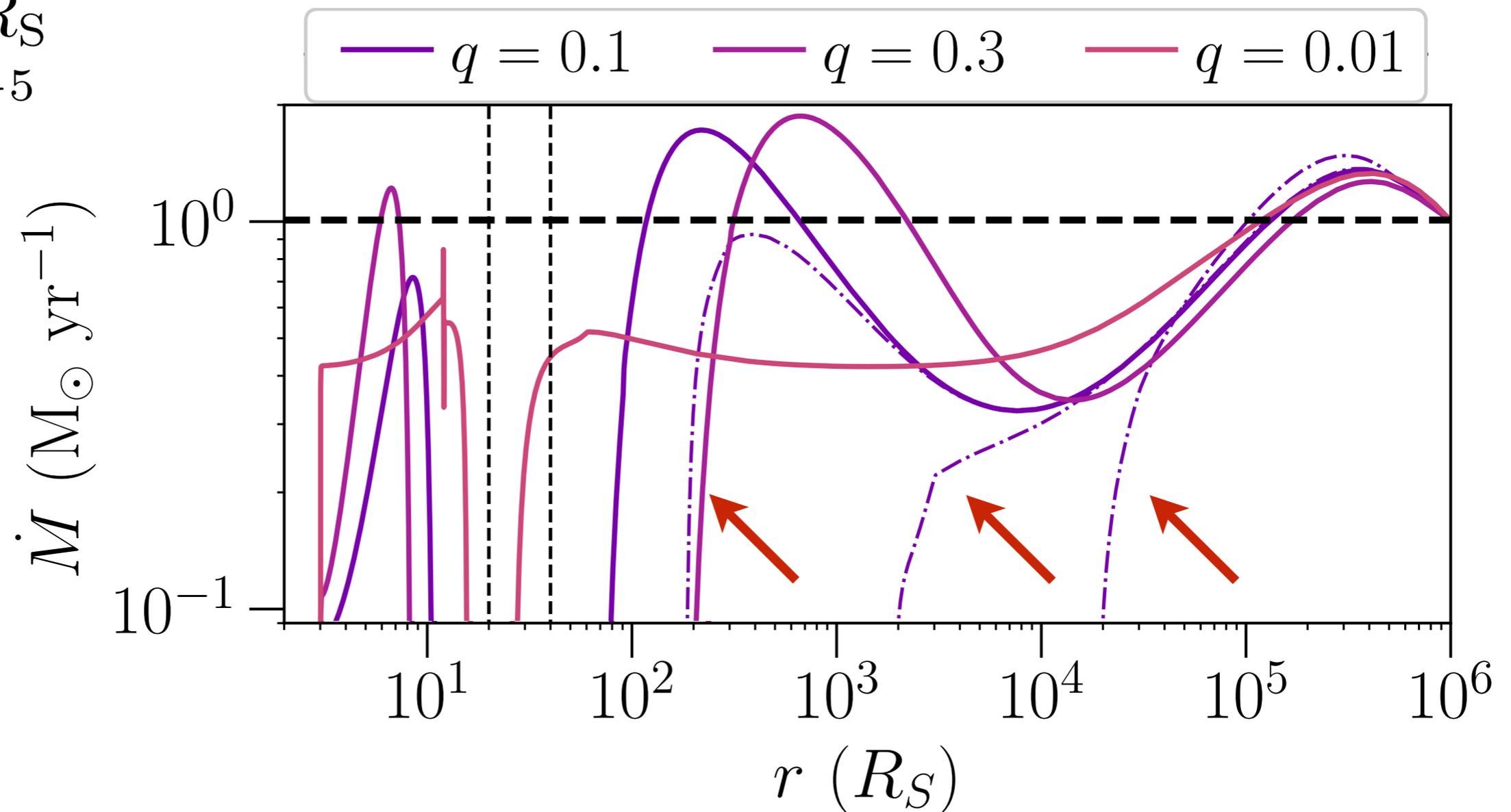


Accretion rate

- In every case, the system never reaches steady-state

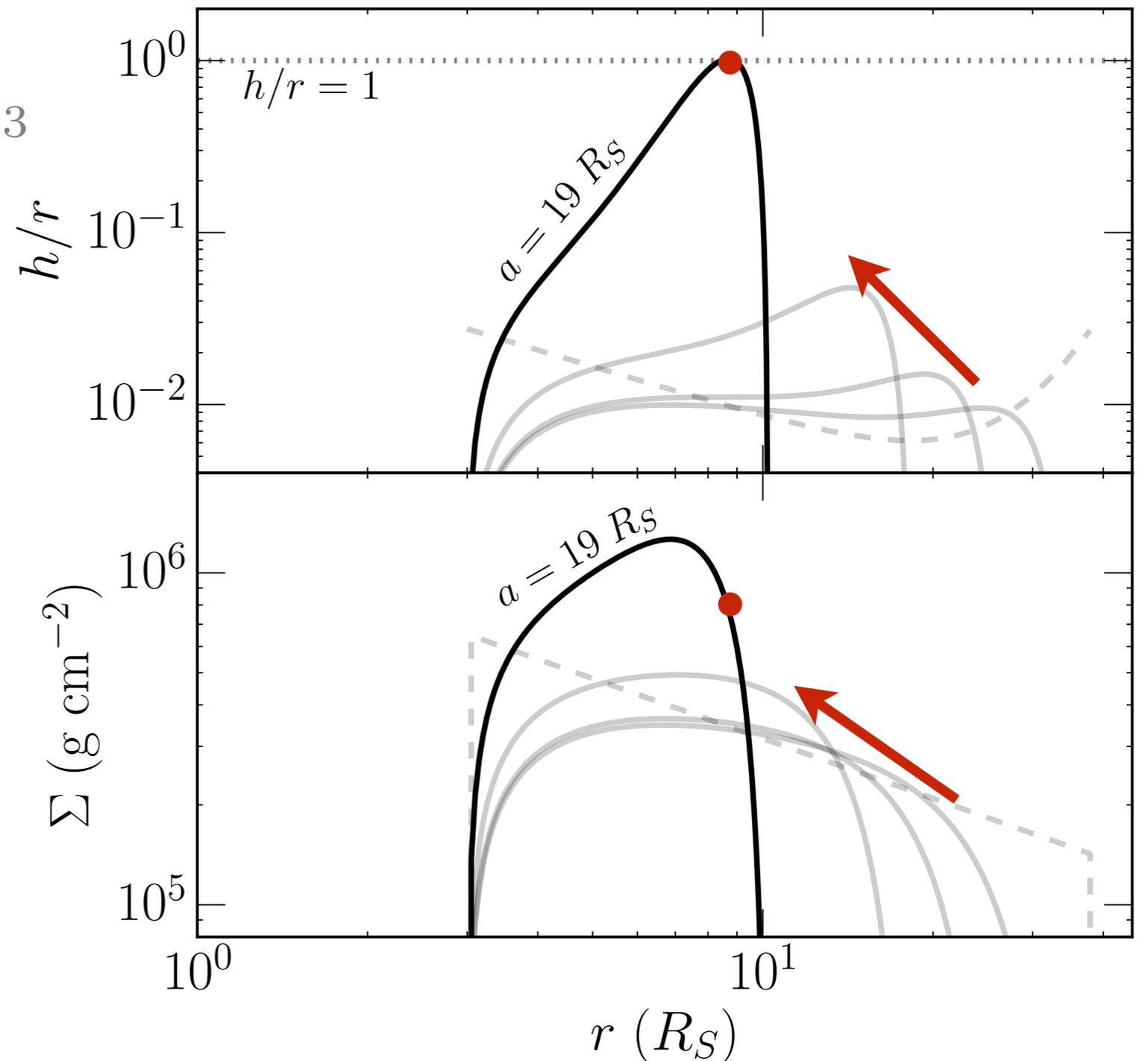
