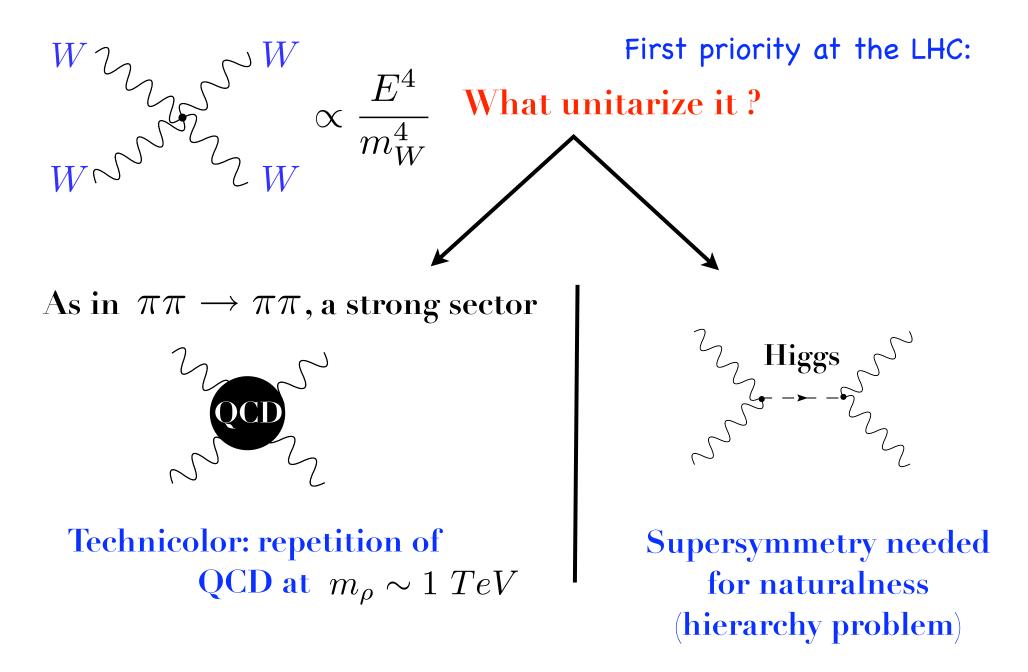
The Strongly-Interacting Light Higgs

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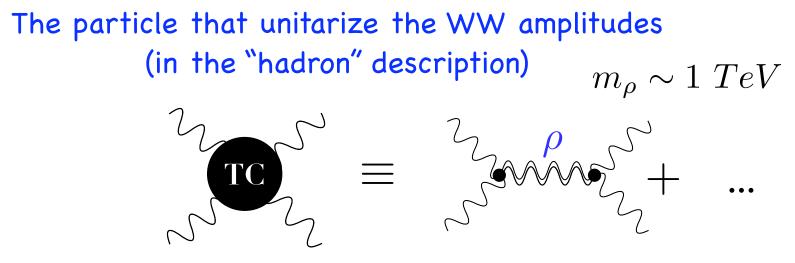
The SM, as we know it today, is not a complete theory:



Expected physics before LHC

I. Technicolor:

- No new particles were expected at LEP or Tevatron
- Expected deviations from the SM predictions:



