

Top properties at the LHC

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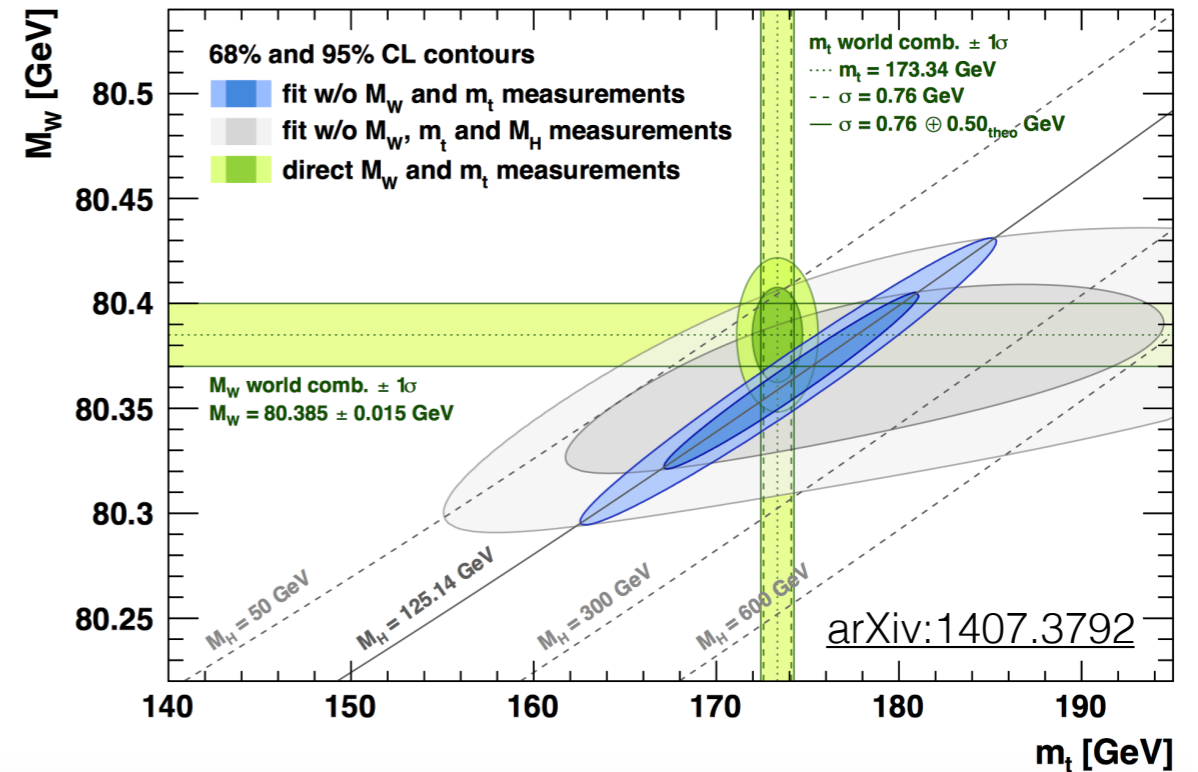
On behalf of the ATLAS & CMS collaborations

52nd Rencontres de Moriond EW 2017

Why top properties?

- Top quark mass is a fundamental parameter of the Standard Model:

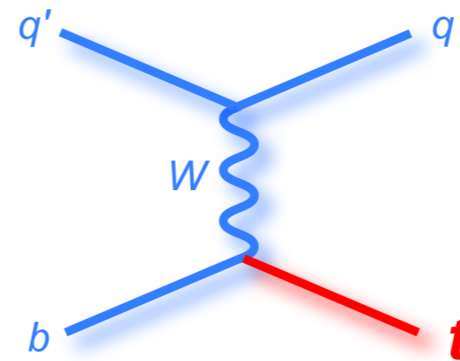
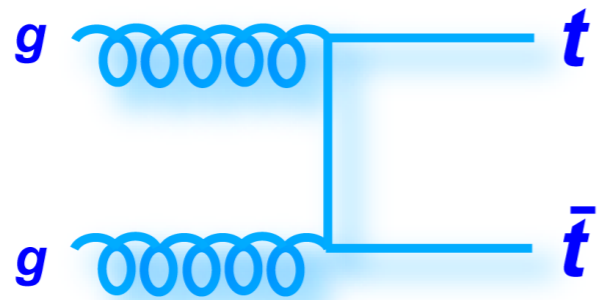
- Precise measurement needed for checking consistency of the SM.



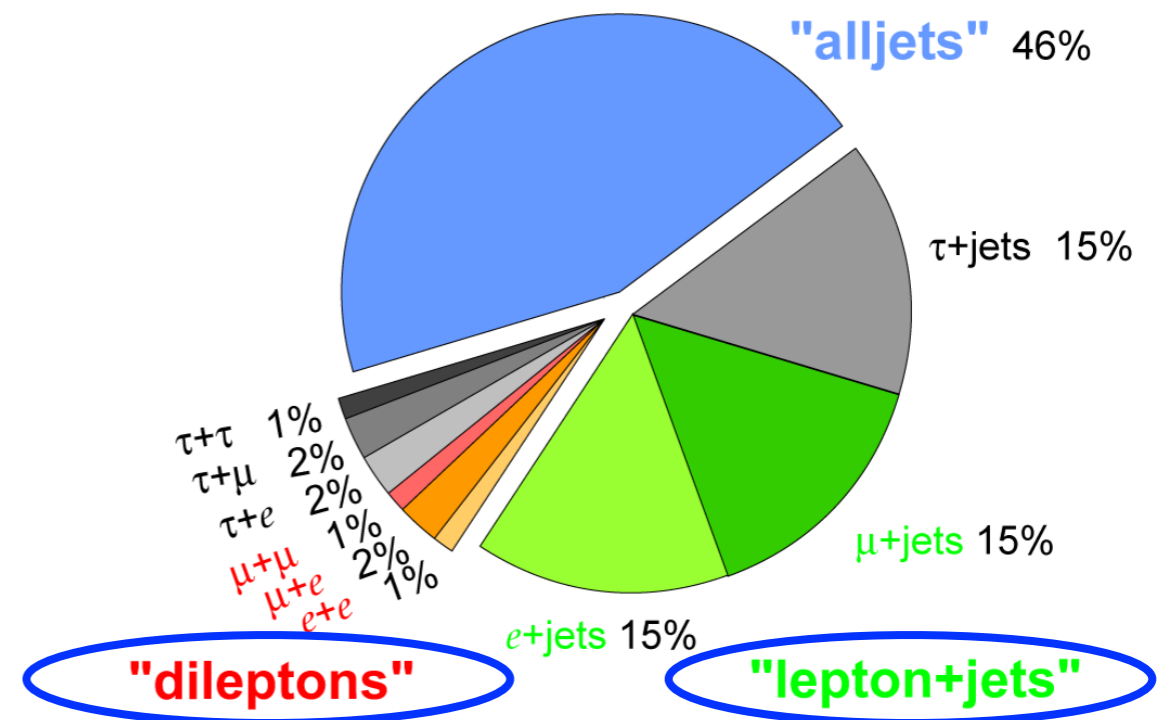
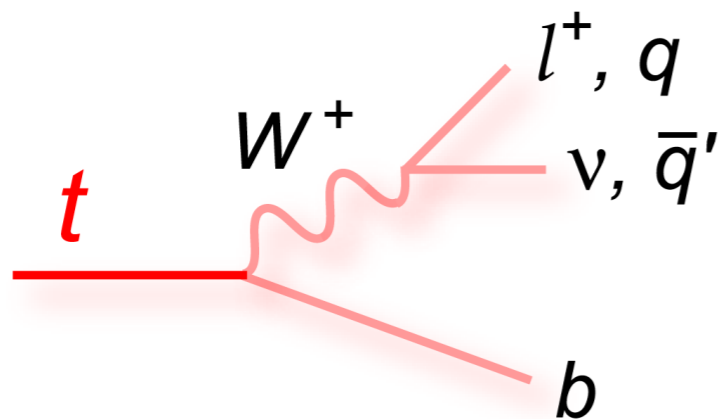
- Other properties of the top quark (electroweak coupling, production asymmetries) are predicted by SM.
- Precise measurements could reveal the SM breaking down.

Top production & decay

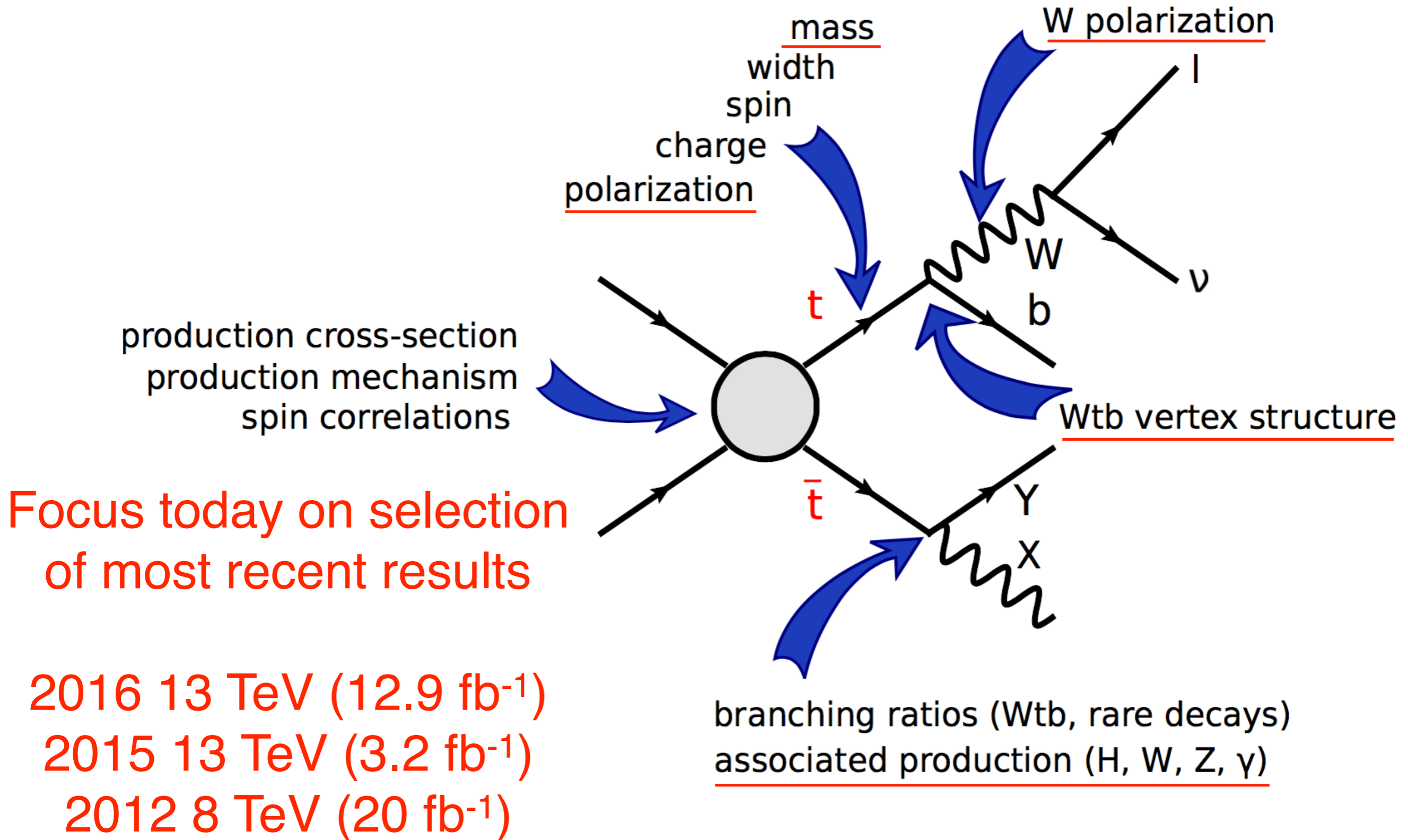
- Top production dominated by QCD production. EW production provides direct access to Wtb vertex:



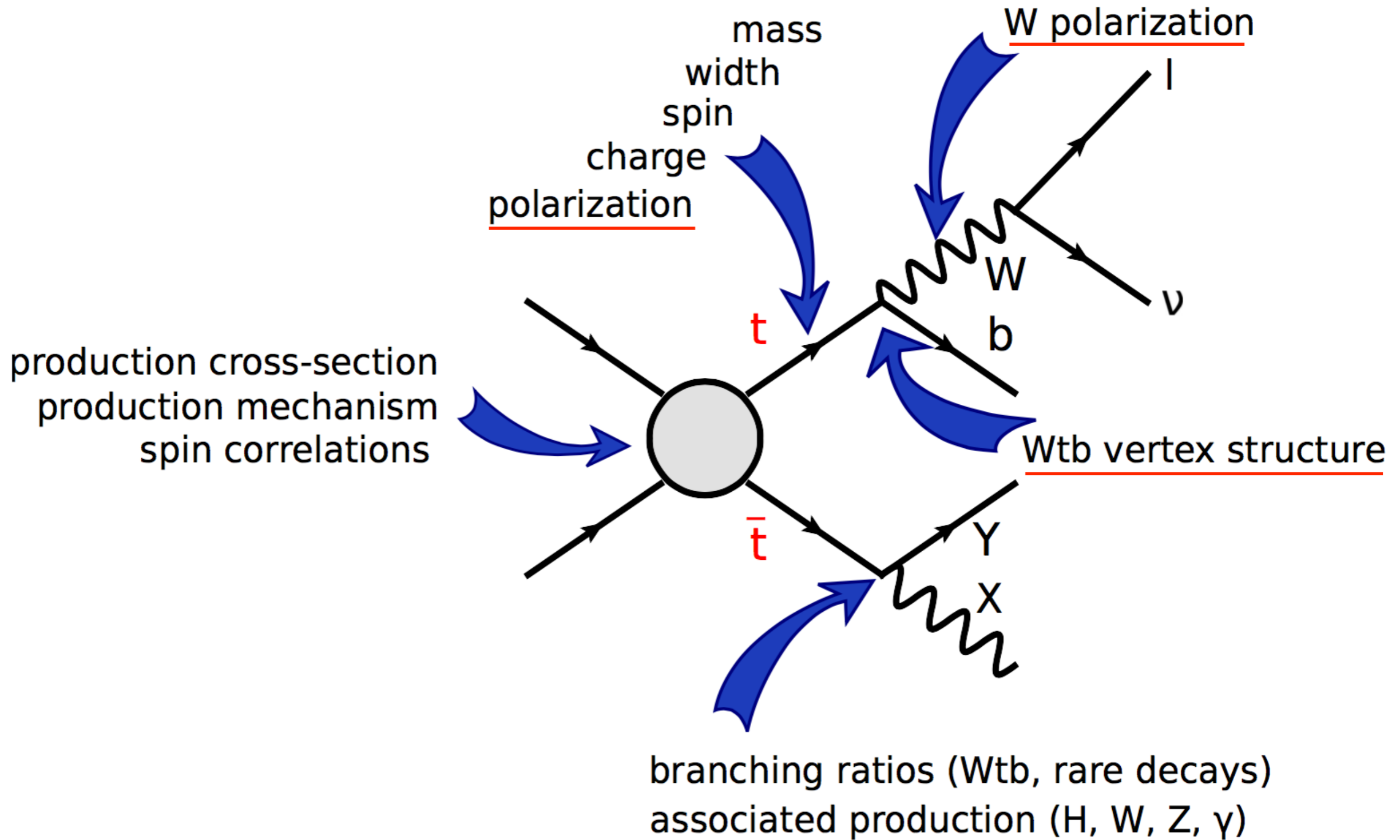
- In SM top decays to Wb :



Outline

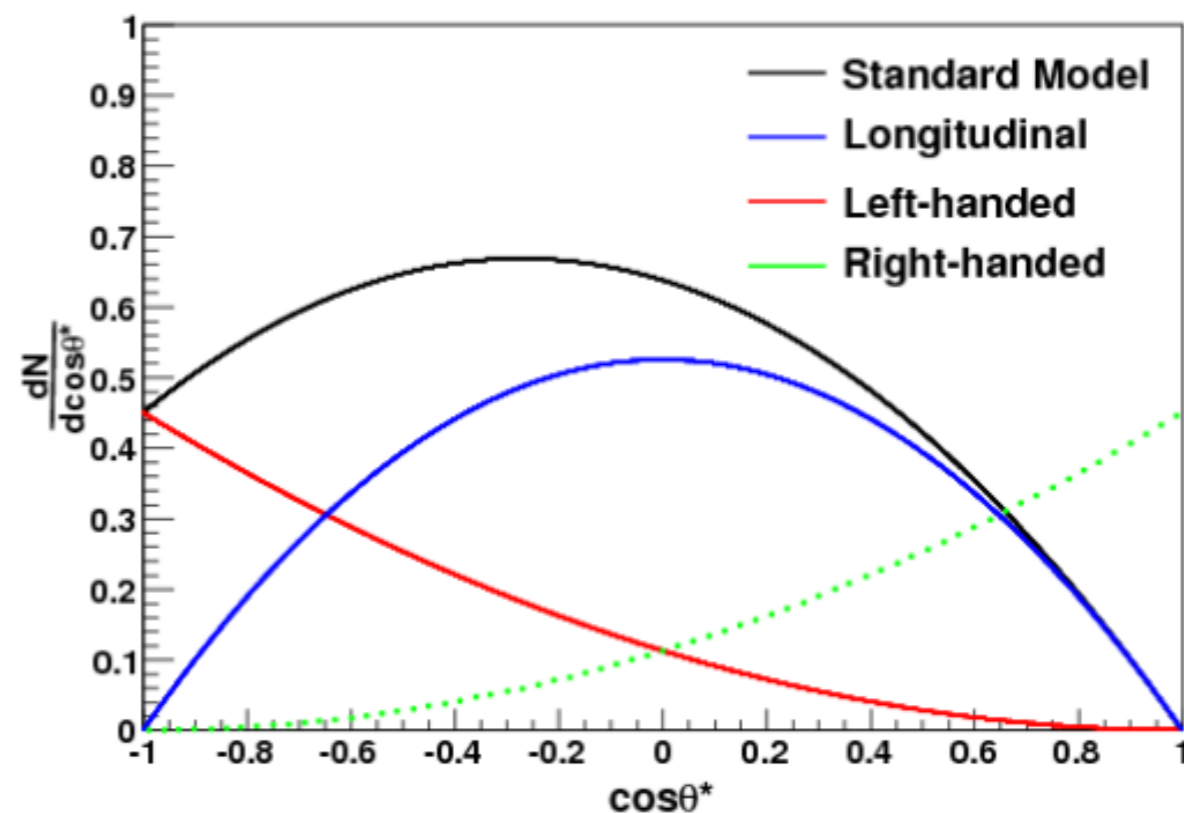
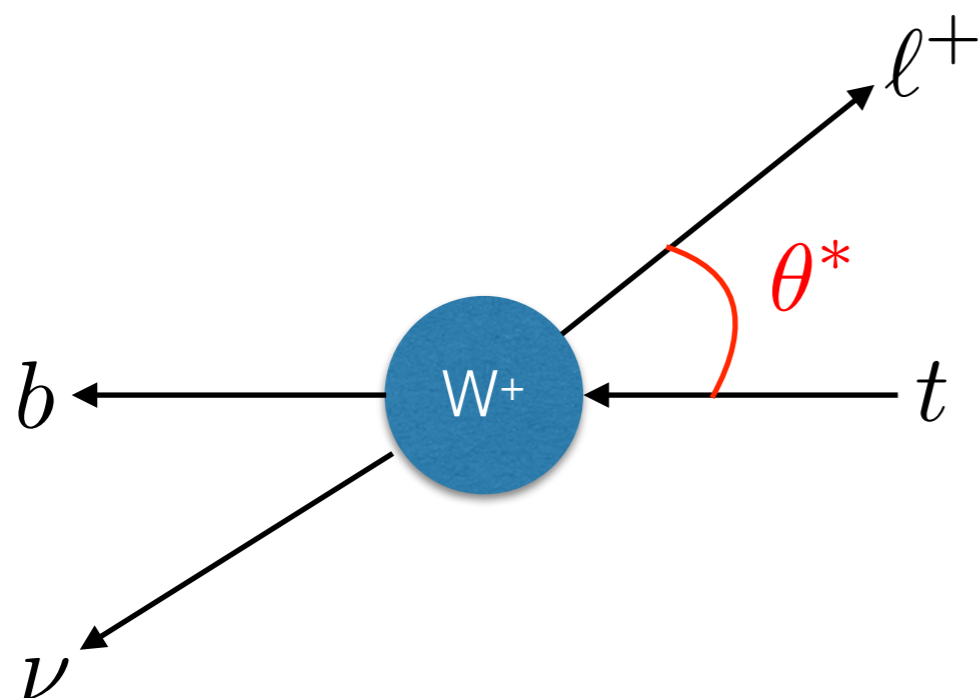


