

# Preparatory study for QED ME/PS matching

**C. Bâty** S. Gascon M. Lethuillier

(IPNL, Université Lyon 1, Université de Lyon)

J. Tao

IHEP (Beijing)

M. Moretti F. Piccinini R. Pittau

(Univ. Ferrara/INFN, Univ. Pavia/INFN, Univ. Torino/INFN & Univ. Granada)

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- 1 Study presentation
- 2 Study results
- 3 Conclusions and Prospects

# Study presentation

## Global overview

- 1 Nowadays, generation of physical process are usually made using:
  - ME generation of the "hard event" with ME generator (ALPGEN(1), MadGraph(3) ...)
  - PS fragmentation and hadronisation made with PS algorithm (PYTHIA(2), Herwig ...)
- 2 The double counting problem between ME & PS **jets** has been addressed with "QCD matching" at the "particle level" (after the creation of partonic shower).
- 3 A similar double-counting problem exists for **photons** and has not yet been addressed by a matching algorithm.

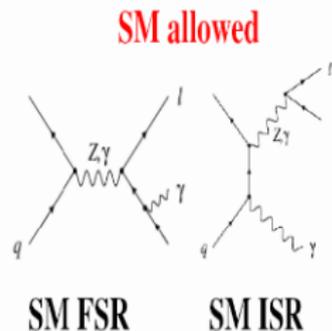
### Goal:

Select the photons of ME or PS generators in the kinematic phase space where they are the most relevant avoiding double counting.

### Our first test channel: $Z \rightarrow \mu\mu + \gamma$ , its relevances for the LHC:

Use of "internal bremsstrahlung" allows the following measurements from (future) real data:

- photon trigger efficiency
- photon energy scale
- photon identification efficiency
- photon energy corrections
- $E_T$ : 5 – 200 GeV pertinent range for ECAL energy calibration (between typical Pt of  $\pi_0$  and  $\gamma$  from Higgs Boson decay).



# Study presentation

## More details of our study

We study the generation of this channel via two different procedures:

- First, use the ALPGEN generator in the inclusive channel  $Z \rightarrow \mu\mu$ , and then use the PYTHIA generator for the partonic shower. This sample will be called  $Z0$  because it comes from  $Z$  decay but **without** explicit  $\gamma$  in the hard event.

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- Second, we use ALPGEN to generate process  $Z \rightarrow \mu\mu + \gamma$  before using PYTHIA (with ISR/FSR switched off in PYTHIA). This sample will be called Z1 because ALPGEN generator forced a ME  $\gamma$ .

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So, in these two procedures, we use both PYTHIA and ALPGEN but forcing (or not) the creation of a ME  $\gamma$ . The underlying event and the hadronisation are suppressed in order to allow the deconvoluted study of ME and PS  $\gamma$

### Goal of this study

- Identify phase space of possible observables where ME/PS descriptions differ:  $\Delta_R(\gamma, \mu)$  and  $\gamma_{PT}$
- Determine zone of agreement between PS/ME description for defining a zone where we can choose "cutoffs"
- Check the robustness of this range under the "anti-double-counting veto" (to be describe later) by studying the stability of:
  - the total cross-section:  $\sigma_f = \sigma_j \times \frac{N_{final\_after\_veto}}{N_{generated}}$
  - the shape of the combined curves (Z0 + Z1) after veto application, in order to check if they are sensitive to the "cutoffs".
- If all is stable, select the "cutoffs" – at the generator level – as high as possible to increase generation efficiency.

# Study presentation

## Generator parameters for reference samples

### "Reference" samples

Generated for both processes (Z0 & Z1) with the following loose cuts:

$PT_{\mu} > 15\text{GeV}$	$PT_{\gamma} > 1\text{GeV}$	(for Z1 only)
$ \eta  < 3.0$	$ \eta_{\gamma}  < 3.0$	(for Z1 only)
$M_{\mu\mu} \quad 20\text{GeV} < M_{\mu\mu} < 150\text{GeV}$	$\Delta_R(\mu\gamma) > 0.05$	(for Z1 only)

We have used the following parameters

- PS has been made with PYTHIA 6.408
- In each event after PS we only plot the highest-pt  $\gamma$  with  $\Delta_R > 0.05$  &  $PT_{\mu\mu} > 1\text{GeV}$  &  $|\eta| < 3.0$
- Both samples are normalized to one.

