

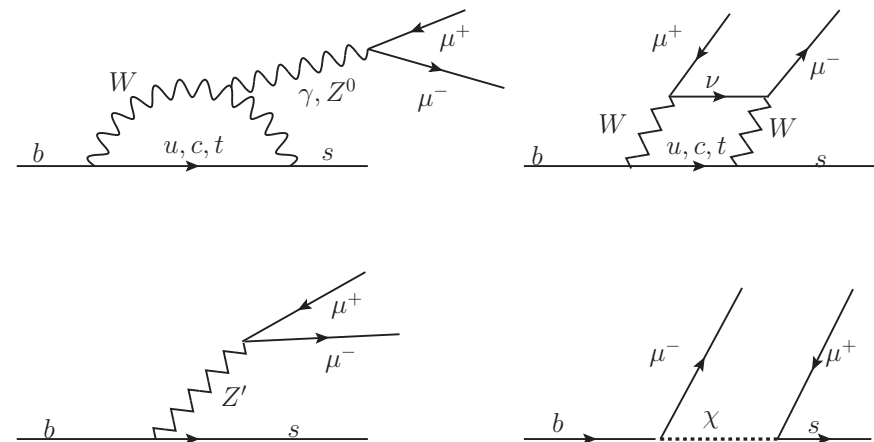
# Measurements with $b \rightarrow sll$ and $b \rightarrow dll$



Mitesh Patel (Imperial College London)  
Annecy, 21<sup>st</sup> March 2018

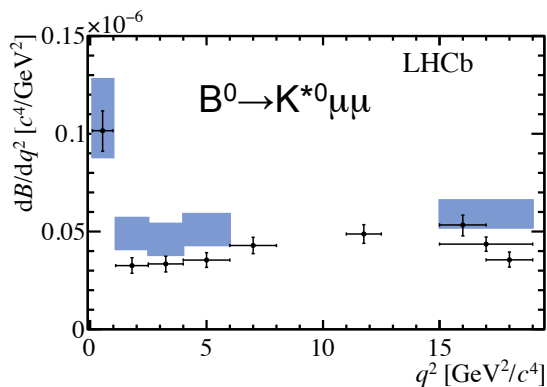
# Introduction

- Rare  $b \rightarrow (s,d)\ell\ell$  decays sensitive to NP in  $O_7$ ,  $O_9$  and  $O_{10}$  operators
- Can measure amount of these different kinds of couplings to different quarks e.g.  $b \rightarrow s$  vs  $b \rightarrow d$ ; and different leptons  $b \rightarrow q\ell\ell$  vs  $b \rightarrow q\mu\mu$  ( $b \rightarrow q\tau\tau$ ?)

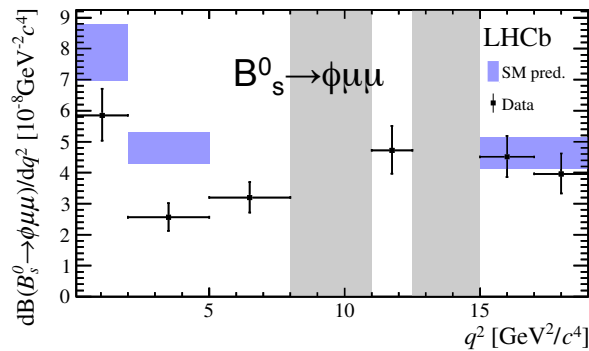


# Branching Fractions

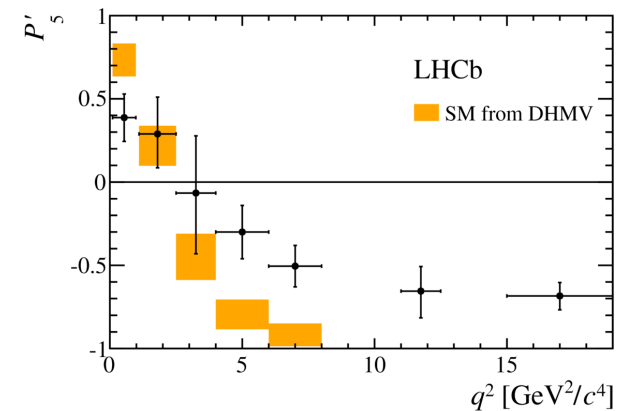
- Dominant theory uncertainties from form factors
  - BF *already* have comparable theory/experimental errors
  - Lattice will improve at high  $q^2$  but not a revolution
- To go beyond this, measure angular observables
  - Construct observables where form factors cancel to some greater or less extent e.g. the infamous  $P_5'$



[JHEP 11 (2016) 047,  
JHEP 04 (2017) 142]



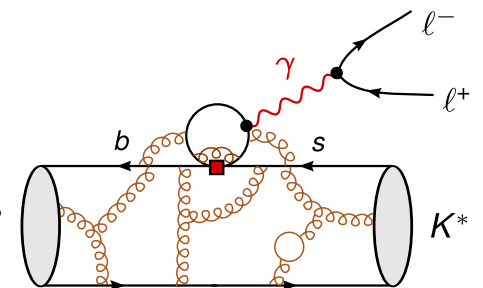
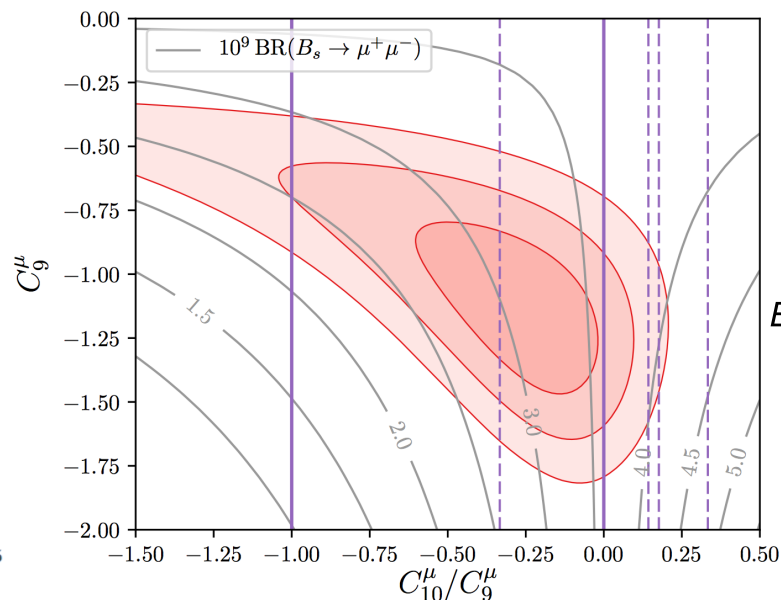
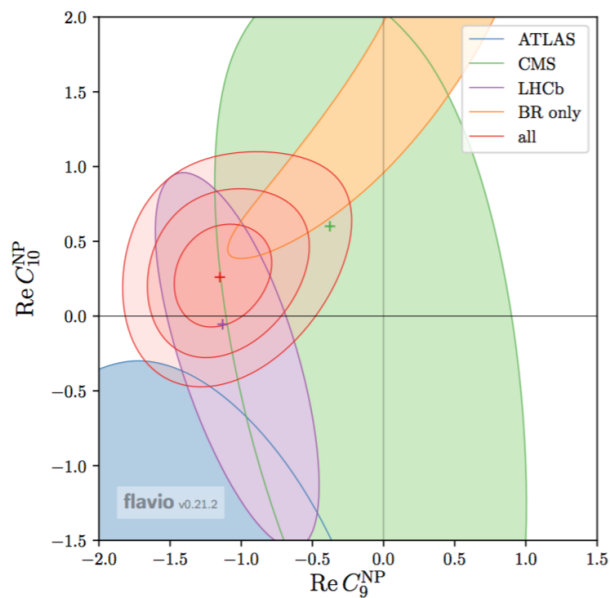
[JHEP 09 (2015) 179]



