

Dynamical symmetry breaking via multiple seesaw mechanisms

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*based on PRD 95, 075033 (2017),
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Introduction

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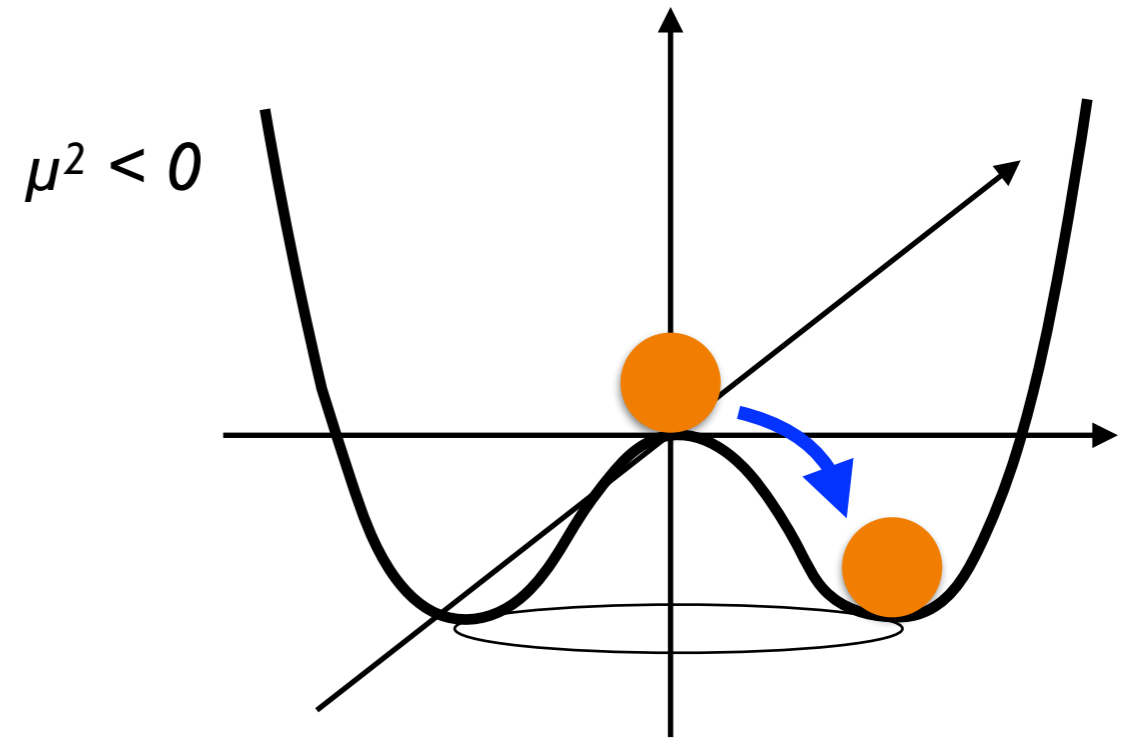
Higgs potential

