Dark matter and long-lived particles at the LHC

Jan Heisig (RWTH Aachen University)

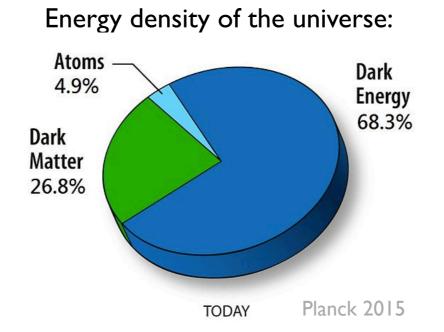




53rd Rencontres de Moriond session on Electroweak Interactions and Unified Theories La Thuile, Aosta Valley, Italy, March 10-17, 2018

Among key scientific goals of LHC:

Pinpoint the nature of dark matter!



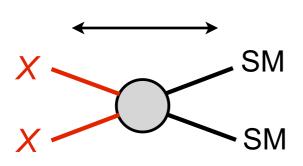
Needed: Predictions for possible signatures of dark matter models



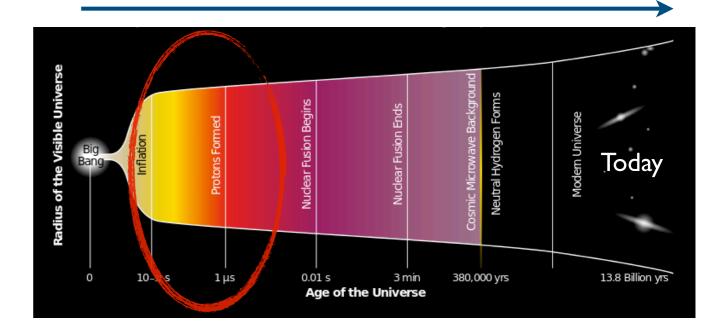
 $\Gamma_{\rm ann} \geq H$



Rate of thermalizing processes:

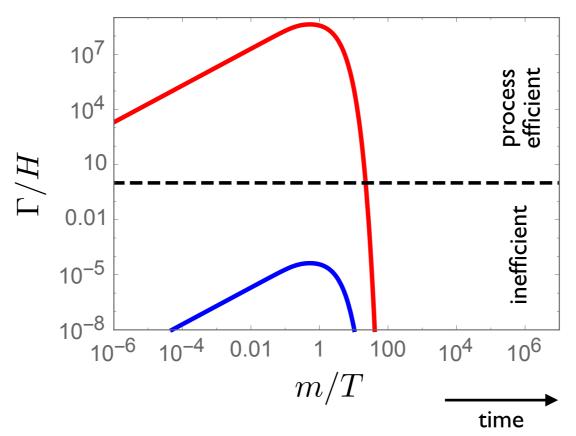


Expansion with Hubble rate H



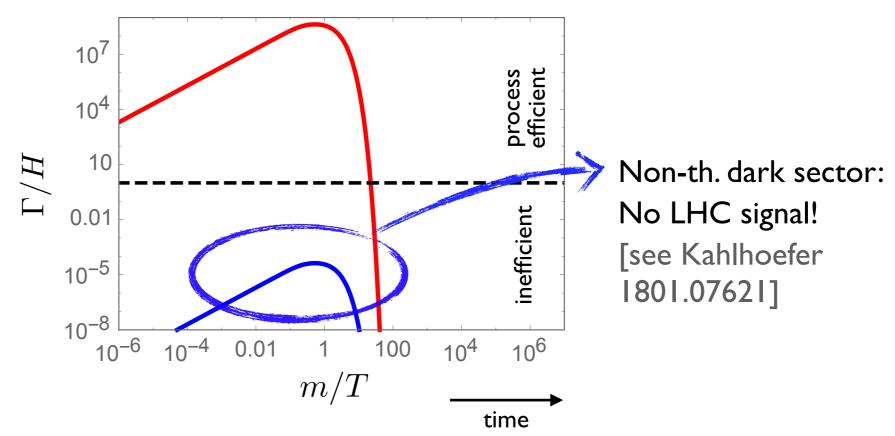
$$H \propto T^2$$
, $\Gamma_{\rm ann} \propto \begin{cases} T & , T \gg m \text{ (ultra-rel.)} \\ {\rm e}^{-m/T} & , T < m \text{ (non-rel.)} \end{cases}$

■ 2 → 2 processes maximum, thermalization processes can remain inefficient:



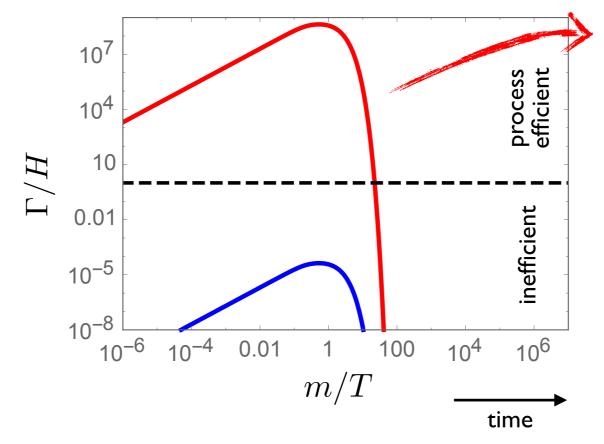
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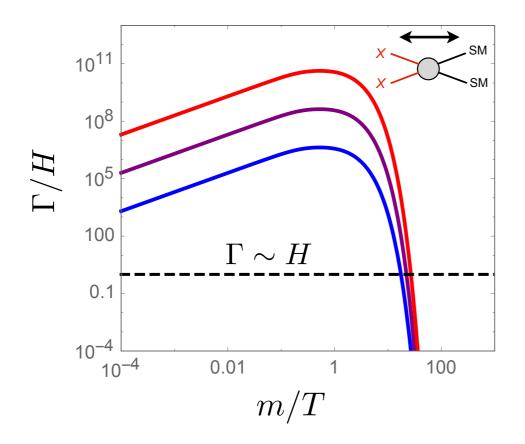
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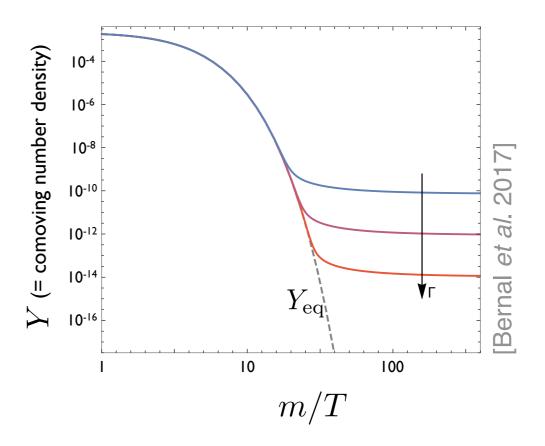


At least part of dark sector thermalized:
Of interest for LHC

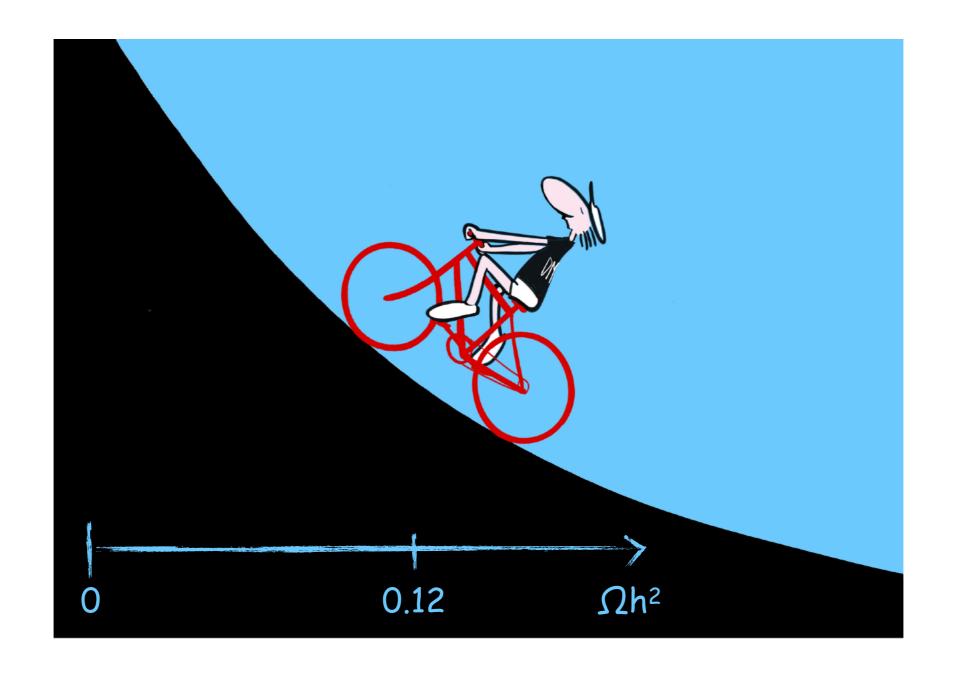
Vanilla WIMP

- Weak couplings: well thermalized! → independent of initial cond.
- Well-known freeze-out picture: Leaves equilibrium density when $\Gamma \sim H$ → cold DM





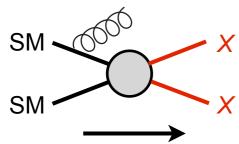
Vanilla WIMP

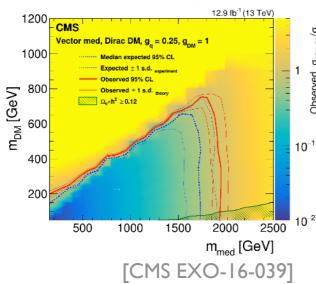


Dark Matter searches WIMPs (weakly interacting massive particles)

Direct production



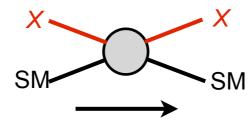


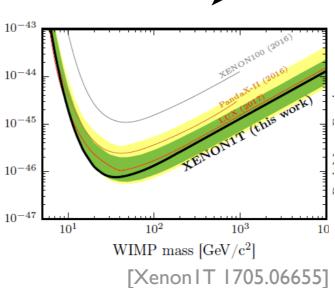


→ talk of Francesco

Direct detection



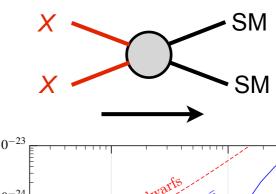


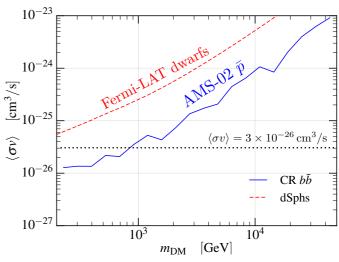


→ talk of Daniel

Indirect detection



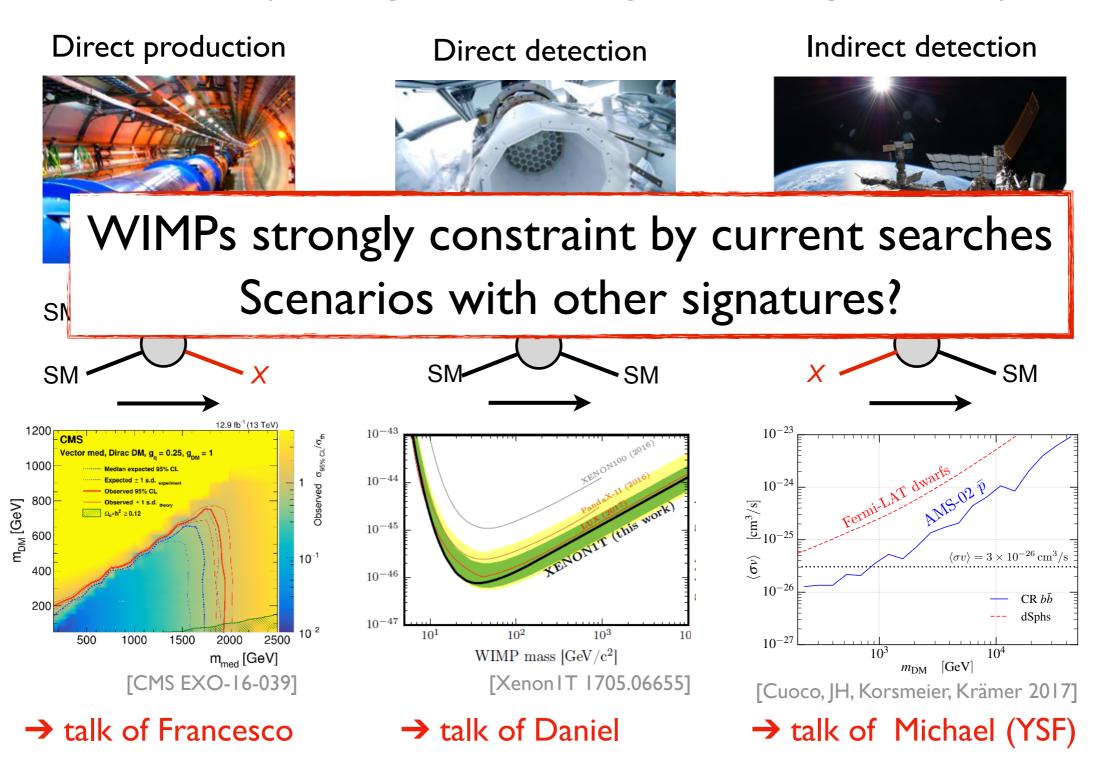




[Cuoco, JH, Korsmeier, Krämer 2017]

