

Searching for New Physics in Flavor Physics

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Members of the team

LAL

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D. Wang (Master student)

H.-Y. Jiang (Master student)

P.-F. Guo (Master student)

New application (separated from Richard/Zhao group):
focusing more on Flavour Physics and BSM

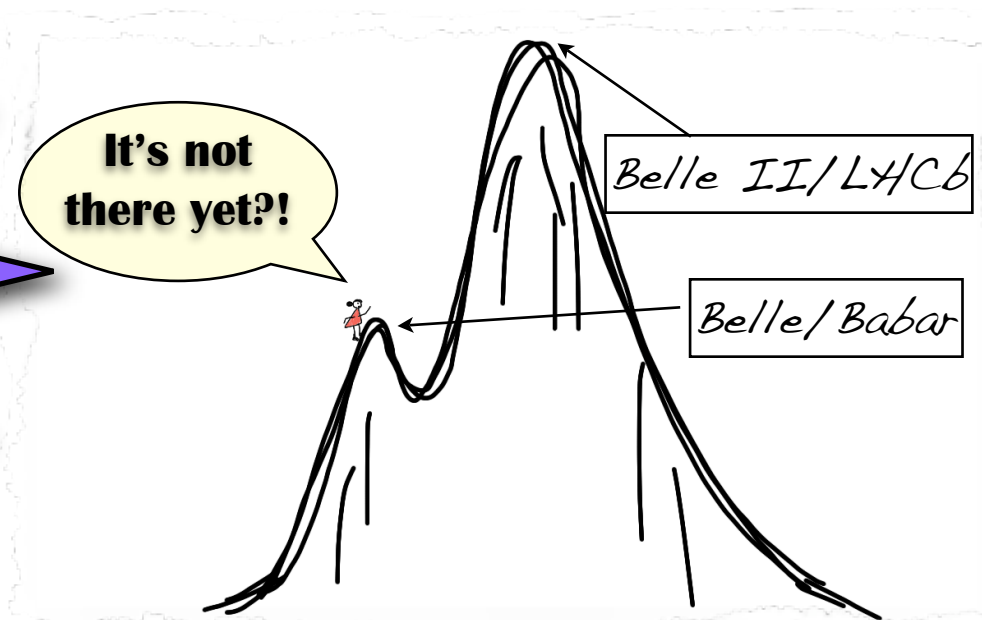
Discovery in Flavour Physics

Well motivated. But we need to improve the sensitivity?

- ▶ New physics models predict naturally deviation from SM in flavour and CP violating phenomena.
- ▶ But then, what is the indication of the non-appearance of new physics? And *where/how to search it now?*

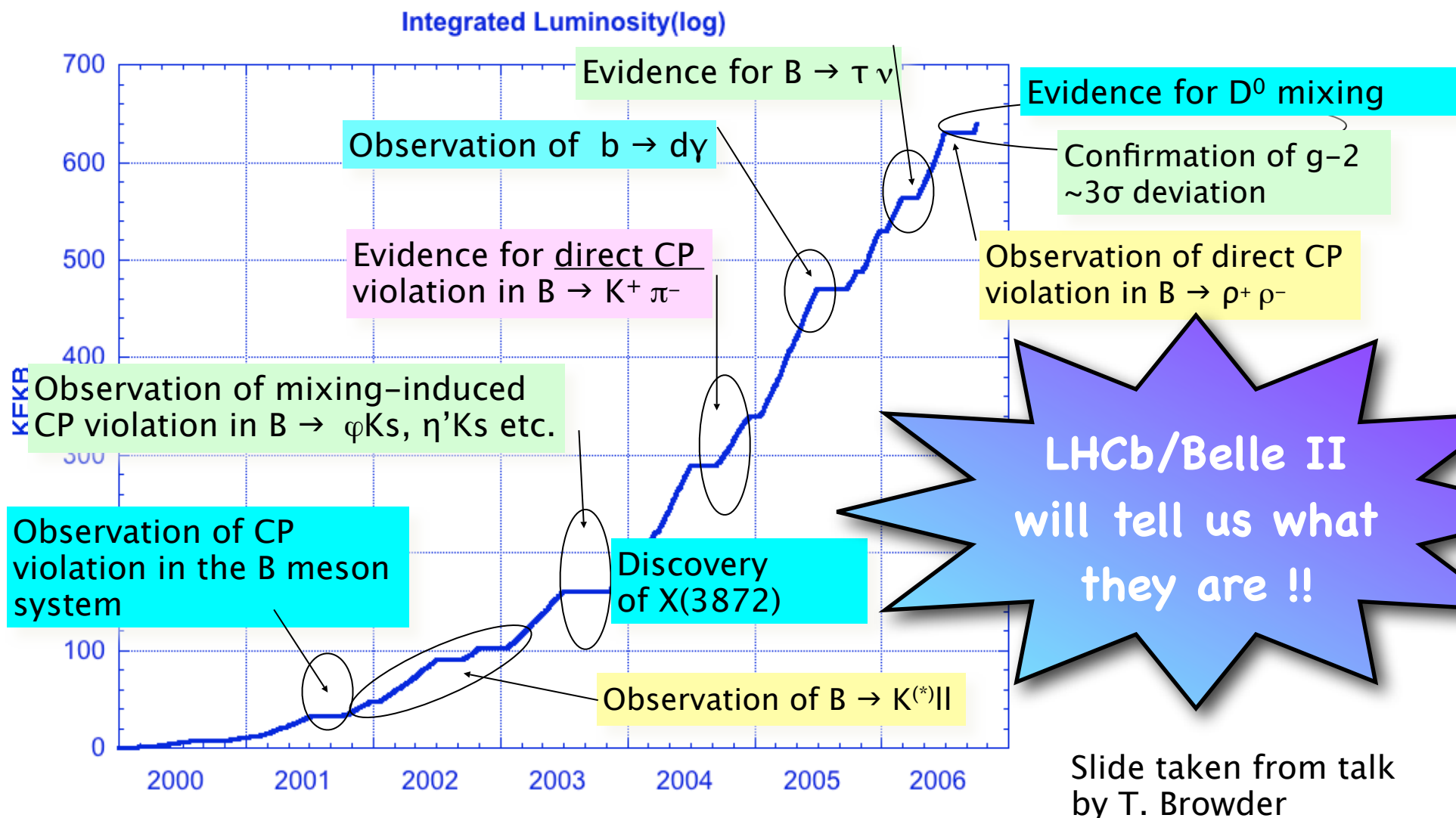
Increase the
sensitivity to new
physics by **an order of
magnitude!**

High luminosity machines!



Legacy of Babar/Belle

Many $2\text{--}3\sigma$ seen, disappeared, unclear etc...



