

Combinations of cosmic microwave background and large-scale structure cosmological probes

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Two studies with Planck
and SDSS-III/BOSS data

... and some
ideas for LSST



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Outline

- ▶ **INTRODUCTION**

 - Why and how combine cosmological probes?

- ▶ **JOINT ANALYSIS OF PLANCK & BOSS DATA**

 - Planck and BOSS

 - Methodology

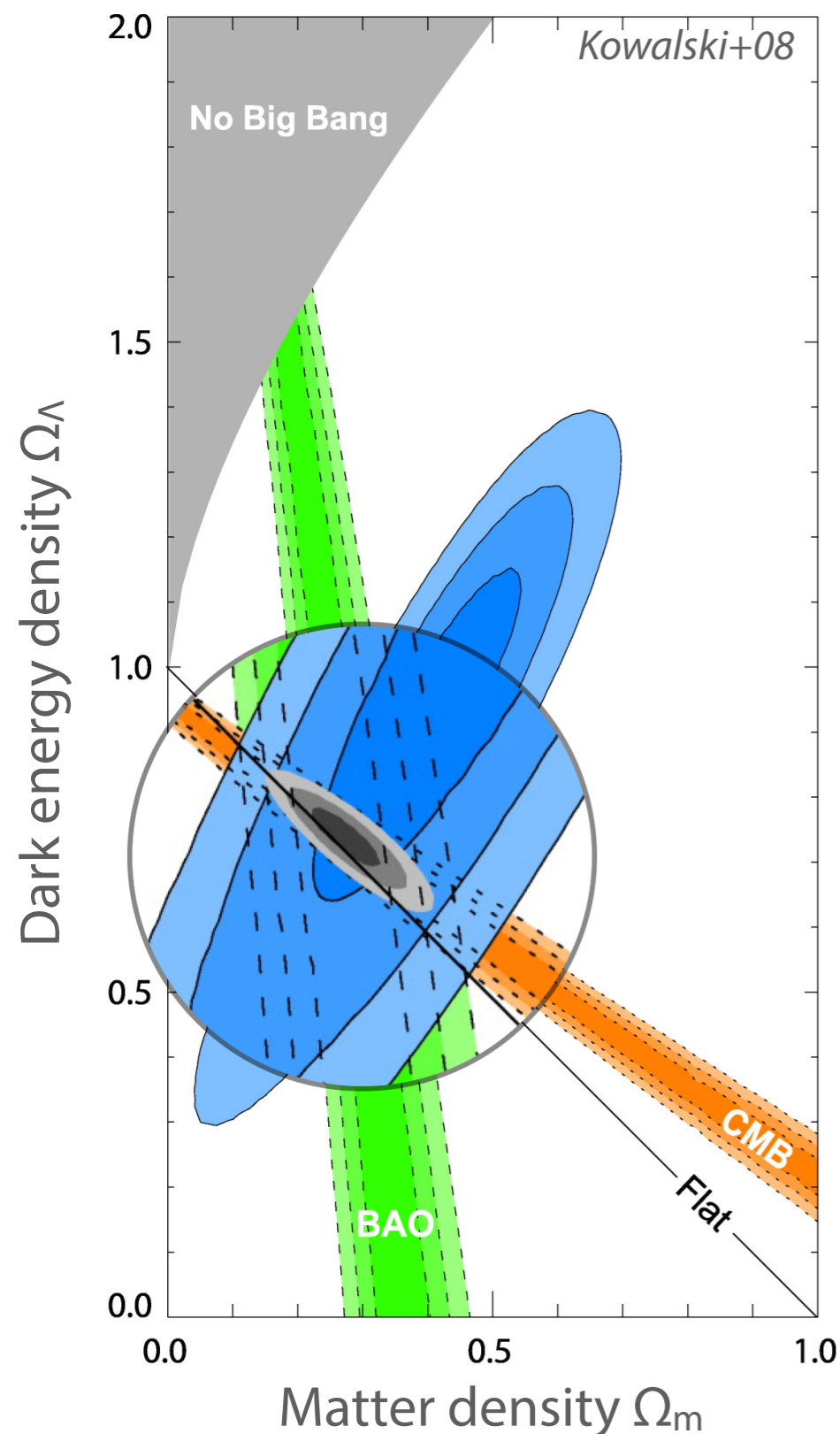
 - Results

- ▶ **LY- α FOREST \times CMB LENSING BISPECTRUM**

- ▶ **THESIS CONCLUSIONS**

- ▶ **LOW-LEVEL COMBINATION OF WEAK LENSING SURVEYS**

Independent probes



Combination of independent probes

- breaks degeneracies
- shows that the Universe is **flat** Λ CDM

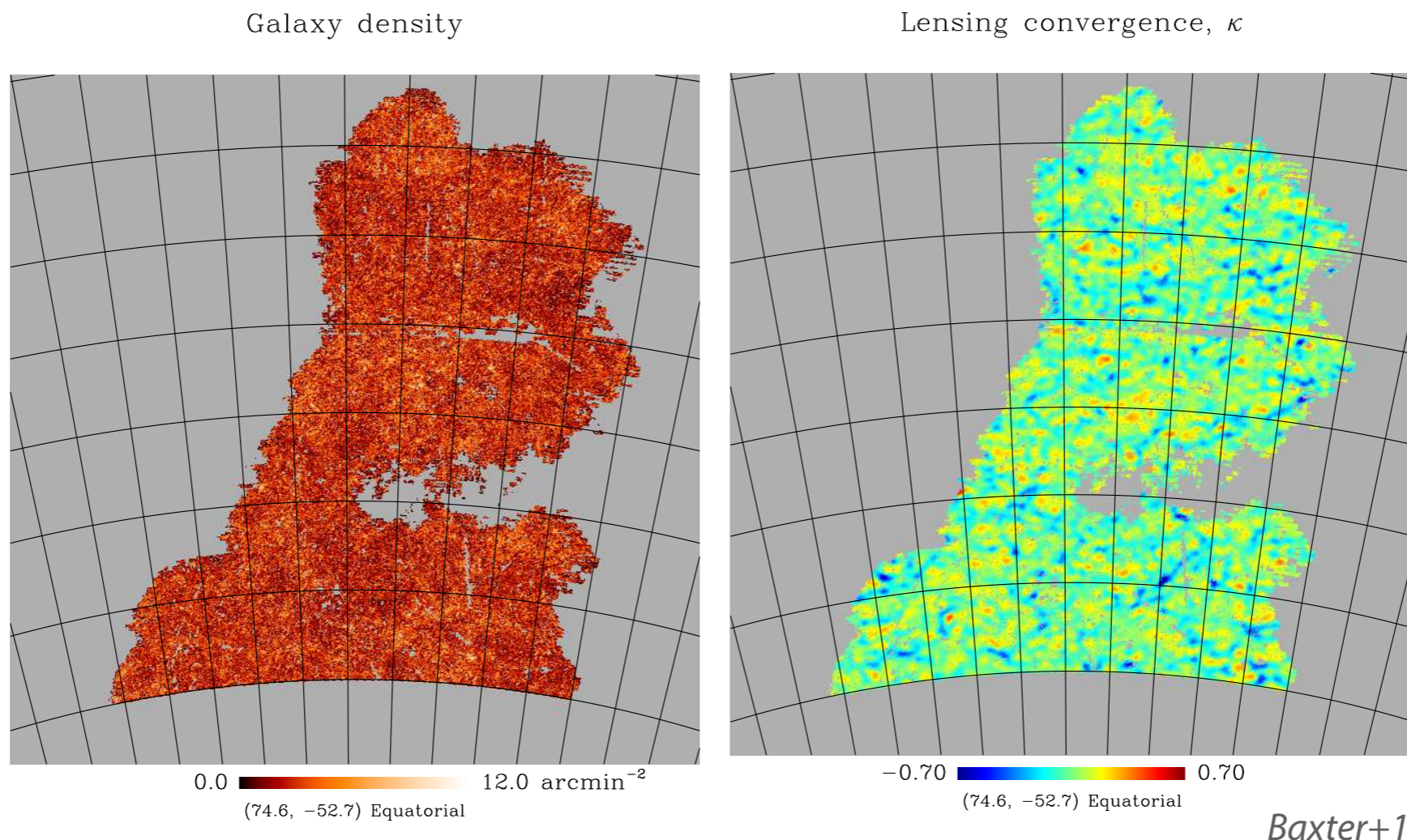
However it involves some unknowns:

- dark energy?
- dark matter?
- inflation?

⇒ we need to track more *information/data*

- ▶ new experiments: LSST, Euclid, WFIRST, CMB-S4, DESI
AND
- ▶ **exploiting cross-correlations**

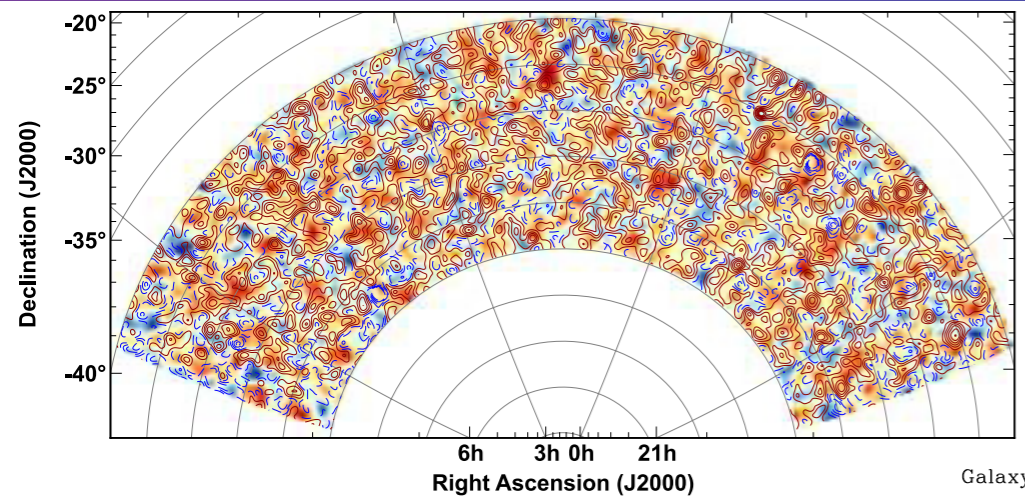
Correlated cosmological probes



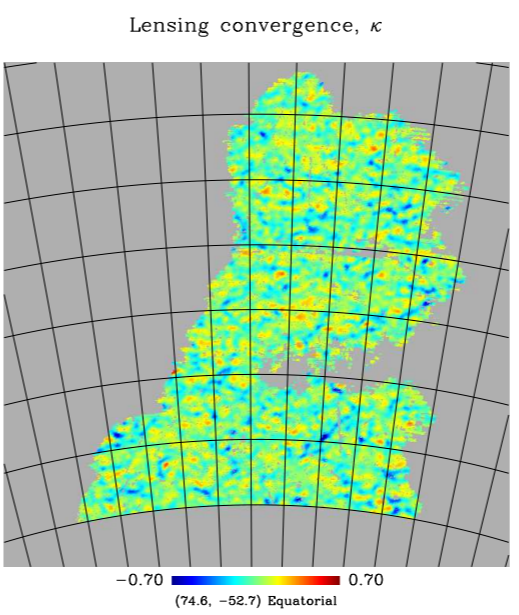
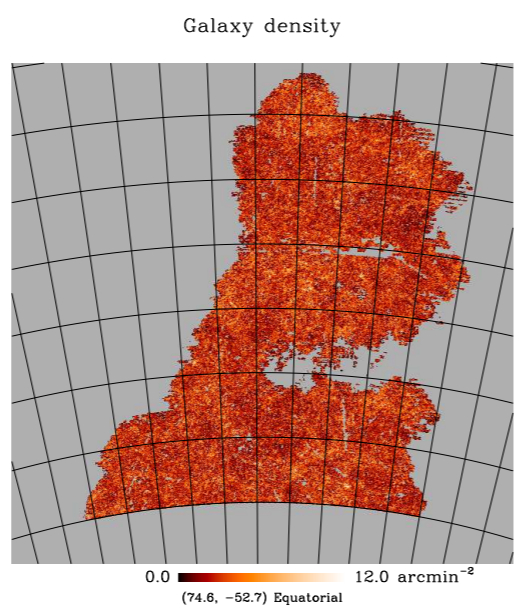
- ▶ **cosmic probes** mapping the *same matter volume* are correlated
→ ex: galaxy density/velocities, CMB/galaxy lensing, 2nd CMB anisotropies
- ▶ cross-correlations hold *extra information*

$$\Delta S = S_{\mathcal{L}(X,Y)} - S_{\mathcal{L}(X)\mathcal{L}(Y)} = \ln \sqrt{1 - \frac{\text{cov}(X,Y)^2}{\sigma_X^2 \sigma_Y^2}} < 0$$

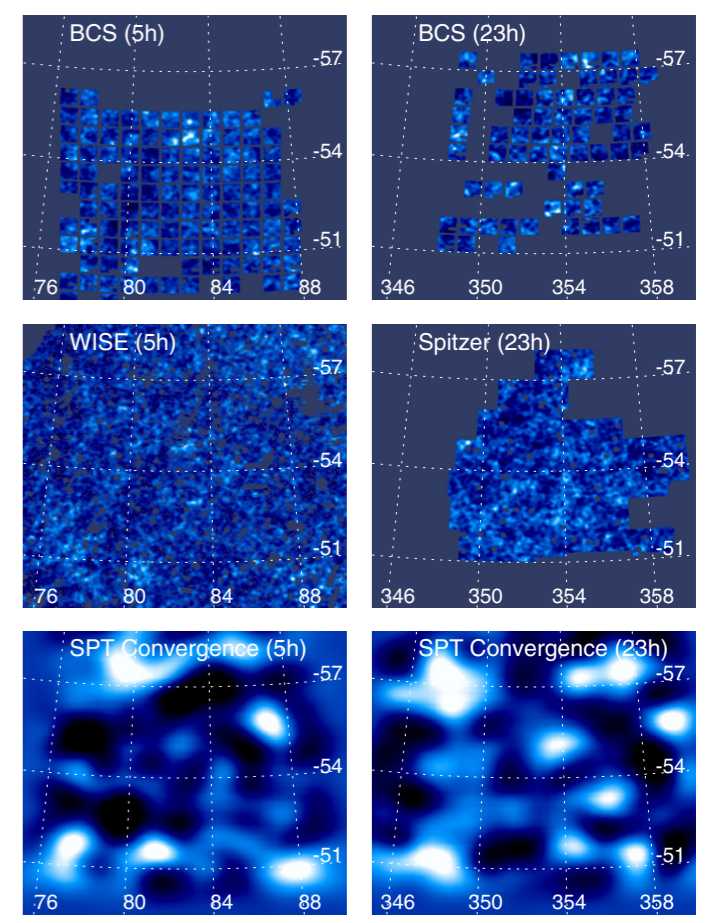
CMB lensing × LSS tracers



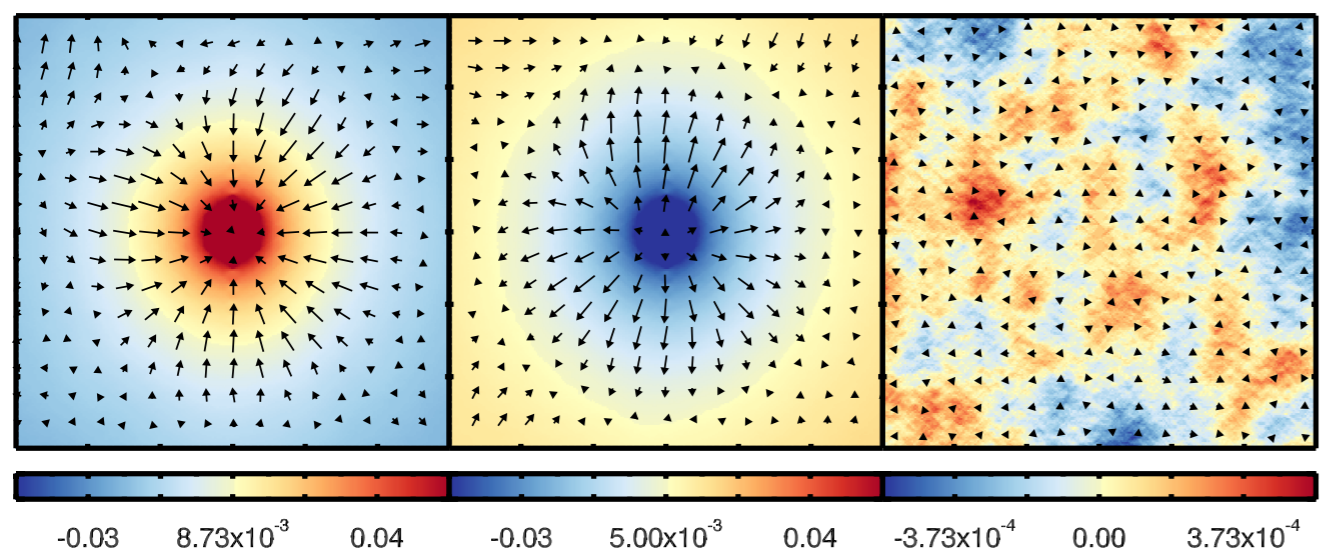
Geach+13 : SPT x WISE



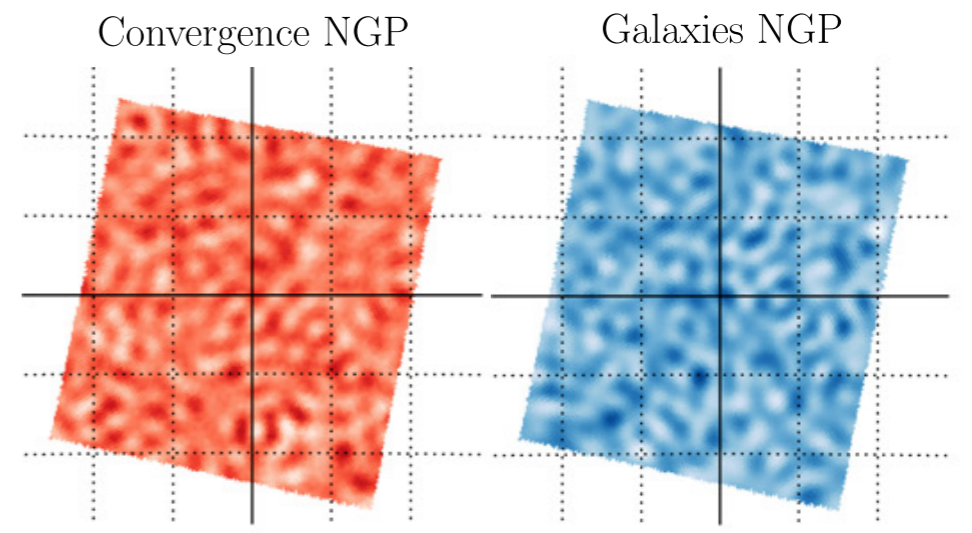
Baxter+16 : DES SV x SPT



Bleem+12 : SPT x WISE & Spitzer

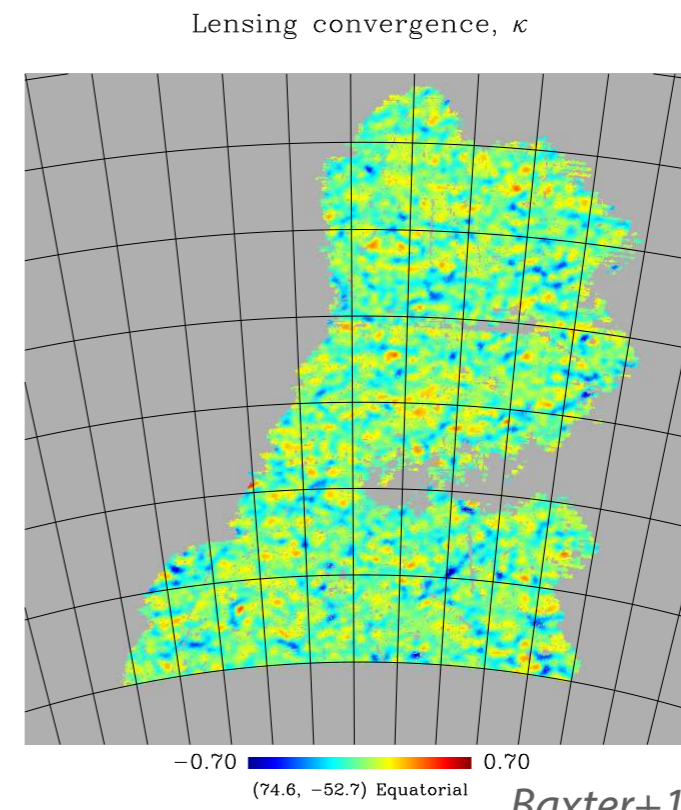
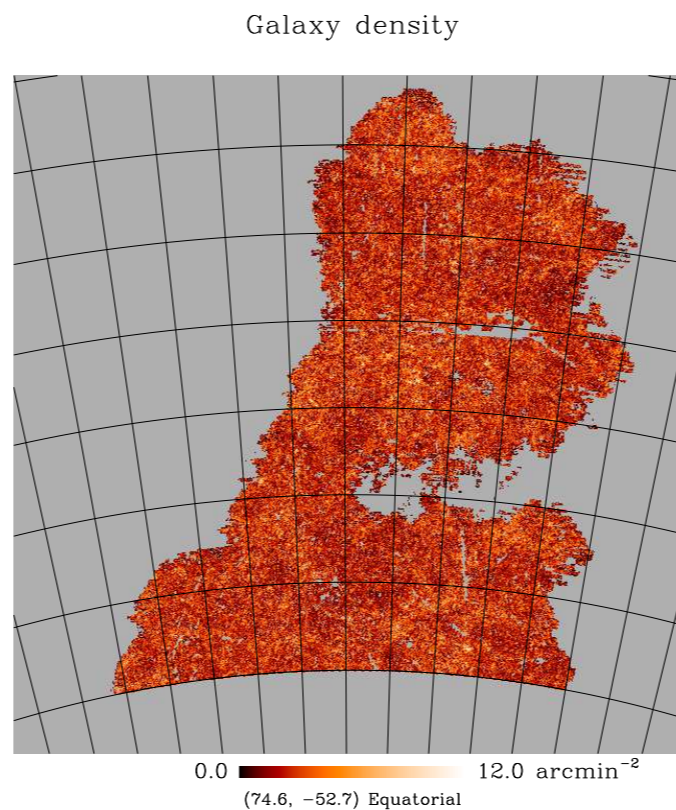
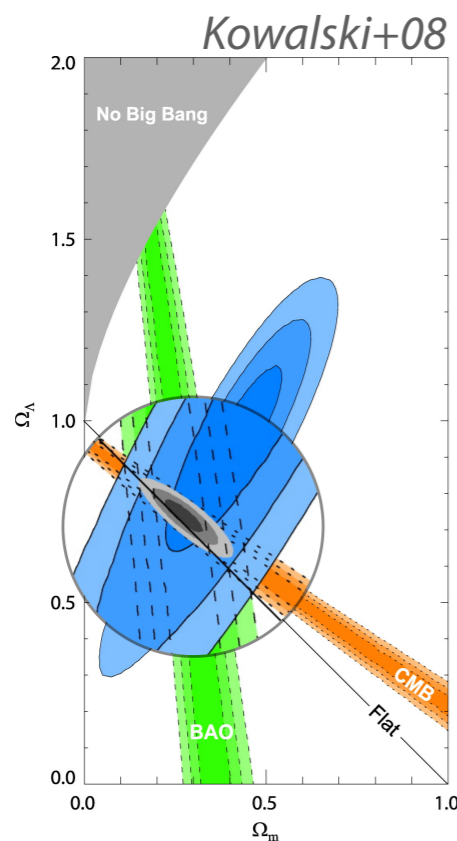


Planck13 : CIB x lensing



Bianchini+15 : Herschel x Planck

Exploiting combinations of probes



Baxter+16

MOTIVATIONS

- ▶ Combinations of probes \Rightarrow break degeneracies
- ▶ Cross-correlations of *correlated* probes
 - \rightarrow contain *free extra information* \Rightarrow sharper constraints
 - \rightarrow they are less prone to systematics (noise uncorrelated)

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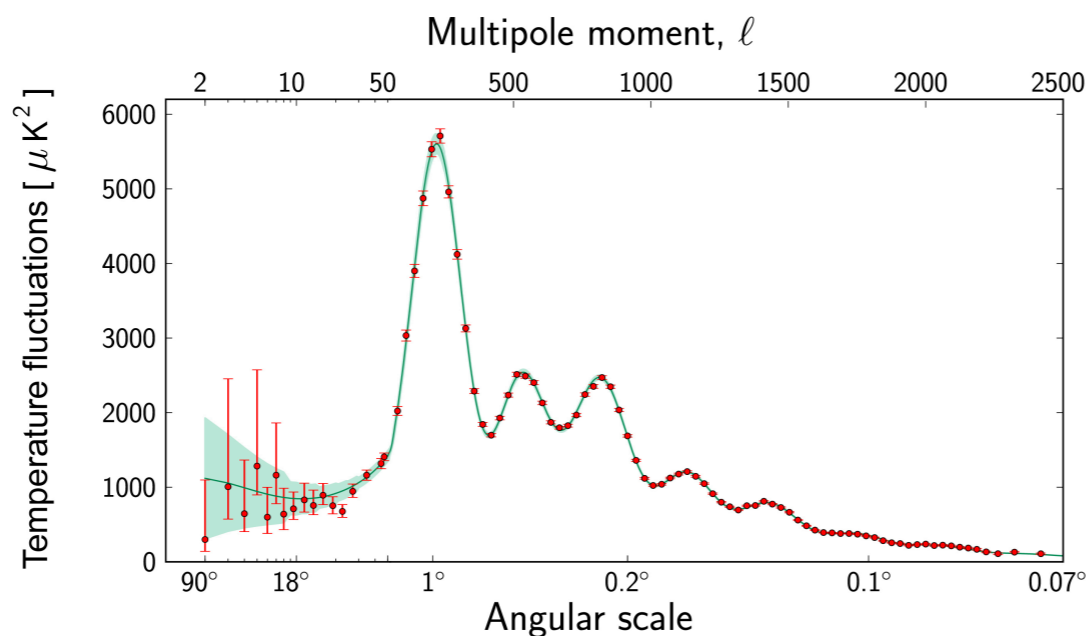
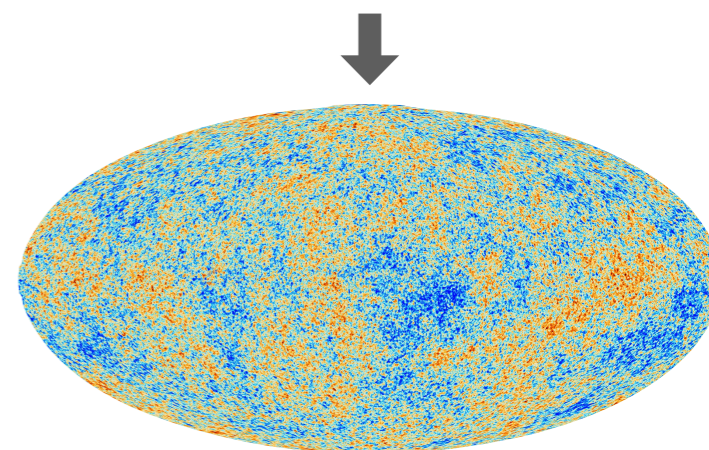
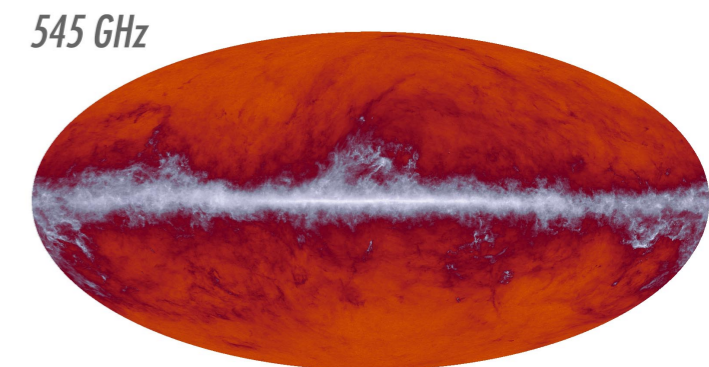
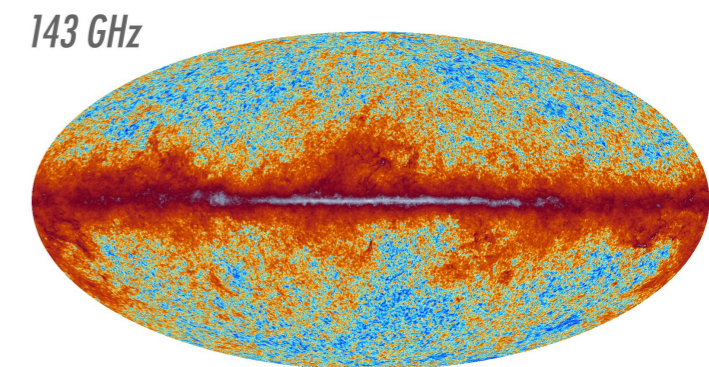
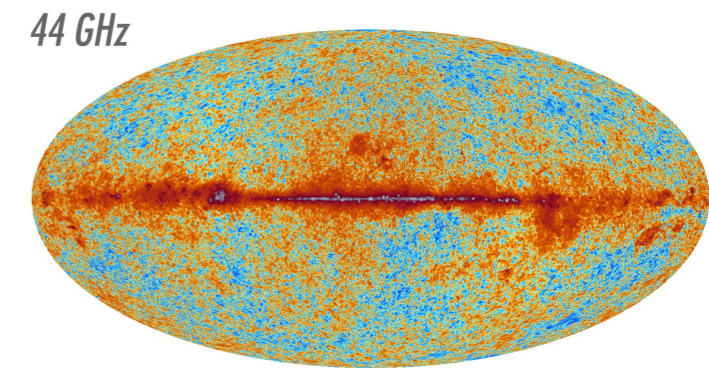
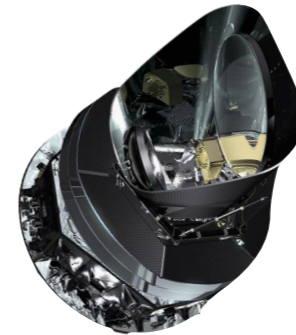
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Planck

- ▶  **esa** full sky CMB satellite, launched in 2009, orbiting at L2
- ▶ two instruments on board :
 - LFI (30, 44, 77 GHz)
 - HFI (100, 143, 217, 353, 545, 857 GHz)
- ▶ CMB maps : SMICA
- ▶ C_ℓ^{TT} likelihood : low- ℓ (commander) + high- ℓ (Plik)
- ▶ CMB lensing map, SZ clusters, foreground maps, polarization, dust, magnetic field...



