

# Generalized dark matter model with the Euclid satellite

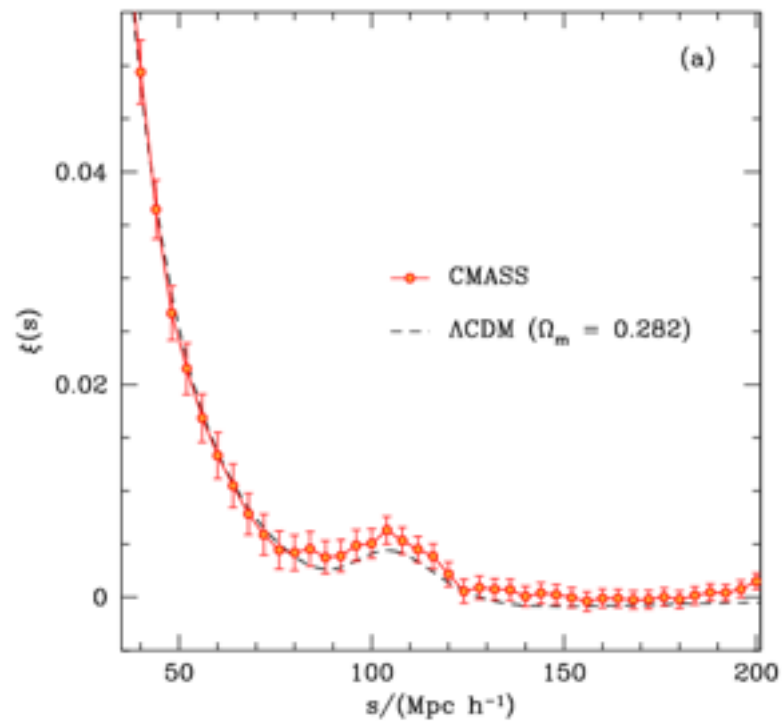
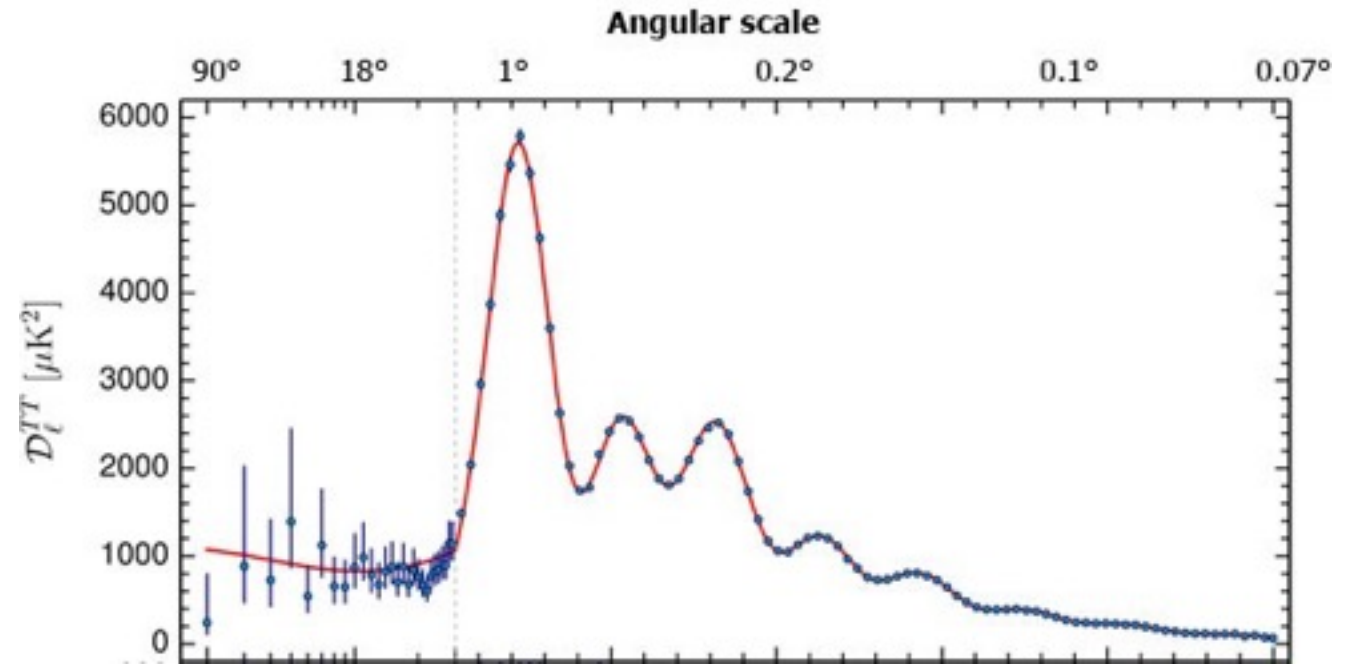
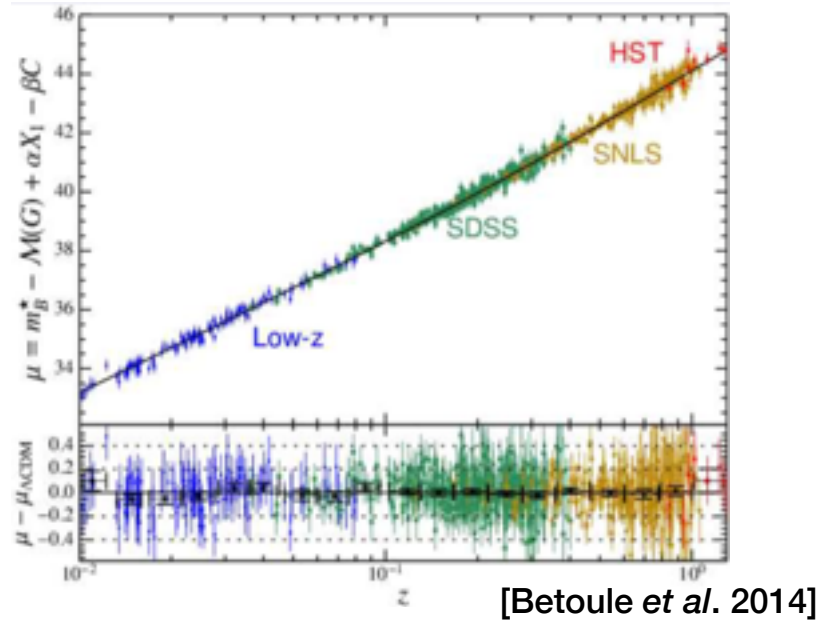
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# Introduction

