

# **Possible problems for $\Lambda$ CDM: status in 2018**

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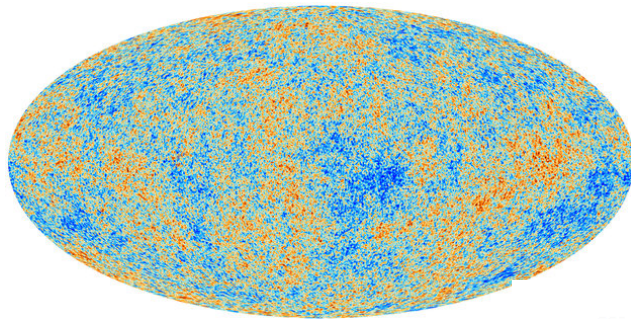
# Existence of a non-

# dust fluid

Cosmic Microwave Background  $\Rightarrow$   $\Lambda$ CDM cosmological model

**Baryonic matter = 16% of matter, 5% of total energy content**

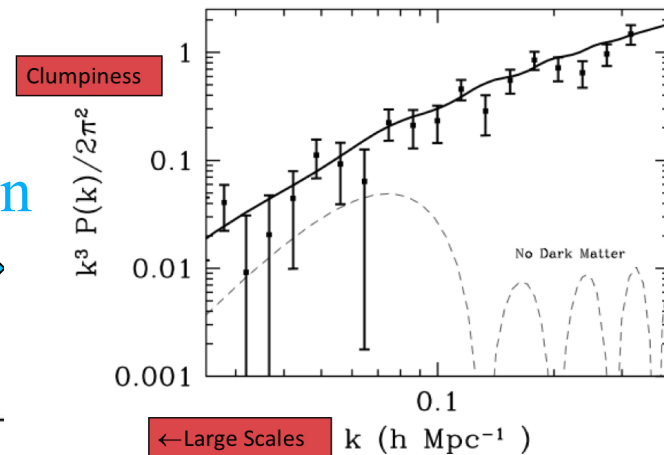
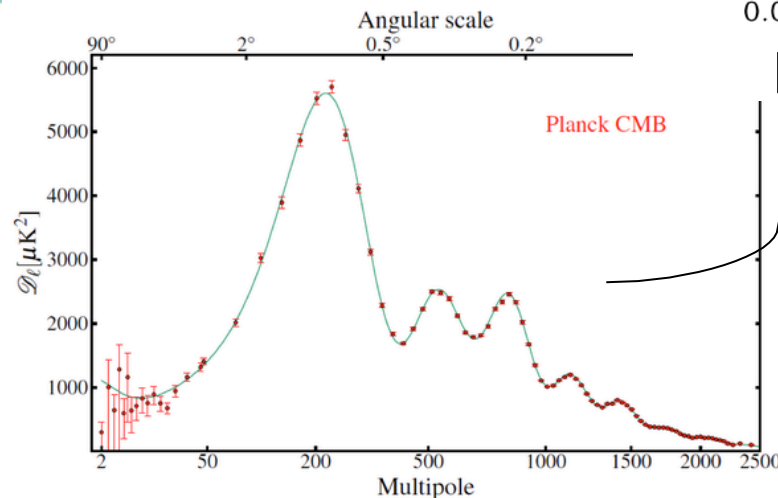
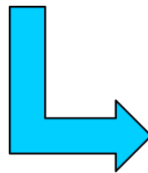
**$\Lambda \approx 10^{-52} \text{ m}^{-2} \Rightarrow$  68% dark energy & 32% matter (baryons+dark) at  $z \sim 0$**



