

# **Measurement of the super-allowed branching ratio of $^{10}\text{C}$**

**B. Blank, M. Aouadi, P. Ascher, M. Gerbaux, J. Giovinazzo, T. Goigoux,  
S. Grévy, T. Kurtukian Nieto, C. Magron**  
**CEN Bordeaux-Gradignan, France**

**I. Matea**  
**IPN Orsay, France**

**P. Delahaye, G.F. Grinyer, J. Grinyer**  
**GANIL Caen, France**

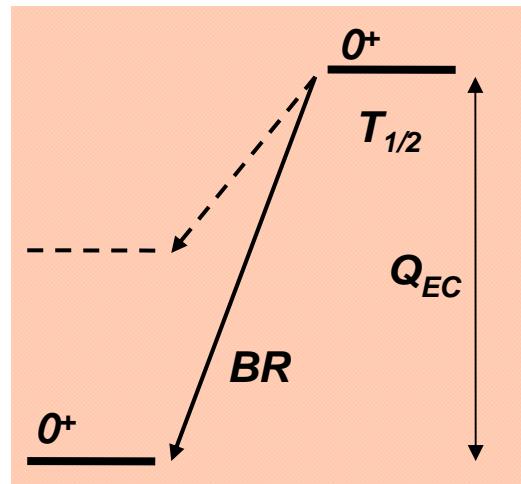
**M.R. Dunlop, R. Dunlop, P.E. Garrett, A.T. Laffoley, C.E. Svensson**  
**University of Guelph, Canada**

**G.C. Ball**  
**TRIUMF, Vancouver, Canada**

**P. Finlay**  
**K.U. Leuven, Belgium**

**Beam time accepted: 12 days for 3 types of measurements**

- Nuclear beta decay



$0^+ \rightarrow 0^+$ :

$$Ft = ft (1 + \delta_R) (1 - \delta_c + \delta_{NS}) =$$

$f(Z, Q_{EC}) \sim 1.5\%$

$f(\text{nucl. structure}) \sim 0.3-1.5\%$

$f(\text{weak interaction}) \sim 2.4\%$

$$\frac{K}{g_V^2 (1 + \Delta_R) \langle M_F \rangle^2} = \text{const}$$

$$\rightarrow \rightarrow V_{ud} = g_V / g_\mu$$

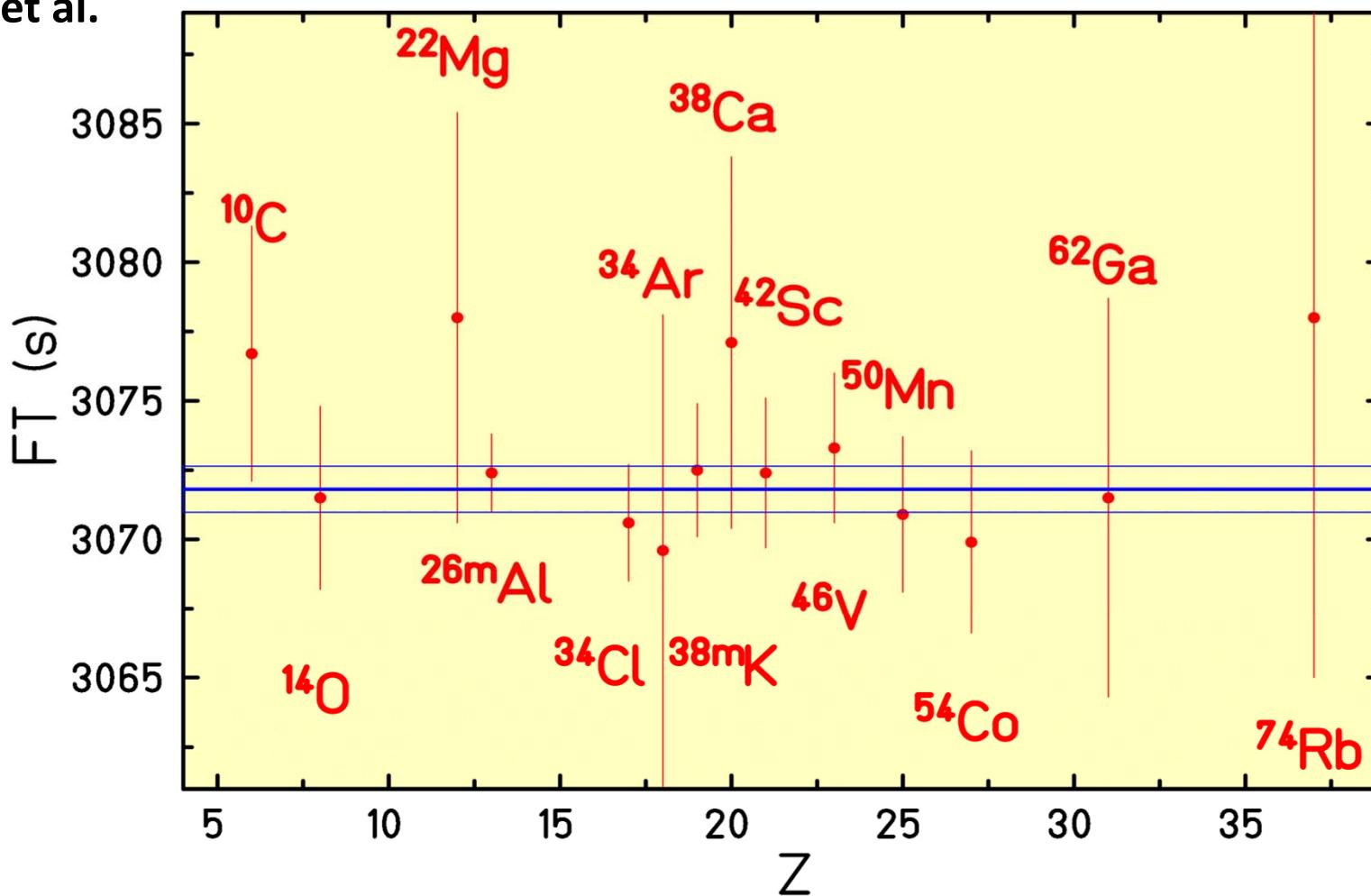
Precision measurements required:  $10^{-3}$