$\Lambda$ CDM Good phenomenological fit to current cosmological data:



[Sanchez et al. 2012]

But no direct detection of DM, neither of DE as  $\Lambda$   
 Tension between low- $z$  and high- $z$  data

# Theoretical framework

- We assume that DM is only coupled to the visible sector through gravity:
  - DM energy-momentum tensor is conserved.
  - We can use the standard conservation equations for a general matter source:

$$\dot{\rho} + 3H(1 + w)\rho = 0$$

- We focus on linear scalar perturbations:

$$\dot{\delta} + (1 + w) \left( \dot{\theta} + \frac{\dot{h}}{2} \right) + 3H \left( \frac{\delta p}{\delta \rho} - w \right) = 0$$

$$\dot{\theta} + H(1 - 3w)\theta + \frac{\dot{w}}{1 + w}\theta - \frac{\delta p / \delta \rho}{1 + w} k^2 \delta + k^2 \sigma = 0$$

- GDM is then specified by

$$w, \quad \delta p, \quad \sigma \quad \leftrightarrow \quad \delta, \theta$$

# Theoretical framework

- DM particles interact very rarely compared to the time scale of cosmological evolution.
  - Thermodynamical equilibrium cannot be established.
  - We need to solve the full Boltzmann equation with the particle distribution (multipole moment decomposition).
- But each higher moment is suppressed wrt the previous one by  $E_c/m$ 
  - If DM is relativistic -> we need to solve the full coupled set of eqs.
  - If DM is non-relativistic -> we can truncate the decomposition.
- We consider non-relativistic DM (it can allow for the formation of galaxies) with the  $c_{\text{vis}}$  parameterization:

$$\delta p = c_s^2 \delta \rho - \dot{\rho} (c_s^2 - c_a^2) \theta / k^2$$
$$\dot{\sigma} + 3H \frac{c_a^2}{w} \sigma = \frac{4}{3} \frac{c_{\text{vis}}^2}{1+w} (2\theta + \dot{h} + 6\dot{\eta})$$

# Theoretical framework

- In conclusion, GDM is characterized by

- Equation of state parameter  $w(z) \rightarrow w_0$

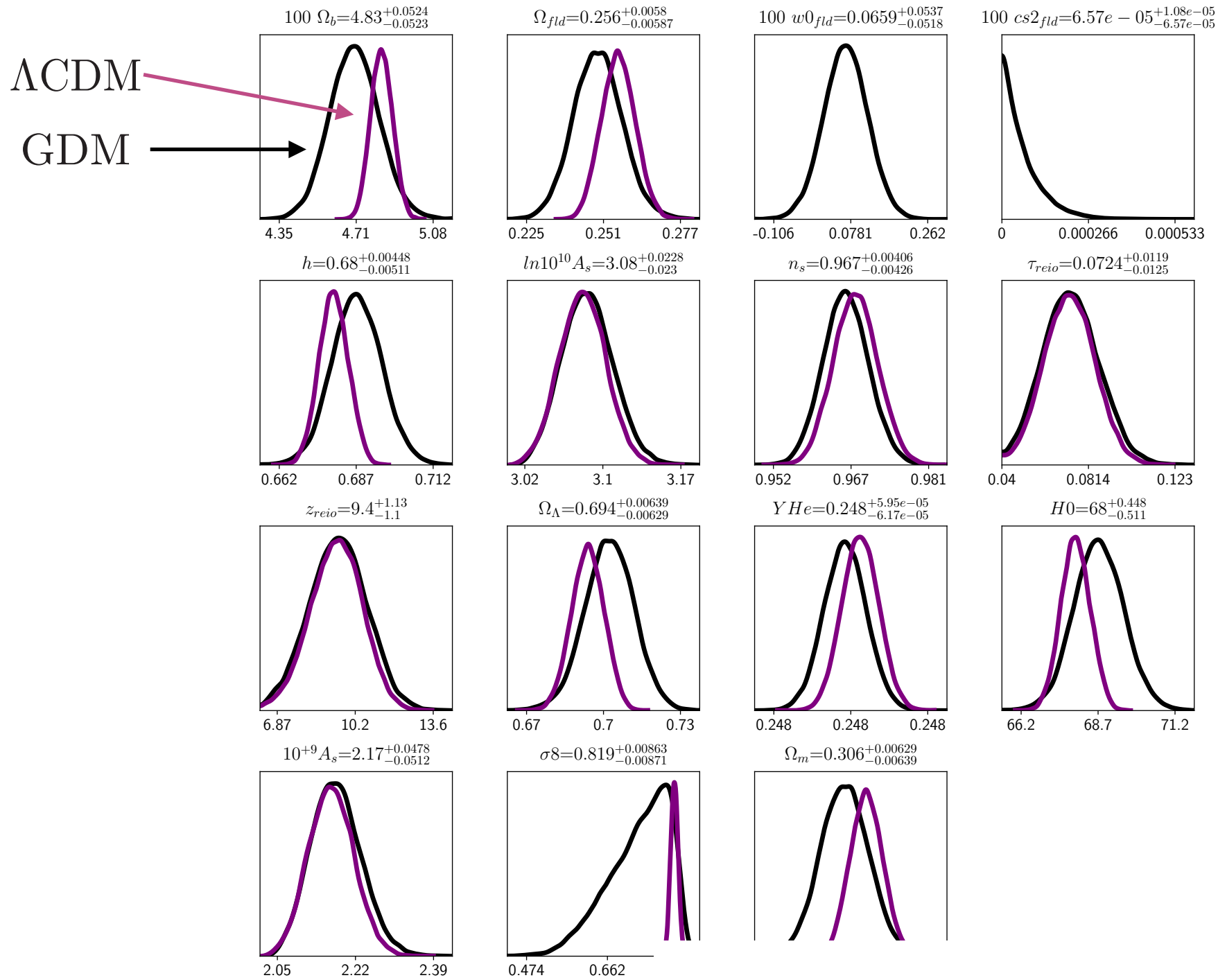
- Sound speed  $c_s^2(z, x) \rightarrow c_{s,0}^2$

