

# Status and sensitivity of the SuperNEMO demonstrator

Steven Calvez, GdR Neutrino May 2017

Steven Calvez  calvez@lal.in2p3.fr

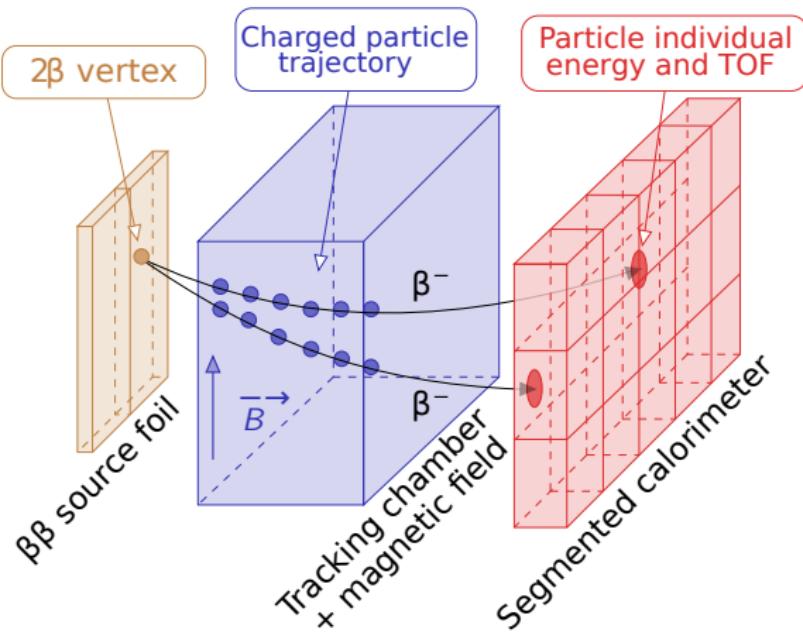


# Outline

- ▶ The SuperNEMO experiment
- ▶ Status of the demonstrator integration
- ▶ Particle reconstruction and identification
- ▶ Sensitivity of the demonstrator

# The SuperNEMO experiment

- ▶ SuperNEMO is a  $0\nu\beta\beta$  experiment combining tracking and calorimetry techniques.



# The demonstrator design

## Calorimeter :

**440 x 8'' PM + 272 x 5'' PM  
coupled to polystyrene  
scintillators**

## Energy resolution :

**4 % FWHM @  $Q_{\beta\beta}$**

## Time resolution :

**$\sigma = 400 \text{ ps} @ 1 \text{ MeV}$**

## Source :

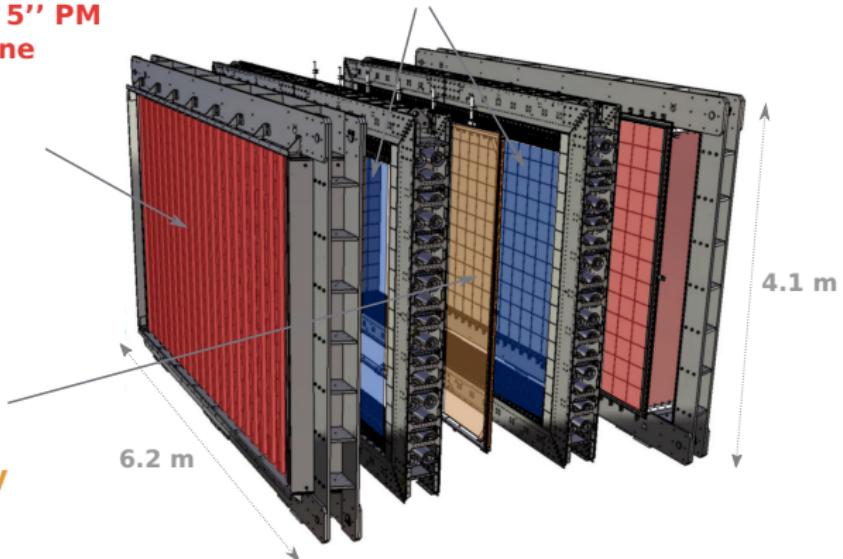
**7 kg of  $^{82}\text{Se}$**

**$Q_{\beta\beta}=2.998 \text{ MeV}$**

## Tracker :

**Wire chamber (2034 wires)**

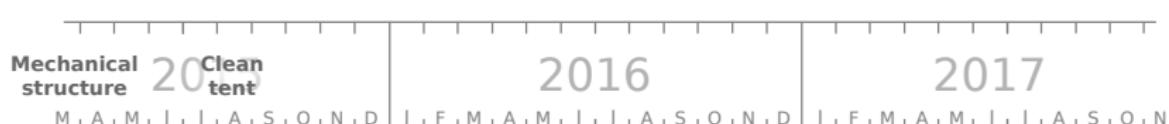
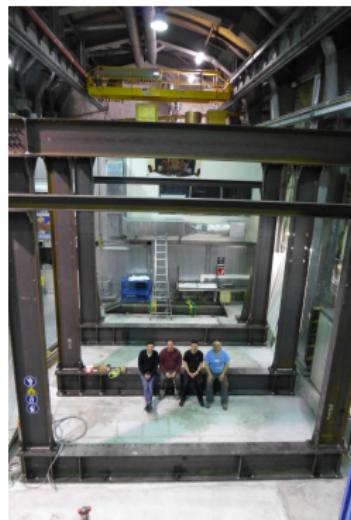
**3D track reconstruction**



# Integration of the demonstrator in LSM

## Mechanical structure and clean tent : LAL

- ▶ Assembly of the support frame and the temporary clean tent.



# Integration of the demonstrator in LSM

Calorimeter : CENBG and LAL

- ▶ Assembly of the calorimeter frame and populating it with calorimeter blocks



# Integration of the demonstrator in LSM

Tracker : UK

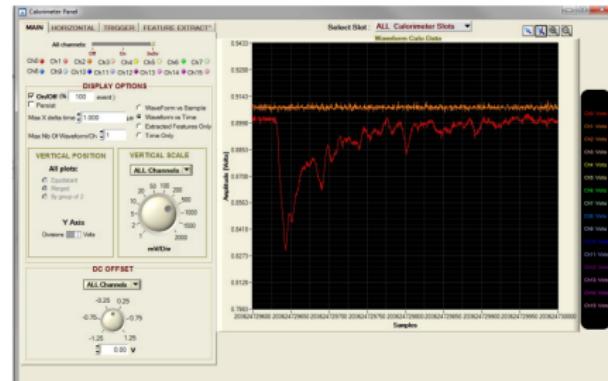
- ▶ Delivery and assembly of the 4 tracker sections.



