

What do Galactic electrons and positrons tell us about Dark Matter?

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Based on:

MB, E. F. Bueno, S. Caroff, Y. Genolini, V. Poulin, V. Poireau, A. Putze, S. Rosier, P. Salati and M. Vecchi
(*Astron.Astrophys. 605 (2017) A17*)

MB, J. Lavalle and P. Salati
(*PhysRevLett.119.021103*)

MB, T. Lacroix, J. Lavalle, M. Stref and P. Salati
(in process)

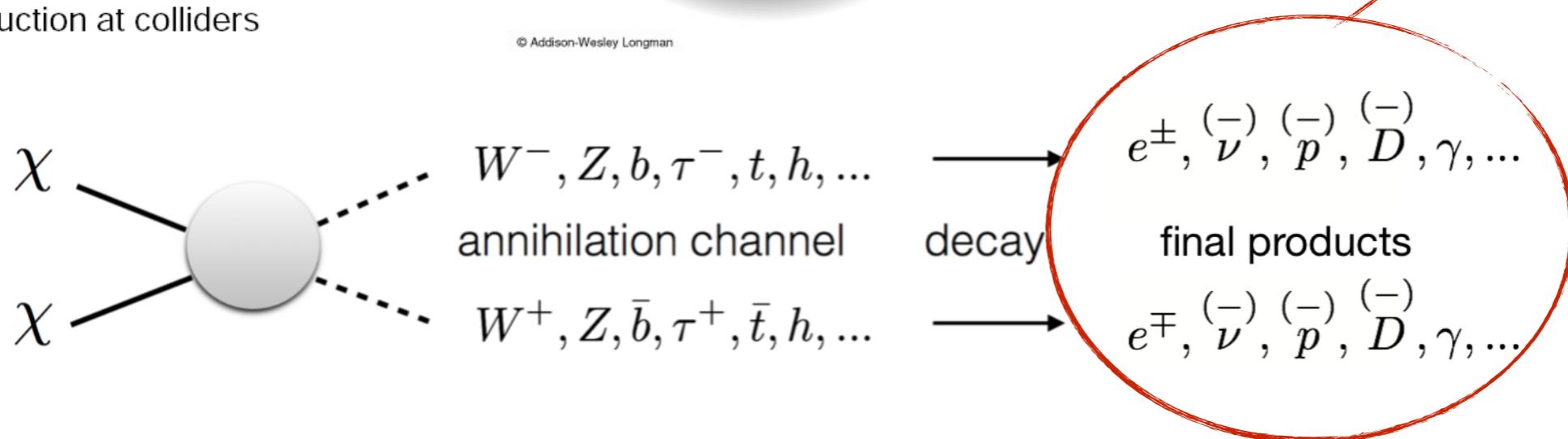
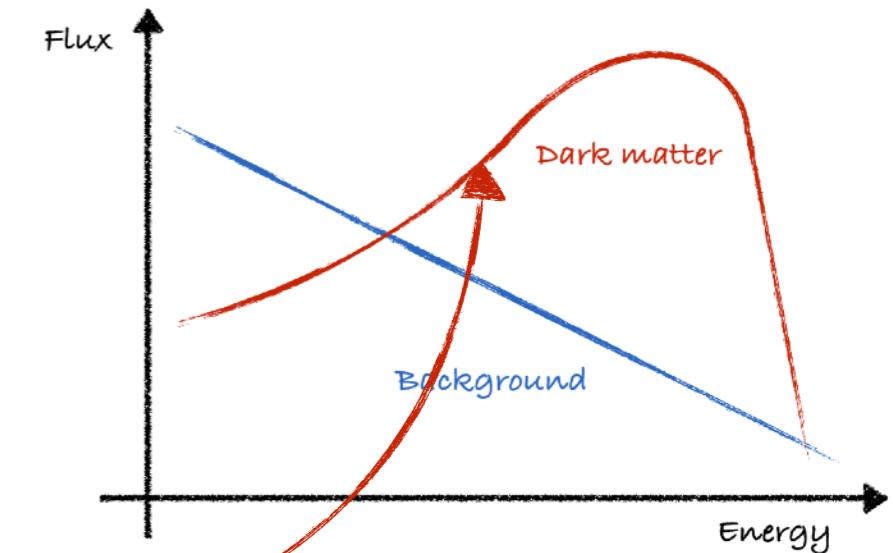
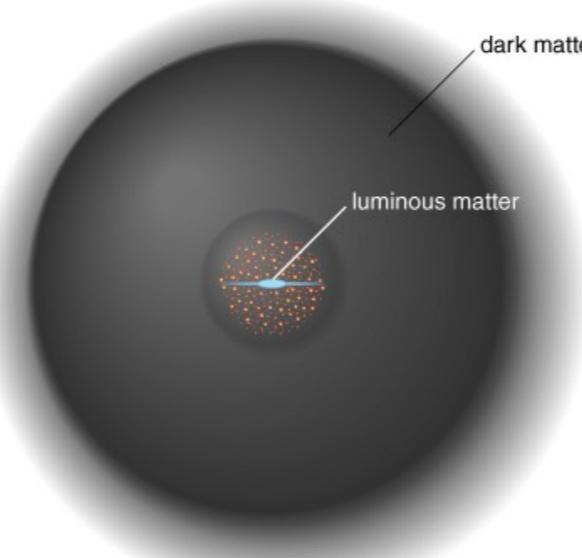
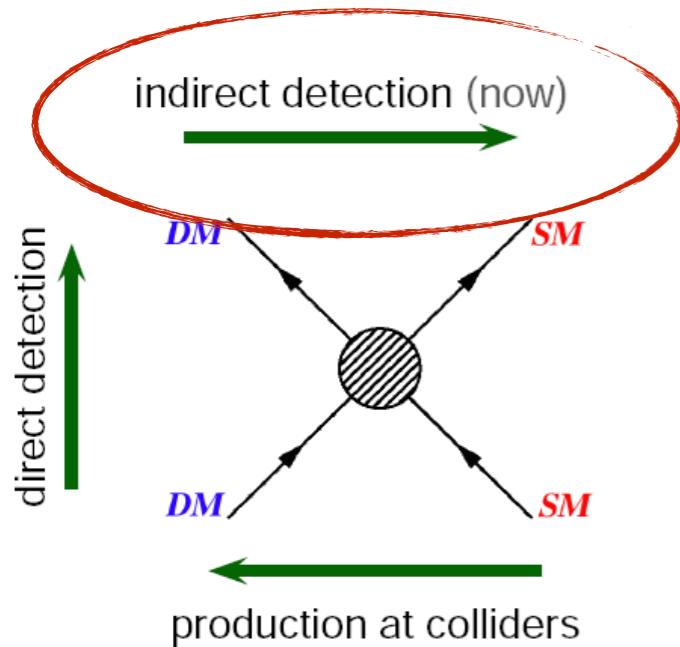


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THEORIQUE ET HAUTES ENERGIES



Dark matter indirect detection

Measure an excess of cosmic rays with respect to the astrophysical background.



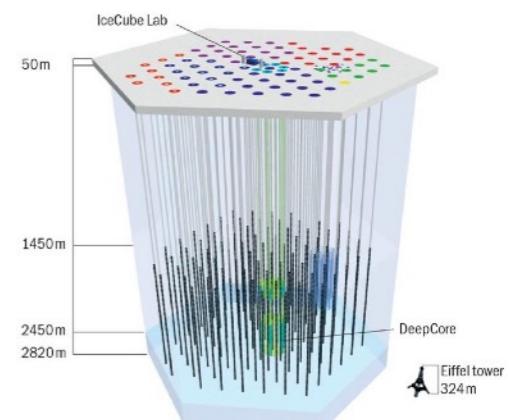
- Gamma rays
- Charged cosmic rays
- Neutrinos



HESS



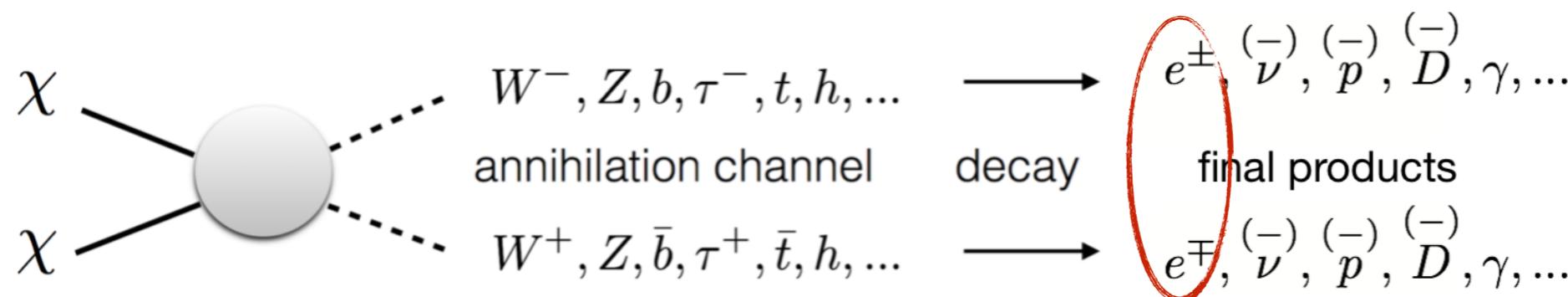
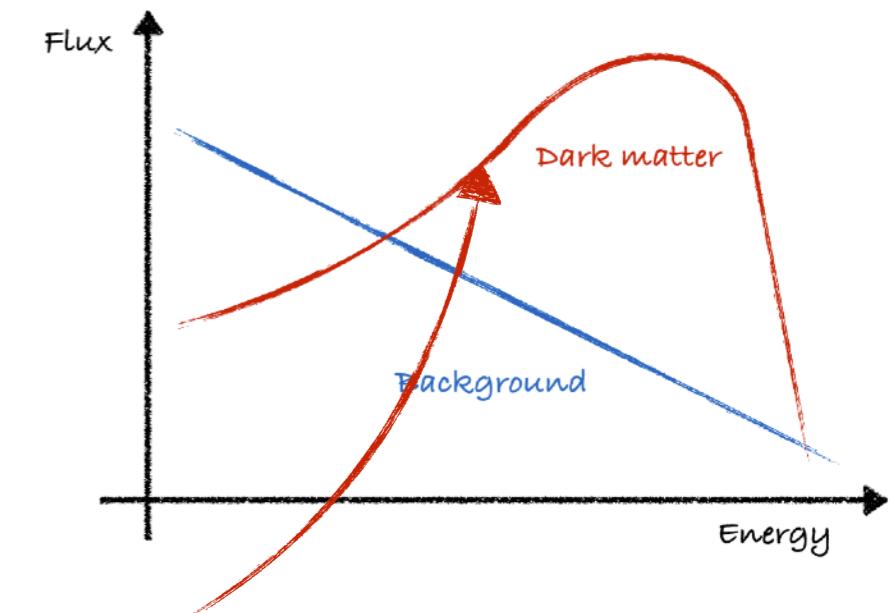
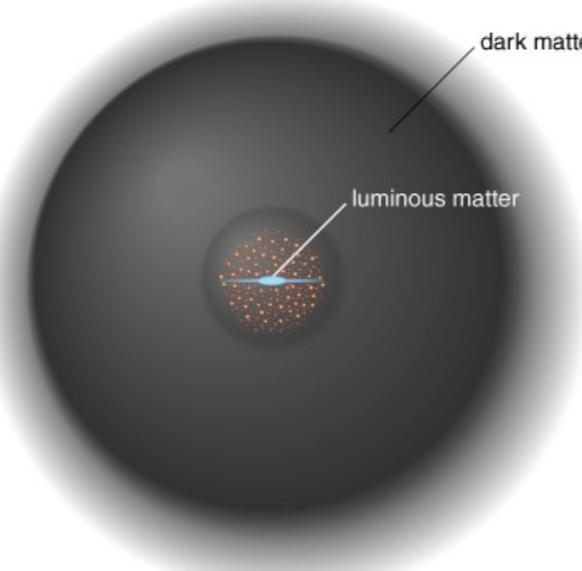
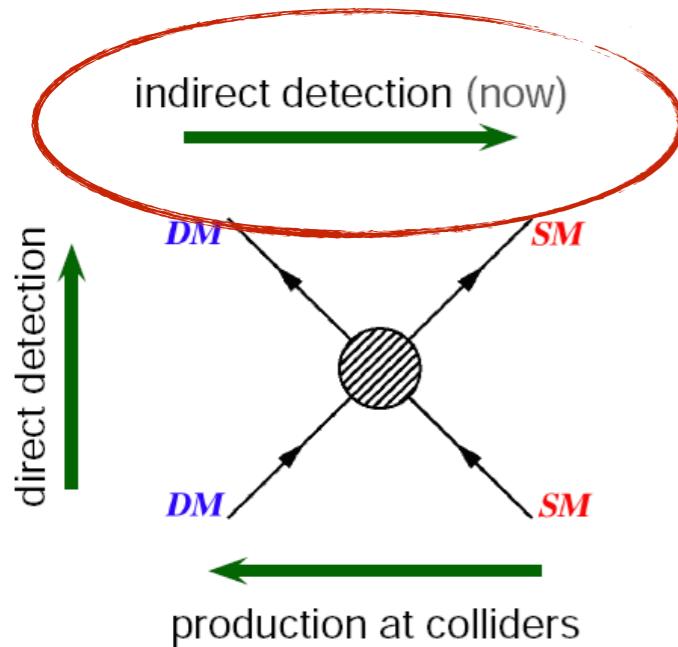
AMS-02



IceCube

Dark matter indirect detection

Measure an excess of cosmic rays with respect to the astrophysical background.



- Gamma rays



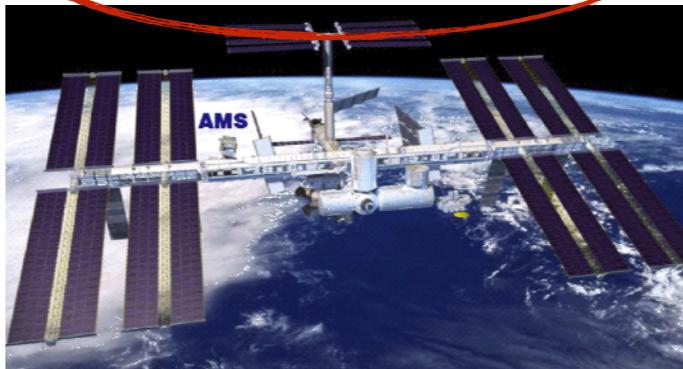
HESS



AMS-02



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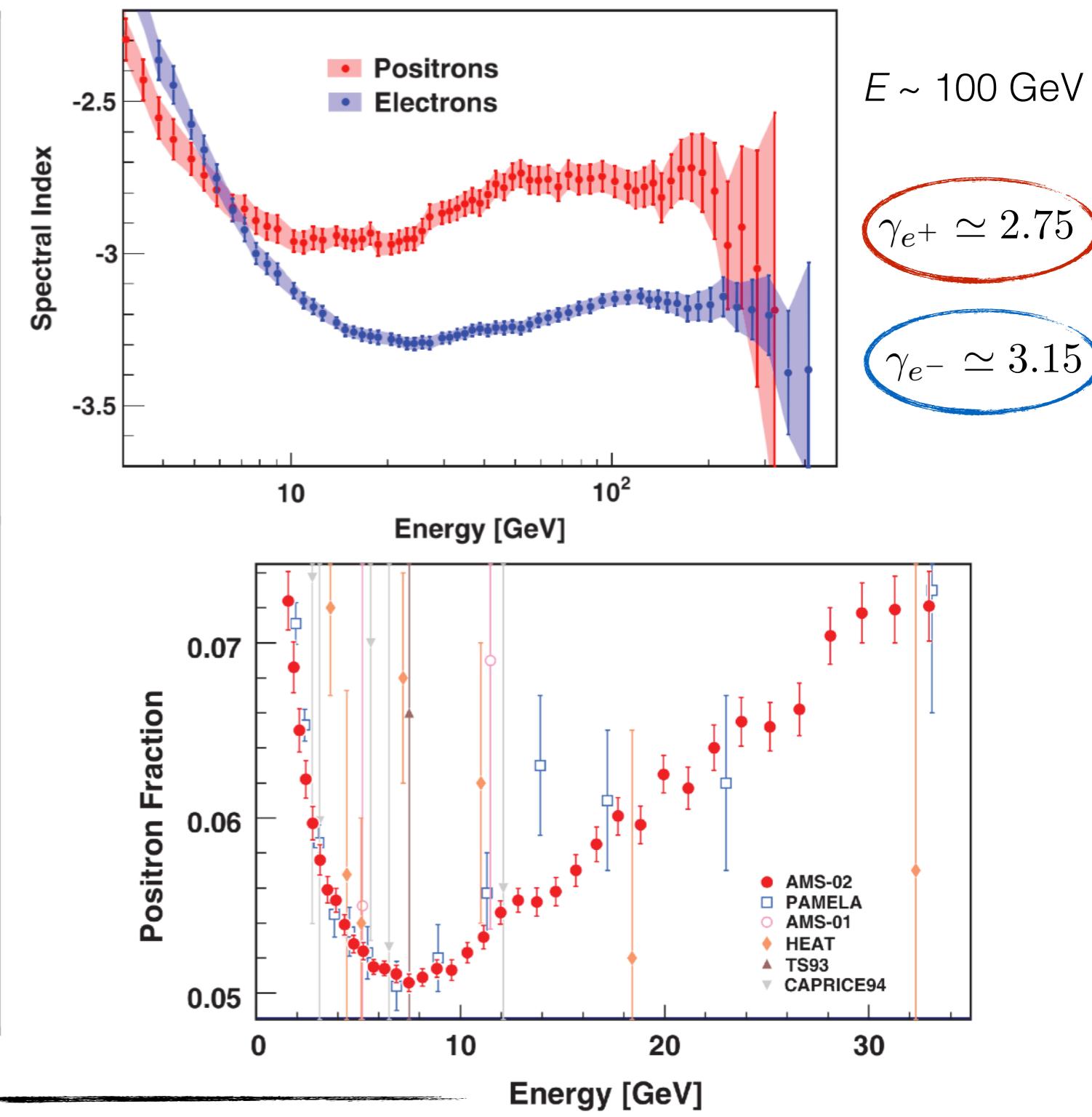
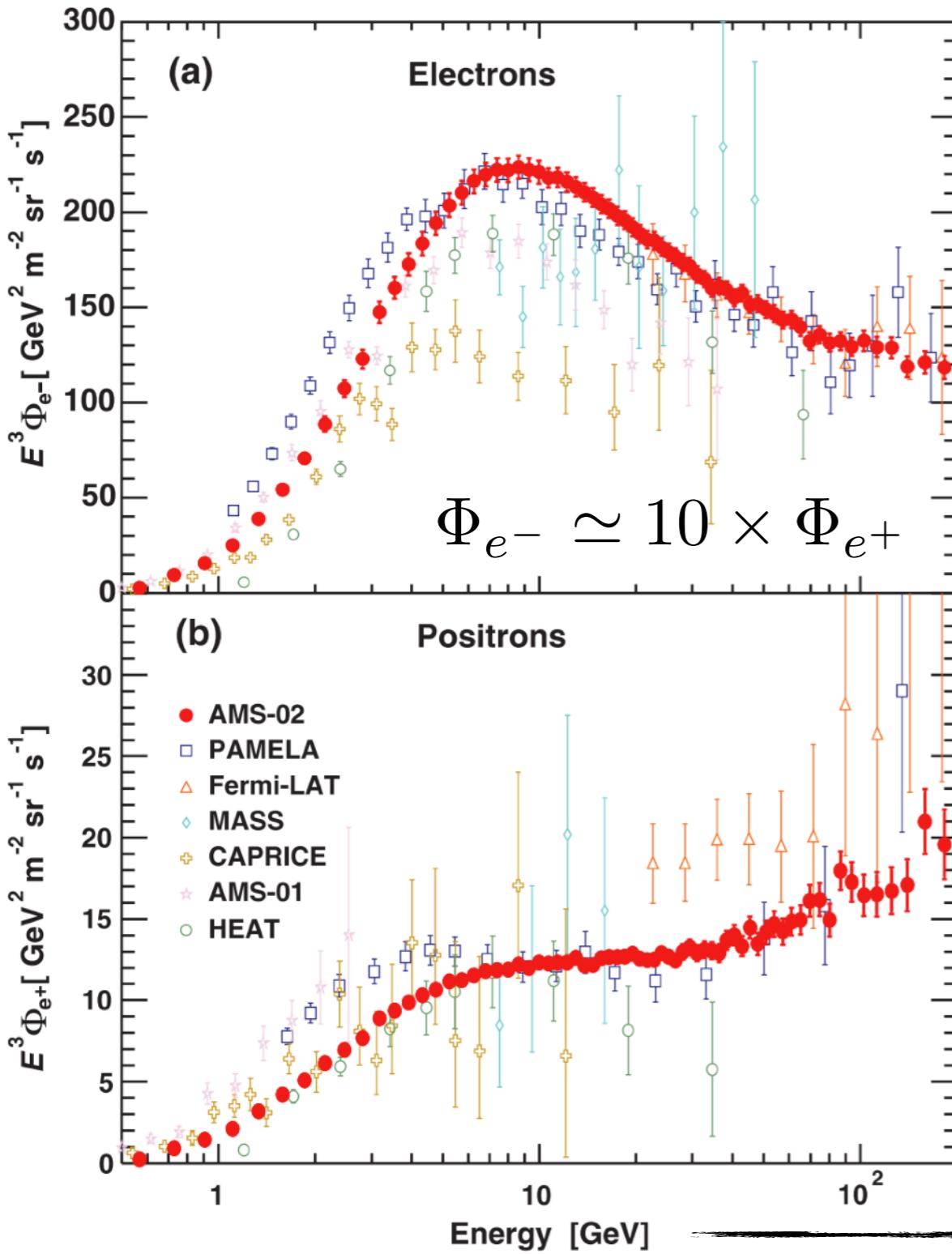
IceCube

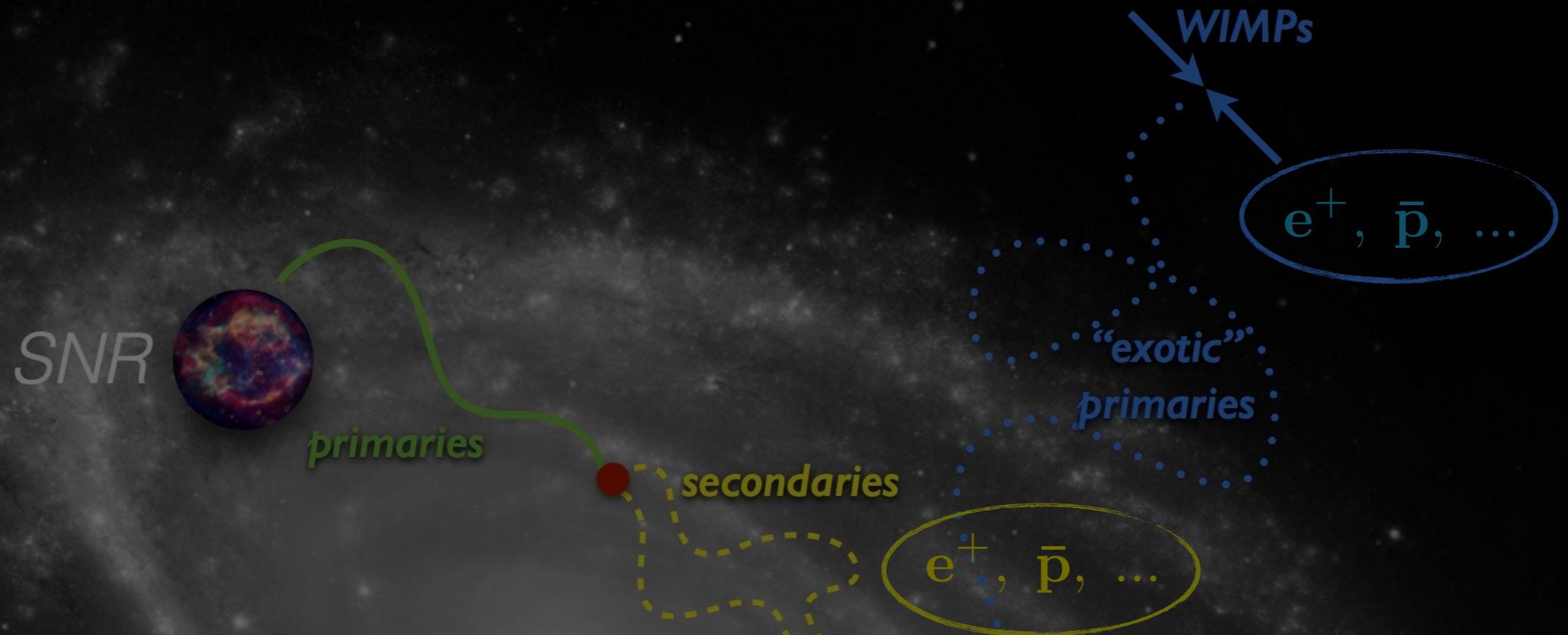
AMS-02 e⁺ and e⁻ data

AMS-02 collaboration has measured the electrons, positrons flux and the positron fraction from ~ 0.5 GeV up to ~ 500 GeV with an unprecedented high accuracy.

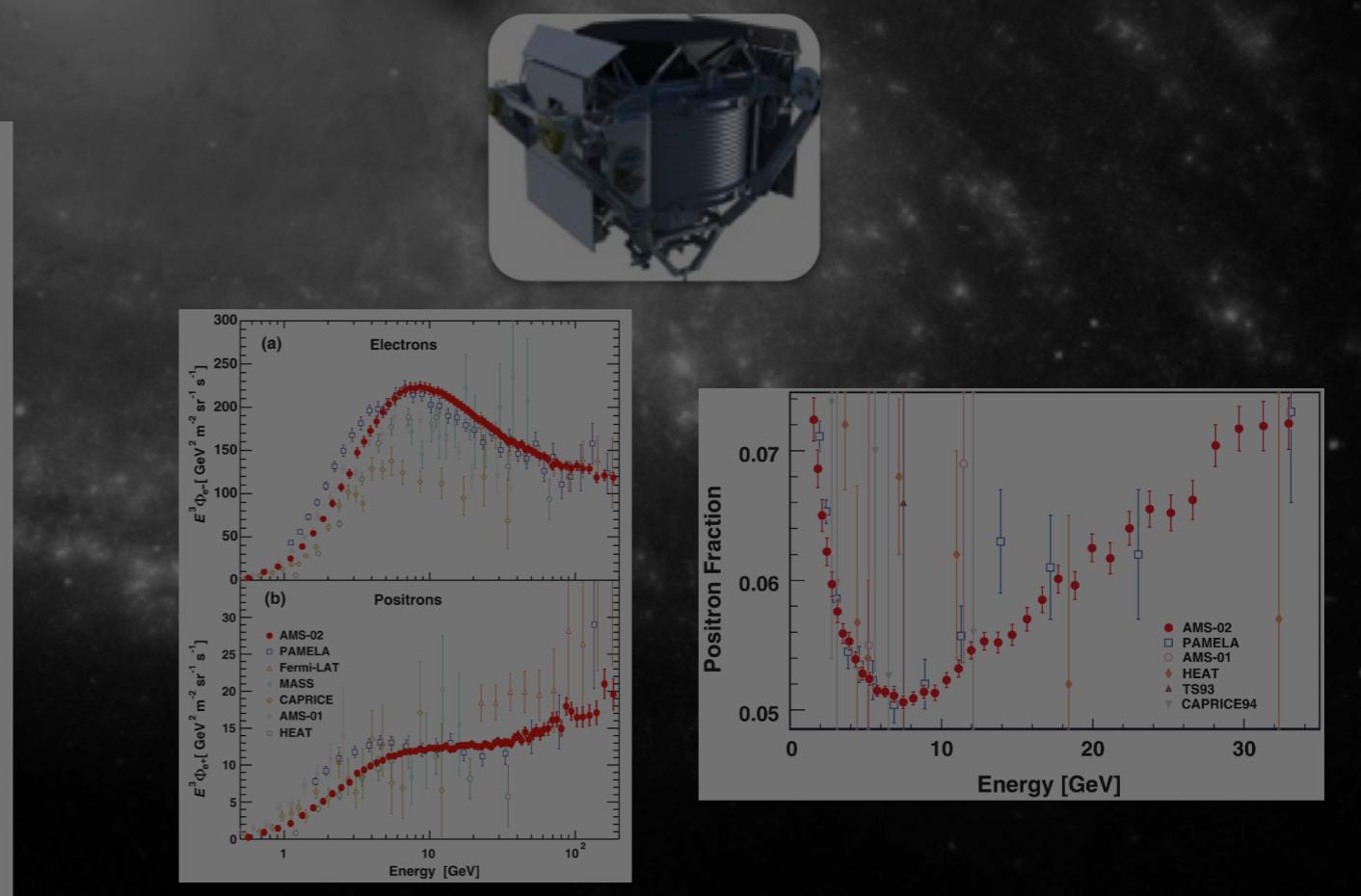
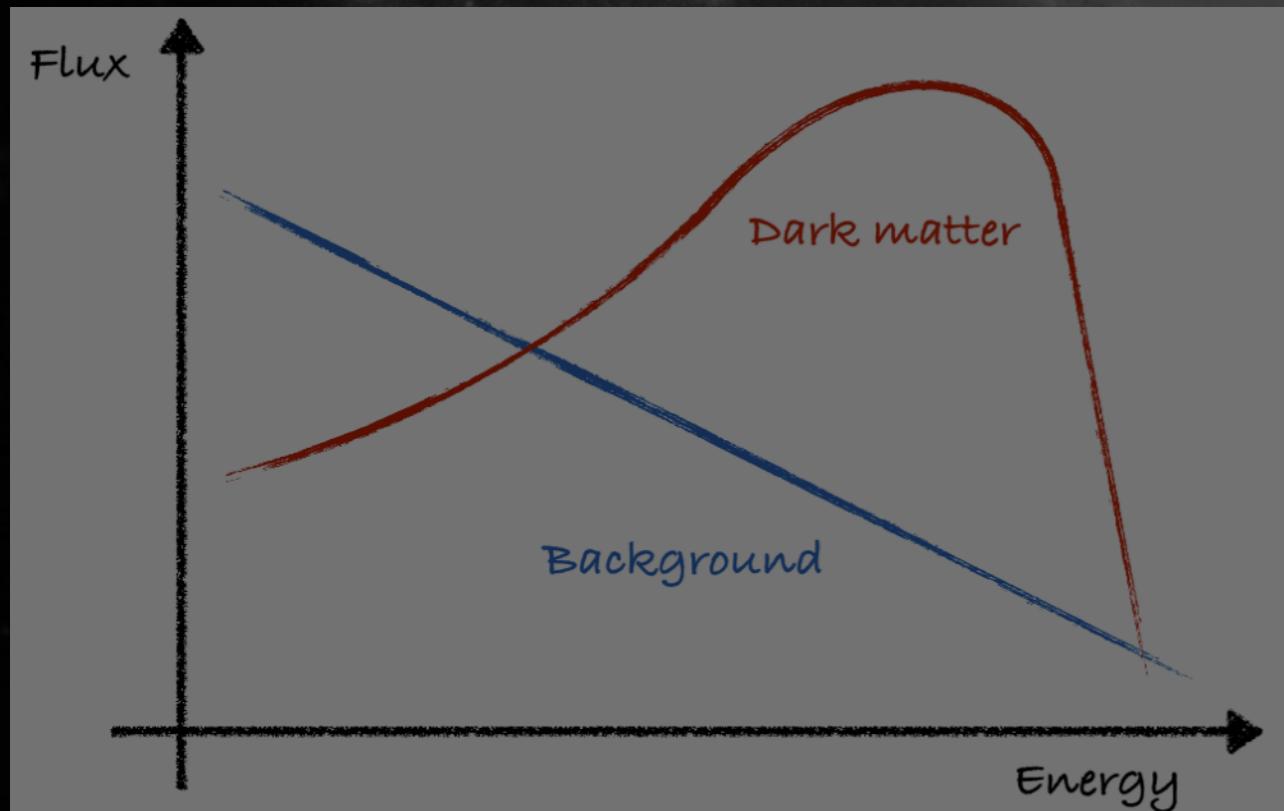
$$\text{PF} = \frac{\Phi_{e^+}}{\Phi_{e^- + e^+}}$$

PRL113, 121102 (2014), PRL113, 121101 (2014)





Is there any signal of dark matter in the e- and/or e+ data?



1- Introduction

2- Propagation of cosmic rays: the diffusion model

3- The *pinching method* for low energy e^- and e^+

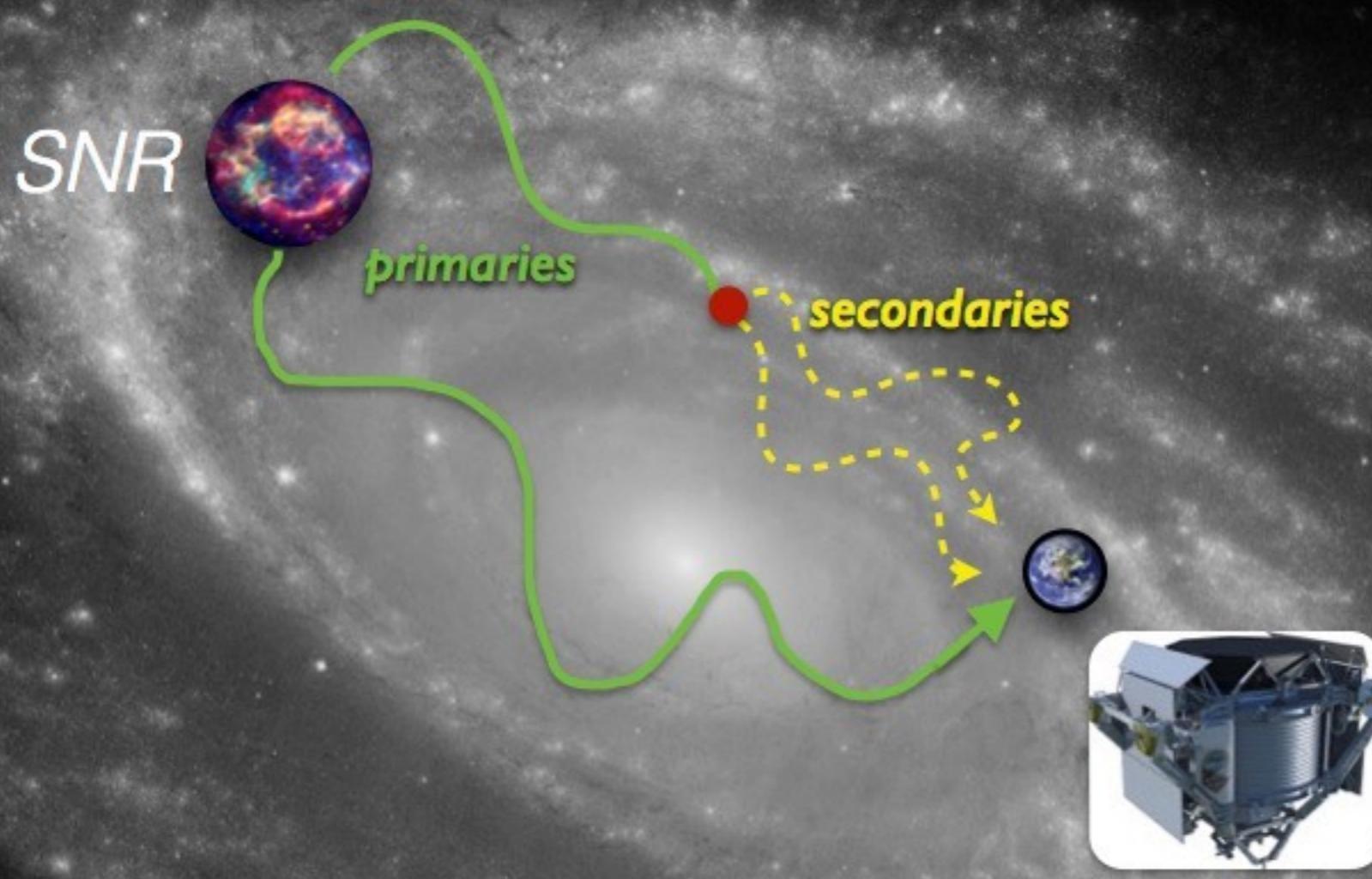
4- Implications for dark matter searches

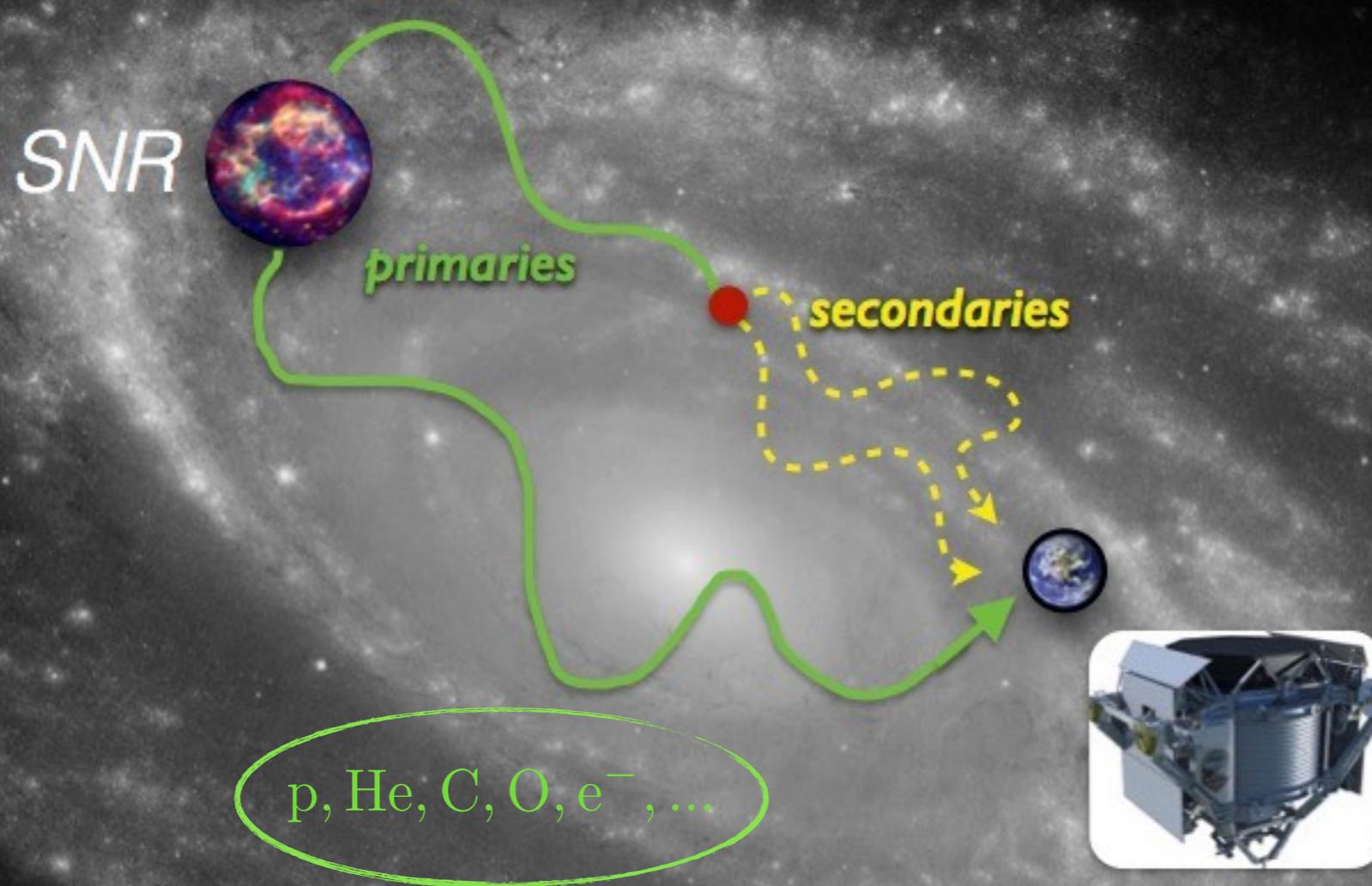
 4.1- Dark matter signal?