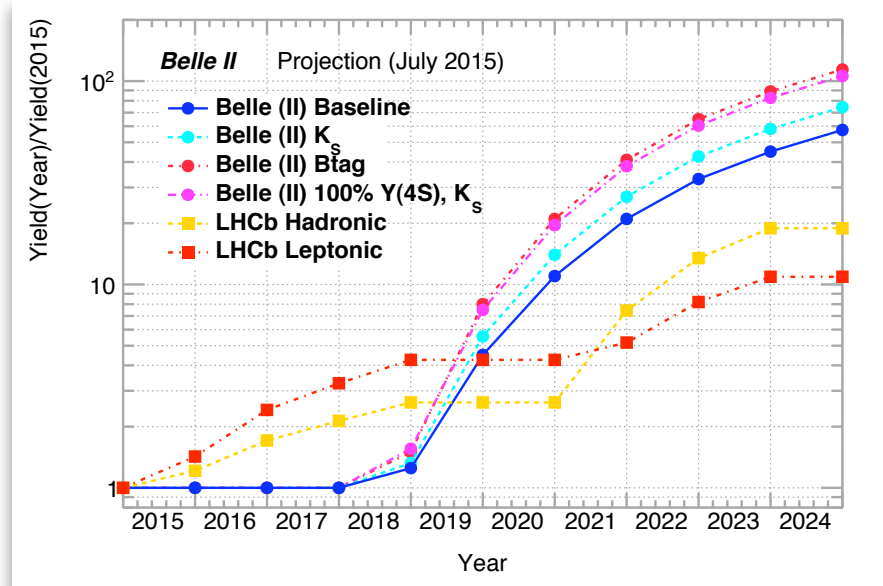
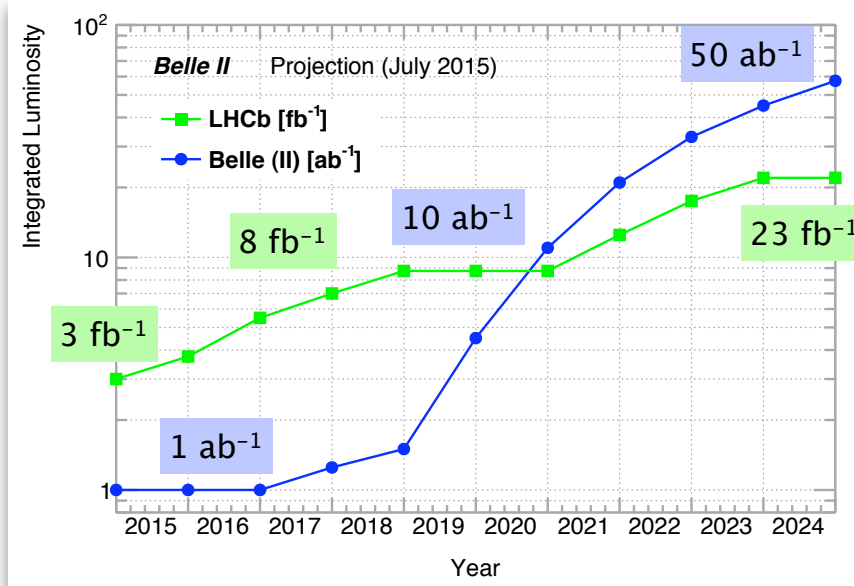
Similarly, LHCb sees several interesting anomalies !!!

LHCb and Belle II

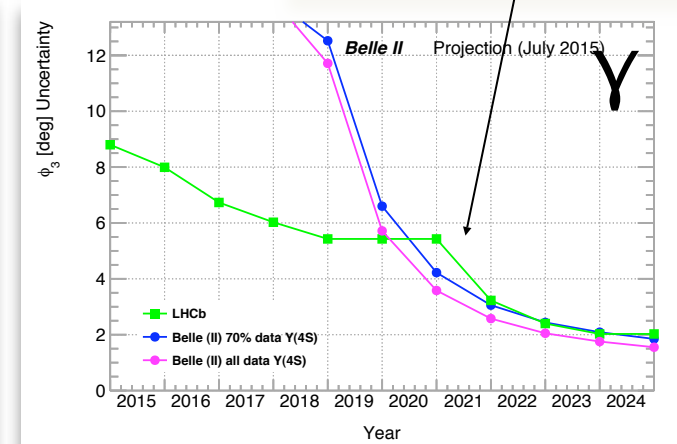
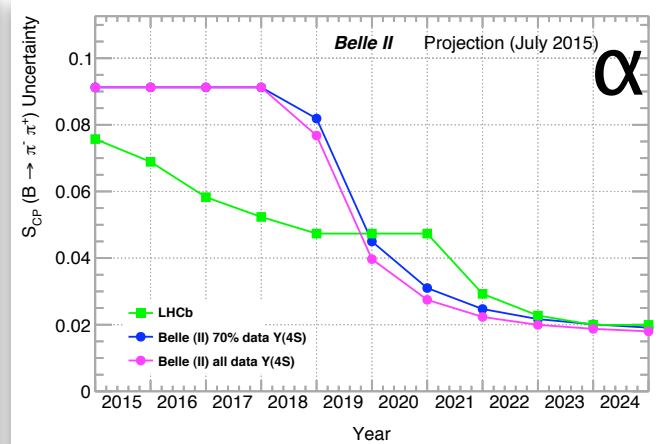
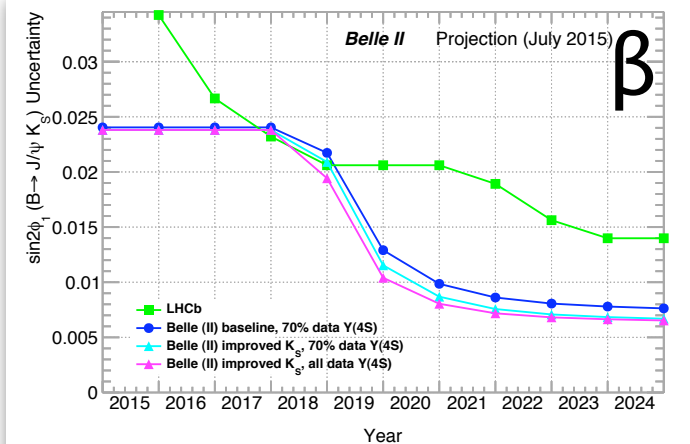
Competition or complementary ???

BELLE2-NOTE-PH-2015-004

Future increase of the luminosity



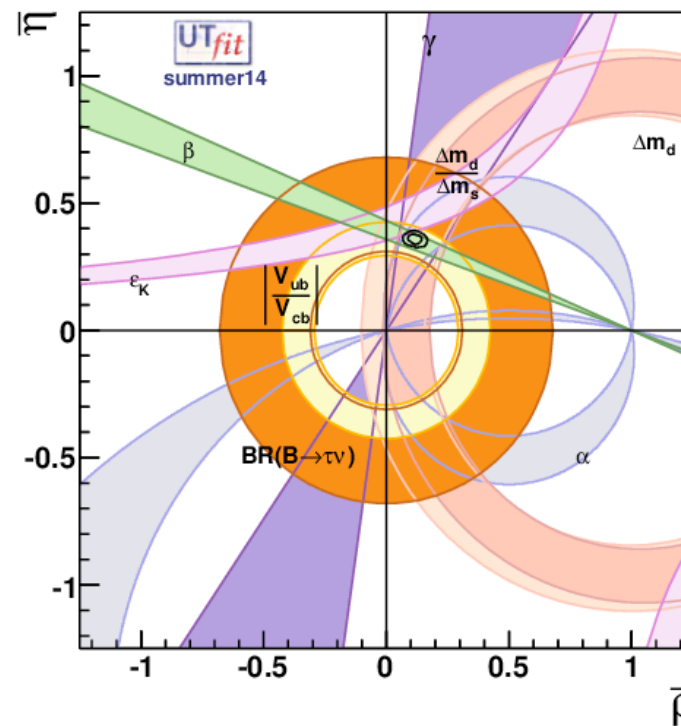
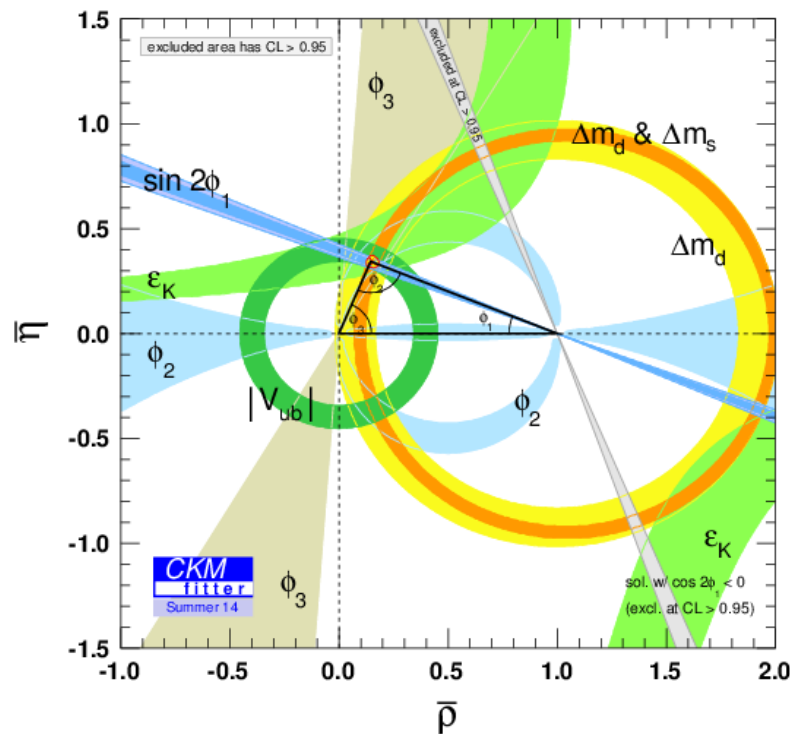
Future reductions of the errors



