

***“4<sup>th</sup> generation” and B-CP anomalies***  
**EW MORIOND'09**

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# *Outline*

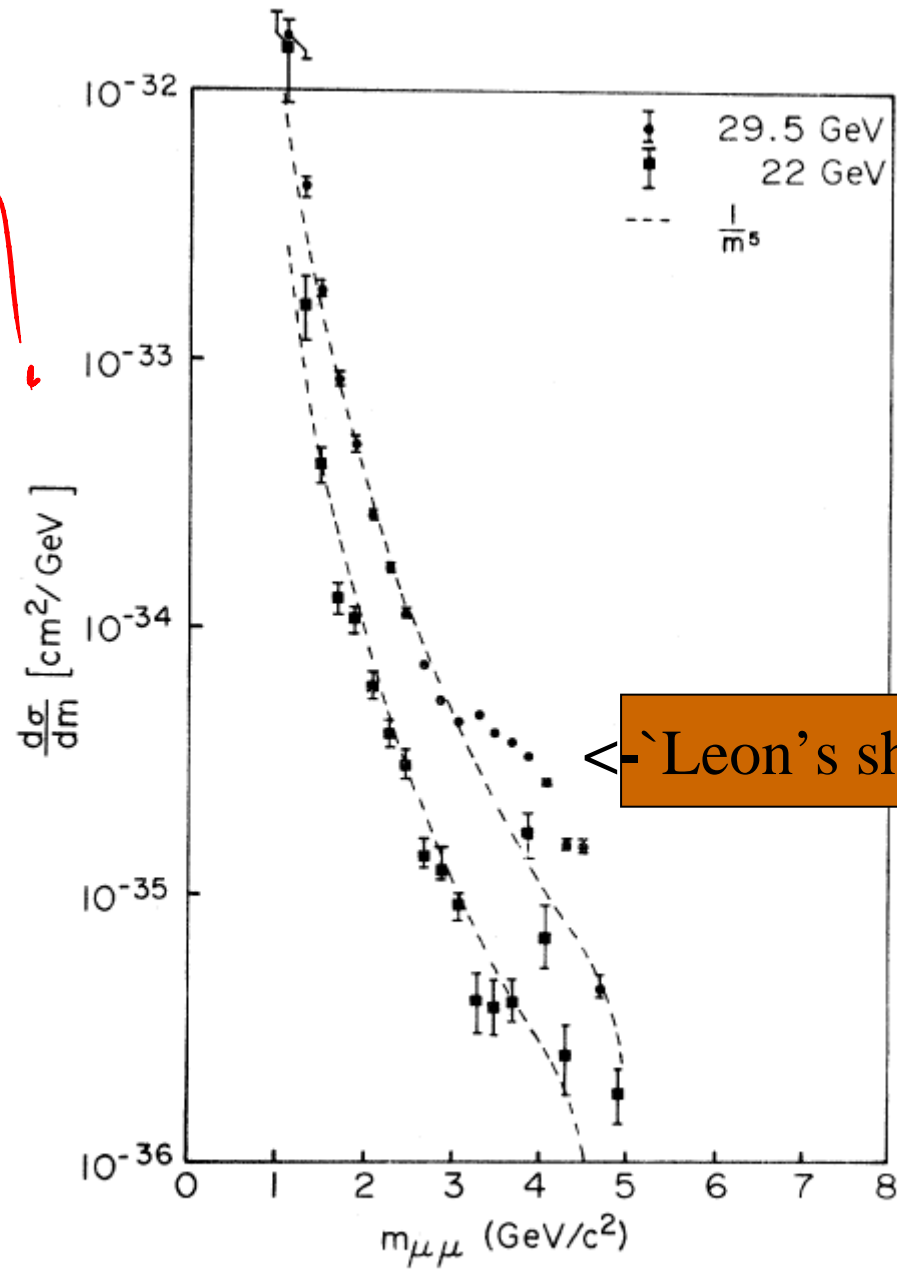
- Motivation
- FOUR ANOMALIES
- A **NATURAL** solution that fits the pattern of anomalies
- Why not some other (simple) ones?
- Broader repercussions
- Conclusion & Summary

# *Motivation*

- While a compelling & conclusive evidence for breakdown of SM in flavor physics cannot be made at present, in the last few years several interesting (and possibly strong) hints have emerged.
- Although, taking too seriously every little deviation can be unwise and may be counterproductive; disregarding or overlooking the hints can be painfully unwise and in fact can be more damaging **{LESSON FROM HISTORY}** . Following these up in flavor & collider physics and in theory may be a much wiser path.

{ based in part on Enrico Lunghi + A. S. 0707.0212; 0803.4340; & in progress; Alok, Giri, Mohanti, Nandi +AS (WHEPP X, Chennai):0807.1971 & in progress}

DRELL-YAN  
@ is  
INFANCY!



$p\bar{p} \rightarrow \mu^+\mu^- X$   
@BNL

← Leon's shoulder

FIG. 15. Experimental cross sections at two energies compared with a simple  $1/m^5$  continuum.

# Christenson,Hicks,Lederman,Limon,Pope & Zavattini PRD 8,2016 '72

8

OBSERVATION OF MUON PAIRS IN HIGH-ENERGY HADRON...

2029

mass range of  $3\text{--}5\text{ GeV}/c^2$ , there is a distinct excess of the observed cross section over the reference curve. If this excess is assumed (certainly not required) to be the production of a resolution-broadened resonance, the cross-section-branching-ratio production  $\sigma B$  would be approximately  $6 \times 10^{-35}\text{ cm}^2$ , subject to the cross-section uncertainties discussed above. Alternatively the excess may be interpreted as merely a departure from the overly simplistic (and arbitrarily normalized)  $1/m^5$  dependence. In this regard, we should remark that there may be two entirely different processes represented here: a low- $Q^2$  part which has to do with vector mesons, tail of the  $\rho$ , bremsstrahlung, etc., and a core yield with a slower mass dependence, which may be relevant to the scaling argument discussed below.

The “heavy photon” pole that has been postulated<sup>32</sup> to remove divergence difficulties in quan-

cles produced in the initial proton-uranium collision. In principle, these secondary particles could also create muon pairs. In this case, the observed spectrum would represent the inseparable product of the spectrum of the secondary particle and its own yield of muon pairs. In exploratory research of this kind this disadvantage is largely offset by the fact that the variety of initial states provides a more complete exploration of dimuon production in hadron collisions.

## 2. Real Photons

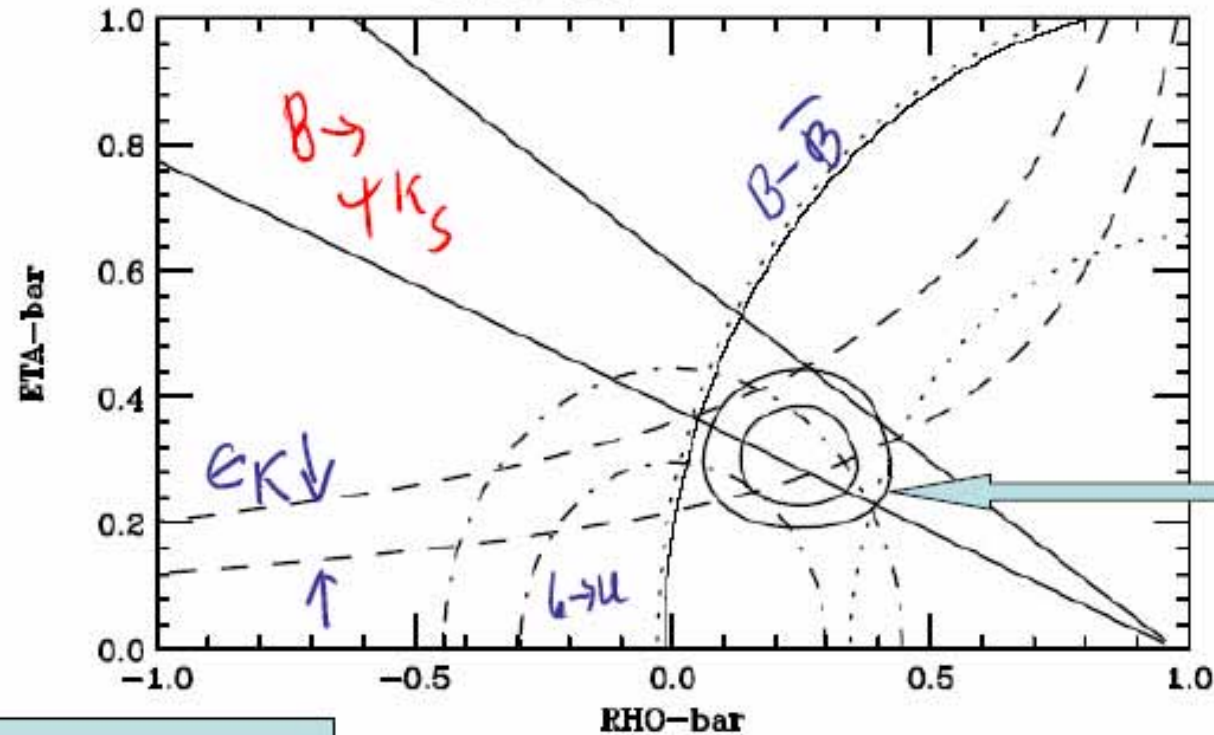
Real photons produced in the target (presumably from the decay of neutral pions) yield muon pairs by Bethe-Heitler or Compton processes. Estimates were made for the photon flux on the basis of pion-production models,<sup>27,28</sup> and this method of calculating the flux was checked against the experimental data of Fidecaro *et al.*<sup>33</sup> The argument

1<sup>st</sup> Hint of confirmation of CKM  
CP description

Atwood & AS, hep-ph/0103197

Case-A1

B-CP  
e  
IZE  
Feb ~ 01



Most bands due  
To theory errors




New physics will be a perturbation, important  
to use clean theory and lots of statistics.

# ***B-CP Anomalies***

- Fitted (SM-predicted) value of  $\sin 2\beta$  vs directly measured a) via tree decays
- b) via loop decays
- Dir CP in  $K^+\pi^-$  vs  $K^+\pi^0$
- $B_s \rightarrow \psi\phi$  ?