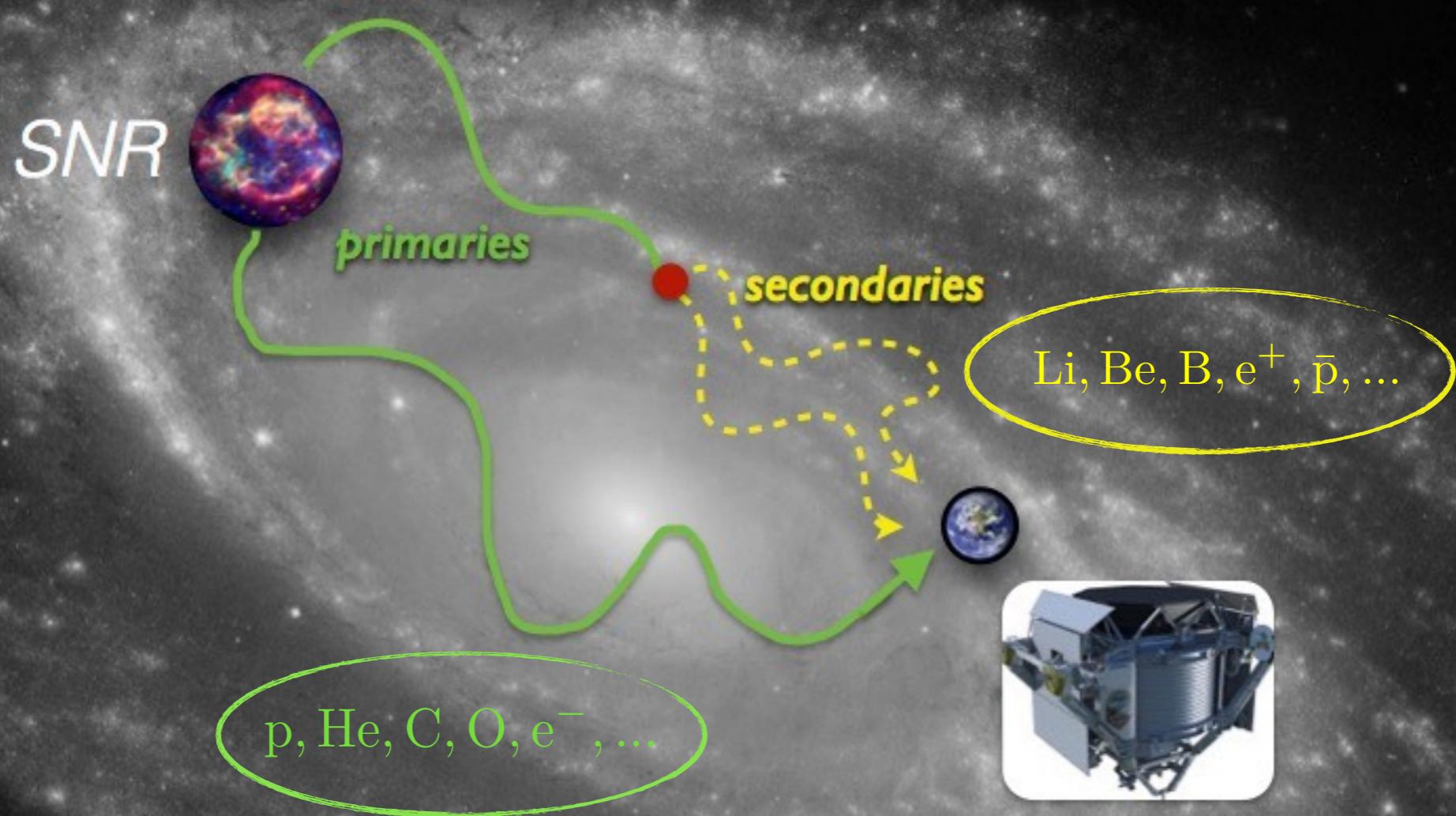
 4.2- Dark matter constraints

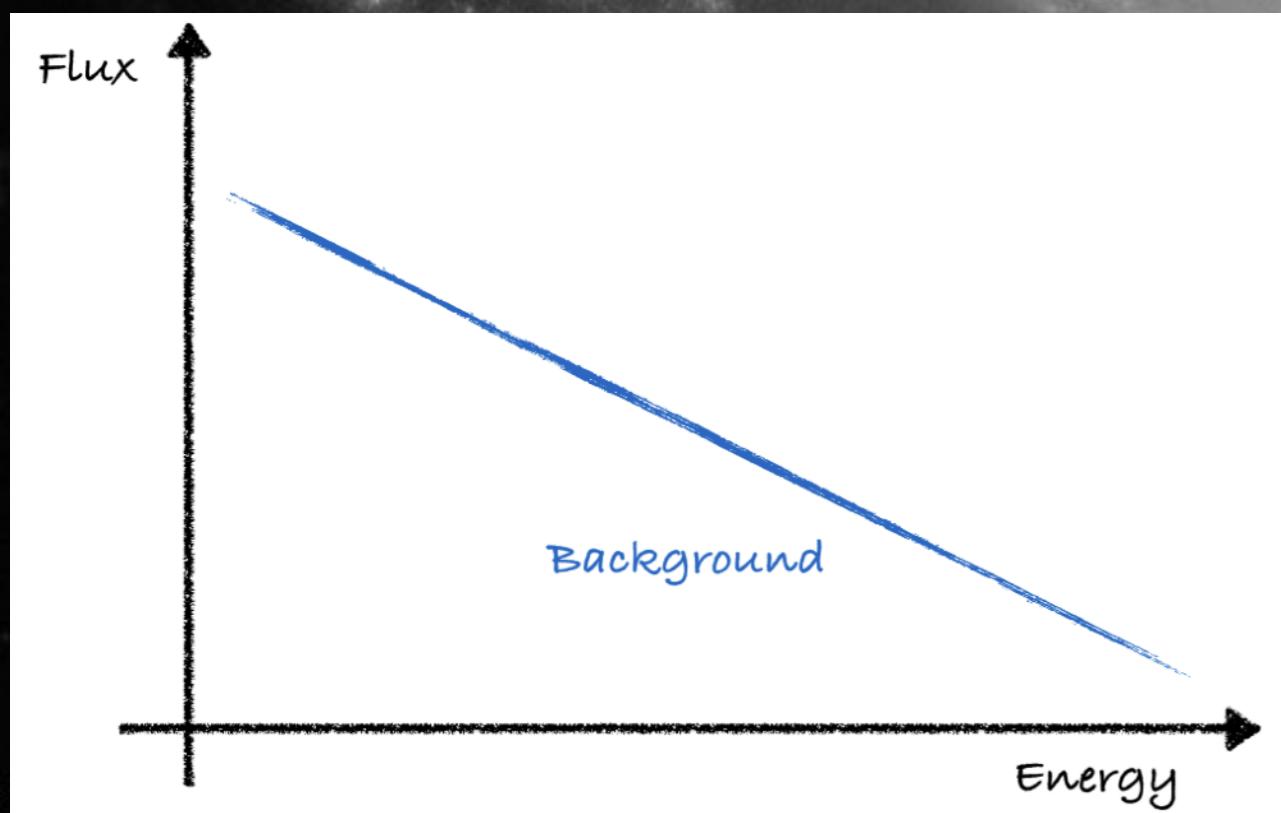
6- Conclusions and outlooks

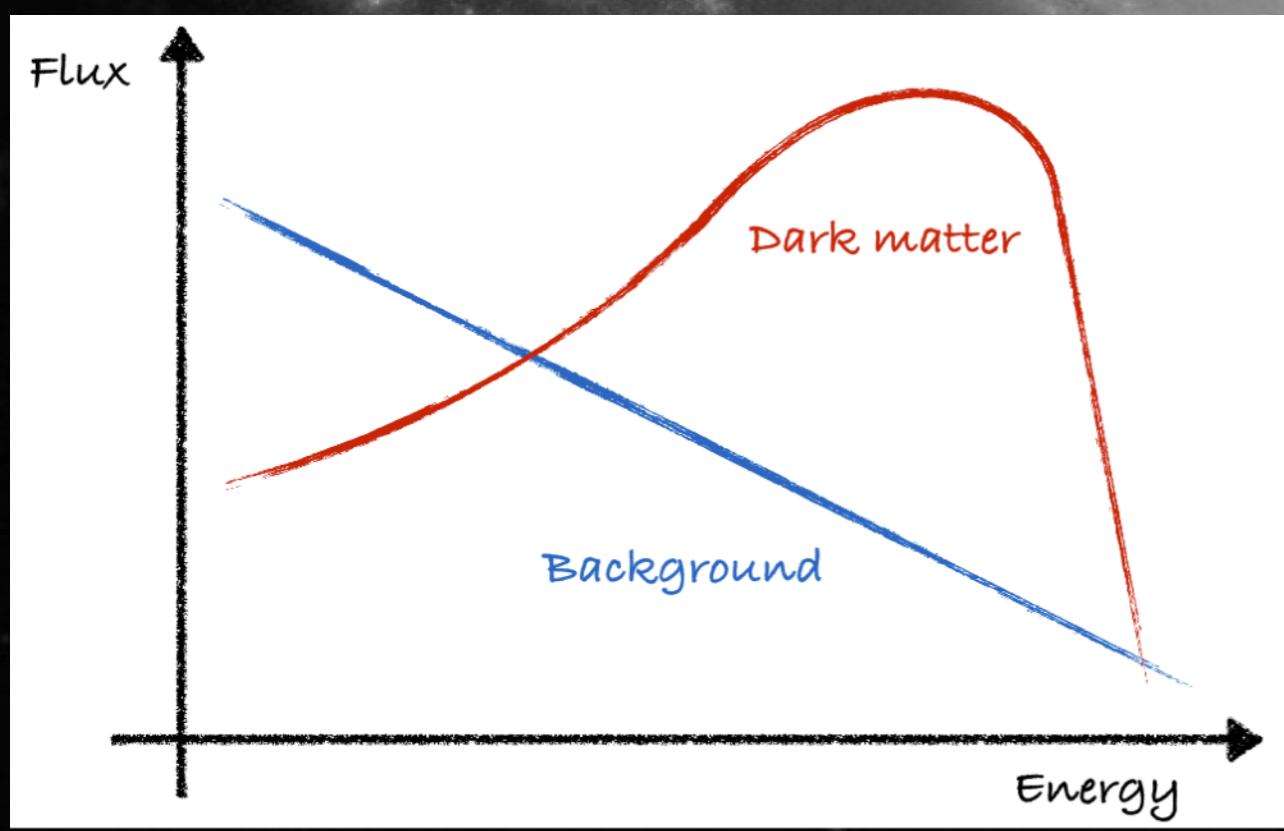
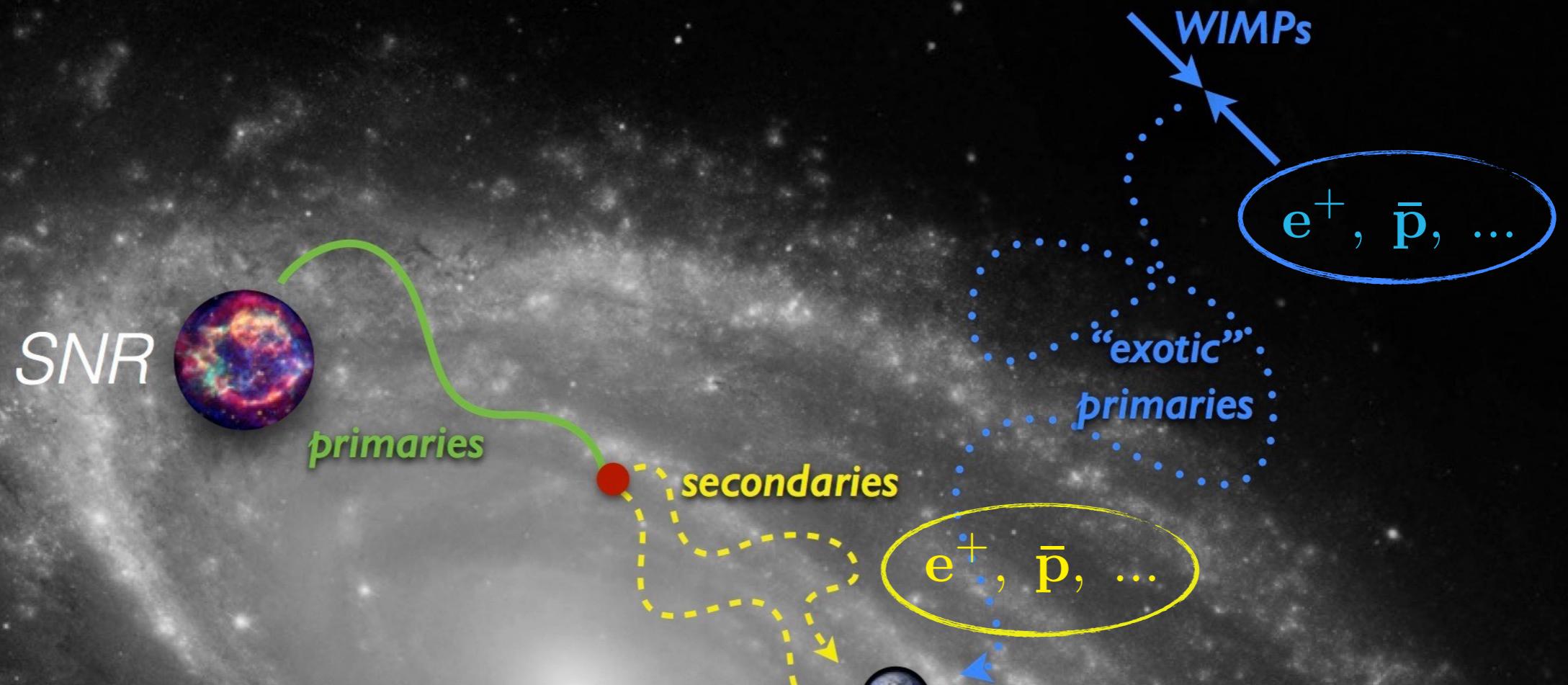
Propagation of cosmic rays: the diffusion model











Interaction of cosmic rays

- **Space diffusion**

Diffusion on the turbulent component of the magnetic field.

$$K(E, \vec{x})$$



A diagram showing a supernova remnant (SNR) with a central star and a shock wave expanding into a surrounding medium. The text "SNR" is written above the remnant.

- **Convection**

Galactic wind due to supernovae explosions in the galactic disc.

$$\vec{V}_C(\vec{x})$$

- **Destruction**

- Interaction with the interstellar medium (ISM)
- Decay

$$Q^{sink}(E, \vec{x})$$

- **Energy losses**

- Interaction with the ISM (Coulomb, ionisation, bremsstrahlung, adiabatic expansion) $b(E, \vec{x})$
- Synchrotron emission, inverse Compton scattering (electrons)



- **Diffusive reacceleration**

Second order Fermi mechanism. Diffusion in momentum space.
Depends on the velocity of the Alfvén waves V_A .

$$D(E, \vec{x}) = \frac{2}{9} V_A^2 \frac{E^2 \beta^4}{K(E, \vec{x})}$$

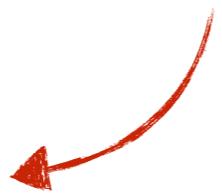
The transport equation

$$\psi(E, t, \vec{x}) = \frac{d^4 N}{d^3 x dE}$$

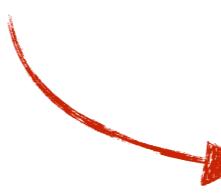
$$\partial_t \psi - K(E, \vec{x}) \Delta \psi + \vec{\nabla} \cdot [\vec{V}_C(\vec{x}) \psi] + \partial_E [b(E, \vec{x}) \psi - D(E, \vec{x}) \partial_E \psi] = Q(E, t, \vec{x})$$

$$Q(E, t, \vec{x}) = Q^{source}(E, t, \vec{x}) - Q^{sink}(E, \vec{x})$$

Production

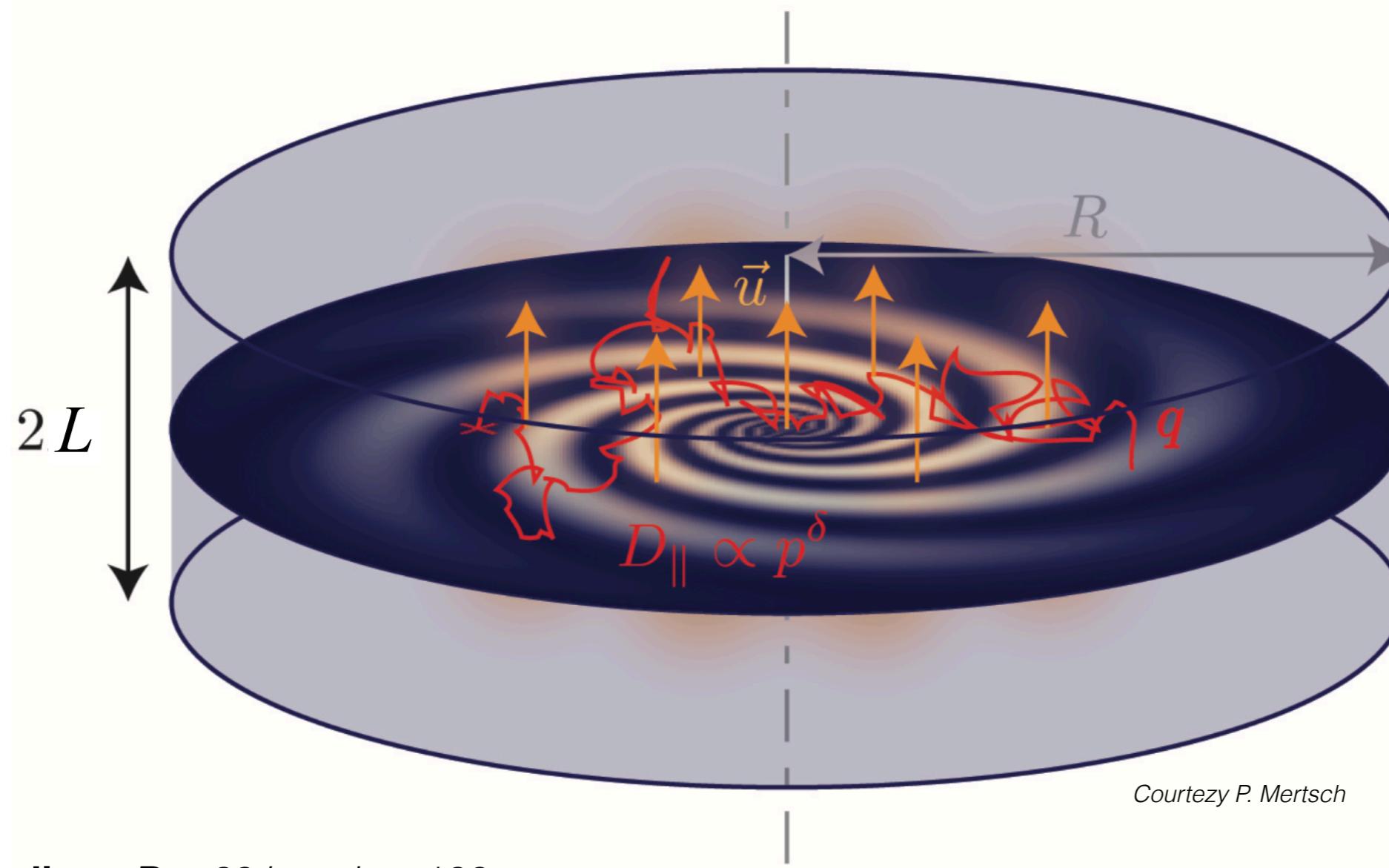


Destruction



- Acceleration in supernova remnants (SNRs)
- Pulsar wind nebulae (PWNe)
- Spallation of primary CRs
- Decay of primary CRs
- *Dark matter?*
- Spallation
- Decay
- Annihilation

The two-zone diffusion model



The galactic disc - $R \sim 20 \text{ kpc}$, $h \sim 100 \text{ pc}$

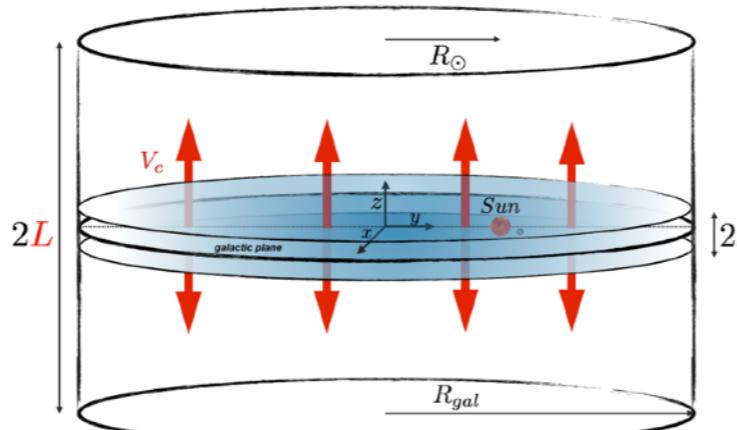
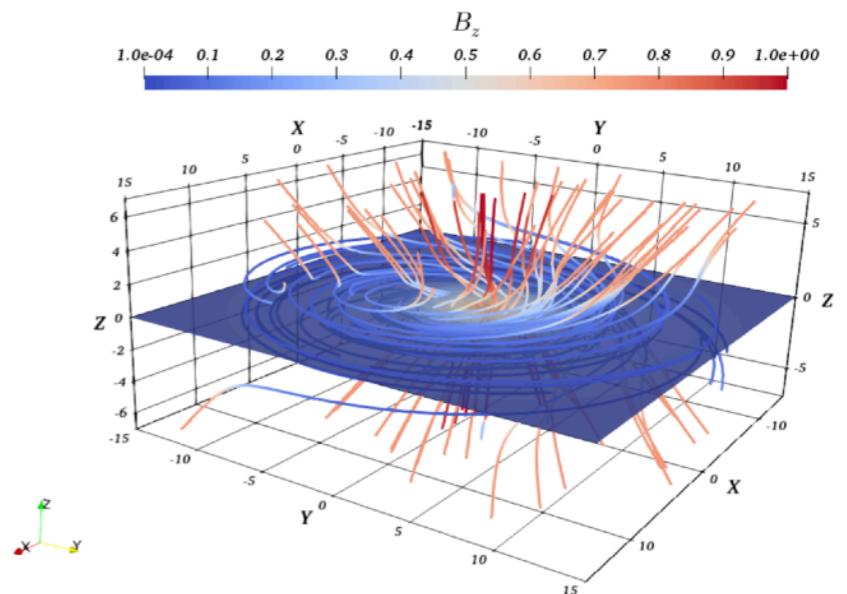
Contains the gas, the stars and the dust of the Galaxy. Distributed in the spiral arms.
Cosmic rays are accelerated in the galactic disc.

The magnetic halo - $R \sim 20 \text{ kpc}$, $1 \leq L \leq 20 \text{ kpc}$

The diffusion zone of the model. Cosmic rays that escape the magnetic halo cannot go back.

Cosmic rays propagation

$$\partial_t \psi - K(E, \vec{x}) \Delta \psi + \vec{\nabla} \cdot [\vec{V}_C(\vec{x}) \psi] + \partial_E [b(E, \vec{x}) \psi - D(E, \vec{x}) \partial_E \psi] = Q^{source}(E, t, \vec{x}) - Q^{sink}(E, \vec{x})$$

	Semi-analytical	Numerical
Approach	<p>Simplify the geometry Green functions, Bessel and Fourier expansion</p> 	<p>Discretise the equation Numerical solvers</p> 
Pros	<p>Useful to understand the physics Fast-running time (extensive scans)</p>	<p>Structure of the Galaxy Any new input easily included</p>
Cons	<p>Only solve approximate model</p>	<p>Slow-running time</p>
Codes	<p>USINE, PPPC4DMID, my code, etc.</p>	<p>GALPROP, DRAGON, PICARD, etc.</p>

The propagation parameters

The diffusion model depends on **5** parameters.

$$1 < \textcolor{red}{L} < 15 \text{ kpc}$$

$$\vec{V}_C = \textcolor{red}{V}_C \operatorname{sign}(z) \vec{e}_z$$

$$K(E) = \textcolor{red}{K}_0 \beta \left(\frac{R}{1 \text{ GV}} \right)^{\delta}$$

$$D(E) = \frac{2}{9} \textcolor{red}{V}_A^2 \frac{E^2 \beta^4}{K(E)}$$

These parameters can be constrained using the ratio between secondary to primaries species (B/C, etc.)

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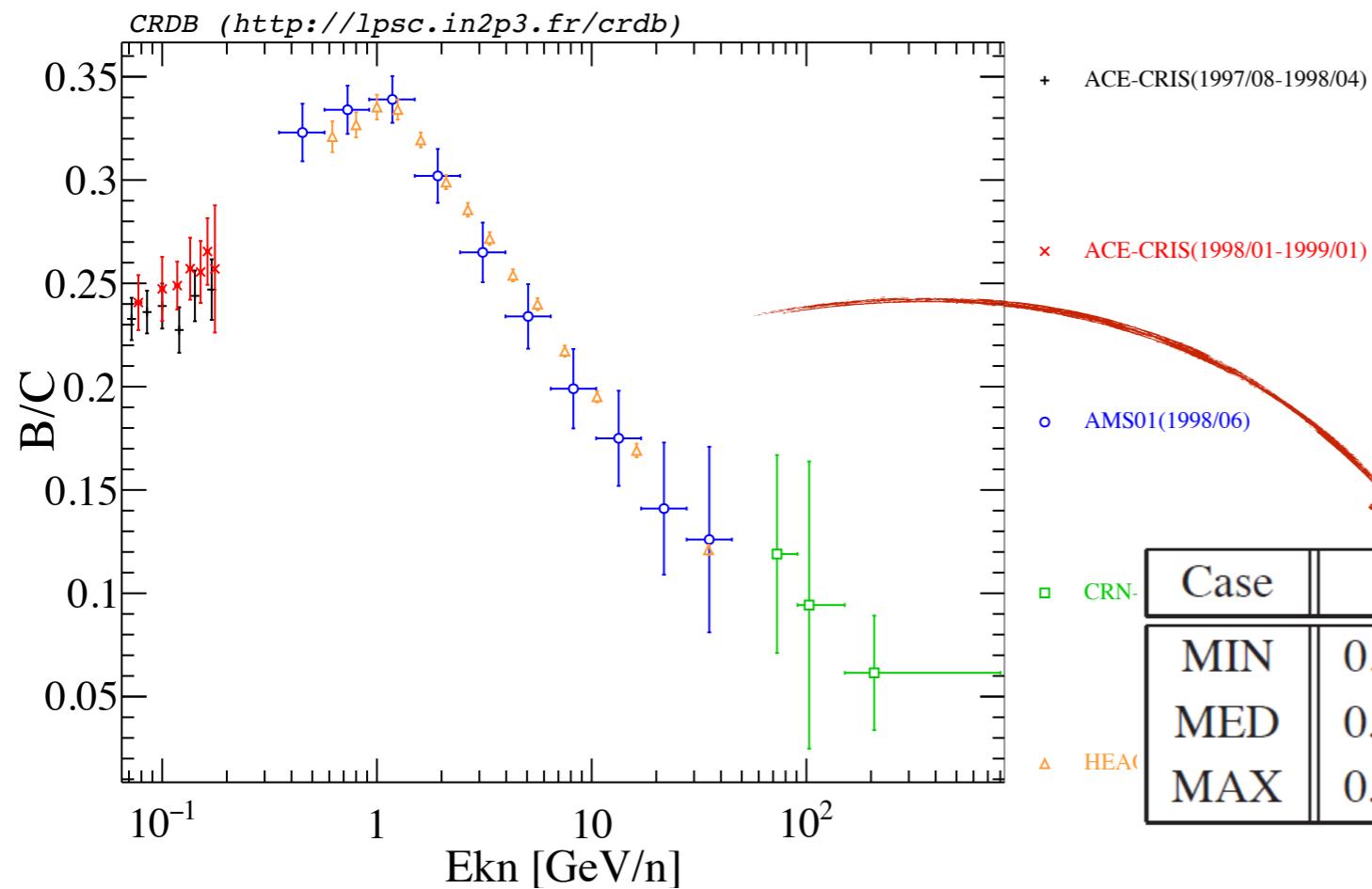
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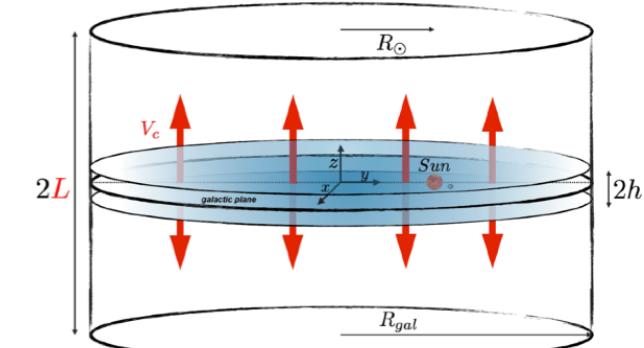
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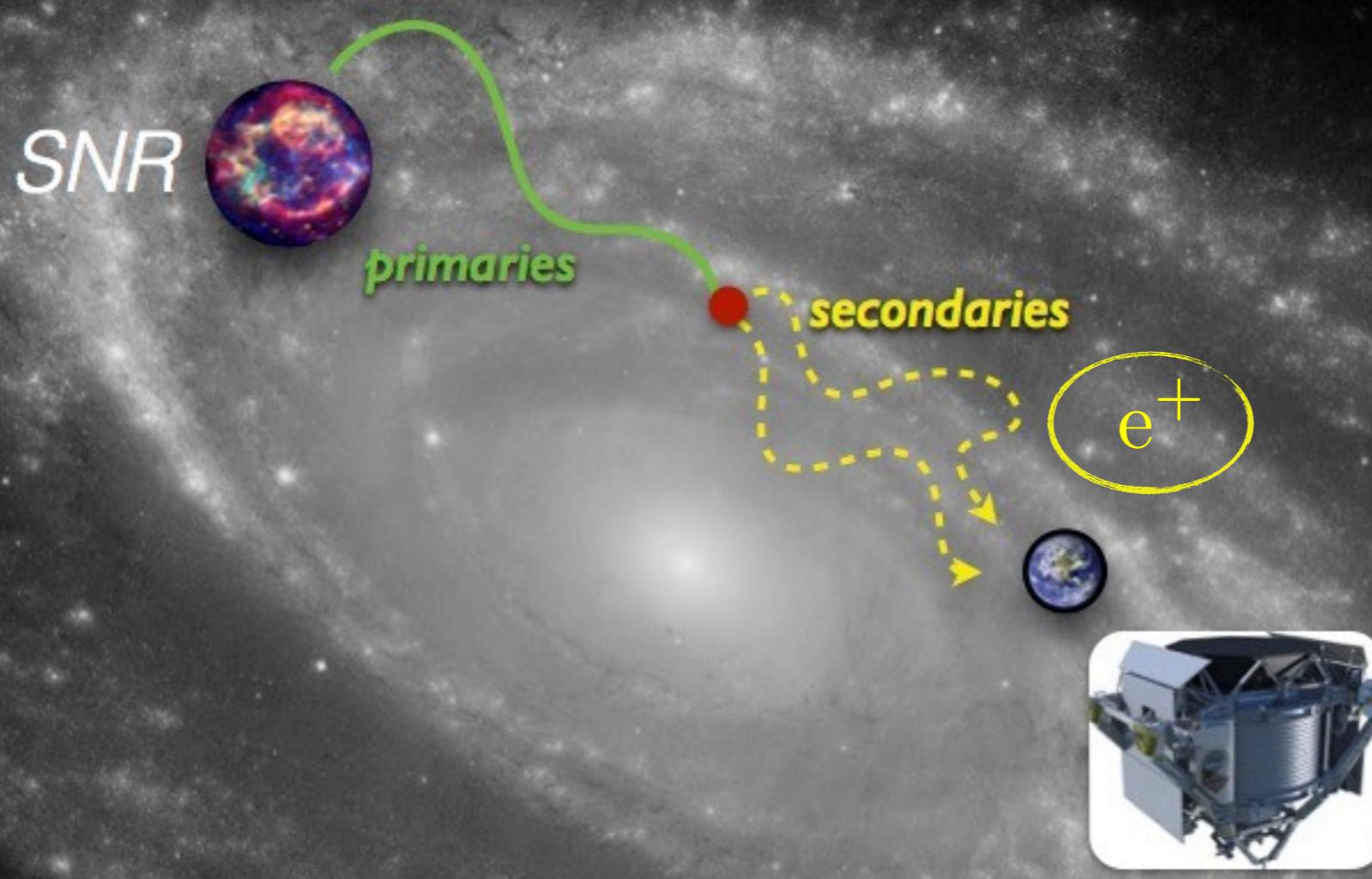


Semi-analytical

Maurin et al. (2001)
&
Donato et al. (2003)



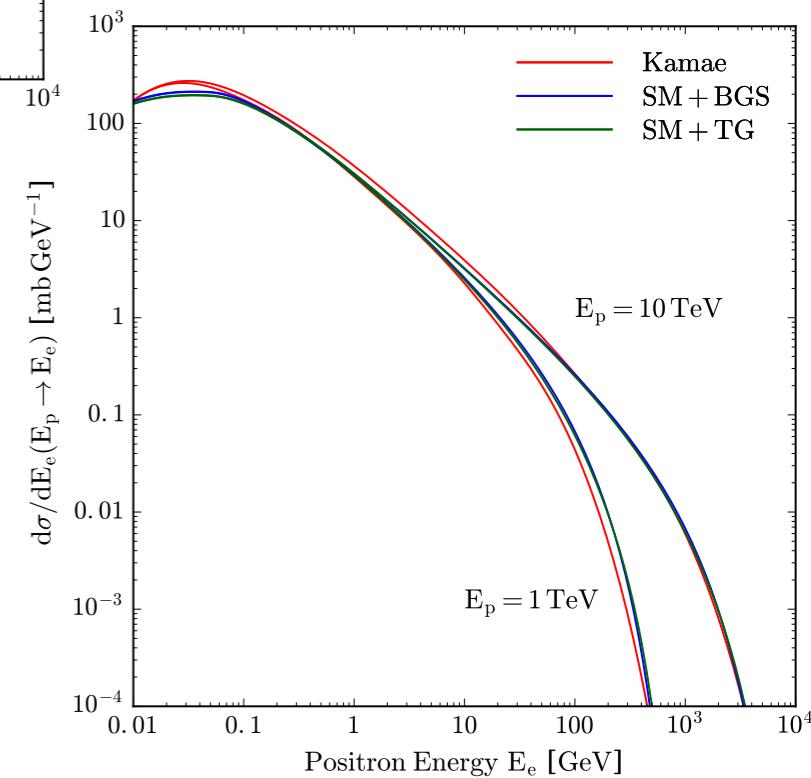
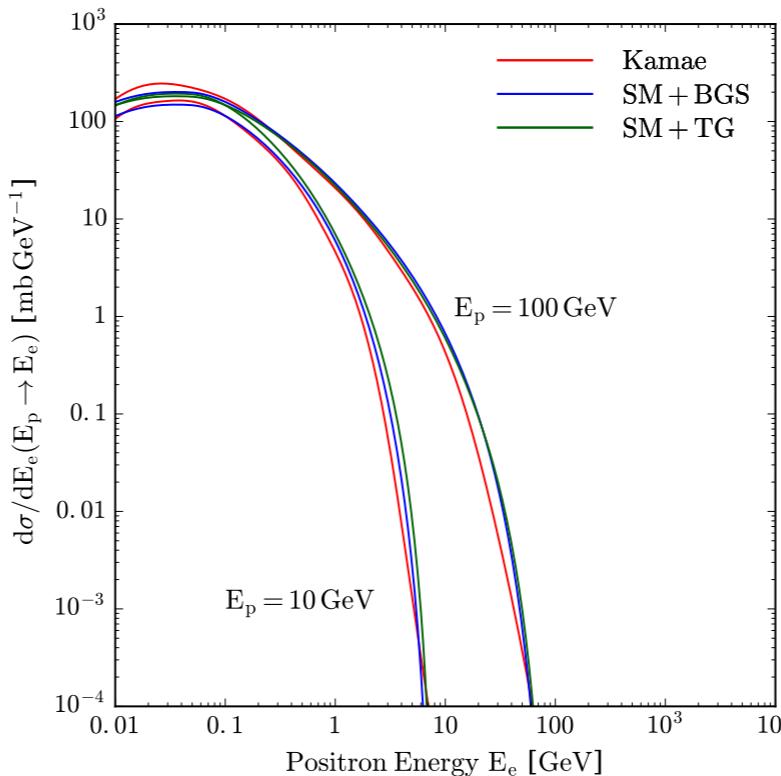
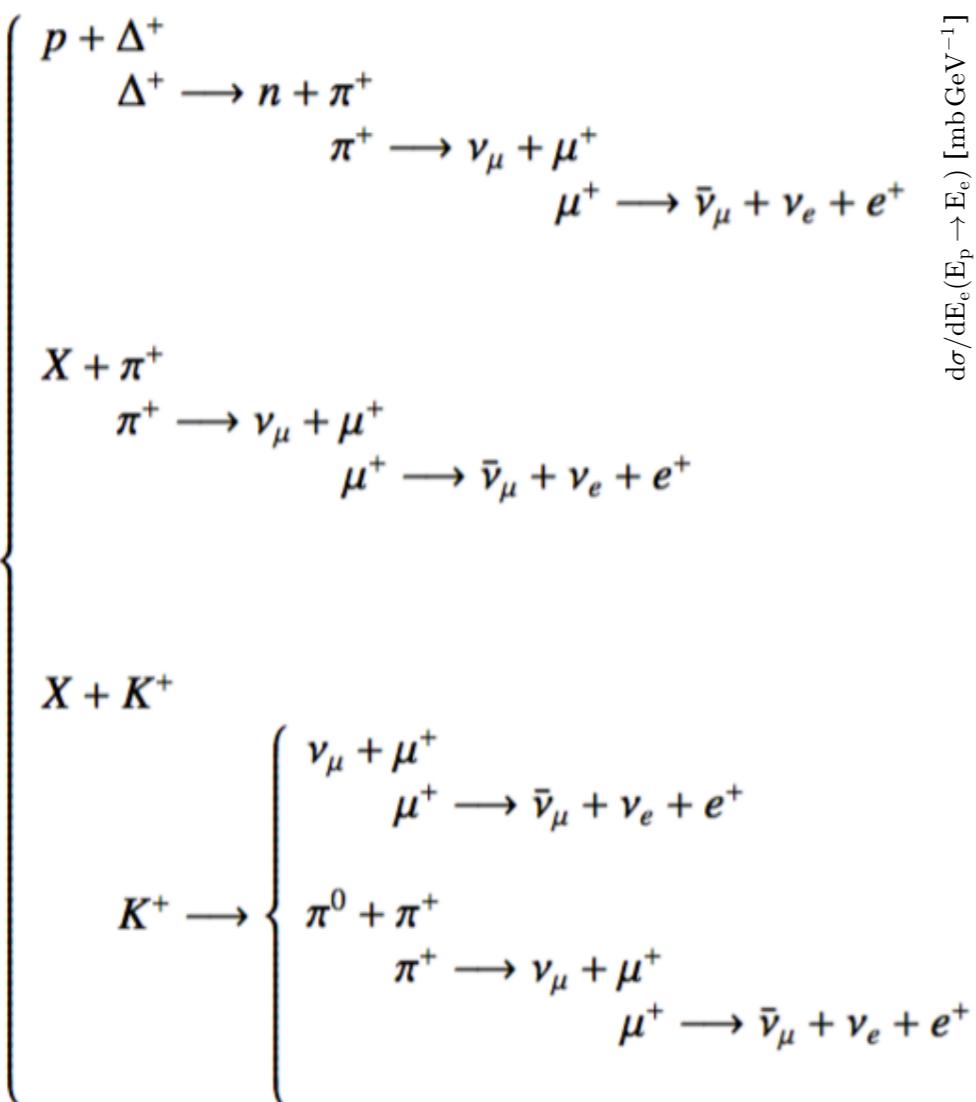
Case	δ	$K_0 [\text{kpc}^2/\text{Myr}]$	$L [\text{kpc}]$	$V_C [\text{km/s}]$	$V_a [\text{km/s}]$
MIN	0.85	0.0016	1	13.5	22.4
MED	0.70	0.0112	4	12	52.9
MAX	0.46	0.0765	15	5	117.6



Astrophysical background of secondary positrons

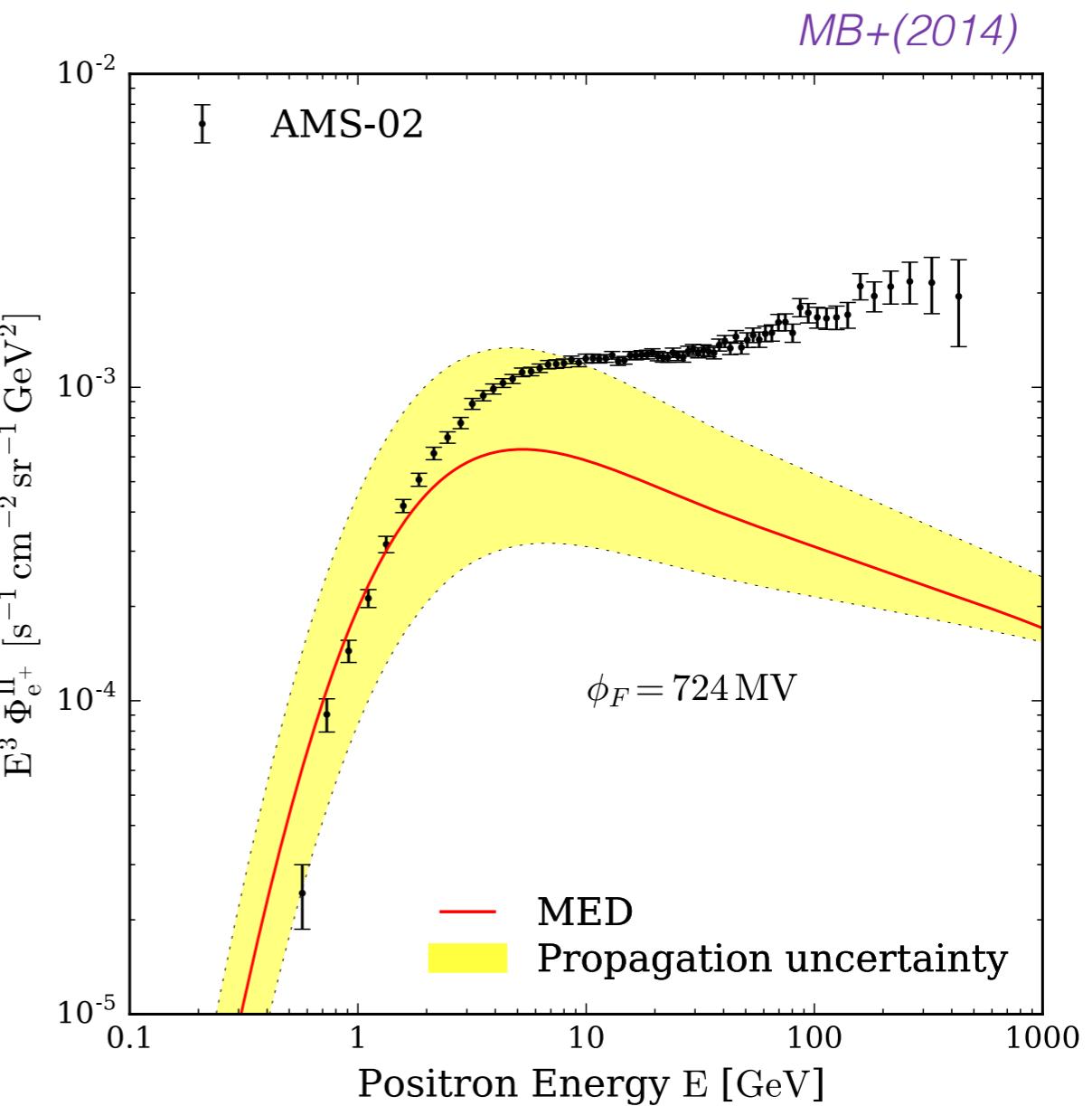
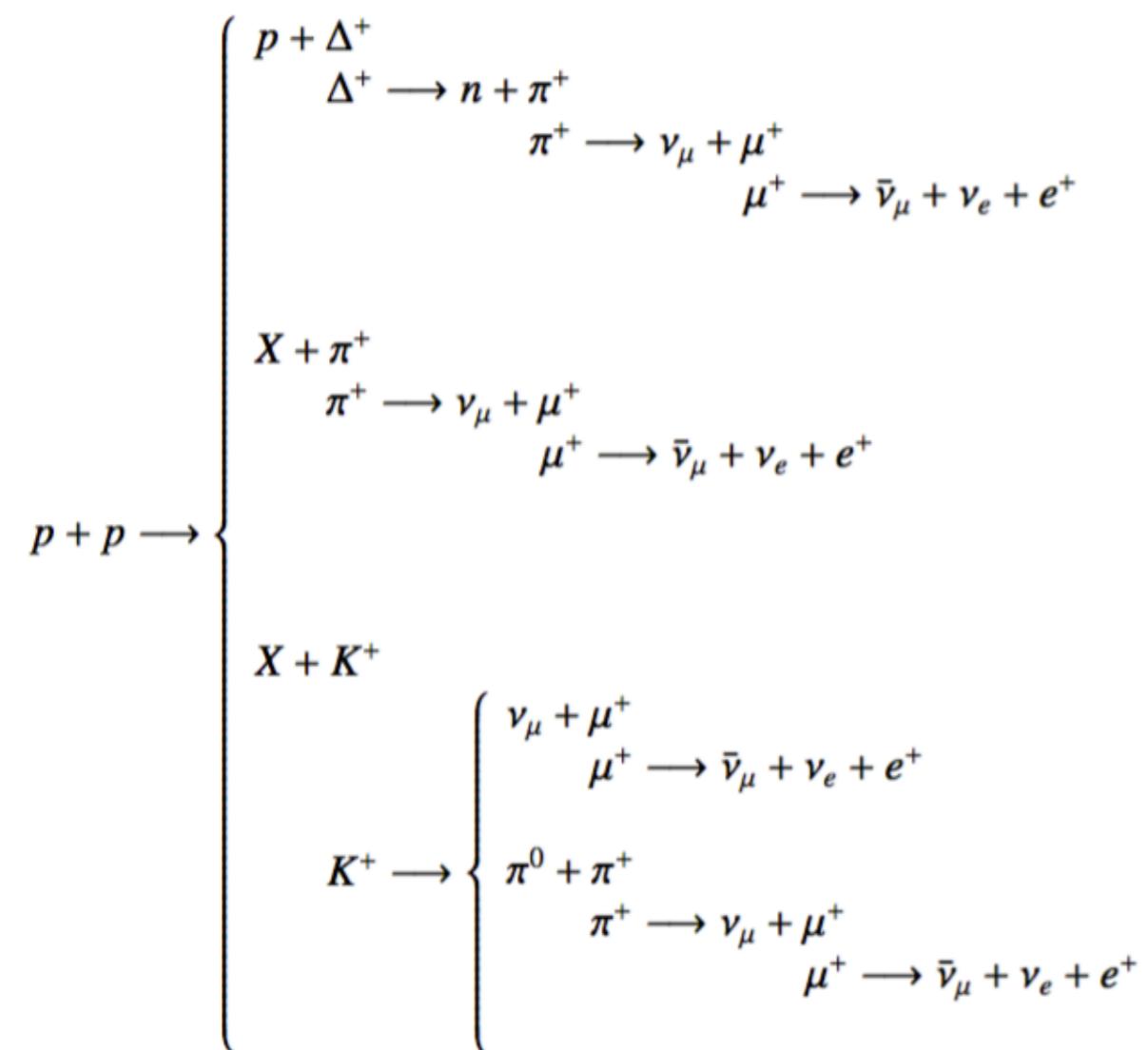
$$Q^{\text{II}}(E, \vec{x}) = 4\pi \sum_{i=p,\alpha} \sum_{j=H,He} n_j \int_{E_0}^{+\infty} dE_i \phi_i(E_i, \vec{x}) \frac{d\sigma}{dE_i}(E_j \rightarrow E)$$

$i = \text{projectile}$
 $j = \text{target}$



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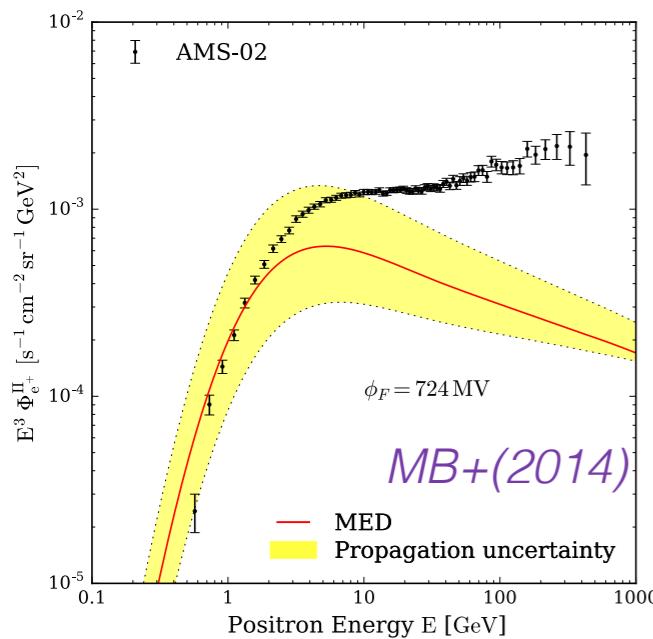
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Positron excess above ~ 10 GeV!