Structure formation



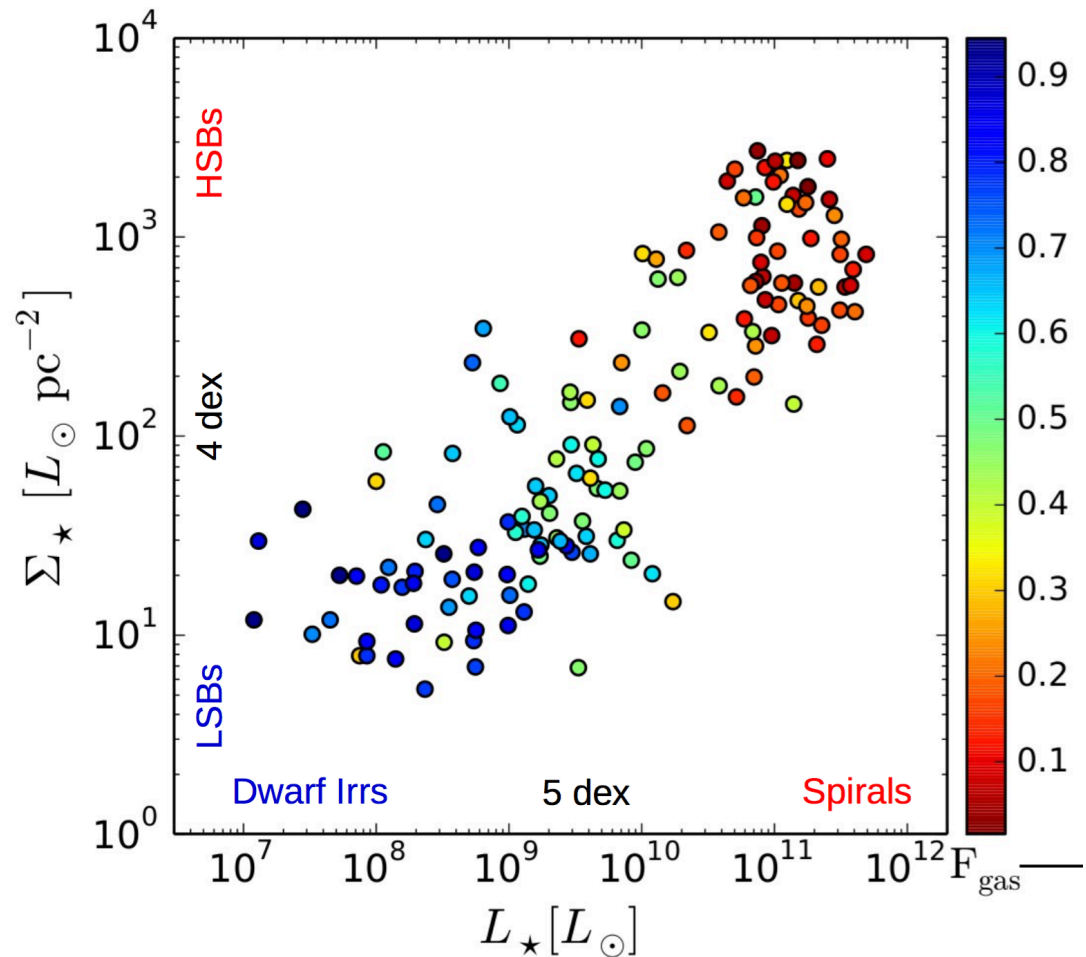
$$\Delta T/T \sim 10^{-5}$$



$\rightarrow$  + needs forcing term to counter Silk damping

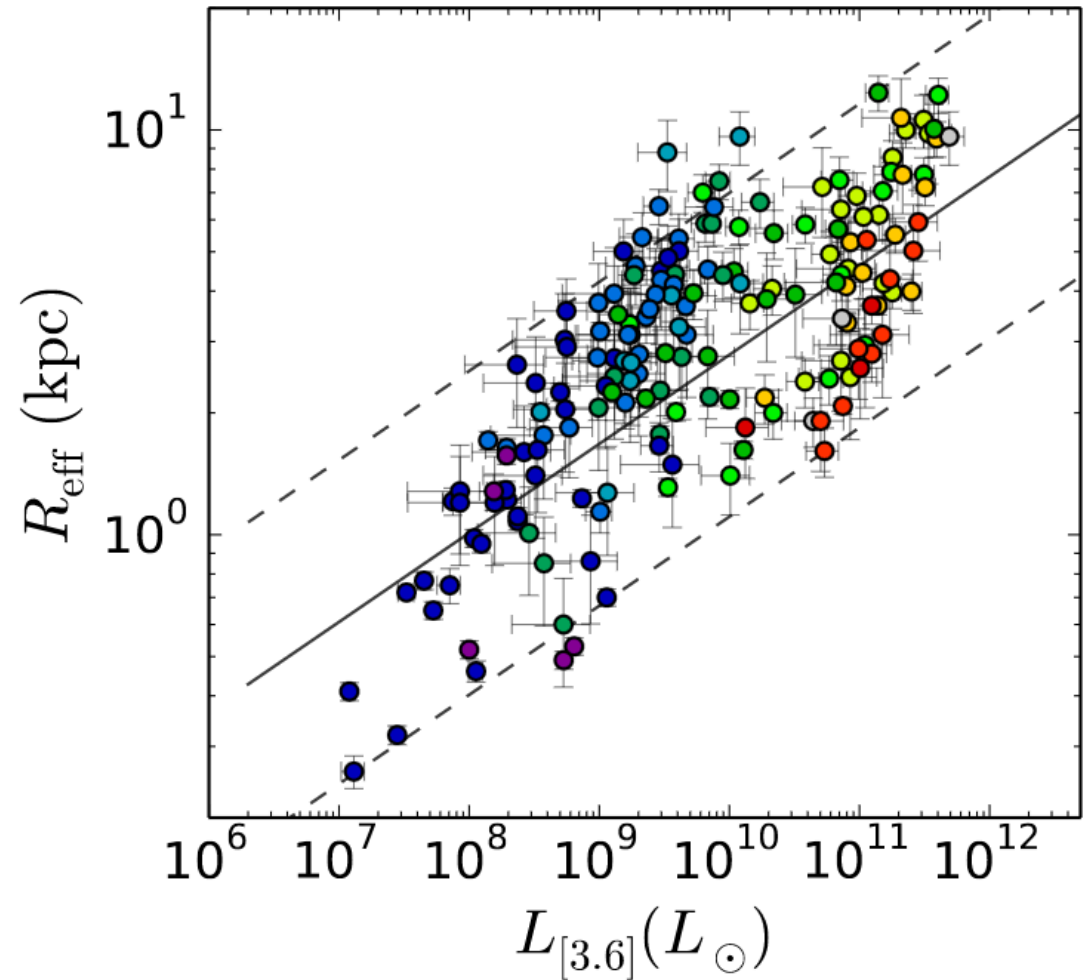
# HI galaxy rotation curves

- SPARC (Lelli et al.)
- 175 galaxies with high quality HI RCs
- Homogeneous Spitzer photometry at  $3.6\mu\text{m}$
- $M_*/L$  known to be roughly constant (0.5-0.7) in the NIR



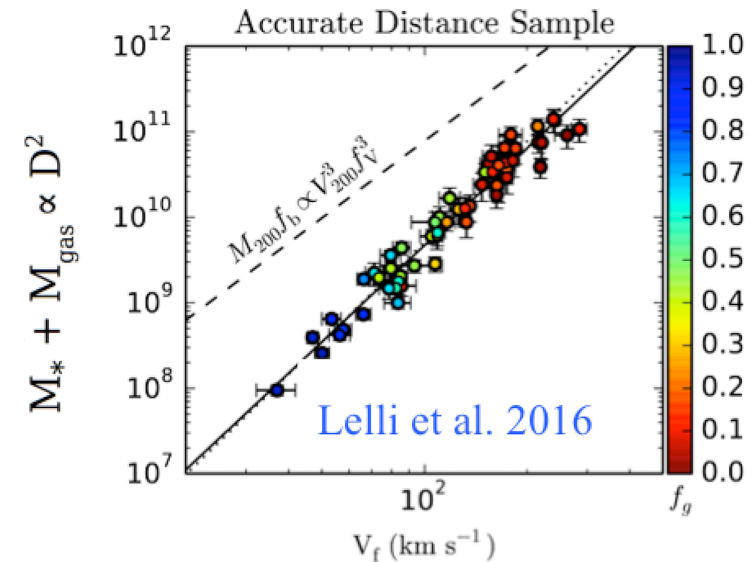
# HI galaxy rotation curves

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# BTFR

- $\text{Log } M_b = \alpha \log V - \log \beta$
- $\alpha = 3.9 \pm 0.4$
- Zero-point defines an acceleration constant  $a_0 \approx V^4/(GM_b) \approx 10^{-10} \text{ m/s}^2$  such that  $\beta = Ga_0$
- Scatter  $\sim 0.1$  dex in  $M_b$