CMB lensing

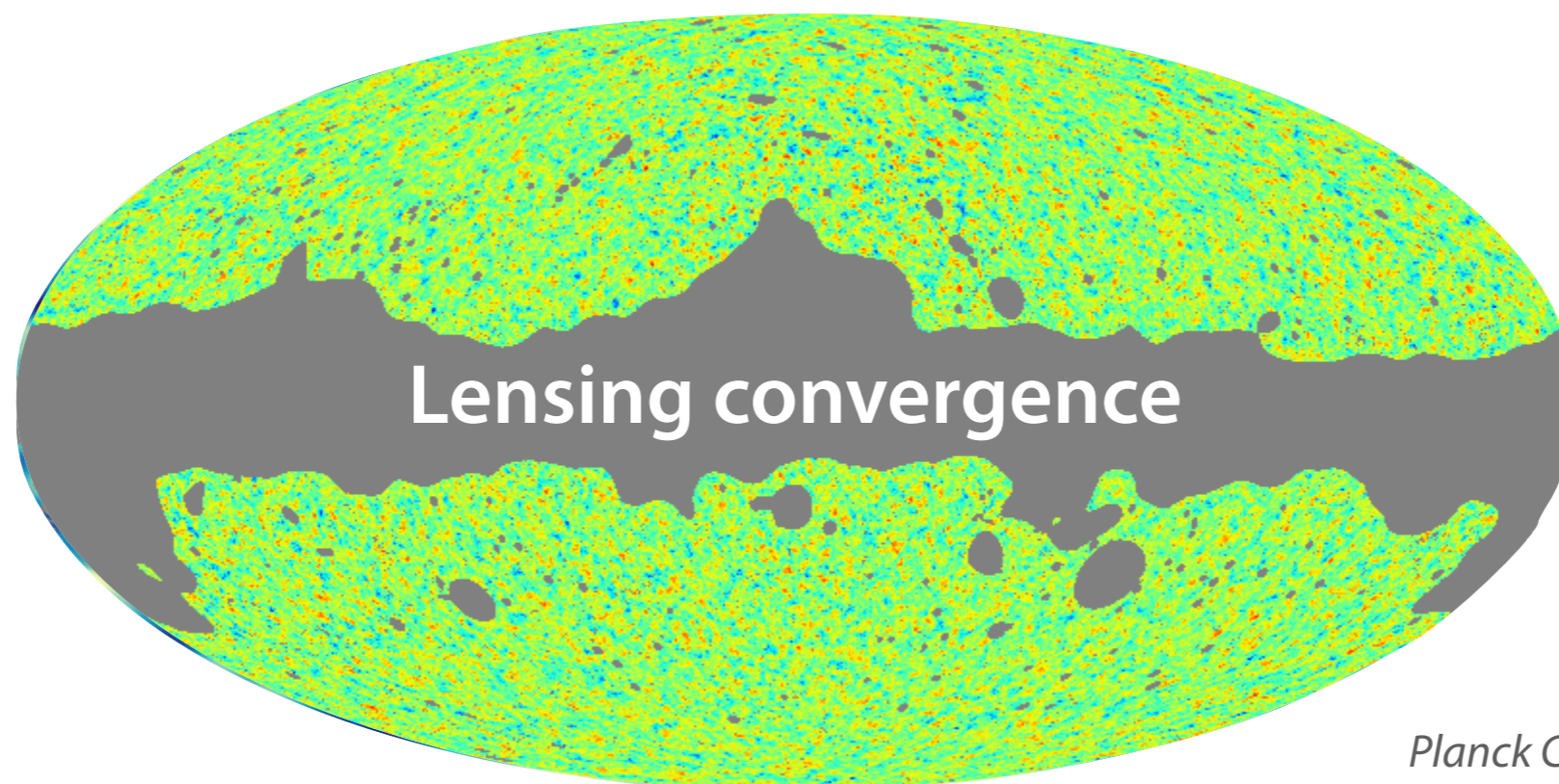
- ▶ Remapping of CMB (2' deflection, coherent on patches 2°) :

$$T_{\text{obs}}(\hat{n}) = T(\hat{n} + \nabla\phi(\hat{n}))$$

- ▶ Lensing potential and **convergence** :

$$K_{\text{CMB}} = -\frac{1}{2}\nabla^2\phi$$

- ▶ K_{CMB} weighs matter along the l.o.s. \Rightarrow correlated with LSS tracers



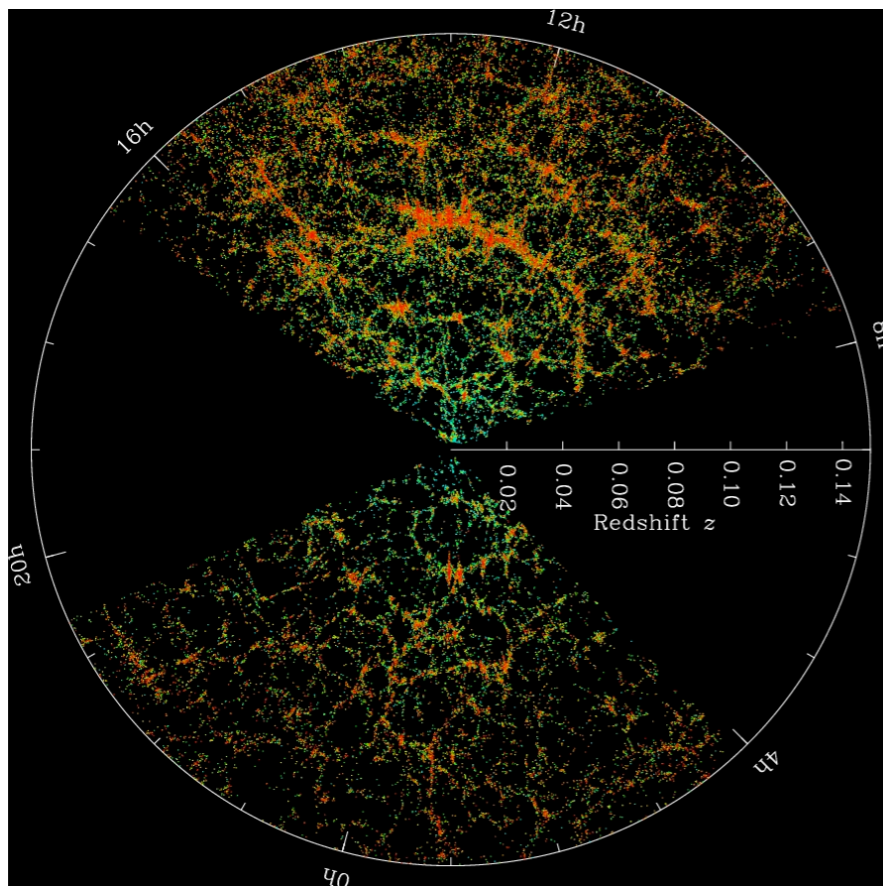
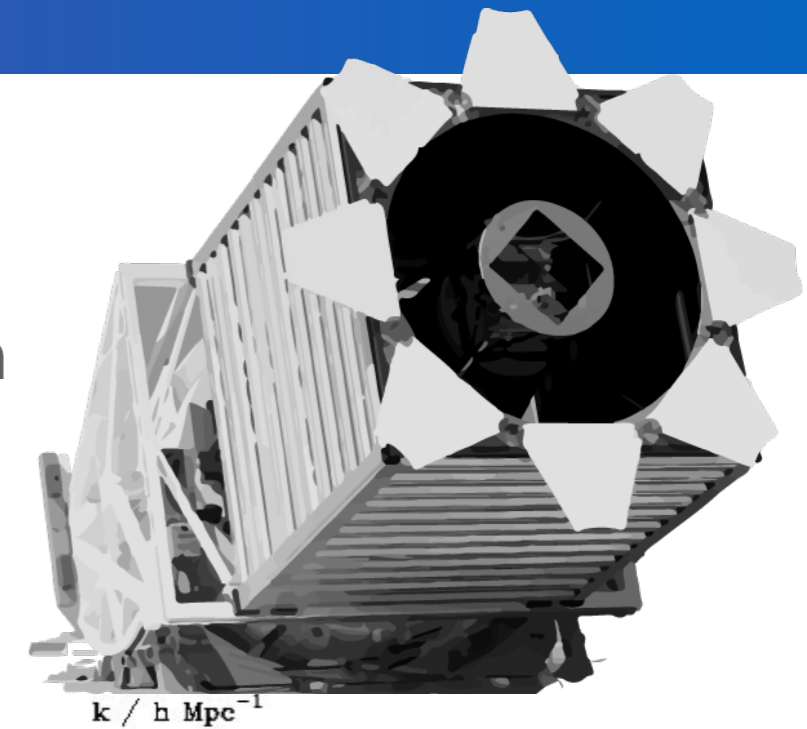
Planck Collaboration, 2013

SDSS-III/BOSS

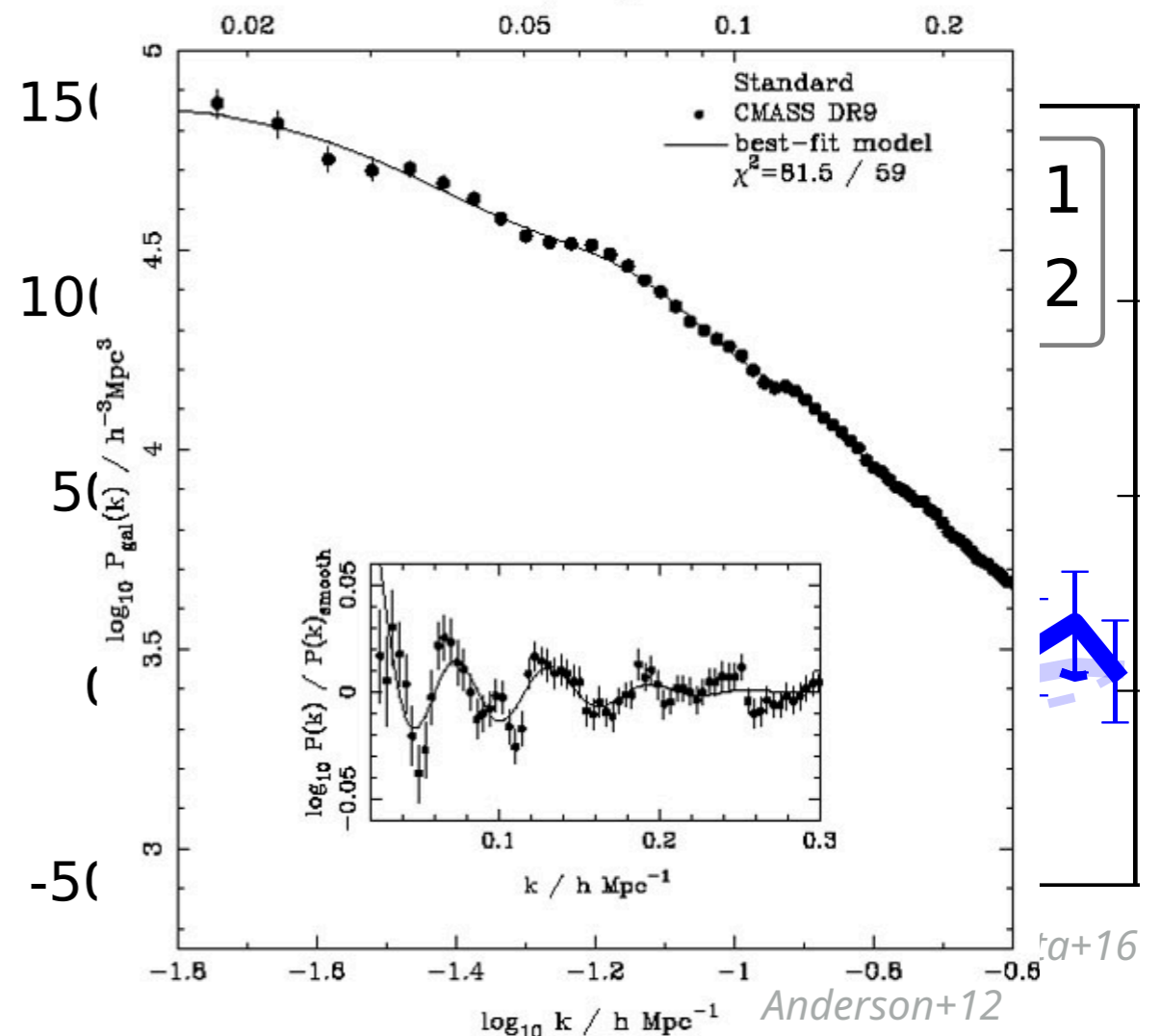
SDSS $\varnothing=2.5\text{m}$ telescope at Apache Point Observatory, NM

BOSS = 1,000-fiber spectrograph, $R\sim 2000$, $\lambda=360-1100\text{ nm}$

- 1M galaxies (LRGs), 200k quasars (with **Lya forest**)
- large-scale structure : $P(k)$, BAO, RSD, etc.



$$s^2 \xi_0(s) (h^{-2} \text{Mpc}^2)$$



Spectroscopic samples

▶ 3 samples

LOWZ

$0 \leq z \leq 0.4$, $N_{\text{gal}} = 392432$

- ▶ LRG in massive haloes $\langle M_{\text{halo}} \rangle \approx 5.2 \times 10^{13} h^{-1} M_{\odot}$
- ▶ almost constant number density

CMASS

$0.4 \leq z \leq 0.8$, $N_{\text{gal}} = 811194$

- ▶ massive LRG with old stellar pop^o, $M_{\text{stellar}} > 10^{13} M_{\odot}$
- ▶ close to (stellar) mass-limited sample

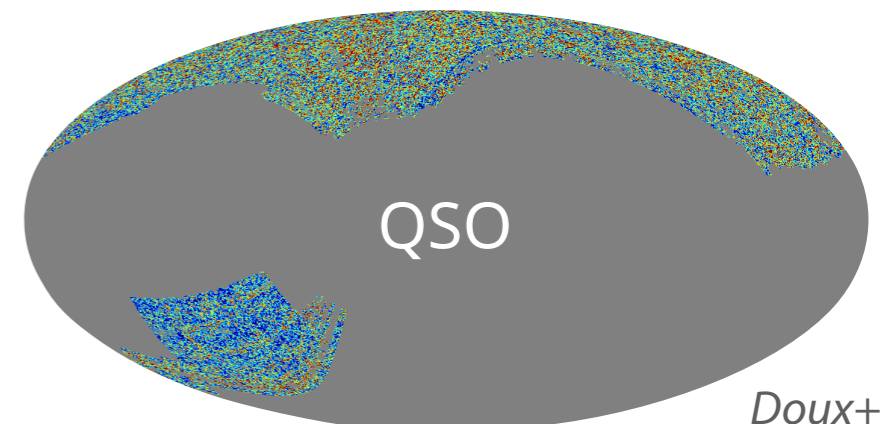
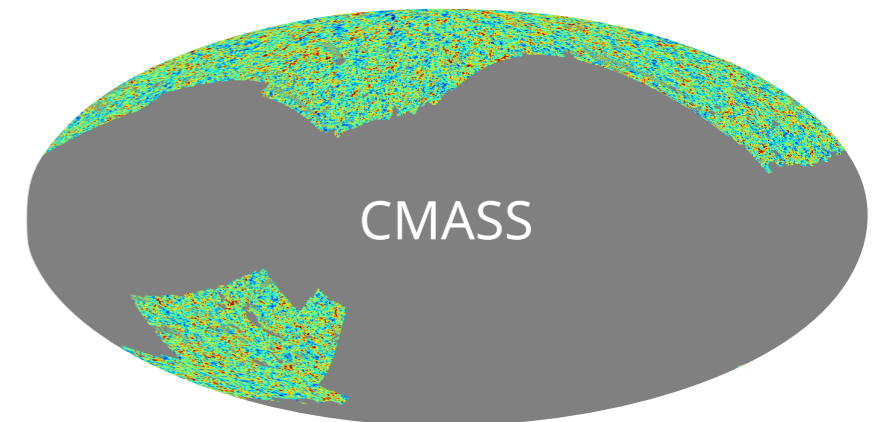
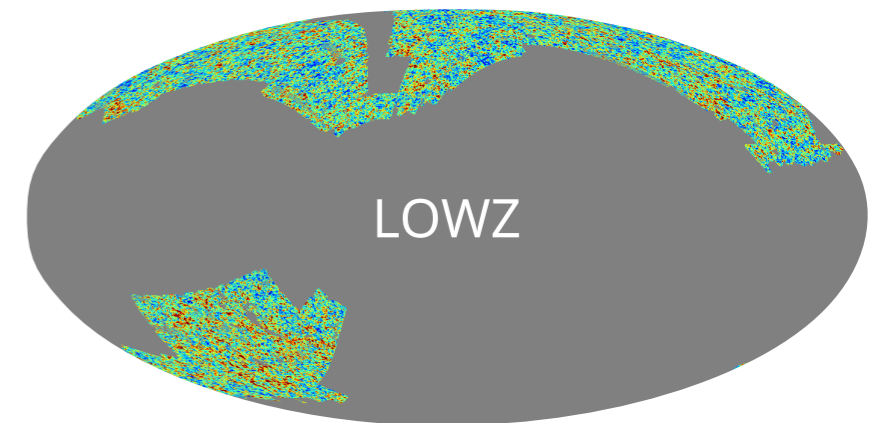
QSO

$2.15 \leq z \leq 3.5$, $N_{\text{QSO}} = 94971$

- ▶ “CORE” sample, uniformly selected by XDQSO
- ▶ high shot-noise

▶ Projected overdensity

$$\delta(\theta) = \frac{\rho(\theta)}{\bar{\rho}} - 1$$



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Why Planck \times BOSS ?

▶ AREA

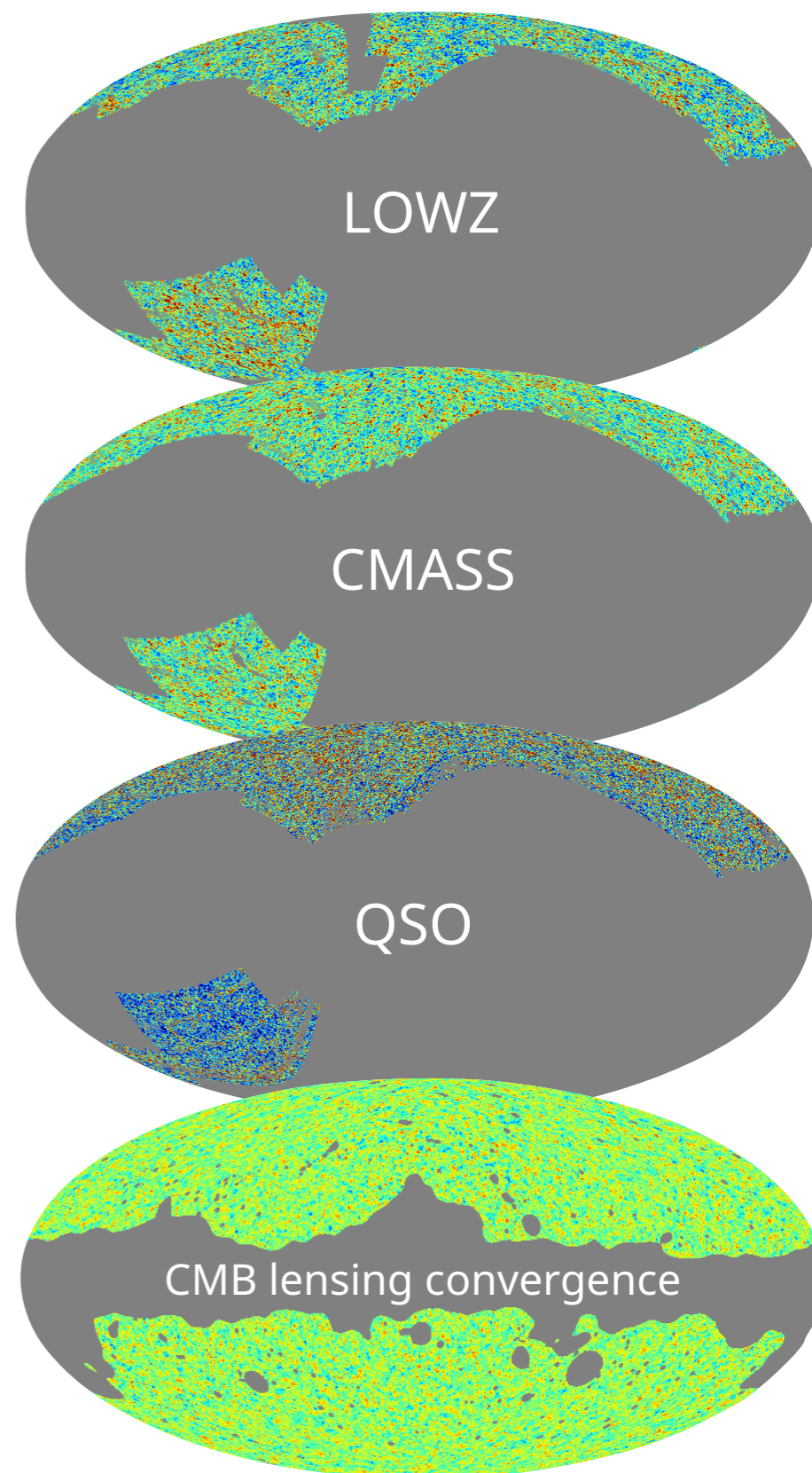
- large area: $f_{\text{sky}}(\text{Planck})=67\%$ $f_{\text{sky}}(\text{BOSS})=25\%$
- largest spectroscopic sample available
- \sim full overlap

▶ S/N of $\kappa_{\text{CMB}} \times$ BOSS tracers

- 4.6σ , 13σ , 9.5σ for $\kappa \times$ LOWZ, CMASS, QSO

▶ Complementarity

- CMB \Rightarrow primordial Universe
- CMB lensing \Rightarrow weighs l.o.s. DM
- galaxies/quasar at $z \sim 0.25, 0.57, 2.2$
 - redshift distribution perfectly known



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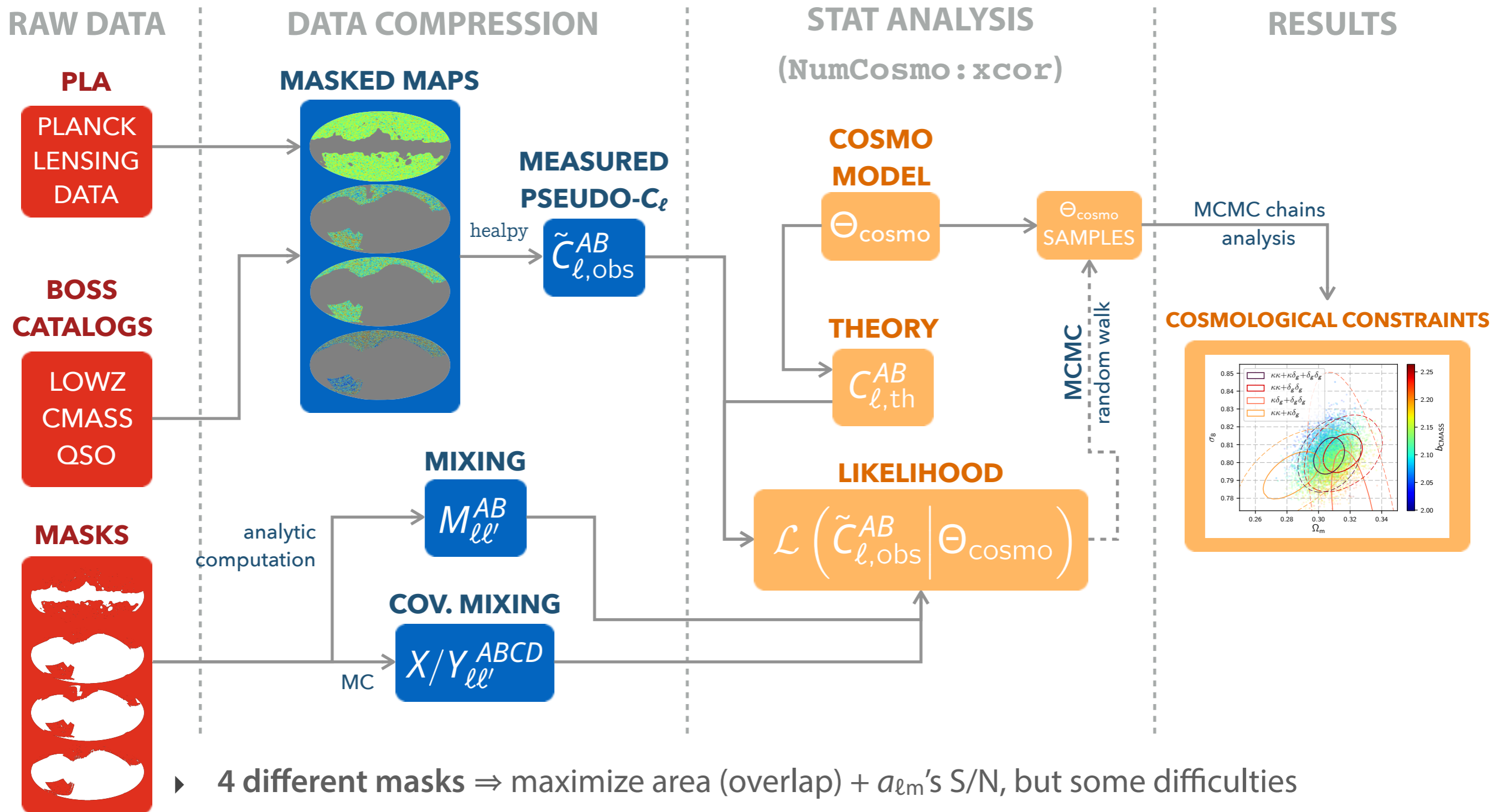
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Pipeline



