

# A search for FCNC in top quark decays with a final state of 1 lepton + 3 b-jets

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# Baseline selection

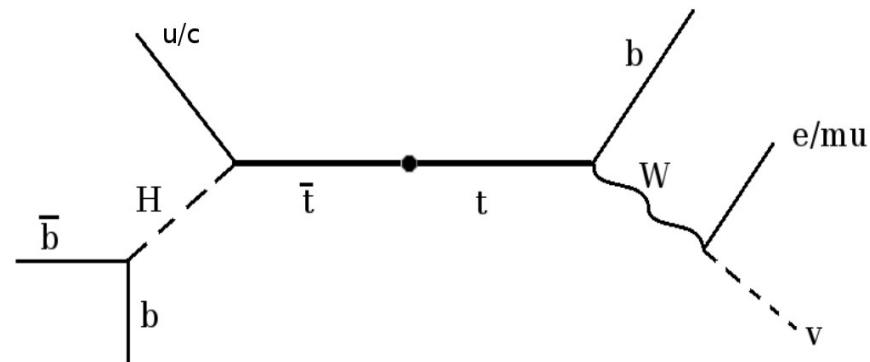
(1) = 1 lepton ( $e/\mu$ ,  $P_T > 30$  GeV,  $|\eta| < 2.5$  (2.4))

+ veto on loose leptons ( $10$  GeV)  $< P_T < 30$  GeV)

(2)  $M_T(\text{lep}, \text{MET}) \geq 50$  GeV

(3)  $\geq 4$  jets ( $P_T > 40$  GeV,  $|\eta| < 2.4$ )

(4)  $\geq 3$  CSV Medium<sup>(\*)</sup> b-tagged jets



		Initial	1 lep	$M_T(\text{lep}, \text{MET}) \geq 50$	Nb Jets $\geq 4$	Nb B jets $\geq 3$ (final)
Bkg	tt + jets	$3.84 \cdot 10^7$	$1.19 \cdot 10^7$	$7.53 \cdot 10^6$	$1.48 \cdot 10^6$	$8.23 \cdot 10^4$
	ttH	$1.44 \cdot 10^4$	$4.77 \cdot 10^3$	$3.03 \cdot 10^3$	$2.13 \cdot 10^3$	$1.11 \cdot 10^3$
	W + jets	$8.18 \cdot 10^7$	$1.94 \cdot 10^7$	$1.34 \cdot 10^7$	$5.57 \cdot 10^5$	462
	tHq	$1.84 \cdot 10^4$	$6.01 \cdot 10^3$	$3.86 \cdot 10^3$	560	327
	t + jets	$2.78 \cdot 10^7$	$3.16 \cdot 10^6$	$2.2 \cdot 10^6$	$3.23 \cdot 10^4$	99
Signal	tcH-ttbar	$4.23 \cdot 10^5$	$8.13 \cdot 10^4$	$4.92 \cdot 10^4$	$1.47 \cdot 10^4$	$5.6 \cdot 10^3$
	tcH-singTop	$2.14 \cdot 10^4$	$2.83 \cdot 10^3$	$1.75 \cdot 10^3$	132	53
	<b>S/√(S+B)</b>	////	////	////	<b>10.14</b>	<b>18.81</b>
	tuH-ttbar	$4.37 \cdot 10^5$	$8.25 \cdot 10^4$	$5.75 \cdot 10^4$	$1.13 \cdot 10^4$	$3.26 \cdot 10^3$
	tuH-singTop	$1.72 \cdot 10^5$	$2.22 \cdot 10^4$	$1.4 \cdot 10^4$	850	317
	<b>S/√(S+B)</b>	////	////	////	<b>8.32</b>	<b>12.04</b>

(\*) ~1% non-B efficiency and ~70% B efficiency

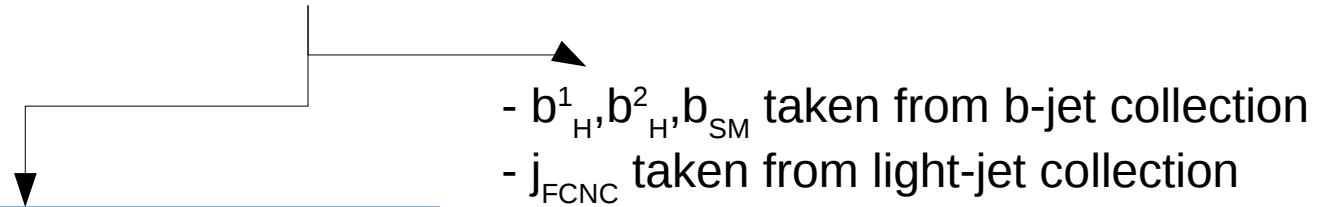
# Systematic uncertainties reduce significance below 1

- Taking 10% of systematic uncertainty into account on  $t\bar{t}$  cross section:  
$$\frac{S}{\sqrt{S + B + (0.1 \times B_{t\bar{t}})^2}}$$
  
= 0.67 (tcH)  
= 0.42 (tuH)
- Two ways to increase the significance:
  - 1) Find discriminating variable(s) to perform a template fit
    - Variables related to b-jets coming from H (kinematic resolutions of jets are not so great)
    - Reconstruction mechanisms to select correct b-jets are not so efficient
  - 2) Revisit selection cuts according to  $\frac{S}{\sqrt{S + B + (0.1 \times B_{t\bar{t}})^2}}$

# Reconstruction mechanism

Reconstruct FCN top-decay and SM b-jet as:

$$\chi^2_{\text{weighted}} = \frac{[M(b_H^1 b_H^2) - M_H]^2}{16} + \frac{[M(b_H^1 b_H^2 j_{\text{FCNC}}) - M_{\text{top}}]^2}{30} + \frac{[M^T(b_{\text{SM}}, l, \text{MET}) - m_{\text{top}}]^2}{30}$$



Reconstruction efficiencies<sup>(\*)</sup>:

- |   |             |
|---|-------------|
| - $(b_H^1 b_H^2 \rightarrow H)$   | $\sim 67\%$ |
| - $(b_{\text{SM}} \rightarrow t_{\text{SM}})$   | $\sim 22\%$ |
| - $(j_{\text{FCNC}} \rightarrow u_{\text{FCNC}}/c_{\text{FCNC}})$                               | $\sim 21\%$ |
| - $(b_H^1 b_H^2 j_{\text{FCNC}} \& b_{\text{SM}} \rightarrow t_{\text{FCNC}} \& t_{\text{SM}})$ | $\sim 14\%$ |