EACH  $\sim 2$  to  $3.5$   $6$  effects

## *Anomalies in $B(B_s)$ -CP asymmetries (I)*

- Using  $B_K$  (&  $\epsilon_K$ ),  $\xi_s$  (&  $\Delta m_s / \Delta m_d$ ),  $|V_{ub}|/|V_{cb}|$  &  $|V_{cb}|$  yields  $\sin 2\beta \sim 0.78 \pm 0.04$  to be compared to  $0.681 \pm 0.025$  ( $\psi K_s$ ) or  $0.58 \pm 0.06$  (“clean” penguin modes(CPM)) i.e  $\sim 2.2$  to  $\sim 2.7 \sigma$   
**[CONCERN  $|V_{ub}|$ ]**
- $\sin 2\beta$  from penguin-dominated “clean” modes   
is smaller than from the value obtained via  $B \rightarrow \psi K_s \sim 1.5 \sigma$   
(in addition an intriguing trend of central values of almost all modes are low)
- $ACP(K^+ \pi^-) - ACP(K^+ \pi^0) = 14.4 \pm 2.9\%$  & not  $\sim 0$    
-> these anomalies suggest NEW CP phase in  $b \rightarrow s$  penguin transitions (Lunghi + AS 0707.0212) 
- > BOTH  $b \rightarrow s$  penguin ( $\Delta F=1$ ) and therefore also in  $\Delta F=2$  box relevant for  $B_s$ -mixing &  $B_s \rightarrow \psi \phi$



# Lunghi+AS, arXiv.0707.0212

$$(\sin 2\beta = 0.78 \pm 0.04)$$

Directly measured via  
(gold-plated)  
 $B \rightarrow \psi K_S$ ,  
 $\sin \beta = 0.68 \pm 0.026$

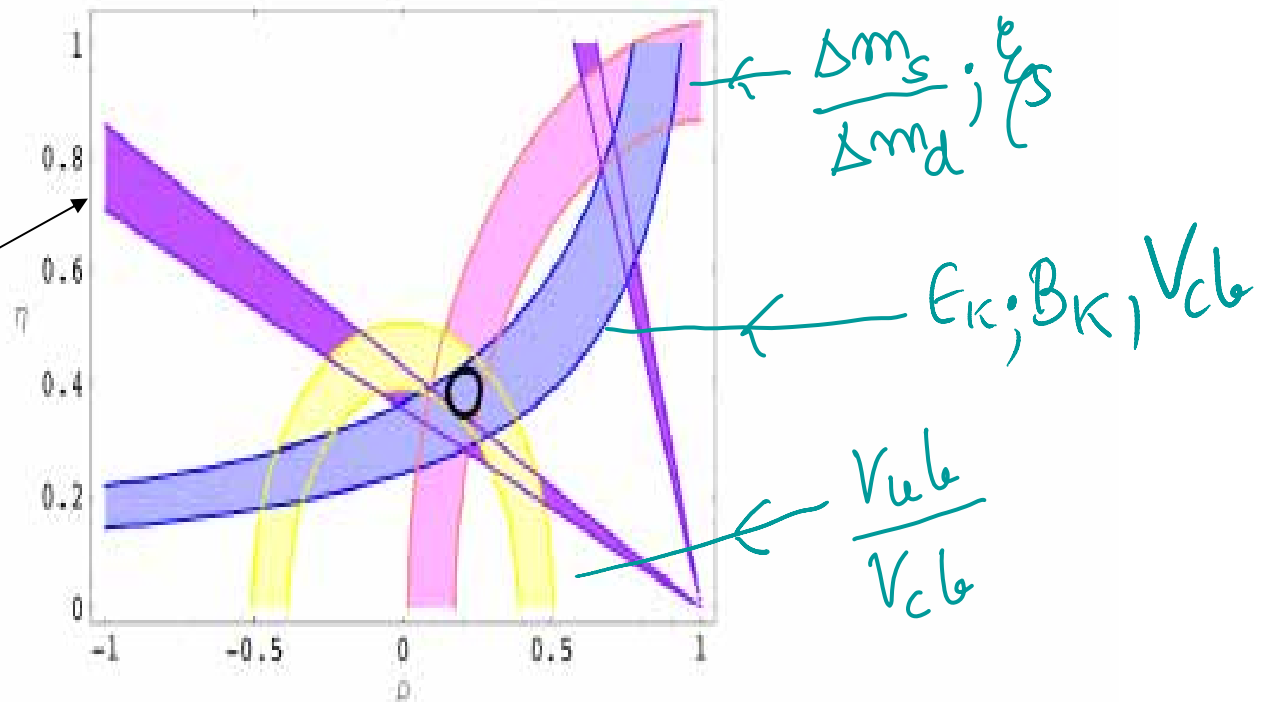


Figure 1: Unitarity triangle fit in the SM. The constraints from  $|V_{ub}/V_{cb}|$ ,  $\epsilon_K$ ,  $\Delta M_{B_s}/\Delta M_{B_d}$  are included in the fit; the region allowed by  $a_{\psi K}$  is superimposed.

## *Anomalies in $B(B_s)$ -CP asymmetries(II)*

### **MORE RECENTLY**

- Increased accuracy in  $B_K$  from the lattice, along with  $\xi_s$  from the lattice suffices now **{w/o use of  $V_{ub}$ }** to determine  $\sin^2 \beta$  to be around  $0.87 \pm 0.09$  (Lunghi+AS, 0803.4340)[thanx to lattice remove  $|V_{ub}|$  CONCERN] but heightens discrepancy for SM
- > If true suggests problem in  $\Delta b=2$  &/or  $\Delta s=2$  (ASSUMING  $V_{cb}$  is not too far off)
- {See L&S above; Buras & Guadagnoli 0805.3887}

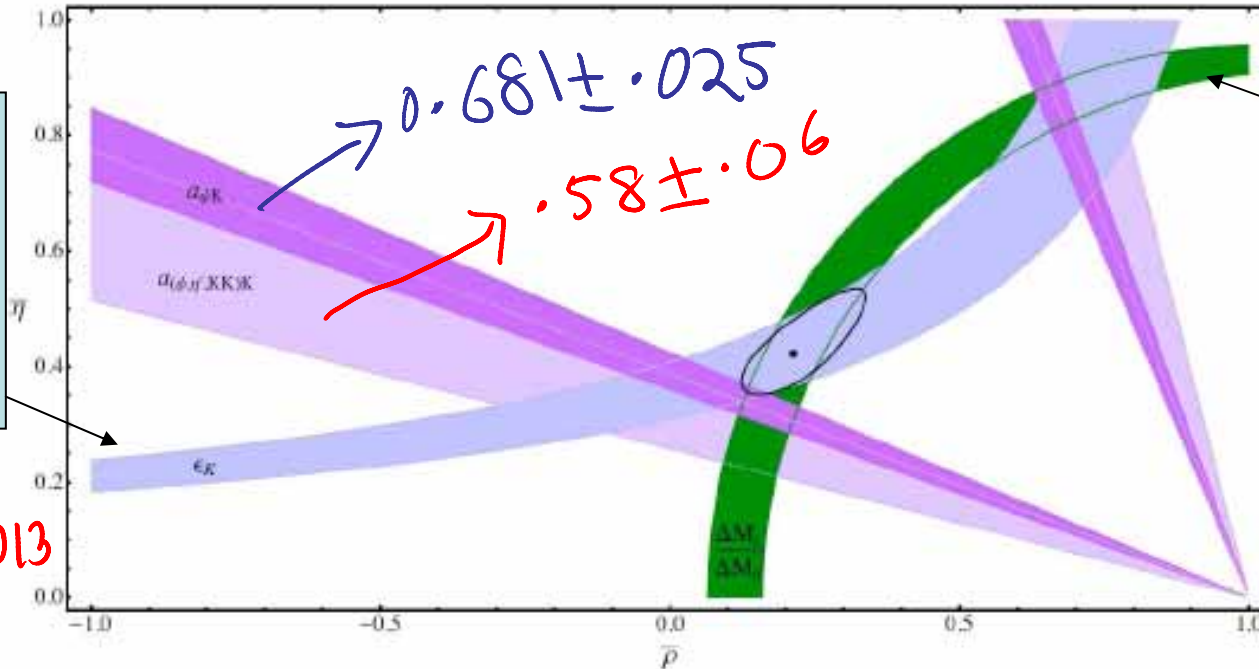
**Leave out Vub**

$$\sin 2\beta = 0.87 \pm 0.09 \{\text{Lunghi+AS, hep-ph/08034340}\}$$

*( became possible only due significantly reduced error in  $B_K$  )*

Antonio et al  
(RBC-UKQCD)  
0702042

Gamiz et al;  
Becirevic;  
Tantalo



$$\hat{B}_K = 0.720 \pm 0.013 \pm 0.037$$

$$|V_{cb}| = 40.8 \pm 6 \times 10^{-2}$$

$$\xi = 1.20 \pm 0.06$$

FIG. 1: Unitarity triangle fit in the SM. All constraints are imposed at the 68% C.L.. The solid contour is obtained using the constraints from  $\epsilon_K$  and  $\Delta M_{B_s}/\Delta M_{B_d}$ . The regions allowed by  $a_{\psi K}$  and  $a_{(\phi+\eta'+2K_s)K_s}$  are superimposed.