$$a = 20R_S$$

$$\gamma = 10^{-5}$$



Second decoupling

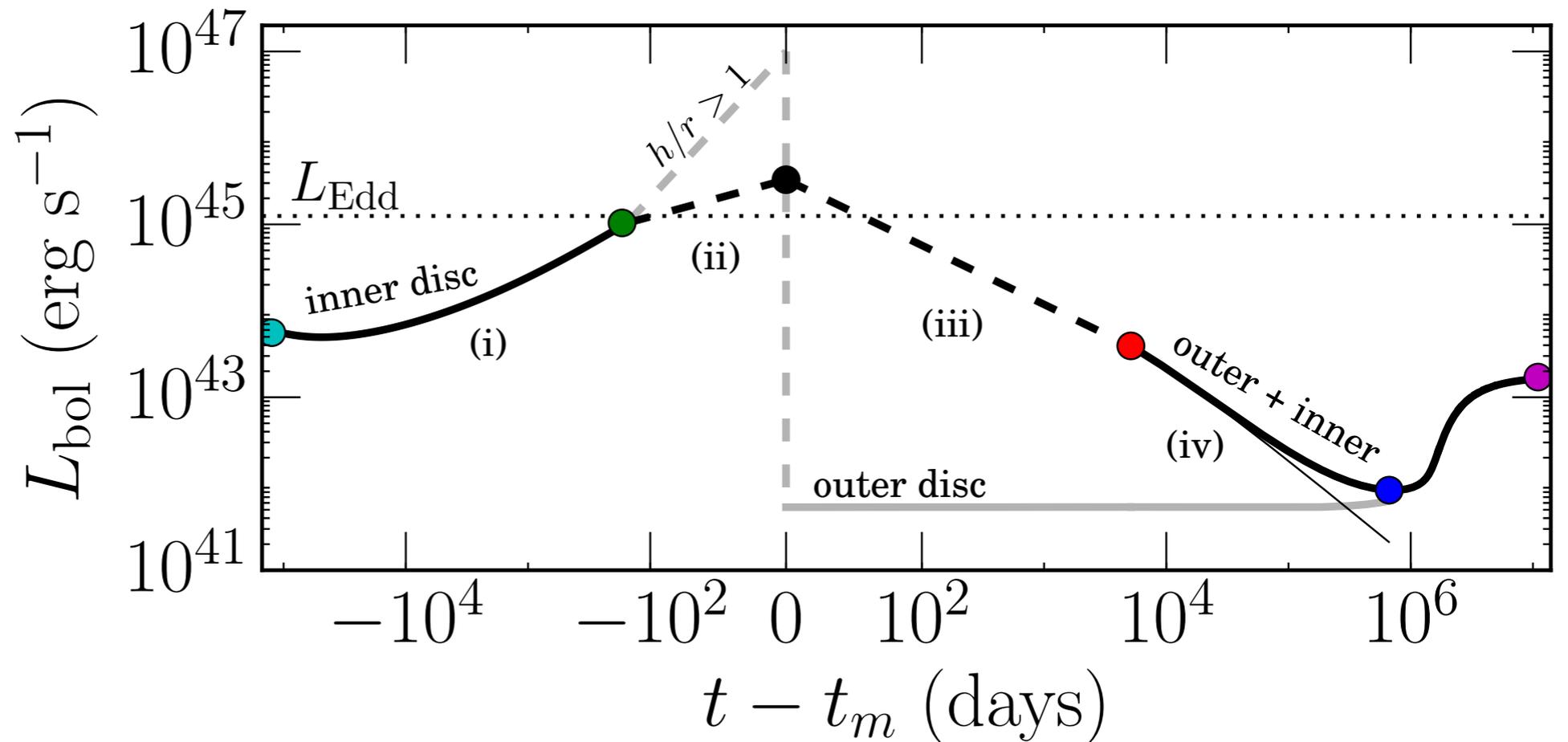
- $a_{\text{cri}} \simeq 20 R_S$ $\alpha^{-4/23} \dot{m}_\Lambda^{8/23}$
 $M_7^{1/23} \delta^{-3/23} [q(1+q)]^{5/23}$
- Surface density and scale height increase over time
- The disc becomes thick before coalescence