(\*) Denominator = number of events after BL selection  
Only measured on ttbar signal samples

# Reconstruction mechanism

Reconstruct FCN top-decay and SM b-jet as:

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- $b_H^1, b_H^2, b_{\text{SM}}$  taken from b-jet collection
- $j_{\text{FCNC}}$  taken from light-jet collection

Reconstruction efficiencies<sup>(\*)</sup>:

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- $(b_{\text{SM}} \rightarrow t_{\text{SM}})$	$\sim 22\%$
- $(j_{\text{FCNC}} \rightarrow u_{\text{FCNC}}/c_{\text{FCNC}})$	$\sim 21\%$
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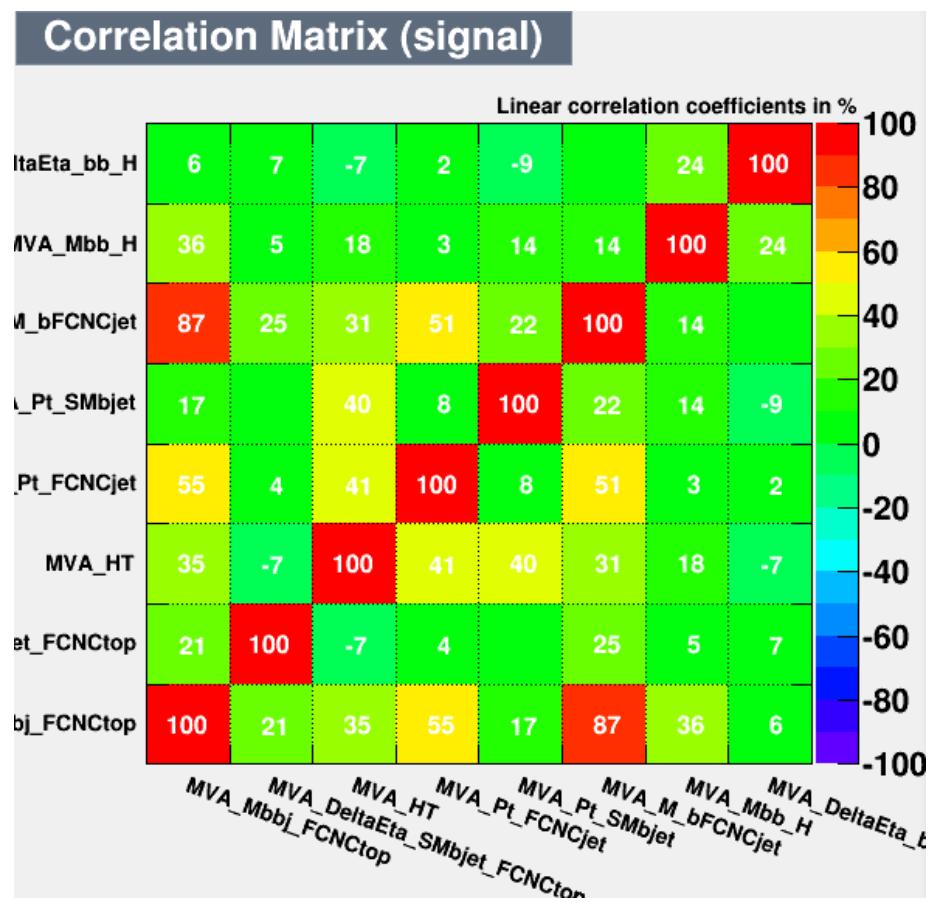
## Reconstructed objects for MVA

- $M^T(b_{\text{SM}}, l, \text{MET})$
- $M(b_H^1, b_H^2, j_{\text{FCNC}})$
- $M(b_H^1, b_H^2)$
- $M(b_H^1, j_{\text{FCNC}})$
- $\Delta\Phi(b_{\text{SM}}, \text{top}_{\text{FCNC}})$
- $\Delta\eta(b_{\text{SM}}, \text{top}_{\text{FCNC}})$
- $\Delta\Phi(b_H^1, b_H^2)$
- $\Delta\eta(b_H^1, b_H^2)$
- $H_T$
- $P_T(b_{\text{SM}})$
- $P_T(j_{\text{FCNC}})$

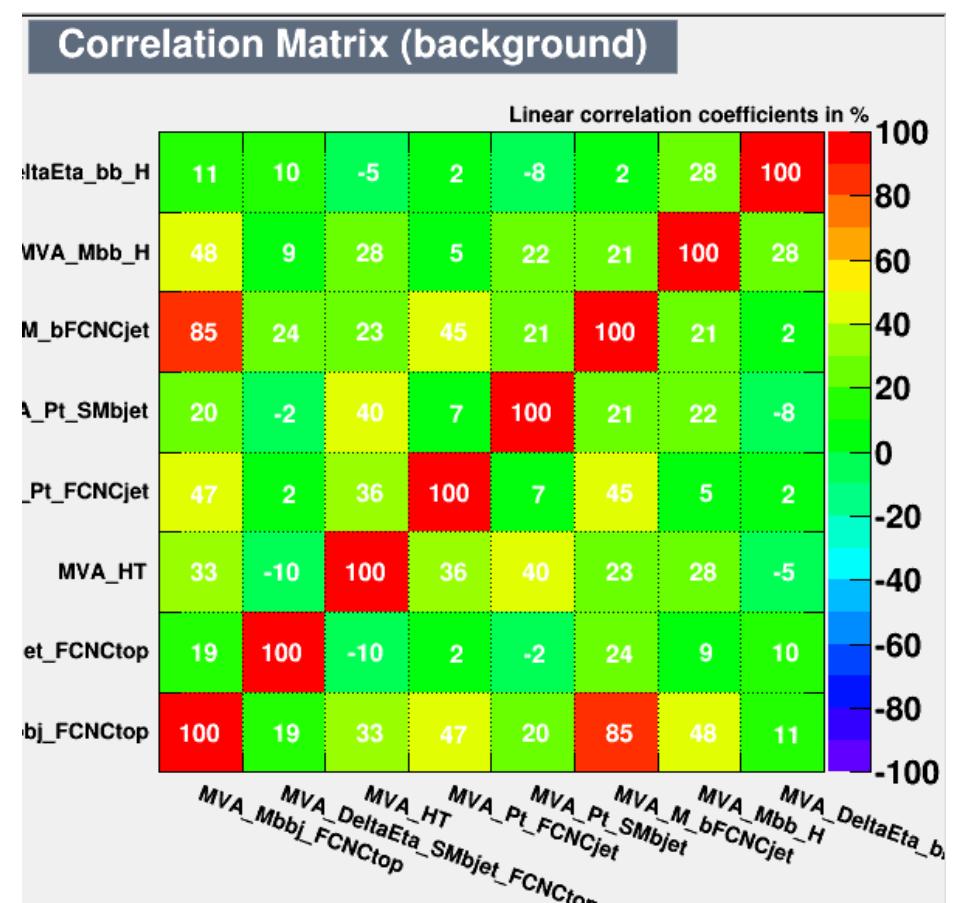
(\*) Denominator = number of events after BL selection  
Only measured on ttbar signal samples