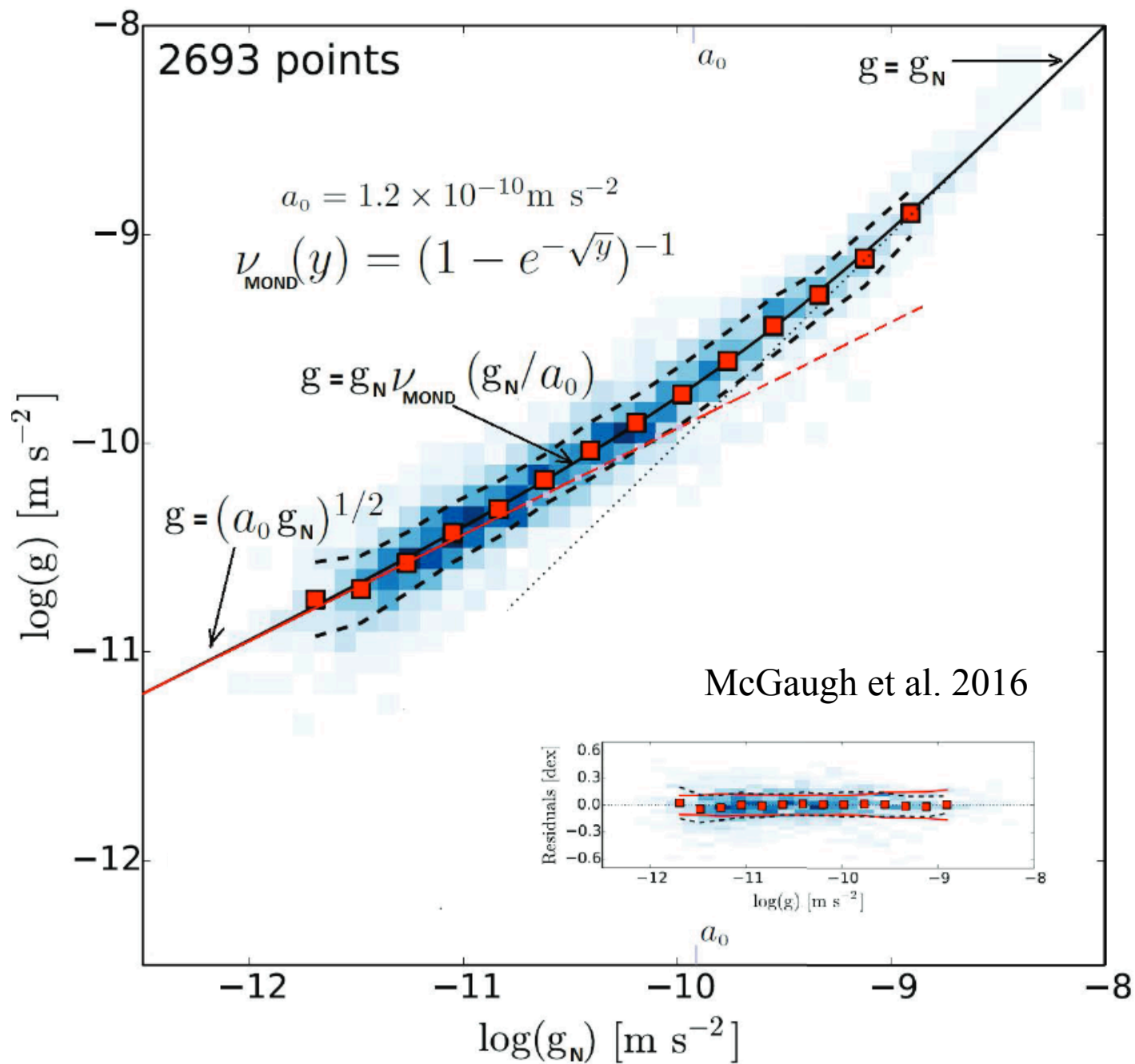


The scatter, residual correlations and curvature of the SPARC baryonic Tully–Fisher relation

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<sup>1</sup>Kavli Institute for Particle Astrophysics and Cosmology, Physics Department, Stanford University, Stanford, CA 94305, USA

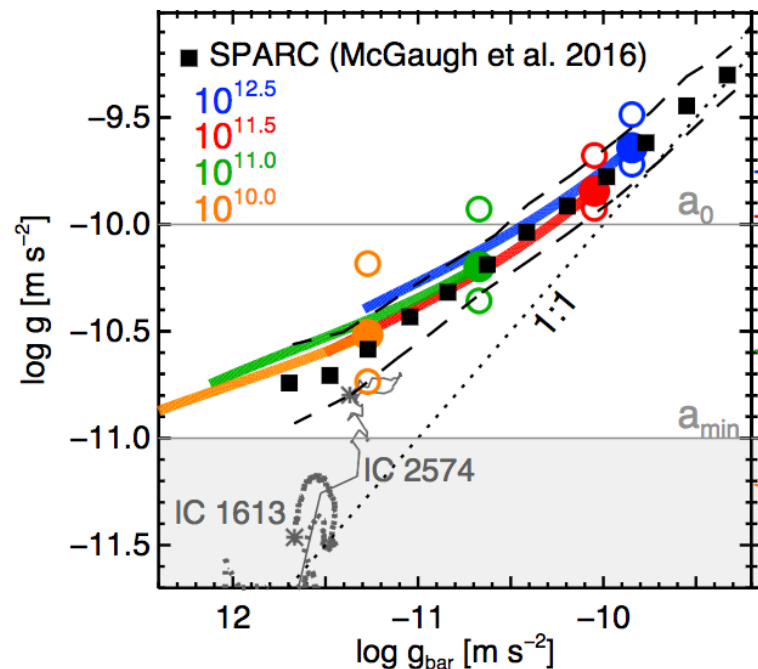
calculate the statistical significance of these results in the framework of halo abundance matching, which imposes a canonical galaxy–halo connection. Taking full account of sample variance among SPARC-like realisations of the parent halo population, we find the scatter in the predicted BTFR to be **3.6  $\sigma$  too high.**



# Not natural in $\Lambda$ CDM

Navarro et al (2016):

- 1) Match stellar and halo mass function [abundance matching of  $n(>M^*)$  to  $n(>M)$ ]  $\Rightarrow$  tight  $M^*$ - $M_h$  relation
- 2) Add a relation between stellar mass and size:

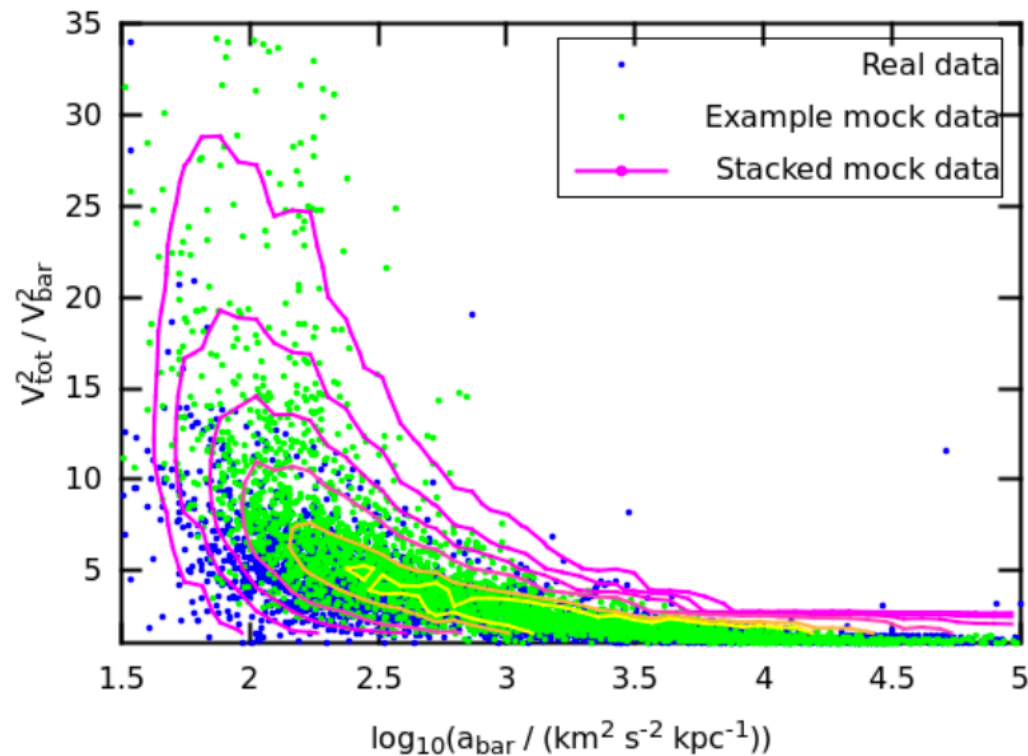


Overprediction of  $g$   
means substantial core  
creation is needed  
**BUT**  
**real problem=scatter**