[JHEP 02 (2016) 104]

# Reminder – present status

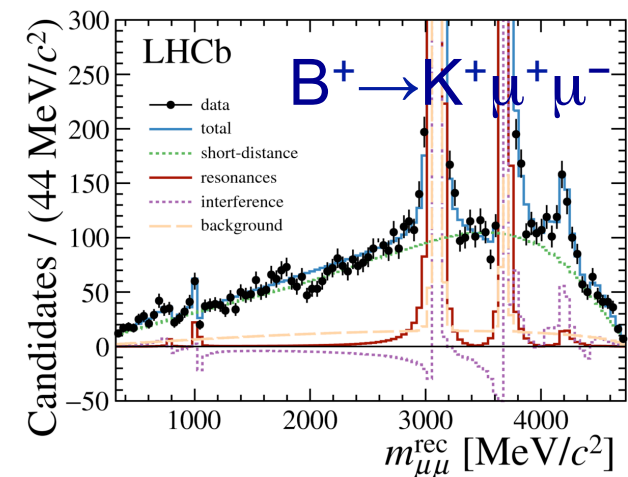
- Existing discrepancies serve to illustrate power - constrain mass-coupling plane of NP models e.g. with LQ
  - explanations with only on b-s coupling  $\rightarrow$  O(TeV) LQ;
  - with full couplings can have O(30TeV) LQ
- Tensions observed have exposed theory limitations e.g.  $\Delta C_9$  effect from  $c\bar{c}$  loops



# Analysis in the upgrade era

- 50 (300)  $\text{fb}^{-1}$  would enable us to parameterise and fit for form factors as part of fit to angular distribution,  $q^2$ 
  - Could then simultaneously constrain  $\text{BF}^*$  and angular observables to get Wilson coefficients
  - (\*) need Belle2 to improve knowledge of  $J/\psi$  normal modes

- Similarly, if can agree modelling with theory community, fit of interference resonances/rare decay will tackle  $c\bar{c}$  loop issue



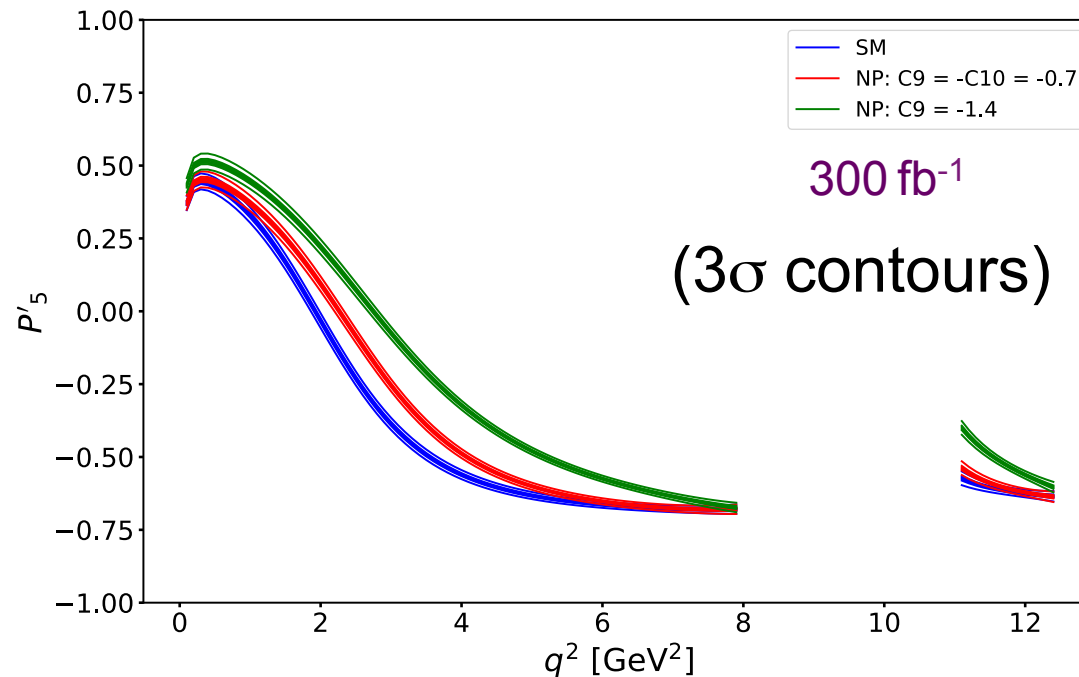
[EJPC (2017) 77:161]

- For  $\mu$  channels, detector considerations are as might expect - maintain PID performance and mass resolution; vertex isolation important for rejecting cascade backgrounds

