



Freeze-in

14th International Workshop on the Dark Side of the Universe

LAPTh – Annecy



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Outline

 \cdot Freeze-in: General framework and practical computations

 \cdot A bit of model-building: Clockworking FIMPs

 \cdot (Some) signatures of freeze-in

 \cdot Summary and outlook

Based on:

- G. Bélanger, F. Boudjema, A.G., A. Pukhov, B. Zaldivar, arXiv:1801.03509
- A. G. et al, contribution in 1803.10379
- A.G., K. Mohan, D. Sengupta, 1807.xxxxx
- A.G., et al, in preparation

Freeze-in: general idea

arXiv:hep-ph/0106249 arXiv:0911.1120 arXiv:1706.07442...

Tweaked from, arXiv:0911.1120



Two basic premises :

- \cdot DM interacts *very* weakly with the SM.
- \cdot DM has a negligible initial density.

Assume that in reaction $A \rightarrow B$, ξ_A / ξ_B particles of type χ are destroyed/created. Integrated Boltzmann equation :

$$\dot{n}_{\chi} + 3Hn_{\chi} = \sum_{A,B} (\xi_B - \xi_A) \mathcal{N}(A \to B)$$

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DM produced from decays/annihilations of other particles.

DM production disfavoured \rightarrow Abundance freeze-in

Freeze-in vs freeze-out

Naively, the freeze-in BE is simpler than the freeze-out one. However :

Initial conditions:

 \cdot FO: equilibrium erases all memory.

· FI: Ωh^2 depends on the initial conditions.

Heavier particles:

- \cdot FO: pretty irrelevant (modulo coannihilations/late decays).
- \cdot FI: their decays can be the dominant DM production mechanism.

Need to track the evolution of heavier states.

In equilibrium? Relics? FIMPs?

Dedicated Boltzmann eqs

Relevant temperature:

• FO: around $m_{\chi}/20$.

• FI: several possibilities ($m_{\chi}/3$, $m_{\text{parent}}/3$, T_R or higher), depending on DM production channel and on nature of underlying theory.

- Statistics can become important. So can very early Universe physics.

- Easily above *e.g.* $T_{\text{EWSB}} \rightarrow$ Phase transitions may occur *after* DM production.

DM density calculations in freeze-in scenarios

Given the previous subtleties and the potentially large number of contributing processes, freezein calculations can get tricky.

· Until recently, no publicly available computational tools:

micrOMEGAs5.0: freeze-in

G. Bélanger^{1†}, F. Boudjema^{1‡}, A. Goudelis^{2§}, A. Pukhov^{3¶}, B. Zaldivar^{1††}

arXiv:1801.03509

→ Can compute the freeze-in DM abundance in fairly generic BSM scenarios: scattering, decays of heavier bath particles/FIMPs/relics.



Model-building issues

What kind of couplings do we need for successful freeze-in?



Symmetry approach: Clockworking FIMPs

A. G., K. Mohan, D. Sengupta, arXiv:1807.xxxxx

The Clockwork mechanism was initially introduced to address completely different issues. Has found many more applications (inflation, neutrinos, flavour, axions...).

arXiv:1511.01827, 1511.00132, 1610.07962...

U(1) U(1) U(1) SM U(1)Break N-1 U(1) copies $1/q^{N}$ suppression! U(1) SM

 \cdot Clockwork FIMP approach: DM – SM coupling protected *e.g.* by Goldstone or chiral symmetry.

• A Scalar Clockwork FIMP :

$$\mathcal{L}_{sFIMP} = \mathcal{L}_{kin} - \frac{1}{2} \sum_{i,j=0}^{N} \phi_i M_{ij}^2 \phi^j - \frac{m^2}{24f^2} \sum_{i,j=0}^{N} (\phi_i \tilde{M}_{ij}^2 \phi^j)^2 - \kappa |H^{\dagger} H| \phi_n^2 + \sum_{i=0}^{n} \frac{t^2}{2} \phi_i^2$$

Similar setup considered in arXiv:1709.04105

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Example: a fermion Clockwork FIMP

A. G., K. Mohan, D. Sengupta, arXiv:1807.xxxxx

Consider Lagrangian as :

$$\mathcal{L}_{fFIMP} = \mathcal{L}_{kin} - m \sum_{i=0}^{N-1} (\bar{\psi}_{L,j} \psi_{R,j} - q \bar{\psi}_{L,j} \psi_{R,j+1} + \text{h.c}) - \frac{M_{\rm L}}{2} \sum_{i=0}^{N-1} (\bar{\psi}_{{\rm L},i}^{\rm c} \psi_{{\rm L},i}) - \frac{M_{\rm R}}{2} \sum_{i=0}^{N} (\bar{\psi}_{{\rm R},i}^{\rm c} \psi_{{\rm R},i}) + i\bar{L}DL + i\bar{R}DR + M_D(\bar{L}R) + Y\bar{L}\tilde{H}\psi_{R,N} + \text{h.c}$$

- $\psi_{_{L/R}}$: CW sector chiral fermions

-L/R: (1, 2, -1/2) VL leptons



 \cdot Proof of principle: Clockwork mechanism can be used to construct freeze-in models.

