

# In-situ experimental basis

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# In-situ experimental basis - what is this?

This is an idea of P. Désesquelles [1, 2, 3]

To make a long story short: Put a  $^{60}\text{Co}$  source inside the array  
Friday, get brand new set of reference pulse shapes for PSA  
Monday morning including:

- Cross talk
- Time (mis-)alignment
- Electronics responses
- ...

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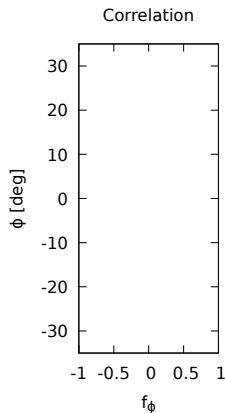
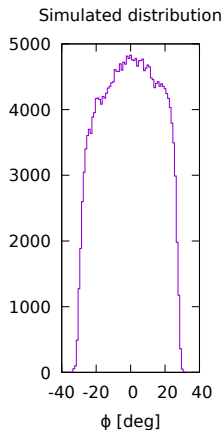
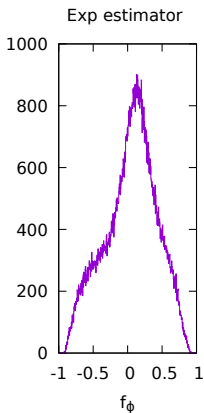
It is a simple concept to understand (once understood ;-)

- 1 A measured quantity that is a good "estimator" of this quantity.
- 2 Given a theoretical distribution of some quantity ( $x$ , spin,  $E \dots$ ).
- 3 We can match "probabilities" between the two to use the first to get the second...

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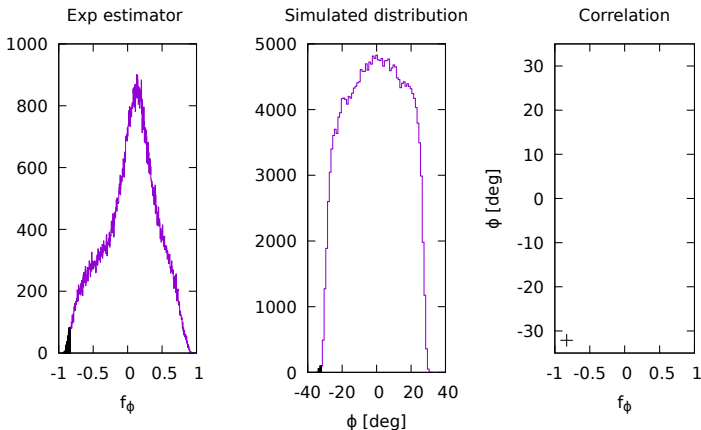
As example, lets look at  $\varphi$  for one segment in an AGATA crystal



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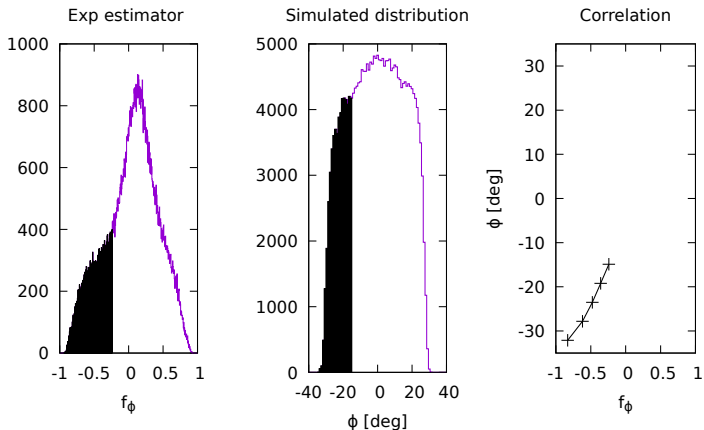
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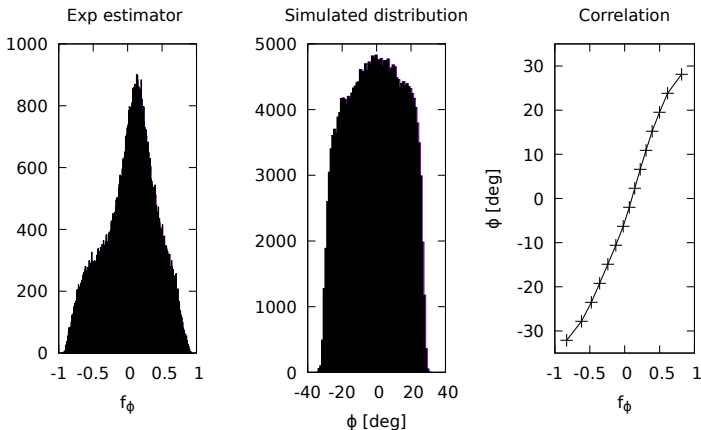
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## Some 3D complications