# MVA – input variables

**Correlation Matrix (signal)**

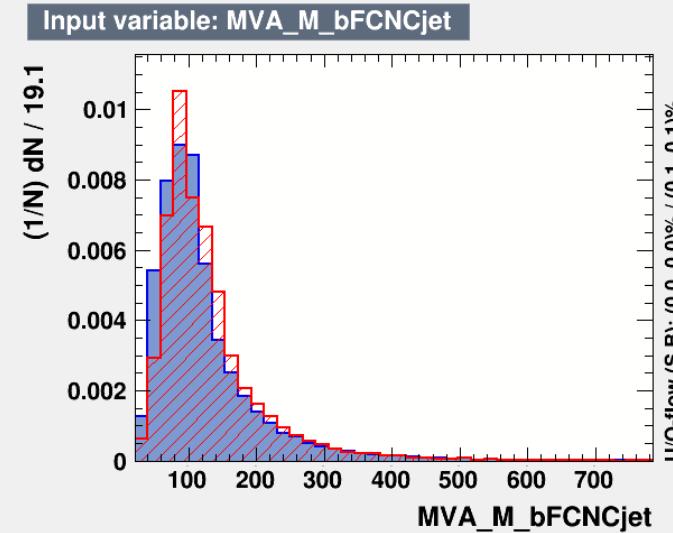
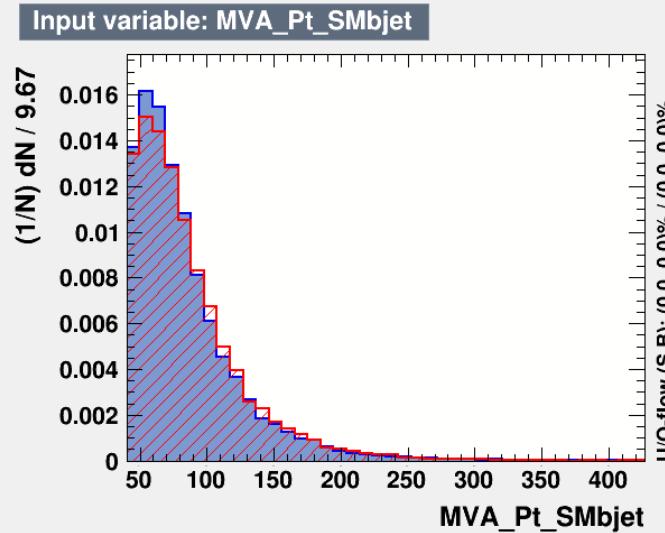
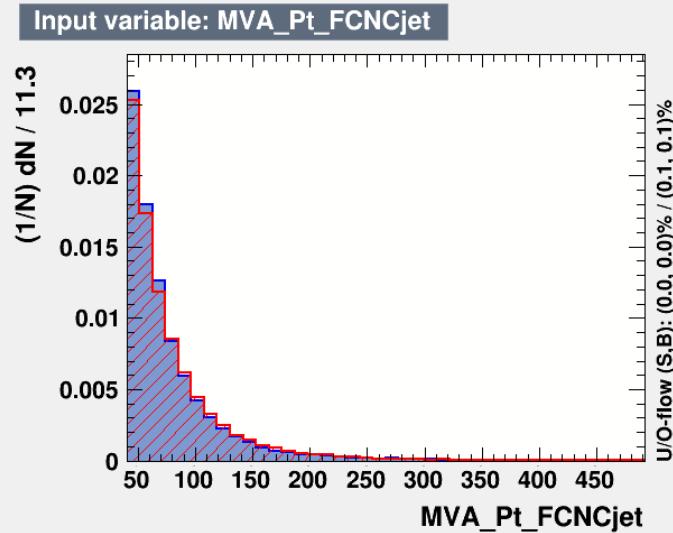
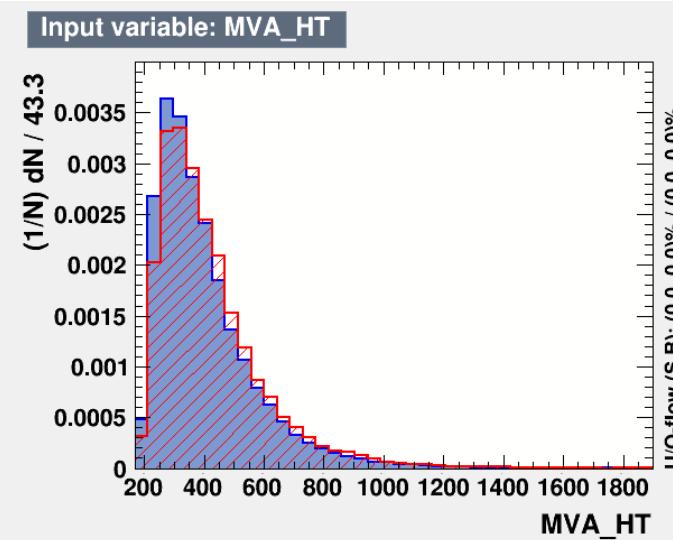
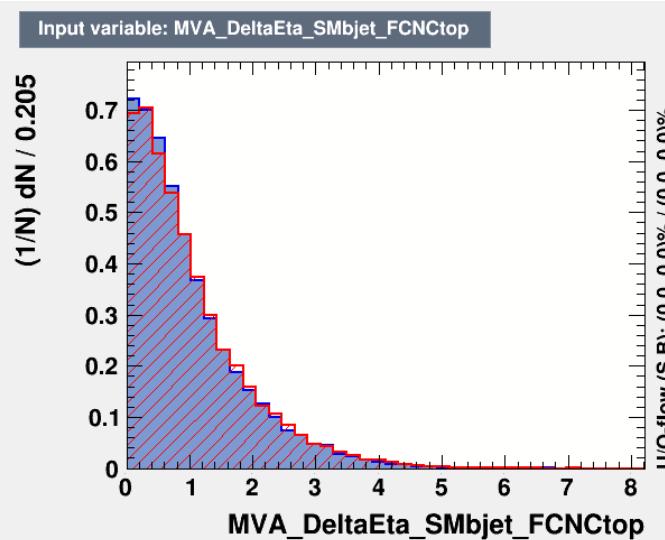
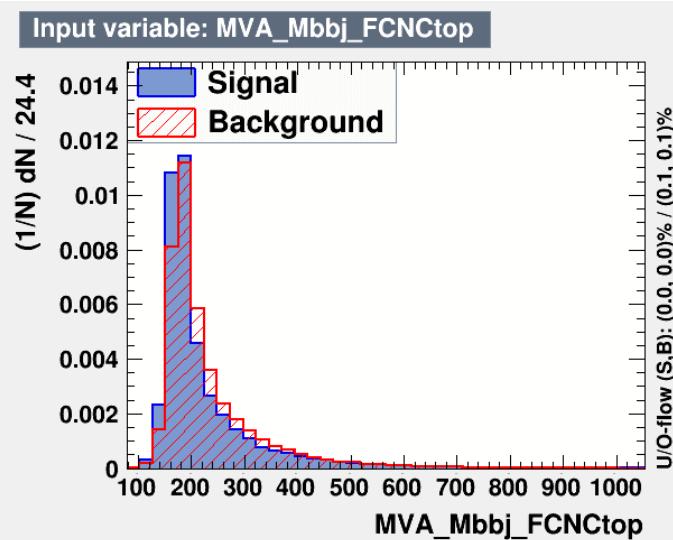