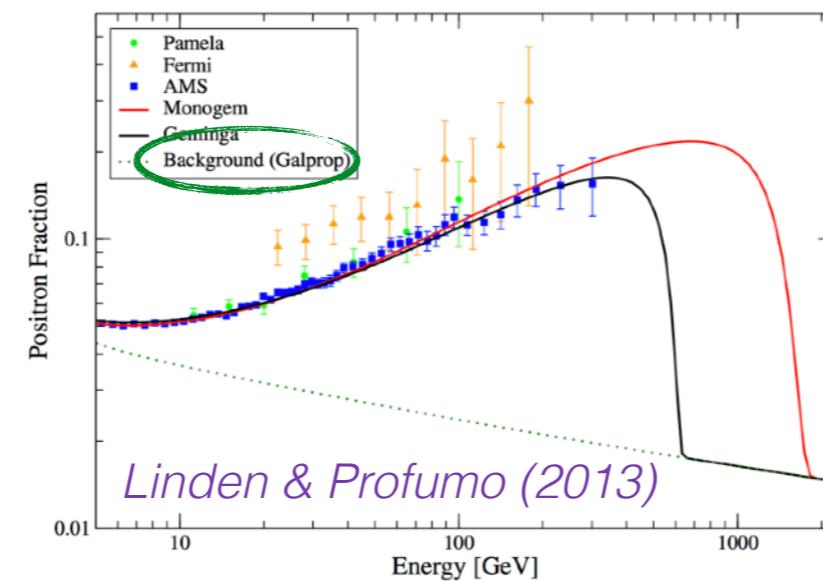
The positron excess

Semi-analytical

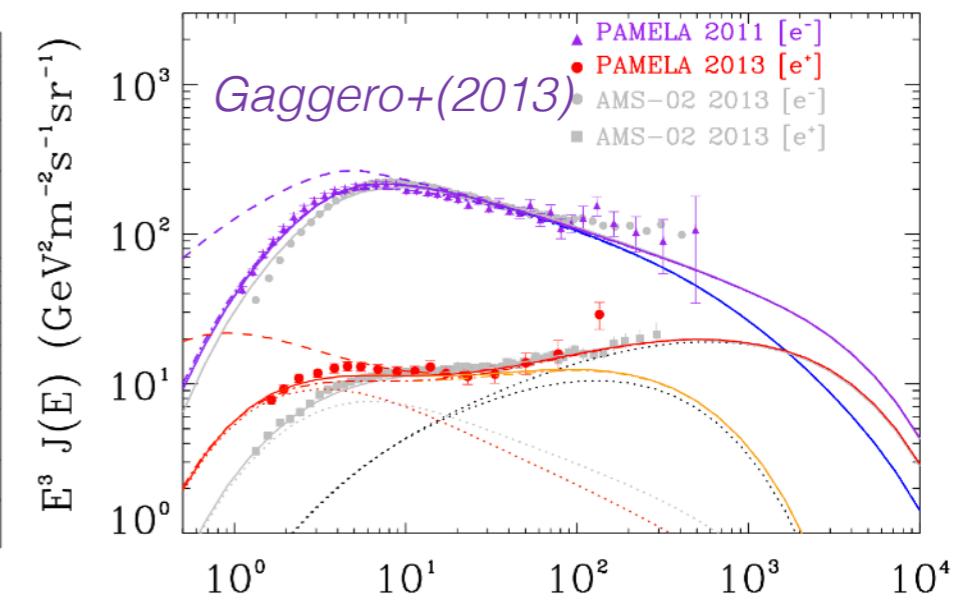


Numerical

(GALPROP)

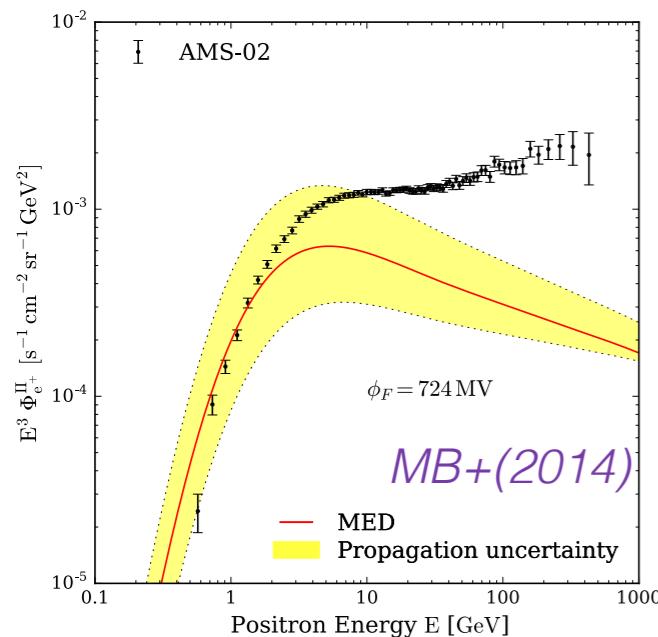


(DRAGON)

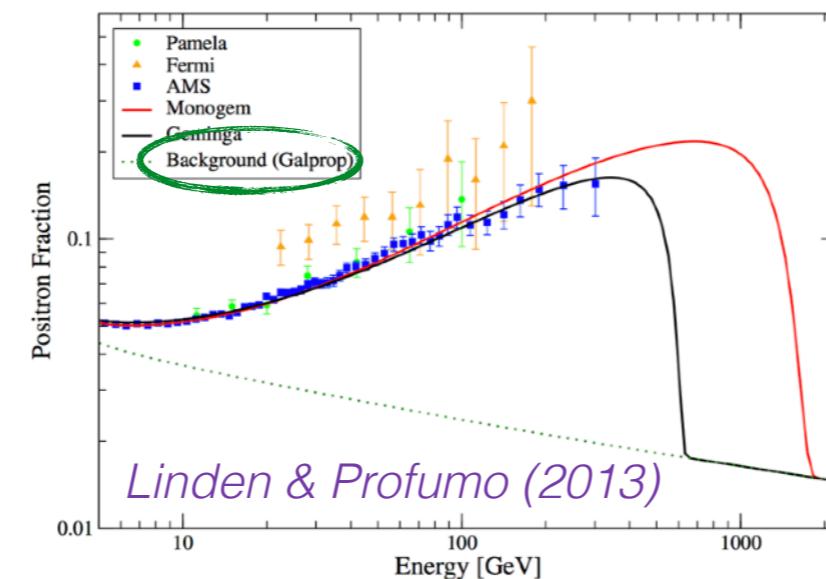


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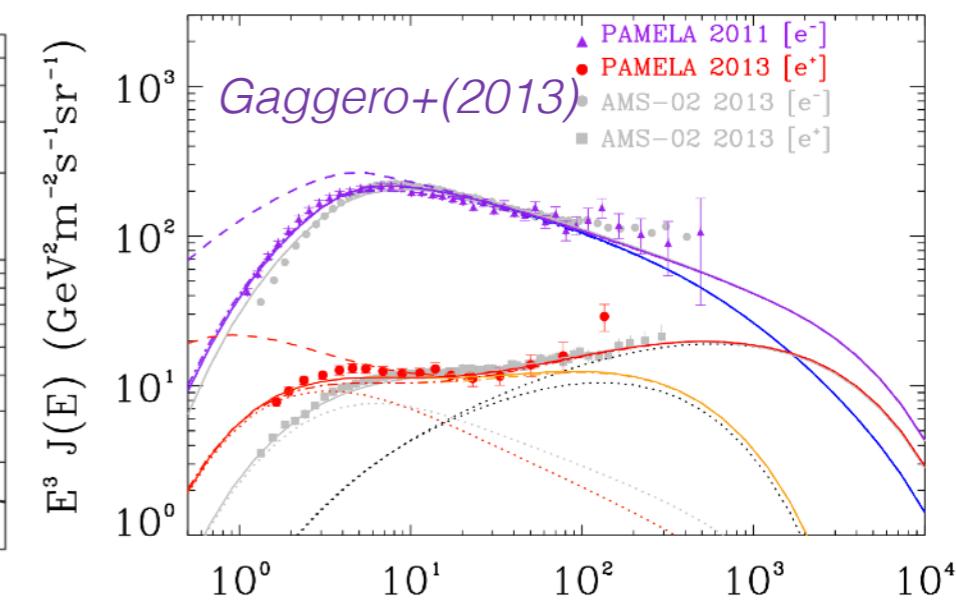


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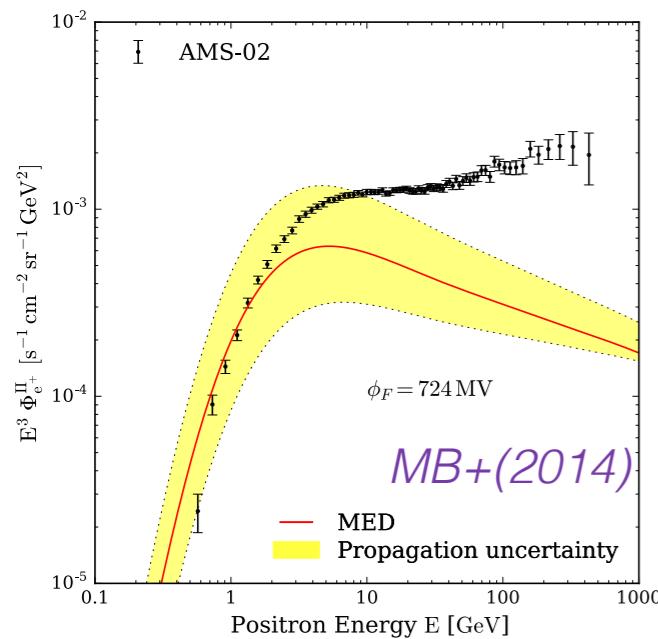
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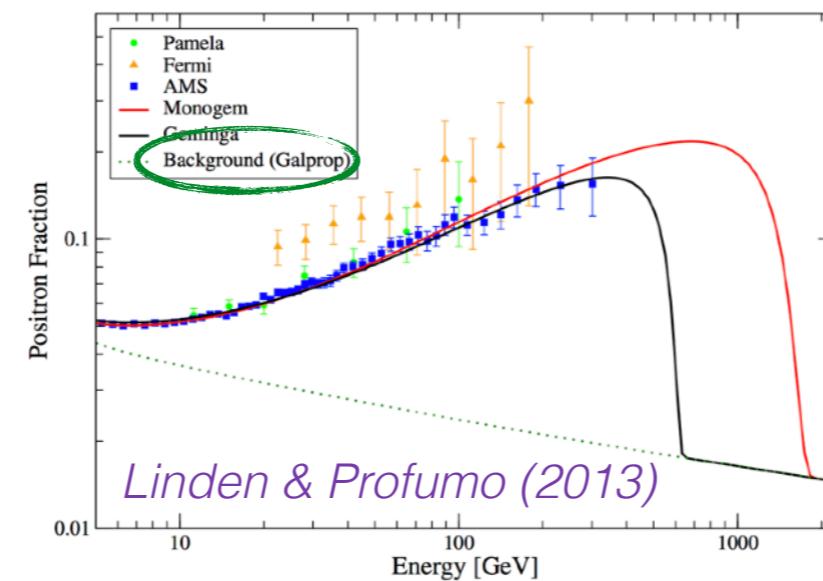
- Primary e^+ produced inside SNRs
e.g: *Blasi & Serpico (2009)*
Mertsch & Sarkar (2014)

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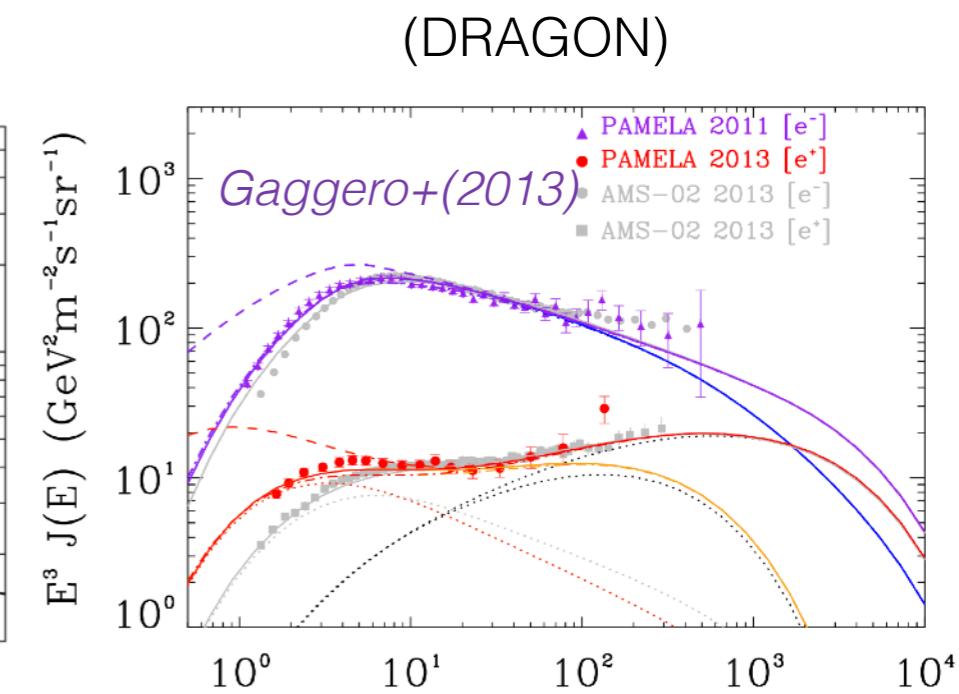
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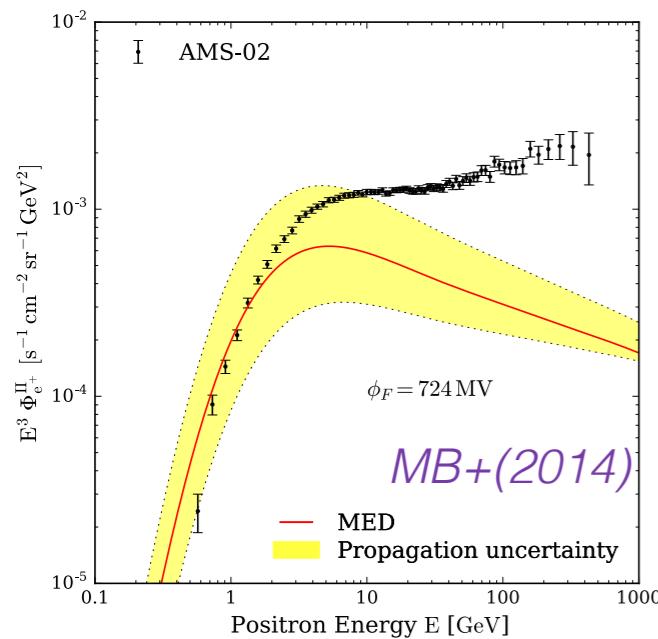


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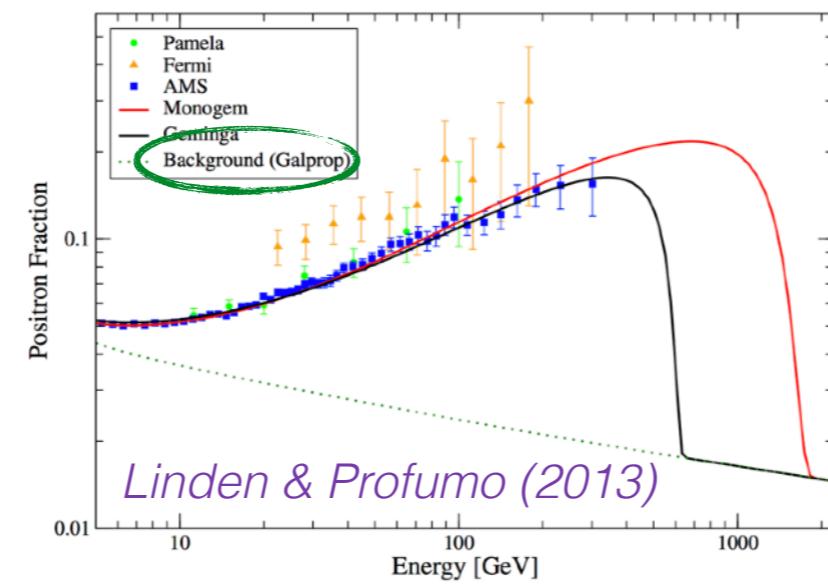
Serious tension with CR nuclei

The positron excess

Semi-analytical

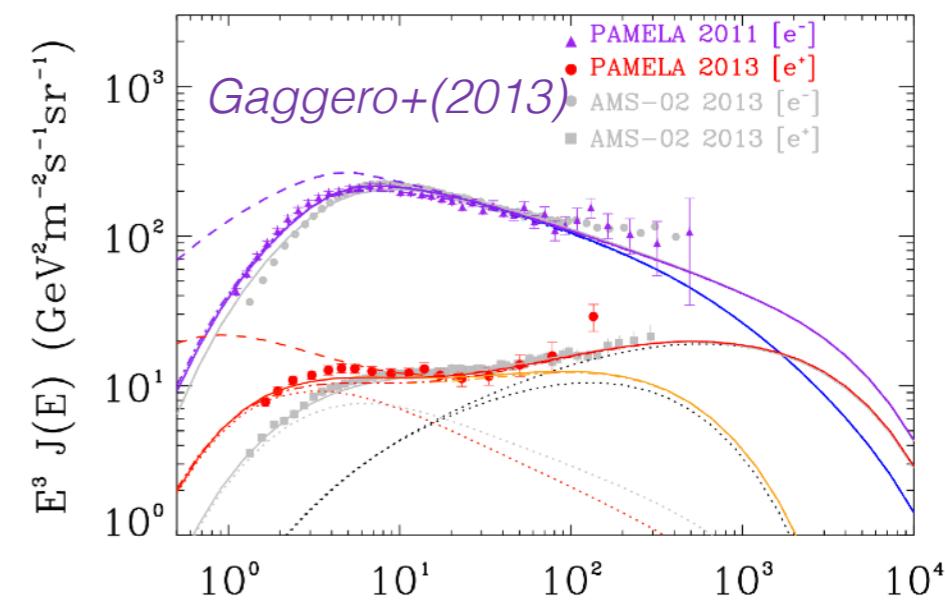


(GALPROP)



Numerical

(DRAGON)



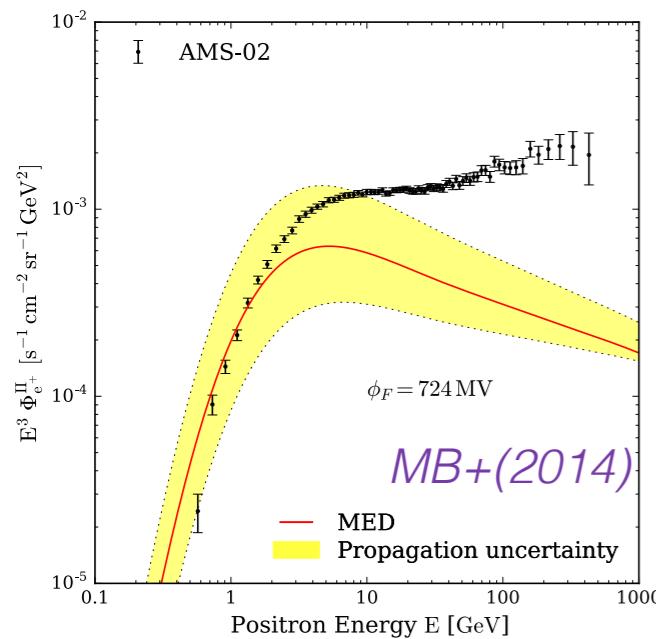
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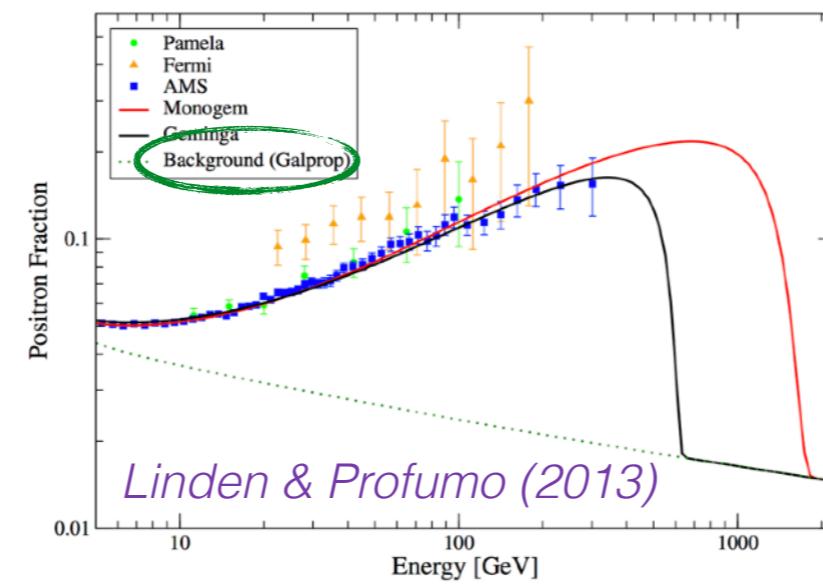
- Nearby and young PWNe
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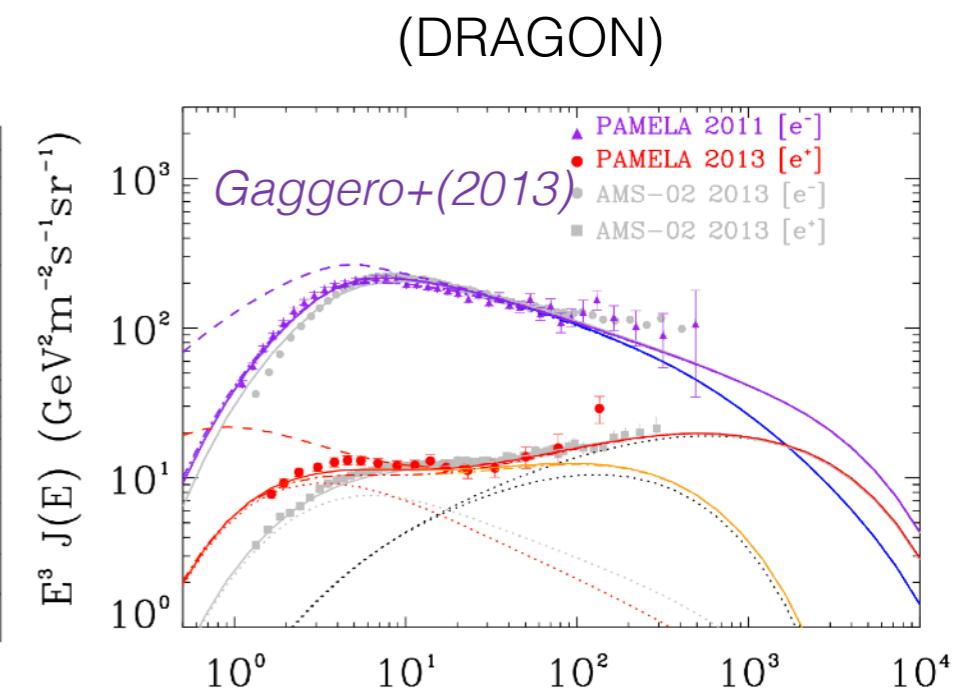
Semi-analytical



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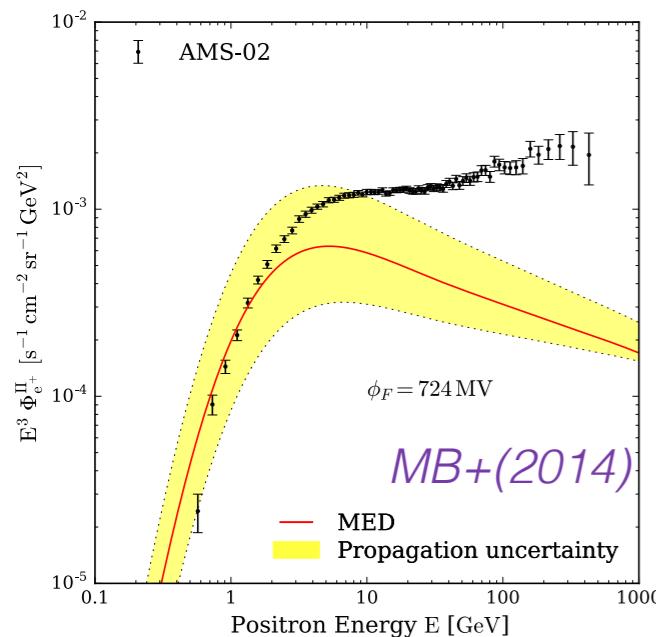
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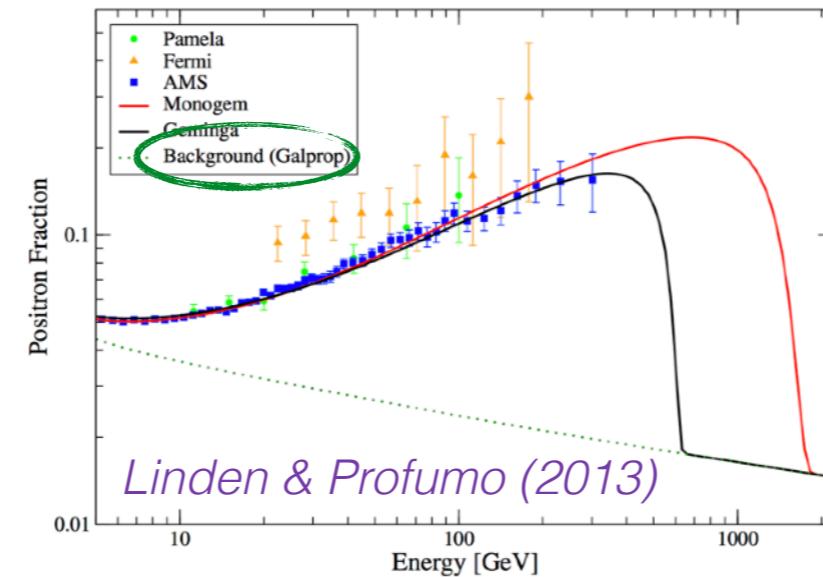
- Nearby and $\sim 2\text{-}3$ Myr old SNR
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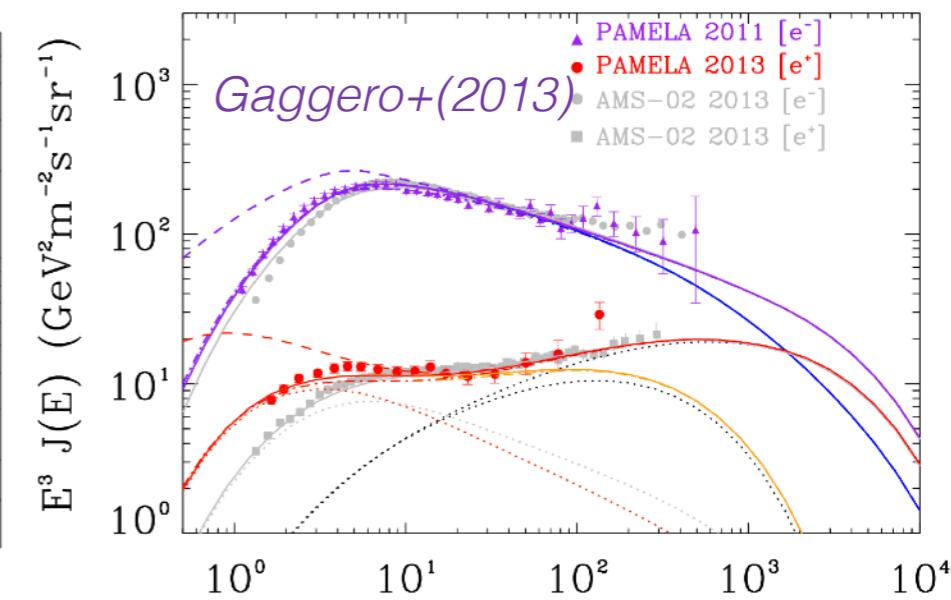


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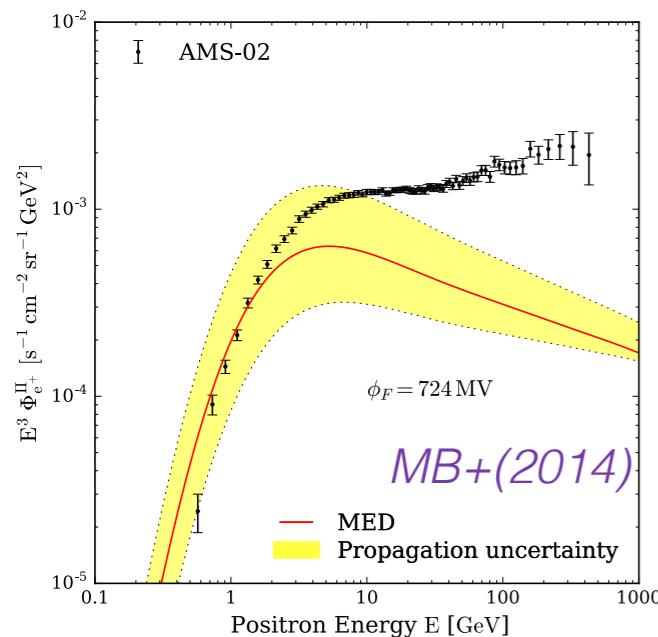
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Unlikely scenario ($p < 0.1\%$)

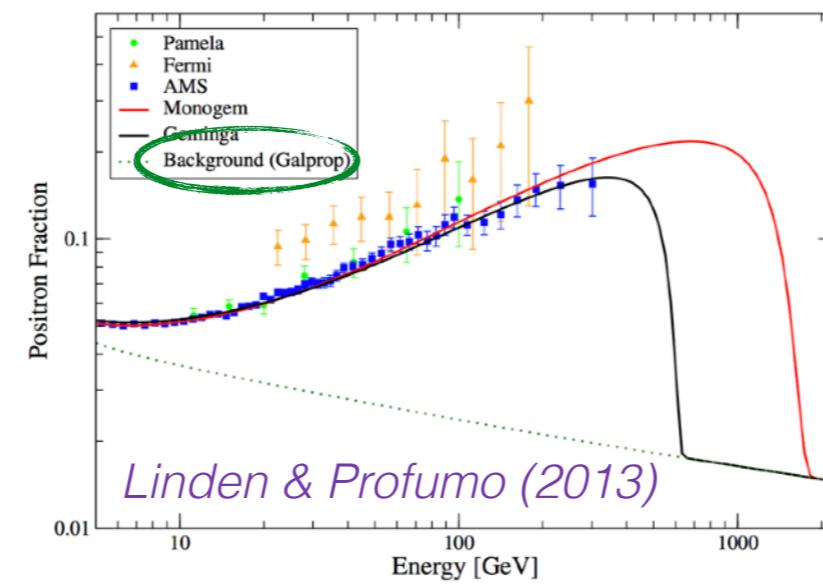
Genolini, Salati, Serpico & Taillet (2016)

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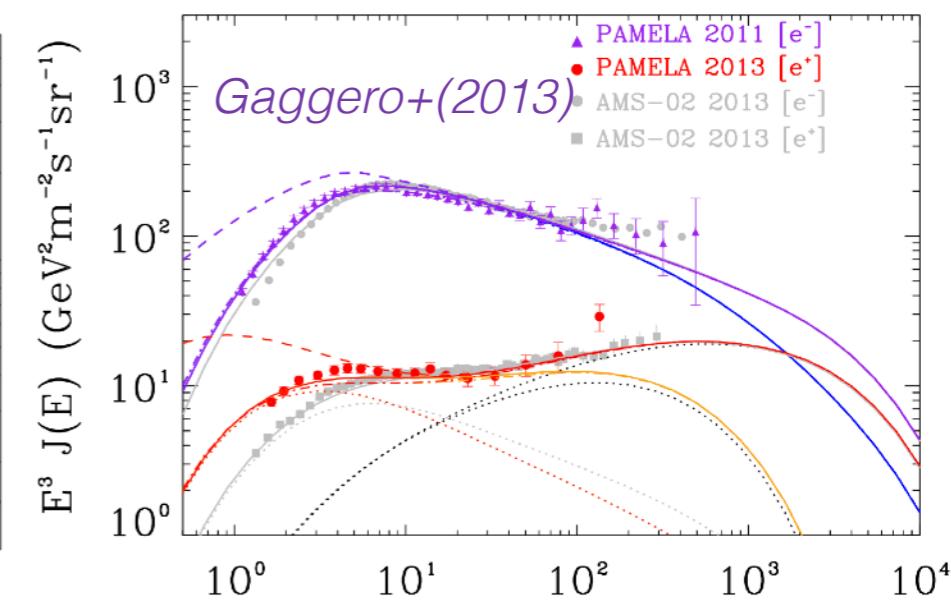


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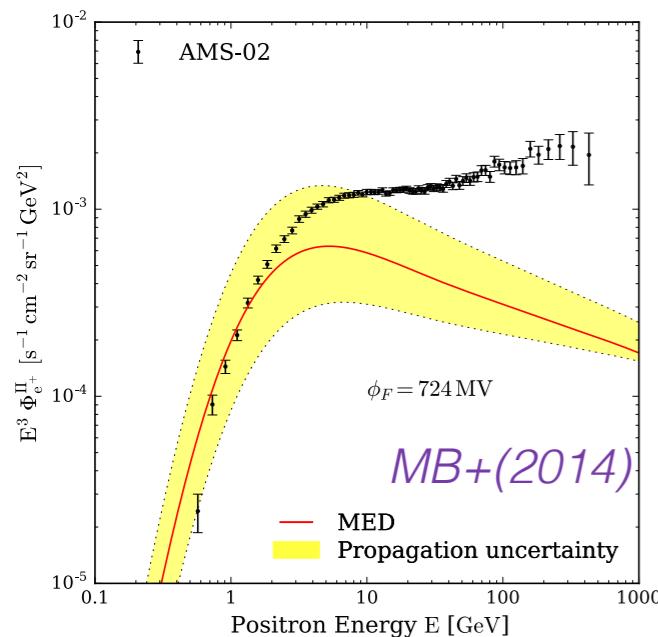
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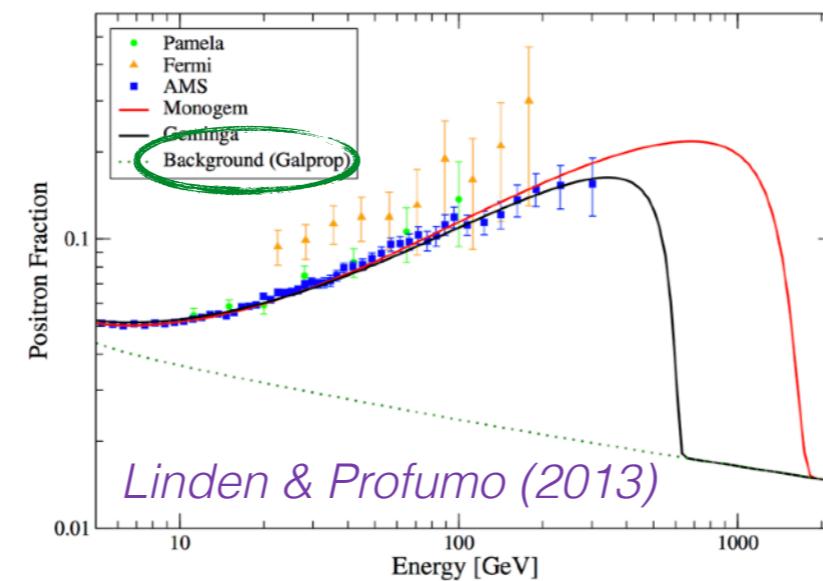
- Different propagation model
e.g: *Lipari (2017)*, *Blum, Sato & Waxman (2017)*

The positron excess

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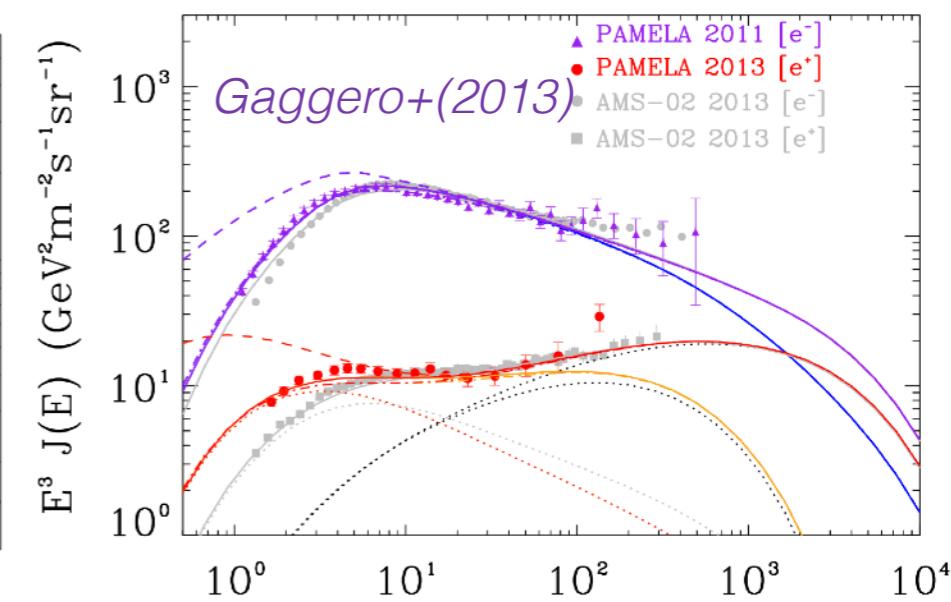


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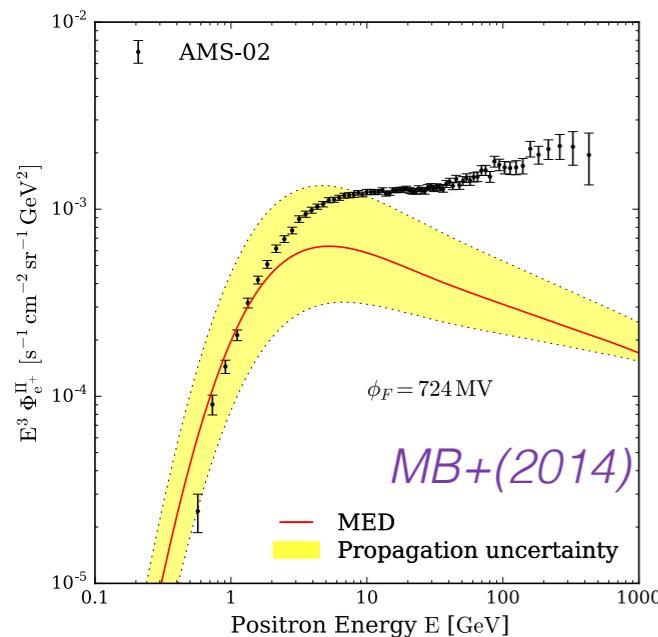
Genolini, Salati, Serpico & Taillet (2016)

- Different propagation model
e.g: *Lipari (2017)*, *Blum, Sato & Waxman (2017)*

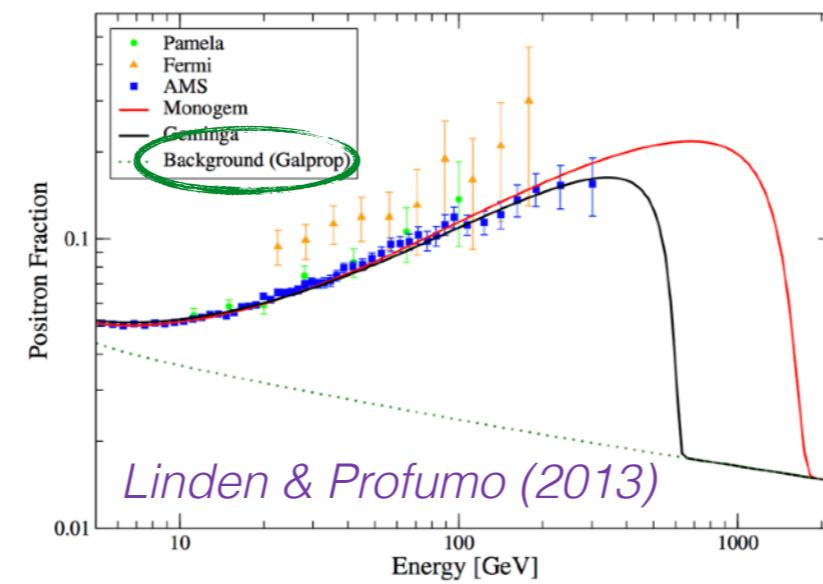
Inconsistent with energy losses, CR nuclei