LHCb and Belle II

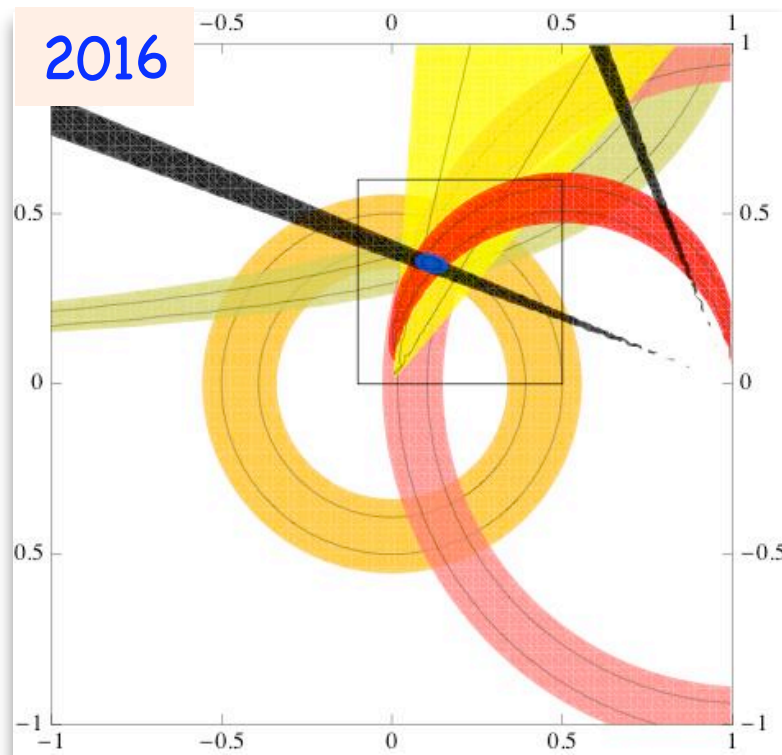
Competition or complementary ???

Can we expect a discovery of New Physics with the Unitarity Triangle ?!

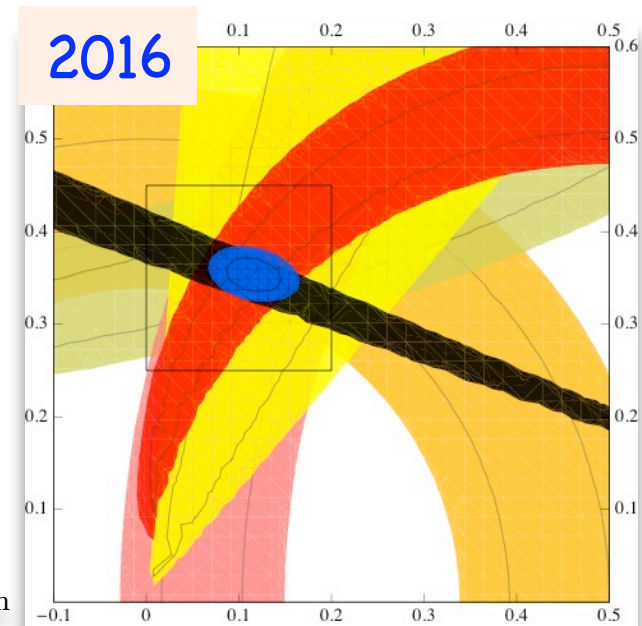


Future prospect of the UT triangle

Current status: good agreement



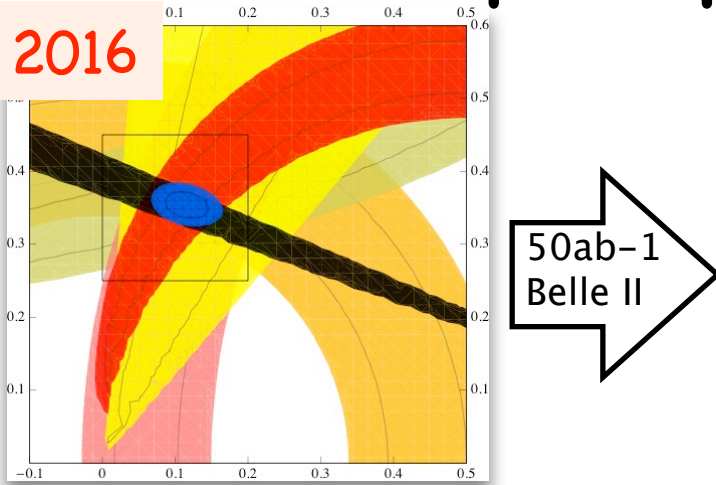
⇒ zoom



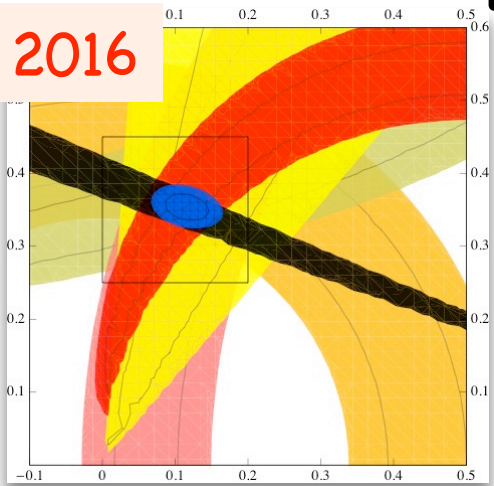
What would happen in 10 years time??