Experimental estimator for  $z$  depends  $\varphi$  that depends on  $r \dots$

We have to make experimental estimators for each coordinate that depends on each other, our choice is:

- First estimate  $r$
- Then estimate  $\varphi$
- And finally estimate  $z$



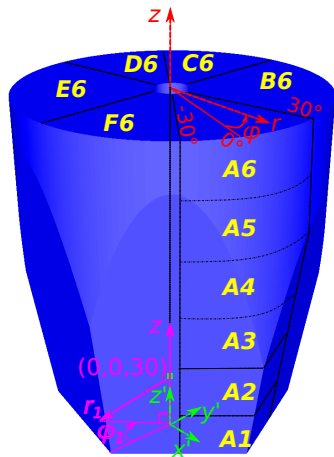
# Some 3D complications

Experimental estimator for  $z$  depends  $\varphi$  that depends on  $r$  . . .

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With the following coordinate system definitions



# Choices of estimators and corresponding simulated quantities

The experimental  $r$  estimator  $f_r$  and corresponding simulated distributions

- $f_r$  combines risetime information with information on the sign of the transient signals on neighbour segments.
- The simulated distribution for slice 1 is
$$r = \sqrt{x^2 + y^2 + (z - 30)^2}$$
- For the other slices  $r = \sqrt{x^2 + y^2}$

I.e.  $r$  the distance "projected" on the electric field direction

# Choices of estimators and corresponding simulated quantities

The experimental  $\varphi$  estimator  $f_\varphi$  and corresponding simulated distributions

- $f_\varphi$  is a variant on mirror asymmetry
- For all segments  $\varphi$  is measured with respect to the closest "60° branch" with a range  $\approx \pm 30^\circ$

# Choices of estimators and corresponding simulated quantities

The experimental  $z$  estimator  $f_z$  and corresponding simulated distributions

- $f_z$  is a variant on mirror asymmetry for slice 2-5
- For the last slice it is the max amplitude of the transient signal in slice 5 scaled by energy.
- For slice 1  $f_z$  is a measure of risetime.
- For all segments  $z$  just  $z$ .

## Choice of grid for basis

This is how we partition  $r, \varphi$  and  $z$  distributions

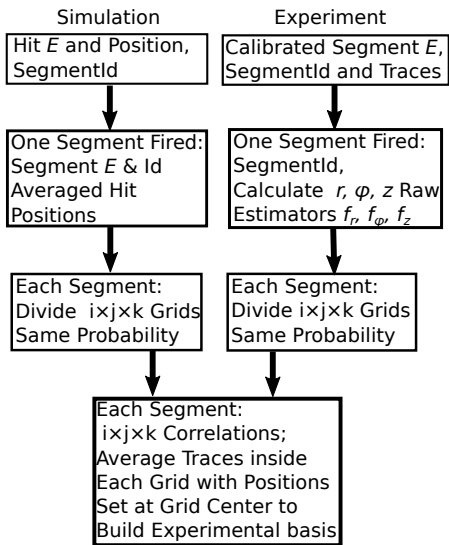
- We aimed at having same volume voxels.
- This by increasing the number of  $\varphi$  divisions with  $r$
- And by having different number of  $z$  divisions for some  $r, \varphi$  combinations

Our rationale for this was to have approximately the same solid angle precision and comparable resolution in  $z$ .

