









Probing The Nanohertz GW Landscape With Pulsar Timing Arrays: A Status Report



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Overview

- Pulsar timing
- Searching for gravitational waves
- Supermassive black-hole binaries as sources of nanohertz gravitational waves
- Impact of binary environments on GW signals.
- The Solar-system Ephemeris: our new noise floor.



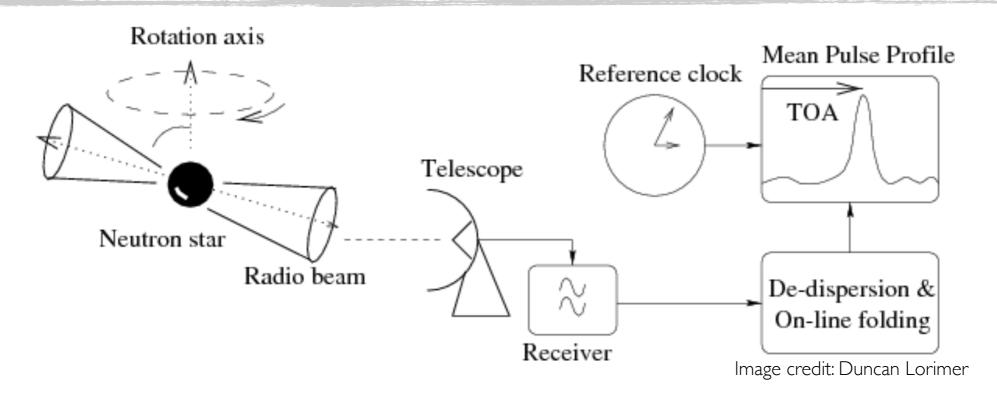








Pulsar timing





Sophisticated timing models depend on P, Pdot, pulsar sky location, ISM properties, pulsar binary parameters etc.

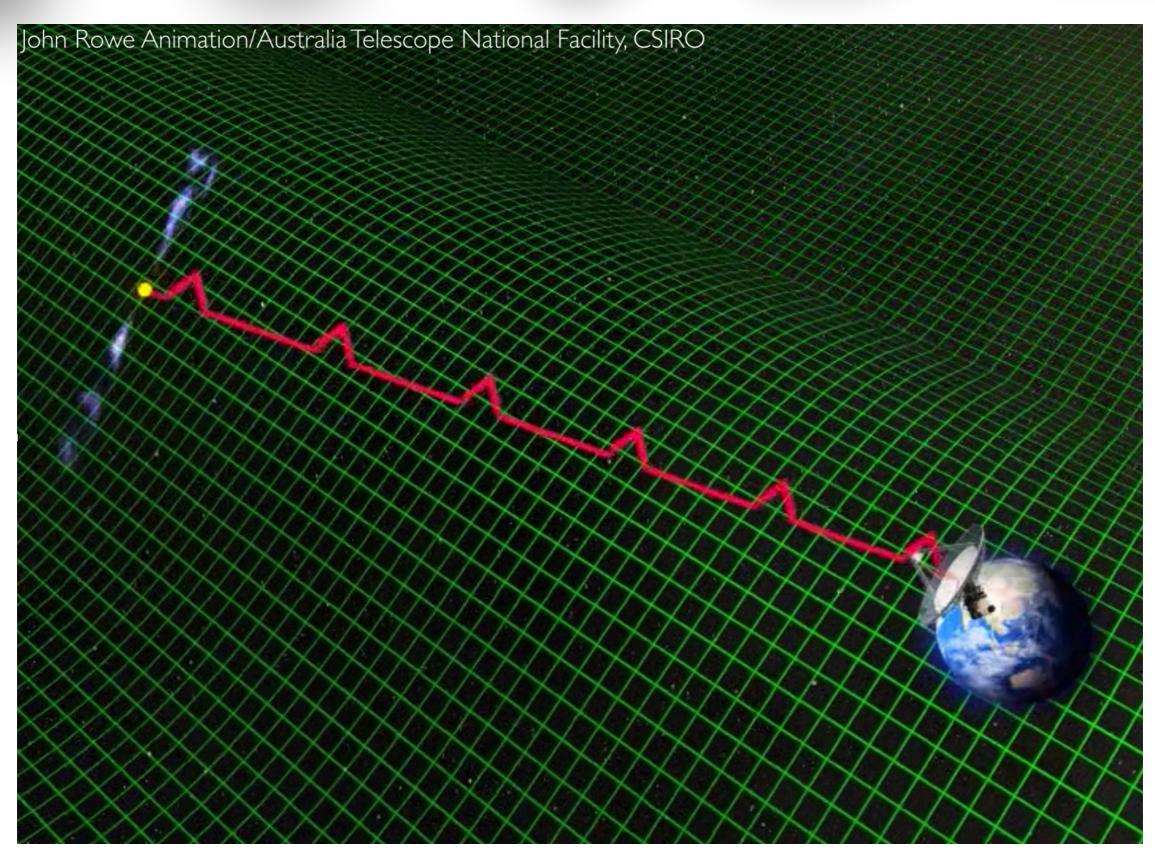












Stephen Taylor GWPAW 2017, Annecy, France, 05-31-2017









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- Sensitivity band set by total observation time (I/decades) and observational cadence (I/weeks) [~ I- I00 nHz]
- Primary candidate is population of supermassive black-hole binaries











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Other sources in the nHz band may be decaying cosmic-string networks, or relic GWs from the early Universe

