

# Hadronic Resonances in Heavy-Ion Collisions

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6 June 2016



## Transition to hadronic matter:

Time  $\sim 10 \mu\text{s}$

Temp.  $\sim 2 \times 10^{12} \text{ K}$

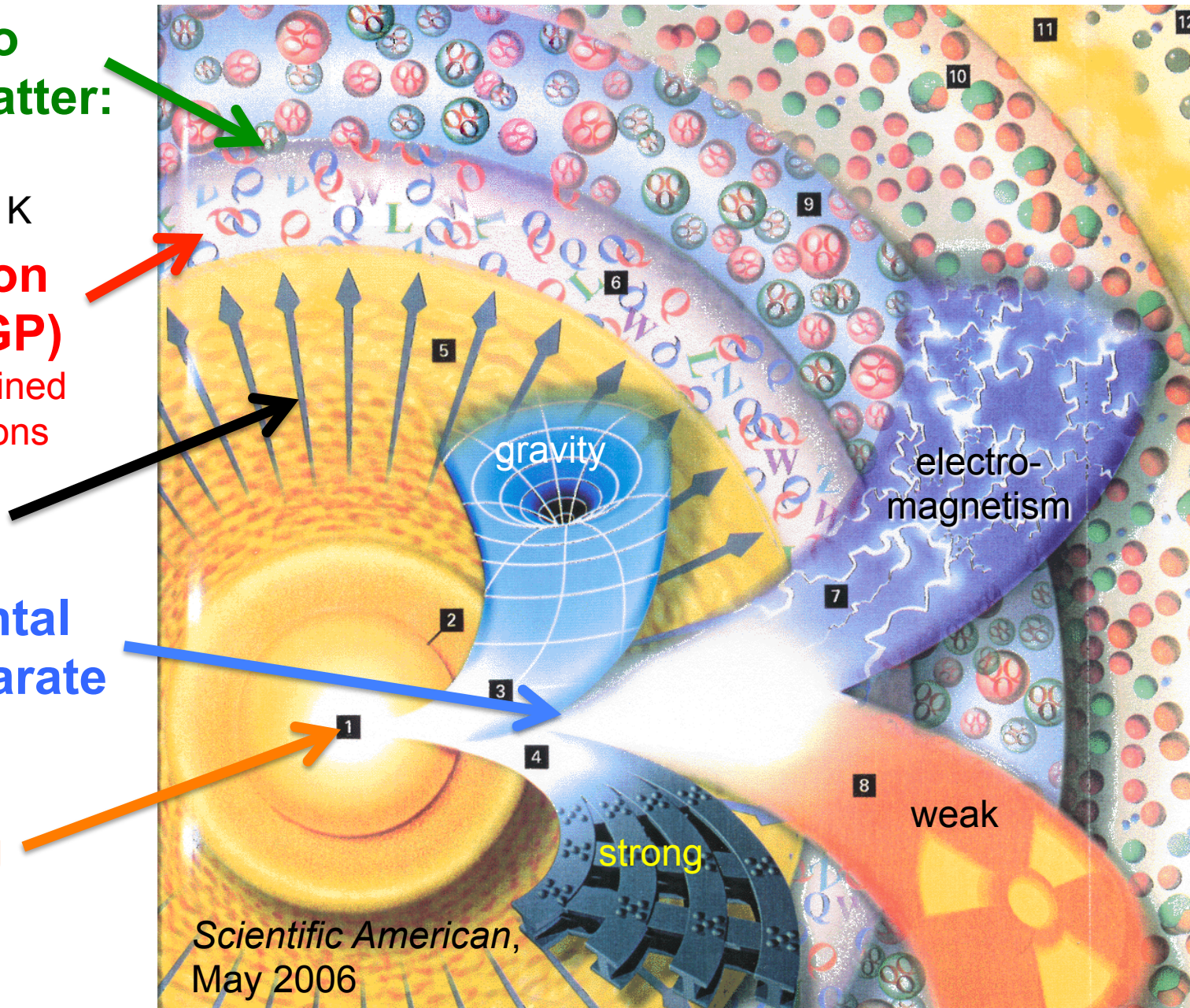
## Quark-Gluon Plasma (QGP)

"soup" of deconfined quarks and gluons

inflation

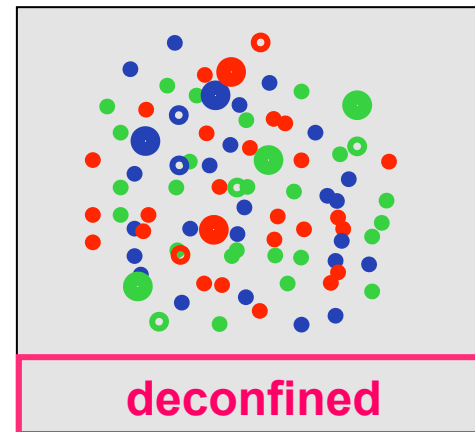
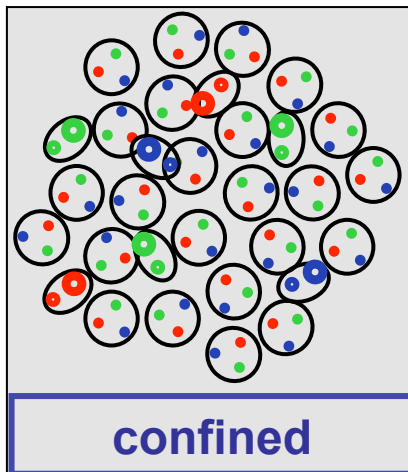
fundamental forces separate

Big Bang



Scientific American,  
May 2006

- Asymptotic freedom  $\rightarrow$  confinement at large distances:
  - As interquark distance increases, it becomes energetically favorable to create a **new  $q\bar{q}$  pair**.
- Asymptotic freedom  $\rightarrow$  deconfinement for large energy densities:
  - Compress or **heat** hadronic matter to a sufficient energy density ( $0.3\text{--}1 \text{ GeV}/\text{fm}^3$ )
  - QCD **vacuum “melts”** and turns from color dielectric to color conductor
  - Leads to **deconfined** (but not isolated) quarks and gluons
  - A “soup” of quarks and gluons: the **Quark-Gluon Plasma (QGP)**

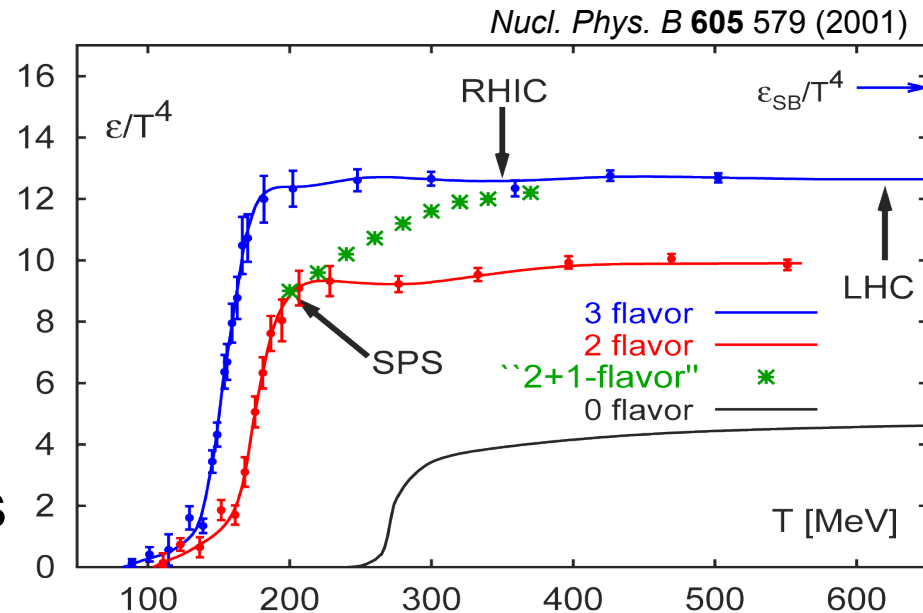


- 2004 Nobel Prize in Physics:
  - D. Gross, H. D. Politzer, and F. Wilczek
  - “for the discovery of asymptotic freedom in the theory of the strong interaction”

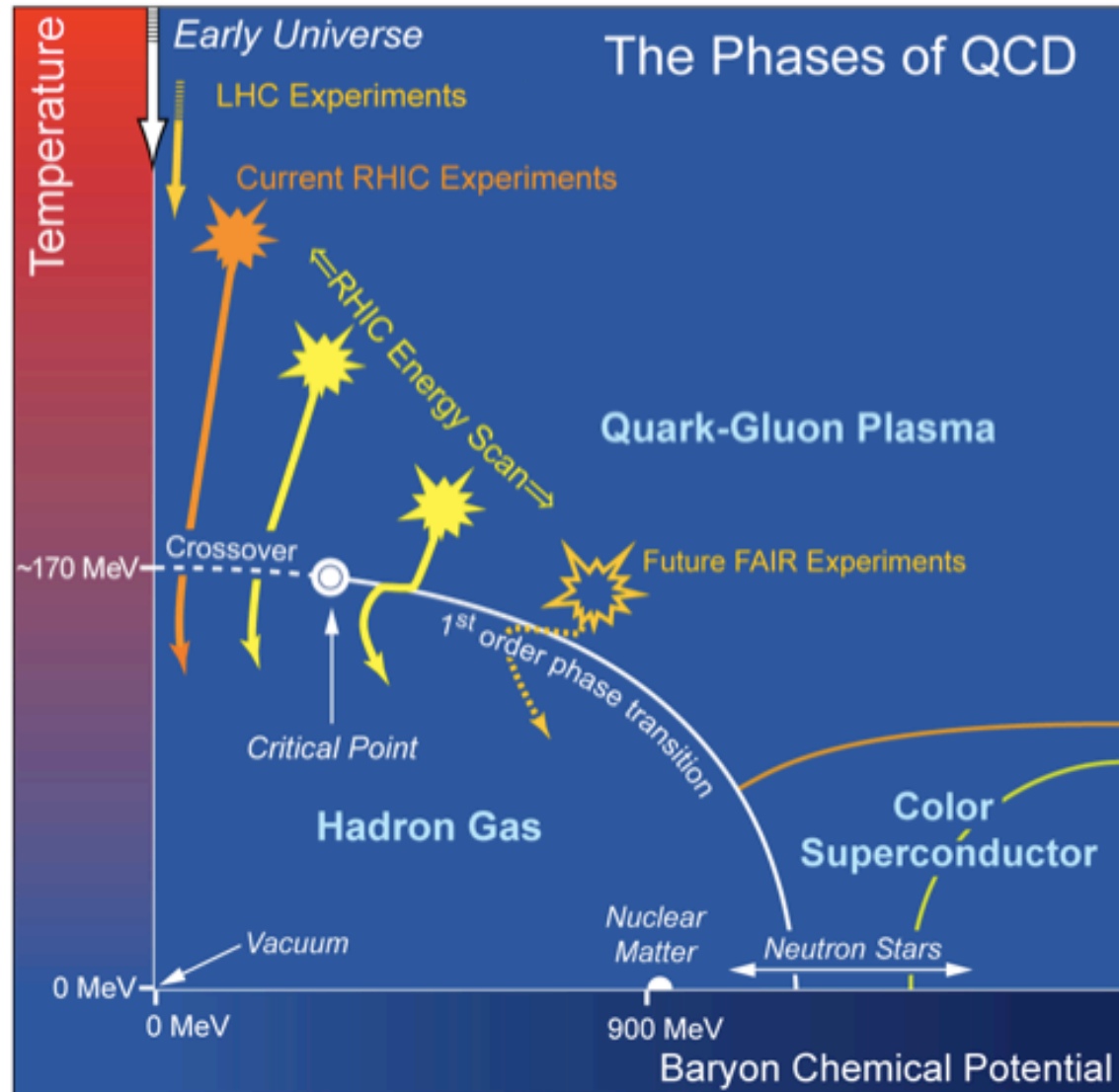


- “Before [QCD] we could not go back further than 200,000 years after the Big Bang. Today...since QCD simplifies at high energy, we can extrapolate to very early times when nucleons melted...to form a quark-gluon plasma.” – D. Gross, Nobel Lecture

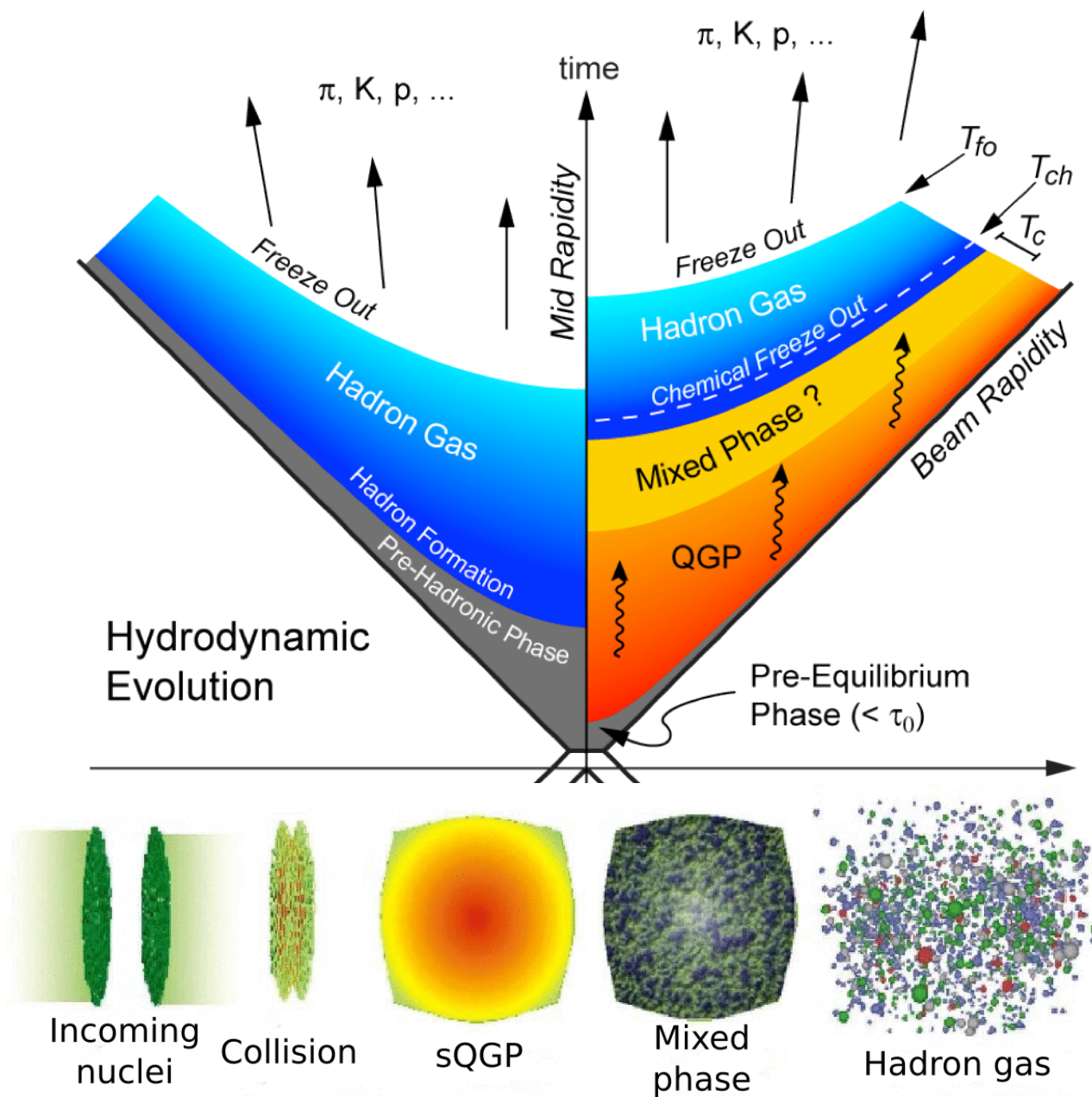
- Predictions of phase transition from Lattice QCD
- Calculation of  $\varepsilon/T^4$  vs. Temperature
  - $\varepsilon/T^4 \sim \#$  degrees of freedom
- For  $T \sim 150$  MeV, sharp increase in degrees of freedom: hadrons  $\rightarrow$  quarks and gluons
- Typical estimates:  $T_C = 150 - 180$  MeV ( $10^5 \times$  hotter than the core of the sun)



- Baryon chemical potential: related to matter-antimatter asymmetry
- In very high-energy collisions, most particles are produced in the collision itself → matter-antimatter symmetry
- Crossover or 1<sup>st</sup>-order phase transition between hadron gas and QGP
- Critical point?

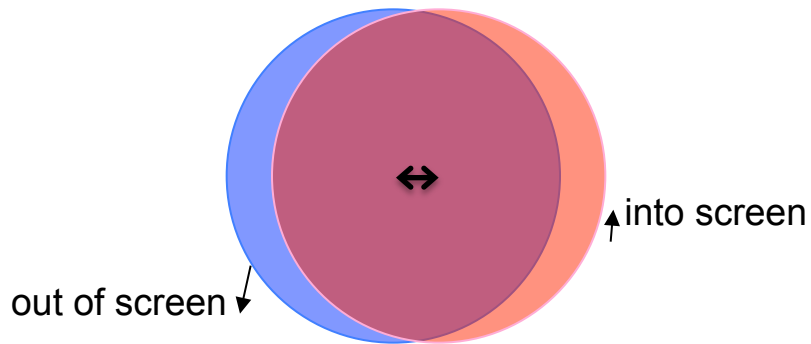


- Introduce large amount of energy into a space the size of an atomic nucleus.
  - Collide **heavy ions**: Au, Pb, U to produce large volume of QGP
- **Baselines** for heavy-ion measurements:
  - $p+p$  collisions: no QGP
  - Asymmetric collisions:  $d+Au$ ,  $p+Au$ ,  $p+Pb$ 
    - No QGP, but still large volumes of “cold” nuclear matter

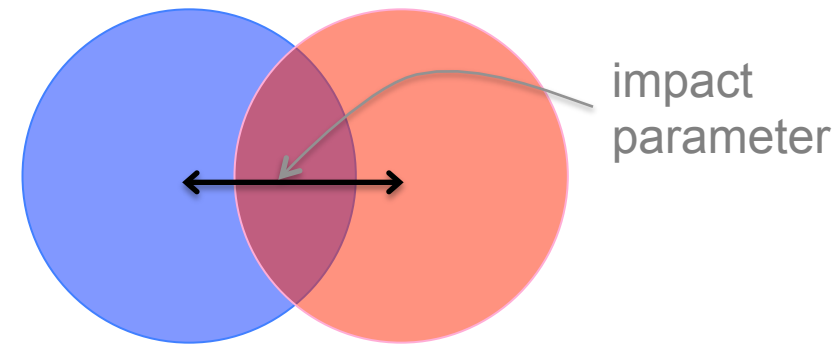




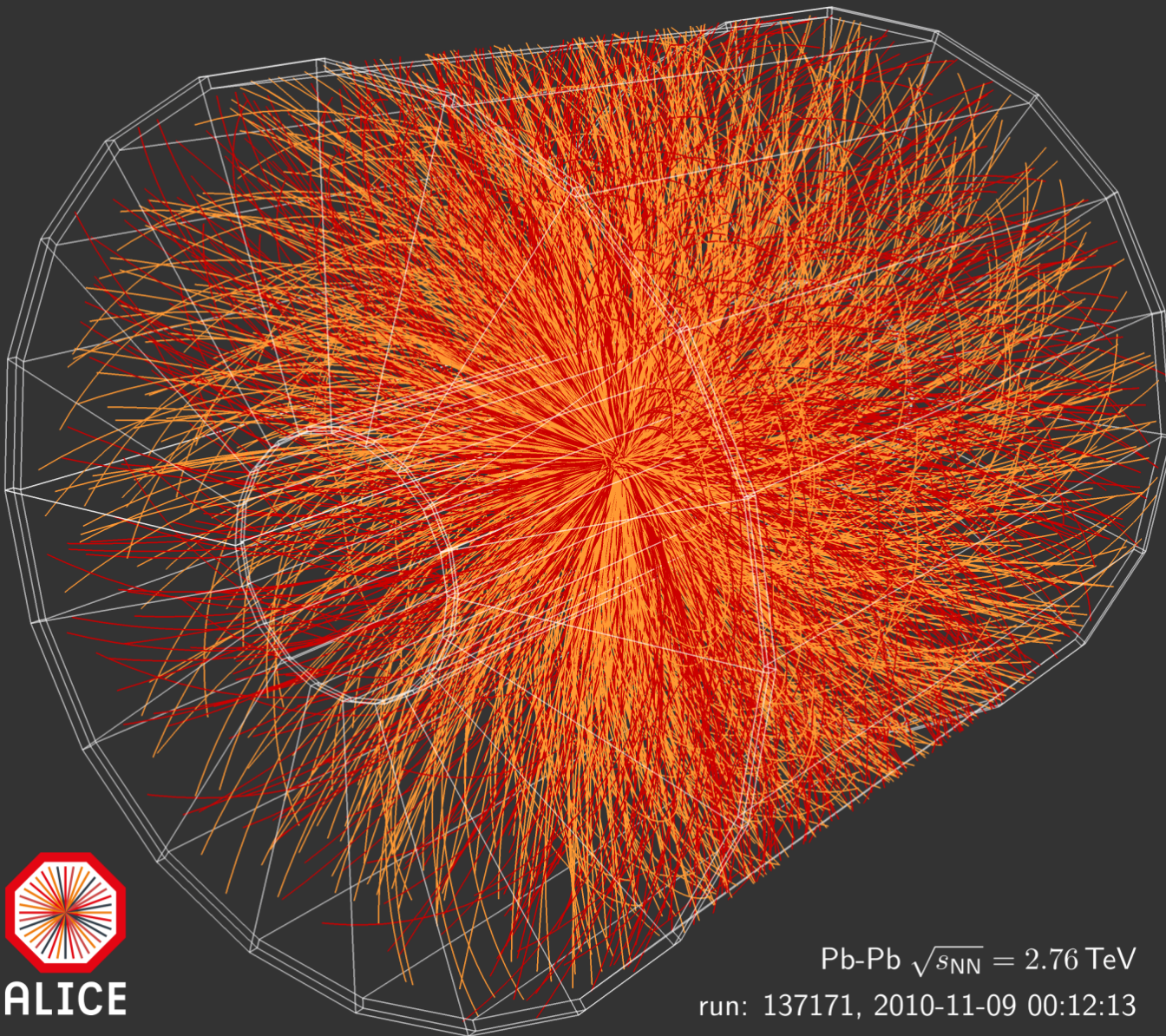
- Centrality: amount of overlap between nuclei
- Impact parameter: distance between centers of nuclei
- Cannot measure impact parameter directly; measure
  - Charged particle multiplicity (mostly  $\pi^\pm$ ,  $K^\pm$ ,  $p$ , and  $\bar{p}$ )
  - Number of spectator neutrons (pass through the collision unaffected)
  - Use models to map these measurements into impact parameter



**“Central”**  
**Small impact parameter**  
**Large volume of QGP**



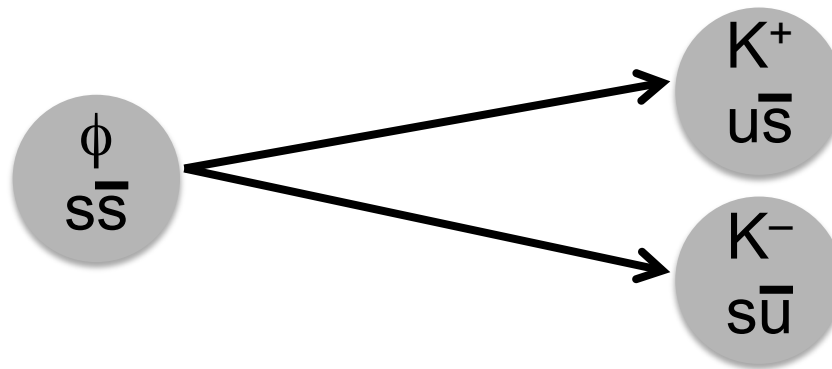
**“Peripheral”**  
**Large impact parameter**  
**Small volume of QGP**



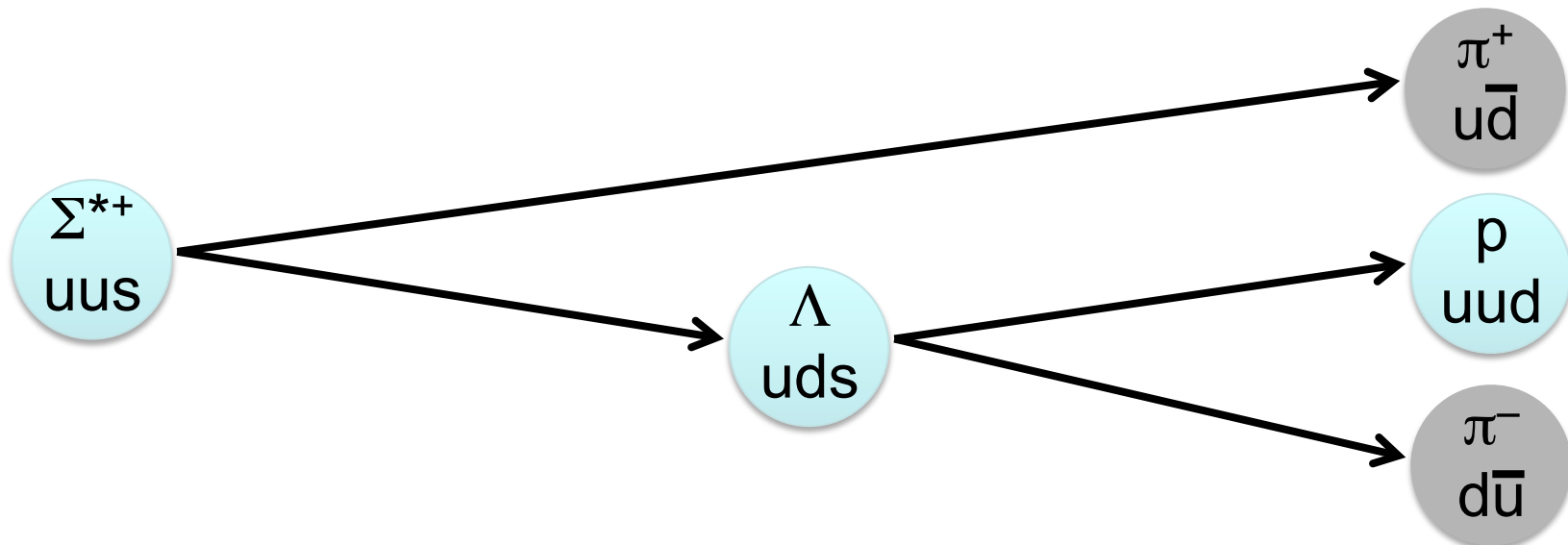
- Heavy-ion collisions are **not simple superpositions** of nucleon-nucleon collisions.
- Ultrarelativistic heavy-ion collisions produce a **quark-gluon plasma**: a strongly coupled “soup” of deconfined quarks and gluons.
- The QGP absorbs energy, leading to **suppression** of high-momentum hadrons and jets, but not of colorless probes ( $\gamma$ ,  $W^\pm$ ,  $Z$ ).
  - Nuclear Modification Factor ( $R_{AA}$ )...
- The QGP appears to be a **thermalized** “perfect liquid” with a viscosity near 0. Its behavior, including elliptic flow, is well described by **ideal hydrodynamics**.

- Resonances in ALICE:
  - What resonances do we study?
  - Why do we study resonances?
  - How do we study them?
  - Important recent results
- Resonances in EPOS

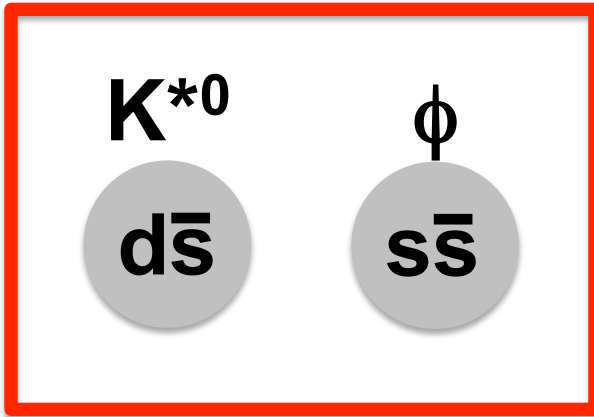
- What particles do we study?
  - Hadronic states with **short lifetimes** ( $\sim$  lifetime of fireball)
  - For practical reasons, we prefer resonances with only charged particles at the end of the decay chain.