✓ In the SM,

$$V = \mu^2 |H|^2 + \lambda |H|^4$$

$$\text{VEV} : v^2 \sim -\mu^2/\lambda$$

$$\text{mass} : m_f \sim y_f v, m_V \sim g v, m_h^2 \sim \lambda v^2$$



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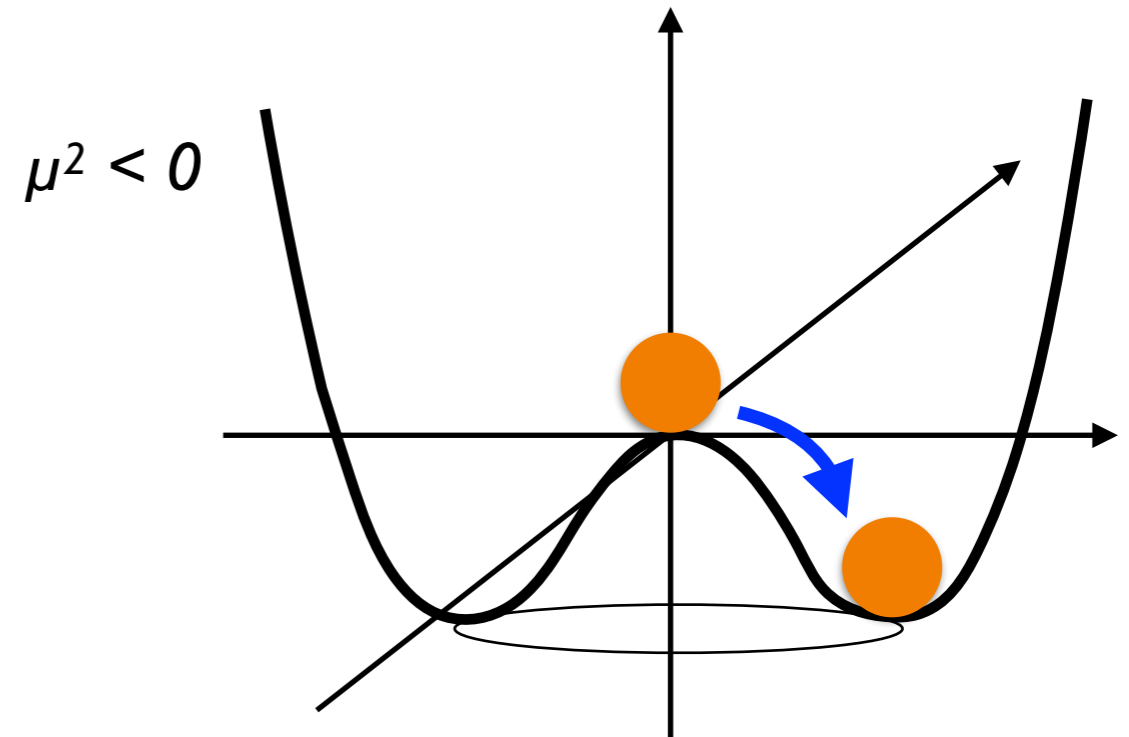
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$$\text{mass} : m_f \sim y_f v, m_V \sim g v, m_h^2 \sim \lambda v^2$$

✓ it works well, but...it's tuning

$$1. |\mu^2| \ll \Lambda_{NP}^2$$

$$2. \mu^2 < 0$$



Classical scale invariance

- ✓ A simple way to avoid the tuning is to invoke **classically scale invariance**
(c.f. *William A. Bardeen, '95, Summer Institute at Ontake*)

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- asymptotic safety of gravity *[Shaposhnikov-Wetterich, '10; Wetterich-Yamada, '17; etc.]*

- multiple criticality point principle *[Froggatt-Nielsen, '95; Hamada-Kawai-Oda; etc.]*

- solution to cosmological constant? *[Kugo's talk at Summer Institute 2017]*

- etc.

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✓ How can we generate physical scale and retrieve the EWSB??

Scale generation in scale invariant theory

Scale invariance is broken at a quantum level and the scale is generated via

✓ Coleman-Weinberg mechanism [Coleman and Weinberg, '73]

- need bosonic d.o.f to directly generate EW scale (e.g. Hashino et al., 1604.02069)
- higher scale breaking triggers EW breaking (e.g. Iso, Okada and Orikasa, 0909.0128; 0902.4050)
e.g.) a gauged U(1) extension at TeV scale

$$\mathcal{L} \supset \kappa |H|^2 |\Phi|^2 \xrightarrow{\langle \Phi \rangle = v_\Phi} \kappa v_\Phi^2 |H|^2 \sim -\mu^2 |H|^2$$

✓ Hidden strong dynamics

[Hur and Ko, 1103.2571; Holthausen, Kubo, Lim, Lindner, 1310.4423; Ametani, Aoki, Goto, Kubo, 1505.00128; etc.]

- scale invariance is broken by the intrinsic strong scale
- “baryons” or “pions” can be dark matter as a bonus

$$\mathcal{L} \supset \bar{\psi}_i (i\not{D} - yS) \psi_i + \lambda_{HS} S^2 |H|^2 \xrightarrow{\langle \bar{\psi}_i \psi_i \rangle \neq 0, \langle S \rangle = v_S} \lambda_{HS} v_S^2 |H|^2 \sim -\mu^2 |H|^2$$

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Bosonic seesaw mechanism

Haba, Kitazawa, Okada, '05; Calmet, '03; Kim, '05; Antipin, Redi, Strumia, '15; Haba, Ishida, Okada, Yamaguchi, '16; etc.