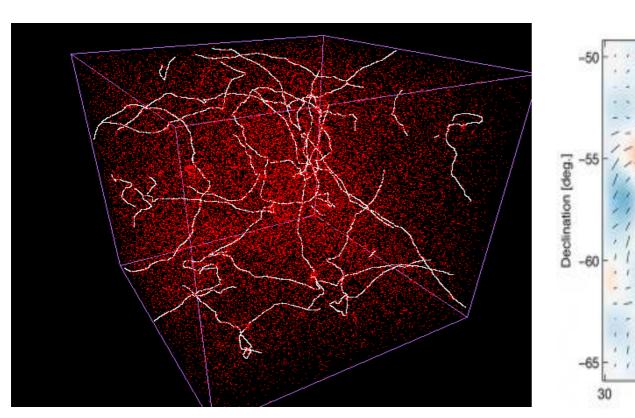


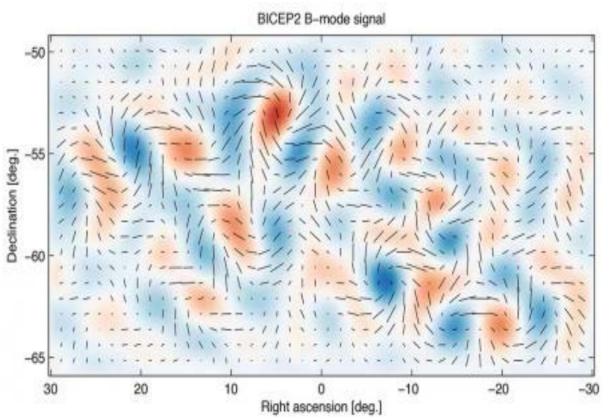














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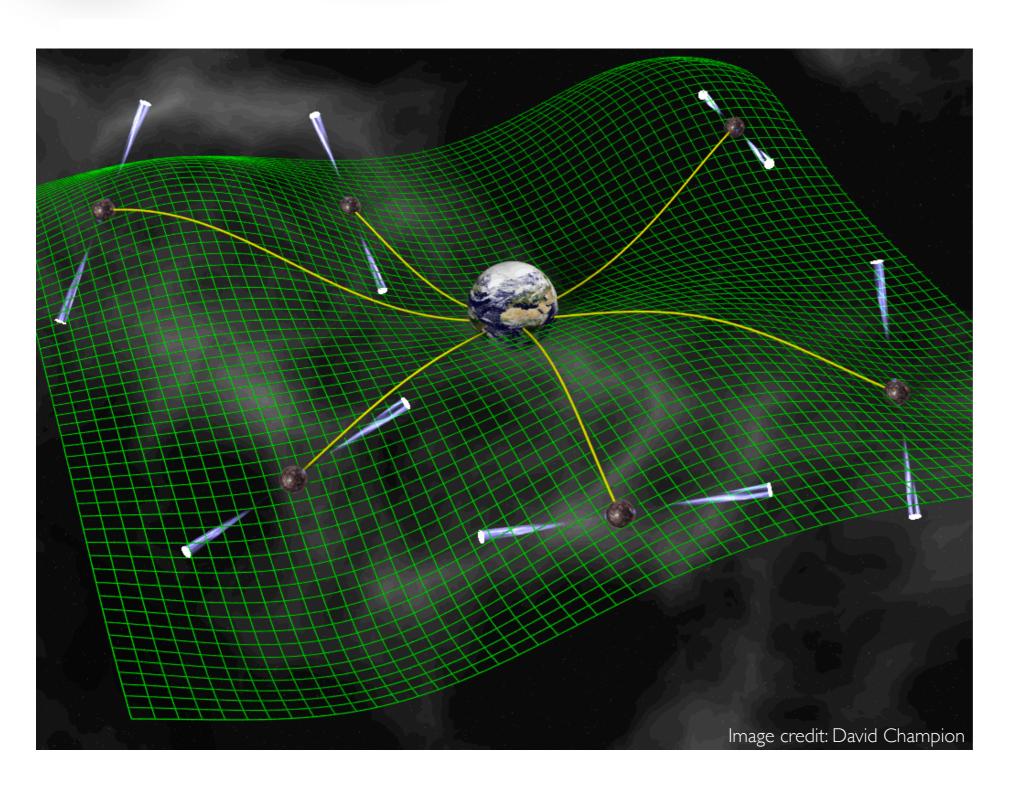












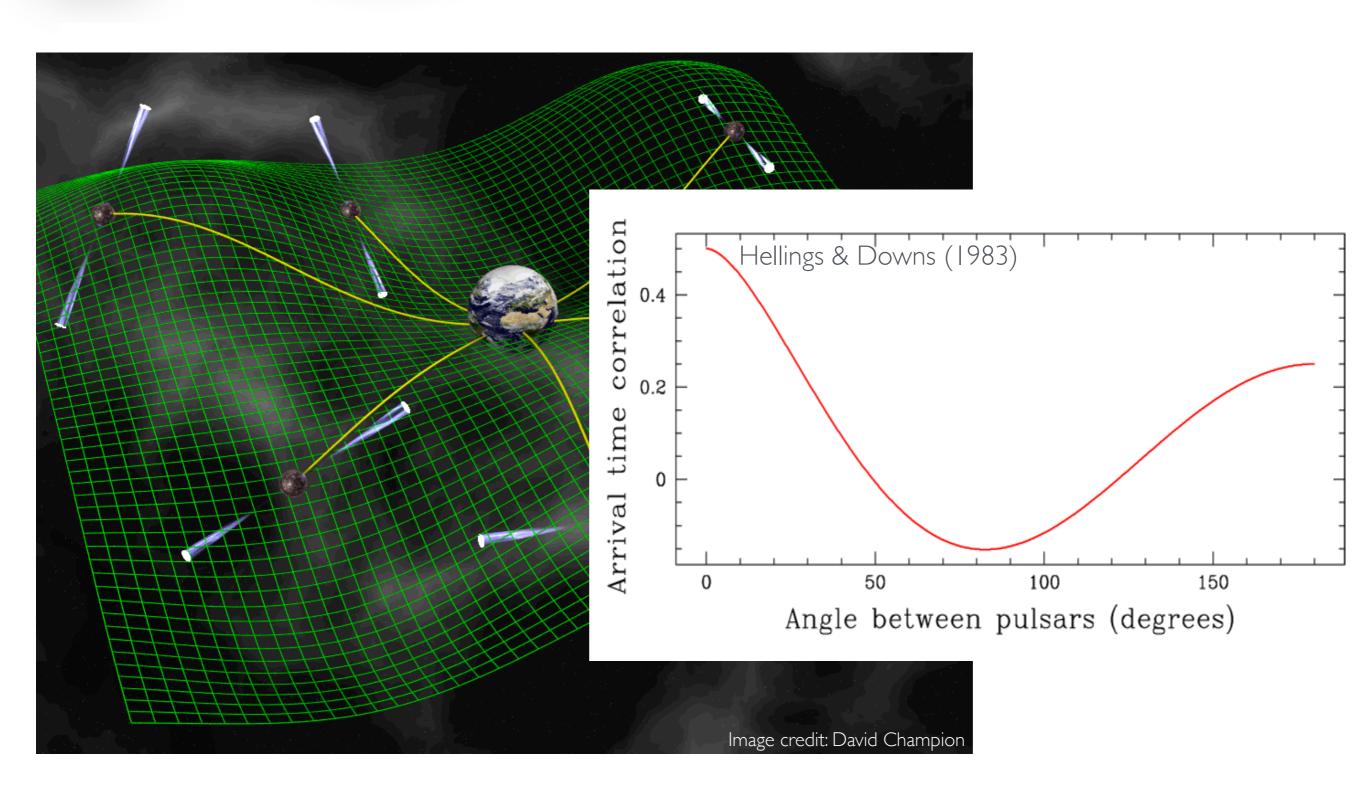












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$$\times h^2(f_{K,r}) \sum_{n=1}^\infty \frac{g[n, e(f_{K,r})]}{(n/2)^2} \delta \left[f - \frac{nf_{K,r}}{(1+z)} \right]$$

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- (a) Comoving merger rate affects overall signal level
- (b) Binary evolution affects shape of spectrum through time binaries spend emitting at each frequency (binary environmental influences enter here)
- (c) Eccentricity affects shape of spectrum through binary orbital evolution



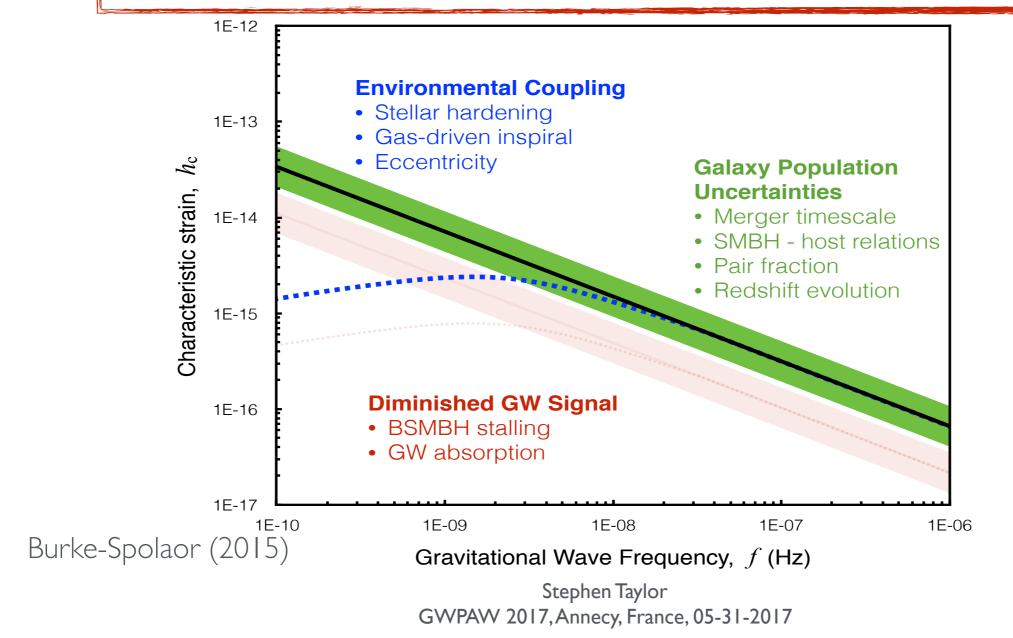








Upper limits reference the characteristic strain amplitude at a GW frequency of 1/yr (~32 nHz)