✓  $Q_{EC}$  → mass measurements:  $f \sim Q_{EC}^5$

✓  $T_{1/2}, BR$  →  $\beta$ -decay studies:  $t = T_{1/2} / BR$

- • •  $0^+ \rightarrow 0^+$  decays: status

Hardy et al.



- 14 nuclei measured with precision of order  $10^{-3}$
- $V_{ud} = 0.97417 \pm 0.00021$ ,  $\sum V_{ux} = 0.99978 \pm 0.00055$

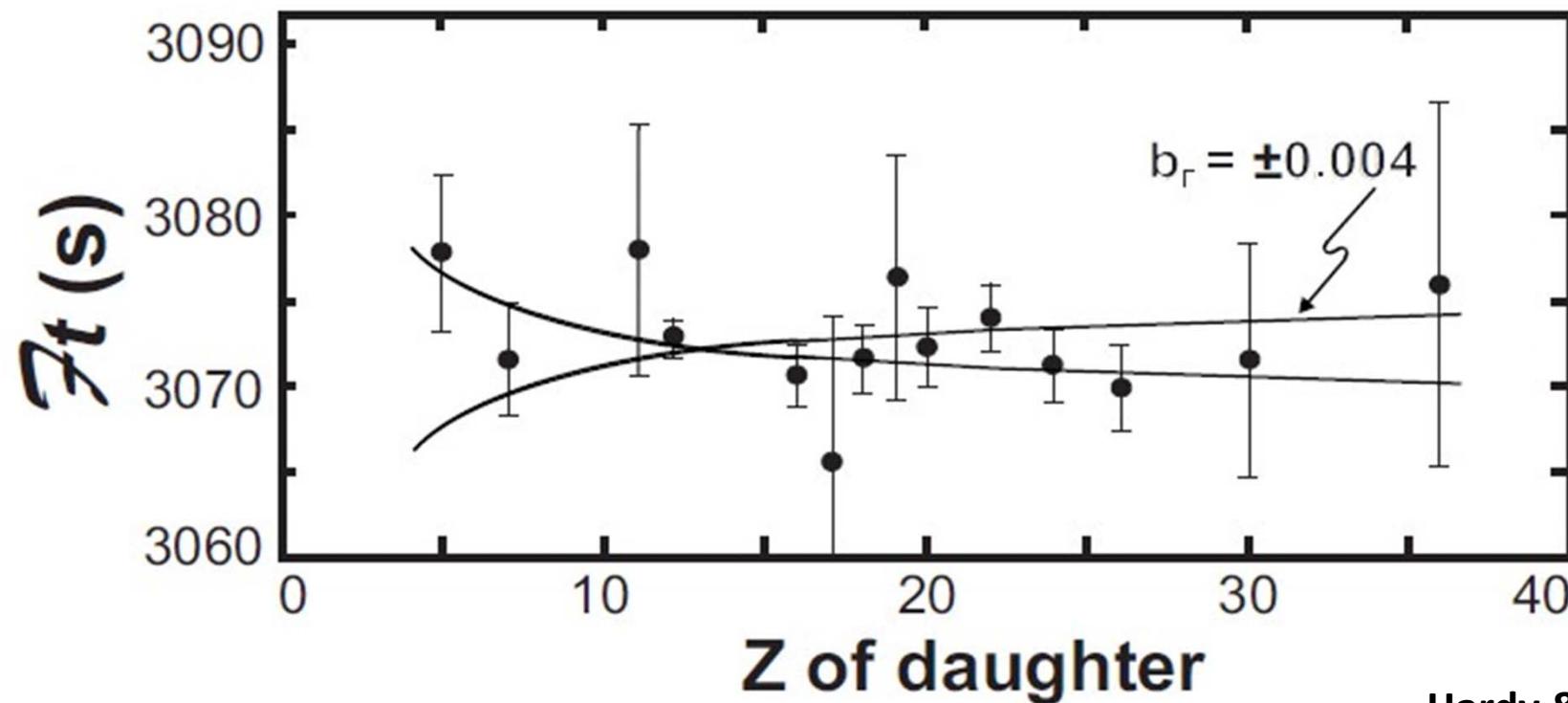
- • •  $0^+ \rightarrow 0^+$  decays: limits on exotic currents