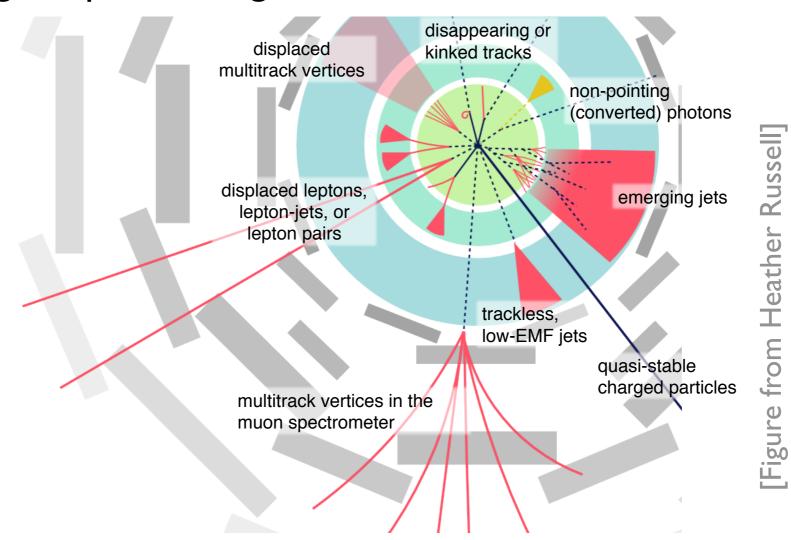
→ talk of Michael (YSF)

Dark Matter searches WIMPs (weakly interacting massive particles)



Long-lived particles (LLPs) at the LHC

- Metastable BSM particles (except neutral detector-stable particles → MET)
- Wide range of possible signatures:



■ Many LLP signatures low background → high sensitivity

LLP searches at the LHC: challenges

- Cover spectrum of possible LLP signatures and kinematic ranges so far mostly SUSY related scenarios
- Hard to trigger
 often additional signature needed for triggering
- Interpretation of results
 applicability for a large set of models required
- Recasting difficult exchange of additional information needed

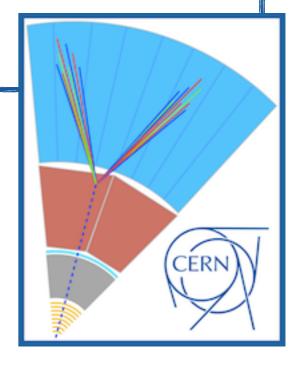
LLP searches at the LHC: challenges

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LHC LLP Community Workshops:

April 2017: https://indico.cern.ch/event/607314/
October 2017: https://indico.cern.ch/event/649760/

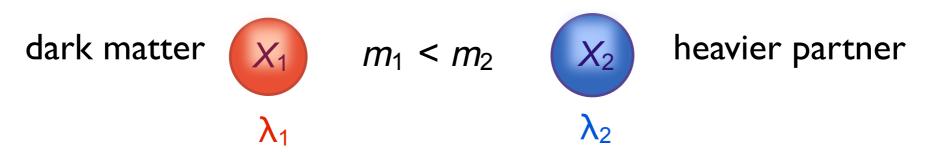
Next Workshop: <u>16-18 May 2018 at CERN</u> Community white paper in preparation



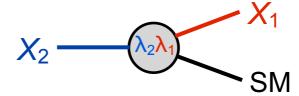
LLPs and dark matter

LLPs and dark matter

■ Consider Z₂-odd dark sector

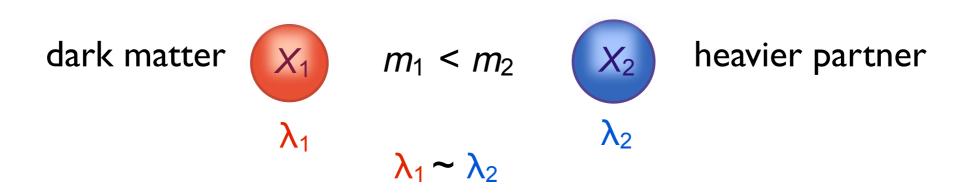


■ Decay only in Z₂-odd states:



Consider: next heavier state X₂ involved in freeze-out!

Coannihilation [Griest, Seckel 1991; Edsjo, Gondolo 1997]



Number densities during freeze-out:

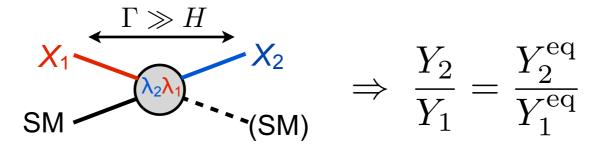
$$\frac{Y_2^{\rm eq}}{Y_1^{\rm eq}} \propto {\rm e}^{-\Delta m/T_{\rm f}} \sim {\rm e}^{-25\,\Delta m/m}$$

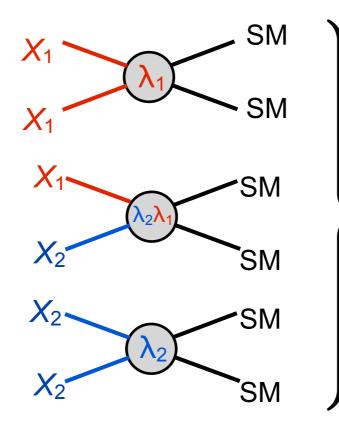
$$\Delta m/m \lesssim 10\%$$
 [for an interesting exception see D'Agnolo et al. 1803.02901]

→ X₂ still "around" during freeze-out

Coannihilation

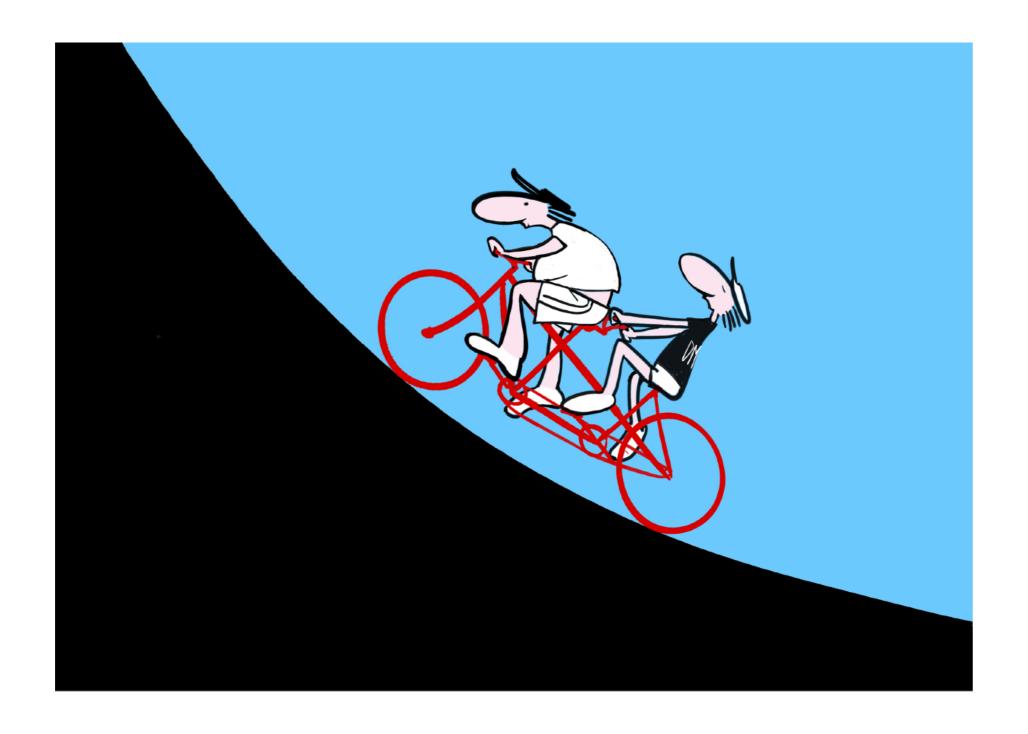
Number densities "tied" together through efficient conversions:

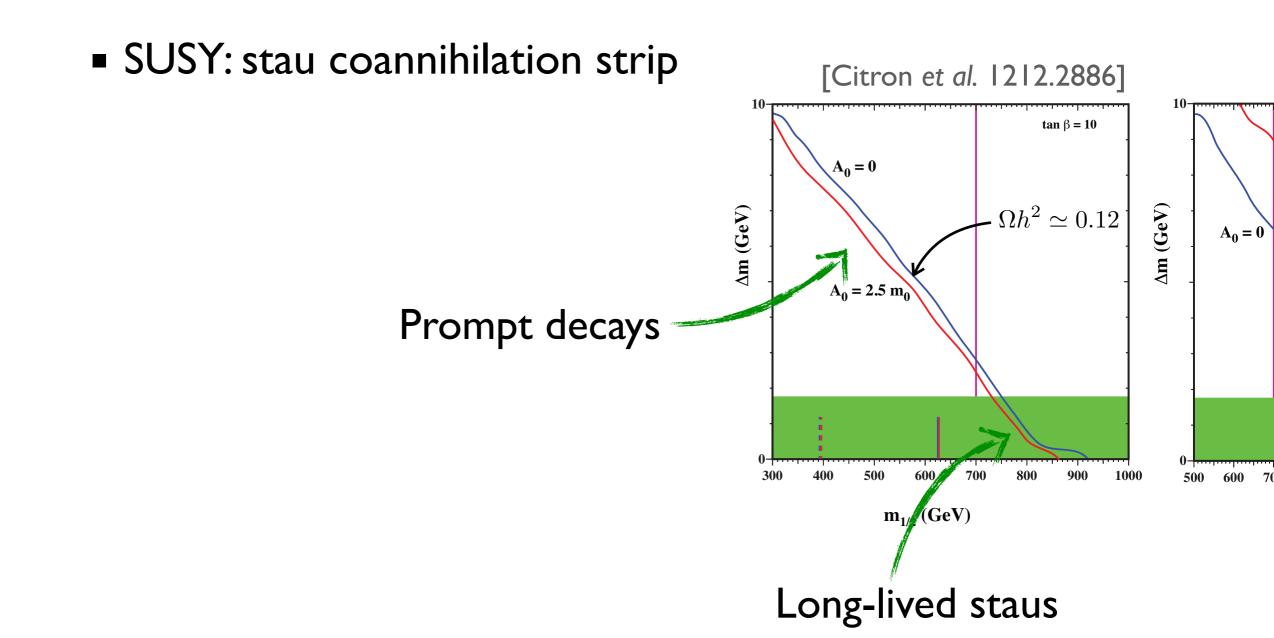




efficient annihilation of dark sector

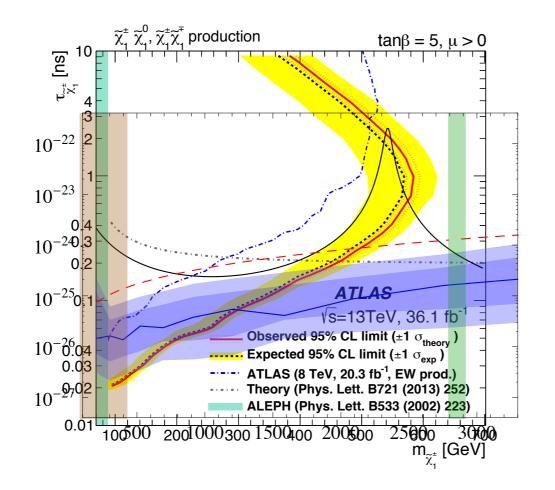
Coannihilation



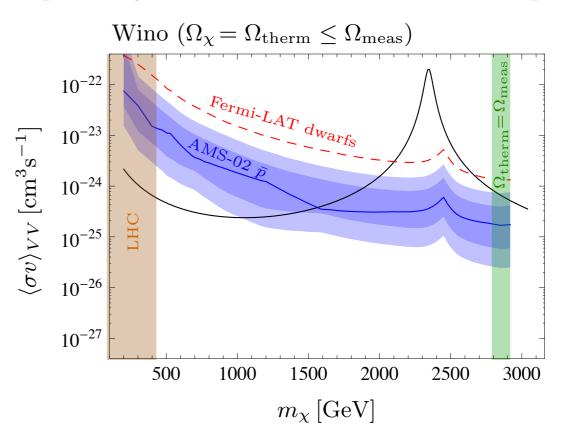


- SUSY: stau coannihilation strip
- Minimal dark matter, e.g. pure wino:

[Cirelli et al. hep-ph/0512090]

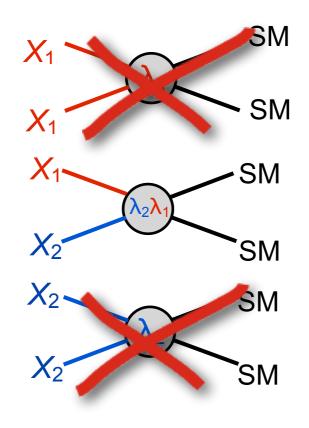


[Cuoco, JH, Korsmeier, Krämer 1711.05274]



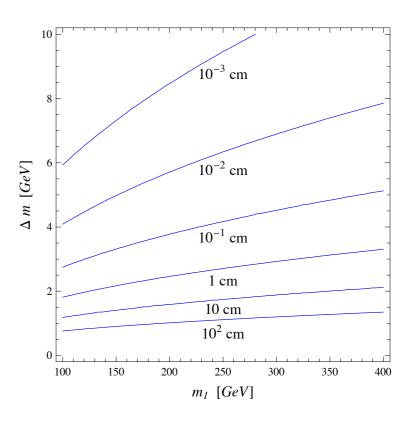
- SUSY: stau coannihilation strip
- Minimal dark matter e.g. pure wino [Cirelli et al. hep-ph/0512090]
- Pseudo Dirac dark matter

 [De Simone, Sanz, Sato 2010; Davolia, De Simone, Jacquesa, Sanz 2017]



- → evade direct and indirect detection bounds
- → predicts LLPs

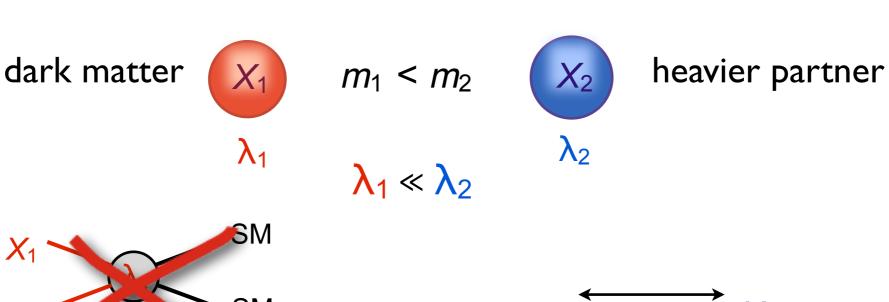
14

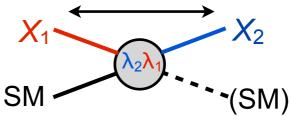


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- **I** ...

LLP due to small mass splittings

Small dark matter couplings

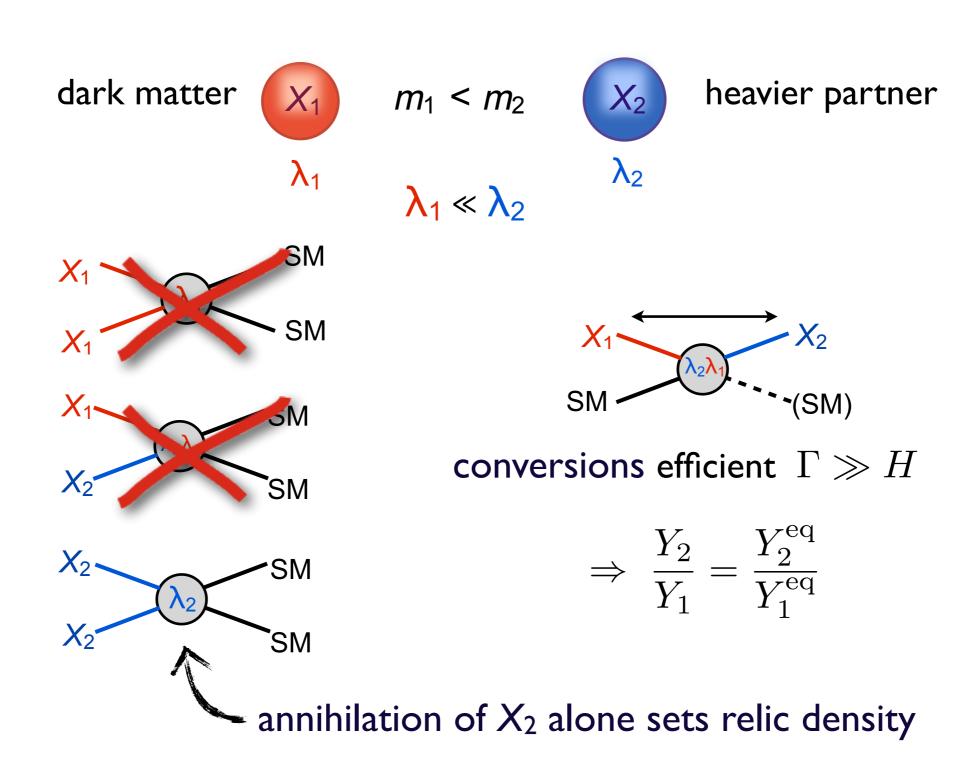




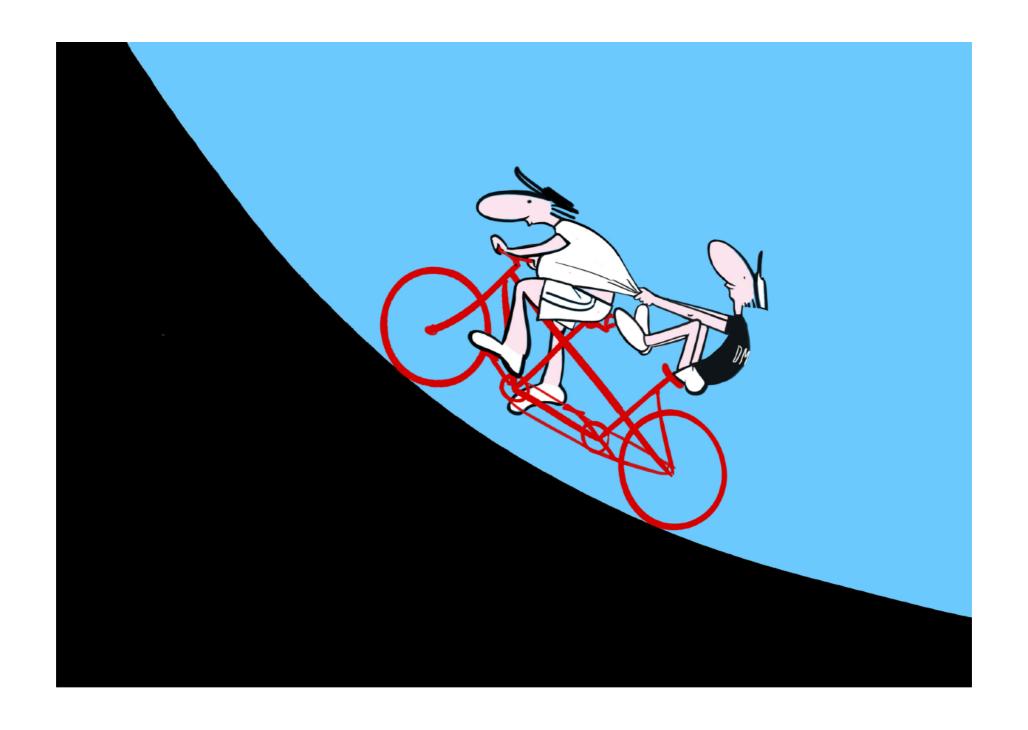
conversions efficient $\Gamma\gg H$

$$\Rightarrow \frac{Y_2}{Y_1} = \frac{Y_2^{\text{eq}}}{Y_1^{\text{eq}}}$$

Small dark matter couplings

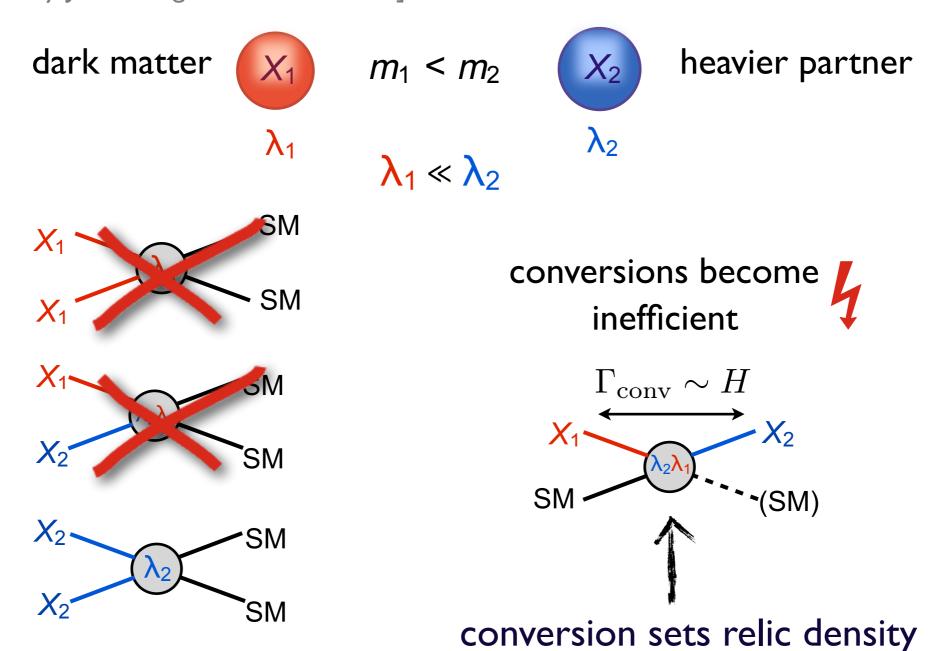


Freeloader's freeze-out

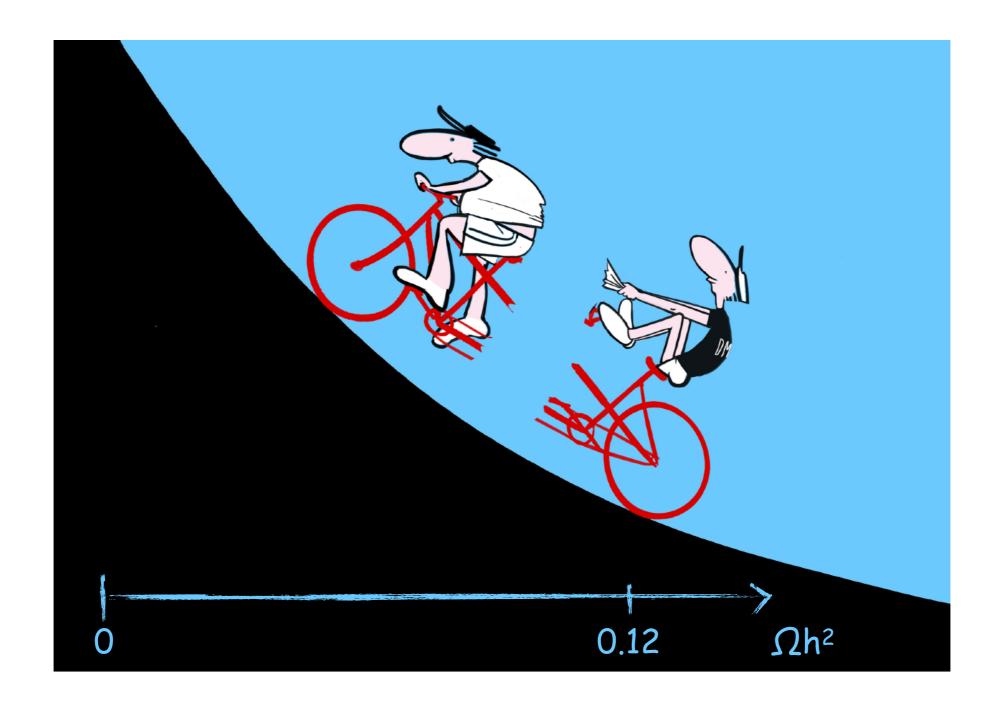


Even smaller dark matter couplings

[Garny, JH, Lülf, Vogl 1705.09292; D'Agnolo, Pappadopulo, Ruderman 1705.08450; Garny, JH, Hufnagel, Lülf 1802.00814]