# Upgrade projections (stat)

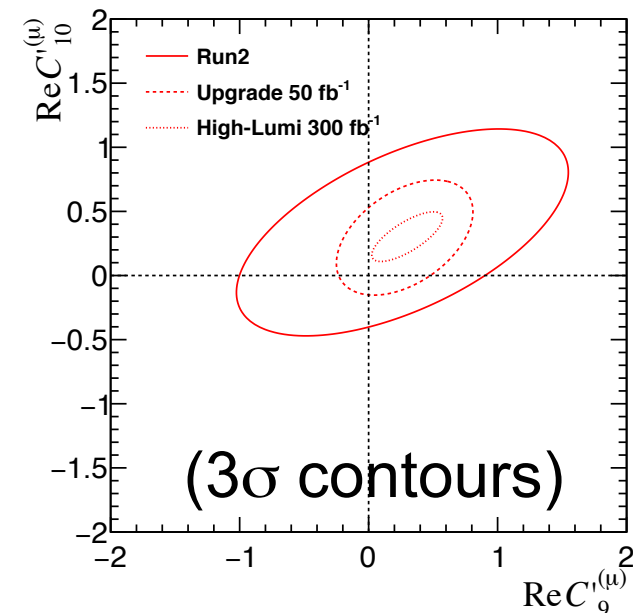
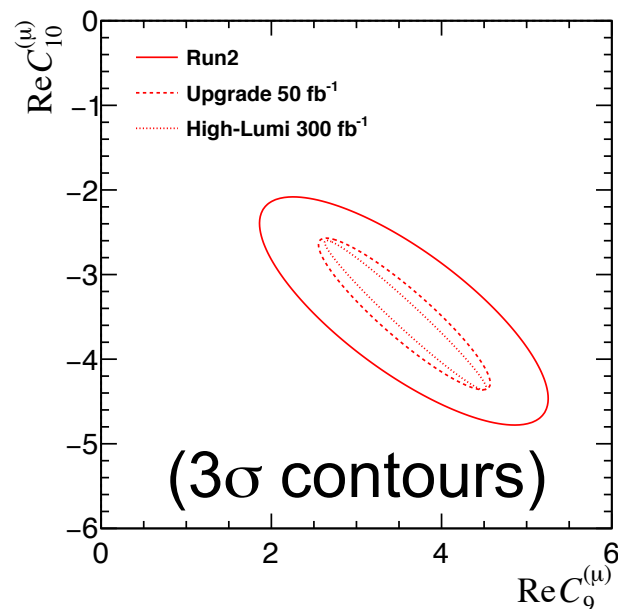
- [If can control syst. (...) and detector performance maintained] improvements in observables will distinguish between different NP models

e.g.  $\Delta C_9 = -\Delta C_{10} = -0.7$  vs  $\Delta C_9 = -1.4$  (SM)



# Upgrade projections (stat)

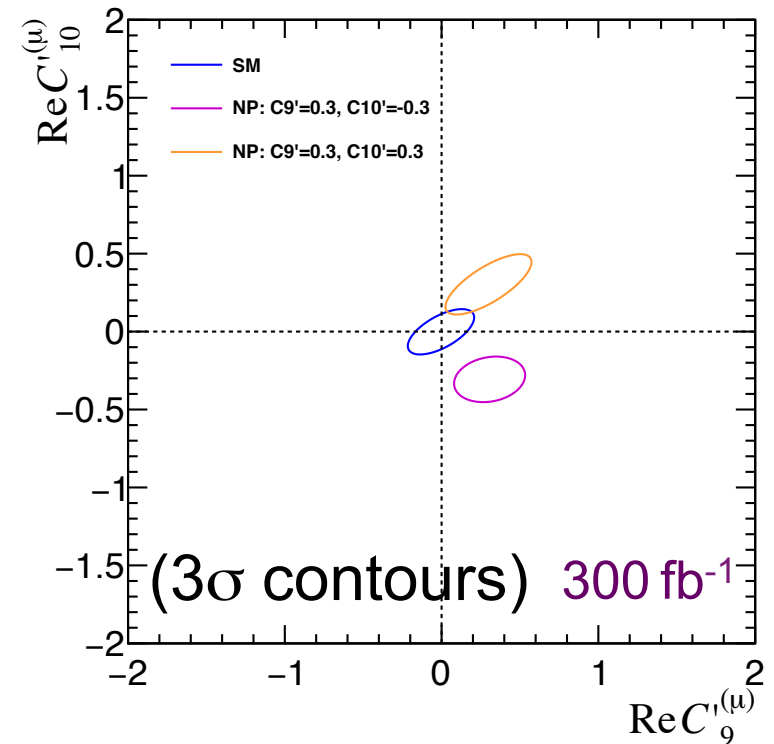
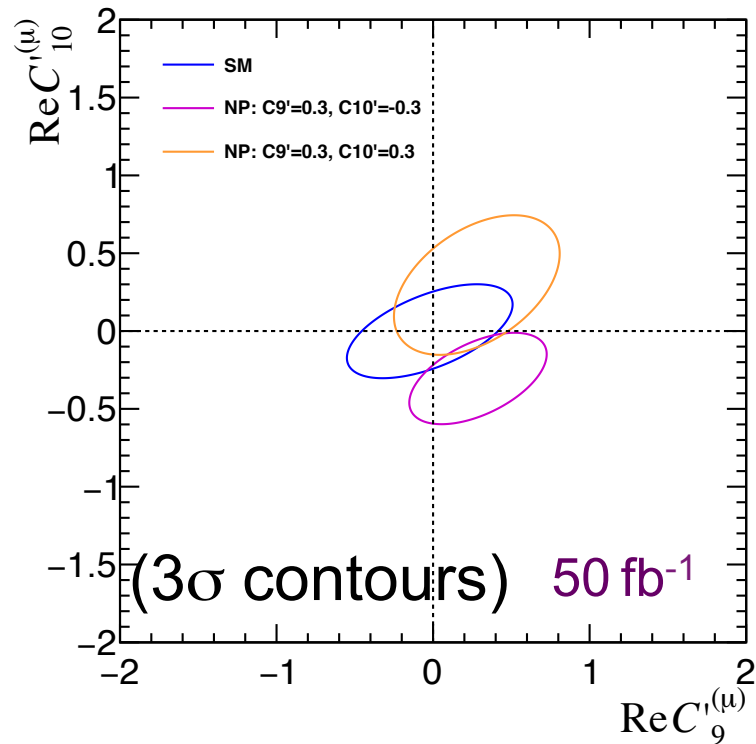
- Even with parametric approach, form factor uncertainties cause some saturation in extraction  $C_9$ ,  $C_{10}$  after  $\sim 30 \text{ fb}^{-1}$  – need improvements from theory-side to go further