# Integration of the demonstrator in LSM

## Commissioning

- ▶ Commissioning of one half of the demonstrator is underway.



# Integration of the demonstrator in LSM

Source : LAPP

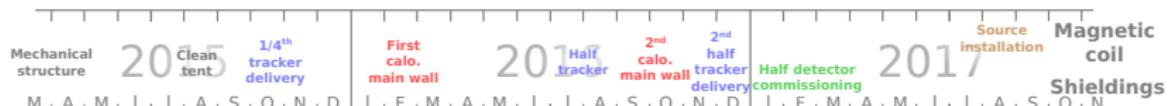
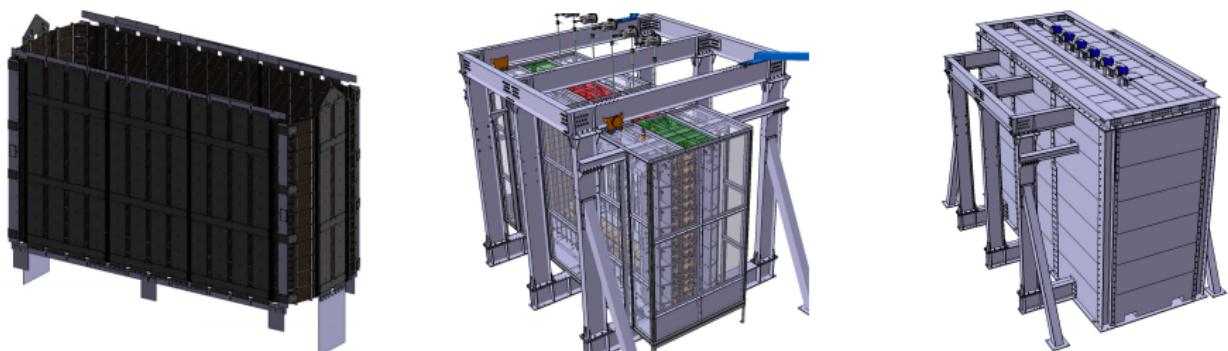
- ▶ Installation of the source strips.



## Integration of the demonstrator in LSM

## Magnetic coil and shieldings : LPC and LAL

- ▶ Assembly of the magnetic coil, the anti-radon tent and the shieldings (pure iron and water).



## Goals of the demonstrator

- ▶ Run for 2.5 years with 7 kg of  $^{82}\text{Se}$  (and maybe  $^{150}\text{Nd}$  in a second phase if the enrichment is mastered)
- ▶ Prove SuperNEMO can be a background-free experiment in the Region of Interest

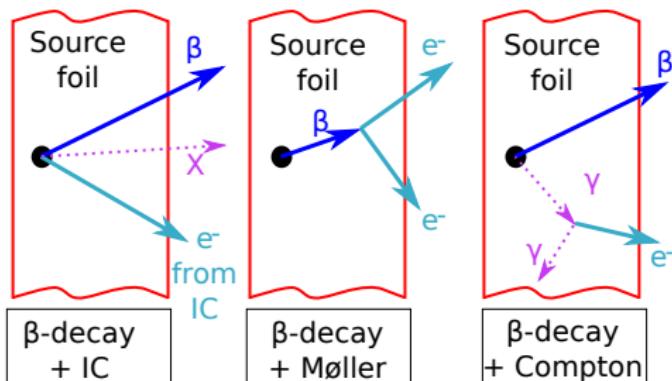
$$T_{1/2}^{0\nu,\text{lim}} \propto \begin{cases} m \cdot t & \text{without background} \\ \sqrt{\frac{m \cdot t}{b \cdot \Delta E}} & \text{with background} \end{cases}$$

with  $m$  the mass of  $\beta\beta$ -isotope,  $t$  the acquisition time,  $b$  the background rate in  $\text{counts} \cdot \text{keV}^{-1} \cdot \text{kg}^{-1} \cdot \text{y}^{-1}$  and  $\Delta E$  the energy resolution.

# Background origins

- ▶ Main backgrounds :

- A contamination of the source in  $\beta/\gamma$  emitters : mainly  $^{208}\text{TI}$  and  $^{214}\text{Bi}$  because of their high transition energy.
- **Radon** in the tracker gas : daughter nuclei depositing close to the source and decaying to  $^{214}\text{Bi}$ .

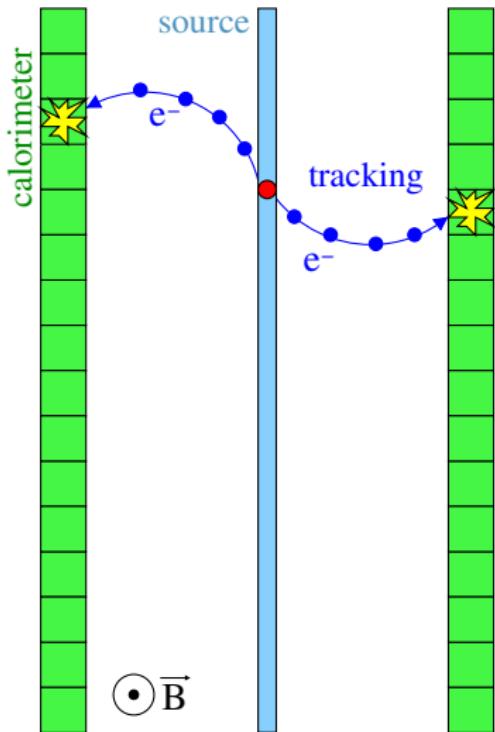


● = radioisotope;  $\beta$  = electron from  $\beta$ -decay; IC = internal conversion