The positron excess

Semi-analytical

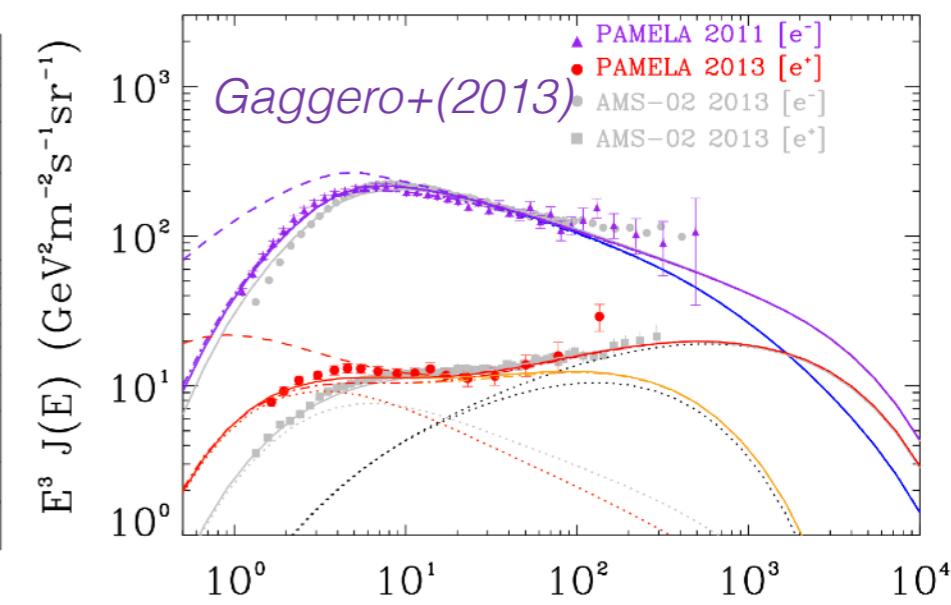


Numerical (GALPROP)



Numerical

(DRAGON)



- Primary e^+ produced inside SNRs
e.g: *Blasi & Serpico (2009)*
Mertsch & Sarkar (2014)

Serious tension with CR nuclei

- Nearby and young PWNe
e.g: *Linden & Profumo (2013), Gaggero+(2013)*
Di Mauro+(2014), MB+(2014)

- Nearby and $\sim 2\text{-}3$ Myr old SNR
e.g: *Kachelriess, Neronov & Semikoz (2017)*

Unlikely scenario ($p < 0.1\%$)

Genolini, Salati, Serpico & Taillet (2016)

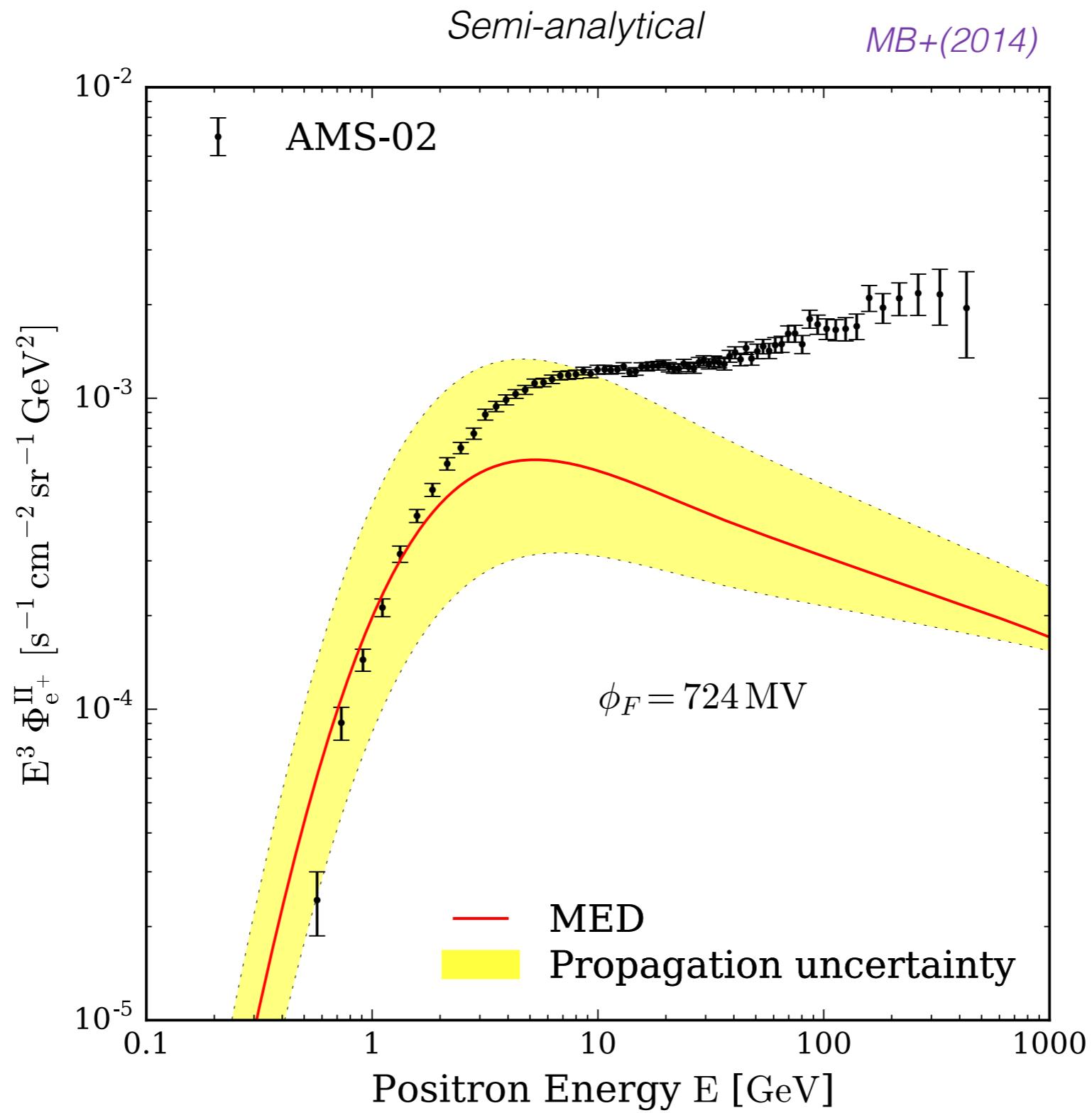
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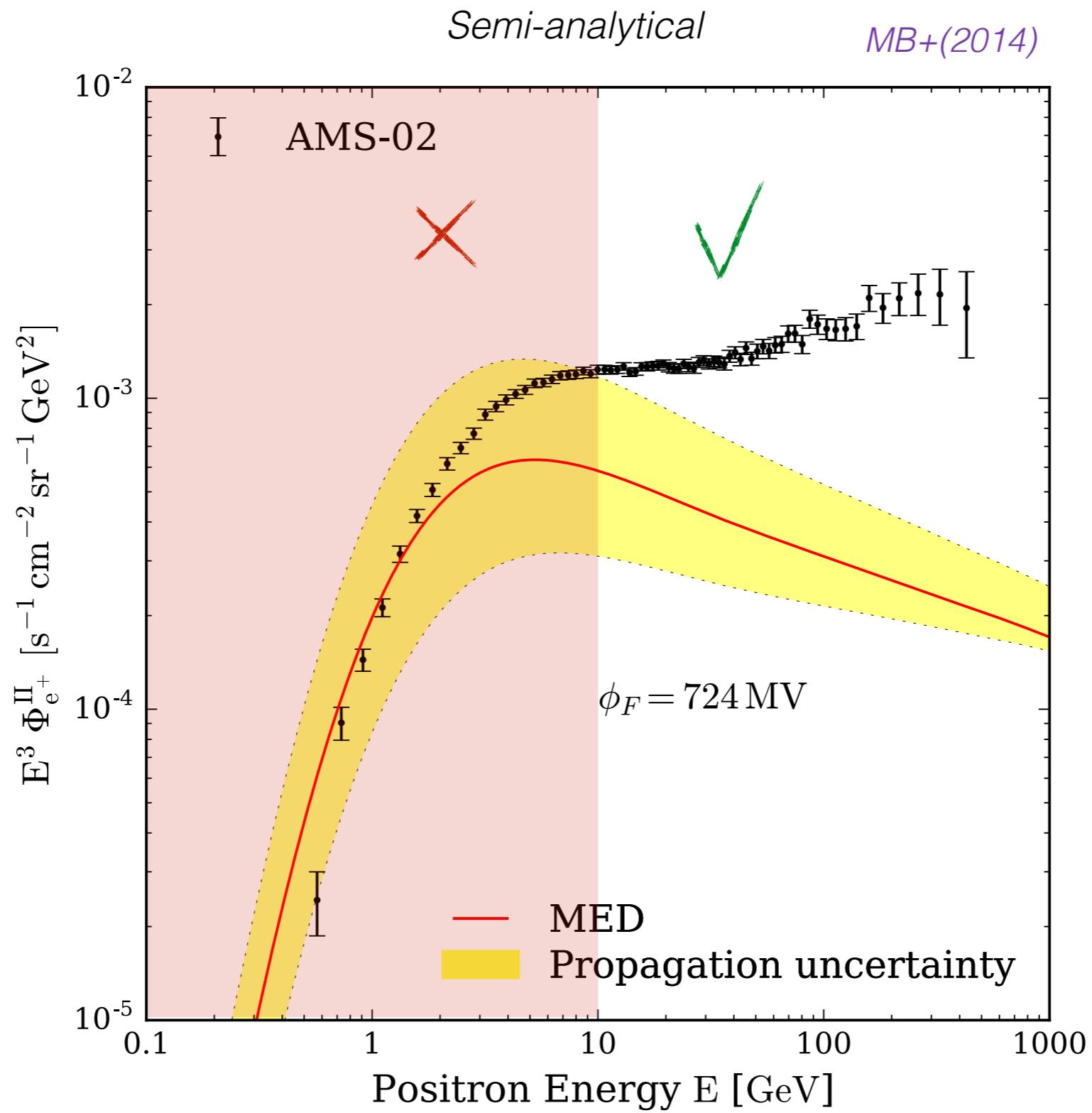
- Primary e^+ from dark matter

e.g: *Silk and Srednicki (1984), Baltz & Edsjö (1998), Cirelli & Strumia (2008), MB+(2014)*

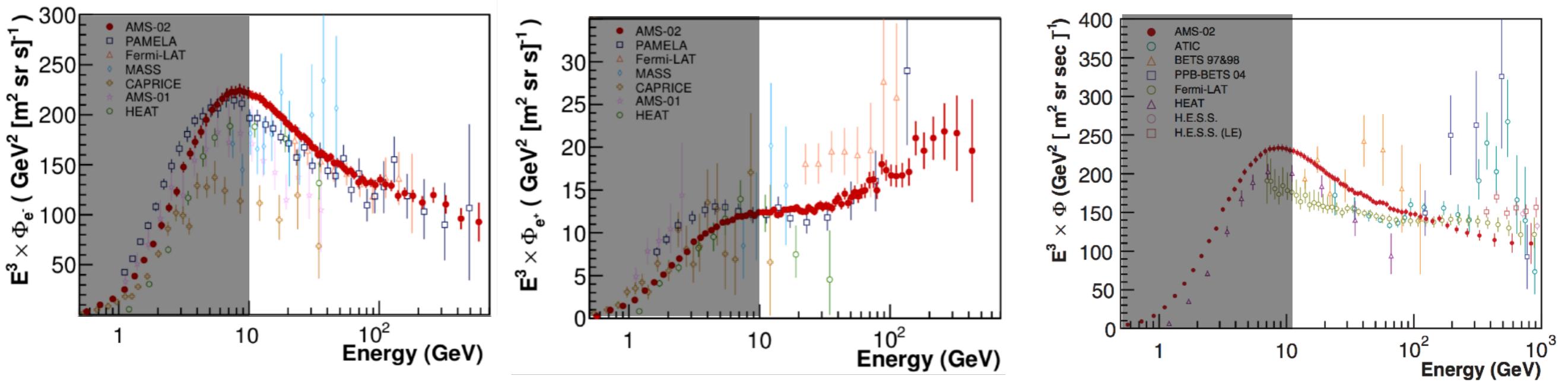
The positron excess



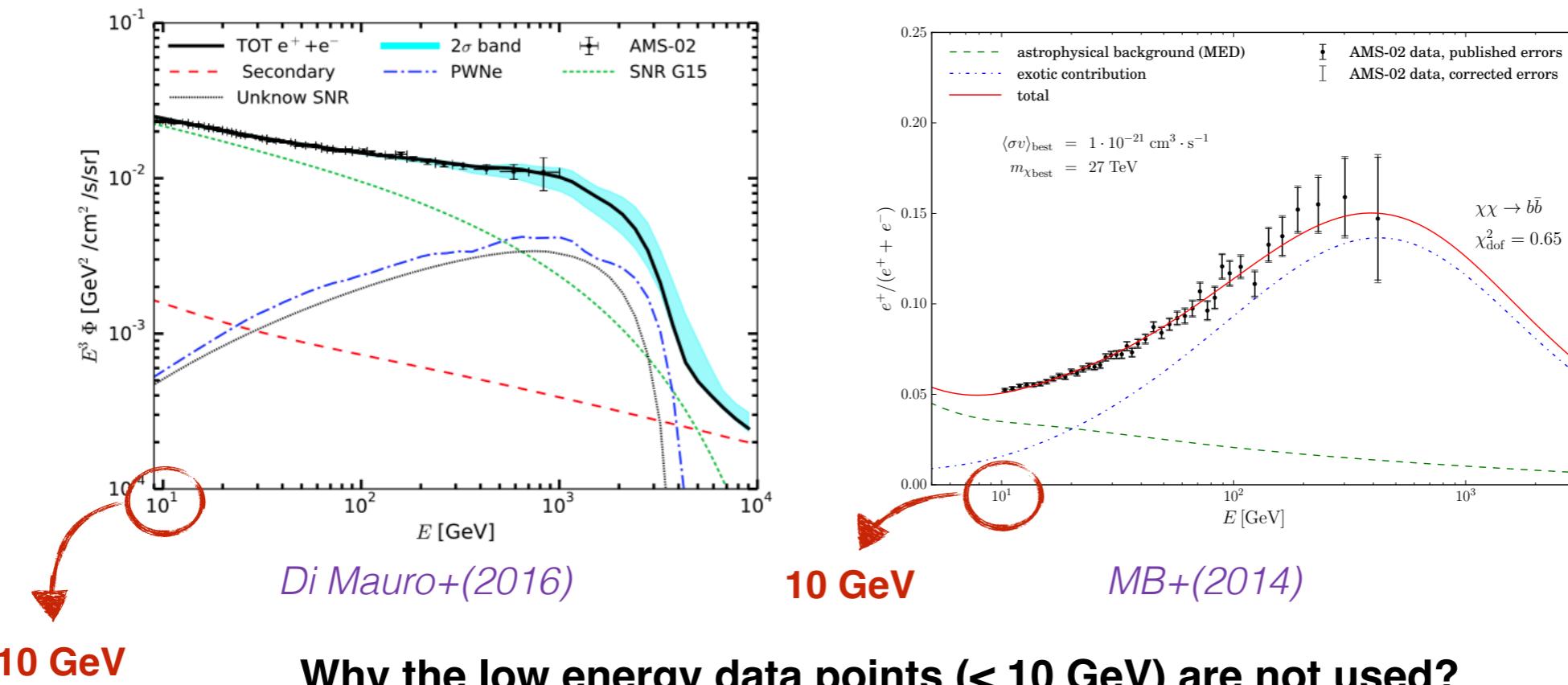
The positron excess



Interpretation of AMS-02 e⁺/e⁻ data



Semi-analytic method analysis e.g.:



- 1- Introduction
- 2- Propagation of cosmic rays: the diffusion model
- 3- The *pinching method* for low energy e⁻ and e⁺**
- 4- Implications for dark matter searches
 - 4.1- Dark matter signal?
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The *pinching method* for low energy e⁻ and e⁺

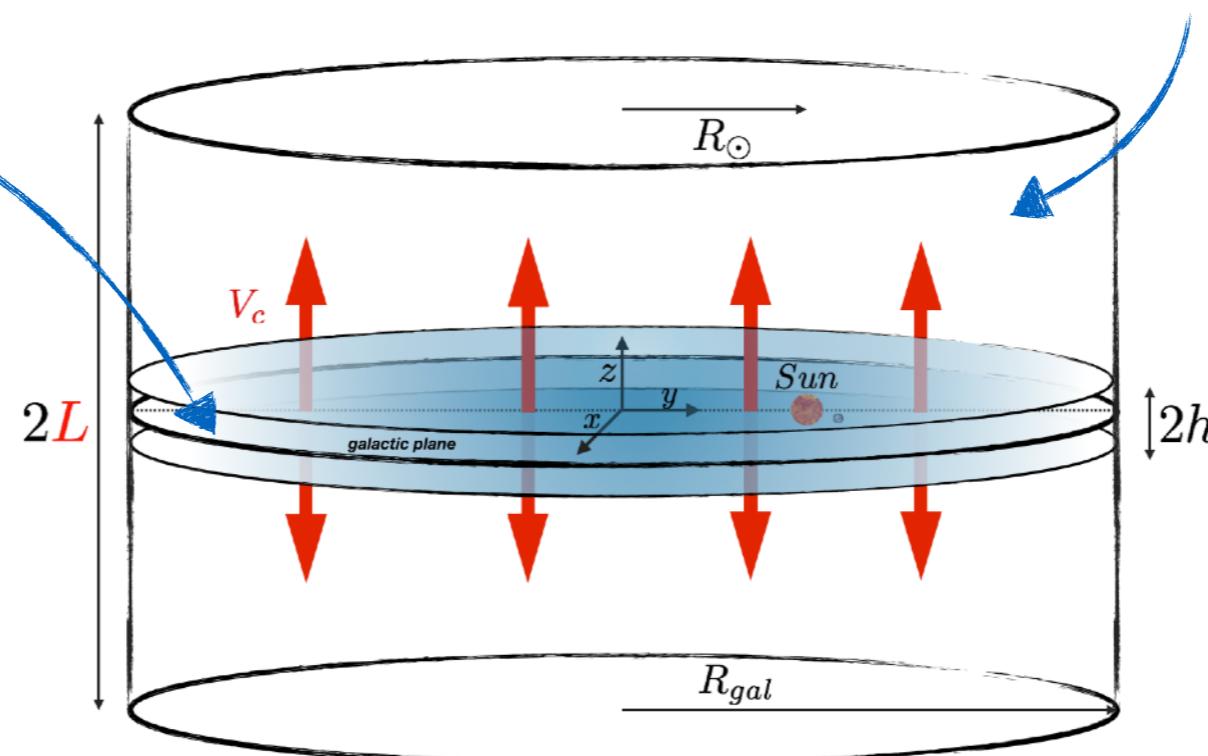
Semi-analytic method for cosmic ray e⁻ and e⁺

Cosmic rays transport equation (steady state)

$$\partial_z [V_C \operatorname{sign}(z) \psi] - K(E) \Delta \psi + 2h \delta(z) \partial_E [b_{\text{disc}}(E) \psi - D(E) \partial_E \psi] + \partial_E [b_{\text{halo}}(E) \psi] = Q(E, \vec{x})$$

$$b_{\text{disc}} = b_{\text{adia}} + b_{\text{ioni}} + b_{\text{brem}} + b_{\text{coul}}$$

$$b_{\text{halo}} = b_{\text{IC}} + b_{\text{sync}}$$



We cannot solve analytically the transport equation when cosmic rays lose energy in the hole magnetic halo!

We need a **numerical** algorithm to solve the transport equation (GALPROP, DRAGON, PICARD, etc.)

Electrons and positrons: the high-energy approximation

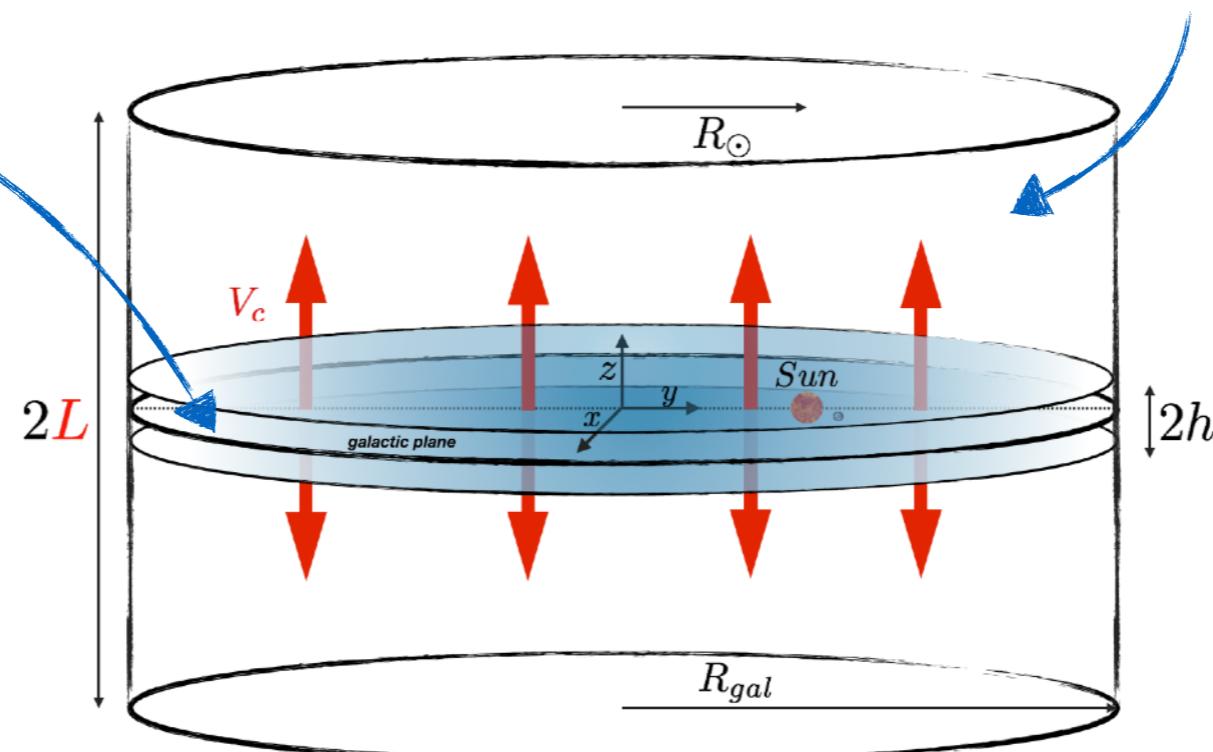
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$E > 10 \text{ GeV}$



High energy approximation

$$-K(E) + \partial_E [b_{\text{halo}}(E) \psi] = Q(E, \vec{x})$$

Baltz & Edsjö (1998)

Delahaye+ (2008)

Di Mauro+ (2014)

MB+ (2014)

etc.

Is $E = 10 \text{ GeV}$ a correct threshold to get rid of low energy effects?
(Especially with the high accuracy of the AMS-02 data at $E \sim 10 \text{ GeV}$)

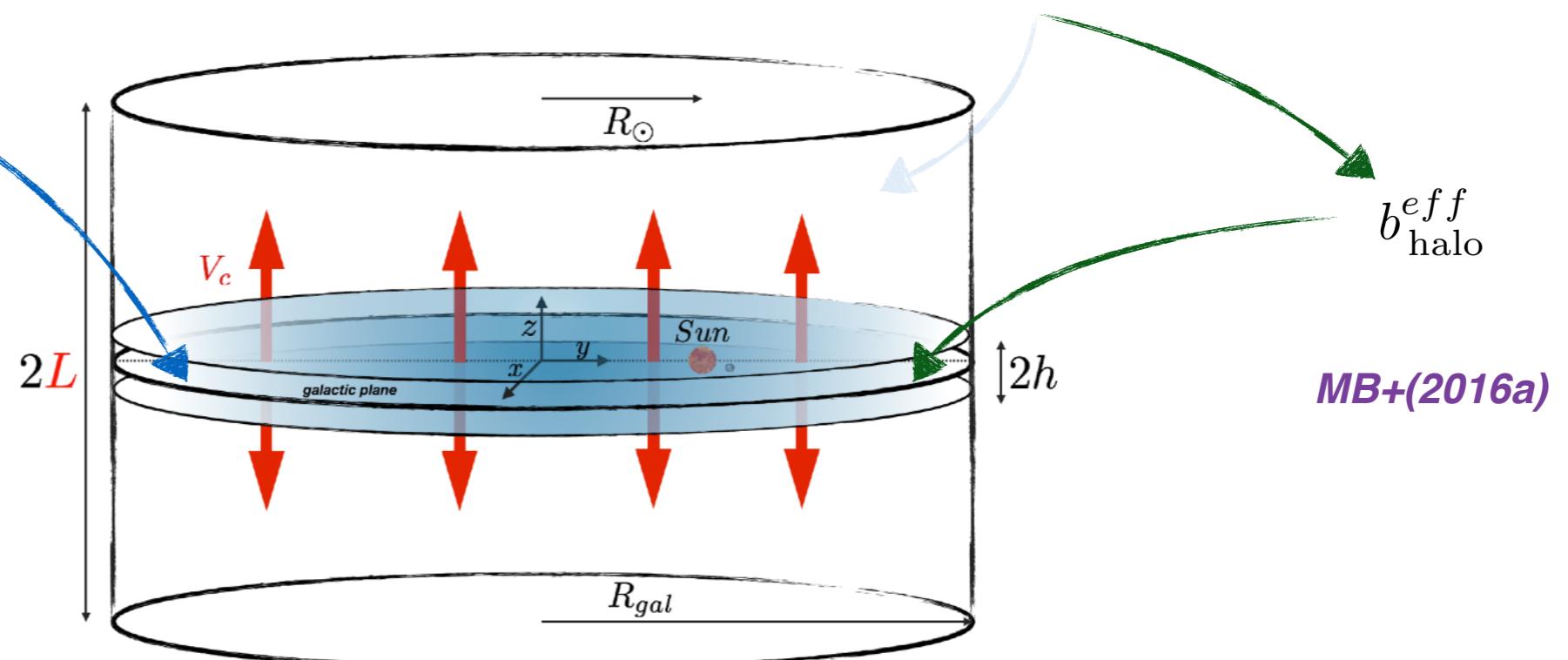
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The pinching method

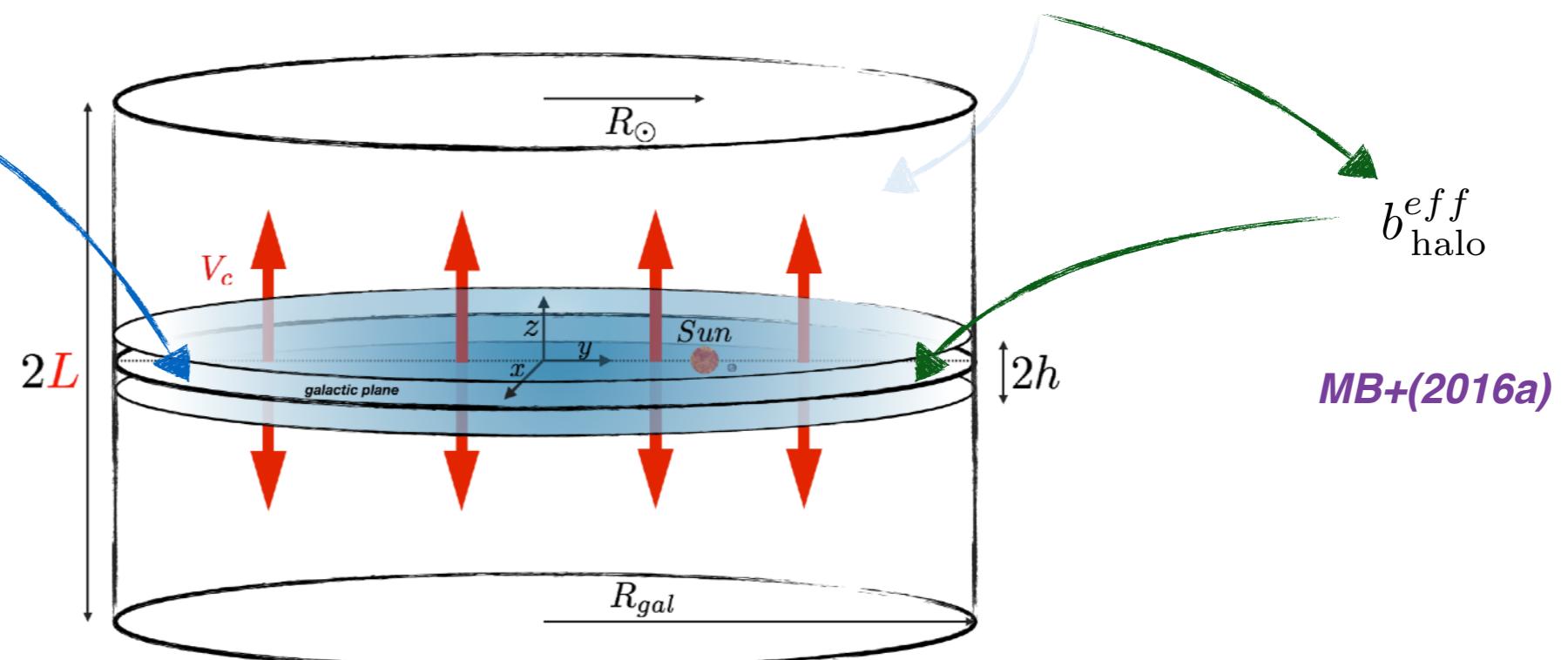
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The pinching method

$$\partial_z [V_C \operatorname{sign}(z) \psi] - K(E) \Delta \psi + 2h \delta(z) \partial_E \left\{ \left[b_{\text{disc}}(E) + b_{\text{halo}}^{\text{eff}}(E) \right] \psi - D(E) \partial_E \psi \right\} = Q(E, \vec{x})$$

The pinching method

MB+(2016a)

$$\partial_z [V_C \operatorname{sign}(z) \psi] - K(E) \Delta \psi + 2h \delta(z) \partial_E \left\{ \left[b_{\text{disc}}(E) + b_{\text{halo}}^{eff}(E) \right] \psi - D(E) \partial_E \psi \right\} = Q(E, \vec{x})$$

$$b_{\text{halo}} = b_{\text{IC}} + b_{\text{sync}} \quad \longrightarrow \quad b_{\text{halo}}^{eff}(E, r) = \bar{\xi}(E, r) b_{\text{halo}}(E)$$

$$\bar{\xi}(E, r) = \frac{1}{\psi(E, r, 0)} \sum_{i=1}^{+\infty} J_0(\alpha_i \frac{r}{R}) \bar{\xi}_i(E) P_i(E, 0)$$

$$\bar{\xi}_i(E) = \frac{\int_E^{+\infty} dE_S \left[J_i(E_S) + 4k_i^2 \int_E^{E_S} dE' \frac{K(E')}{b(E')} B_i(E', E_S) \right]}{\int_E^{+\infty} dE_S B_i(E, E_S)}$$

$$J_i(E_S) = \frac{1}{h} \int_0^L dz_S \mathcal{F}_i(z_S) Q_i(E_S, z_S)$$

$$Q_i(E, z) = \frac{2}{R^2 J_1^2(\alpha_i)} \int_0^R dr r J_0(\xi_i) Q(E, r, z)$$

$$B_i(E, E_S) = \sum_{n=2m+1}^{+\infty} Q_{i,n}(E_S) \exp[-C_{i,n} \lambda_D^2]$$

$$C_{i,n} = \frac{1}{4} \left[\left(\frac{\alpha_i}{R} \right)^2 + (nk_0)^2 \right]$$

$$Q_{i,n}(E) = \frac{1}{L} \int_{-L}^L dz \varphi_n(z) \frac{2}{R^2 J_1^2(\alpha_i)} \int_0^R dr r J_0 \left(\alpha_i \frac{r}{R} \right) Q(E, r, z)$$

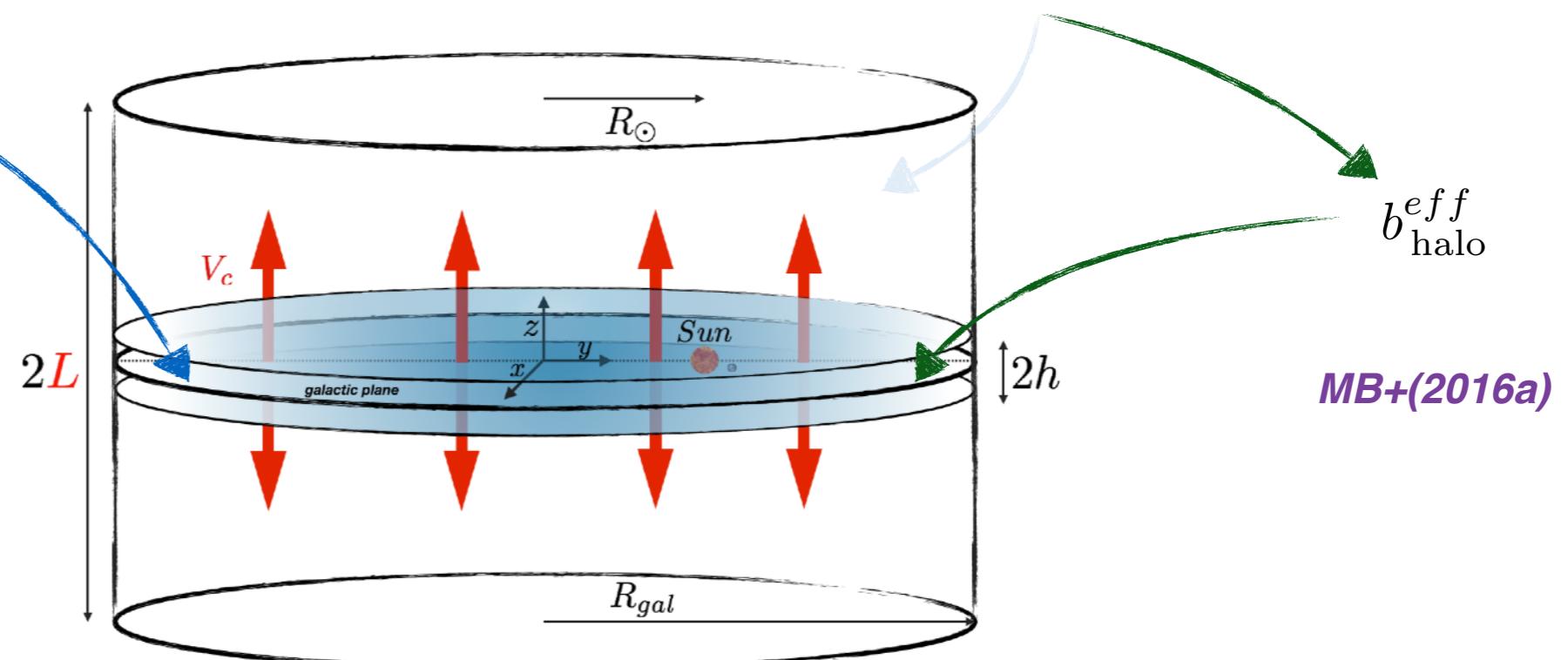
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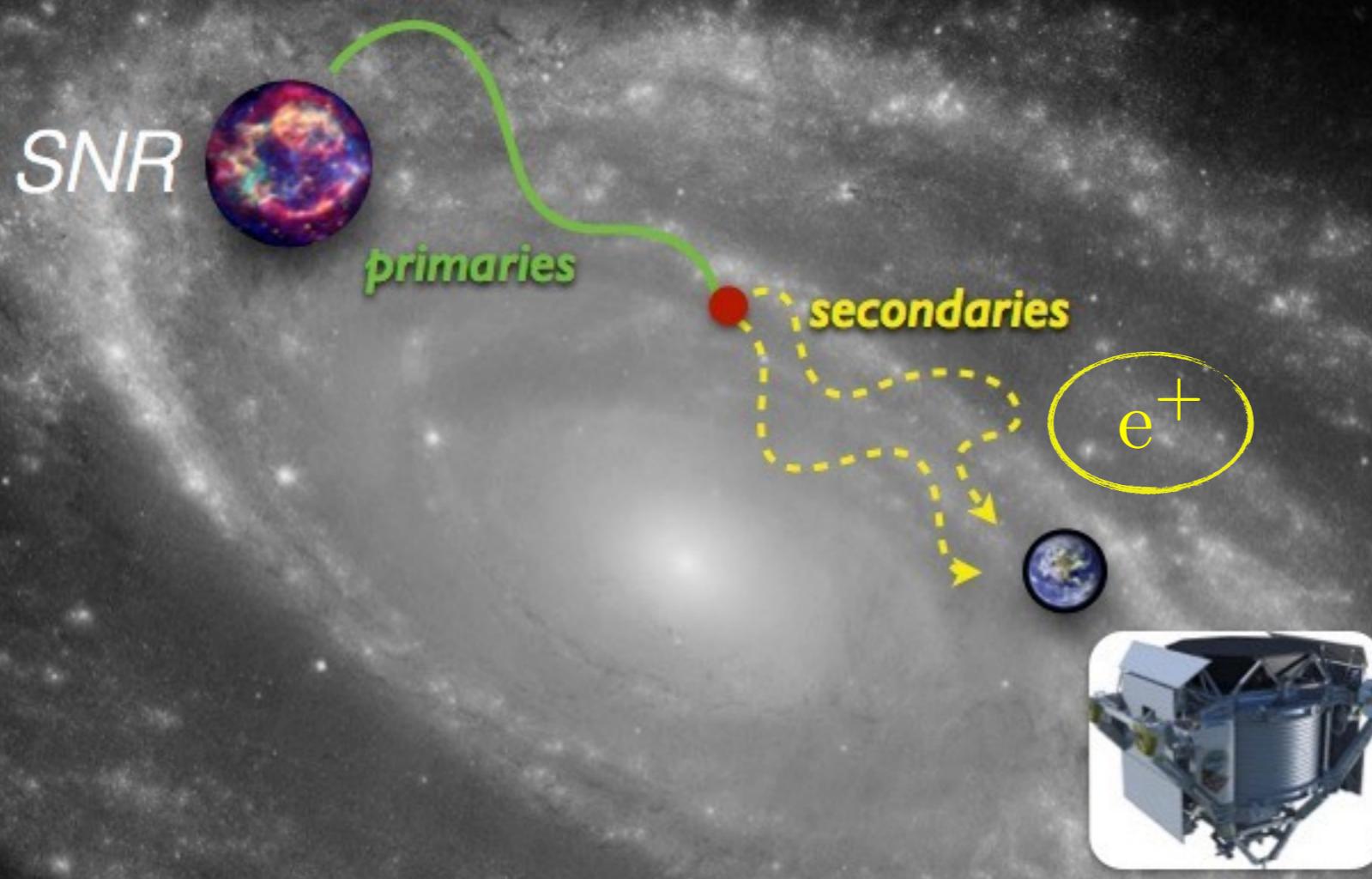
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The pinching method

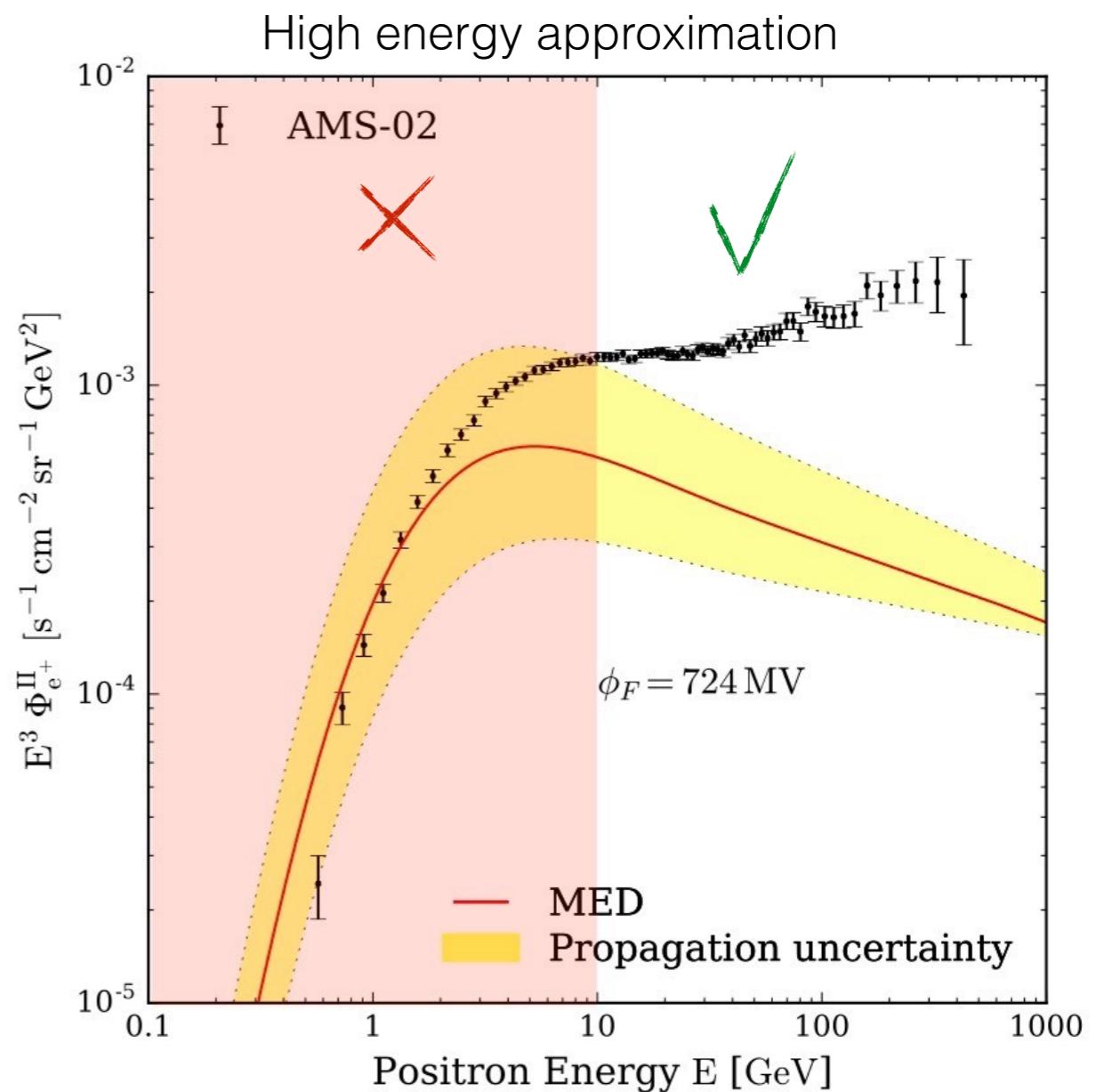
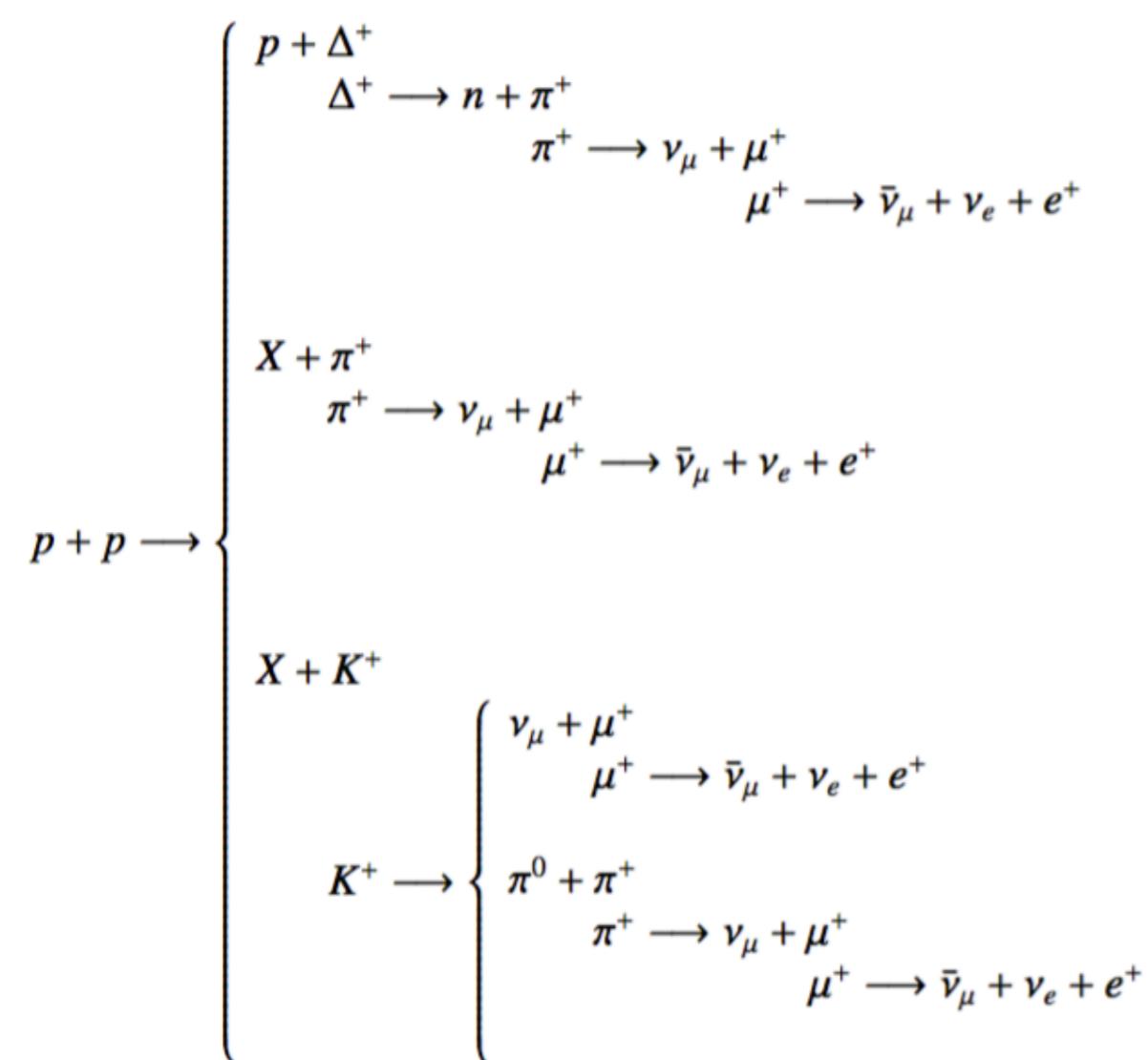
$$\partial_z [V_C \operatorname{sign}(z) \psi] - K(E) \Delta \psi + 2h \delta(z) \partial_E \left\{ \left[b_{\text{disc}}(E) + b_{\text{halo}}^{eff}(E) \right] \psi - D(E) \partial_E \psi \right\} = Q(E, \vec{x})$$