# Not natural in $\Lambda$ CDM

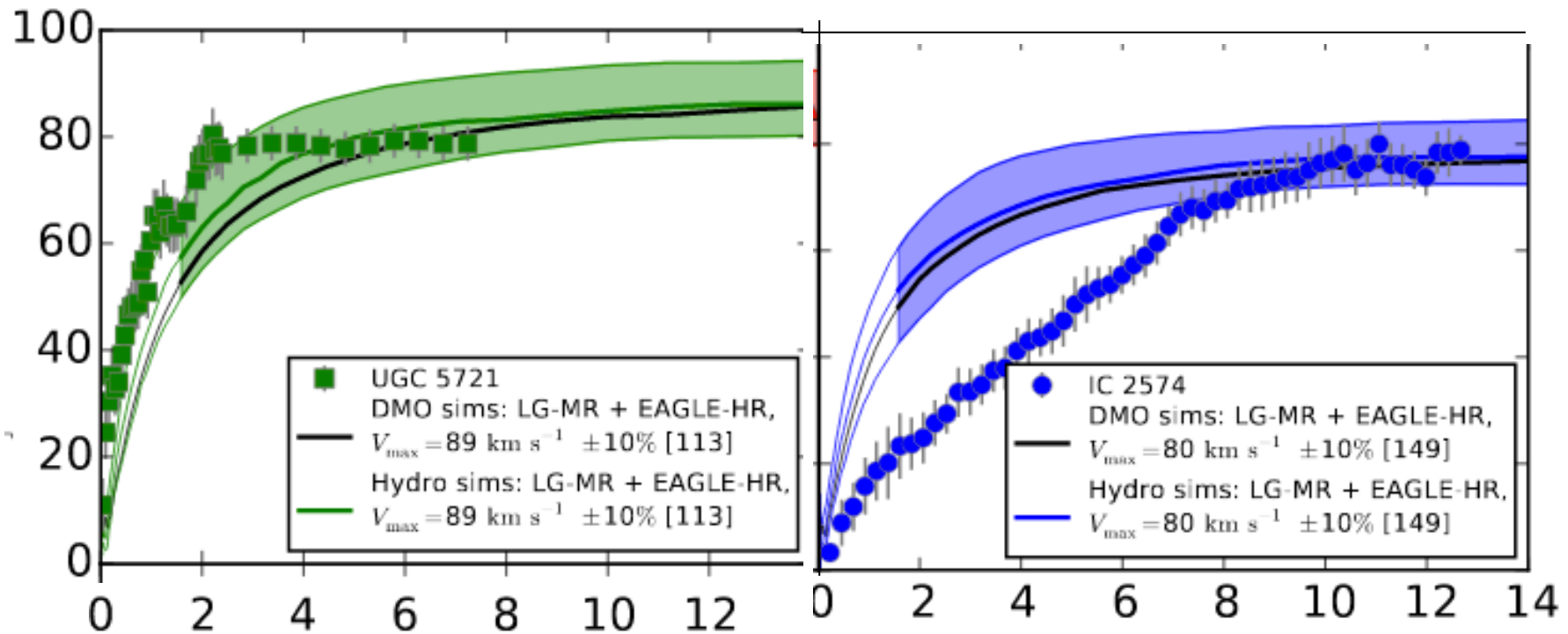
But the relation between mass & size is not that tight, and when anticorrelating  $R_d$  and  $c$ , the AM variation in  $M_{\text{vir}}$  alone at fixed  $M_*$ , scale-length and  $c$  is too high to produce the observed RAR scatter ( $<0.13$  dex)



Desmond (2017)



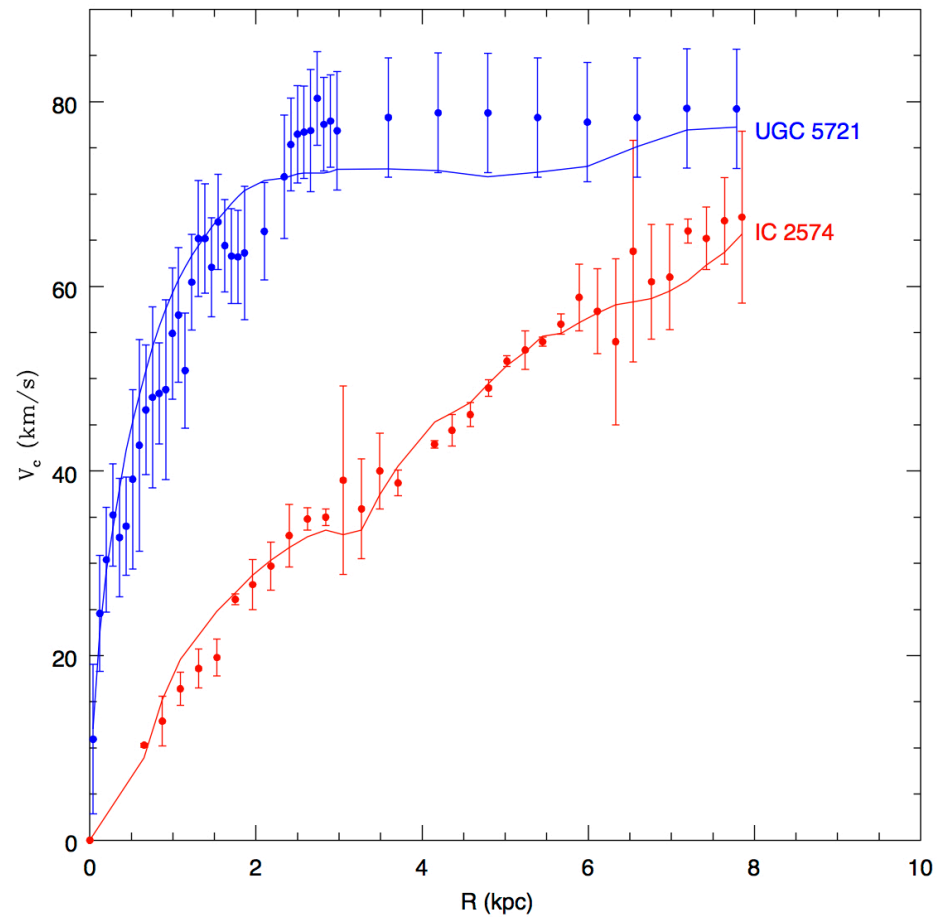
# Diversity of RC profiles at given $V_{\text{max}}$ scale