standard assumption: only vector current

- limit on scalar current

from  $\beta$  decay:  $b_F = -0.0028 \pm 0.0026$  ← measure for scalar contributions

→→ improve on low-Z nuclei



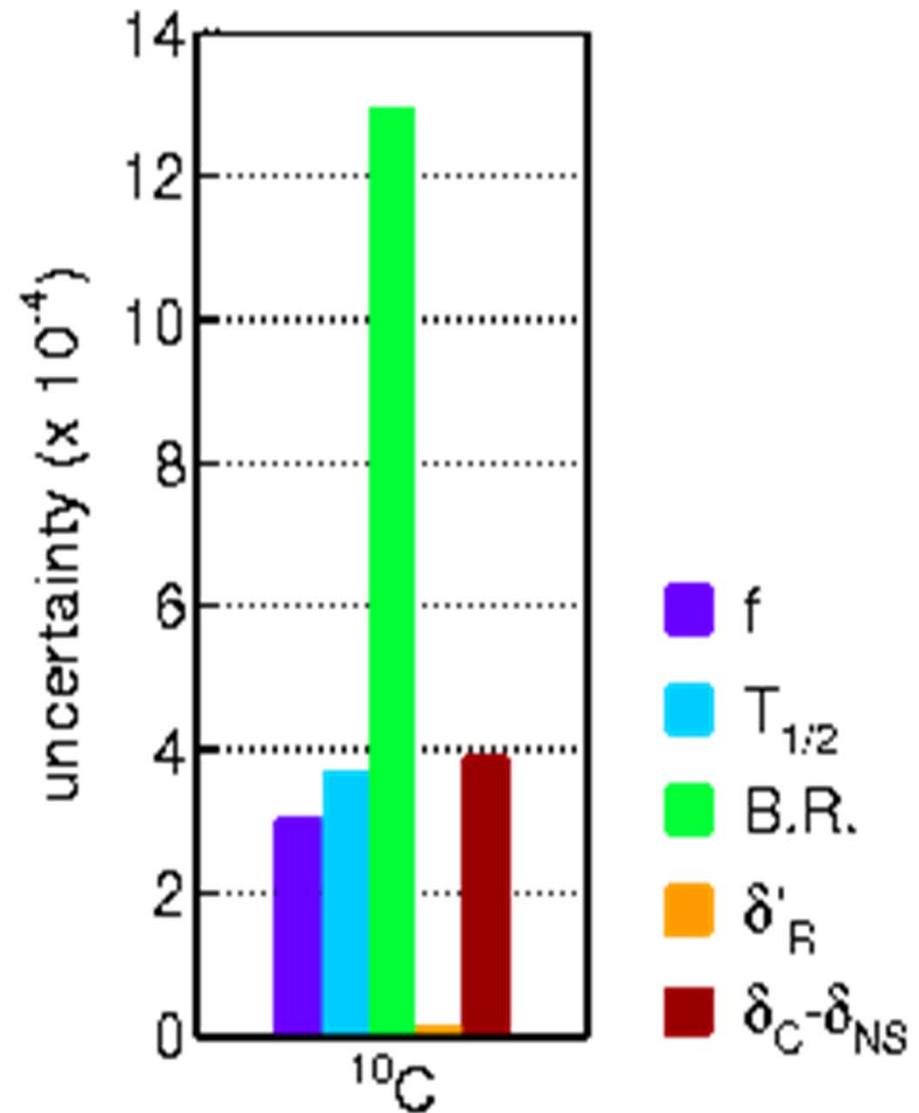
Hardy & Towner

• • •  $0^+ \rightarrow 0^+$  decays:  $^{10}\text{C}$  error budget

- BR by far largest error
- two precise measurements:
  - Savard et al.: **1.4625(25)%**  
(PRL 74 (1995) 1521)
  - Fujikawa et al.: **1.4665(38)%**  
(PLB 449 (1999) 6)
- measurements with Ge multi-detector array

our approach:

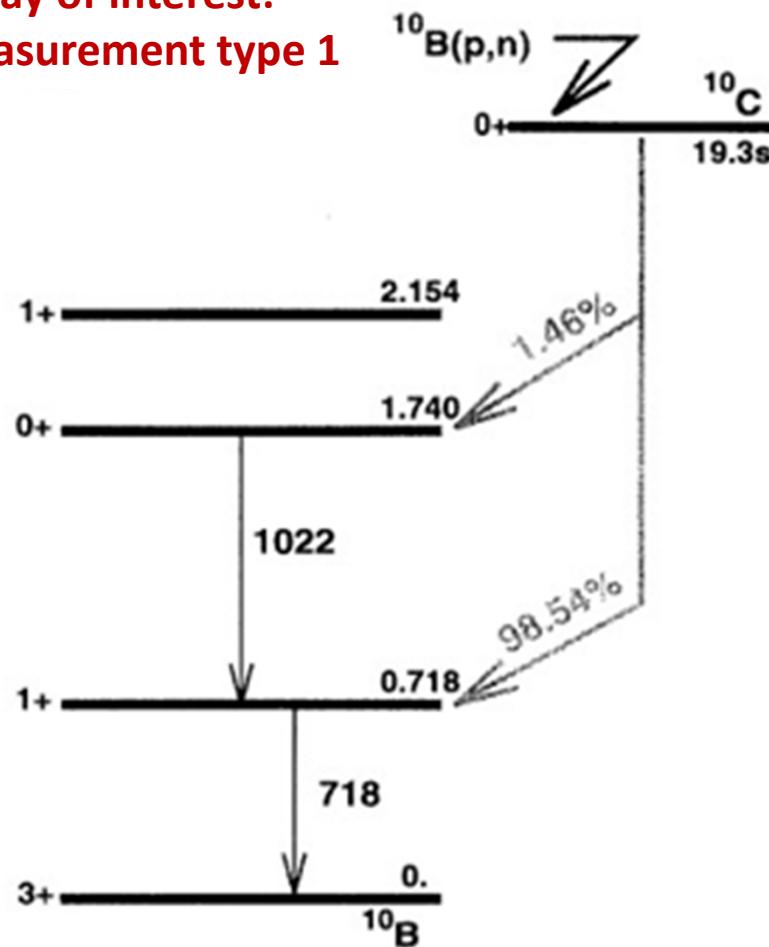
re-doing the Fujikawa experiment by improving on the systematic errors and with Ge and LaBr<sub>3</sub> detectors



• • •  $^{10}\text{C}$  decay scheme

Decay of interest:

Measurement type 1

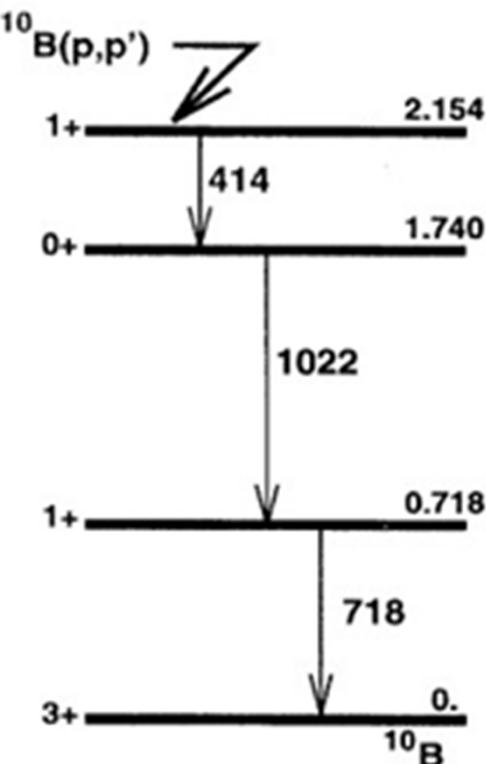


100% BR of 718 keV  $\gamma$  ray

→ only relative efficiency needed

Efficiency calibration reaction:

Measurement type 2

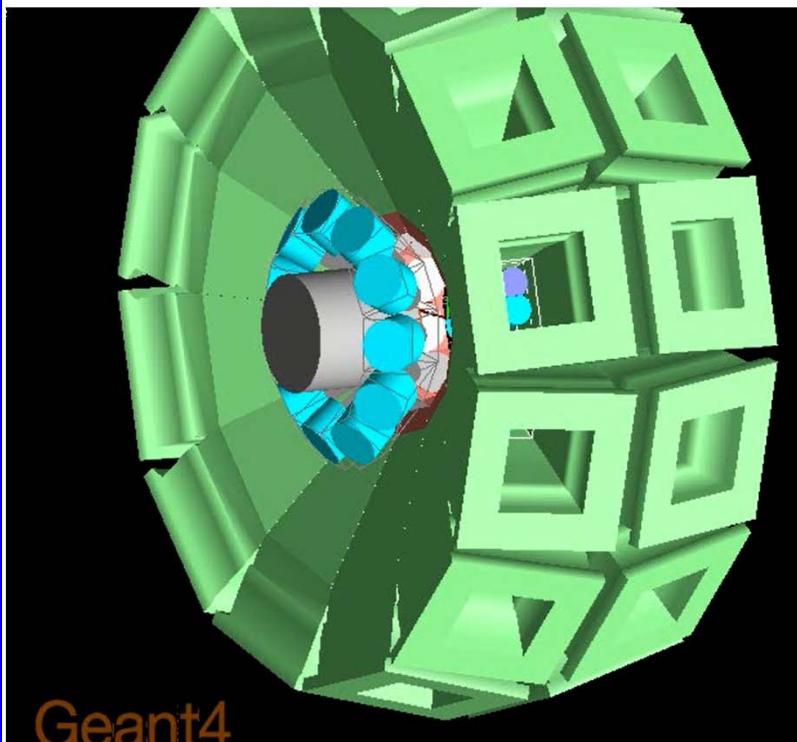


Gate on 414 keV in one detector

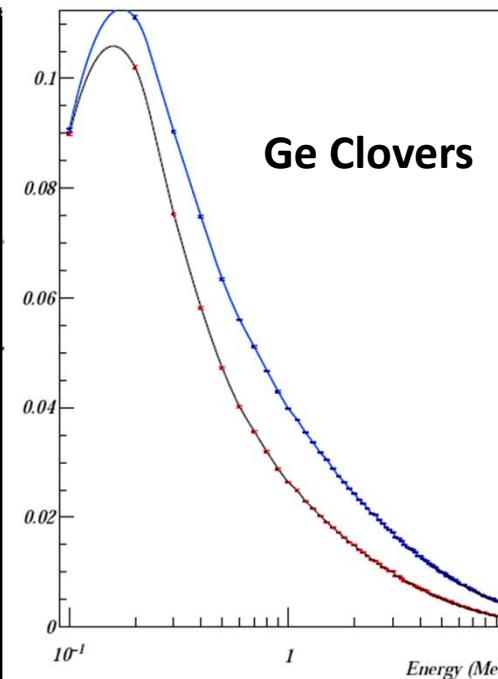
→ 100% BR for two other  $\gamma$  rays

→ relative  $\gamma$  ray efficiency for the two  $\gamma$ 's

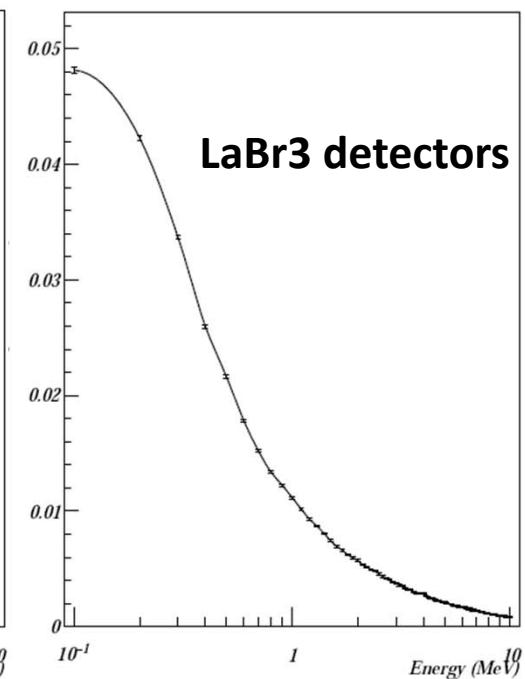
- • • Experimental set-up: nu-ball



Geant4



Ge Clovers



LaBr3 detectors

$\varepsilon(414 \text{ keV})$ : 5%	2.5 %
$\varepsilon(718 \text{ keV})$ : 3%	1.5 %
$\varepsilon(1022 \text{ keV})$ : 2%	1.0 %