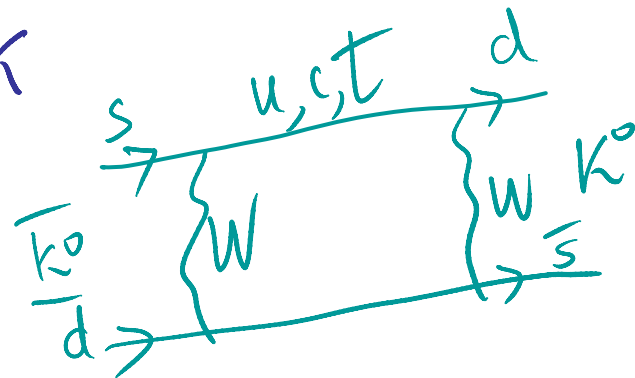
**2.1-2.7  $\sigma$ - deviation from the directly measured values of  $\sin 2\beta$  require careful follow-up**

# *Important Developments in lattice QCD*

- Widespread use of chiral fermions (i.e. Domain wall or overlap) : respects important symmetries of the continuum theory.
- Dynamical (2+1) gauge configurations (no longer quenched)
- Use of SU(2)ChPT, (assume  $m_K$  too heavy) therefore based on isospin and significantly more accurate than SU(3), for chiral extrapolations (pioneered by RBC-UKQCD, hep-ph/0702042....): **INCREASED PRECISION**

Define  $B_K$

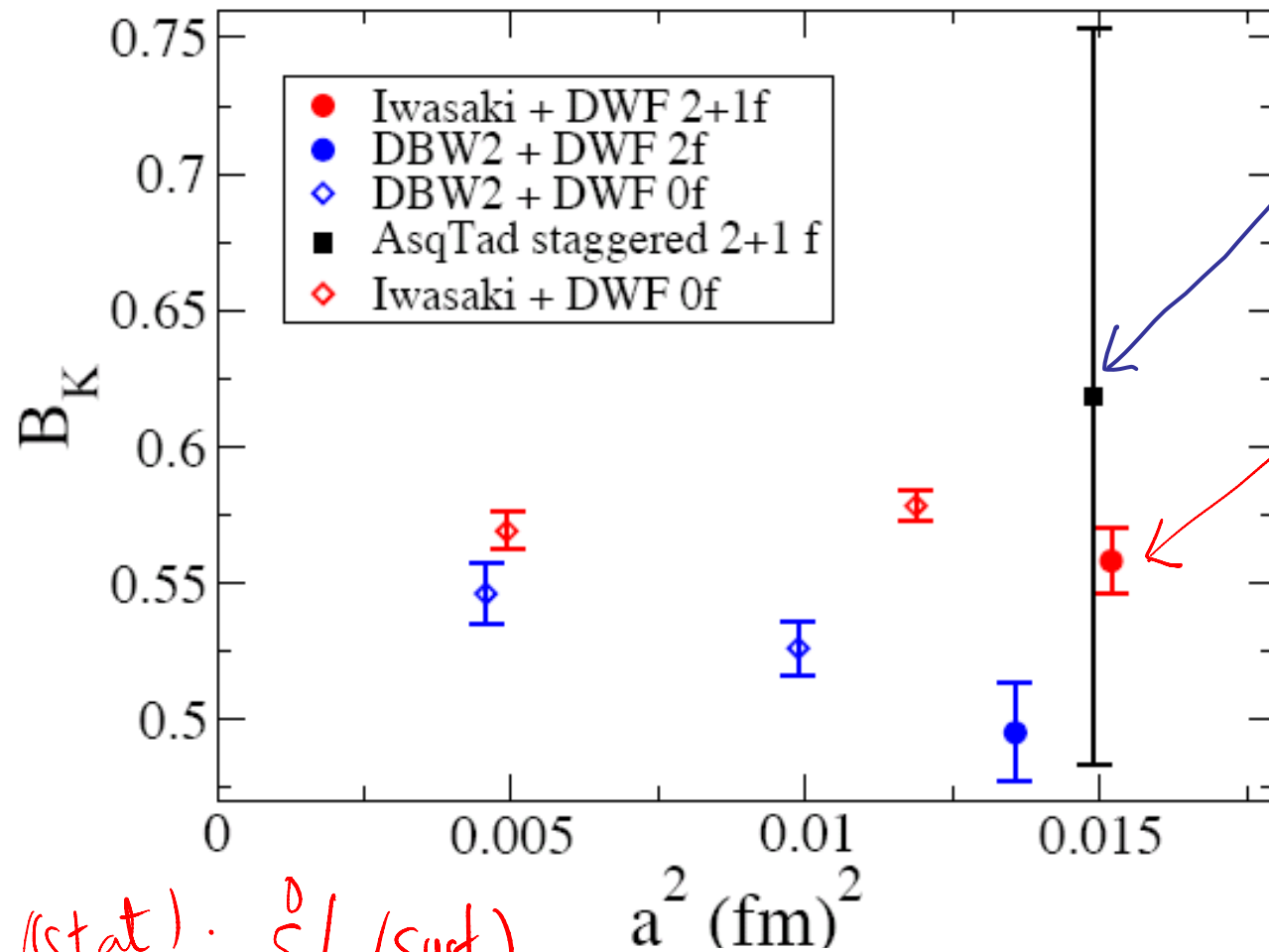
$$B_K \equiv \frac{\langle K | [\bar{s} \gamma_\mu (1 - \gamma_5) d]^2 | K \rangle}{\frac{8}{3} f_K^2 m_K^2}$$



# RBC-UKQCD 2+1 dynamical DWQ, hep-ph/0702042

$$B_K^{\overline{\text{MS}}}(2 \text{ GeV}) = 0.524(10)(28)$$

PRL Jan25,08



$\sim 2\%$  (stat);  $5\%$  (syst)

# Brief (~25 years) History of $B_K$

, ~'83 DGH use  $K^+$  lifetime + LOChPT + SU(3)->

$B_K \sim 0.33...$  no error estimate, no scale dependence...

UNCONTROLLABLE  
APPROXIMATION  $\Rightarrow$

~'84 Lattice method for WME born...many attempts  
& improvements for  $B_K$  evaluations

~'98 JLQCD staggered  $B_K(2\text{GeV}) = 0.628(42)$  quenched (~110).

~'97 1<sup>st</sup>  $B_K$  with DWQ (T.Blum&A.S), 0.628(47) quenched.

~'01 RBC  $B_K$  with DWQ, quenched=0.532(11) quenched

BBG, LGN  
PLB '88  
.70 ± .07

~'05 RBC,  $n_f=2$ , dyn. DWQ,  $B_K = 0.563(21)(39)(30)$

~'06 Gimenez et al (HPQCD; stagg.) 2+1,  $B_K = 0.618(18)(19)(30)(130)$

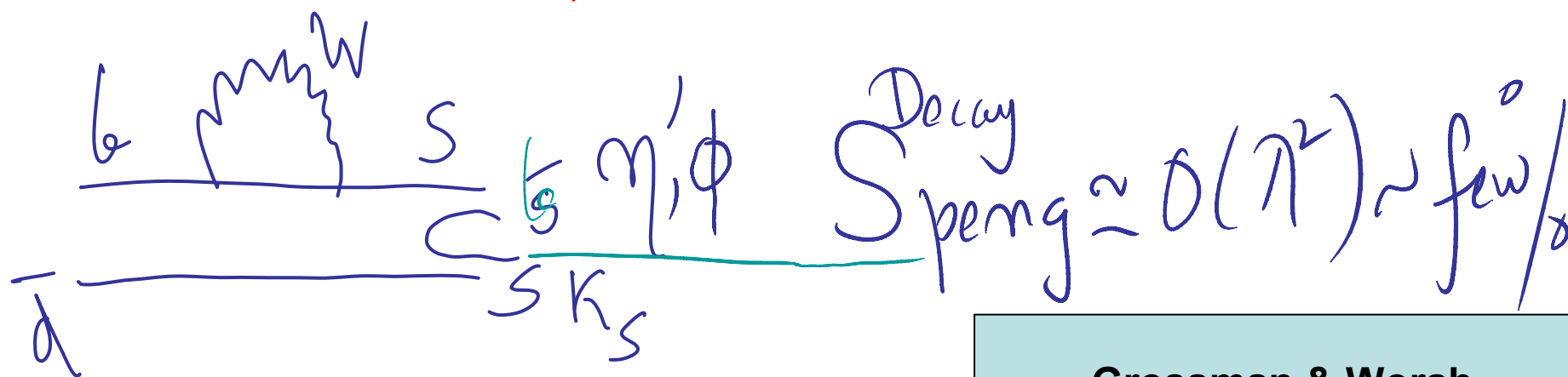
~07, RBC-UKQCD DWQ 2+1 ..... 0.524(10)(28)

.720(13)(37)

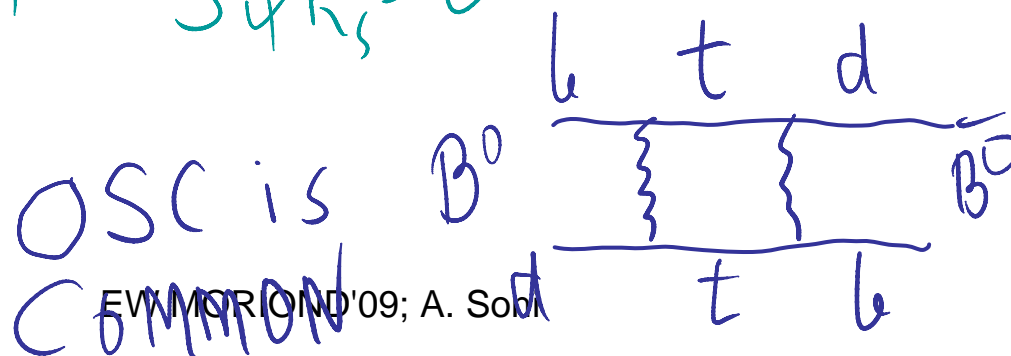
DWQ lower  $B_K$  -> requiring larger CKM-phase