# Comparison between NEMO-3 and SuperNEMO

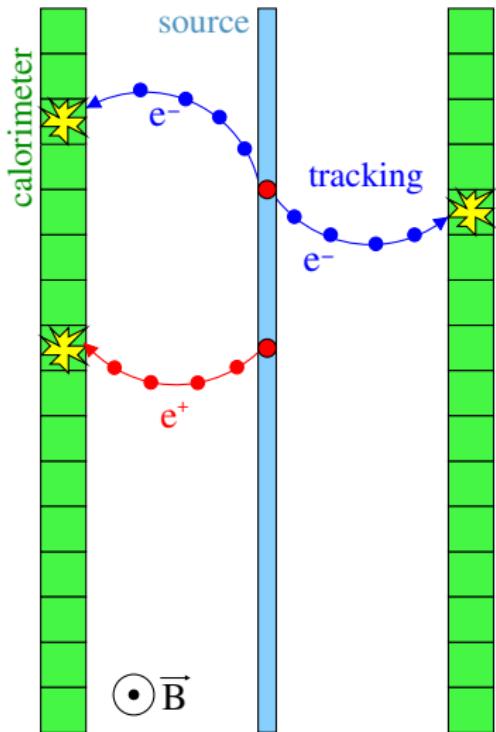
|   | NEMO3  | SuperNEMO  |
|---|--|--|
| Mass<br>Isotopes  | 7 kg<br>$^{100}\text{Mo}$<br>among 7 isotopes  | 7 kg   100 kg<br>$^{82}\text{Se}$<br>( $^{150}\text{Nd}$ , Copper,... )              |
| Calo. energy res. @ $Q_{\beta\beta}$<br>FWHM - $\sigma$                                       | 8 % - 3.4 %  | 4 % - 1.7 %  |
| Backgrounds :<br>$A(^{208}\text{Tl})$<br>$A(^{214}\text{Bi})$<br>$A(\text{Radon})$ in tracker | $\sim 100 \mu\text{Bq/kg}$<br>$\sim 300 \mu\text{Bq/kg}$<br>$\sim 5 \text{ mBq/m}^3$ | $\leq 2 \mu\text{Bq/kg}$<br>$\leq 10 \mu\text{Bq/kg}$<br>$\leq 0.15 \text{ mBq/m}^3$ |
| 0 $\nu$ efficiency  | 18 %   | 30 %   |
| Exposure  | 35 kg·y  | 17.5 kg·y   500 kg·y   |
| Sensitivity   |  |  |
| $T_{1/2}^{0\nu 2\beta}$ (90% C.L.)  | $> 1.1 \cdot 10^{24}$  | $> 6 \cdot 10^{24} \text{ y}$   $> 10^{26} \text{ y}$                                |
| $\langle m_{\beta\beta} \rangle$  | $< 0.33 - 0.87 \text{ eV}$   | $< 0.2 - 0.55 \text{ eV}$   $< 0.04 - 0.1 \text{ eV}$                                |

# Particle identification



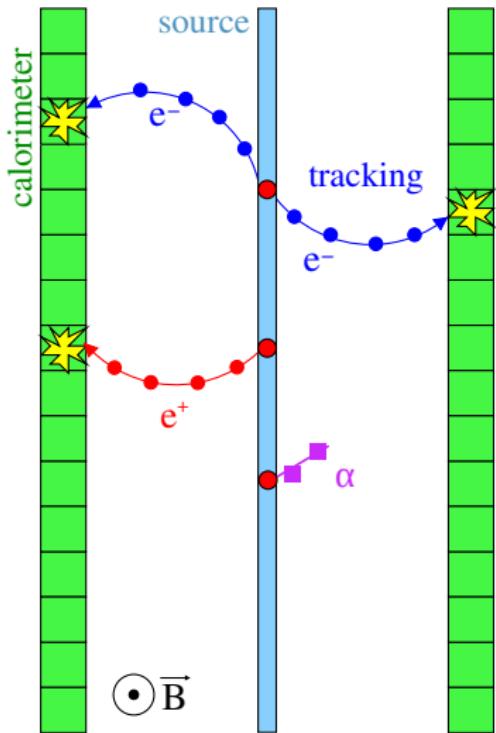
- ▶ **Electron** : a negatively curved track with an associated calorimeter hit.
- ▶ **Positron** : a positively curved track with an associated calorimeter hit.
- ▶ **Alpha** : a (delayed) short straight track.
- ▶ **Gamma** : One or more unassociated calorimeter hits.

# Particle identification



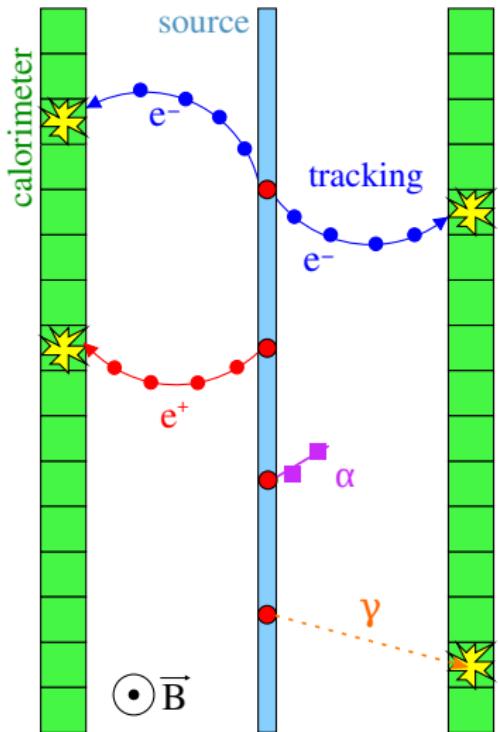
- ▶ **Electron** : a negatively curved track with an associated calorimeter hit.
- ▶ **Positron** : a positively curved track with an associated calorimeter hit.
- ▶ **Alpha** : a (delayed) short straight track.
- ▶ **Gamma** : One or more unassociated calorimeter hits.

# Particle identification



- ▶ **Electron** : a negatively curved track with an associated calorimeter hit.
- ▶ **Positron** : a positively curved track with an associated calorimeter hit.
- ▶ **Alpha** : a (delayed) short straight track.
- ▶ **Gamma** : One or more unassociated calorimeter hits.

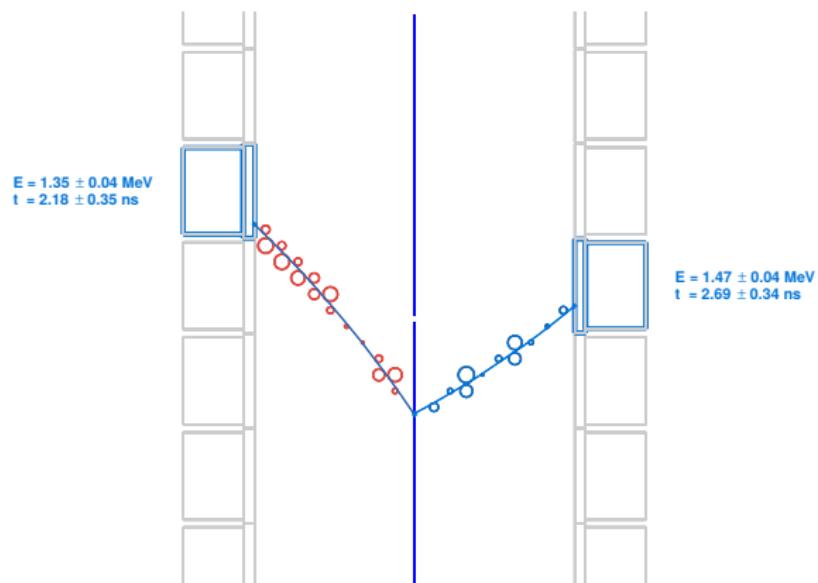
# Particle identification



- ▶ **Electron** : a negatively curved track with an associated calorimeter hit.
- ▶ **Positron** : a positively curved track with an associated calorimeter hit.
- ▶ **Alpha** : a (delayed) short straight track.
- ▶ **Gamma** : One or more unassociated calorimeter hits.