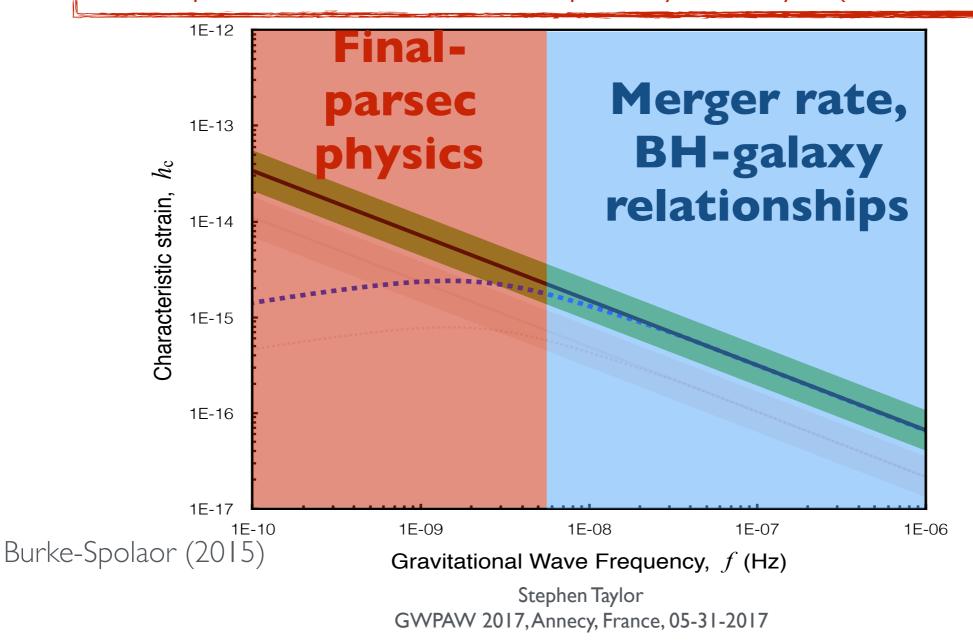








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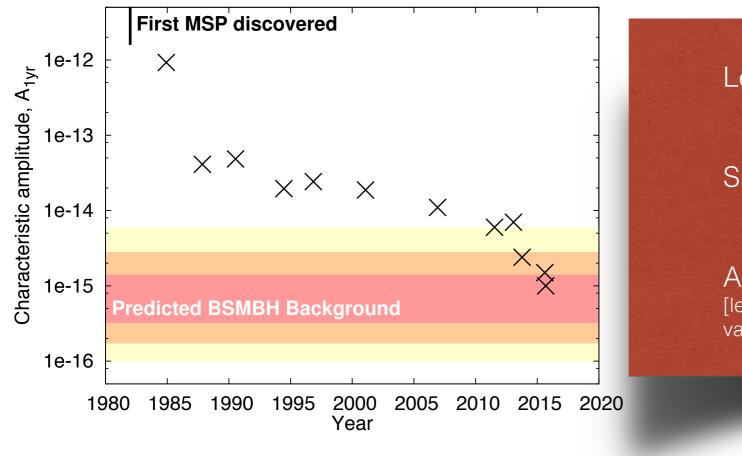








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Lentati, **Taylor** et al. (2015) $\leq 3.0 \times 10^{-15}$

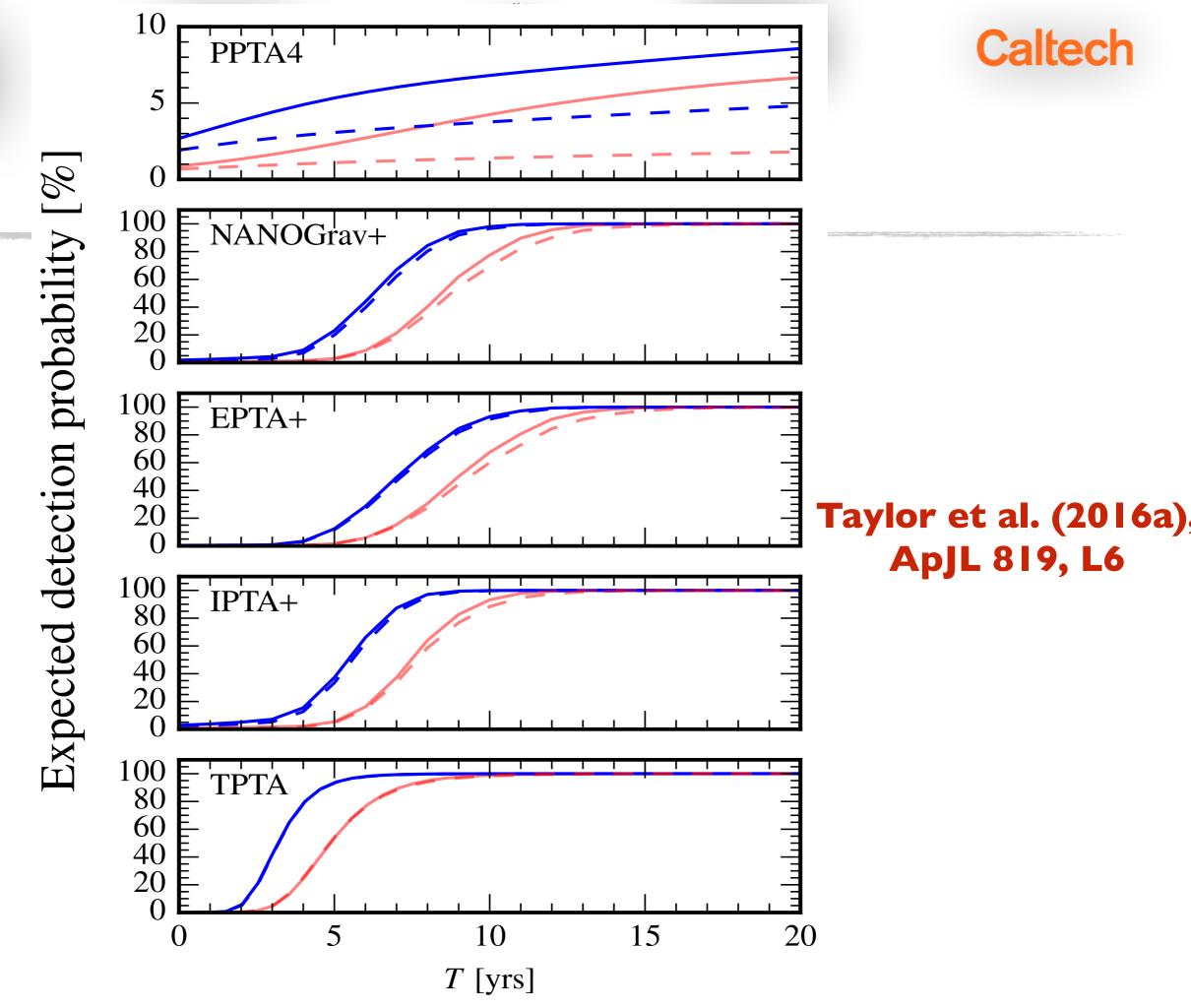
Shannon et al. (2015) $\lesssim 1.0 \times 10^{-15}$

Arzoumanian et al. (2015) [led by Ellis, inc. **Taylor**, Mingarelli, van Haasteren, Vallisneri, Lazio]

 $\lesssim 1.5 \times 10^{-15}$

Burke-Spolaor (2015)