~'08 Target 2+1 dyn. DWQ,  $B_K$  with total error 5%

$$\Delta S \equiv S_{\text{penguin}} - S_{\psi K_S} = O(\lambda^2)$$



$$\text{Decay } S_{\psi K_S} = 0$$

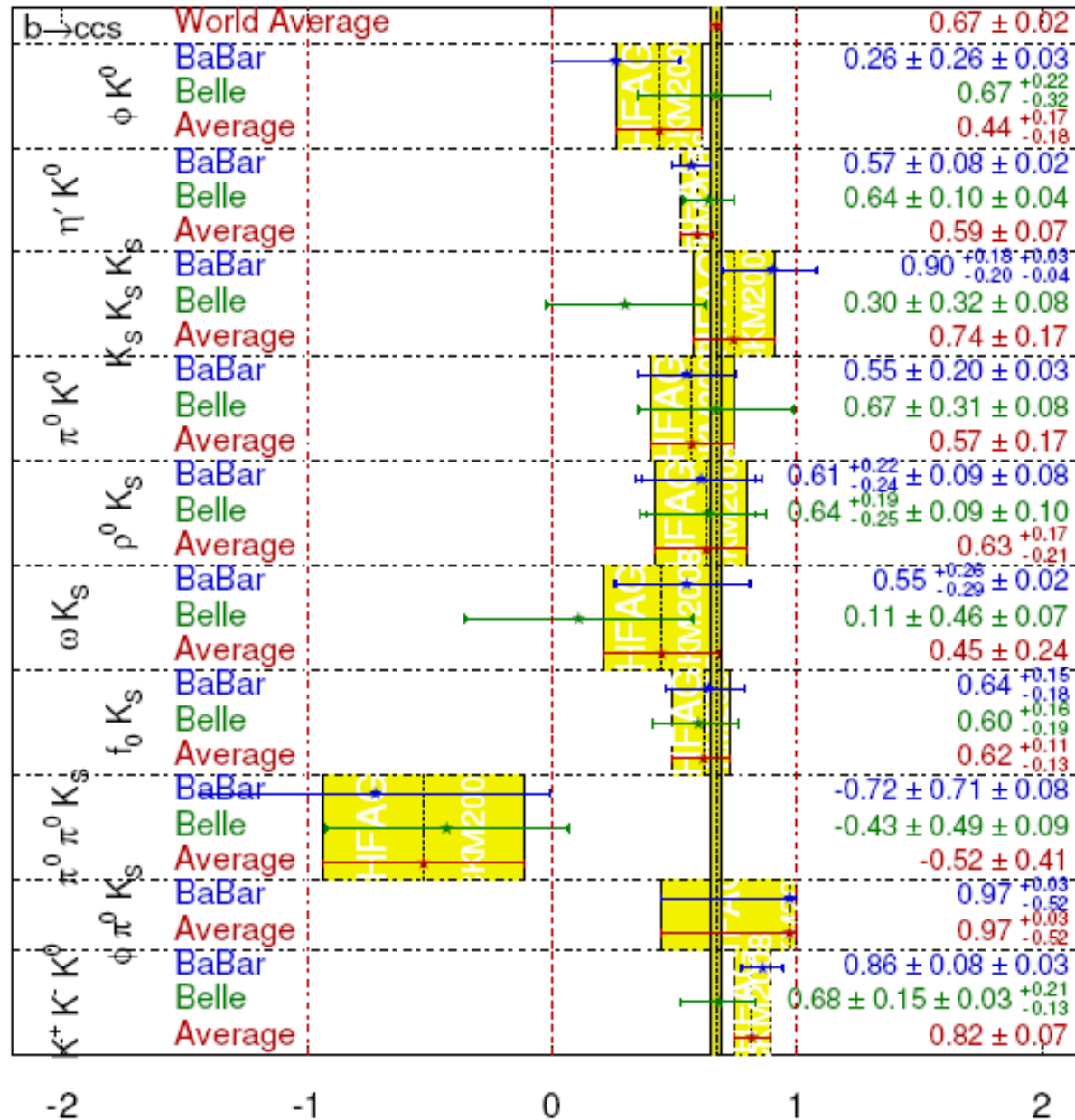


Grossman & Worah,  
hepph/9612269;  
London & AS, hepph/9704277



$$\sin(2\beta^{\text{eff}}) \equiv \sin(2\phi_1^{\text{eff}})$$

**HFAG**  
CKM2008  
PRELIMINARY



Intriguing:

Practically all have

$$\sin 2\beta < (\sin 2\beta)_{\text{SM}}$$

Most have

$$\sin 2\beta < (\sin 2\beta)_{4\gamma}$$

TABLE I: Some expectations for  $\Delta S$  in the cleanest modes.

Mode	QCDF+FSI [20, 21]	QCDF [23]	QCDF [24]	SCET [25]
$\eta' K^0$	$0.00^{+0.00}_{-0.04}$	$0.01 \pm 0.01$	$0.01 \pm 0.02$	$-0.019 \pm 0.009$ $-0.010 \pm 0.001$
$\phi K^0$	$0.03^{+0.01}_{-0.04}$	$0.02 \pm 0.01$	$0.02 \pm 0.01$	
$K_S K_S K^0$	$0.02^{+0.00}_{-0.04}$			

## CLEANEST MODES

## M.Beneke, hep-ph/0505075 (PLB)

Mode	$\Delta S_f$ (Theory)	$\Delta S_f$ [Range]	Experiment [3] (BaBar/Belle)
$\pi^0 K_S$	$0.07^{+0.05}_{-0.04}$	$[+0.02, 0.15]$ $\leftarrow$	$-0.39^{+0.27}_{-0.29}$ ( $-0.38^{+0.30}_{-0.33} / -0.43^{+0.60}_{-0.60}$ )
$\rho^0 K_S$	$-0.08^{+0.08}_{-0.12}$	$\rightarrow [-0.29, 0.02]$	—
$\rightarrow \eta' K_S$	$0.01^{+0.01}_{-0.01}$	$[+0.00, 0.03]$	$-0.30^{+0.11}_{-0.11}$ ( $-0.43^{+0.14}_{-0.14} / -0.07^{+0.18}_{-0.18}$ )
$\eta K_S$	$0.10^{+0.11}_{-0.07}$	$[-1.67, 0.27]$ $\leftarrow$	—
$\rightarrow \phi K_S$	$0.02^{+0.01}_{-0.01}$	$[+0.01, 0.05]$	$-0.39^{+0.20}_{-0.20}$ ( $-0.23^{+0.26}_{-0.25} / -0.67^{+0.34}_{-0.34}$ )
$\omega K_S$	$0.13^{+0.08}_{-0.08}$	$[+0.01, 0.21]$ $\leftarrow$	$-0.18^{+0.30}_{-0.32}$ ( $-0.23^{+0.34}_{-0.38} / +0.02^{+0.65}_{-0.66}$ )

ONLY  $\eta' K_S$  &  $\phi K_S$  are clean amongst 2-body

Table 1: Comparison of theoretical and experimental results for  $\Delta S_f$ .

**Similar conclusions from Cheng, Chua & AS PRD'05**

$\therefore$  NAIVE AVERAGE OVER ALL MODES should Not be done

# Lunghi + AS ('07)

$$\begin{aligned}
 A_{CP}(B^- \rightarrow K^- \pi^0) &= (7.1^{+1.7+2.0+0.8+9.0}_{-1.8-2.0-0.6-9.7}) \% \quad \text{b m s} \quad (1) \\
 A_{CP}(\bar{B}^0 \rightarrow K^- \pi^+) &= (4.5^{+1.1+2.2+0.5+8.7}_{-1.1-2.5-0.6-9.5}) \% \quad \text{a} \quad (2)
 \end{aligned}$$

*Handwritten diagrams:*  
 For (1):  $B^-$  (u, d, s) →  $\bar{u}$  (K<sup>-</sup>) +  $\pi^0$  (u, d)  
 For (2):  $\bar{B}^0$  (u, d, s) →  $\bar{u}$  (K<sup>-</sup>) +  $\pi^+$  (u, d)

where the first error corresponds to uncertainties on the CKM parameters and the other three correspond to variation of various hadronic parameters; in particular, the fourth one corresponds to the unknown power corrections. The main point is that the uncertainties in the two asymmetries are highly correlated. This fact is reflected in the prediction for their difference; we find:

**RELATED BY ISOSPIN**

$$\Delta A_{CP} = A_{CP}(B^- \rightarrow K^- \pi^0) - A_{CP}(\bar{B}^0 \rightarrow K^- \pi^+) = (2.5 \pm 1.5)\% . \quad (3)$$

In evaluating the theory error for this case, we followed the analysis presented in Ref. [31] and even allowed for some extreme scenarios (labeled S1-S4 in Ref. [31]) in which several inputs are simultaneously pushed to the border of their allowed ranges. The comparison of the SM prediction in Eq. (3) to the experimental determination of the same quantity [14]

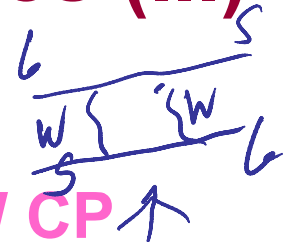
$$\begin{aligned}
 A_{CP}^{K^+ \pi^-} &= -9.5 \pm 1.3\% \\
 A_{CP}^{K^+ \pi^0} &= 4.7 \pm 2.6\% \\
 \Delta A_{CP}^{\text{exp}} &= (14.4 \pm 2.9)\% , \quad (4)
 \end{aligned}$$

yields a  $3.5\sigma$  effect.

**~ 3.56**

**BENEKE + NEUBERT**  
0308039

# Anomalies in $B(B_s)$ -CP asymmetries (III)



- $B_s \rightarrow \psi \phi$  (CDF, D0) requires a sizeable **NEW CP** phase in  $b \rightarrow s$  (see M. Bona et al, UTFIT 0803.0659; needed already in L&S 0707.0212 )
- As of ICHEP08 & CKM08 , CDF , D0 report a  $\sim 2.2 \sigma$  deviation in  $B_s \rightarrow \psi \phi$



# ***B-CP anomalies & clues for TeV scale physics (LATEST #s here)***

- Key observation (Following Lunghi & AS): values of  $\sin 2\beta$ :

- SM “predicted” :  $0.75 \pm 0.03$  (with  $V_{ub}$ )

$0.85 \pm 0.07$  (no  $V_{ub}$ )

- Seen via  $B \rightarrow \psi K_S$ :  $0.672 \pm 0.024$

- Seen via  $B \rightarrow (\phi, \eta', \dots) K_S$ :  $0.59 \pm 0.05$

- $\rightarrow$  Hierarchy suggestive of 4<sup>th</sup> gens intervention

$b \rightarrow s$   
 $B_d$  mixing

$\Rightarrow 0.79 \pm 0.03$

$\sim 3.56$

$\sim 3.65$

It is perhaps of some use to extract the values of  $\hat{B}_K$ ,  $\xi_s$  and  $V_{cb}$  that are required to reduce to the 1- $\sigma$  level the discrepancy between the prediction given in Eq. (5) and  $a(\psi+\phi+\eta'+K_S K_S)K_S = 0.66 \pm 0.024$ . We find that one has to choose either  $\hat{B}_K^{\text{new}} = 0.96 \pm 0.04$ ,  $\xi_s^{\text{new}} = 1.37 \pm 0.06$  or  $V_{cb} = (44.3 \pm 0.6) \times 10^{-3}$ .