- 24 Germanium detectors
- 32 LaBr3 detectors

- Rate estimates:  $^{10}\text{B}$  part

- continuous beam (8 MeV protons with 10nA intensity)
- limitation is 3000 pps per Ge crystal
- peak/total:  $\approx 0.4$
- 3  $\gamma$ 's per cascade
- 50 %  $\gamma$ 's of interest
- multiplicity 2 trigger
- $3000 \text{ } \gamma\text{'s / s} * 0.4 \text{ (P/T)} / 3 \text{ (\gamma's per cascade)} * 0.5 \text{ (\gamma's of interest)}$   
 $= 200 \text{ } \gamma\text{'s / s in each peak}$
- With 414 keV coincidence:  $200 * 5\% = 10 \text{ pps per crystal}$

→ 20h \* 3 days:

- 414 keV + second  $\gamma$ : peak =  $2.4 * 10^6$  counts per crystal  
→ Good efficiency calibration

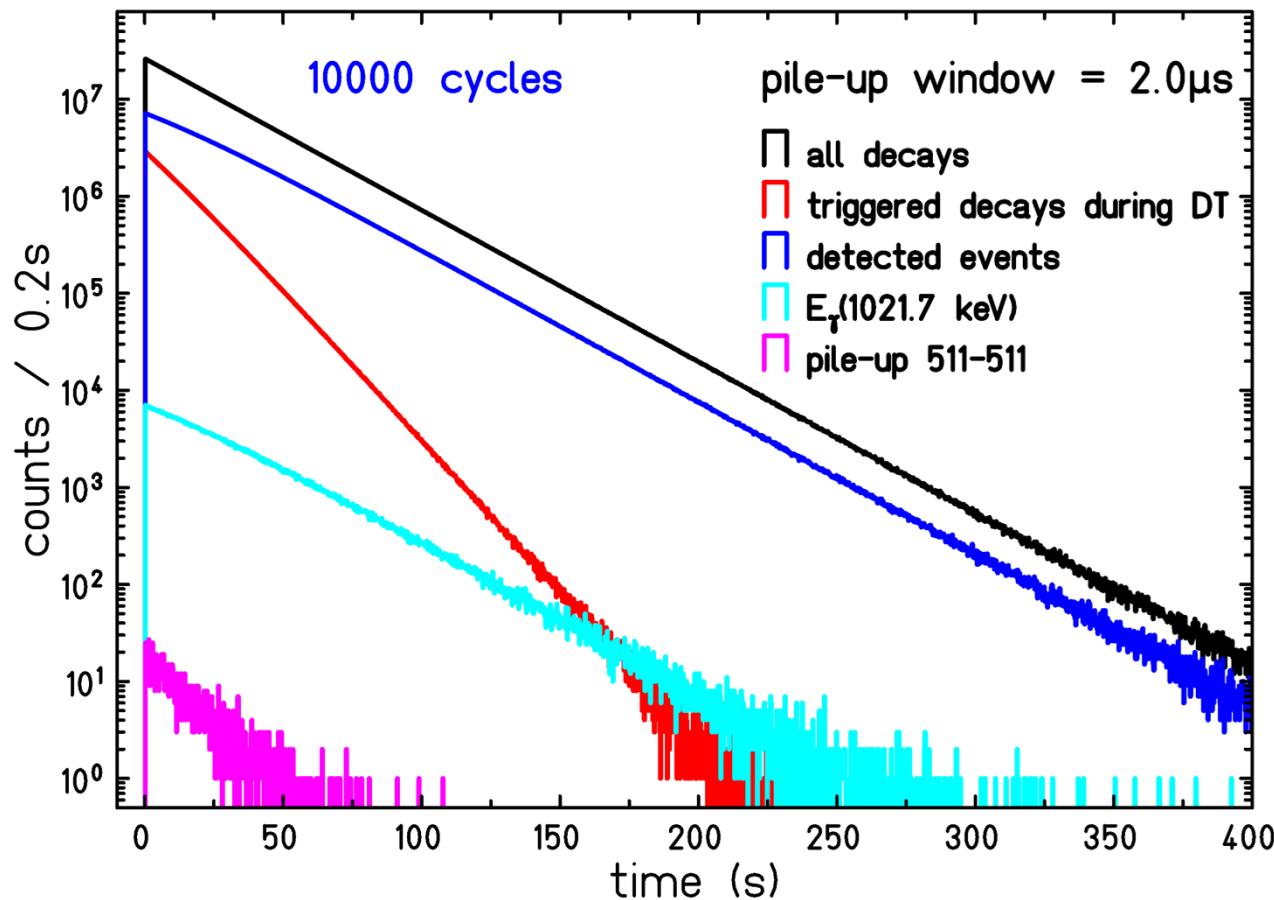
Half efficiency for LaBr<sub>3</sub> detectors: →  $1.2 * 10^6$  counts per detector