- ◆ Gauge group: $G = G_{SM} \times SU(N_{HC})$
- ◆ HC quarks

$F_{L/R}$	$SU(N_{HC})$	$SU(3)_C$	$SU(2)_L$	$U(1)_Y$
$\chi = (\chi_1, \chi_2)^T$	N_{HC}	1	2	$1/2 + q$
ψ	N_{HC}	1	1	q

$$-\mathcal{L}_{\text{yukawa}} = y(\bar{\chi}H\psi + h.c.)$$

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At $E < \Lambda_{HC}$ scale,



$$\Theta \sim \bar{\psi}\chi = (2, 1/2)$$

$$V_{\text{eff}} \supset y\Lambda_{HC}^2[\Theta^\dagger H + h.c.] + \Lambda_{HC}^2\Theta^\dagger\Theta + \mu^2|H|^2$$

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negative!

Multiple seesaw model

Model of multiple seesaws

Ishida, Matsuzaki, SO and Omura, 1701.00598

Gauge groups: $G = G_{SM} \times SU(3)_{HC} \times U(1)_{B-L}$

Hypercolor quarks

$F_{L/R}$	$SU(3)_{HC}$	$SU(3)_c$	$SU(2)_W$	$U(1)_Y$	$U(1)_{B-L}$
$\chi = (\chi_1, \chi_2)^T$	3	1	2	$1/2 + q$	q'
ψ_1	3	1	1	q	q'
ψ_2	3	1	1	q	$-2 + q'$

B-L Higgs

	$SU(3)_c$	$SU(2)_W$	$U(1)_Y$	$U(1)_{B-L}$
ϕ	1	1	0	-2

Three right-handed neutrinos:

$$N_R^\alpha \quad (\alpha = 1, 2, 3)$$

$$-\mathcal{L}_{yukawa} = y_H(\bar{\chi}H\psi_1 + h.c.) + y_\phi(\bar{\psi}_2\phi\psi_1 + h.c.) + y_N^{\alpha\alpha}(\phi\bar{N}_R^{c\alpha}N_R^\alpha + h.c.)$$

+ SM yukawas

$$V = \lambda_H(H^\dagger H)^2 + \lambda_\phi(\phi^\dagger\phi)^2 + \kappa_\phi(\phi^\dagger\phi)(H^\dagger H)$$

HC hadrons

Ishida, Matsuzaki, SO and Omura, 1701.00598

Below HC confinement scale, a lot of HC hadrons appear;

✓ Table of HC mesons:

$\mathcal{M} = \mathcal{S} + i\mathcal{P}$	constituent	$SU(2)_W$	$U(1)_Y$	$U(1)_{B-L}$
$(f_0^{\text{HC}}, a_0^{\text{HC}} + i\mathcal{P}_{a_0^{\text{HC}}})_{ij}$	$\bar{\chi}_i \chi_j$	(1, 3)	0	0
$(\Theta_1 + i\mathcal{P}_{\Theta_1})_i$	$\bar{\psi}_1 \chi_i$	2	1/2	0
$(\Theta_2 + i\mathcal{P}_{\Theta_2})_i$	$\bar{\psi}_2 \chi_i$	2	1/2	2
$\Phi + i\mathcal{P}_\Phi$	$\bar{\psi}_1 \psi_2$	1	0	-2
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$$\Theta_1 \sim \bar{\psi}_1 \chi = (2, 1/2, 0)$$

EW Higgs-like

$$\Phi \sim \bar{\psi}_1 \psi_2 = (1, 0, -2)$$

B-L Higgs-like

Seesaws in EW and B-L sector

Ishida, Matsuzaki, SO and Omura, 1701.00598

- ✓ EW and B-L Higgs-like scalar mesons;

$$\Theta_1 \sim \bar{\psi}_1 \chi = (2, 1/2, 0)$$

$$\Phi \sim \bar{\psi}_1 \psi_2 = (1, 0, -2)$$

- ✓ Bosonic seesaw in each sector

EW sector

$$y_H (\bar{\chi} H \psi_1 + h.c.)$$



$$y_H \Lambda_{HC}^2 (\Theta_1^\dagger H + h.c.) + \Lambda_{HC}^2 \Theta_1^\dagger \Theta_1$$