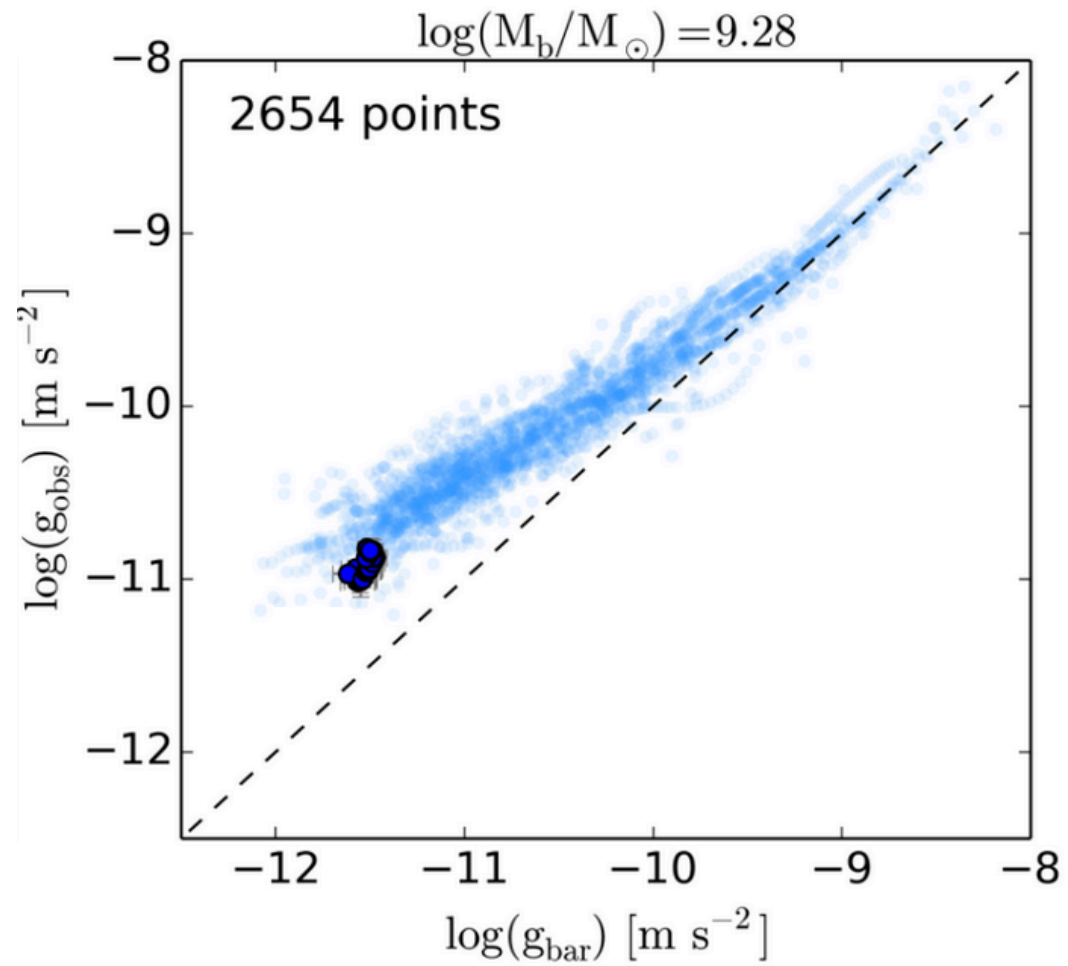
EAGLE simulations

Oman, Navarro, Fattahi, Frenk, Sawala, White, et al. (2015)

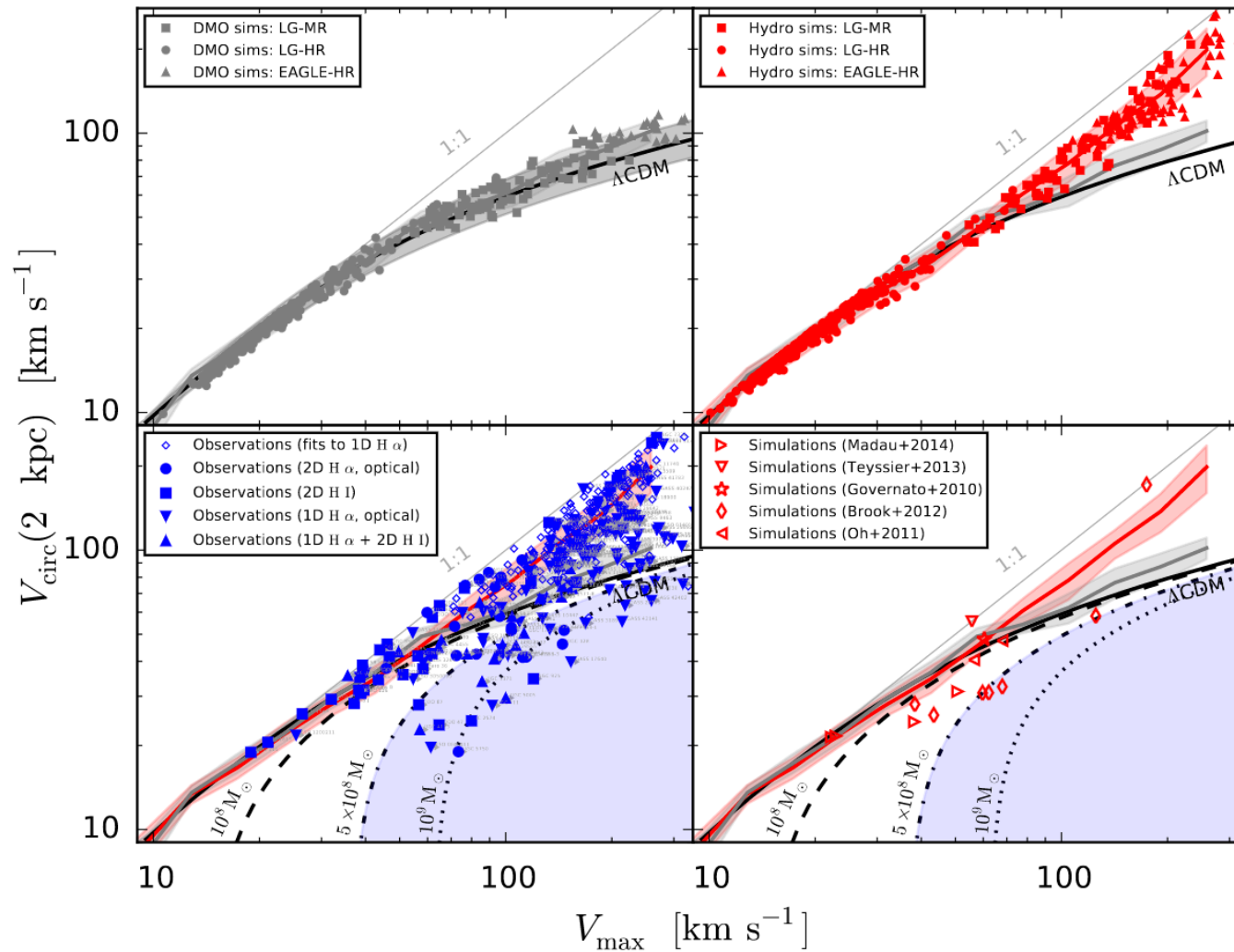
# Radial Acceleration Relation



# IC 2574



# Diversity of RC profiles at given $V_{\max}$ scale





# The unexpected diversity of dwarf galaxy rotation curves

Kyle A. Oman<sup>1,\*</sup>, Julio F. Navarro<sup>1,2</sup>, Azadeh Fattahi<sup>1</sup>, Carlos S. Frenk<sup>3</sup>,  
Till Sawala<sup>3</sup>, Simon D. M. White<sup>4</sup>, Richard Bower<sup>3</sup>, Robert A. Crain<sup>5</sup>,  
Michelle Furlong<sup>3</sup>, Matthieu Schaller<sup>3</sup>, Joop Schaye<sup>6</sup>, Tom Theuns<sup>3</sup>