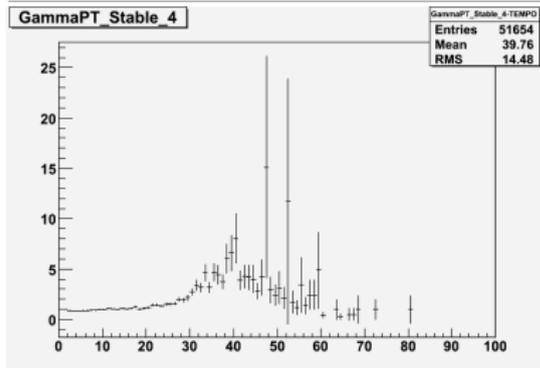
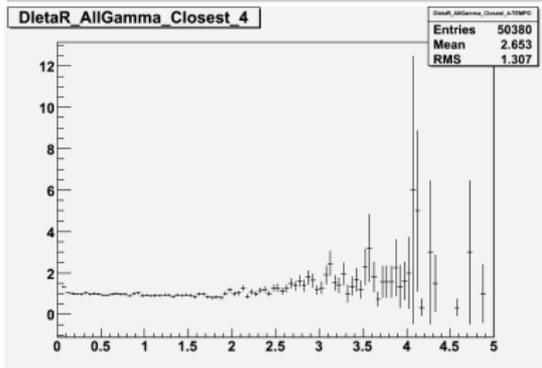
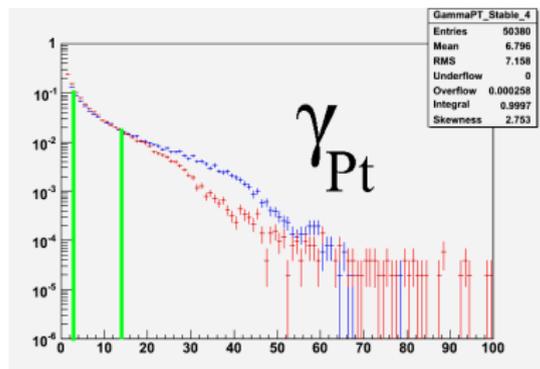
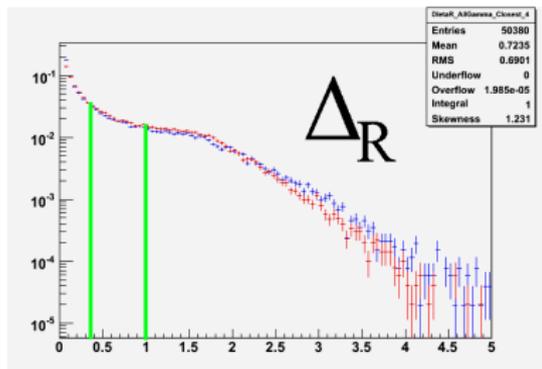
### Generation parameters

$$\begin{aligned}
 M_{(W)} &= 80.419, \Gamma_{(W)} = 2.4807653, \\
 M_{(Z)} &= 91.188, \Gamma_{(Z)} = 2.44194427, M_{(H)} = 120, \\
 \Gamma_{(H)} &= 0, g_W = 0.65323291, \\
 \sin^2(\theta_W) &= 0.222246533, \\
 \frac{1}{\alpha_{em} \times (M_Z)} &= 132.50698, m_t = 174.3, \\
 m_b &= 4.7, PDFset = CTEQ5L, \\
 \alpha_s(M_Z)[n_{loop} = 1] &= 0.127003172
 \end{aligned}$$