Outline



W boson polarisation

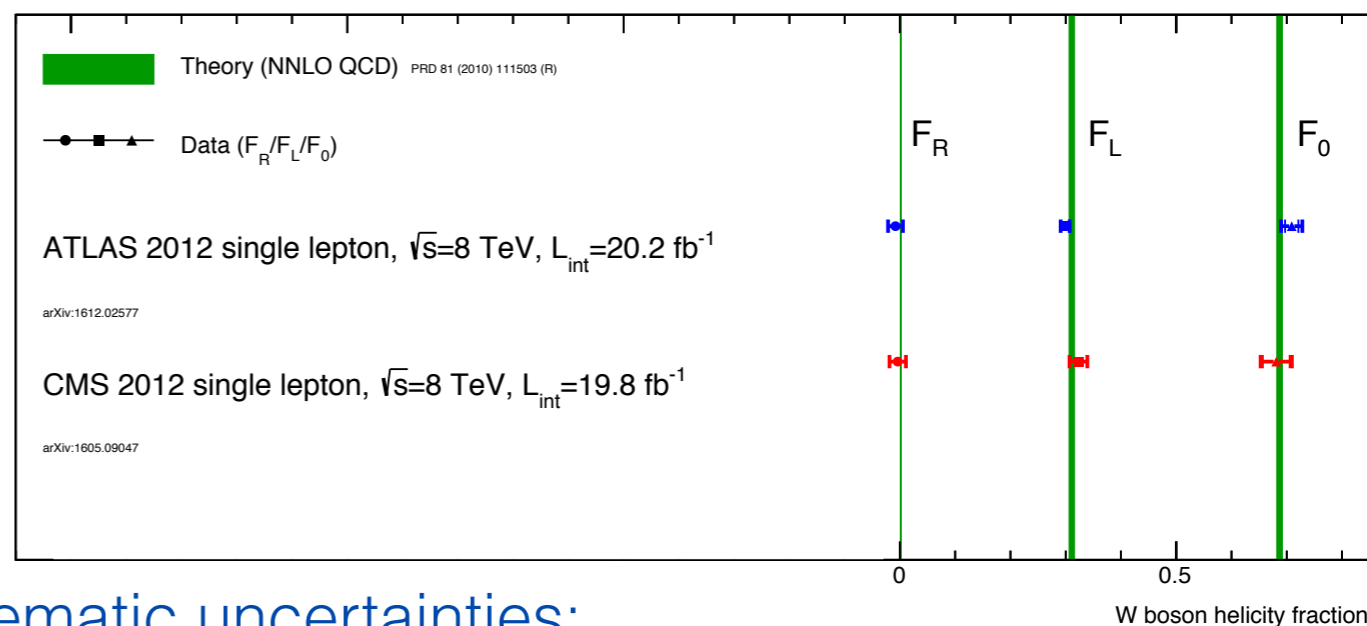
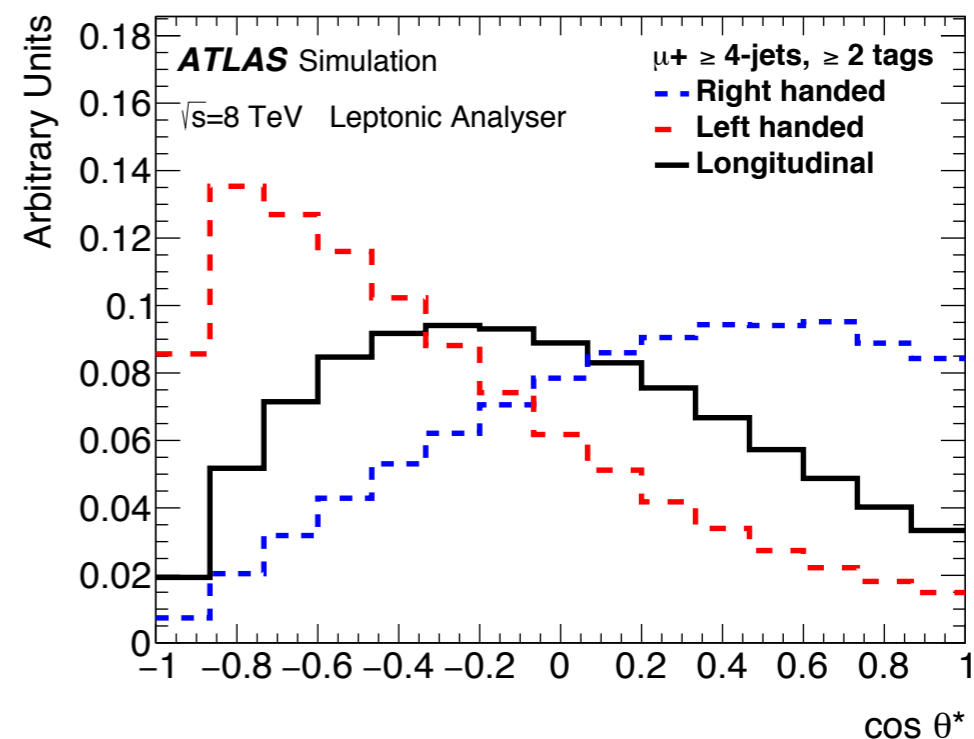
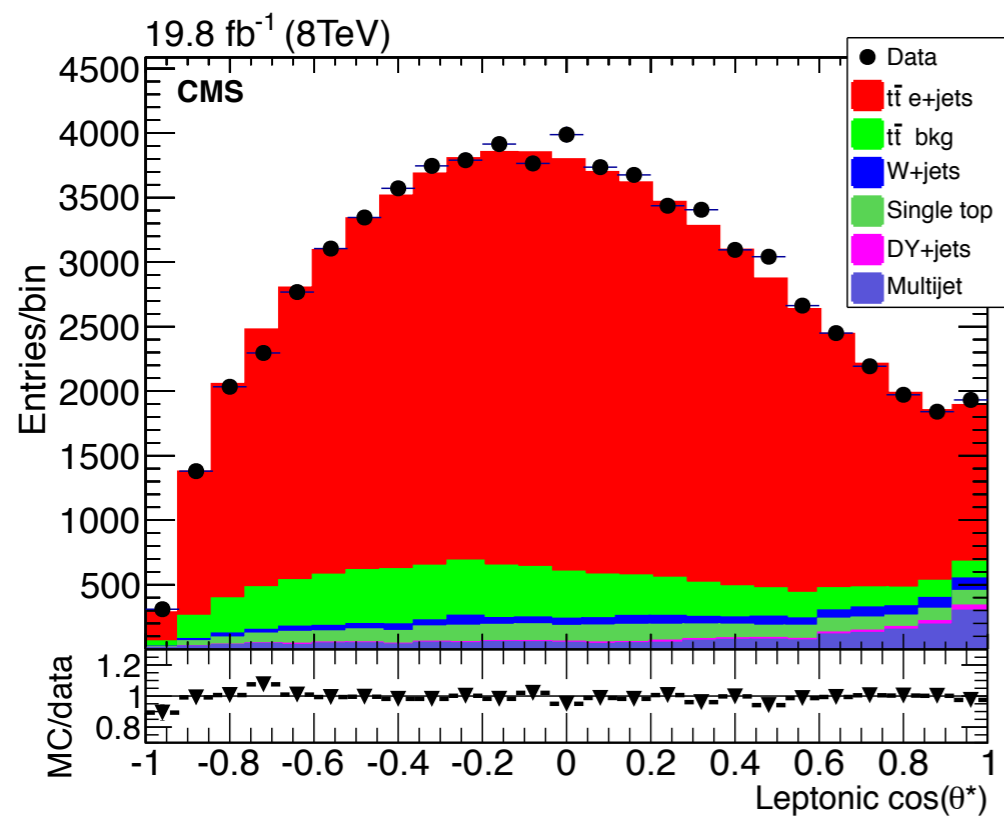
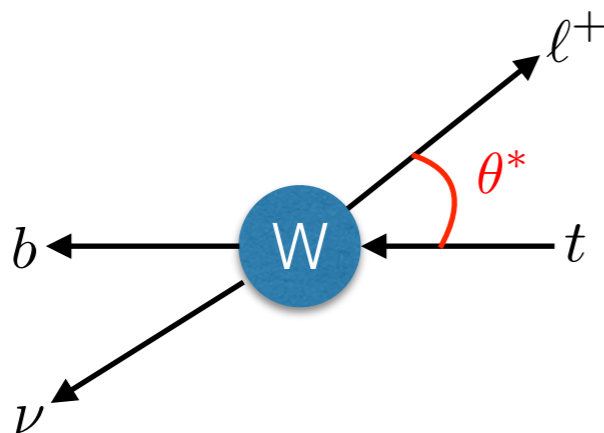
- W bosons can be produced with left-handed, right-handed or longitudinal polarisation.
- The top decay vertex in the SM, Wtb , is characterised by the (V - A) structure \rightarrow fractions of polarisation states are well predicted.
- Can probe this by measuring the angular distributions of the W boson decay products:



- New physics could be present in the vertex & change the produced polarisation.

W boson polarisation

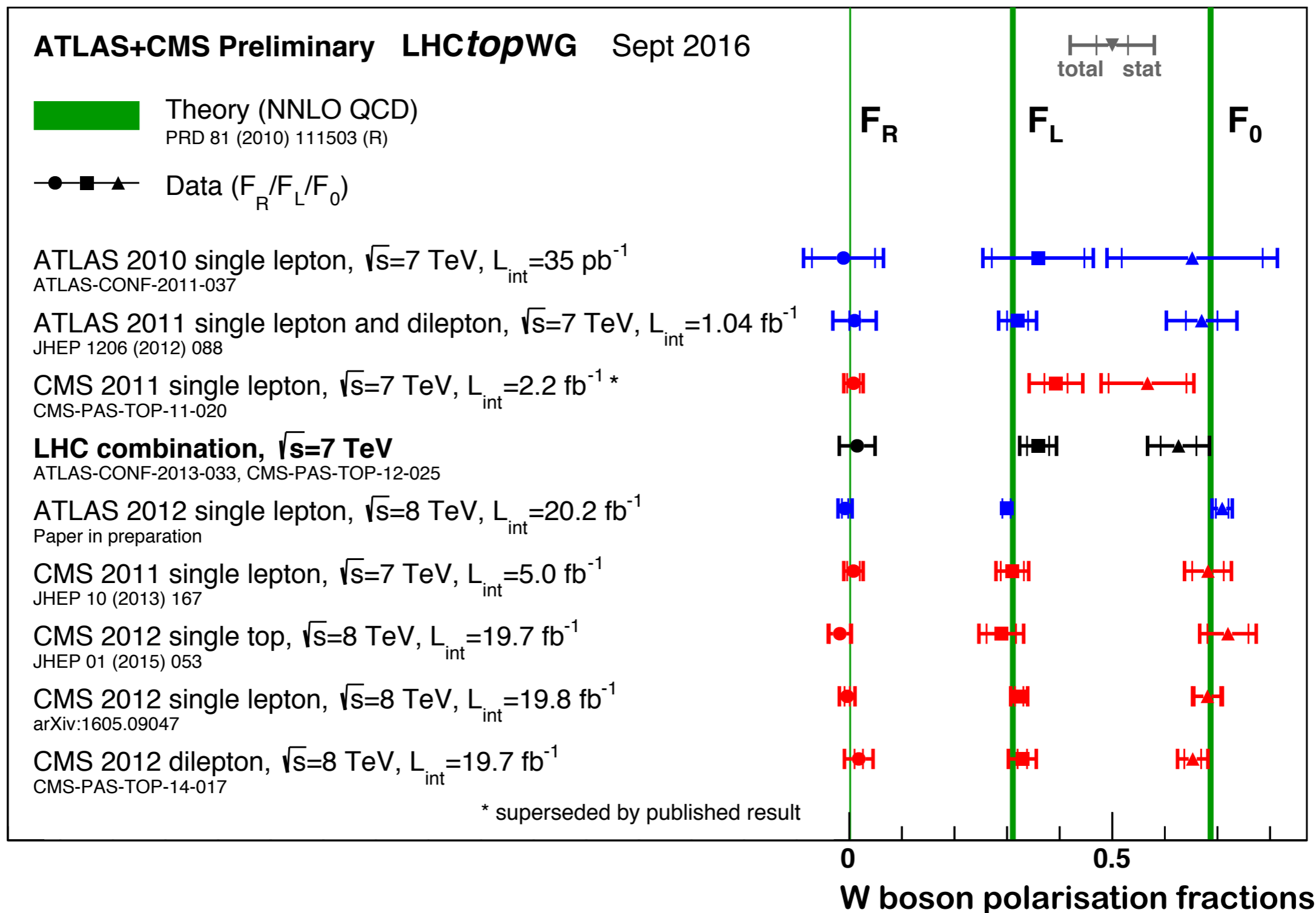
- Use top-quark pair events & reconstruct full system:



Largest systematic uncertainties:
jet energy scale (JES), Monte Carlo (MC) modelling.

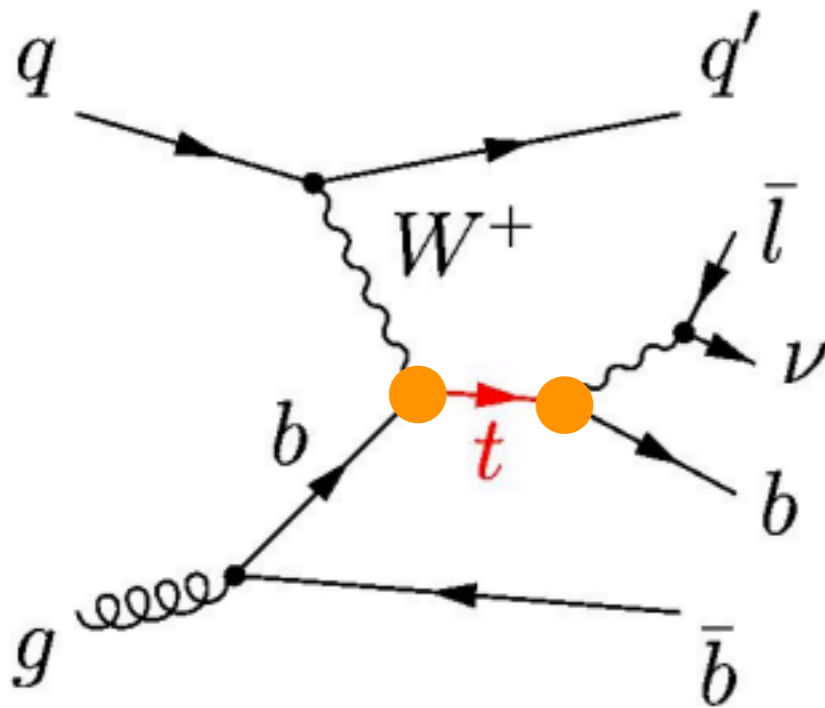
arXiv:1612.02577

W boson polarisation



Polarisation in single top

- Single-top t-channel production sensitive to **Wtb vertex** in both production and decay.
- SM predicts non-zero polarisation of single-top quark production. Full system can be parameterised in terms of polarisation & 6 independent W-boson spin observables.



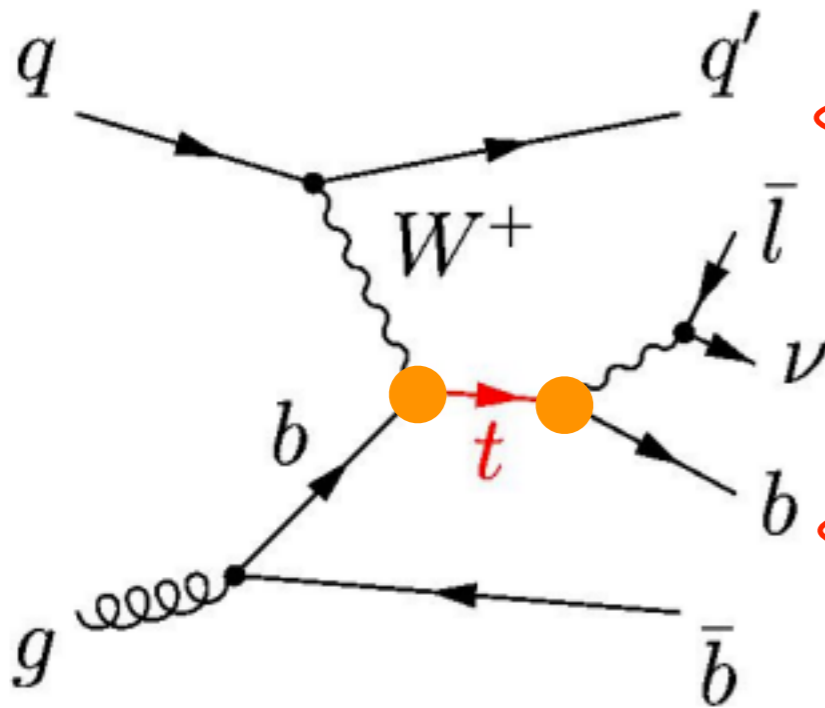
Asymmetry	Angular observable	Polarisation observable	SM prediction
A_{FB}^{ℓ}	$\cos \theta_{\ell}$	$\frac{1}{2} \alpha_{\ell} P$	0.45
A_{FB}^{tW}	$\cos \theta_W \cos \theta_{\ell}^*$	$\frac{3}{8} P (F_R + F_L)$	0.10
A_{FB}	$\cos \theta_{\ell}^*$	$\frac{3}{4} \langle S_3 \rangle = \frac{3}{4} (F_R - F_L)$	-0.23
A_{EC}	$\cos \theta_{\ell}^*$	$\frac{3}{8} \sqrt{\frac{3}{2}} \langle T_0 \rangle = \frac{3}{16} (1 - 3F_0)$	-0.20
A_{FB}^T	$\cos \theta_{\ell}^T$	$\frac{3}{4} \langle S_1 \rangle$	0.34
A_{FB}^N	$\cos \theta_{\ell}^N$	$-\frac{3}{4} \langle S_2 \rangle$	0
$A_{\text{FB}}^{T,\phi}$	$\cos \theta_{\ell}^* \cos \phi_T^*$	$-\frac{2}{\pi} \langle A_1 \rangle$	-0.14
$A_{\text{FB}}^{N,\phi}$	$\cos \theta_{\ell}^* \cos \phi_N^*$	$\frac{2}{\pi} \langle A_2 \rangle$	0

arXiv:1702.08309

arXiv:1508.04592
arXiv:1005.5382

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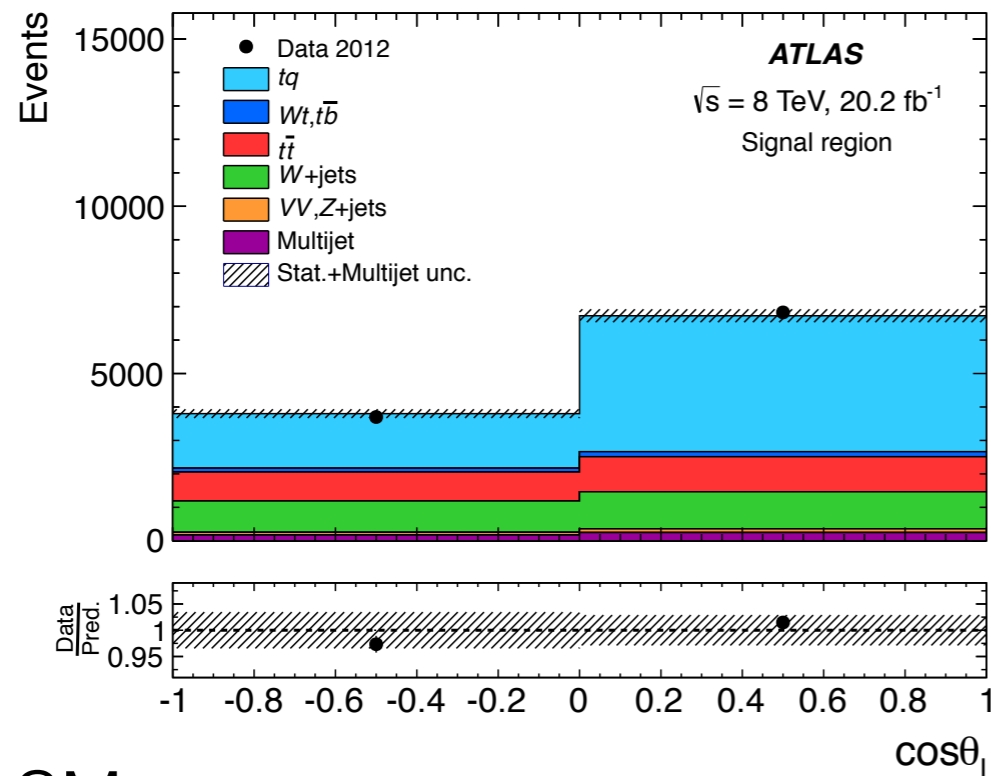
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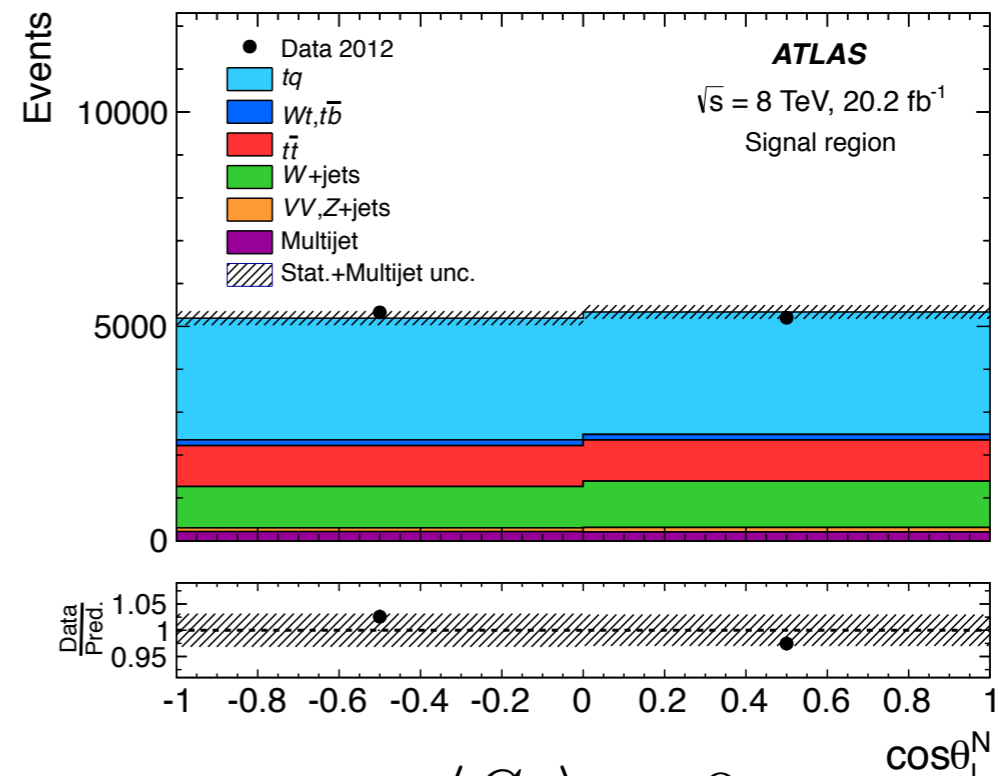
arXiv:1508.04592
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Polarisation in single top

- Kinematic cuts used to separate single-top from W and top-pair backgrounds.
- Angular asymmetries sensitive to top polarization and W boson spin observable $\langle S_2 \rangle$:



SM: $P = 0.9$



$\langle S_2 \rangle = 0$

ATLAS Data: $P = 0.97 \pm 0.12$

$\langle S_2 \rangle = 0.06 \pm 0.05$

CMS Data: $P = 0.52 \pm 0.22$

Wtb vertex constraints

- Interpret these measurements by considering general expression for the Wtb vertex:

$$\mathcal{L}_{Wtb} = -\frac{g}{\sqrt{2}} \bar{b} \gamma^\mu (V_L P_L + V_R P_R) t W_\mu^- - \frac{g}{\sqrt{2}} \bar{b} \frac{i\sigma^{\mu\nu} q_\nu}{m_W} (g_L P_L + g_R P_R) t W_\mu^- + \text{h.c.}$$

SM: $V_L = V_{tb}$ $V_R = 0$ $g_L = 0$ $g_R = 0$

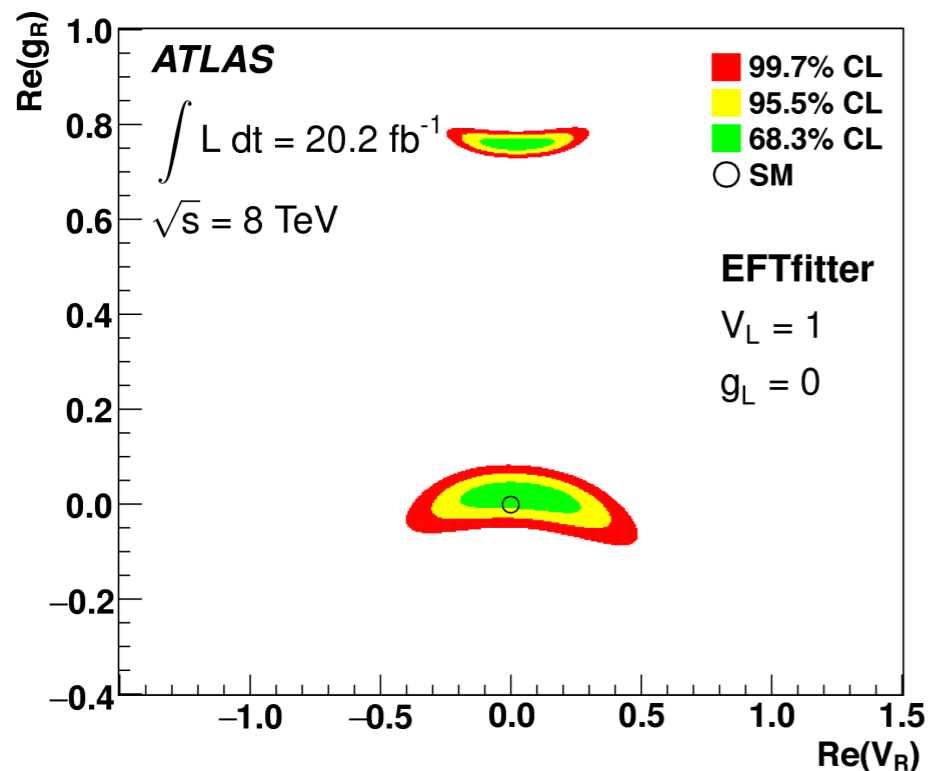
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ATLAS W polarization:



[arXiv:1612.02577](https://arxiv.org/abs/1612.02577)

[arXiv:1702.08309](https://arxiv.org/abs/1702.08309)

[arXiv:1610.03545](https://arxiv.org/abs/1610.03545)

Wtb vertex constraints

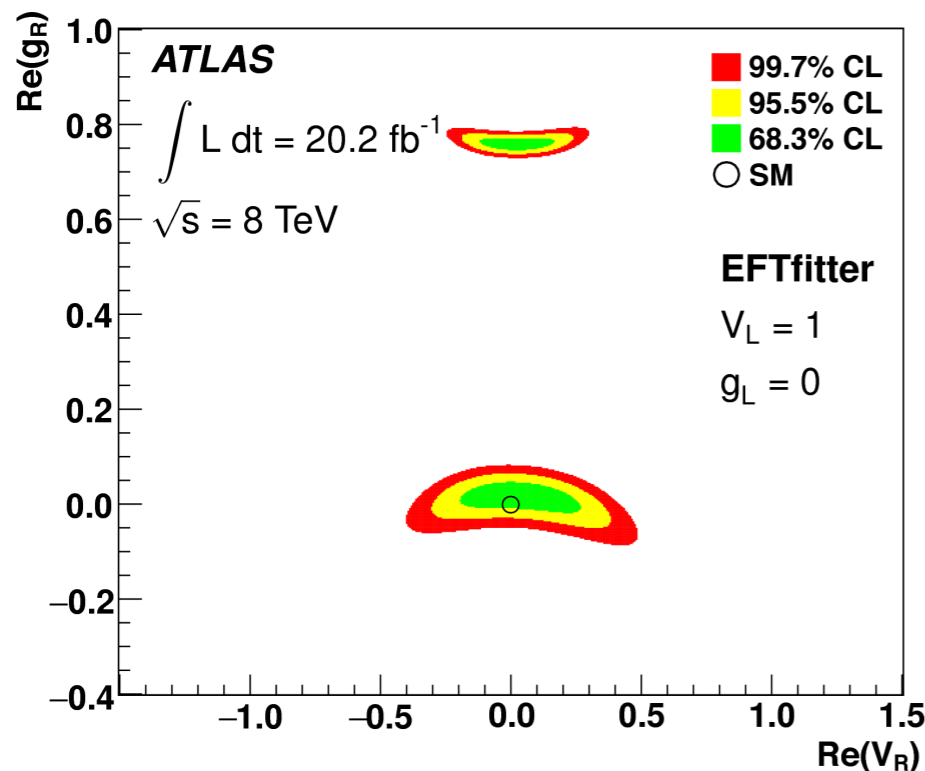
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ATLAS W polarization:

ATLAS single-top: $\text{Im}(g_R) \in [-0.18, 0.06]$



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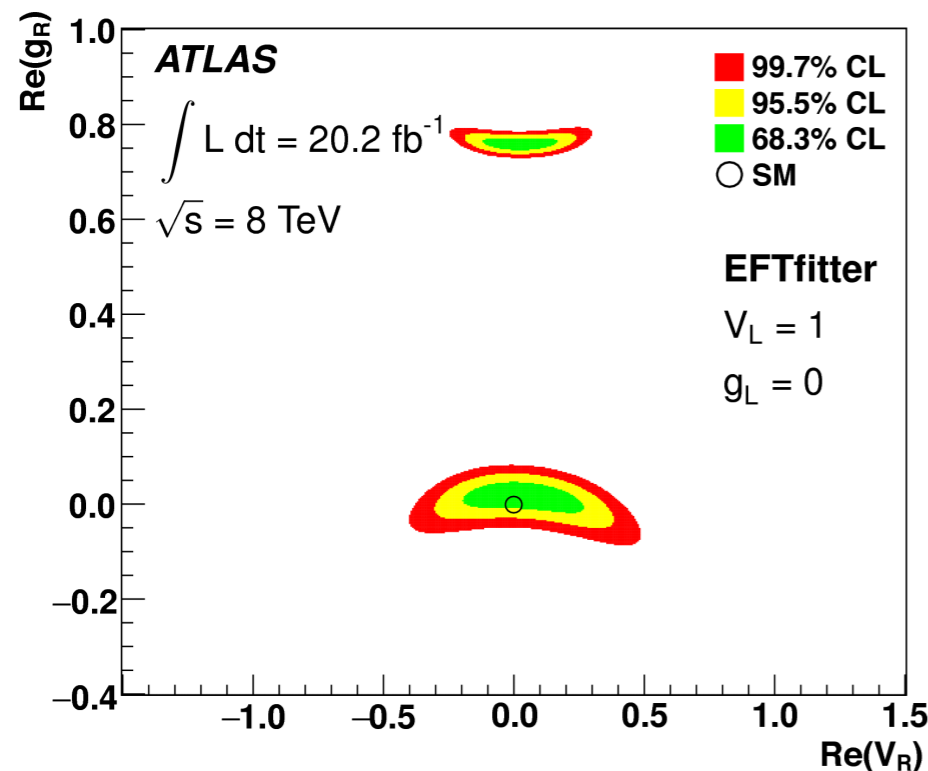
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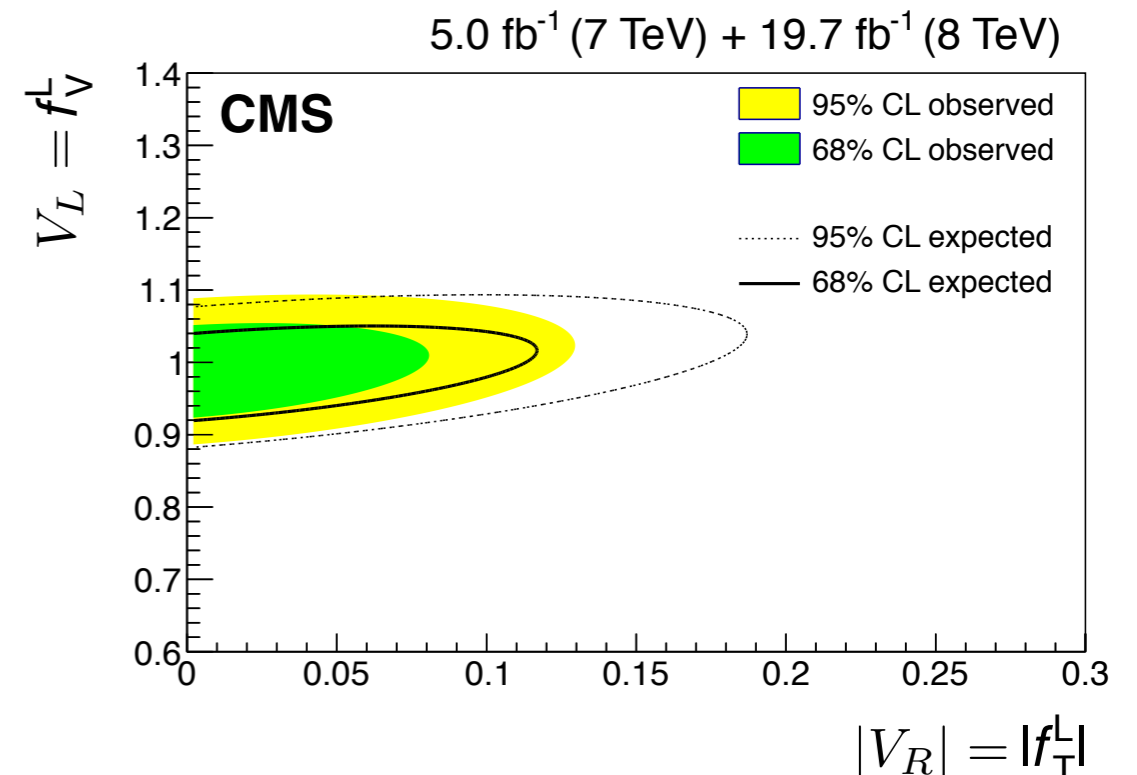
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CMS
 single-top:



[arXiv:1610.03545](https://arxiv.org/abs/1610.03545)

Wtb vertex constraints

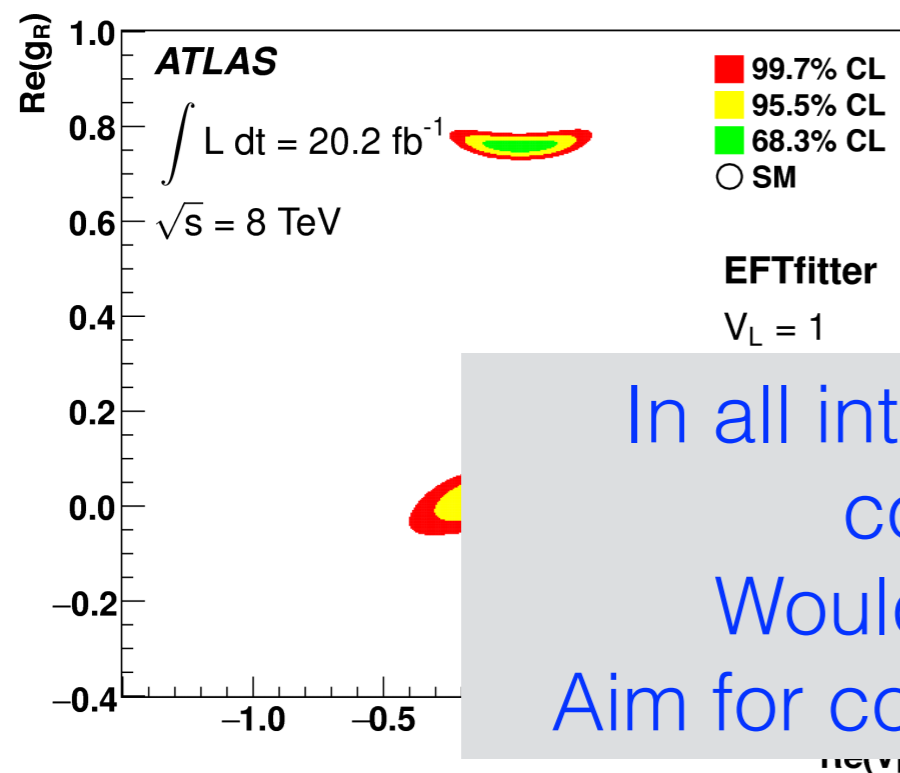
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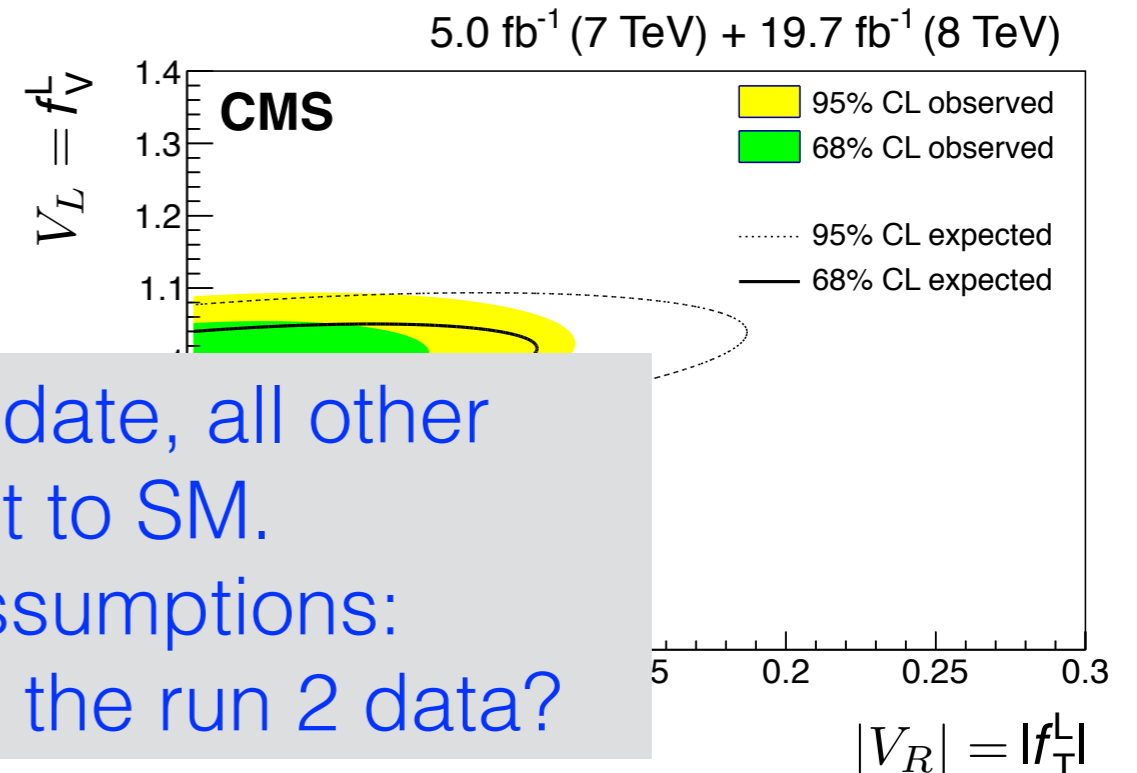
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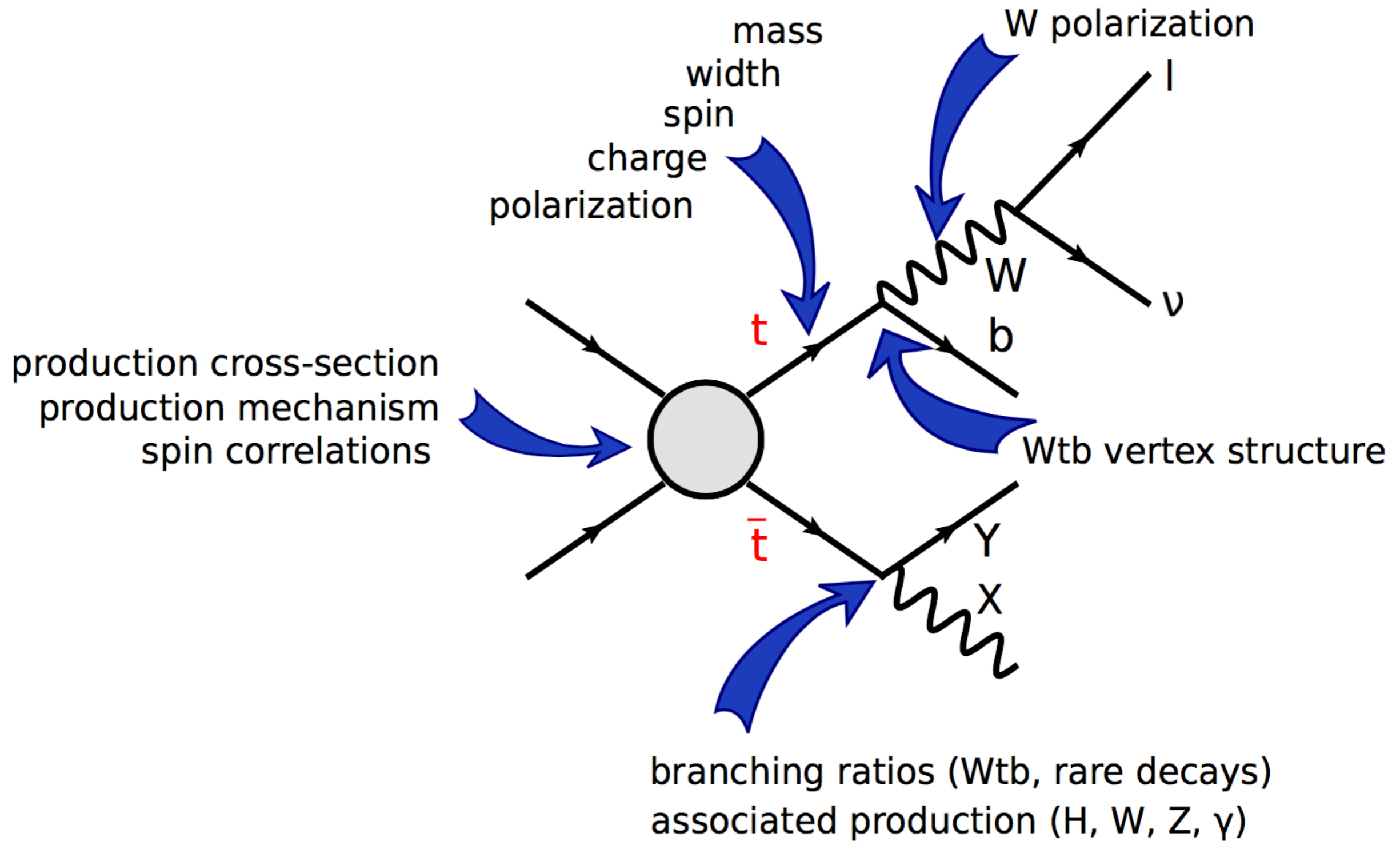
CMS
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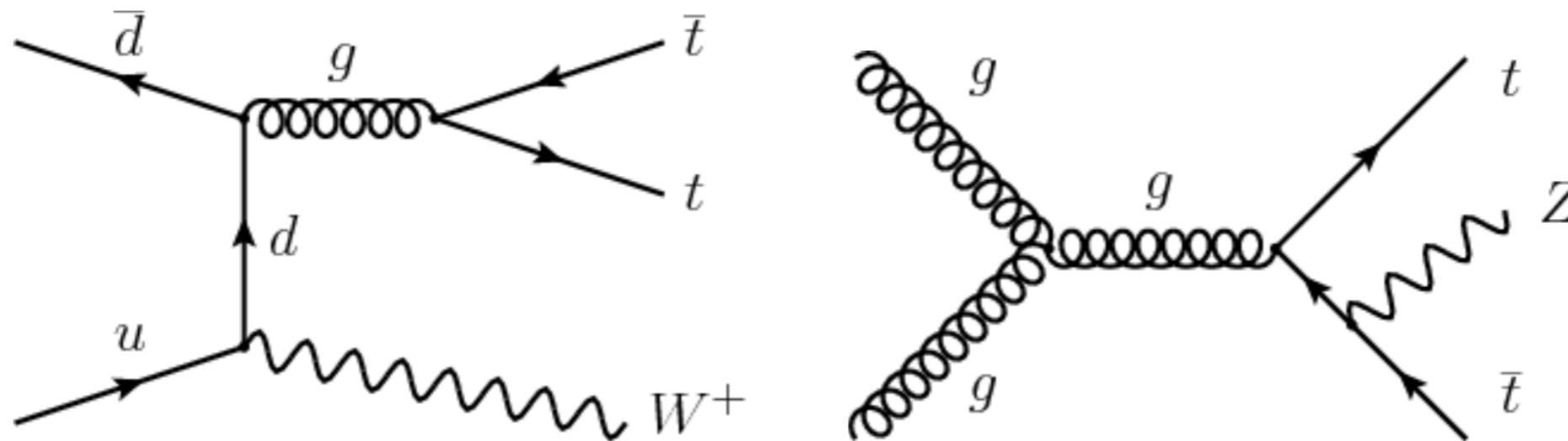
In all interpretations to date, all other couplings are set to SM.
Would prefer less assumptions:
Aim for combined fit with the run 2 data?

Outline



ttV Production

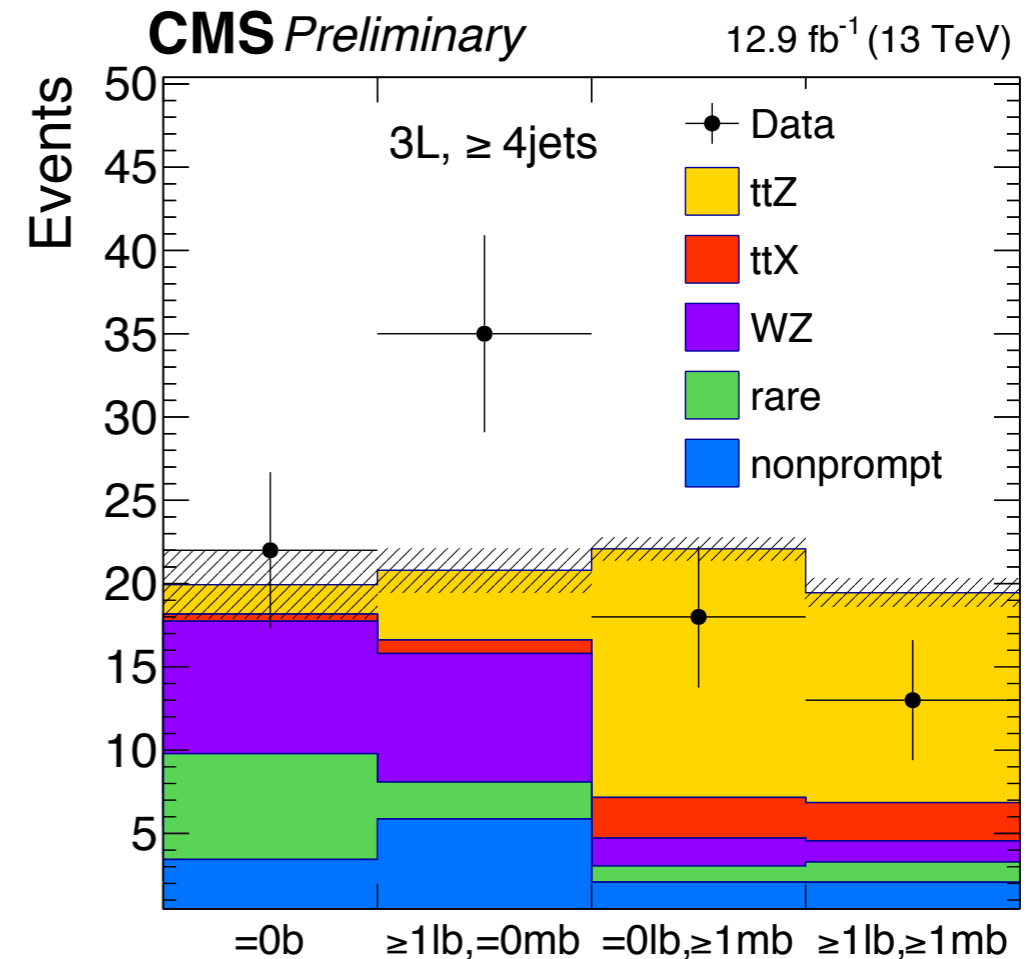
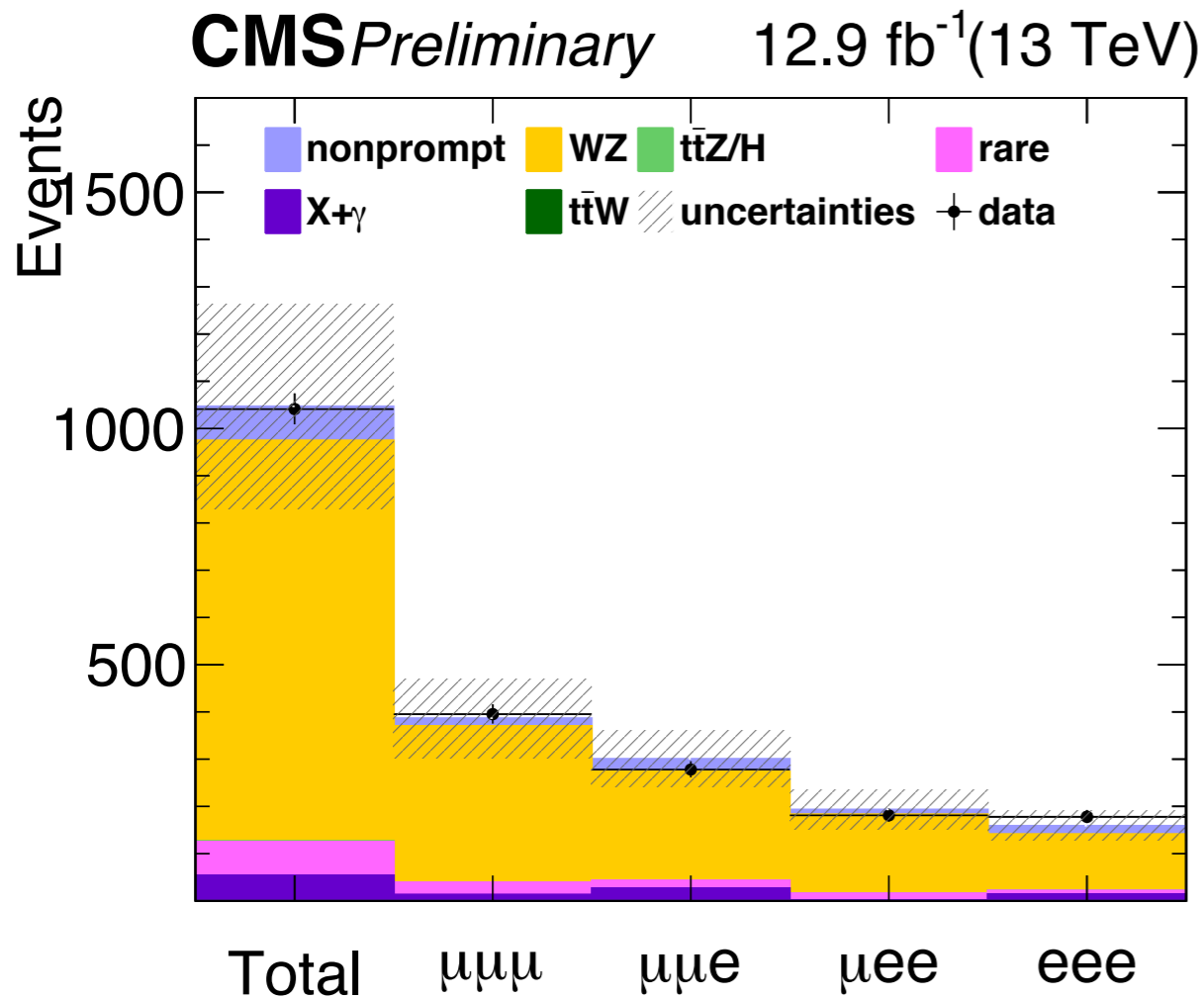
- Large datasets give access to rare tt+W and tt+Z processes.
 - ttZ: Direct probe of top-Z coupling (new physics?).
 - ttW: Important background to new physics searches.



- Use multi-lepton final states to reduce background:
 - 2 same-sign charge leptons, 3 or 4 lepton final states.

ttV Production

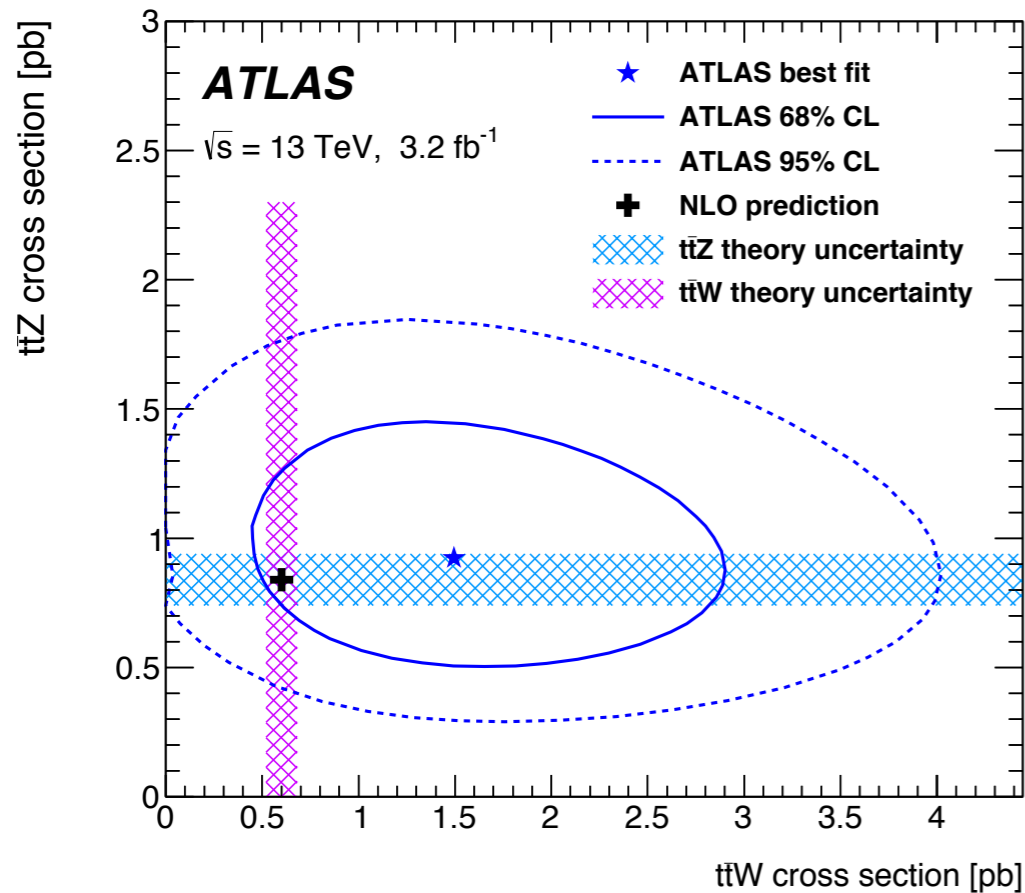
- 2 same-sign charge leptons, 3 or 4 lepton final states.
- Split selected events according to number of jets & b-jets.
- Control regions used to check WZ and ZZ backgrounds.