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<sup>3</sup> *Institute for Computational Cosmology, Department of Physics, University of Durham, South Road, Durham DH1 3LE, United Kingdom*

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<sup>6</sup> *Leiden Observatory, Leiden University, PO Box 9513, NL-2300 RA Leiden, the Netherlands*

We conclude that one or more of the following statements must be true: (i) the dark matter is more complex than envisaged by any current model; (ii) current simulations fail to reproduce the diversity in the effects of baryons on the inner regions of dwarf galaxies; and/or (iii) the mass profiles of “inner mass deficit” galaxies inferred from kinematic data are incorrect.

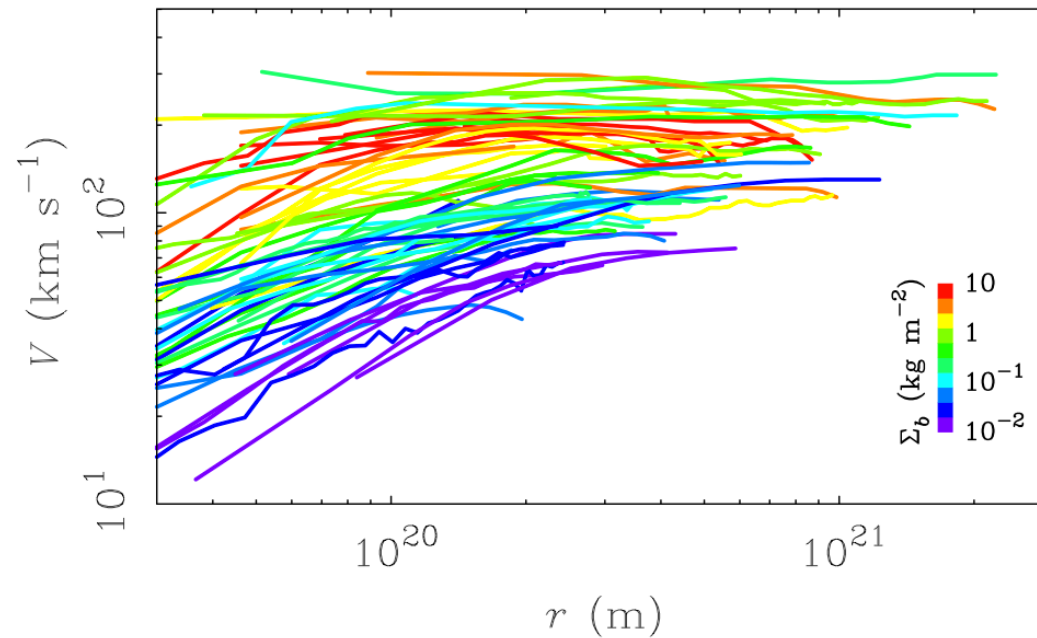
...ing as a function of galaxy mass, but shows remarkable diversity at fixed maximum circular velocity. This is especially true for low-mass dark matter-dominated systems, reflecting the expected similarity of the underlying cold dark matter haloes. This is at odds with observed dwarf galaxies, which show a large diversity of rotation curve shapes, even at fixed maximum rotation speed. Some dwarfs have rotation curves that agree well with simulations, others do not. The latter are systems where the inferred mass enclosed in the inner regions is much lower than expected for cold dark matter haloes and include many galaxies where previous work claims the presence of a constant density “core”. The “cusp vs core” issue is thus better characterized as an “inner mass deficit” problem than as a density slope mismatch. For several galaxies the magnitude of this inner mass deficit is well in excess of that reported in recent simulations where cores result from baryon-induced fluctuations in the gravitational potential.

We conclude that one or more of the following statements must be true: (i) the dark matter is more complex than envisaged by any current model; (ii) current simulations fail to reproduce the diversity in the effects of baryons on the inner regions of dwarf galaxies; and/or (iii) the mass profiles of “inner mass deficit” galaxies inferred from kinematic data are incorrect.

**Key words:** dark matter, galaxies: structure, galaxies: haloes

The baryonic surface density (or characteristic acceleration) actually determines  
**the shape of rotation curves:** huge fine-tuning

DIVERSITY of observed profiles at given  $V_{\max}$   
vs.  
UNIFORMITY of profiles at given  $\Sigma_b$



Famaey & McGaugh (2012)



# MOND paradigm

$g = g_N$	if $g \gg a_0$
$g = (g_N a_0)^{1/2}$	if $g \ll a_0$

- Emergence from feedback?  $\Rightarrow$  not MOND! Not found...

- Due to a fundamental reason?

1) DM-baryons interactions?

2) More radical:

2a) Fundamental nature of DM?  
(gravitational dipoles, superfluid,...)

2b) Modified Gravity + DM?

2c) Even more exotic (modified « inertia », ...)?





# MOND paradigm

$$\nabla \cdot [\mu(|\nabla\Phi|/a_0) \nabla\Phi] = 4\pi G \rho_{\text{bar}} \quad \text{AQUAL: Bekenstein \& M (1984)}$$

or

$$\nabla^2 \Phi = \nabla \cdot [\nu(|\nabla\Phi_N|/a_0) \nabla\Phi_N] \quad \text{QUMOND: Milgrom (2010)}$$

- Differing only slightly outside of spherical symmetry
- Both have possible relativistic counterparts
- Numerical Poisson solvers exist: recently, PoR (Phantom of Ramses) for QUMOND ([Lüghausen, Famaey & Kroupa](#))

# Solar System constraints

Hees et al. (2016):

Strong constraints on  
modified gravity versions  
of MOND from Cassini

$$\nabla^2 \Phi = \nabla \cdot \left[ \nu \left( \frac{|\nabla \Phi_N|}{a_0} \right) \nabla \Phi_N \right]$$

$$\nu_n(y) = \left[ \frac{1 + (1 + 4y^{-n})^{1/2}}{2} \right]^{1/n},$$

$$\tilde{\nu}_\alpha(y) = (1 - e^{-y})^{-1/2} + \alpha e^{-y},$$

$$\bar{\nu}_\alpha(y) = (1 - e^{-y^\alpha})^{-1/2\alpha} + (1 - 1/2\alpha) e^{-y^\alpha},$$