- Viscosity  $c_{\text{vis}}^2(z, x) \rightarrow 0$

# Current data

- Markov chain Monte Carlo with Monte Python and a modified version of CLASS
  - Type Ia supernovae (JLA) [Betoule *et al.* 2014]
  - BAO [Anderson *et al.* 2014; Beutler *et al.* 2011; Ross *et al.* 2015]
  - CMB (Planck\_high\_TTTEEE, Planck\_lowl, Planck\_lensing) [Planck Collaboration 2016]
  - CFHTLenS [Heymans *et al.* 2013]
    - Tension with CMB data?
    - Nonlinear scales?

# Current data: Results



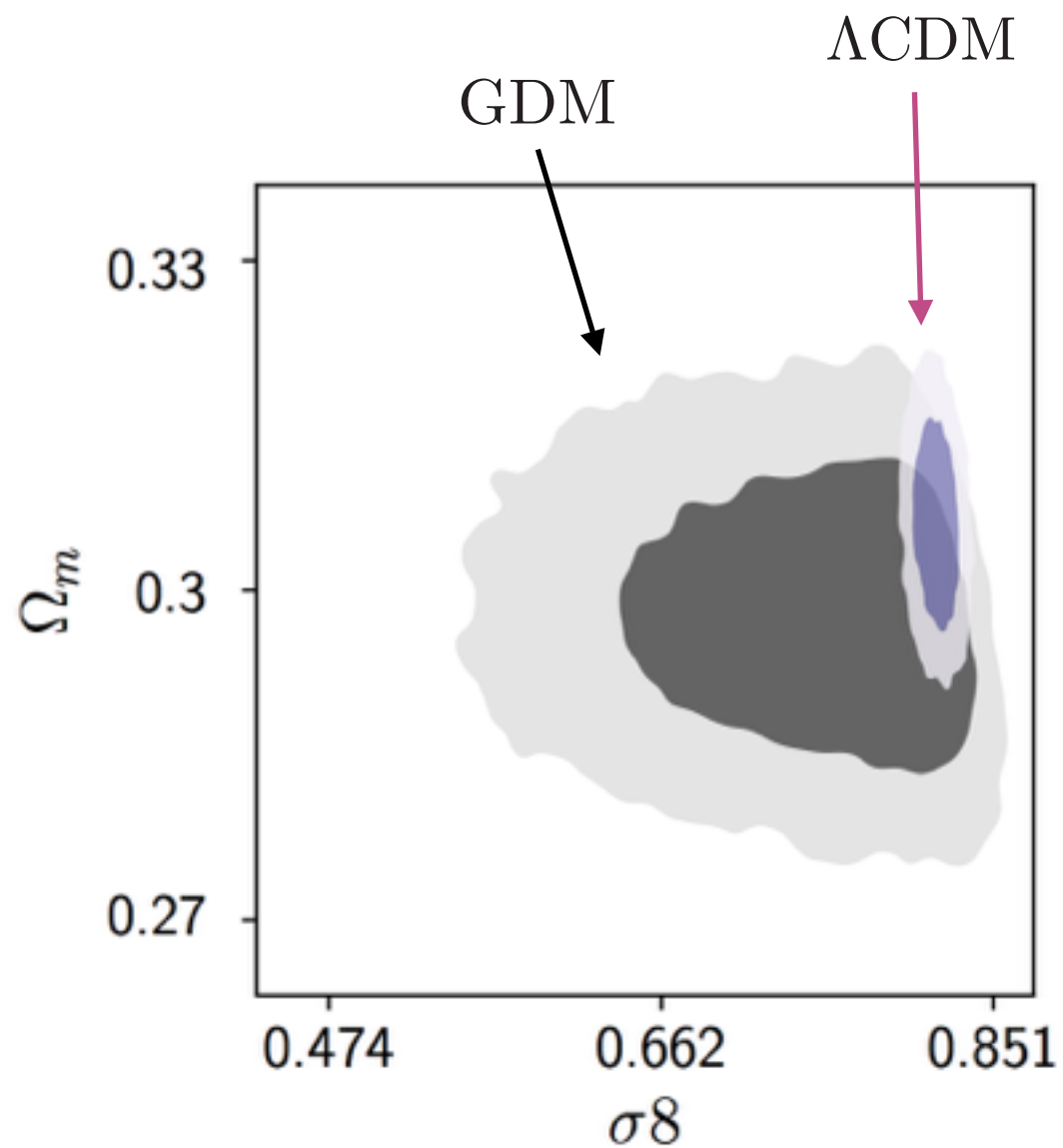
**CMB + SNIa + BAO**

**GDM allows for:**

- Smaller  $\Omega_m$
- Smaller  $\sigma_8$
- Larger  $H_0$



# Current data: Results

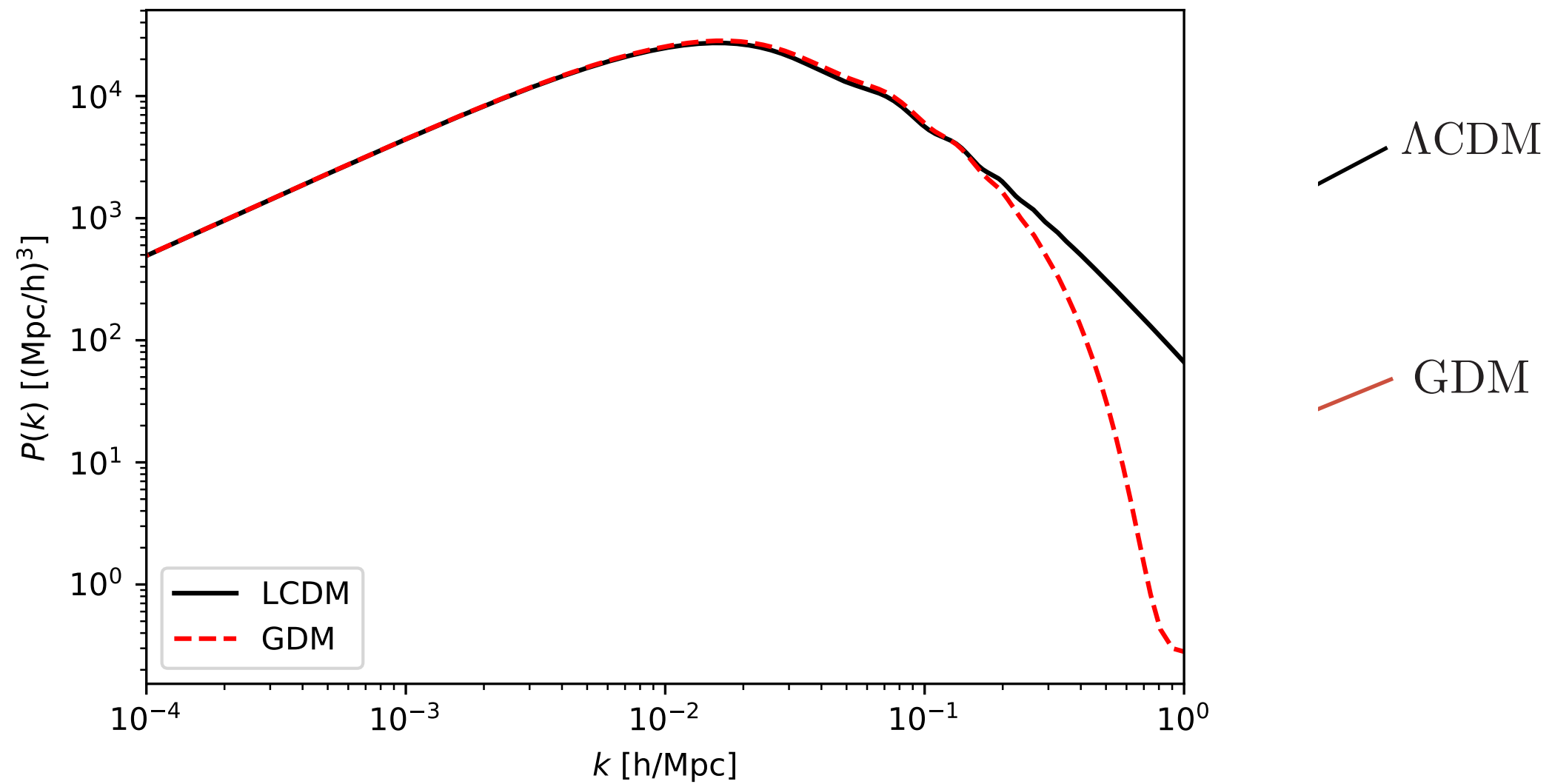


**CMB + SNIa + BAO**

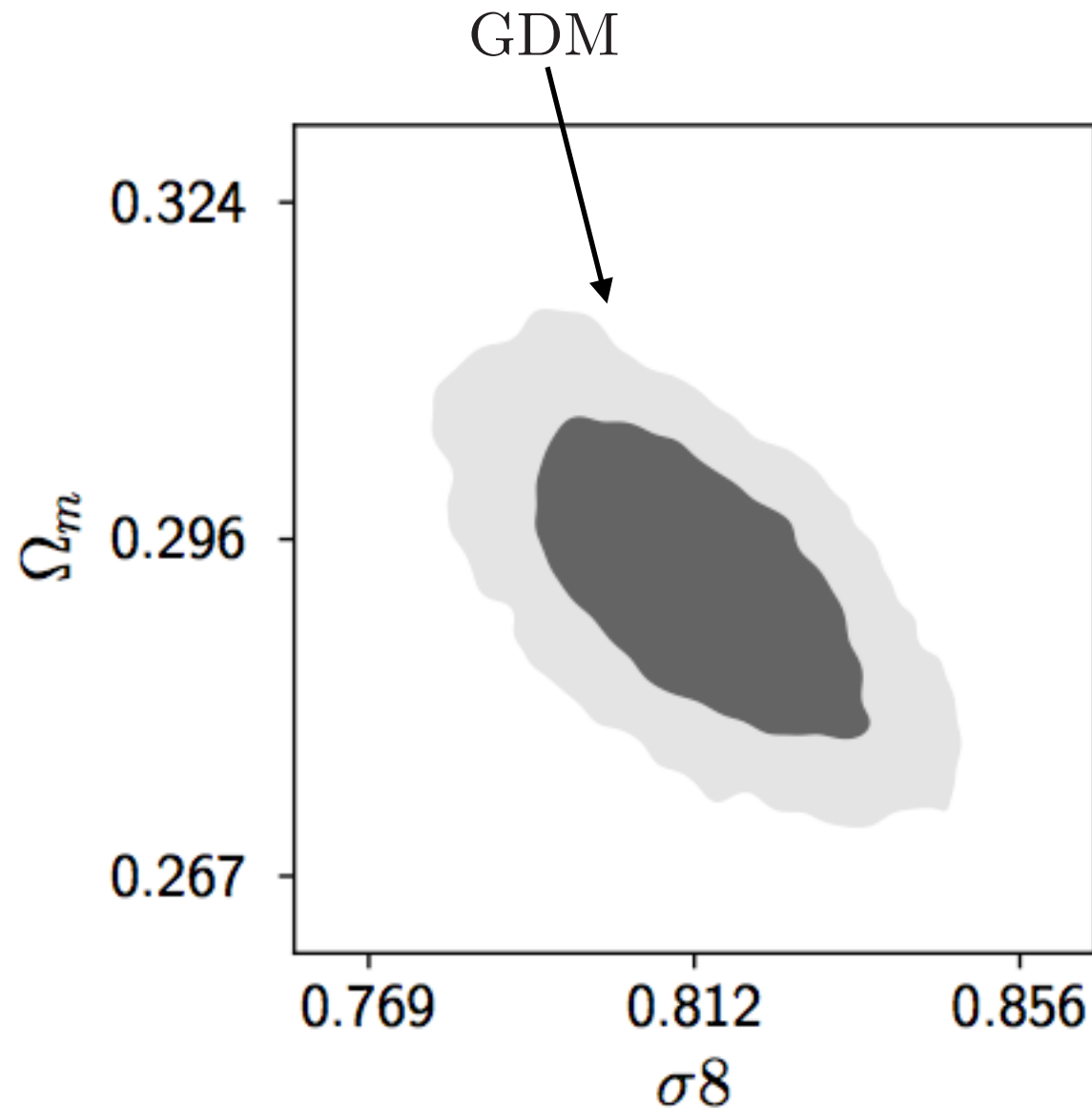