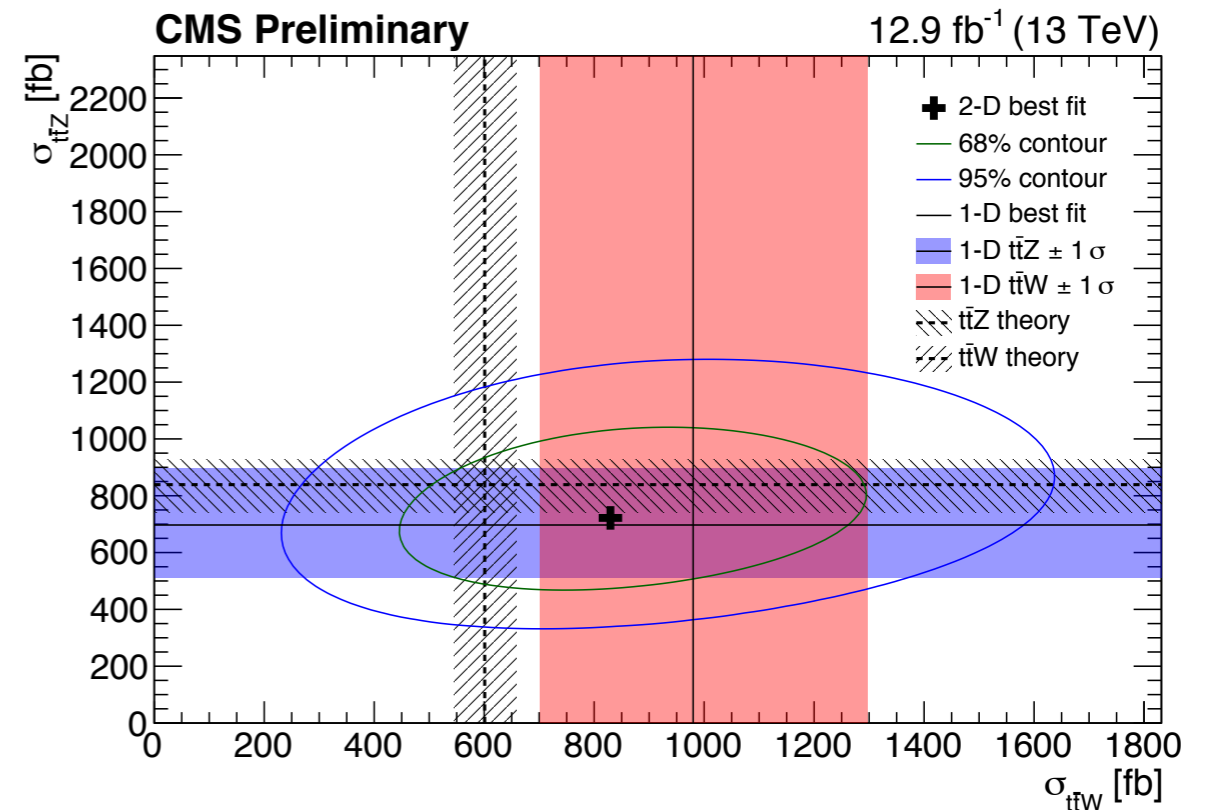
CMS-PAS-TOP-16-017

ttV Production

- Fit to the many signal-regions to simultaneously extract ttW and ttZ cross-sections:



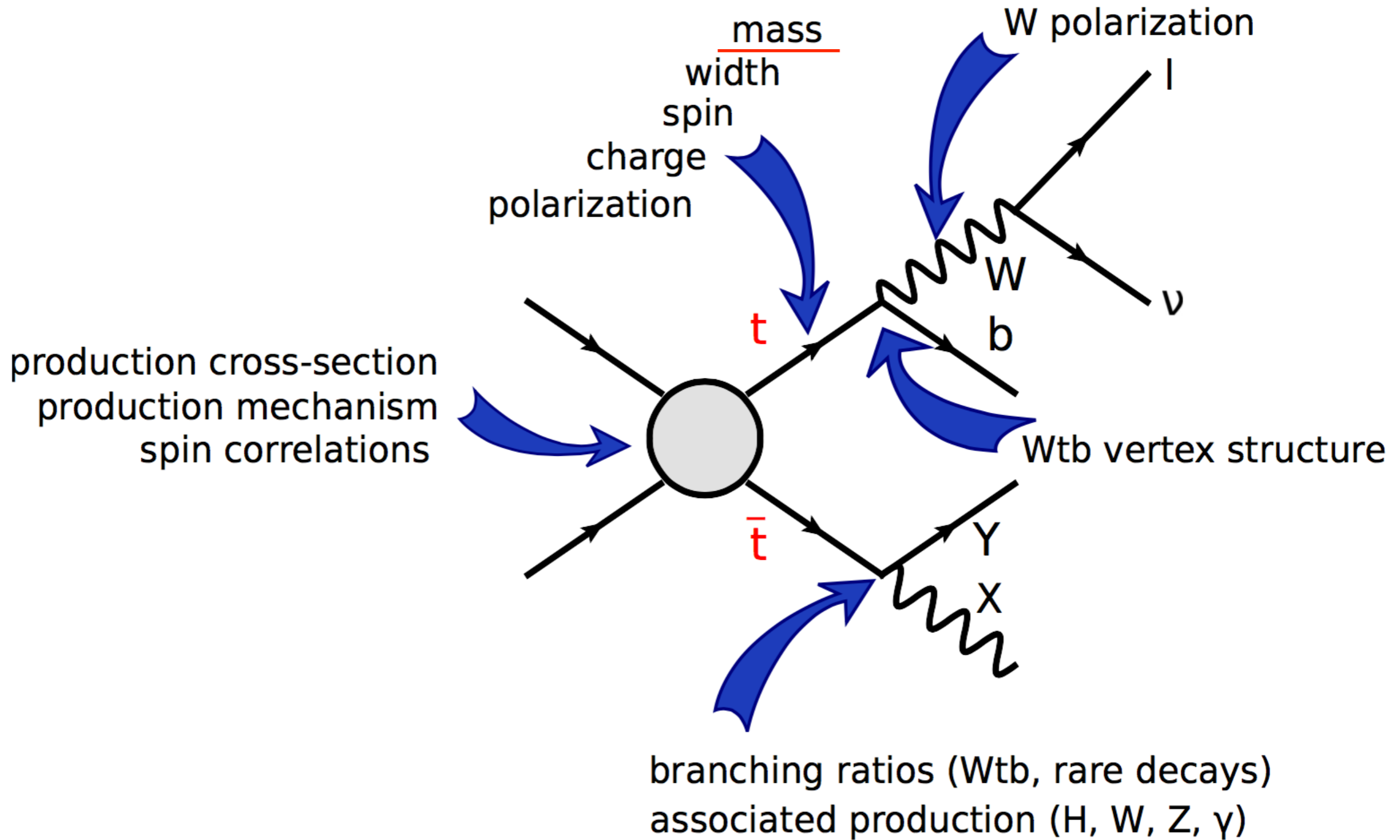
$t\bar{t}W : 2.2\sigma$ (expected : 1.0σ)
 $t\bar{t}Z : 3.9\sigma$ (expected : 3.4σ)



$t\bar{t}W : 3.9\sigma$ (expected : 2.6σ)
 $t\bar{t}Z : 4.6\sigma$ (expected : 5.8σ)

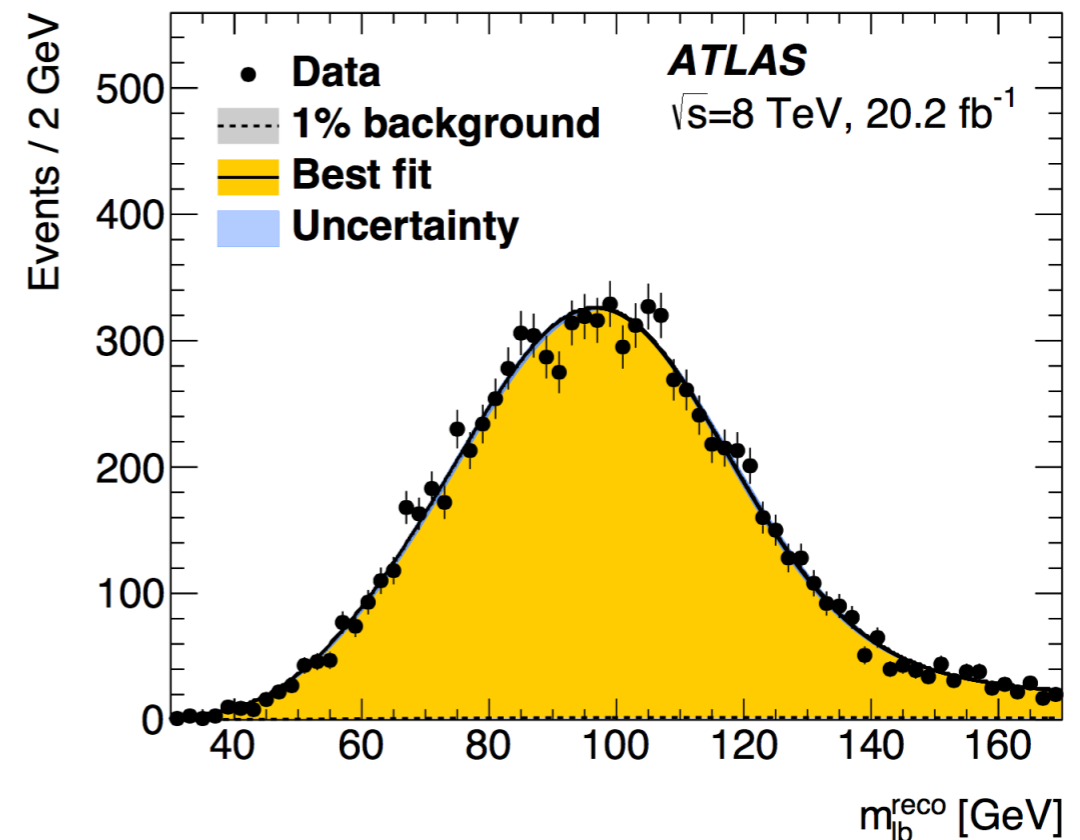
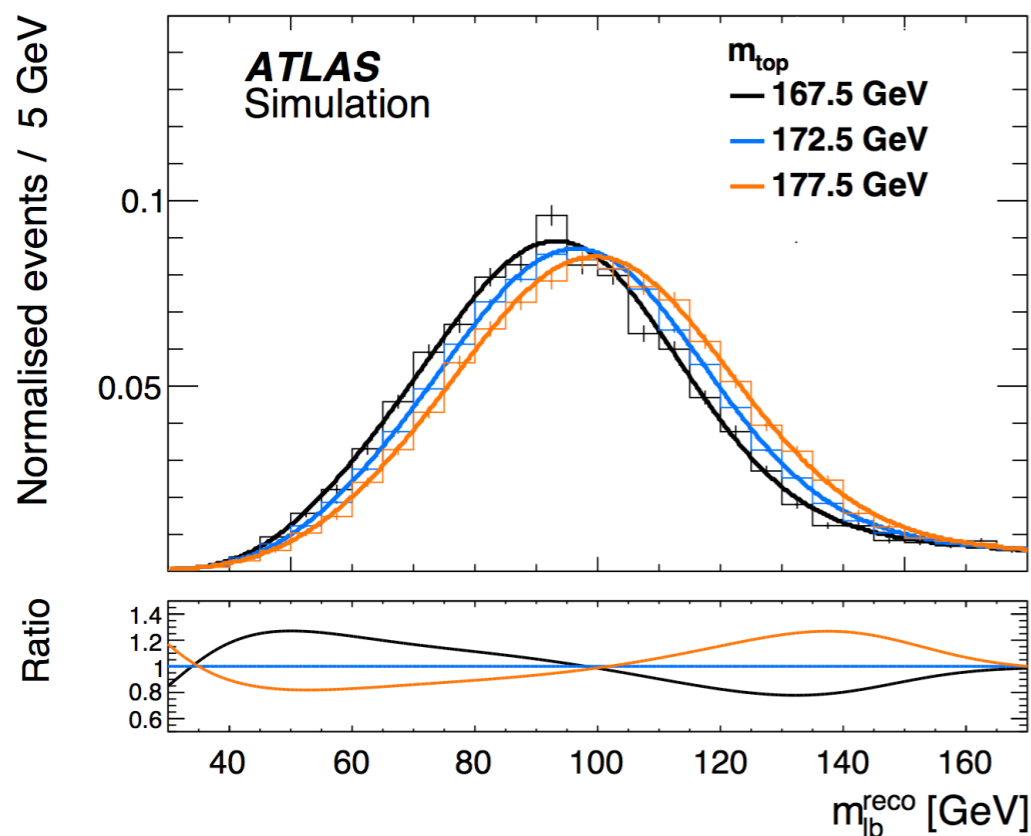
Measurements still statistics limited - looking forward to results with higher statistics.

Outline



The top quark mass

- Dilepton channel: two neutrinos in the final state, system is under-constrained.
 - Optimised selection on $p_T(lb)$ to reduce uncertainties.
 - Use $m(lb)$ as top mass sensitive variable.



Largest systematic uncertainties:

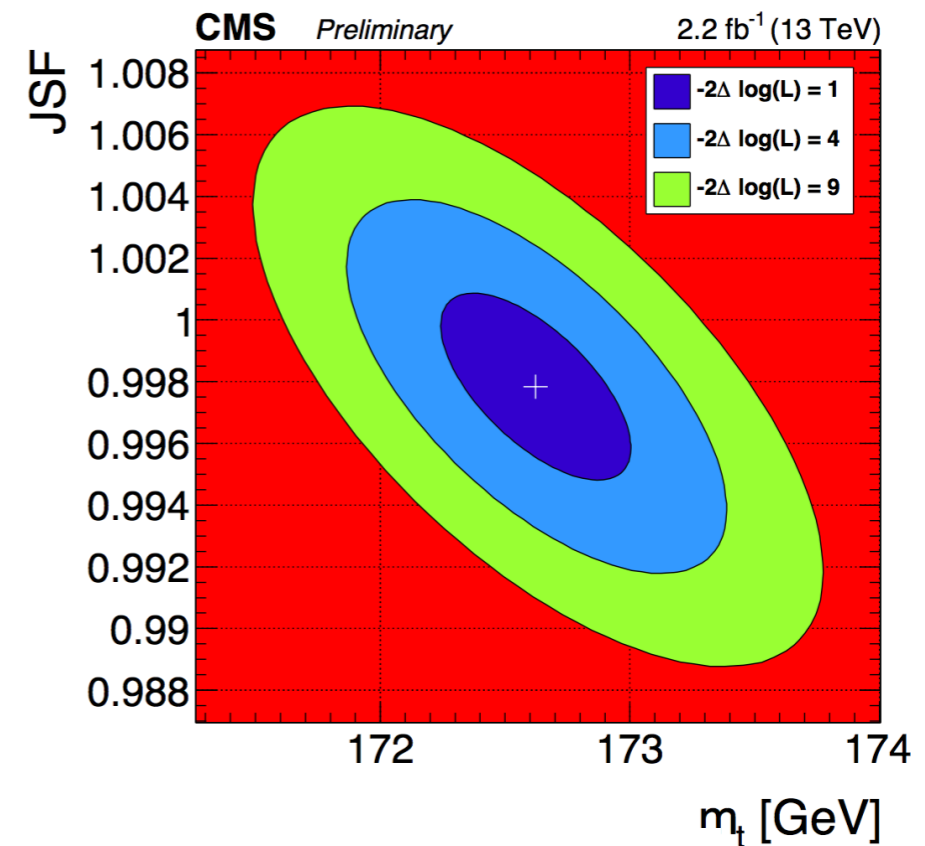
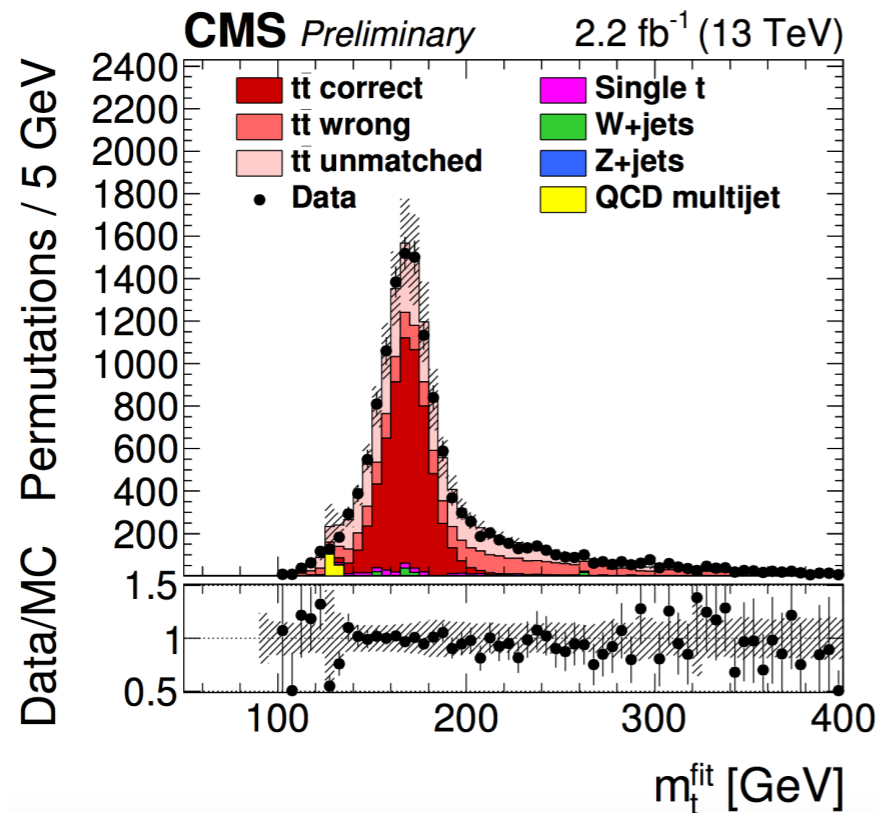
JES (0.54 GeV), MC modelling (0.35 GeV), bJES (0.3 GeV).

$$m_{top} = 172.99 \pm 0.41 \text{ (stat)} \pm 0.74 \text{ (syst)} \text{ GeV}$$

Most precise measurement in dilepton channel to date

The top quark mass

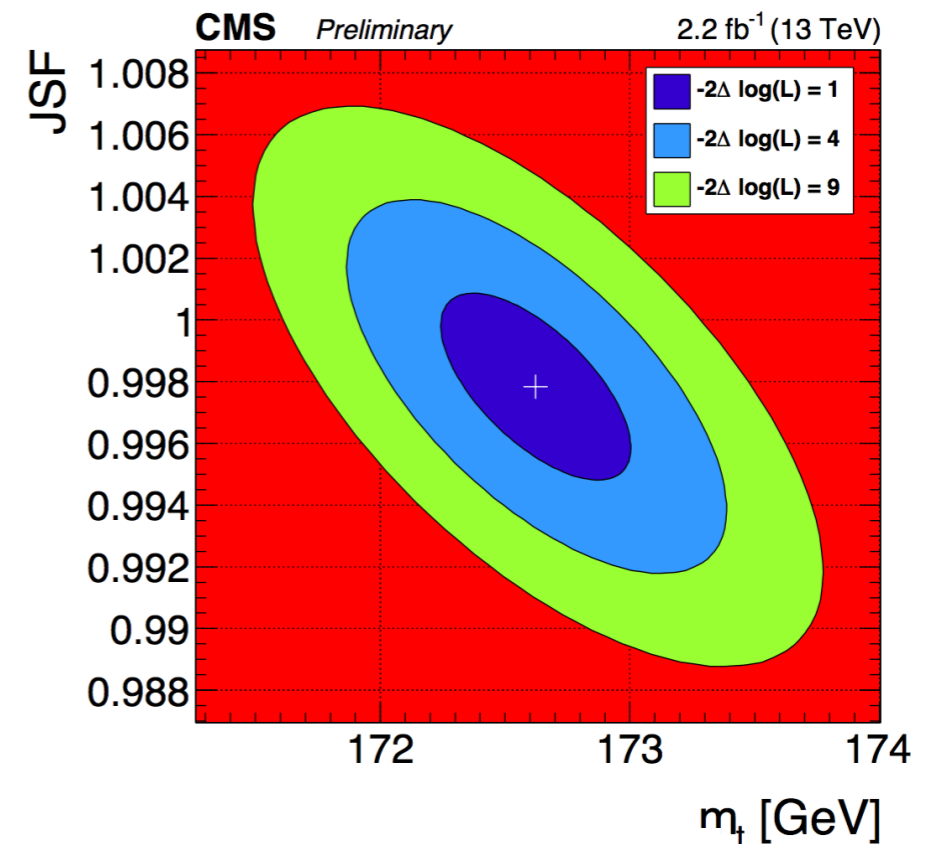
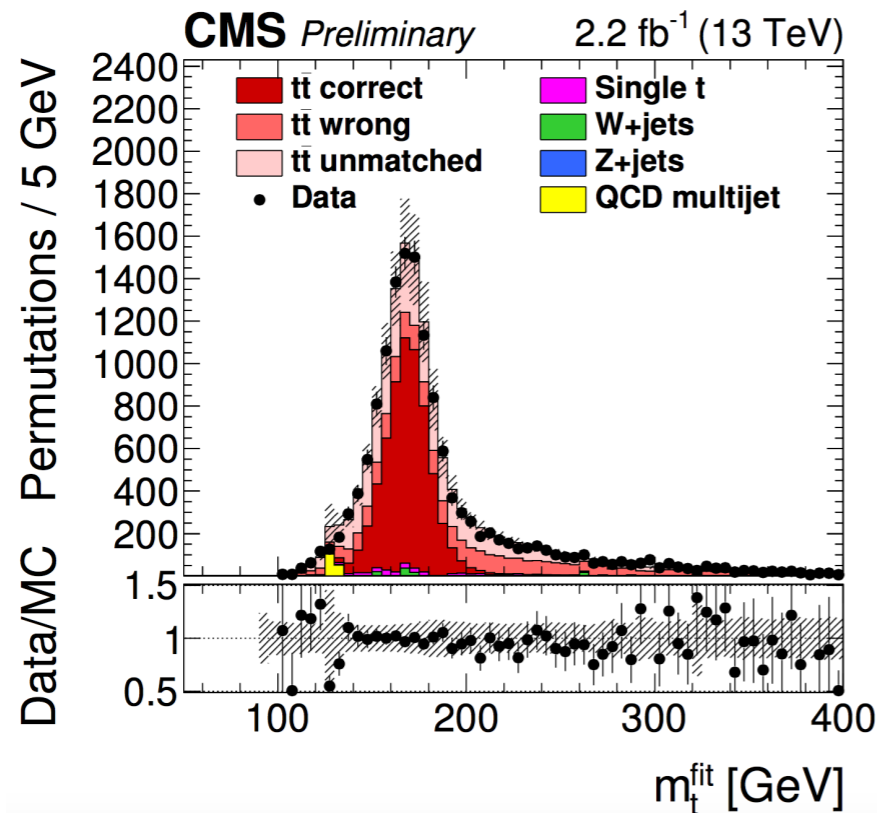
- First measurement at 13 TeV - following 8 TeV lepton+jets measurement:
 - Full reconstruction of top-pair system and 2D fit for m_t and jet energy scale-factor (JSF):