### Percentage of events surviving these cuts:

$$\begin{aligned}
 Z \rightarrow \mu\mu \quad \text{Z0} &: \simeq 52\text{K}/500\text{K} \simeq 11\% \text{ with } \gamma \text{ coming from PYTHIA PS} \\
 Z \rightarrow \mu\mu + \gamma \quad \text{Z1} &: \simeq 50\text{K}/52\text{K} \simeq 96\% \text{ with } \gamma \text{ coming from ALPGEN ME}
 \end{aligned}$$

## Study results: stability zone &amp; "robustness test points" choice I/VIII

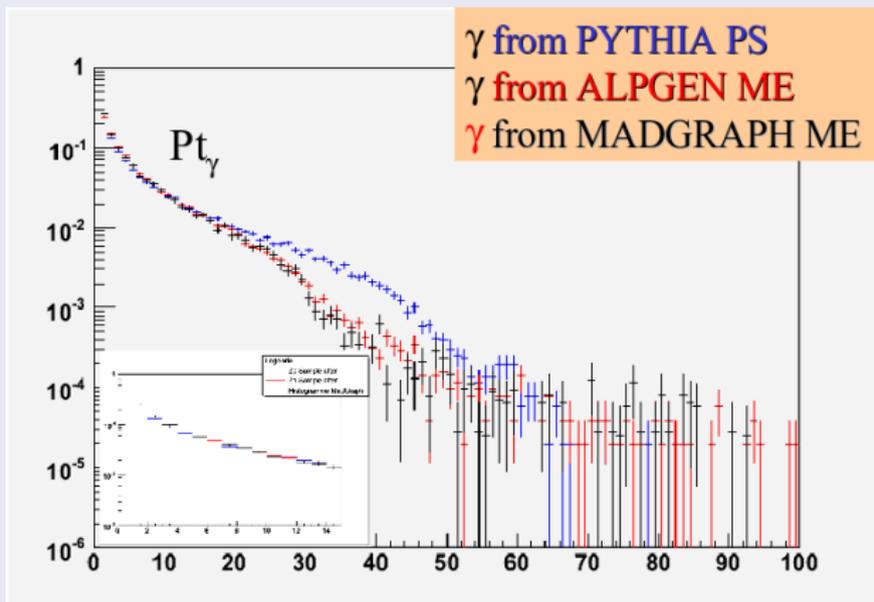
PYTHIA PS / ALPGEN ME ( $\Delta_R$ )PYTHIA PS / ALPGEN ME ( $\gamma_{PT}$ )Observed zone of agreement between descriptions:  $\Delta_R: 0.15 < \Delta_R(\gamma_{closest}, \mu) < 1.8$  $\gamma_{PT}: 1 < \gamma_{PT} < 16 \text{ GeV}$

# Study results

Cross-check of the shape of the ME  $\gamma_{PT}$  distribution

II/VIII

Cross-check of the ALPGEN  $\gamma_{PT}$  distribution shape with MADGRAPH



Same generation parameters used for MADGRAPH as for ALPGEN. We have a good agreement between this two different matrix element generators.

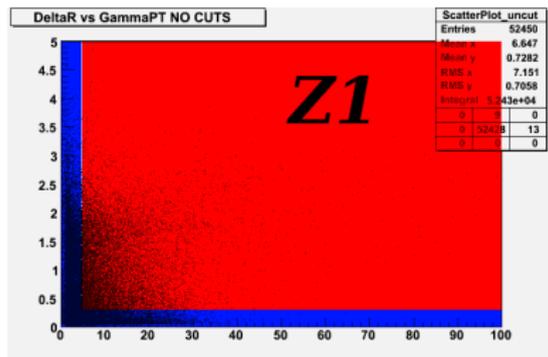
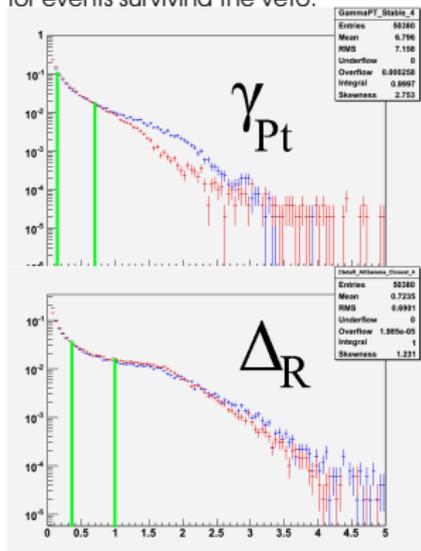
# Study results