- ▶ 4 different masks \Rightarrow maximize area (overlap) + $a_{\ell m}$'s S/N, but some difficulties
- ▶ NumCosmo xcor module: general framework for joint analyses of multiple probes

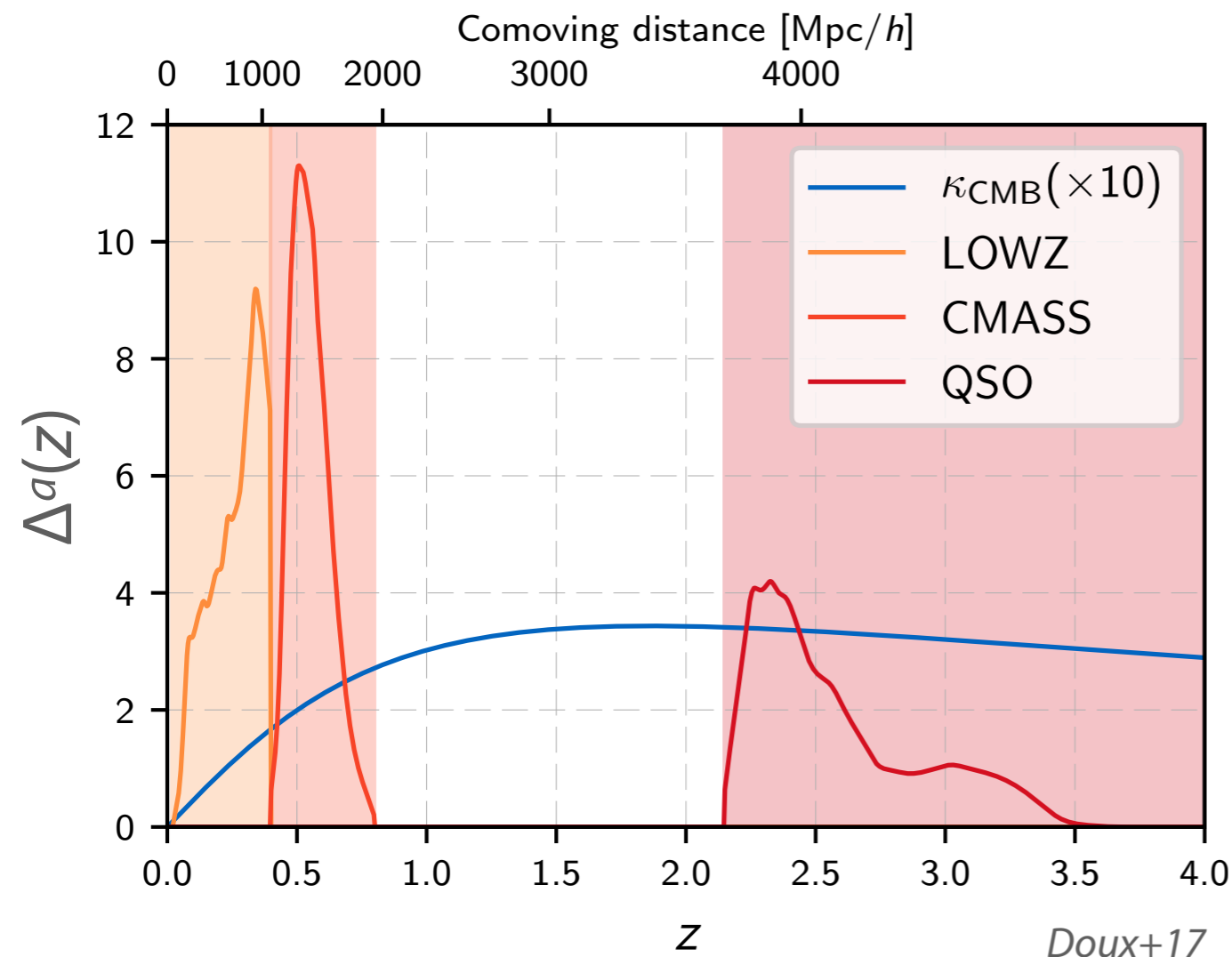
@ numcosmo.github.io

Angular power spectrum: theory

Angular power-spectrum of *projected* observables a and b (Limber approx):

$$C_{\ell}^{ab} = \langle a_{\ell m} b_{\ell m}^* \rangle = \int_0^{z_*} dz \frac{H(z)}{c} \frac{1}{\chi(z)^2} \Delta_{\ell}^a(z) \Delta_{\ell}^b(z) P\left(k = \frac{\ell + 1/2}{\chi(z)}, z\right) + \mathcal{O}\left(\frac{1}{\ell^2}\right)$$

comoving distance
kernels
matter power spectrum



$$\Delta^k(z) = \frac{3\Omega_m}{2} \frac{H_0^2}{H(z)} (1+z)\chi(z) \frac{\chi_* - \chi(z)}{\chi_*}$$

$$\Delta_{\ell}^g(z) = b(z) \frac{dn}{dz} \quad (+ \text{lensing effects})$$

bias
redshift distribution

Angular power spectrum: estimators

- **Partial sky** \Rightarrow *pseudo* angular power spectra :

$$\tilde{C}_\ell^{\text{th}} = \sum_{\ell'} M_{\ell\ell'} C_{\ell'}$$

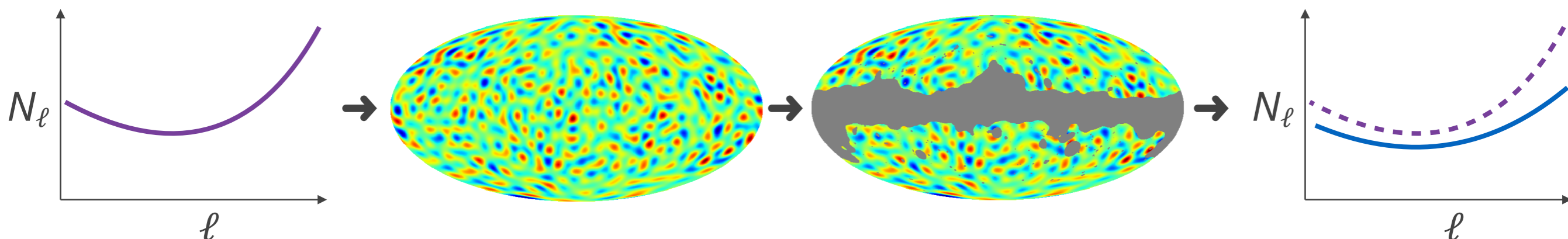
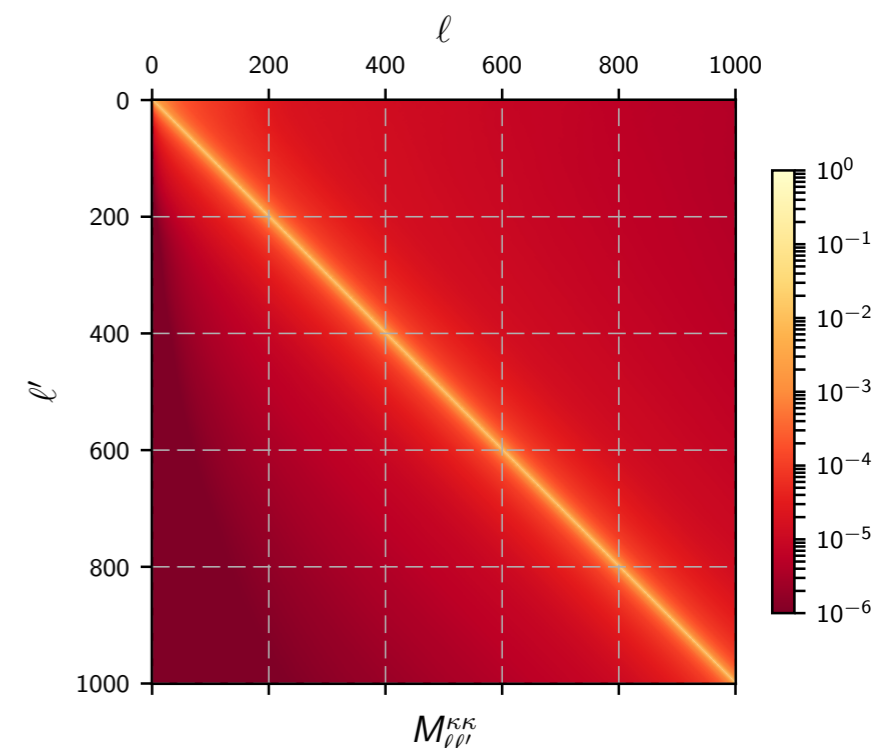
- **Estimator :**

$$\widehat{\tilde{C}_\ell^{\text{obs}}} = \tilde{C}_\ell^{\text{map}} - \langle \tilde{N}_\ell \rangle_{\text{MC}}$$

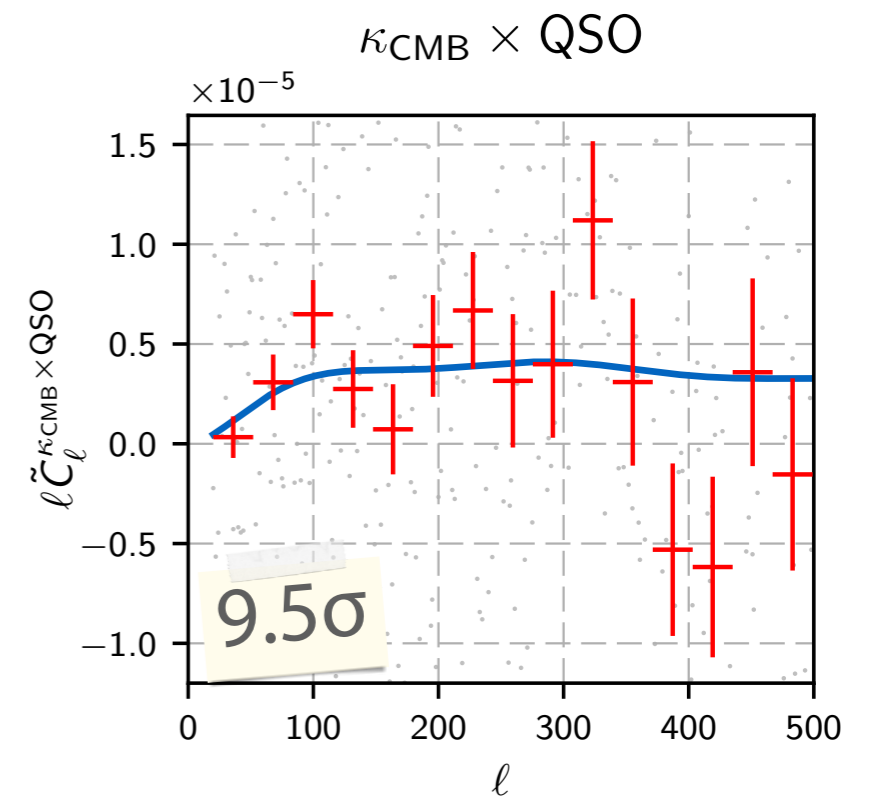
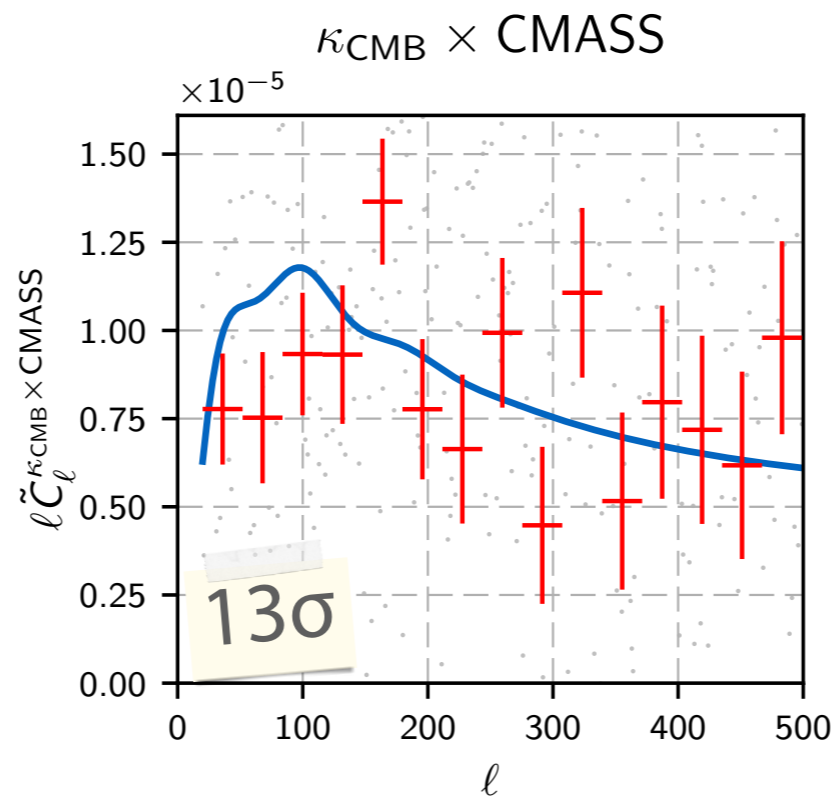
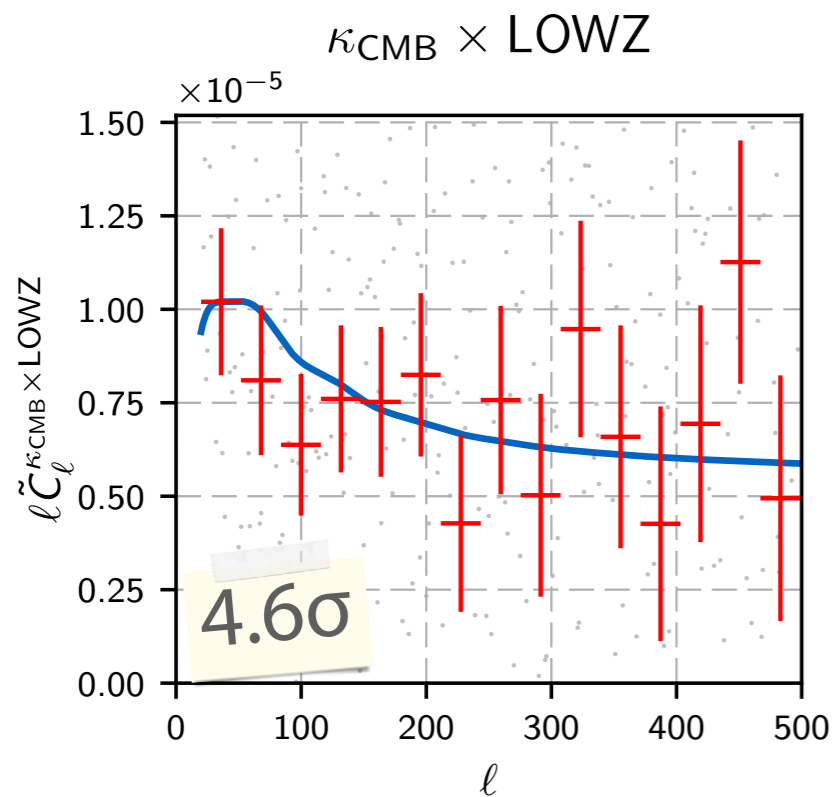
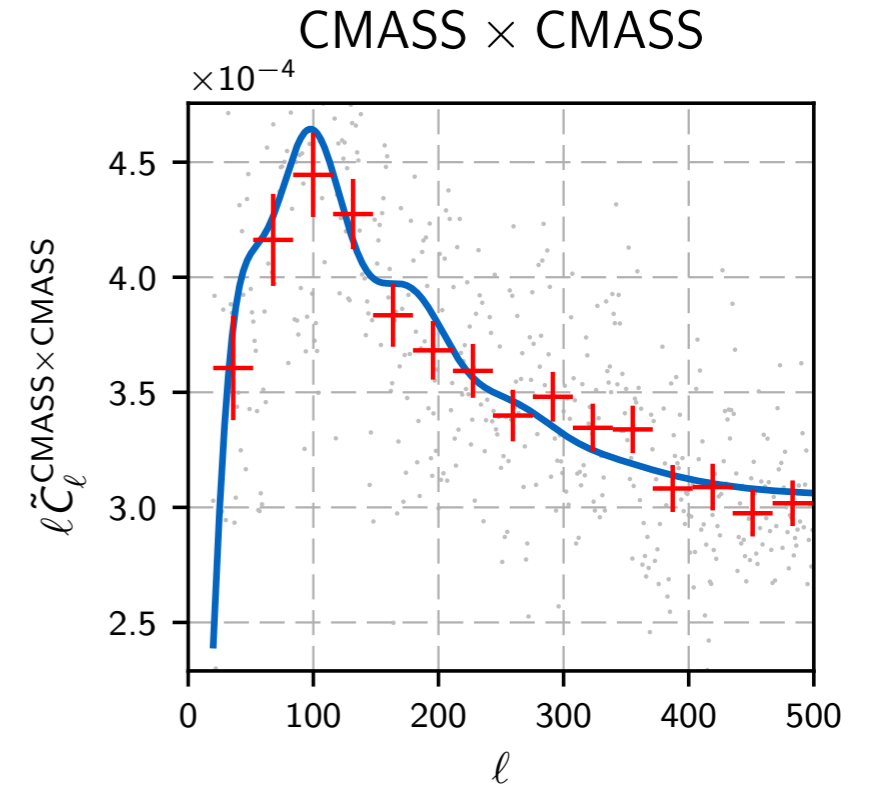
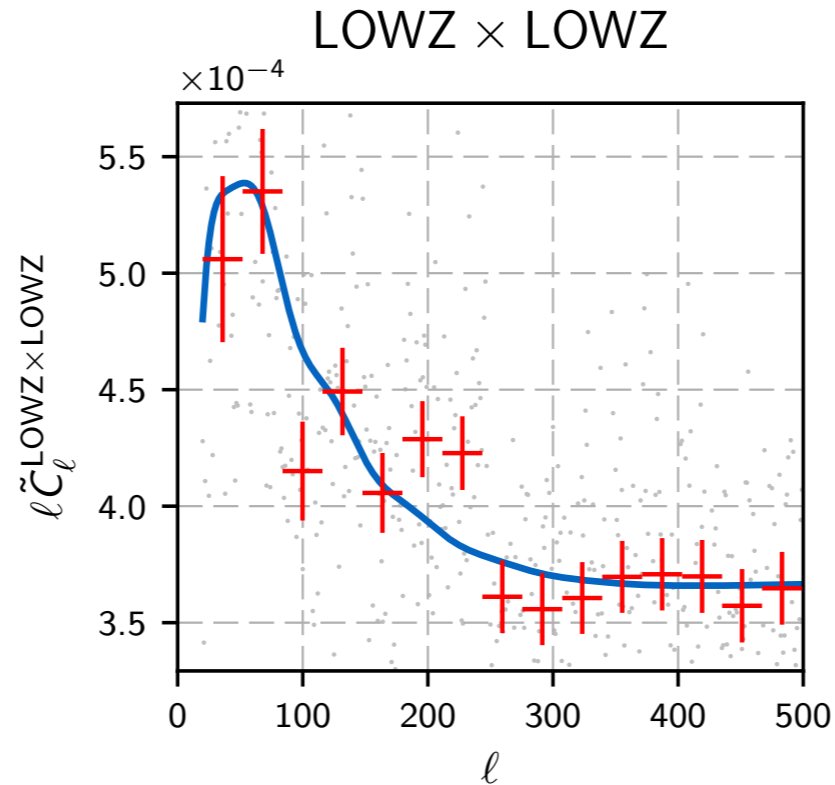
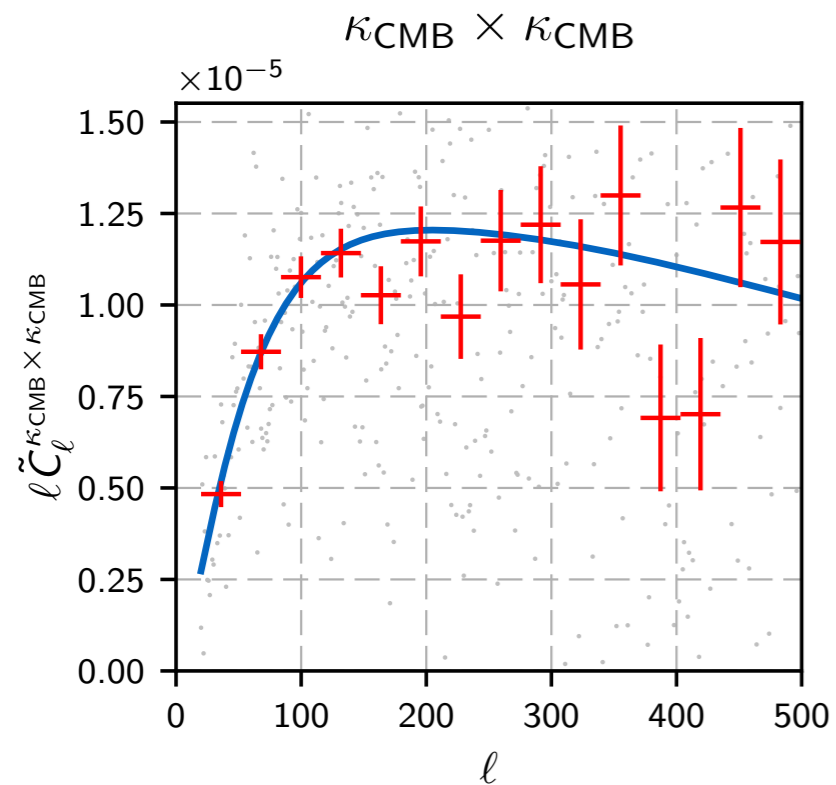
\swarrow data = S + N \nwarrow pseudo-noise

- **Noise pseudo-spectrum**

- For cross-spectra, noise is *uncorrelated*, so $\tilde{N}_\ell = 0$
- For auto-spectra, \tilde{N}_ℓ estimated from **MC simulations**
 - Galaxies : shot-noise (pure Poisson) realizations with $N_\ell = 1/\bar{n}$
 - Lensing : Planck's 100 reconstruction simulations for κ



Auto- & cross-power spectra



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Likelihood

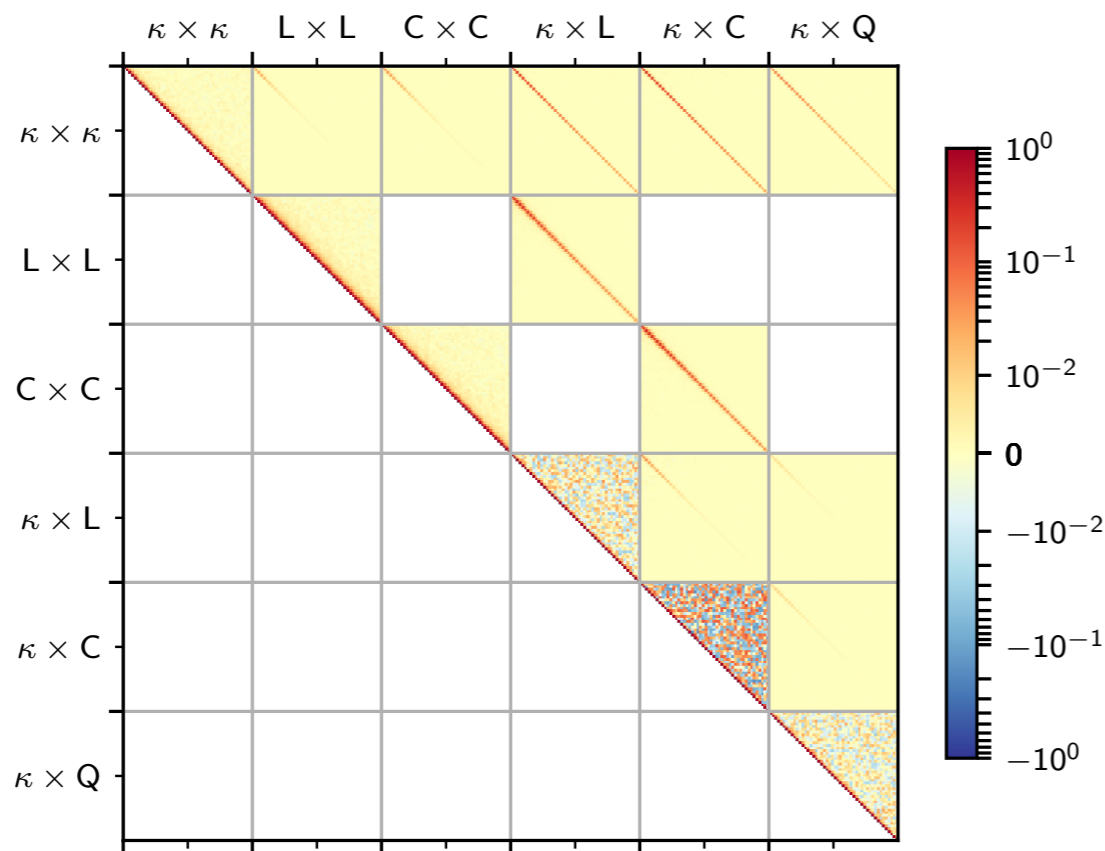
- Gaussian likelihood :

$$\mathcal{L} \left(\tilde{\mathbf{C}}_{\ell}^{\text{obs}} | b_g, \Theta_{\text{cosmo}} \right) = \frac{1}{(2\pi)^{n/2} |\mathbf{Cov}|^{1/2}} \exp \left[-\frac{1}{2} \left(\tilde{\mathbf{C}}_{\ell}^{\text{obs}} - \mathbf{M}_{\ell\ell'} \mathbf{C}_{\ell'}^{\text{th}} \right)^{\top} \mathbf{Cov}^{-1} \left(\tilde{\mathbf{C}}_{\ell}^{\text{obs}} - \mathbf{M}_{\ell\ell'} \mathbf{C}_{\ell'}^{\text{th}} \right) \right]$$

- Semi-analytical covariance (Efstathiou's approx., see Brown+05) :

$$\text{Cov} \left(\tilde{\mathbf{C}}_{\ell}^{ab}, \tilde{\mathbf{C}}_{\ell'}^{cd} \right) = \sqrt{D_{\ell}^{ad} D_{\ell'}^{ad} D_{\ell}^{bc} D_{\ell'}^{bc}} \mathbf{X}_{\ell\ell'}^{abcd} + \sqrt{D_{\ell}^{ac} D_{\ell'}^{ac} D_{\ell}^{bd} D_{\ell'}^{bd}} \mathbf{Y}_{\ell\ell'}^{abcd}$$

where $D_{\ell}^{ab} = C_{\ell}^{ab} + \delta_{ab} N_{\ell}^a$



→ covariance of stacked $\tilde{\mathbf{C}}_{\ell}^{ab}$

Wrapping up

► Parameters

- Cosmology: flat Λ CDM, 6 base params $H_0, \omega_b, \omega_c, A_s, n_s, z_{re}$, then m_ν and w
- BOSS samples: 3 biases + 2 nuisance params (shot noise)