# Event reconstruction

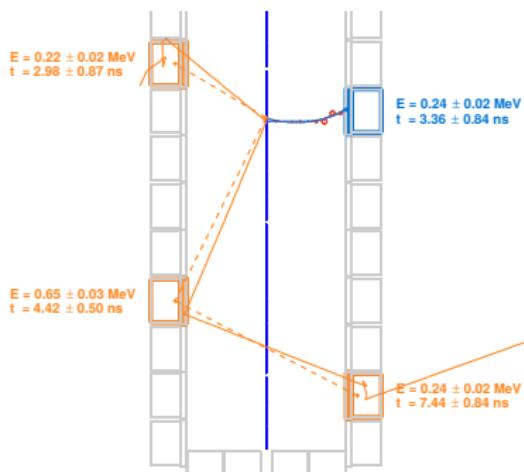
- ▶ Display of a  $0\nu\beta\beta$  event from Monte-Carlo simulations (top view).



# Gamma reconstruction

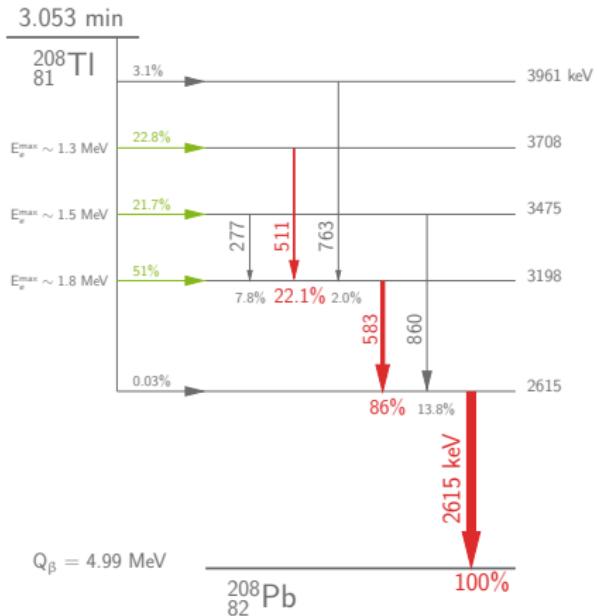
- ▶  $\gamma$ 's can bounce around in the detector and hit several calorimeter blocks.
- ▶ Need a dedicated algorithm based on the Time-Of-Flight to reconstruct the  $\gamma$  particles : the  $\gamma$ -tracko-clustering
- ▶ Trade off between pure tracking (TOF only) and simple clustering (neighbouring hits only).

- ▶ Number of  $\gamma$ 's and energy reconstructed more accurate.

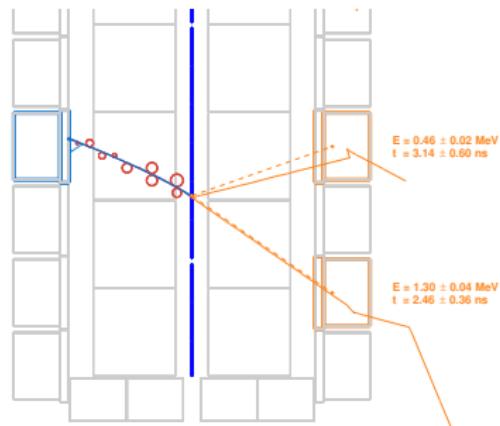


## Dedicated background channels

- $^{208}\text{TI}$  mostly emits a  $\beta$  and 2  $\gamma$ 's:

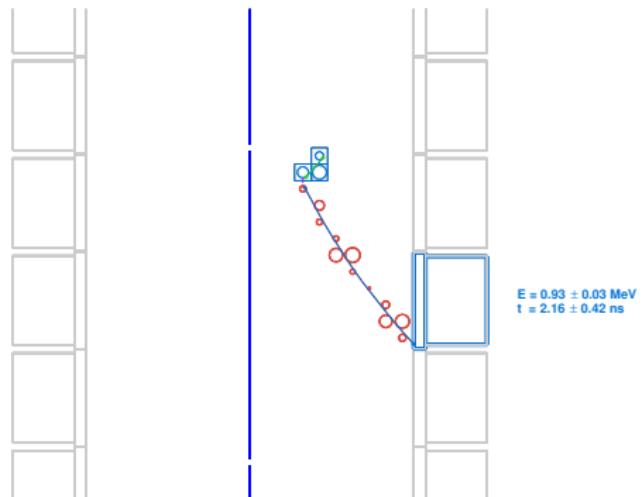


- ▶ Measure  $^{208}\text{TI}$  in the  $1e2\gamma$  channel :



# Dedicated background channels

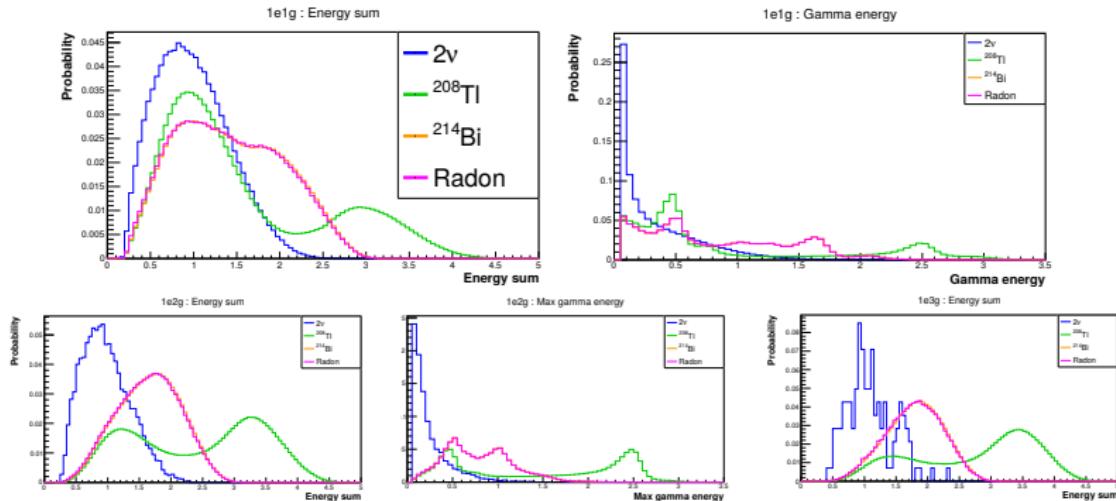
- ▶ Measure Radon with the  ${}^{222}\text{Rn} \rightarrow {}^{218}\text{Po}(\alpha, \gamma)$  events from the tracker:



- ▶  $A(\text{Radon}) = 150 \mu\text{Bq}/\text{m}^3$  can be measured with a **10 % stat. uncertainty in less than a week**

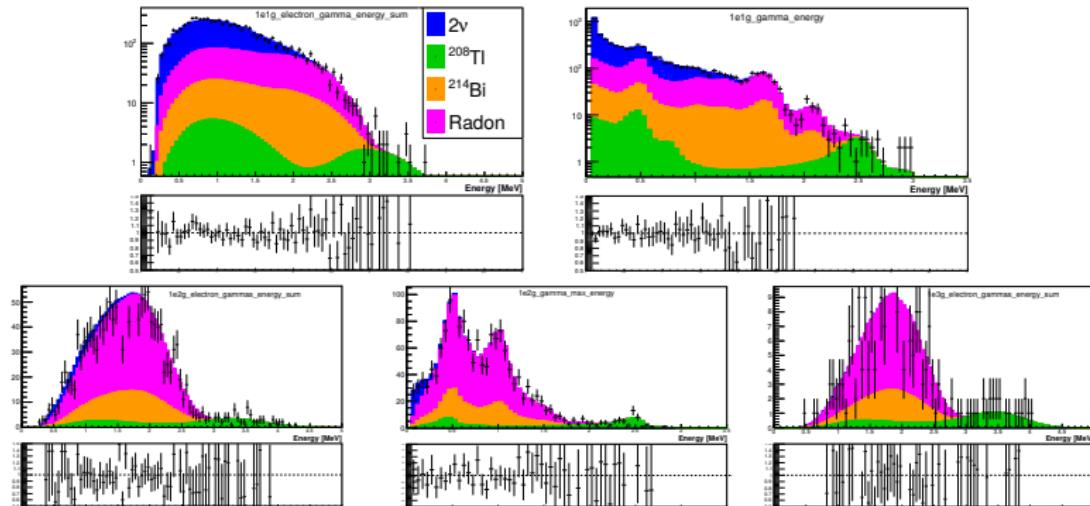
# Background measurement : $^{208}\text{TI}$ and $^{214}\text{Bi}$

- ▶ Use discriminating variables in the  $1\text{e}1\gamma$ ,  $1\text{e}2\gamma$  and  $1\text{e}3\gamma$  channels to measure the  $^{208}\text{TI}$  and  $^{214}\text{Bi}$  source contaminations:



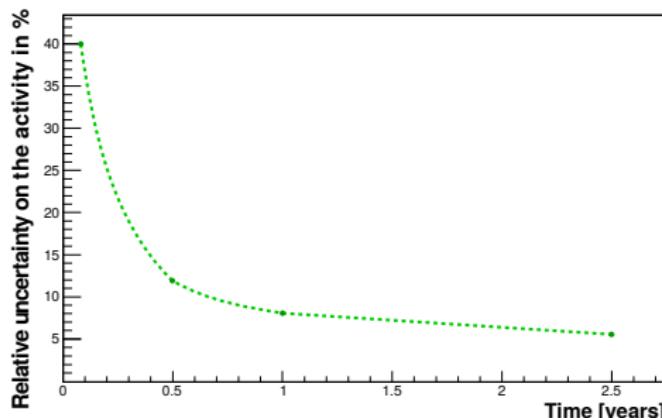
# Background measurement : $^{208}\text{TI}$ and $^{214}\text{Bi}$

- Global fit on several distributions across different channels for a pseudo-experiment :



## Background measurement : $^{208}\text{TI}$ and $^{214}\text{Bi}$

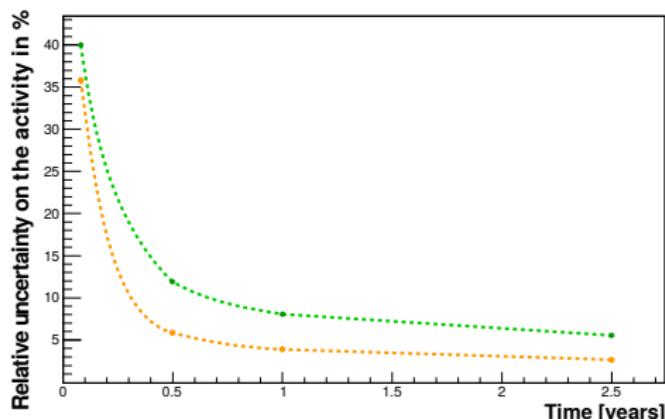
- ▶ The uncertainty on the measurement is obtained from the distribution of the activities measured in a large number of pseudo-experiments.



- ▶ 10 % stat. uncertainty in **8 months** on  $A(^{208}\text{TI}) = 2 \mu\text{Bq/kg}$
- ▶ 10 % stat. uncertainty in **3 months** on  $A(^{214}\text{Bi}) = 10 \mu\text{Bq/kg}$

## Background measurement : $^{208}\text{TI}$ and $^{214}\text{Bi}$

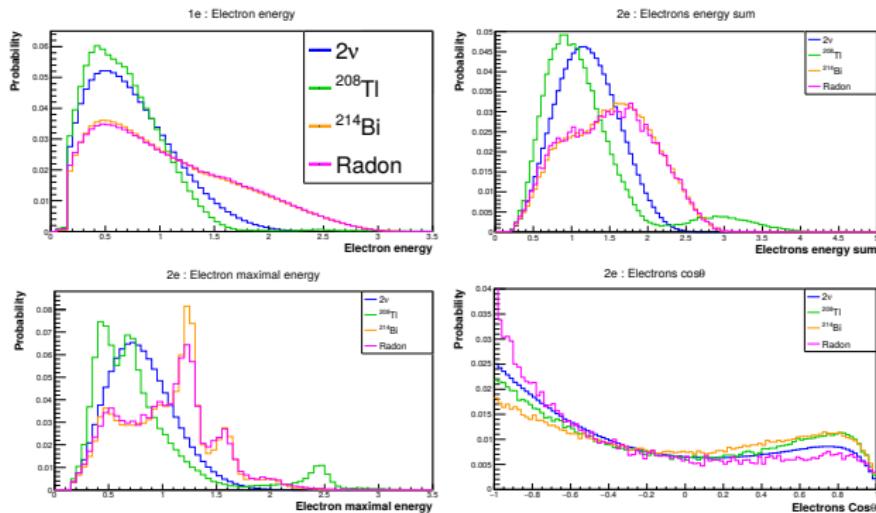
- ▶ The uncertainty on the measurement is obtained from the distribution of the activities measured in a large number of pseudo-experiments.