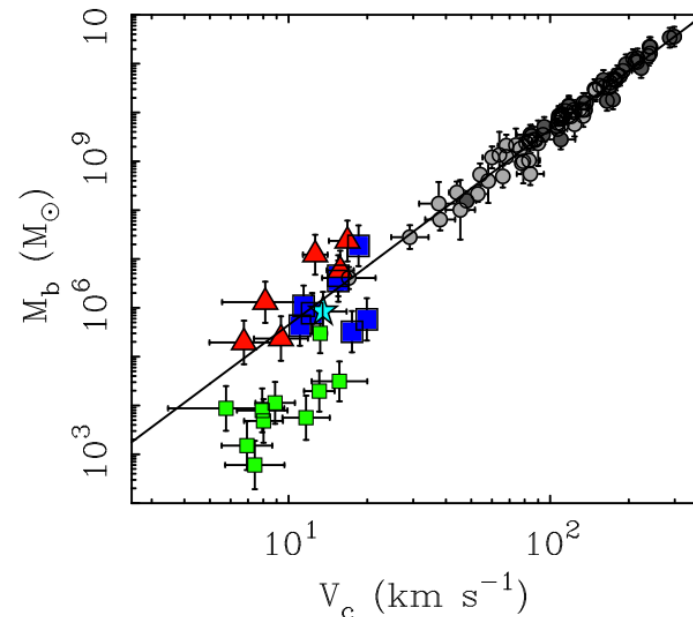
$$\hat{\nu}_\alpha(y) = (1 - e^{-y^{\alpha/2}})^{-1/\alpha}.$$

	$a_0$ $10^{-10}$ [m/s <sup>2</sup> ]	$\chi^2_{\text{red}}$	$g_e = g_{\text{emin}}$			$g_e = g_{\text{emax}}$		
			$\eta$	$-q$ $10^{-2}$	$Q_2$ $10^{-27}$ [s <sup>-2</sup> ]	$\eta$	$-q$ $10^{-2}$	$Q_2$ $10^{-27}$ [s <sup>-2</sup> ]
<del><math>\nu_2</math></del>	<del>1.60</del>	<del>2.02</del>	<del>1.20</del>	<del>10.</del>	<del>26.</del>	<del>1.50</del>	<del>11.3</del>	<del>30.</del>
$\nu_3$	1.55	1.97	1.20	8.29	21.	1.50	7.82	20.
$\nu_4$	1.51	1.94	1.30	5.76	16.	1.60	5.34	13.
$\nu_5$	1.49	1.93	1.30	5.51	13.	1.60	3.71	8.7
<del><math>\nu_6</math></del>	<del>1.46</del>	<del>1.92</del>	<del>1.30</del>	<del>4.55</del>	<del>11.</del>	<del>1.60</del>	<del>2.67</del>	<del>6.2</del>
$\nu_7$	1.45	1.92	1.30	3.82	8.7	1.70	2.01	4.6
$\nu_8$	1.44	1.92	1.30	3.27	7.3	1.70	1.58	3.5
<del><math>\tilde{\nu}_{0.5}</math></del>	<del>1.48</del>	<del>2.16</del>	<del>1.30</del>	<del>14.8</del>	<del>35.</del>	<del>1.60</del>	<del>18.5</del>	<del>44.</del>
<del><math>\tilde{\nu}_1</math></del>	<del>1.38</del>	<del>2.12</del>	<del>1.40</del>	<del>18.3</del>	<del>38.</del>	<del>1.70</del>	<del>25.</del>	<del>53.</del>
<del><math>\tilde{\nu}_{1.5}</math></del>	<del>1.18</del>	<del>2.16</del>	<del>1.60</del>	<del>24.1</del>	<del>40.</del>	<del>2.00</del>	<del>34.2</del>	<del>57.</del>
<del><math>\tilde{\nu}_2</math></del>	<del>0.815</del>	<del>2.24</del>	<del>2.30</del>	<del>44.8</del>	<del>43.</del>	<del>2.90</del>	<del>47.9</del>	<del>46.</del>
<del><math>\tilde{\nu}_{2.5}</math></del>	<del>0.977</del>	<del>2.23</del>	<del>1.90</del>	<del>38.1</del>	<del>42.</del>	<del>2.50</del>	<del>51.7</del>	<del>65.</del>
<del><math>\tilde{\nu}_3</math></del>	<del>0.743</del>	<del>1.07</del>	<del>2.60</del>	<del>50.8</del>	<del>47.</del>	<del>3.20</del>	<del>65.5</del>	<del>55.</del>
<del><math>\tilde{\nu}_4</math></del>	<del>0.723</del>	<del>2.01</del>	<del>2.60</del>	<del>54.8</del>	<del>44.</del>	<del>3.30</del>	<del>85.9</del>	<del>69.</del>
<del><math>\tilde{\nu}_5</math></del>	<del>0.715</del>	<del>1.97</del>	<del>2.70</del>	<del>48.1</del>	<del>38.</del>	<del>3.40</del>	<del>94.7</del>	<del>75.</del>
<del><math>\bar{\nu}_1</math></del>	<del>1.38</del>	<del>2.12</del>	<del>1.40</del>	<del>16.1</del>	<del>34.</del>	<del>1.70</del>	<del>19.5</del>	<del>41.</del>
<del><math>\bar{\nu}_{1.5}</math></del>	<del>1.18</del>	<del>2.16</del>	<del>1.60</del>	<del>19.3</del>	<del>32.</del>	<del>2.00</del>	<del>15.8</del>	<del>26.5</del>
$\bar{\nu}_2$	0.815	2.24	2.30	6.2	5.9	2.90	2.63	2.52
$\bar{\nu}_3$	0.743	2.07	2.60	1.9	1.6	3.20	0.82	0.68
$\bar{\nu}_4$	0.723	2.01	2.60	1.3	1.	3.30	0.56	0.45
$\bar{\nu}_5$	0.715	1.97	2.70	1.08	0.85	3.40	0.	0.
$\bar{\nu}_6$	0.713	1.95	2.70	1.02	0.8	3.40	0.	0.
$\bar{\nu}_7$	0.729	1.95	2.60	1.07	0.87	3.30	0.	0.
<del><math>\hat{\nu}_1</math></del>	<del>1.48</del>	<del>2.15</del>	<del>1.30</del>	<del>13.1</del>	<del>31.</del>	<del>1.60</del>	<del>17.5</del>	<del>41.</del>
<del><math>\hat{\nu}_2</math></del>	<del>1.59</del>	<del>2.01</del>	<del>1.20</del>	<del>10.2</del>	<del>27.</del>	<del>1.50</del>	<del>11.4</del>	<del>30.</del>
<del><math>\hat{\nu}_3</math></del>	<del>1.55</del>	<del>1.96</del>	<del>1.20</del>	<del>8.32</del>	<del>21.</del>	<del>1.60</del>	<del>7.49</del>	<del>19.</del>
<del><math>\hat{\nu}_4</math></del>	<del>1.51</del>	<del>1.94</del>	<del>1.30</del>	<del>6.66</del>	<del>16.</del>	<del>1.60</del>	<del>4.79</del>	<del>12.</del>
<del><math>\hat{\nu}_5</math></del>	<del>1.48</del>	<del>1.93</del>	<del>1.30</del>	<del>5.34</del>	<del>13.</del>	<del>1.60</del>	<del>3.1</del>	<del>7.3</del>
$\hat{\nu}_6$	1.46	1.92	1.30	4.31	9.9	1.60	2.11	4.9
$\hat{\nu}_7$	1.45	1.92	1.30	3.55	8.	1.70	1.55	3.5