## "Anti-double-counting veto" and robustness test strategy

Use veto procedure (using ALPGEN team prescription):

- Z<sub>0</sub> **keep** only events without any  $\gamma$  with  $\Delta_R > \Delta_R$  Cut and  $\gamma_{PT} > \gamma_{PT}$  Cut and  $|\eta_\gamma| > \eta_\gamma$  Cut
- Z<sub>1</sub> **keep** only events with at least one  $\gamma$  with  $\Delta_R > \Delta_R$  Cut and  $\gamma_{PT} > \gamma_{PT}$  Cut and  $|\eta_\gamma| > \eta_\gamma$  Cut

Examine the total X-section and shape of Z<sub>0</sub> + Z<sub>1</sub> for  $\Delta_R$  and  $\gamma_{PT}$  for events surviving the veto.



- Choose 4 cut points in the phase space within "agreement zone" in order to avoid edge biases:

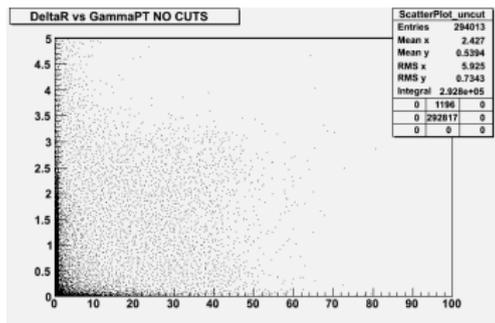
Sample	$\Delta_R$ Cut	$\gamma_{PT}$ Cut	$ \eta_\gamma $ Cut
Point A	0.35	3 GeV	2.7
Point B	0.35	14 GeV	2.7
Point C	1.00	3 GeV	2.7
Point D	1.00	14 GeV	2.7

- Generation of the 4 Z<sub>1</sub> dedicated samples.
- We applied the veto procedure on both Z<sub>0</sub> and Z<sub>1</sub> corresponding samples.