Future prospect of the UT triangle

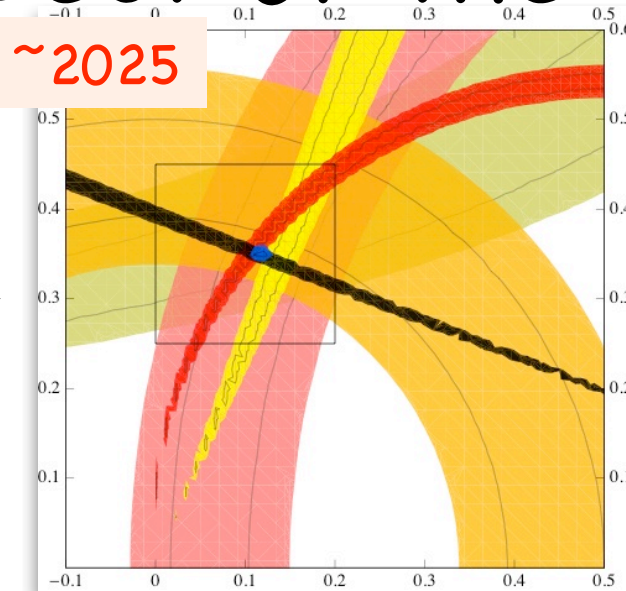
E.K. & F. Le Diberder
for B2TiP working group



Future prospect of the UT triangle



50ab-1
Belle II



E.K. & F. Le Diberder
for B2TiP working group

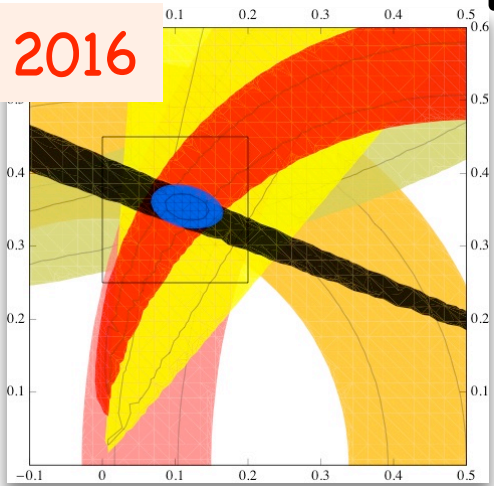
**1.4 σ level
agreement!**

If the central value remains the same
(though unlikely)...

Future prospect of the UT triangle

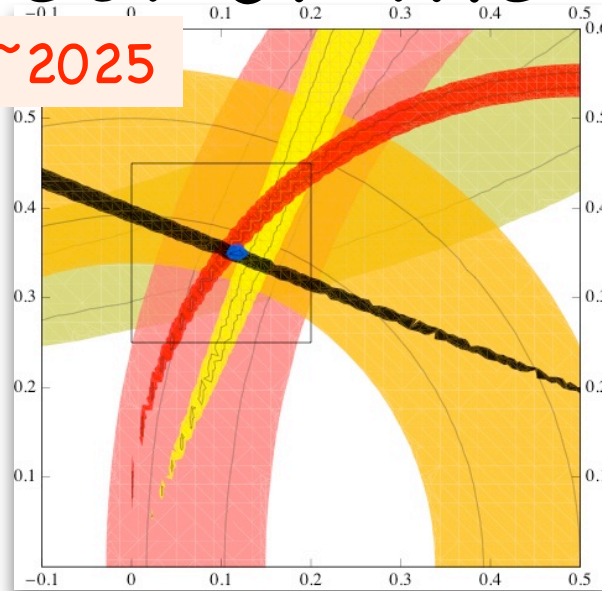
E.K. & F. Le Diberder
for B2TiP working group

2016



50ab-1
Belle II

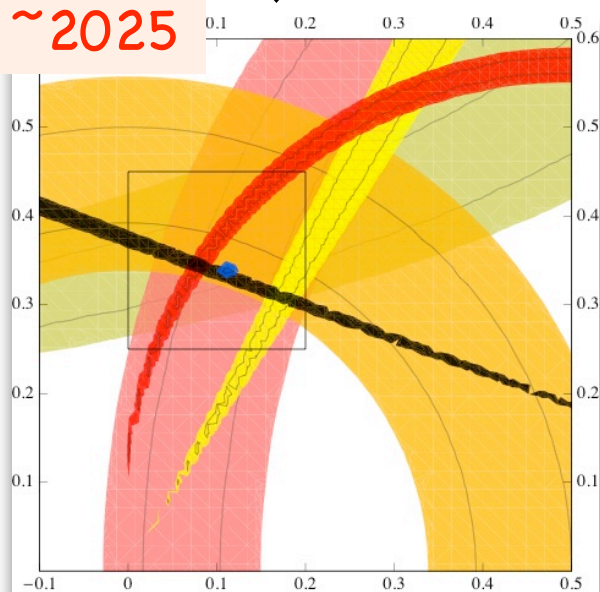
~2025



**1.4 σ level
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~2025



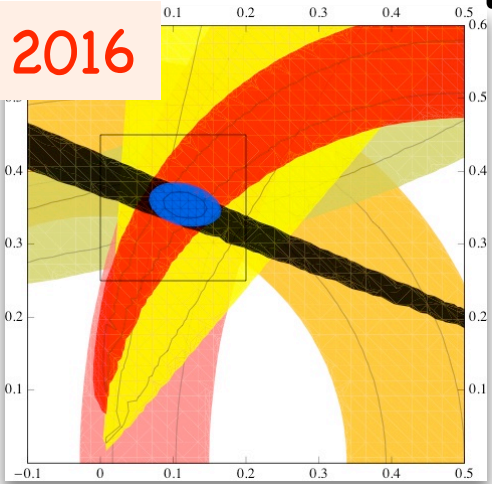
**8 σ level
discrepancy!**

Is this 8 σ an
"odd case"???
(the answer is NO!)

If all the central values a little go lower...

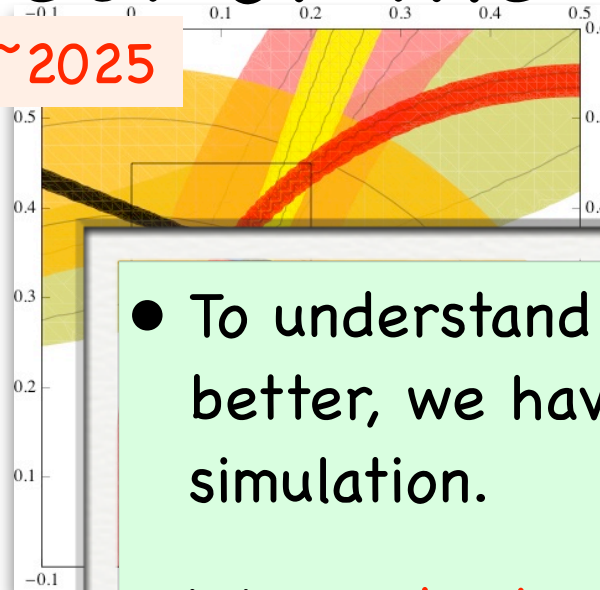
Future prospect of the UT triangle

E.K. with F. Le Diberder
(preliminary)



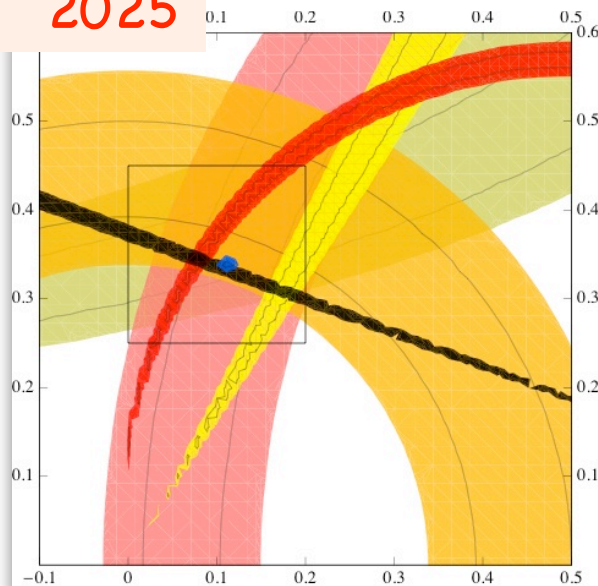
50ab-1
Belle II

~2025



If the ce

~2025



8 σ le
discrep

- To understand this “8 σ ” effect better, we have run a Monte Carlo simulation.
- We randomly sample the central values (1000 trials) assuming Gaussian measurements and compute the significance.
- The result shows that the chance to observe deviation more than 5 σ significance is currently 52 % !