# MW classical dwarfs

Lüghausen et al. 2014

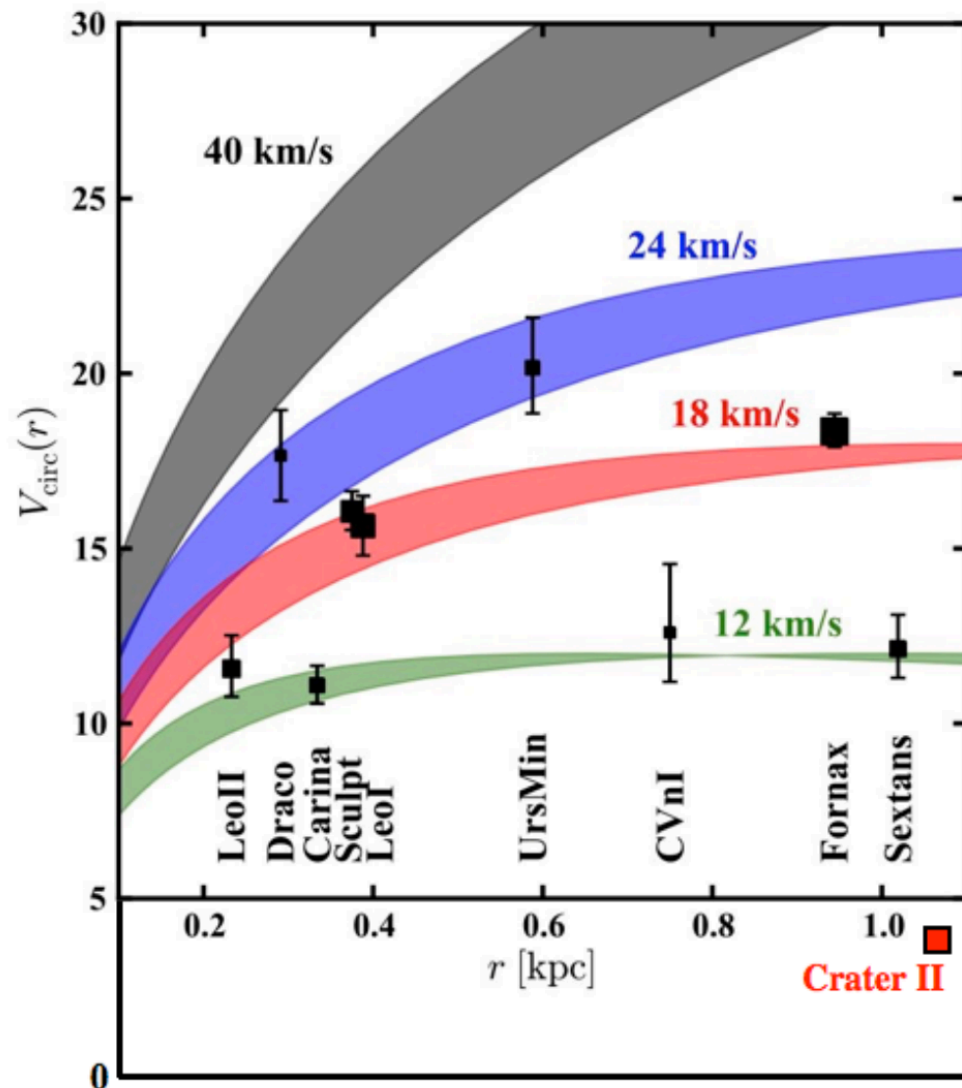
	$M_{0.1}/L_{V,0.1}$		$M_{0.3}/L_{V,0.3}$		$M_{r_{\max}}/L_{V,\text{tot}}$	
	predicted	observed	predicted	observed	predicted	observed
Fornax	[10.9, 29.9]	$12.9^{+7.5}_{-4.3}$	[8.1, 22.8]	$6.8^{+0.5}_{-0.7}$	[14.3, 47.9]	12
Sculptor	[8.9, 40.5]	$40^{+74}_{-26}$	[8.9, 33.7]	$23^{+2}_{-7}$	[8.9, 50.1]	38
Sextans	[9.5, 50.3]	$280^{+93}_{-47}$	[9.5, 50.3]	$143^{+113}_{-35}$	[9.5, 50.3]	108
Carina	[10.7, 54.5]	$293^{+43}_{-37}$	[10.7, 48.0]	$81^{+10}_{-5}$	[10.7, 59.4]	81
Draco	[8.0, 44.7]	$55^{+122}_{-12}$	[8.0, 44.7]	$137^{+15}_{-21}$	[8.0, 44.7]	346



# Crater II

- Half light radius = 1.1 kpc
- Distance = 120 kpc
- Luminosity =  $1.6 \times 10^5 M_{\text{sun}}$
- $\sigma = 2.7 \pm 0.3$  km/s

= MOND prediction with EFE  
(McGaugh 2016)





# Superfluid dark matter

Idea of [Berezhiani & Khoury](#): DM could have strong self-interactions and enter a superfluid phase when

- cold enough (i.e; their de Broglie wavelength  $\lambda \sim 1/(mv)$  is large
- dense enough (i.e. the interparticle separation is smaller than  $\lambda$ )

=> Superfluid core ( $\sim 100$  kpc) where collective excitations (phonons) can couple to baryons and mediate a long-range force + isothermal « normal » atmosphere

System	Behavior
<b>Rotating Systems</b>	
Solar system	Newtonian
Galaxy rotation curve shapes	MOND (+ small DM component)
Baryonic Tully–Fisher Relation	MOND for RCs (but particle DM for lensing)
Bars and spiral structure in galaxies	MOND
<b>Interacting Galaxies</b>	
Dynamical friction	Absent in superfluid core
Tidal dwarf galaxies	Newtonian when outside of superfluid core
<b>Spheroidal Systems</b>	
Star clusters	MOND with EFE inside galaxy host core - Newton outside of core
Dwarf Spheroidals	MOND with EFE inside galaxy host core - MOND+DM outside of core
Clusters of Galaxies	particle DM
Ultra-diffuse galaxies	MOND without EFE outside of cluster core



# Conclusion

- Independently from the theoretical framework, the MOND formula is an extremely efficient way of **predicting the gravitational field in rotationally supported disk galaxies !**
- Any galaxy formation framework should be able to ultimately reproduce the MOND formula as an **observed** relation for spiral galaxies!
- But some issues on very small scales (ultrafaint dwarf galaxies and globular clusters), and obvious presence of DM on large scales

**‘cherry on the cake’? common scale with DE,  $a_0 \sim \Lambda^{1/2}$**