generates a tree-level effect on the self-energy of the SM gauge bosons

$$W \longrightarrow B$$

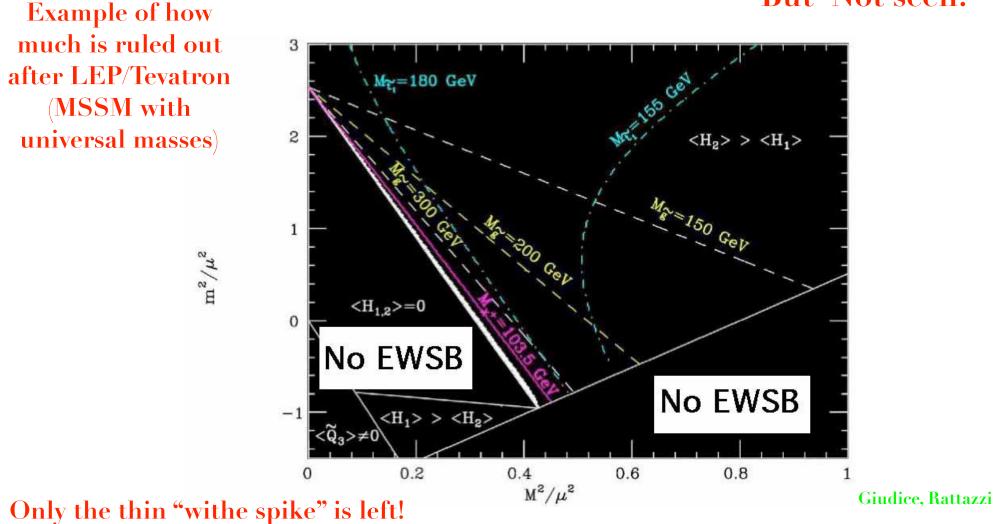
Effects not seen at LEP!

II. Supersymmetry:

• No deviations from SM predictions (effects at the loop level)

• New particles were expected at LEP/Tevatron

But Not seen!



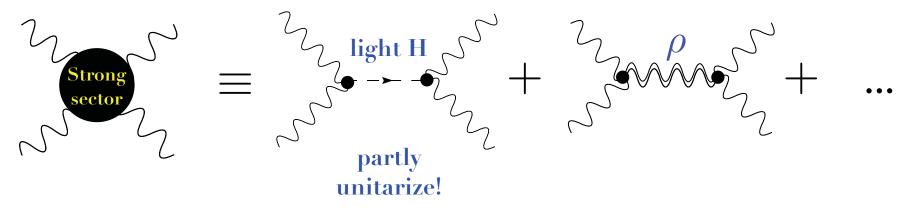
A 3rd way is possible: explored in the recent years

There is a Higgs but it is not elementary: it is composite particle

WW unitarity:

Georgi,Kaplan 80s

no naturalness problem



H is "almost" a Higgs (its couplings deviate from a point-like scalar)

What we gain?

heavy states ρ are needed to unitarize WW at an energy slightly higher that 1 TeV so they can have bigger masses and give smaller effects on the self-energies of the SM gauge bosons 1st important question: Why the Higgs mass will be smaller than $m_{
ho}$?

Higgs can appear as a Pseudo-Goldstone boson from a "strong" sectorglobal symmetry breaking: $G \longrightarrow H$ example: $SO(5) \longrightarrow SO(4)$

4 Goldstones= a doublet of SU(2) = Higgs

Higgs Mass protected by the global G-symmetry

Explicit examples:

• Little Higgs

Arkani-Hamed, Cohen, Katz, Nelson

Holographic Higgs: Extra dimensions Agashe, Contino, AP

Predictive models!



My interest here: general properties of the low-energy effective theory arising from these class of models

the equivalent of the chiral lagrangian in QCD

Generically: $\mathcal{L}_{SM}(f, A_{\mu}) + \mathcal{L}_{BSM}(H, \rho, ...) + \mathcal{L}_{int}$ $\begin{array}{ccc} \mathbf{G} & \longrightarrow & \mathbf{H} \\ \textbf{e.g.} & \mathbf{SO}(5) & \longrightarrow & \mathbf{SO}(4) \end{array}$ **SM Group G**-breaking symmetries: terms $g_{\rm SM}$ $g_{\rm SM}$ parameters: $g_{ ho}$ $g_{ ho}$ $g_{ ho} \gg g_{\rm SM}$ Physics of two scales: $\begin{cases} f = \text{decay constant} \\ m_{\rho} = \text{``hadron'' mass'} \end{cases}$ responsible for V(H/f)and Yukawas $\langle H \rangle \equiv v \sim f$ general relation: $m_ ho = g_ ho f$ $\hookrightarrow m_{\rho} \gg v \quad \hookleftarrow$

Heavy states $\sim 2-4$ TeV

Physics below $m_{
ho}$

Effective theory after integrating out the heavy states:

 $\mathcal{L}_{\rm SM+H}$ + higher dimensional operators what are they?