**GDM could alleviate the tension between  $\Omega_m$  and  $\sigma_8$  (smaller value for  $\sigma_8$  keeping  $\Omega_m$  fixed)**

# Current data: Results

Probes sensitive to small scales  
are very important to constraint



# Current data: Results



**CMB + SNIa + BAO + WL**

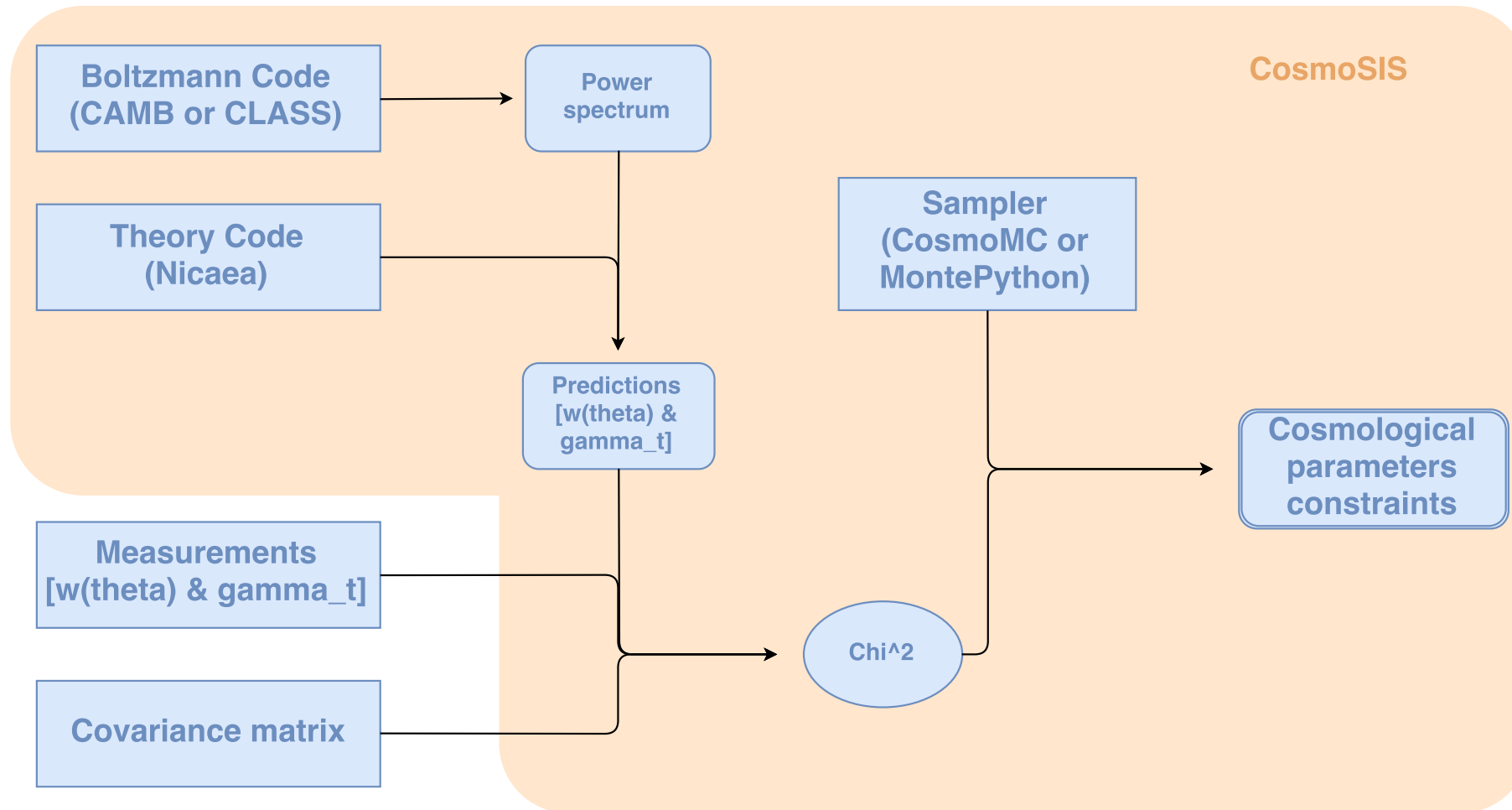
**Much stronger constraints when adding WL data:**