L_{bol} and SED

- Four phases:

- (i) Squeezing
- (ii) Decoupling
- (iii) Cooling
- (iv) Recovering

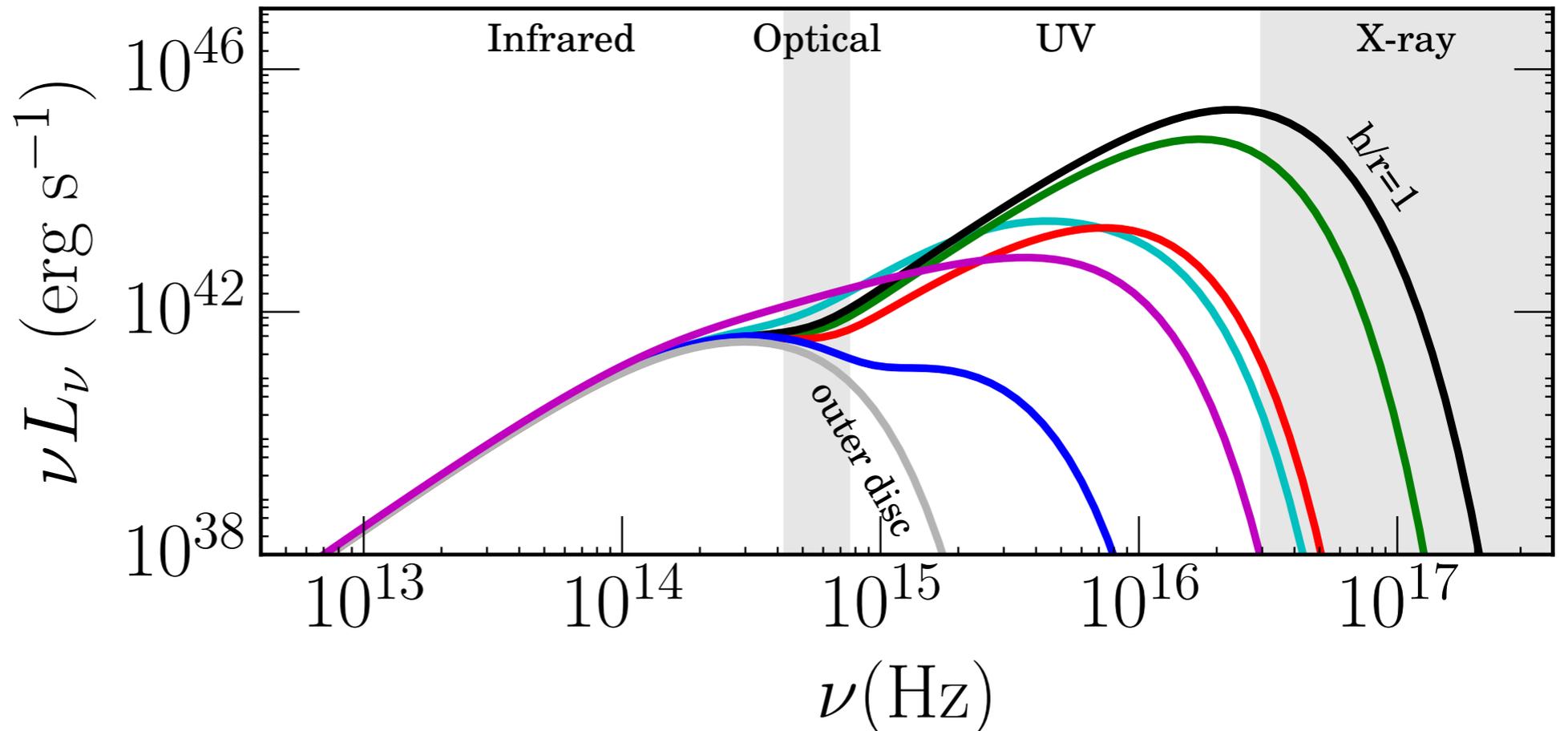


- SED at crucial times

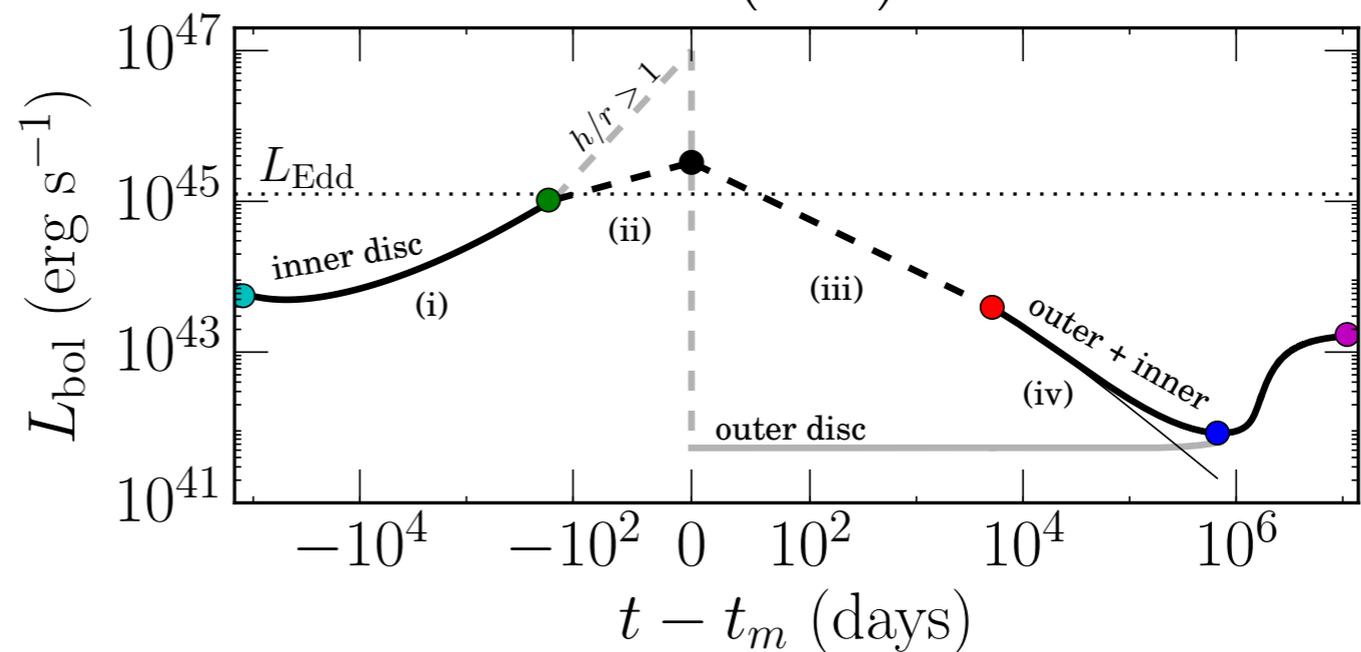
L_{bol} and SED

- Four phases:

- (i) Squeezing
- (ii) Decoupling
- (iii) Cooling
- (iv) Recovering



- SED at crucial times



Summary

- We modeled, using 1D simulations, the evolution of a SMBHB surrounded by an accretion disc. Our main findings are:
 - No clear steady-state: the initial condition at large separations shapes the system evolution until coalescence.
 - Longer residence time and smaller surface density compared with previous analytical estimations that assume steady-state.
 - The thickness of the inner disc is enhanced by the tidal torque during the squeezing phase, producing the *second* decoupling.
 - Depending on the amount of material that crosses the gap, the EM emission peaks at the *first* or *second* decoupling.
 - Since not all the material in the inner disc is accreted, it does not produce a high precursor before the SMBHB coalescence. Instead, it will produce a continuous EM emission after the merger.

Thank you!