B-L sector

$$y_\phi (\bar{\psi}_2 \phi \psi_1 + h.c.)$$



$$y_\phi \Lambda_{HC}^2 (\Phi^\dagger \phi + h.c.) + \Lambda_{HC}^2 \Phi^\dagger \Phi$$

$$\rightarrow \mathcal{M}_{EW/B-L}^2 = \begin{pmatrix} 0 & y_{H/\phi} \Lambda_{HC}^2 \\ y_{H/\phi} \Lambda_{HC}^2 & \Lambda_{HC}^2 \end{pmatrix}$$

Neutrino seesaw

Ishida, Matsuzaki, SO and Omura, 1701.00598

In neutrino sector, ordinary **type-I seesaw** mechanism operates

$$-\mathcal{L}_{M_\nu} = (y_\nu \bar{l}_L H N_R + h.c.) + y_N (\phi \bar{N}_R^c N_R + h.c.)$$



$$\langle H \rangle = v_{EW}, \quad \langle \phi \rangle = v_{B-L}$$

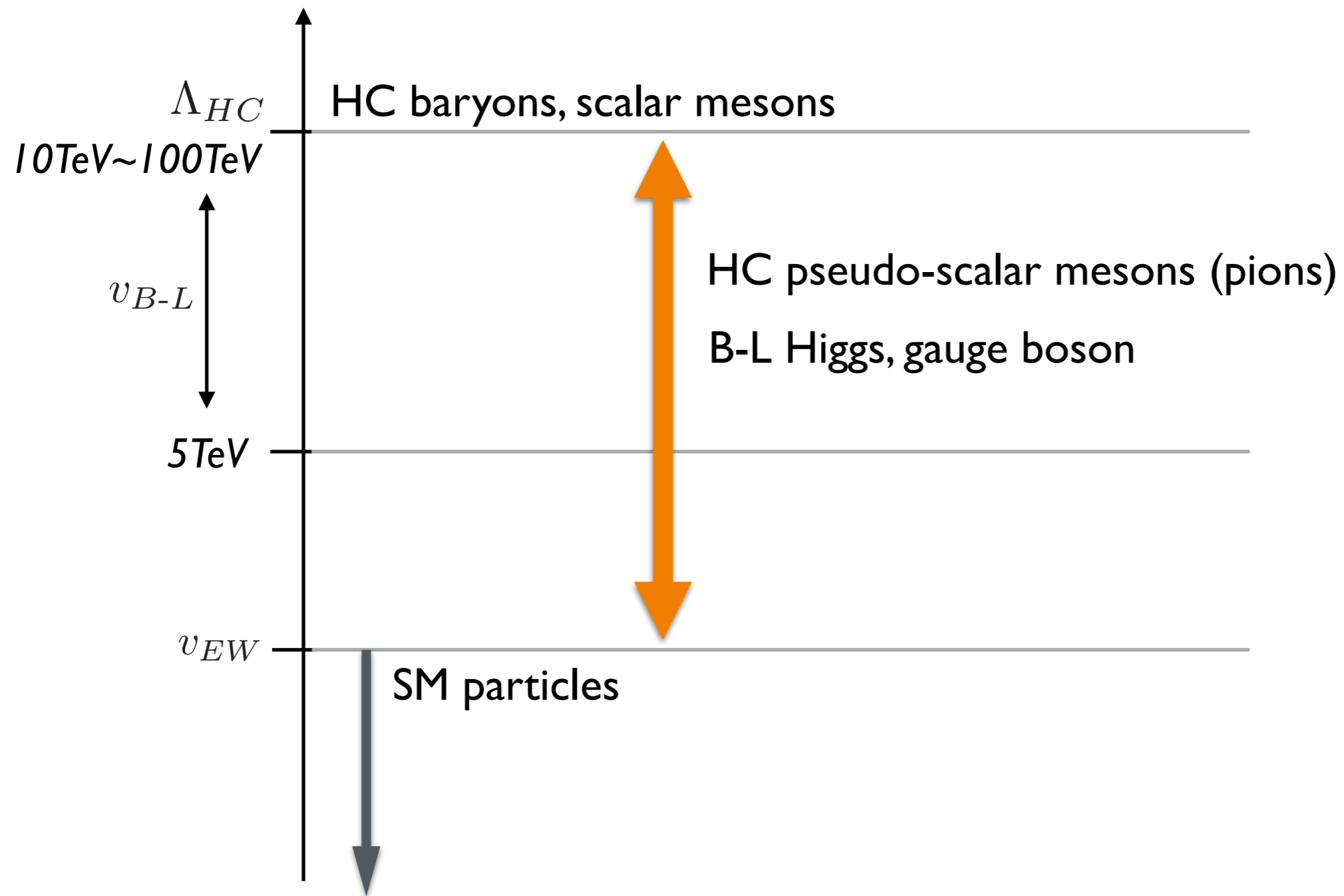
$$\mathcal{M}_\nu = \begin{pmatrix} 0 & y_\nu v_{EW} \\ y_\nu^T v_{EW} & y_N v_{B-L} \end{pmatrix}$$