**Correlation Matrix (background)**



# Normalized distributions input variables (1)

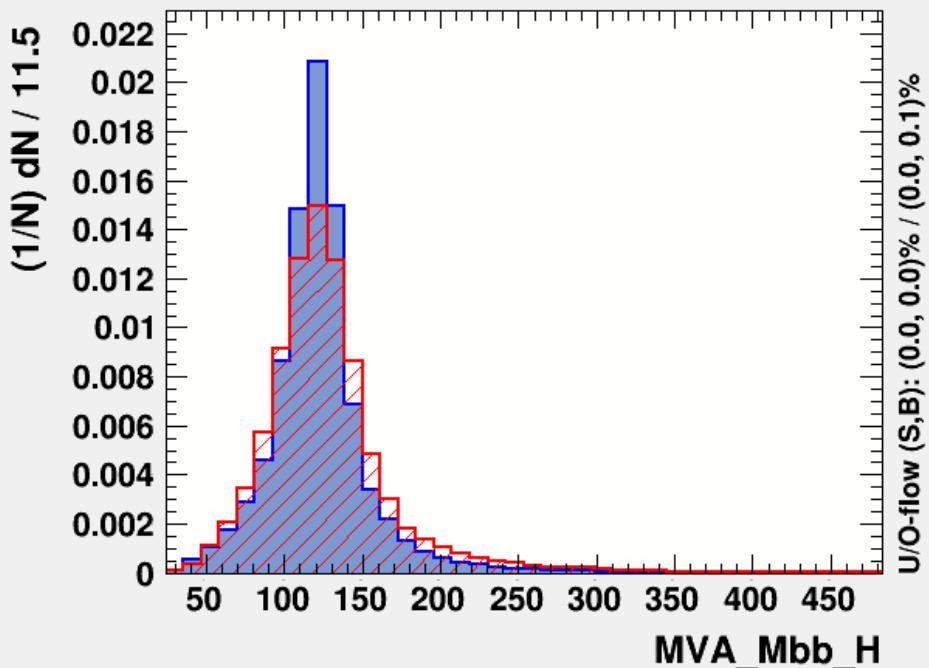
(blue: Signal, red: Background)



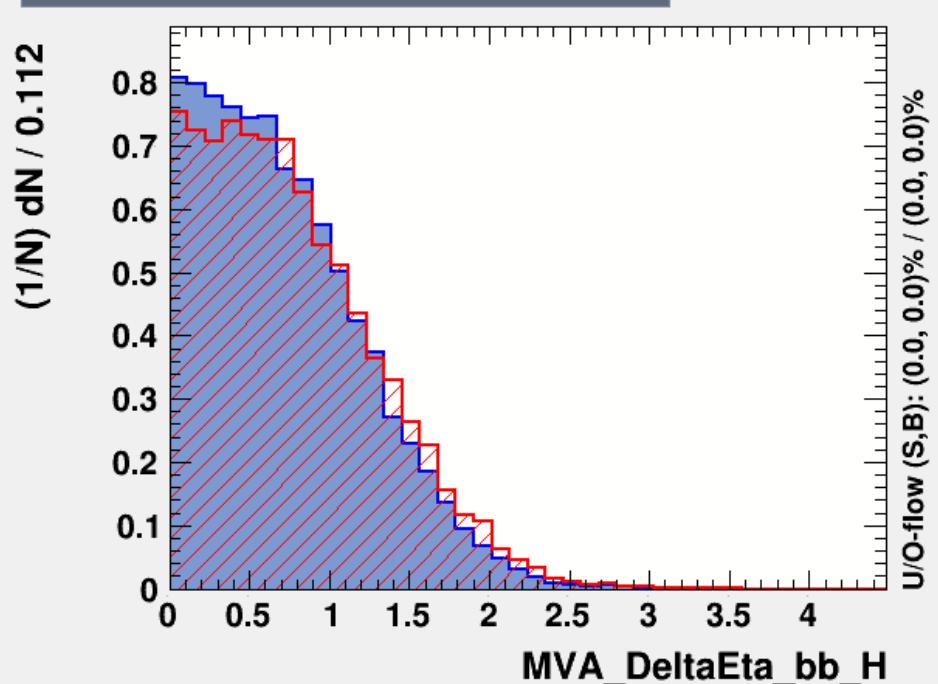
# Normalized distributions input variables (2)