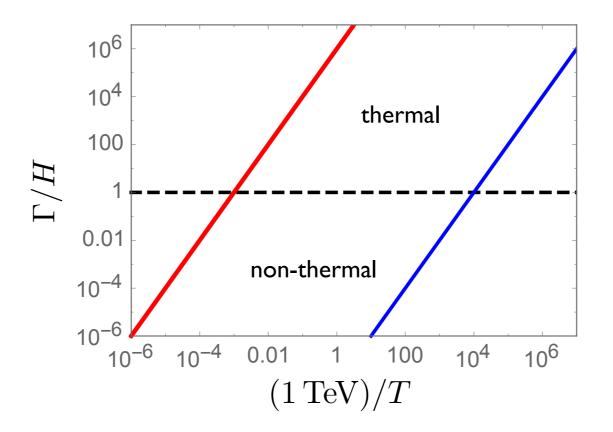


Conversion-driven freeze-out



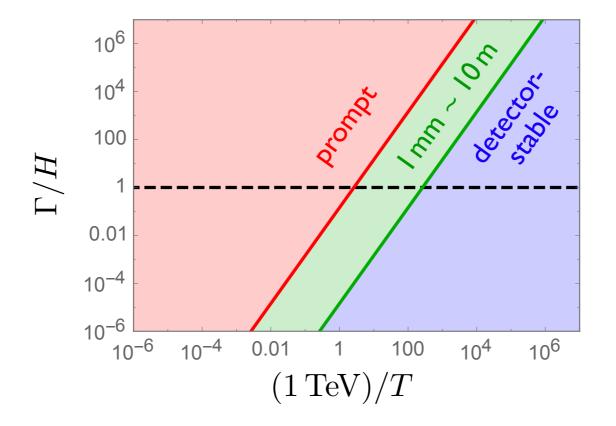
Consider decay:

$$H \propto T^2$$
, $\Gamma_{\rm dec} \sim {\rm const.}$



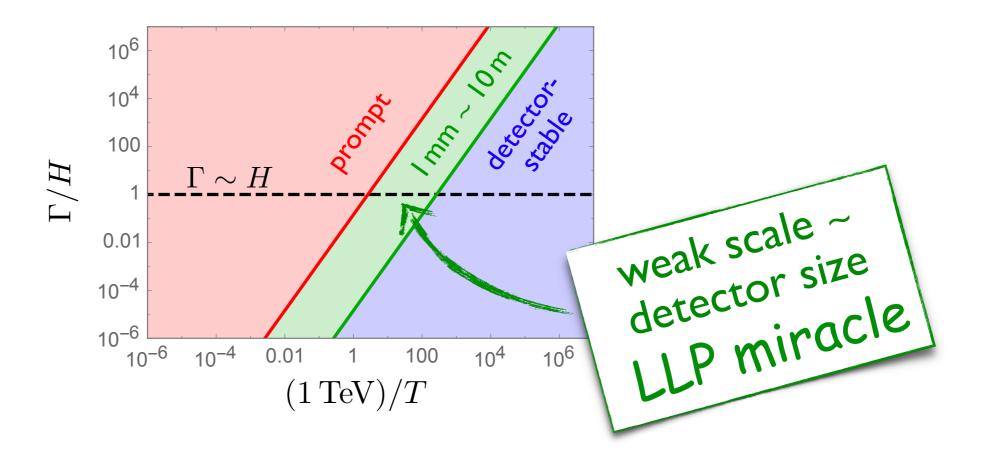
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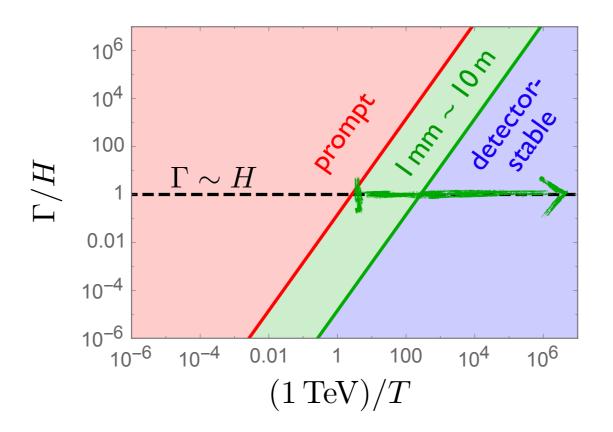


Consider decay:

$$H \propto T^2$$
, $\Gamma_{\rm dec} \sim {\rm const.}$



Neither decay nor $2 \rightarrow 2$ scattering can be efficient around freeze-out: Decay non-prompt!

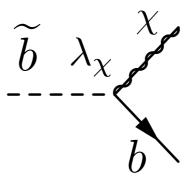


A concrete example

- Specific model: $\mathcal{L}_{int} = |D_{\mu}\widetilde{q}|^2 \lambda_{\chi}\widetilde{q}\overline{q}\frac{1-\gamma_5}{2}\chi + h.c.$
- SUSY-inspired simplified model:
 Choose Majorana DM and scalar bottom-partner

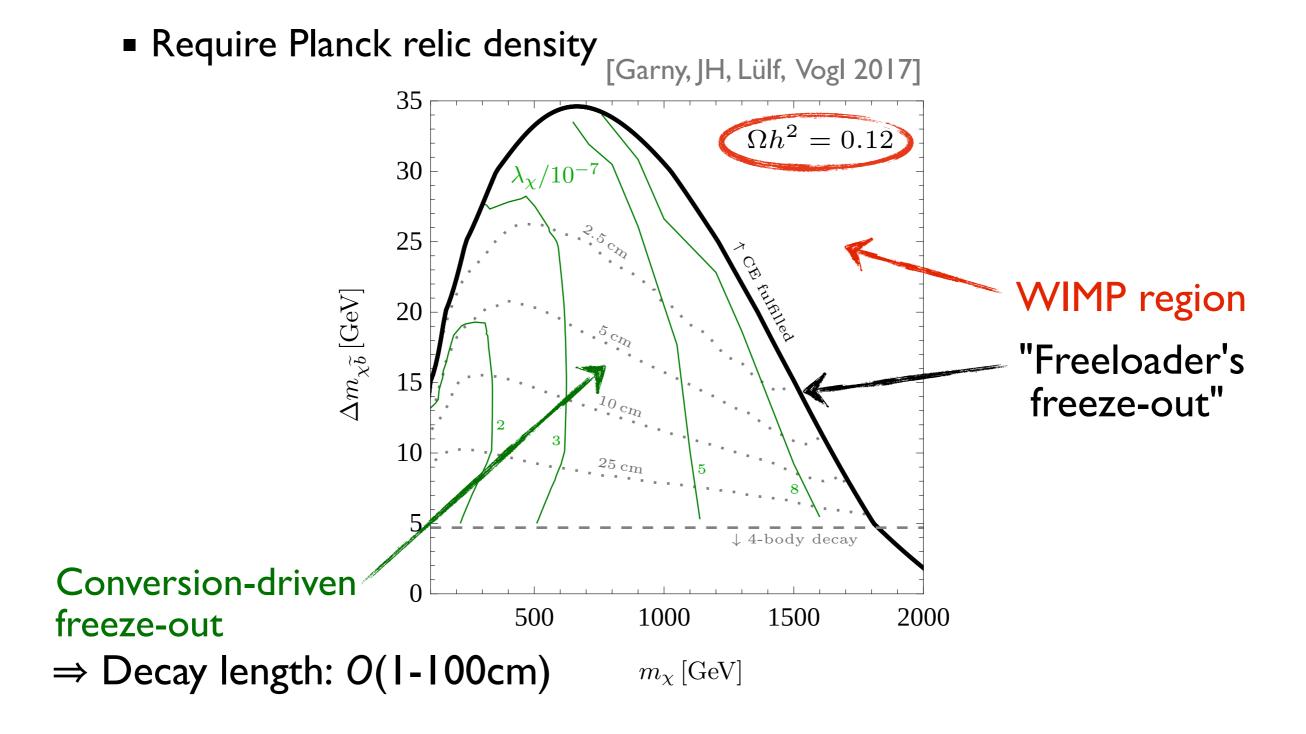


■ Yukawa-type interaction:

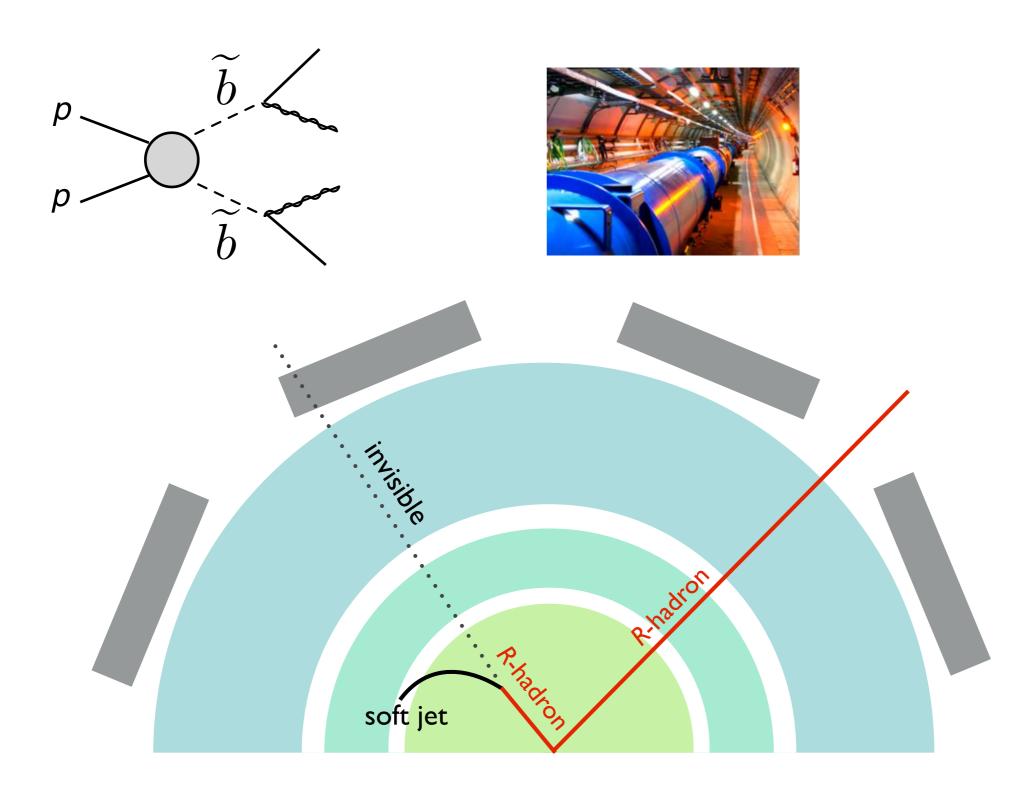


 λ_{χ} is a free parameter here [see Ibarra et al. 2009 for SUSY realization]