✓ active neutrino mass: $m_\nu \simeq y_\nu^2 v_{EW}^2 / y_N v_{B-L}$

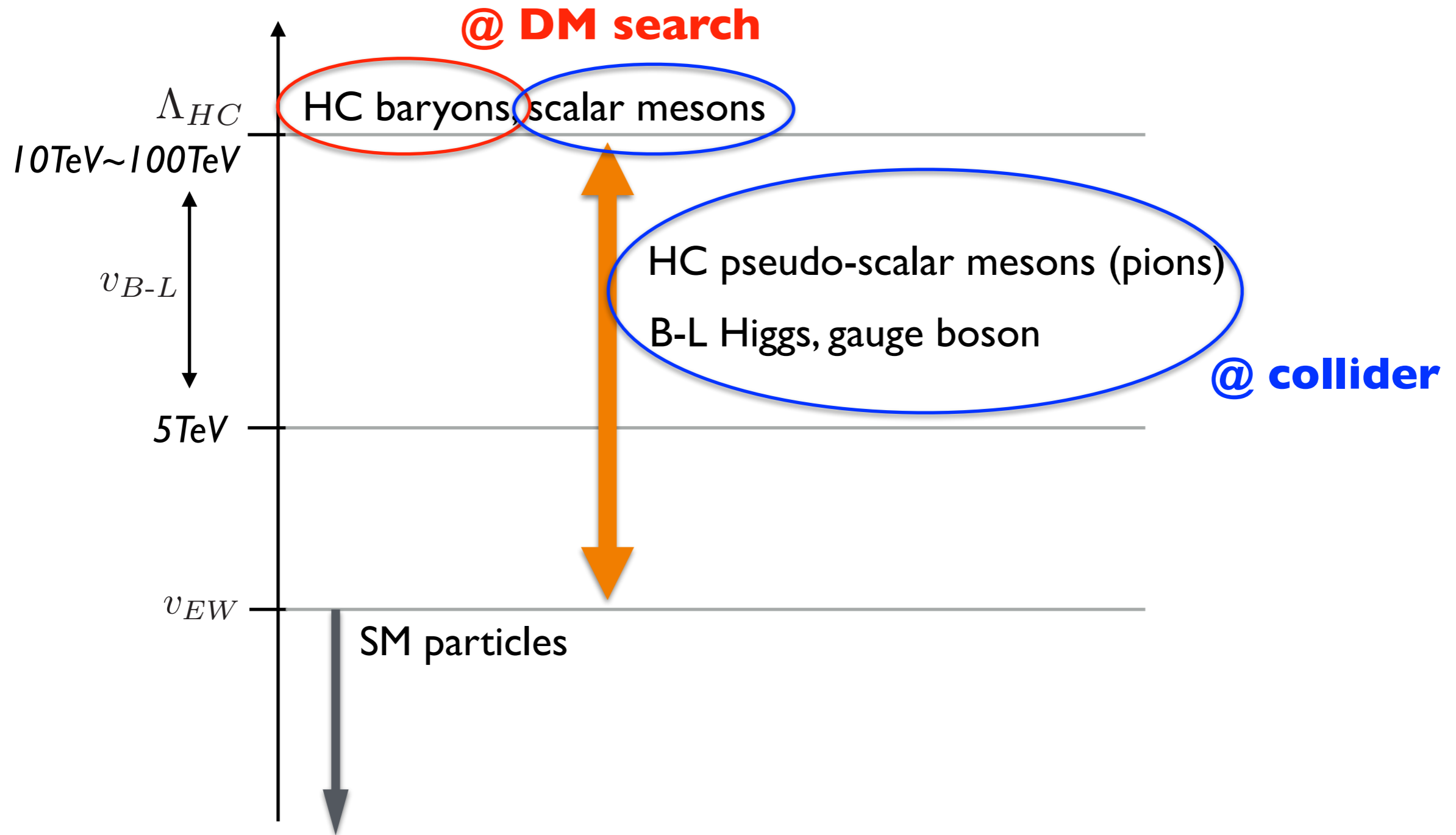
$$m_\nu = \mathcal{O}(0.1\text{eV}) \quad \rightarrow \quad y_\nu = \mathcal{O}(10^{-5}) \quad \text{for} \quad v_{B-L} = \mathcal{O}(5\text{-}10\text{TeV}) = \mathcal{O}(\Lambda_{HC}), \\ y_N = \mathcal{O}(1)$$