- However, will be able to probe  $C_9'$ ,  $C_{10}'$ , which are essentially unconstrained at the moment – important for real models! [Still need to evaluate potential with  $C_7^{(')}$ ]

# Upgrade projections (stat)

- Again  $C_9'$ ,  $C_{10}'$  probes will discriminate between models



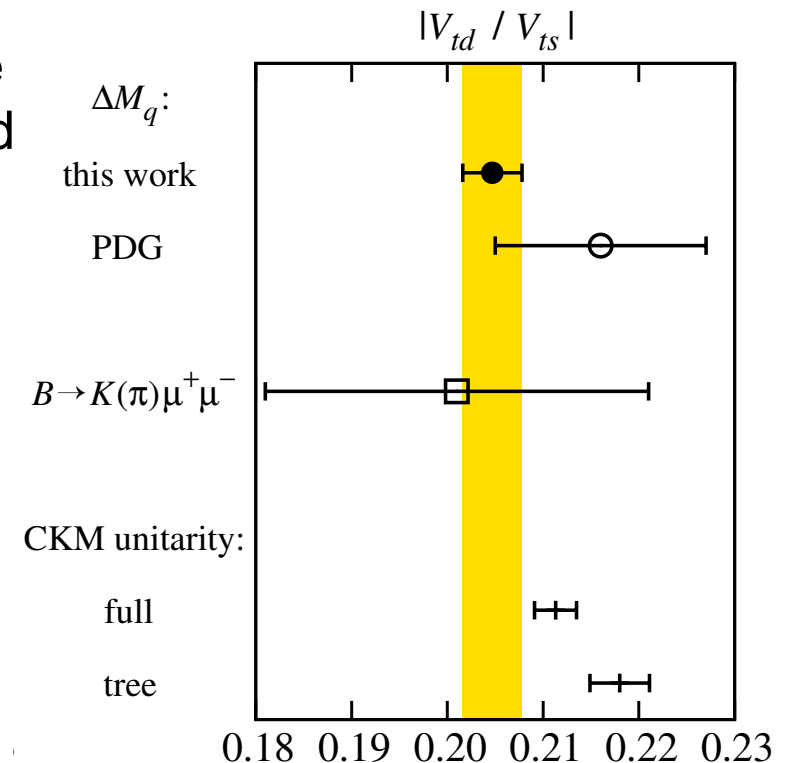


# Upgrade projections (syst)

- Stat. uncertainties will become increasingly irrelevant - key issue systematics
- Assumptions from modelling of resonances, parameterisation of form factors likely to be major sources
- Present syst: angular acceptance modelling of detector
  - will require enormous stats to drive this down (fast MC)
  - Stability of trigger/detector, data-taking important to ease calcn.
- Angular distribution of bkgrds can also give rise to syst.
  - Mitigate by improving separation (mass resolu, PID, vertex isoln)
  - Study directly with data - need to be able to access wide range of related channels

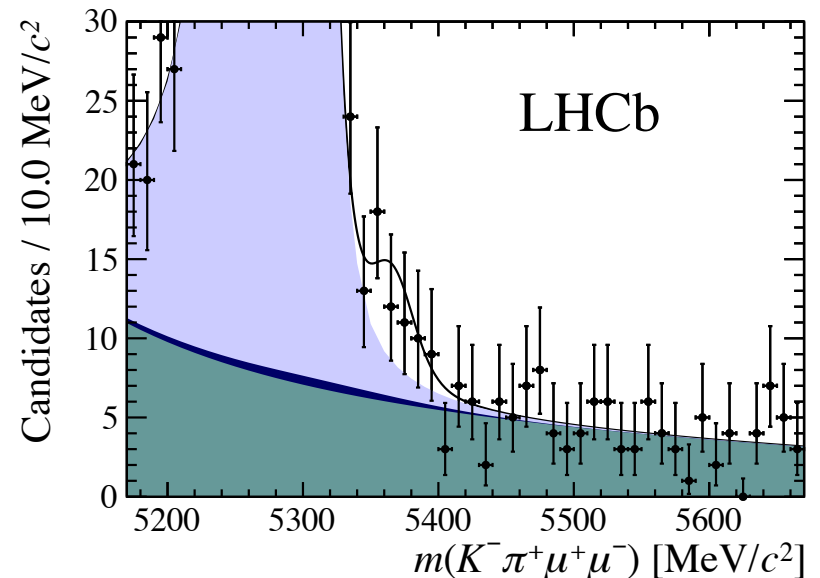
# Testing MFV with $b \rightarrow d\ell\ell$

- $\text{BF}(B^+ \rightarrow \pi^+ \ell\ell) / \text{BF}(B^+ \rightarrow K^+ \ell\ell)$  and lattice input  $\rightarrow |V_{td}/V_{ts}|^2$ 
  - $300\text{fb}^{-1}$  will give order of magnitude smaller experimental error but need improvement in lattice also
- $B^0$  equivalent involves  $\rho^0 \mu\mu$ , complicated by multiple  $\pi\pi$  resonances
- $B^0_s$  equivalent involves  $K^{(*)0} \mu\mu$



# Testing MFV with $b \rightarrow d\ell\ell$

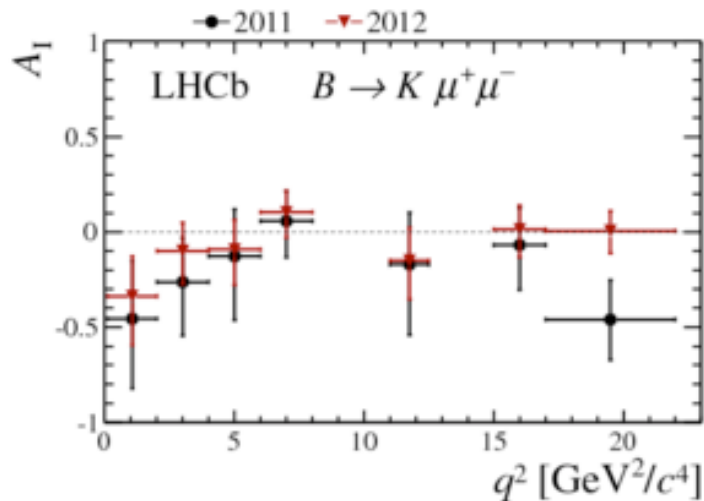
- CKM suppressed  $B_s^0 \rightarrow K^{*0} \mu\mu$  will enable full angular analysis with comparable precision to Run-1  $B^0 \rightarrow K^{*0} \mu\mu$ 
  - Simultaneous fit of  $B^0$  mode will help separate  $B_s^0$  and  $B^0$  angular observables but improved mass resolution would clearly help
- $B^0 \rightarrow \rho^0 \mu\mu$  requires flavour tag., also multiple  $\pi\pi$  resonances
  - $B^+ \rightarrow \rho^+ \mu\mu$  – would avoid flavour tagging but gives  $\pi^0$  – good channel to consider in detector optimisation?
  - $\Lambda_b \rightarrow \rho\pi\mu\mu$  – would similarly suffer from (many)  $\rho\pi$  resonances



