

Search for Dark Matter in Y(3S) Decays

To appear in PRL

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Mar. 13, 2007

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Dark Matter

- Dark matter (DM) does not absorb light; it has only been measured indirectly by its gravity.
- According to the WMAP, 22% of the Universe is comprised of dark matter.

- WMAP three year result.



http://map.gsfc.nasa.gov/m_mm.html

DM Search Up To Now



• LEP limits

- DM coupling with Z
- DM coupling with e+e-





• DM coupling with $q\bar{q}$?



The Belle contributes to DM searches via quarkonium to DM decay.

Br of Quarkonium to DM Decay

$$\begin{split} \Omega_{\chi}h^{2} &= 0.113 \pm 0.009 \; (\text{WMAP}) \\ &\simeq \frac{0.1 \text{pb} \cdot c}{\langle \sigma(\chi\chi \to \text{SM}) \cdot v \rangle} \end{split} \begin{array}{l} \Omega_{\chi}: \text{Relic density} \\ h: \; \text{Hubble constant} \\ v \;\; = c/20 \end{split}$$

$$\sigma(\chi\chi \to SM) \xleftarrow{\text{time}}{reversal} \sigma(SM \to \chi\chi) \sim 18 \,\text{pb}$$
$$Br(\Upsilon(1S) \to \chi\chi) = f_{\Upsilon}^2 M_{\Upsilon} \sigma(b\bar{b} \to \chi\chi)$$

= 6×10⁻³ (prediction) ^{McElrath, Phys. Rev. D} 72, 103508 (2005)

Previous Limits

- ✓ $Br(Y(1S) \rightarrow invisible) < 50 \times 10^{-3}$ CLEO, Phys. Rev. D 30, 1433 (1984)
- ✓ $Br(Y(1S) \rightarrow invisible) < 23 \times 10^{-3}$ ARGUS, Phys. Lett. B 179, 403 (1986)

The KEKB Accelerator





KEKB ring: 3 km in circumferenceLinac: 400 m in length

KEKB is an e^+e^- collider to produce and to deliver $b\overline{b}$ quarkonia to the Belle detector.

World records at $\sqrt{s} = 11.5 \text{ GeV}$

 $L_{\text{peak}} = 1.7118 \times 10^{34} \text{ cm}^2/\text{s}$

 $\int Ldt > 700 \, fb^{-1}$

The Belle Detector





Signal for $Y(1S) \rightarrow$ invisible



Y(1S) Production

Our choice

$$e^+e^- \rightarrow Y(3S) \rightarrow Y(1S) \pi^+\pi^-$$

 $\sigma \sim 4 \text{ nb}$

 $\cdot e^+e^- \rightarrow Y(1S)$

- No signal left in the detector at all.

$\cdot e^+e^- \rightarrow Y(2S) \rightarrow Y(1S) \pi^+\pi^-$

- Cross section is larger than Y(3S) (σ ~ 7 nb) but momenta of the recoil pions are too low to be triggered by the Belle trigger system.

$\cdot e^+e^- \rightarrow Y(4S) \rightarrow Y(1S) \pi^+\pi^-$

- Cross section is lower than Y(3S) ($\sigma_{\rm ISR}$ ~ 0.02 nb) and S/N is poor (< 1/1000).

$Y(3S) \rightarrow Y(1S) \pi^+\pi^-$ Special Trigger

• A looser two track trigger than Y(4S) runs is used.



Measured L1 rate ~ 850 Hz, where the typical rate for Y(4S) runs ~ 450 Hz.

Our DAQ system worked properly even in the doubled trigger-rate condition.

Signal Reconstruction

Event selection criteria

- 2 charged tracks in the event.
- Total energy deposit in the calorimeter < 3 GeV.
- No π^0 candidates in the event; no 2 γ pair with E_{γ} >20MeV that forms π^0 mass within 16 MeV/c².

Pion selection criteria

- Track's polar angle within the detector acceptance.
- Track is close to interaction point (|dr|<1cm, |dz|<3cm).
- Not positively identified as one of $e/\mu/K$.
- Not forms $K_{\rm S}^{\rm 0}$ mass.