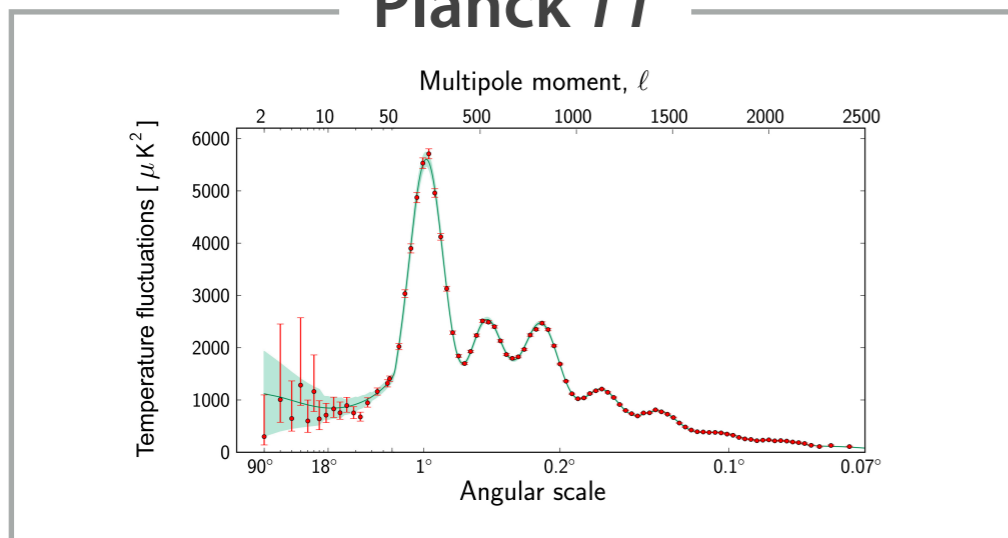
► Computations

- NumCosmo: `xcor` module: free object-oriented C library (with GObject), on GitHub
- Power spectrum from **CLASS** + **halofit** (reimplemented)

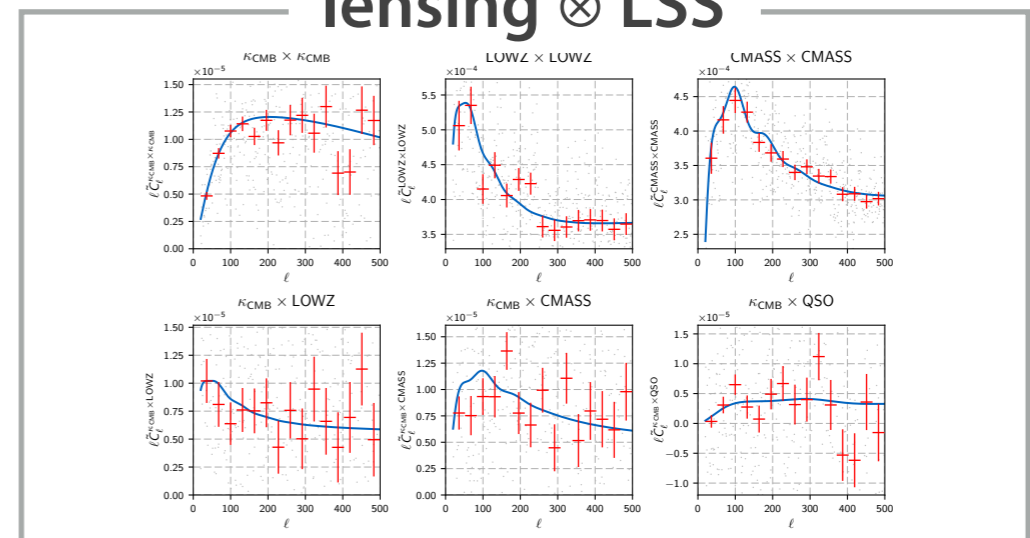
► Data

- “Planck TT ” = Planck CMB temperature C_ℓ^{TT} (high + low ℓ)
- “Planck TT + lensing” = Planck TT + Planck $\kappa_{\text{CMB}} \tilde{C}_\ell$
- “Planck TT + lensing \otimes LSS” = Planck TT + (Planck $\kappa_{\text{CMB}} \otimes$ BOSS samples) \tilde{C}_ℓ^{ab} = **Joint analysis**

“Planck TT ”



“lensing \otimes LSS”



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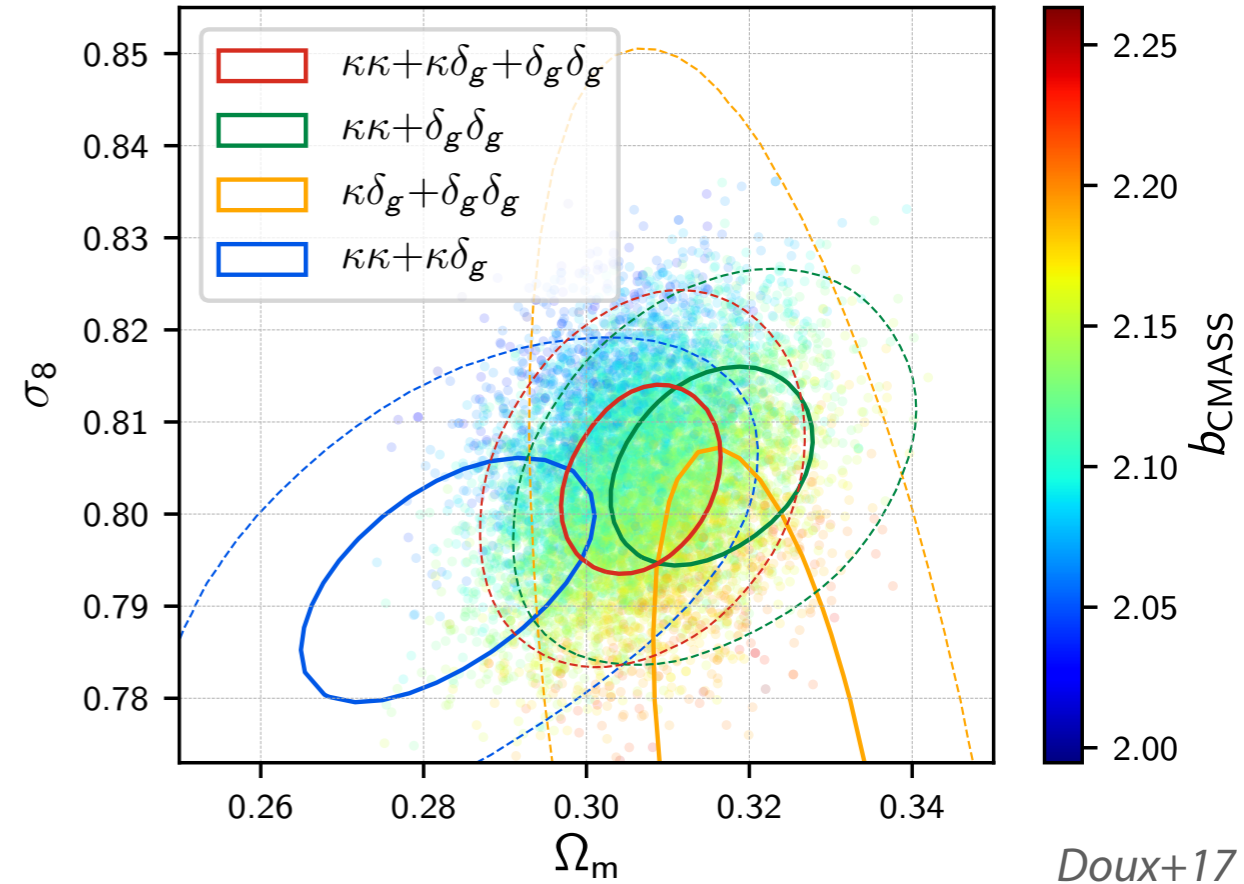
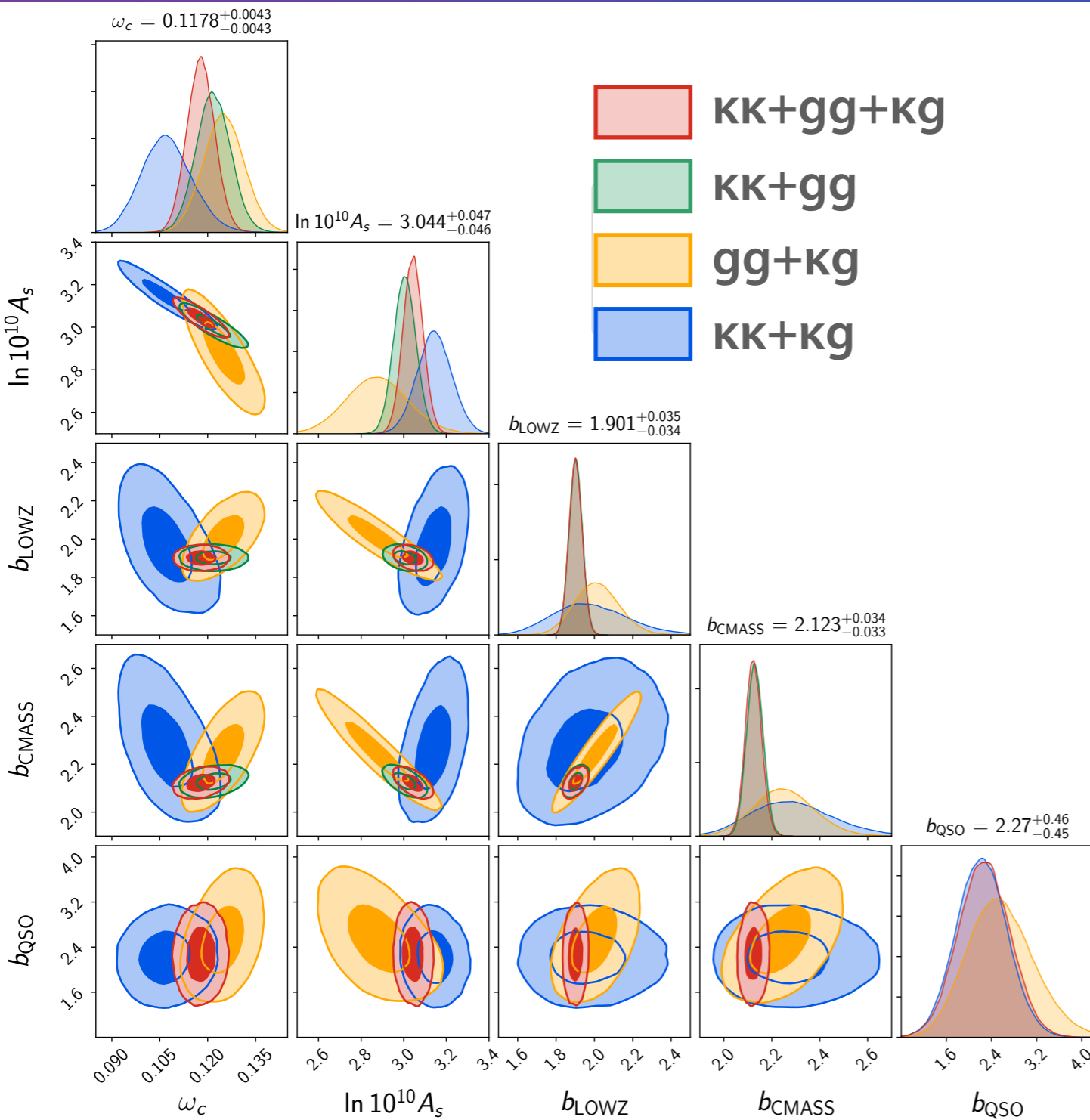
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Constraints from lensing \otimes LSS only



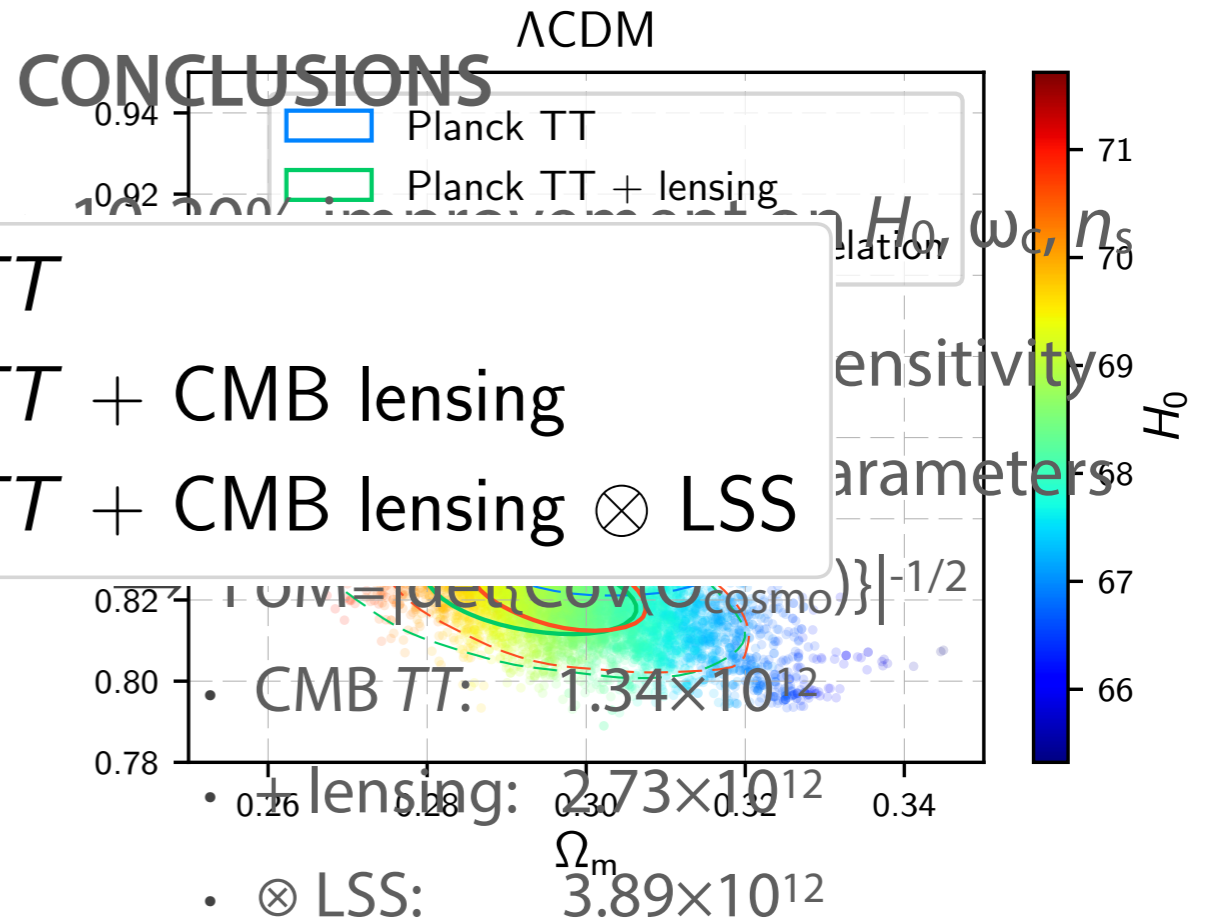
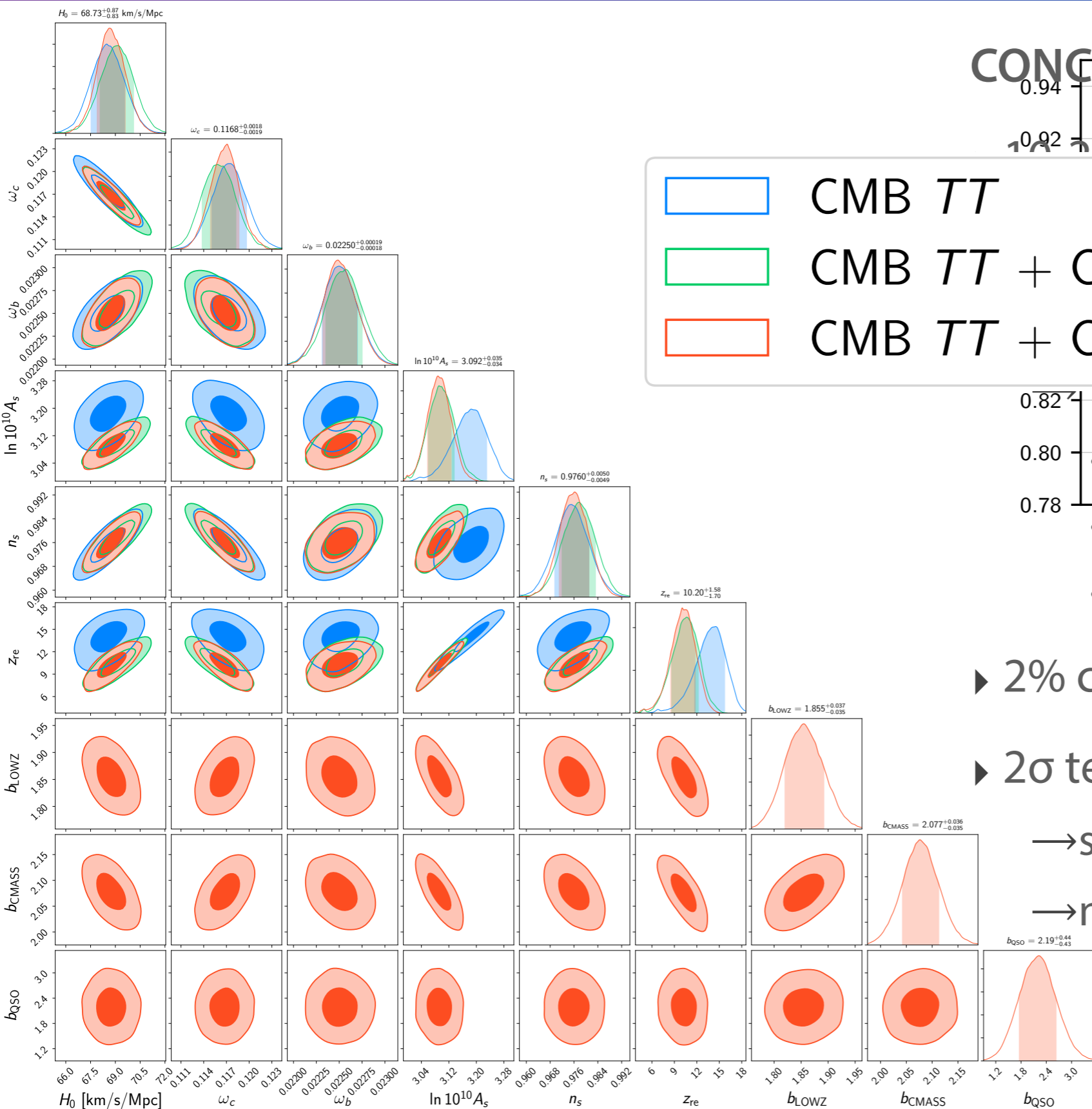
$$C_l^{\kappa\kappa} \propto \Omega_m^2 A_s$$

$$C_l^{\kappa g} \propto \Omega_m b A_s$$

$$C_l^{gg} \propto b^2 A_s$$

- ▶ Multiple probes to break degeneracies
- ▶ Cross-correlations improve constraints by 10-20%

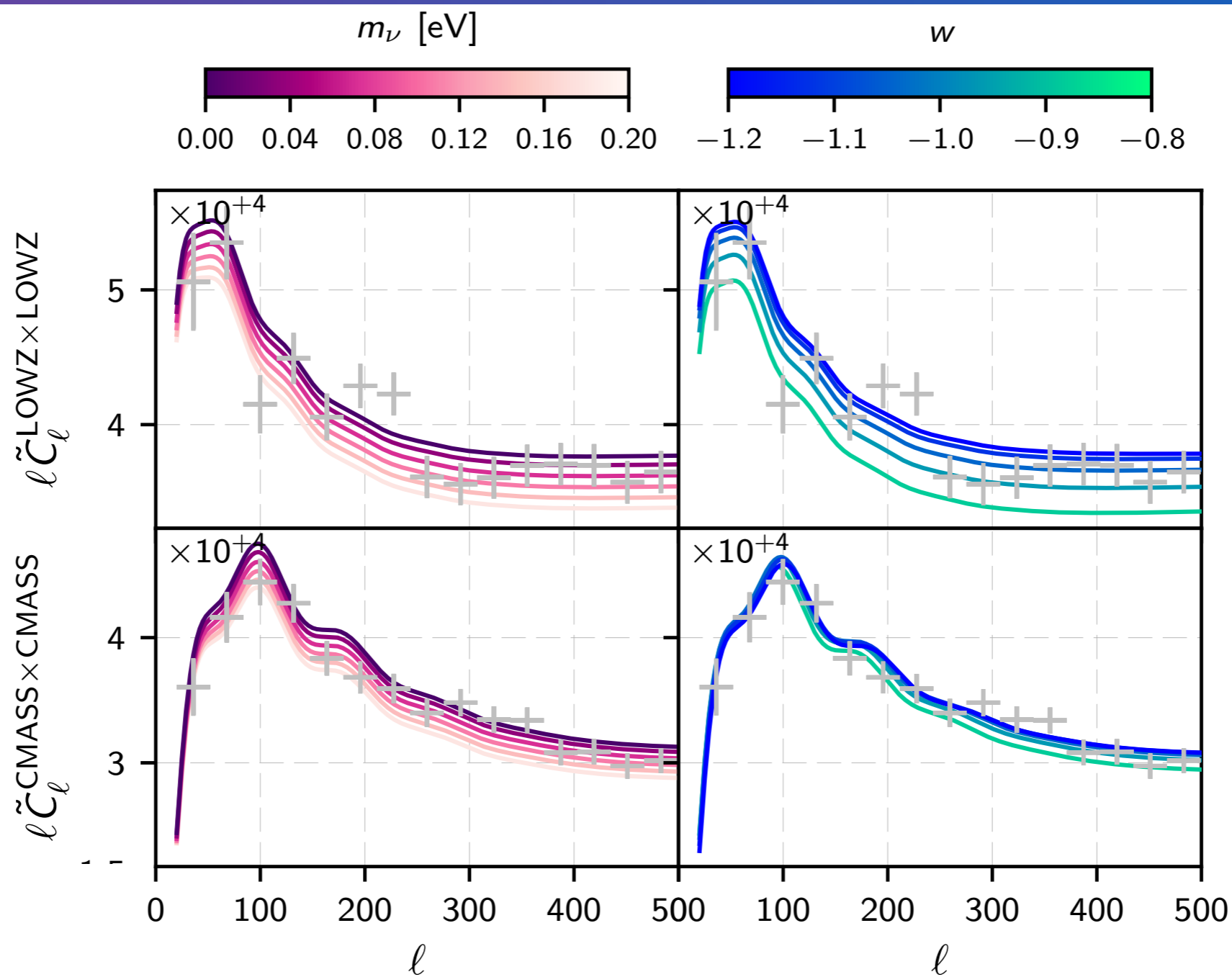
Constraints on Λ CDM



 CMB TT
 CMB TT + CMB lensing
 CMB TT + CMB lensing \otimes LSS

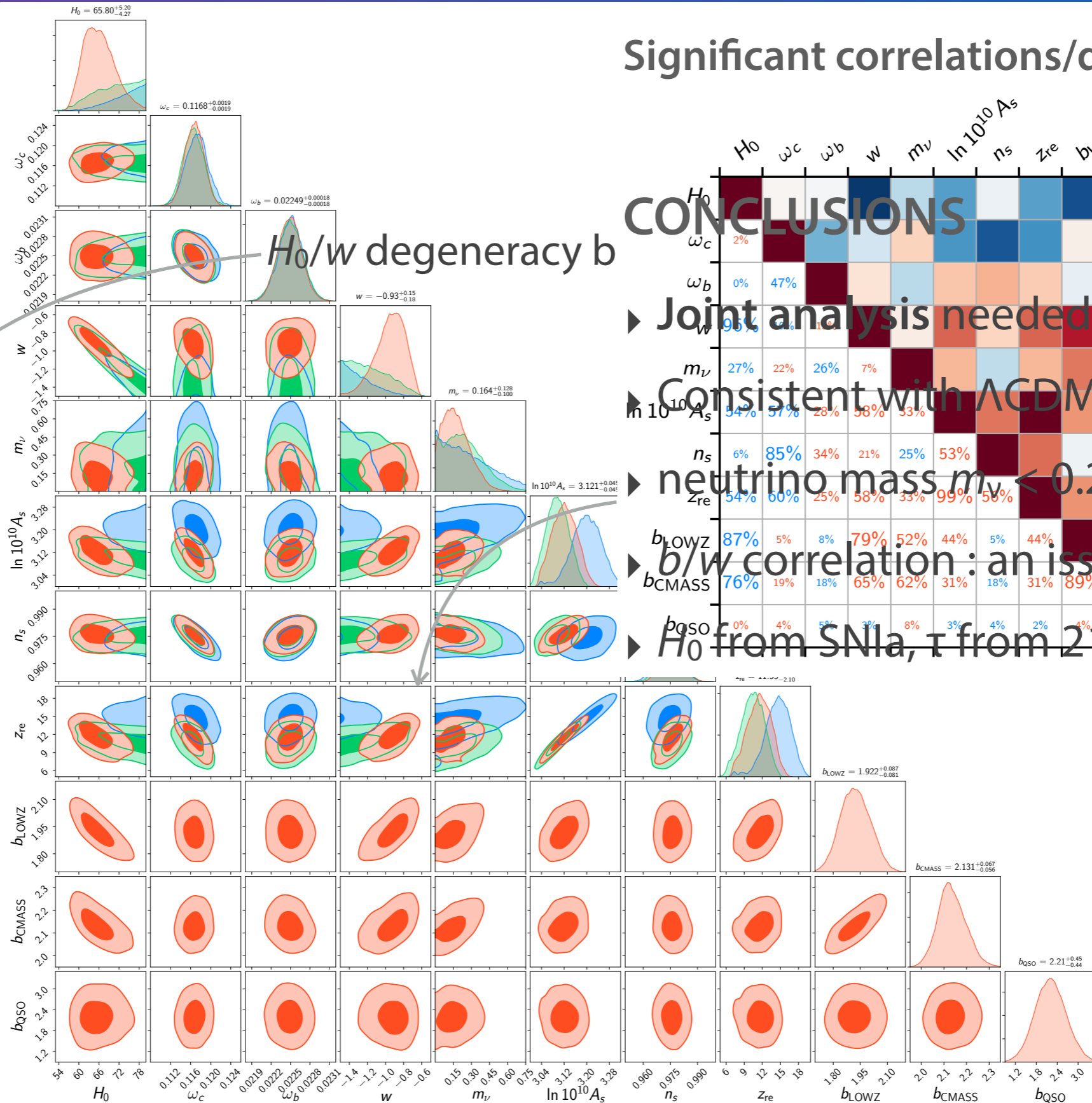
- ▶ 2% constraints on biases
- ▶ 2σ tension in σ_8 - Ω_m CMB vs LSS
 - systematics?
 - new physics?