(blue: Signal, red: Background)

Input variable: MVA\_Mbb\_H

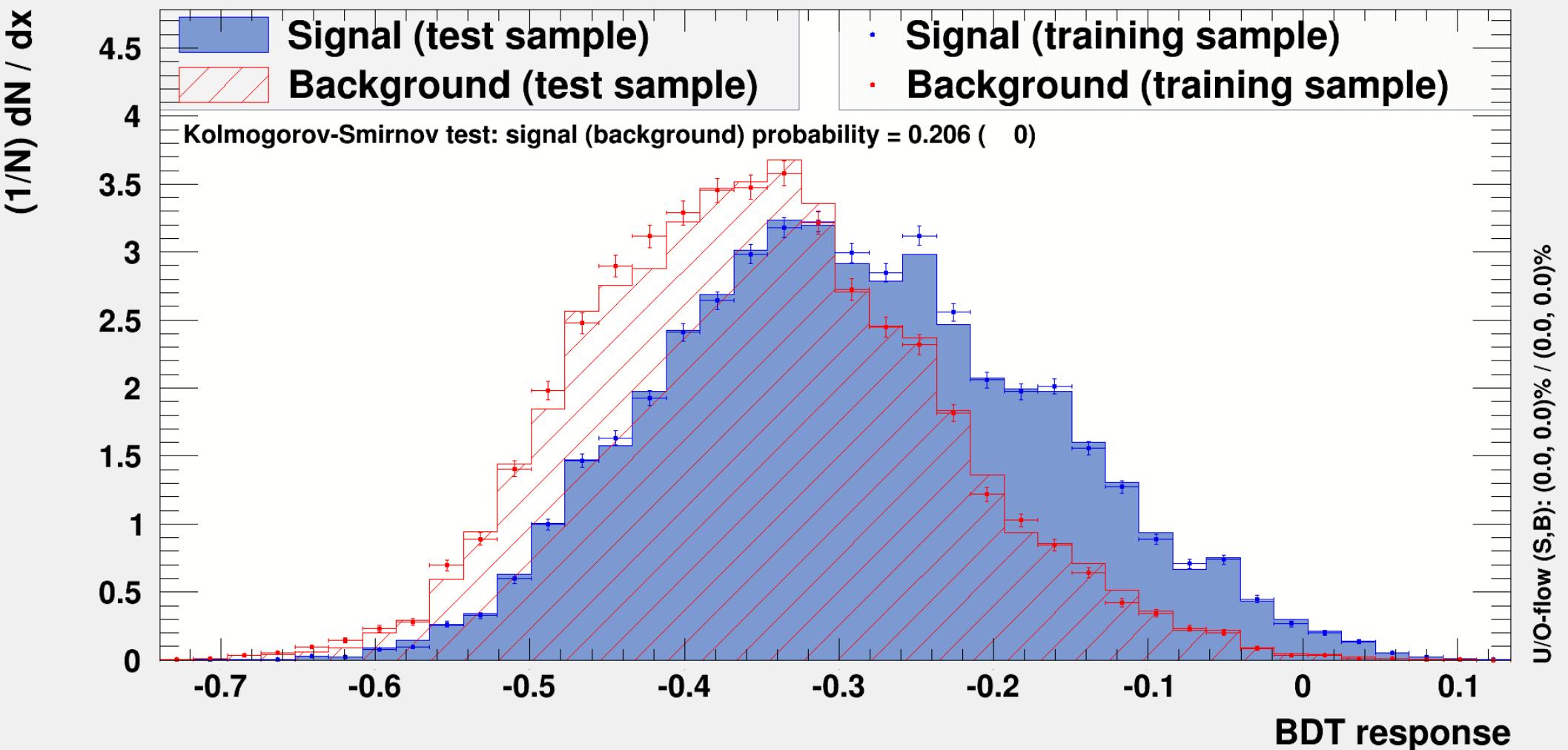


Input variable: MVA\_DeltaEta\_bb\_H



# 1) MVA (BDT) not distinctive

TMVA overtraining check for classifier: BDT



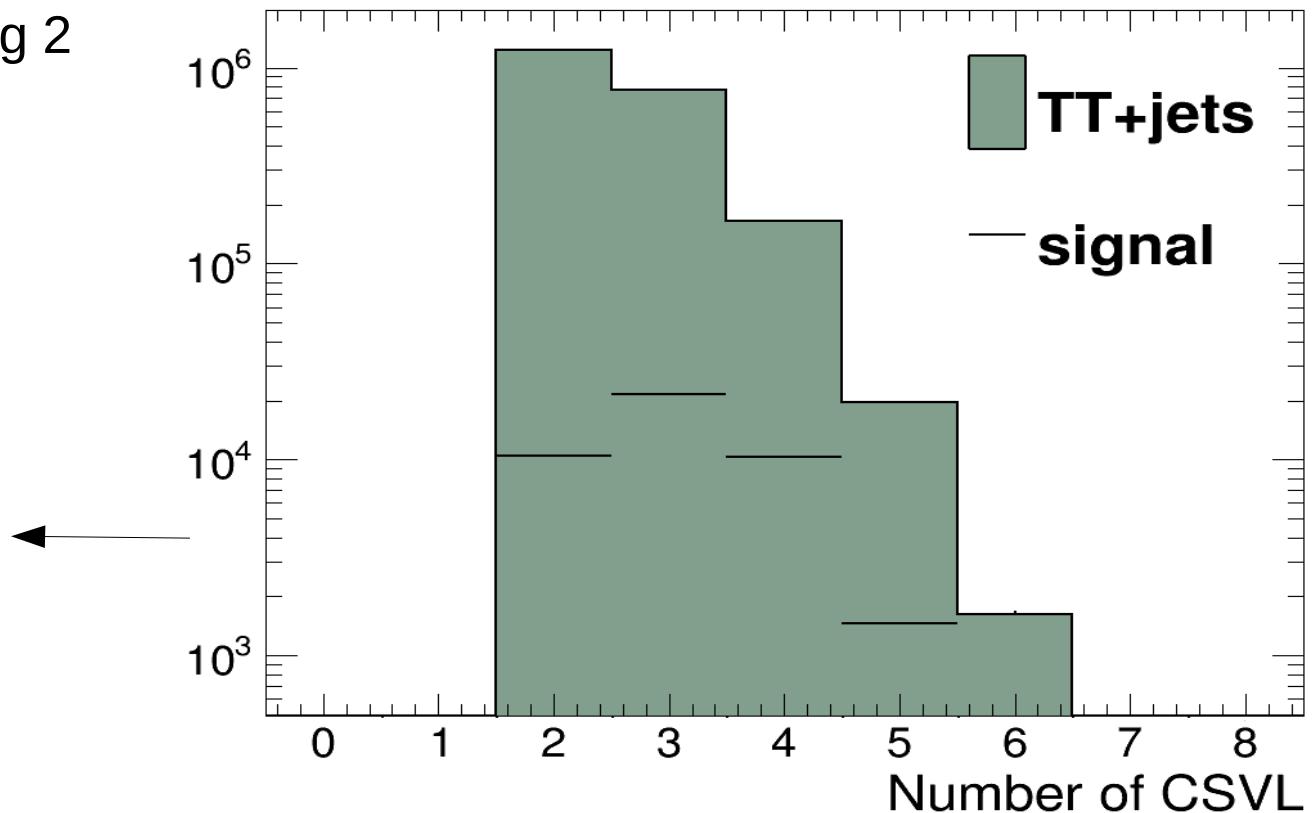
Kinematic information not useful → Discrimination power to be looked for in b-tagging information (# b-tagged jets, **b-tag discriminator**)