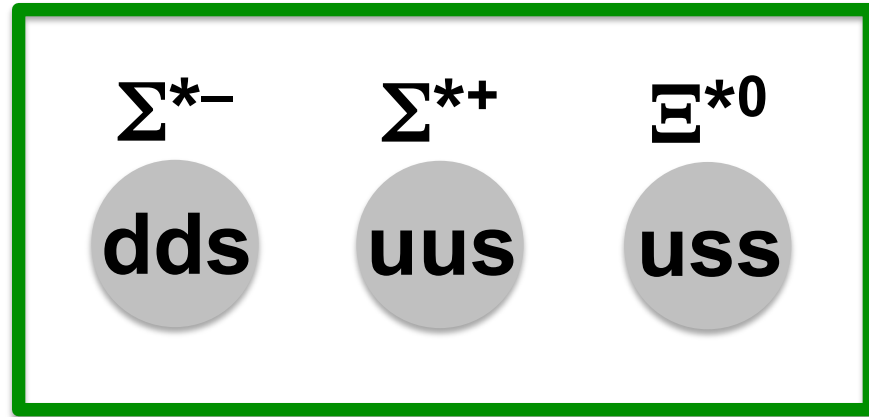
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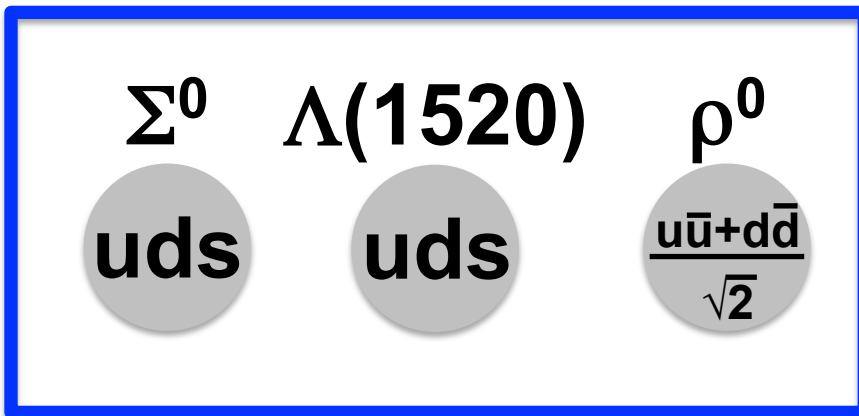
Comprehensive studies:  
pp, p-Pb, Pb-Pb



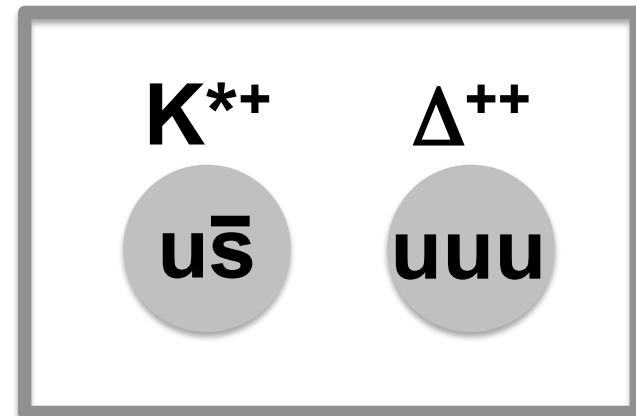
Results for pp, ongoing studies  
for p-Pb and Pb-Pb

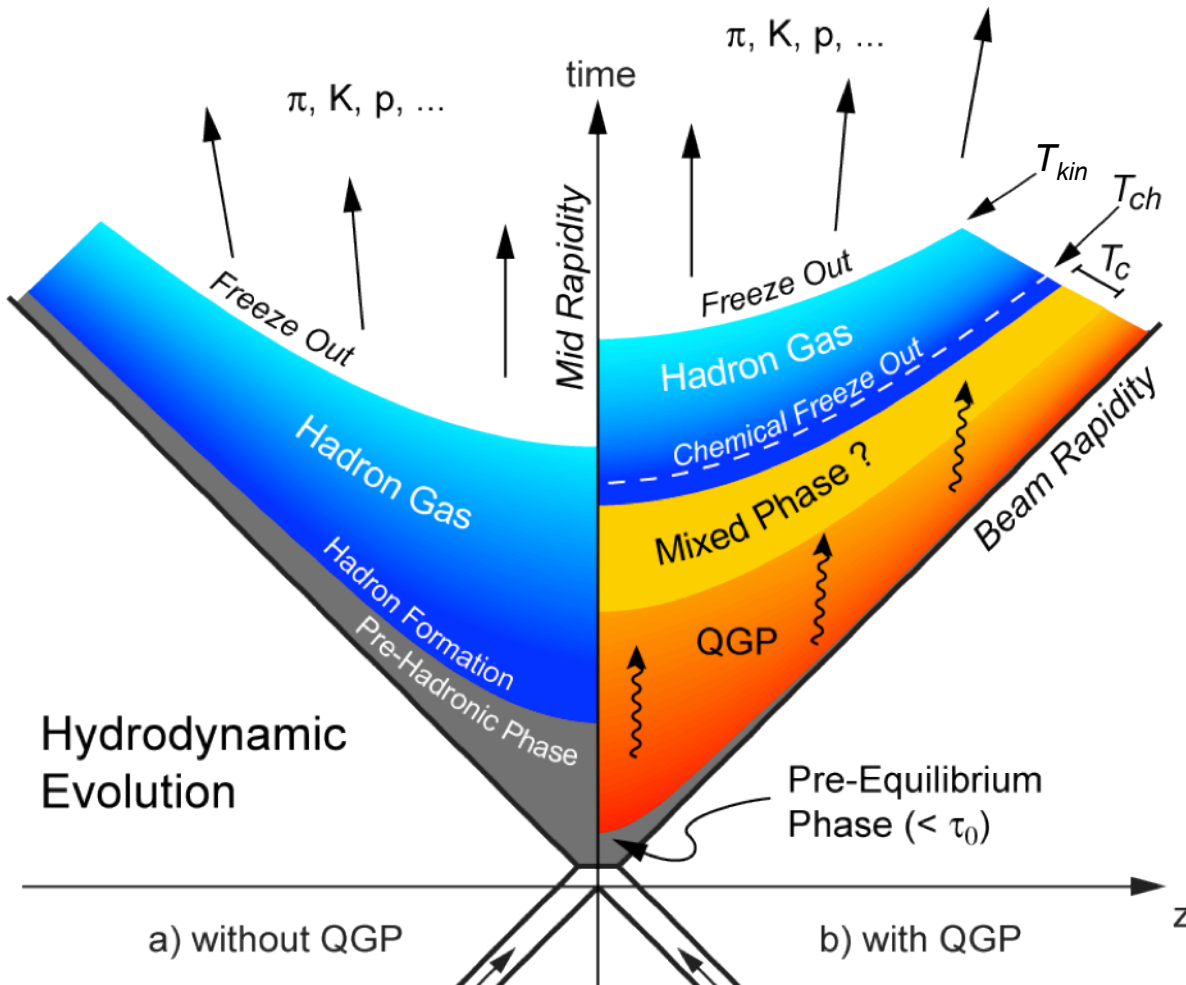


Advanced studies  
(but few public results)



Other Studies:

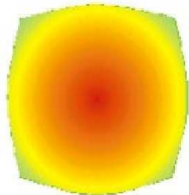




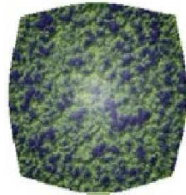
Incoming nuclei



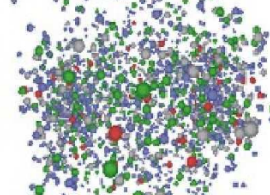
Collision



sQGP

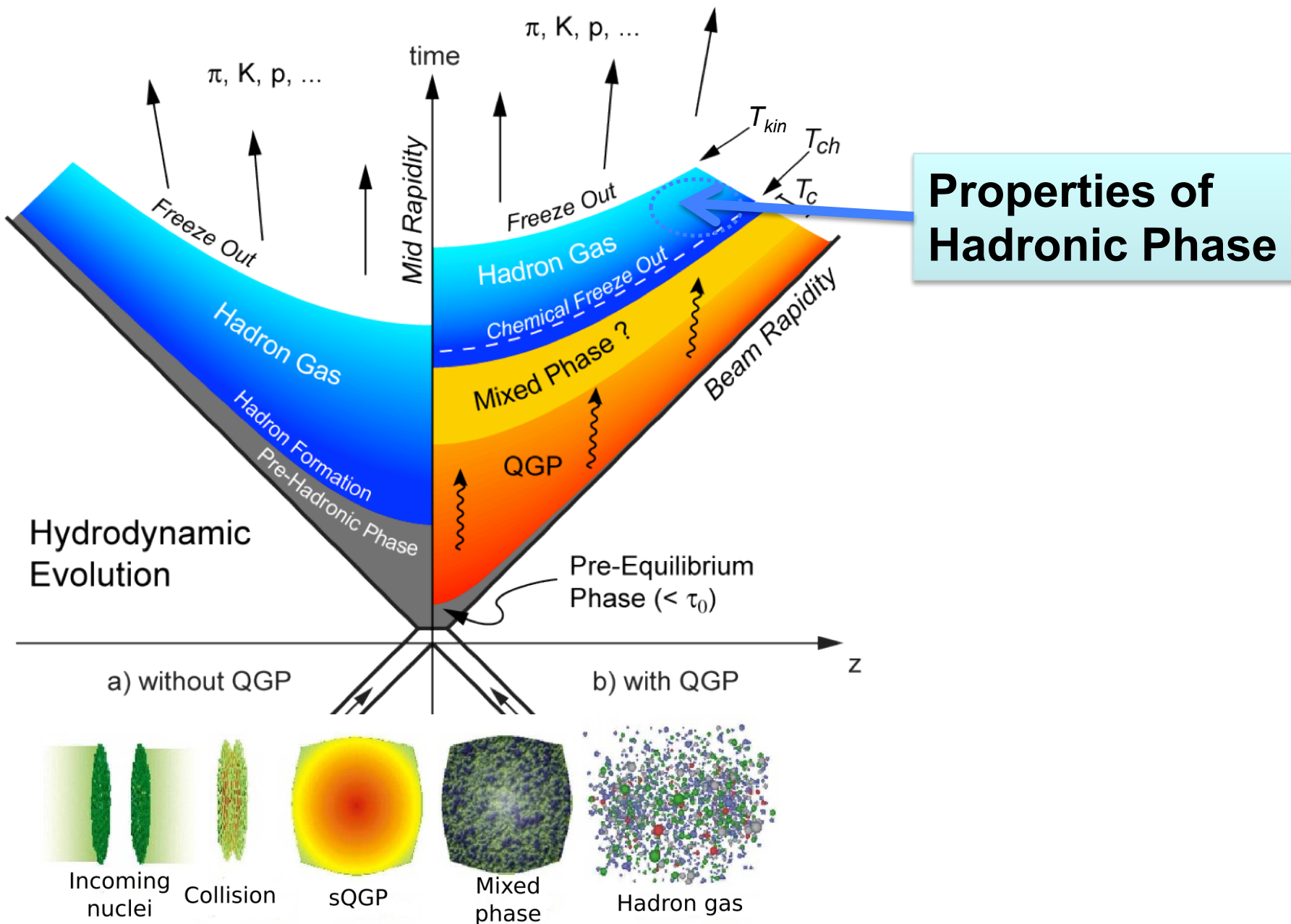


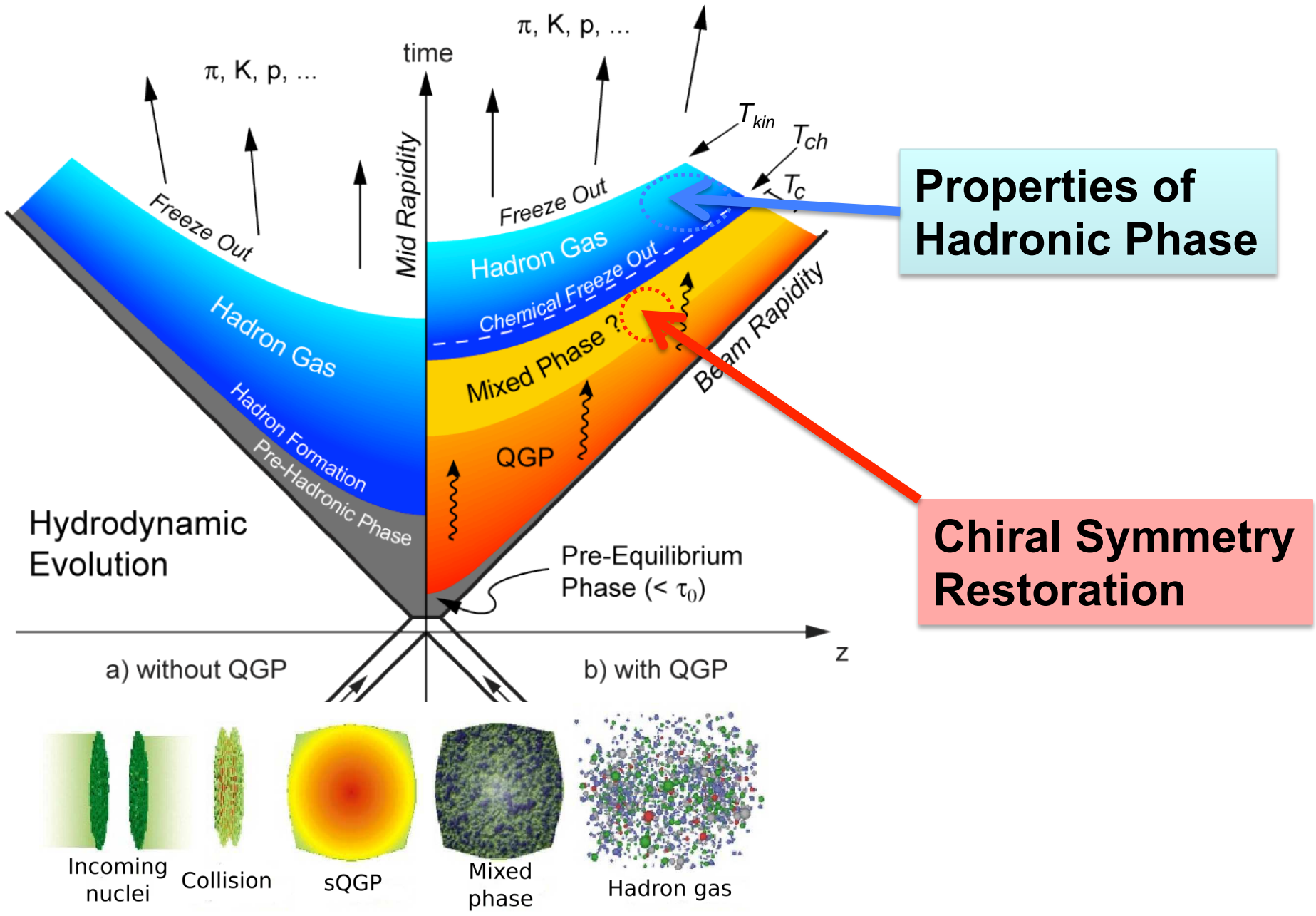
Mixed phase

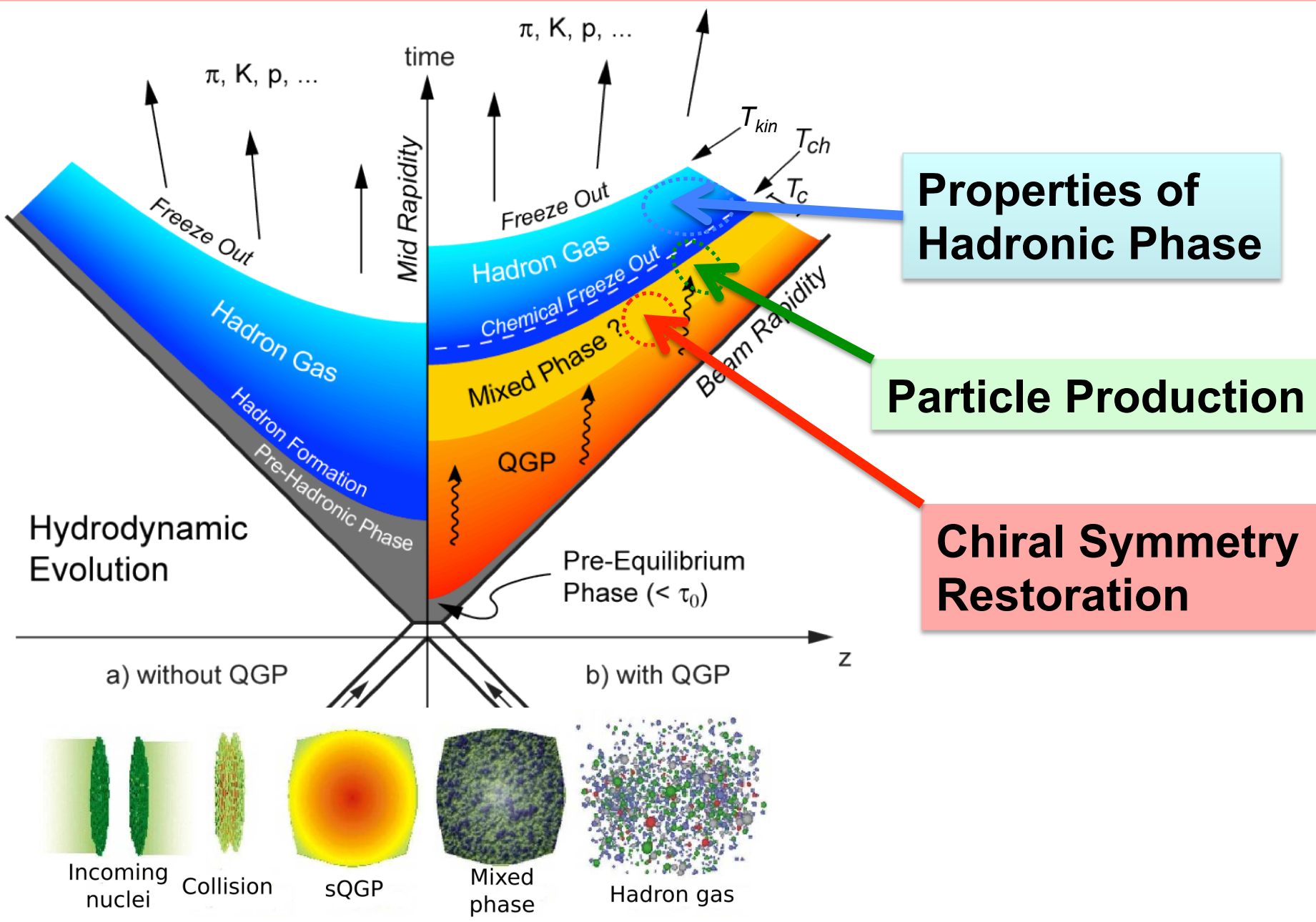


Hadron gas

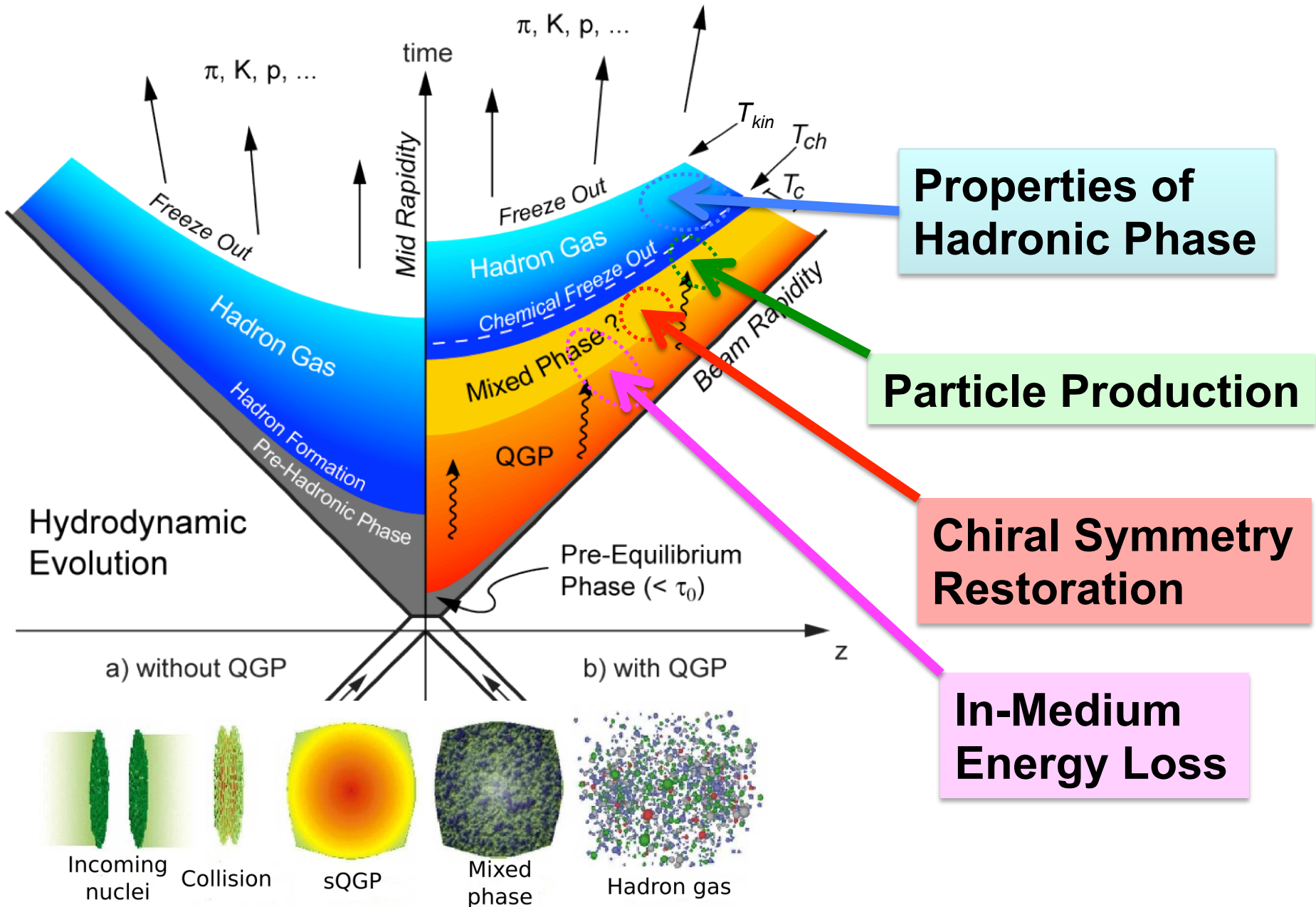




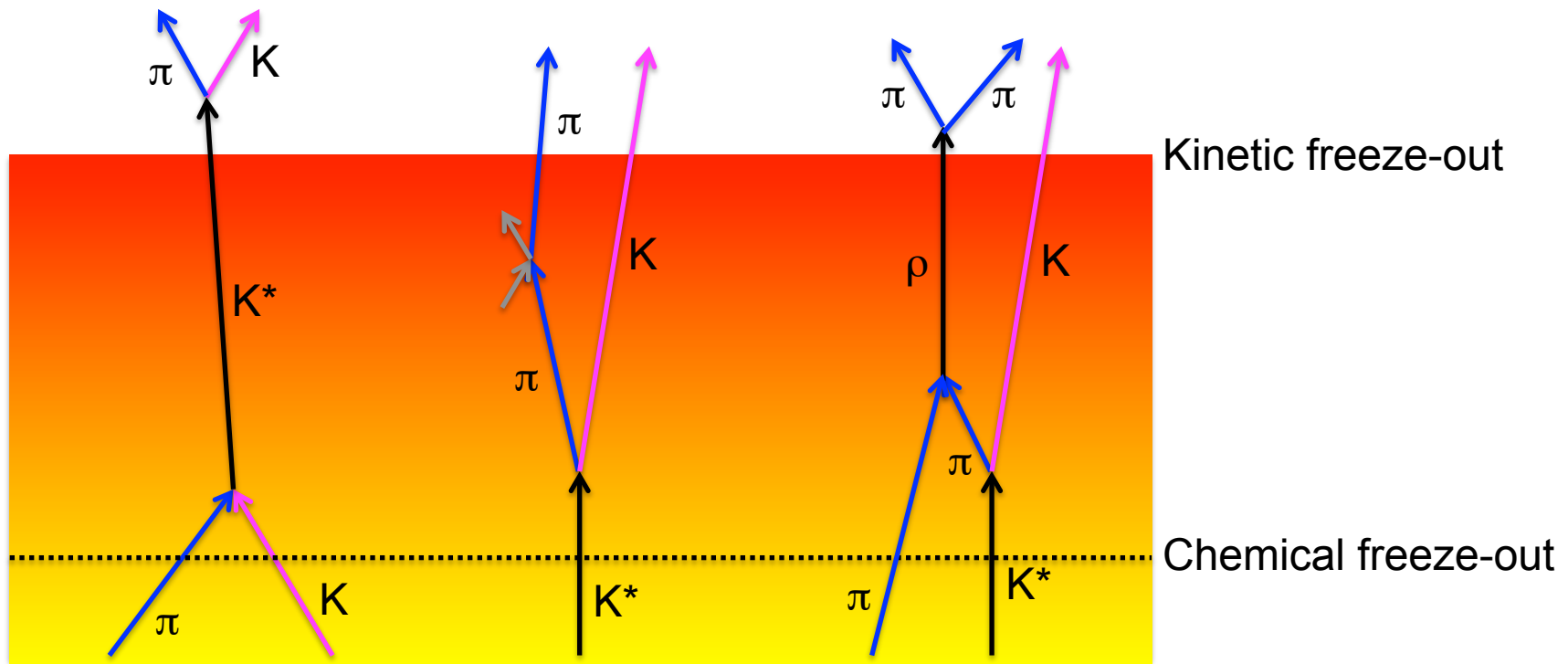




# Heavy-Ion Collisions



- Reconstructible resonance yields affected by hadronic processes after chemical freeze-out:
  - Regeneration:** pseudo-elastic scattering of decay products
    - e.g.,  $\pi K \rightarrow K^* \rightarrow \pi K$
  - Re-scattering:**
    - Resonance decay products undergo elastic scattering
    - Or pseudo-elastic scattering through a different resonance (e.g.  $\rho$ )
    - Resonance not reconstructed through invariant mass



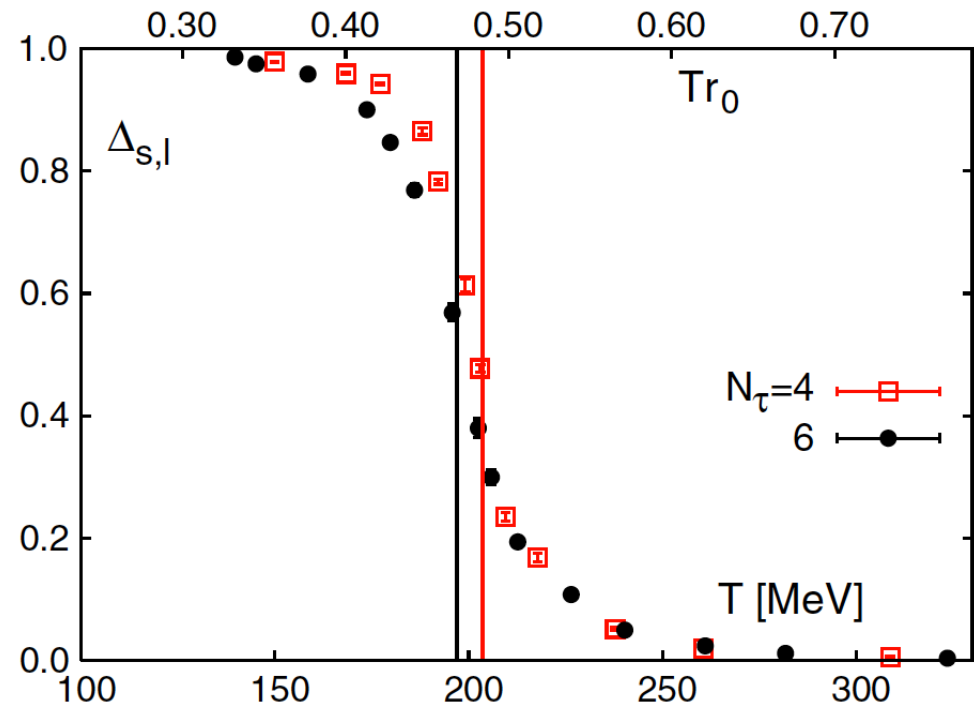
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    - Resonance not reconstructed through invariant mass
- Final yields at kinetic freeze-out depend on
  - Chemical freeze-out temperature ( $T_{\text{ch}}$ )
  - Time between chemical and kinetic freeze-out ( $\Delta t$ )
  - Resonance lifetime
  - Scattering cross sections
- Can use measured resonance yields to study these properties
- Re-scattering and regeneration expected to be most important for  $p_T < 2 \text{ GeV}/c$  (UrQMD)

Chiral Symmetry

 $m_q \rightarrow 0$ 

- Quark condensate  $\langle 0 | \bar{q}q | 0 \rangle$  fills QCD vacuum
- Effective q masses related to value of condensate:  $m_q^* \propto \langle 0 | \bar{q}q | 0 \rangle$
- Lattice calculations indicate decrease in condensate around chiral phase transition temperature
  - Tends to be near deconfinement phase transition

$\Delta_{s,l}$  = normalized difference of light and strange quark chiral condensates



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- Effective q masses related to value of condensate:  $m_q^* \propto \langle 0 | \bar{q}q | 0 \rangle$
- Lattice calculations indicate decrease in condensate around chiral phase transition temperature
  - Tends to be near deconfinement phase transition
- Particles that decay when chiral symmetry was at least partially restored expected to have **mass shifts** and/or **width broadening**
  - Need particles that decay early (*i.e.*, resonances) AND have decay products that pass through the hadronic phase without scattering



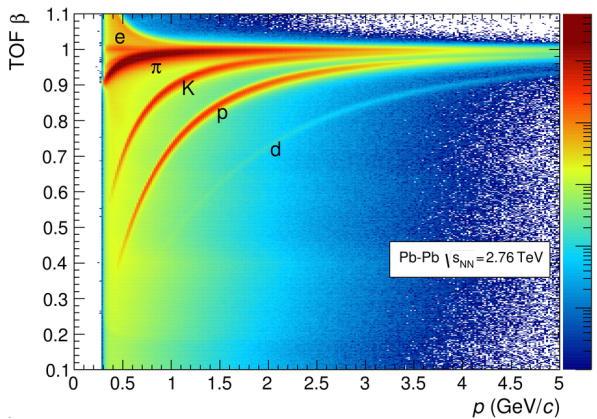
- $\phi$  meson has long enough lifetime that we may be able to treat it as a **stable particle**
  - No major modifications to spectrum or yields due to re-scattering or regeneration
- Compare  $\phi$  to models (VISH, HKM, Kraków, **EPOS**, ...)

**Hydrodynamics:**  
– Particle masses determine shapes of spectra

**Quark Recombination:**  
– Number of quarks influences shapes of spectra  
– Differences between baryons and mesons with similar masses

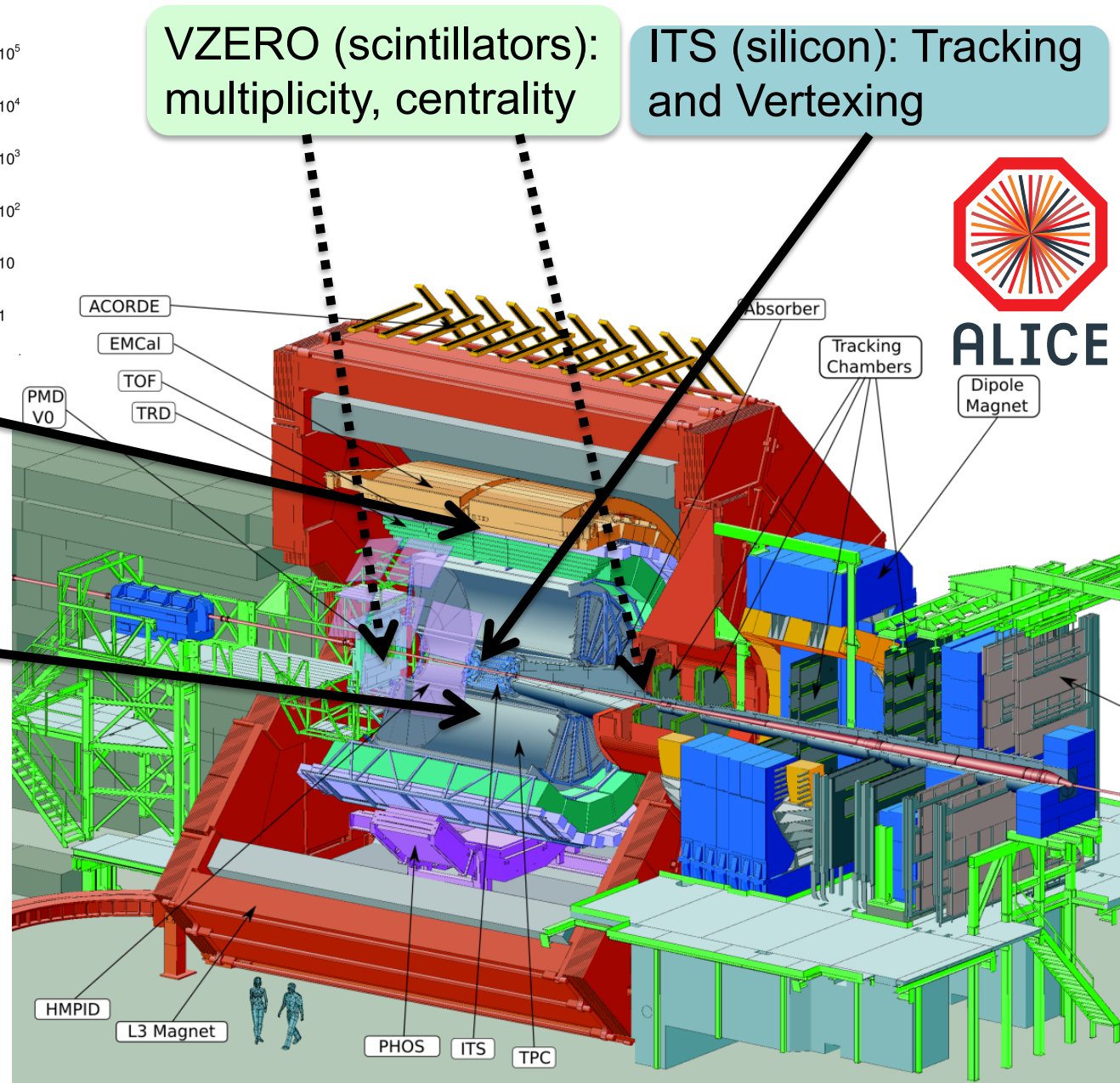
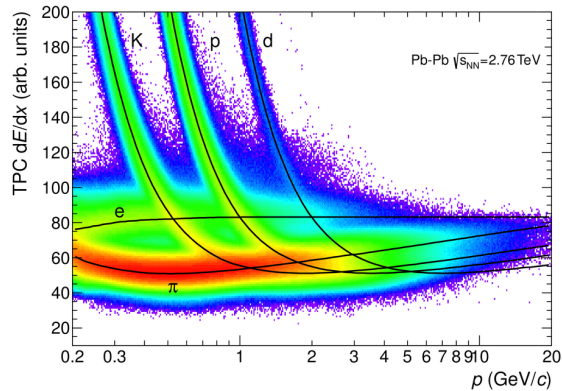
- Strangeness content
  - Strangeness enhancement
  - Is  $\phi$  (hidden strangeness) enhanced similarly to  $\Xi$  ( $S=2$ )?