· CW gears + VL fermions have un-suppressed couplings \rightarrow thermalise with the SM.

 \cdot For chosen parameter values freeze-in dominated by decays of CW gears + VL fermions into DM + SM.

This is not a universal feature.

Other constructions possible, can have observable signals.

Freeze-in phenomenology

Can we test freeze-in? Certainly not in full generality, but

There are actually numerous handles!

Arguably, both remarks also apply to freeze-out



An example @ the LHC

Consider an extension of the SM by a real singlet scalar *s* and a VL fermion *E* transforming as (1, 1, -1) under SU(3)xSU(2)xU(1), both Z2-odd.

$$\mathcal{L} = \mathcal{L}_{SM} + (\partial_{\mu}s) (\partial^{\mu}s) + \frac{\mu_s^2}{2}s^2 - \frac{\lambda_s}{4}s^4 - \lambda_{hs}s^2 (H^{\dagger}H) + i (\bar{E}_L D E_L + \bar{E}_R D E_R) - (m_E \bar{E}_L E_R + y_{sEe}s \bar{E}_L e_R + h.c.)$$

Direct FIMP pair-production suppressed, but can Drell-Yan - produce the heavy electron.



Two possible signatures in this case :

 \cdot Searches for Heavy Stable Charged Particles (if $\tau > 10$ ns).

 \cdot Searches for displaced leptons/tracks with kinks (if τ < 10 ns).

A. G. *et al*, *in progress*: Extend framework to include jets

A. G. et al, contribution in arXiv:1803.10379

Outlook

• Freeze-in is a well-established alternative mechanism to explain the dark matter abundance in the Universe relying on (effectively) feebly interacting particles.

 \cdot It can be implemented in many (simple or sophisticated) extensions of the SM.

• Despite the fact that it involves small couplings, it may have numerous different experimental signatures (cosmology, astrophysics, intensity frontier, colliders). For the most, the relevant studies are still at an embryonic stage.

• Although freeze-in has picked up a lot of momentum, a systematic exploration of models and signatures is still missing.

• micrOMEGAs 5 can compute the DM abundance according to the freeze-in mechanism.

Have fun with it!

• Still several open questions. One I'm particularly interested in: what if DM production occurs before the E/W phase transition?

Reminder: dark matter relic density

The dark matter yield (comoving number density) $Y_{\chi} = n_{\chi}/s$ is computed as

$$Y_{\chi}^{0} = \int_{T_{0}}^{T_{R}} \frac{dT}{T\overline{H}(T)s(T)} \left(\mathcal{N}(bath \to \chi X) + 2\mathcal{N}(bath \to \chi \chi) \right)$$

where
$$\overline{H}(T) = \frac{H(T)}{1 + \frac{1}{3} \frac{d \ln(h_{\text{eff}}(T))}{d \ln T}}$$

The dark matter relic density is computed as

 \mathbf{T}

$$\Omega h^2 = \frac{m_{\chi} Y_{\chi}^0 s_0 h^2}{\rho_c}$$

Decay rate in a medium

Consider the decay of a particle *Y* into two particles a, b in the early Universe. The number of decays per unit space-time volume is

$$\mathcal{N}(Y \to a, b) = \int \frac{d^3 p_Y}{(2\pi)^3 2E_Y} \frac{d^3 p_a}{(2\pi)^3 2E_a} \frac{d^3 p_b}{(2\pi)^3 2E_b} f_Y(1 \mp f_a)(1 \mp f_b) \\ \times (2\pi)^4 \delta(P_Y - P_a - P_b) |\mathcal{M}|^2 .$$

Replacing $f_Y(p_Y) \longrightarrow (2\pi)^3 \delta^3 (\vec{p} - \vec{p}_Y)/g_1$ we get :

$$\begin{aligned} G_{Y \to a,b} &= \frac{1}{2E_Y} \int \frac{d^3 p_a}{(2\pi)^3 2E_a} \frac{d^3 p_b}{(2\pi)^3 2E_b} (1 \mp f_a) (1 \mp f_b) \\ &\times (2\pi)^4 \delta(P_Y - P_a - P_b) \overline{|\mathcal{M}|}^2 \end{aligned} \qquad \begin{array}{l} \text{Decay rate of } Y \text{ in the} \\ \text{medium created by } a, b \end{array} \end{aligned}$$

Defining:
$$S(p/T, x_Y, x_a, x_b, \eta_a, \eta_b) = \frac{1}{2} \int_{-1}^{1} dc_\theta \frac{e^{E_Y^{CF}/T}}{(e^{E_a^{CF}/T} - \eta_a)(e^{E_b^{CF}/T} - \eta_b)}$$

Calculable analytically

We obtain :

$$G_{Y \to a,b} = \frac{m_Y \Gamma_{Y \to a,b}}{E_Y^{\text{CF}}} S\left(p/T, x_Y, x_a, x_b, \eta_a, \eta_b\right)$$

S contains all the stat. mech. information