- ▶ 10 % stat. uncertainty in **8 months** on  $A(^{208}\text{TI}) = 2 \mu\text{Bq/kg}$
- ▶ 10 % stat. uncertainty in **3 months** on  $A(^{214}\text{Bi}) = 10 \mu\text{Bq/kg}$

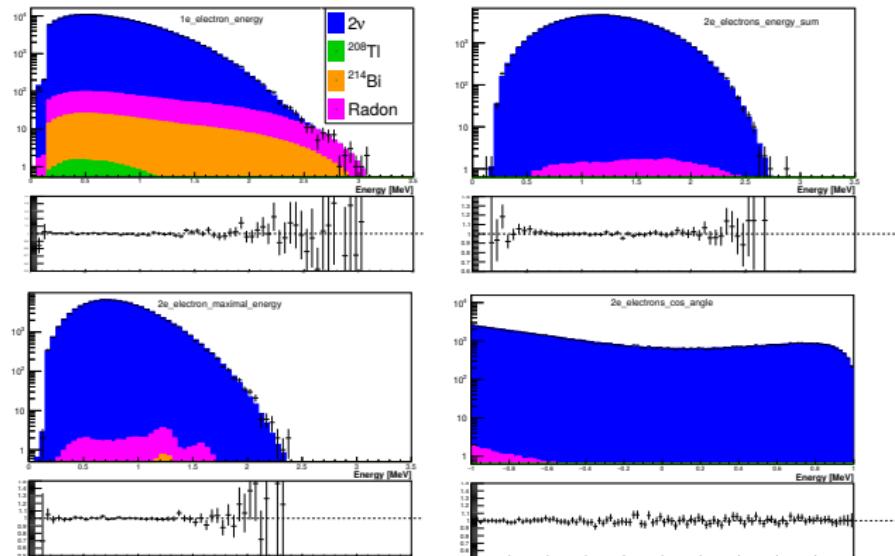
# Background measurement : $2\nu\beta\beta$

- Global fit on discriminating variables in the 1e and 2e channels to measure the  $2\nu\beta\beta$  half-life:



# Background measurement : $2\nu\beta\beta$

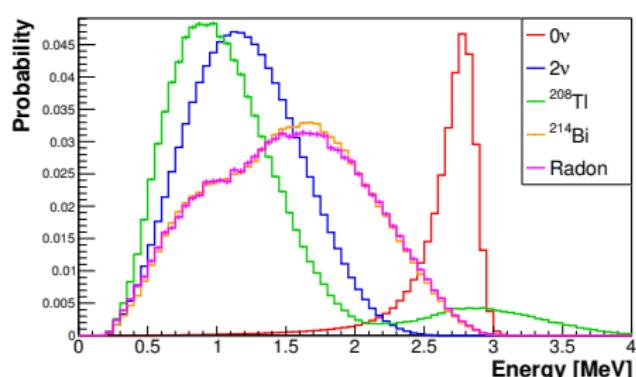
- ▶ Measure the  $2\nu\beta\beta$  half-life on several pseudo-experiments : **0.4 % stat. uncertainty** with the demonstrator (17.5 kg·y)



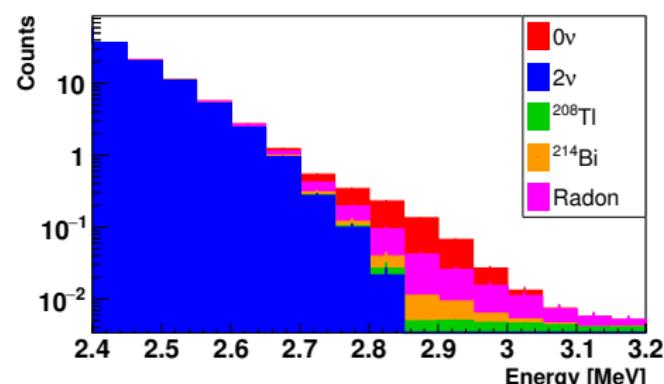
# $0\nu\beta\beta$ sensitivity

- ▶ For the mass mechanism, considering the demonstrator expected conditions, namely  $A(^{208}\text{TI}) = 2\mu\text{Bq}/\text{kg}$ ,  $A(^{214}\text{Bi}) = 10\mu\text{Bq}/\text{kg}$ ,  $A(\text{Radon}) = 150\mu\text{Bq}/\text{m}^3$  with a  $17.5 \text{ kg}\cdot\text{y}$  exposure
- ▶ Select  $\beta\beta$ -like events and look at the energy sum spectrum :

Arbitrary normalization



Normalized to activities



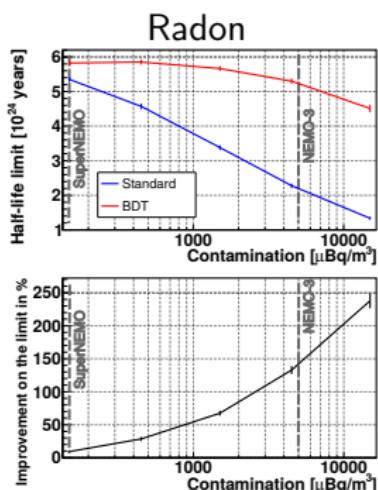
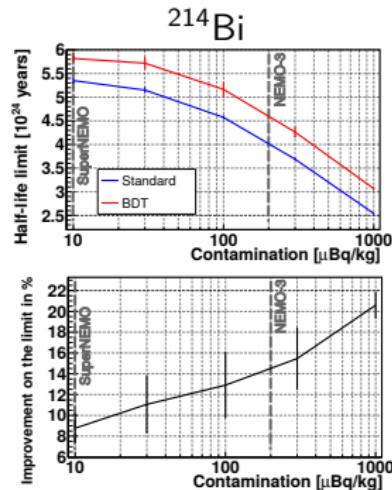
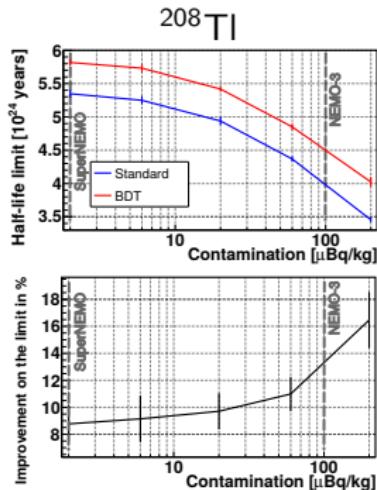
|                     | $2\nu\beta\beta$    | $^{208}\text{TI}$   | $^{214}\text{Bi}$   | Radon               |
|---------------------|---------------------|---------------------|---------------------|---------------------|
| Events in $[2.8;3]$ | $1.8 \cdot 10^{-2}$ | $2.0 \cdot 10^{-2}$ | $2.5 \cdot 10^{-2}$ | $1.1 \cdot 10^{-1}$ |

## $0\nu\beta\beta$ sensitivity using multivariate analysis

- ▶ Train **BDTs** from ROOT's TMVA to discriminate signal events from background events using **topological information from the 2e channel**.
- ▶ **Energy variables** are correlated but the **vertices separation** and the **internal probability** are helpful discriminating variables.
- ▶ Compare the **sensitivity** obtained using the two electrons energy sum spectrum or the BDT score and using the **CLs technique**.