Not accessible in our pheno study

# 1) # b-jets not discriminating enough to perform reasonable template fit

Loosen selection by requiring 2 CSV Medium b-tagged jets (instead of 3)

Template fit on this doesn't render sensible significance (even without syst. unc.)



**Conclusion:** Performing **template fit** to constrain influence of systematic uncertainties **does not help**

## 2) Revision of selection cuts gets significance up to 4.96

- Optimize selection according to

- = 1 lepton ( $e/\mu$ ,  $P_T > 30$  GeV)
- $M_T(\text{lep}, \text{MET}) \geq 50$  GeV
- $\geq 4$  jets ( $P_T > 40$  GeV)
  - $\geq 4$  CSV Medium b-tagged jets (tcH)
  - $\geq 3$  CSV Tight<sup>(\*)</sup> b-tagged jets (tuH)

$$\frac{S}{\sqrt{S + B + (0.1 \times B_{t\bar{t}})^2}}$$

**2.70 (tcH)**  
**0.98 (tuH)**

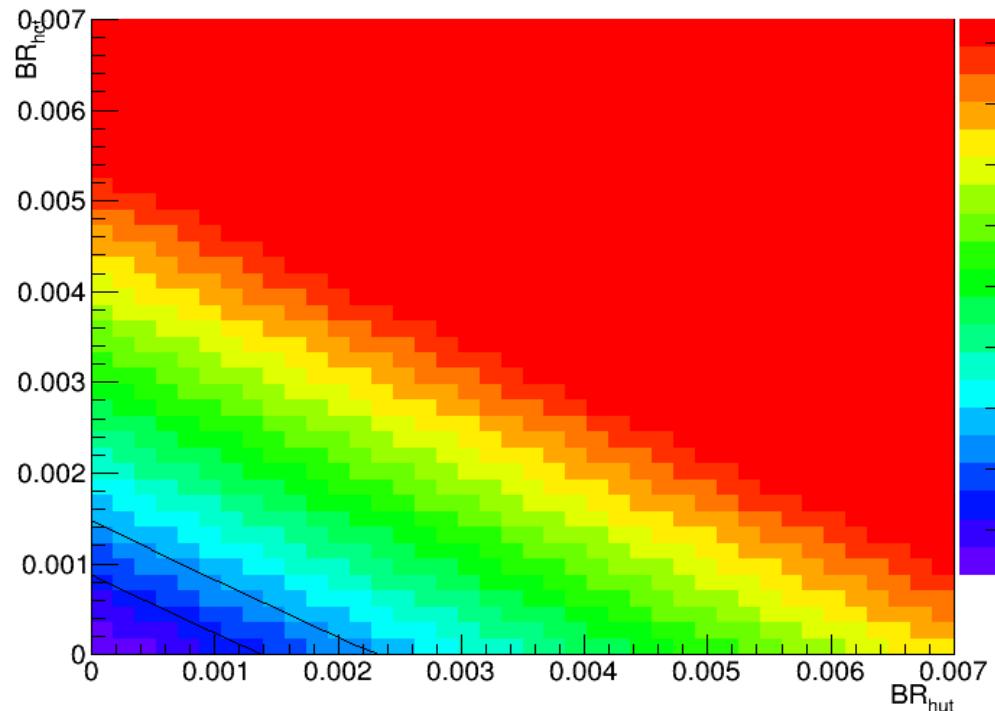
- Conclusion

- A significance of **2.7 (1)** can be reached with simple cut-and-count methods. Depending on the handle on systematic uncertainties, this can even go up to 18 (12)