# Other measurements

- Still something significant to understand in our isospin measurements
- With  $300\text{fb}^{-1}$ , a sum of exclusive modes as a proxy for  $B \rightarrow X_S l l$  will become possible (but not theoretically clean): e.g. even one of worst modes for us that was used at Belle,  $K_S \pi \pi \pi \pi^0$  would give  $\sim 200$  candidates

[JHEP 06 (2014) 133]



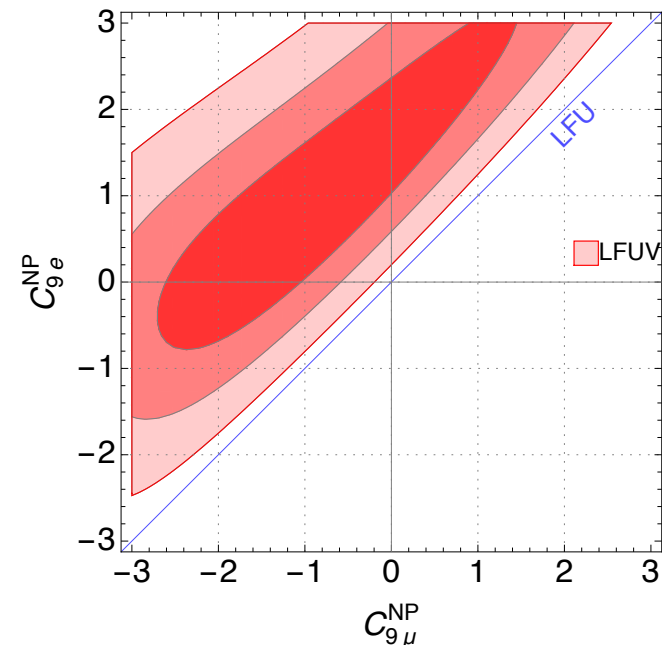
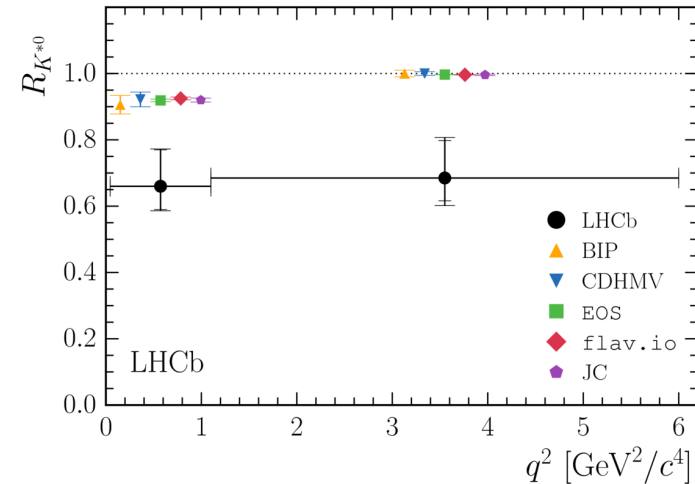
- $B \rightarrow X_S l^+ l^-$ : 50% of rate

Belle, Phys.Rev. D93 032008 (2016)

$\bar{B}^0$ decays		$B^-$ decays	
	$(K_S^0)$	$K^-$	
$K^- \pi^+$	$(K_S^0 \pi^0)$	$K^- \pi^0$	$K_S^0 \pi^-$
$K^- \pi^+ \pi^0$	$(K_S^0 \pi^- \pi^+)$	$K^- \pi^+ \pi^-$	$K_S^0 \pi^- \pi^0$
$K^- \pi^+ \pi^- \pi^+$	$(K_S^0 \pi^- \pi^+ \pi^0)$	$K^- \pi^+ \pi^- \pi^0$	$K_S^0 \pi^- \pi^+ \pi^-$
$(K^- \pi^+ \pi^- \pi^+ \pi^0)$	$(K_S^0 \pi^- \pi^+ \pi^- \pi^+)$	$(K^- \pi^+ \pi^- \pi^+ \pi^-)$	$(K_S^0 \pi^- \pi^+ \pi^- \pi^0)$

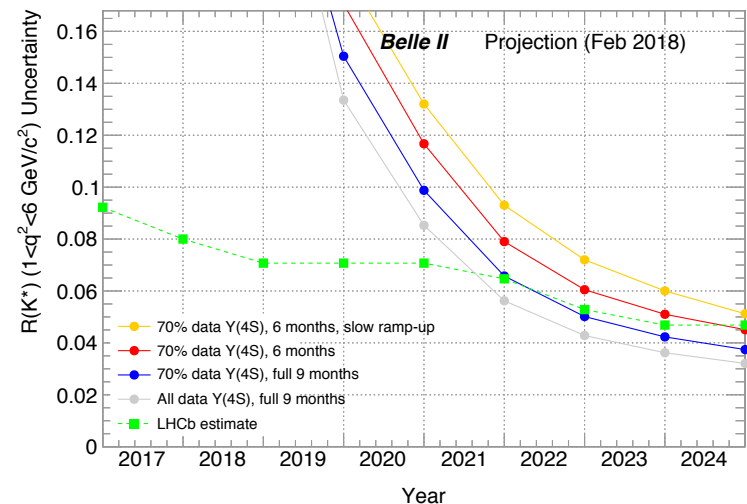
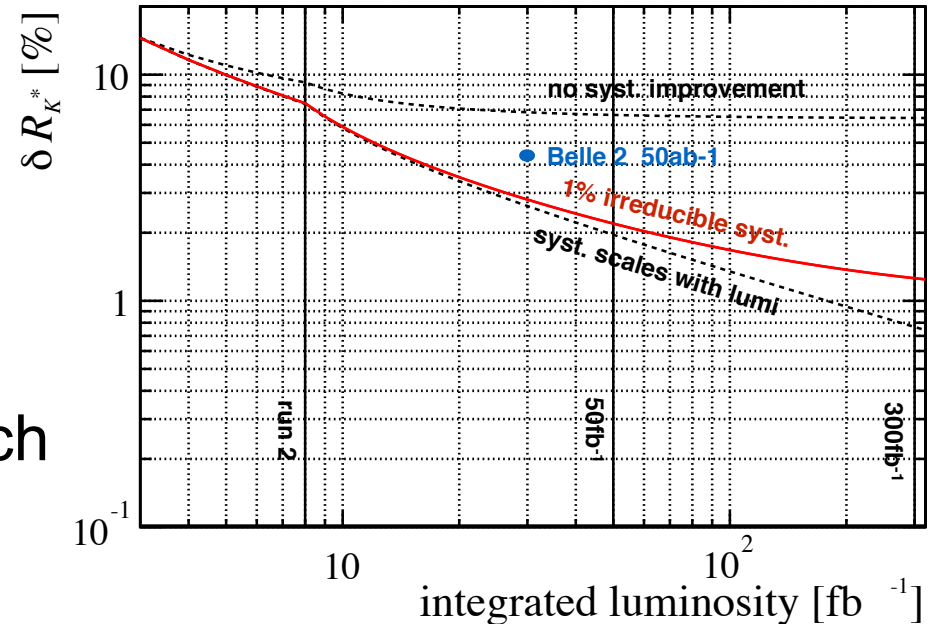
# LFU observables