Constraints on w CDM + m_ν



- ▶ Galaxies trace $z \sim 0.2-0.8 \Rightarrow$ sensitive to w
- ▶ Small-scale clustering affected by m_ν

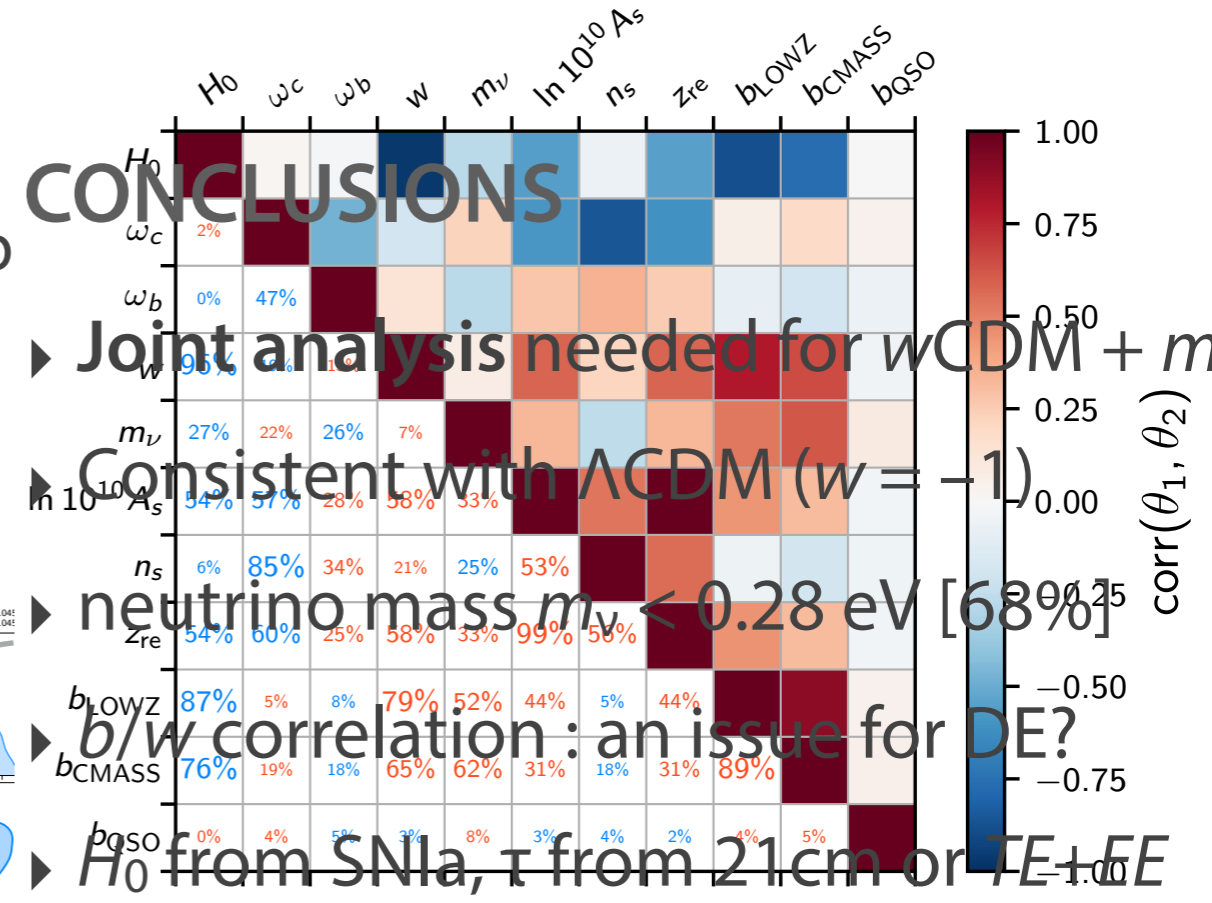
Constraints on w CDM + m_ν



Significant correlations/degeneracies :

CONCLUSIONS

- ▶ Joint analysis needed for w CDM + m_ν
- ▶ Consistent with Λ CDM ($w = -1$)
- ▶ neutrino mass $m_\nu < 0.28$ eV [68%]
- ▶ b/w correlation : an issue for DE?
- ▶ H_0 from SNIa, τ from 21cm or $TE+EE$



H_0/w degeneracy b

Results

- ▶ Method + code for joint statistical analysis of CMB, LSS tracers & weak lensing
- ▶ Significant improvement on H_0 , w , ω_c and m_ν (depends on small scales)
- ▶ Constraints on 8-params model $w\text{CDM} + m_\nu + \text{biases} \rightarrow$ impossible independently !

Conclusion I

In the future

▶ Likelihood/covariance

- covariance noisy and expensive (size $\sim \ell_{\max} \times N_{\text{obs}}^4/4$) but takes care of masks
- non-gaussianities (bi- & tri-spectrum terms) or super-sample variance

▶ Theory

- non-linear power spectrum, neutrinos, baryons ?
- Limber approximation (Angpow), relativistic effects (lensing & RSD mostly)

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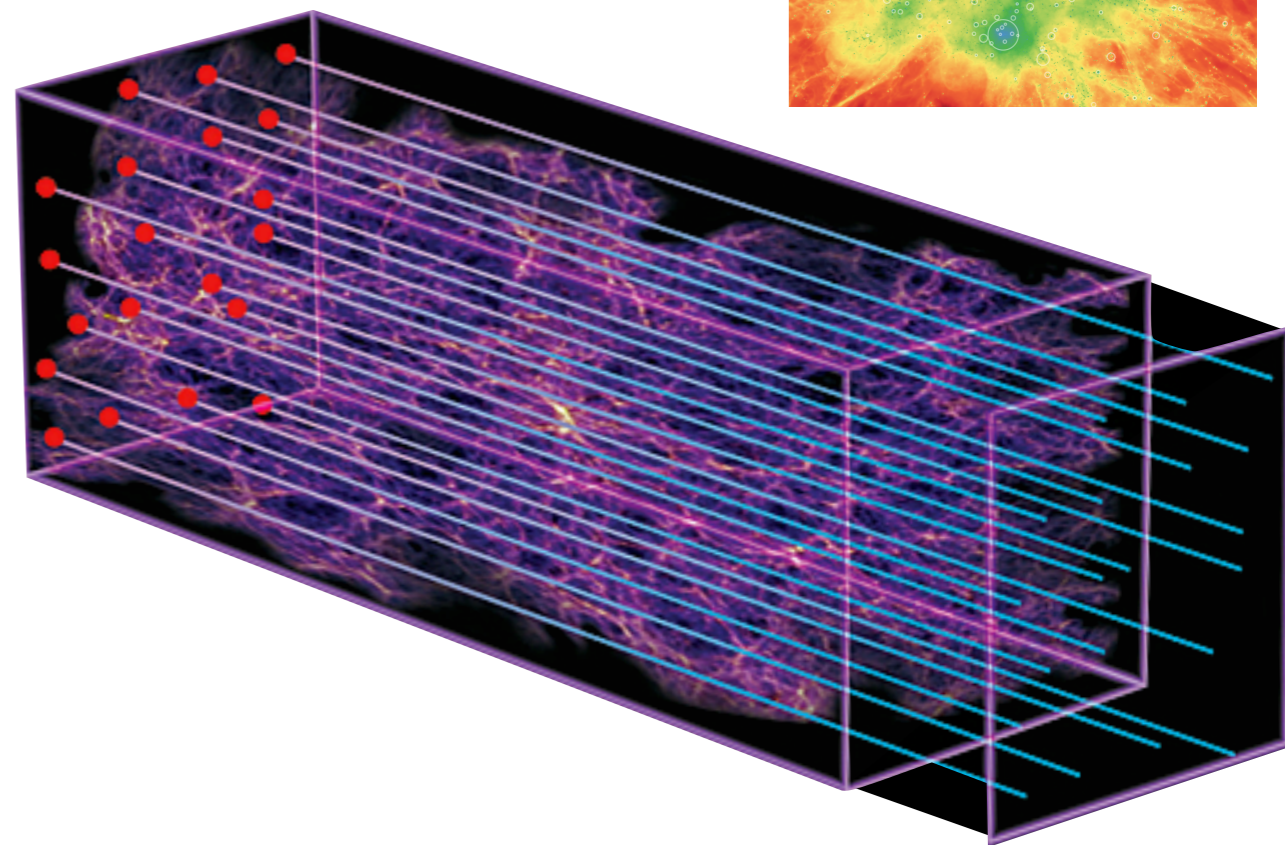
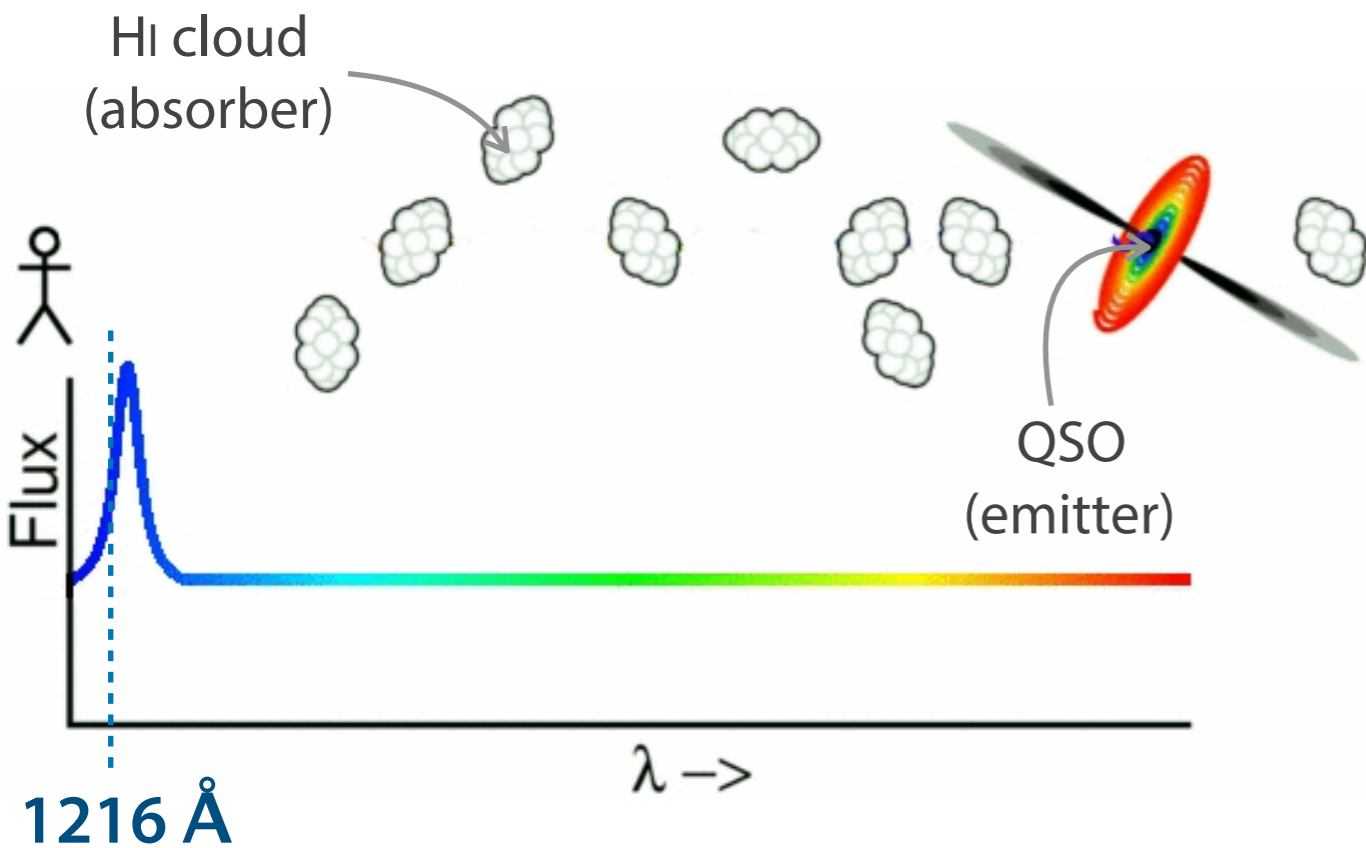
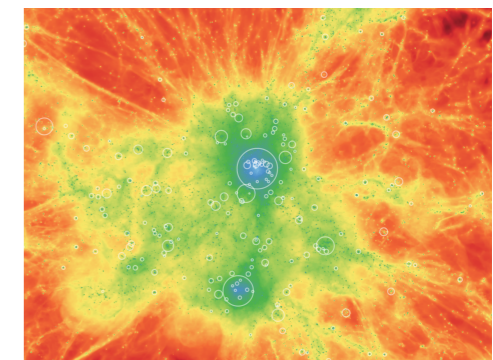
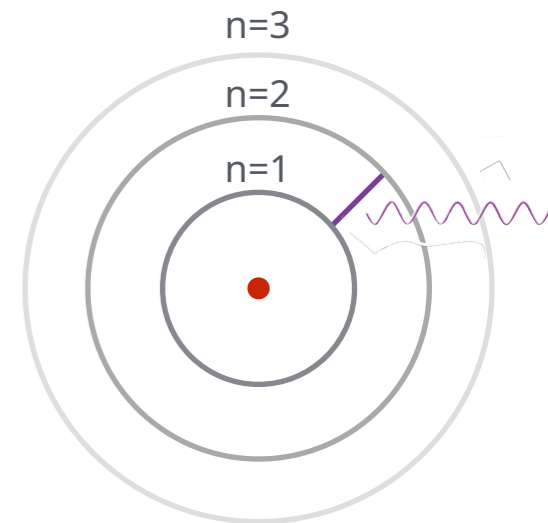
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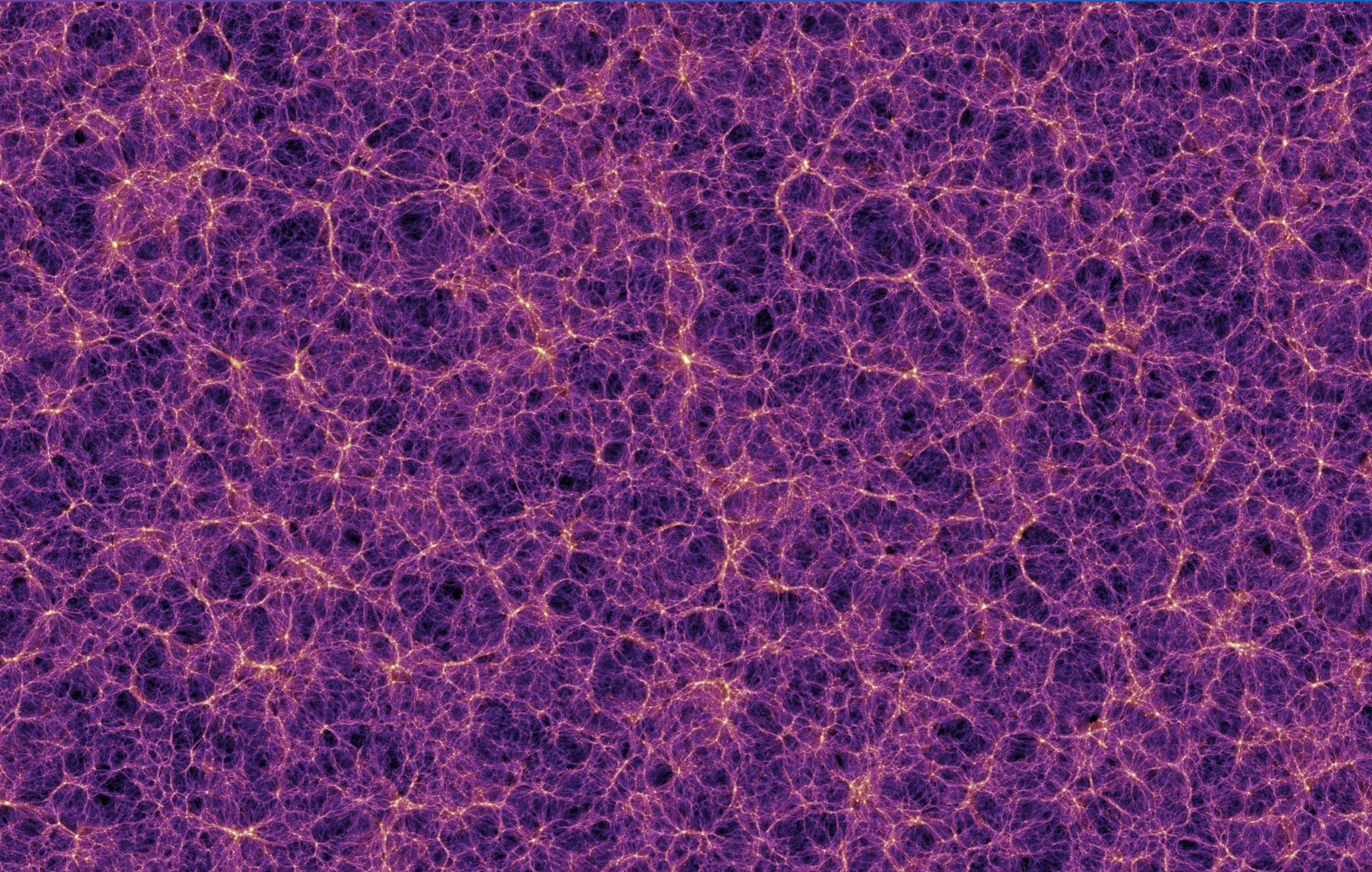
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Lyman- α forest

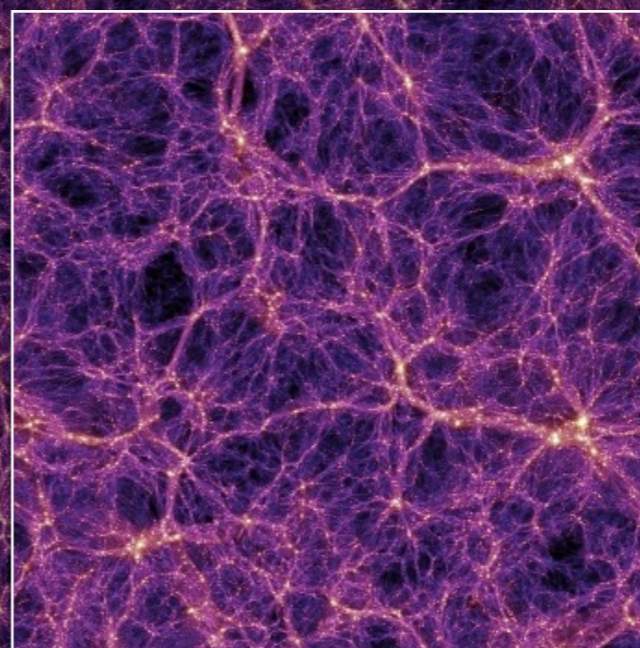
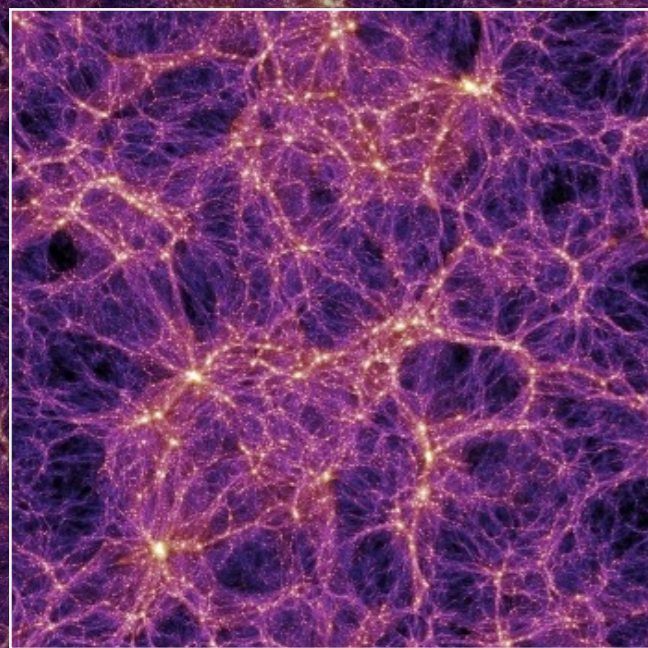
- ▶ neutral hydrogen H I Ly- α transition, $\lambda=1216 \text{ \AA}$
- ▶ spectra of quasars carved by many H I absorption lines
 - Ly- α forest = a *core sample* probing H I in IGM at $z \sim 2-4$
 - used as a *tracer* of the large-scale structure \Rightarrow BAO, $P(k)$



Position-dependent power spectrum



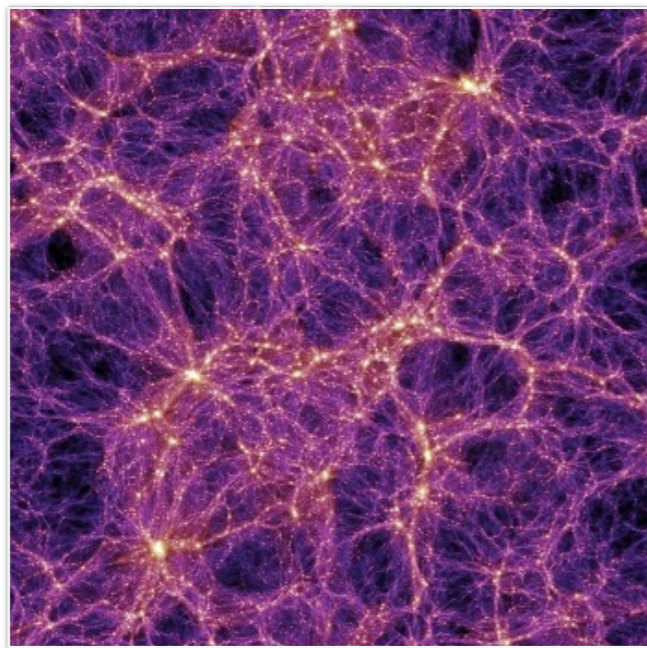
Position-dependent power spectrum



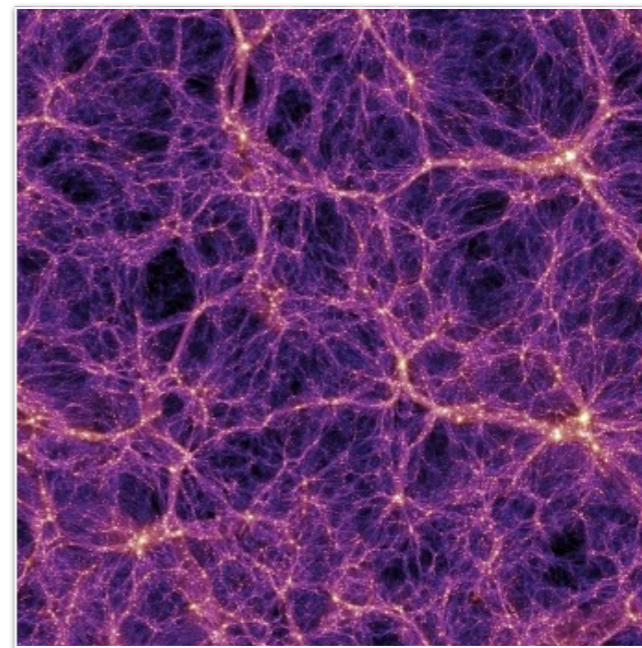
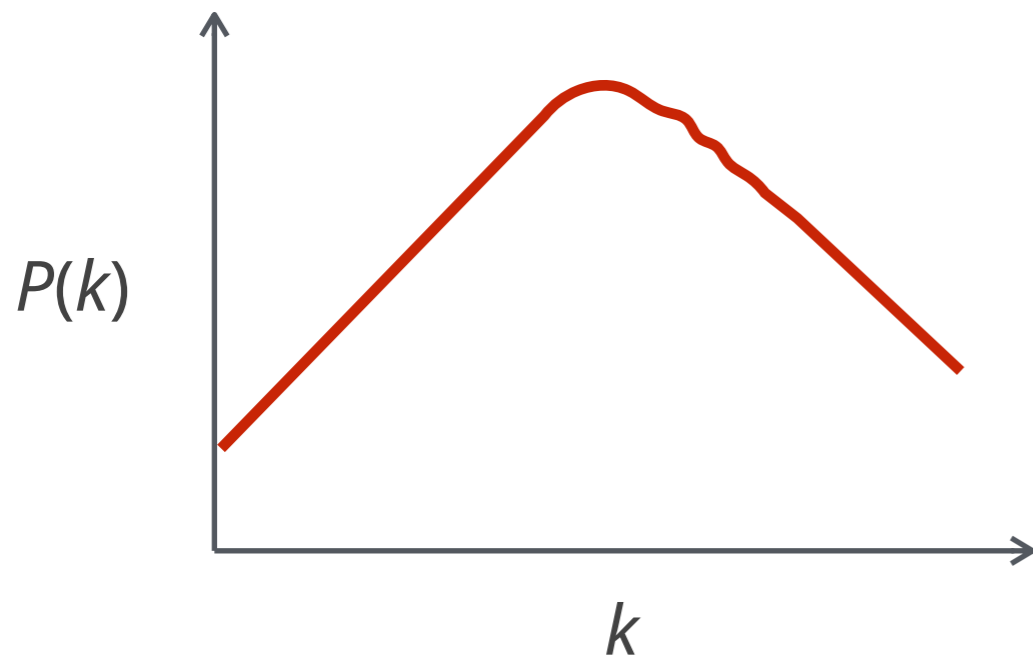
$$\bar{\delta}_{\text{LOCAL}} > \bar{\delta}_{\text{UNIVERSE}}$$

$$\bar{\delta}_{\text{LOCAL}} < \bar{\delta}_{\text{UNIVERSE}}$$

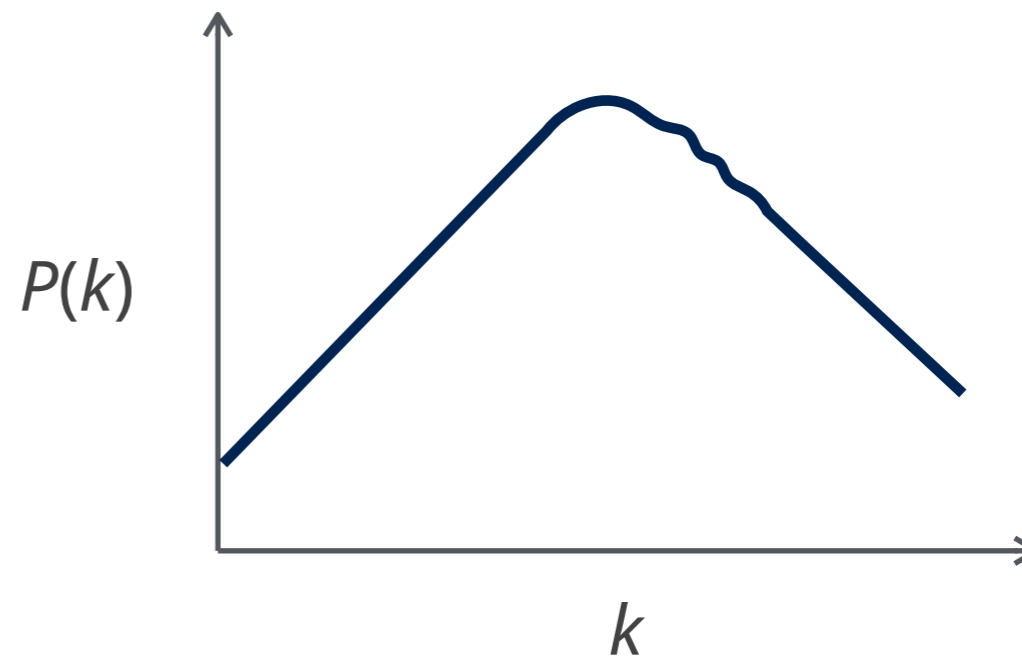
Position-dependent power spectrum



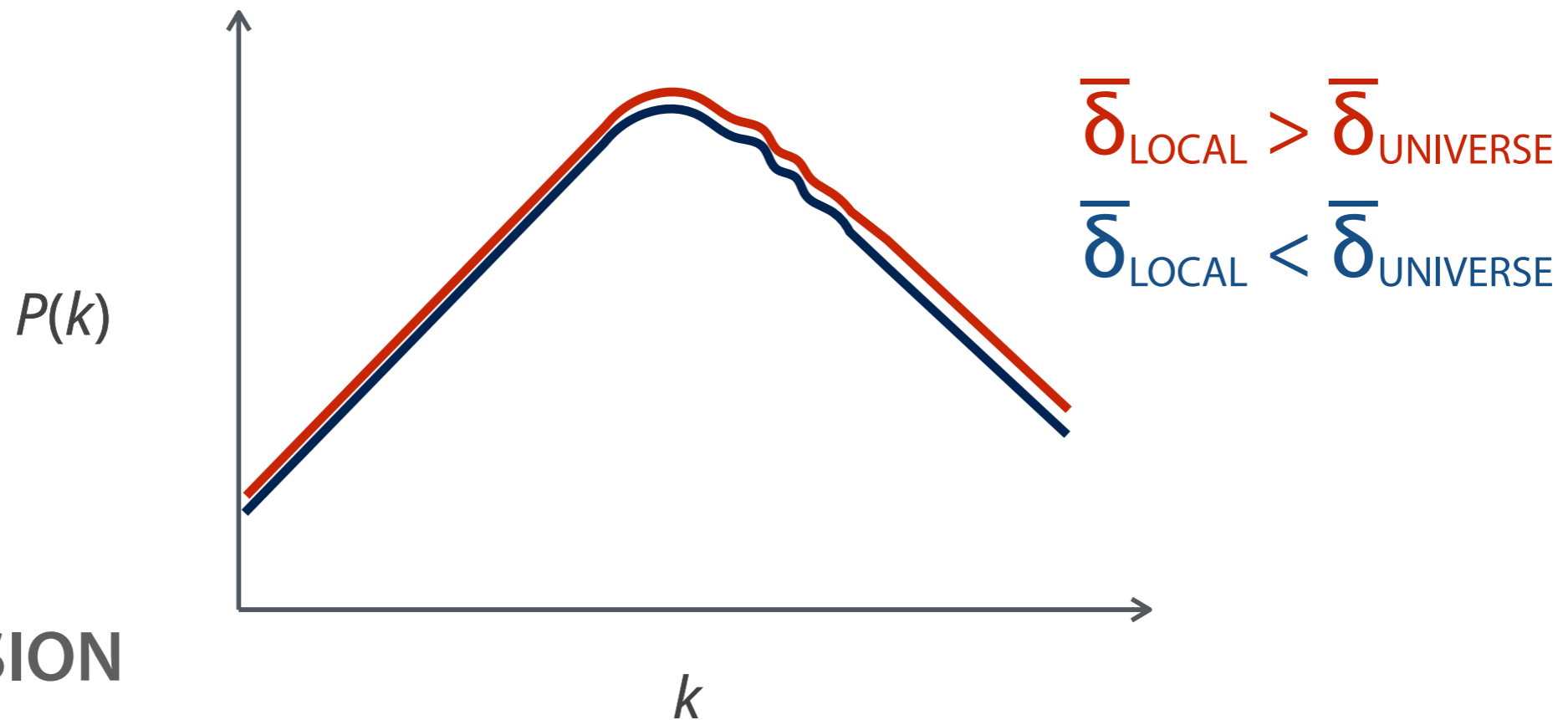
$$\bar{\delta}_{\text{LOCAL}} > \bar{\delta}_{\text{UNIVERSE}}$$



$$\bar{\delta}_{\text{LOCAL}} < \bar{\delta}_{\text{UNIVERSE}}$$



Position-dependent power spectrum



CONCLUSION

- ▶ measured $P(k)$ depends on the local mean density $\bar{\delta}$!
- ▶ denser regions have **more fluctuations**, i.e.