- Resonances in pp:
  - **Baseline measurement** to which heavy-ion measurements are compared:
    - Masses and widths
    - Yields and ratios to stable particles
    - Nuclear Modification Factor ( $R_{AA}$ )
    - Comparison to peripheral Pb–Pb
    - Multiplicity-dependent measurements
  - **Constrain QCD-inspired models**
    - Particle spectra/ratios used to tune PYTHIA
- Resonances in p–Pb
  - Baseline measurement to control for **cold nuclear matter** effects
  - Probe parton distribution functions at low  $x$
  - Searches for collective behavior



TOF: PID through particle velocity

TPC: Tracking and PID through  $dE/dx$



**Find decay products**

**Find  $\pi^\pm$ ,  $K^\pm$ ,  $p$ ,  $\bar{p}$ :**

**-Track cuts:**

**# TPC Clusters**

**track  $\chi^2$**

**DCA to primary vertex**

**others...**

**-Particle Identification**

**TPC energy loss ( $n\sigma$ )**

**Time of Flight ( $n\sigma$ )**

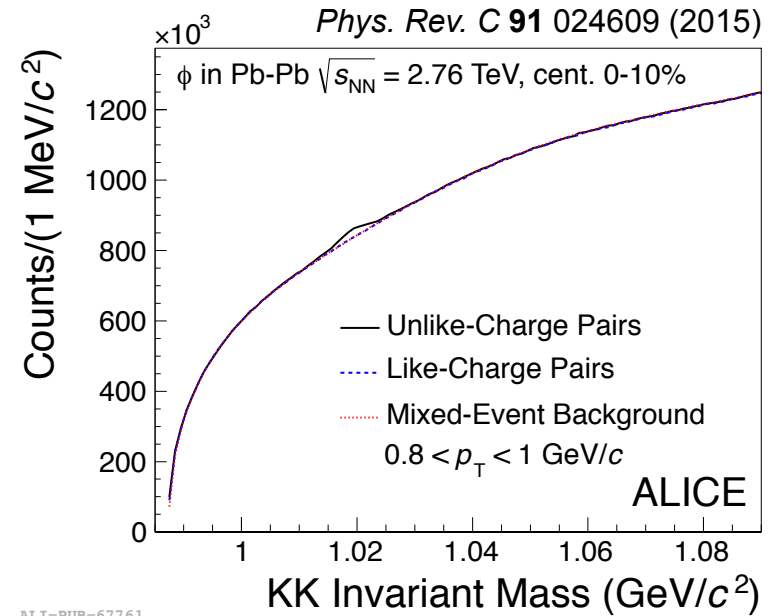
**Find intermediate decay products (e.g.,  $\Lambda$ ):**

**-Cuts on decay topology**

**-Invariant mass**

Find decay products

Construct invariant mass distributions



ALI-PUB-67761  
Example: Pb+Pb  $\rightarrow$  X $\phi$   $\rightarrow$  K-K<sup>+</sup>

Compute invariant mass of decay-product pairs

$$M = \sqrt{m_1^2 + m_2^2 + 2E_1E_2 - 2p_1p_2\cos\alpha}$$

Find decay products

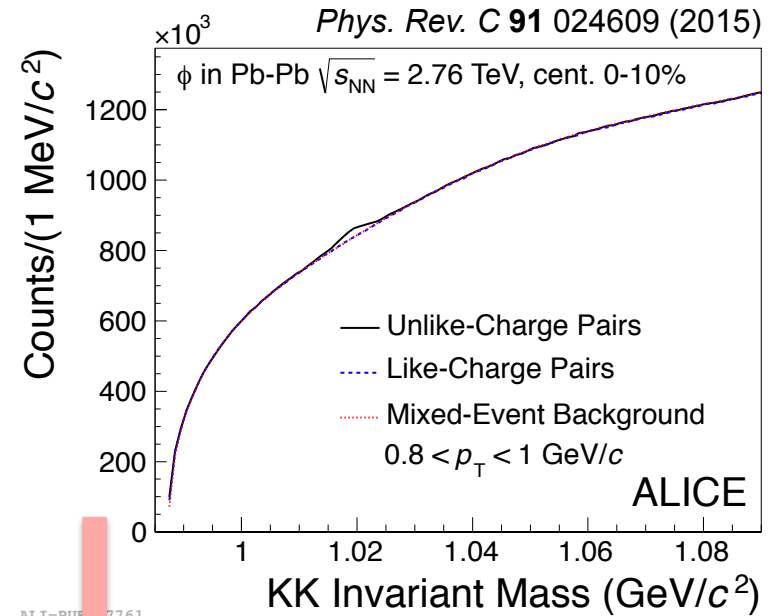
Construct invariant mass distributions

Describe background

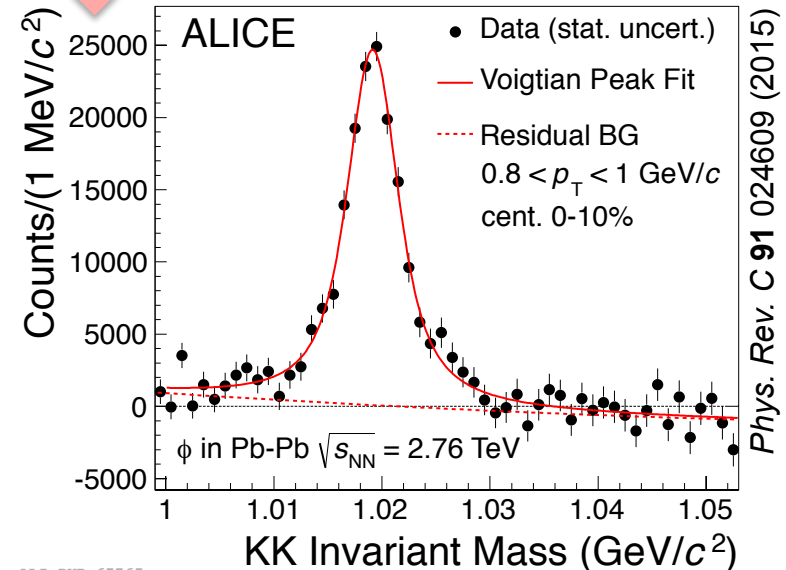
Fit background

Like-charge  
Event mixing

Event mixing: cuts to ensure similar  $v_z$ , multiplicity, event plane



Background Subtraction



Find decay products

Construct invariant mass distributions

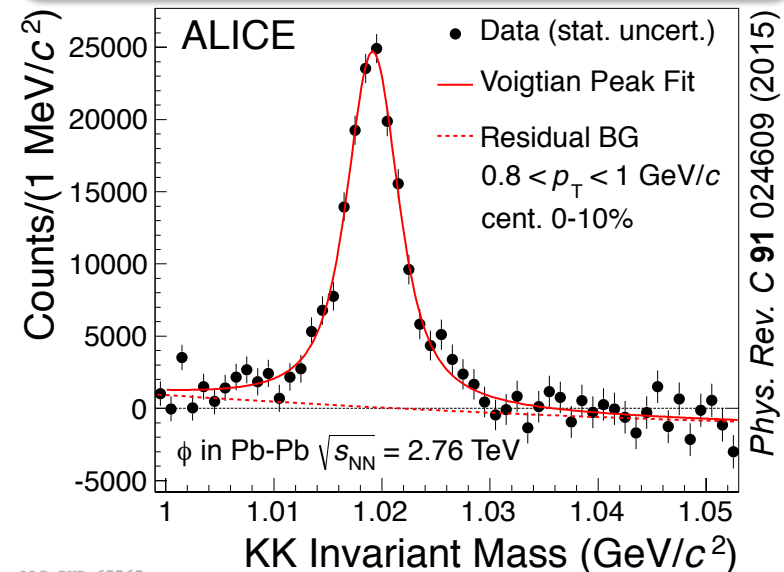
Describe background

Fit background

Like-charge  
Event mixing

Describe residual background

Fit residual background,  
usually with polynomial



Find decay products

Construct invariant mass distributions

Describe background

Fit background

Like-charge  
Event mixing

Describe residual background

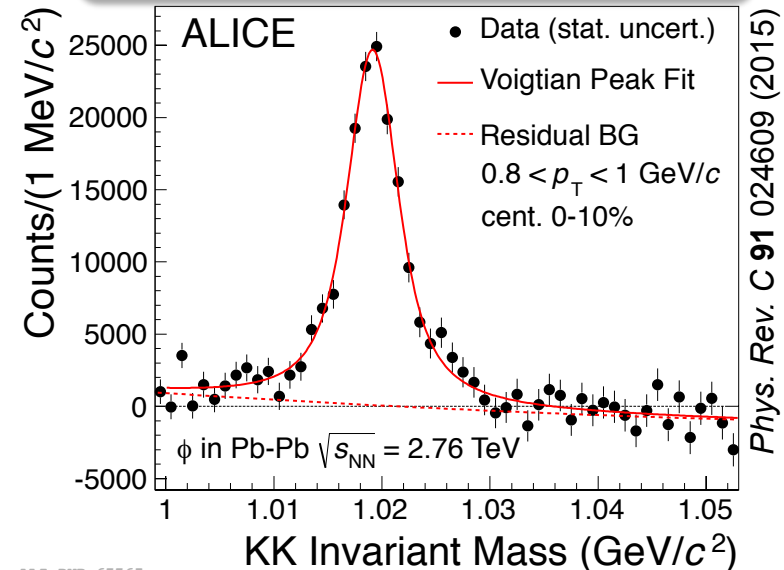
Fit peak

Extract yield,  
mass, width

Fit peak with  
-Breit-Wigner

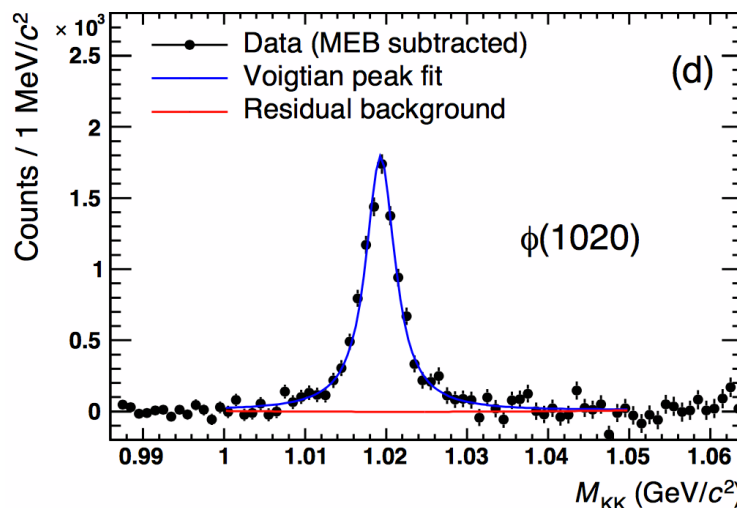
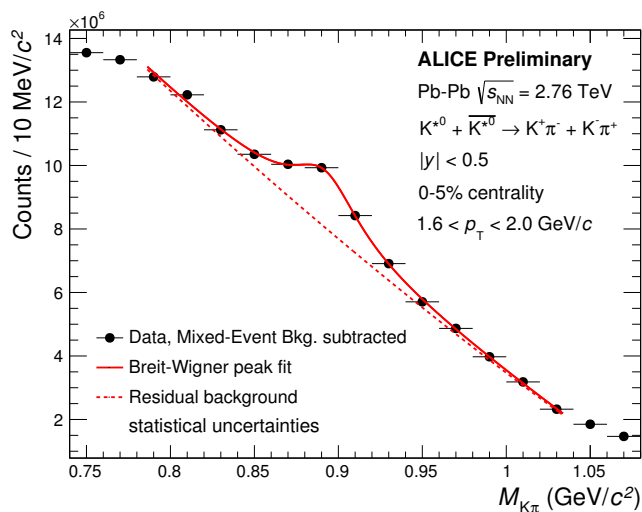
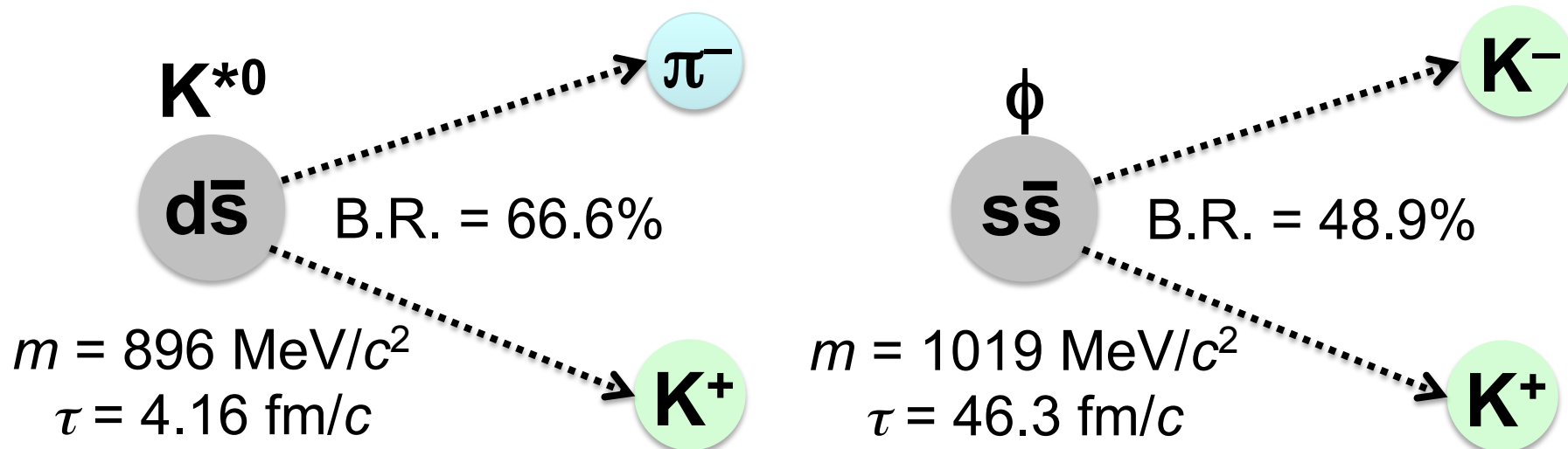
-Voigtian:

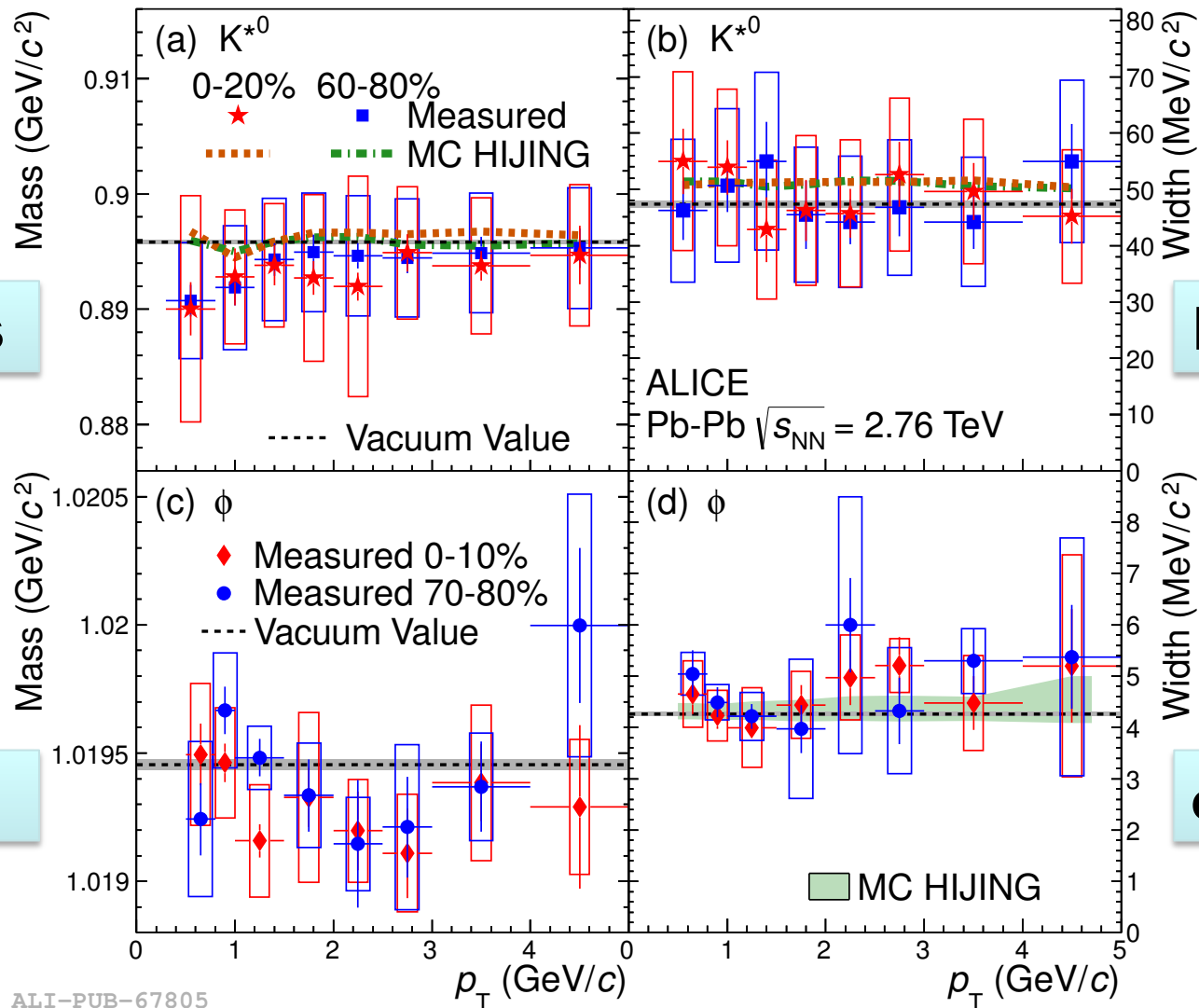
B-W convoluted with  
Gaussian to describe  
detector resolution  
( $\sigma = 1-2 \text{ MeV}/c^2$ )





- Resonances measured in pp (0.9, 2.76, 5, 7, 13 TeV), p–Pb (5.02 TeV), and Pb–Pb (2.76, 5.02 TeV) collisions

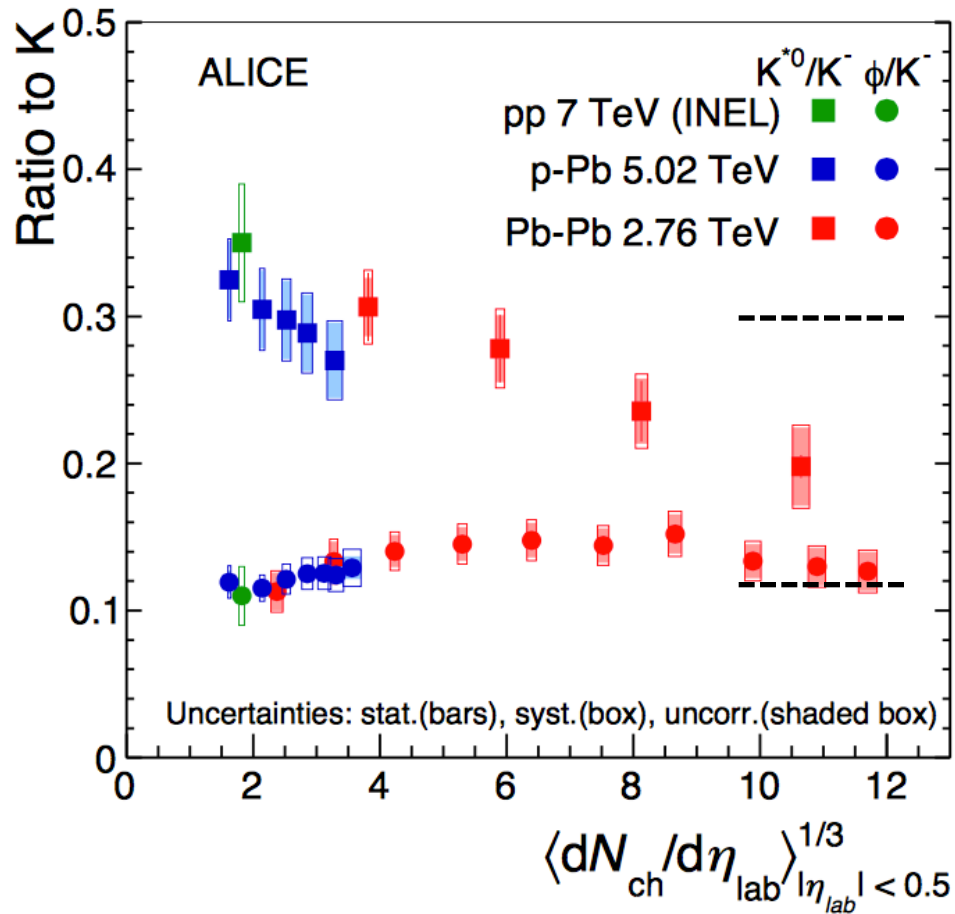


 **$K^{*0}$  Mass** **$K^{*0}$  Width** **$\phi$  Mass** **$\phi$  Width**

ALI-PUB-67805

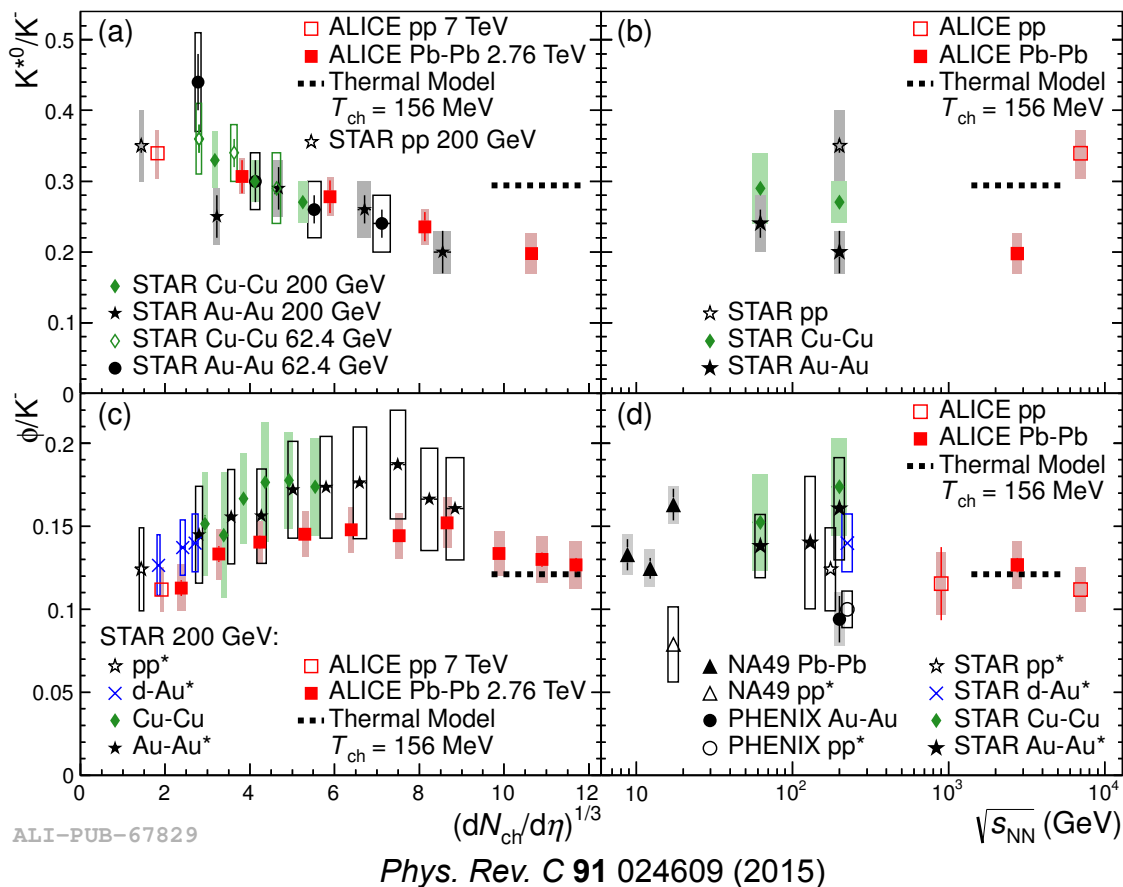
**No significant mass or width shifts observed.  
No centrality dependence of mass or width.**

- $K^{*0}/K$ 
  - In **Pb–Pb**: **strongly suppressed** in central collisions w.r.t. peripheral, **pp**, **p–Pb**, or thermal model
  - Consistent with the hypothesis that **re-scattering is dominant** over regeneration
- $\phi/K$ 
  - No strong dependence on centrality or collision system
  - $\phi$  lifetime  $\sim 10\times$  longer than  $K^{*0}$ , **re-scattering effects not significant**
  - Ratio for central **Pb–Pb** consistent with thermal model
- Ratios in **p–Pb** lie along trend from **pp** to peripheral **Pb–Pb**
- **p–Pb** Results: New paper on arXiv: 1601.07868

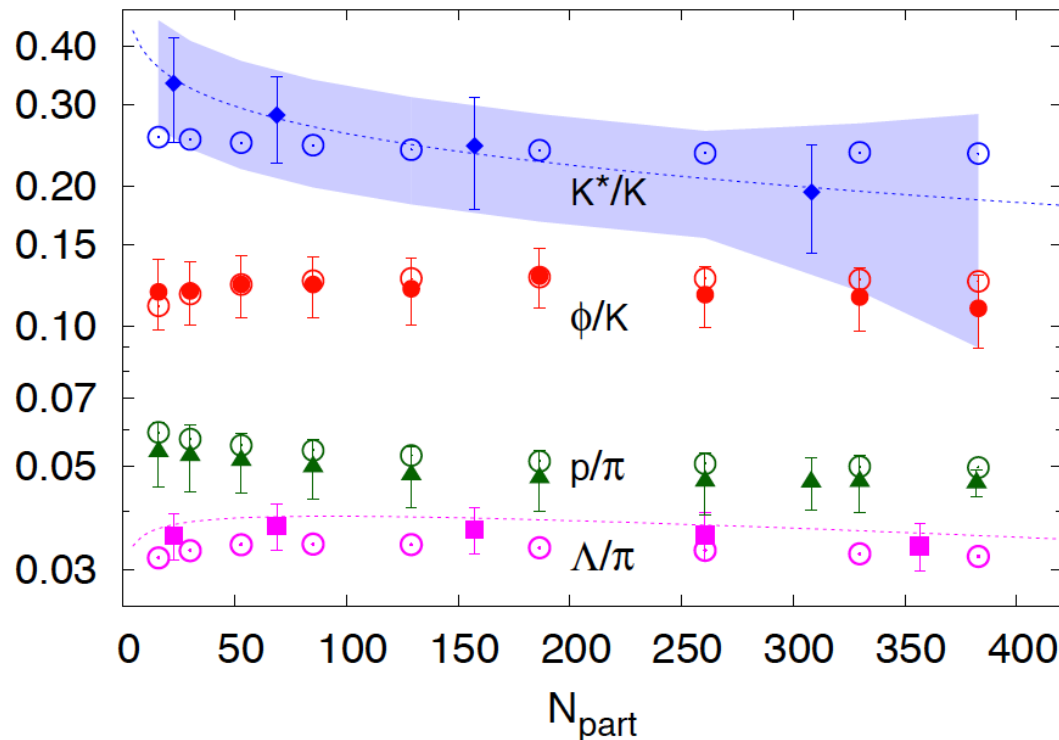


Plotted as function of  $(dN_{ch}/d\eta)^{1/3}$ , proxy for system radius

- $K^{*0}/K$ 
  - Values appear to follow same trend for both RHIC and LHC
  - Similar suppression of signal between pp and central A–A
- $\phi/K$ 
  - Similar shapes in RHIC Au–Au and LHC Pb–Pb. Au–Au values tend to be larger than Pb–Pb, but consistent within uncertainties.
  - Ratio in d–Au fits into trend between pp and Au–Au (*cf.* p–Pb at LHC)
  - No strong energy or collision-system dependence between RHIC and LHC



- Chemical non-equilibrium statistical hadronization model
  - *Phys. Rev. C* **88**, 034907 (2013)
- Factors  $\gamma_q \neq 1$  and  $\gamma_s \neq 1$  that modify u/d and s pair yields w.r.t. equilibrium values
  - $\gamma_q \neq 1$  when "source of hadrons disintegrates faster than the time necessary to re-equilibrate the yield of light quarks present."
- Gives  $\sim$ flat  $K^*/K$  ratio, may be inconsistent with measured  $K^{*0}/K^-$



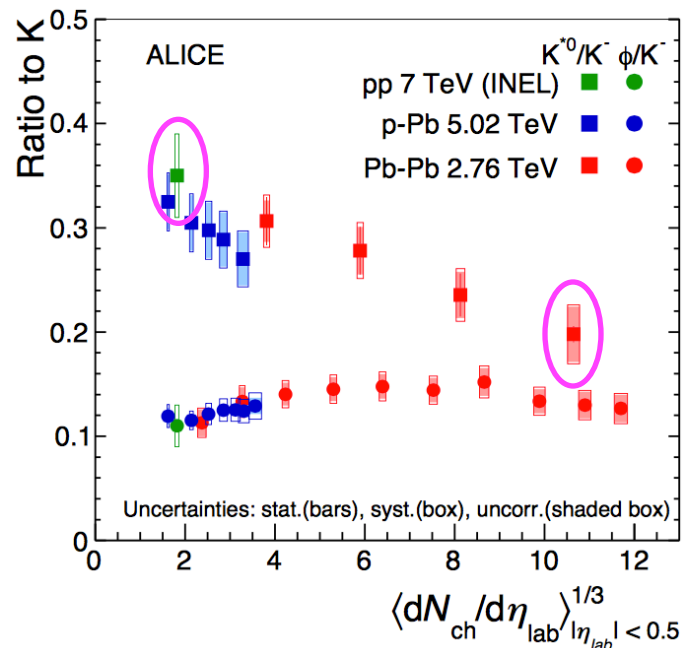
# Properties of Hadronic Phase

- Simple model:

- Assume that any  $K^{*0}$  that decays before kinetic freeze-out will be **lost due to re-scattering**, neglect regeneration, neglect lifetime increase due to time dilation
- Simple **exponential decrease** in yield ( $\tau = 4.16$  fm/c) :

$$(\text{Final}) = (\text{Initial}) \times \exp(-\Delta t/\tau)$$

- Take  $K^{*0}/K$  in pp as **initial value**, central Pb–Pb as **final value**: lifetime of hadronic phase would be  $\Delta t = 2.25 \pm 0.75$  fm/c
  - But since we neglect regeneration and time dilation, treat this as a lower limit:  $\Delta t > 1.5$  fm/c



# Properties of Hadronic Phase

- Model of Torrieri, Rafelski, *et al.* predicts particle ratios as functions of chemical freeze-out temperature and lifetime of hadronic phase
- Model Predictions:

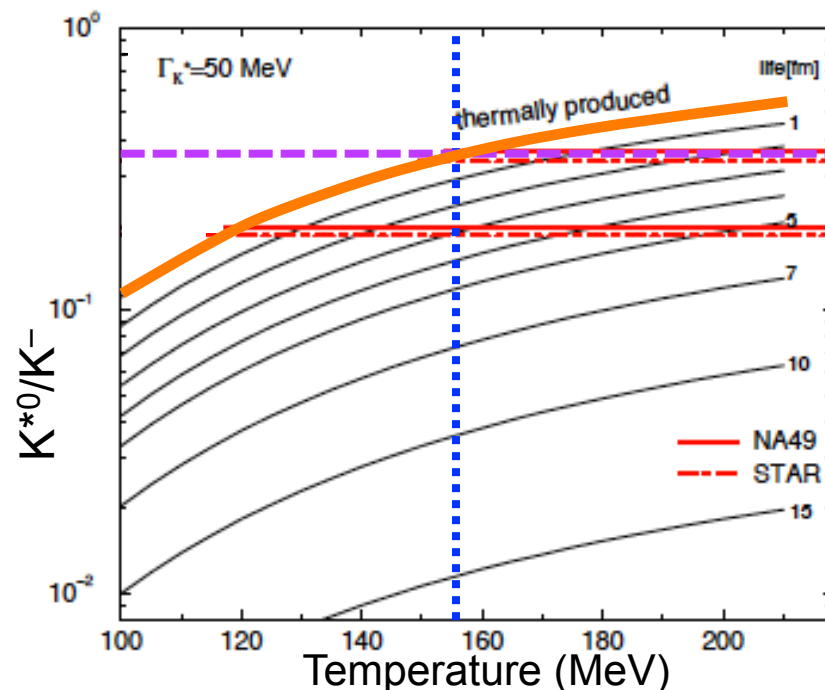
Torrieri/Rafelski [1-3]  
no re-scattering  
 $T_{\text{ch}} = 156 \text{ MeV}$



Prediction:  
 $K^{*0}/K^- = 0.35$

our assumption, based on  
thermal-model fits of ALICE data

- [1] *J. Phys. G* **28**, 1911 (2002)
- [2] *Phys. Rev. C* **65**, 069902(E) (2002)
- [3] arXiv:hep-ph/0206260v2 (2002)



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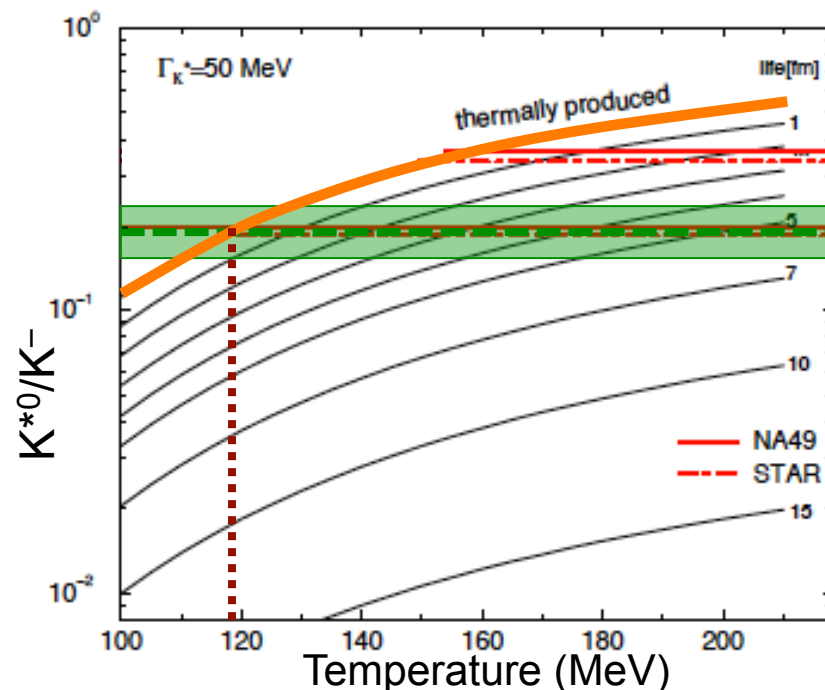
Torrieri/Rafelski [1-3]  
no re-scattering  
measured  $K^{*0}/K^-$



Prediction:  
 $T_{\text{ch}} = 120 \pm 7 \text{ MeV}$

$K^{*0}/K^- = 0.20 \pm 0.01 \text{ (stat.)} \pm 0.03 \text{ (sys.)}$

- [1] *J. Phys. G* **28**, 1911 (2002)  
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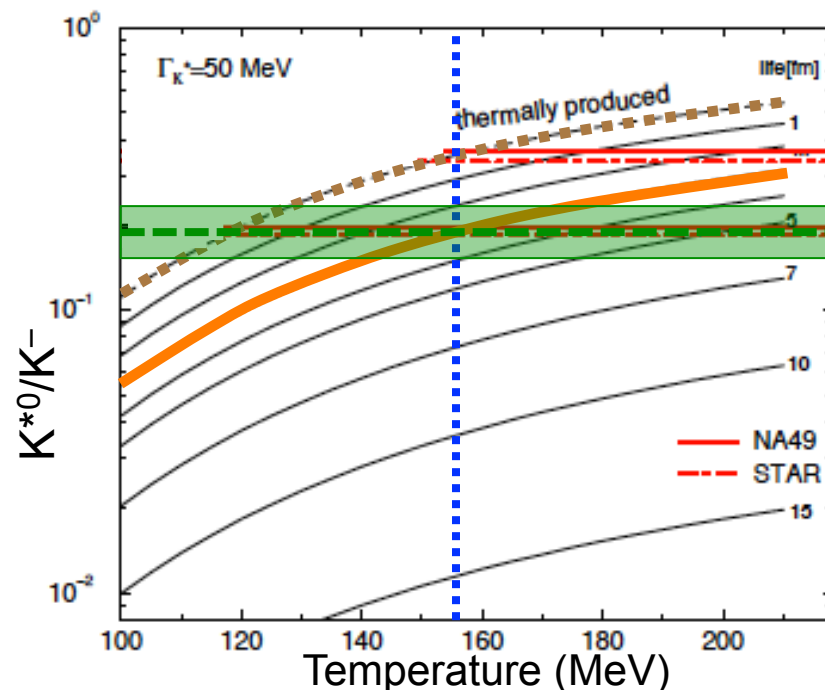
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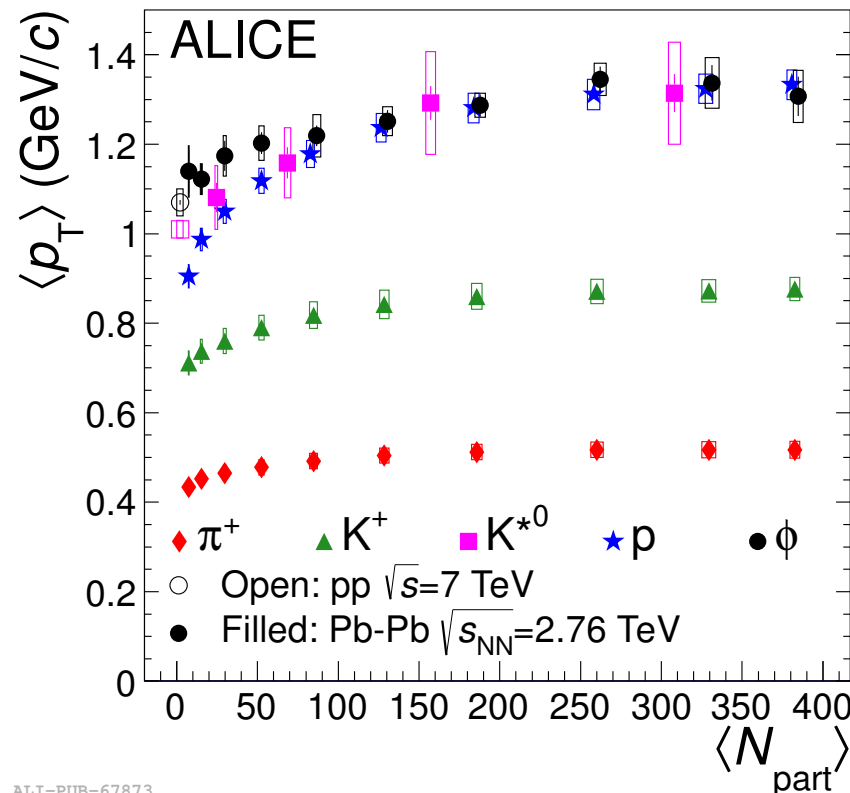


Prediction:  
Lifetime  $\geq 2 \text{ fm/c}$

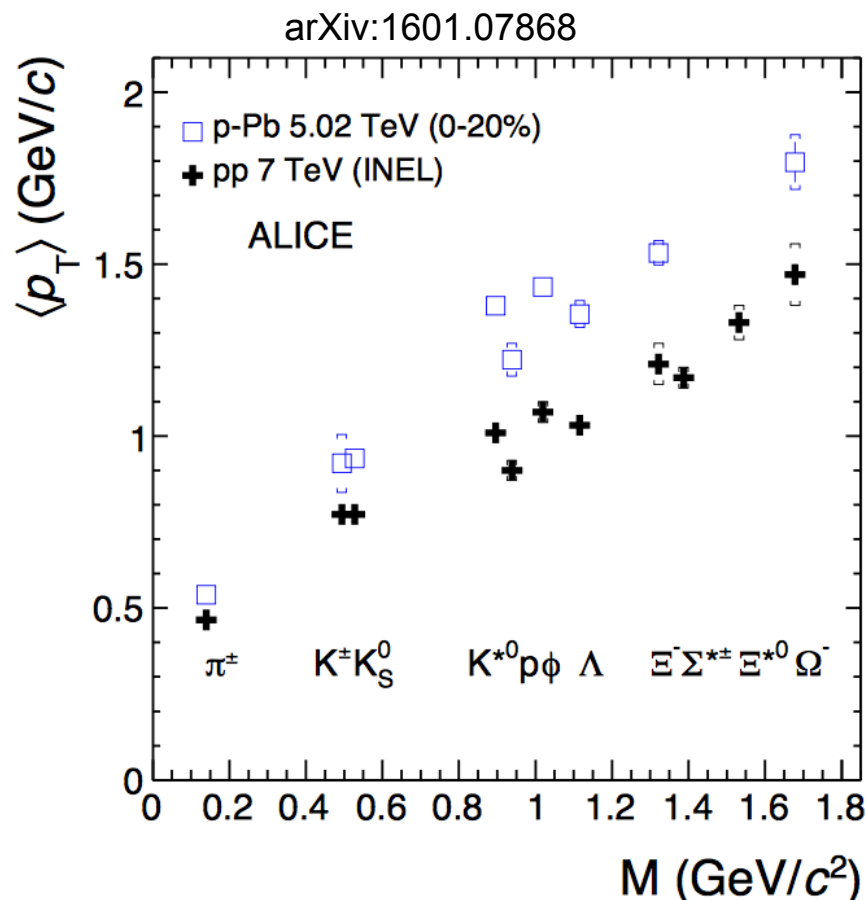
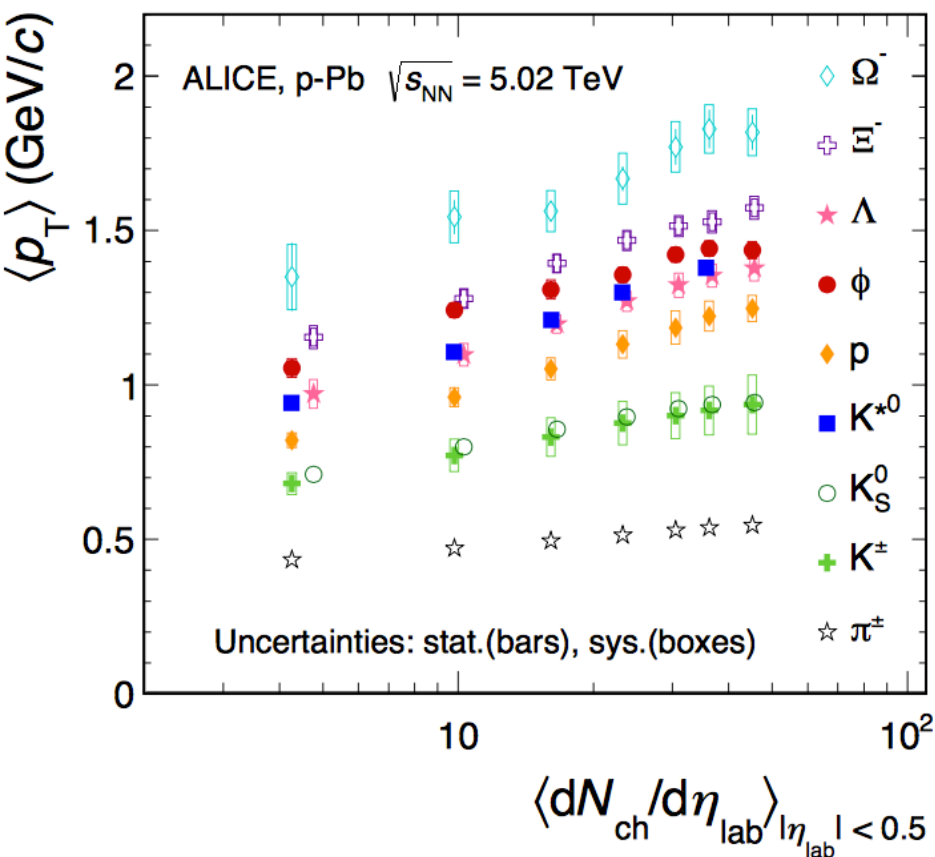
- [1] *J. Phys. G* **28**, 1911 (2002)  
[2] *Phys. Rev. C* **65**, 069902(E) (2002)  
[3] arXiv:hep-ph/0206260v2 (2002)



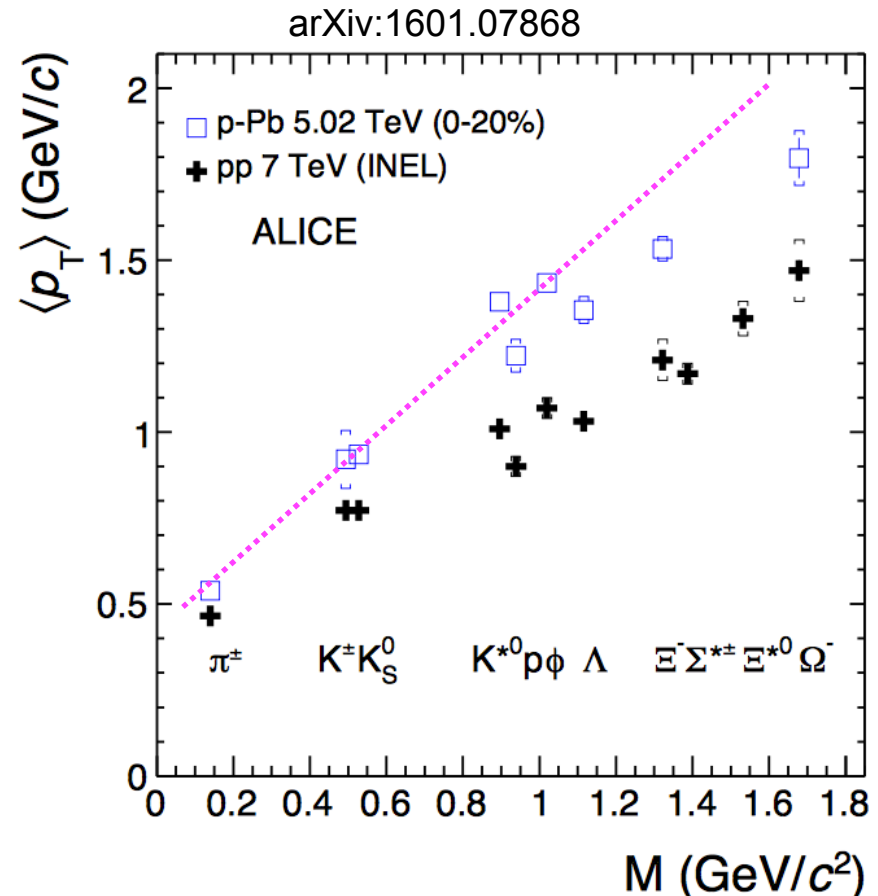
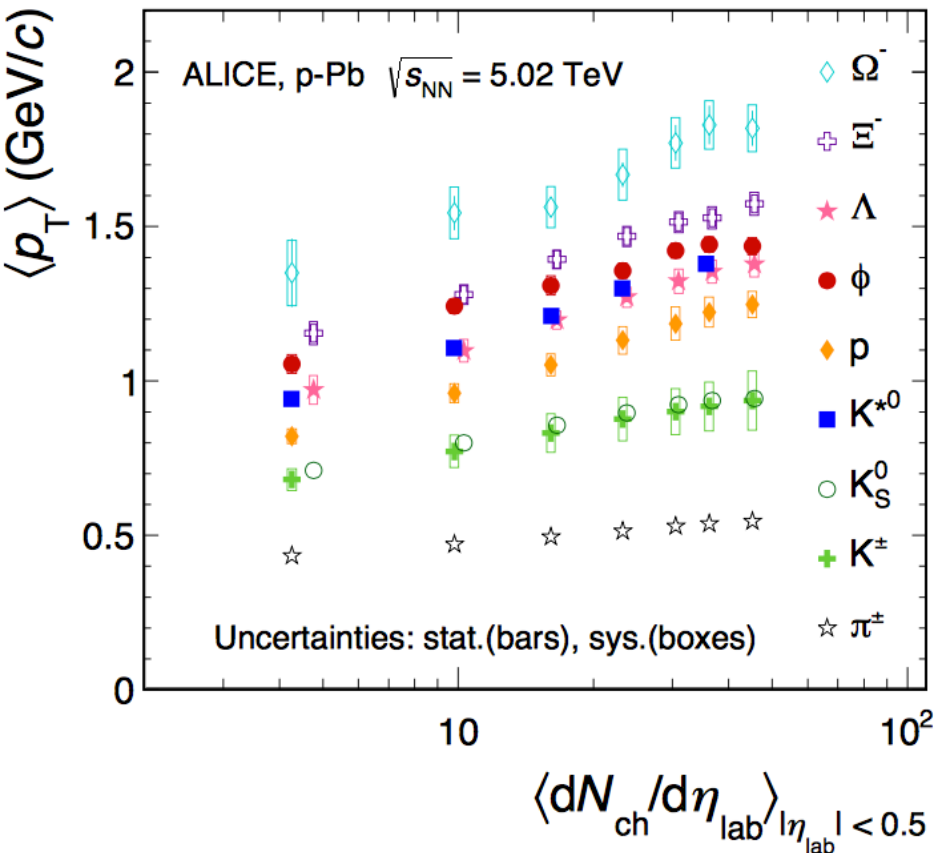
- Mass ordering of  $\langle p_T \rangle$  observed
- $\langle p_T \rangle$  of  $K^{*0}$ ,  $p$ , and  $\phi$  is similar for central Pb–Pb
  - Consistent with hydrodynamics
- $\langle p_T \rangle$  splitting between  $p$  and  $\phi$  for peripheral Pb–Pb
- Increase in  $\langle p_T \rangle$  from peripheral to central:
  - For  $\pi^\pm$ ,  $K^\pm$ ,  $K^{*0}$ , and  $\phi$ :  $\sim 20\%$
  - For  $p$ :  $\sim 50\%$



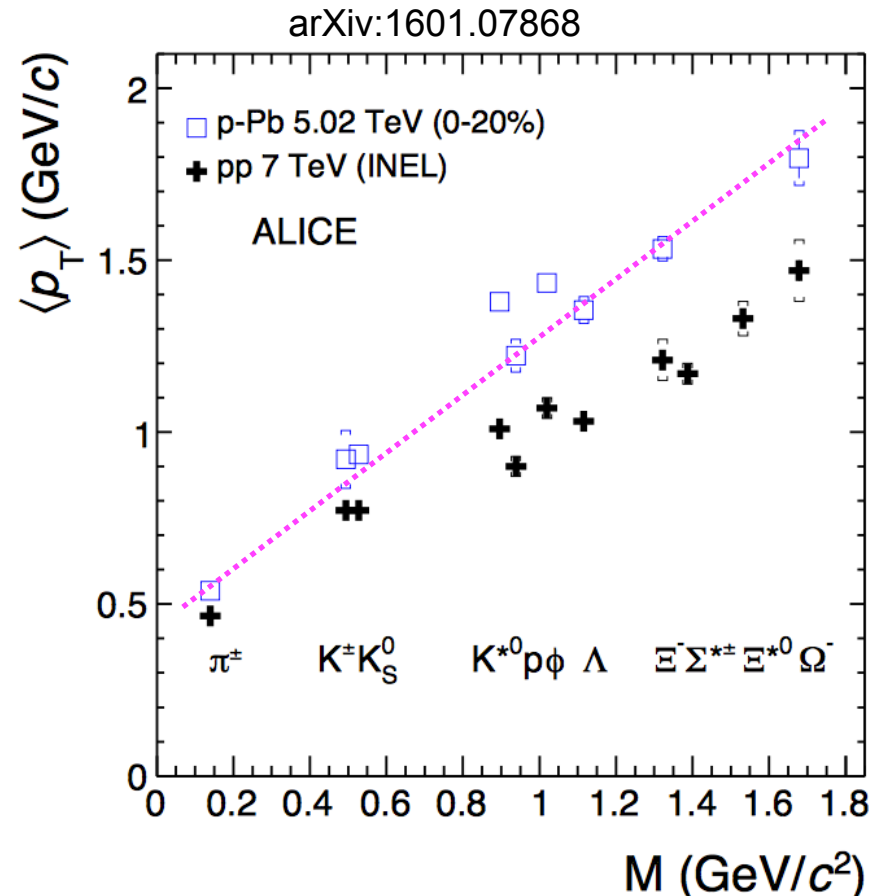
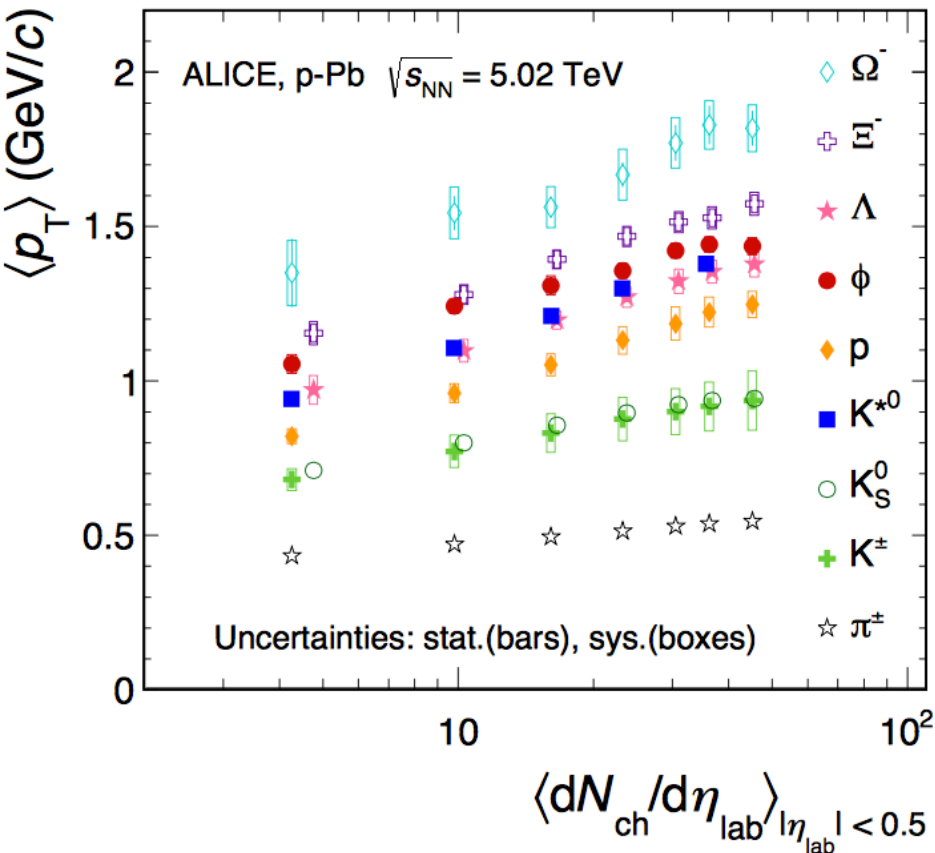
- Approximate **mass ordering** in  $\langle p_T \rangle$ 
  - But  $\langle p_T \rangle$  of  $K^{*0}$  and  $\phi$  greater than p and  $\Lambda$
  - Is there a **baryon/meson difference**, or do resonances not obey mass ordering?
  - **Same trend observed in pp**



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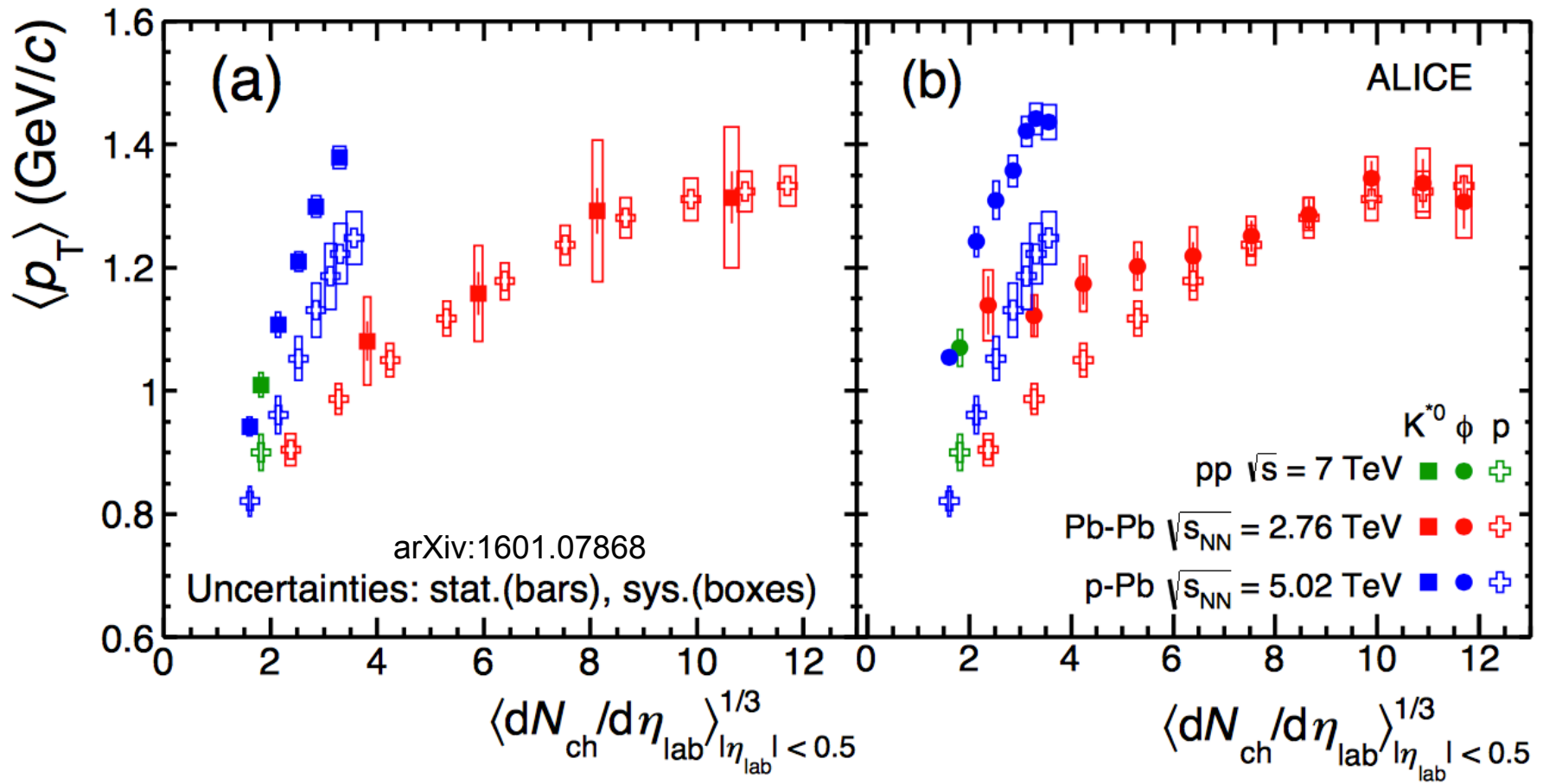


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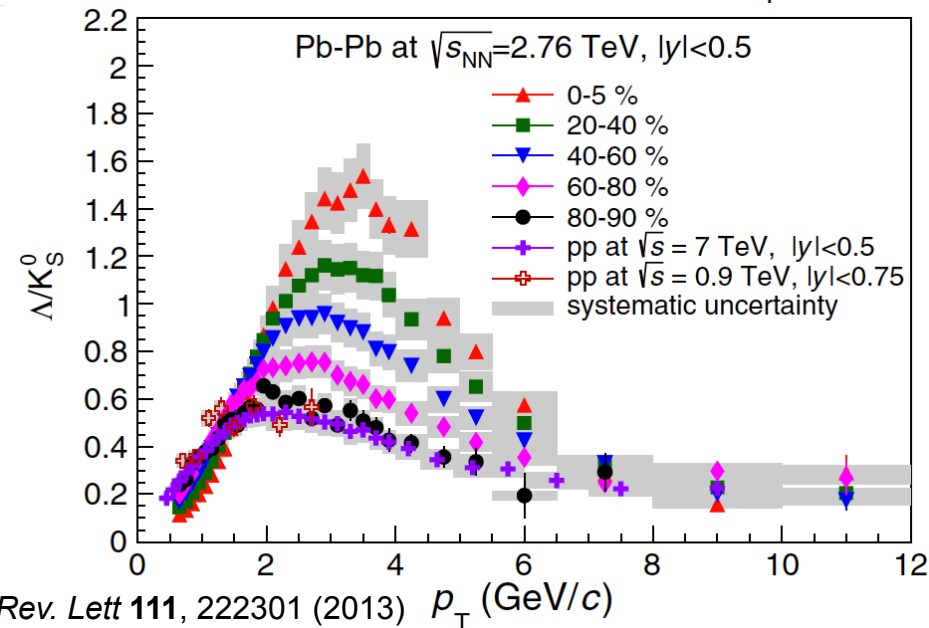
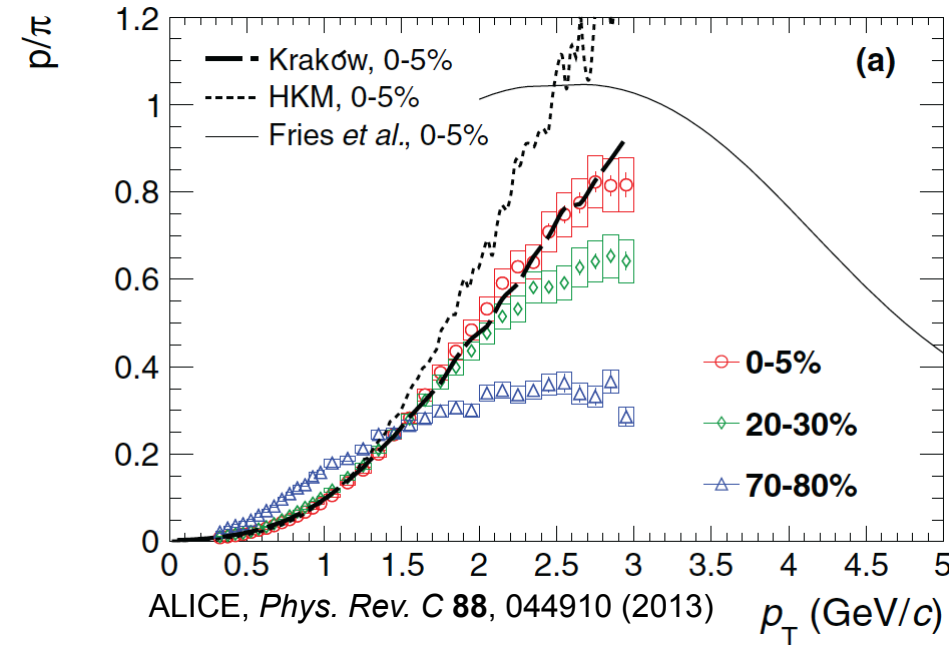