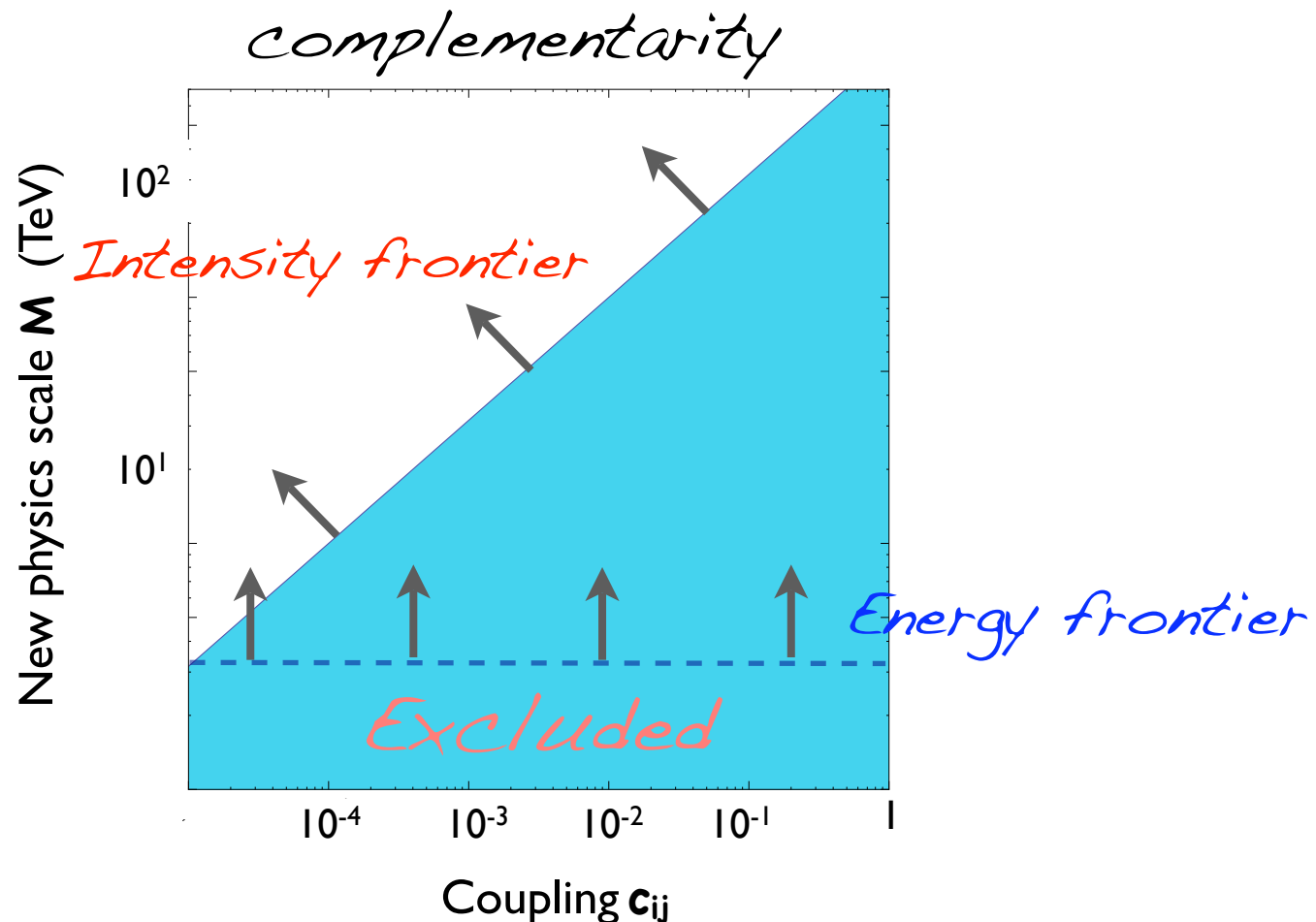
If all the central values a little go lower...

Flavour and High- P_T

Competition or complementary ???

$$\Delta_{NP} = (\text{exp.} - \text{SM}) \pm \sqrt{(\sigma_{\text{exp}})^2 + (\sigma_{\text{SM}})^2}$$

$$= c / (M_{NP})^{n=2}$$



Left-Right Symmetric Model (LRSM)

Extended gauge group

EK, C.-D. Lu and F.-S. Yu (JHEP 2013)

Thesis of F.-S. Yu (China-France co-supervision)

$$SU(2)_L \times SU(2)_R \times U(1)_{\tilde{Y}} \rightarrow SU(2)_L \times U(1)_Y \rightarrow U(1)_{\text{EM}}.$$

[Pati, Salam, 1974; Mohapatra, Pati, 1975; Mohapatra, Sejanovic, 1975]

Two step Symmetry breakings

$$\langle \Phi \rangle = \begin{pmatrix} \kappa & 0 \\ 0 & \kappa' e^{i\omega} \end{pmatrix}, \quad \langle \Delta_L \rangle = \begin{pmatrix} 0 & 0 \\ v_L e^{i\theta_L} & 0 \end{pmatrix}, \quad \langle \Delta_R \rangle = \begin{pmatrix} 0 & 0 \\ v_R & 0 \end{pmatrix}$$

$$\kappa, \kappa', v_L \ll v_R \quad \text{Right handed mass very large}$$

W boson with left- and right-handed couplings (W_L & W_R)

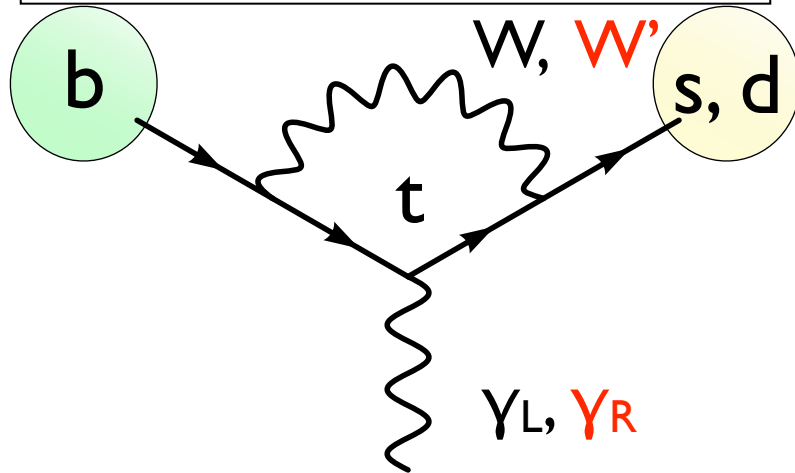
$$\begin{pmatrix} W_L^- \\ W_R^- \end{pmatrix} = \begin{pmatrix} \cos \zeta & -\sin \zeta e^{i\omega} \\ \sin \zeta e^{-i\omega} & \cos \zeta \end{pmatrix} \begin{pmatrix} W_1^- \\ W_2^- \end{pmatrix}$$

$$\sin \zeta \approx \frac{g_L}{g_R} \frac{|\kappa| |\kappa'|}{v_R^2} = \frac{g_L}{g_R} \frac{1}{2} \epsilon^2 \sin 2\beta \approx \frac{M_{W_1}^2}{M_{W_2}^2} \frac{g_R}{g_L} \sin 2\beta.$$