$$c_s^2 < 7.65e - 7 \quad \Rightarrow \quad c_s^2 < 1.14e - 10$$

**But can GDM still alleviate the  $\Omega_m$  -  $\sigma_8$  tension?**

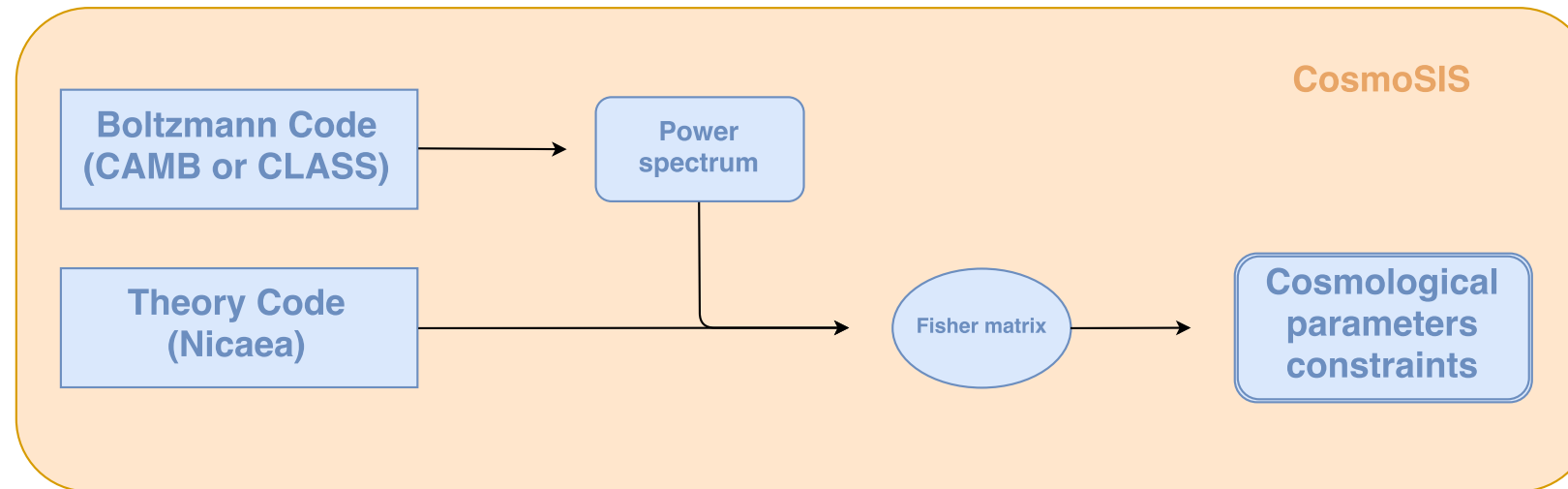
# Euclid satellite

## Standard data analysis:



# Euclid satellite

Fisher matrix forecast:



$$F_{ij} \equiv - \left\langle \left( \frac{\partial^2 \ln \mathcal{L}}{\partial \theta_i \partial \theta_j} \right) \right\rangle_D = - \int \left( \frac{\partial^2 \ln \mathcal{L}}{\partial \theta_i \partial \theta_j} \right) \mathcal{L} dD$$