- Rate estimates for Ge clovers:  $^{10}\text{C}$

**10000 cycle:**

$$\begin{aligned} & 1.5/\text{min} * 60 \text{ min} * \\ & 22 \text{ h} * 7 \text{ d} = \\ & 13860 \text{ cycles} \end{aligned}$$

**limitation:**  
**singles trigger rate**  
 $\approx 5000 \text{ trig/s}$



### $^{10}\text{C}$ decay:

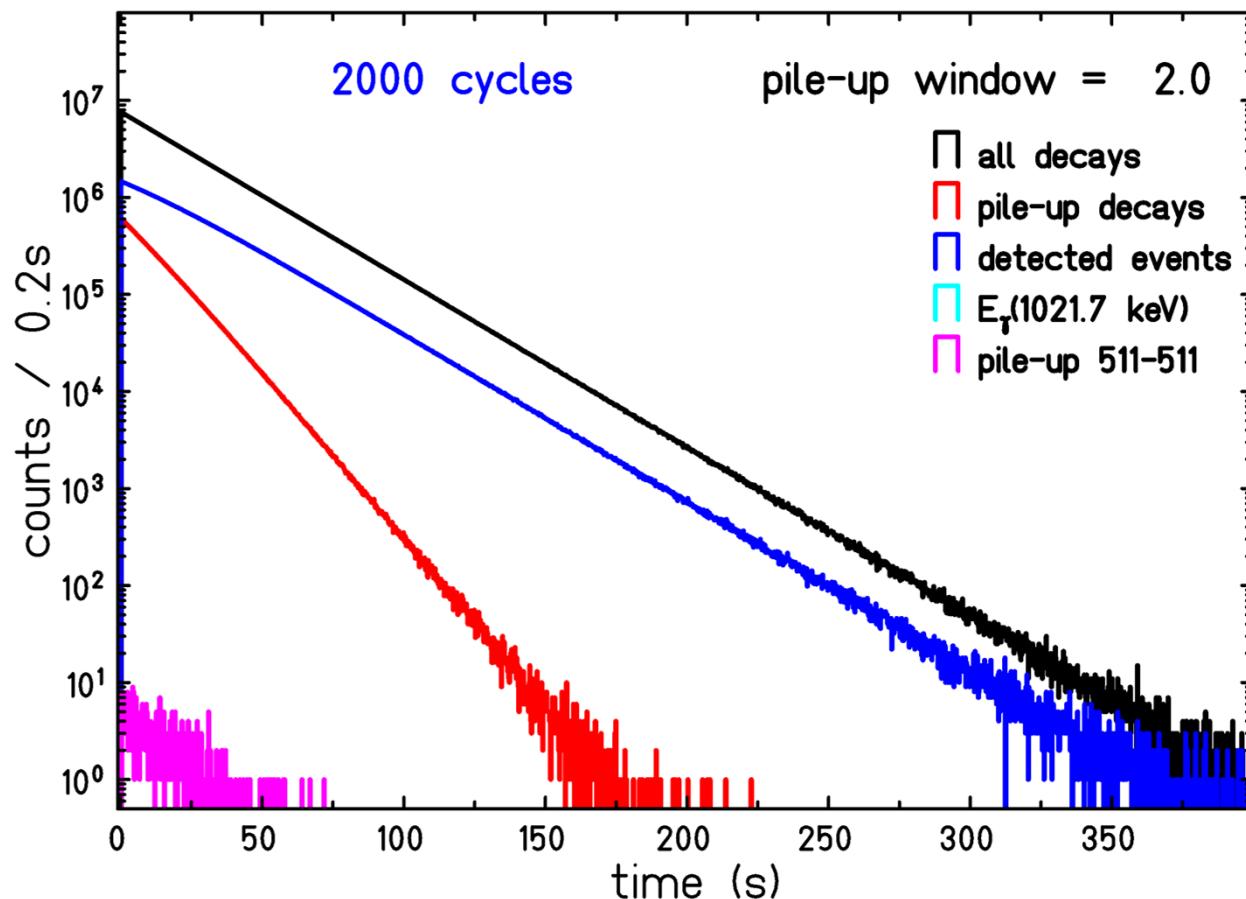
- $5*10^5$   $^{10}\text{C}$  produced “instantaneously” (short time with respect to half-life)
- 1021.7 keV:  $5*10^5 \text{ decays / cycle} * 10000 \text{ (cycles)} * 1.5 \% \text{ (BR)} * 2 \% \text{ (\varepsilon)}: 1.5*10^6 \text{ counts}$
- 511 keV:  $5*10^5 \text{ decays / cycle} * 10000 \text{ (cycles)} * 2 \text{ (BR)} * 4 \% \text{ (\varepsilon)} * 0.1 \% \text{ (pile-up prob.)} / 100 \text{ (detectors)}: 4000 \text{ counts}$
- 511keV – 511keV pile-up compared to 1021.7 keV peak: 2 – 3 %