# Mean $p_T$

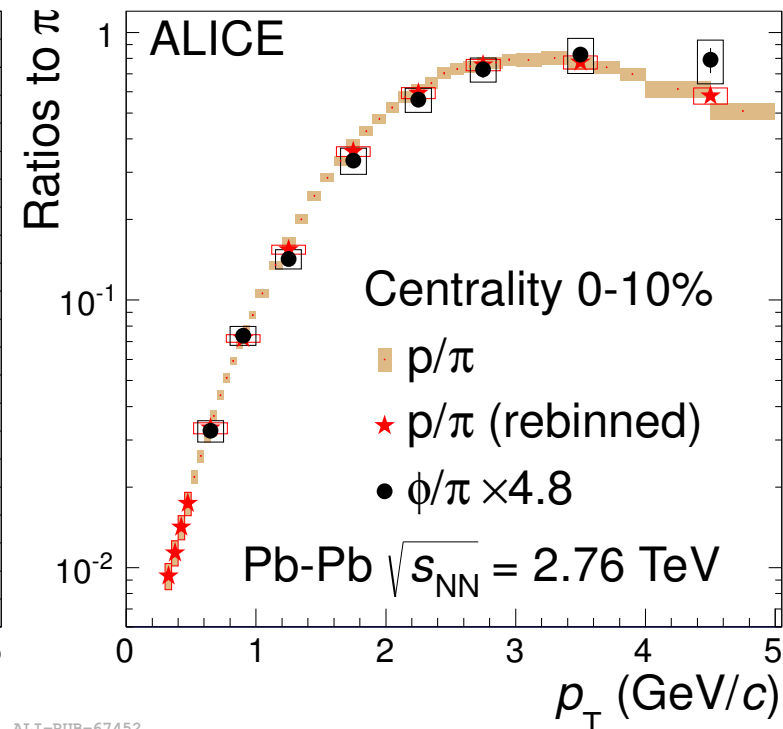
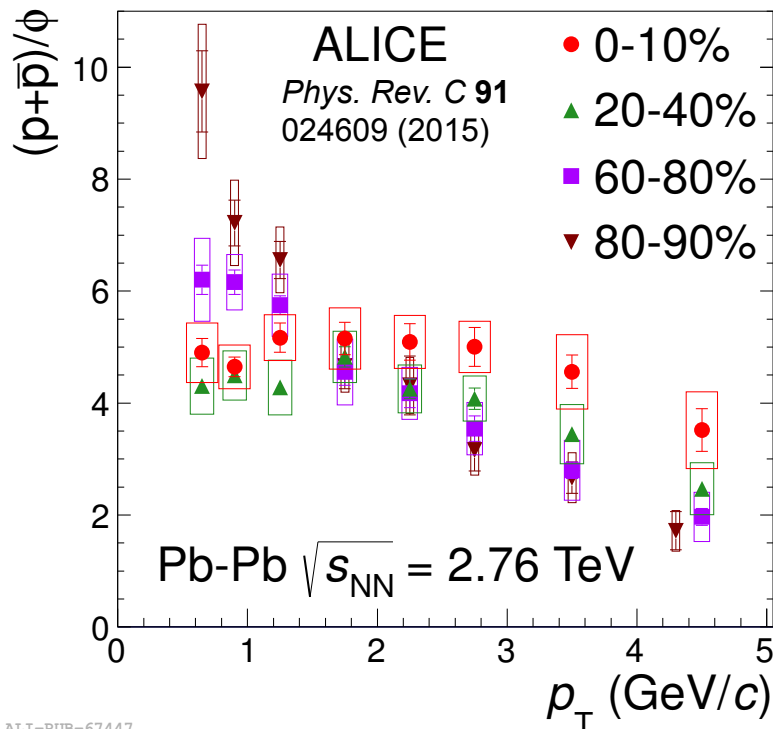
- High-multiplicity p–Pb reaches similar  $\langle p_T \rangle$  values as **central Pb–Pb**
- $\langle p_T \rangle$  in p–Pb **increases more rapidly** than **Pb–Pb** as a function of multiplicity
- Differences in  $\langle p_T \rangle$  due to difference in **particle production mechanisms?** Harder scattering in p–Pb?



- $p/\pi$  and  $\Lambda/K_S^0$  vs.  $p_T$  from :
- What causes the shape of these ratios?
  - Particle masses (hydro)?
  - Quark content/baryon vs. meson (recombination)?
- To test: need a meson with a mass similar to the proton:
  - Nature has given us such a meson:  $\phi$

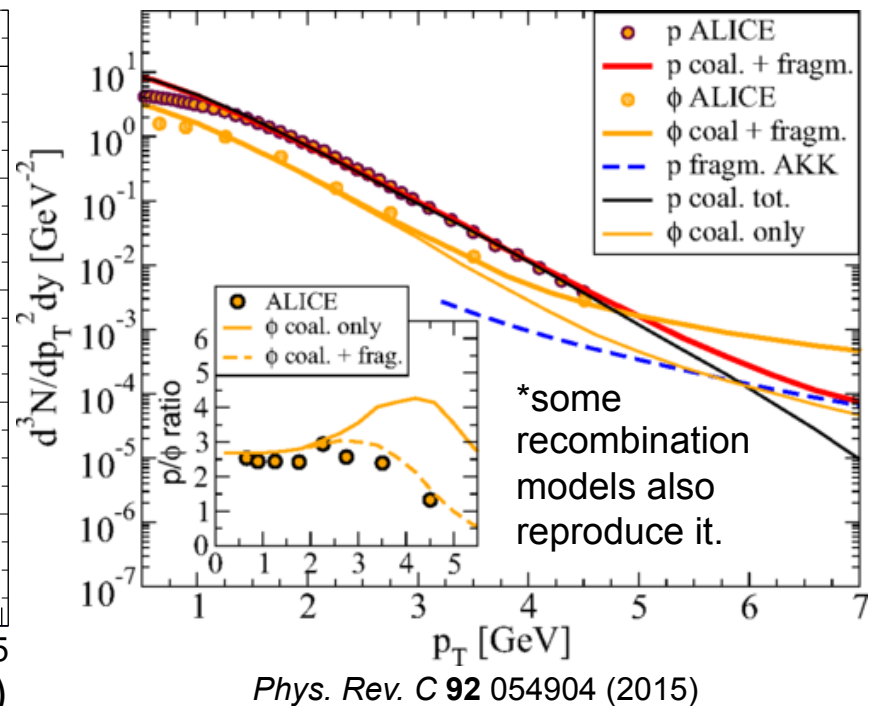
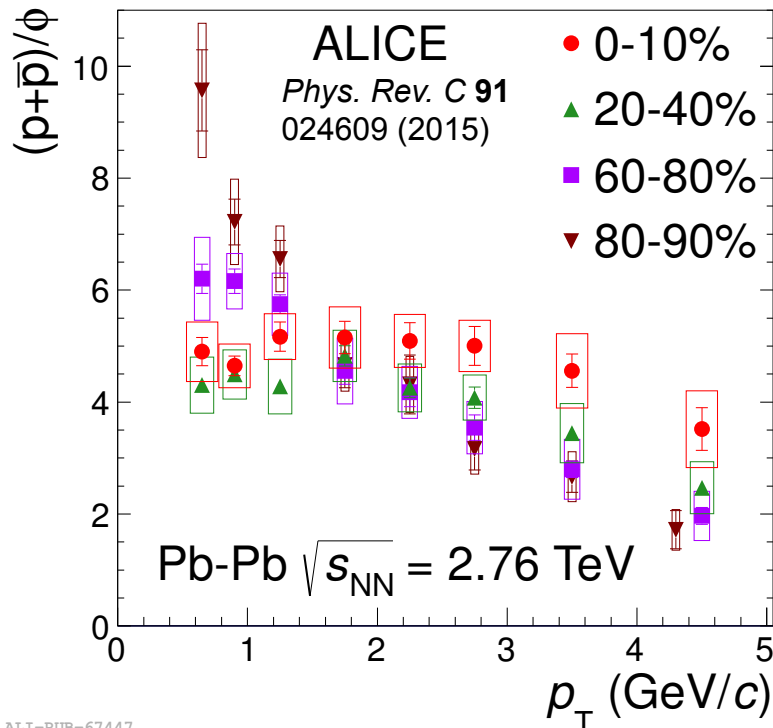


- $\rho/\phi$  **flat for central collisions** for  $p_T < 3-4$  GeV/c
  - Baryon/meson difference goes away if the two particles have the same mass. Consistent with hydrodynamics\*
- Increasing slope for **peripheral collisions**
- Peripheral Pb–Pb similar to pp (7 TeV)
- Same trend seen in  $\langle p_T \rangle$  (p and  $\phi$  different for peripheral Pb–Pb)
- Different production mechanism for  $\rho$ ,  $\phi$  in **central** vs. **peripheral**, pp?



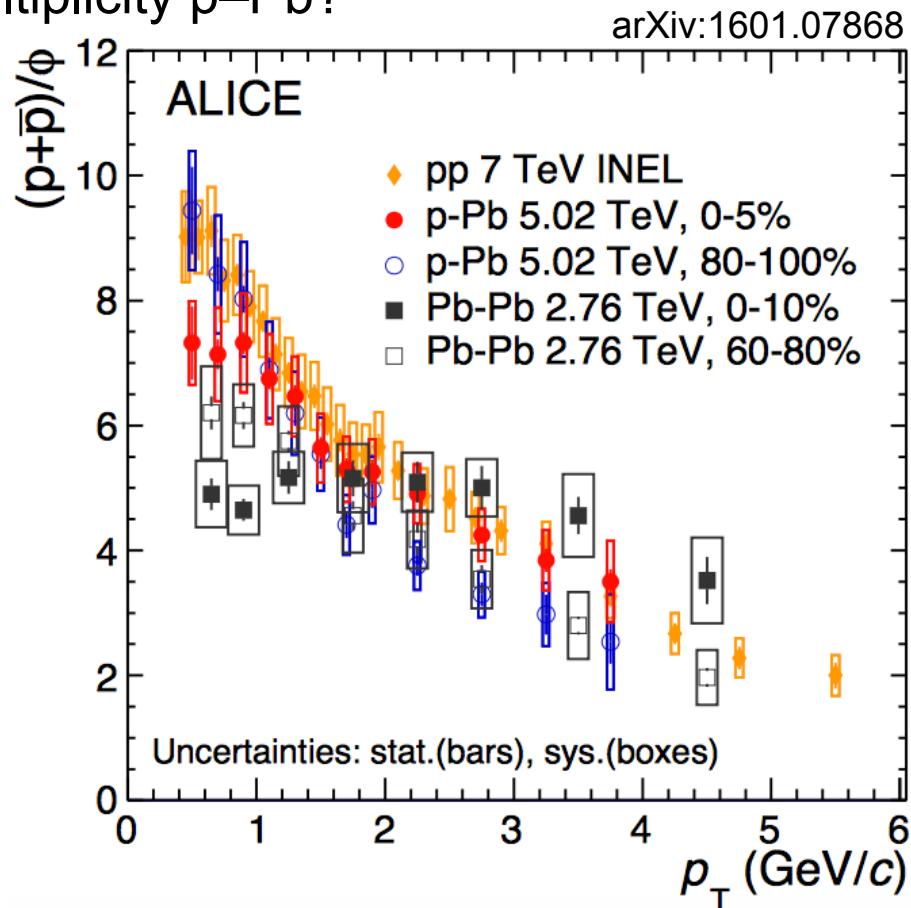


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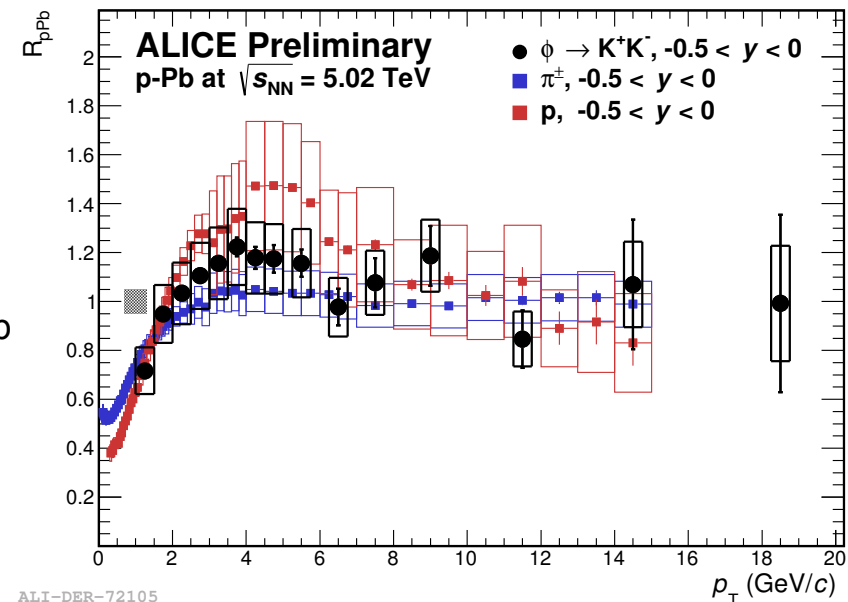
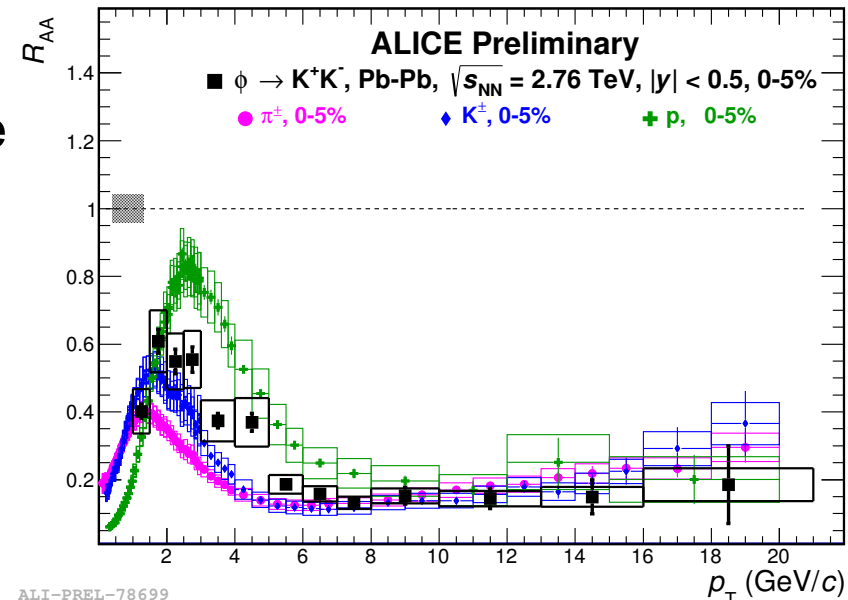
# $p/\phi$ vs. $p_T$ in p-Pb

- $p/\phi$  in **low-multiplicity p-Pb** similar to peripheral Pb-Pb and **pp**
- For  $p_T > 1$  GeV/c: no multiplicity dependence in p-Pb
- For  $p_T < 1$  GeV/c: decrease of  $p/\phi$  for **high-multiplicity**
  - Possible flattening of ratio: hint of onset of collective behavior in high-multiplicity p-Pb?



- In Pb–Pb:
  - Differences between  $p$  and  $\phi$  due to differences in reference (pp) spectra
  - Strong suppression of all hadrons at high  $p_T$
- In p–Pb:
  - No suppression of  $\phi$  w.r.t. pp for  $p_T > 1.5$  GeV/c
  - Intermediate  $p_T$ : Cronin peak for  $p$ , smaller peak for  $\phi$
  - Possible mass dependence or baryon/meson differences in  $R_{pPb}$

$$R_{AA}(p_T) = \frac{\text{Yield}(A-A)}{\text{Yield}(pp) \times \langle N_{\text{coll}} \rangle}$$

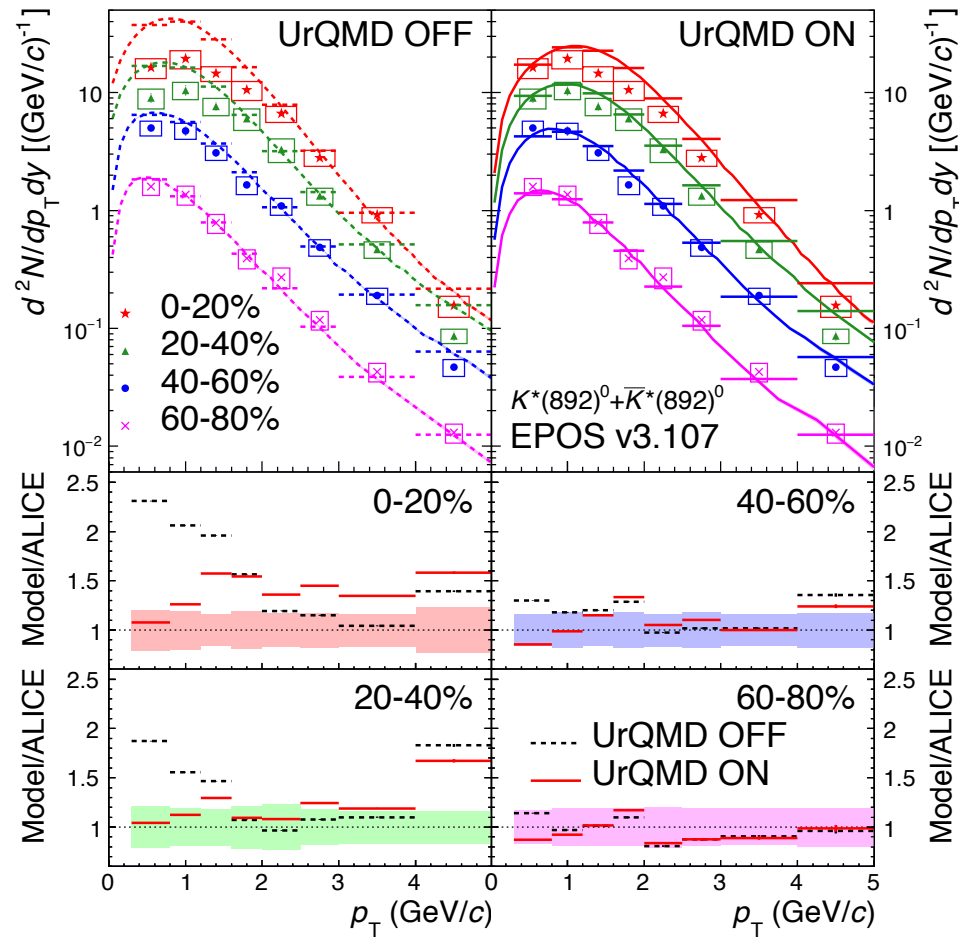


# Resonances in EPOS

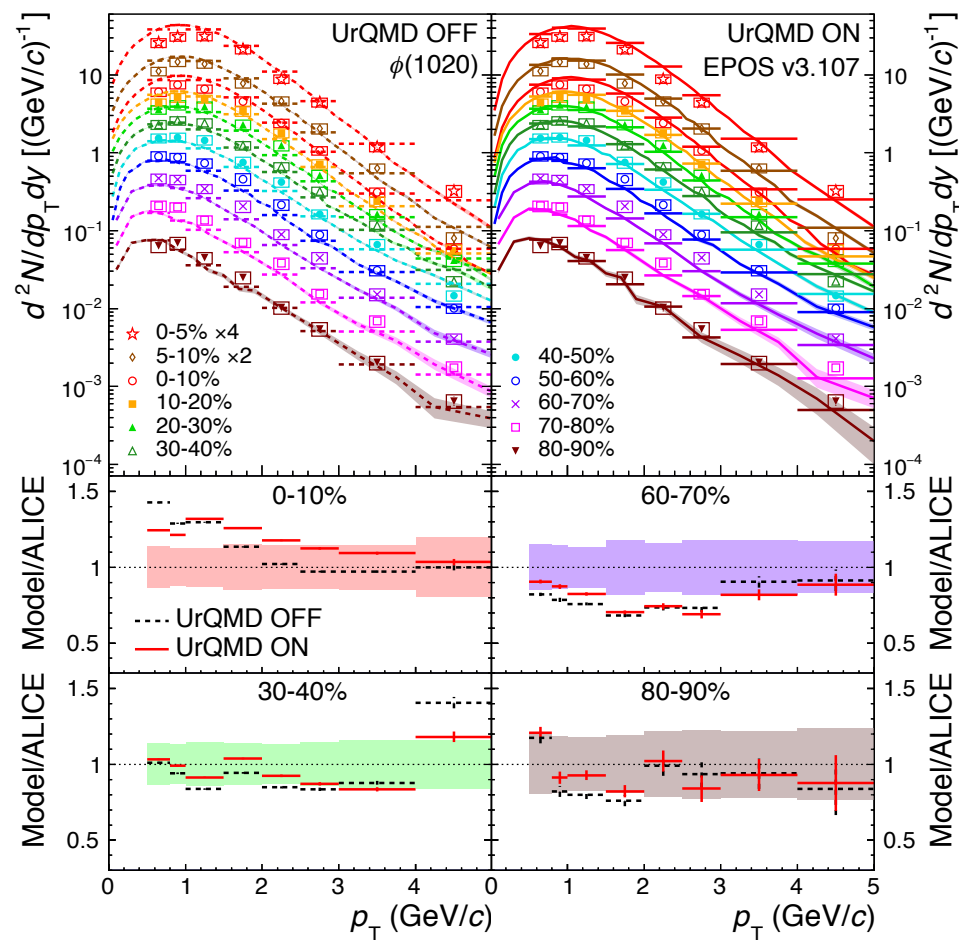
- EPOS: a universal approach: same framework for pp, p–A, and A–A collisions
- **Initial conditions:** flux tubes generated in Gribov-Regge multiple-scattering framework
  - Elementary object = Pomeron = parton ladder
  - Nonlinear effects: saturation scales  $Q_s \propto N_{\text{part}} s^\lambda$
- **Core/Corona:**
  - String segments with high  $p_T$  escape  $\rightarrow$  corona (jets)
  - Others form “core” of bulk matter  $\rightarrow$  hydro initial condition
  - Depends on local string density
- **3+1D viscous hydro** expansion,  $\eta/s=0.08$
- **Hadronization** at 166 MeV (Cooper-Frye)
- Hadronic cascade: UrQMD

- New program unit
- Detect selected resonances ( $\rho$ ,  $K^*$ ,  $\phi$ ,  $\Delta$ ,  $\Sigma^*$ ,  $\Lambda(1520)$ ,  $\Xi^*$ )
- Identify their common hadronic decays
- Track the decay daughters, **flag** whether or not either decay product interacts
  - If neither decay product interacts, resonance flagged as **reconstructible**
- New Paper:
  - A. G. Knospe *et al.*, *Phys. Rev. C* **93** 014911 (2016)

- EPOS (with UrQMD ON) provides good descriptions of  $K^{*0}$  and  $\phi$   $p_T$  spectra in Pb–Pb collisions
  - Agreement better for peripheral collisions
  - Turning UrQMD OFF  $\rightarrow$  worse description for central  $K^{*0}$ , no major changes for peripheral and  $\phi$

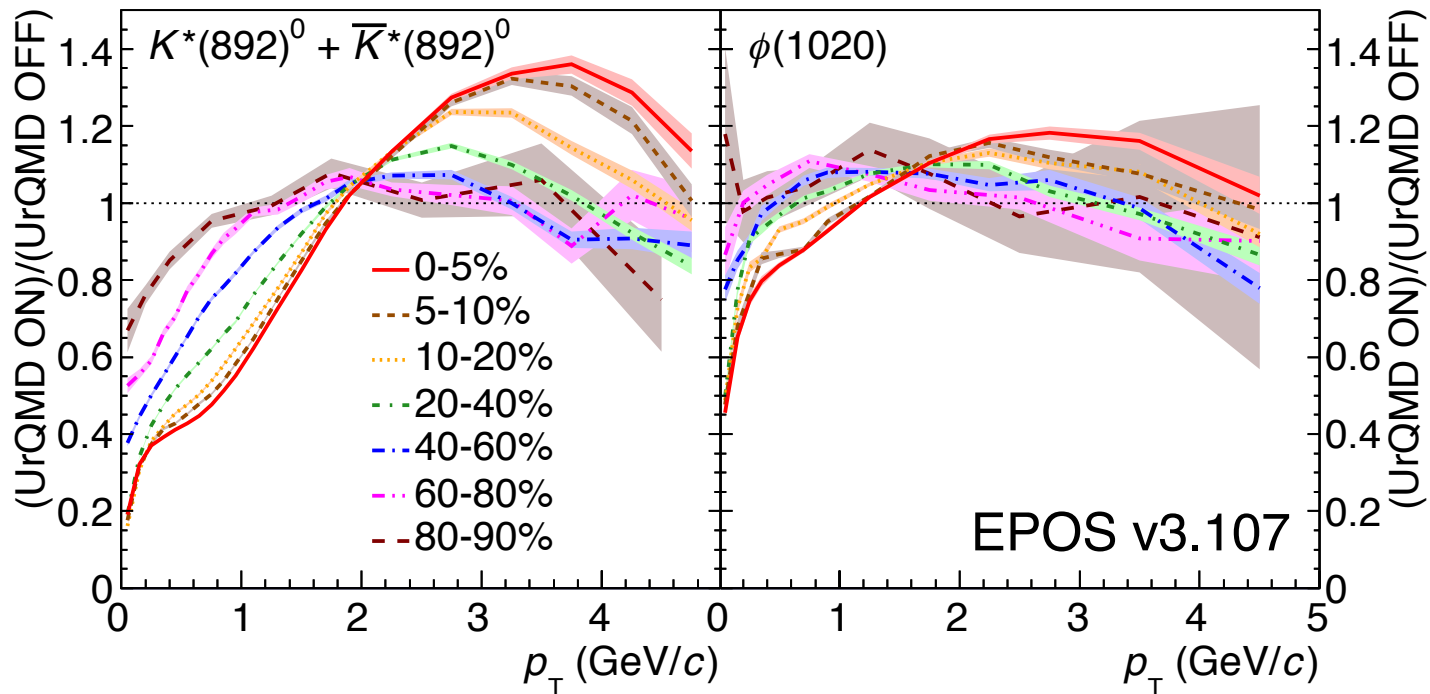


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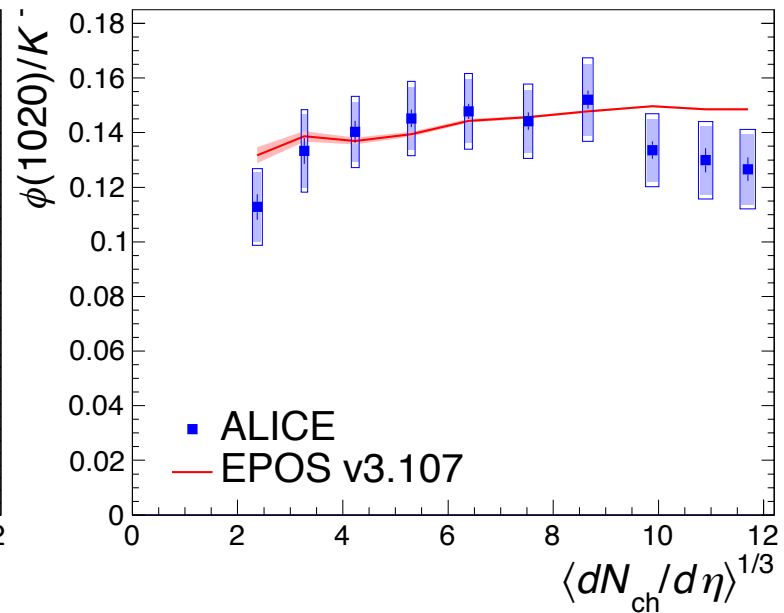
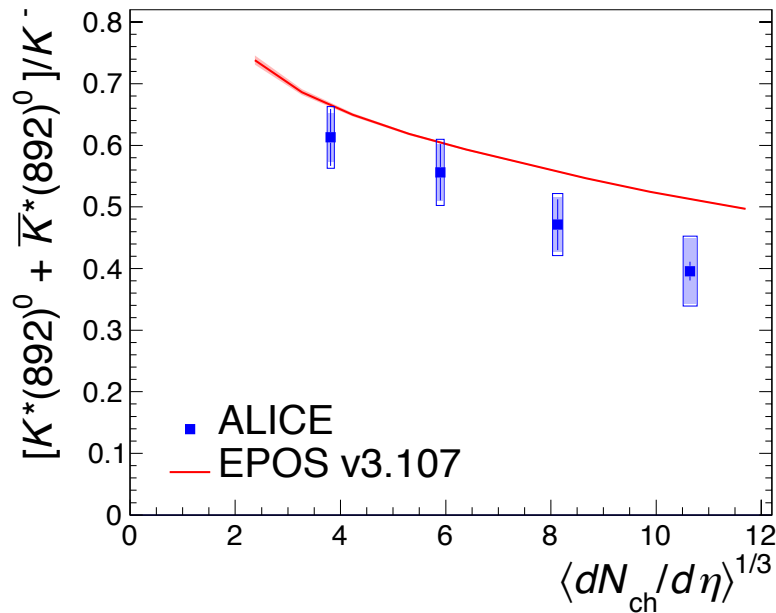