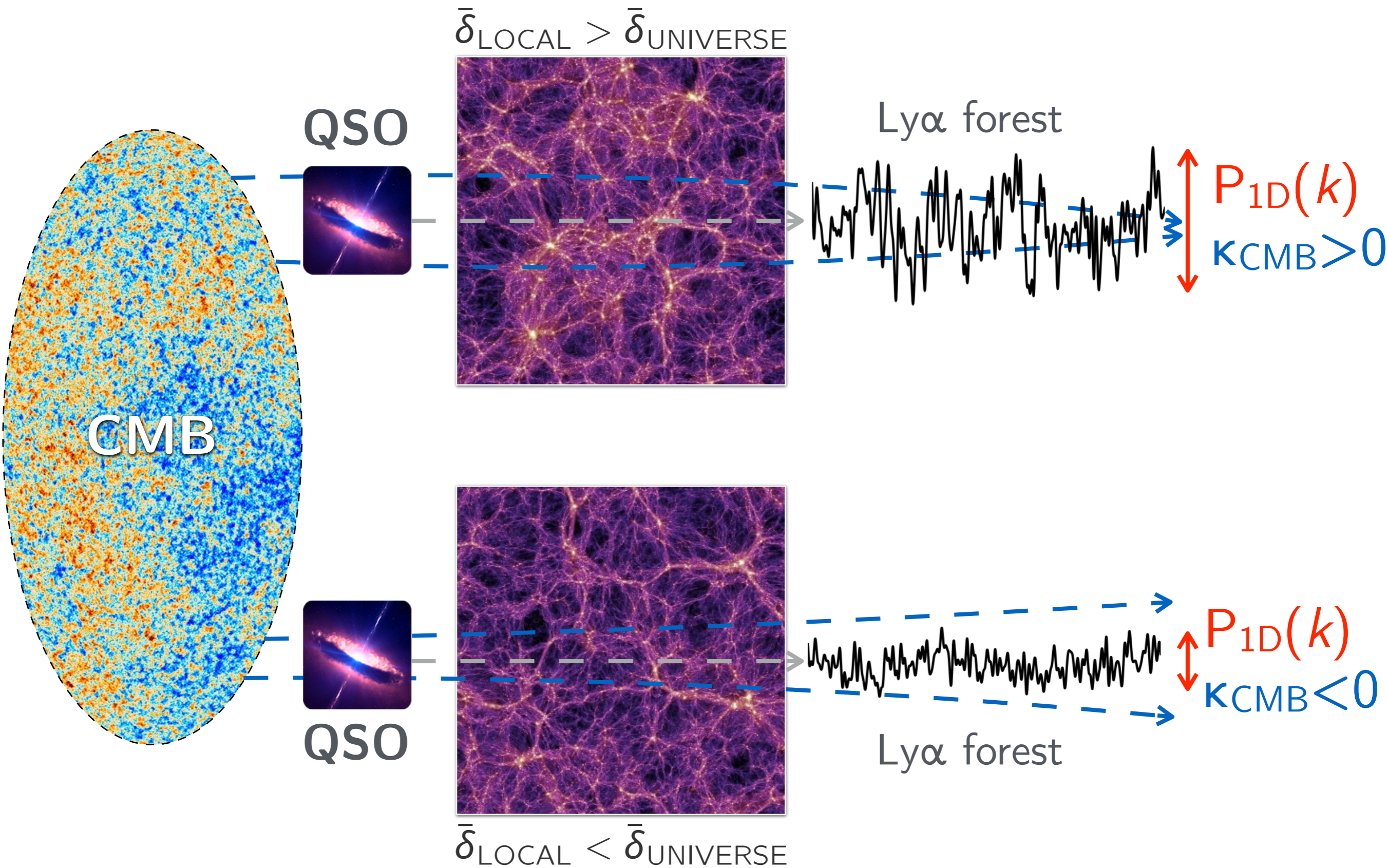
$$\frac{\partial P(k)}{\partial \bar{\delta}} > 0$$

small-scale modes

- ▶ **fully non-linear** process

LARGE-scale mode : $\bar{\delta} = \delta(k \approx 0)$

Ly- α \times CMB lensing



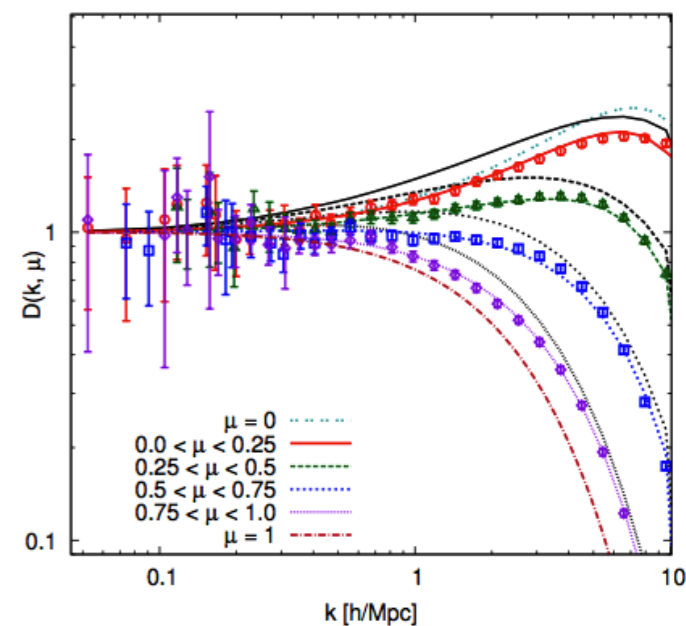
Theoretical bispectrum

$$\begin{aligned} \rightarrow B_{\kappa, \text{Ly}\alpha}(k_{\parallel}) &\hat{=} \text{Cov} \left[\kappa, P_{\text{Ly}\alpha}^{1d}(k_{\parallel}) \right] && \kappa = \int d\chi W_{\kappa}(\chi) \delta(\chi) \\ &= \frac{1}{\Delta\chi} \int d\chi W_{\kappa}(\chi) \frac{\partial P_{\text{Ly}\alpha}^{1d}(k_{\parallel}, \chi)}{\partial \delta} \sigma^2(\chi) \end{aligned}$$

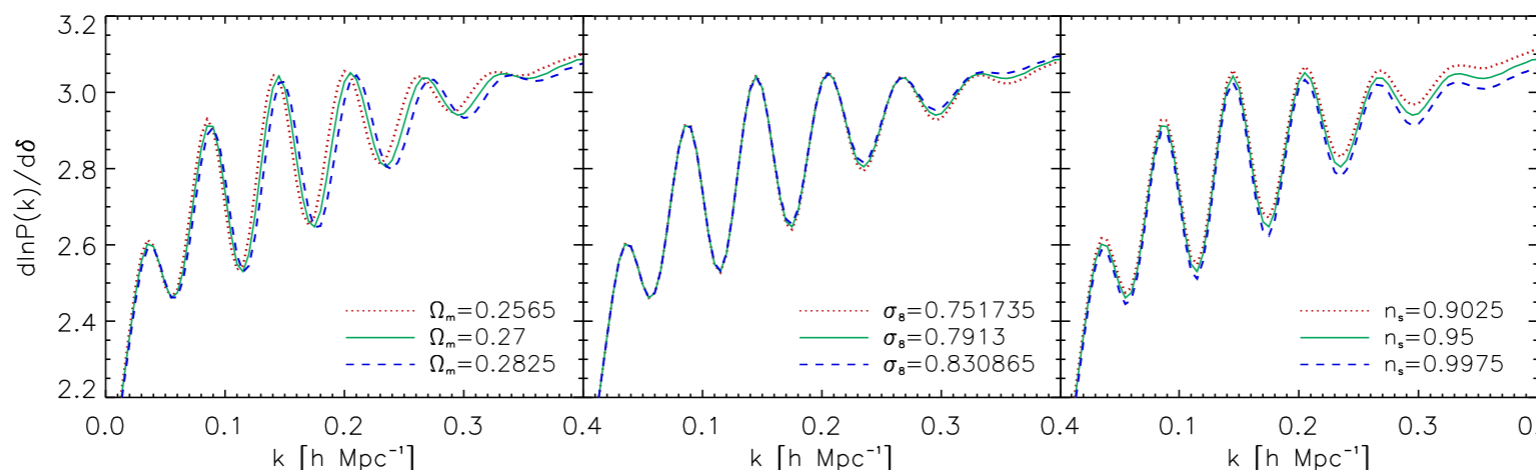
$$\rightarrow P_{\text{Ly}\alpha}^{3d}(k_{\parallel}, \vec{k}_{\perp}) = b_1^2 \left(1 + \beta \mu^2 \right)^2 D(k, \mu) P_{\text{lin}}(k)$$

① linear bias ② RSD ③ baryons & grav. non-linearities

$$\rightarrow \frac{\partial P_{\text{Ly}\alpha}^{1d}(k_{\parallel})}{\partial \delta} = \int \frac{d^2 \vec{k}_{\perp}}{(2\pi)^2} P_{\text{Ly}\alpha}^{3d}(\vec{k}) \left(\frac{\partial \ln P_{\text{lin}}}{\partial \delta} + b_2^{\text{eff}}(k, \mu) \right)$$



Arinyo-i-Prats+15



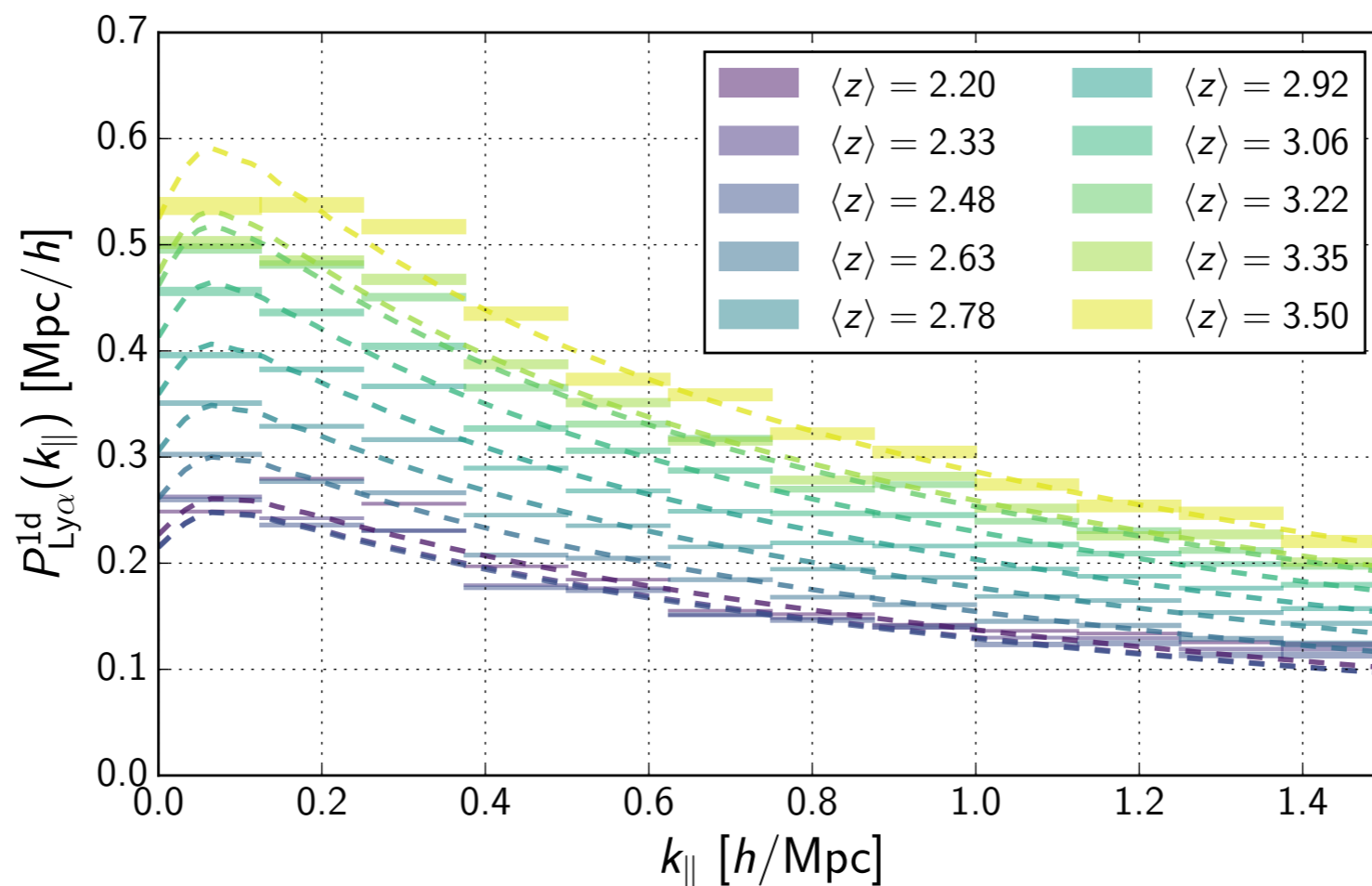
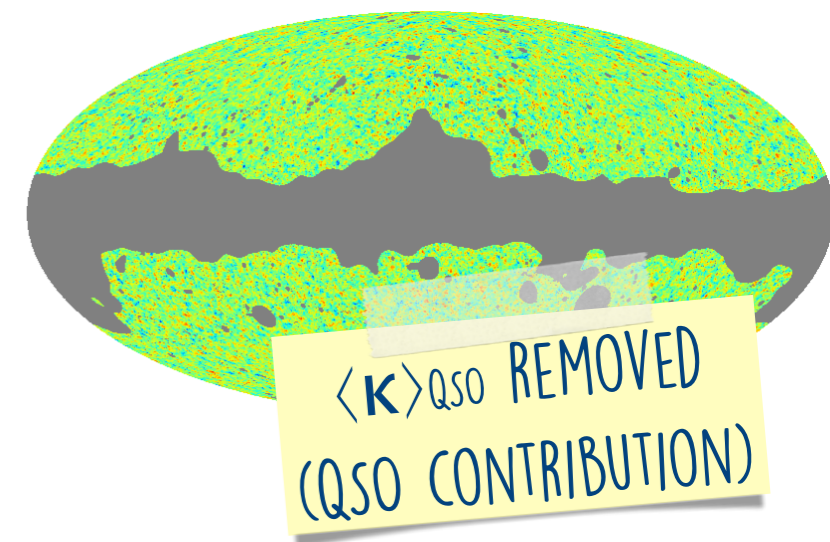
Chiang+15

Analysis method

- ▶ for each Ly- α forest, measure:
 - κ_{CMB} in the direction of the quasar ($-\langle \kappa \rangle_{\text{QSO}}$)

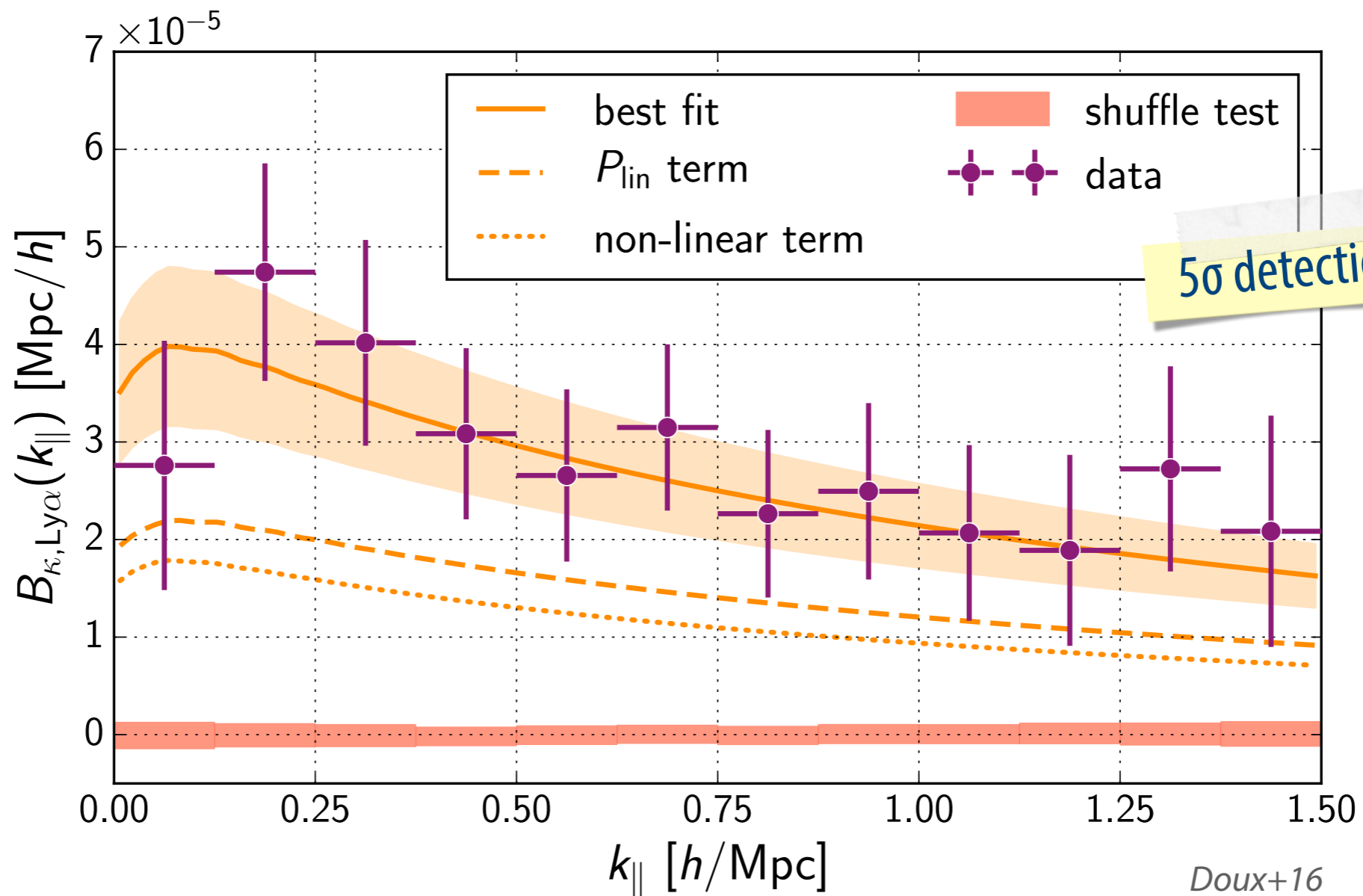
- $$\hat{P}_{\text{Ly}\alpha}^{\text{1d}}(k, z) = \frac{\hat{P}_i^{\text{raw}}(k) - P_i^{\text{noise}}}{W_{\text{spectro}}^2(k, R_i)}$$

- ▶ measure linear bias $b_1(z)$



Ly- α \times CMB lensing bispectrum

- ▶ bispectrum $B_{\kappa, \text{Ly}\alpha}(k_{\parallel})$ = response of linear PS + non-linear
- ▶ linear bias measured from $P_{\text{Ly}\alpha}(k_{\parallel})$
- ▶ effective non-linear bias b_2 measured from $B_{\kappa, \text{Ly}\alpha}(k_{\parallel})$



Conclusion II

Results

- ▶ First correlation of Ly- α and CMB lensing
- ▶ Denser regions ($K_{\text{CMB}} > 0$) \implies higher $P_{\text{Ly-}\alpha}(k)$ = more fluctuations

Beyond

- ▶ Calibration of hydrodynamical simulations (Chiang+17 agrees)
- ▶ Similar correlation found with the CIB-545 GHz map (CIB-CMB lensing xcor)

In the future

- ▶ eBOSS and DESI will have more data : observe redshift dependence ?
- ▶ Better resolution with CMB-S3/4 : angular dependence ?
- ▶ Probe of small-scale power spectrum : neutrino masses, dark matter models, baryons ?

Outline

- ▶ **INTRODUCTION**

 - Why and how combine cosmological probes?

- ▶ **JOINT ANALYSIS OF PLANCK & BOSS DATA**

 - Planck and BOSS

 - Methodology

 - Results

- ▶ **LY- α FOREST \times CMB LENSING BISPECTRUM**

- ▶ **THESIS CONCLUSIONS**

- ▶ **LOW-LEVEL COMBINATION OF WEAK LENSING SURVEYS**

Thesis conclusions

- ▶ **Combinations of cosmological probes can**
 1. reveal new physical phenomenon
 2. improve cosmological constraints
 3. calibrate astrophysical uncertainties (*e.g.*, biases) and instrumental systematics

- ▶ **Results**
 - General framework in NumCosmo for joint statistical analyses
 - Constraints on w CDM + m_ν + biases at once
 - Detection Ly- α forest \times CMB lensing \rightarrow indep. test + hydro sim calibration

Thesis conclusions

▶ Joint analysis of future surveys

- combinations of probes *and* experiments to **boost science impact**
- full *multi-probe, multi-survey* analysis + cross-calibration
- **radial decomposition** adapted to spectro/photo survey + 2D fields
- going further: **low-level data** combination, e.g., *multi-band, multi-resolution* image analysis for weak lensing surveys (LSST, Euclid, WFIRST)

Outline

- ▶ **INTRODUCTION**

 - Why and how combine cosmological probes?