- Rate estimates for Ge clovers:  $^{19}\text{Ne}$

**2000 cycle:**

$$\begin{aligned} & 1.5/\text{min} * 60 \text{ min} * \\ & 22 \text{ h} * 1 \text{ d} = \\ & 1980 \text{ cycles} \end{aligned}$$

**limitation:**  
**singles trigger rate**  
 $\approx 5000 \text{ trig/s}$



**$^{19}\text{Ne}$  decay:**

- $5 * 10^5$   $^{19}\text{Ne}$  produced “instantaneously” (short time with respect to half-life)
- 511 keV:  $5 * 10^5 \text{ decays / cycle} * 2000 \text{ (cycles)} * 2 \text{ (BR)} * 4\% (\varepsilon) * 0.1\% \text{ (pile-up prob.)} / 100 \text{ (detectors)}: 800 \text{ counts}$

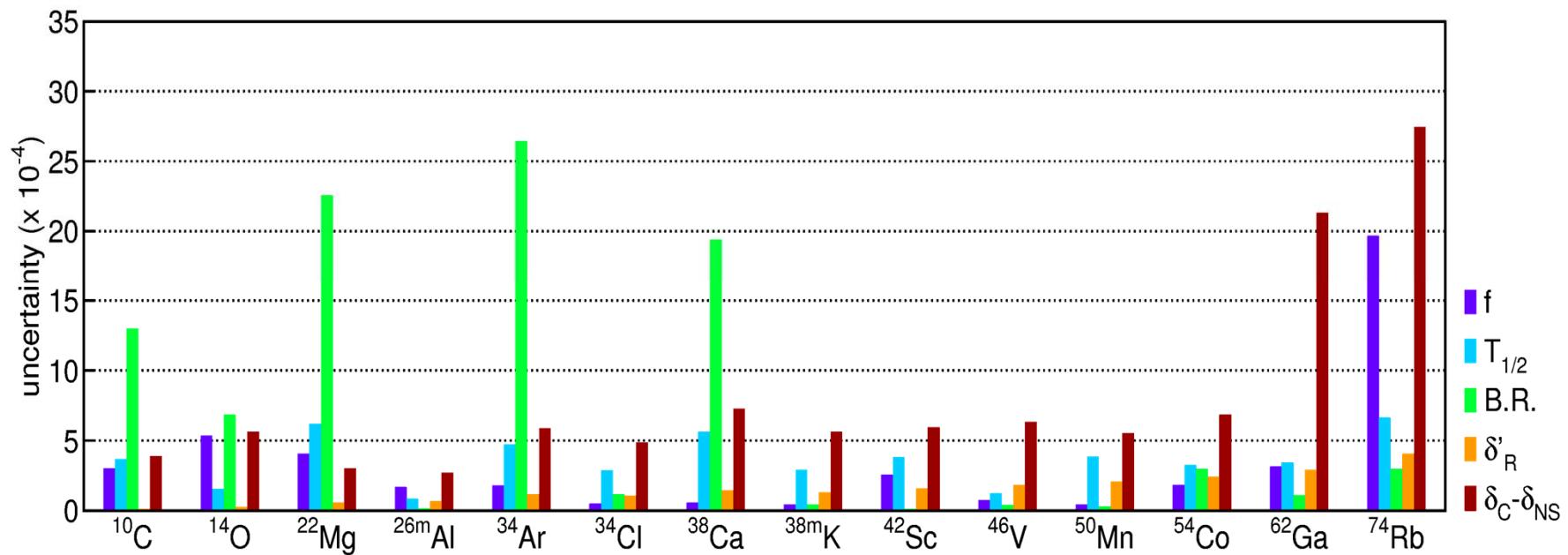
→ Good enough to test coincidence probability

• • • **Summary**

- similar estimates possible for LaBr<sub>3</sub>
- beam intensity is “free” parameter depending on count rates
- all in all: experiment more than feasible with nu-ball
- ideally:
  - two independent DAQs for Ge clovers and LaBr<sub>3</sub> detectors
- need of multiplicity-2 trigger
- what is DAQ dead time?
- maximum event rate?
- when available?



• • •  $0^+ \rightarrow 0^+$  uncertainties



• • • Fierz term  $b_F$

- additional term in statistical rate function  $f$ :  $(1+b_f * \gamma_1 / W)$
  - $\gamma_1 = \sqrt{1 - (\alpha * Z)^2}$
  - $W$  increases with  $Z$
- → largest sensitivity for small  $Z$