$$m_t = 172.62 \pm 0.38 \text{ (stat.+JSF)} \pm 0.70 \text{ (syst.) GeV}$$

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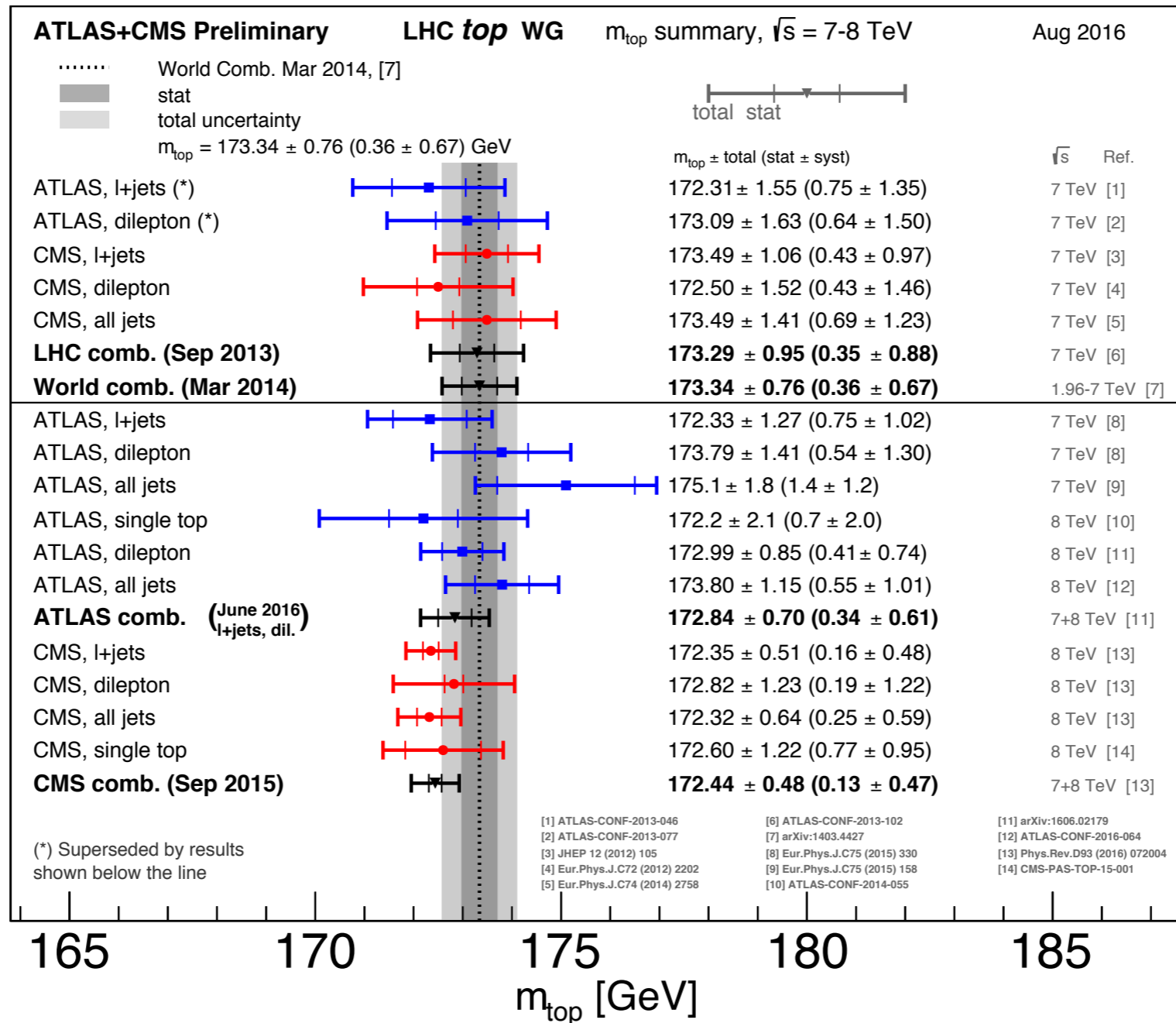


$$m_t = 172.62 \pm 0.38 \text{ (stat.+JSF)} \pm 0.70 \text{ (syst.) GeV}$$

- Largest systematic uncertainties: JES (0.51 GeV) & MC modelling (0.40 GeV).
- Not yet at run 1 precision, but excellent agreement with CMS run 1 combination:

$$m_t = 172.44 \pm 0.13 \pm 0.47 \text{ GeV}$$

The top quark mass



- Nearing completion of run 1 results: combination needed to exploit measurements.

Summary

- Top quark is still the heaviest particle we know about.
- Provides a potential window to new physics.
- Well understood run 1 LHC dataset continues to yield precise measurements.
- First run 2 measurements available: no sign for deviations beyond the SM.
- Run 2 offers unprecedented statistics & opportunities: must exploit statistics to reduce systematics.

<https://twiki.cern.ch/twiki/bin/view/AtlasPublic/TopPublicResults>

<http://cms-results.web.cern.ch/cms-results/public-results/publications/TOP/index.html>

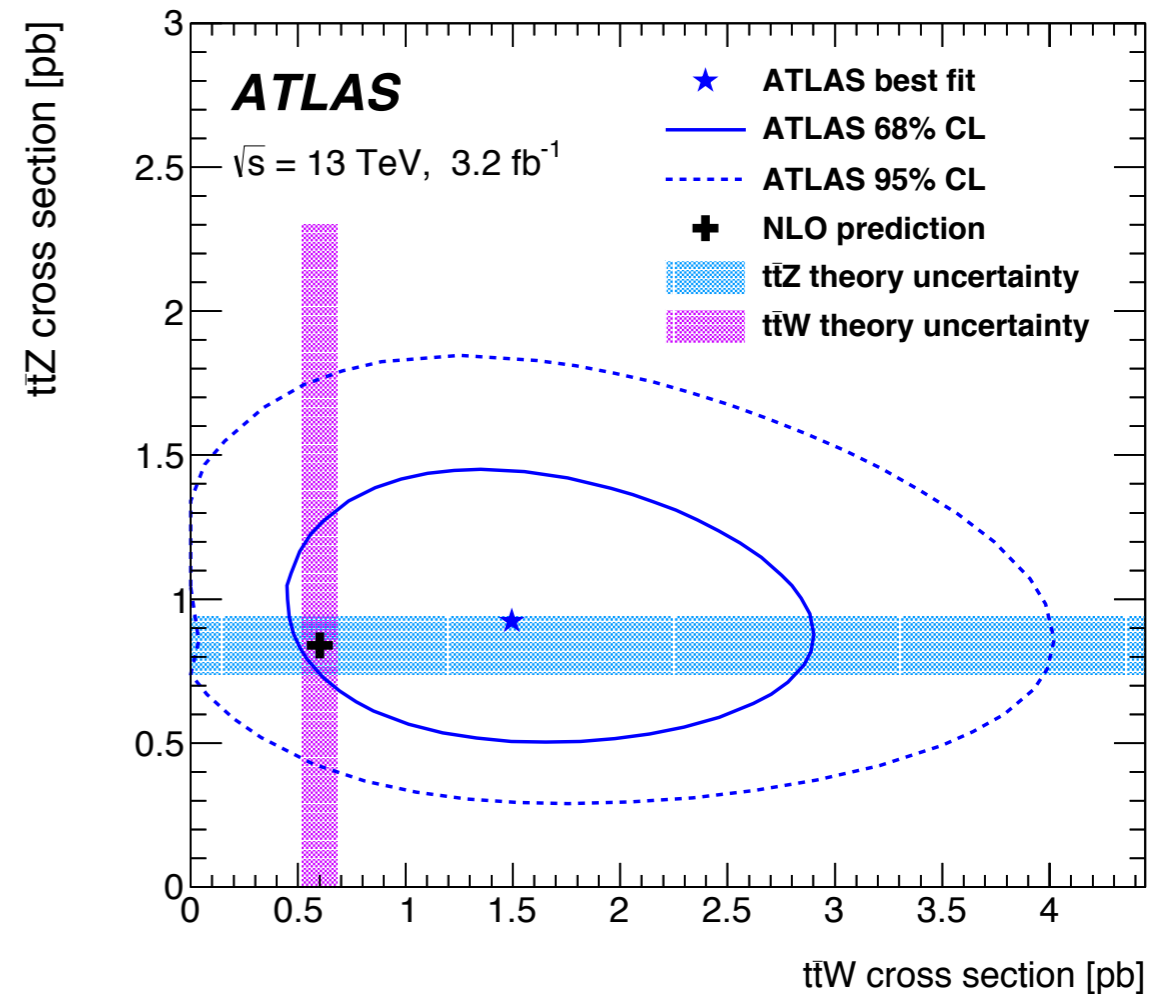
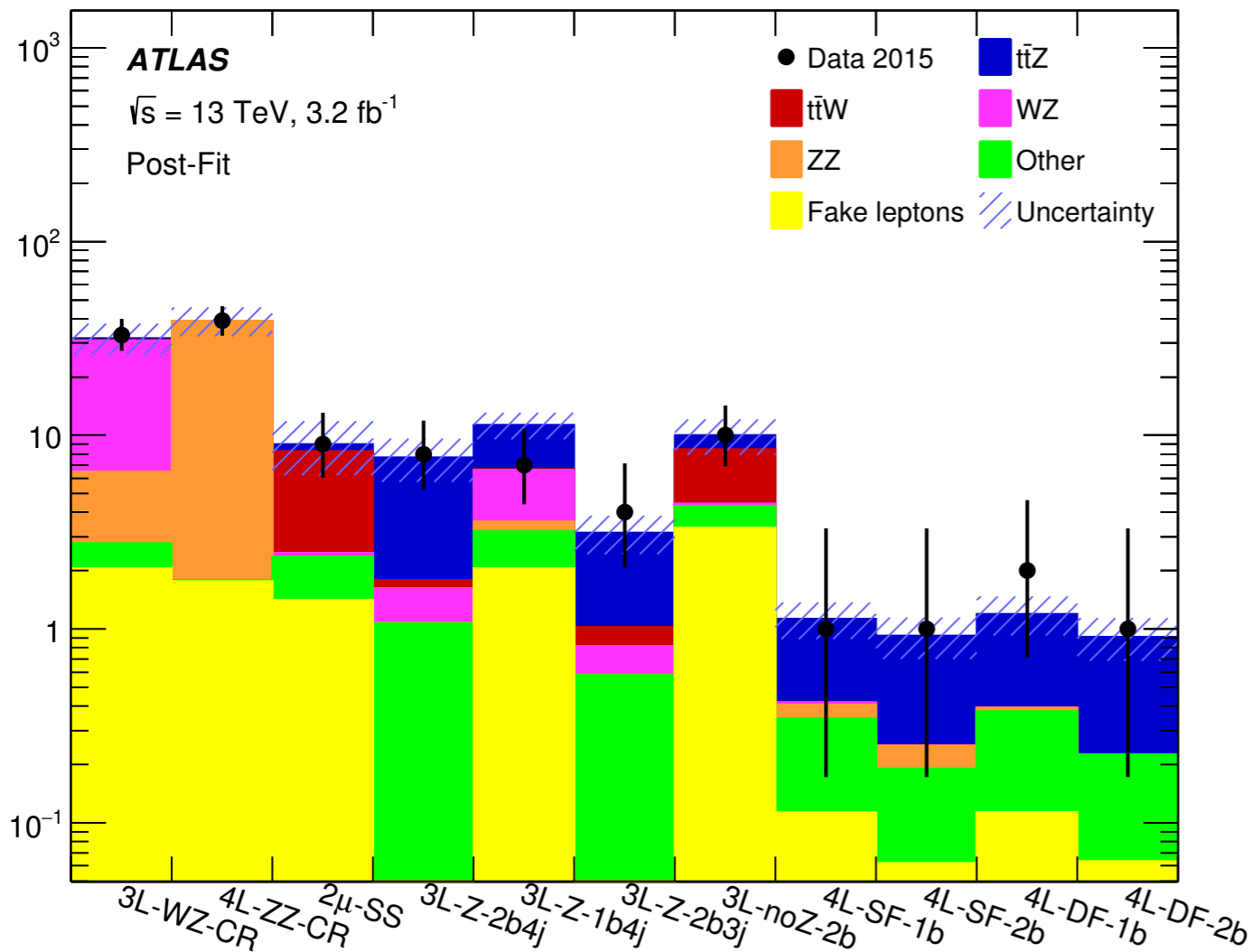
<http://cms-results.web.cern.ch/cms-results/public-results/preliminary-results/TOP/index.html>

Backup

ATLAS ttV

- 2 same-sign charge leptons, 3 or 4 lepton final states.
 - Split selected events according to lepton-pairings & number of b-jets.
 - Use control regions to constrain WZ & ZZ backgrounds.

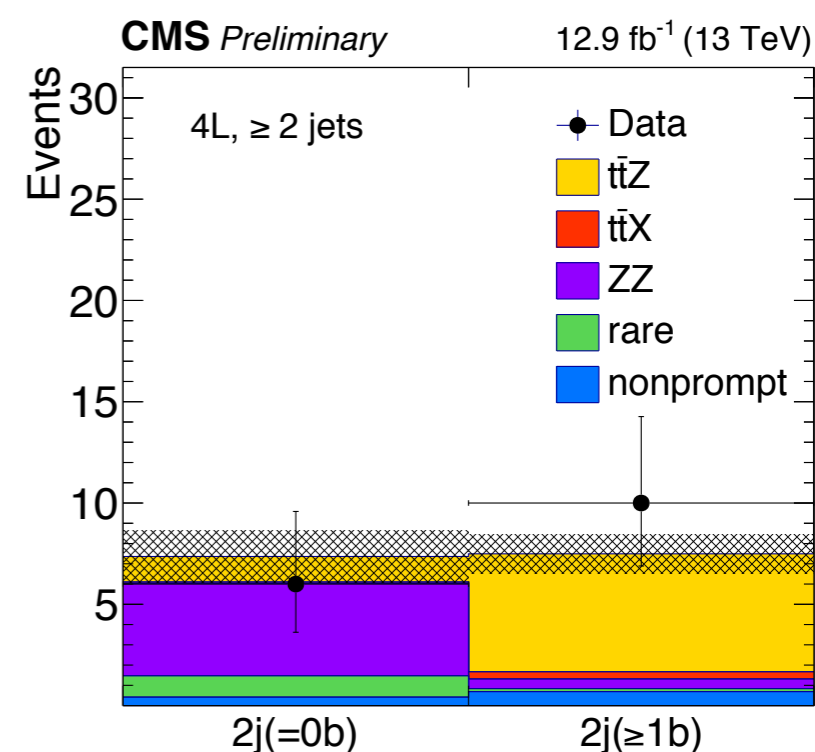
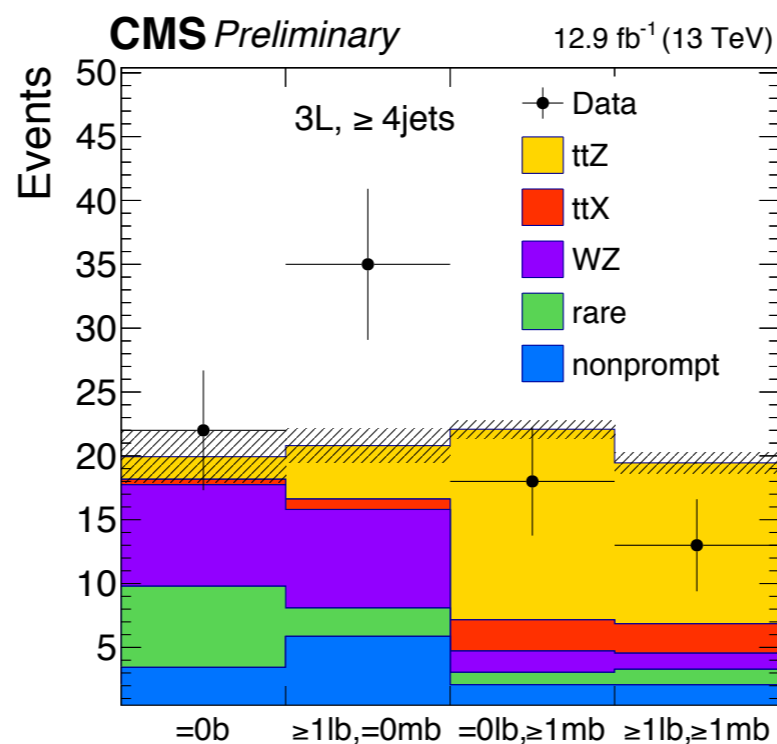
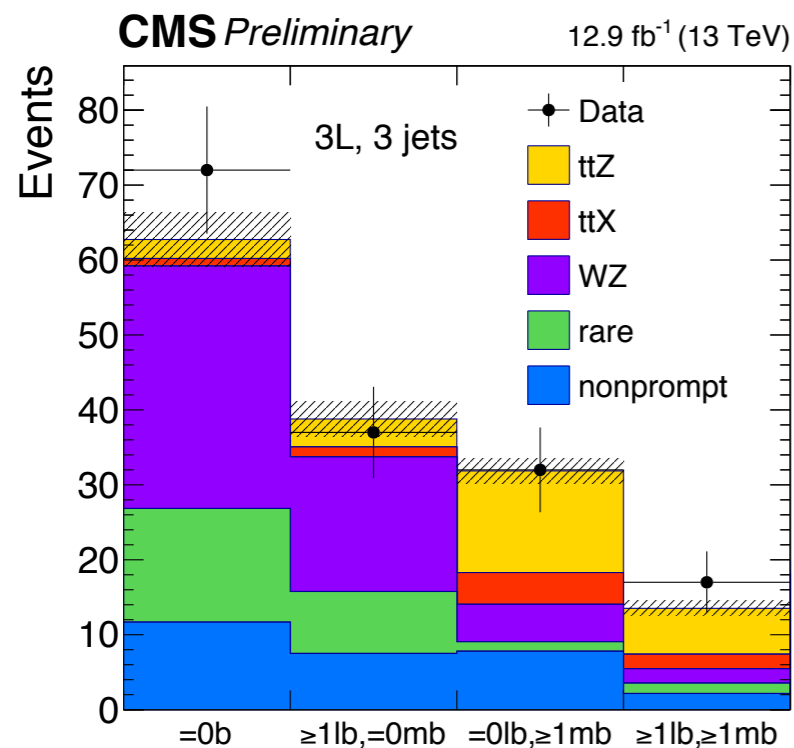
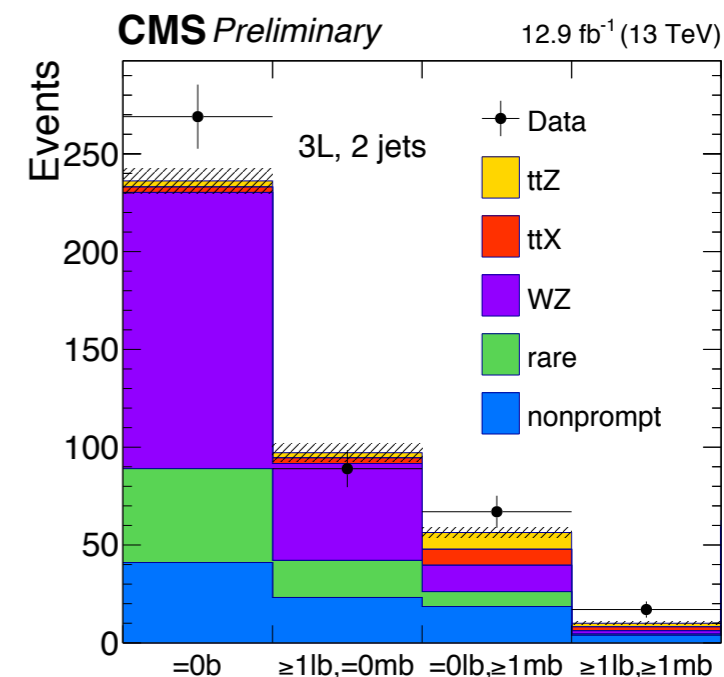
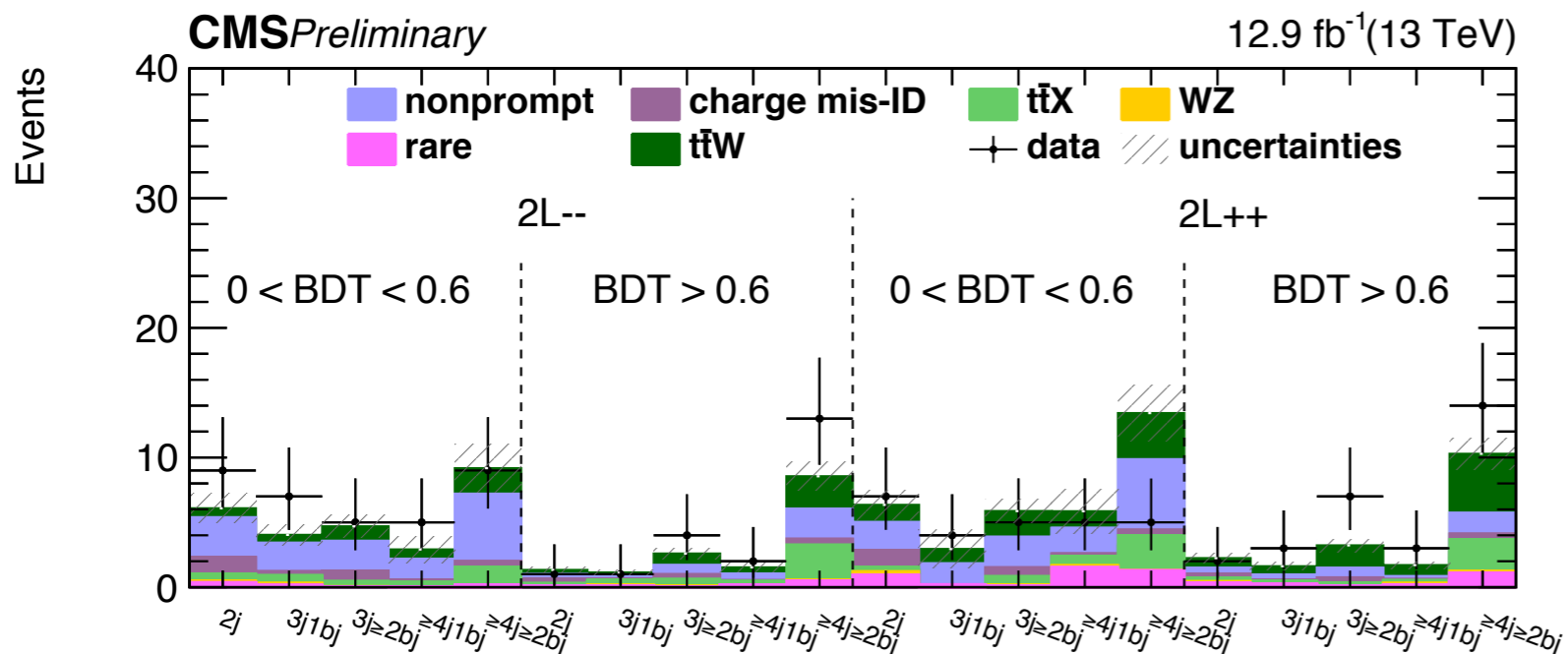
arXiv:1609.01599



- Statistics limited - big scope improvements with 2016 dataset.