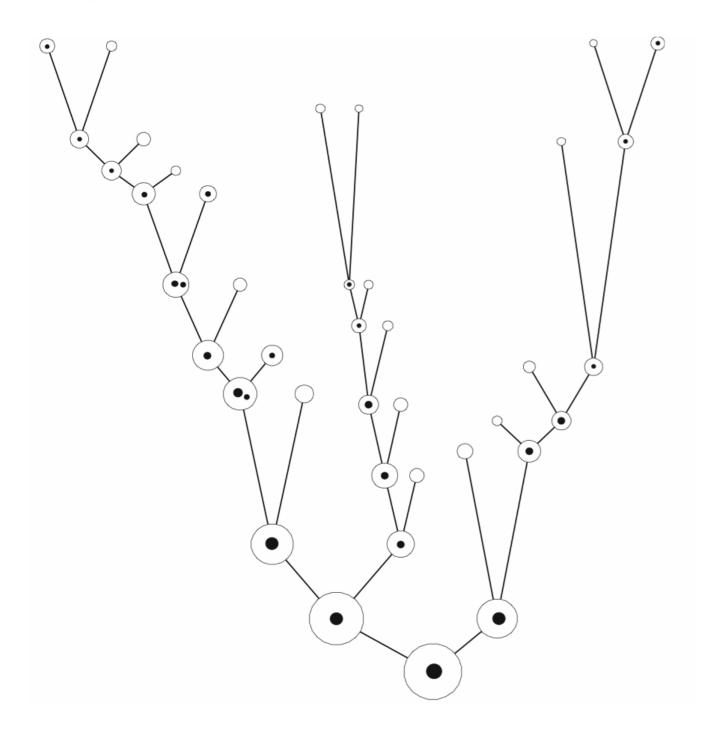












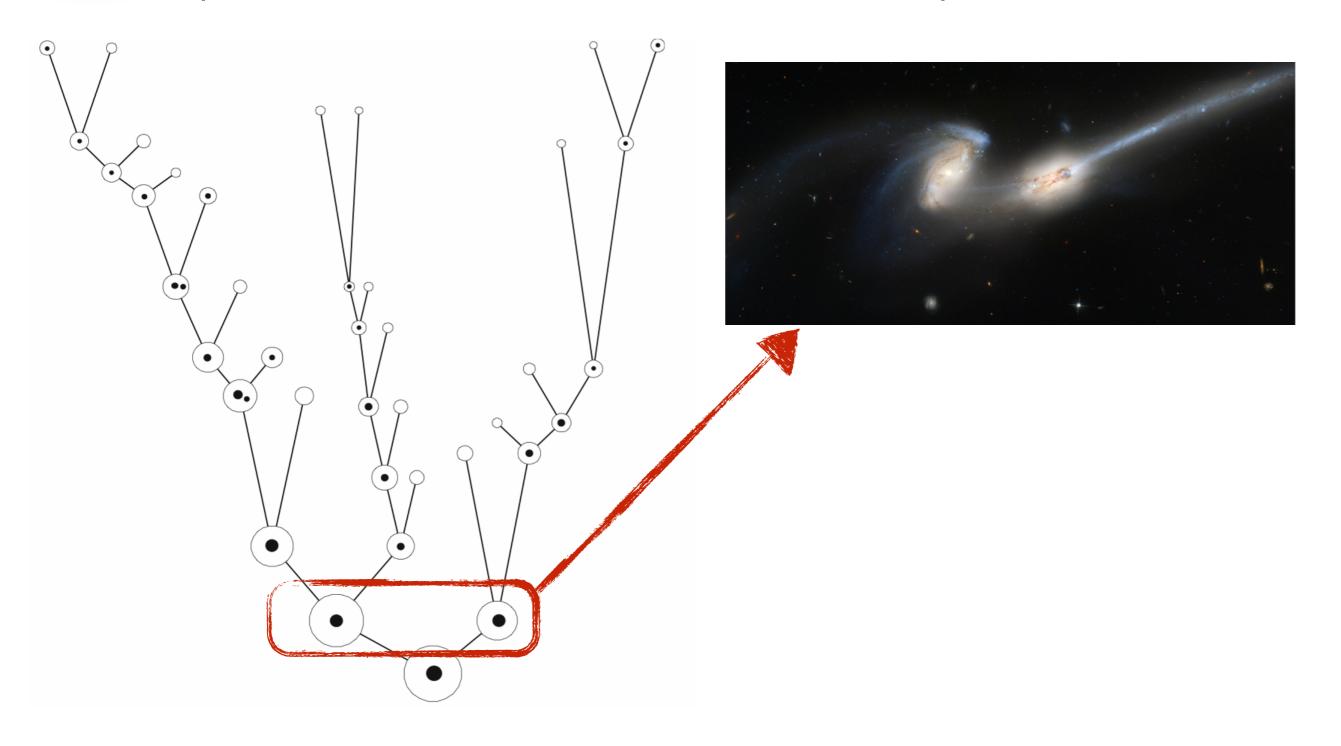












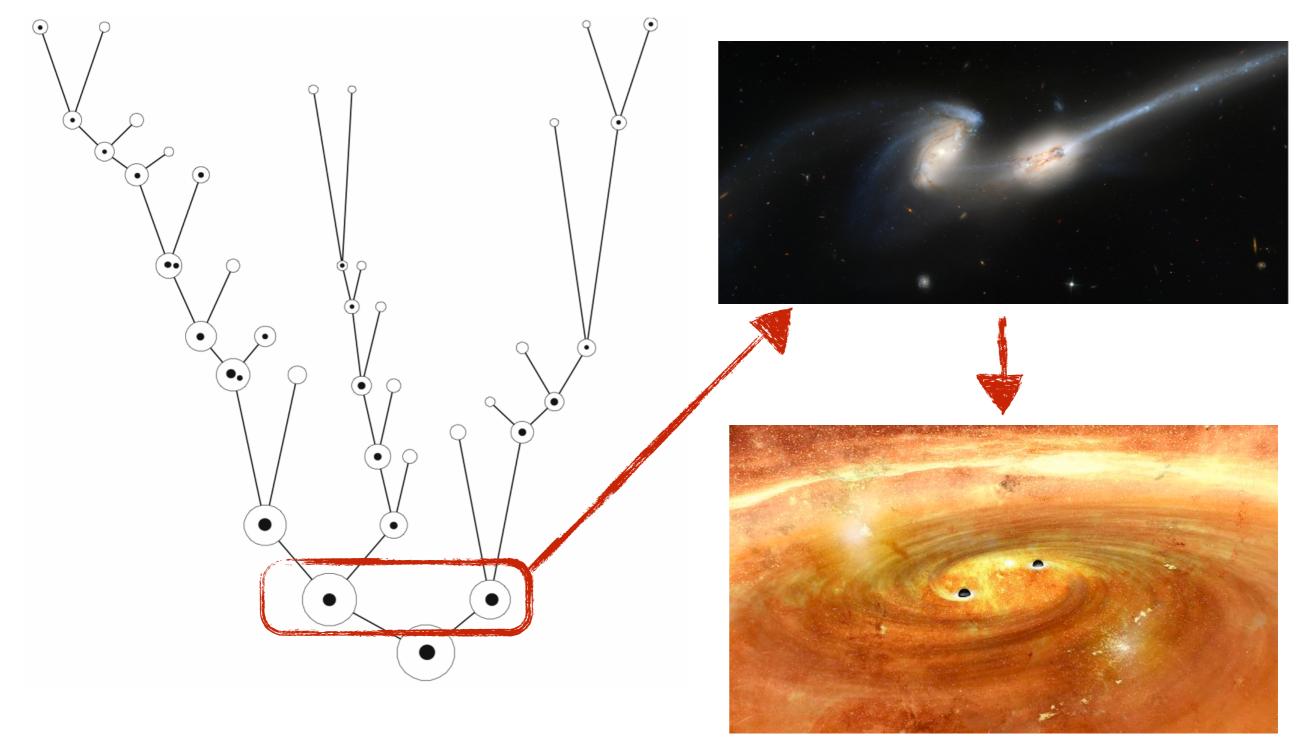












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Dynamical friction not a sufficient driving mechanism to induce merger within a Hubble time

e.g., Milosavljevic & Merritt (2003)











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Additional environmental couplings may extract energy and angular momentum from binary to drive it to sub-pc separations