[USED  $\hat{B}_K = 0.72 \pm 0.04$ ;  $\xi_s = 1.20 \pm 0.06$ ;  
 $V_{cb} = (40.8 \pm 0.6) \times 10^{-3}$ ]



**Model independent determination of scale of new physics with a non-standard  
CP phase  
needed to fix B-CP anomalies      {Lunghi + AS (WIP)}**

Scenario	Operator	$\Lambda$ (TeV)	$\varphi$ ( $^\circ$ )
$B_d$ mixing	$O_1^{(d)}$	$\begin{cases} 1.1 \div 2.1 & \text{no } V_{ub} \\ 1.4 \div 2.3 & \text{with } V_{ub} \end{cases}$	$\begin{cases} 15 \div 92 & \text{no } V_{ub} \\ 6 \div 60 & \text{with } V_{ub} \end{cases}$
$B_d = B_s$ mixing	$O_1^{(d)} \& O_1^{(s)}$	$\begin{cases} 1.0 \div 1.4 & \text{no } V_{ub} \\ 1.1 \div 2.0 & \text{with } V_{ub} \end{cases}$	$\begin{cases} 25 \div 73 & \text{no } V_{ub} \\ 9 \div 60 & \text{with } V_{ub} \end{cases}$
$K$ mixing	$O_1^{(K)}$ $O_4^{(K)}$ LR	$< 1.9$ $< 24$	$130 \div 320$
$\mathcal{A}_{b \rightarrow s}$	$O_4^{b \rightarrow s}$ $O_{3Q}^{b \rightarrow s}$	$.25 \div .43$ $.09 \div .2$	$0 \div 70$ $0 \div 30$

GREAT NEWS for LHC & for SBF!

# *How does 4<sup>th</sup> family fit in?*

For details see A.S et al  
arXiv:0807.1971

-> 4th family with rather heavy  $t'(b')$ , masses  $\sim 400-600$  GeV provides a rather NATURAL explanation (AS et al, 0807.1971)

{suggestion of 4th family in the context of some of these deviations also made by Hou et al JHEP'06;PRL'05;PRL'07 though their discussions confined to lighter  $m_{t'}$ }

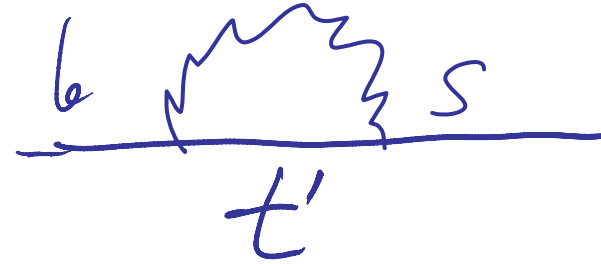
-> IN OUR WORK  $m_{t'}$  400-600GeV seems quite critical-> If true then it plays a CRUCIAL ROLE IN DYNAMICAL EWSB thereby providing a resolution to EW-Planck hierarchy{ see, e.g. He, Hill & Tait, hep-ph/0108041}

INPUTS  
 &  
 Constraints

$B_K = 0.72 \pm 0.05$
$f_{bs} \sqrt{B_{bs}} = 0.281 \pm 0.021 \text{ GeV}$
$\Delta M_s = (17.77 \pm 0.12) ps^{-1}$
$\Delta M_d = (0.507 \pm 0.005) ps^{-1}$
$\xi_s = 1.2 \pm 0.06$
$\gamma = (75.0 \pm 22.0)^\circ$
$ \epsilon_k  \times 10^3 = 2.32 \pm 0.007$
$\sin 2\beta_{\psi K_s} = 0.672 \pm 0.024$
$\mathcal{BR}(K^+ \rightarrow \pi^+ \nu \nu) = (0.147_{-0.089}^{+0.130}) \times 10^{-9}$
$\mathcal{BR}(B \rightarrow X_c \ell \nu) = (10.61 \pm 0.17) \times 10^{-2}$
$\mathcal{BR}(B \rightarrow X_s \gamma) = (3.55 \pm 0.25) \times 10^{-4}$
$\mathcal{BR}(B \rightarrow X_s \ell^+ \ell^-) = (0.44 \pm 0.12) \times 10^{-6}$
( High $q^2$ region )
$R_{bb} = 0.216 \pm 0.001$
$ V_{ub}  = (37.2 \pm 2.7) \times 10^{-4}$
$ V_{cb}  = (40.8 \pm 0.6) \times 10^{-3}$
$\eta_c = 1.51 \pm 0.24$ [21]
$\eta_t = 0.5765 \pm 0.0065$ [22]
$\eta_{ct} = 0.47 \pm 0.04$ [23]
$m_t = 172.5 \text{ GeV}$

TABLE I: Inputs that we use in order to constrain the SM4 parameter space, we have considered the  $2\sigma$  range for  $V_{ub}$ .

$$\lambda_{t'}^s = |V_{t's}^* V_{t'b}|$$



$m_{t'}$	400	500	600	700
$\lambda_{t'}^s$	(0.08 - 1.4)	(0.06 - 0.9)	(0.05 - 0.7)	(0.04 - 0.55)
$\phi'_s$	-80 $\rightarrow$ 80	-80 $\rightarrow$ 80	-80 $\rightarrow$ 80	-80 $\rightarrow$ 80

NOTE

TABLE II: Allowed ranges for the parameters,  $\lambda_{t'}^s$  ( $\times 10^{-2}$ ) and phase  $\phi'_s$  (in degree) for different masses  $m_{t'}$  (GeV), that has been obtained from the fitting with the inputs in Table I.

New CP phase of  $V_{t's}$  Responsible for  $\psi\psi$ ,  $\phi K_s$ ,  $\eta' K_s$

Recall  $\lambda_t^s = 0.04$  and  $V_{ts} \sim 0$

CURRENT  
DATA MILDLY  
FAVORS  
 $m_{t'} \sim 4-500$

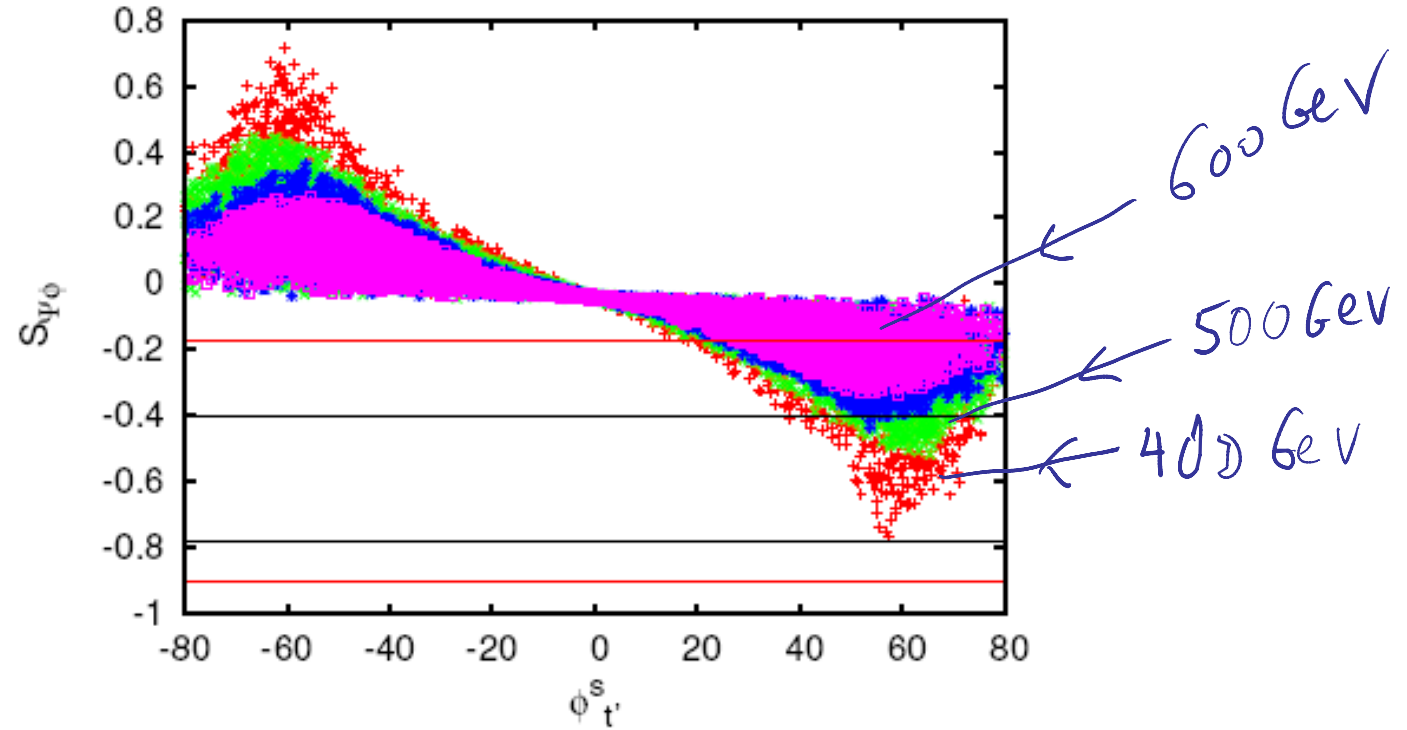


FIG. 2: The allowed range for  $S_{\psi\phi}$  in the  $(S_{\psi\phi} - \phi_{t'}^s)$  plane for  $m_{t'} = 400$  (red), 500 (green), 600 (magenta) and 700 (blue) GeV respectively. Black and red horizontal lines in the figure indicate  $1-\sigma$  and  $2-\sigma$  experimental ranges for  $S_{\psi\phi}$  respectively.