Mass eigenstates W_1 & W_2 are a mixture of left and right W's

Searching signals of LRSM

Flavour physics signal

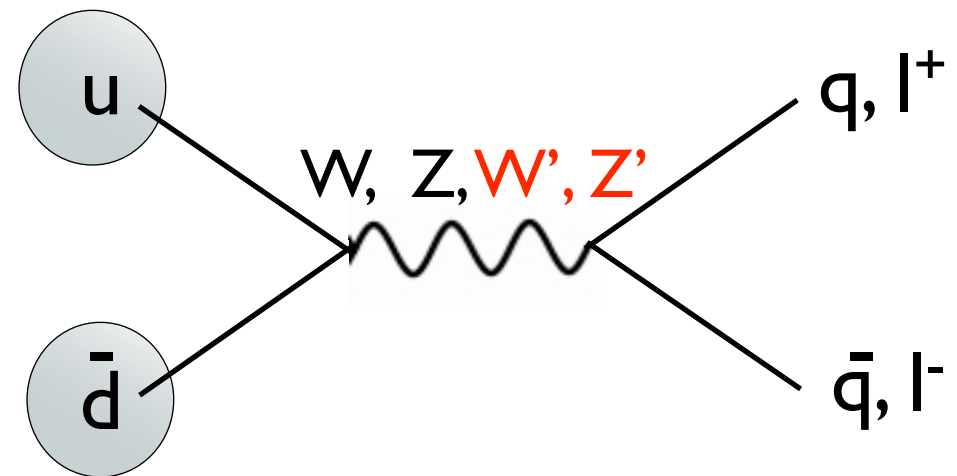


W : $b \rightarrow s/d \gamma_L$ (left-handed polarization)

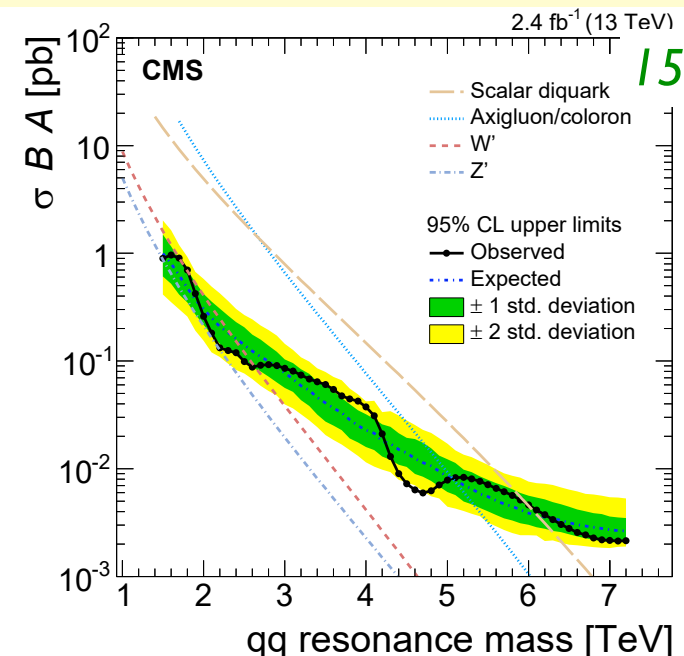
W' : $b \rightarrow s/d \gamma_R$ (right-handed polarization)

In the previous years, we have been investigating methods to measure the photon polarization of $b \rightarrow s/d \gamma$ decays (find details in our FCPPL report and also backup slides)

ATLAS/CMS signal



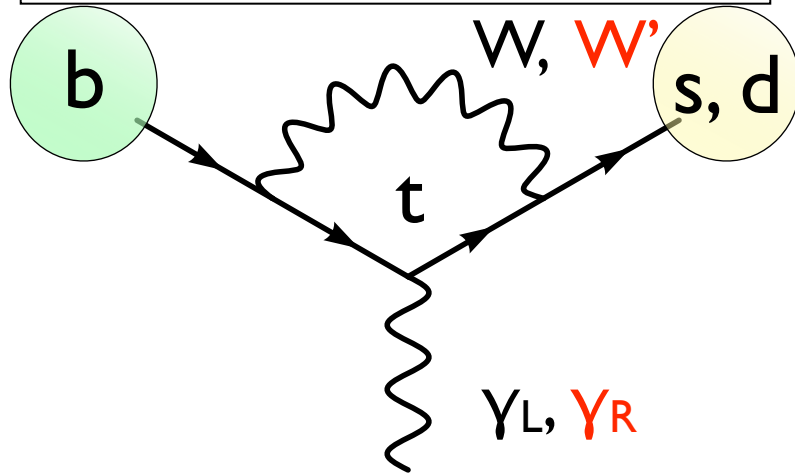
Generic resonance search with dijets



1512.01224

Searching signals of LRSM

Flavour physics signal

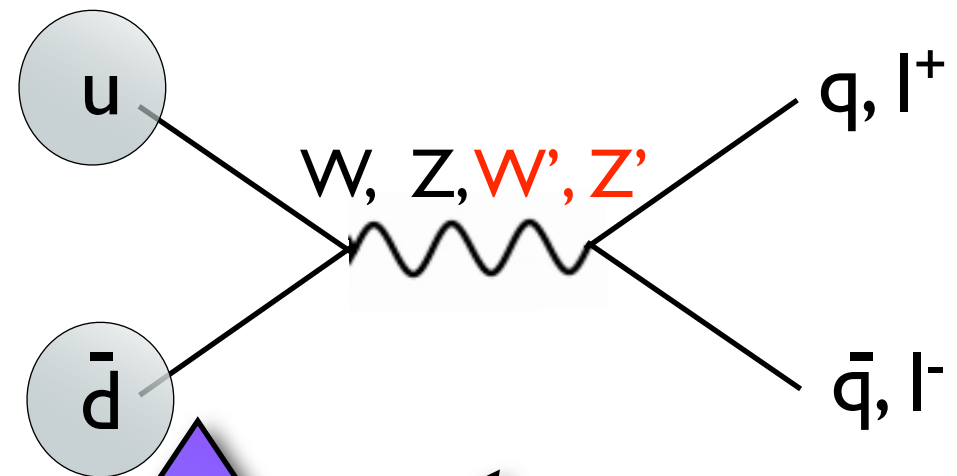


W : $b \rightarrow s/d \gamma_L$ (left-handed polarization)

W' : $b \rightarrow s/d \gamma_R$ (right-handed polarization)

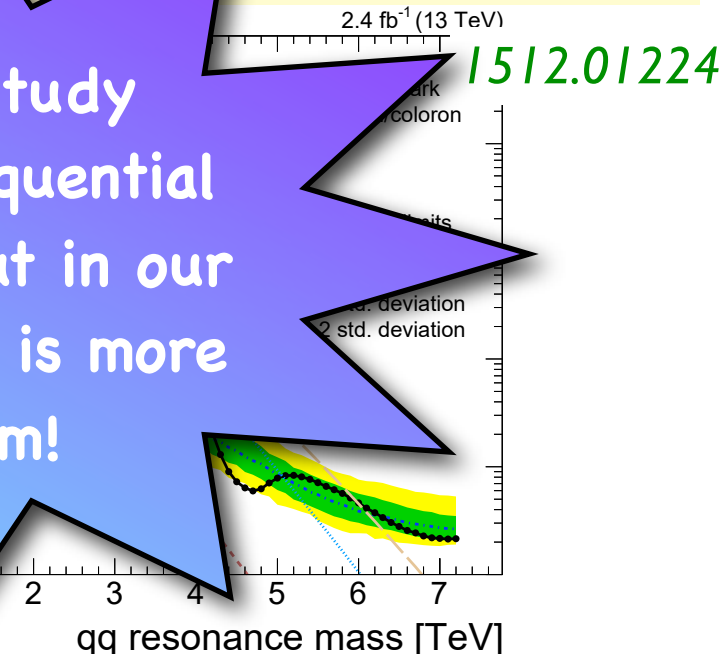
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ATLAS/CMS signal



Generic resonance search with dijets

Generic study assumes "sequential couplings" but in our model there is more freedom!