CMS ttV

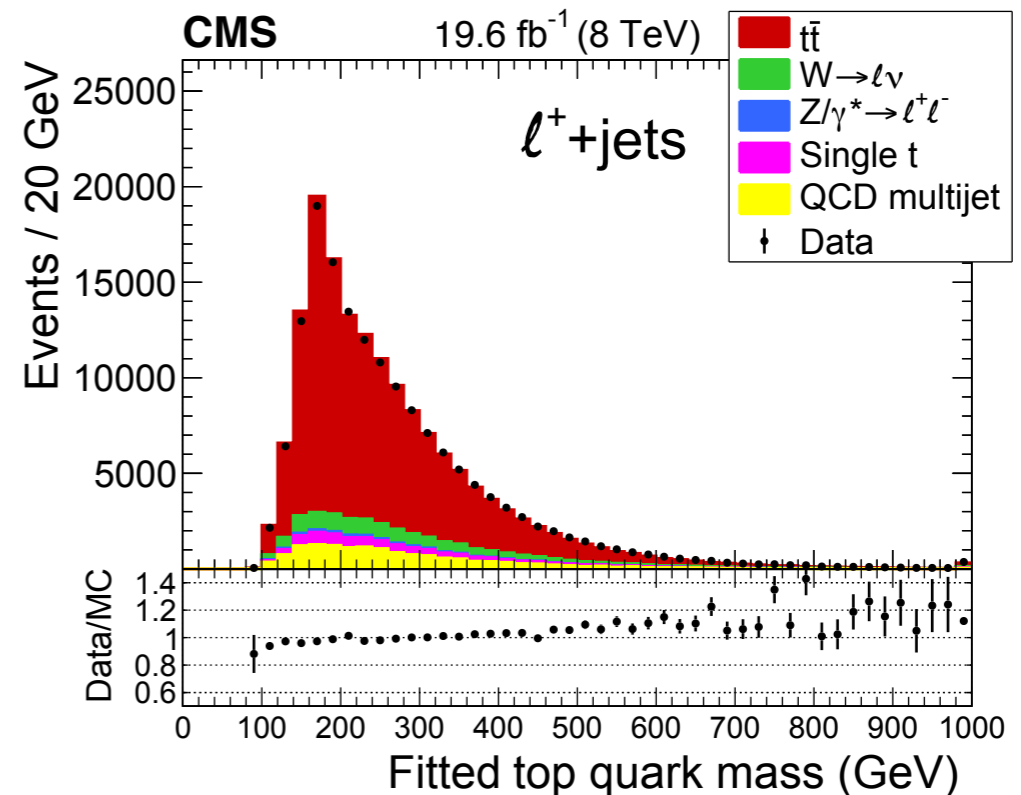
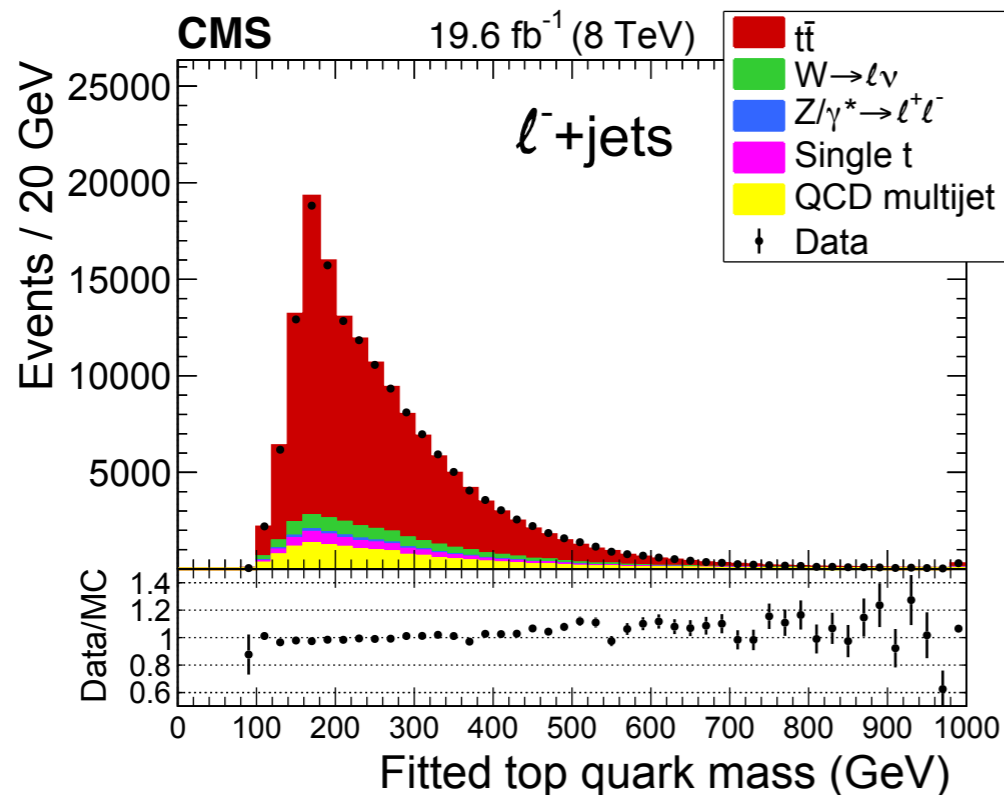
- Signal regions in CMS ttV:



CMS-PAS-TOP-16-017

Top quark mass difference

- Test CPT invariance by measuring: $\Delta m_t = m_t - m_{\bar{t}}$
- Use charge of lepton in e/ μ +jets events to tag charge of top quark:

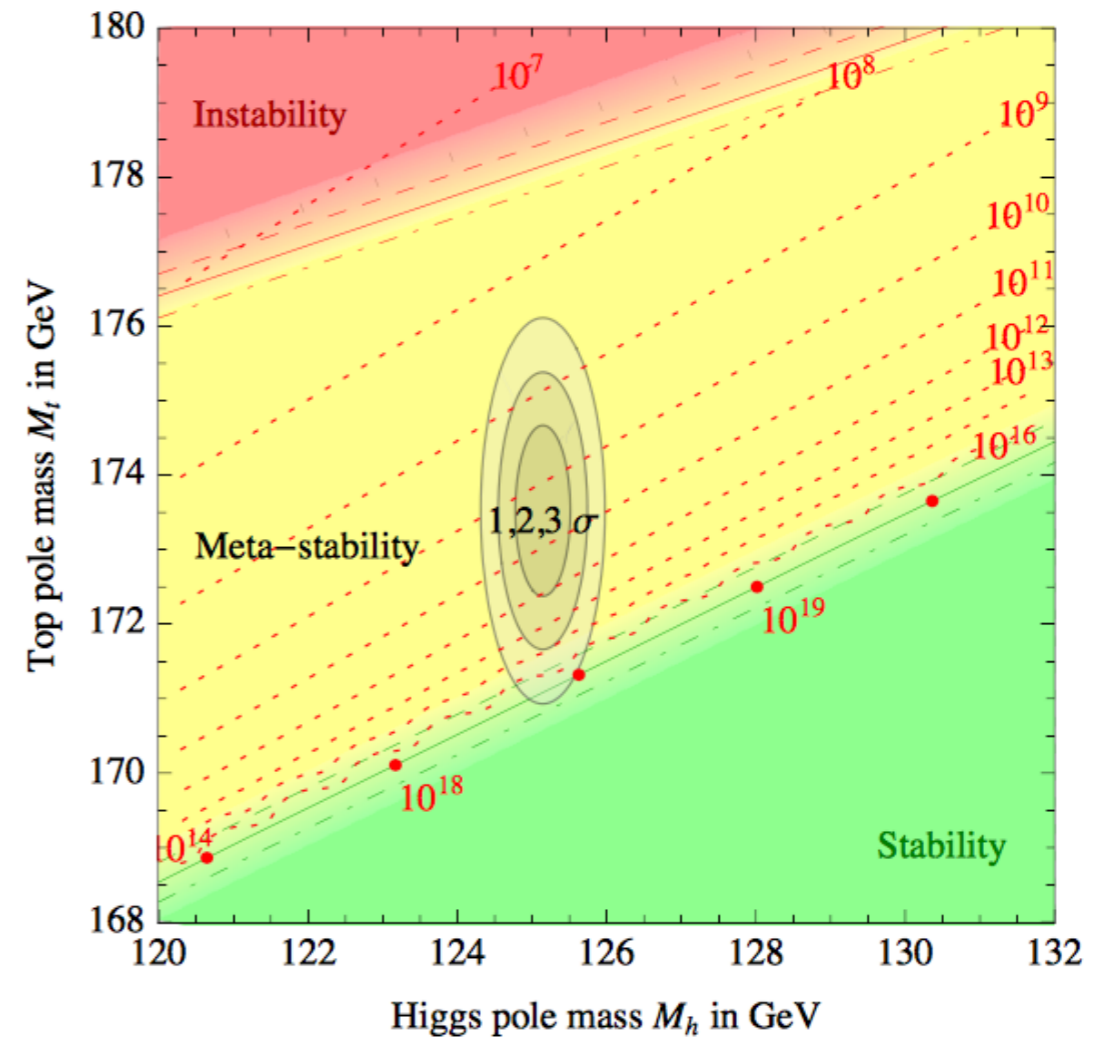
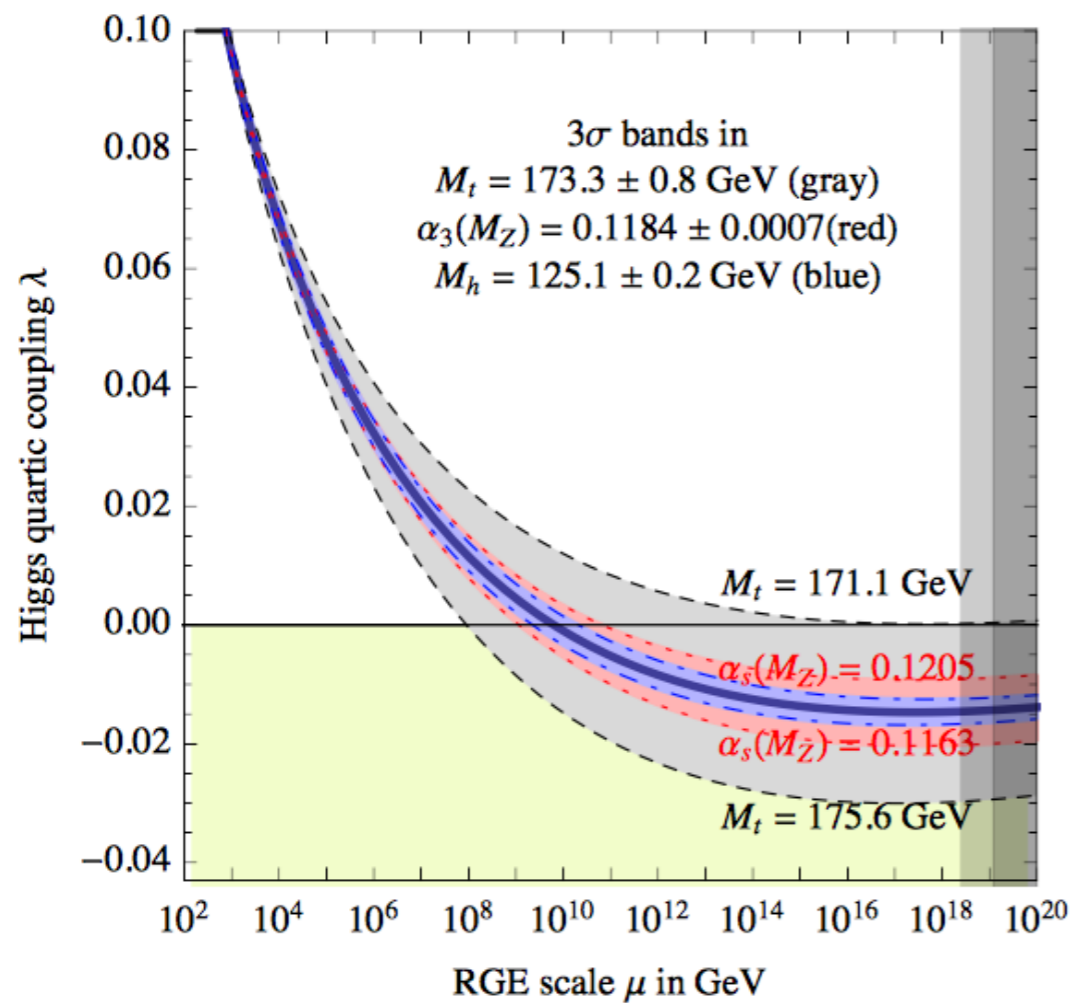


$$\Delta m_t = -0.15 \pm 0.19 \text{ (stat)} \pm 0.09 \text{ (syst)} \text{ GeV}$$

Statistics limited (largest systematic: b vs \bar{b} response)

The top quark mass

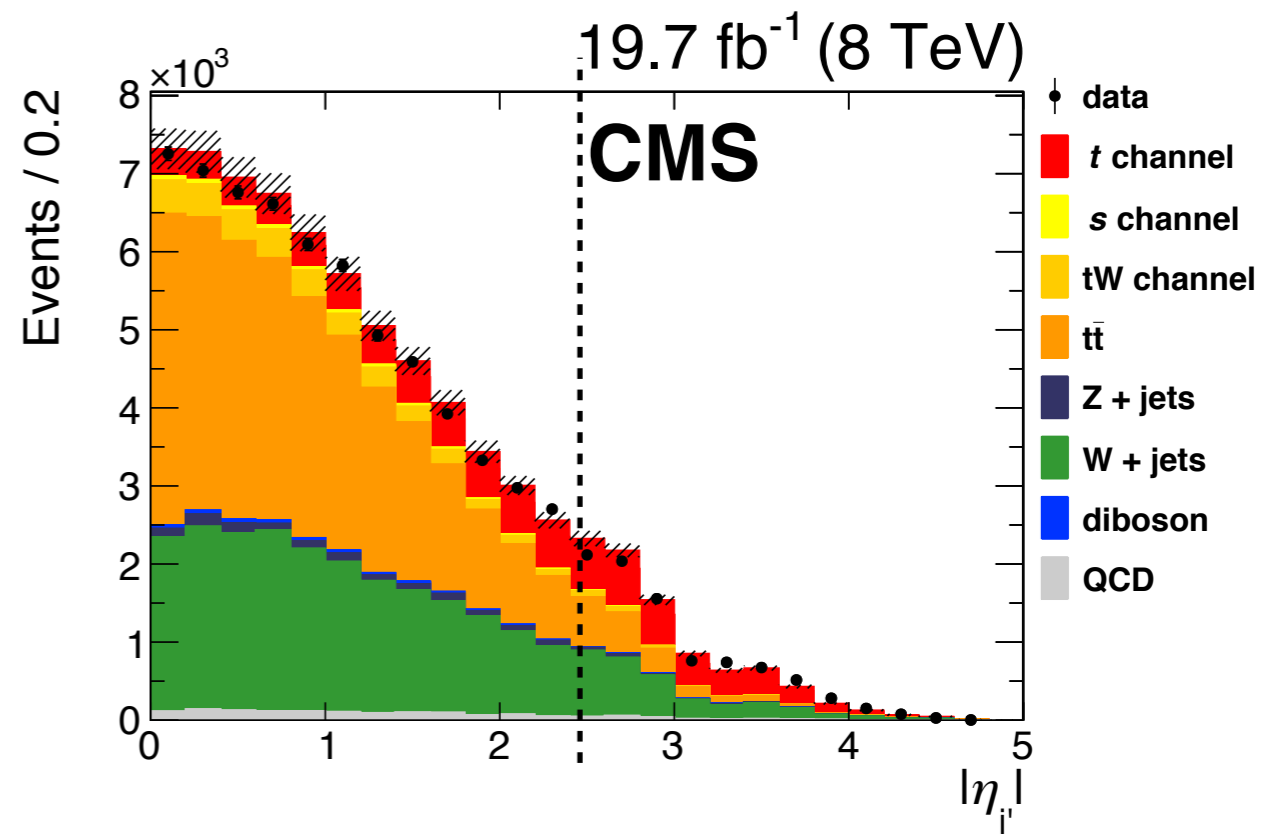
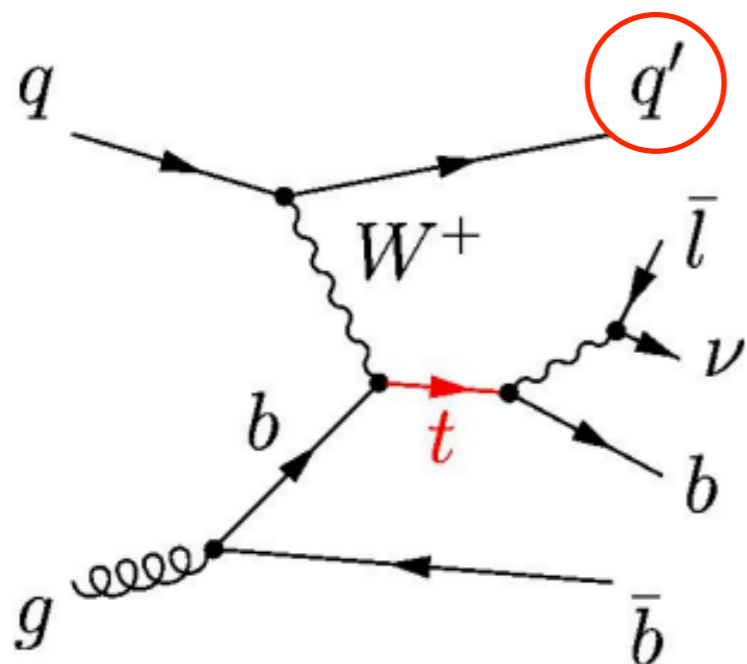
- Top quark mass critical to understanding if SM is valid to high scales:



[arXiv:1307.3536](https://arxiv.org/abs/1307.3536)

CMS single top mass

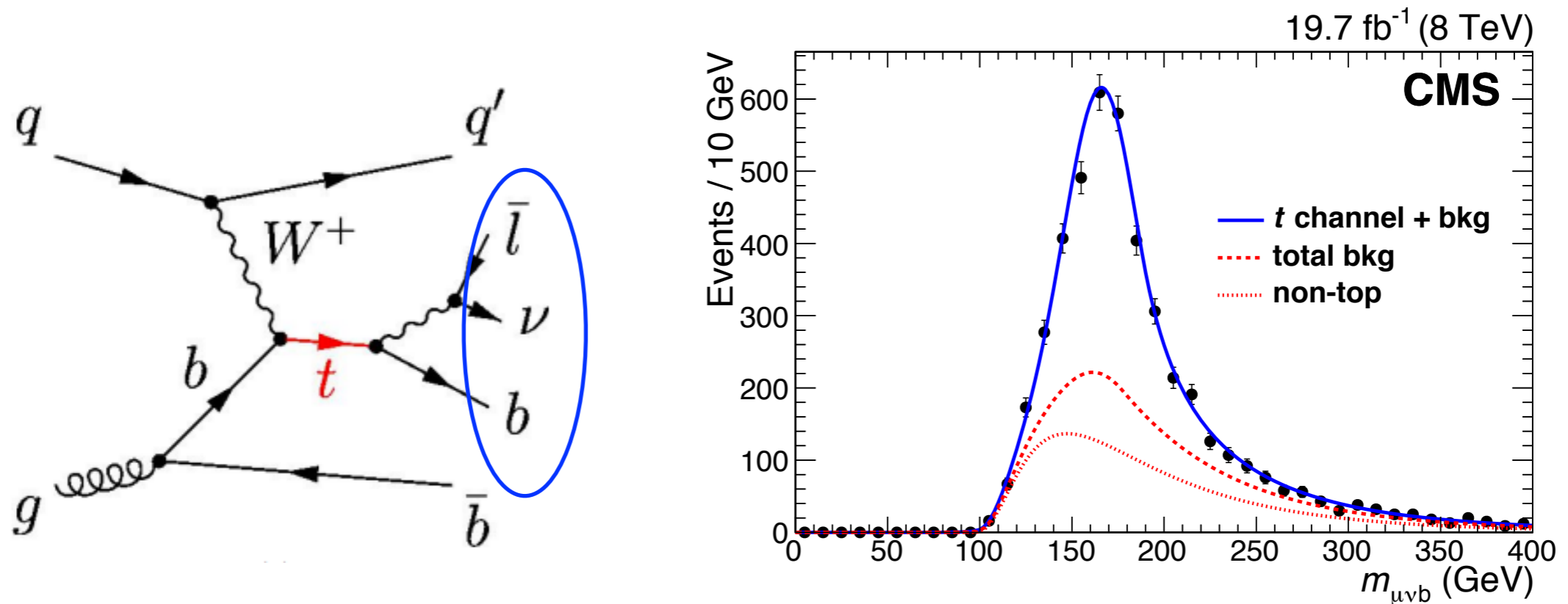
- Measurement in single-top t-channel events:
 - Require presence of forward jet to enhance t-channel signal:



- Then reconstruct top from b, lepton & neutrino.
- Largest systematic uncertainties: JES, MC modelling, fit calibration.

CMS single top mass

- Measurement in single-top t-channel events:
 - Require presence of forward jet to enhance t-channel signal:



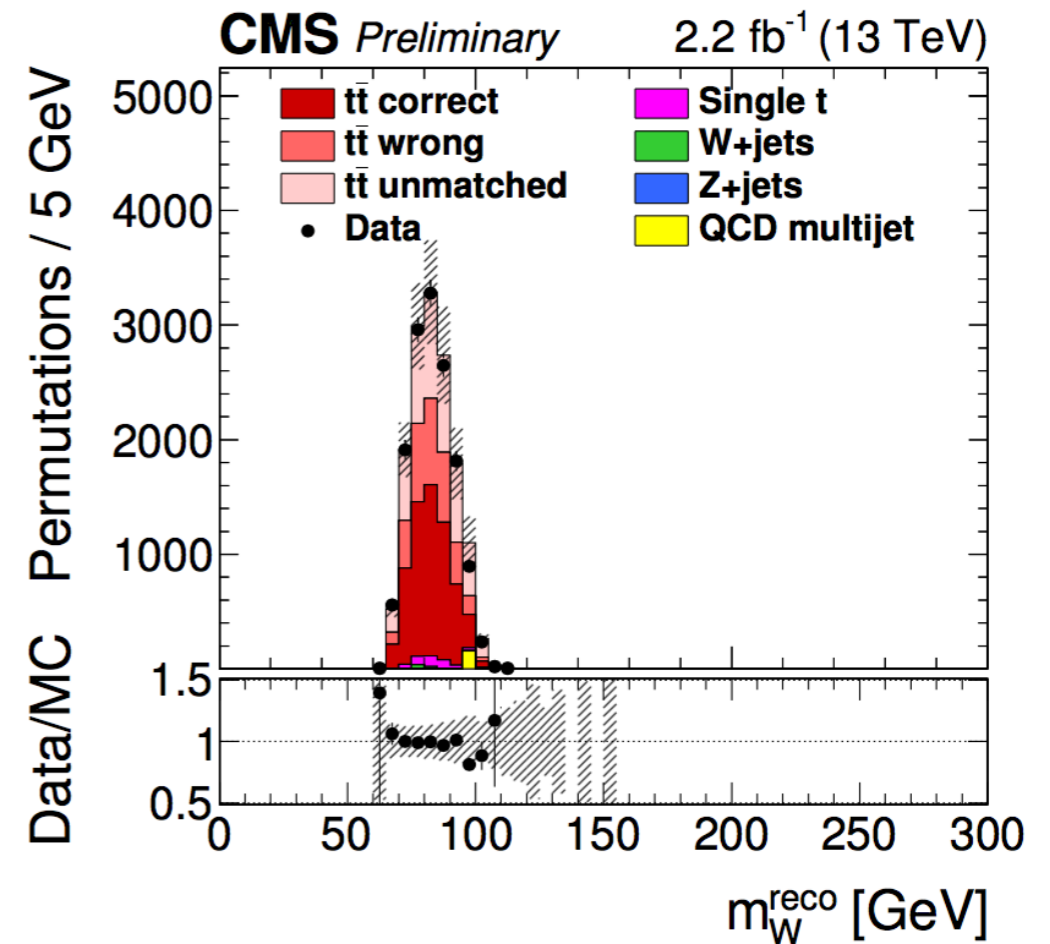
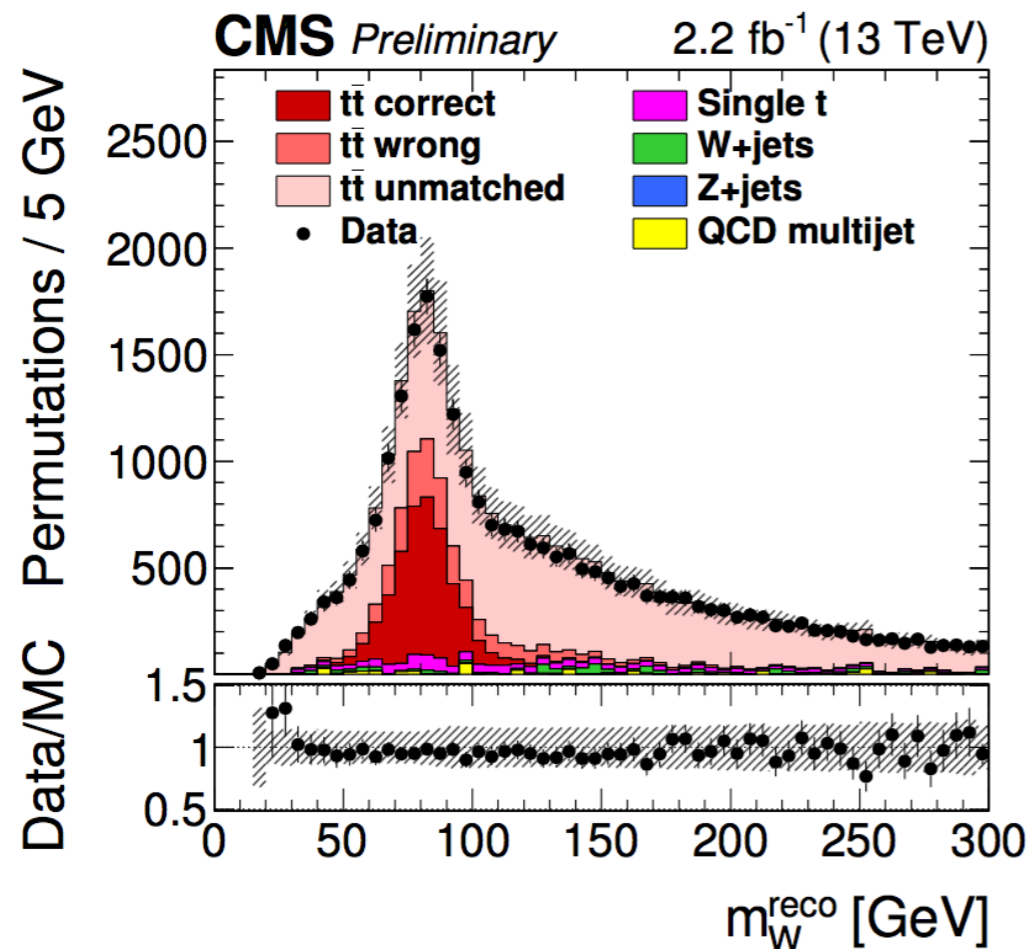
- Then reconstruct top from b, lepton & neutrino.
- Largest systematic uncertainties: JES, MC modelling, fit calibration.

$$m_t = 172.95 \pm 0.77 \text{ (stat)}_{-0.93}^{+0.97} \text{ (syst)} \text{ GeV}$$

[arXiv:1703.02530](https://arxiv.org/abs/1703.02530)

CMS top mass 13 TeV

- 13 TeV lepton+jets measurement: requirement on goodness of kinematic fit used to select well reconstructed events:

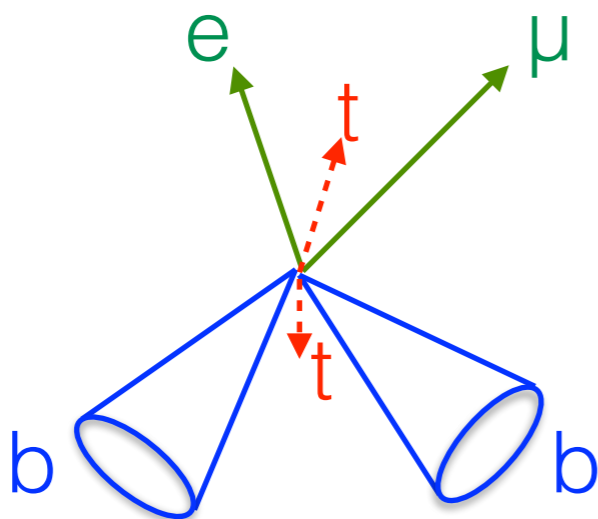


- Reconstructed W boson mass (from 2 light jets) then used to fit the jet energy scale factor.