Cramér-Rao lower bound:  $C(\hat{\theta}) - F^{-1} \geq 0$

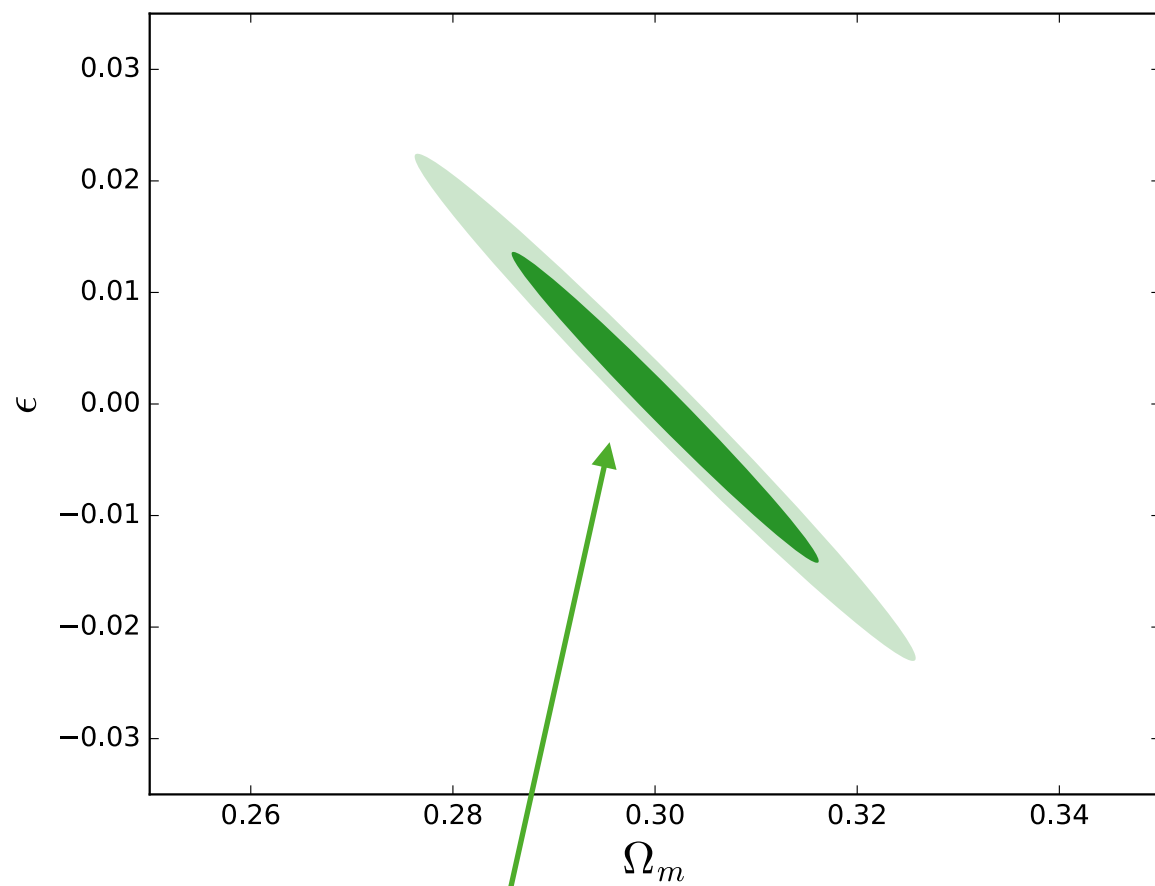
Goal: Euclid forecast for GDM parameters with:

$$\text{GC}_{\text{phot}} * \text{WL}_{\text{phot}} + \text{GC}_{\text{spec}}$$

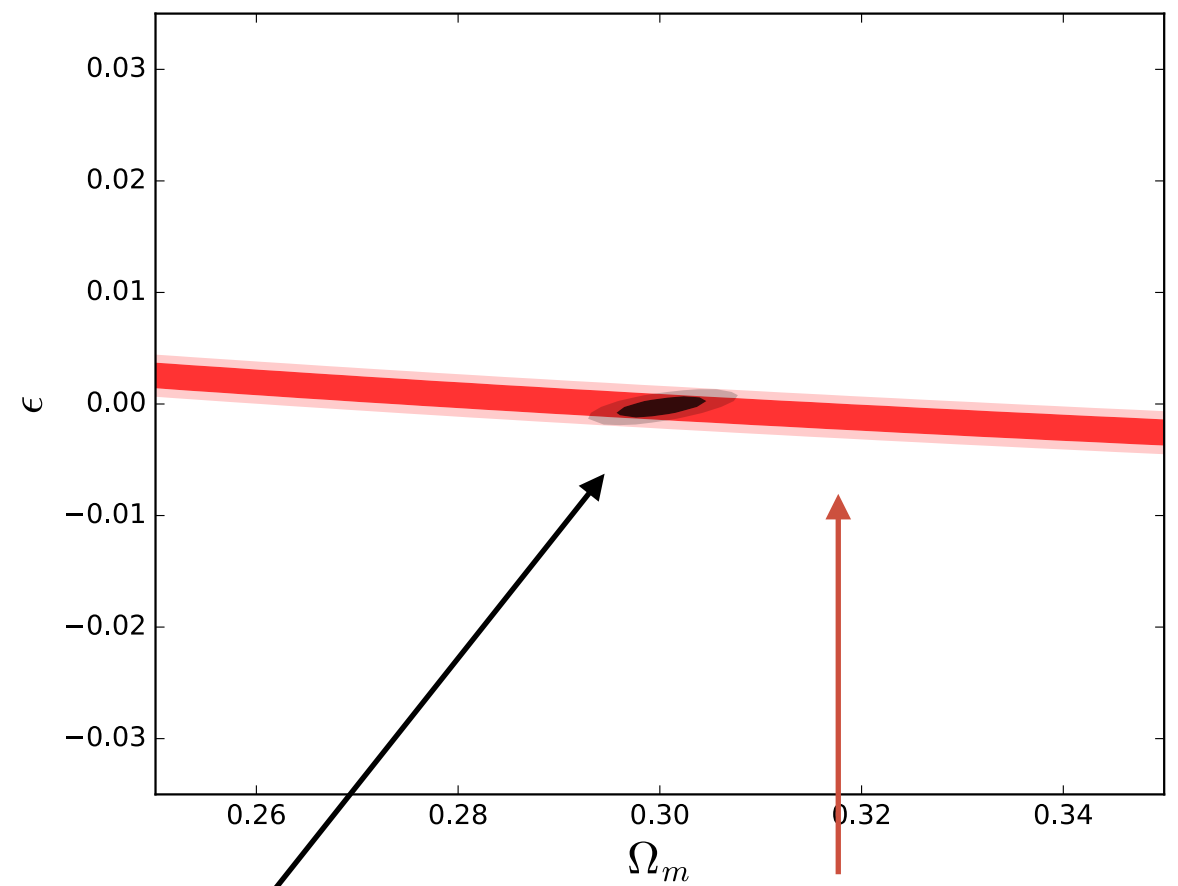
# Euclid satellite: Results

Spectroscopic GC only [IT *et al.* 2016]