# Data selection and treatment

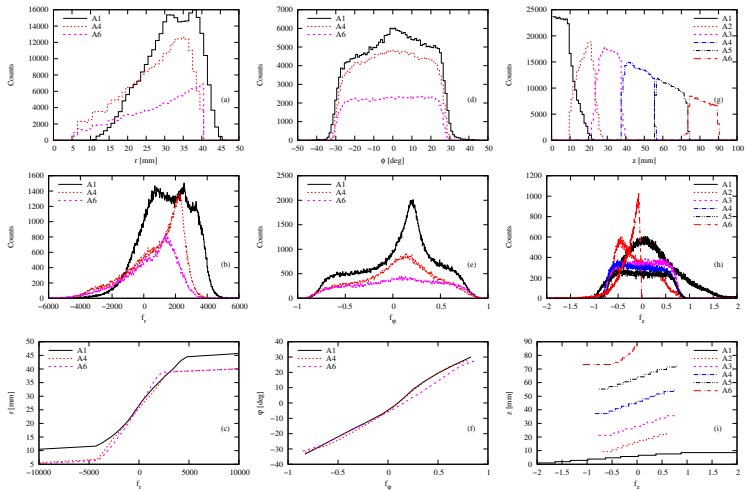
- We used events with only one net-charge segment. This was also the condition for geant4 simulations used for simulated distributions.
- Gain matching, time-alignment etc. done using the pre-processing codes of AGATA.
- All events within a voxel had traces averaged with out selection

# Before some results, recapitulate what we do



## Some results...

## Estimators





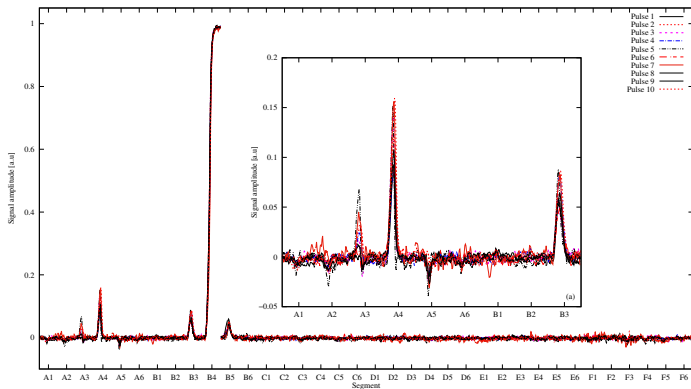
## Some results...

### Intermezzo

For events with only one net-charge segment the correlations can be used to directly get the position (under the assumption that 1 seg = 1 interaction...)

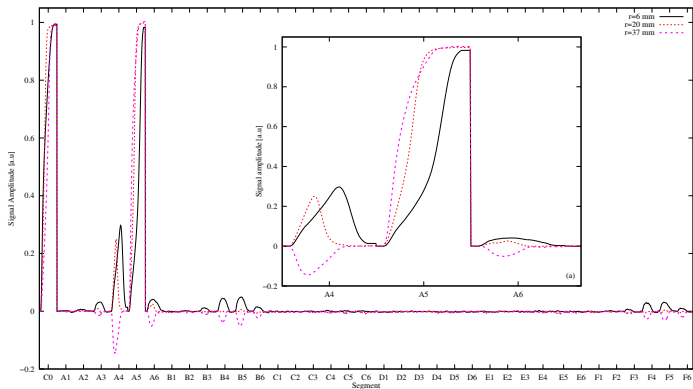
# Some results...

## Examples of averaged pulses for one position



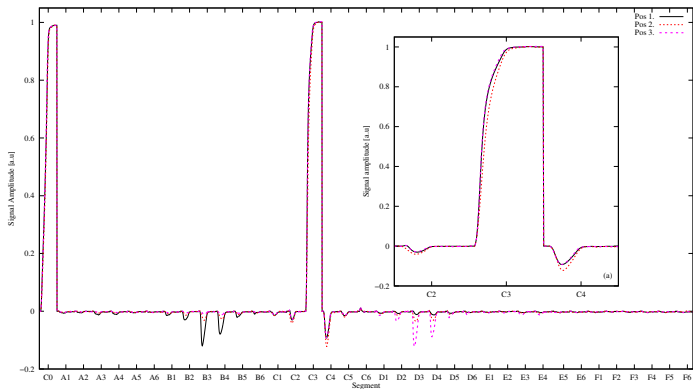
# Some results...