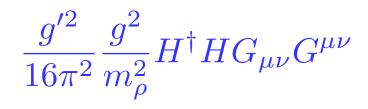
Parametric counting for the higher-dim operator's coefficients:

TREE-LEVEL:

leading: $H \xrightarrow{\partial_{\mu}^{2}} H$ e.g. $\frac{1}{f^{2}} (\partial_{\mu} H^{2})^{2}$ subleading: $\bigvee_{\rho} \bigvee_{\rho} \bigvee_{\rho} e.g. \frac{1}{m_{\rho}^{2}} (H^{\dagger} D^{\mu} H) (\partial^{\nu} B_{\mu\nu})$

ONE-LOOP:

e.g. those suppressed by the Golstone symmetry



DIMENSION-6 OPERATORS

leading: $\frac{c_{H}}{2f^{2}}\partial^{\mu}\left(H^{\dagger}H\right)\partial_{\mu}\left(H^{\dagger}H\right) + \frac{c_{T}}{2f^{2}}\left(H^{\dagger}\overleftarrow{D^{\mu}}H\right)\left(H^{\dagger}\overleftarrow{D_{\mu}}H\right) \qquad \text{tested at LEP:} \\
-\frac{c_{6}\lambda}{f^{2}}\left(H^{\dagger}H\right)^{3} + \left(\frac{c_{y}y_{f}}{f^{2}}H^{\dagger}H\bar{f}_{L}Hf_{R} + \text{h.c.}\right) \qquad \text{tested at LEP:} \\
\text{tested at LEP:}$

The rest, not tested yet!

subleading:

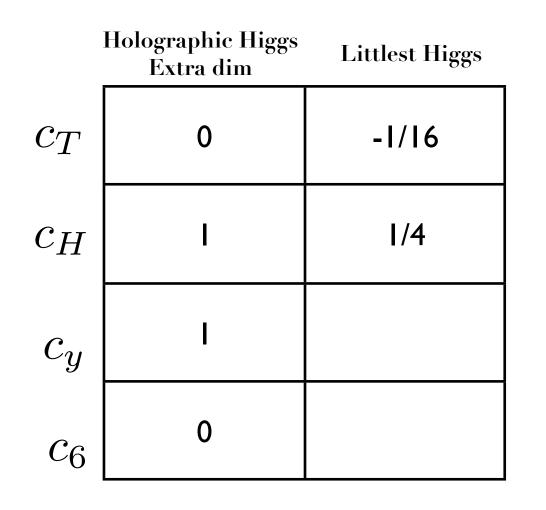
$$\frac{ic_Wg}{2m_\rho^2} \left(H^{\dagger}\sigma^i \overleftrightarrow{D^{\mu}} H \right) (D^{\nu}W_{\mu\nu})^i + \frac{ic_Bg'}{2m_\rho^2} \left(H^{\dagger}\overleftrightarrow{D^{\mu}} H \right) (\partial^{\nu}B_{\mu\nu})$$

Tested by EWPT at LEP!

one-loop:

$$\frac{ic_{HW}g}{16\pi^2 f^2} (D^{\mu}H)^{\dagger} \sigma^i (D^{\nu}H) W^i_{\mu\nu} + \frac{ic_{HB}g'}{16\pi^2 f^2} (D^{\mu}H)^{\dagger} (D^{\nu}H) B_{\mu\nu}$$
$$\frac{c_{\gamma}g'^2}{16\pi^2 f^2} \frac{g^2}{g_{\rho}^2} H^{\dagger} H B_{\mu\nu} B^{\mu\nu} + \frac{c_g g_S^2}{16\pi^2 f^2} \frac{y_t^2}{g_{\rho}^2} H^{\dagger} H G^a_{\mu\nu} G^{a\mu\nu}$$

Contribution to the coefficients of the dim-6 operators from explicit models:

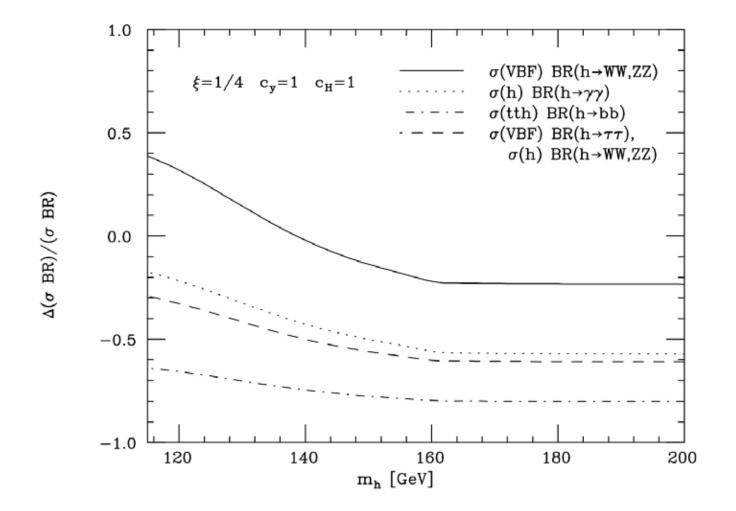


From EWPT at LEP: $m_{\rho} > 2 \ TeV \longrightarrow f > 200 \ GeV\left(\frac{4\pi}{g_{\rho}}\right)$

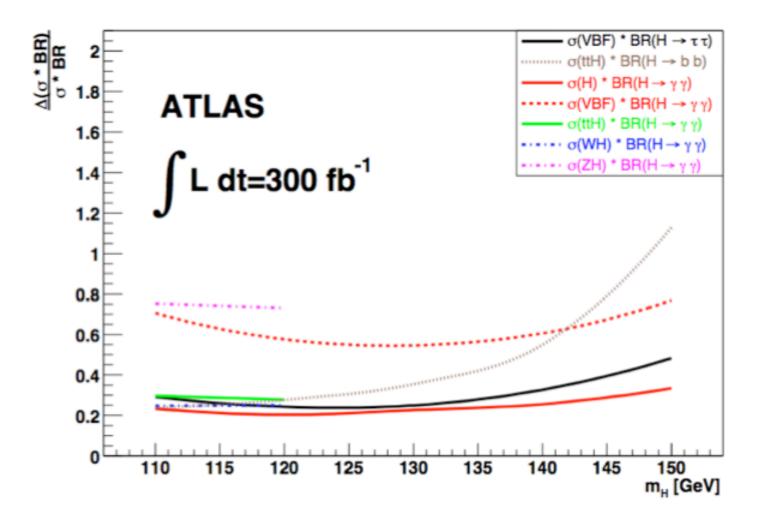
Implications: definite modifications of Higgs couplings

 $\xi \equiv \frac{v^2}{f^2}$ $\Gamma \left(h \to f\bar{f} \right)_{\text{SIL H}} = \Gamma \left(h \to f\bar{f} \right)_{\text{SIL }} \left[1 - \xi \left(2c_u + c_H \right) \right]$ $\Gamma\left(h \to W^+ W^-\right)_{\text{SILH}} = \Gamma\left(h \to W^+ W^{(*)-}\right)_{\text{SM}} \left|1 - \xi\left(c_H - \frac{g^2}{g^2}\hat{c}_W\right)\right|$ $\Gamma (h \to ZZ)_{\text{SILH}} = \Gamma \left(h \to ZZ^{(*)} \right)_{\text{SM}} \left| 1 - \xi \left(c_H - \frac{g^2}{a^2} \hat{c}_Z \right) \right|$ $\Gamma (h \to gg)_{\text{SILH}} = \Gamma (h \to gg)_{\text{SM}} \left| 1 - \xi \operatorname{Re} \left(2c_y + c_H + \frac{4y_t^2 c_g}{a^2 I_z} \right) \right|$ $\Gamma \left(h \to \gamma \gamma\right)_{\text{SILH}} = \Gamma \left(h \to \gamma \gamma\right)_{\text{SM}} \left| 1 - \xi \operatorname{Re} \left(\frac{2c_y + c_H}{1 + J_\gamma/I_\gamma} + \frac{c_H - \frac{g^2}{g_\rho^2} \hat{c}_W}{1 + I_\gamma/J_\gamma} + \frac{\frac{4g^2}{g_\rho^2} c_\gamma}{I_\gamma + J_\gamma} \right) \right|$ $\Gamma (h \to \gamma Z)_{\text{SILH}} = \Gamma (h \to \gamma Z)_{\text{SM}} \left| 1 - \xi \operatorname{Re} \left(\frac{2c_y + c_H}{1 + J_Z/I_Z} + \frac{c_H - \frac{g^2}{g_\rho^2} \hat{c}_W}{1 + I_Z/J_Z} + \frac{4c_{\gamma Z}}{I_Z + J_Z} \right) \right|$