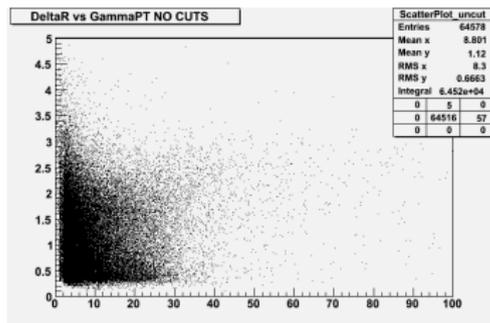
## Study results

Independance of the studied vars

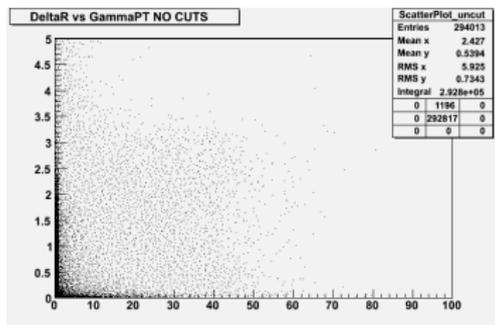
IV/VIII



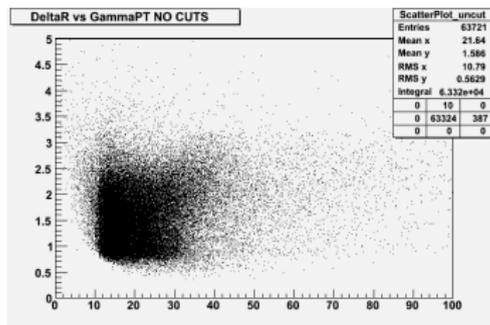
Sample Z0 Point A



Sample Z1 Point A



Sample Z0 Point D



Sample Z1 Point D

# Study results

## Results after veto: stability of total cross-section

Point	$\sigma_{Z_0}$	$\sigma_{Z_0^f}$
A	$991.402 \pm 0.514$ fb	$953.411 \pm 0.494$ fb
B	$991.402 \pm 0.514$ fb	$979.365 \pm 0.508$ fb
C	$991.402 \pm 0.514$ fb	$970.905 \pm 0.503$ fb
D	$991.402 \pm 0.514$ fb	$984.619 \pm 0.510$ fb

Cross-section for the different  $Z_0$  samples

Point	$Z_0$	$Z_1$
A	3.832 %	28.2 %
B	1.214 %	29.5 %
C	2.067 %	37.1 %
D	0.684 %	36.0 %

Events rejected by veto  
double-counted in absence of veto

Point	$\sigma_{Z_1}$	$\sigma_{Z_1^f}$
A	$41.34 \pm 0.067$ fb	$29.683 \pm 0.048$ fb
B	$9.056 \pm 0.013$ fb	$6.381 \pm 0.009$ fb
C	$24.51 \pm 0.037$ fb	$15.421 \pm 0.023$ fb
D	$5.619 \pm 0.006$ fb	$3.594 \pm 0.004$ fb

Cross-section for the different  $Z_1$  samples

Point	$\sigma_{Tot} = \sigma_{Z_0^f} + \sigma_{Z_1^f}$
A	<b><math>983.094 \pm 0.542</math></b> fb
B	<b><math>985.746 \pm 0.517</math></b> fb
C	<b><math>986.326 \pm 0.526</math></b> fb
D	<b><math>988.213 \pm 0.514</math></b> fb

TOTAL cross-section for the samples

Remark: cross-section stability

The final cross-sections are compatible ( $\approx 5^0/00$ ) despite a small rising trend.

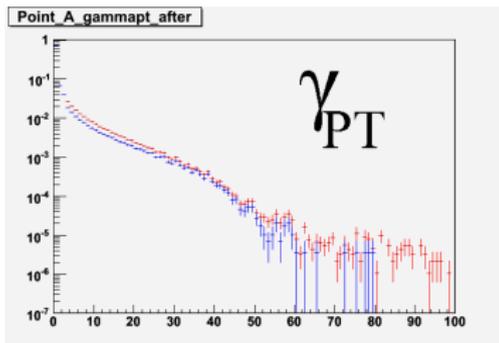
$$\sigma_{Z_0/Z_1} = \text{generation cross-section } Z_0 / Z_1,$$

$$\sigma_{Z_0^f/Z_1^f} = \sigma_{Z_0/Z_1} \times \frac{N_{total} - N_{veto}}{N_{total}},$$

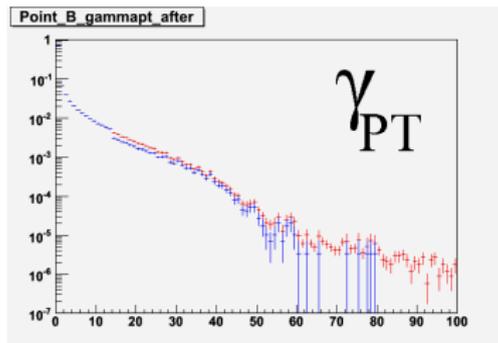
For  $Z_1$ , the high percentage of vetoed events is an artifact of the difference between the “gen-level” and “match-level” cut values.