# Impact of the background levels

- Sensitivity depending on the different background levels



# Conclusion

- ▶ Thanks to its **tracking capabilities**, SuperNEMO can use **dedicated channels** to accurately **characterize the background** (even ultra-low level contaminations).
- ▶ The **multivariate analysis** improves the sensitivity by at least **10 %** considering the stringent background levels are reached, and more otherwise (90 % sensitivity increase assuming the NEMO3 background levels).
- ▶ The demonstrator is being **commissioned** and the **data taking** should start in the **Autumn 2017**
- ▶ The demonstrator should reach a sensitivity of

$$T_{1/2}^{0\nu} > 5.9 \cdot 10^{24} \text{ y } 90\% \text{ C.L.}$$

$$\langle m_{\beta\beta} \rangle < 200 - 550 \text{ meV}$$

## BACKUP

## Choice of isotope

- ▶ Table of the double beta emitters with their transition energy  $Q_{\beta\beta}$ , their natural isotopic abundance, the  $2\nu\beta\beta$  half-life and the  $0\nu\beta\beta$  phase space factor  $G_{0\nu}$ .

| Isotope           | $Q_{\beta\beta}$ (keV) | $\eta$ (%) | $T_{1/2}^{2\nu}$ ( $10^{21}$ y) | $G_{0\nu}$ ( $10^{-25}$ y $^{-1}$ ) |
|-------------------|------------------------|------------|---------------------------------|-------------------------------------|
| $^{48}\text{Ca}$  | 4272                   | 0.187      | 0.064                           | 2.439                               |
| $^{76}\text{Ge}$  | 2040                   | 7.61       | 1.926                           | 0.244                               |
| $^{82}\text{Se}$  | 2995                   | 8.73       | 0.096                           | 1.079                               |
| $^{100}\text{Mo}$ | 3034                   | 9.63       | 0.007                           | 1.754                               |
| $^{116}\text{Cd}$ | 2805                   | 7.49       | 0.028                           | 1.894                               |
| $^{130}\text{Te}$ | 2529                   | 33.8       | 0.82                            | 1.698                               |
| $^{136}\text{Xe}$ | 2479                   | 8.9        | 2.165                           | 1.812                               |
| $^{150}\text{Nd}$ | 3368                   | 5.6        | 0.009                           | 8.000                               |

# The $\gamma$ tracko-clustering

- ▶ The  $\gamma$ -clustering, *a la* NEMO3, relies mainly on geometry. It gathers the neighbouring unassociated calorimeter hits into clusters to which is associated a new  $\gamma$ .
- ▶ The  $\gamma$ -tracking is based on Time-Of-Flight (TOF) calculations.

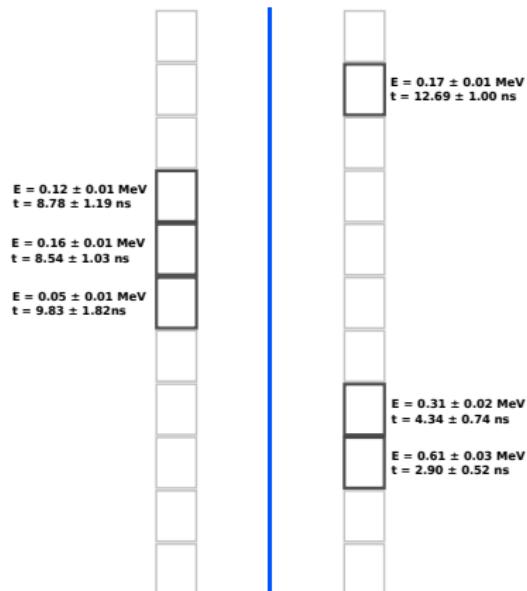
$$\chi_{int}^2 = \frac{((t_2^{exp} - t_1^{exp}) - \frac{\ell_{1\rightarrow 2}}{c})^2}{\sigma_{t_1}^2 + \sigma_{t_2}^2 + \sigma_\ell^2}$$

$$P(\chi_{int}^2) = 1 - \frac{1}{\sqrt{2\pi}} \int_0^{\chi_{int}^2} x^{-\frac{1}{2}} e^{-\frac{x}{2}} dx$$

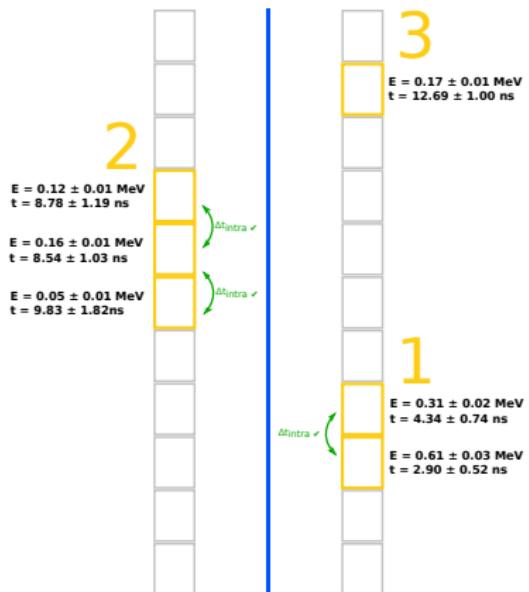
# The $\gamma$ -tracko-clustering

The algorithm first performs a standard clustering...