Deviations from the SM:



Visible at LHC?

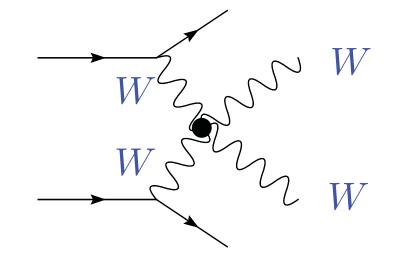




... certainly if they are of order 20-40%

ILC would be a perfect machine to test these scenarios: effects could be measured up to a few %

Best test of composite Higgs: WW-scattering

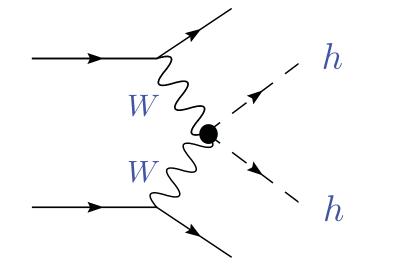


even that the Higgs is light, it grows with s

$$\mathcal{A}\left(Z_L^0 Z_L^0 \to W_L^+ W_L^-\right) = \mathcal{A}\left(W_L^+ W_L^- \to Z_L^0 Z_L^0\right) = -\mathcal{A}\left(W_L^\pm W_L^\pm \to W_L^\pm W_L^\pm\right) = \frac{c_H s}{f^2},$$
$$\mathcal{A}\left(W^\pm Z_L^0 \to W^\pm Z_L^0\right) = \frac{c_H t}{f^2}, \quad \mathcal{A}\left(W_L^+ W_L^- \to W_L^+ W_L^-\right) = \frac{c_H(s+t)}{f^2},$$
$$\mathcal{A}\left(Z_L^0 Z_L^0 \to Z_L^0 Z_L^0\right) = 0.$$

Difficult to see. From Higgsless studies possible to see if $\frac{c_H v^2}{f^2} \sim 0.5 - 0.7$

2 Higgs-production also grows with s:



$$\mathcal{A}\left(Z_L^0 Z_L^0 \to hh\right) = \mathcal{A}\left(W_L^+ W_L^- \to hh\right) = \frac{c_H s}{f^2}.$$

Challenging!

Indirect vs Direct measurements

Indirect: Deviations from SM Higgs **Direct: Detection of heavy particles**

Since $m_{
ho} = g_{
ho} f$, the larger $g_{
ho}$, the more difficult to detect the heavy particles

Maximal coupling: $g_{\rho} = 4\pi \begin{cases} m_{\rho} \sim 5 \ TeV \\ (v/f)^2 \sim 0.2 \end{cases}$ Possible to see

Heavy particles

at least at ILC

Complementarity between Indirect and Direct searches

If at LHC...

No Higgs

If at LHC...

No Higgs ------ look for strong WW-scattering

If at LHC...

No Higgs -----> look for strong WW-scattering Ligh Higgs

If at LHC...



If at LHC...

No Higgs — Iook for strong WW-scattering Ligh Higgs — Iook for supersymmetry

.. but also, it is possible:

Ligh Higgs ------ not look for supersymmetry, but for strong WW-scattering

Higgs can be composite (strongly-interacting). I presented the most general effective theory arising from this scenario → useful to know where to expect deviations from a SM Higgs

- Precise effects on Higgs decays, strong WW \longrightarrow hh
- Complementary to heavy states searches: $\rho\equiv {\rm W}',{\rm t}',...$