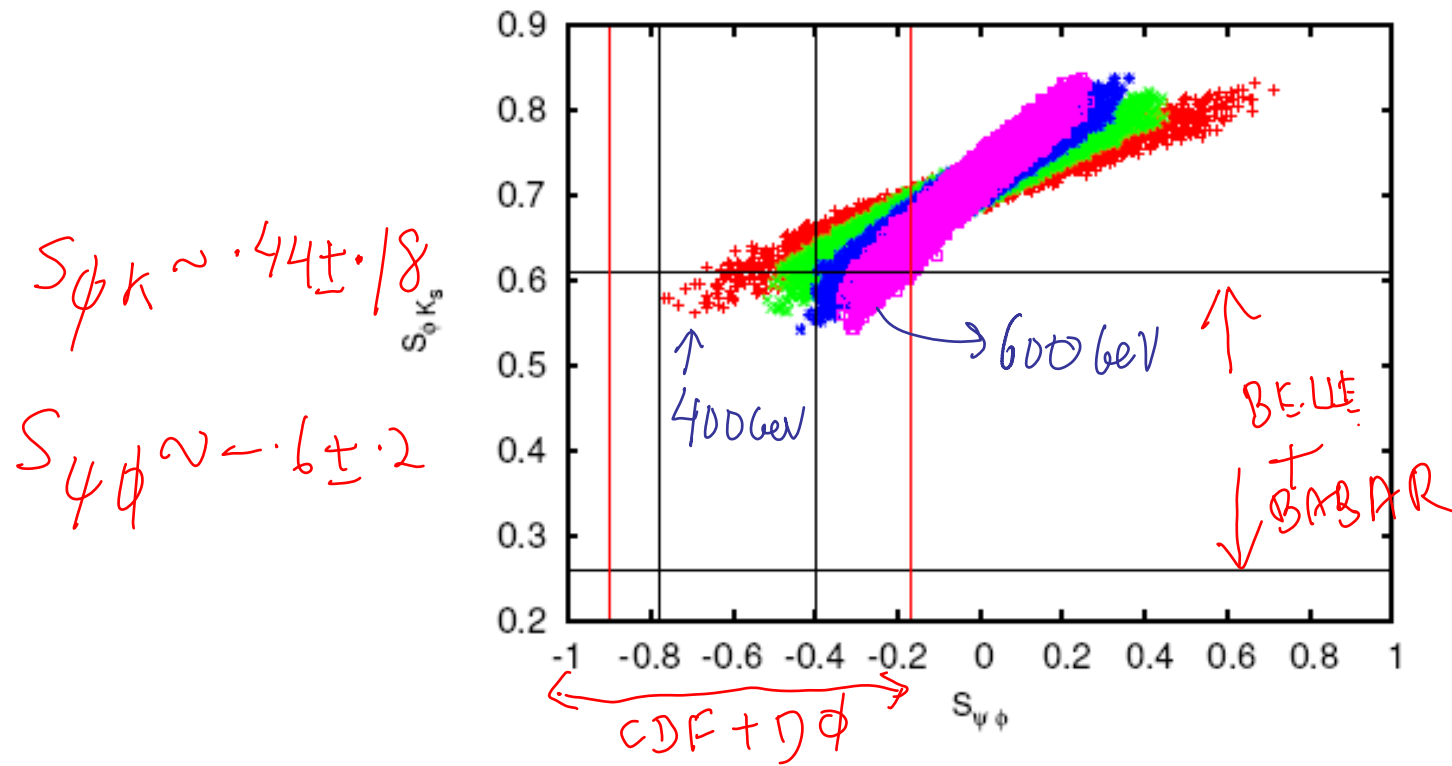
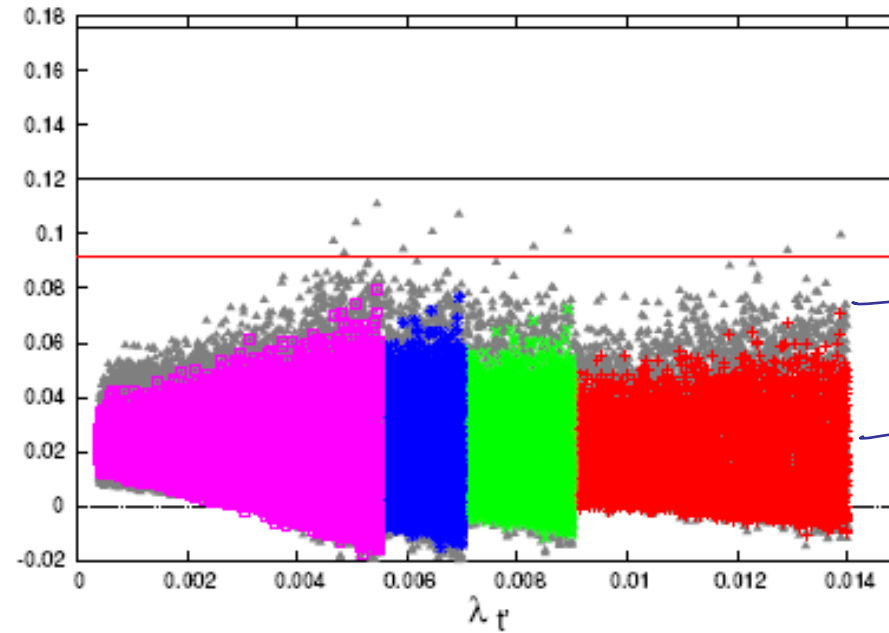


FIG. 3: Correlation between  $S_{\phi K_s}$  and  $S_{\psi\phi}$  for  $m_{t'} = 400$  (red), 600 (green), 800 (magenta) and 1000 (blue) GeV respectively. The horizontal lines represent the experimental  $1\sigma$  range for  $S_{\phi K_s}$  whereas the vertical lines (Black  $1\sigma$  and red  $2\sigma$ ) represent that for  $S_{\psi\phi}$ .

$e \rightarrow t' \rightarrow s$   
 $Z \rightarrow \pi^0$   
 $A_{t'}^{2m}$  NONDECOUP.  
 Color Allowed  
 EWP  
 (See also HWS'87)



$\leftarrow 40\% \text{ error}$   
 $\rightarrow 1\sigma \text{ range due to CKM's}$

FIG. 1: The allowed range of the CP asymmetry difference ( $\Delta A_{CP}$ ) in the ( $\Delta A_{CP} - \lambda_{t'}^s$ ) plane, where the red, green, magenta and blue regions correspond to  $m_{t'} = 400, 500, 600$  and  $700$  GeV. The 30 % error bars due to hadronic uncertainties [5] are shown by grey bands. The black and red horizontal lines correspond to the experimentally allowed 1 and 2- $\sigma$  range respectively.



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**Implications of a Heavy Top Quark and a Fourth Generation  
on the Decays  $B \rightarrow Kl^+l^-$ ,  $K\nu\bar{\nu}$**

*Emphasized  
non decay*

Wei-Shu Hou and R. S. Willey

*Department of Physics and Astronomy, University of Pittsburgh, Pittsburgh, Pennsylvania 15260*

and

A. Soni

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(Received 12 November 1986)

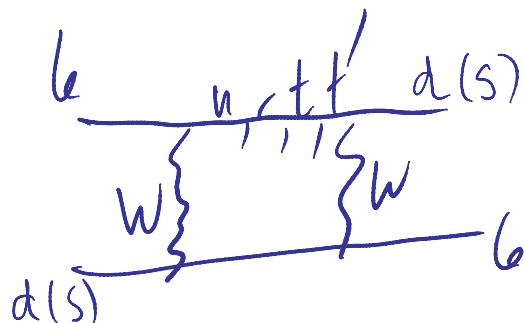
We point out the importance of the  $Z$  and box diagram to the decays  $B \rightarrow Kl^+l^-$ ,  $K\nu\bar{\nu}$ . The rate for  $B \rightarrow Kl^+l^-$  grows rapidly for internal quark masses  $> 100$  GeV. With three generations and  $25 \text{ GeV} \lesssim m_t \lesssim 200 \text{ GeV}$  the branching ratio ranges roughly from  $10^{-6}$  to  $10^{-5}$ . With four generations, this rate could go up another order of magnitude. The mode  $B \rightarrow K\nu\bar{\nu}$  typically has a higher branching ratio, but is harder to detect experimentally. The rare  $B$  decays combined with information from  $K \rightarrow \pi\nu\bar{\nu}$  studies may provide a test of the symmetry-breaking mechanism of the standard model and/or evidence for a fourth generation.

## ***Early (~87-88) studies on 4<sup>th</sup> gen.***

- **Hou, Willey and AS, PRL (88)..b->s l l...**
- **Hou, AS, Steger, PRL 87.....b-> s g**
- **Hou, AS, Steger, PLB 87**

**4X4 mixing matrix and b -> s gamma**

**Importance of B-decays for studying 4<sup>th</sup> gen. due to non-decoupling emphasized long ago**



# THUS

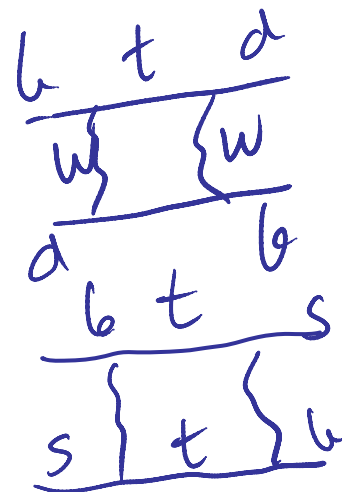
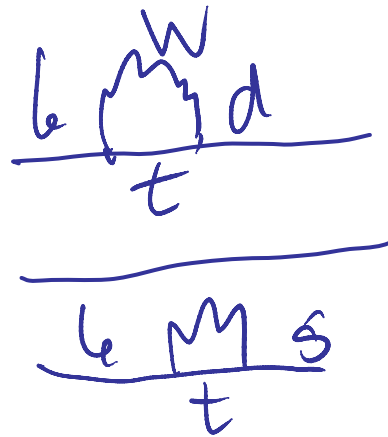
*by construction*

- The CKM-paradigm of CP violation accounts for the observed CP patterns to an accuracy of about 15%!
- SM3-CKM predicted value of  $\sin 2\beta$  tends to be high compared to direct ( $\psi K$ ) measurements by about 15-20%... $t$  is dominant
- ~~Hierarchical~~ <sup>in  $\sin 2\beta$</sup>  structure of SM4 mixing matrix NATURALLY lets  $t'$  be subdominant here but due to its large mass (and decoupling theorem) not negligible *leads to small  $\sim 15\%$  deviations*
- Dynamics of EW gauge interactions (evasion of decoupling theorem) by EW penguins and the large  $mt'$  plays an important role in the large "isospin" violating  $\Delta A_{CP}(K\pi)$
- SM3 says  $B_s$  mixing has negligible CP-odd phase therein  $t'$  plays a dominant role (&  $t$  is subdominant)