From now we are able to compute the positron flux **analytically, including all propagation effects!**



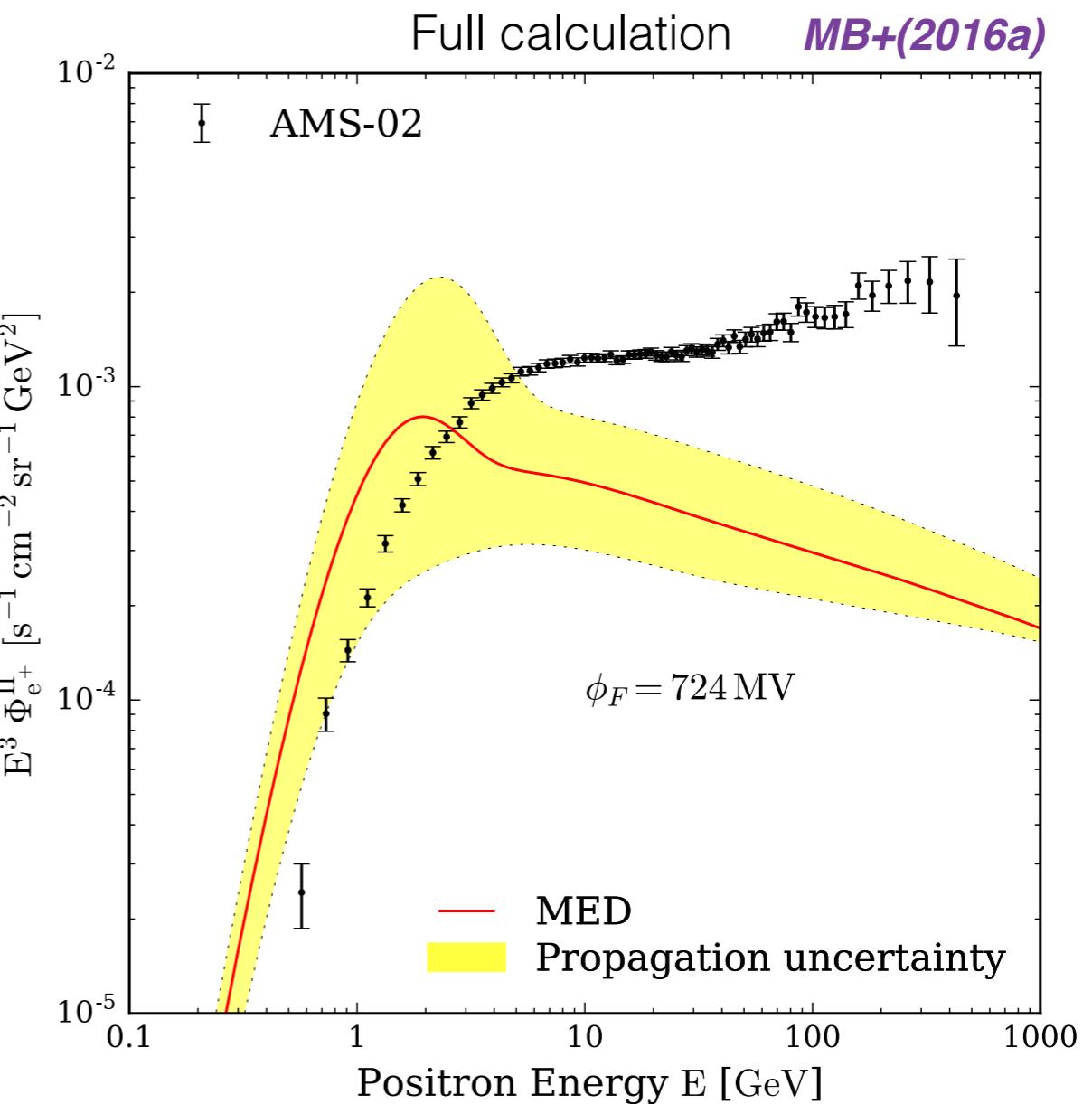
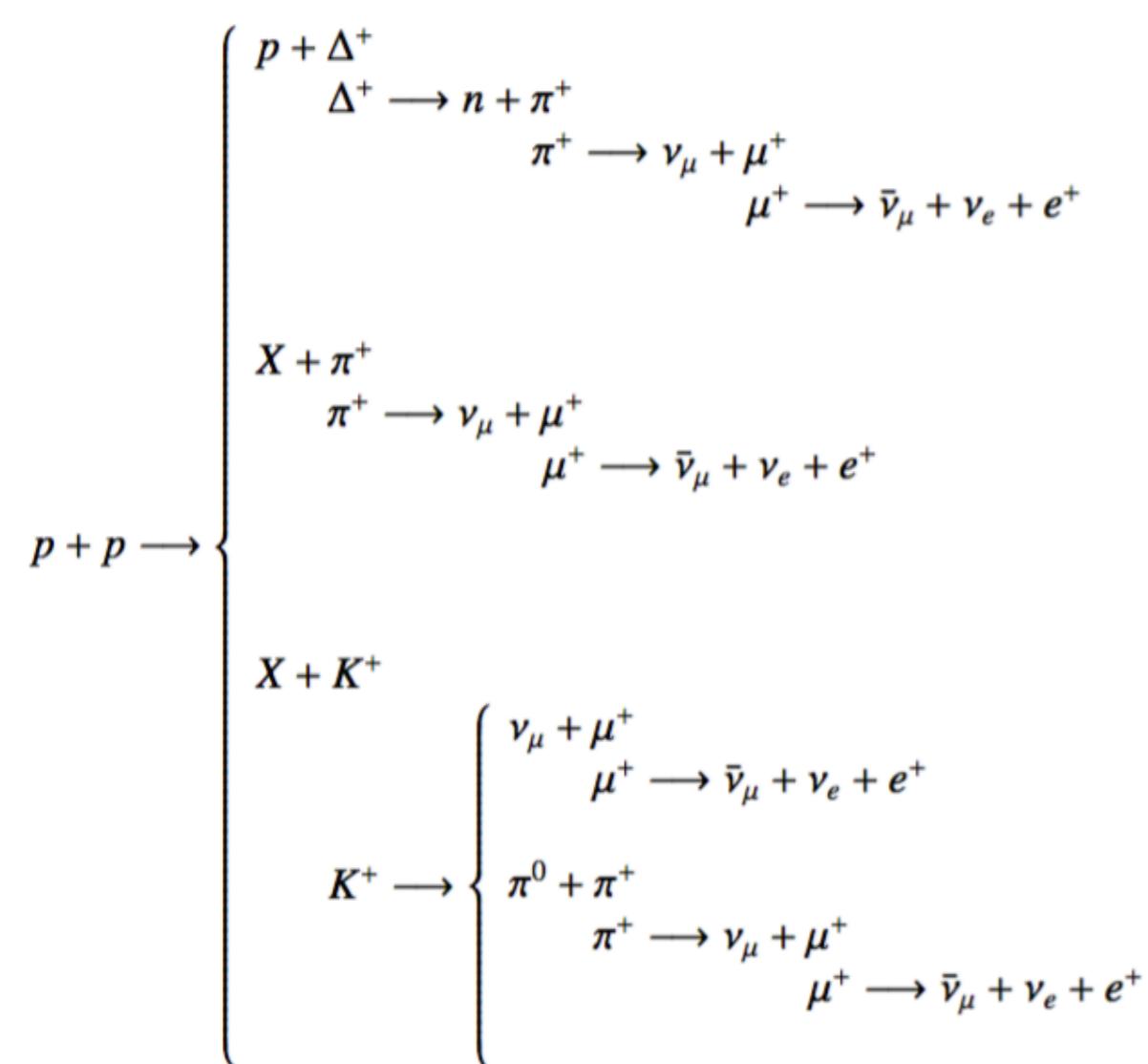
Astrophysical secondary positrons

$$Q^{II}(E, \vec{x}) = 4\pi \sum_{i=p,\alpha} \sum_{j=H,He} n_j \int_{E_0}^{+\infty} dE_i \phi_i(E_i, \vec{x}) \frac{d\sigma}{dE_i}(E_j \rightarrow E) \quad \begin{cases} i = \text{projectile} \\ j = \text{target} \end{cases}$$



Astrophysical secondary positrons

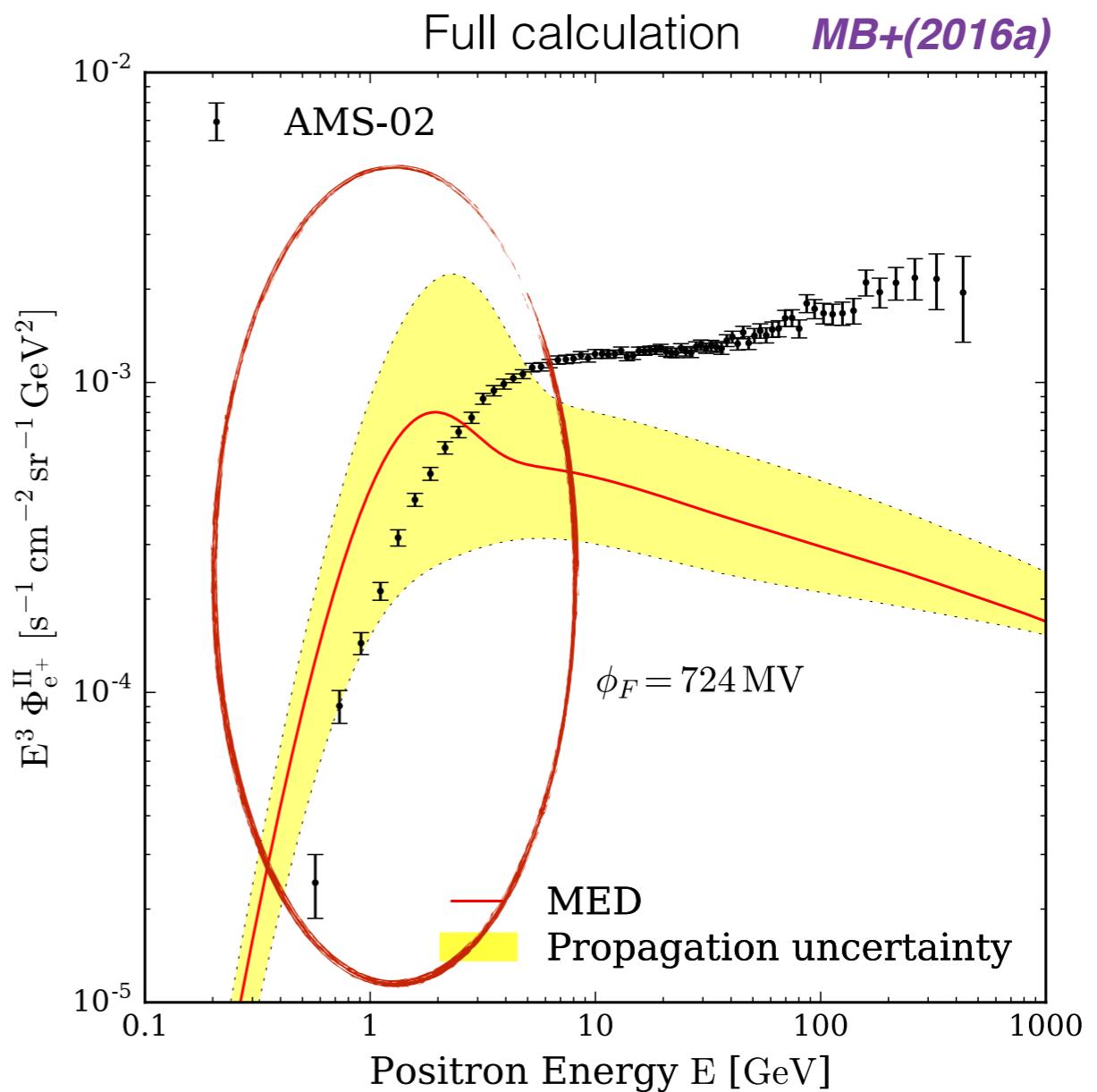
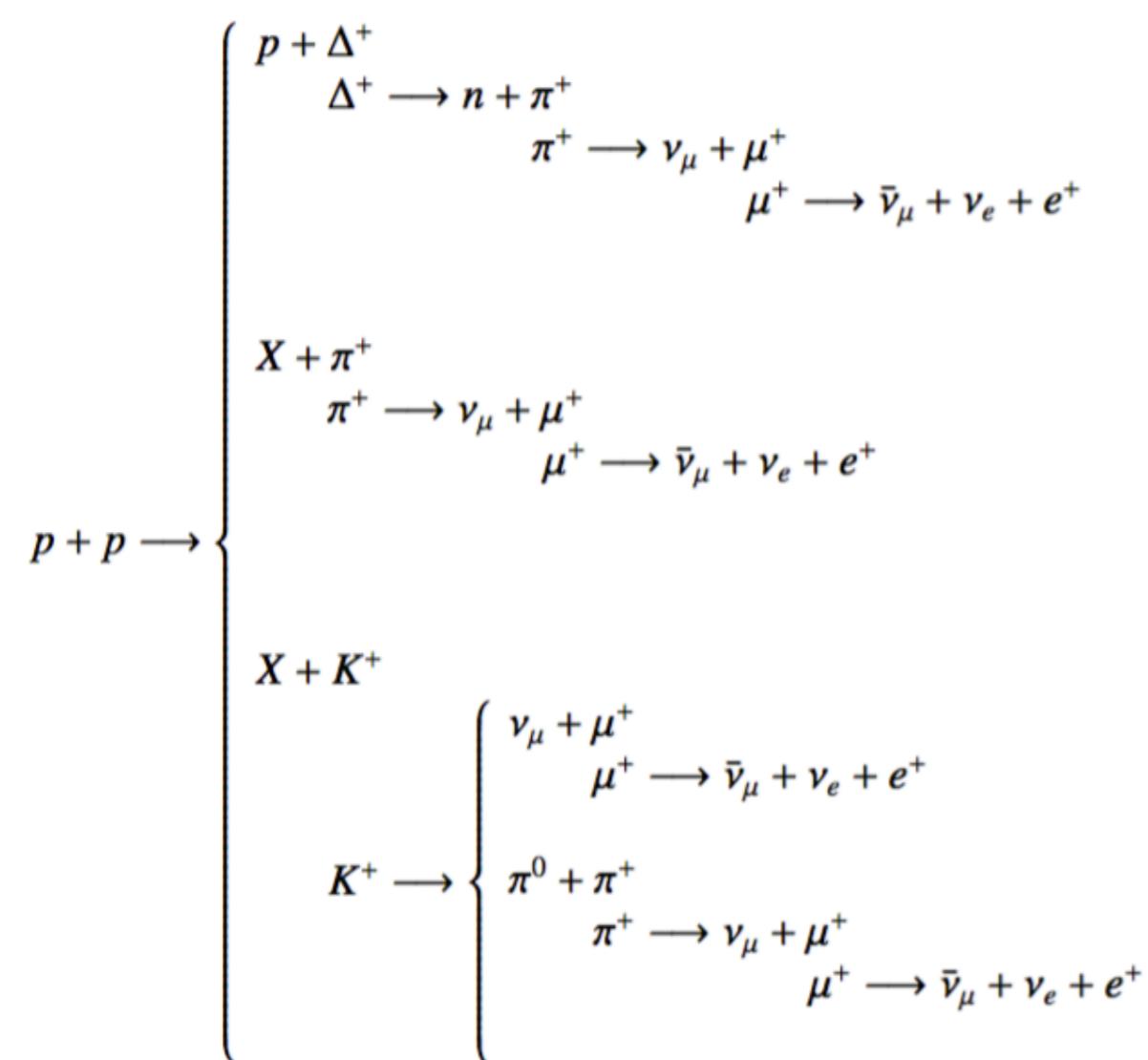
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The HE approximation \Rightarrow error up to 50% at 10 GeV!

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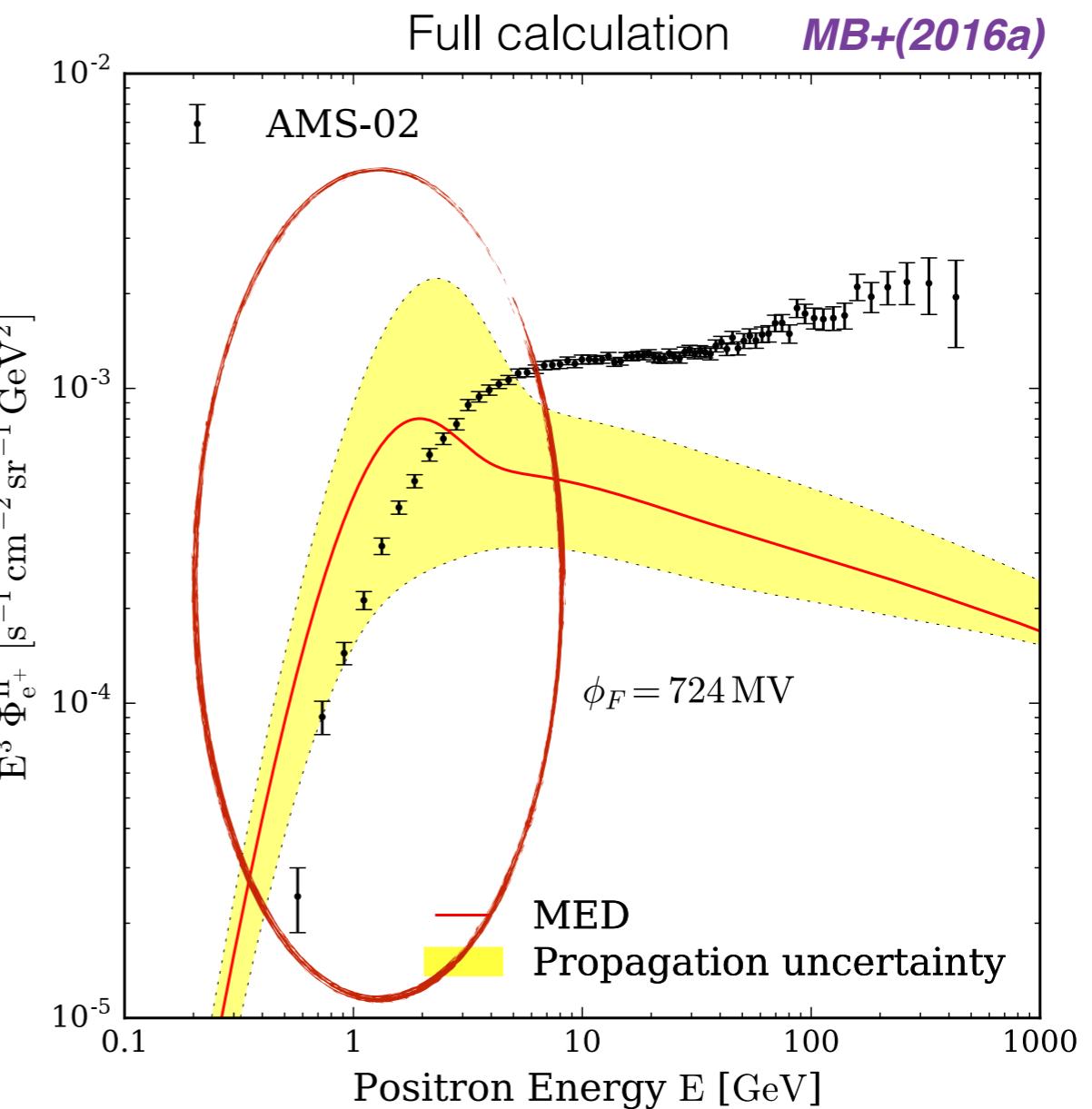
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Positrons can be used as an independent probe for the propagation parameters.

The degeneracy between K_0 and L can be lifted!

Lavalle+ (2014)



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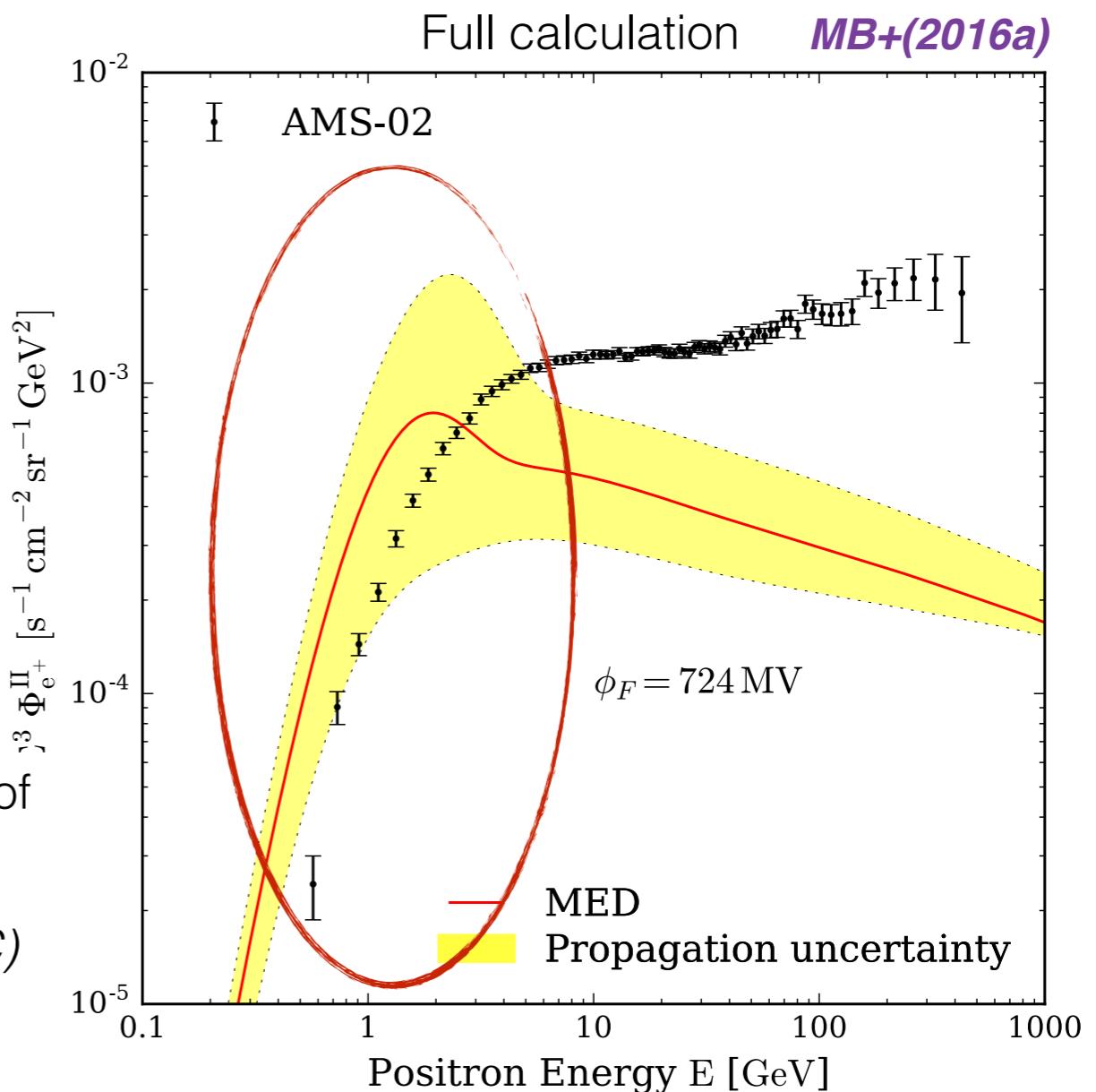
Lavalle+(2014)

Case	δ	K_0 [kpc ² /Myr]	L [kpc]	V_C [km/s]	V_a [km/s]
MIN	0.85	0.0016	1	13.5	22.4
MED	0.70	0.0112	4	12	52.9
MAX	0.46	0.0765	15	5	117.6

Ruled out!

The AMS-02 positrons data favour the **MAX-type** sets of propagation parameters.

(result confirmed by AMS-02 antiprotons and recent B/C)

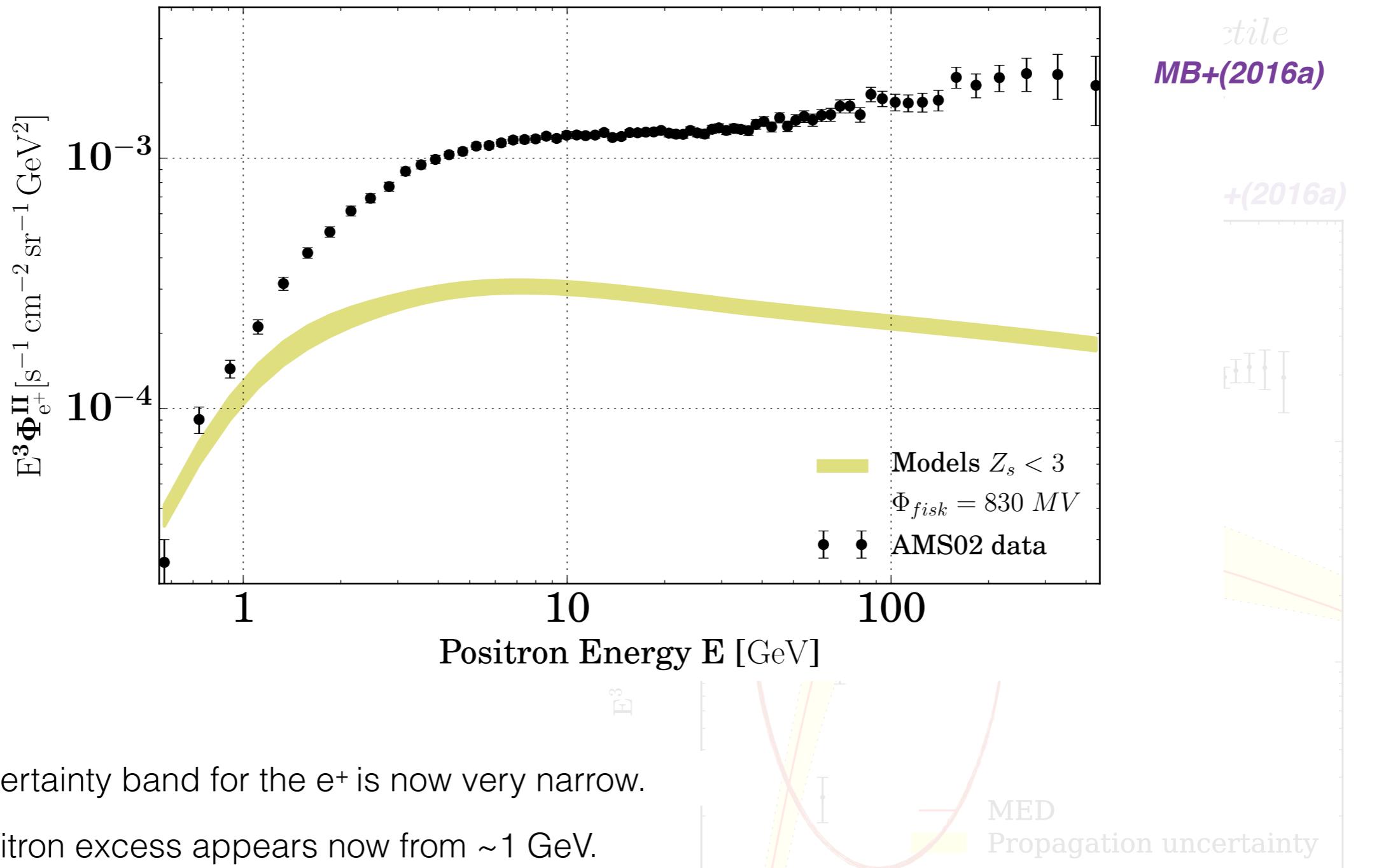


Astrophysical secondary positrons

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the propagatic
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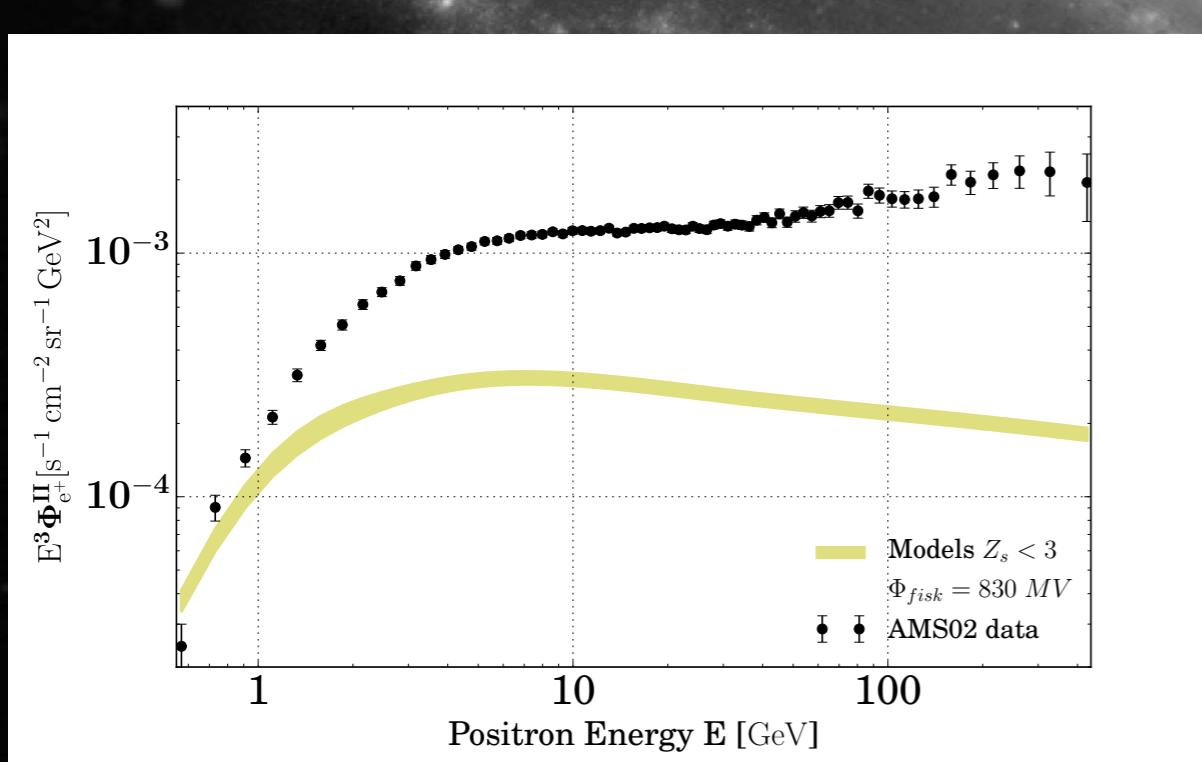
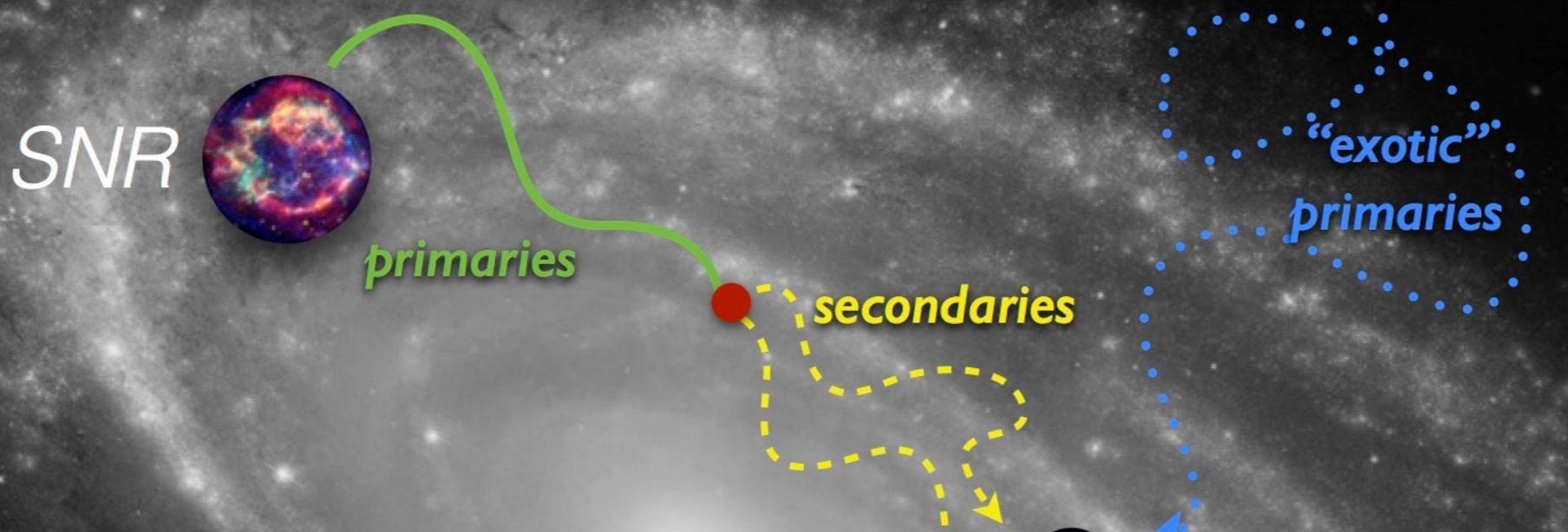


- The uncertainty band for the e⁺ is now very narrow.
- The positron excess appears now from ~1 GeV.
- Where do come from the remaining positrons?
- We need another component(s) to explain the positron data **from ~1 GeV to ~500 GeV**.

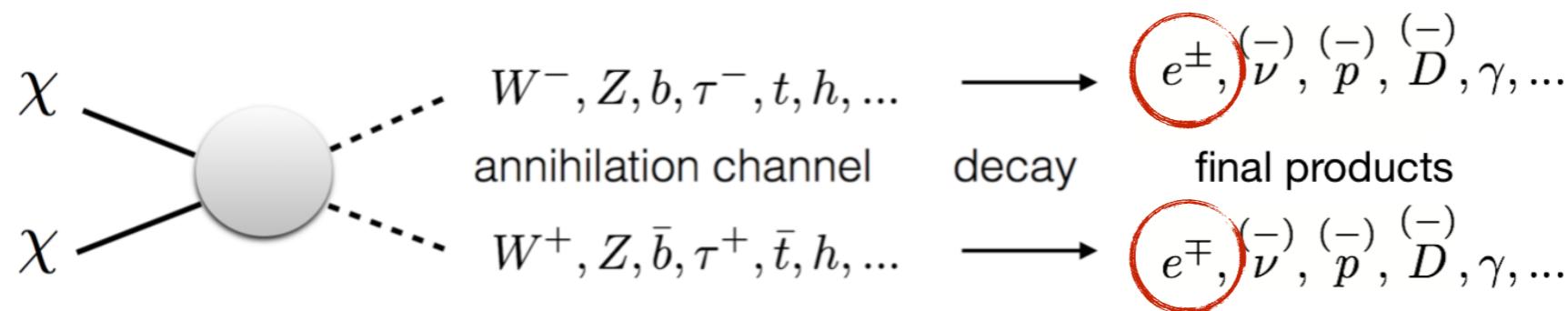
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Implications for dark matter searches

The dark matter scenario



The dark matter scenario



A very generic class of models

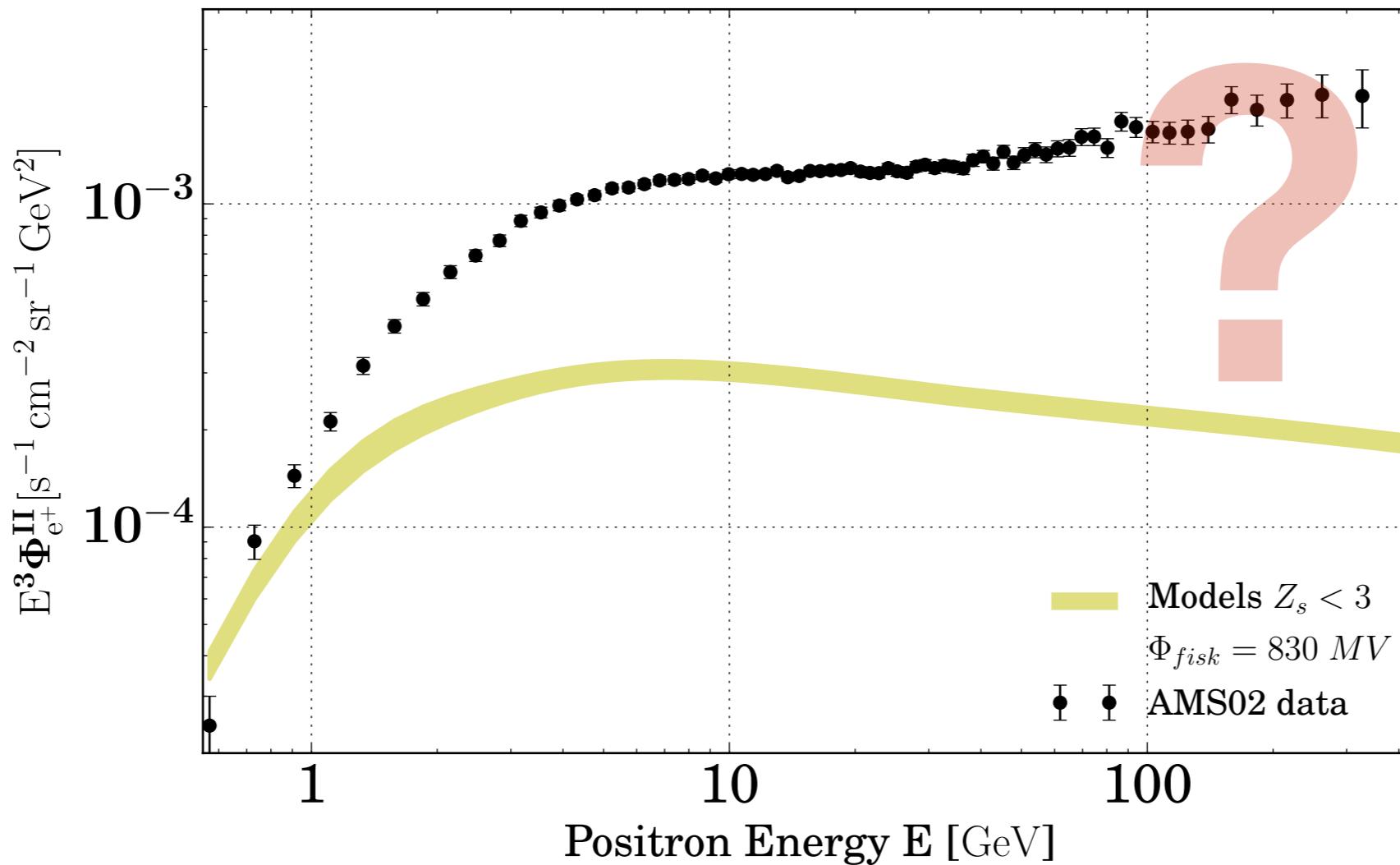
$$\chi\chi \rightarrow B_b \bar{b}b + B_W W^+W^- + B_\tau \tau^+\tau^- + B_\mu \mu^+\mu^- + B_e e^+e^-$$

Free parameters

- Propagation parameters
(consistent with secondaries)
 K_0, δ, L, V_C, V_A
- Dark matter parameters
The mass m_χ
The annihilating cross section $\langle \sigma v \rangle$
- Solar modulation (Phisk potential)
 $\phi_F \in [647, 830] \text{ MV}$ (3 σ CL) *Ghelfi+(2015)*
- The branching ratios $B_b, B_W, B_\tau, B_\mu, B_e$

The Dark Matter scenario

Is it possible to obtain a satisfactory fit to the AMS-02 data?