## I. Unassociated calorimeter hits



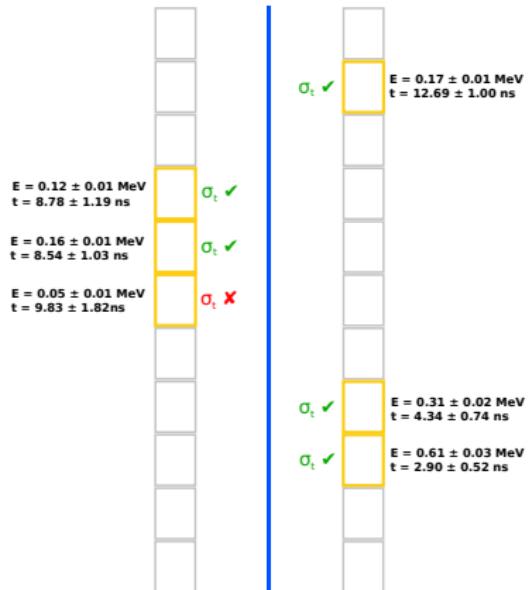
## II. Clustering : 3 clusters with $\Delta t_{\text{intra}} < 2.5 \text{ ns}$



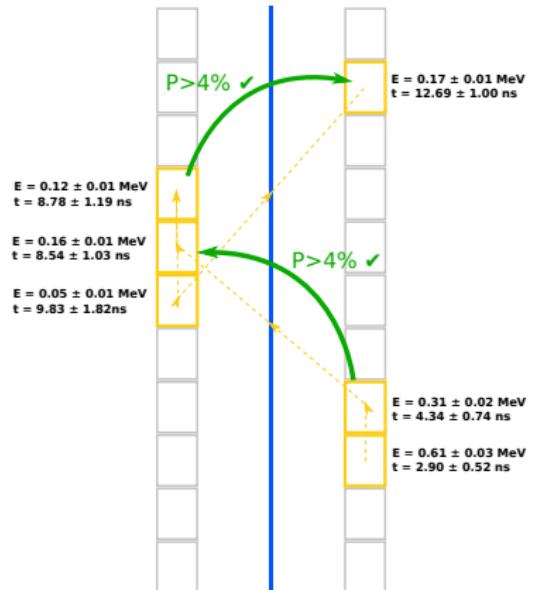
# The $\gamma$ -tracko-clustering

...then links the clusters based on TOF probability

## III. Tracking : 1 hit will not be used ( $\sigma_t > 1.5$ ns)

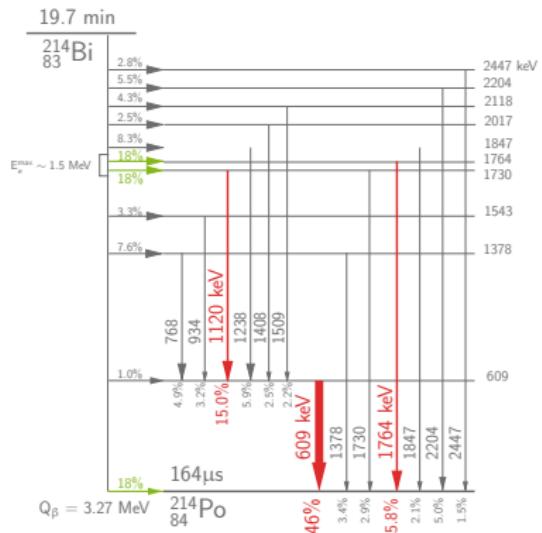


## IV. Tracking : linking clusters with $P > 4\%$

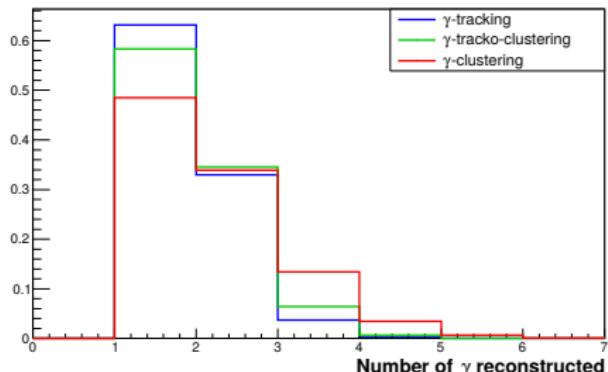


# Number of $\gamma$ 's reconstructed in $^{214}\text{Bi}$

- Between 0 and 2  $\gamma$ 's emitted :  $\gamma$ -clustering overestimates the number of  $\gamma$ 's

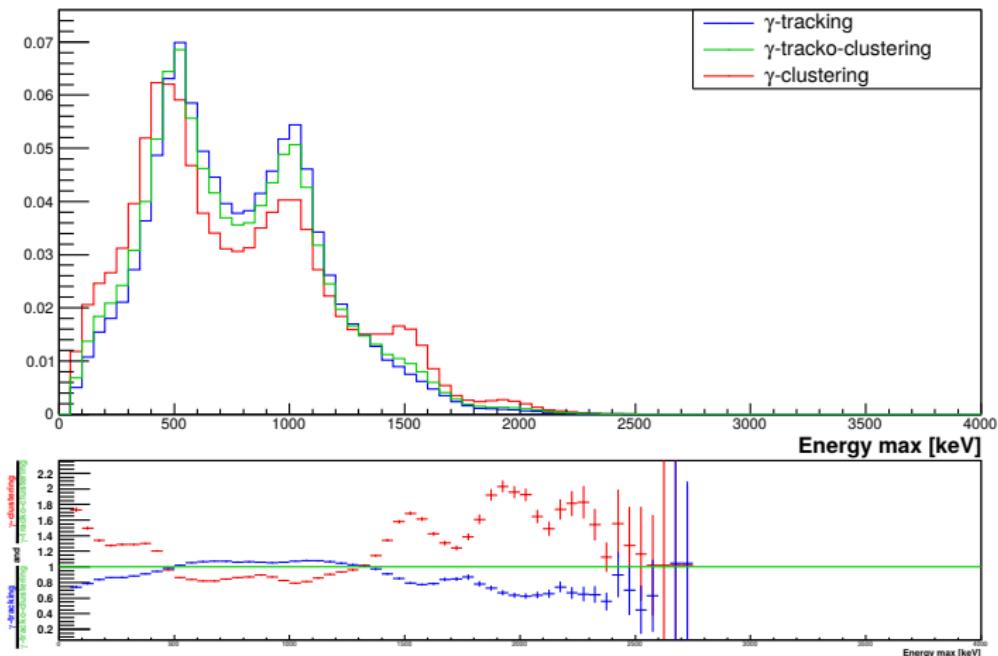


Number of  $\gamma$ 's reconstructed



# Example of $^{214}\text{Bi}$ : spectra comparison

- Highest energy  $\gamma$  spectrum in the  $^{214}\text{Bi}$   $1e2\gamma$  channel : the  $\gamma$ -clustering splits  $\gamma$ 's



## BDT configuration

- ▶ Split the samples in 4 (A,B,C,D), train on A+B, test on B and C, and conversely.
- ▶ Configuration "slow training":
  - ▶ AdaBoost :  $\beta = 0.2$
  - ▶ 1200 trees
  - ▶ Minimal node size : 50 events
  - ▶ Maximal tree depth : 3
  - ▶ Separation index : Gini index