(\*) ~0.1% non-B efficiency and ~50% B efficiency

# BR & coupling-scan

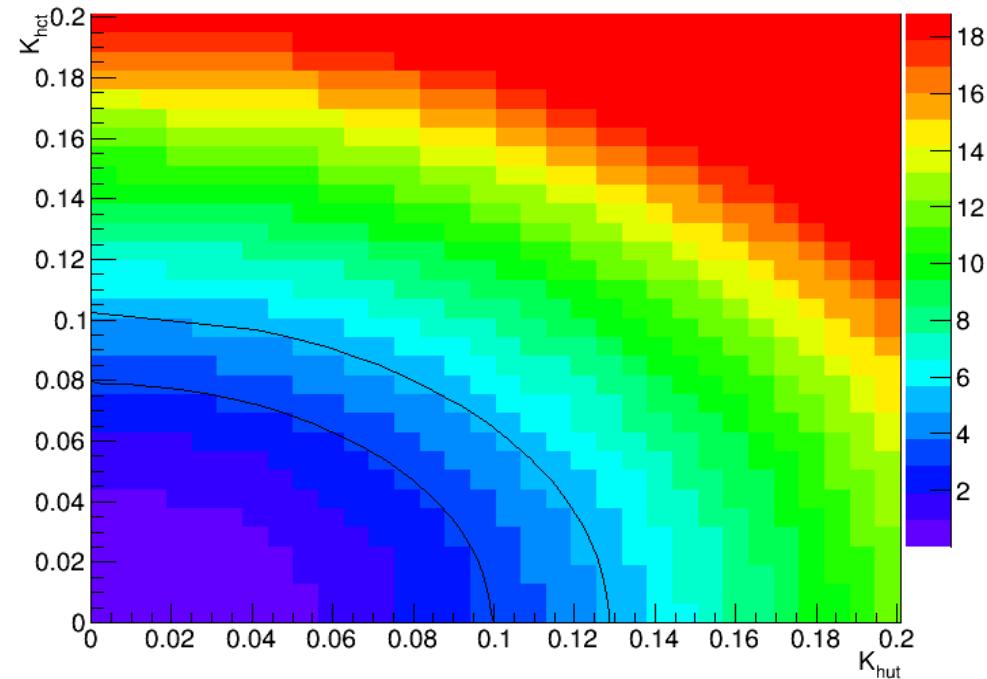
## ~Caroline's tool~



brhut\_sig2 0.0009275  
brhct\_sig2 0.0006125

brhut\_sig3 0.0013825  
brhct\_sig3 0.0008925

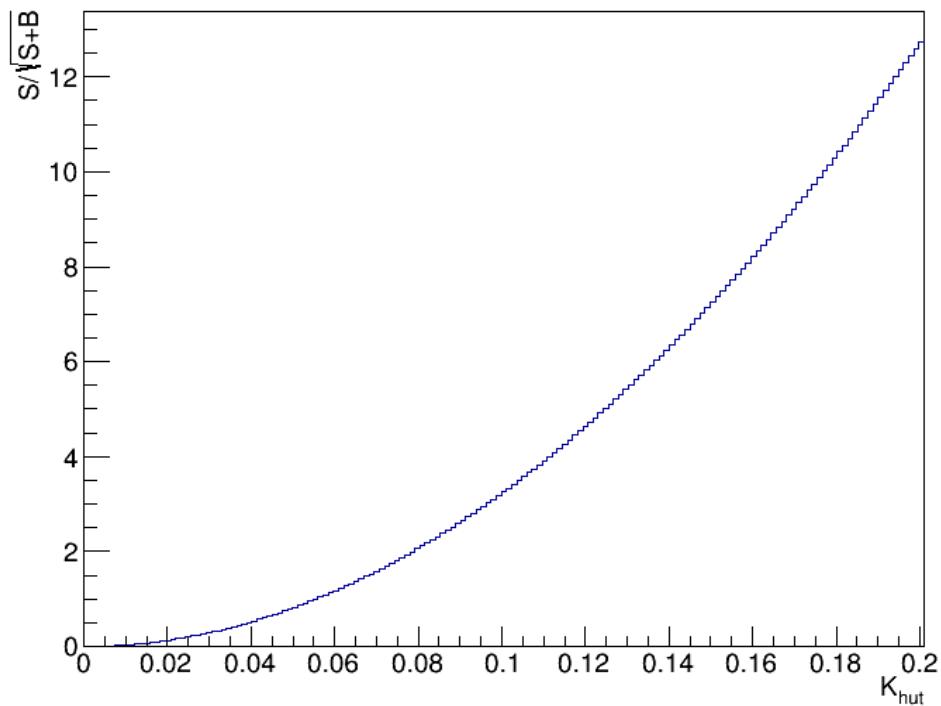
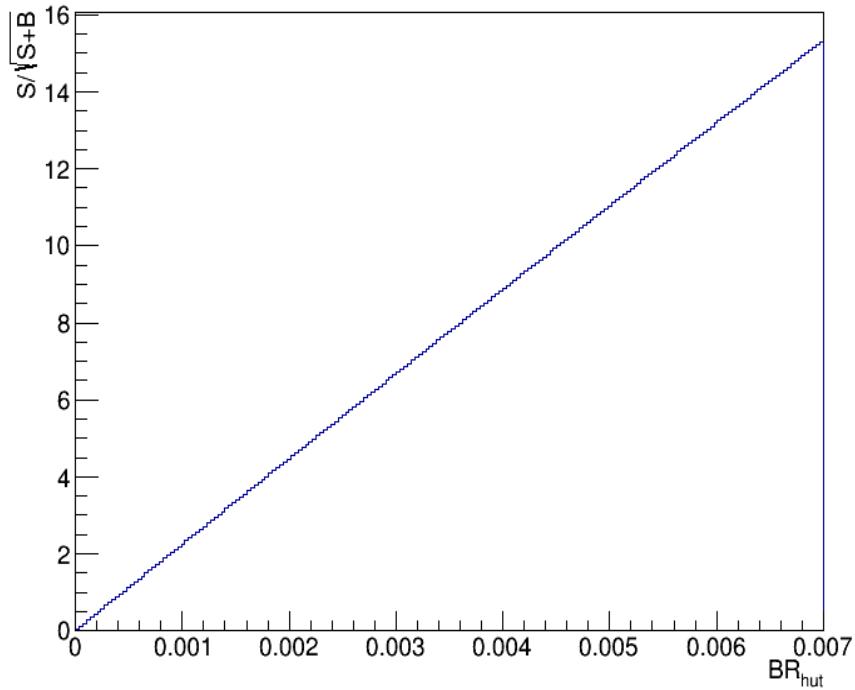
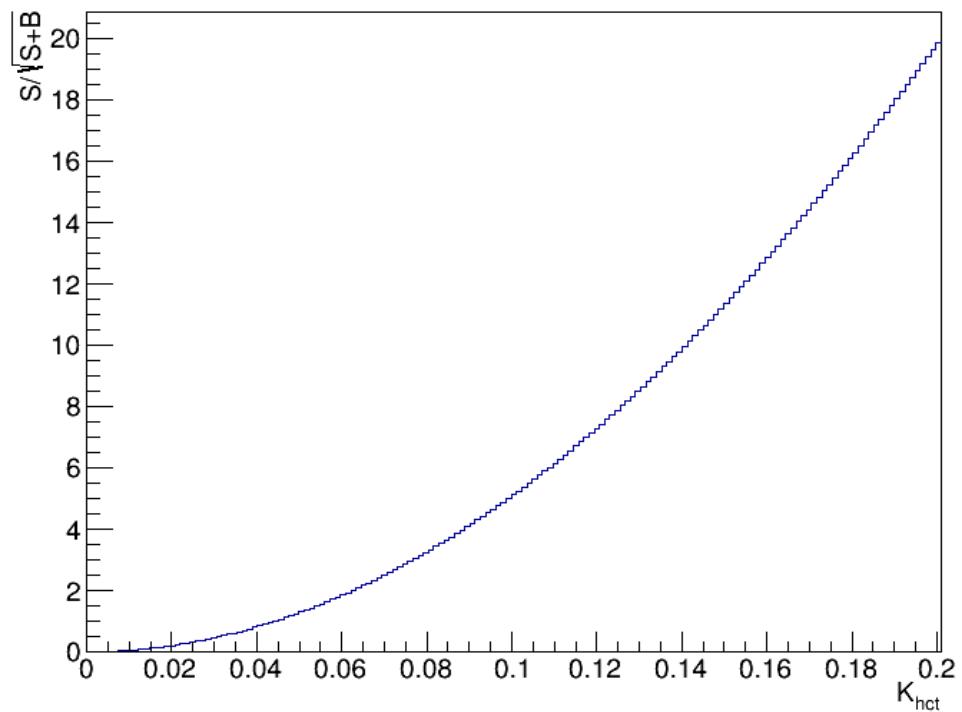
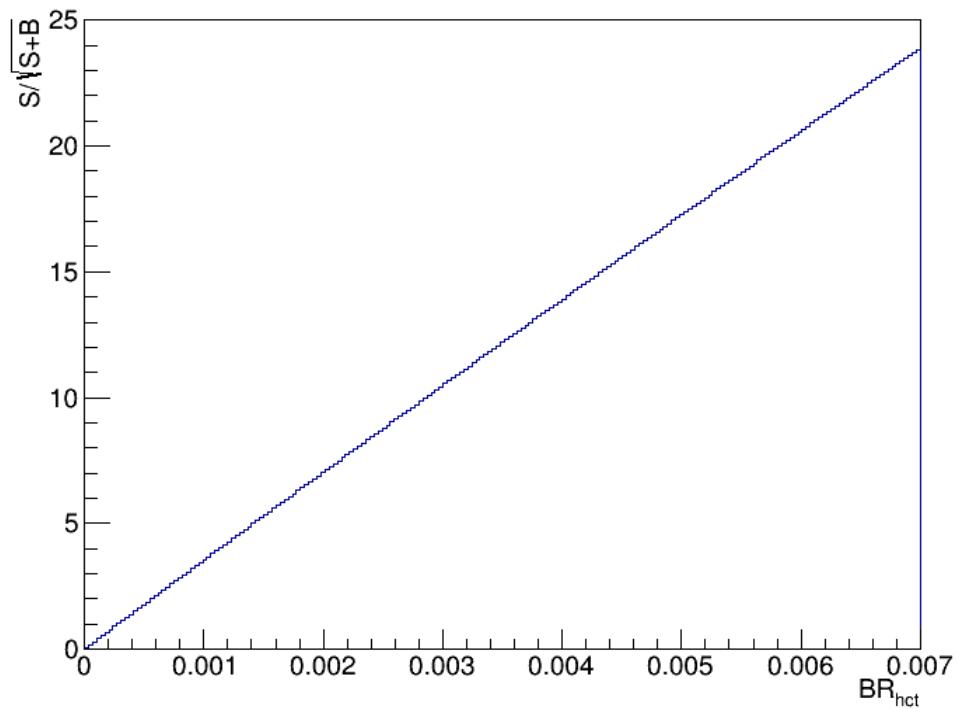
brhut\_sig5 0.0023275  
brhct\_sig5 0.0014875