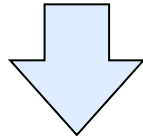
Right-handed CKM matrix

Langacker-Sankar model ('89):

proposed to avoid constraints from various low energy experiments.

$$V_{(A)}^R = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_\alpha & \pm s_\alpha \\ 0 & s_\alpha & \mp c_\alpha \end{pmatrix}, \quad V_{(B)}^R = \begin{pmatrix} 0 & 1 & 0 \\ c_\alpha & 0 & \pm s_\alpha \\ s_\alpha & 0 & \mp c_\alpha \end{pmatrix},$$

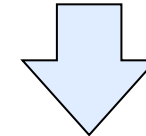
-Top could couple Strange/Bottom
-Up-Down coupling is one



We studied previously

*EK, C.-D. Lu and
F.-S. Yu (JHEP 2013)*

-Top could couple Down/Bottom
-Up-Down coupling is zero



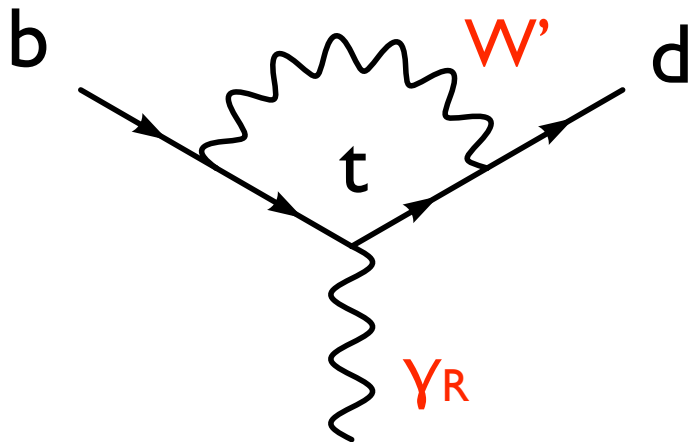
Our 2016 project

with new collaborators
T. Abe & M. Nojiri (KEK)

Searching signals of LRSM

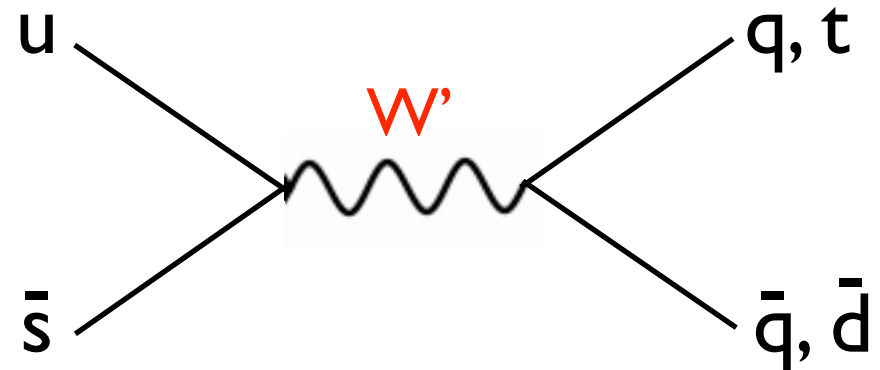
$$V_{(B)}^R = \begin{pmatrix} 0 & \boxed{1} & 0 \\ c_\alpha & 0 & \pm s_\alpha \\ \boxed{s_\alpha} & 0 & \mp c_\alpha \end{pmatrix}$$

Flavour physics signal



$B \rightarrow p\gamma$ photon polarization measurement at Belle II

ATLAS/CMS signal

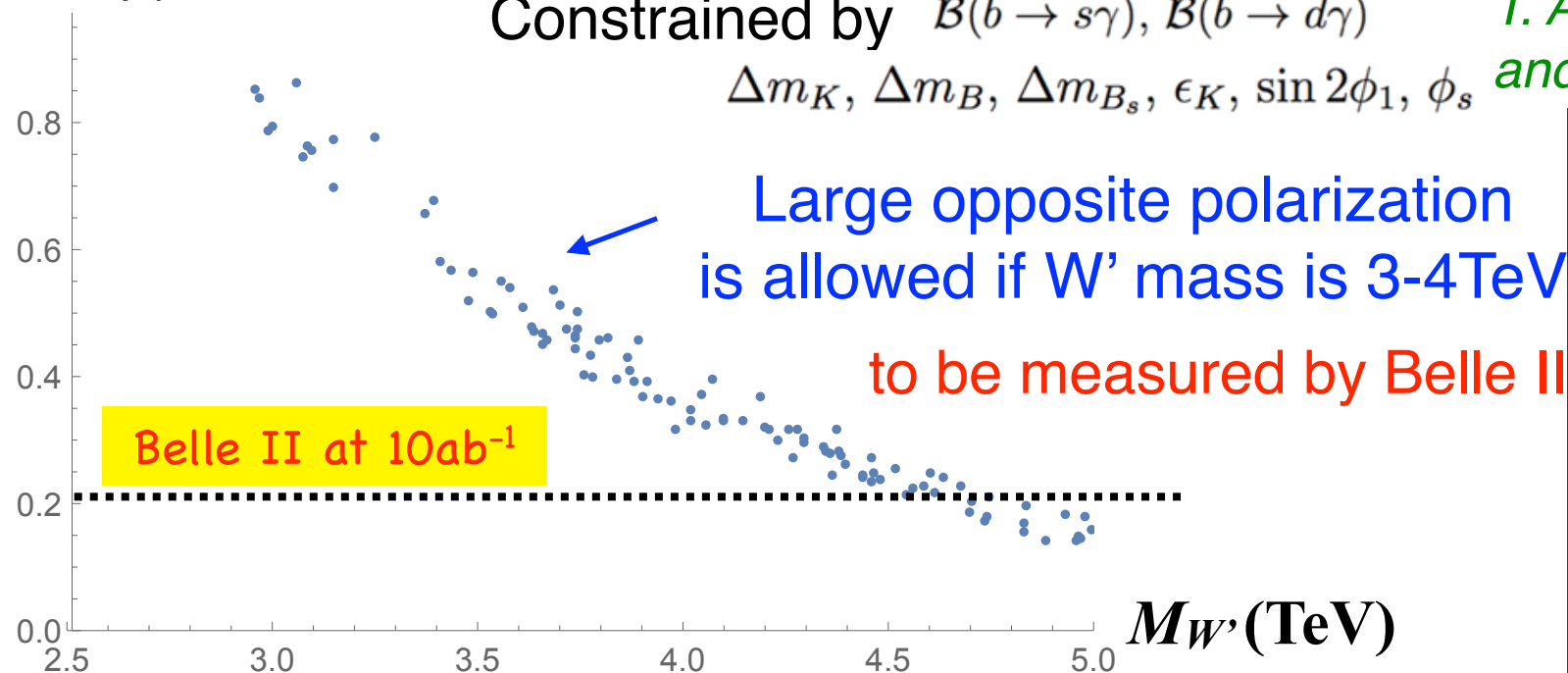


Djets signal or single top (without bottom associated)??