Allowed parameter space

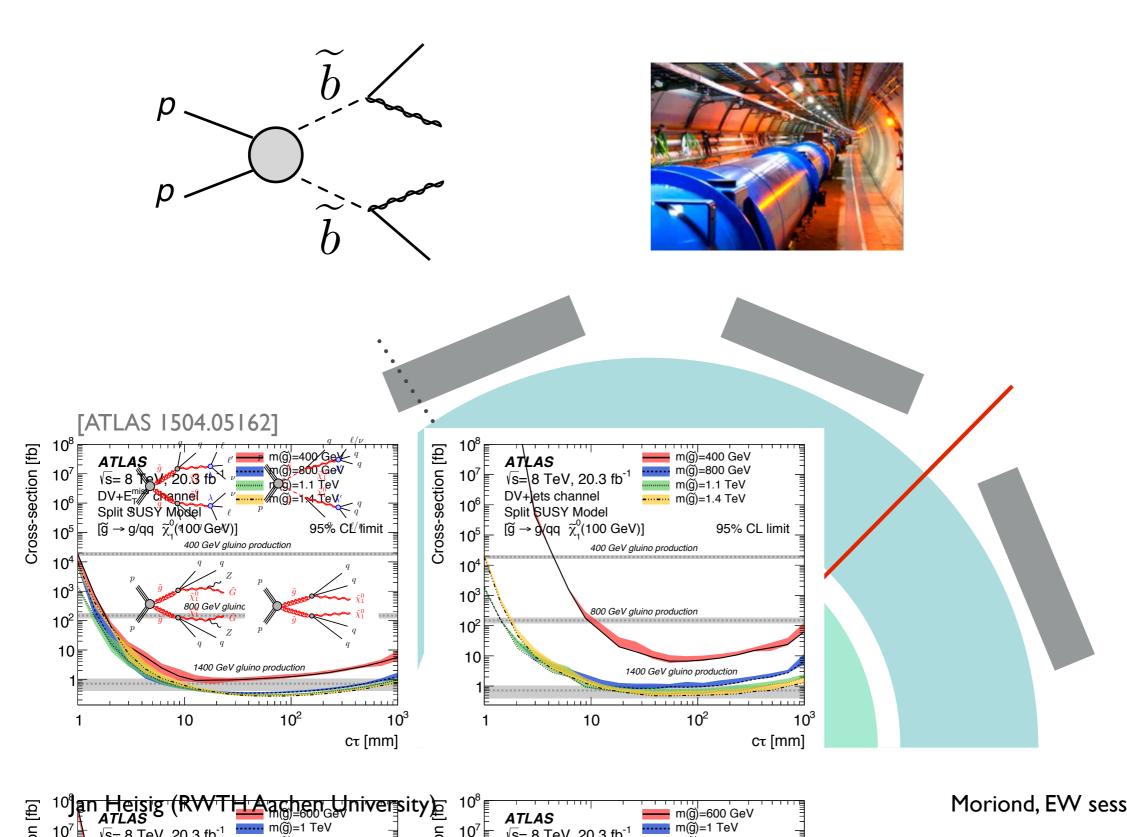


LHC constraints

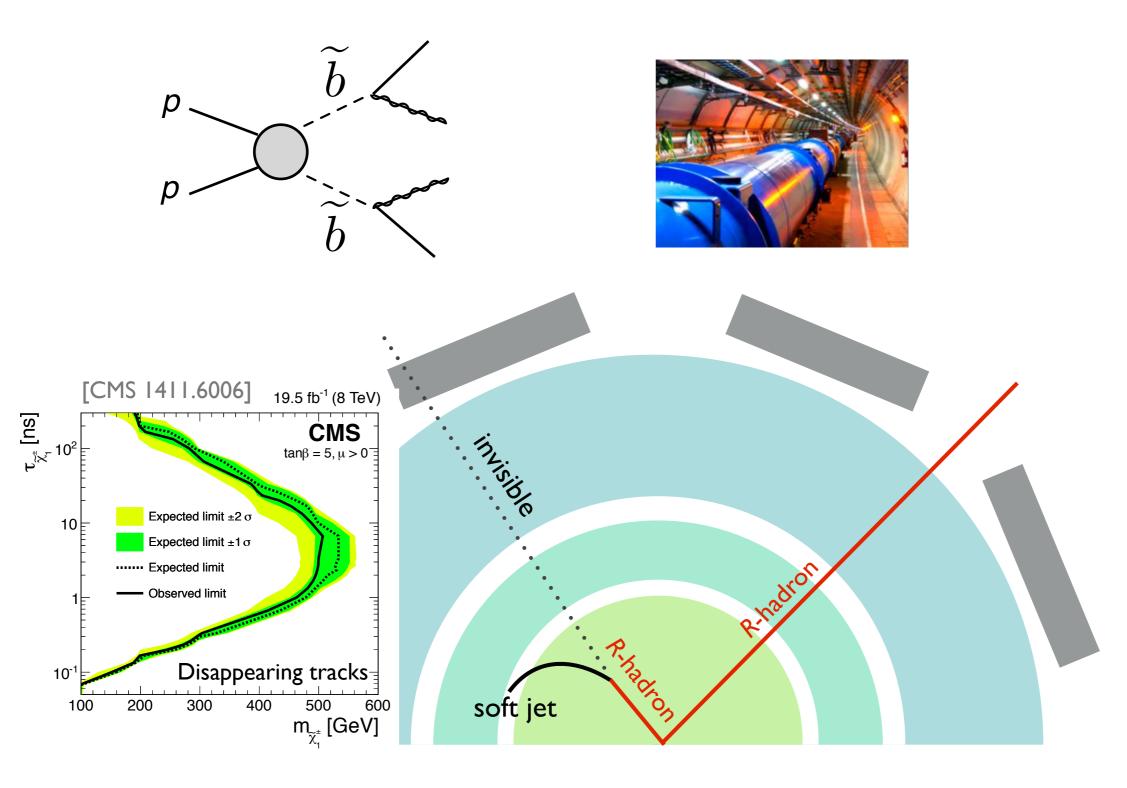


LHC constraints

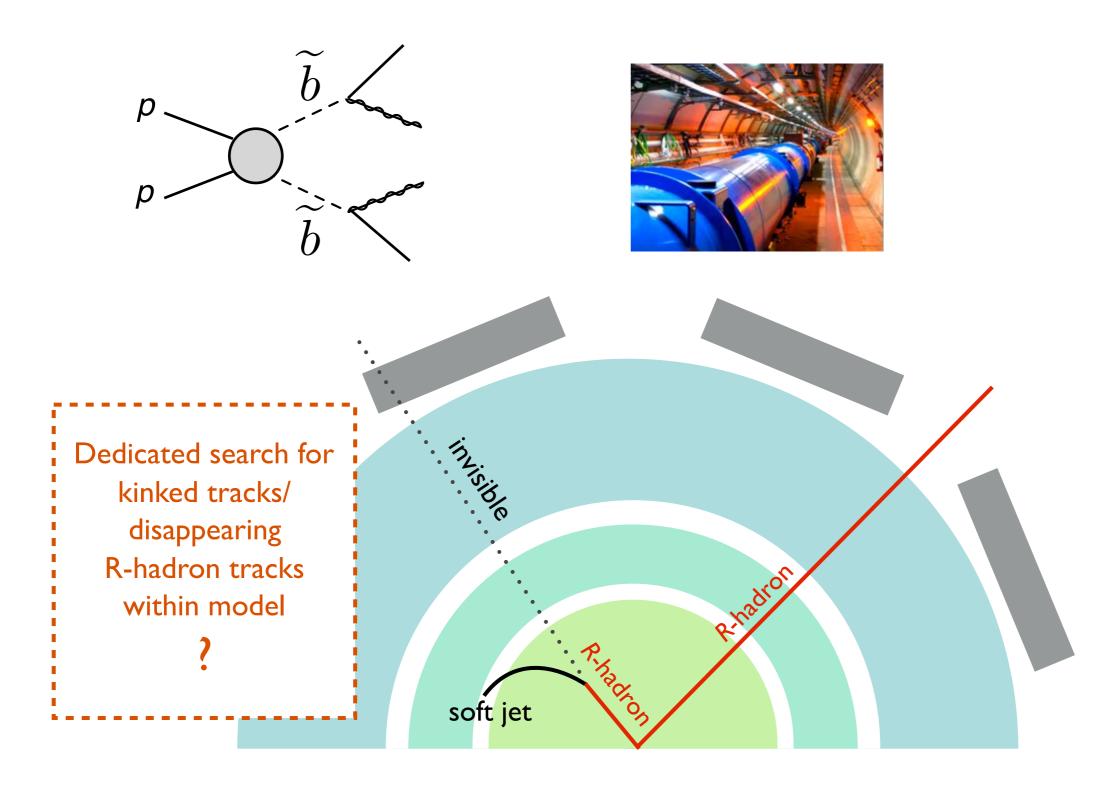
m(g)=600 GeV m(g)=1 TeV

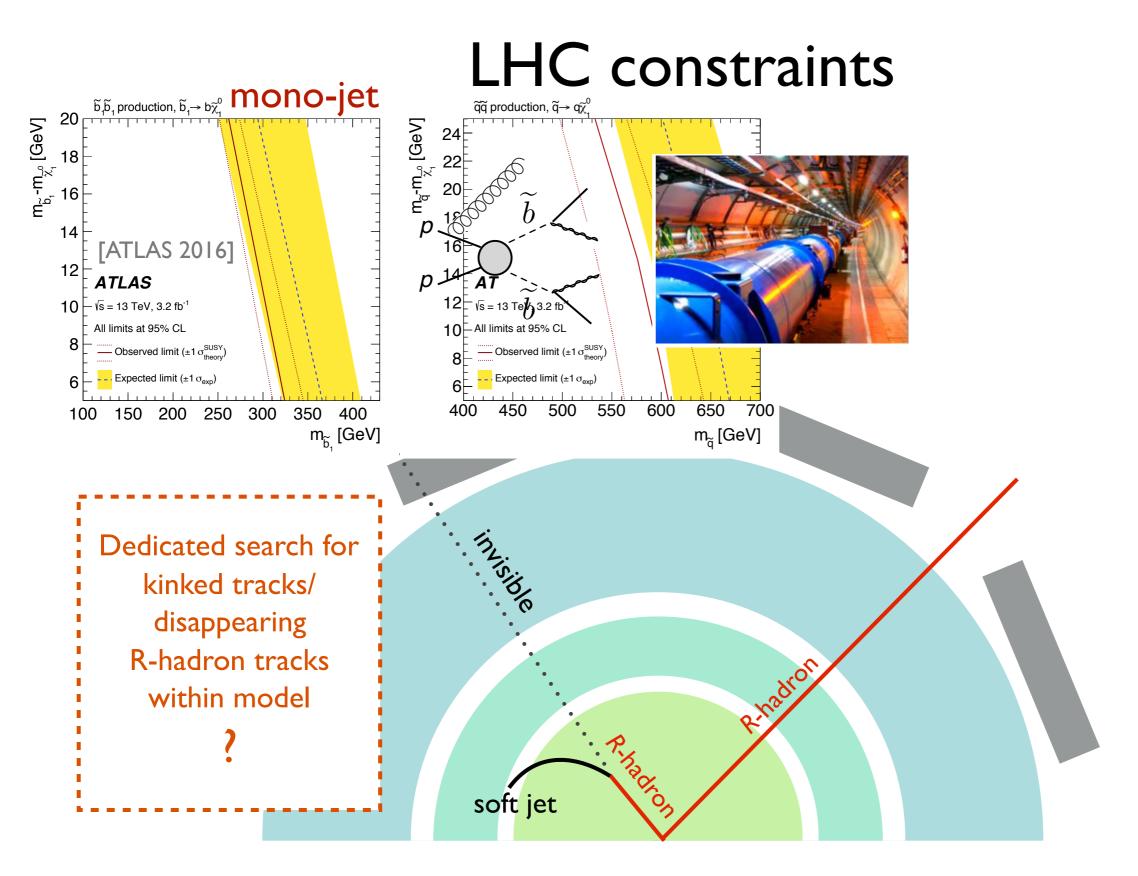


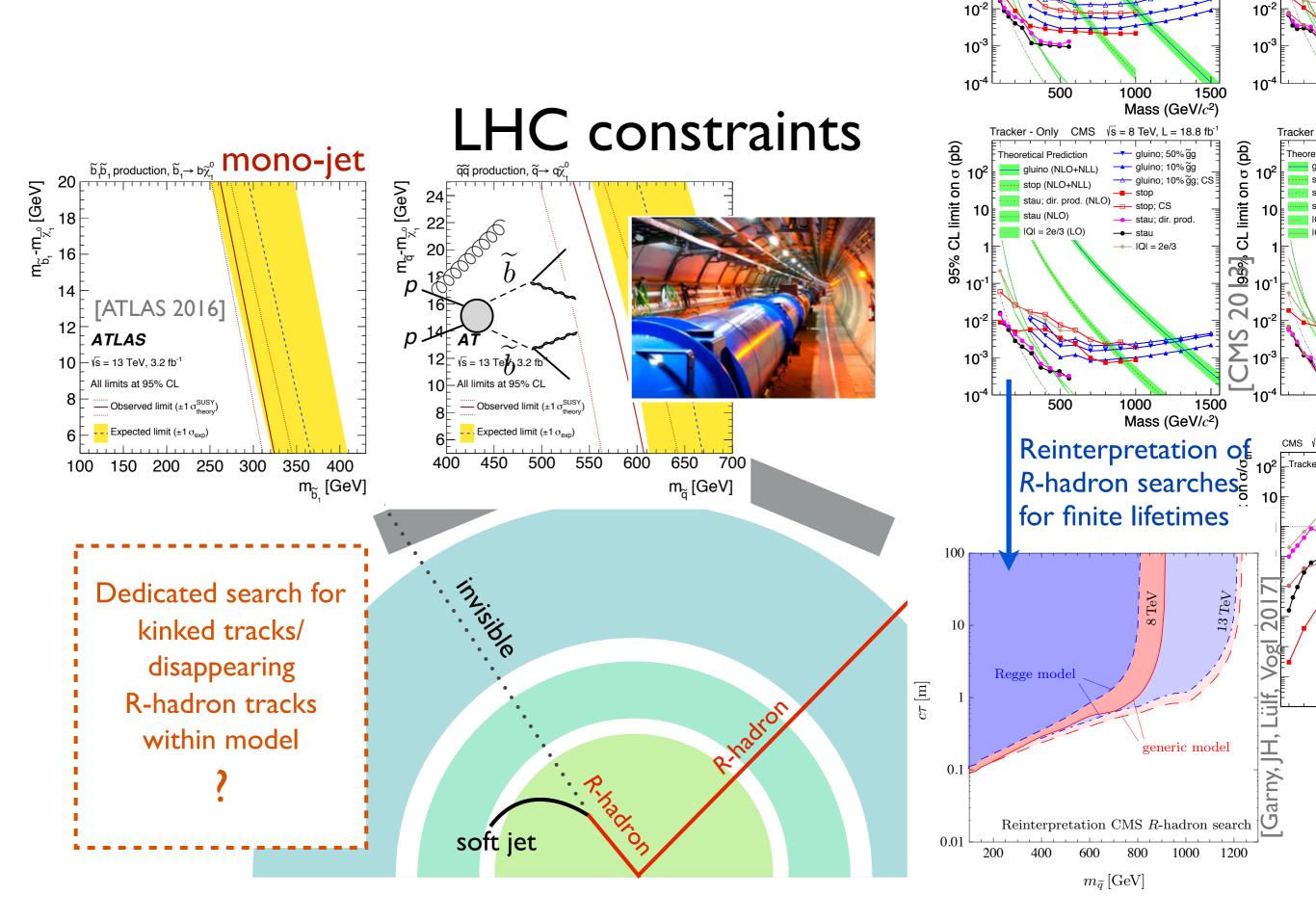
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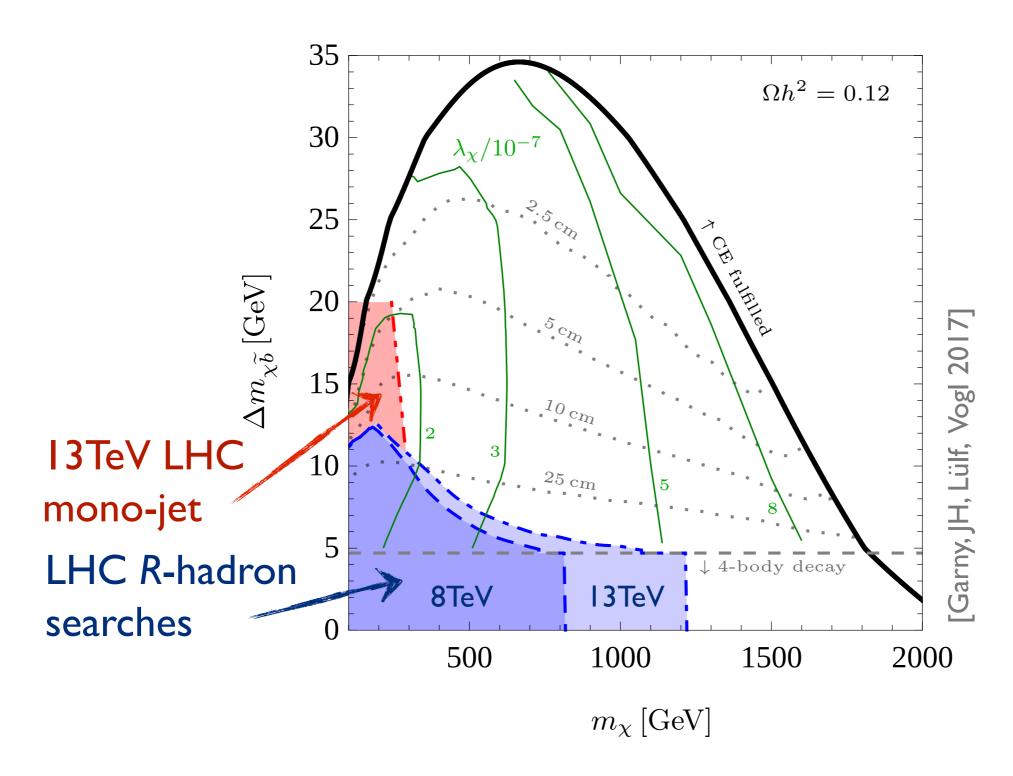
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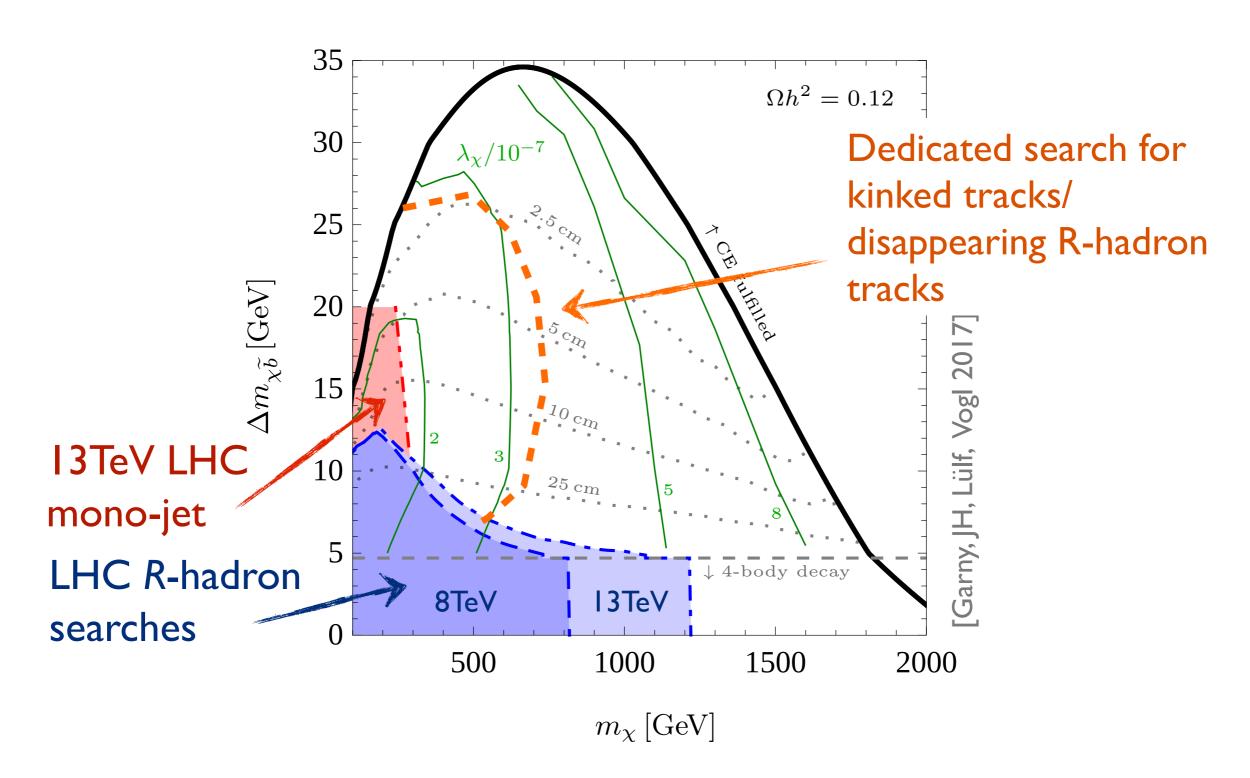




Allowed parameter space

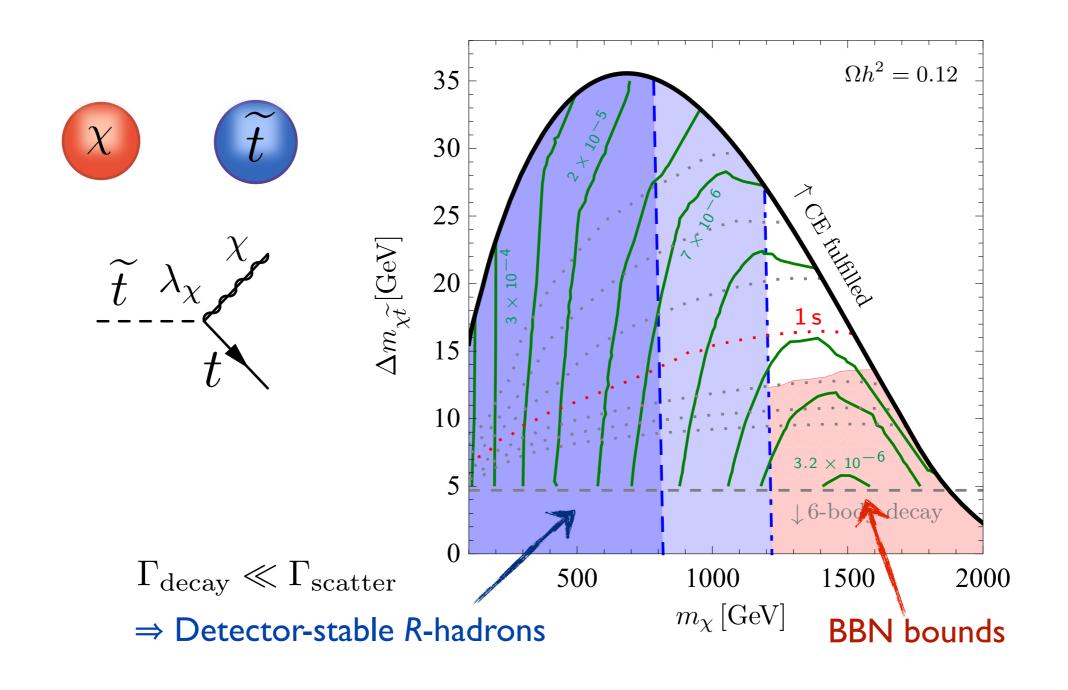


Allowed parameter space



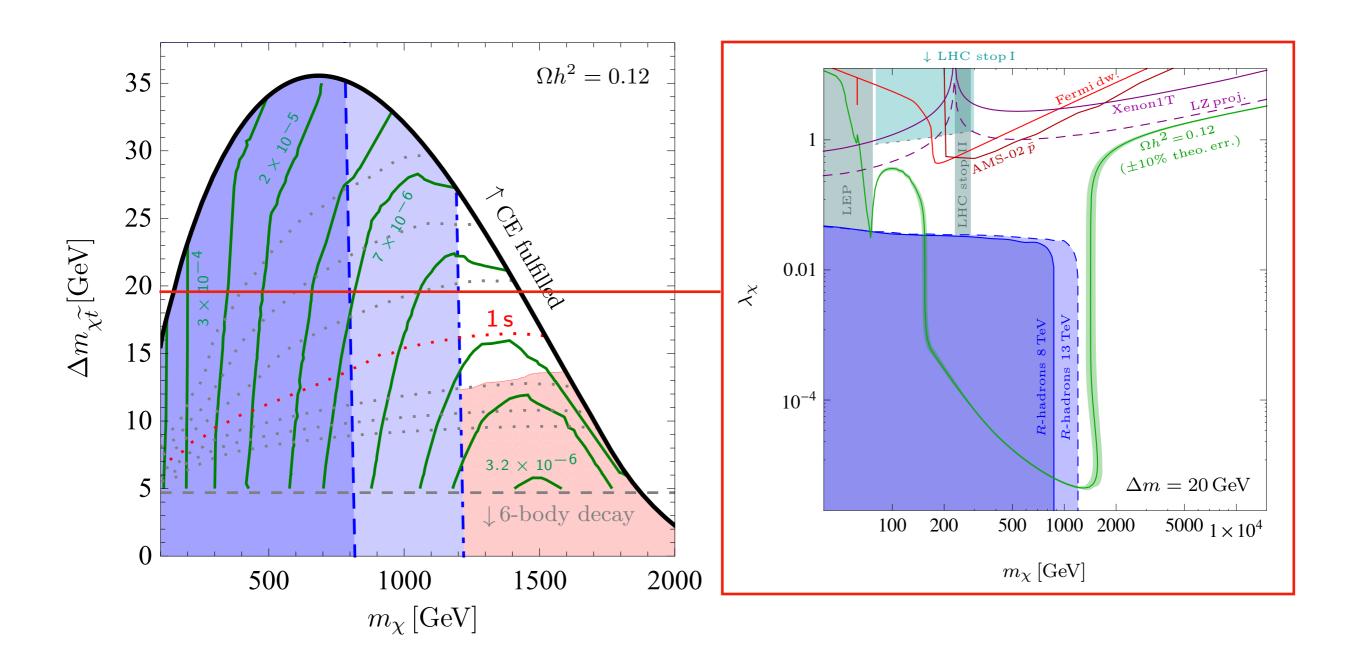
Allowed parameter space: top-partner model

[Garny, JH, Hufnagel, Lülf 1802.00814]



Allowed parameter space: top-partner model

[Garny, JH, Hufnagel, Lülf 1802.00814]



Summary

- Vanilla WIMP strongly constrained: Watch out for new avenues beyond WIMPs
- Variety long-lived particle signatures: Exploit LHC potential
- Coannihilation with small mass splitting or couplings
- Coincidence: weak scale decays ~ detector size
- Conversion-driven freeze-out:
 - Shares nice features of WIMPs!
 - Accommodates null-results from WIMP-searches
 - Dedicated searches needed

Thanks for your attention!