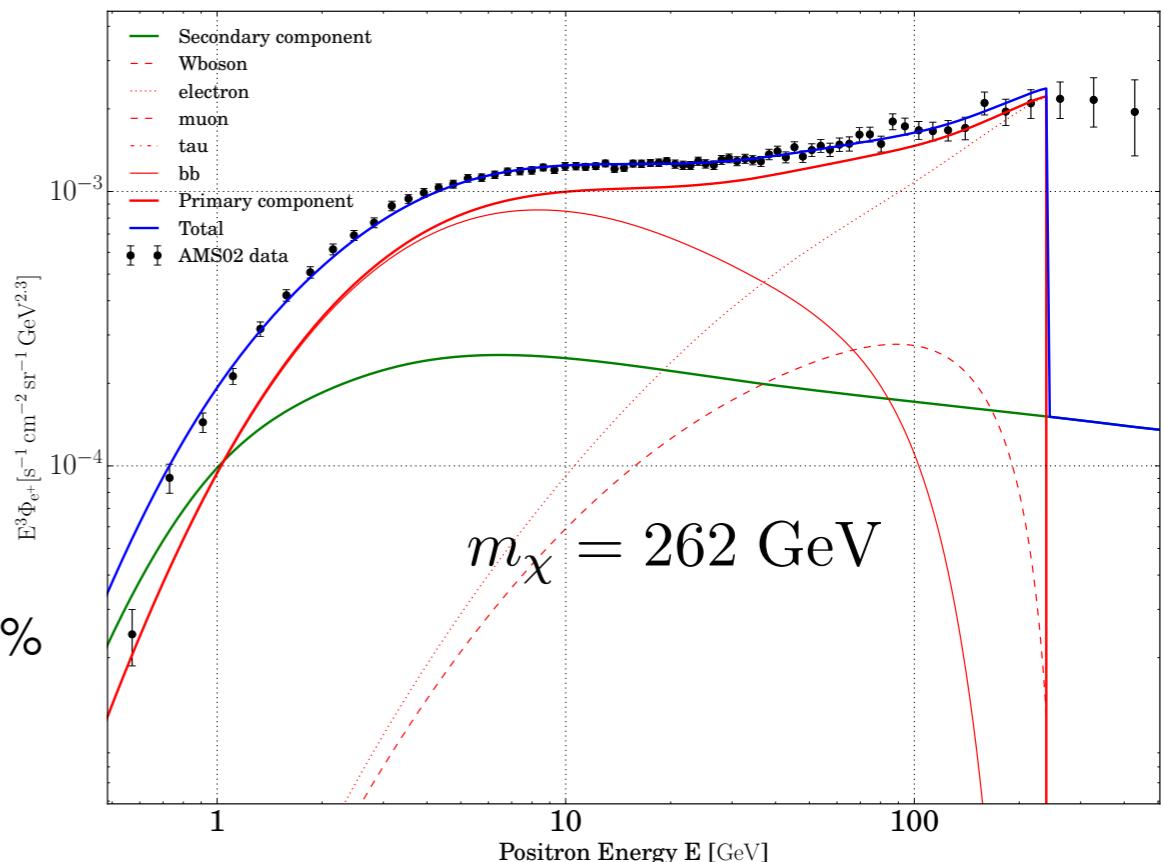
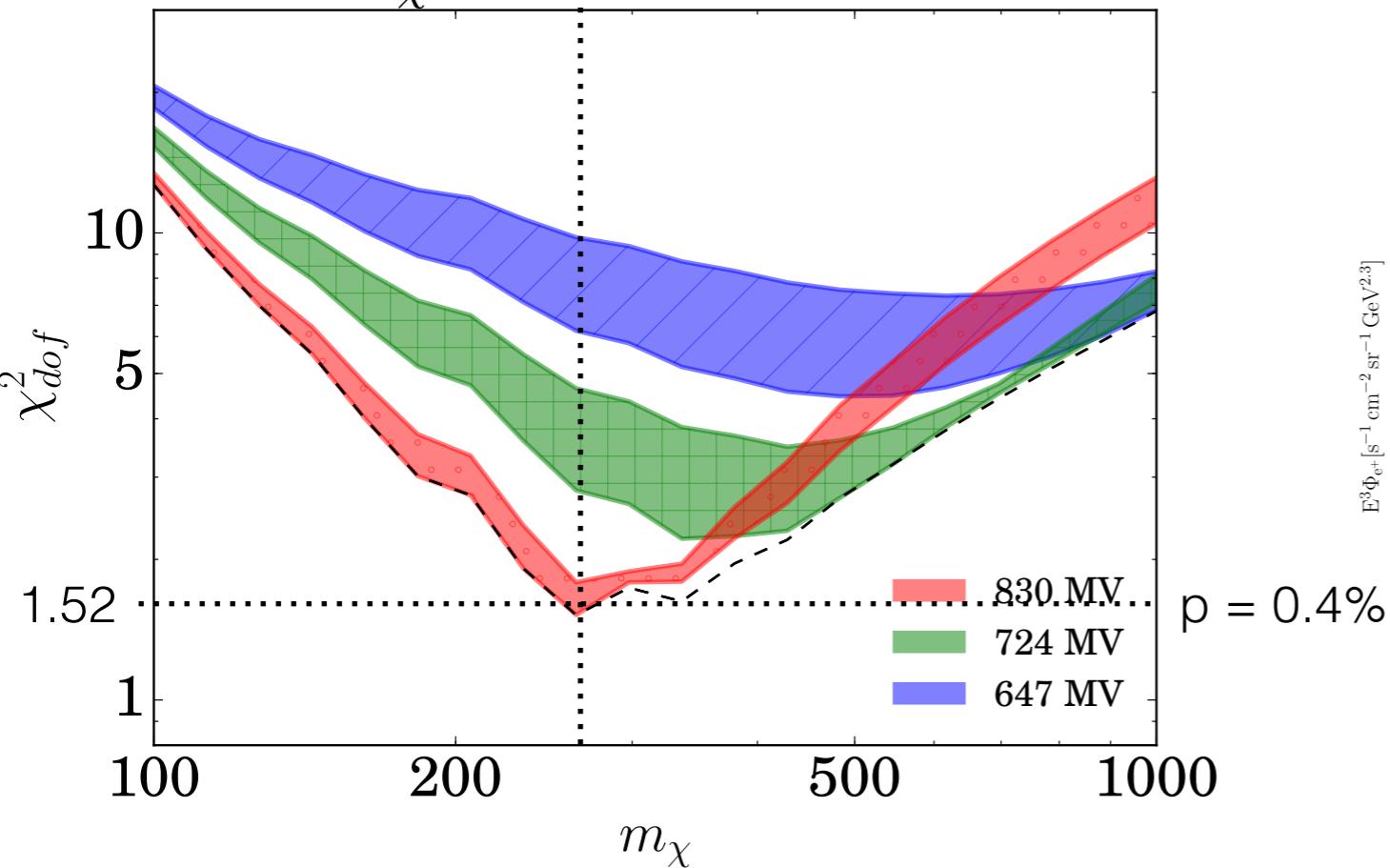
The Dark Matter scenario

Is it possible to obtain a satisfactory fit to the AMS-02 data?

NO !

MB+(2016a)

$m_\chi = 262 \text{ GeV}$



The spectrum of e^+ from DM annihilations **cannot** account for the **shape** of the spectrum measured by AMS-02.

The positron flux produced by DM is restricted « around » the DM mass.

The poor quality of the fit disfavours a pure DM explanation for the positron excess!

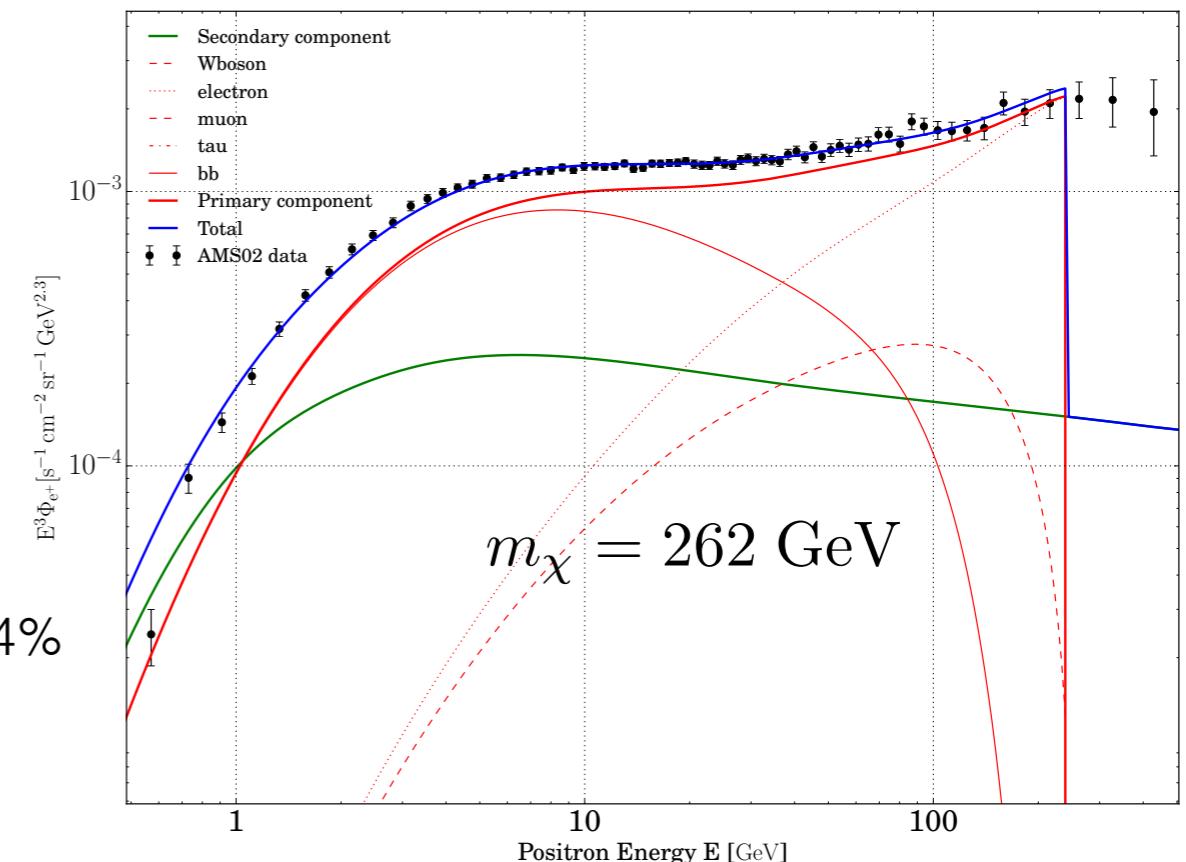
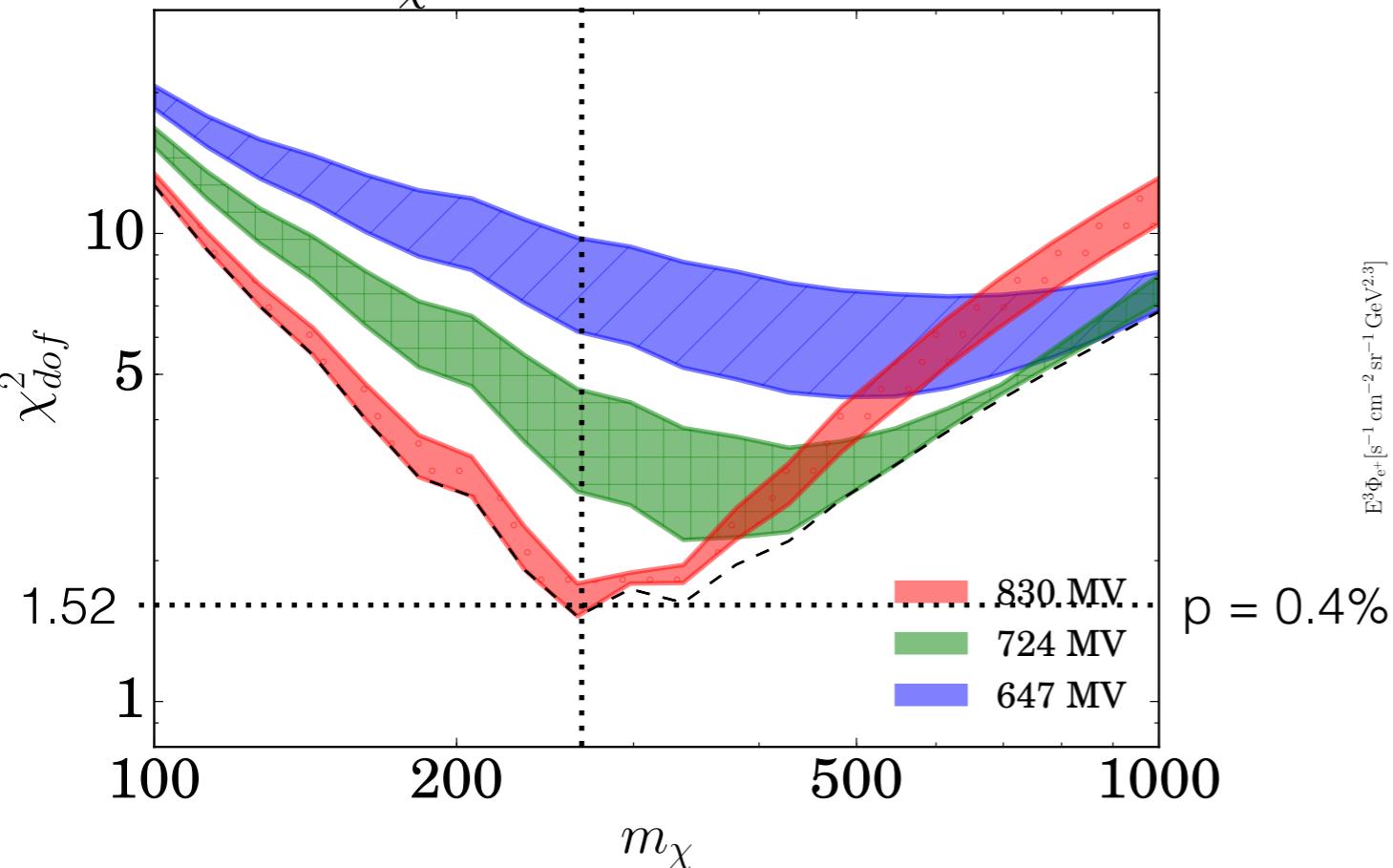
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This conclusion is based only on the positron data and does not require constraints from other channels (gamma rays, antiprotons, CMB, etc.)

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Implications for dark matter searches

Why there is no constraints on MeV dark matter from CR e⁻ and e⁺?

- So far, we needed numerical codes to solve the transport equation in the sub-GeV energy range to predict the interstellar (IS) flux of e⁻ and e⁺. Important CPU time to derive bounds on the DM particle annihilation cross-section.

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- ✓ **The pinching method enables us to compute the e⁻ and e⁺ fluxes in the sub-GeV energy range.**
- Interstellar sub-GeV e⁻ and e⁺ are shielded by the solar magnetic field, they cannot reach detectors orbiting the Earth.

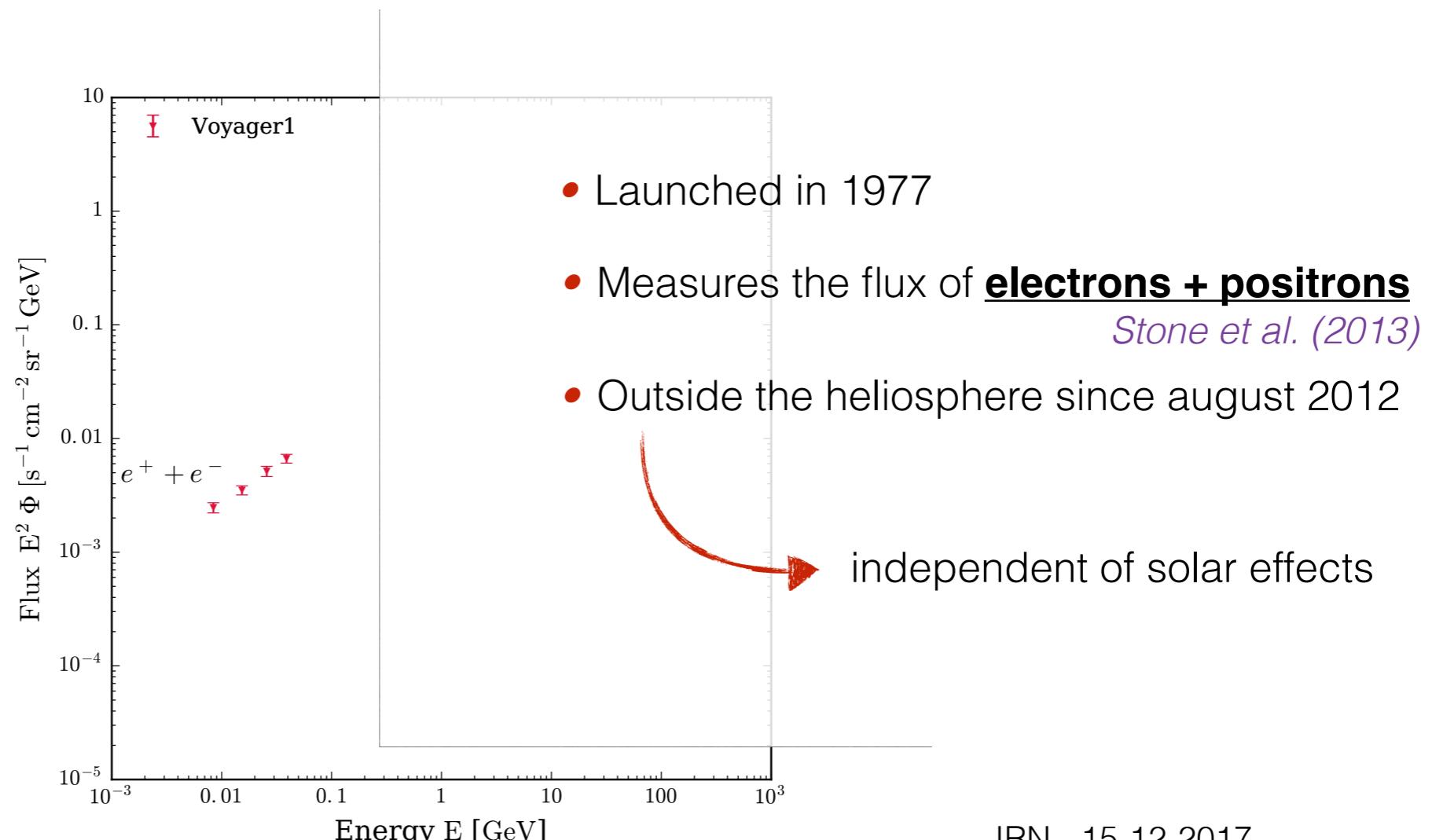
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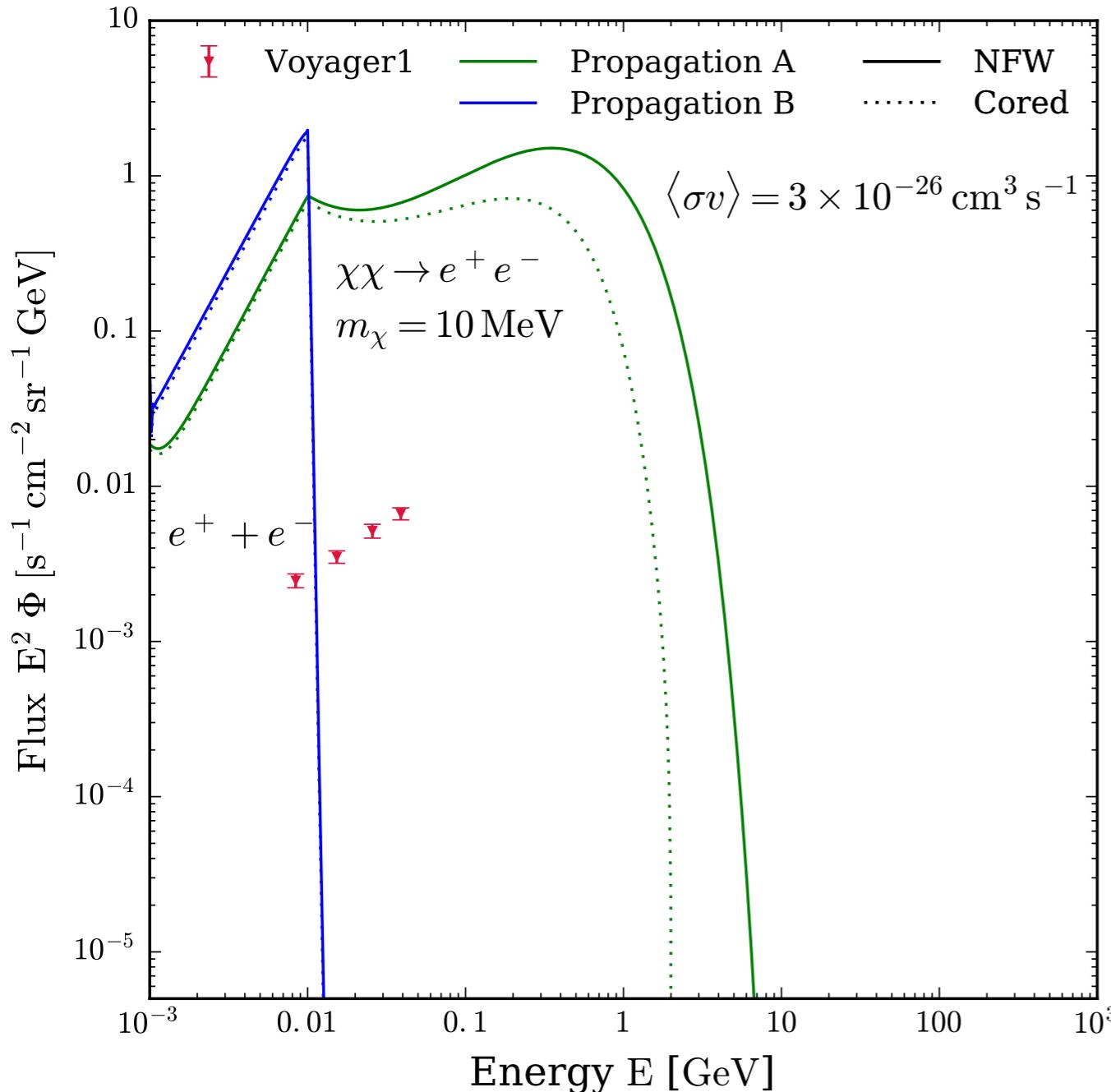
✓ **The pinching method enables us to compute the e⁻ and e⁺ fluxes in the sub-GeV energy range.**

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✓ **Voyager-1 spacecraft has crossed the heliopause during summer 2012.**



Constraints on DM annihilating cross section

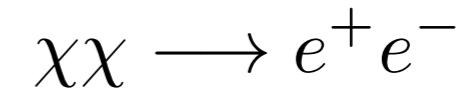


- **Model A:**

$$V_A = 117.6 \text{ km/s}$$

- **Model B:**

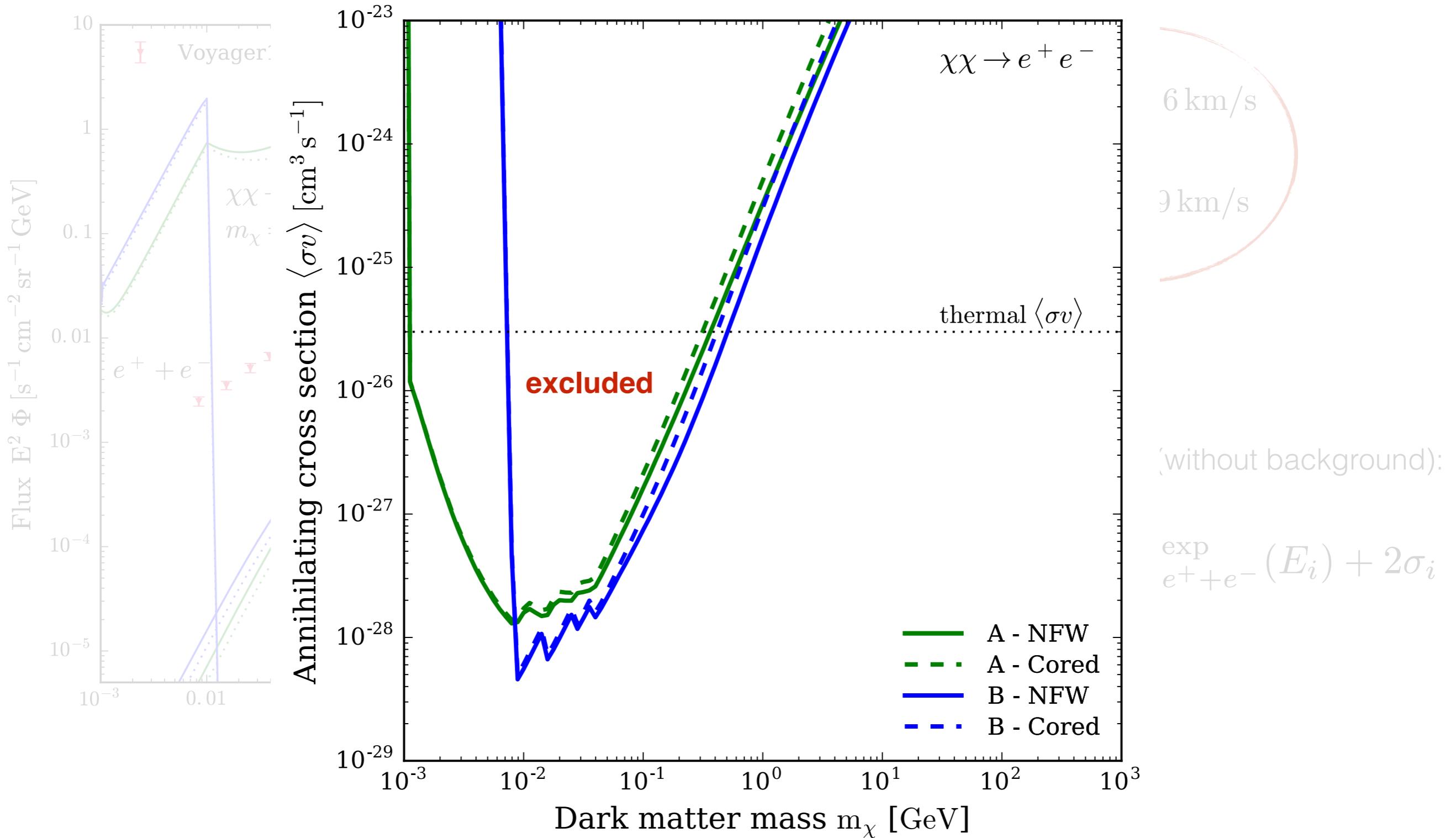
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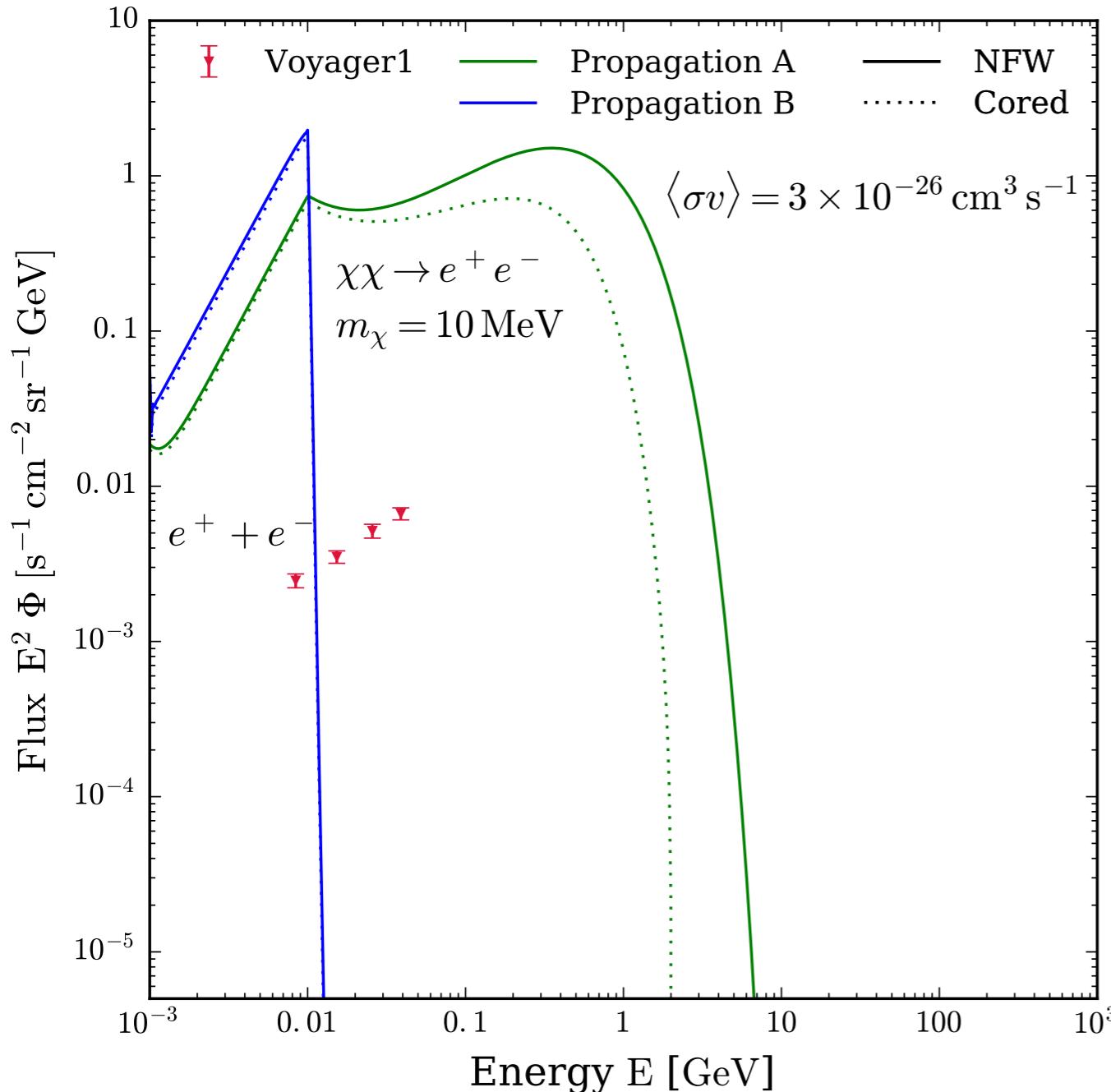
Conservative constraints (without background):

$$\Phi_{e^+ + e^-}^{\text{DM}}(E_i) \leq \Phi_{e^+ + e^-}^{\text{exp}}(E_i) + 2\sigma_i$$

Constraints on DM annihilating cross section



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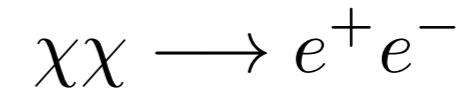


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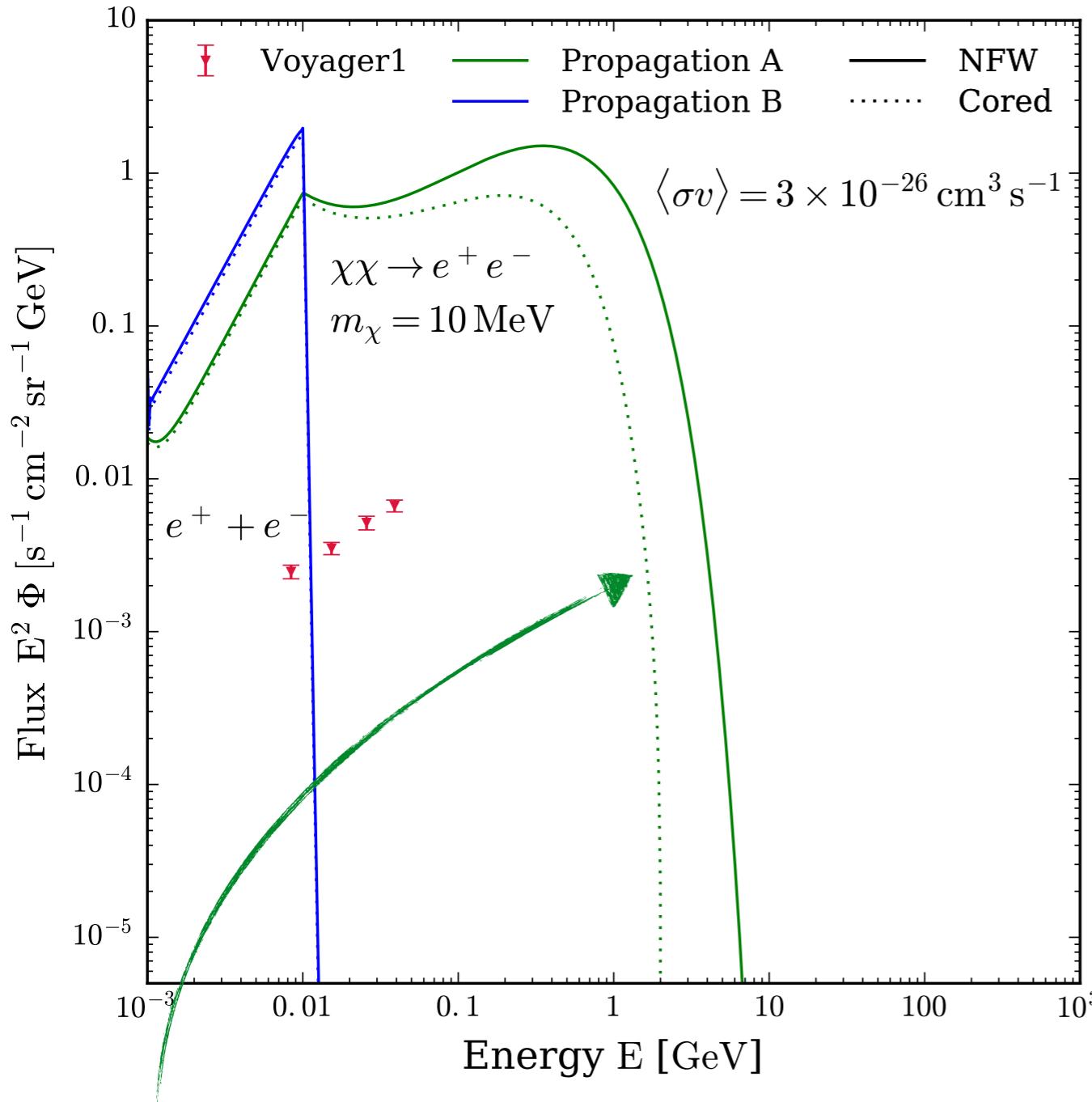
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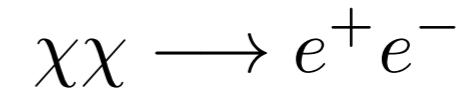


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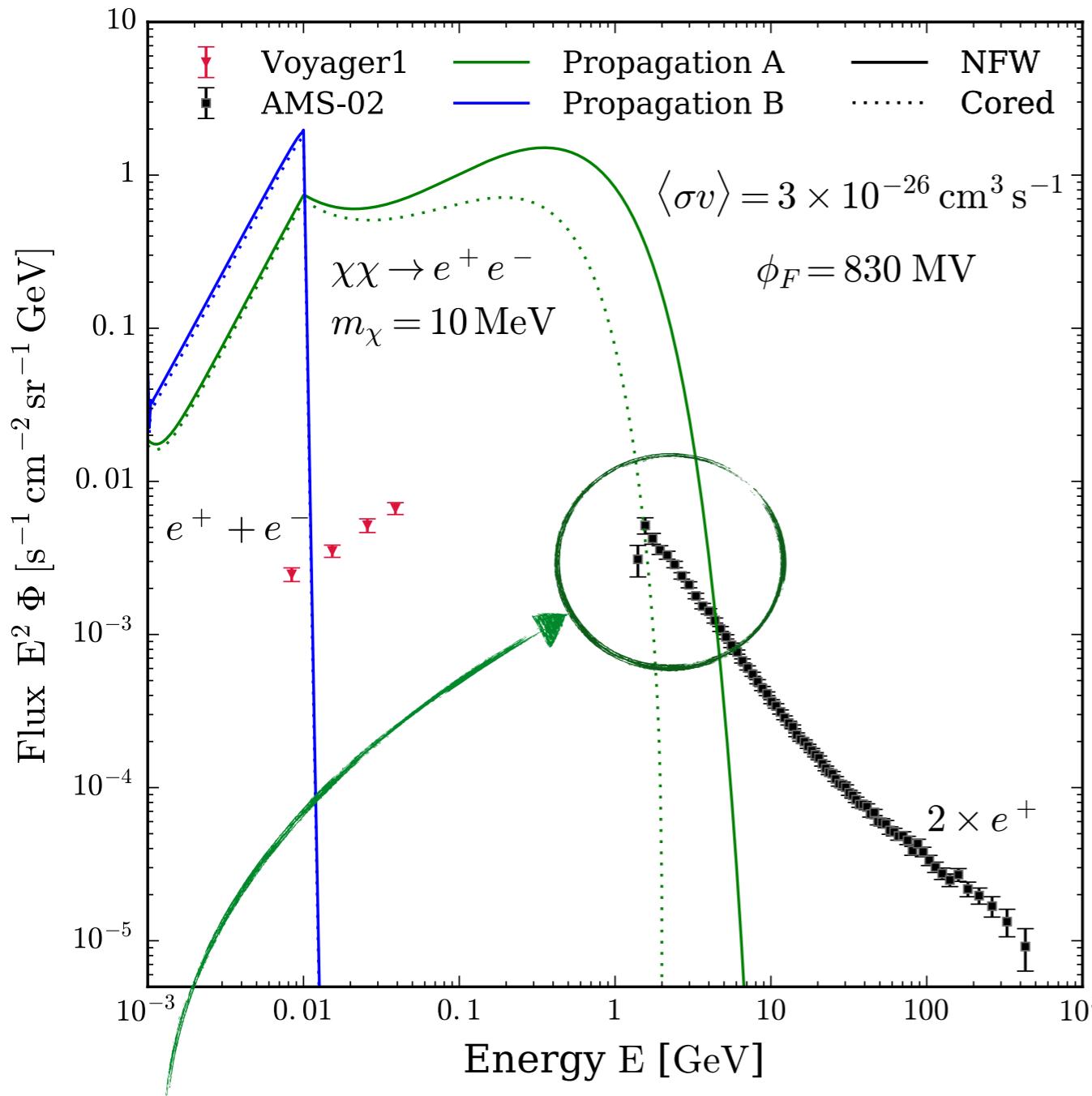


Conservative constraints (without background):

$$\Phi_{e^+ + e^-}^{\text{DM}}(E_i) \leq \Phi_{e^+ + e^-}^{\text{exp}}(E_i) + 2\sigma_i$$

Models with strong diffusive reacceleration enable to detect positrons above the DM mass!

Constraints on DM annihilating cross section



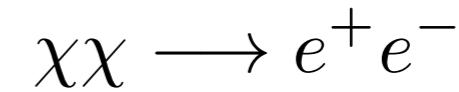
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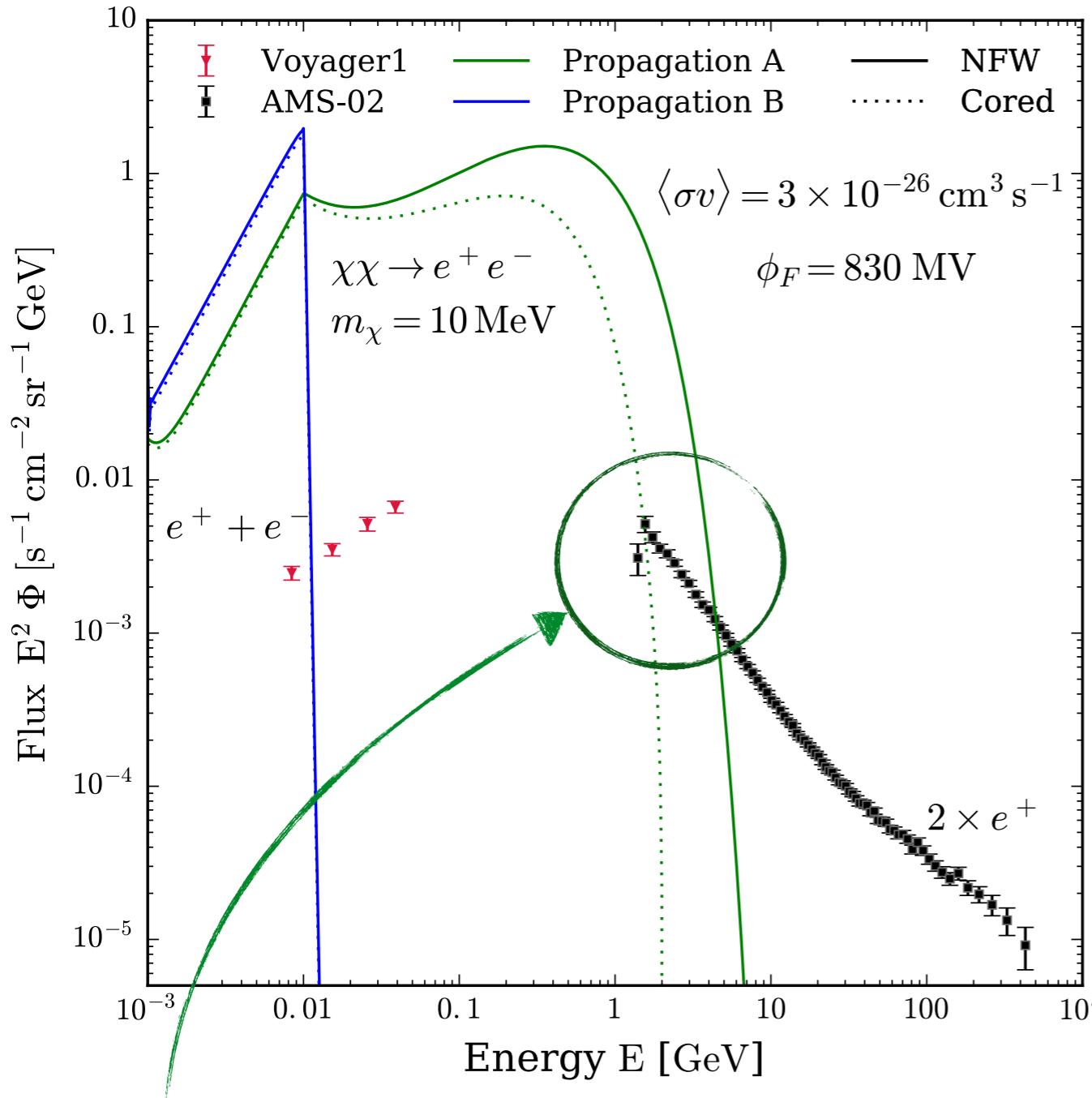
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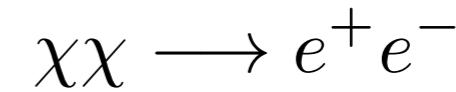


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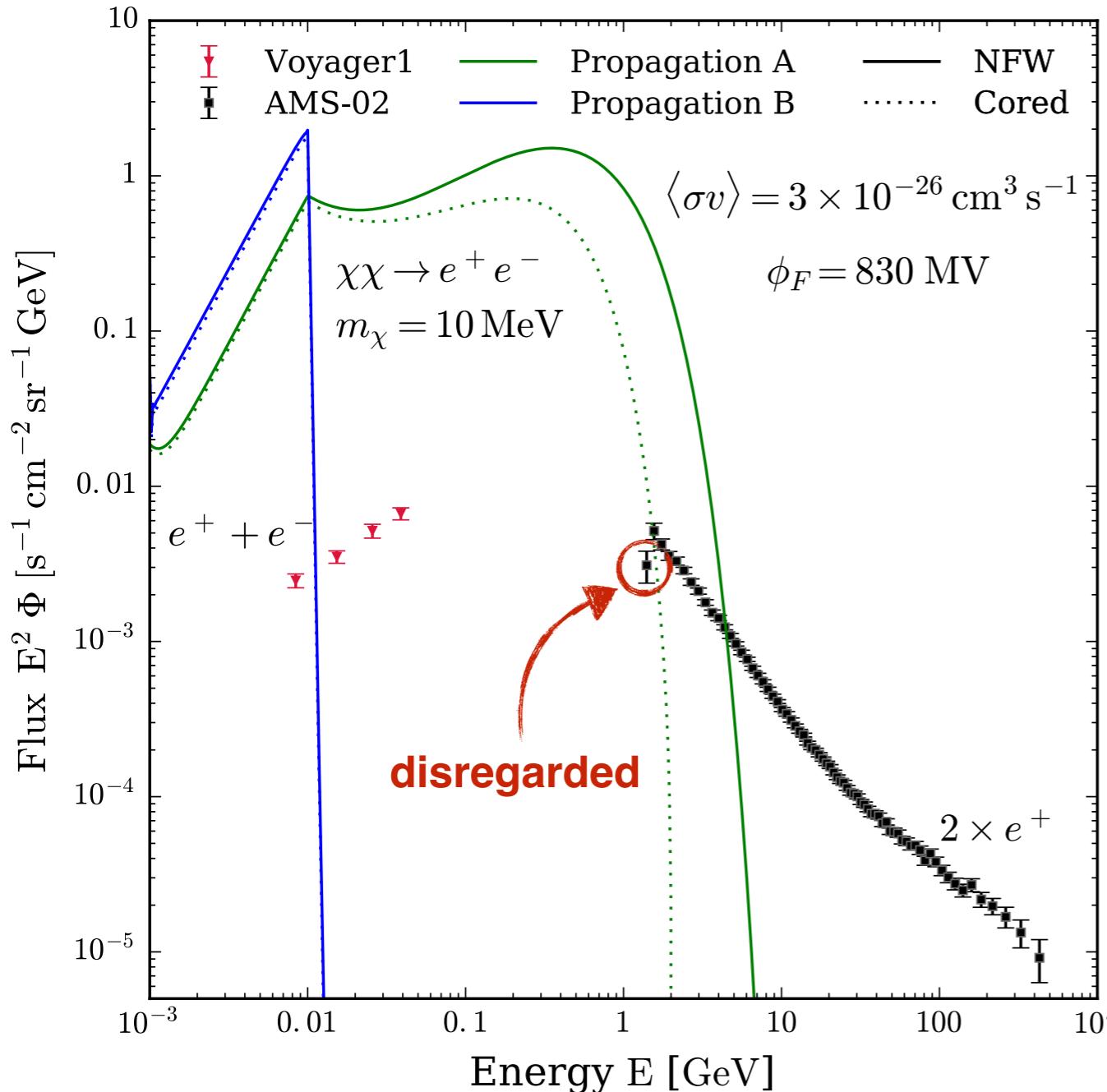
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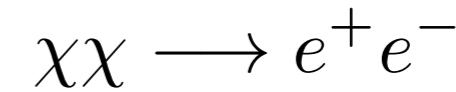