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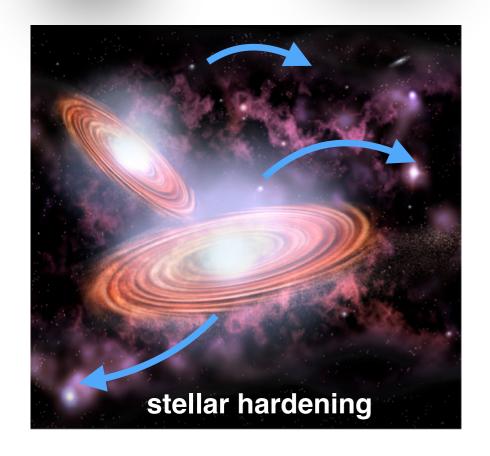


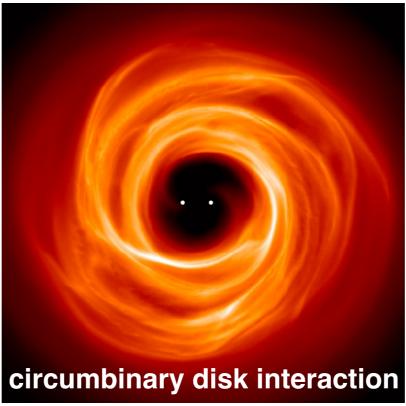


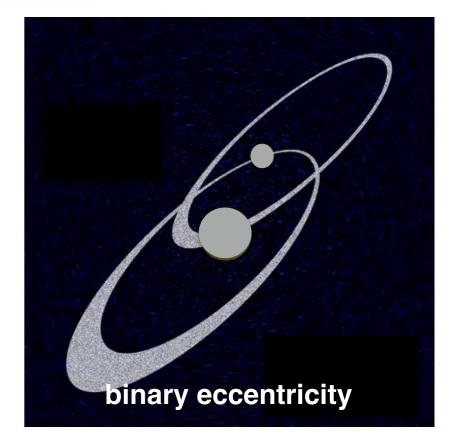












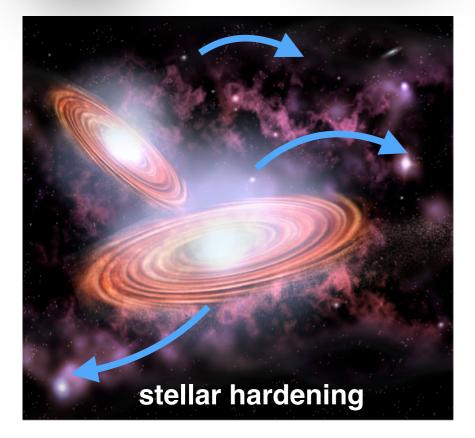


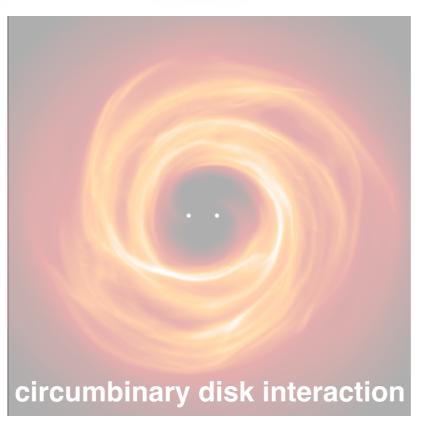


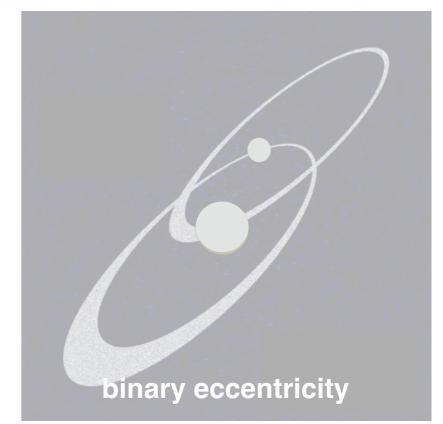


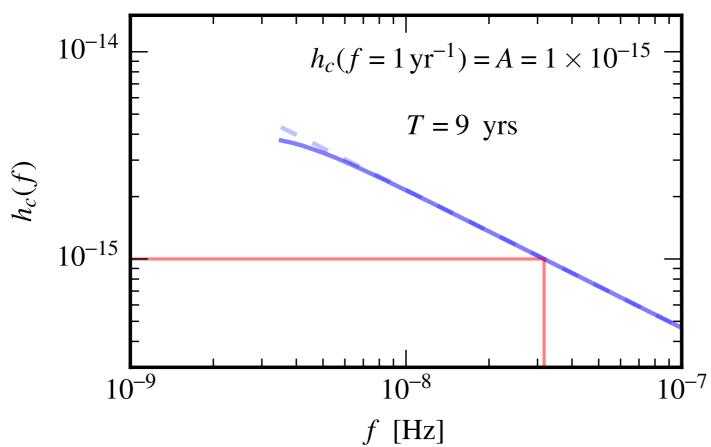












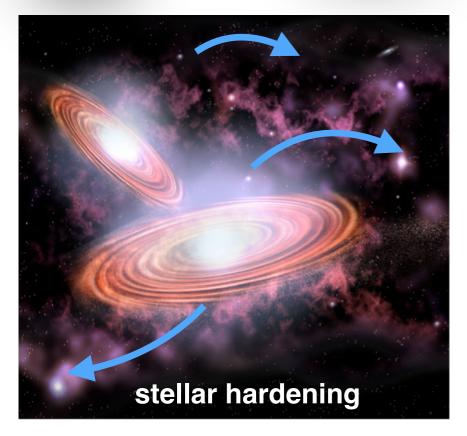


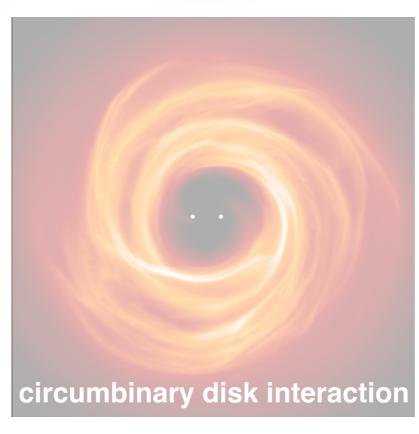


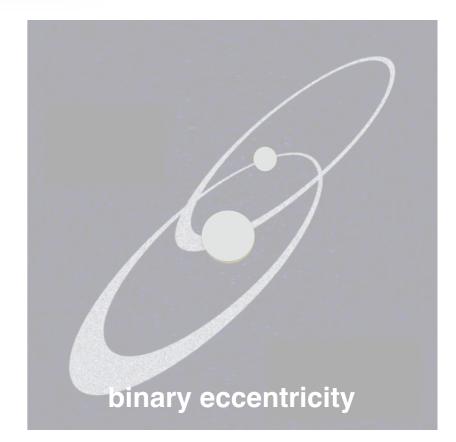


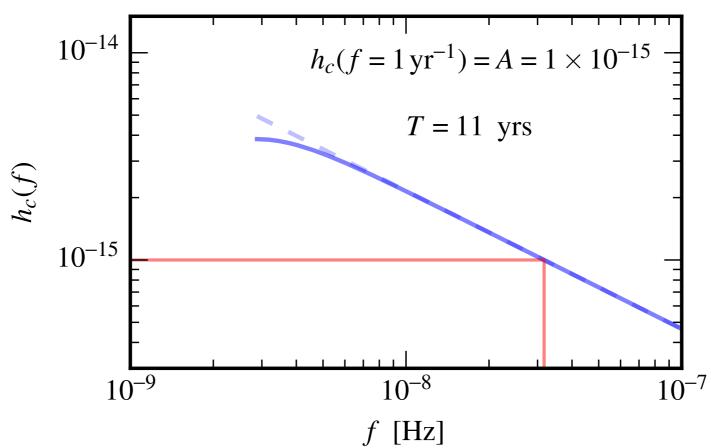












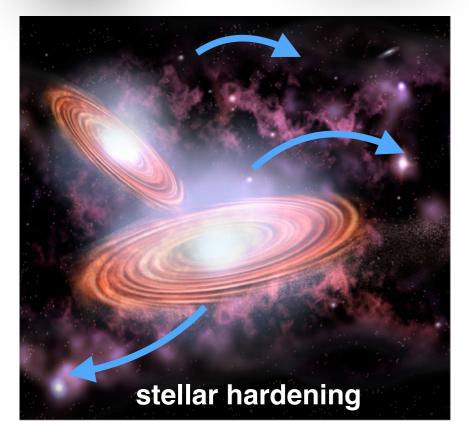


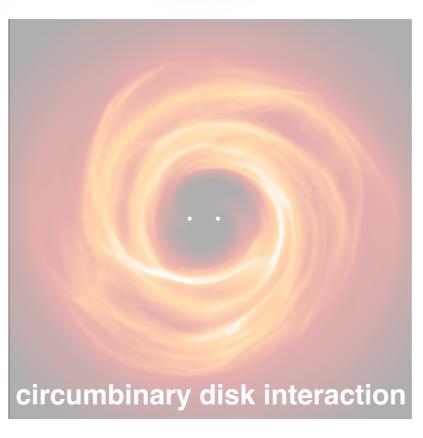


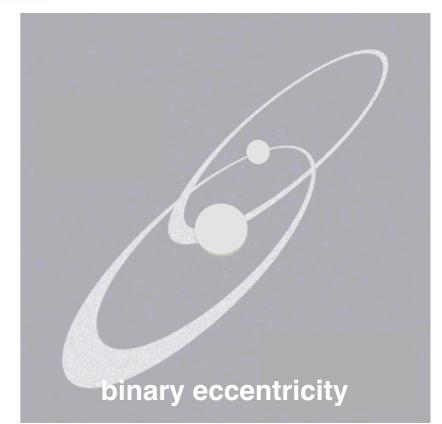