Backup slides

Coupled set of Boltzmann equations

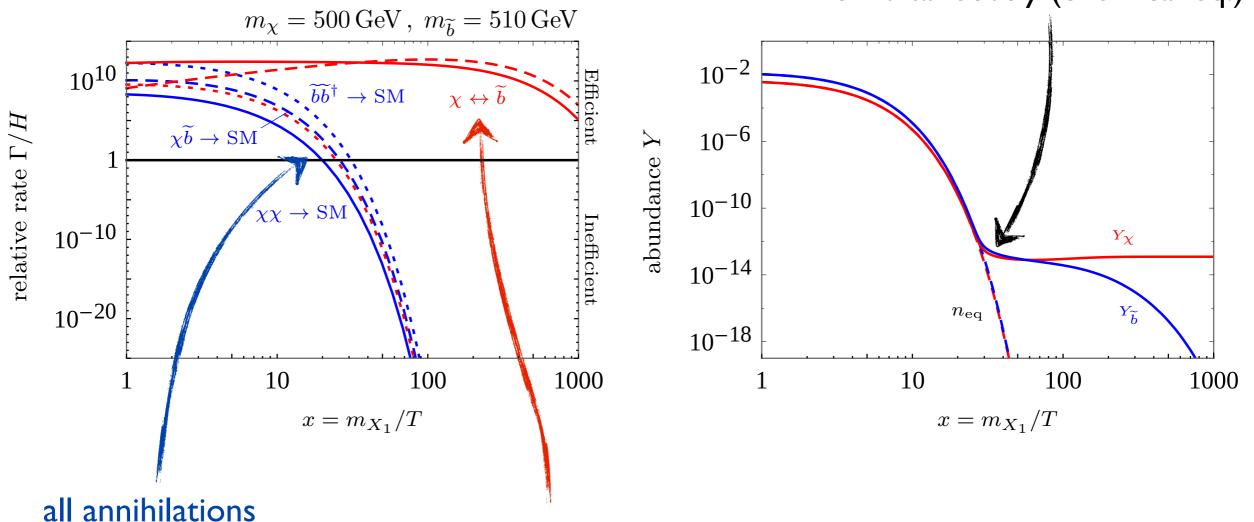
$$\frac{\mathrm{d}n_i}{\mathrm{d}t} + 3Hn_i = -\sum_{j=1}^N \langle \sigma_{ij} v_{ij} \rangle \left(n_i n_j - n_i^{\mathrm{eq}} n_j^{\mathrm{eq}} \right) \text{ annihilations } \sum_{\mathbf{x}_1}^{\mathbf{x}_1} \sum_{\mathbf{y}_2}^{\mathbf{SM}} \sum_{\mathbf{x}_2}^{\mathbf{SM}} \sum_{\mathbf{x}_3}^{\mathbf{SM}} \sum_{\mathbf{x}_4}^{\mathbf{x}_2} \sum_{\mathbf{y}_4}^{\mathbf{SM}} \sum_{\mathbf{y}_4}^{\mathbf{y}_4} \left(n_i n_i - n_i^{\mathrm{eq}} n_i^{\mathrm{eq}} \right) - \left(i \leftrightarrow j \right) \right] \text{ conversions (scattering)}$$

$$-\sum_{j \neq i} \left[\Gamma_{ij} \left(n_i - n_i^{\mathrm{eq}} \right) - \left(i \leftrightarrow j \right) \right] \text{ conversions (decay)}$$

Numerical solution of full coupled system

• SUSY coupling $\lambda_\chi \simeq 0.17$:

DM and mediator freeze-out simultaneously (chemical eq.)



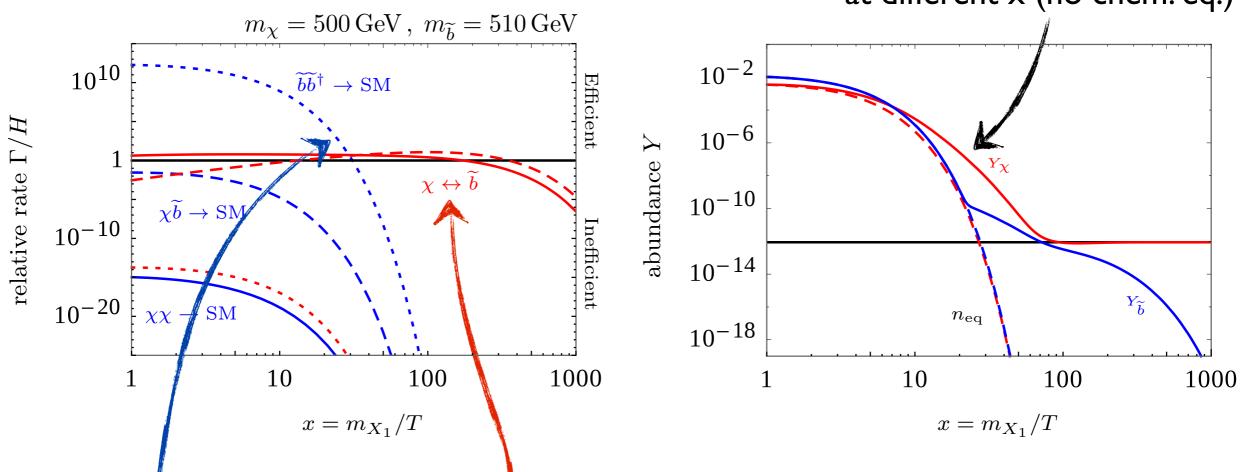
conversion thoroughly efficient

contribute

Numerical solution of full coupled system

 \blacksquare Very small coupling $\lambda_\chi \simeq 2.6 \times 10^{-7}$:

DM and mediator freeze-out at different x (no chem. eq.)

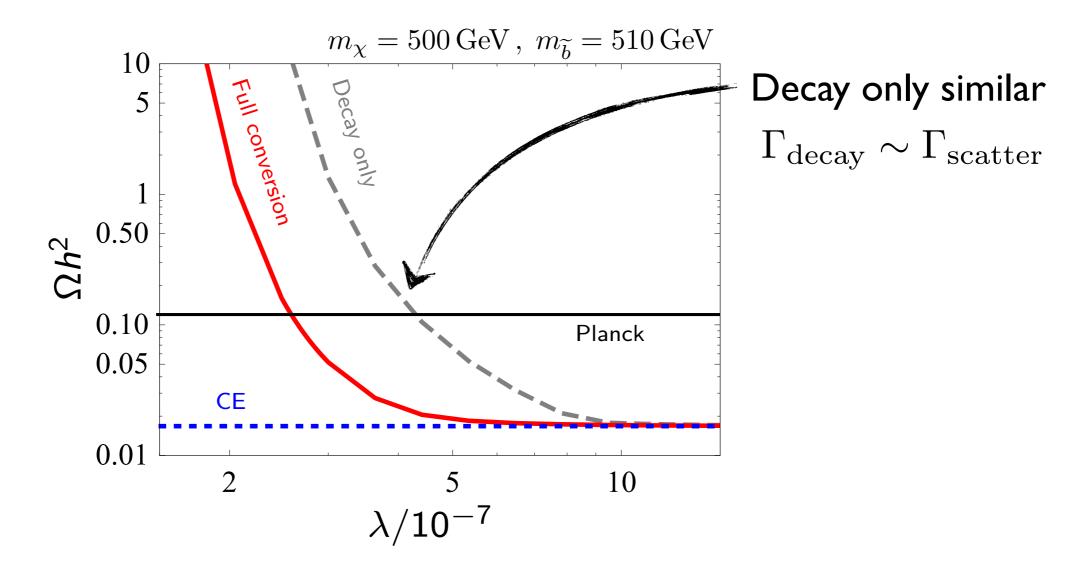


mediator-annihilation contributes only

conversion on the edge of being efficient

Numerical solution of full coupled system

Scan of the coupling:

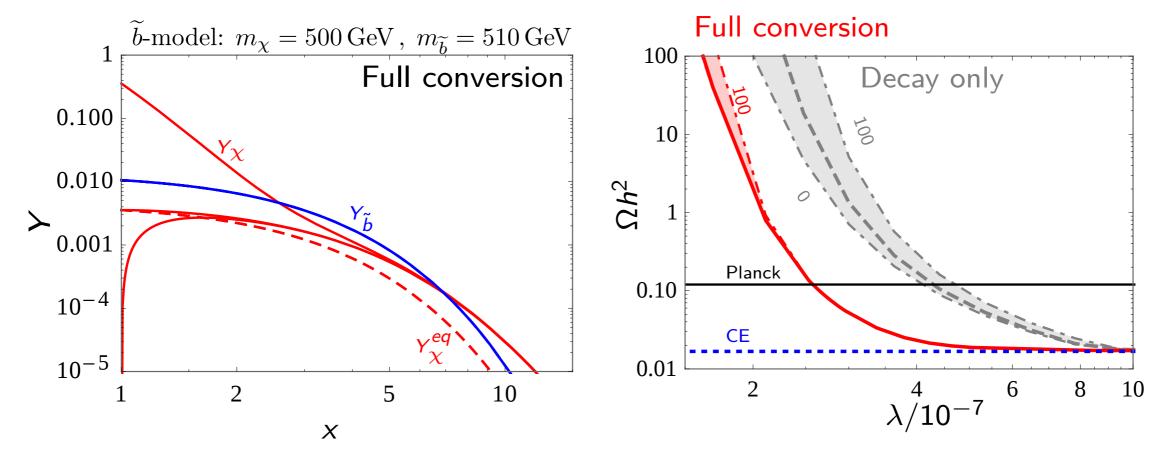


Scrutinizing some assumptions



Dependence on Initial Conditions

- So far equilibrium density at x=1 assumed
- Does DM thermalize?



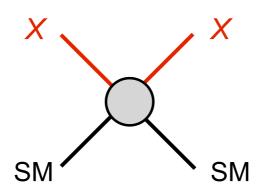
- \blacksquare Insensitive in range $Y_\chi(1) = (0 \! 100) \times Y_\chi^{\rm eq}(1)$
- ⇒ Independent of thermal history prior to freeze-out!