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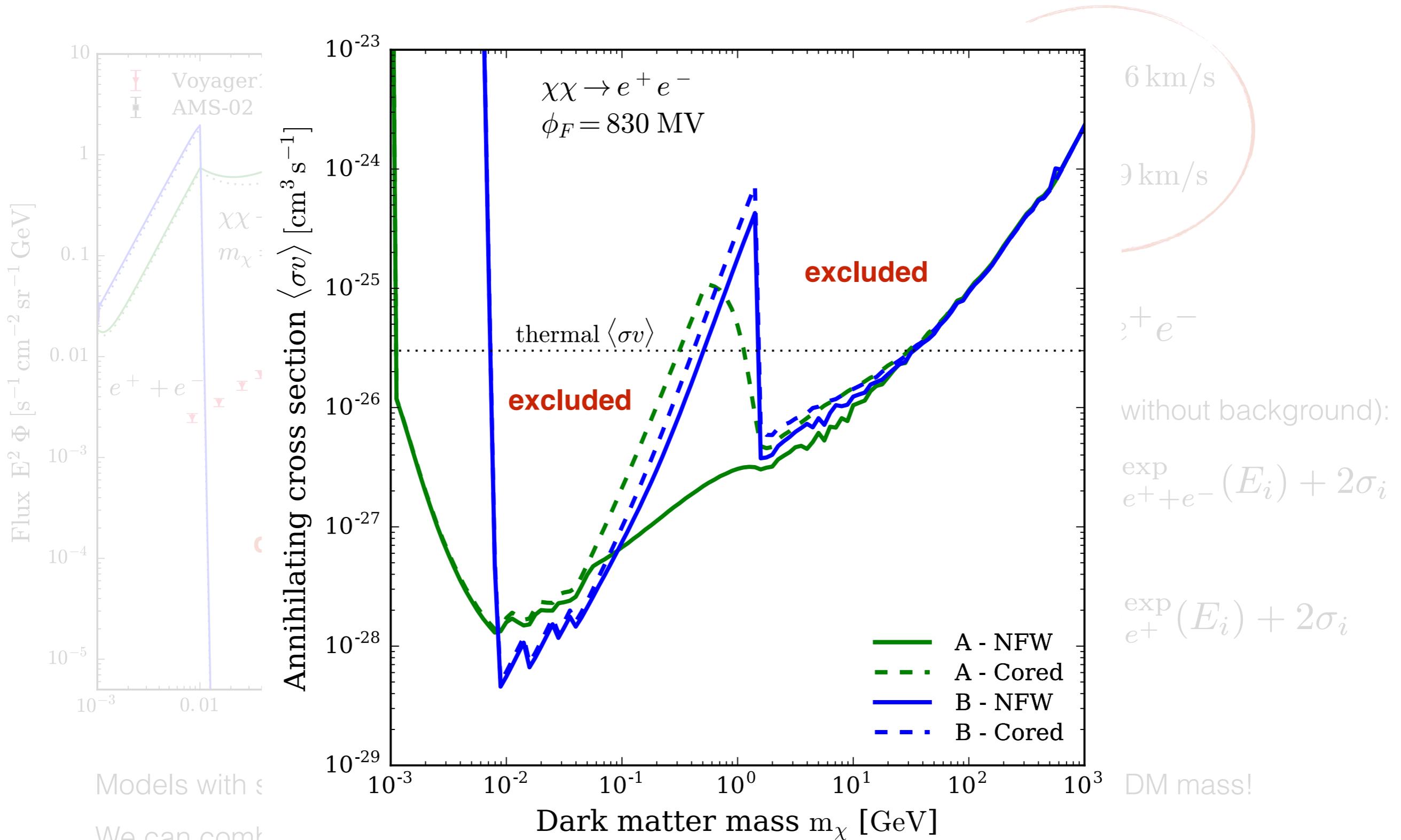
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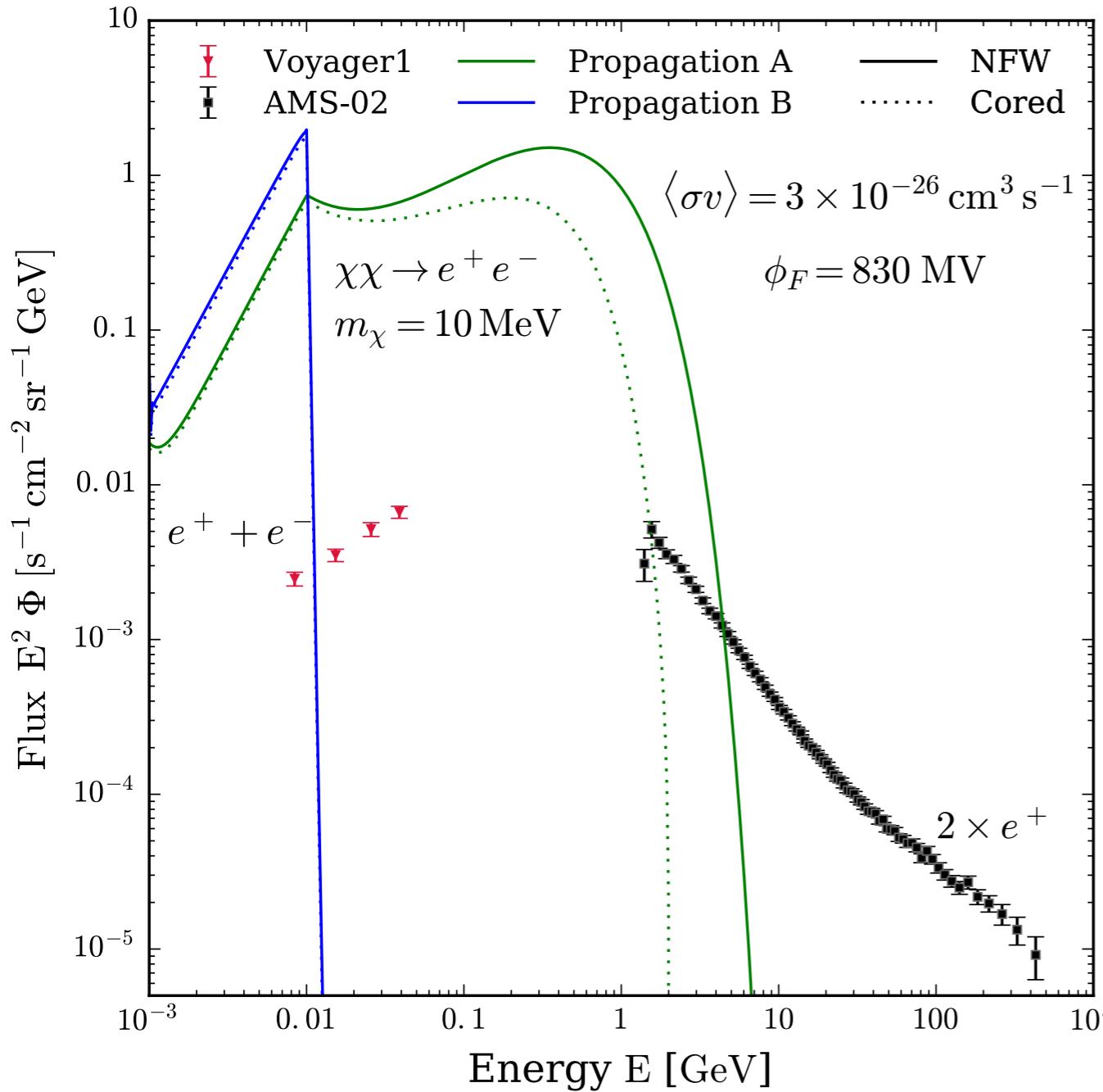
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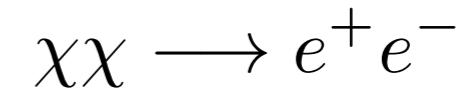


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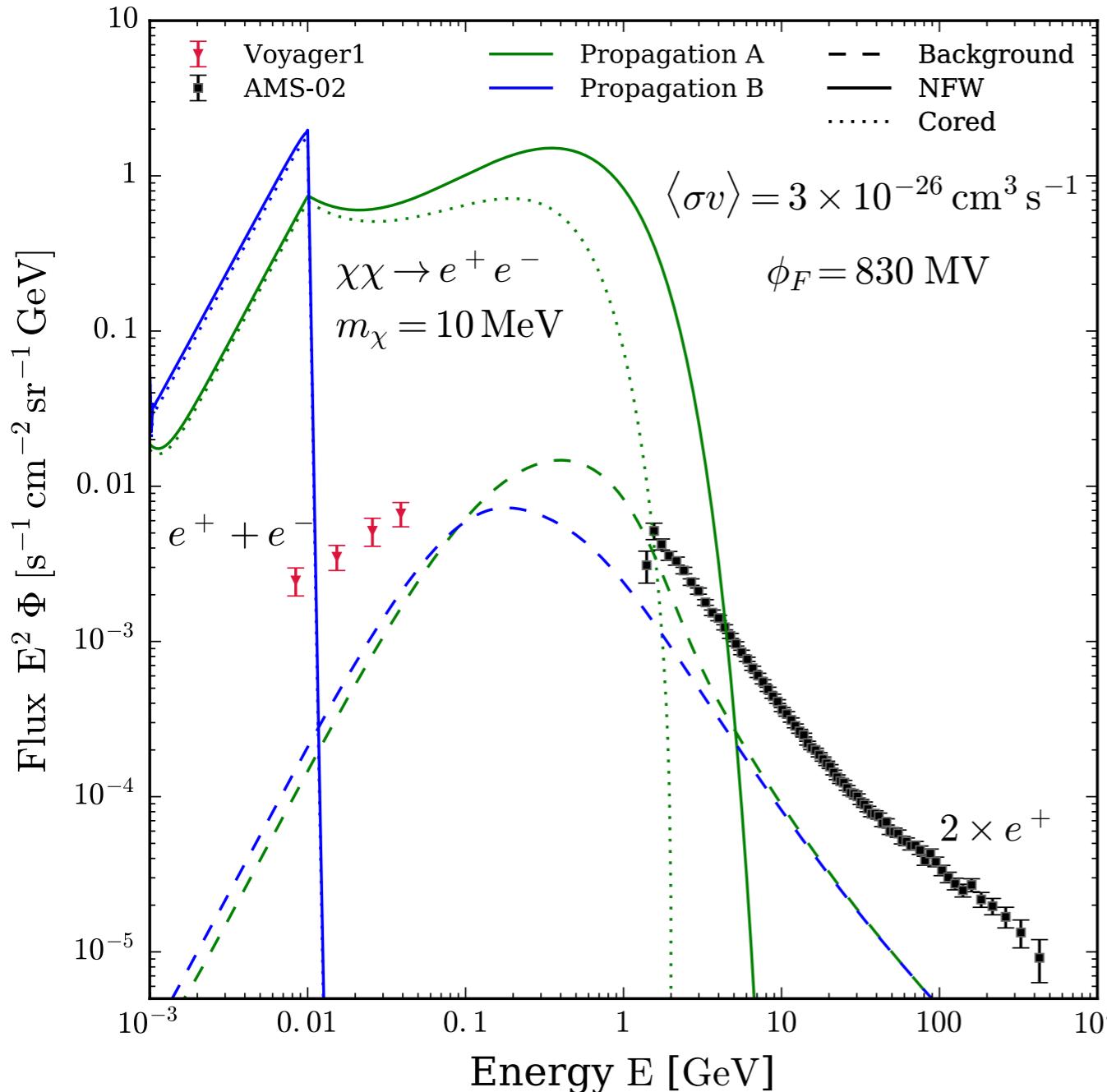
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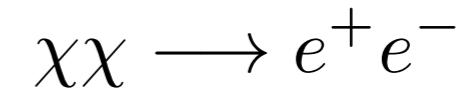


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With astrophysical background of secondary e^+ :

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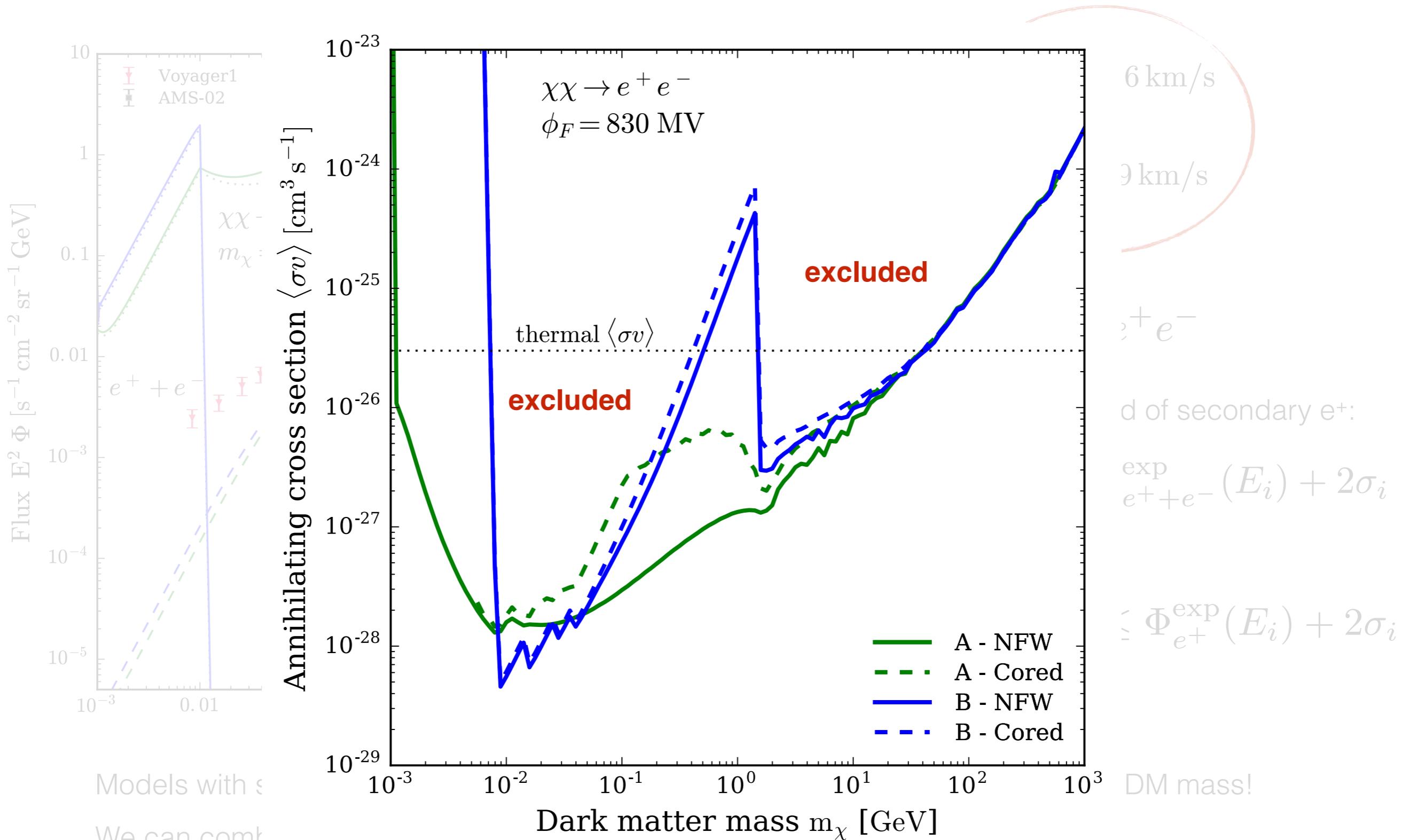
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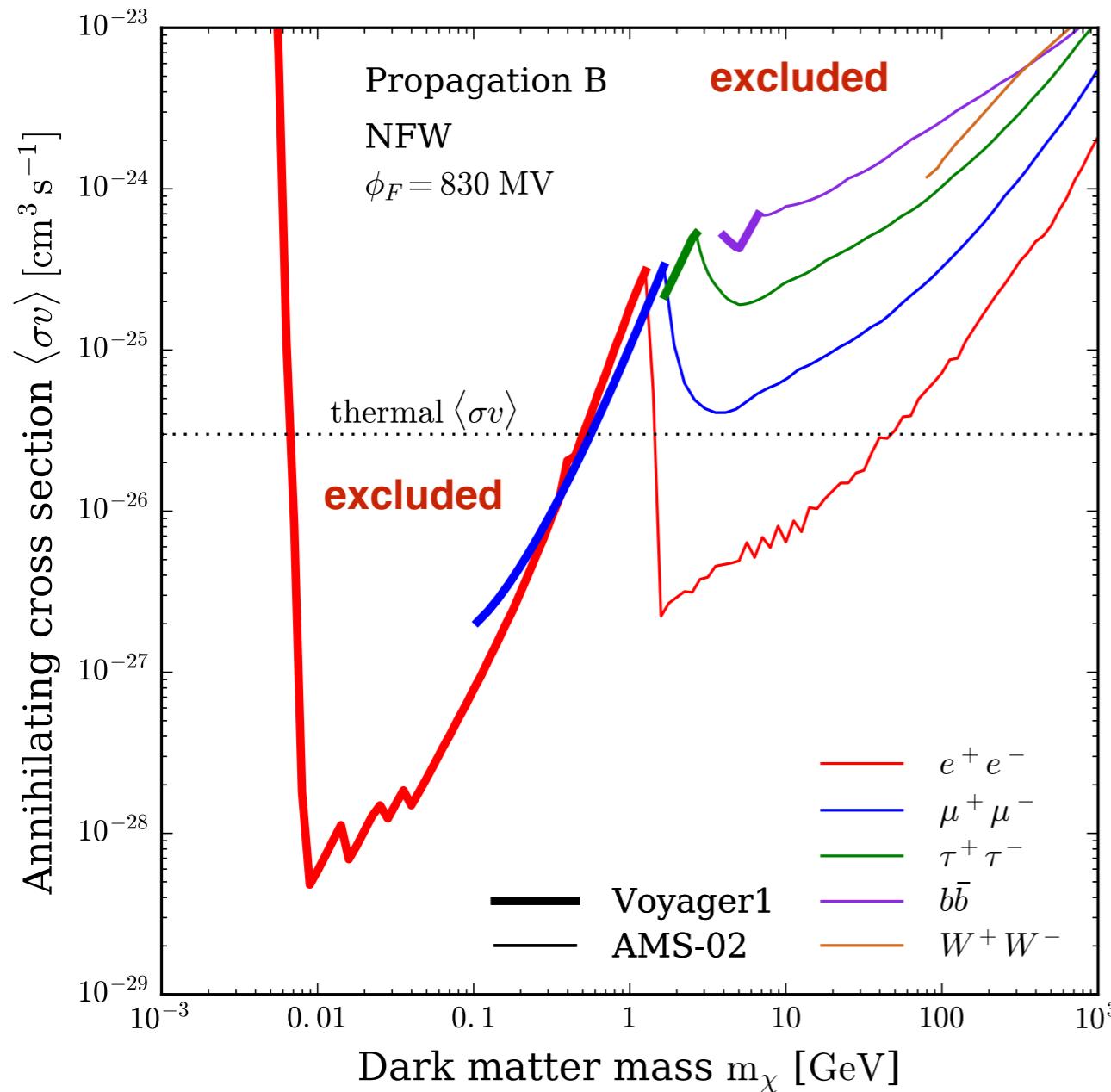
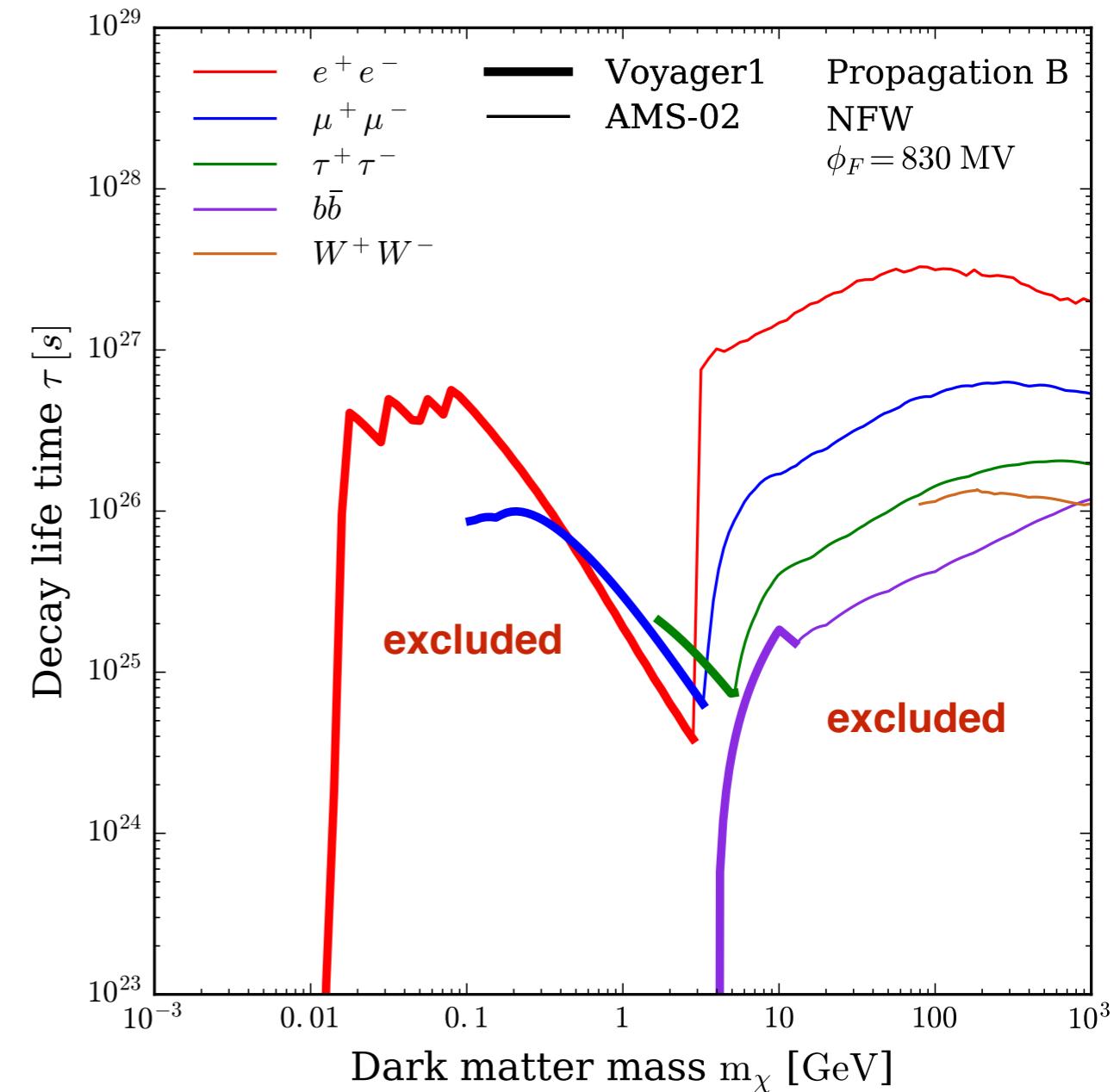
$$\Phi_{e^+}^{\text{DM}}(E_i) + \Phi_{e^+}^{\text{II}}(E_i) \leq \Phi_{e^+}^{\text{exp}}(E_i) + 2\sigma_i$$

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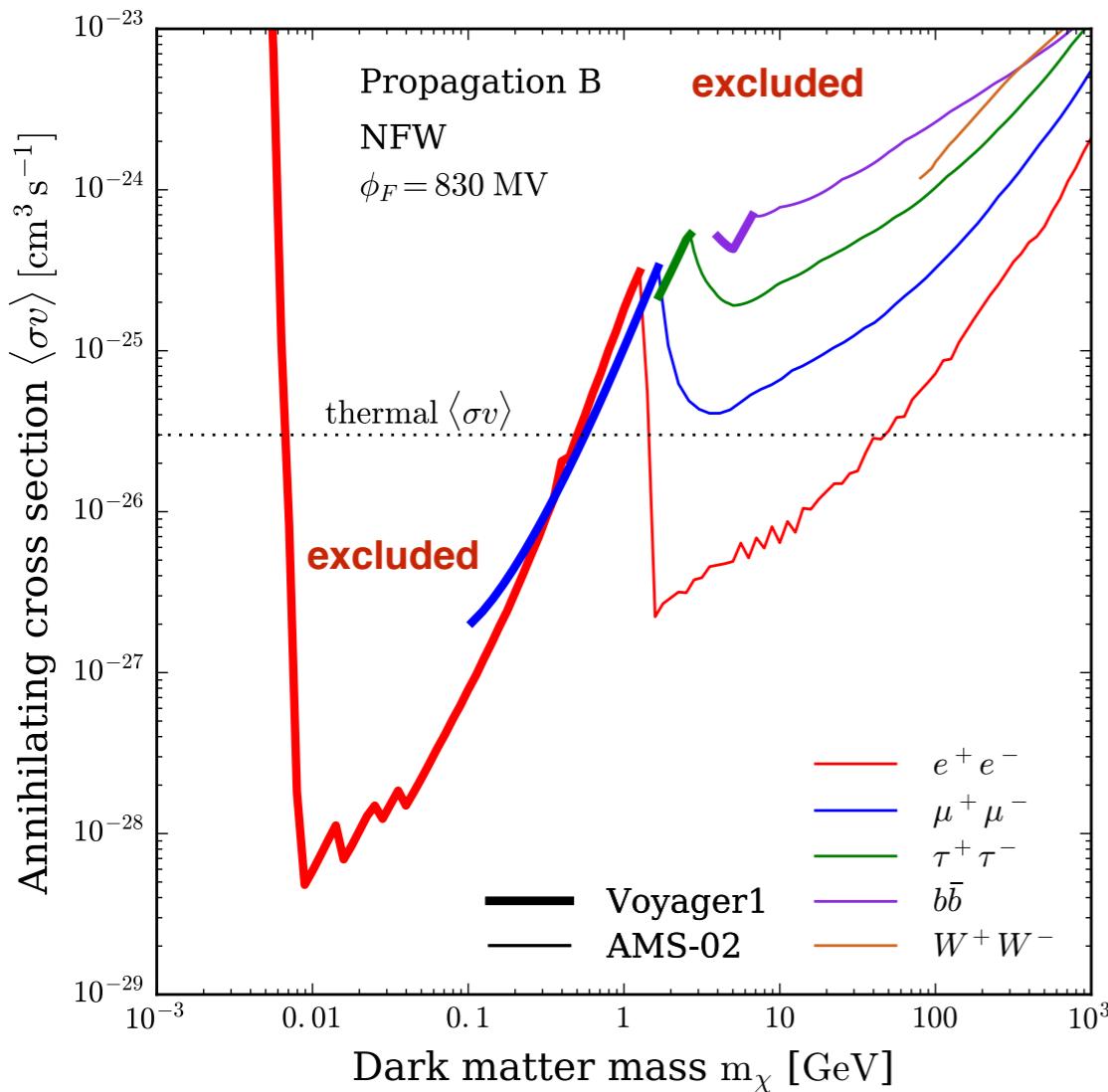
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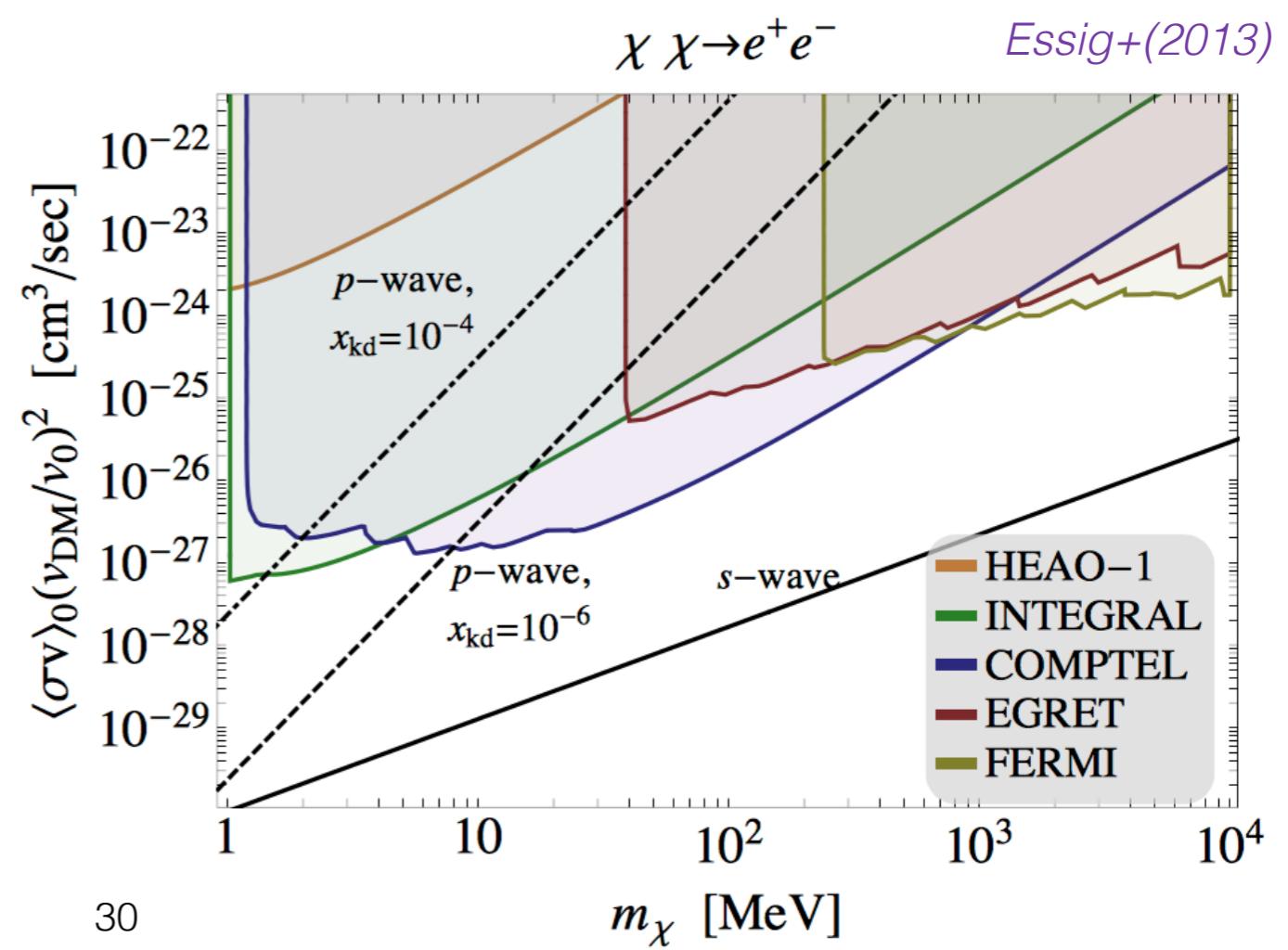
Annihilating Dark Matter*MB+(2016b)***Decaying Dark Matter**

Comparison with other constraints

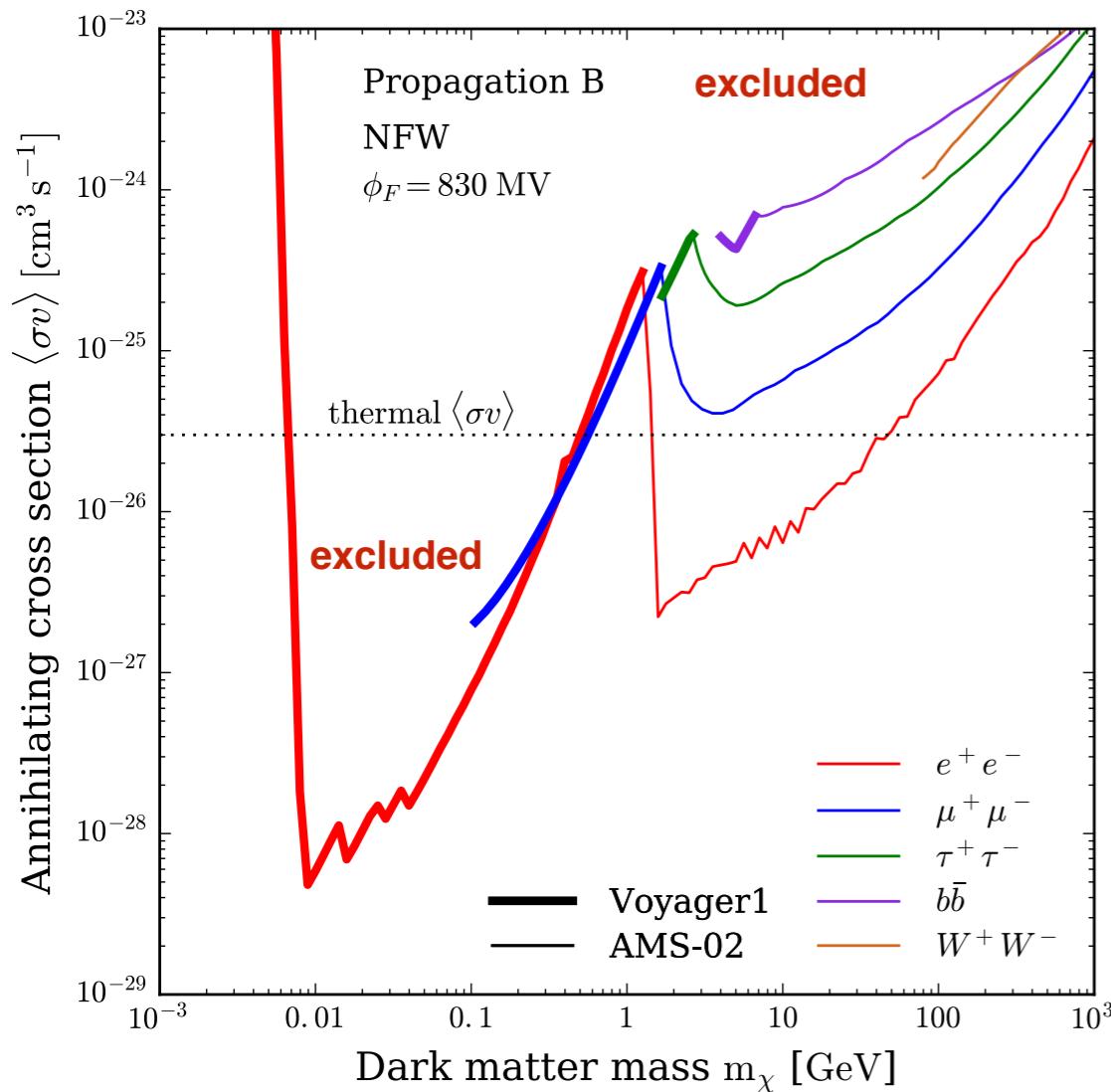


X-rays and γ -rays

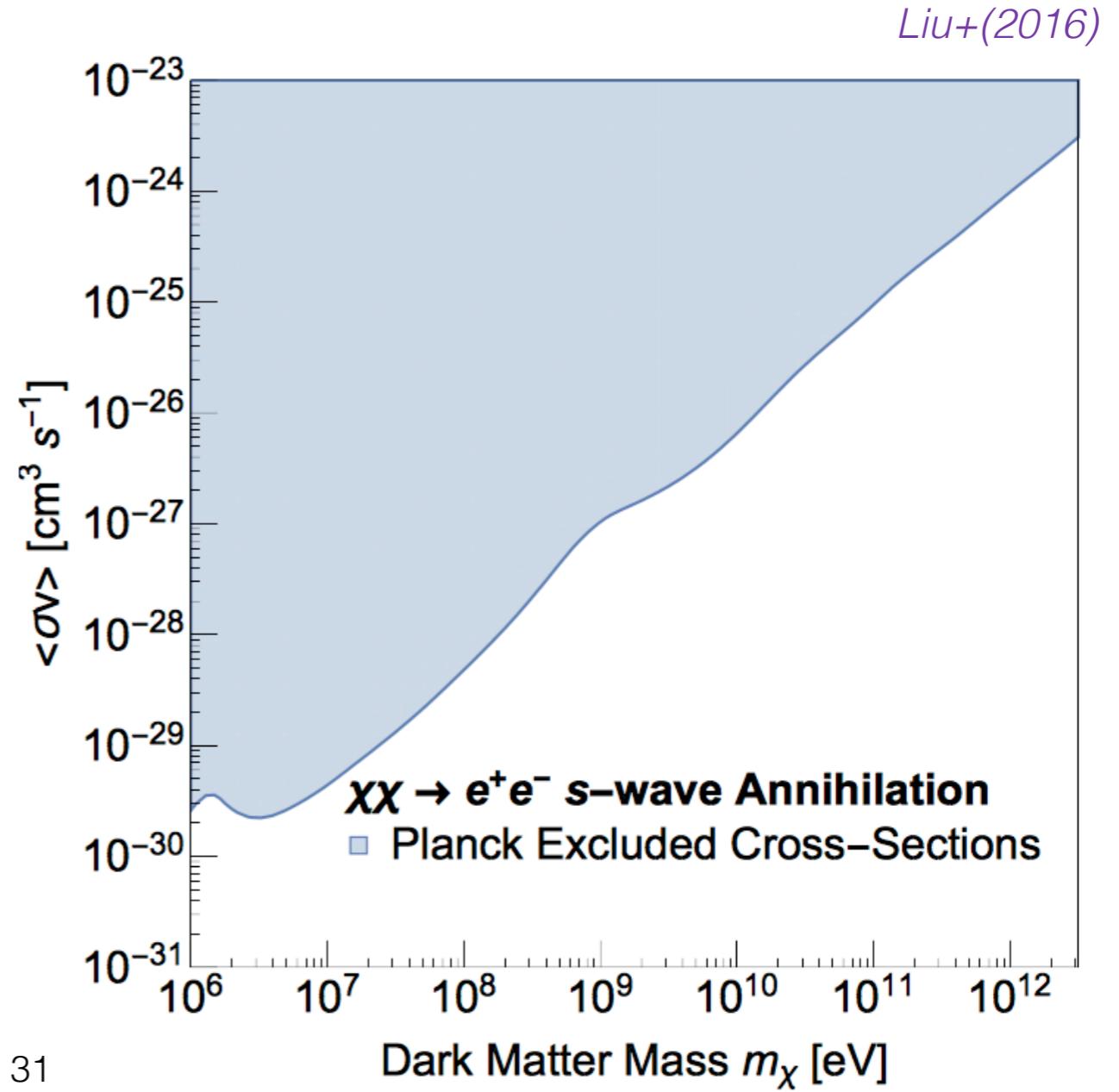
- **More** stringent by more than 1 order of magnitude.
- **Less** sensitive to the DM halo shape.



Comparison with other constraints

**CMB**

- **Less** stringent by 1 order of magnitude for s-wave $\langle\sigma v\rangle$.



p-wave annihilation***MB, J. Lavalle, T. Lacroix, P. Salati and M. Stref (in process)***

In the low velocity limit:

$$\langle \sigma v \rangle = s_0 + s_1 \beta^2 + \mathcal{O}(\beta^4)$$

s-wave contribution



p-wave contribution

CMB epoch

$$\beta(T_{\text{CMB}}) = \beta(T_{\text{FO}}) \times \frac{T_{\text{CMB}}}{T_{\text{FO}}}$$

$$T_{\text{CMB}} \simeq 0.1 \text{ eV}$$

$$\beta(T_{\text{CMB}}) \simeq 10^{-6} \left(\frac{1 \text{ GeV}}{m_{\text{DM}}} \right)$$

Now in the Milky Way

Assuming a Maxwellian distribution with

$$\sigma^2 \equiv \langle v^2 \rangle$$

$$v_c = \sqrt{2} \sigma$$

$$v_c \simeq 240 \text{ km s}^{-1}$$

$$\beta_{\text{MW}} \simeq 10^{-3}$$

Constraints on p-wave annihilations could be more stringent for local observations than CMB.

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$$\langle \sigma v \rangle = s_0 + s_1 \beta^2 + \mathcal{O}(\beta^4)$$

s-wave contribution  p-wave contribution 

Spherical symmetric distribution of DM particles in the Galaxy:

$$f(\vec{v}, \vec{x}) \equiv \frac{d^6 N}{d^3 x d^3 v} = f(|\vec{v}|, r)$$

$$\langle \sigma v \rangle(r) = K_0(r) \int d^3 \vec{v}_1 \int d^3 \vec{v}_2 f(|\vec{v}_1|, r) f(|\vec{v}_2|, r) \sigma v_{12}$$

$$K_0(r) = \int d^3 \vec{v}_1 \int d^3 \vec{v}_2 f(|\vec{v}_1|, r) f(|\vec{v}_2|, r) : \text{normalization factor}$$

$$v_{12} = |\vec{v}_2 - \vec{v}_1| : \text{relative velocity}$$

The Eddington formalism:

A method to derive the DM phase space distribution density starting from a Galactic mass model.