*due to  $t$*

# *$t$ & $t'$ Role Reversals in $B_d$ & $B_s$ mixing*

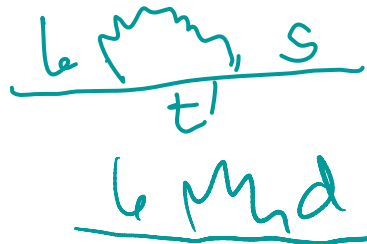
SM3



$V_{td}$  has  
Dominant CP-  
odd phase

Negligible

SM4



DOMINANT

small

Knibb, Plehn,  
Spannowsky  
& Tait,  
PRD 107

LEP EW  
Constraints on  
 $m_t$ ,  
 $m_b$ ,  $m_H$

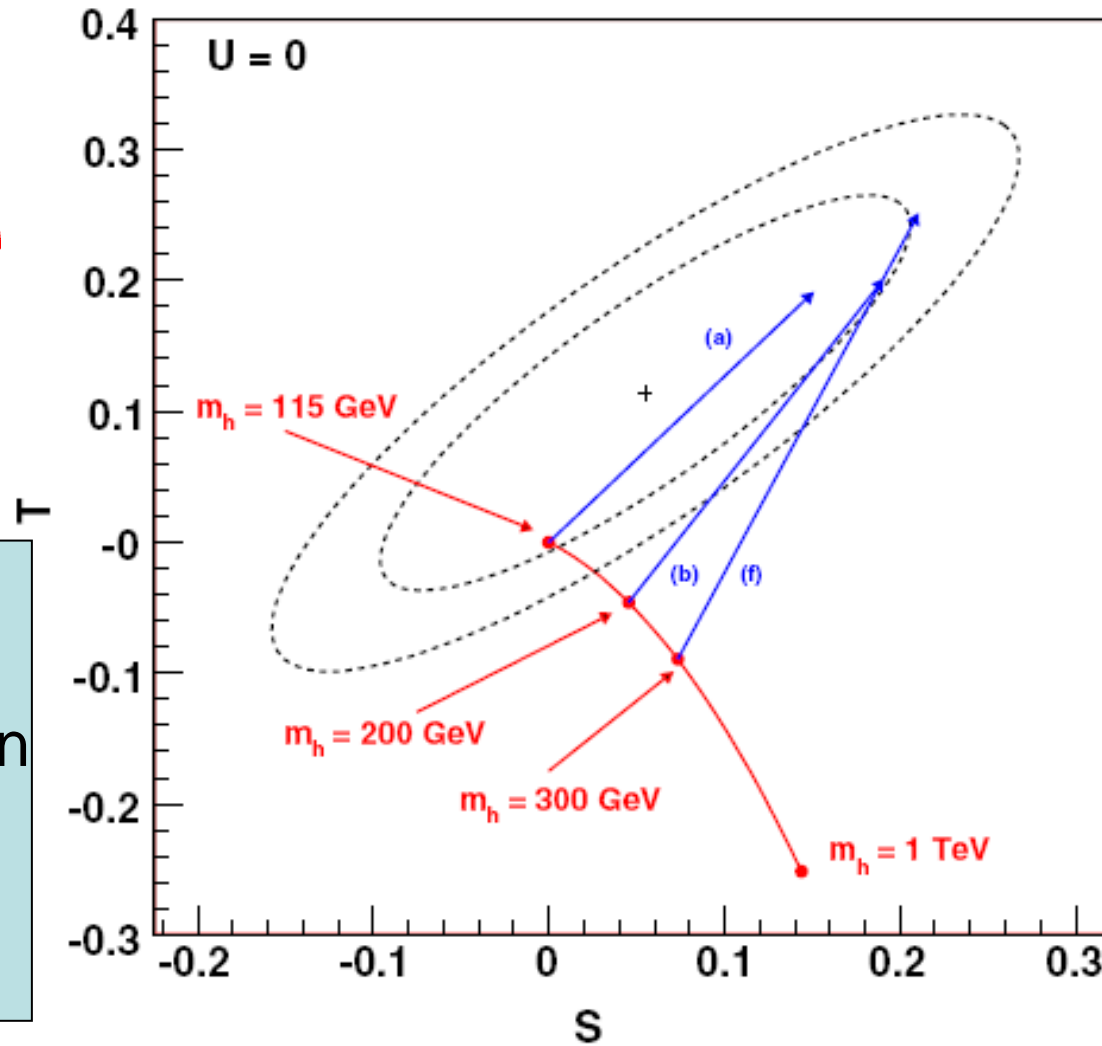


FIG. 2 (color online). The 68% and 95% C.L. constraints on the  $(S, T)$  parameters obtained by the LEP Electroweak Working Group [34,35]. The shift in  $(S, T)$  resulting from increasing the Higgs mass is shown in red (solid line). The shifts in  $\Delta S$  and  $\Delta T$  from a fourth generation with several of the parameter sets given in Table I are shown in blue (arrow lines).

TABLE I. Examples of the total contributions to  $\Delta S$  and  $\Delta T$  from a fourth generation. The lepton masses are fixed to  $m_{\nu_4} = 100$  GeV and  $m_{\ell_4} = 155$  GeV, giving  $\Delta S_{\nu\ell} = 0.00$  and  $\Delta T_{\nu\ell} = 0.05$ . The best fit to data is  $(S, T) = (0.06, 0.11)$  [35]. The standard model is normalized to  $(0, 0)$  for  $m_t = 170.9$  GeV and  $m_H = 115$  GeV. All points are within the 68% C.L. contour defined by the LEP EWWG [35].

Parameter set	$m_{u_4}$	$m_{d_4}$	$m_H$	$\Delta S_{\text{tot}}$	$\Delta T_{\text{tot}}$
(a)	310	260	115	0.15	0.19
(b)	320	260	200	0.19	0.20
(c)	330	260	300	0.21	0.22
(d)	400	350	115	0.15	0.19
(e)	400	340	200	0.19	0.20
(f)	400	325	300	0.21	0.25

# *Why not some (simple) ones?*

- $Z'$ .....Helps with  $K \pi$  CP asymmetry, and possibly with penguin dominated modes but DIFFICULT to affect  $B_s$  mixing.....So unless CDF/D0 signals go away,  $Z'$  cannot fit the bill
- T2HDM a very nice simple extension (examined in Lunghi + AS, 0707.0212) has some difficulty in penguin dominated modes and serious difficulty again in  $B_s$  mixing
- Of course complicated setups such as SUSY or Warped Xtra Dims can accommodate such effects

# ***BORING REPETITION?***

- If the  $m_{t'}$  is heavy  $\sim(400-600)$  GeV, then for sure it will have a very serious role to play in EWSB .(NOTE CDF+D0 latest bound  $m_{t'} > 350$  GeV).
- It will clearly have significant impact on CP violation phenomena, given that now we will have 2 additional CP-odd phases
- It may play an interesting role in baryogenesis (W.-S. Hou, 0803.1234; Fok & Kribs, 0803.4207)
- CANNOT BE A CONVENTIONAL 4<sup>th</sup> Gen.. $m_{t'} > m_Z/2$
- An important CAVEAT...such heavy mass of  $t'$  means Yukawa couplings are somewhat large so perturbation theory calculations used in here are likely to have non-negligible corrections



# Improved prospects for baryogenesis in SM4

WMAP Data :  $\frac{n_B}{n_\gamma} = (5.1^{+0.3}_{-0.2}) 10^{-10}$

But  $\frac{n_{\bar{B}}}{n_\gamma} \sim 0$

$$A_{\text{BAU}} = \frac{n_B - n_{\bar{B}}}{n_B + n_{\bar{B}}} \approx 100\%$$

$$J_3 = \frac{(m_t^2 - m_c^2)(m_c^2 - m_u^2)(m_t^2 - m_u^2)(m_b^2 - m_s^2)(m_s^2 - m_d^2)(m_b^2 - m_d^2)}{m_W^2} A$$

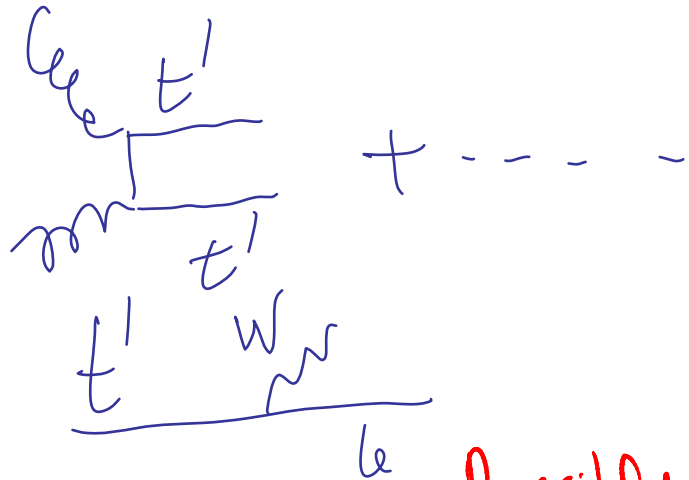
with  $A \sim 6 \times 10^5$

WITH 4 generations, there are 3 sets of 3 generations. One of them (w/o the 1st gen) has a huge enhancement over  $J_3$ .

$$J^{2,3,4} = (m_{t'}^2 - m_t^2)(m_{t'}^2 - m_c^2)(m_t^2 - m_c^2)(m_{b'}^2 - m_b^2)(m_{b'}^2 - m_s^2) * \\ * (m_b^2 - m_s^2) A^{2,3,4}$$

$$\frac{J^{2,3,4}}{J_3} = \frac{m_{t'}^2}{m_c^2} \left( \frac{m_{t'}^2}{m_t^2} - 1 \right) \frac{m_{b'}^4}{m_b^2 m_s^2} \frac{A^{2,3,4}}{A} \sim 10^{14} \frac{A^{2,3,4}}{A} \quad |||$$

# Repercussions for the LHC



Possibly enhanced

( $l'$  phase space suppressed  
So may need go via 3 body)

Of course a lot more - -

# Summary & Conclusions

- While for now no compelling evidence against CKM-picture, several fairly sizeable effects ( $\sim 2 - \sim 3.5 \sigma$ ) in B,Bs CP asymmetries are difficult to understand in SM3.
- If the effects stand further scrutiny, SM4 with  $m_{t'}$ ,  $m_{b'}$  (400-600 GeV) provides a natural explanation of the anomalies.
- SM4 opens up important new avenues for baryogenesis and most likely also crucial for EWSB...thereby it may well lead to a resolution to the hierarchy problem.
- Underlying nature of the “4<sup>th</sup> gen.” has to be significantly diff