- Ratios of BF's between different flavours of leptons e.g.  $R_{K^*}$ ,  $R_K$ , or differences between angular observables e.g.  $D_i = S_i^e - S_i^\mu$ , theoretically pristine
  - Precision dictated by electron modes – while again expect substantial yields, projections based on extrapolating current performance forward (...)
- Will have statistics to measure CKM sup. versions e.g.  $R_\pi$  and many new channels  $R_\phi$ ,  $R_\Lambda$  etc.



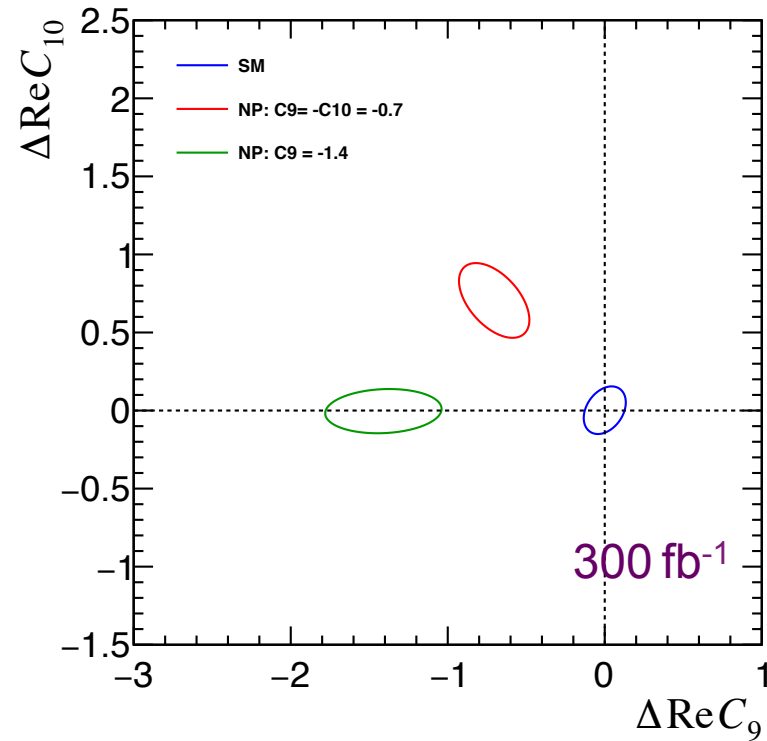
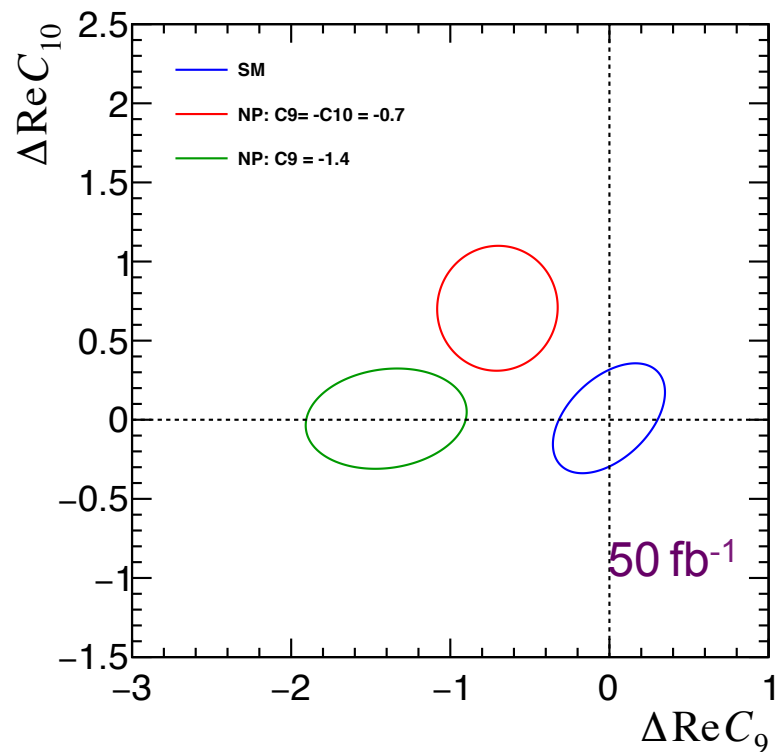
# Electron analyses with $300\text{fb}^{-1}$

- Need to drive systematics down to  $<1\%$  level to get benefit from  $300\text{fb}^{-1}$  data
- Large uncertainty from modelling backgrounds which can study with data and hence will scale with luminosity, ditto data-derived corrections to simulation
- However, sub-dominant uncertainties from e.g. modelling of bremsstrahlung



# Upgrade projections (stat)

- Difference between  $C_9$ ,  $C_{10}$  computed in electron and muon modes is free of theory uncertainties and will discriminate between models



( $3\sigma$  contours)