# Study results

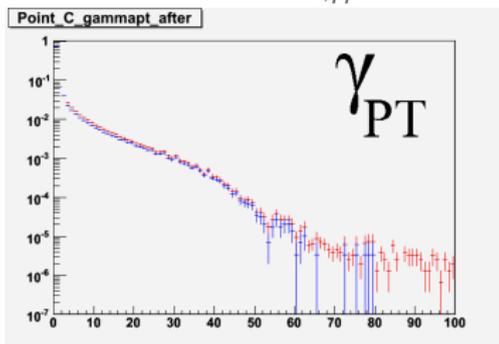
Distribution shape for  $\gamma_{PT}$  for Z0 and Z1



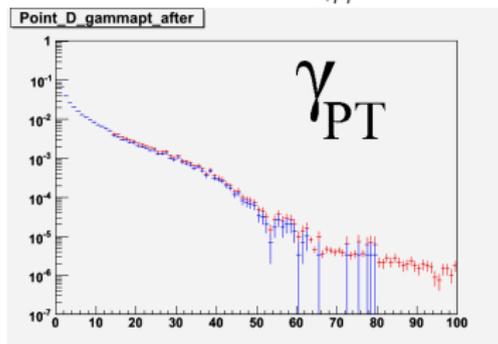
Plot for Point-A ( $\gamma_{PT}$ )



Plot for Point-B ( $\gamma_{PT}$ )

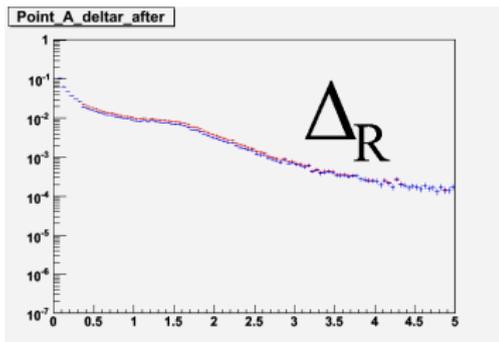
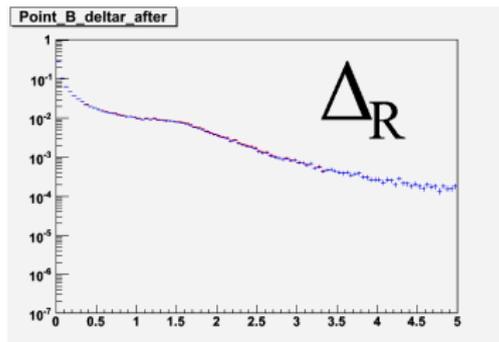
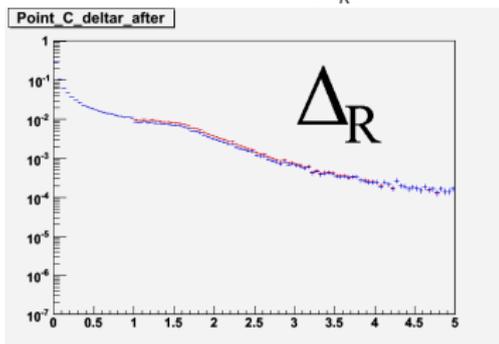
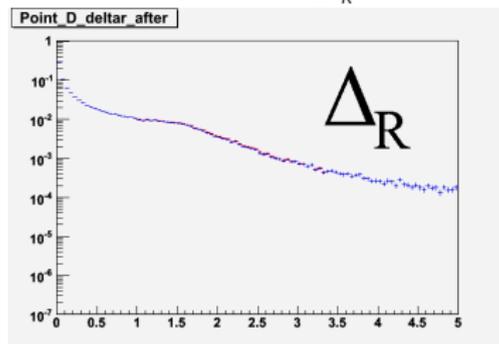


Plot for Point-C ( $\gamma_{PT}$ )



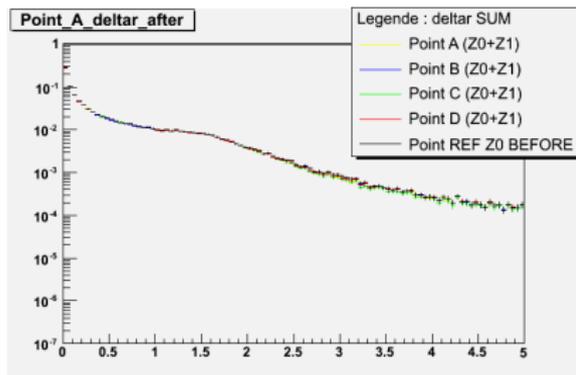
Plot for Point-D ( $\gamma_{PT}$ )