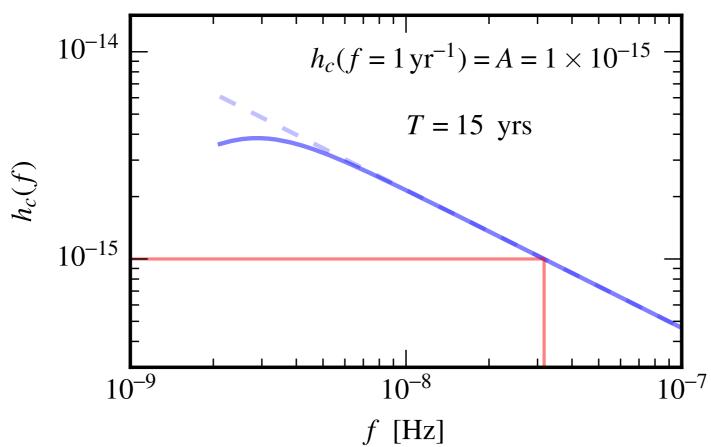












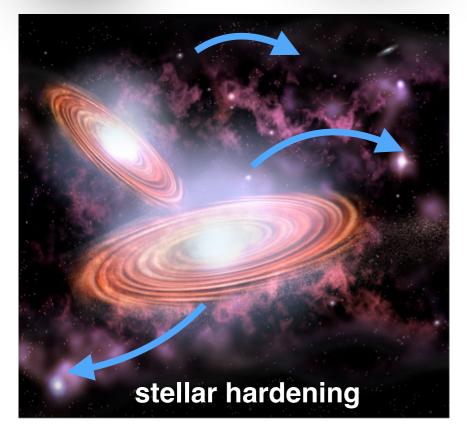


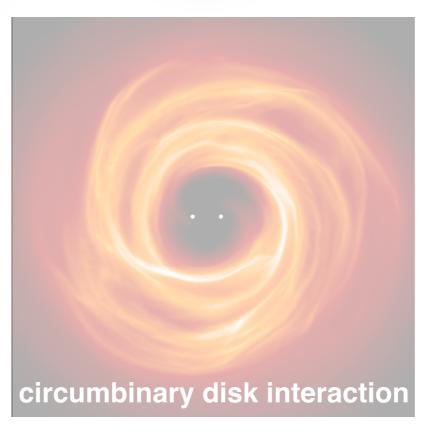


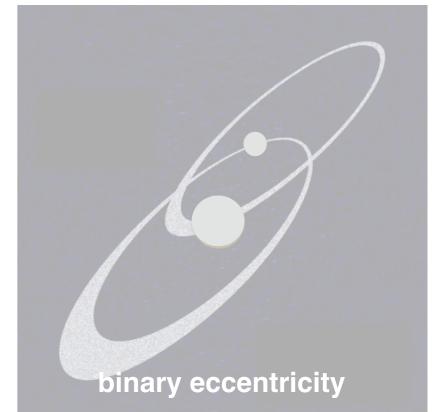


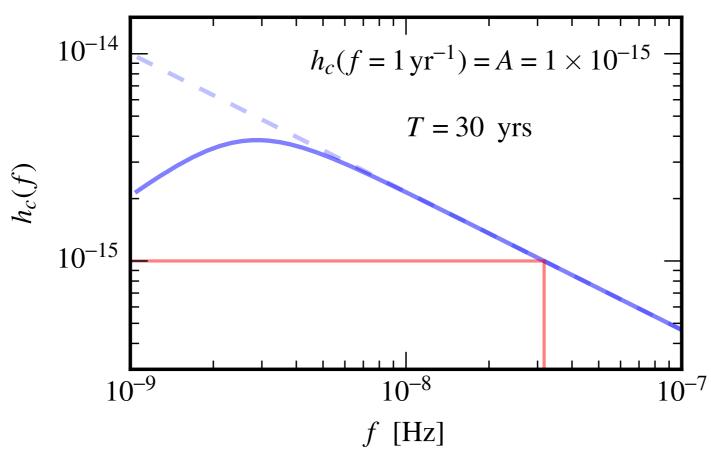






















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Binary evolution will be dominated by environment at low frequencies, and radiation reaction at high frequencies











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- Binary evolution will be dominated by environment at low frequencies, and radiation reaction at high frequencies
- Following Sampson & Cornish (2015), NANOGrav [Arzoumanian et al. (2016)] modeled the GW strain spectrum with a low-frequency turnover