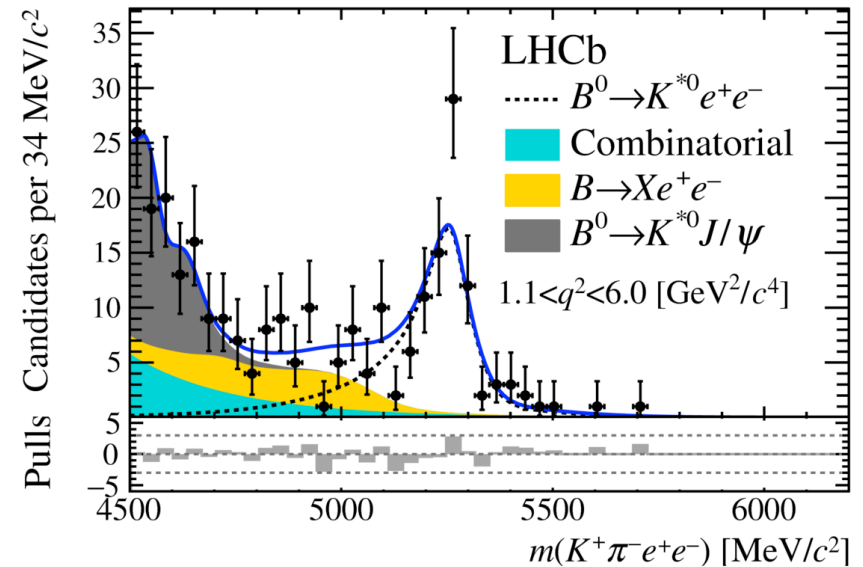
# Upgrade projections (syst)

- $C_i$  projections based on stat. extrapolation but not detailed bkgrd, acceptance, angular resolution in new upgrade/HL environment
  - Each will be much bigger effects for us than for Belle2
  - Belle2 will also access additional channels which will add to their sensitivity substantially



# Future detector considerations

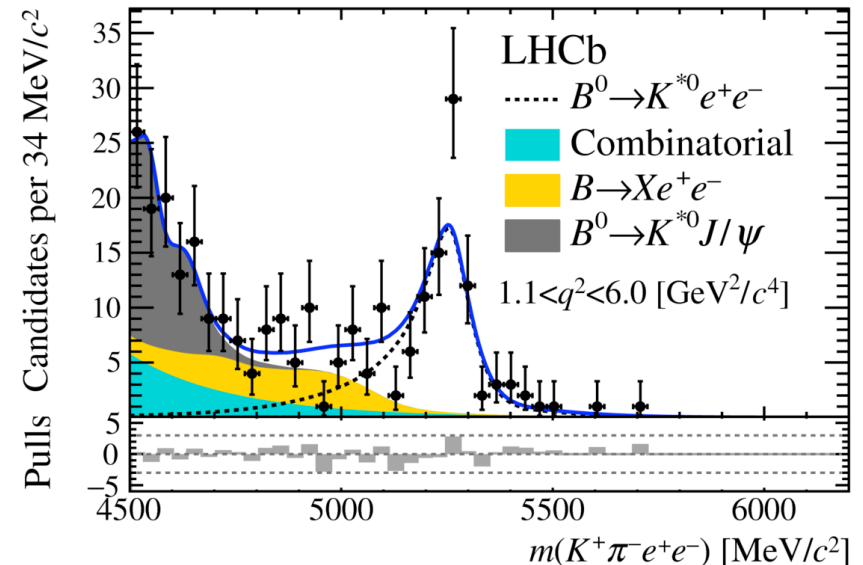
- Width of mass peak  $\rightarrow$  ability to recover brem. before magnet
  - affects ability to reconstruct signal and to reject bkgnds that we otherwise need to model



- Can we maintain existing ability to reconstruct brem photons? To improve need to *reduce* material in front of the magnet?
  - Phase-I VELO will have better vertex/IP resln but how much material?

# Future detector considerations

- Technologically conceivable to have directionality in ECAL st can distinguish PV of neutral object – could this be to the extent we could improve the brem. matching based on this directionality?



- To maintain electron-hadron separation need *longitudinal* segmentation of ECAL that effectively have with PS in Run1,2 and will lose for Phase I
- Bkgrds from  $K^*$  and higher resonances – critical issue ability to veto additional charged track
- Could tolerate factor increase in combinatorial

# Connection to other areas

- (Atm) mixing constraints squeeze out most of parameter space for  $Z'$  explanation of anomalies
- FLAG update of parameters give some tension in  $\Delta m_s$ :
  - $\Delta m_s^{\text{SM}} > \Delta m_s^{\text{expt}}$  [theory limited]
  - need negative NP contribution  $\rightarrow$  possible with some new phase
    - best constraints come from  $A_{\text{mix}}(B_s \rightarrow J/\psi\phi) = \sin(\Delta\phi - 2\beta_s)$
  - However, phase can spoil interference SM and NP contribution to e.g.  $R_{K^*}$  - clear that there is a subtle interplay to disentangle

# Conclusions

- Existing discrepancies illustrate the power of  $b \rightarrow qll$  decays as probes of NP, this will continue in the upgrade/HL era
- With upgrade/HL datasets will be able to discriminate between different  $C_9, C_{10}$  NP models and probe e.g.  $V_{td}/V_{ts}$
- Even with a parametric approach, our ability to probe these WC's will start to saturate due to theory uncertainties
- New observables  $C_9', C_{10}'$  and  $\Delta C_9, \Delta C_{10}$  will remain compelling
- Need to think about detector that will allow us to access and control systematics for these observables