## Study results

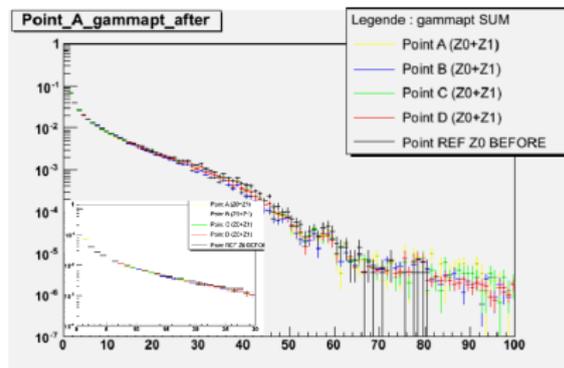
Distribution shape for  $\Delta_R$  for Z0 and Z1Plot for Point-A ( $\Delta_R$ )Plot for Point-B ( $\Delta_R$ )Plot for Point-C ( $\Delta_R$ )Plot for Point-D ( $\Delta_R$ )

# Study results

Robustness tests: distribution shapes for  $\gamma_{PT}$  &  $\Delta_R$



Shape comparison ( $\Delta_R$ )



Shape comparisons ( $\gamma_{PT}$ )

## Distribution shapes $\gamma_{PT}$ & $\Delta_R$

- the curves for each study point are very similar (especially  $\Delta_R$ )  $\rightarrow$  the veto can be based only on the  $\gamma_{PT}$  variable.
- For  $\gamma_{PT}$ , we observe a better agreement among the test points A — — > D than between them and the PS-photon-only reference curve before veto, particularly in the tails.

Remark : The REF curve used here contain only photons coming from PYTHIA PS generator before the veto.

# Conclusions

For the moment, we have achieved the following:

- 1 Determined the phase space of observables where the ME/PS description differs.  $\Delta_R$  &  $\gamma_{PT}$  OK
- 2 Determined the zone of validity where we can choose the "cutoff". OK
- 3 Check the robustness of the selected zone. OK
- 4 Choose the final cut maximizing the generation efficiency. Imminent

## Conclusions:

- **Unexpected difference:** ME  $\gamma_{PT}$  distribution shape **cross-checked** with MadGraph
- **Order of magnitude of double-counting:** 0.7 – 4% depending on position of cutoff within the zone of agreement. Veto is needed to allow double-counting less than 0.5% in the region near the border of the zone of agreement.
- **Stability of the cross-section after veto:** the cross-section is stable within  $\approx 5^0/00$  with a small rising trend.
- **Stability of the  $\Delta_R$  distribution shape:** the stability of the shape of  $\Delta_R$  between PS and PS/ME combined distributions before versus after veto leads to the conclusion that it could be dropped as a veto variable.
- **Stability of the  $\gamma_{PT}$  distribution shape :** The curves for each study point are compatible (within statistical errors). There is a significant difference between the distributions of PS-only  $\gamma$  before veto and the distributions for the 4 PS/ME combined samples after veto.

# Prospects

- **Extension to other explicit  $\gamma$  orders:**  $Z + 2\gamma$ ,  $Z + 3\gamma$ , ...
- **Extension to other channels that are potentially affected by EM**  
**double-counting:**  $m\gamma + njets$ ,  $W + m\gamma + mjets$ , ...  $m\gamma + n jets$  In progress
- **Implementation in ALPGEN** of the EM PS/ME matching, test version for  $m\gamma + njets$  process made by authors and thought to be given to us soon for testing.

Thanks : We want to thank the **ALPGEN** team for their help, especially for their inclusion of the  $Z + \gamma$  (into a private version 2.11) and their work for the inclusion of PS/ME tools in their "work in progress" version.

# Backup slides

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