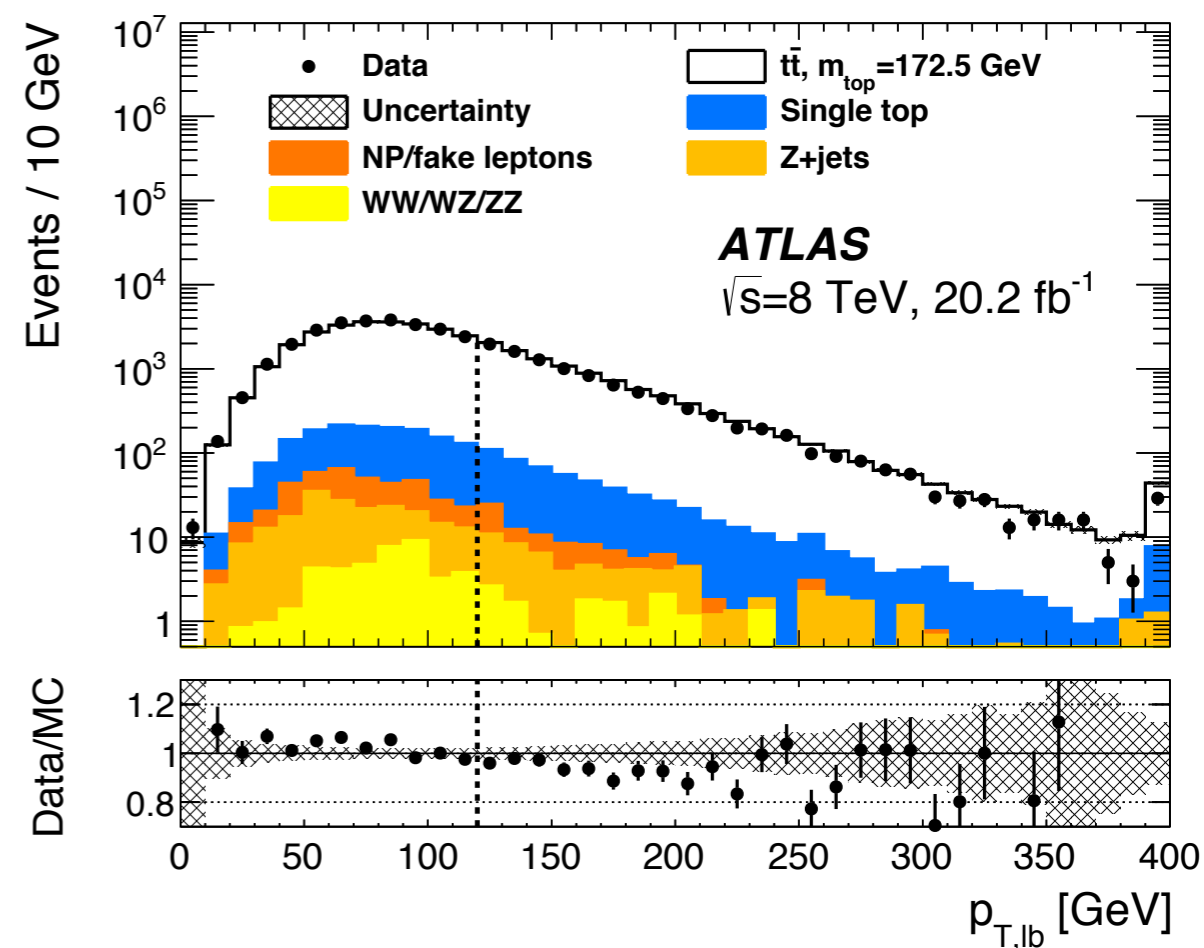
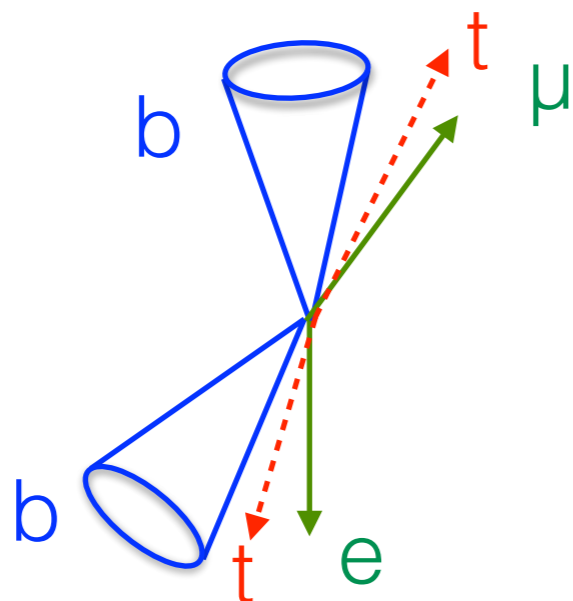
ATLAS dilepton top mass

- New measurement in the dilepton channel at 8 TeV.
- Apply cut on $p_T(lb)$ - increases fraction of events where correct pairing of lepton & b are selected & reduces total uncertainty.

Low p_T



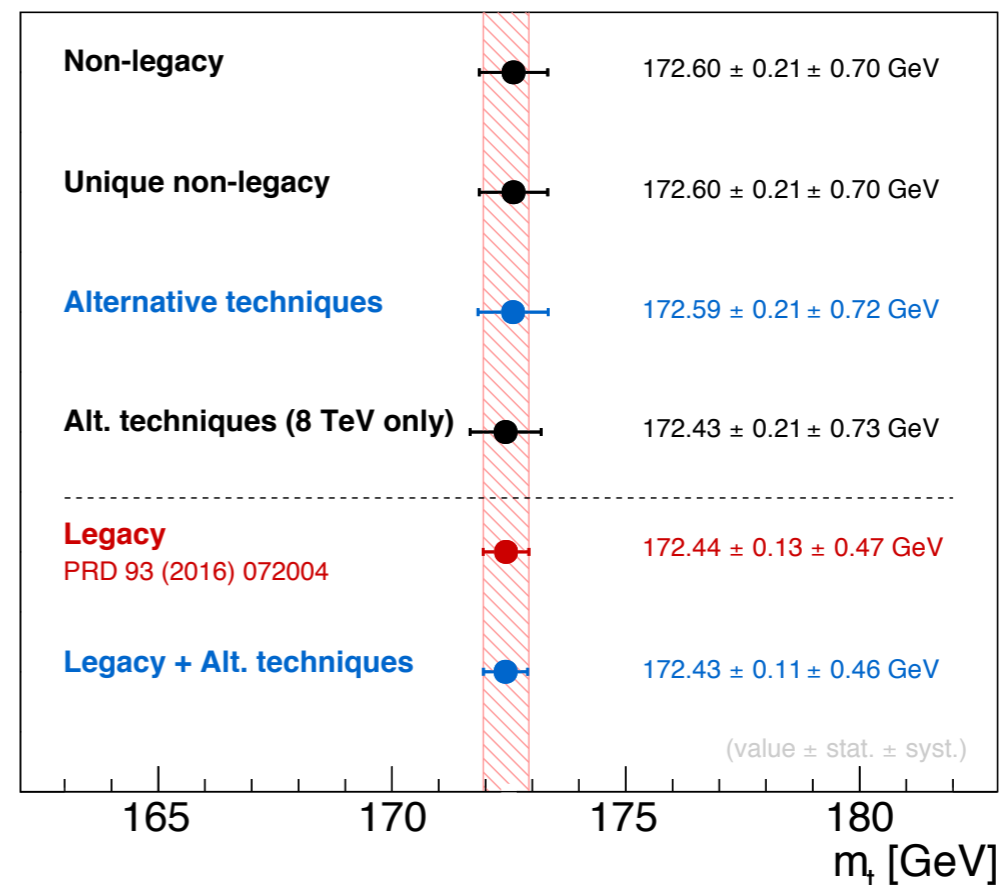
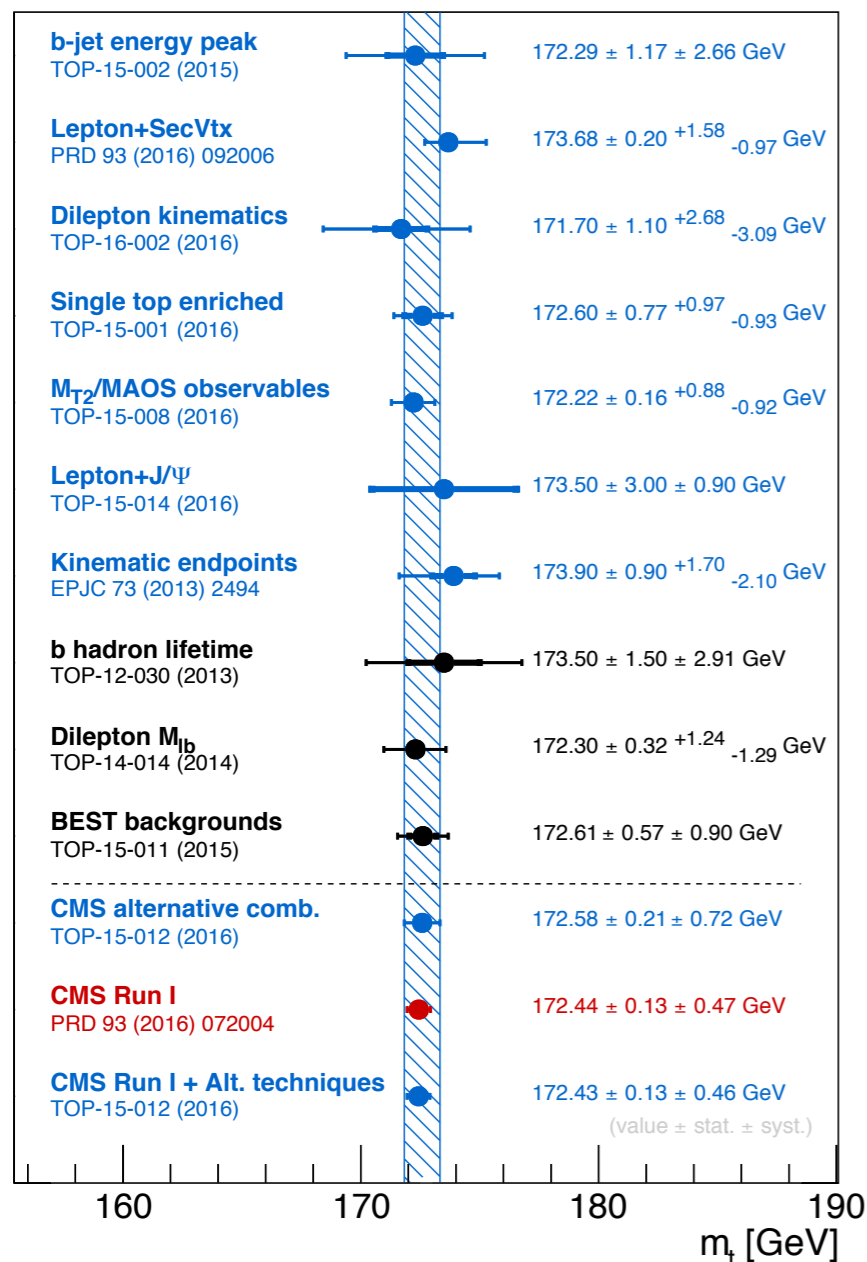
High p_T



arXiv:1606.02179

CMS mass combination

- Using all 'alternative' measurements not included in the standard combination:

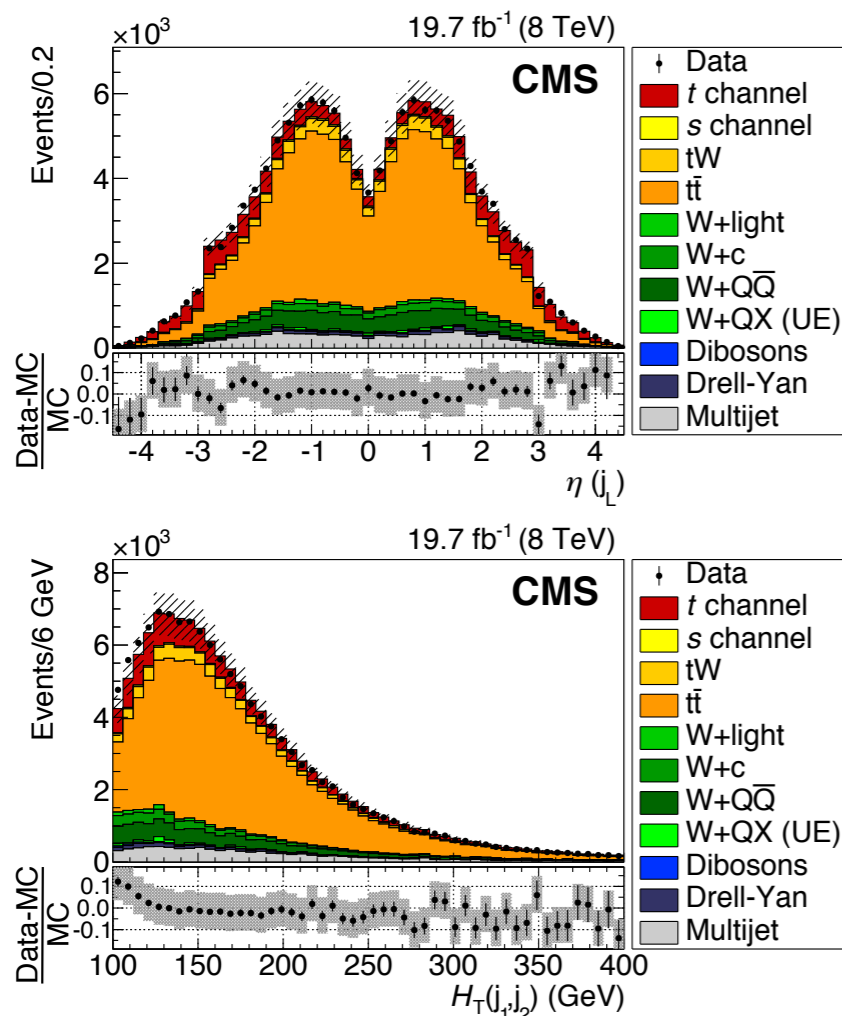


Good agreement with standard measurements.

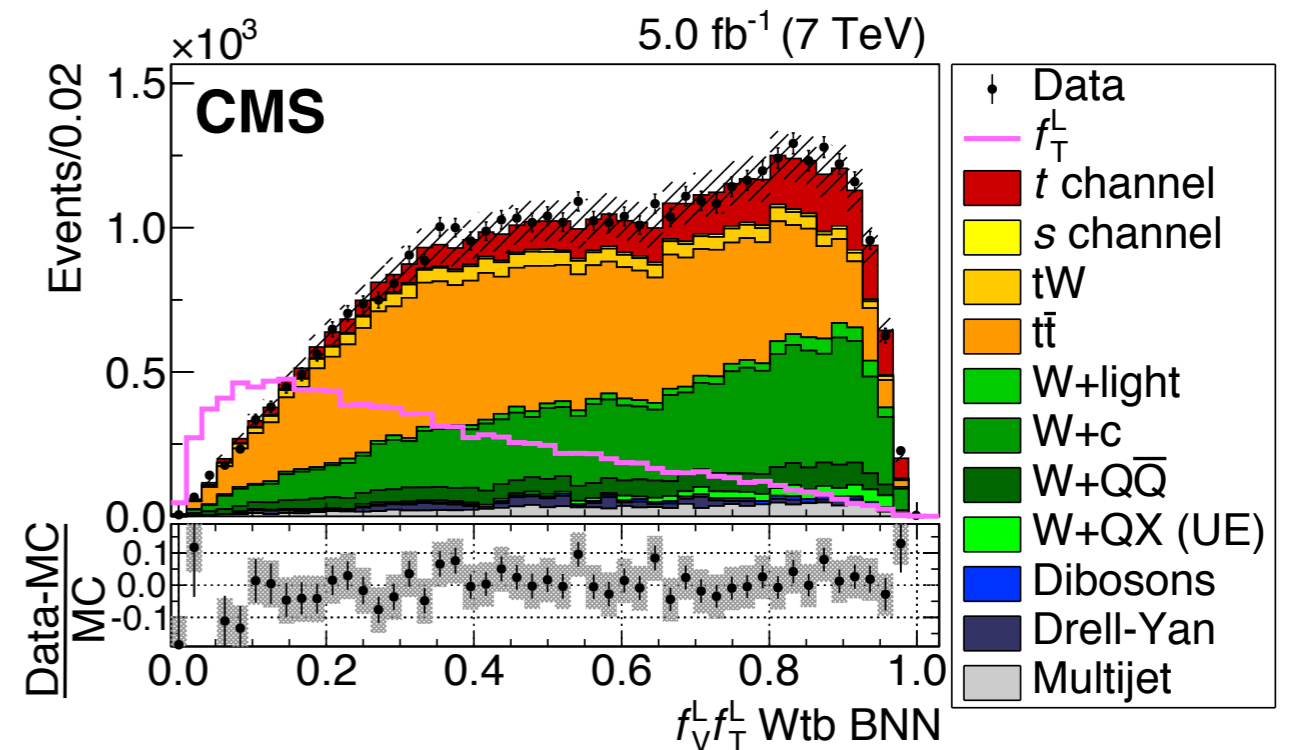
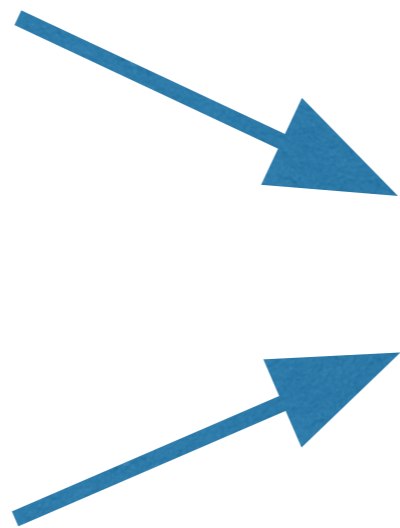
However, very small gain relative to standard combination

Search for anomalous Wtb couplings

- Train multivariate boosted-decision trees to separate between SM single-top and single-top with non-SM Wtb couplings:

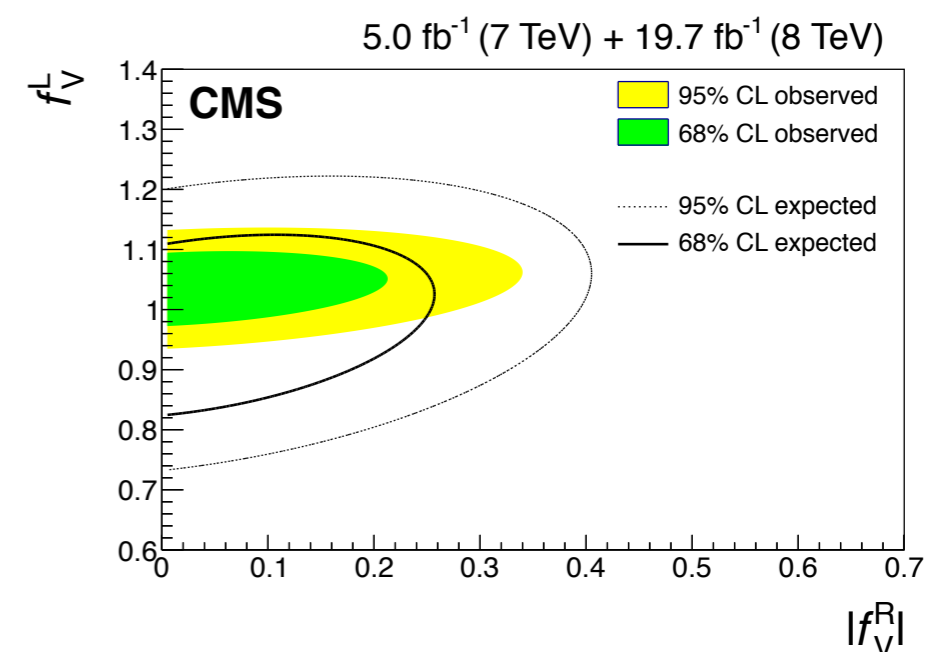
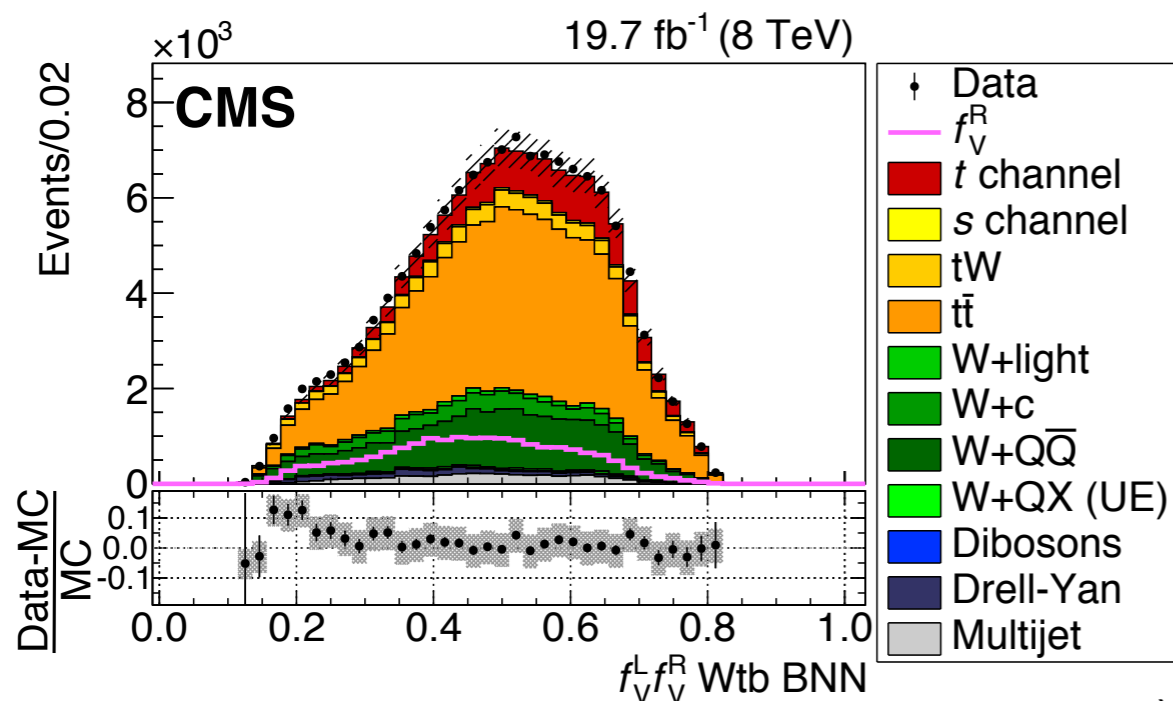
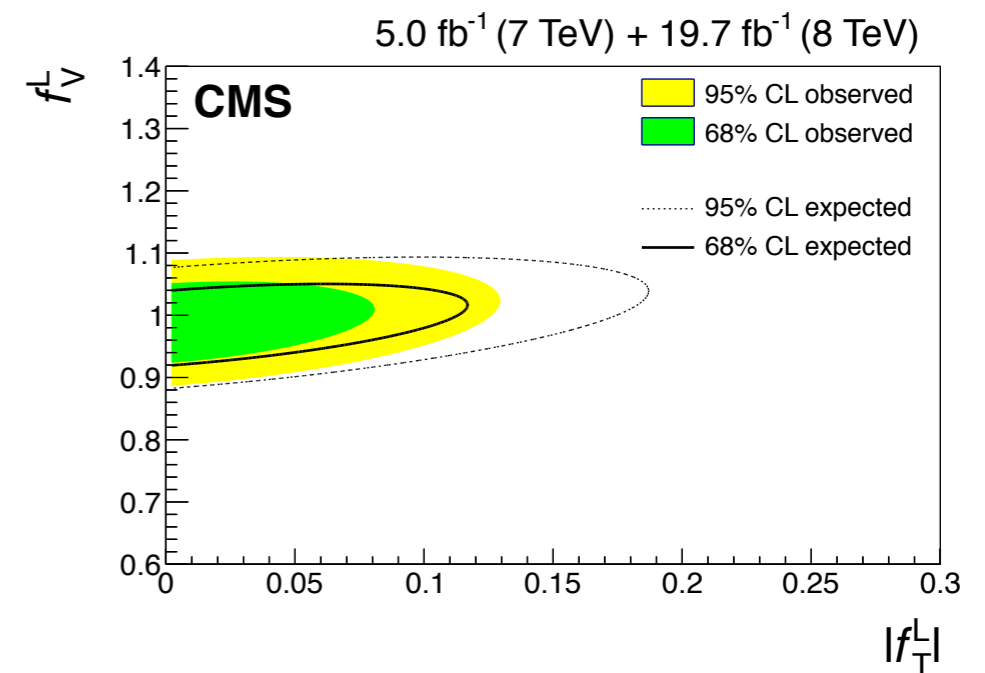
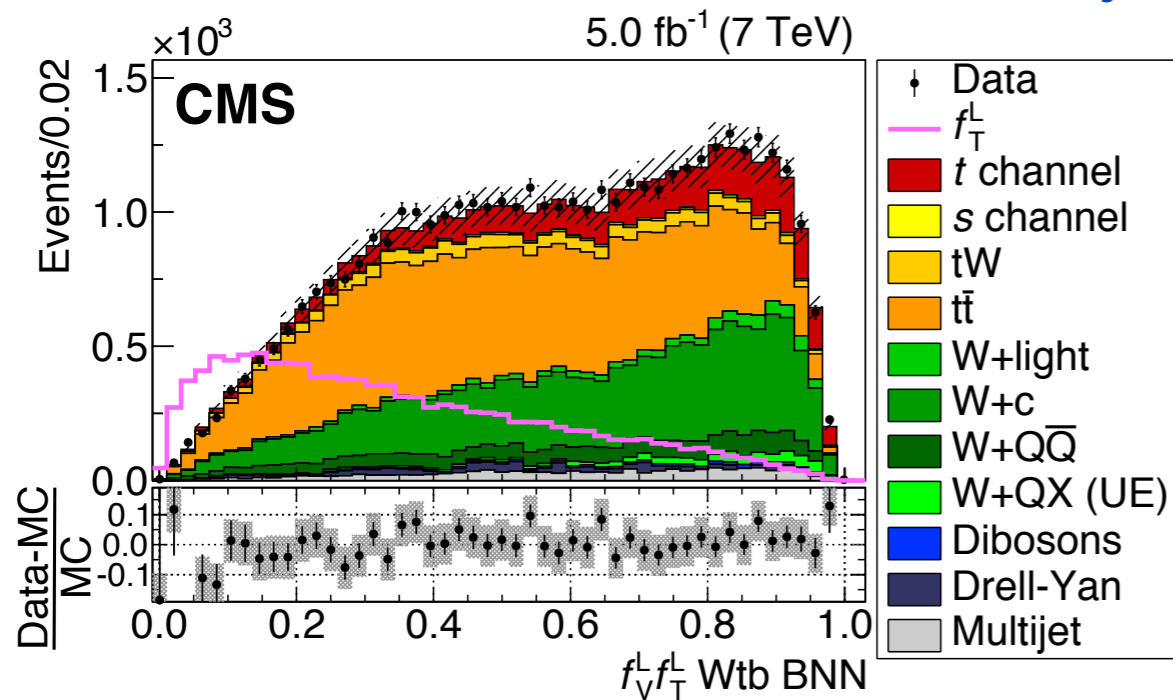