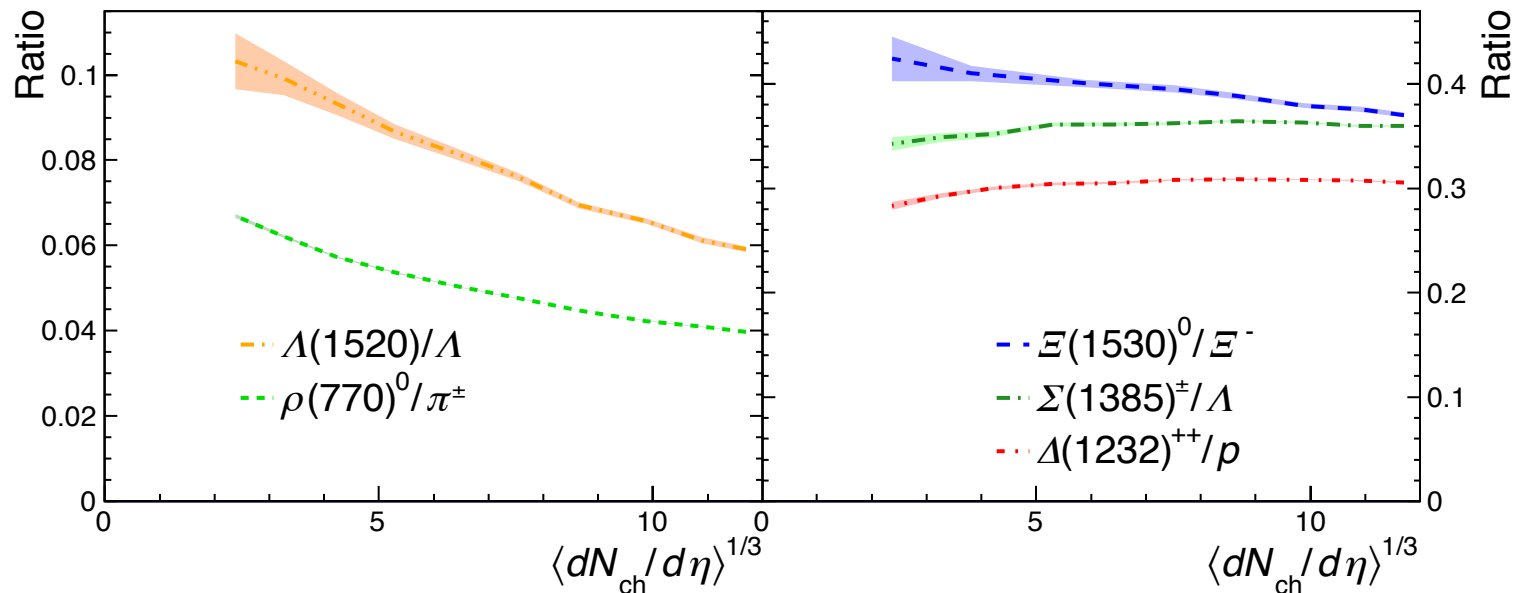
- Turning UrQMD (hadronic phase) on  $\rightarrow$  low- $p_T$ , centrality-dependent suppression of  $K^{*0}$  (re-scattering), less modification of  $\phi$



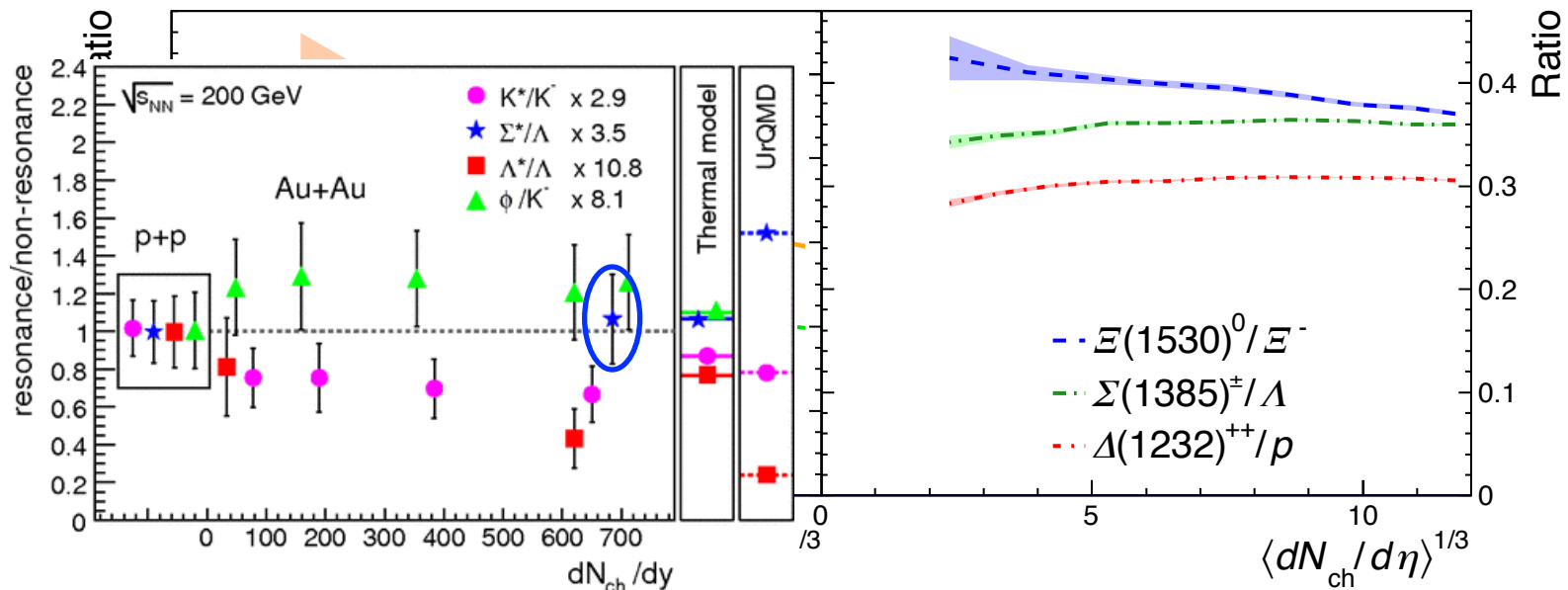
- Qualitatively describes centrality dependence of  $K^{*0}/K$  suppression (re-scattering)
  - Overestimates values
- Good description of  $\phi/K$



- Strong centrality dependence for  $\rho/\pi$  and  $\Lambda(1520)/\Lambda$
- Little modification of  $\Xi^{*0}/\Xi \rightarrow$  long resonance lifetime and/or large regeneration cross section
- Little modification of  $\Delta^{++}/p$  and  $\Sigma^{*\pm}/\Lambda \rightarrow$  large regeneration cross section
  - Cf.  $\Sigma^{*\pm}/\Lambda$  ratio from RHIC: not suppressed in central Au–Au



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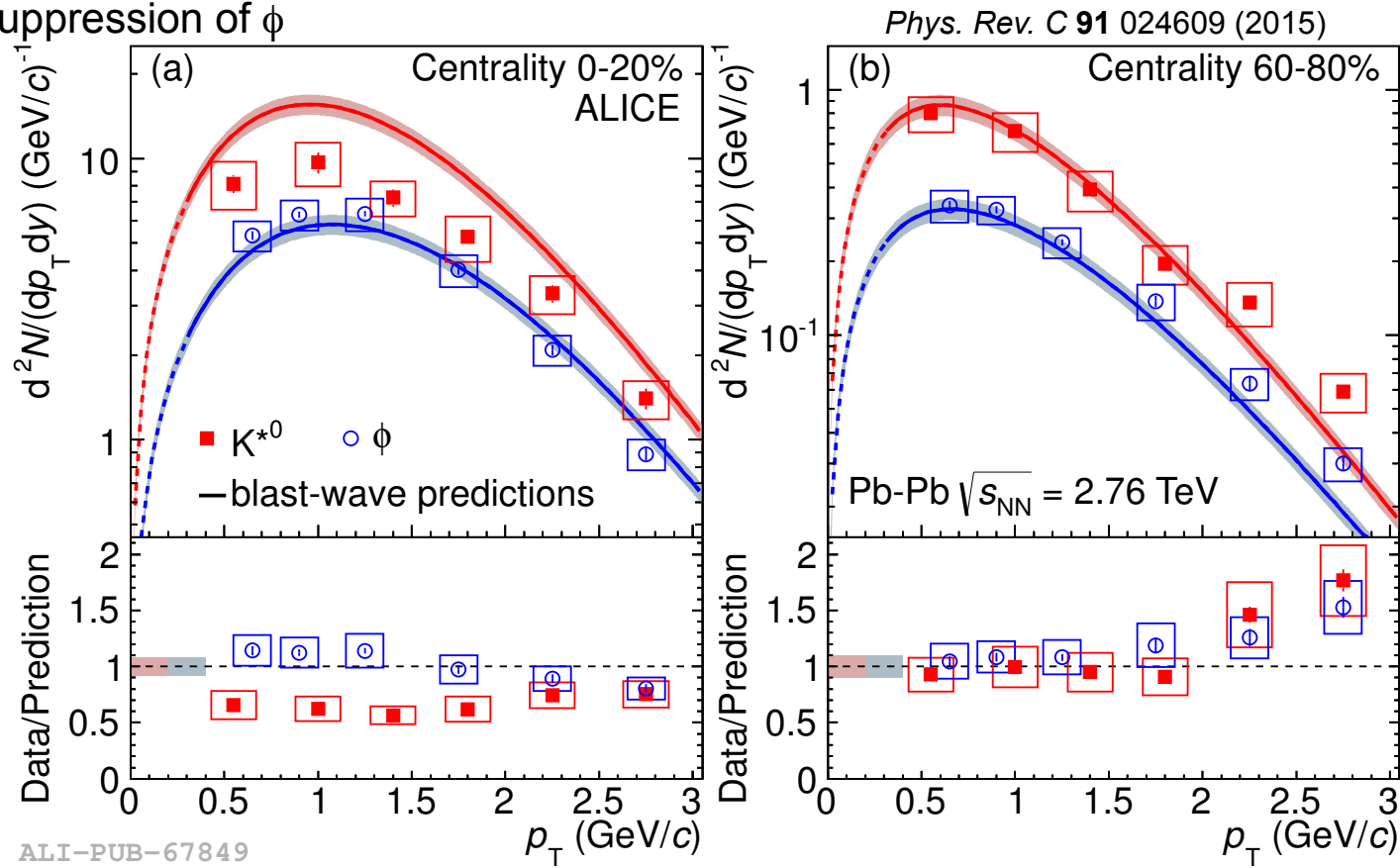


# Conclusions

- Central Pb–Pb:  $K^{*0}$  suppressed (re-scattering)  $\phi$  not suppressed (longer lifetime)
- $K^{*0}/K$  and  $\phi/K$  ratios in p–Pb follow trend from pp to peripheral Pb–Pb
- For central Pb–Pb:  $\langle p_T(K^{*0}) \rangle \approx \langle p_T(p) \rangle \approx \langle p_T(\phi) \rangle$  (consistent with hydrodynamics)
- Mass ordering violated for pp, p–Pb, peripheral Pb–Pb:  $\langle p_T(K^{*0}, \phi) \rangle > \langle p_T(p, \Lambda) \rangle$ 
  - Baryon/meson difference?
- $p/\phi$  ratio flat vs.  $p_T$  for central Pb–Pb collisions ( $p_T < 3-4$  GeV/c)
  - consistent with hydrodynamics
  - Possible onset of collective effects in p–Pb?
- Nuclear Modification Factors:
  - High- $p_T$  suppression observed in central Pb–Pb ( $R_{AA}$ ) but not in p–Pb
  - High- $p_T$  behavior of  $\phi$  similar to stable hadrons
  - Moderate  $\phi$  Cronin peak (between  $\pi$  and p)
- New Results coming soon
  - Suppression of  $\rho^0$  in Pb–Pb, baryonic resonances
  - Multiplicity dependent pp measurements
  - Run 2 data: pp 13 TeV and Pb–Pb 5.02 TeV
- Resonances in EPOS: new module flags reconstructible resonances
  - Re-scattering affects  $K^{*0}$  yields at low  $p_T$ , little effect for  $\phi$
  - Predictions of strong  $\rho/\pi$  and  $\Lambda(1520)/\Lambda$  suppression, flat  $\Sigma^{*\pm}/\Lambda$  to be tested...

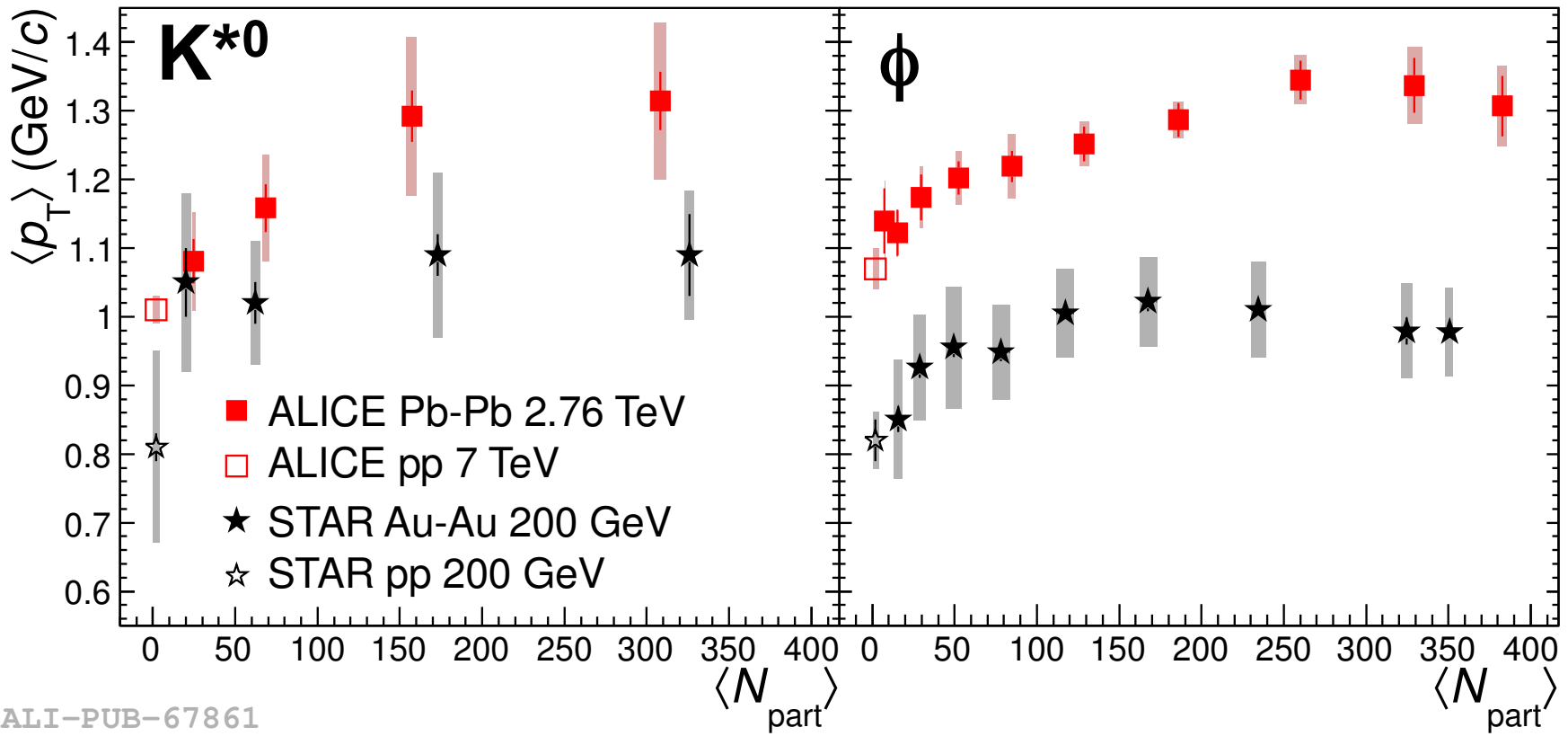
# Backup Material

- Does  $K^{*0}$  suppression depend on  $p_T$ ? UrQMD: re-scattering strongest for  $p_T < 2$  GeV/c.
- Expected  $p_T$  distribution from blast-wave model:
  - **Shape:** parameters ( $T_{\text{kin}}, n, \beta$ ) from combined fits of  $\pi/K/p$  in Pb–Pb
  - **Normalization:** K yield  $\times$   $K^{*0}/K$  ratio from thermal model ( $T_{\text{ch}}=156$  MeV)
- Central:  $K^{*0}$  suppressed for  $p_T < 3$  GeV/c, but **no strong  $p_T$  dependence**
- Peripheral:  $K^{*0}$  not suppressed
- No suppression of  $\phi$



- $\langle p_T \rangle$  appears to increase for more central Pb–Pb collisions w.r.t. peripheral and pp
- $\langle p_T \rangle$  greater at LHC than RHIC
  - For  $K^{*0}$ : 20% larger      For  $\phi$ : 30% larger
- ALICE  $\pi, K, p$  spectra: global blast-wave fit shows  $\sim 10\%$  increase in radial flow w.r.t. RHIC

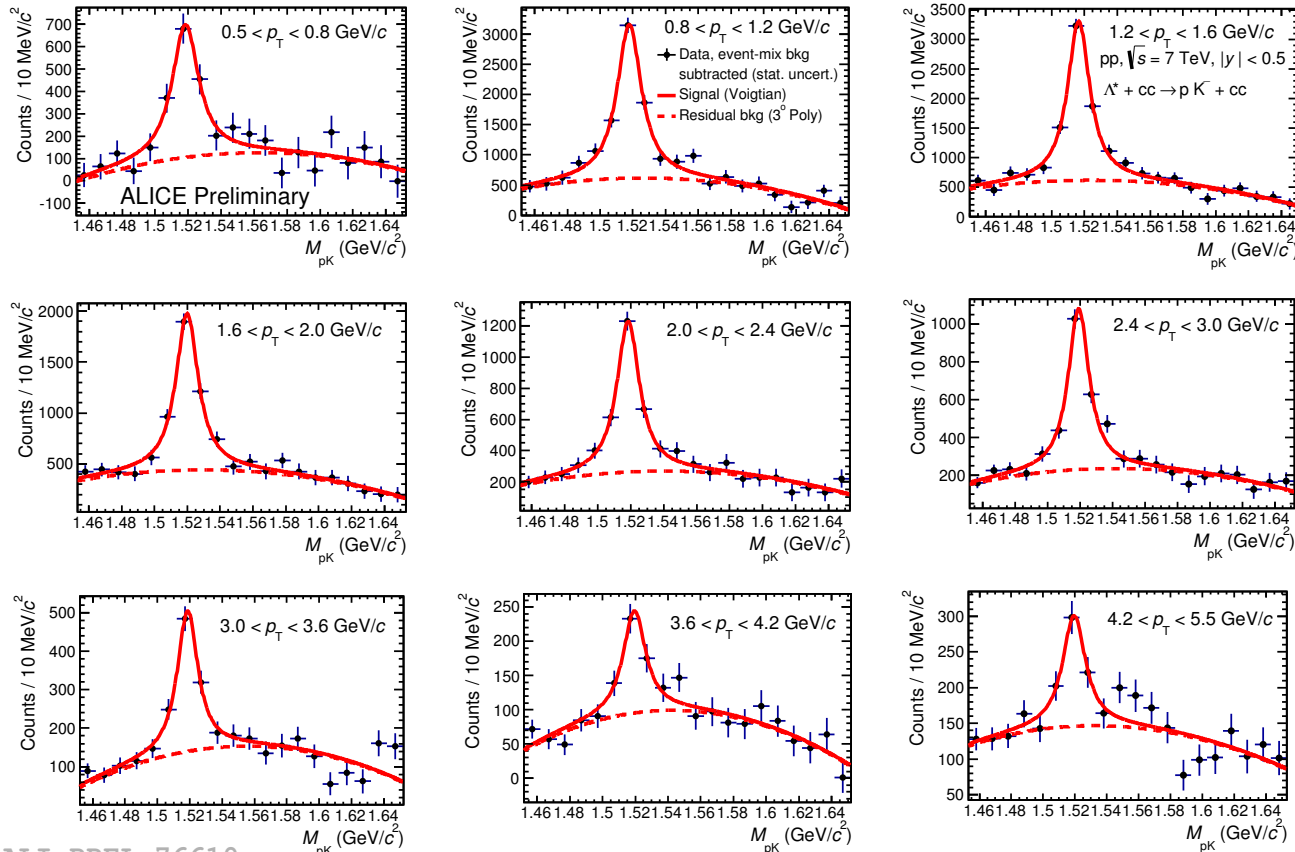
*Phys. Rev. C 91 024609 (2015)*



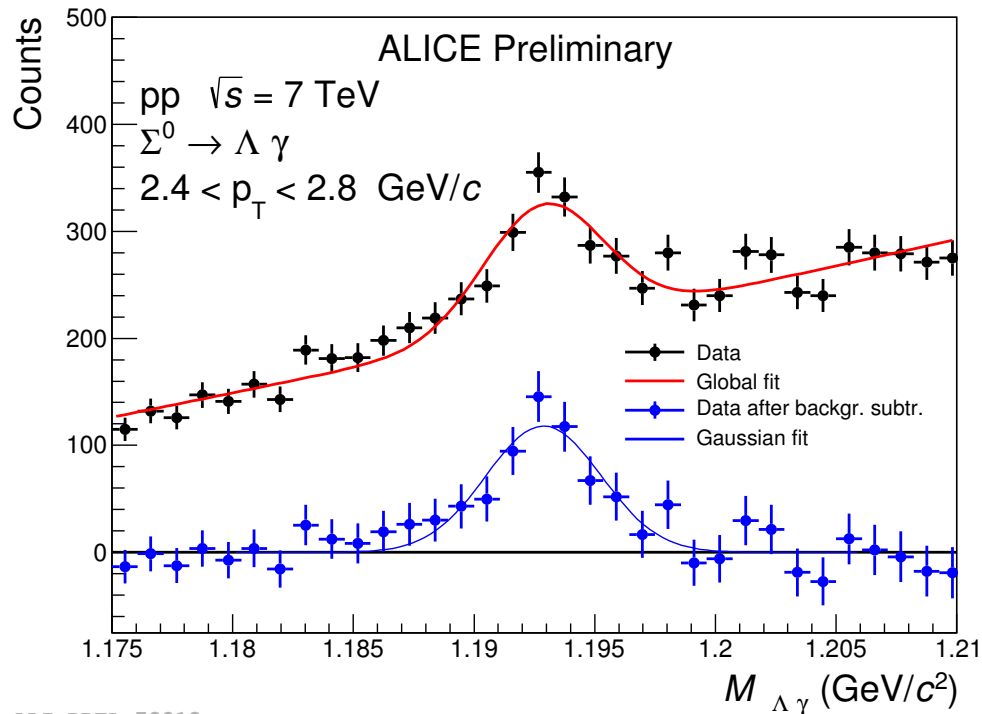


# $\Lambda(1520)$

- Reconstruction in pp 2.76 TeV, pp 7 TeV, p–Pb 5.02 TeV, and Pb–Pb 2.76 TeV
- Decay channel:  $\Lambda(1520) \rightarrow pK^-$ 
  - Decay products identified using TPC and TOF
- Mass from invariant-mass fits in pp and p–Pb: good agreement with vacuum value
- More information can be found in poster of R. C. Baral at Quark Matter 2014: <https://indico.cern.ch/event/219436/session/2/contribution/197/material/poster/0.pdf>



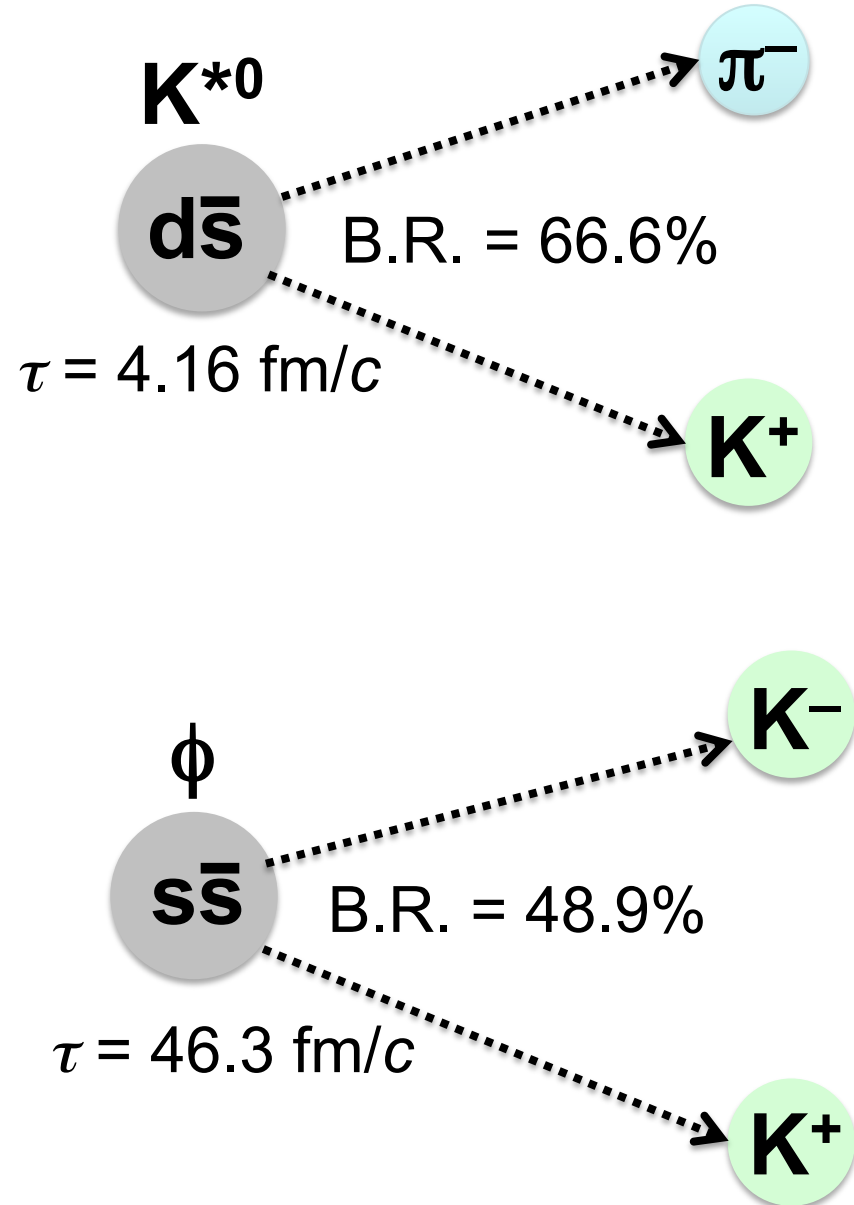
- Reconstruction in pp 7 TeV
- Decay channel:  $\Sigma^0 \rightarrow \Lambda \gamma$ 
  - Photon identified through measurement of its conversion, and in PHOS (calorimeter)
- More information can be found in poster of A. Borissov at Quark Matter 2014: <https://indico.cern.ch/event/219436/session/2/contribution/196/material/slides/0.pdf>



# Resonances in p+p Collisions

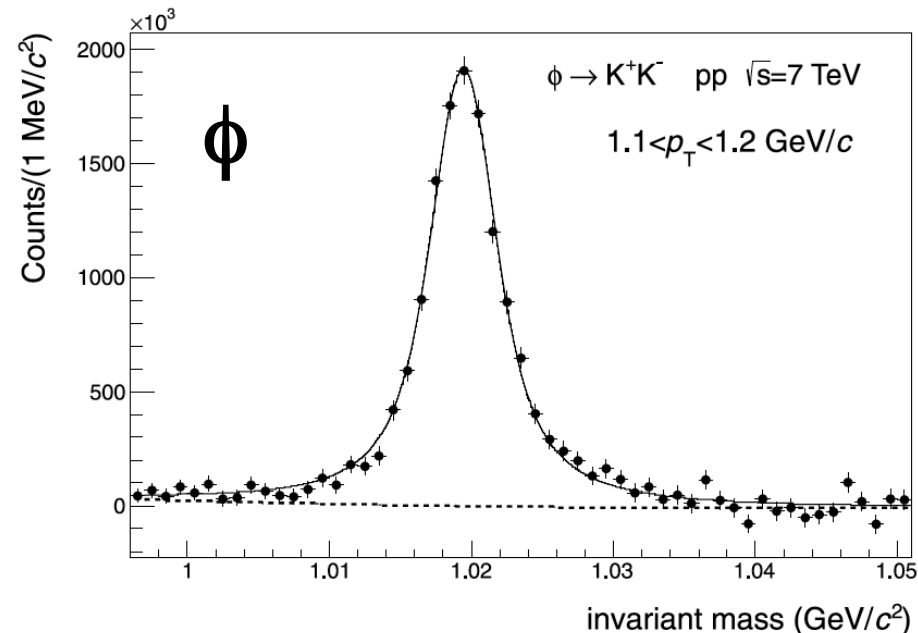
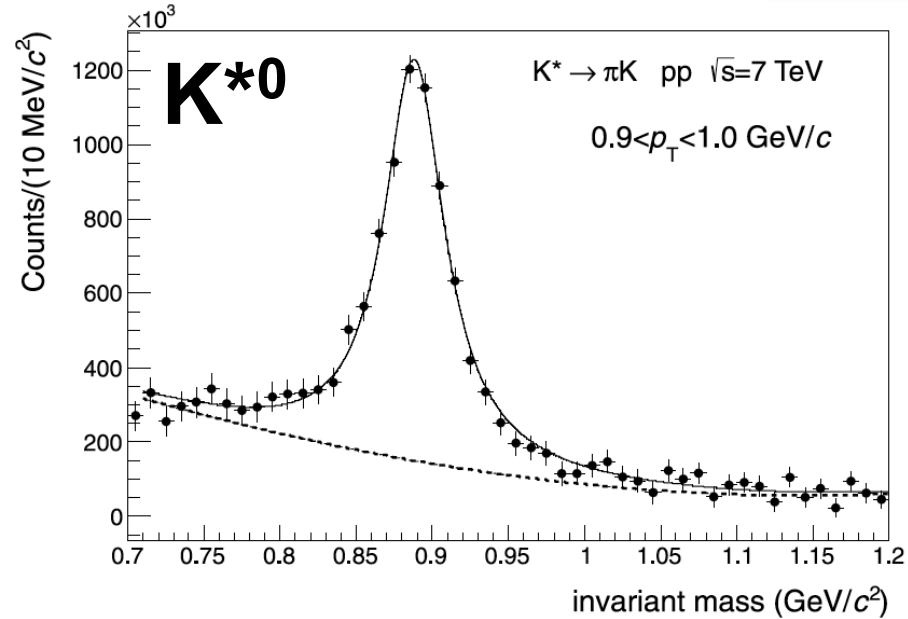
# $K^*(892)^0$ and $\phi(1020)$

- Similar to Pb+Pb analyses:
- p+p 900 GeV: 250 k minimum-bias events
- p+p 7 TeV: 80 M (60 M) minimum-bias events for  $K^{*0}$  ( $\phi$ )
- Use **TPC** for PID, plus **TOF** (if there is a signal)
- Mixed-event combinatorial BG
- Peak fits:
  - $K^{*0}$ : Breit-Wigner
  - $\phi$ : Voigtian
- Published



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# $\Sigma^*(1385)^\pm$ and $\Xi^*(1530)^0$

- 250 M p+p events (MB)
- **TPC PID** for  $\Sigma^{*\pm}$  daughters
- Numerous **topological cuts**:
  - DCA
  - $\cos(\text{pointing angle})$
  - Fiducial volume
  - Invariant mass of  $\Lambda$  or  $\Xi^-$

Total B.R. = 55.6%

$\Sigma^{*\pm}$

uus  
(dds)