$S_{\rho\gamma}^{\text{CP}}$

Constrained by $\mathcal{B}(b \rightarrow s\gamma), \mathcal{B}(b \rightarrow d\gamma)$
 $\Delta m_K, \Delta m_B, \Delta m_{B_s}, \epsilon_K, \sin 2\phi_1, \phi_s$

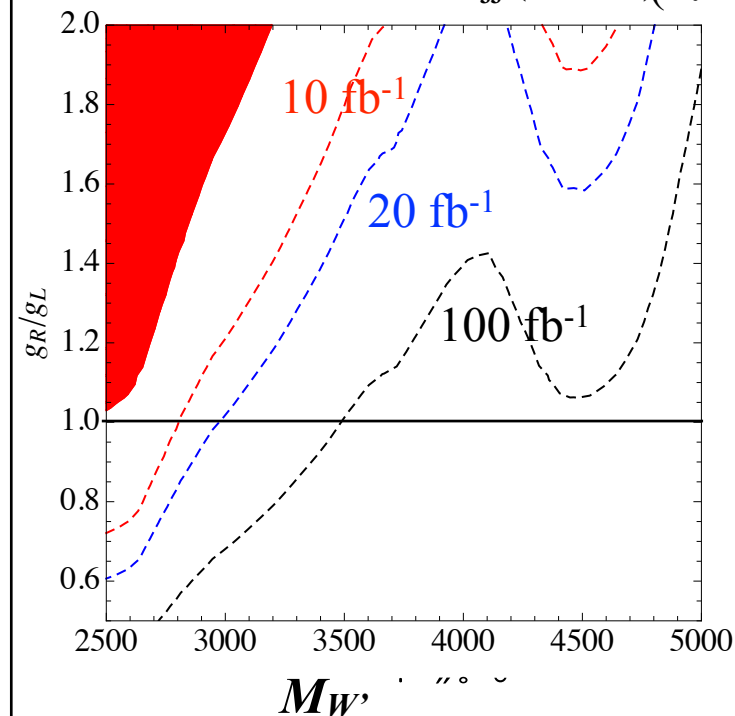
Very preliminary results
T. Abe, E.K. M. Nojiri
and F.-S. Yu



**ATLAS/CMS
signal**

Flavour physics signal

Constraint from $W' \rightarrow jj$ (LHC13) (2.4 fb⁻¹)



Conclusions

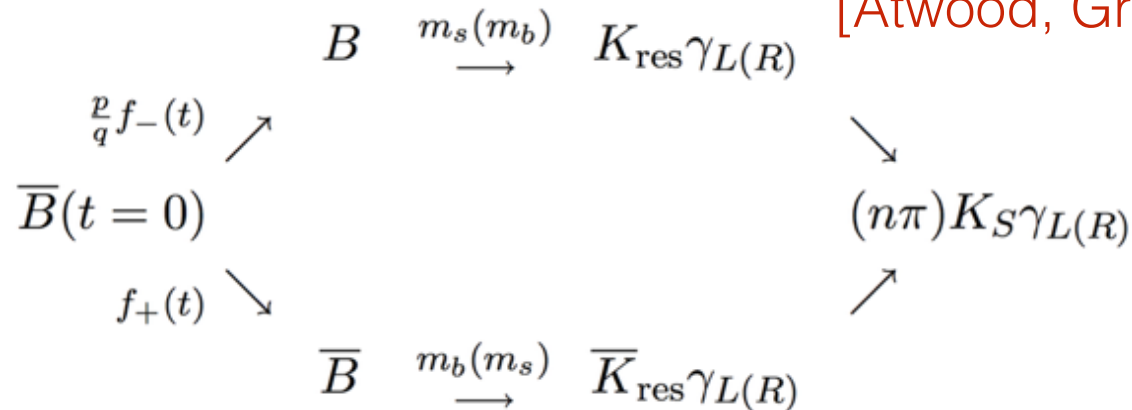
- Having two high luminosity experiments (LHCb&Belle II) in **very good shapes**, flavour physics will keep being **a powerful tool to search for signals beyond the SM**.
- Our new project considers Left-Right symmetric model with a **particular right-handed CKM matrix** and study both the flavour and high-pT signals from this model.
- We found that $S^{\text{CP}}_{\rho\gamma}$ (a new Belle II golden channel) **can lead us a clear signal if $M_{W'}$ is 3-4 TeV**.
- We found that the same model would lead to a signal for the **ATLAS/CMS resonance search with dijet**. We also investigate **the single top final state so as to distinguish different models**.

Backup

Time-dependent CP asymmetry in

$$\bar{B} \rightarrow f_{CP}\gamma \quad \text{and} \quad B \rightarrow f_{CP}\gamma$$

[Atwood, Gronau, Soni, 1997']



$$A_{CP}(t) \equiv \frac{\Gamma(\bar{B}(t) \rightarrow f_{CP}\gamma) - \Gamma(B(t) \rightarrow f_{CP}\gamma)}{\Gamma(\bar{B}(t) \rightarrow f_{CP}\gamma) + \Gamma(B(t) \rightarrow f_{CP}\gamma)} \approx S_{f_{CP}\gamma} \sin(\Delta mt)$$

- Indirect measurement of photon polarization

$$S_{K_S\pi^0\gamma}^{\text{SM}} = -(2.3 \pm 1.6)\%, \quad S_{K_S\pi^0\gamma}^{\text{exp}} = -0.16 \pm 0.23$$

[Ball, Jones, Zwicky, PRD2007']

[HFAG, 2013']

- In the future Belle II experiment, the error of S will be significantly reduced down to 2%.

$$B^0 \rightarrow K_{\text{res}} \gamma \rightarrow K_S \rho^0 \gamma \rightarrow K_S \pi^+ \pi^- \gamma$$

$S_{\rho K_S \gamma}$ is determined by the dilution factor:

$$\mathcal{D} = \frac{\mathcal{S}_{\pi^+ \pi^- K_S \gamma}}{\mathcal{S}_{\rho K_S \gamma}} \quad \text{Non-CP eigenstates may contribute}$$

$$= \frac{\sum_{\lambda=L,R} |A_{\lambda}^{\rho K_S}|^2 - |A_{\lambda}^{K^{*+} \pi^-}|^2 - |A_{\lambda}^{(K\pi)_0^+ \pi^-}|^2 + 2\text{Re}[A_{\lambda}^{*\rho K_S} A_{\lambda}^{K^{*+} \pi^-}] + 2\text{Re}[A_{\lambda}^{*\rho K_S} A_{\lambda}^{(K\pi)_0^+ \pi^-}]}{\sum_{\lambda=L,R} |A_{\lambda}^{\rho K_S}|^2 + |A_{\lambda}^{K^{*+} \pi^-}|^2 + |A_{\lambda}^{(K\pi)_0^+ \pi^-}|^2 + 2\text{Re}[A_{\lambda}^{*\rho K_S} A_{\lambda}^{K^{*+} \pi^-}] + 2\text{Re}[A_{\lambda}^{*\rho K_S} A_{\lambda}^{(K\pi)_0^+ \pi^-}]}$$

Including S-wave $K\pi$ resonances



[Akar, Ben-Haim, Hebinger,
Kou, FSY, in preparation
available LAL-report-15-75]

Babar 2015

Belle 2008 without $(K\pi)_0$

$$\mathcal{S}_{K_S^0 \pi^+ \pi^- \gamma}$$

$$0.14 \pm 0.25 \pm 0.03$$

$$0.09 \pm 0.27^{+0.04}_{-0.07}$$

$$\mathcal{D}_{K_S^0 \rho^0 \gamma}$$

$$-0.78^{+0.19}_{-0.17}$$

$$0.83^{+0.19}_{-0.03}$$

$$\mathcal{S}_{K_S^0 \rho^0 \gamma}$$

$$-0.18 \pm 0.32^{+0.06}_{-0.05}$$

$$0.11 \pm 0.33^{+0.05}_{-0.09}$$