We assume here  $c_s^2 = 0$

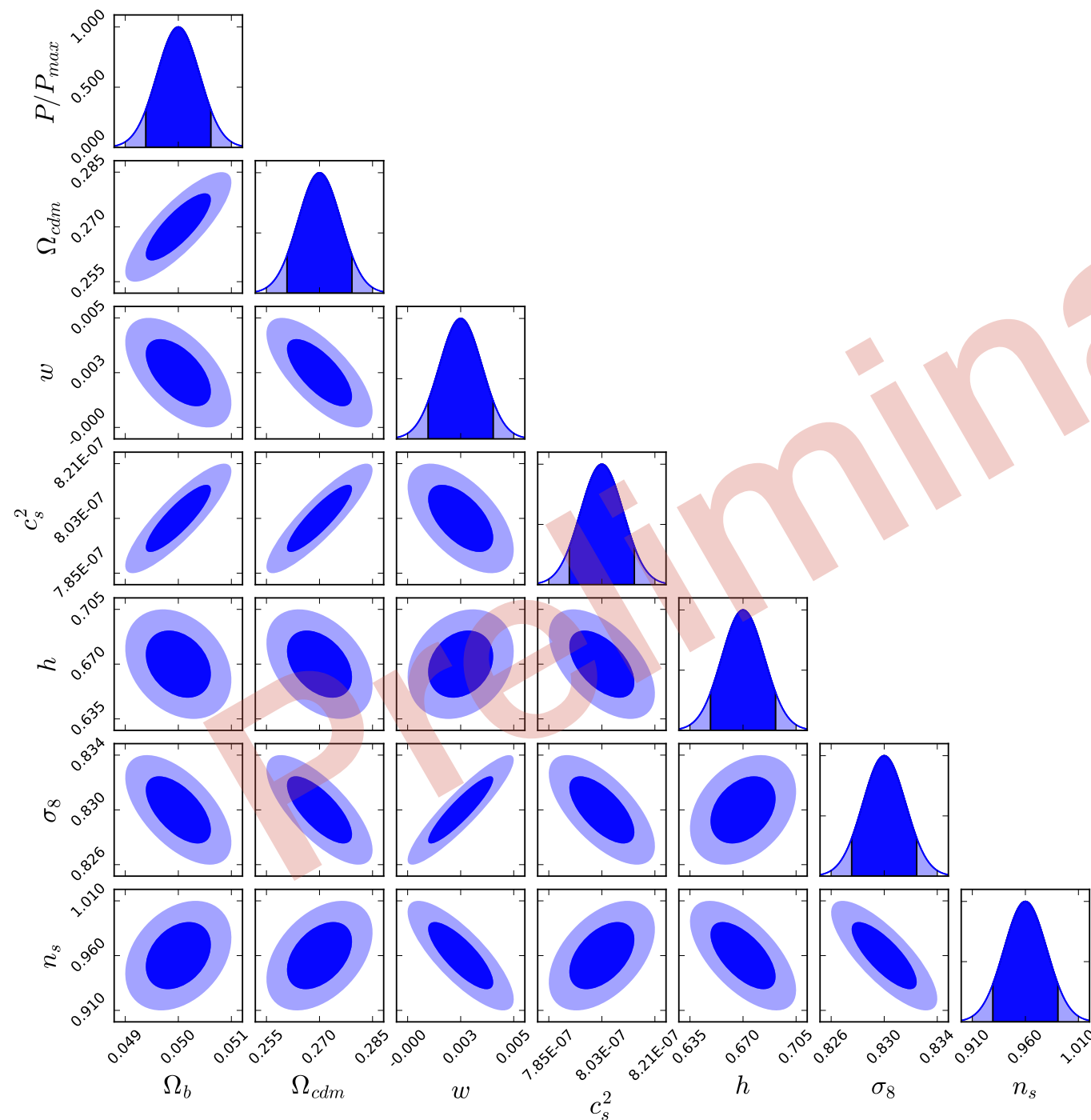


Euclid



CMB

# Euclid satellite: Results



	CMB+SNIa+BAO	Euclid GC*WL
$P/P_{max}$	$1.19e-3$	$4.98e-4$
$\Omega_{cdm}$	$8.46e-3$	$5.97e-3$
$w$	$5.32e-4$	$1.06e-3$
$c_s^2$	$2.33e-9$	$7.07e-9$
$h$	$8.07e-3$	$1.41e-2$
$\sigma_8$	$1.58e-2$	$1.77e-3$
$n_s$	$4.31e-3$	$2.00e-2$

# Conclusions

- The nature of DM is not yet well understood, so it is important to study models proposing a more general approach.
- A more generalized treatment of DM seems to alleviate the tension between low- $z$  and high- $z$  data.
- Adding WL data can be tricky (non-linearities) but it's a key probe to constraint GDM.
- Euclid may provide exquisite constraints on DM properties, showing whether GDM is preferred over standard CDM, and if the tension between low- $z$  and high- $z$  data is alleviated.