Eddington (1916), Binney and Tremaine (1987)

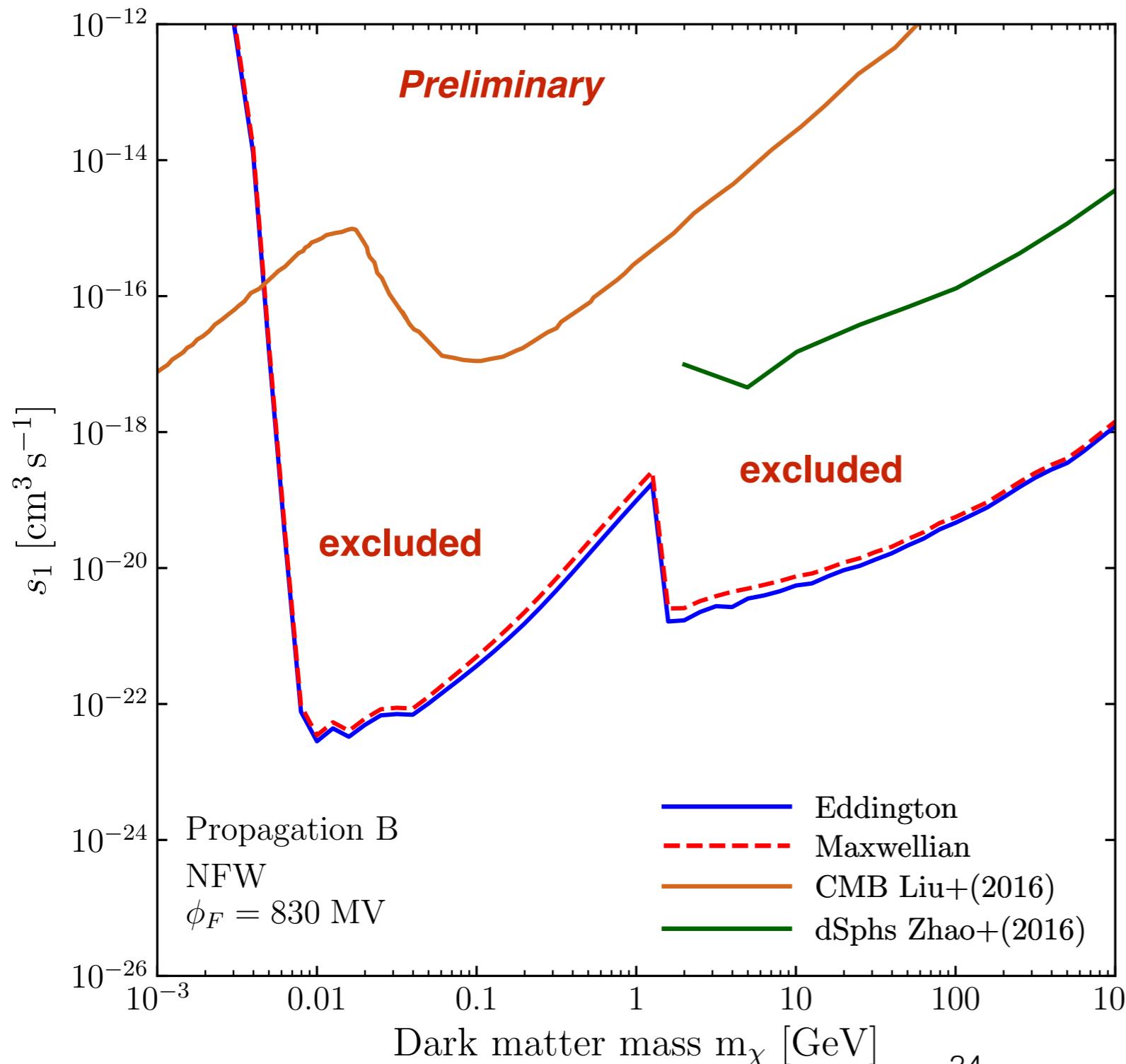
Constraints DM mass models $\rho_{DM}(r)$
e.g: McMillan (2016), Catena & Ullio (2010)

$$\Rightarrow f(|\vec{v}|, r) \Rightarrow \langle \sigma v \rangle(r)$$

p-wave annihilation***MB, J. Lavalle, T. Lacroix, P. Salati and M. Stref (in process)***

$$Q^{\text{DM}}(E, r) = \frac{1}{2} m_\chi^2 \rho^2(r) \langle \sigma v \rangle(r) \frac{dN}{dE}$$

$$\rho_{\text{eff}}^2(r) = \rho^2(r) \langle \sigma v \rangle(r)$$



- More stringent by 3 to 8 orders of magnitude than CMB constraints.
- More stringent by 4 orders of magnitude than dSph constraints.

Conclusions and outlook

- The **pinching method** enables to compute **analytically** the electrons and positrons flux below 10 GeV taking into account all propagation effects.

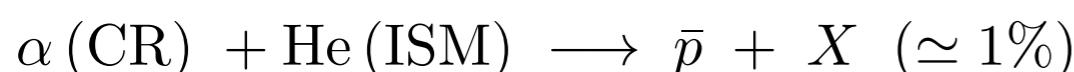
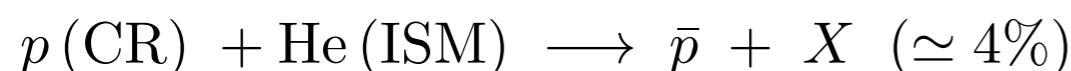
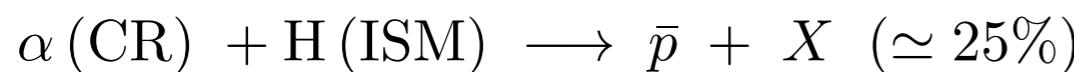
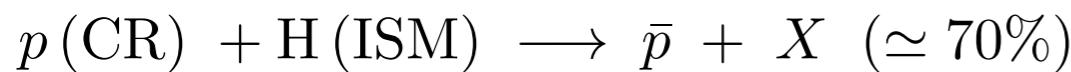
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Astrophysical background of secondary antiprotons

$$q^{\text{II}}(E, r) = 4\pi \sum_{i=p,\alpha} \sum_{j=\text{H,He}} \int_{E^0}^{+\infty} dE_i \frac{d\sigma_{ij \rightarrow \bar{p}X}}{dE}(E_i \rightarrow E) \phi_i(E_i, r) n_j$$

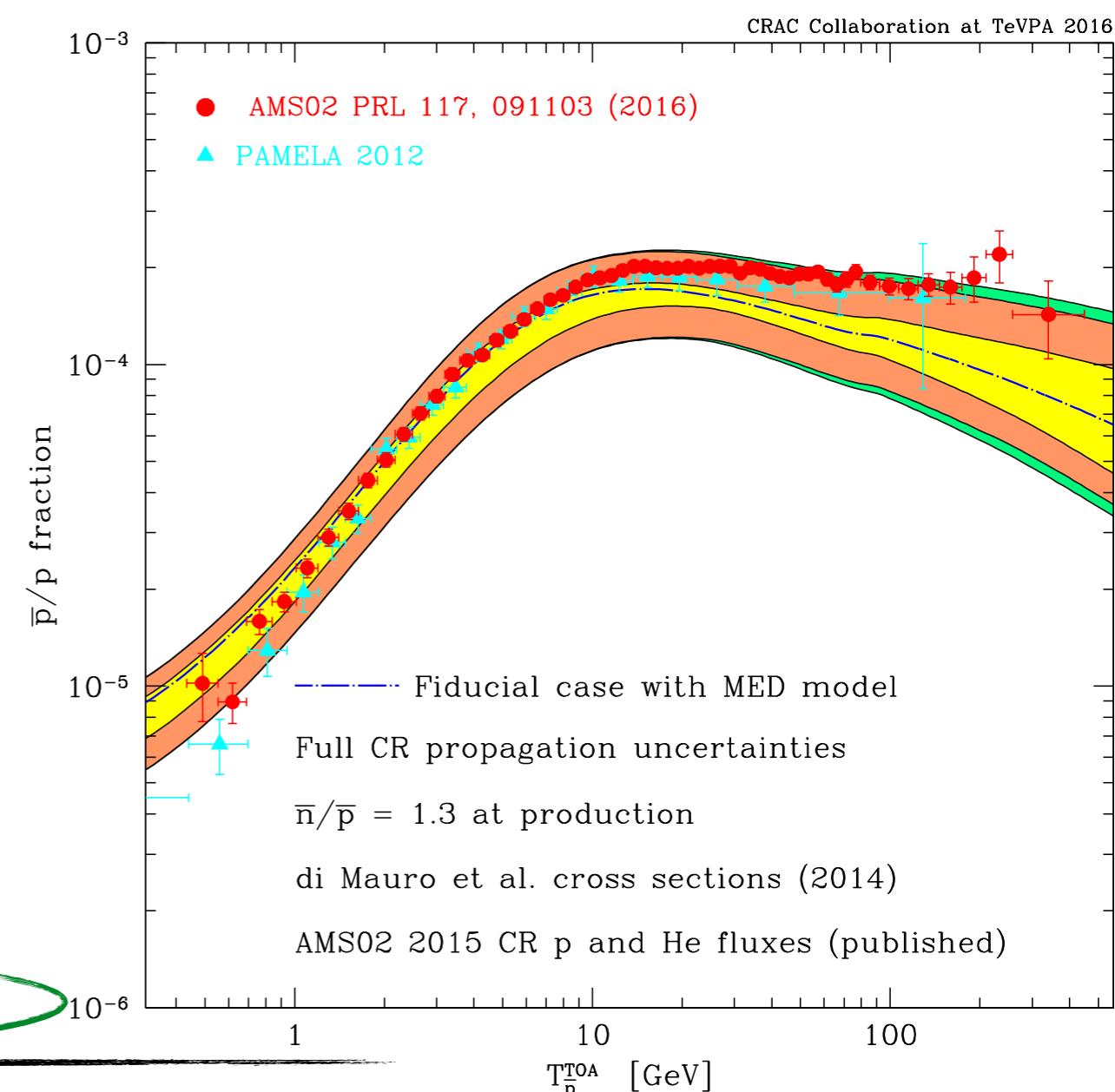
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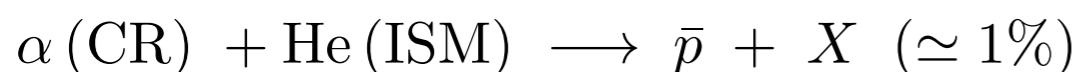
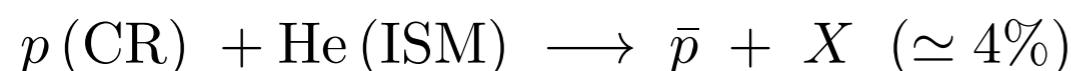
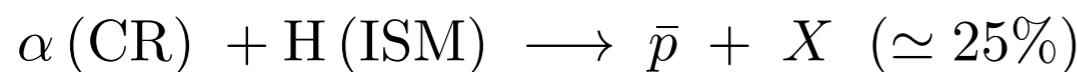
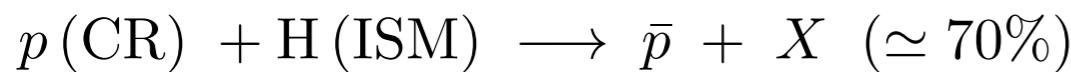
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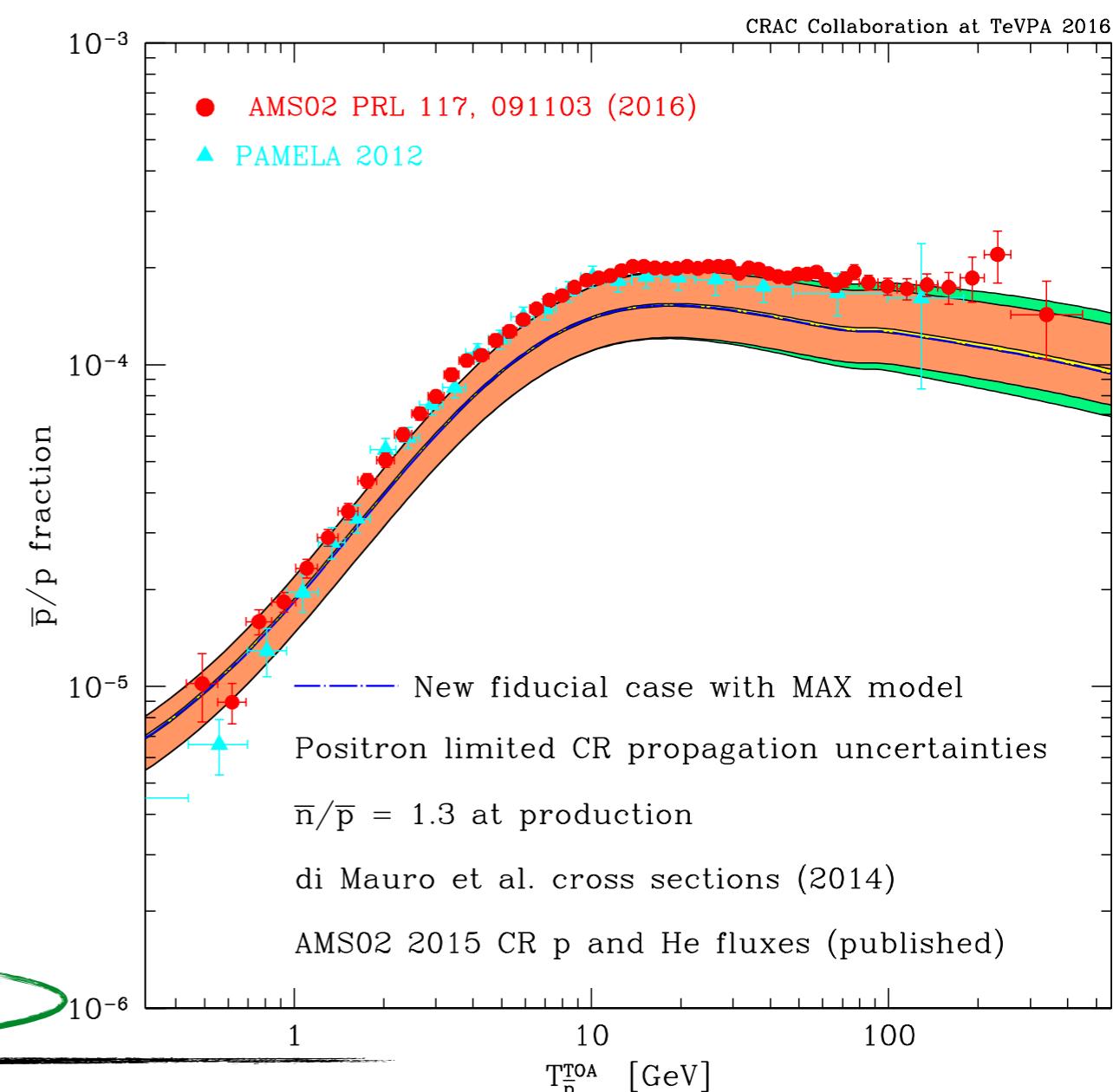
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- The **pinching method** enables to compute **analytically** the electrons and positrons flux below 10 GeV taking into account all propagation effects.
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- We derive constraints on **MeV** Dark Matter using **Voyager-I** and **AMS-02 data**. Our constraints are competitive with X-rays and γ -rays ones as well as CMB ones.

The constraints are more stringent than the one obtained from X-rays and γ -rays.

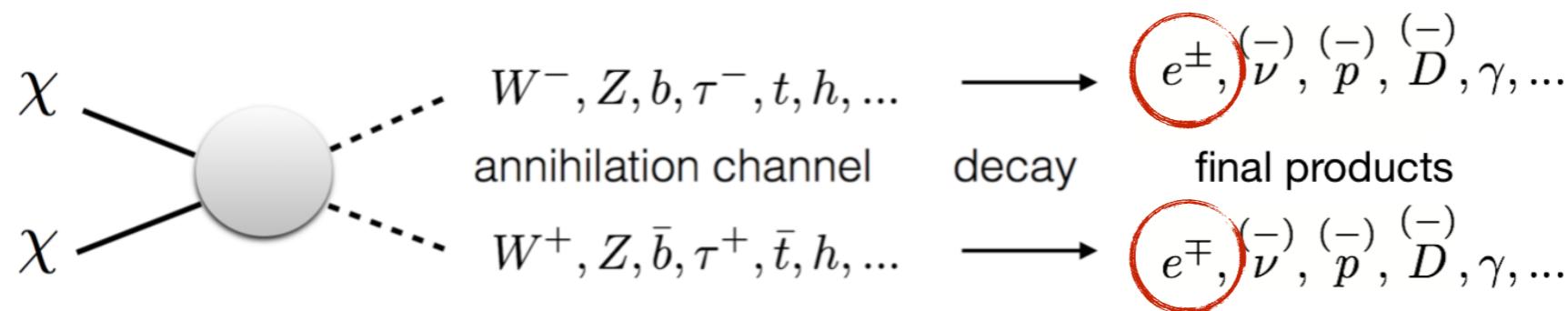
Less (more stringent) compared to CMB constraints for s-wave (p-wave) $\langle\sigma v\rangle$.

Thank you for your attention!

Questions?

Back up

The dark matter scenario



A very generic class of models

$$\chi\chi \rightarrow \phi\phi \rightarrow 2B_e e^+e^- + 2B_\mu \mu^+\mu^- + 2B_\tau \tau^+\tau^-$$

Free parameters

- Propagation parameters
(consistent with secondaries)
 K_0, δ, L, V_C, V_A
- Dark matter parameters
The mass m_χ
The annihilating cross section $\langle\sigma v\rangle$
- Solar modulation (Phisk potential)
 $\phi_F \in [647, 830] \text{ MV}$ (3 σ CL) *Ghelfi+(2015)*
The branching ratios B_τ, B_μ, B_e

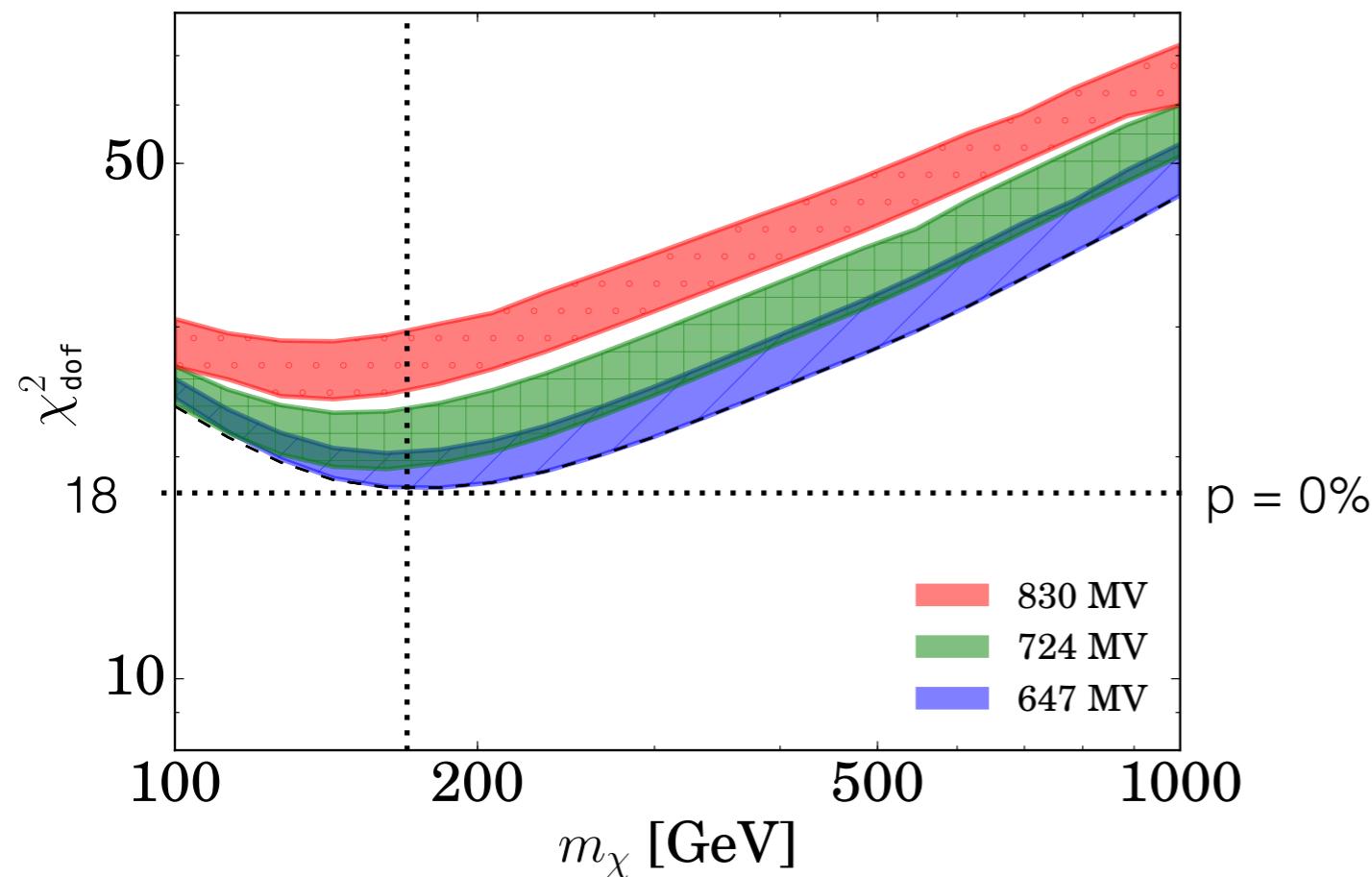
The Dark Matter scenario

Is it possible to obtain a satisfactory fit to the AMS-02 data?

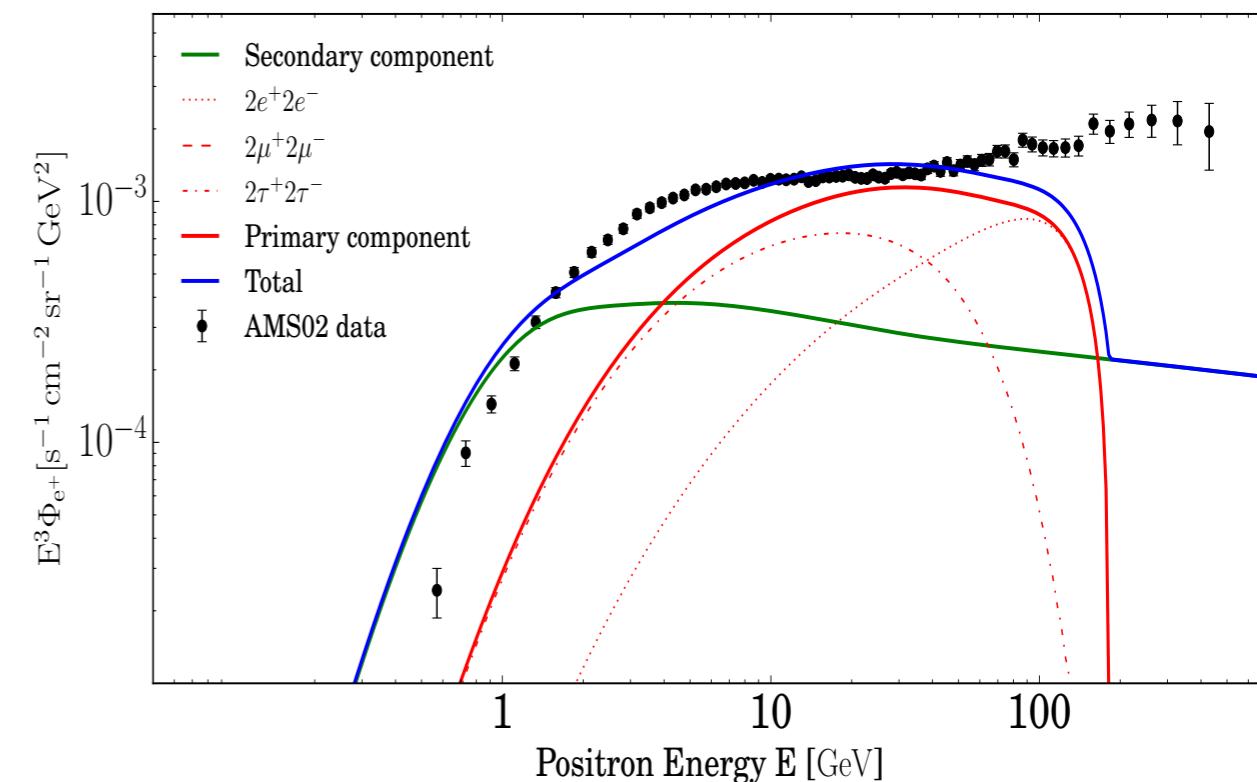
NO !

$$m_\chi = 183 \text{ GeV}$$

MB+(2016a)



p = 0%



The spectrum of e^+ from DM annihilations **cannot** account for the **shape** of the spectrum measured by AMS-02.

The positron flux produced by DM is restricted « around » the DM mass.

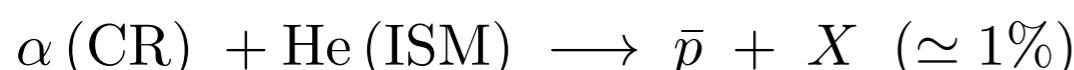
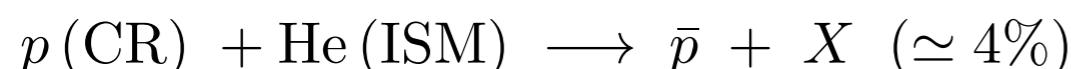
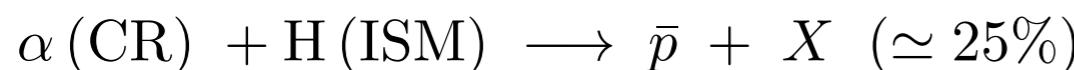
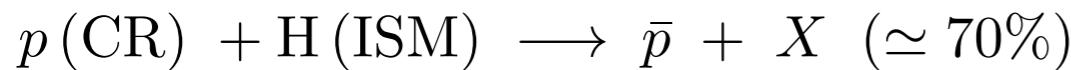
The poor quality of the fit disfavours a pure DM explanation for the positron excess!

This conclusion is based only on the positron data and does not require constraints from other channels
(gamma rays, antiprotons, CMB, etc.)

Astrophysical background of secondary antiprotons

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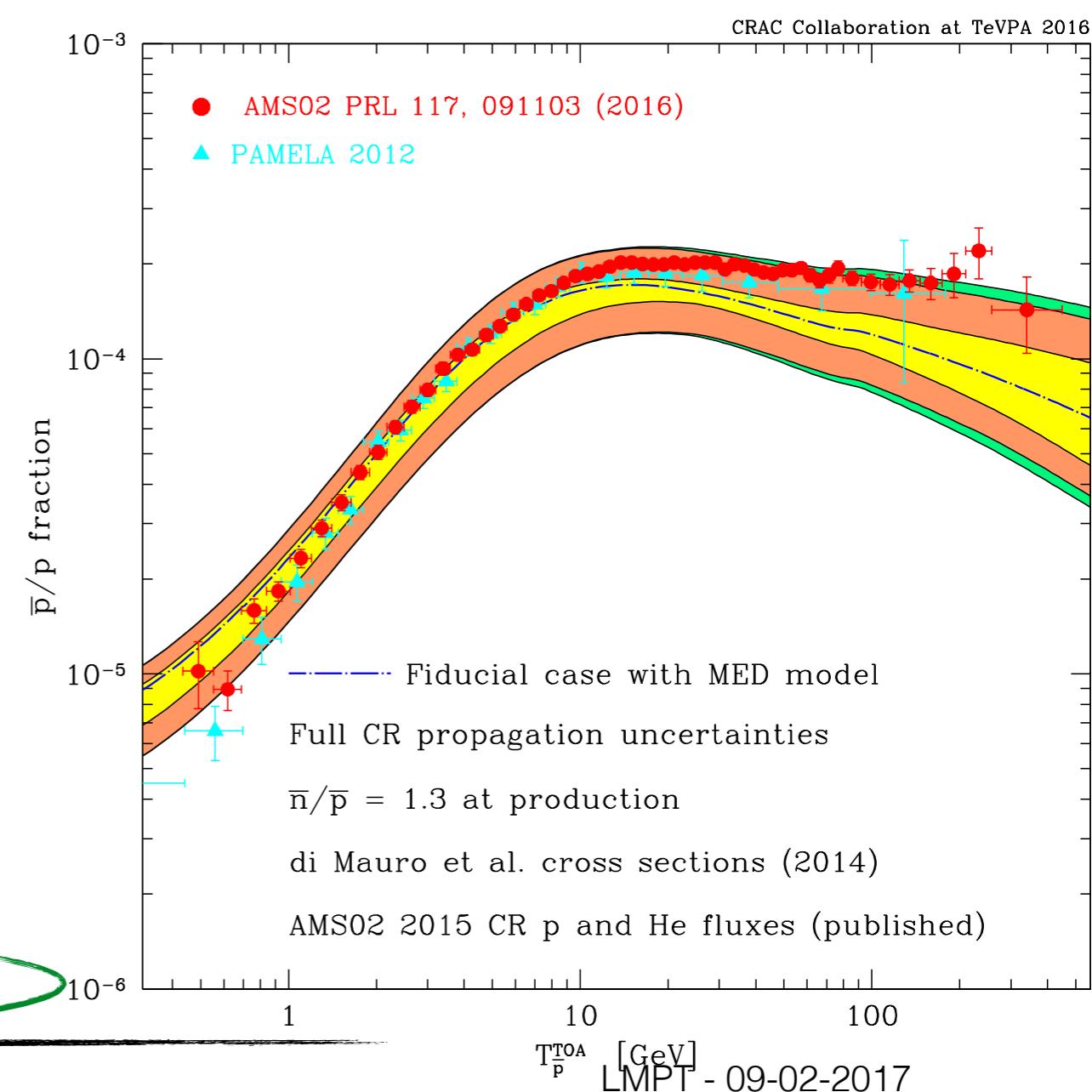
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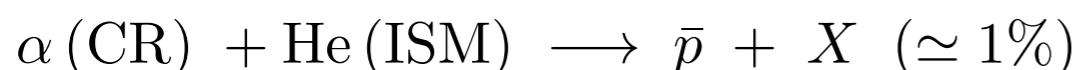
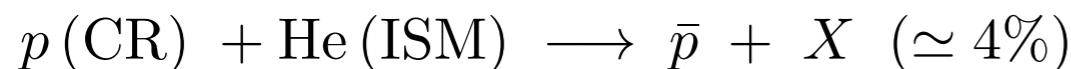
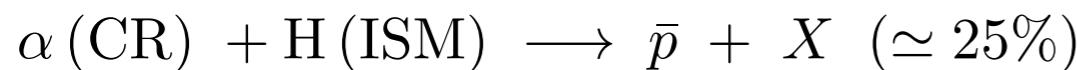
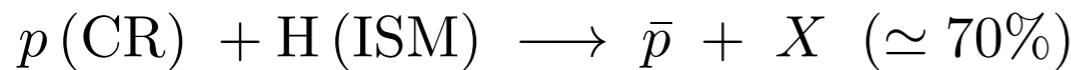
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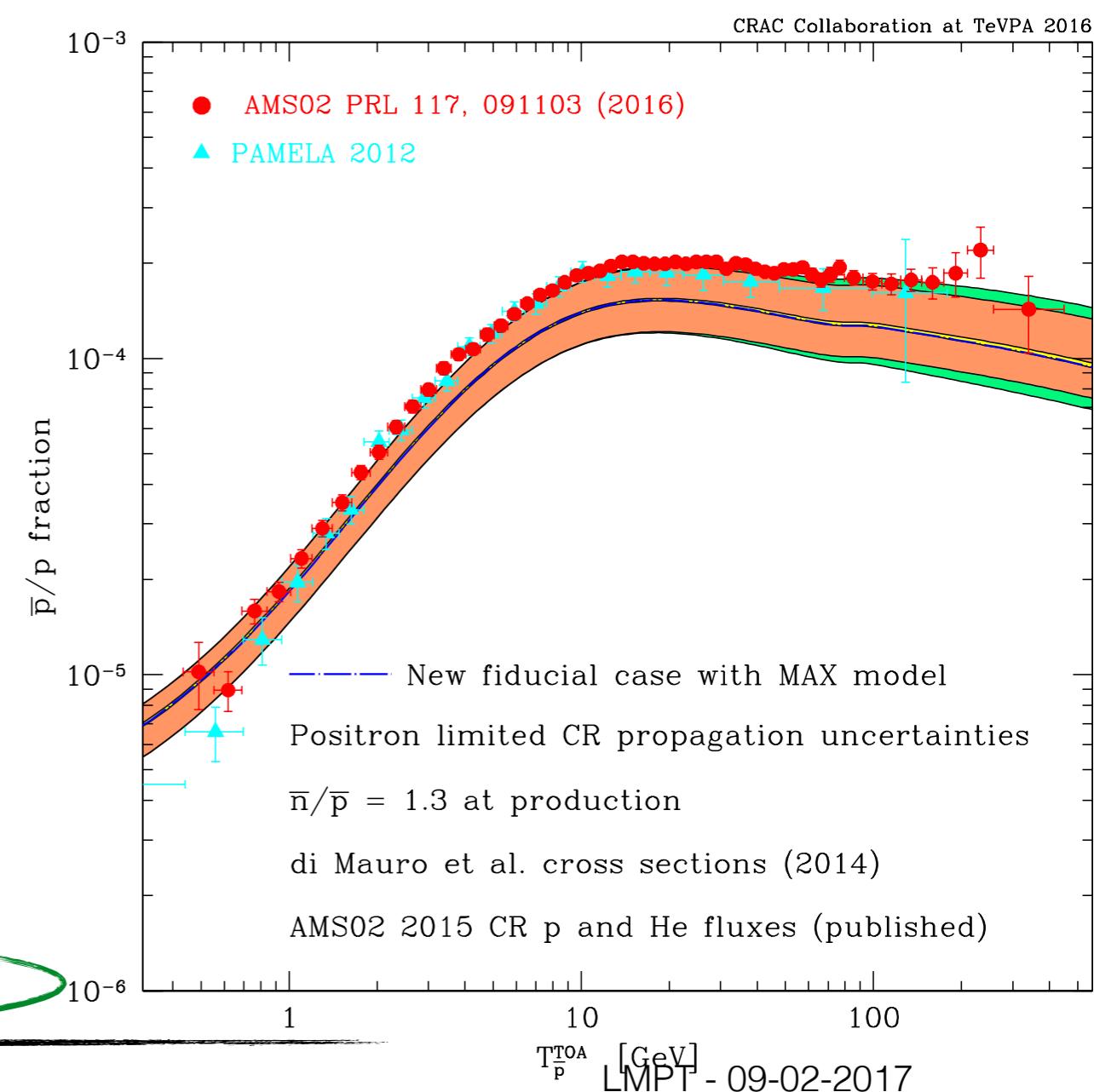
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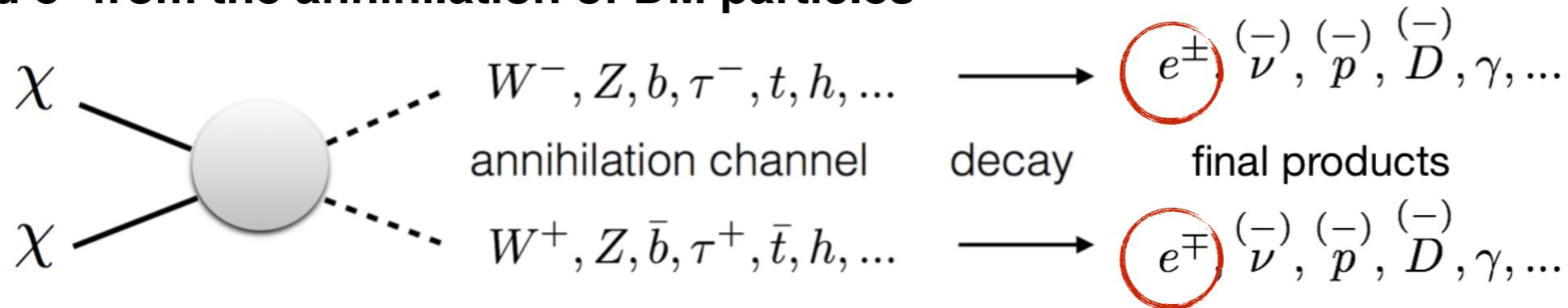
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e⁻ and e⁺ from the annihilation of DM particles



$$Q_{e^+}^{\text{DM}}(E, \vec{x}) = \underbrace{\left(\frac{\rho(\vec{x})}{m_\chi} \right)^2}_{\text{astrophysics}} \times \frac{1}{2} \sum_i \langle \sigma v \rangle B_i \frac{dN_i(E)}{dE}$$

$\rho(\vec{x})$: DM density profile
NFW *McMillan(2016)*

$\frac{dN_i}{dE}$: e⁻ and e⁺ spectrum at source
Core *McMillan(2016)*

MicrOmegas

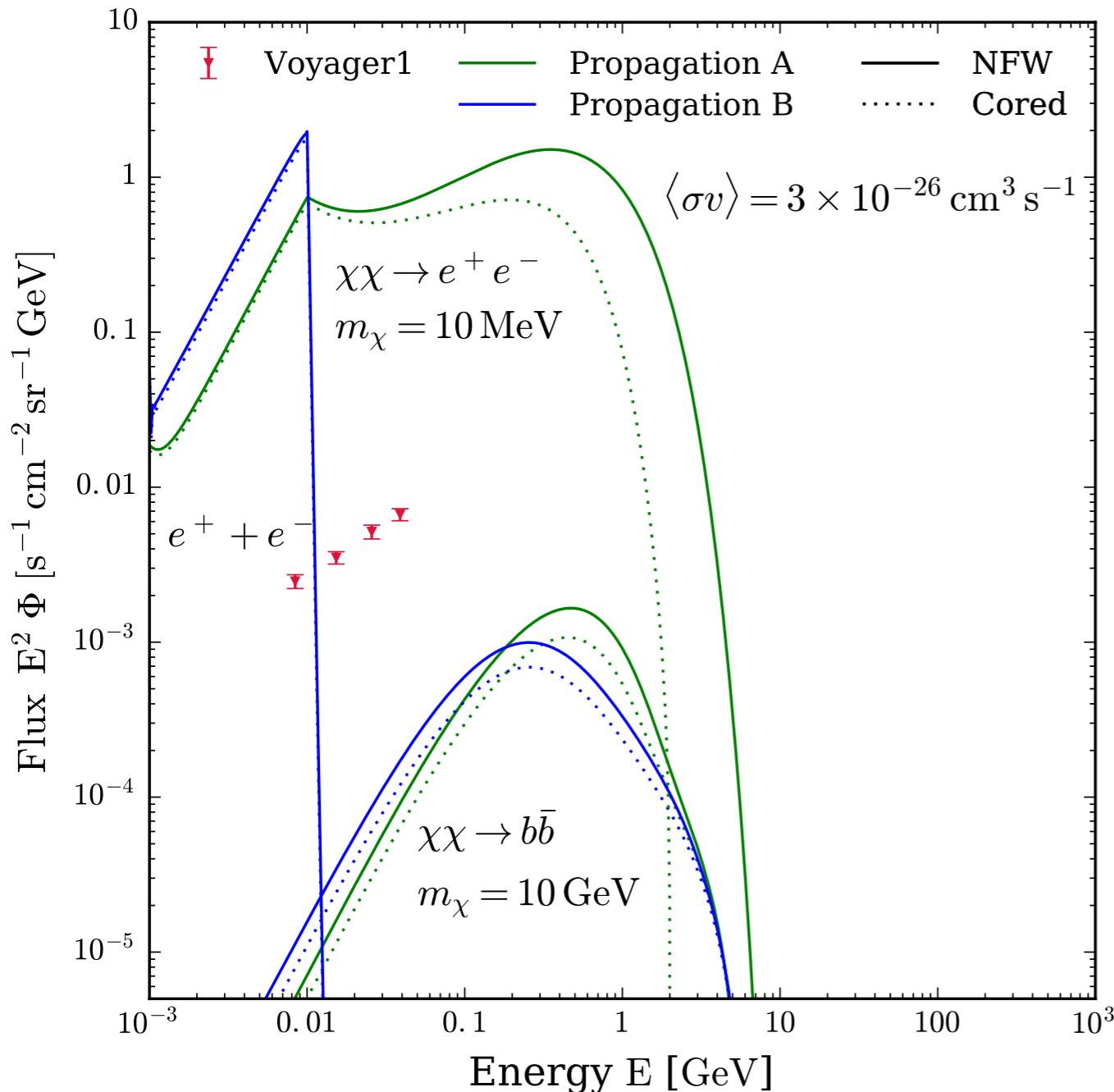
Cosmic rays propagation parameters

- **Model A:** MAX from B/C analysis of *Maurin+(2001)* consistent with AMS-02 positrons and antiprotons data.
- **Model B:** best fit model of *Kappl+(2015)* on preliminary AMS-02 B/C data.

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$$V_A = 31.9 \text{ km/s}$$

Constraints on DM annihilating cross section



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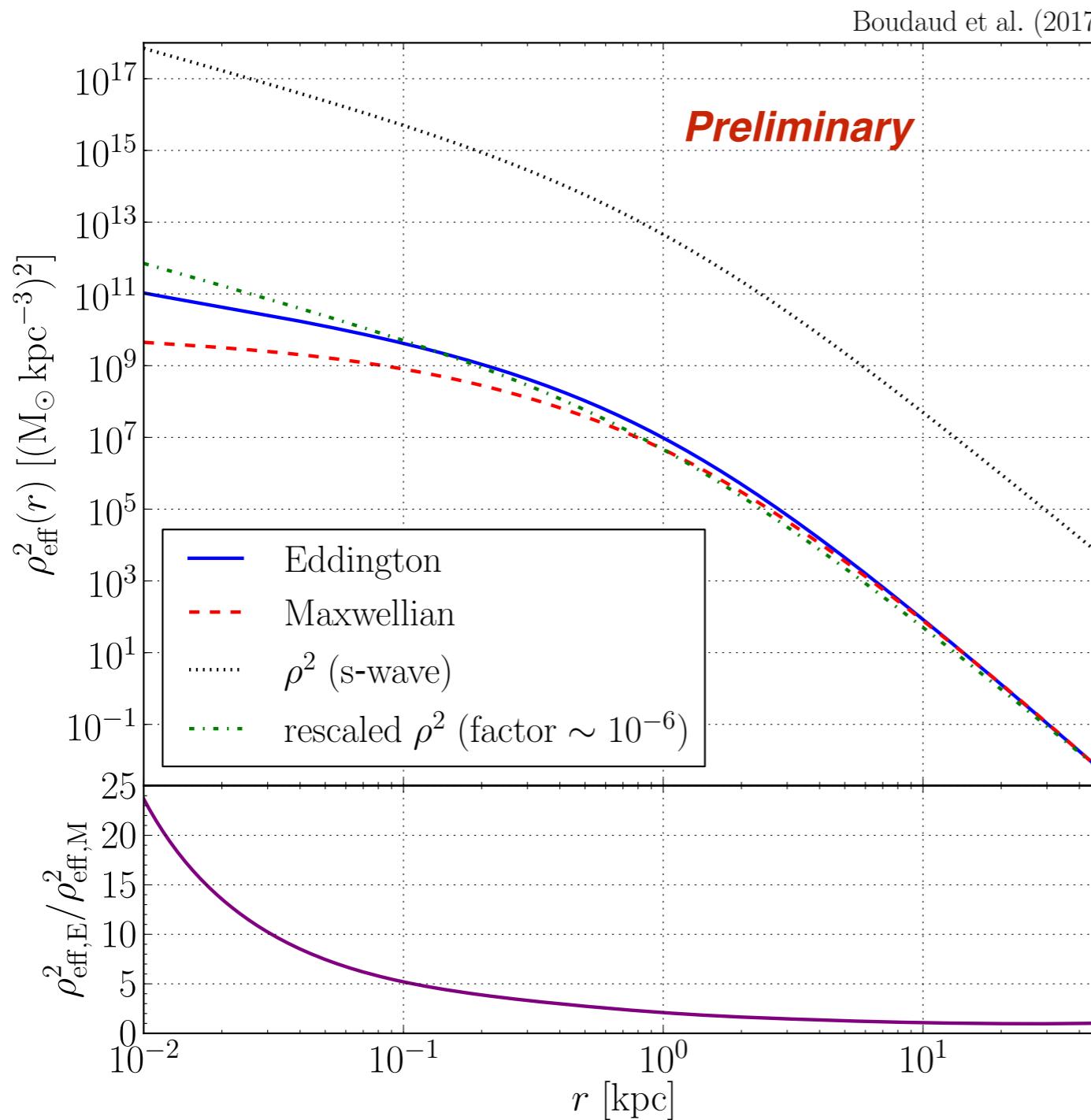
$$V_A = 117.6 \text{ km/s}$$

- **Model B:**

$$V_A = 31.9 \text{ km/s}$$

p-wave annihilation***MB, J. Lavalle, T. Lacroix, P. Salati and M. Stref (in process)***

$$Q^{\text{DM}}(E, r) = \frac{1}{2} m_{\chi}^2 \rho^2(r) \langle \sigma v \rangle(r) \frac{dN}{dE}$$



$$\rho_{\text{eff}}^2(r) = \rho^2(r) \langle \sigma v \rangle(r)$$

- e.g. NFW from McMillan (2016)

More than one order of magnitude different from the commonly used Maxwellian distribution nearby the GC (10 pc).

Dark matter indirect detection

Measure an excess of cosmic rays with respect to the astrophysical background.