Kinetic equilibrium

Assumption of thermal distributions (via kinetic equilibrium)

$$f_{\chi}(t,p) = f^{\text{eq}}(t,p) \frac{n(t)}{n^{\text{eq}}(t)}$$

 WIMPs: kinetic equilibrium established through efficient elastic scatterings with SM particles:



(kinetic decoupling takes place well after freeze-out)

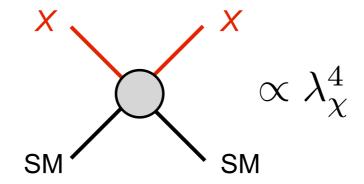
[cf. Chen, Kamionkowski, Zhang 2001, Bringmann, Hofmann 2006; Borzumati, Bringmann, Ullio 2007]

Kinetic equilibrium

Assumption of thermal distributions (via kinetic equilibrium)

$$f_{\chi}(t,p) = f^{\text{eq}}(t,p) \frac{n(t)}{n^{\text{eq}}(t)}$$

 WIMPs: kinetic equilibrium established through efficient elastic scatterings with SM particles:



- Inefficient for DM in conversion-driven freeze-out!
- Mediator is in kinetic equilibrium

Boltzmann equations for particle densities

[Lee, Weinberg 1977; Binetruy, Girardi, Salati 1984; Bernstein, Brown, Feinberg 1985; Srednicki, Watkins, Olive 1988; Kolb, Turner 1990; Griest, Seckel 1991; Gondolo, Gelmini 1991; Edsjo, Gondolo 1997]

DM distribution functions

$$E_{\chi} (\partial_t - Hp \,\partial_p) f_{\chi}(p,t) = C [f_{\chi}]$$

Relativistic Liouville operator for homogeneous, isotropic Universe

Collision operator



Particle Physics

Unintegrated Boltzmann equation

■ Consider unintegrated Boltzmann equation for χ :

$$Hx\partial_x f_\chi(q,x) = \widetilde{C}(q,x) \left(f_\chi^{\text{eq}} \frac{Y_{\tilde{b}}}{Y_{\tilde{b}}^{\text{eq}}} - f_\chi \right)$$

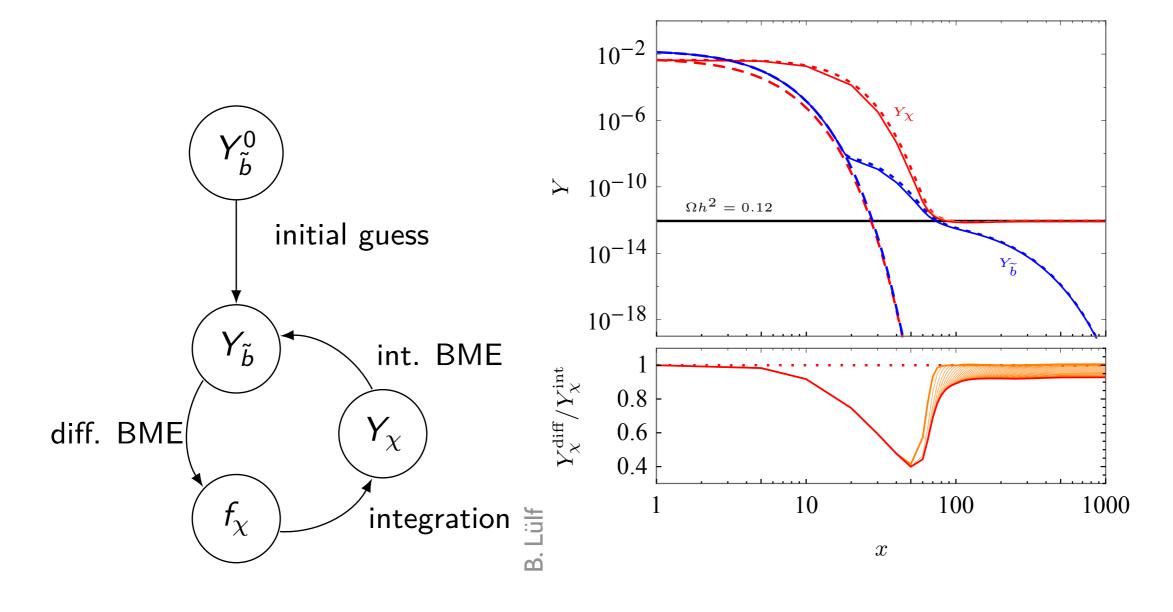
- lacktriangle Conversion only: linear in f_χ
- Can be solved by separation of variables and variation of constants:

$$f_{\chi}(q,x) = f_{\chi}^{\text{eq}}(q,x) \frac{Y_{\tilde{b}}}{Y_{\tilde{b}}^{\text{eq}}} - \int_{x_0}^{x} \frac{\mathrm{d}(f_{\chi}^{\text{eq}}(q,y) Y_{\tilde{b}}(y) / Y_{\tilde{b}}(y))}{\sqrt{\mathrm{d}y}} \times \exp\left(-\int_{y}^{x} \frac{\widetilde{C}(q,z)}{zH(z)} \mathrm{d}z\right) \mathrm{d}y$$

Involves $Y_{\tilde{b}} \rightarrow \text{still coupled system}$

Iterative solution

- Do not solve coupled system at once but iteratively
- \blacksquare Start with "guess" for $Y_{\widetilde{b}}$: solution of integrated equations

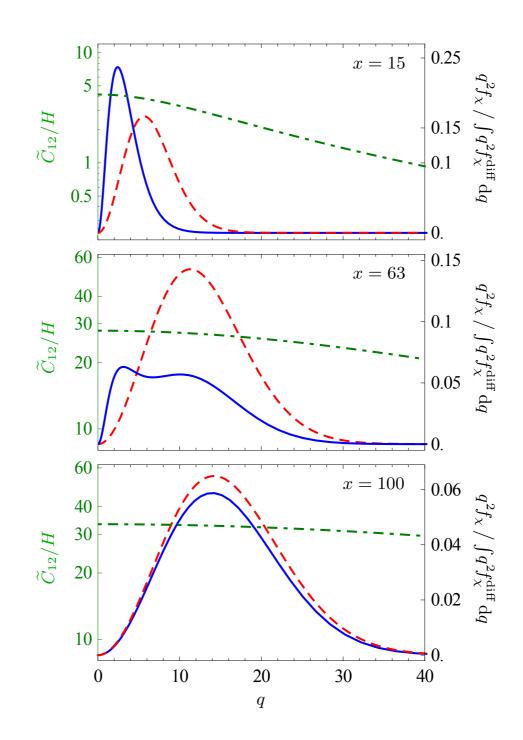


Deviation from thermal distribution

small x: redshift only

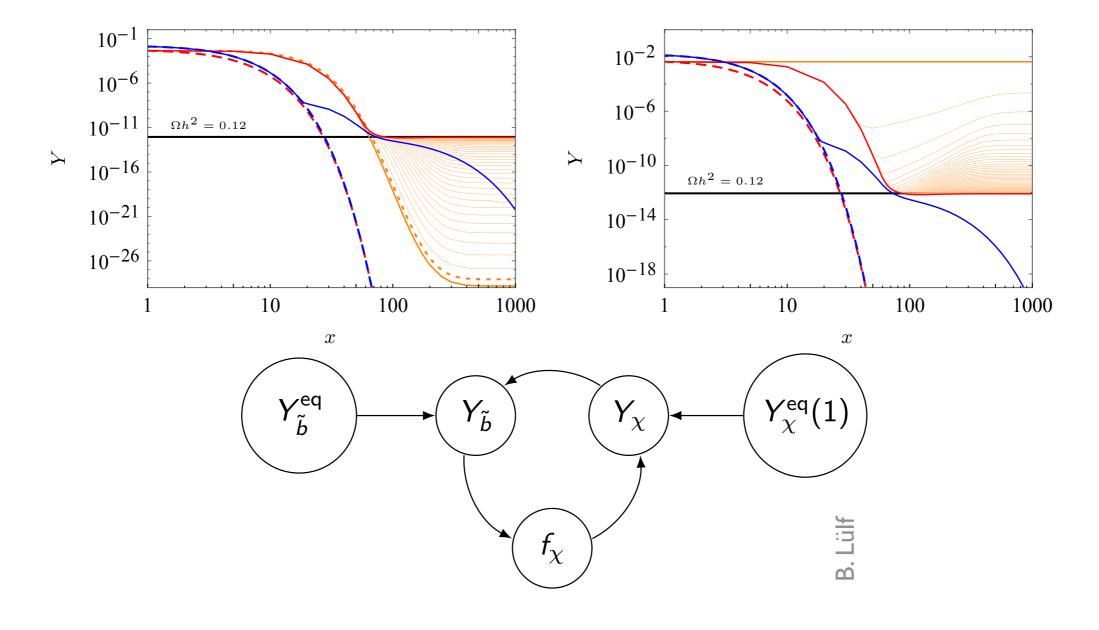
Conversion inset: thermalization starts

Close-to-thermal distribution



Testing initial guess

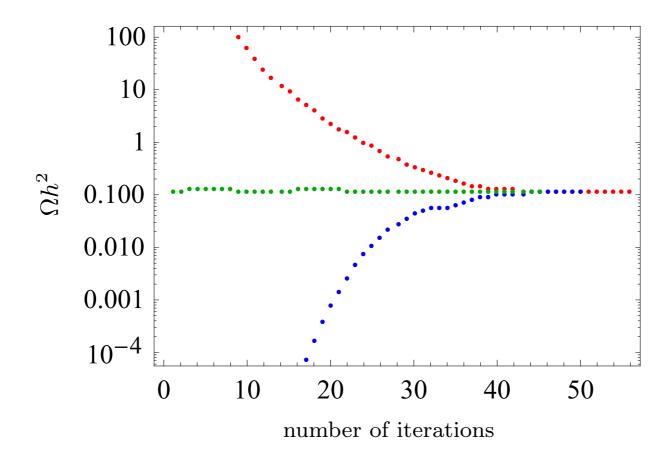
- Extreme cases for initial evolutions of abundances
- Converge to same solution:



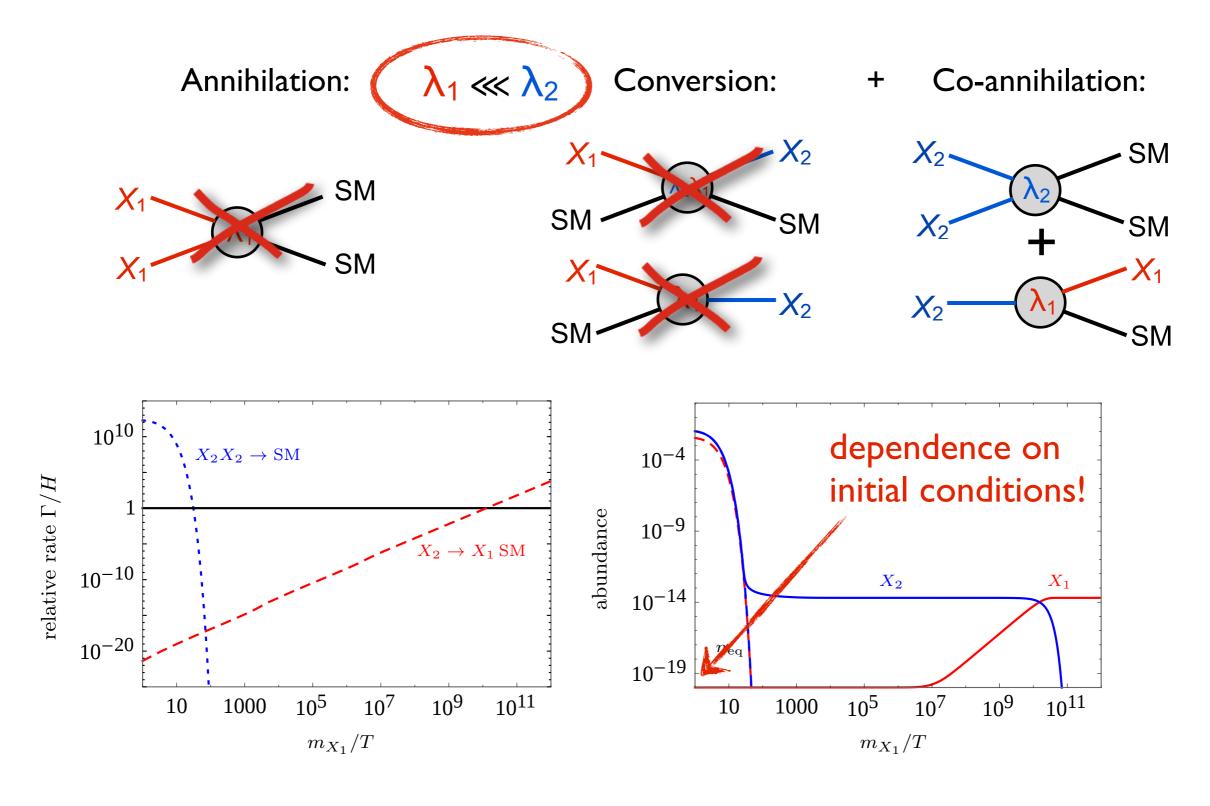
Iterative solution

- All initial guesses converge to the same solution
- Difference to integrated treatment below 10%
- Solution of coupled system more important

[cf. D'Agnolo, Pappadopulo, Ruderman, 2017]



superWIMP scenario



superWIMP scenario