- ▶ **JOINT ANALYSIS OF PLANCK & BOSS DATA**

 - Planck and BOSS

 - Methodology

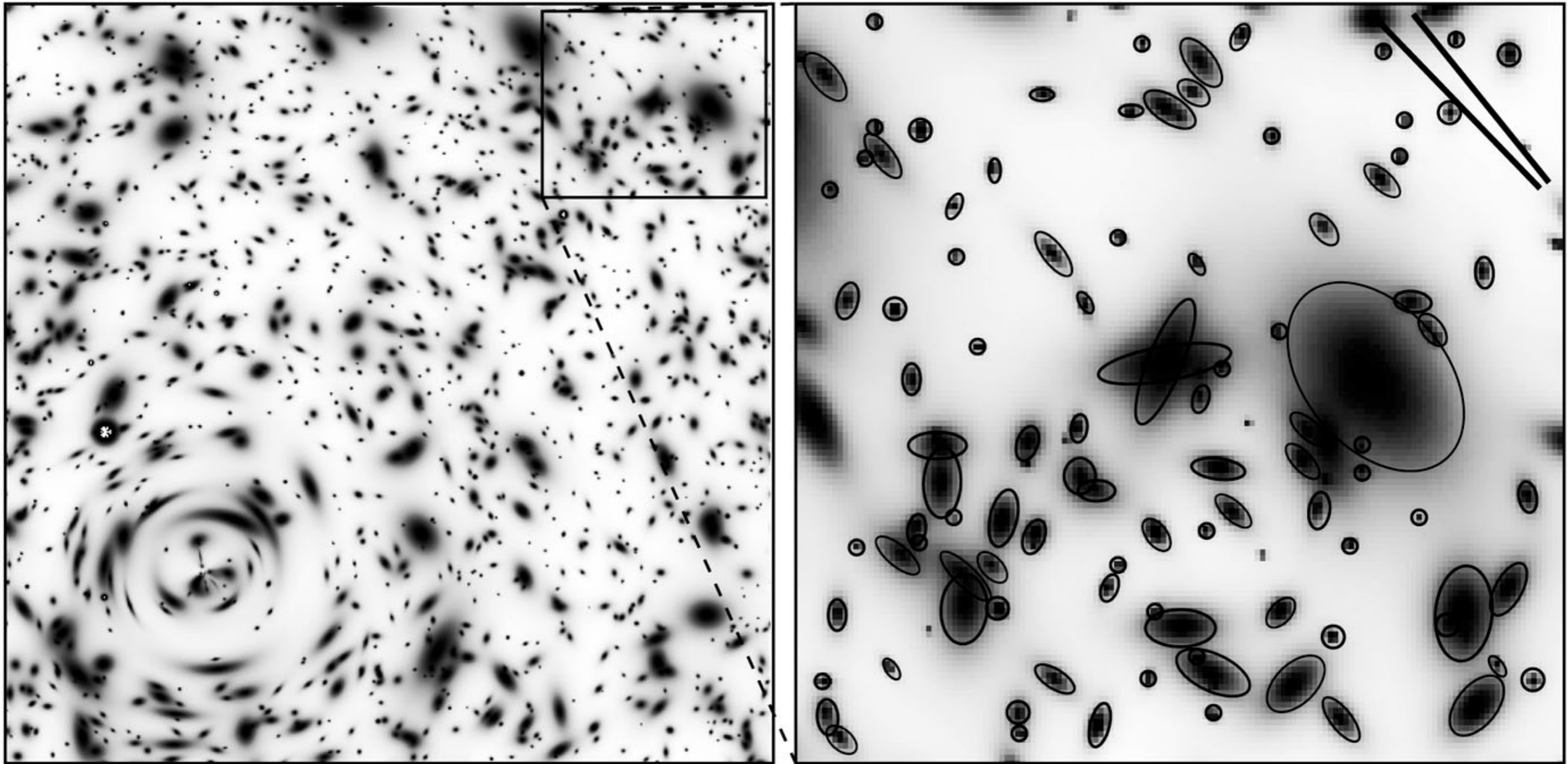
 - Results

- ▶ **LY- α FOREST \times CMB LENSING BISPECTRUM**

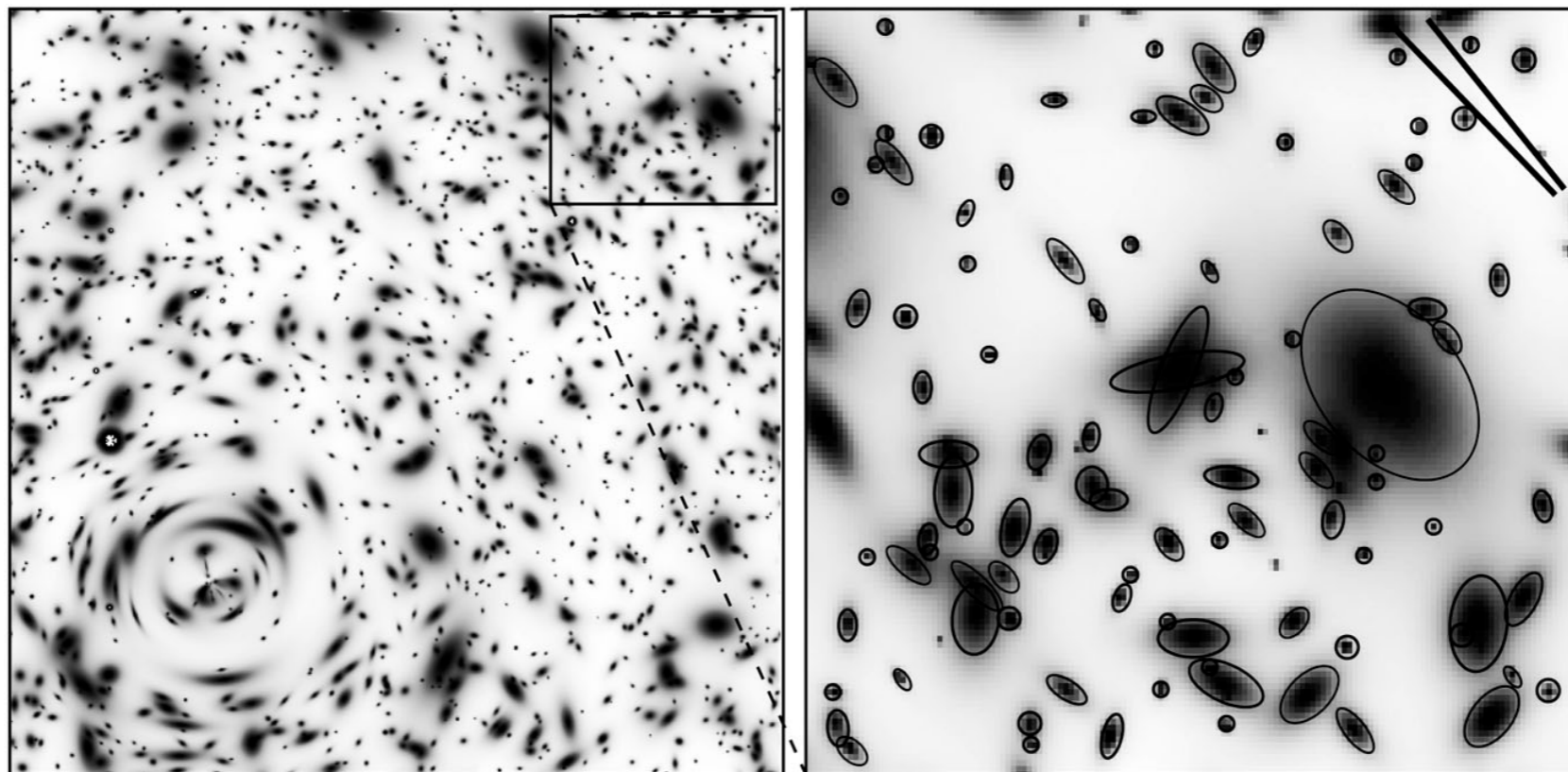
- ▶ **THESIS CONCLUSIONS**

- ▶ **LOW-LEVEL COMBINATION OF WEAK LENSING SURVEYS**

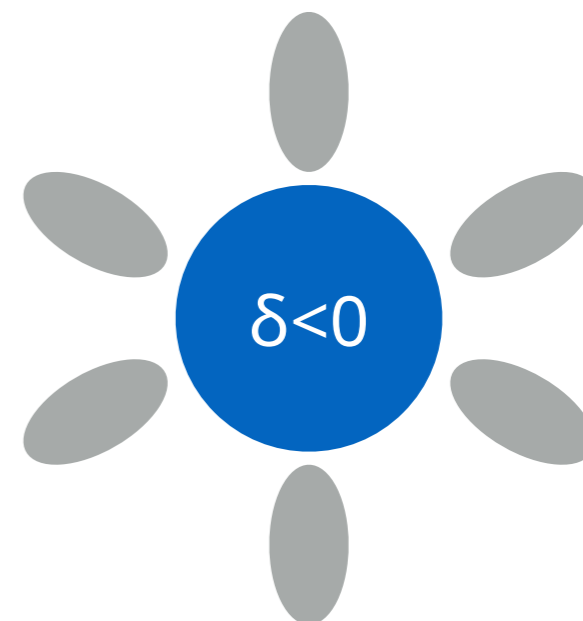
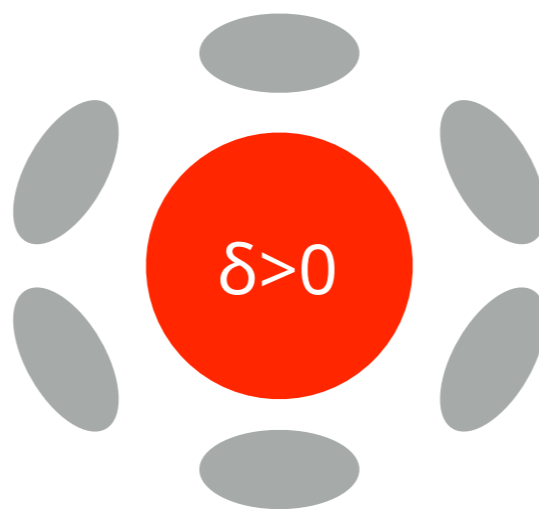
Weak lensing 101



Weak lensing 101

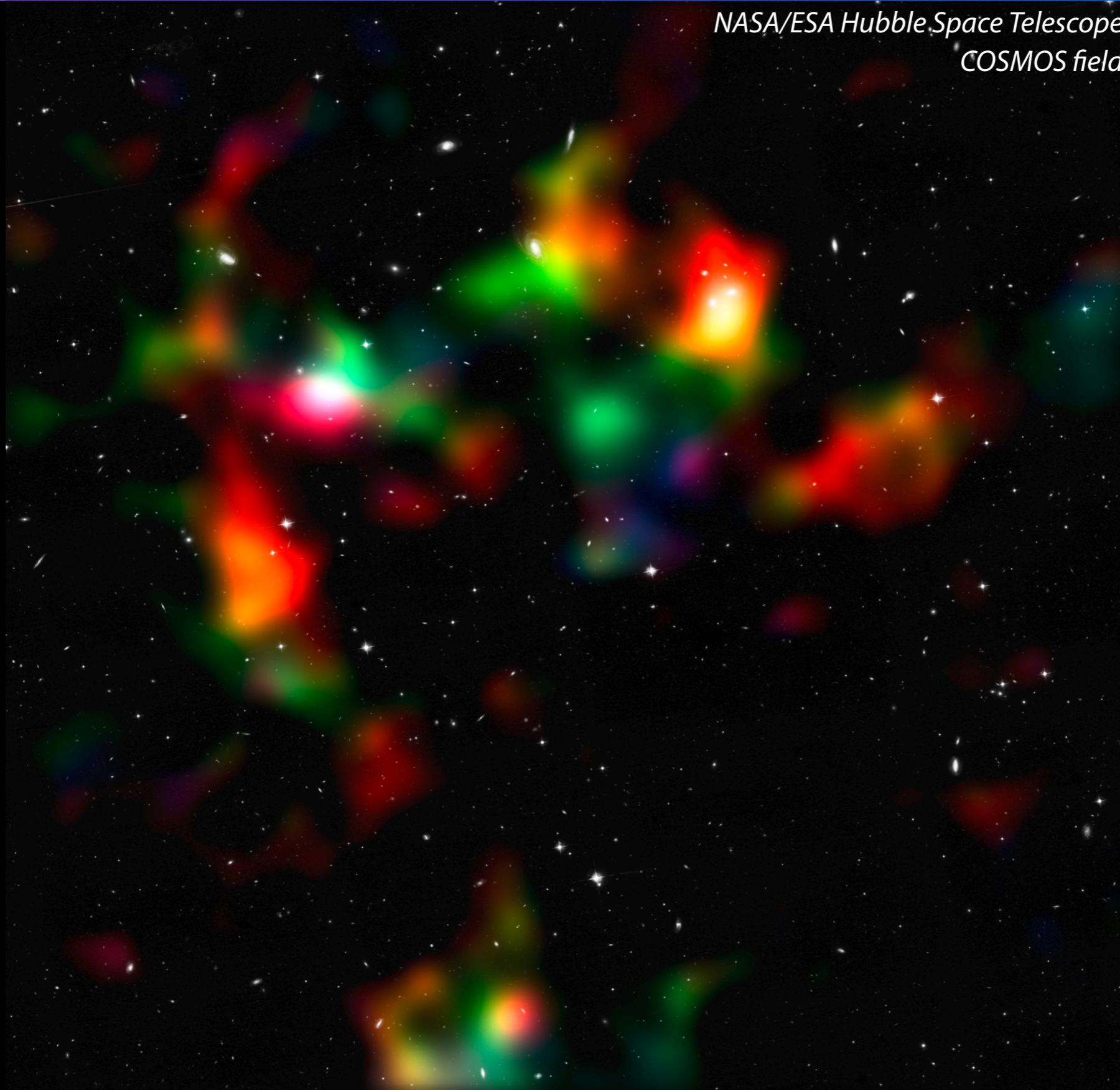


SHAPES \rightarrow MASS :



Mass mapping

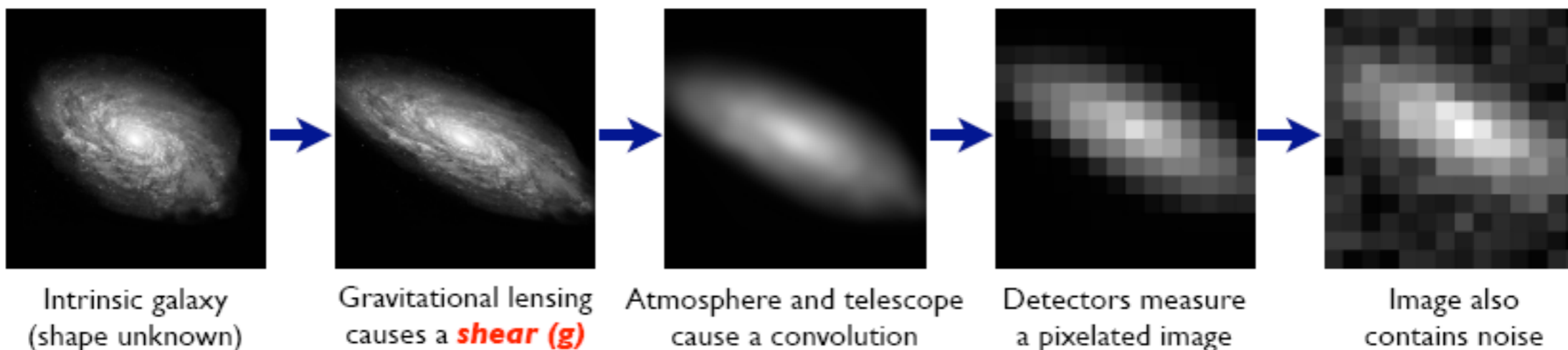
*NASA/ESA Hubble Space Telescope
COSMOS field*



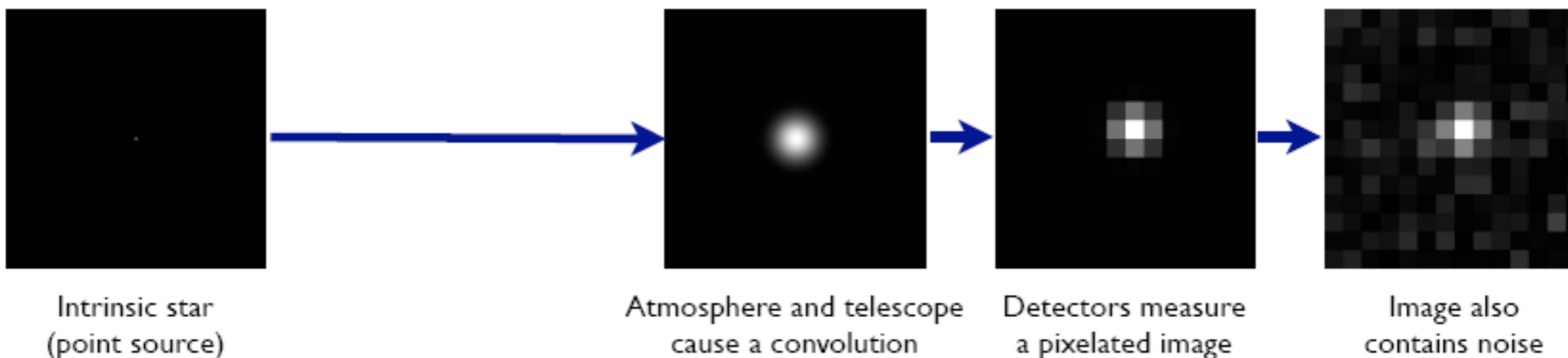
The forward process

The Forward Process.

Galaxies: Intrinsic galaxy shapes to measured image:



Stars: Point sources to star images:

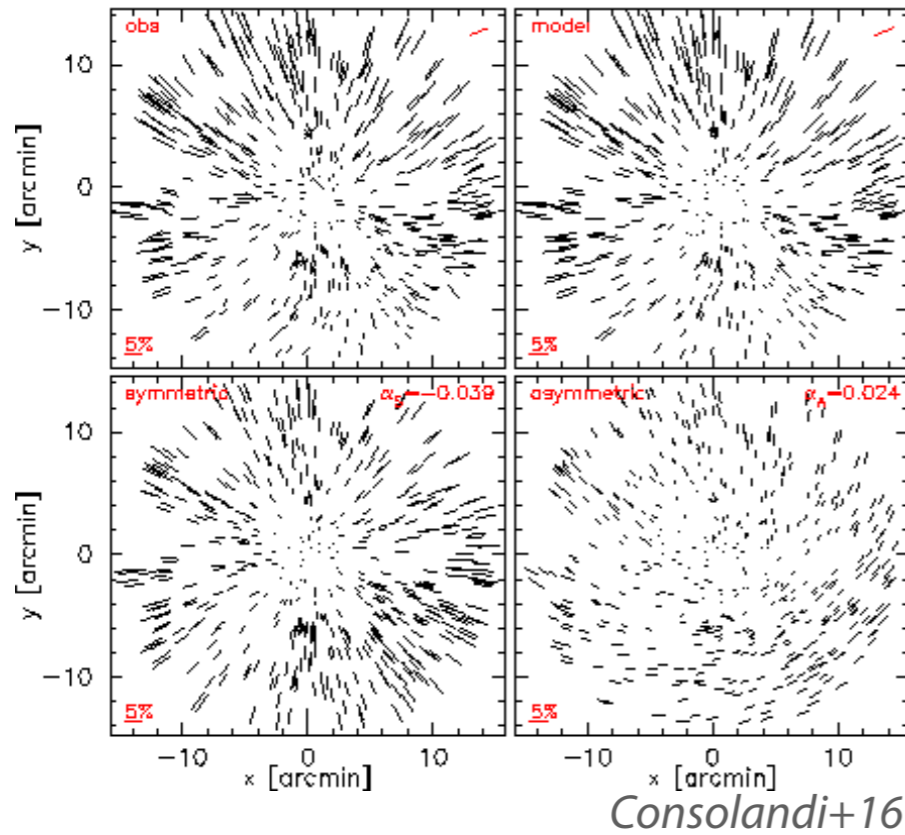


Bridle+09

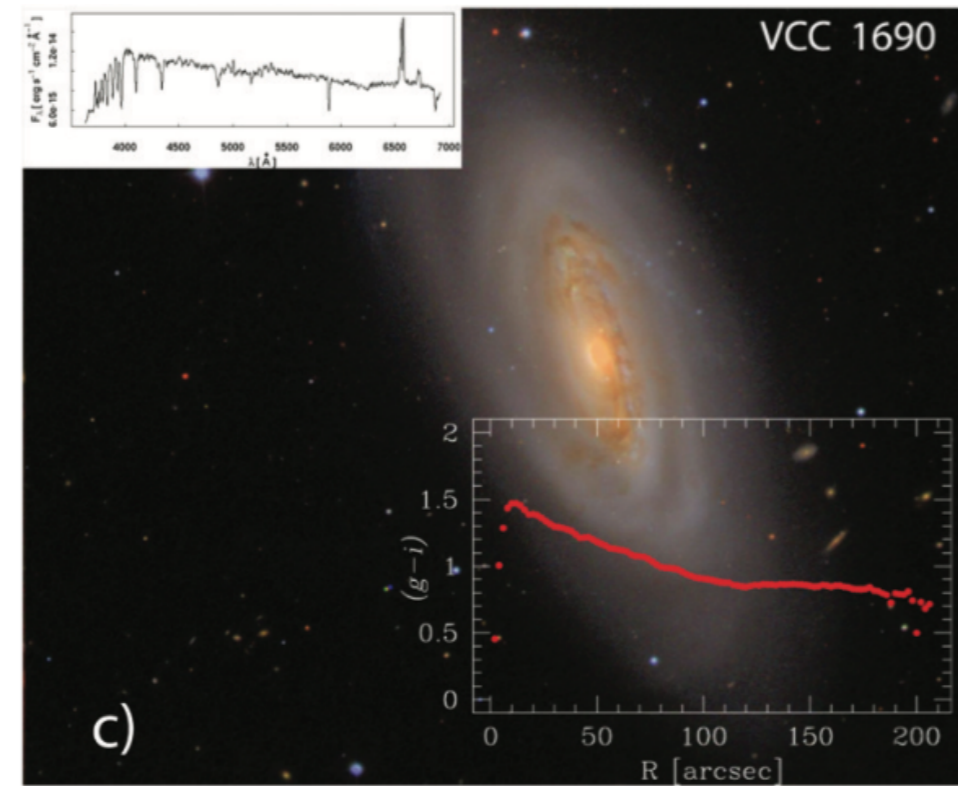
- ▶ **IDEA** : same galaxy observed with different **PSFs** (no atmosphere in space!) and **color** filters

Astrophysical/instrumental uncertainties

PSF anisotropies

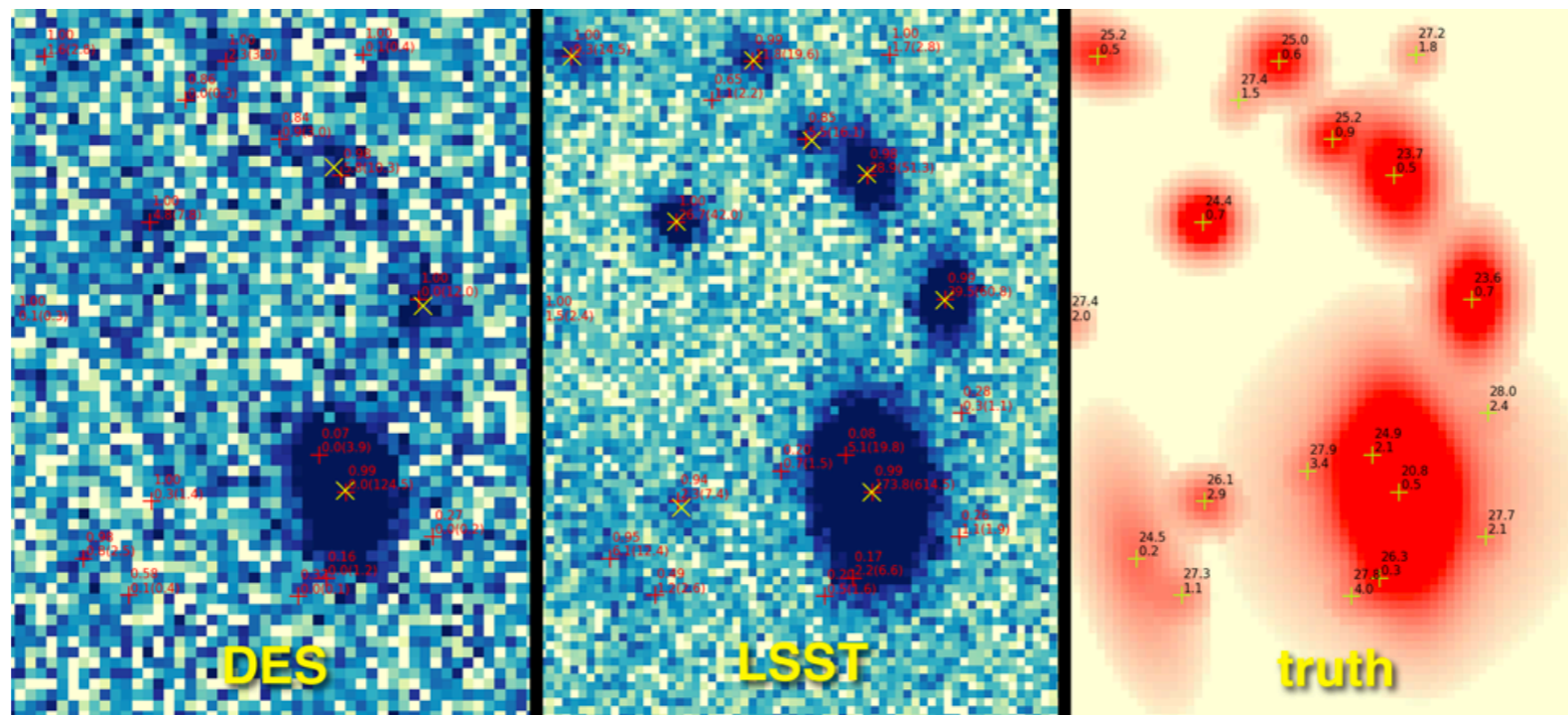


color gradients



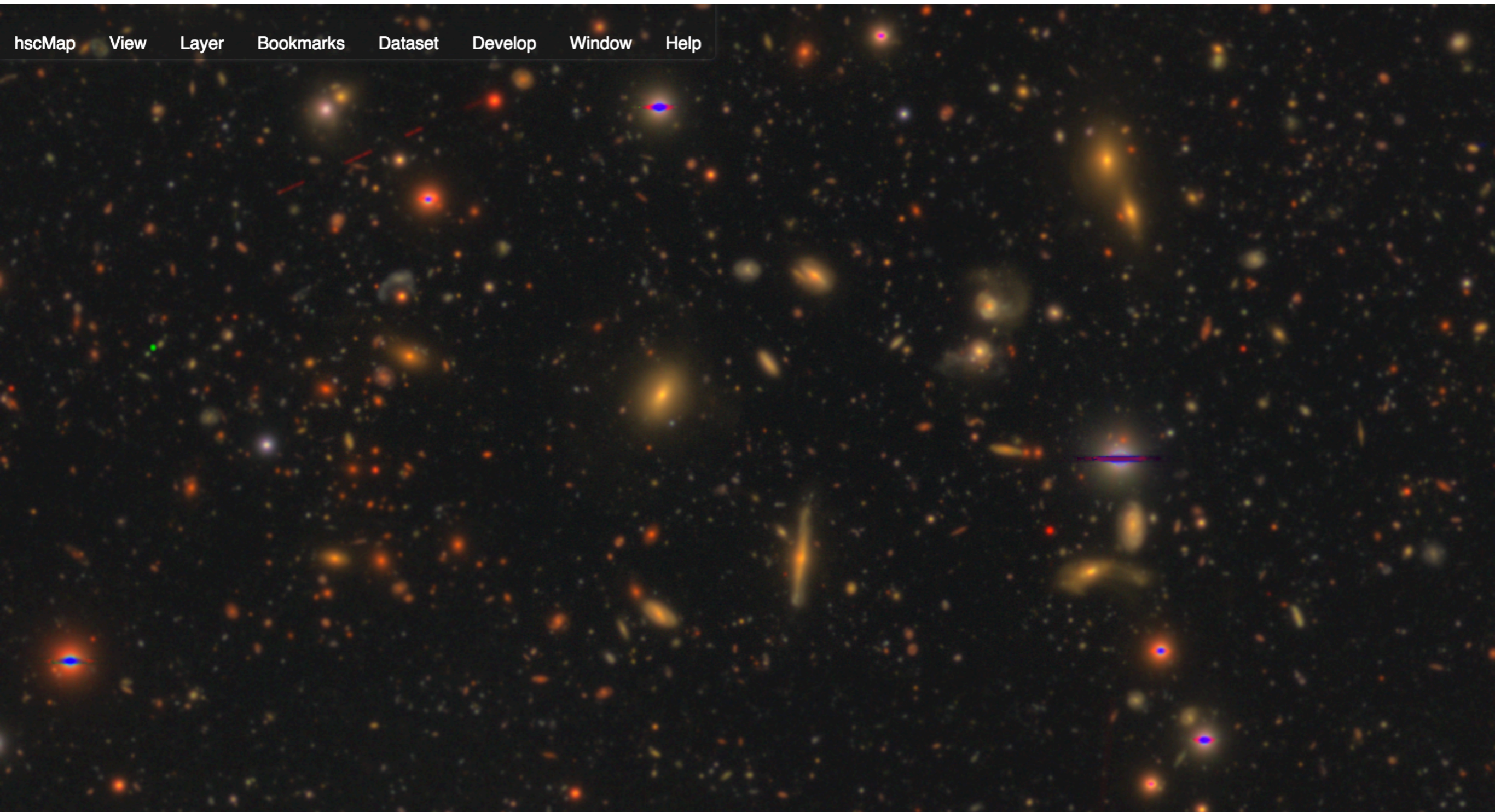
Dawson+16

blending



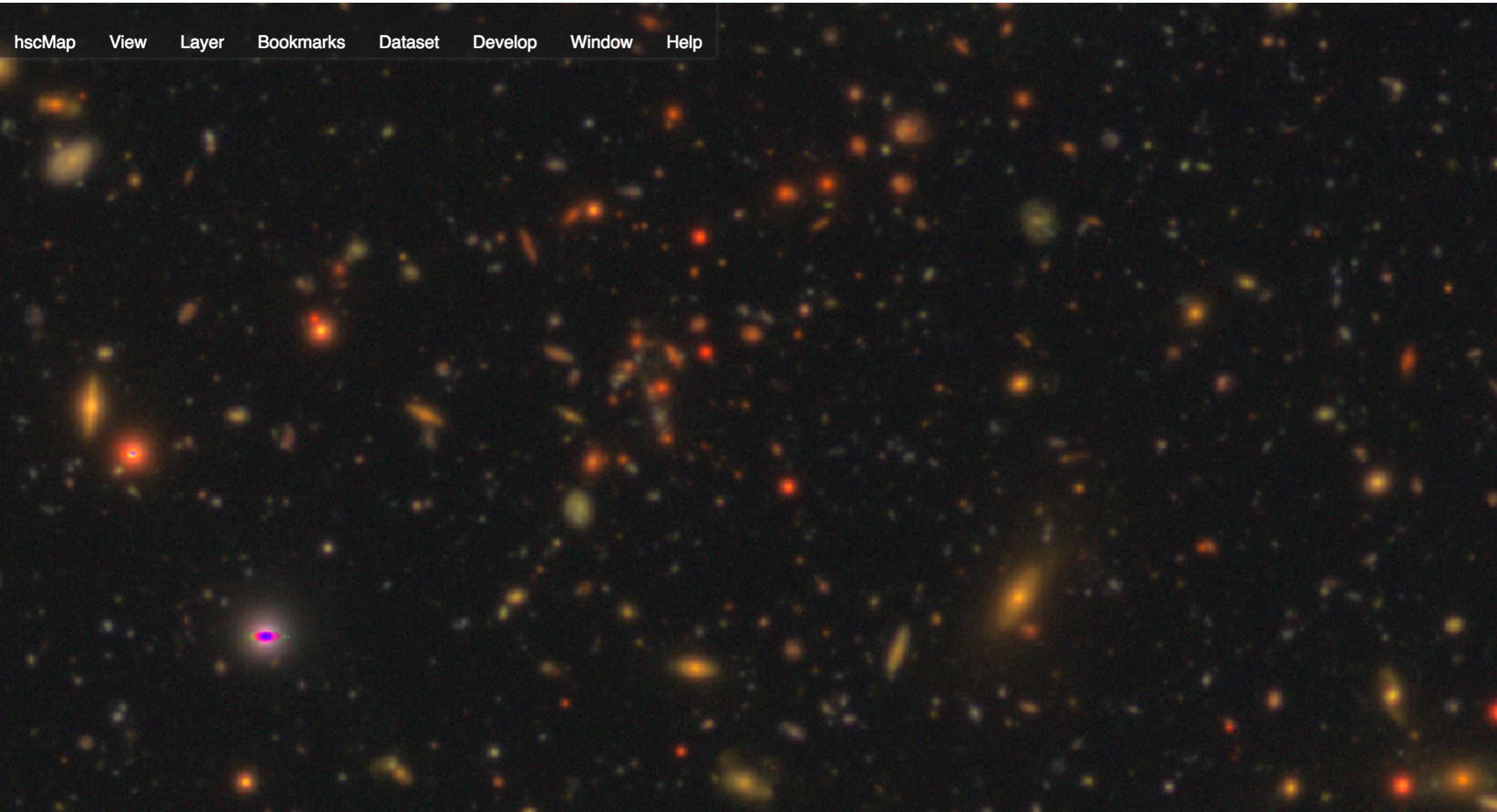
What will LSST data look like?