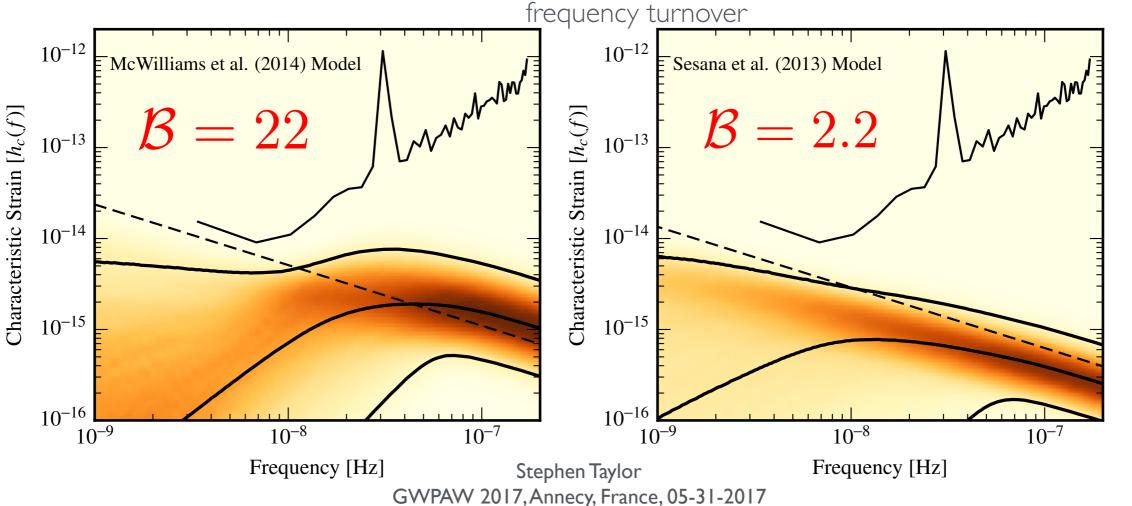


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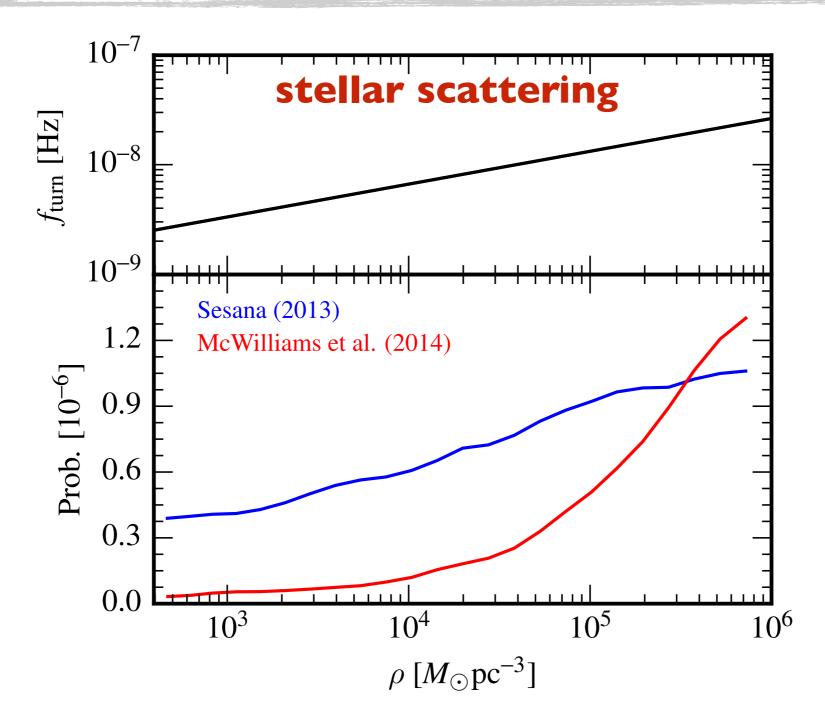












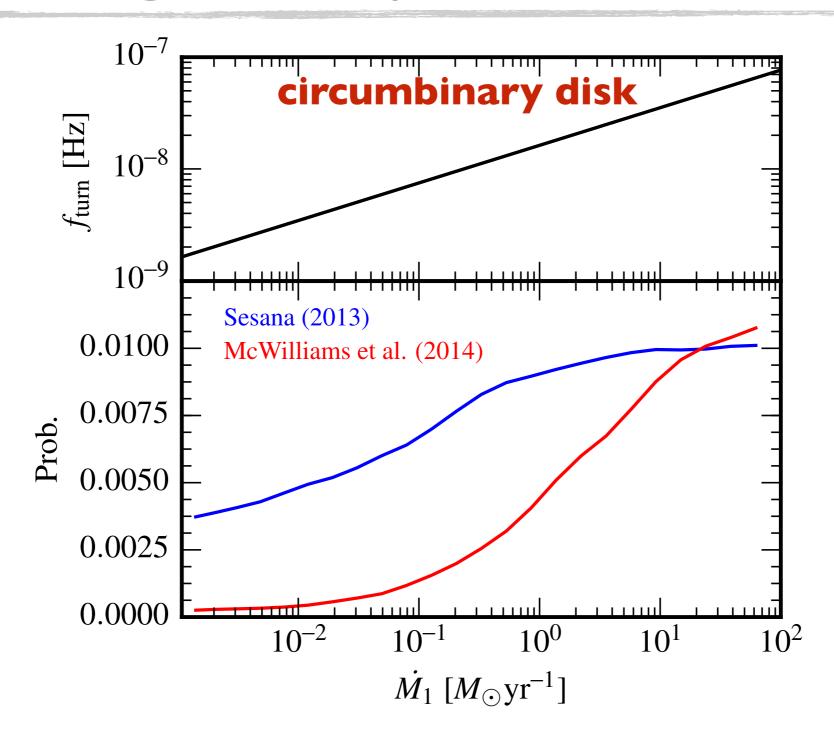












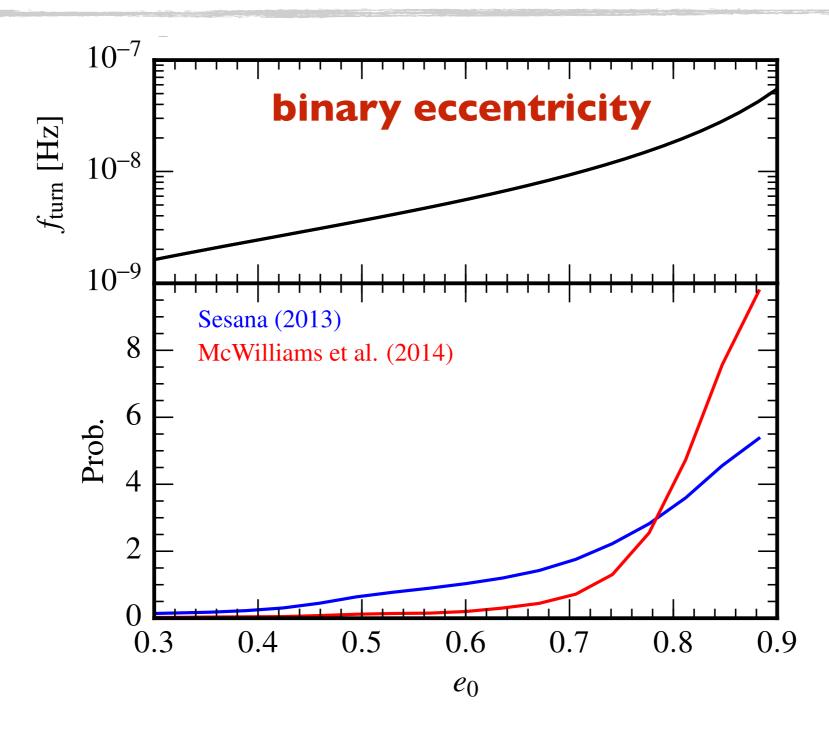


















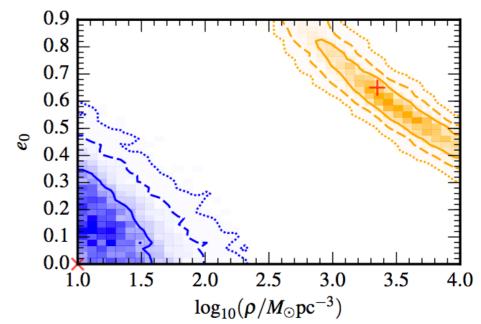




Latest techniques

Taylor et al., PRL 118, 181102 (2017)

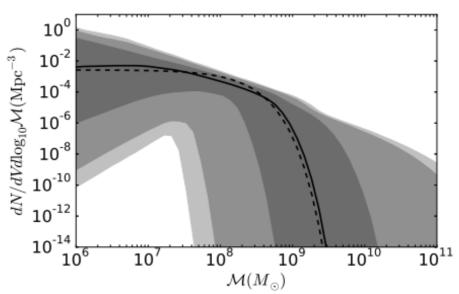
- Build a bank of spectral shapes from **population simulations** (including all physics).
- Train a Gaussian Process to learn the spectral properties.
- Provides a fast physically-trained model.
- Can be trivially expanded.



Build a semi-analytic model to probe losscone scattering.

Also expand merger-rate density with simplified prescription.