$\Lambda$

$\pi^\pm$

$\pi^-$

p

$\tau = 5.5 \text{ fm}/c$

$\tau = 5.0 \text{ fm}/c$

$\Xi^{*0}$

uss

$\tau = 21.7 \text{ fm}/c$

$\Xi^-$

$\Lambda$

$\pi^+$

$\pi^-$

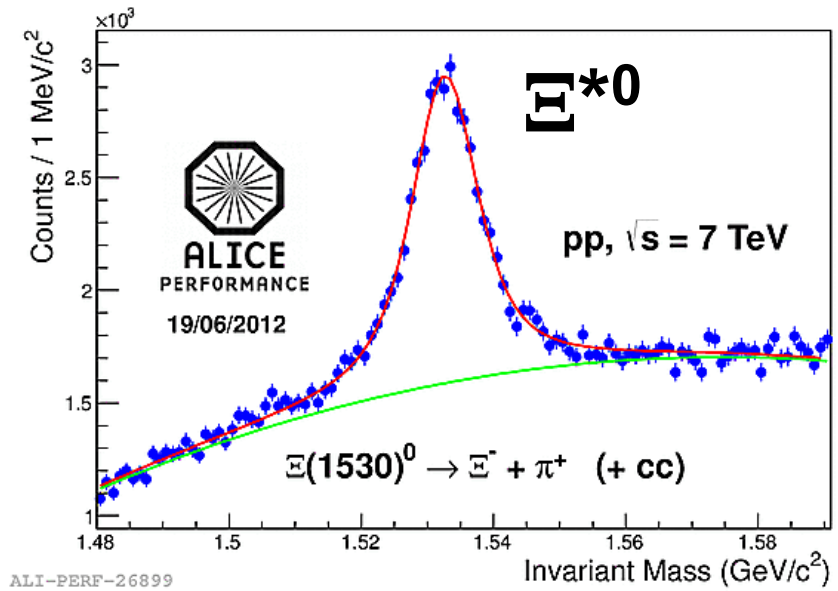
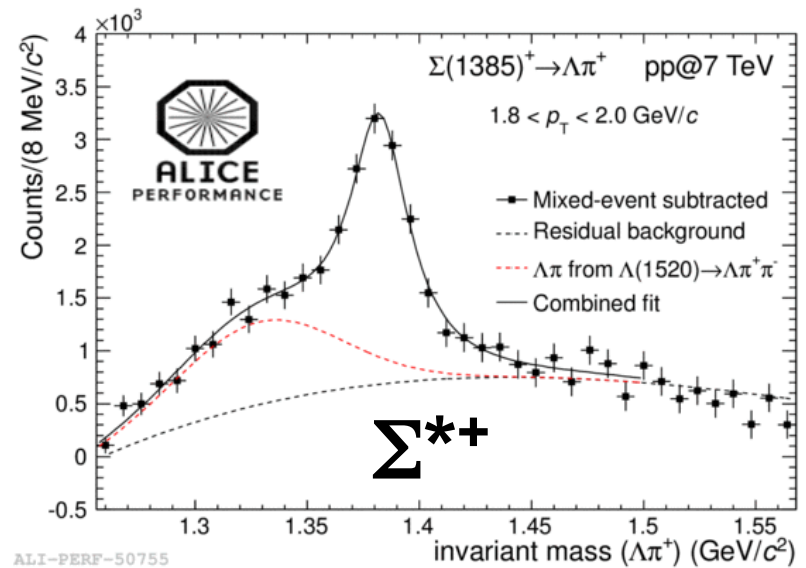
$\pi^-$

p

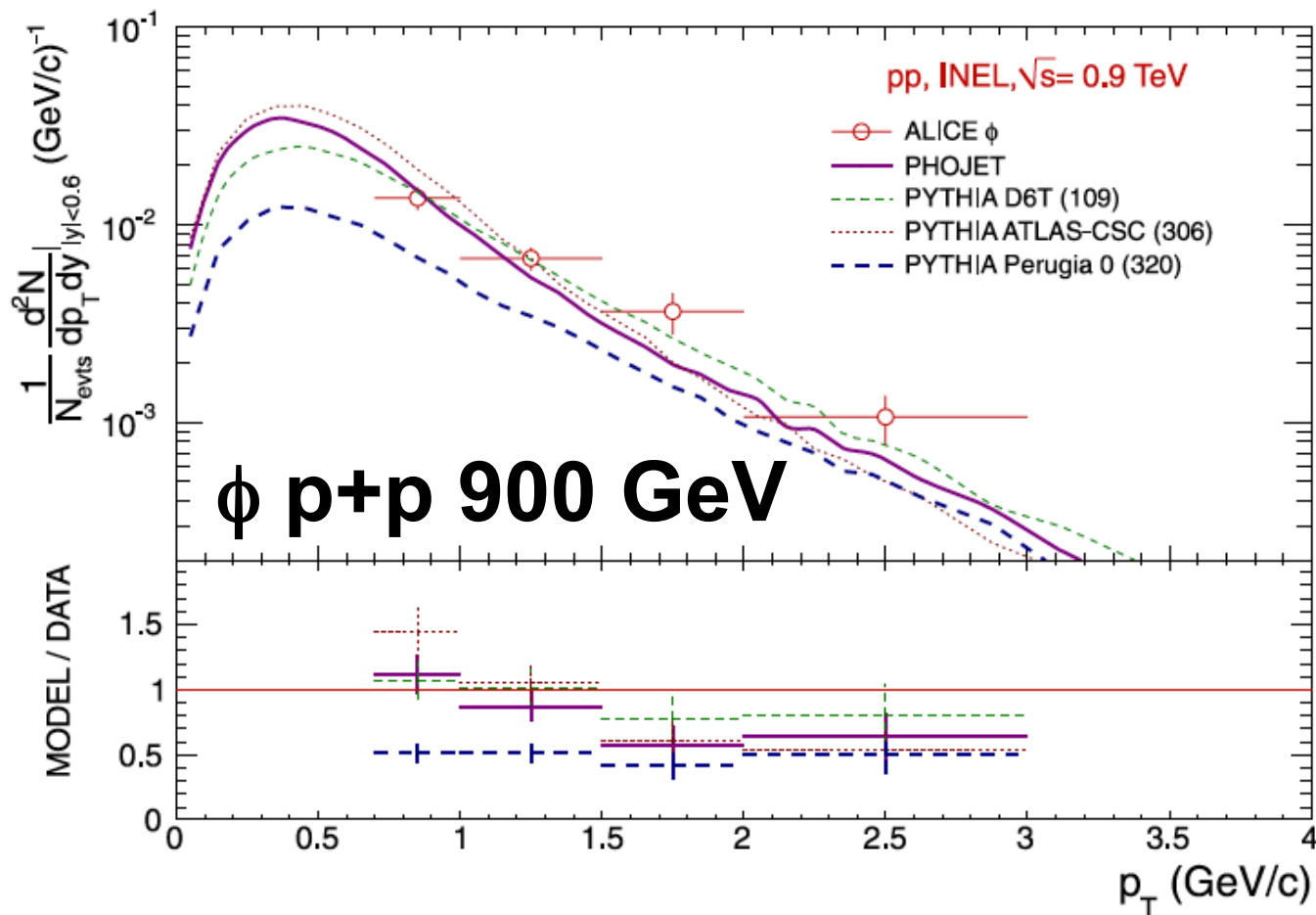
Total B.R. = 42.6%

# $\Sigma^*(1385)^\pm$ and $\Xi^*(1530)^0$

- 250 M p+p events (MB)
- **TPC PID** for  $\Sigma^{*\pm}$  daughters
- Numerous **topological cuts**:
  - DCA
  - $\cos(\text{pointing angle})$
  - Fiducial volume
  - Invariant mass of  $\Lambda$  or  $\Xi^-$
- Mixed-event combinatorial BG
- **$\Sigma^{*\pm}$ : complicated res. BG**
  - Various sources of correlated  $\Lambda\pi$  pairs (e.g.,  $\Xi^-$  and  $\Lambda^*$  decays)
  - Shape of each contribution fit in MC, normalized using data
- For  $\Xi^{*0}$ : polynomial res. BG
- Paper in preparation



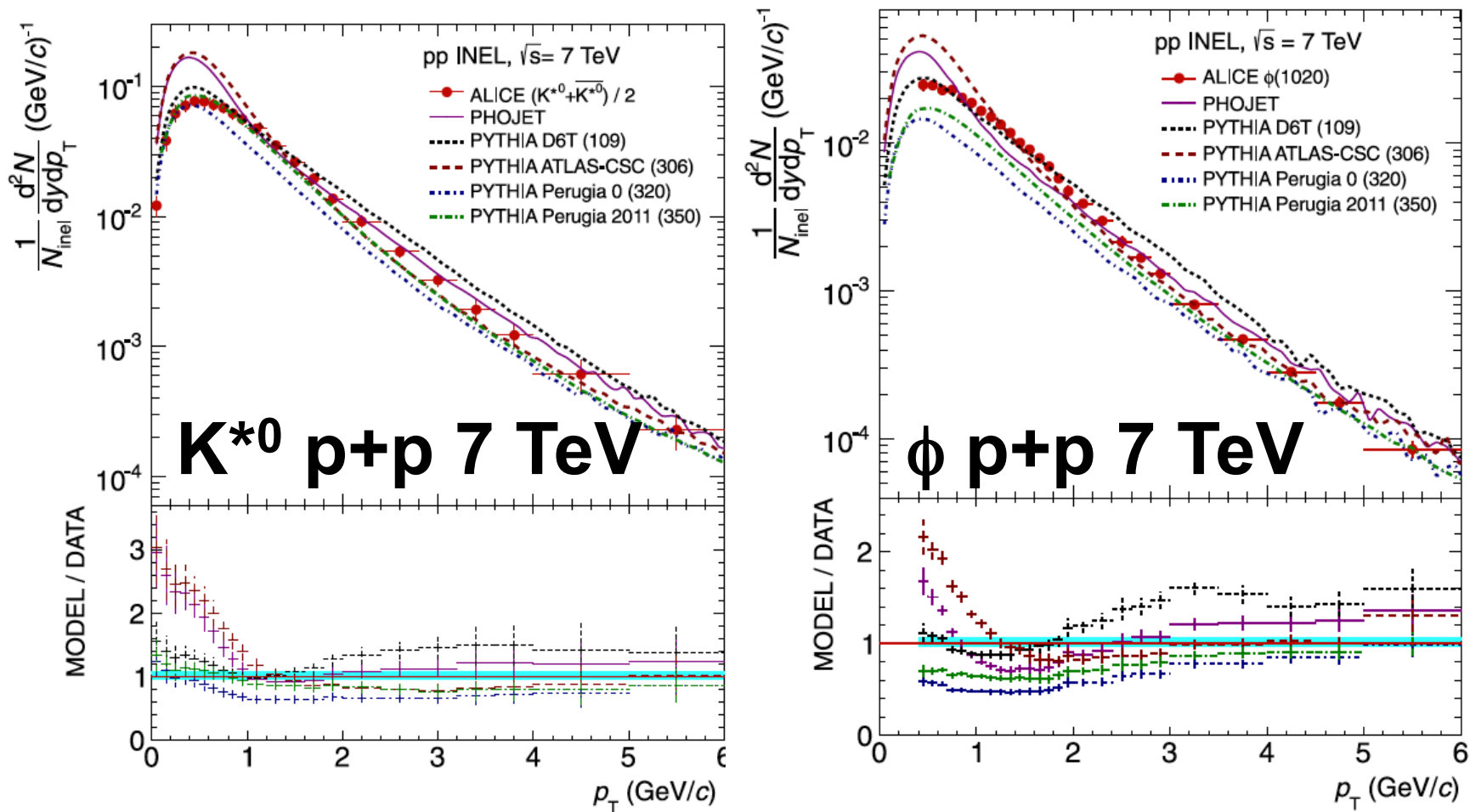
# PYTHIA Comparisons



- PHOJET and PYTHIA ATLAS-CSC too soft
- PYTHIA D6T: reasonably good description
- PYTHIA Perugia 0: underestimates yield, but shape well reproduced



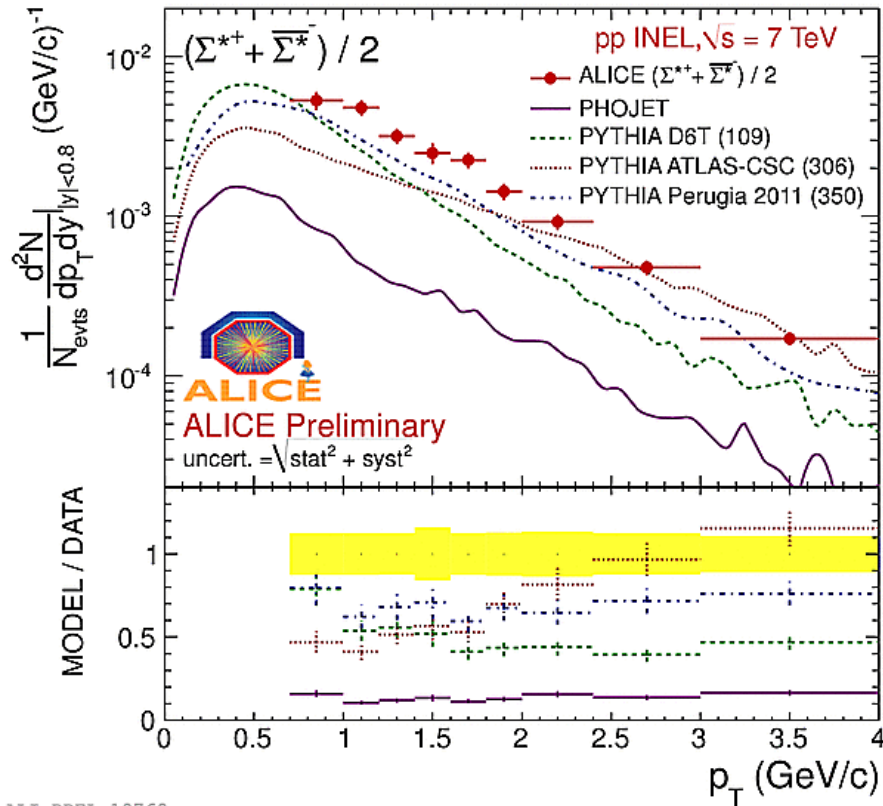
# PYTHIA Comparisons



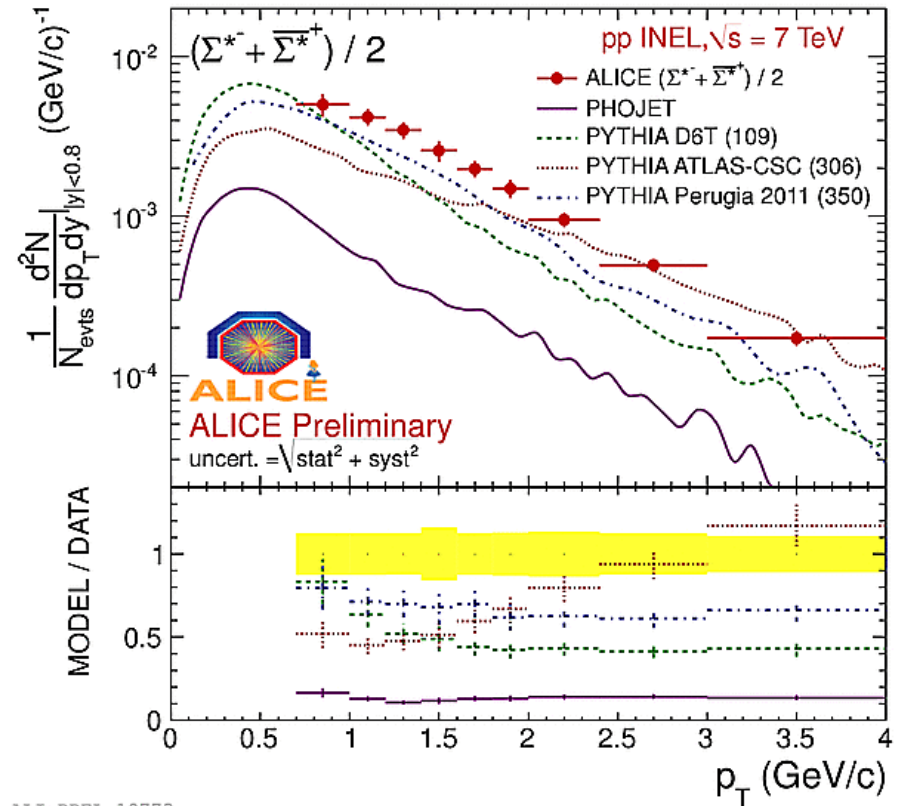
- **PYTHIA Perugia 2011**: reproduces  $K^{*0}$  and high- $p_T$   $\phi$  well
- **PHOJET** and **PYTHIA ATLAS-CSC** overestimate spectra for  $p_T < 1$  GeV/c, describe high  $p_T$  well
- PYTHIA D6T: deviates at high  $p_T$
- **PYTHIA Perugia 0**: underestimates spectra

# PYTHIA Comparisons

## $\Sigma^{*+}$ p+p 7 TeV



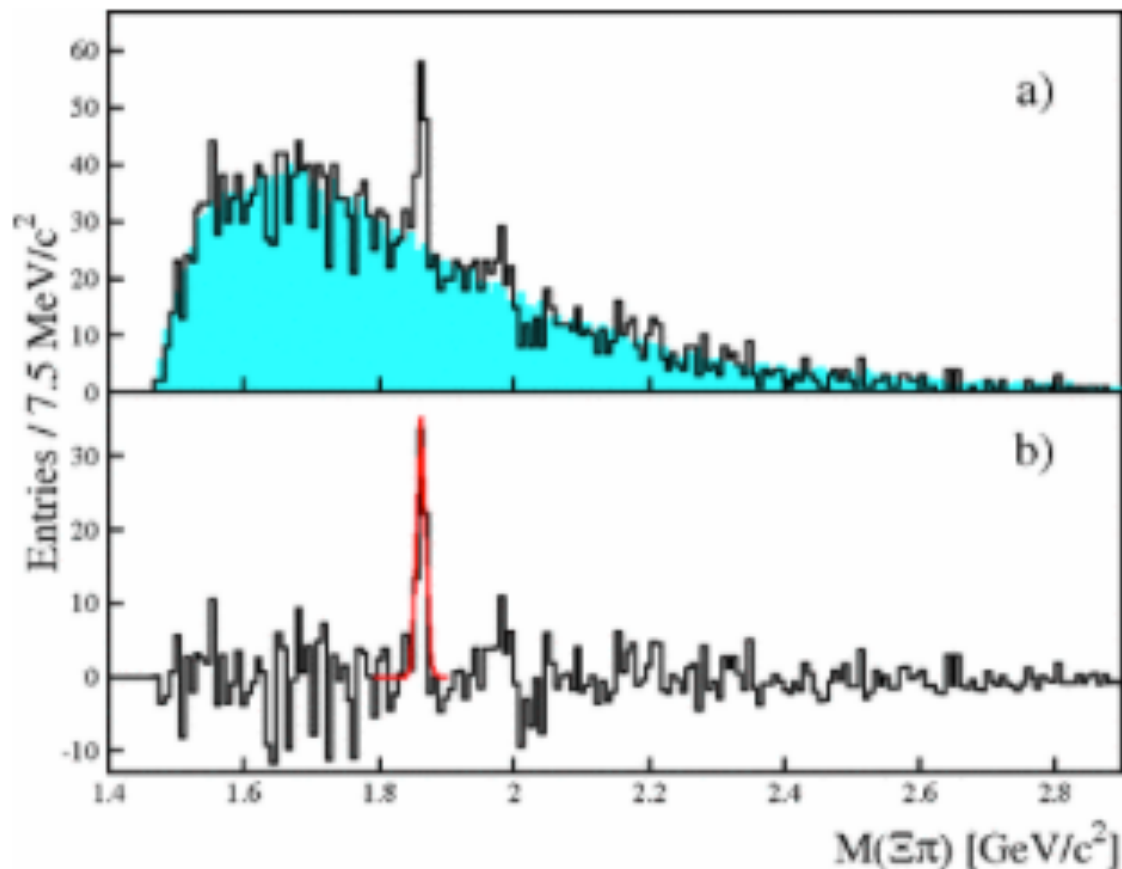
## $\Sigma^{*-}$ p+p 7 TeV



- **PYTHIA ATLAS-CSC** : good agreement for  $p_T > 2$  GeV/c (too hard?)
- **PHOJET** and **PYTHIA D6T** under-predict spectra
- **PYTHIA Perugia 2011**: under-predicts yields, describes shapes

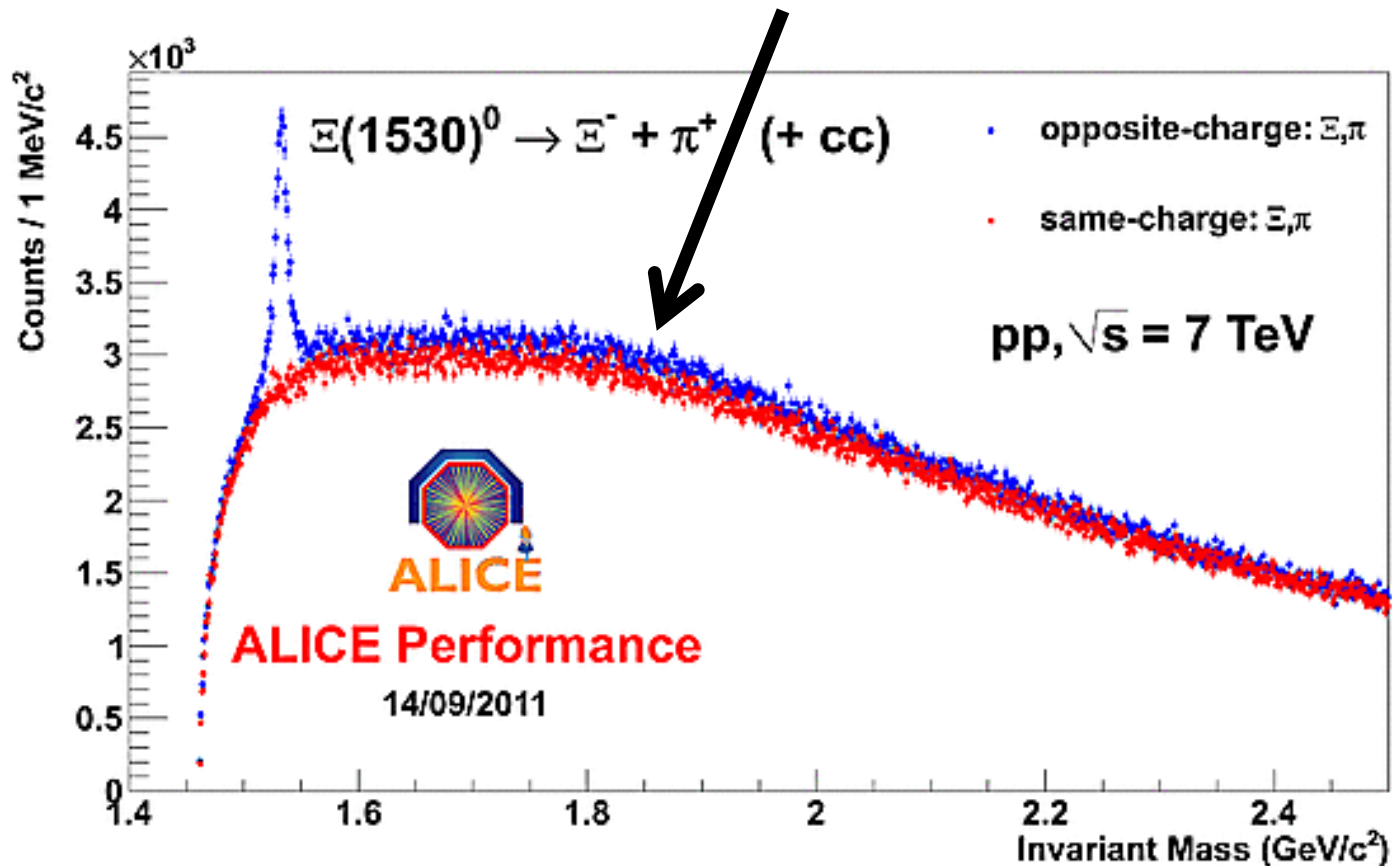
# Pentaquarks

- $\Phi(1860)^{-}$  ( $ddss\bar{u}$ ) and  $\Phi(1860)^0$  ( $udss\bar{d}$ ) would have  $\Xi^{-}\pi^{\pm}$  decay channels, similar to  $\Xi^{*0}$
- Observed by NA49
- ALICE sees no significant signal



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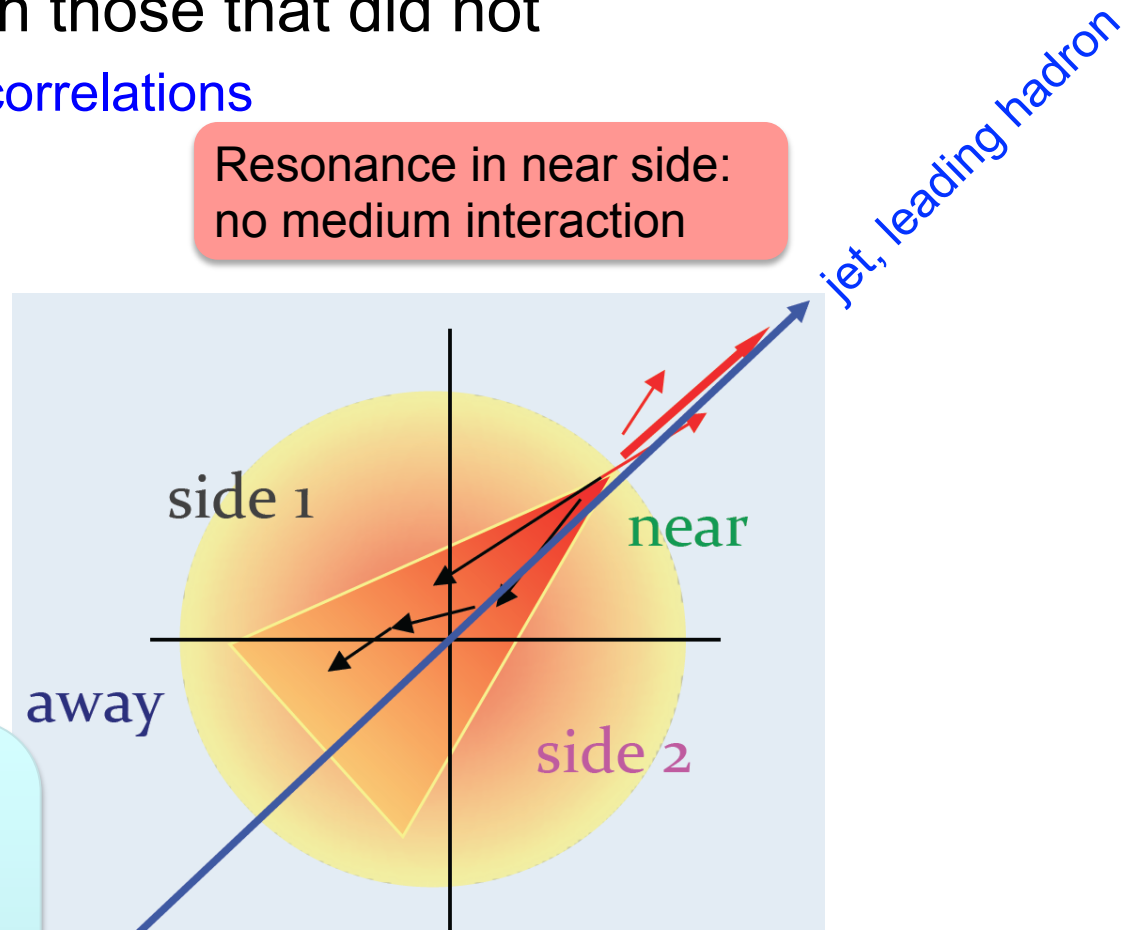


# Hadron-Resonance Correlations

# 78 Hadron-Resonance Correlations

- To probe QGP: compare resonances that passed through medium with those that did not
  - Hadron-resonance correlations

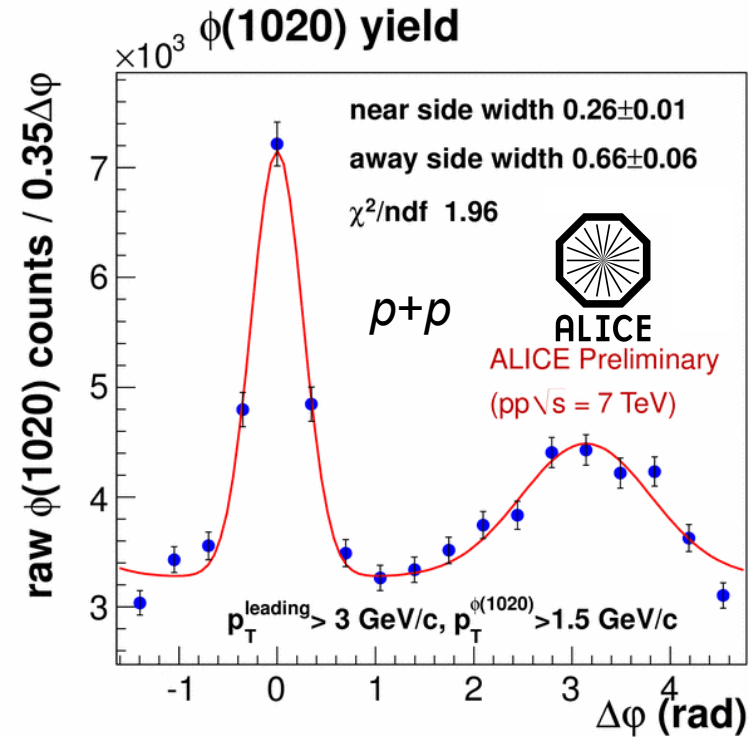
Method proposed by:  
C. Markert, R. Bellwied, I. Vitev,  
*Phys. Lett. B* **669** 92-97 (2008)



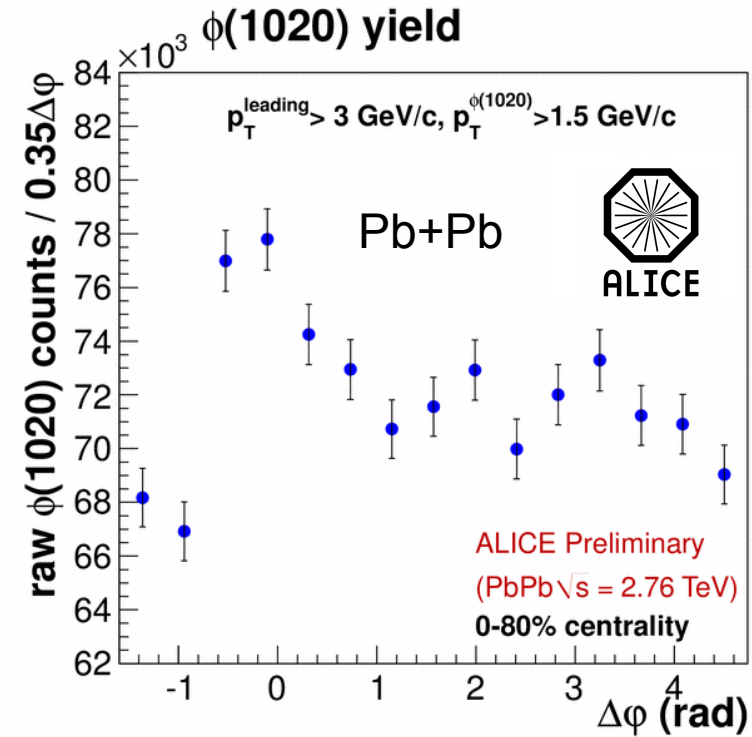
Resonance in away side:  
Low  $p_T$  (below  $\sim 2$  GeV/c):  
dominated by interactions  
in hadronic medium  
High  $p_T$ : dominated by interactions  
with early hadronic or partonic  
medium

# Angular Correlations

- Angular Correlation of trigger hadron with a  $\phi$  meson
  - $p_T(h) > 3 \text{ GeV}/c$
  - $p_T(\phi) > 1.5 \text{ GeV}/c$