A lot like HSC data (hsc-release.mtk.nao.ac.jp/hscMap2/) !



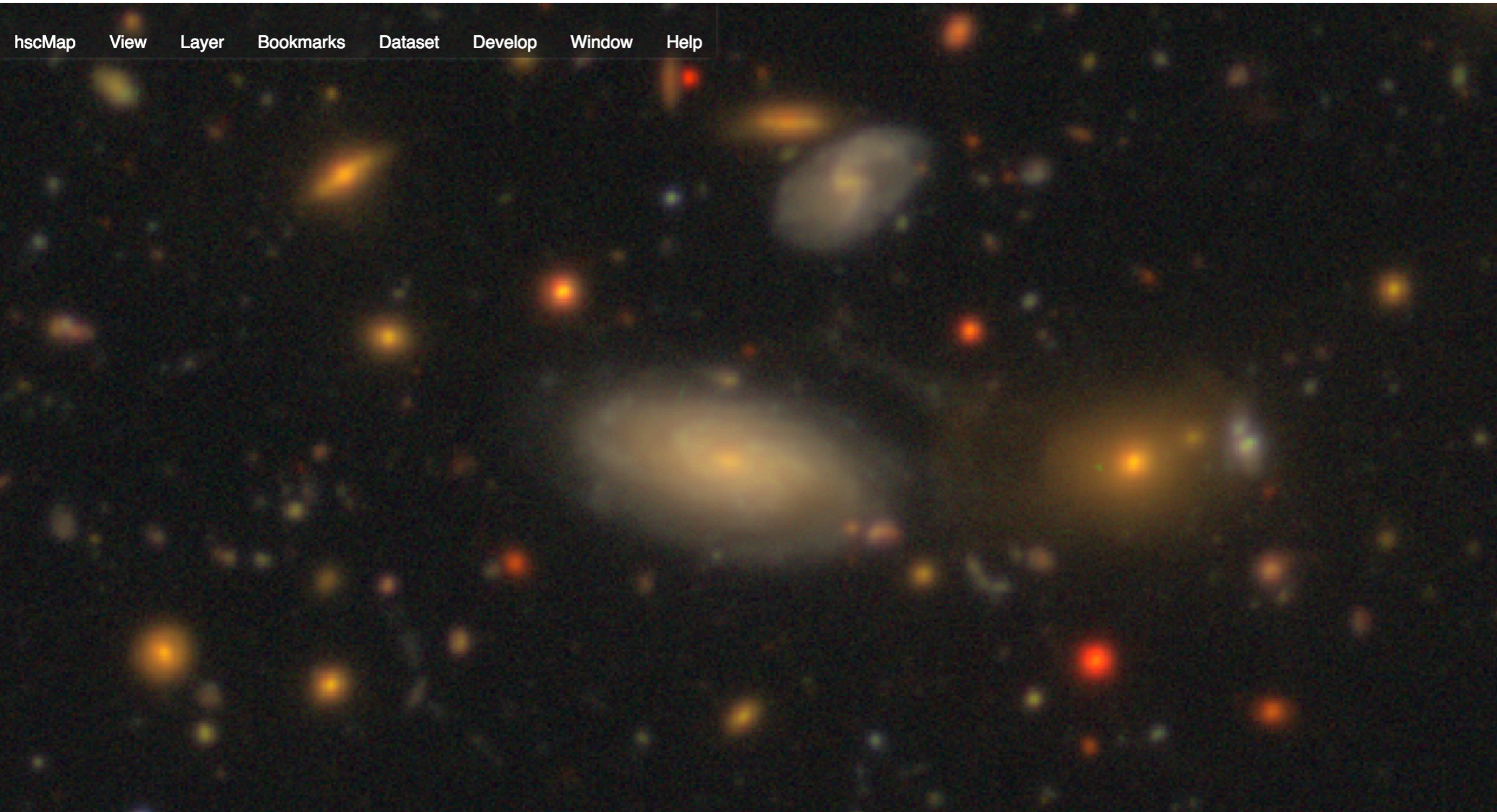
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What will LSST data look like?

A lot like HSC data (hsc-release.mtk.nao.ac.jp/hscMap2/) !



The deblending problem

▶ Is it an issue ?

→ Yes !

→ *deep* survey: maybe up to 40% of blended objects (so says R. Lupton !)

→ depends on your definition of "*blended*"



▶ Why ?

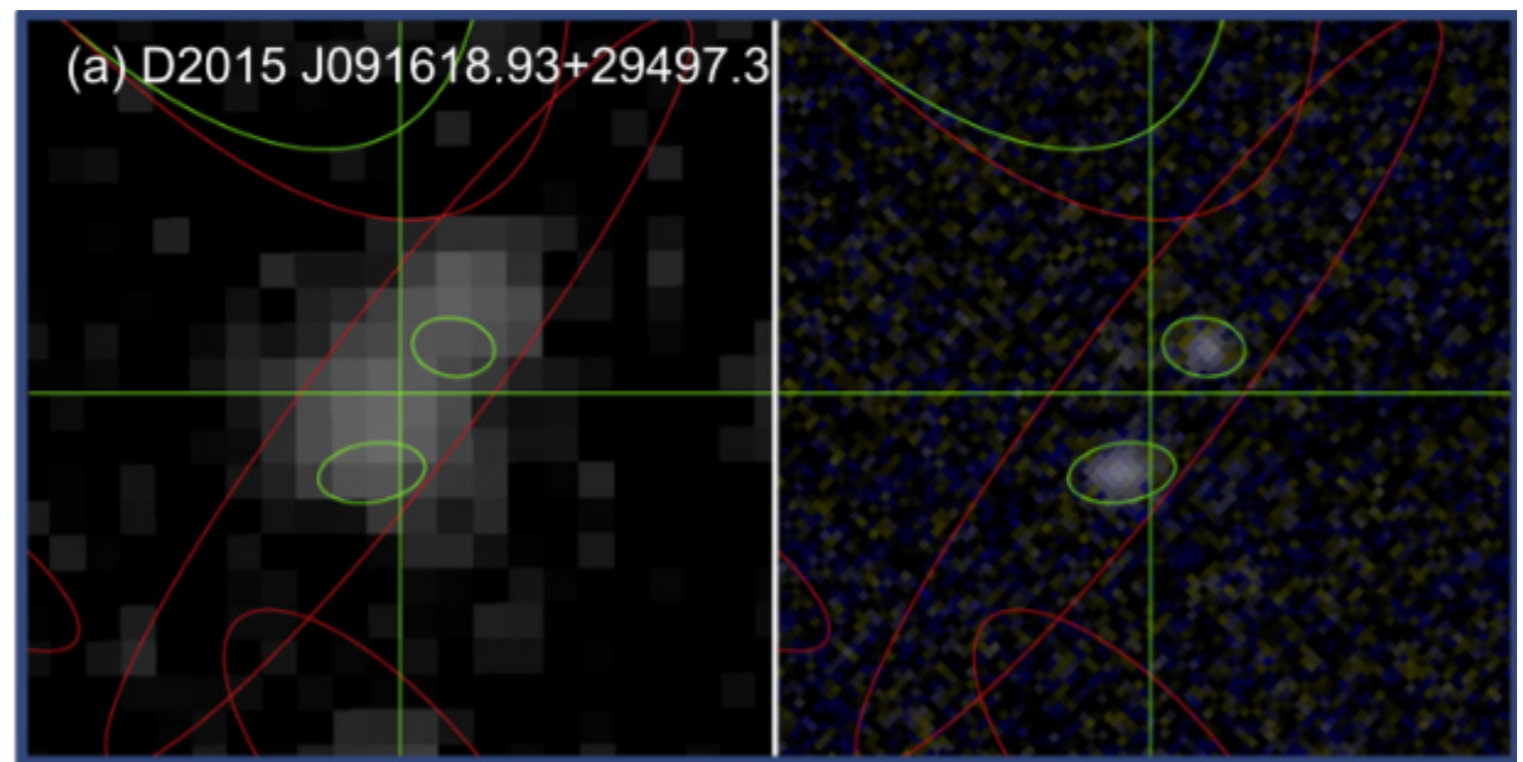
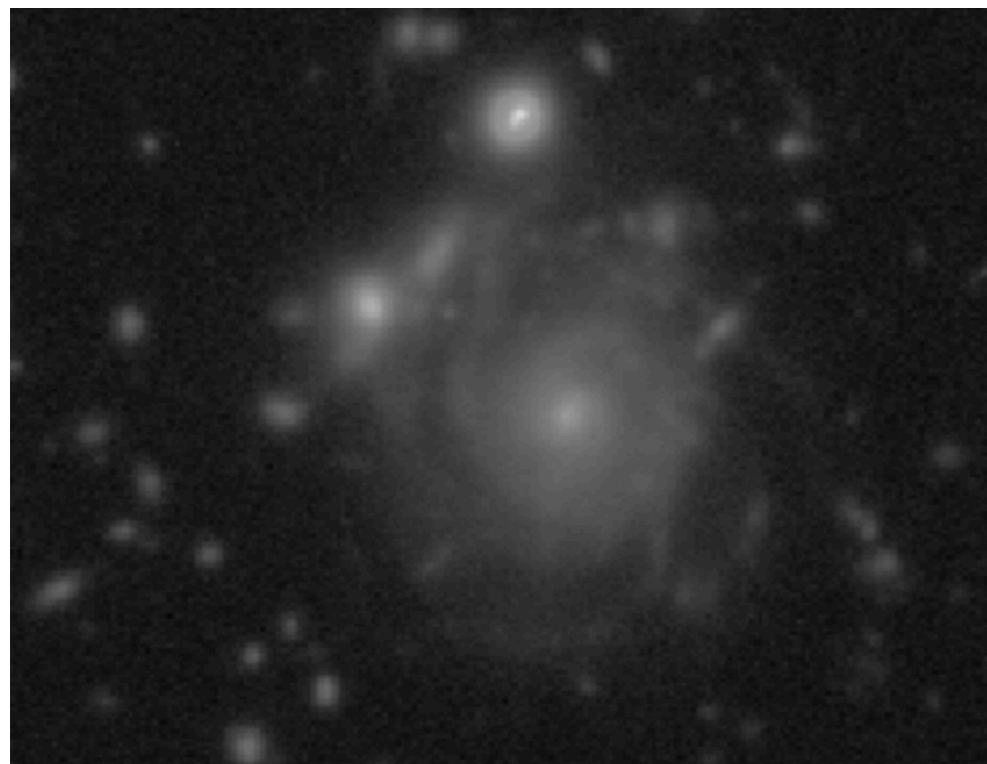
→ it affects all measurements :

- fluxes of extended objects per band > colors > redshift
- shapes > cosmic shear
- morphology
- ...

What can you do about it?

- Use **colors** (*ugrizy* bands)
- Use **space** observations (Euclid, WFIRST !) \Rightarrow diffraction-limited PSF
- Learn what *real* galaxies look like vs symmetries

\curvearrowright *neural networks can do that very well!*



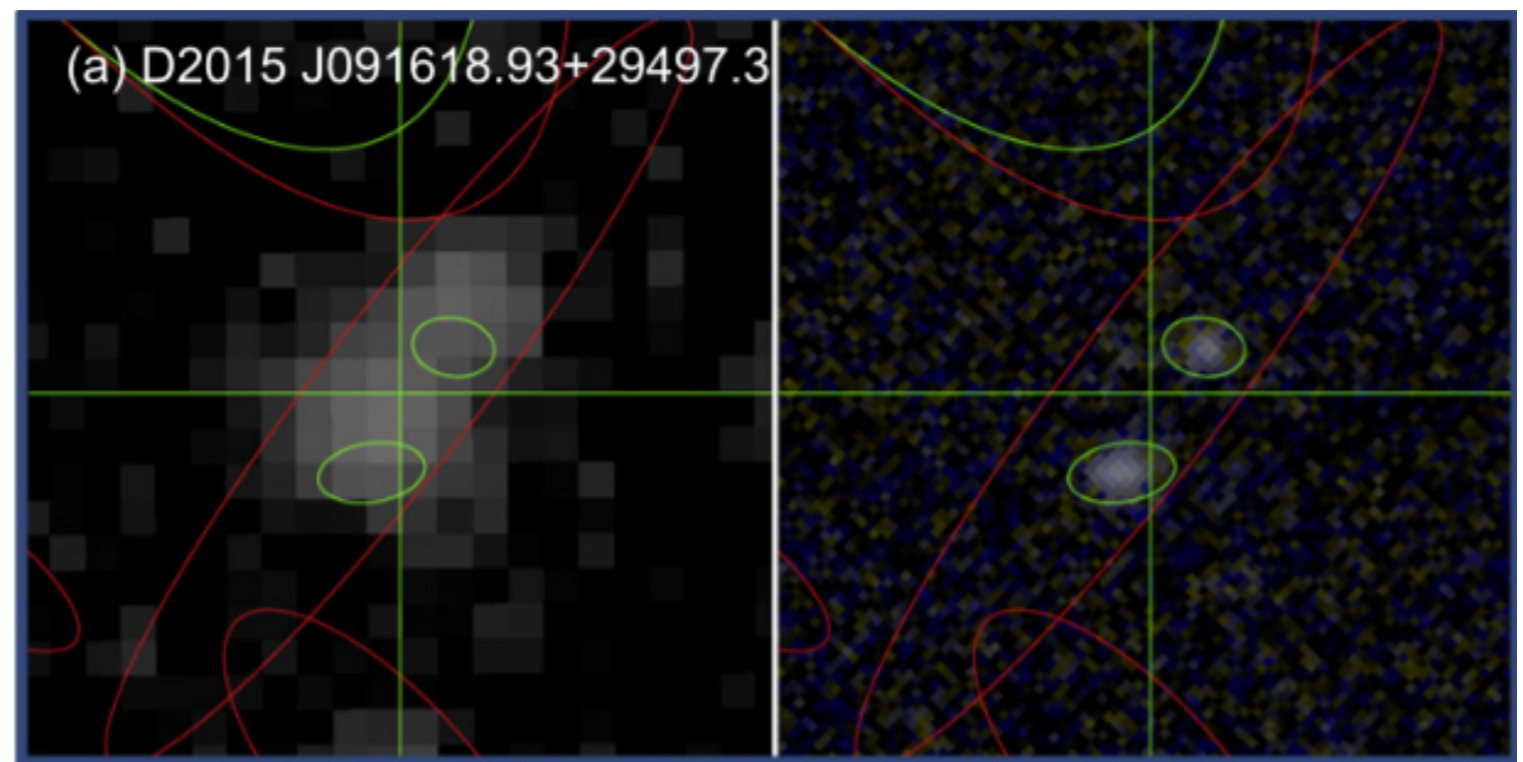
Ground : HSC

Space : HST

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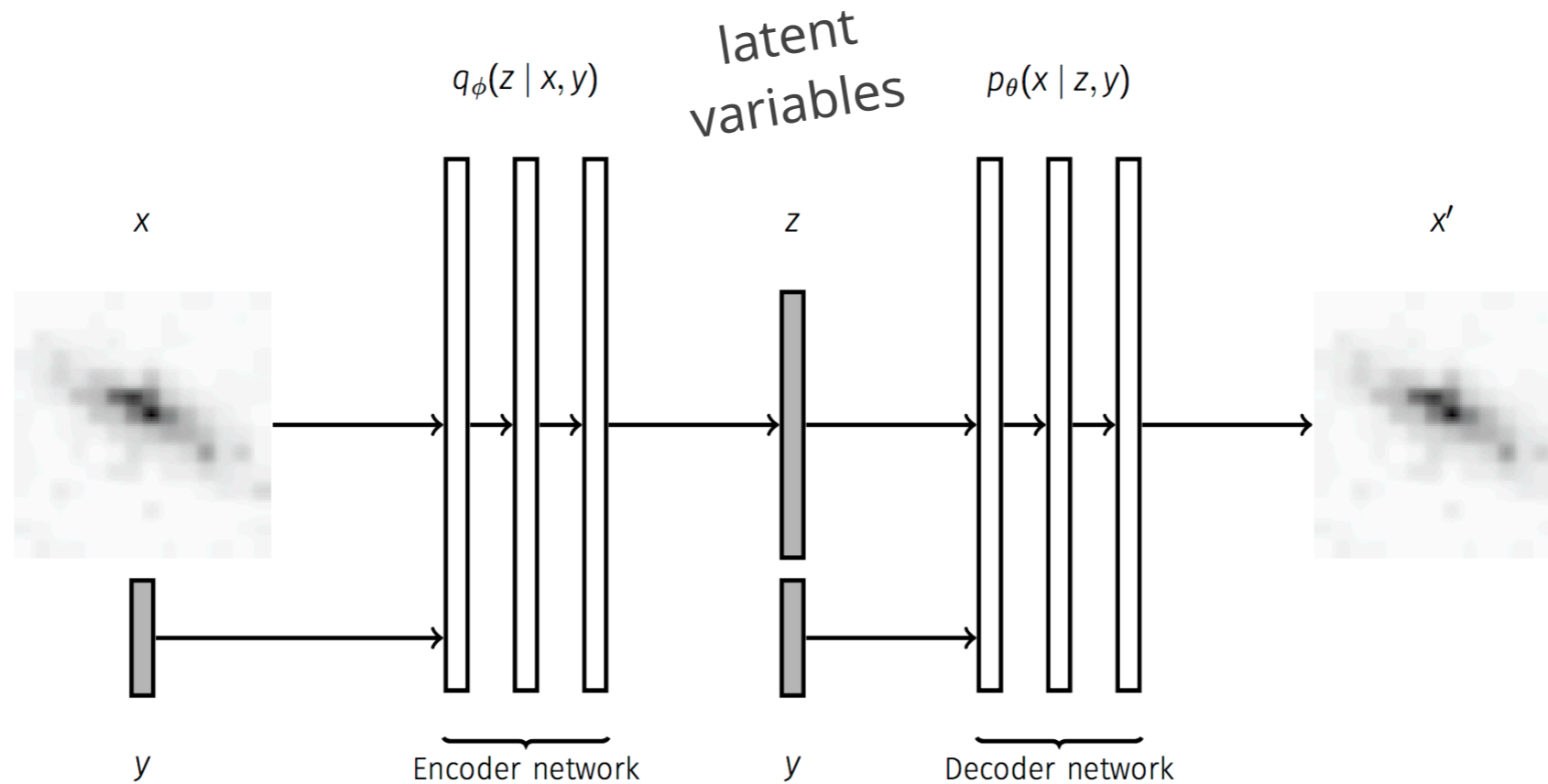


Ground : HSC

Space : HST

GENERATING REALISTIC GALAXY IMAGES

→ learn what real galaxies look like : (conditional) variational auto encoders



$$\log(p_\theta(x | y)) \geq \underbrace{-\mathbb{D}_{\text{KL}}(q_\phi(z | x, y) \| p_\theta(z | y))}_{\text{Code regularisation}} + \underbrace{\mathbb{E}_{z \sim q_\phi(\cdot | x, y)}[\log p_\theta(x | z, y)]}_{\text{Reconstruction error}}$$

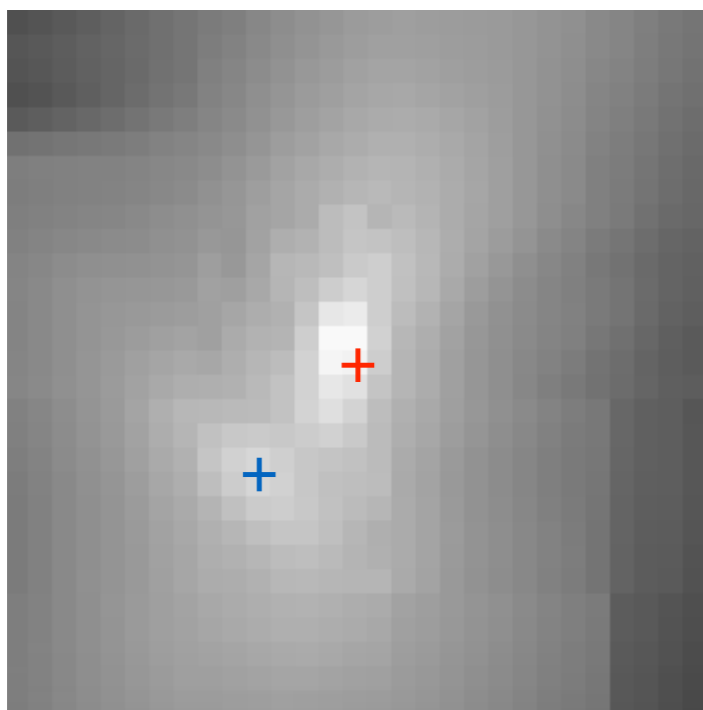
©François Lanusse

→ draw $z \sim \mathcal{N}(0, \mathbb{1})$ to produce new realistic images

Deblending galaxies

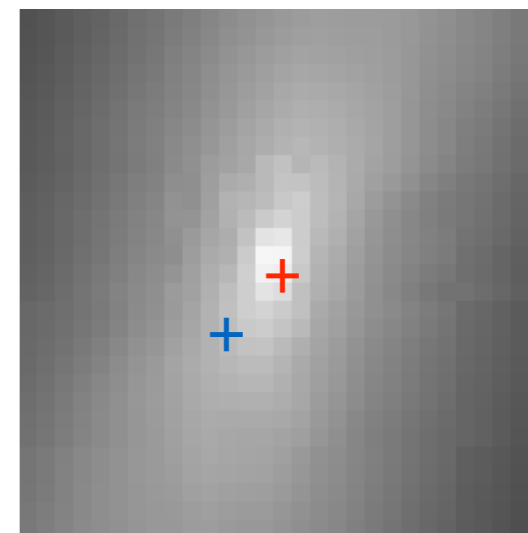
deep neural networks to perform deblending

- ▶ adapted VAE-type networks ? preliminary work : monochromatic, shape only
- ▶ hierarchical networks using pre-trained encoders ?
- ▶ use latent variables encoding shear ?

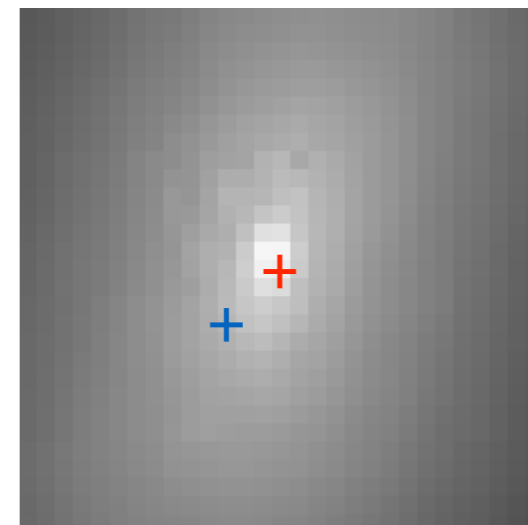


input
(blended)

desired output
(deblended)



output
(deblended)



The case for ground x space



DES data - deliberately stolen from Peter Melchior's slides

The case for ground \times space



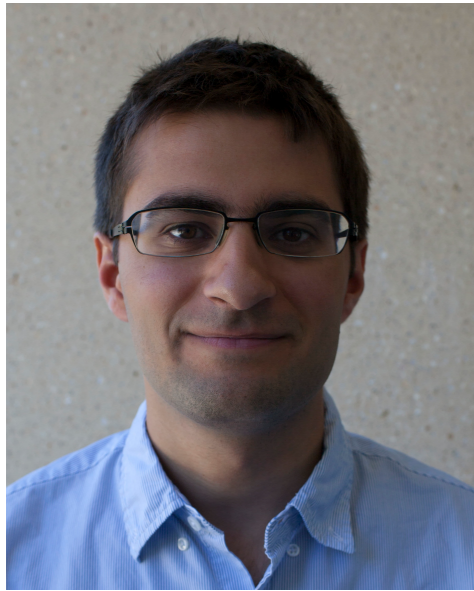
CLASH WFC3/IR data - deliberately stolen from Peter Melchior's slides

Asking the good questions

- ▶ Deblending is a *necessity*, not a *purpose*
- ▶ **Scientific goal(s)** sets the deblending *score*
 - shape
 - colors/redshift
 - morphology
 - ?

) *cosmic shear needs both!*
- ▶ **How to proceed ?**
 - define the question: what task should NN learn?
 - do you care about single objects ? or statistical measurements ?
 - where can they outperform good ol' algorithmic? see Alpha Go
 - build a test data base (COSMOS field?)
 - test algorithms for different scores (RAMP ?)

Main collaborators



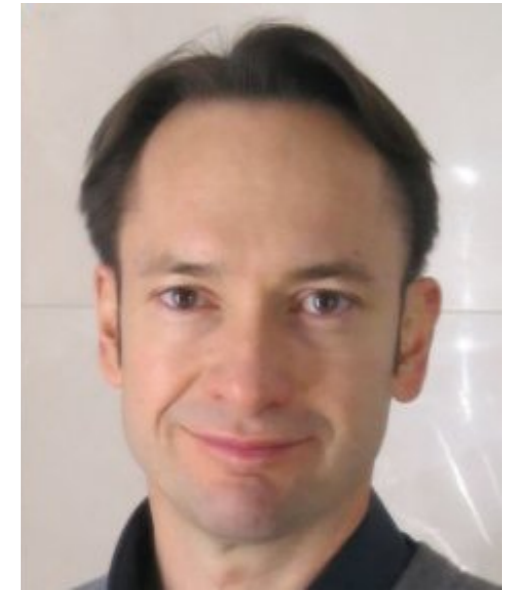
Emmanuel Schaan
Princeton/Berkeley



Mariana Penna-Lima
LAL, Annecy



Sandro Vitenti
CBPF & Univ. Louvain



Julien Tréguer
APC, Paris



Éric Aubourg
APC, Paris



Ken Ganga
APC, Paris



David Spergel
Princeton

Publications

1. **Doux, C.** et al. *First detection of cosmic microwave background lensing and Lyman- α forest bispectrum.* Phys. Rev. D 94, 103506 (2016). + synopsis in APS's Physics
2. **Doux, C.** et al. *Cosmological constraints from a joint analysis of cosmic microwave background and large-scale structure.* arXiv.org 1706, arXiv:1706.04583 (2017).
3. Vitenti, S. D. P., Penna-Lima, M. & **Doux, C.** NumCosmo: Numerical Cosmology library.

Code

- NumCosmo library: [xcor](#) module on numcosmo.github.io

THANK YOU!