Chen et al., arXiv:1612.02826



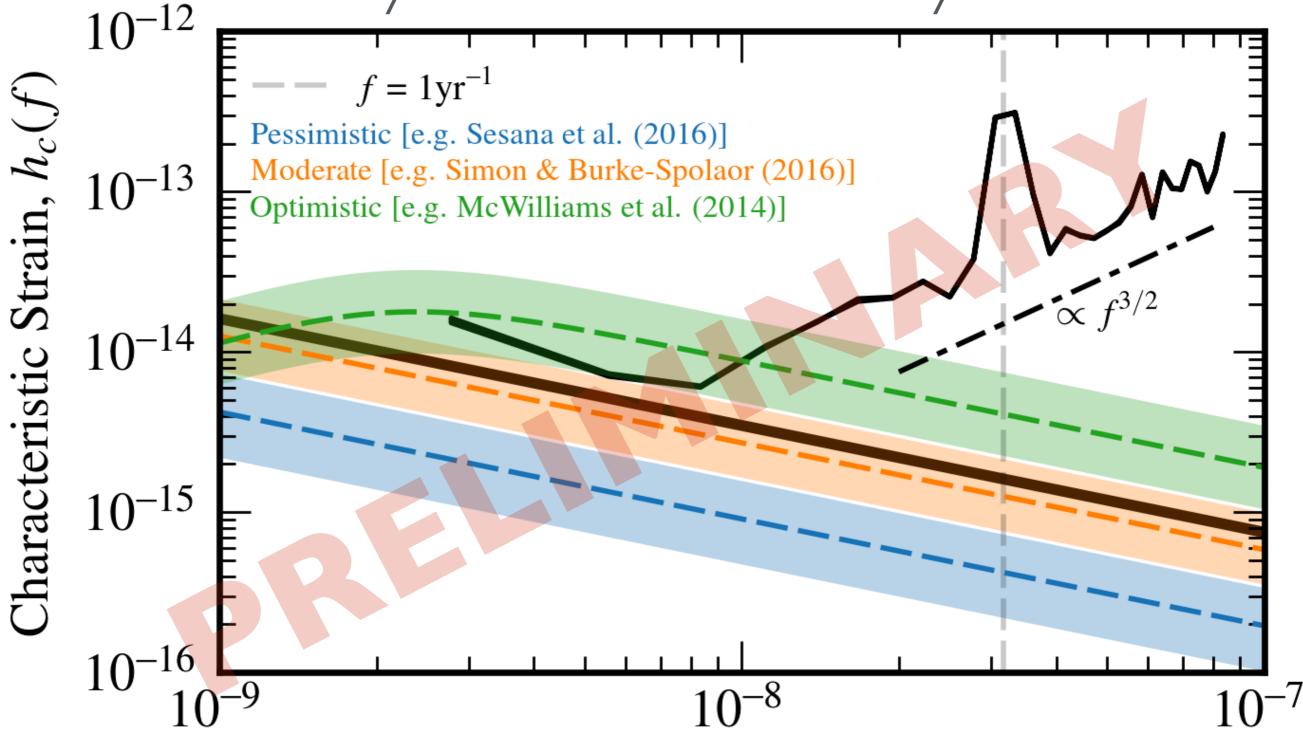








Preliminary NANOGrav I Jyr Results



Observed GW Frequency, f [Hz]











The Solar System Ephemeris

- All TOAs referenced to the SSB.
- Location of SSB requires the masses and trajectories of all objects in solar-system.
- IPL do not really care about the position of the SSB. They care about navigating probes to planets.
- The ephemeris time-series has not usually been fit for in our PTA analysis. It has been subtracted.





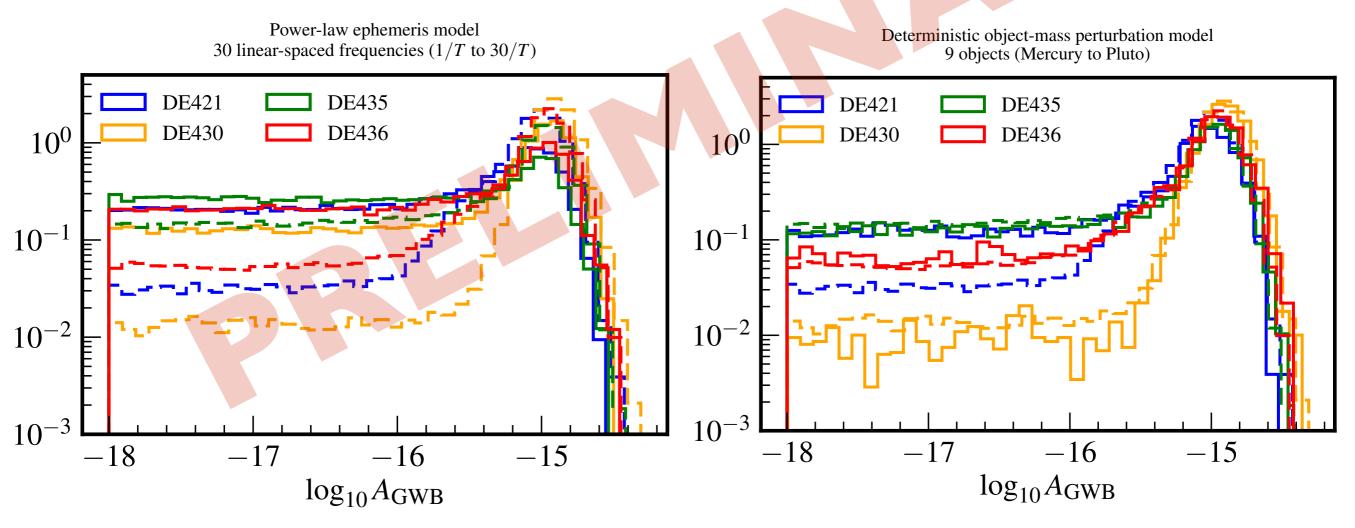






Preliminary NANOGrav I lyr Results

- Bayes factor for a common red process (i.e. leaving out H&D correlations) versus noise range from ~I (DE435) to ~I0 (DE430).
- It is crucial to marginalize over the difference in the ephemeris uncertainties for robust GW statistics.









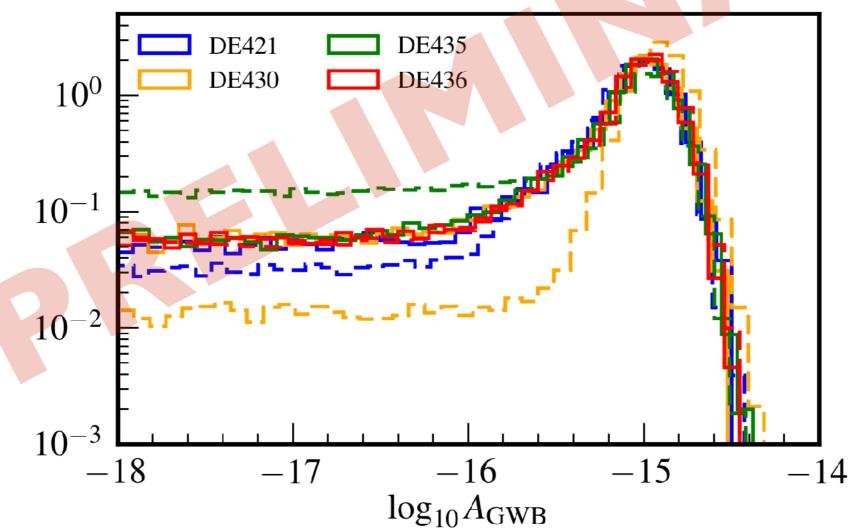




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NANOGrav 11yr dataset – Roemer mixture model













Summary

- ▶ PTAs are expected to make a GW detection within ~5-10 years.
- The GW strain spectrum encodes information about SMBHB dynamical evolution.
- Constraining the spectral shape can tell us about disc accretion, and loss-scone scattering.
- PTAs are now sensitive to the solar-system ephemeris. A huge milestone for us!