## Example of varying $r$ of the created references pulses



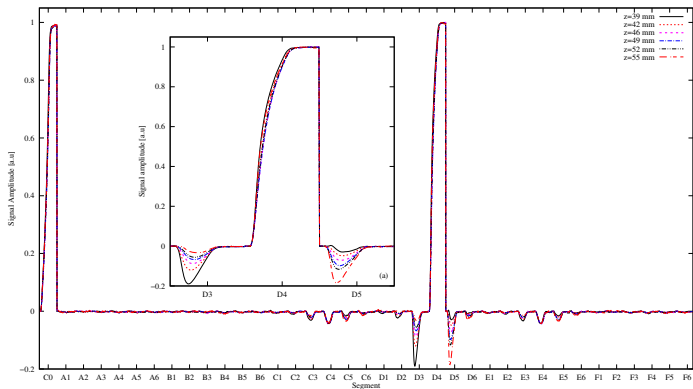
# Some results...

Example of varying  $\varphi$  of the created references pulses



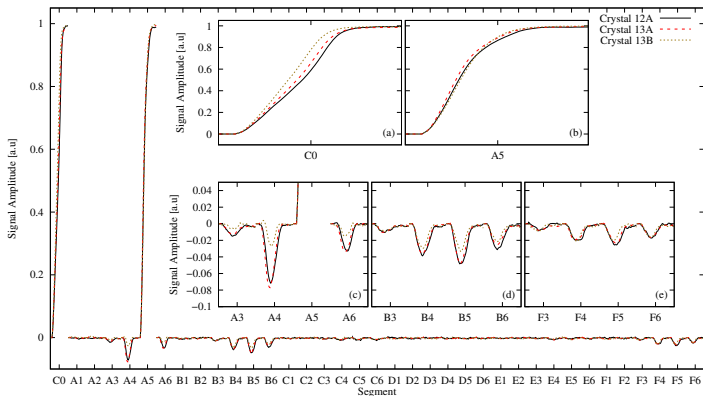
# Some results...

Example of varying  $z$  of the created references pulses



## Some results...

Example of same x,y,z for different detector shapes



# Are we worse, as good as, or better than the ADL basis?

I will not discuss this in detail. Based on Doppler Correction capabilities the conclusion, to find in a submitted paper, is that we do not as good as ADL but not so bad either. . . so instead on dwelling on the details on how we concluded this I will try to discuss how we could maybe do better. . .

# What are the weaknesses of this work as I see them

- ① We make an identification between number of net-charge segments and number of  $\gamma$ -ray interactions.
- ② No post-selection on traces used for the average trace.
- ③ How to know the geometry? How to go from  $(x,y,z)$  given by geant4 simulations to distributions gated on hit segment? What are the real measurements of the active HPGe Volume?



# What are the weaknesses of this work as I see them

## How to deal with problem 1?

Gate on Compton edge of a  $^{60}\text{Co}$  line while demanding full energy peak of the other line in another detector. We did not have the statistics for this (requires a lot). Have yet to simulate that this solves the problem.

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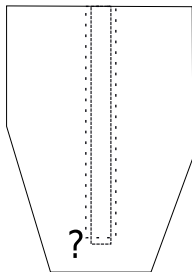
## How to deal with problem 2?

Simple, do  $\chi^2$  test for the average. We did not, mainly because our reference data base seemed sensitive to small position changes (see figures above)

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What about problem 3?

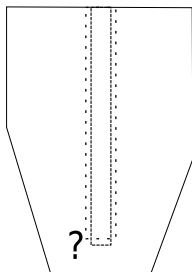
How exactly do we know the crystal geometry



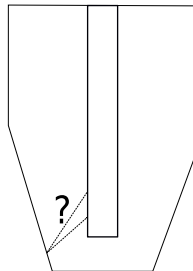
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What about problem 3?

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How can we get the real segmentation without calculations?



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What about problem 3?

What we did this time

- Assumed that the active volume of the crystal is according to drawings.
- We used segmentation boundaries as given by the approximation used in the geant4 AGATA simulation (taken from ?)

# What are the weaknesses of this work as I see them

What about problem 3?

What we did this time

- Assumed that the active volume of the crystal is according to drawings.
- We used segmentation boundaries as given by the approximation used in the geant4 AGATA simulation (taken from ?)

What I would do next time

- Hmm... I do not have a very good idea for this yet.

# Contributors

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# References



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