+ others



Search for anomalous Wtb couplings

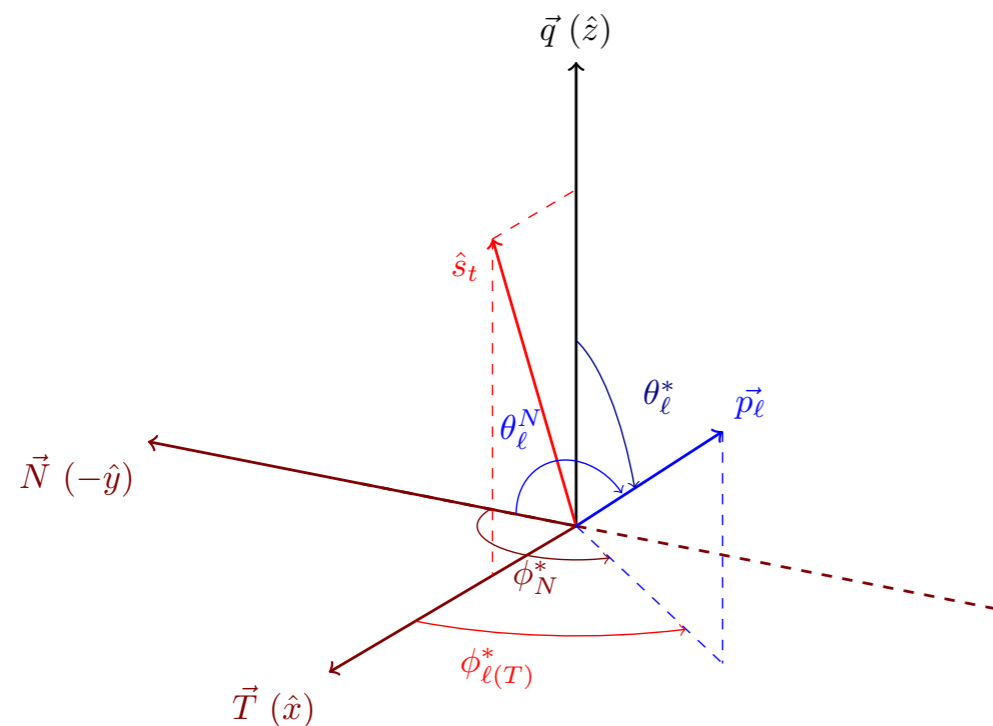
- Limits then extracted by fitting to the BNN distributions:



arXiv:1610.03545

Polarisation in single top

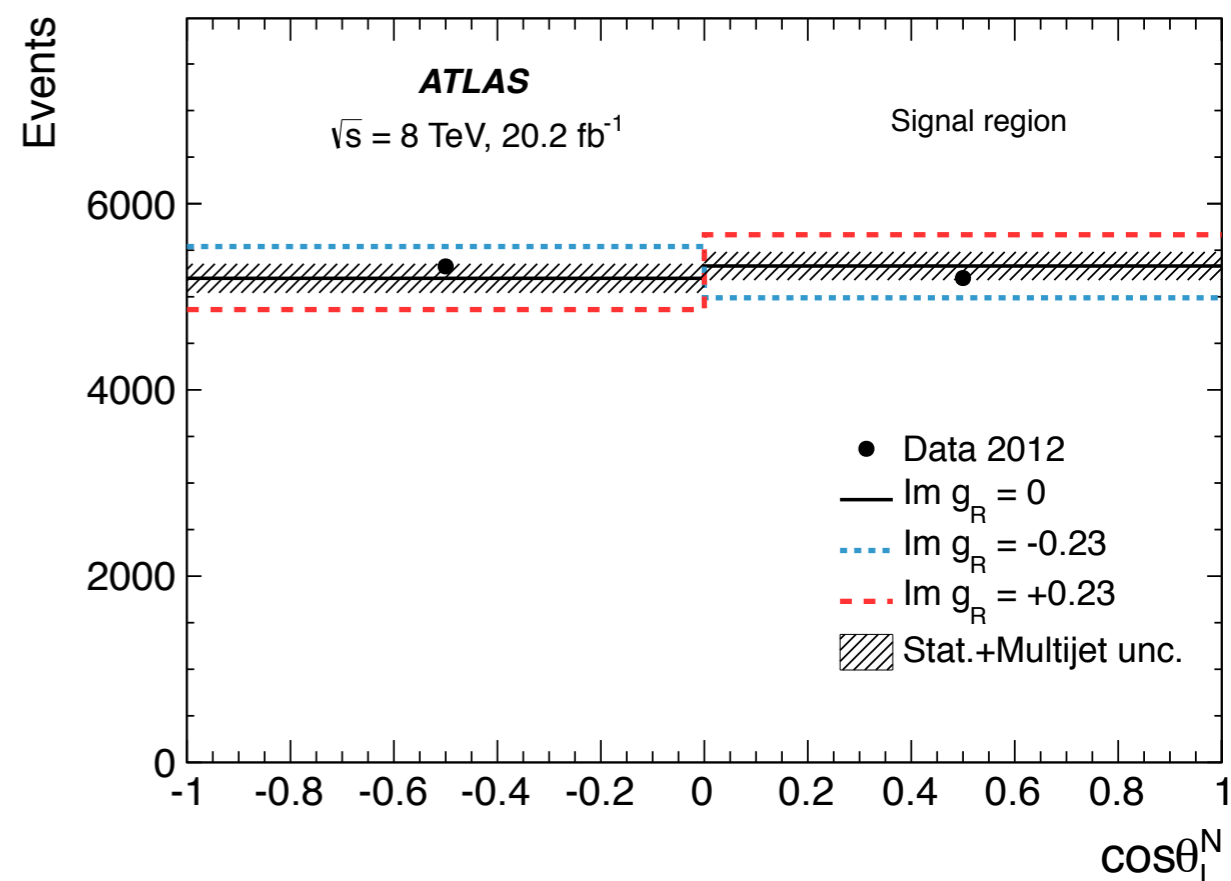
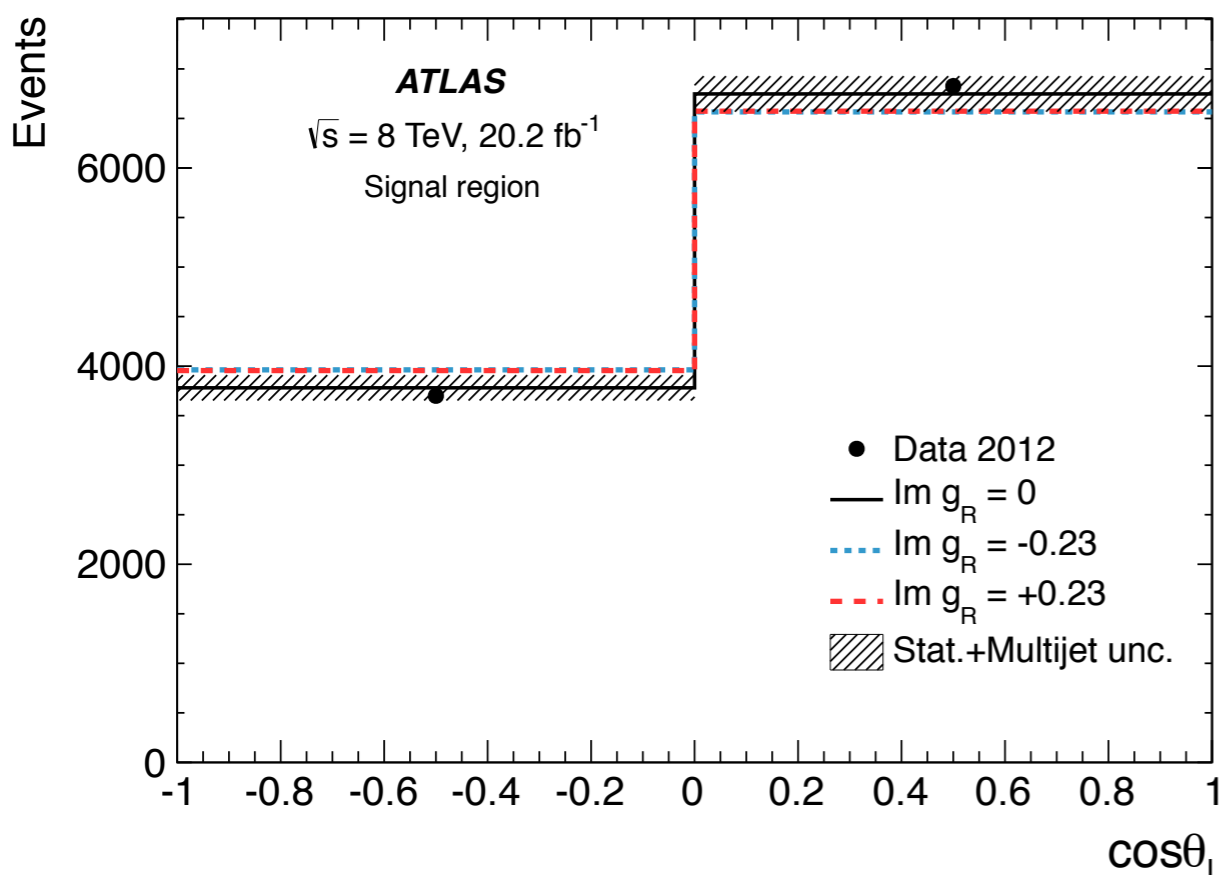
- Angular variables in single top polarisation:



The W-boson momentum q in the top-quark rest frame defines the z-axis; the top-quark spin direction s_t , taken along the spectator-quark momentum in the top-quark rest frame, defines the x–z plane. The polar and azimuthal angles of the charged-lepton momentum p_ℓ in the W-boson rest frame are labelled θ_ℓ^* and ϕ_ℓ^* , respectively. The normal and transverse axes are defined relative to q and s_t according to $N = s_t \times q$ and $T = q \times N$; they are along the -y and x axes of the coordinate system, respectively. The azimuthal angles ϕ_N^* and ϕ_T^* of the charged lepton in the W-boson rest frame are defined relative to the N and T axes, respectively ($\phi_T^* \equiv \phi_\ell^*$), while θ_ℓ^N and θ_ℓ^T (not shown in the figure) are the relative angles between p_ℓ and the N and T axes, respectively.

Polarisation in single top

- Sensitivity to anomalous couplings:

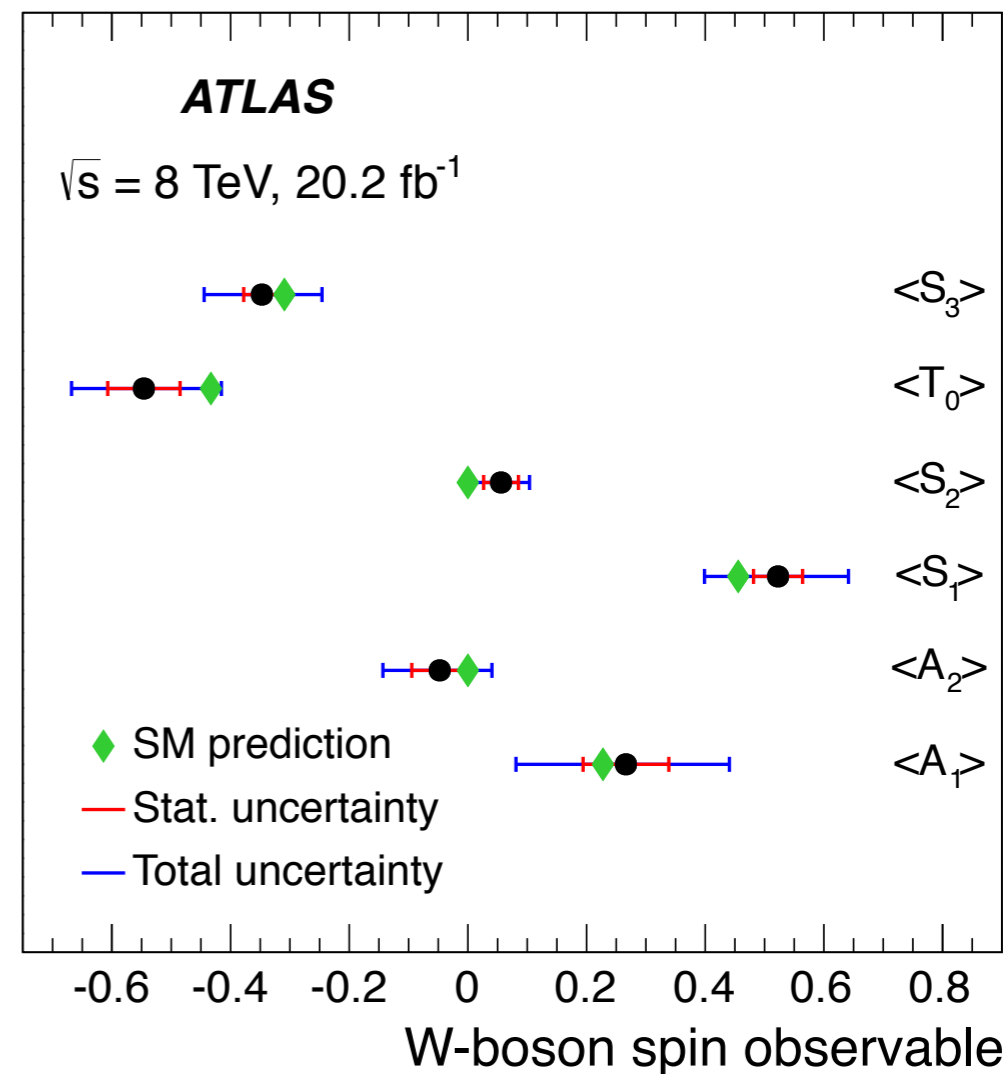
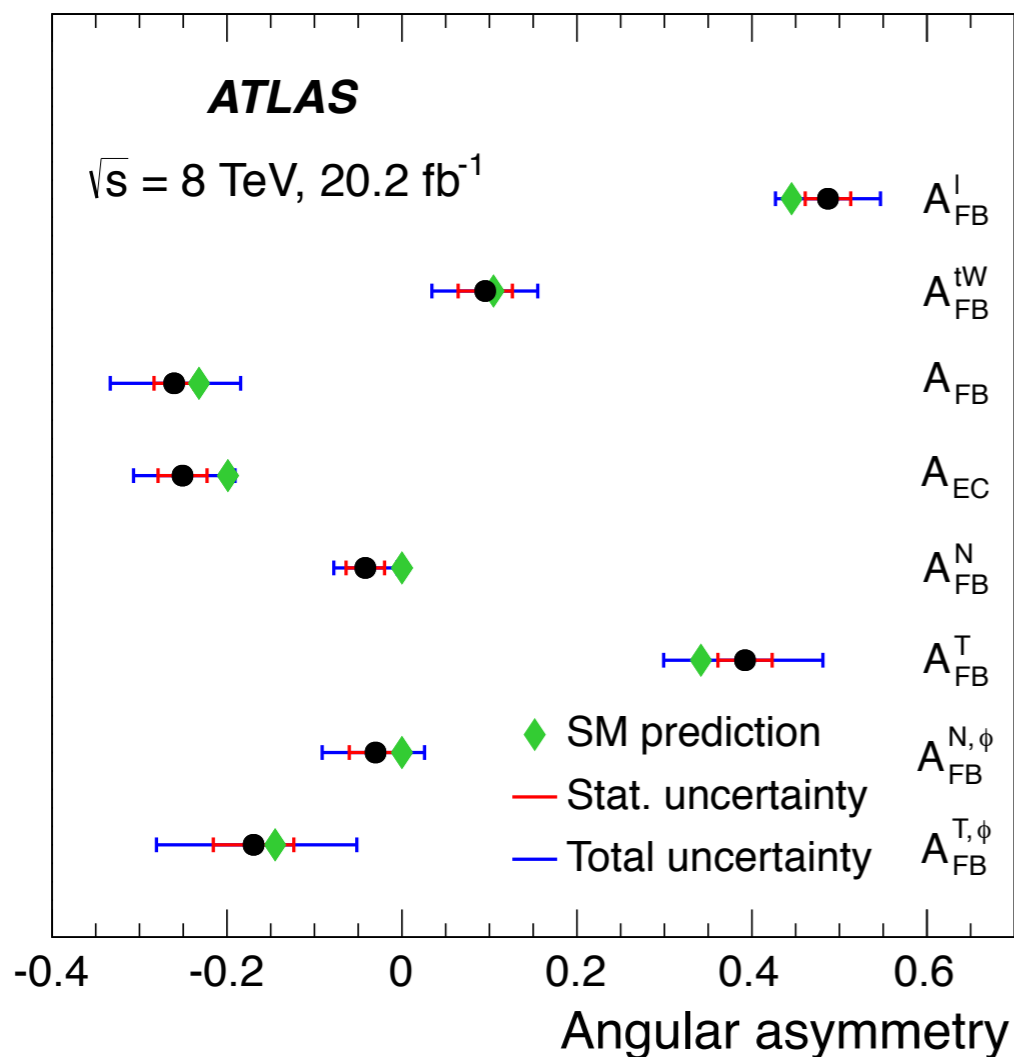


- When extracting limits on $\text{Im}(g_R)$, correlation between observables is accounted for (-0.05).

[arXiv:1702.08309](https://arxiv.org/abs/1702.08309)

Polarisation in single top

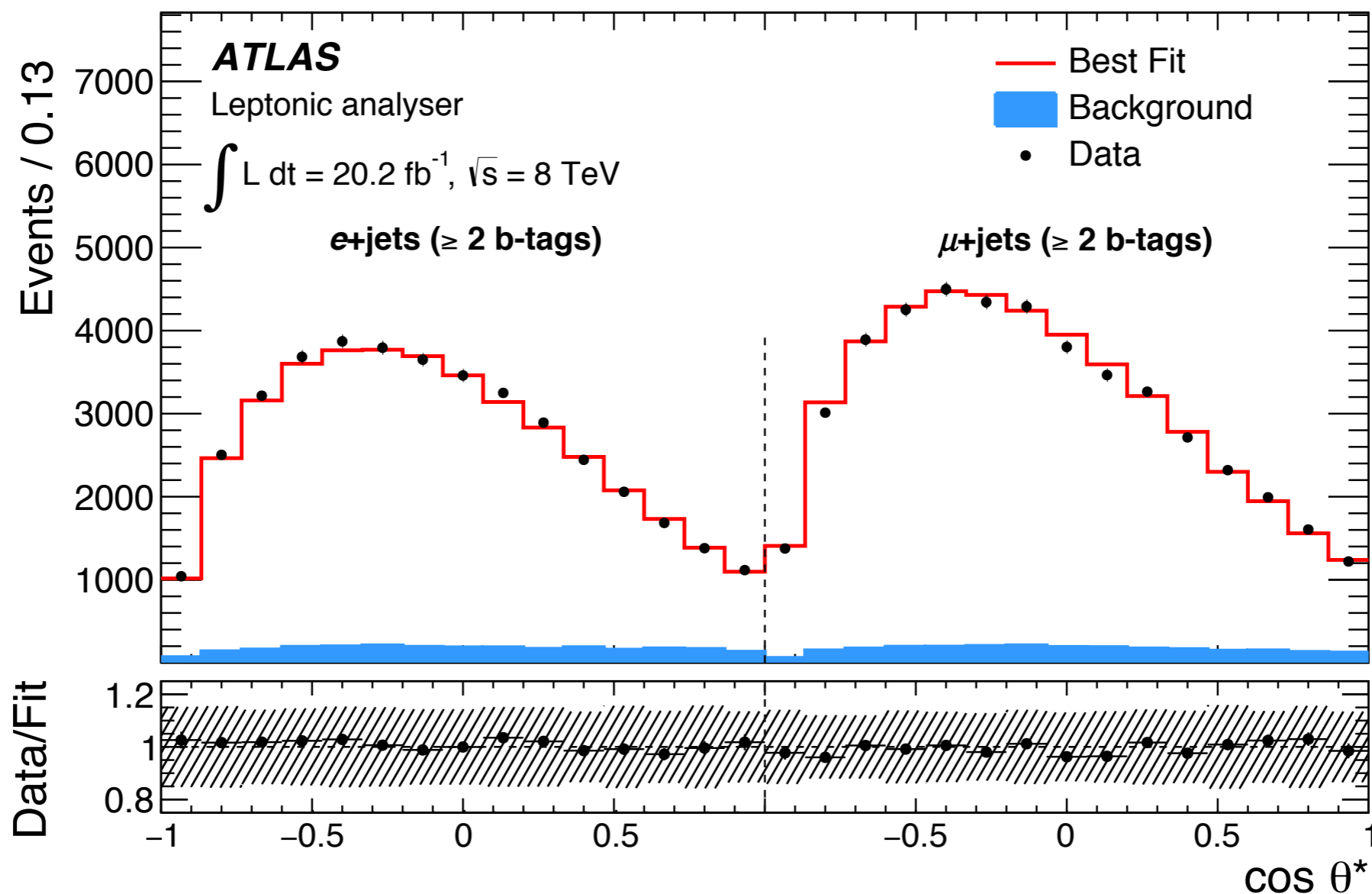
- All measured asymmetries:



[arXiv:1702.08309](https://arxiv.org/abs/1702.08309)

W boson polarisation

- Fitted distributions for the ATLAS measurement:



$$\frac{1}{\sigma} \frac{d\sigma}{d \cos \theta^*} = \frac{3}{4} (1 - \cos^2 \theta^*) F_0 + \frac{3}{8} (1 - \cos \theta^*)^2 F_L + \frac{3}{8} (1 + \cos \theta^*)^2 F_R$$