Phenomenology

Spectrum in multiseesaw model



Spectrum in multiseesaw model



Collider search

✓ HC mesons:

- a HC meson looks like inert doublet Higgs at low energy
- however, it can decay to HC pions, subsequently decaying into dibosons etc.

[Ishida, Matsuzaki, Okawa, Omura, work in progress]

✓ B-L gauge:

- LEP constrains new physics contributions to four-fermi operators
- in particular, vector-type interaction is most severe

$$\mathcal{L}_{\text{eff}} \supset \frac{c}{\Lambda^2} (\bar{f} \gamma_\mu f) (\bar{f} \gamma^\mu f) \rightarrow \Lambda > \begin{cases} 6.12 \text{ TeV} & (c = +1) \\ 5.64 \text{ TeV} & (c = -1) \end{cases}$$

\sim VB-L

[Carena, Daleo, Dobrescu, Tait, 0408098; Schael et al., I302.3415]

Dark matter physics

DM candidate = HC baryons \sim FFF

$F_{L/R}$	$SU(3)_{\text{HC}}$	$SU(3)_c$	$SU(2)_W$	$U(1)_Y$	$U(1)_{B-L}$
$\chi = (\chi_1, \chi_2)^T$	3	1	2	$1/2 + q$	q'
ψ_1	3	1	1	q	q'
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- ✓ If constituent HC fermions have electromagnetic charge, even the neutral baryons have large electromagnetic form factor
- ✓ There are two scenarios:
 - HC baryon consists of charged HC fermions ($q=-1/3$)
 - HC baryon consists of no charged HC fermions ($q=0$)

Dark matter physics

✓ $q = -1/3$:

- DM = neutral HC baryon consisting of charged HC fermion
- dominant DM-nuclei scattering is induced through **magnetic moment operator**
- bound (LUX): $m_{DM} \gtrsim 10 \text{ TeV}$ [Appelquist et al. (LSD collaboration), 1301.1693; Barbieri, Rychkov, Torre, 1001.3149; Banks, Fortin, Thomas, 1007.5515; etc.]

✓ $q = 0$:

- neutral HC baryon consisting of ψ 's is a DM candidate
- no large magnetic moment
- DM would show up in direct detection through **B-L gauge boson exchanging**

$$\frac{1}{v_{B-L}^2} (\bar{q} \gamma_\mu q) (\bar{\chi} \gamma^\mu \chi) \quad \rightarrow \quad v_{B-L} > 5.1(4.3) \text{ TeV} \quad \text{for } m_{DM} = 5(10) \text{ TeV}$$

Summary

◆ **We study a (multiple) **bosonic seesaw** model for the dynamical EWSB:**

- a new strongly coupled gauge sector, hypercolor (HC)
- seesaw mechanism b/w an elementary Higgs and a HC meson
- dynamically explains all of the masses (Higgs, RH neutrinos, etc.)

◆ **The model is testable:**

- HC meson looks like inert Higgs boson, but is actually composite
- neutral HC baryon = DM candidate with mass $\sim O(5-10\text{TeV})$
- etc.

Thanks for your attention