On more general grounds BCP-anomalies means relative low scale for NEW PHYSICS with lots of accessible manifestations at LHC but also for sure means that SuperB Factories will have a very important role to play

# Backup slides

## The fourth family: a natural explanation for the observed pattern of anomalies in $B$ - $CP$ asymmetries

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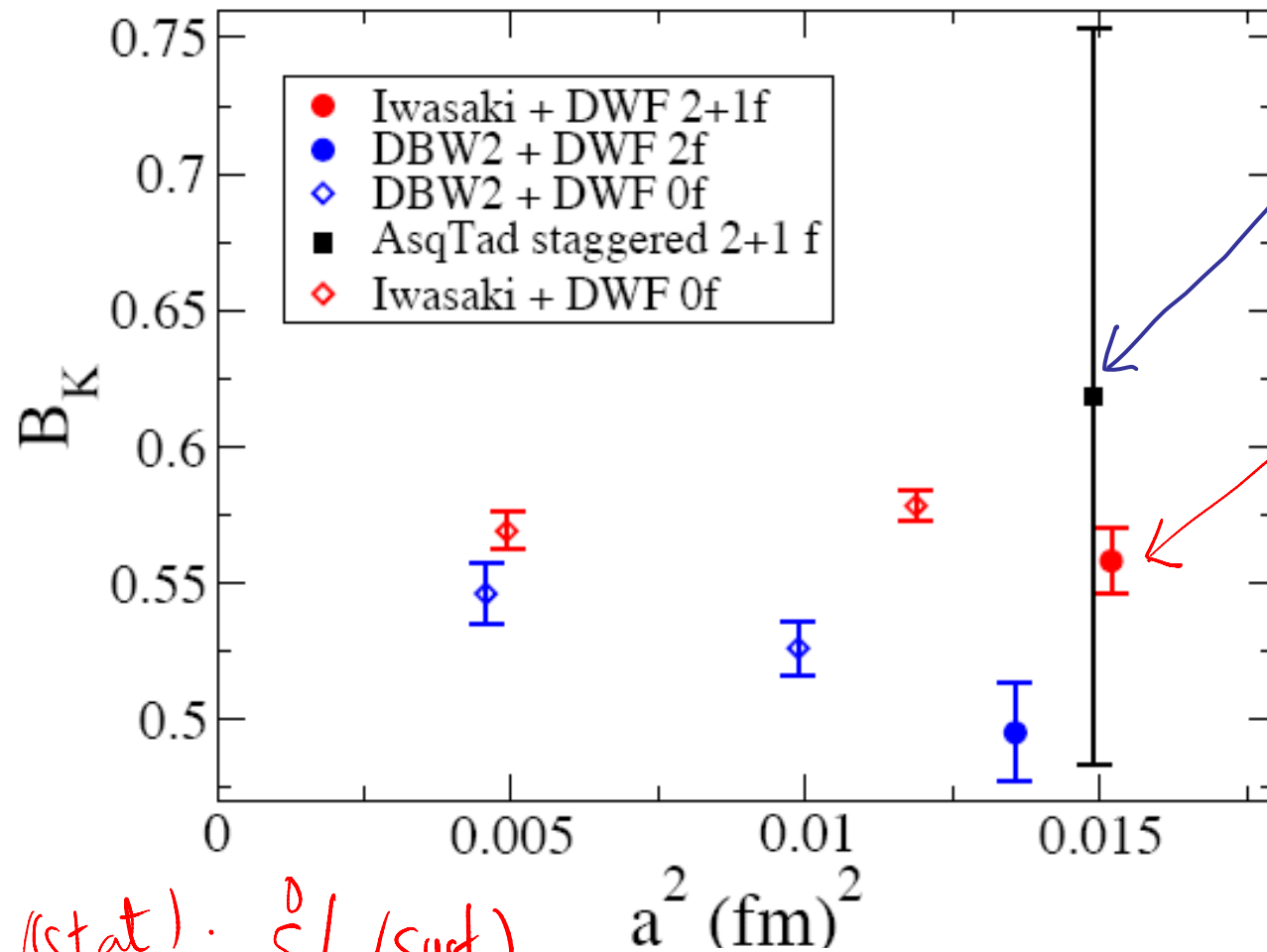
<sup>5</sup>*Harish Chandra Research Institute, Chhatnag Road, Jhusi, Allahabad- 211 019, India*

We show that a fourth family of quarks with  $m_{t'} \gtrsim 700$  GeV provides a rather natural explanation for the several indications of new physics that have been observed involving CP asymmetries of the b-quark. The built in hierarchy of the  $4 \times 4$  mixing matrix is such that the  $t'$  readily provides a needed *perturbation* ( $\approx 15\%$ ) to  $\sin 2\beta$  as measured in  $B \rightarrow \psi K_s$  and simultaneously is the dominant source of CP asymmetry in  $B_s \rightarrow \psi\phi$ . The difference in direct CP asymmetries in  $\bar{B}^0 \rightarrow K^- \pi^+$  versus  $B^- \rightarrow K^- \pi^0$  requires  $m_{t'} \gtrsim 600$  GeV. The correlation between CP asymmetries in  $B_s \rightarrow \psi\phi$  and the difference  $[S(B_d \rightarrow \psi K_s) - S(B_d \rightarrow \phi K_s)]$  suggests  $m_{t'} \gtrsim 700$  GeV. Such heavy masses point to the tantalizing possibility that the 4th family plays an important role in the electroweak symmetry breaking as the Pagels-Stokar relation in fact requires quarks of masses around 700 GeV for dynamical mass generation to take place.

# RBC-UKQCD 2+1 dynamical DWQ, hep-ph/0702042


$$B_K^{\overline{\text{MS}}}(2 \text{ GeV}) = 0.524(10)(28)$$

PRL Jan25,08



# SU(3) breaking ratio $\xi_s$

- It was noted (Bernard, Blum & AS,heplat/9801039; c also Lellouch et al, hep-ph/0011086) that once  $\Delta m_s$  gets measured then  $\Delta m_s / \Delta m_d$  from expt. along with SU(3) breaking ratio from the lattice would provide a powerful constraint on the  $\eta, \rho$  parameters
- For now DWQs are quite behind this extremely important quantity and the best lattice numbers (1.20  $\pm$  0.06) come from Gamiz, Davies, Lepage, Shigemitsu and Wingate, arXiv:0710.0646; c also, Becirevic, hep-ph/0310072 and Tantalò, hep-ph/0703241


$$\xi_s = \frac{f_{B_s} \sqrt{\hat{B}_s}}{f_{B_d} \sqrt{\hat{B}_d}}$$



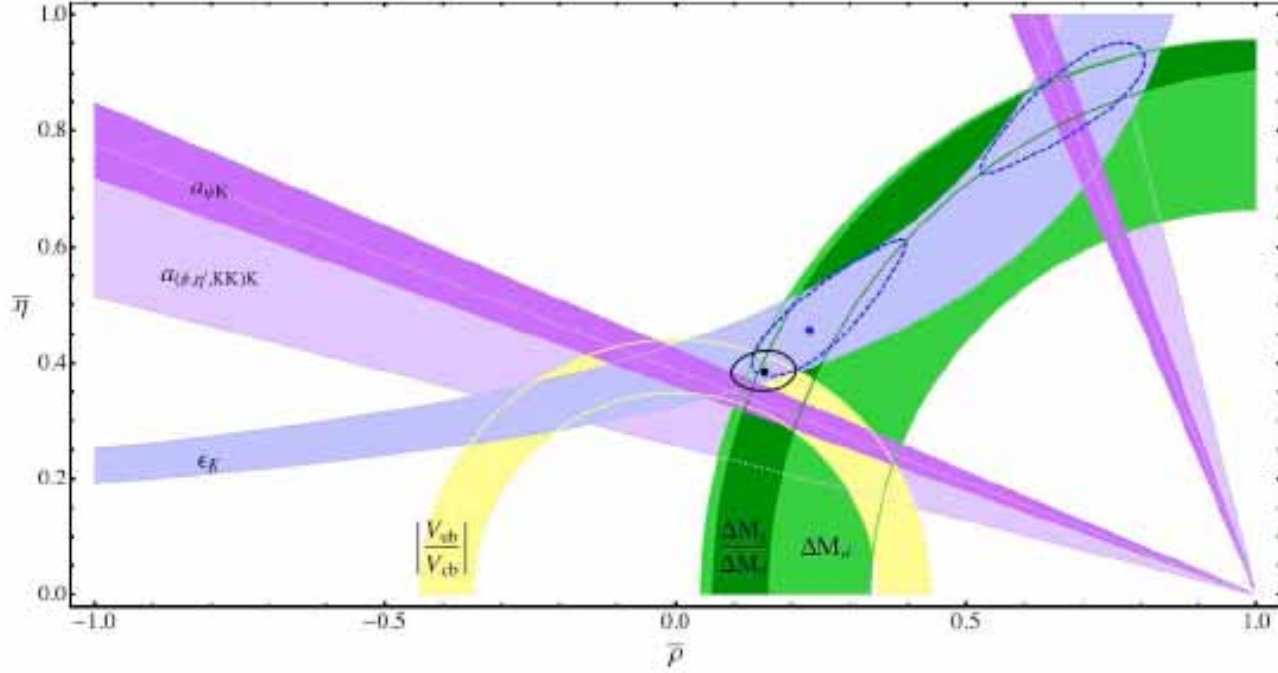


FIG. 2: Unitarity triangle fit in the SM. All constraints are imposed at the 68% C.L.. The solid contour is obtained using the constraints from  $\epsilon_K$ ,  $\Delta M_{B_s}/\Delta M_{B_d}$  and  $|V_{ub}/V_{cb}|$ . The dashed contour shows the effect of excluding  $|V_{ub}/V_{cb}|$  from the fit. The regions allowed by  $a_{\psi K}$  and  $a_{(\phi+\eta'+2K_s)K_s}$  are superimposed.

# Continuing saga of Vub

- For past 2 years or so exclusive & inclusive  
~small discrepancy:
- Exc  $\sim (3.7 \pm .2 \pm .5) \times 10^{-3}$
- Inc  $\sim (4.3 \pm .2 \pm .3) \times 10^{-3}$

-> ***Let's try NOT use Vub***