Background suppression

- See the next slide.

$eff^{MC} = 9.16 \pm 0.01\%$ w/o trigger efficiency

Background Suppression

~ Suppression of 2 photon process ~



Control Sample Analysis

• Control sample $Y(3S) \rightarrow Y(1S) \pi^+\pi^-$, $Y(1S) \rightarrow \mu^+\mu^-$

- The control sample is used:
 - to calibrate MC,
 - to count # of Y(3S) \rightarrow Y(1S) $\pi^+\pi^-$ in data, and
 - to determine a shape of $M_{\pi^+\pi^-}^{\text{recoil}}$ distribution.

MC Calibration

• MC is calibrated by the control sample to reproduce the invariant mass distribution of 2 pions.



MC reproduces the data distribution well.

of Y(3S) \rightarrow Y(1S) $\pi^+\pi^-$ in Data



of control sample events determined by the extended ML fit is $N_{sig} = 4901.9 \pm 71$

Reconstruction efficiency for the control sample is estimated with MC eff^{MC} = 39.7%

Br(Y(1S) → $\mu^+\mu^-$) = 2.48%

$$N_{\Upsilon(3S)\to\Upsilon(1S)\pi^+\pi^-} = (498.3^{+7.2}_{-7.1}(\text{stat}) \pm 34.6(\text{syst})) \times 10^3$$

 \rightarrow expected # of Y(1S)^{invisible} ~ 244

Recoil Mass Distribution



Peaking Background

• Y(1S) $\rightarrow \tau^+\tau^-$, $\mu^+\mu^-$, e^+e^- , where leptons go out of acceptance.



- One of systematic uncertainty sources.
- Others make very small or negligible contributions to the peaking
 background.
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 - Y(1S) → $v\overline{v}$
 - Y(1S) \rightarrow other modes
 - Others

of peaking background estimated by MC

| Y(1S) → μ+μ- | 77.3 | ±12.0 |
|-----------------------------------|-------|----------------|
| Y(1S) → e+e- | 50.3 | ±8.0 |
| $Y(1S) \rightarrow \tau^+ \tau^-$ | 5.2 | ±1.0 |
| $Y(1S) \rightarrow v\overline{v}$ | 0.4 | ±0.1 |
| Y(1S) \rightarrow other modes | 0.0 | +2.8 |
| Others | 0.0 | +12.9 |
| Total | 133.2 | +19.7 -14.6 |

Result

$N_{sig} = 38 \pm 39(stat) \Leftrightarrow 0$ consistent



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Future Prospect



Disfavored by this talk at 90% C.L.

Theoretical prediction

With super-forward calorimeter & µ-detector to reduce peaking BG

If we install super-forward lepton detectors to veto Y(1S) $\rightarrow \ell^+\ell^-$, sensitivity of the branching fraction improves to ~ 4×10⁻⁴ with L = 100 fb⁻¹.

Summary

- We search for dark matter in Y(1S) \rightarrow invisible decay, where the Y(1S) is obtained from the Y(3S) \rightarrow Y(1S) $\pi^+\pi^-$ decay.
- In 2.9 fb⁻¹ data, we find 38 ± 39 (stat) candidate events for Y(1S) \rightarrow invisible.
- We obtain the upper limit $Br(Y(1S) \rightarrow invisible) < 2.5 \times 10^{-3}$ at 90% C.L. The value inferred from WAMP in the model by McElrath is disfavored.



Signal Extracting Fit

Extended maximum likelihood fit

$$L = \frac{\exp(-\sum_{k} n_{k})}{N!} \prod_{i=1}^{N} \left[\frac{\sum_{k} n_{k} f_{k}(M_{i}^{\text{recoil}})}{\sum_{k} n_{k}} \right]$$

k = signal, peaking BG, and combinatorial BG

f_k model

signal: double Gaussians peaking BG: same as signal combinatorial BG: 1st order polynomial