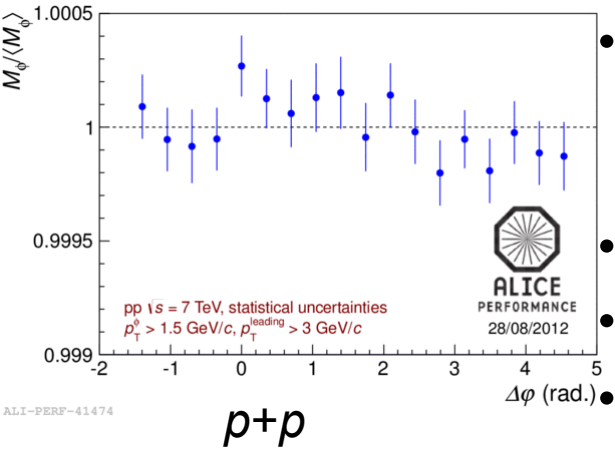


ALI-PREL-10867



ALI-PREL-10871

# Mass and Width vs. $\Delta\phi$



mass/average value

$\phi$  mass and width as a function of angle ( $\Delta\phi$ ) w.r.t. leading hadron

$p_T(h) > 3$  GeV/c

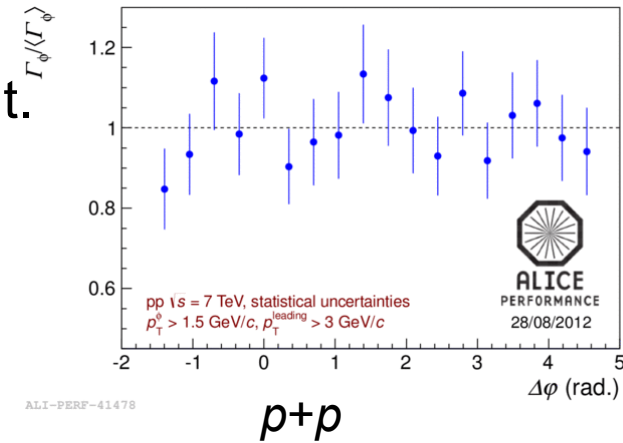
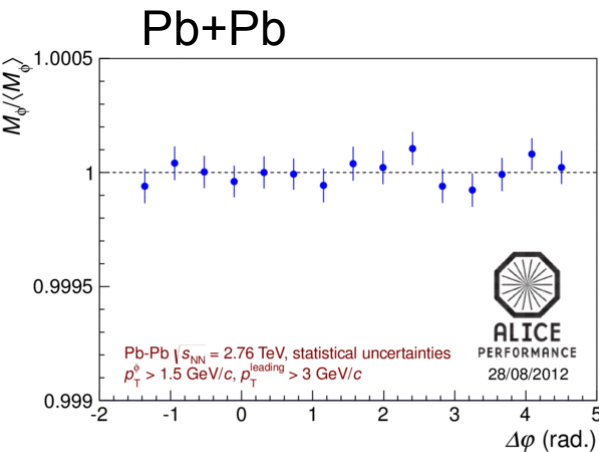
$p_T(\phi) > 1.5$  GeV/c

Measured values divided by average value

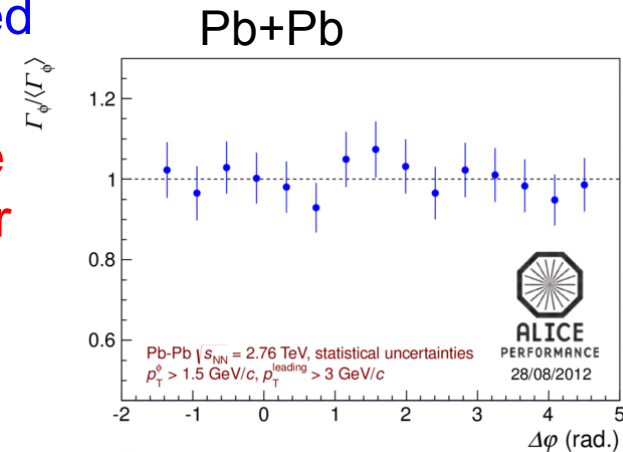
No clear difference in behavior between p+p and Pb+Pb

In Pb+Pb: no mass shift or width broadening observed in away side

However:  $\phi$  signal may be dominated by non-jet  $\phi$  for this  $p_T$  range



width/average value

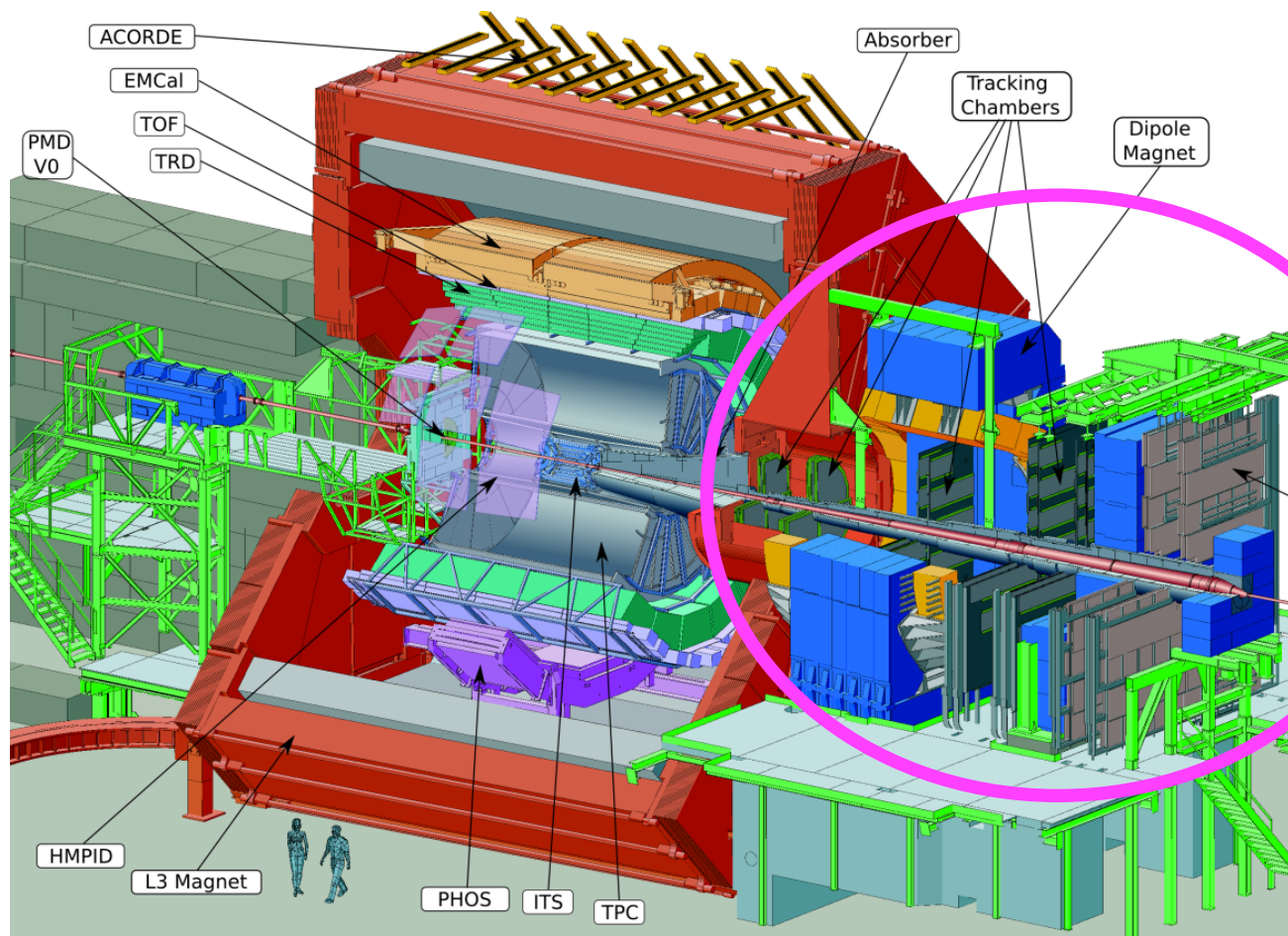




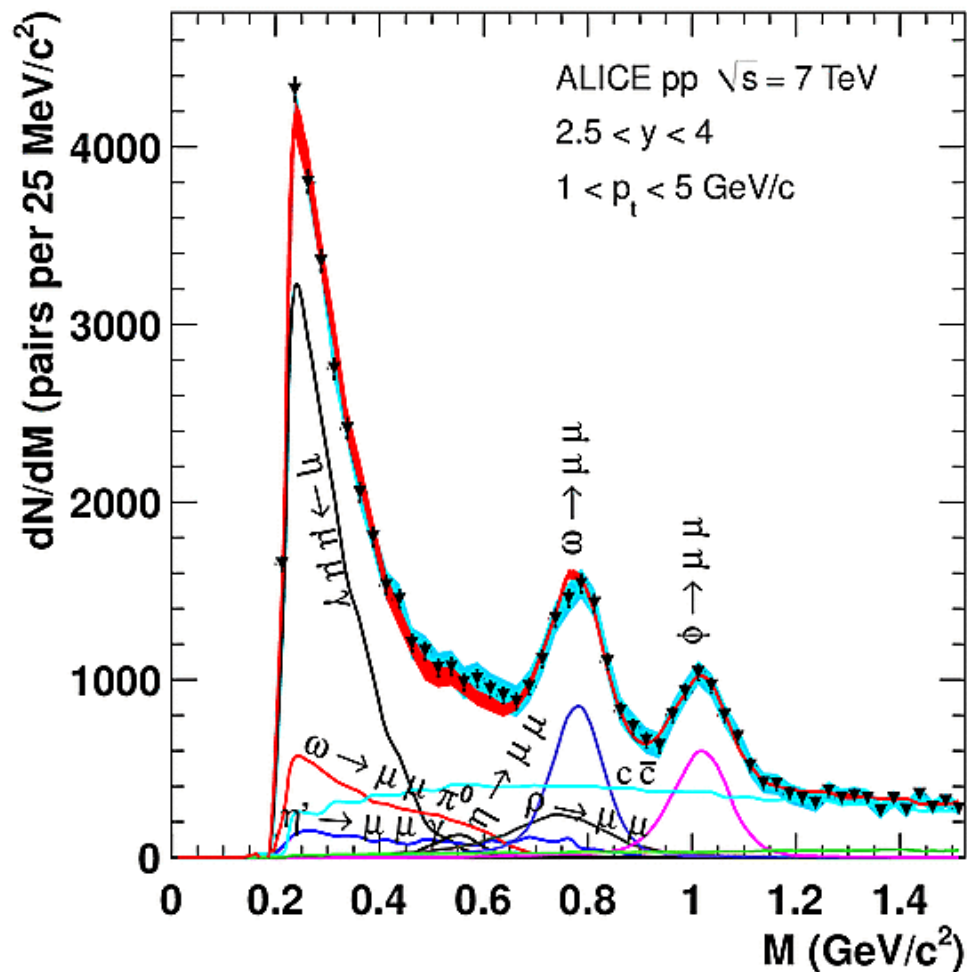
$$\phi \rightarrow \mu^- \mu^+$$

$$\phi \rightarrow \mu^- \mu^+$$

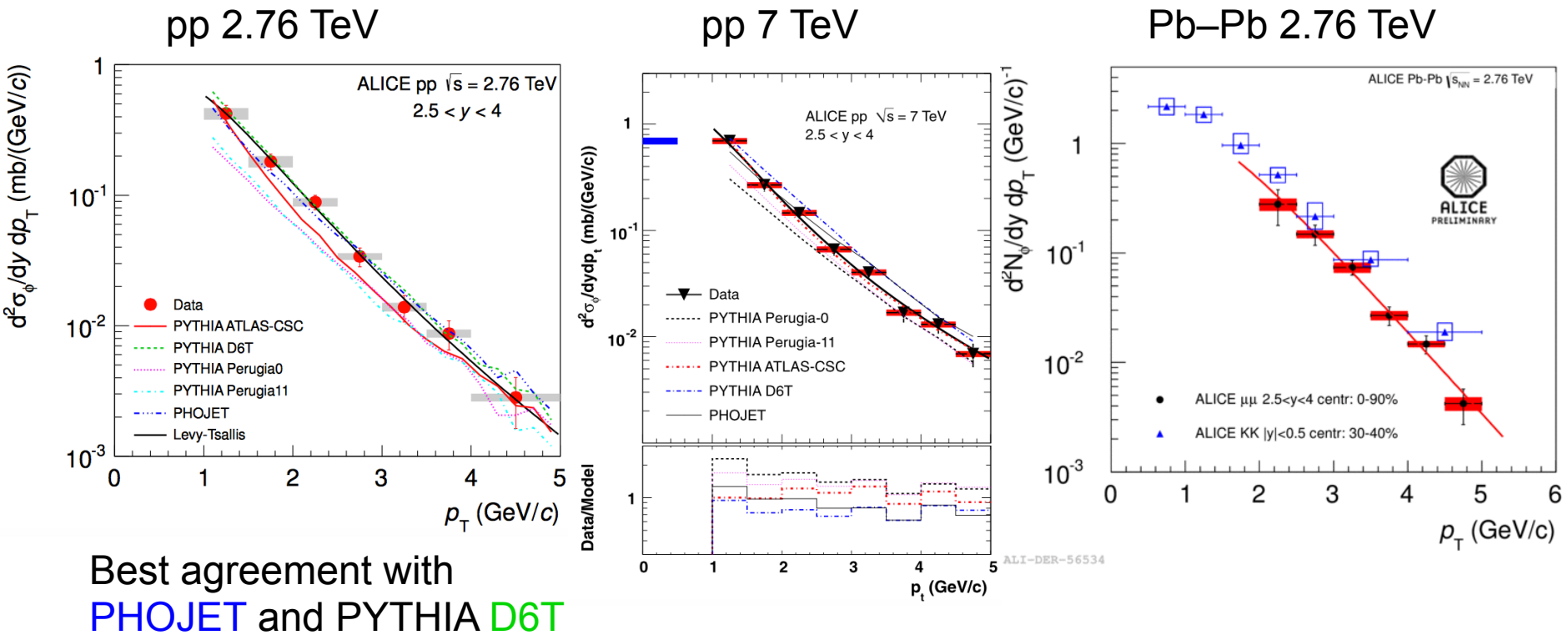
- Muon pairs from  $\phi$  decays reconstructed in ALICE Muon Spectrometer:
  - Absorber, tracking and trigger stations, dipole magnet at **forward rapidity** ( $-4 < \eta < -2.5$ )



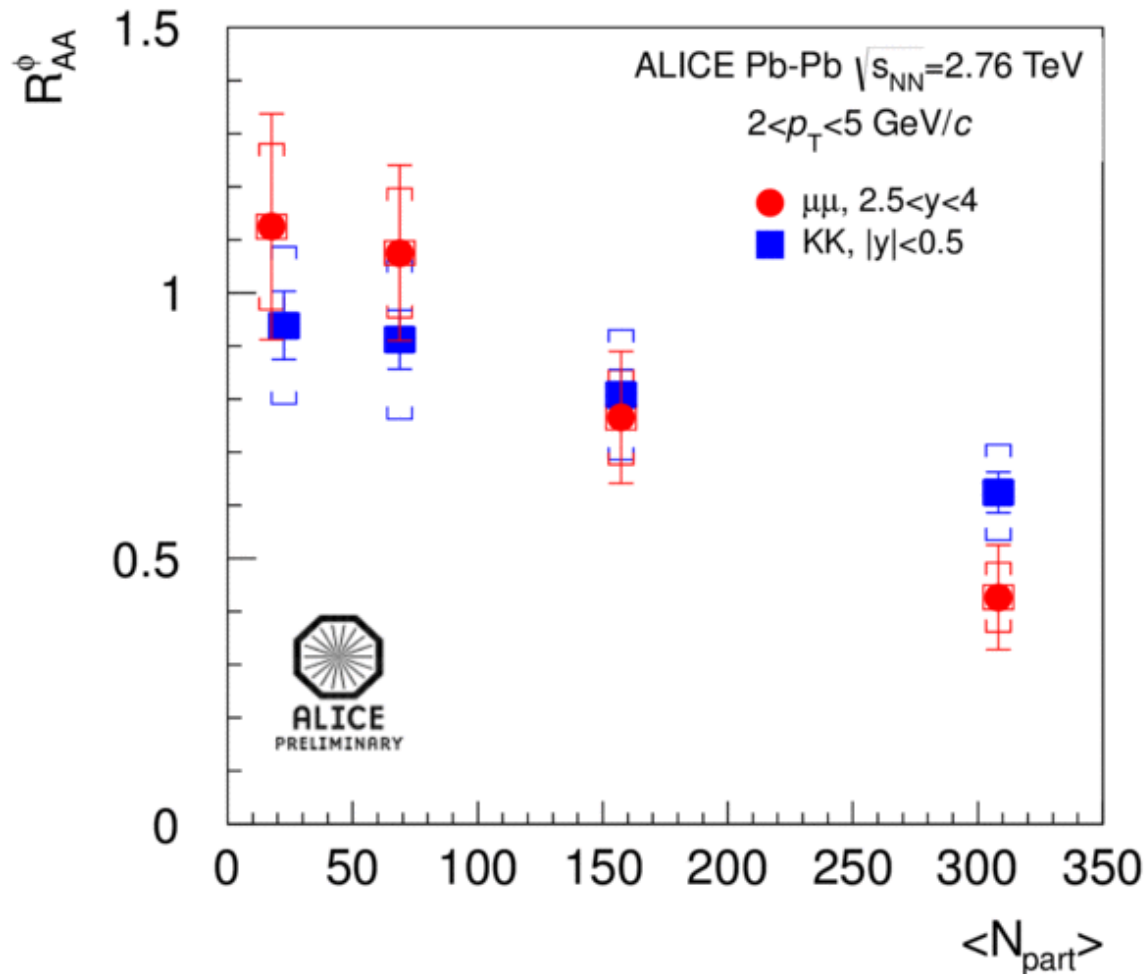
- Signal extracted by fitting dimuon invariant-mass distribution with **hadronic cocktail**:



- Measured in pp collisions at 2.76 TeV and 7 TeV, Pb–Pb collisions

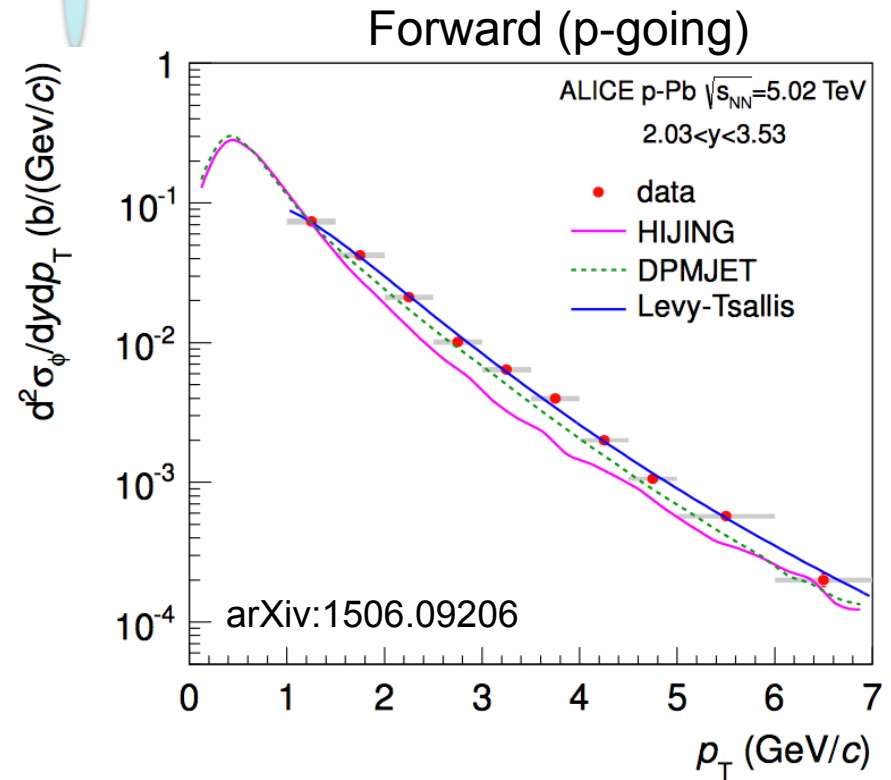
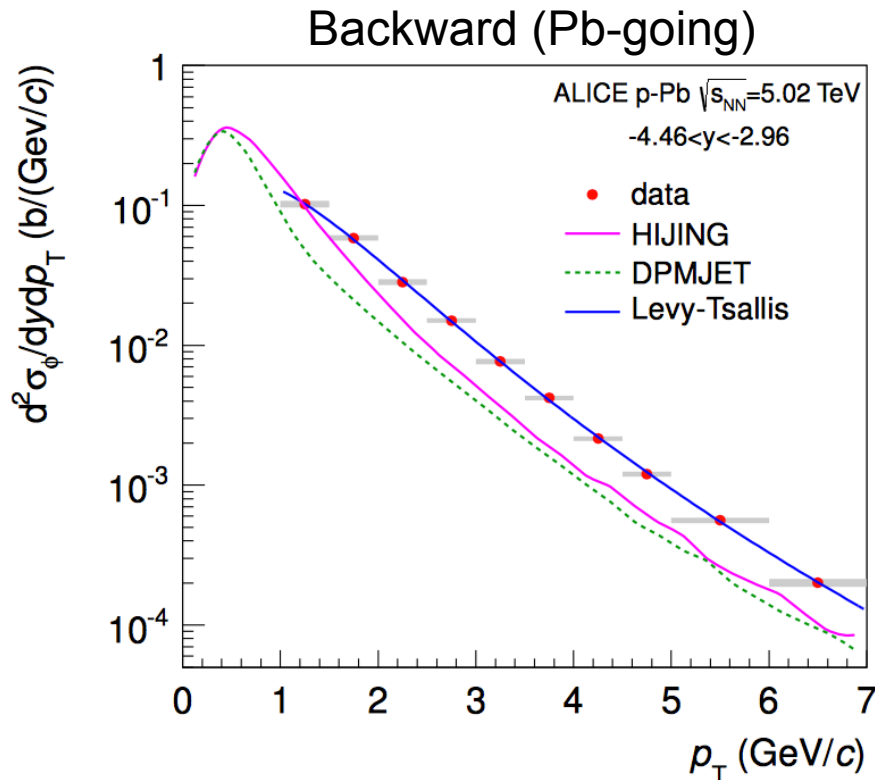
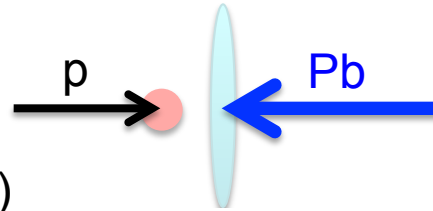


- $R_{AA}$  for  $\mu\mu$  channel at forward rapidity seems to follow different trend (greater slope) than  $KK$  channel at mid-rapidity
  - Different hydrodynamic push in the two rapidity ranges?



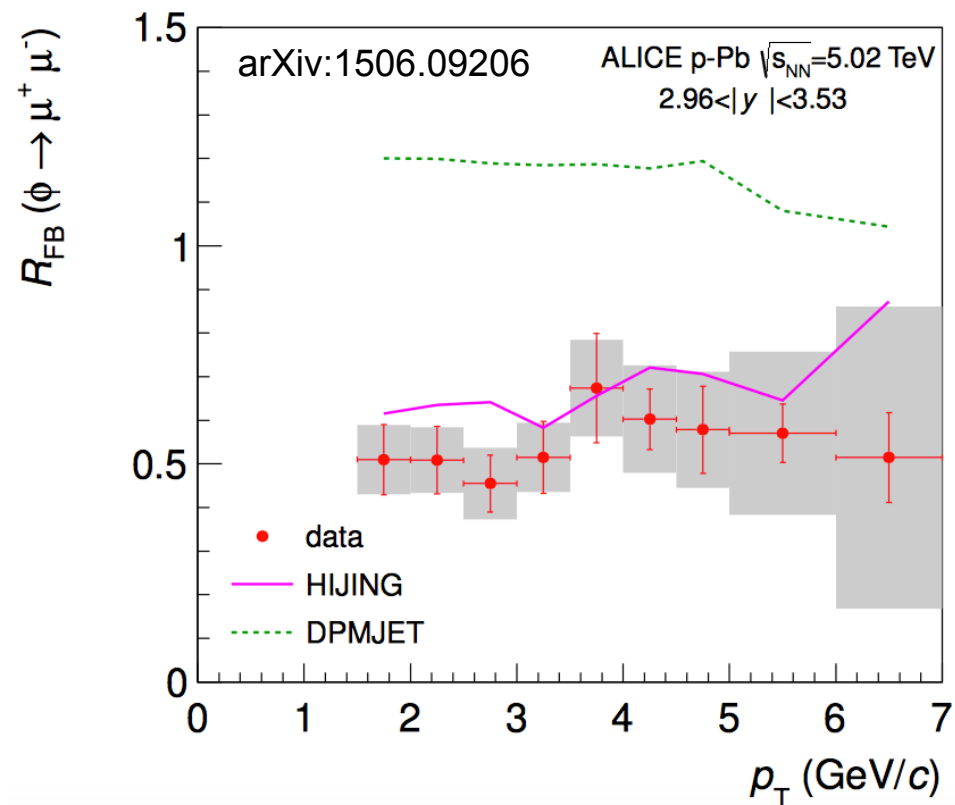
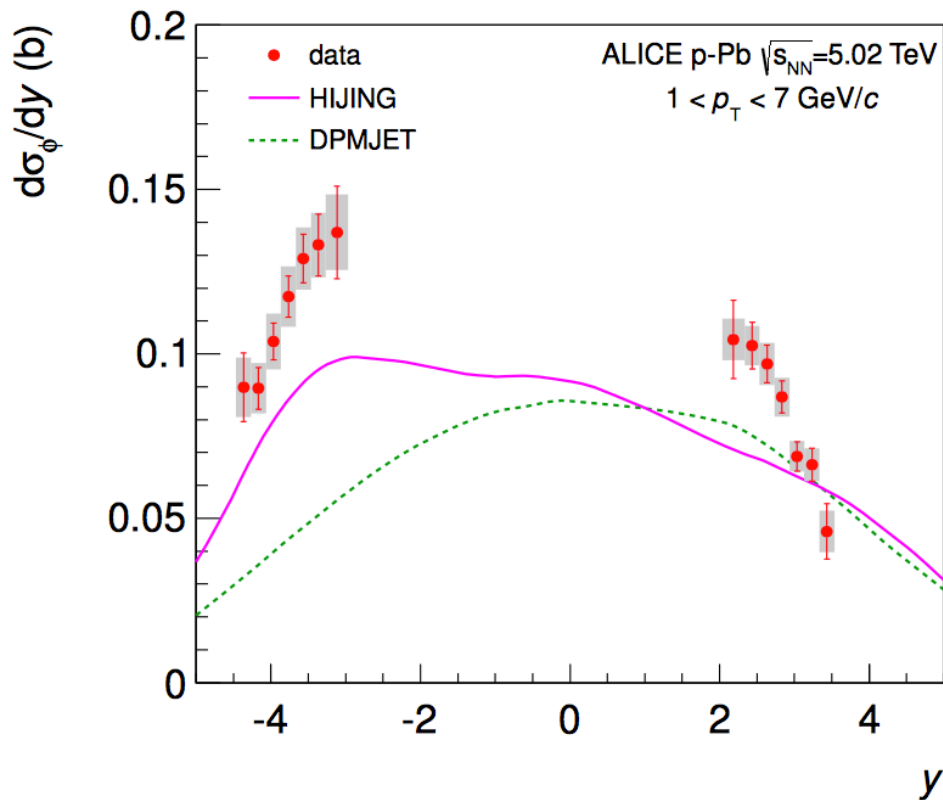
# In p–Pb: Forward vs. Backward

- Rapidity asymmetry in particle production
- **HIJING** and **DPMJET** describe charged-particle production well, but tend to underestimate  $\phi$ .

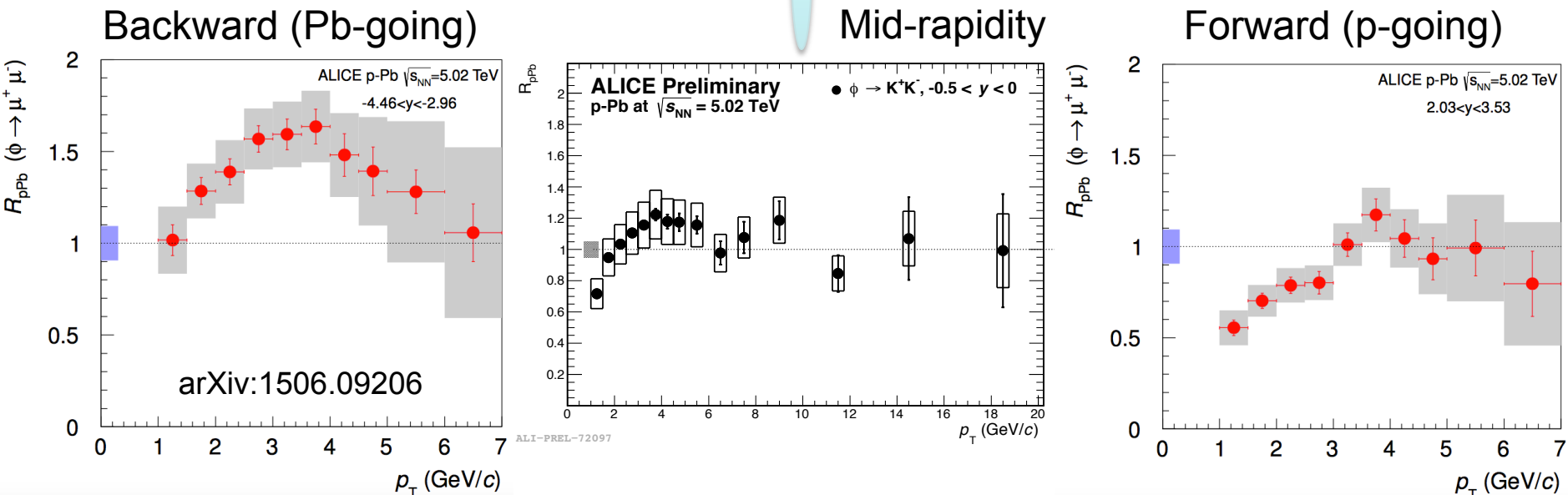
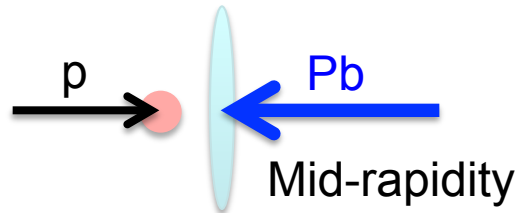


# In p–Pb: Forward vs. Backward

- Forward/Backward ratio (in common  $y$  window)
  - Flat ( $\approx 0.5$ ) with  $p_T$
- **HIJING** qualitatively describes rapidity asymmetry and describes  $R_{FB}$



- Forward (p-going): increases with  $p_T$ , then saturates around 1 for  $p_T > 3$  GeV/c
- Backward (Pb-going): Cronin peak? (bigger than at mid-rapidity) or final-state effect (radial flow)?





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- Backward (Pb-going): Cronin peak? (bigger than at mid-rapidity) or final-state effect (radial flow)?
- Similar behavior observed in d–Au collisions (PHENIX)