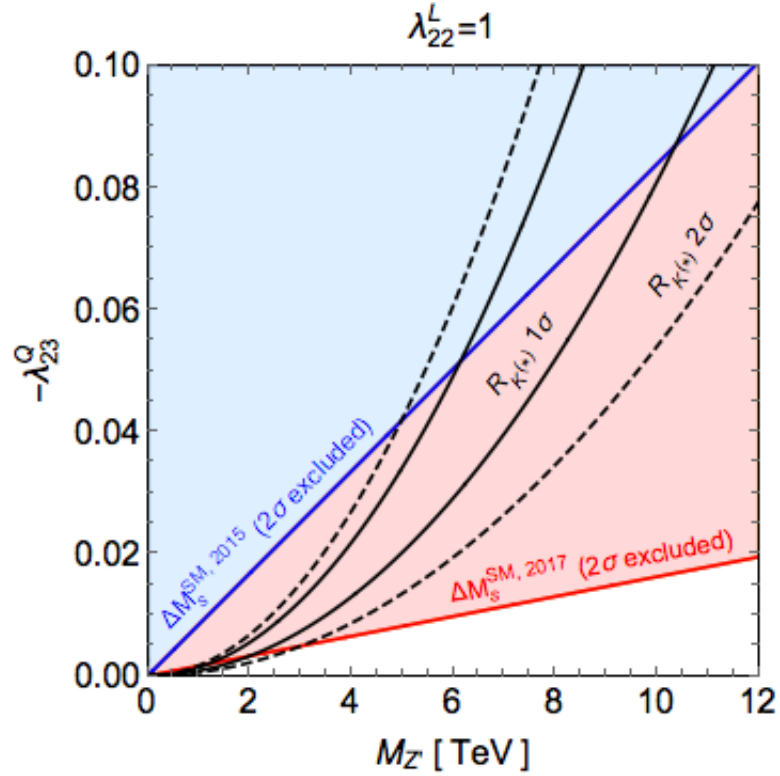


Figure 2: Bounds from  $B_s$ -mixing on the parameter space of the simplified  $Z'$  model of Eq. (20), for real  $\lambda_{23}^Q$  and  $\lambda_{22}^L = 1$ . The blue and red shaded areas correspond respectively to the  $2\sigma$  exclusions from  $\Delta M_s^{\text{SM}, 2015}$  and  $\Delta M_s^{\text{SM}, 2017}$ , while the solid (dashed) black curves encompass the  $1\sigma$  ( $2\sigma$ ) best-fit region from  $R_{K^{(*)}}$ .

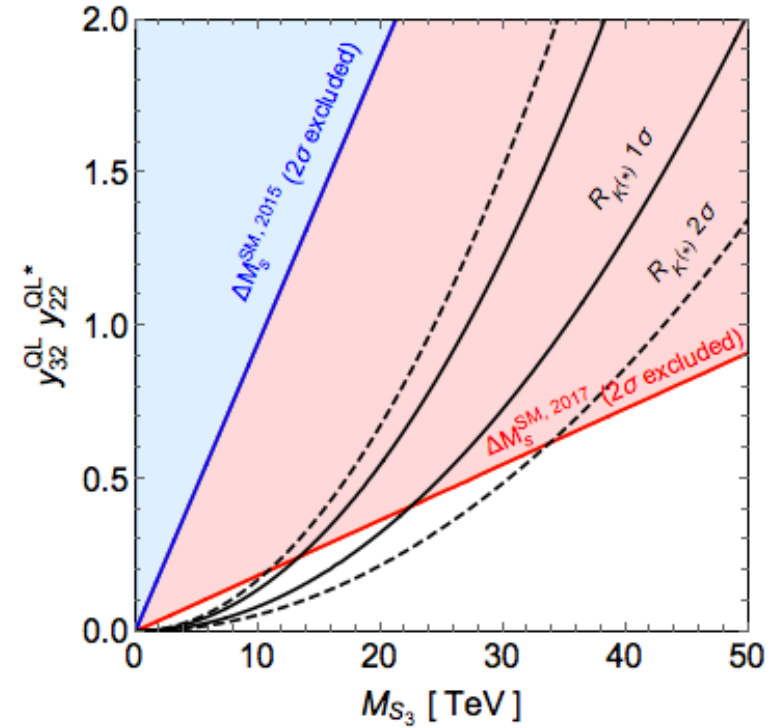


Figure 3: Bounds from  $B_s$ -mixing on the parameter space of the scalar leptoquark model of Eq. (24), for real  $y_{32}^{QL} y_{22}^{QL*}$  couplings. Meaning of shaded areas and curves as in Fig. 2.

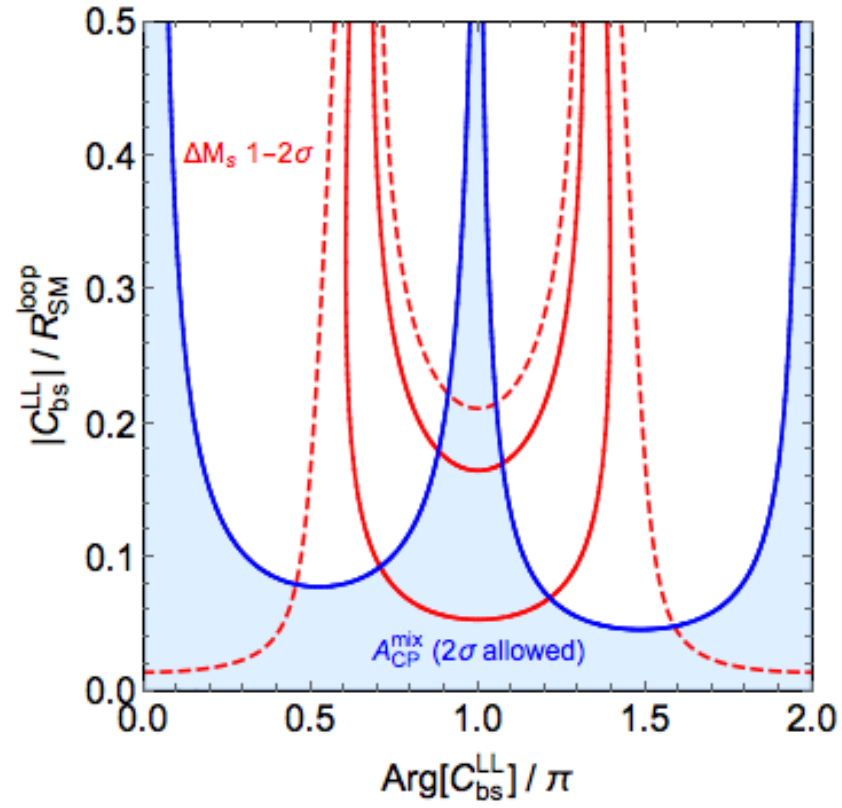


Figure 4: Combined constraints on the complex Wilson coefficient  $C_{bs}^{LL}$ . The blue shaded area is the  $2\sigma$  allowed region from  $A_{CP}^{\text{mix}}$ , while the solid (dashed) red curves enclose the  $1\sigma$  ( $2\sigma$ ) regions from  $\Delta M_s^{\text{SM}, 2017}$ .