khut\_sig2 0.0822844  
khct\_sig2 0.0646969

khut\_sig3 0.0998719  
khct\_sig3 0.0797719

khut\_sig5 0.128766  
khct\_sig5 0.102384



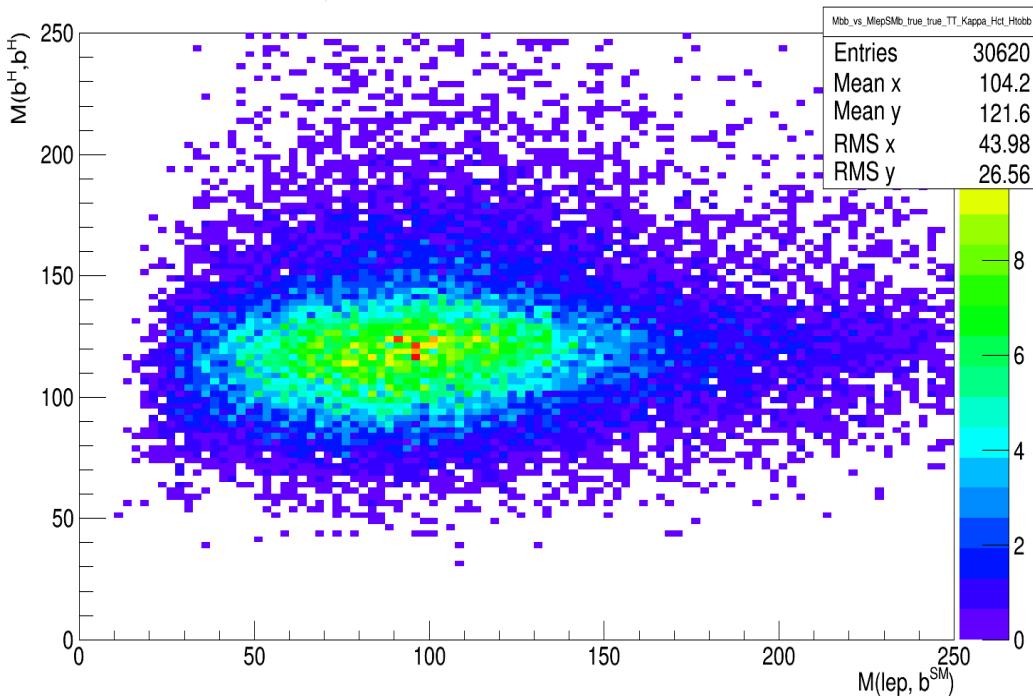
# Conclusion

- The 1L3B channel shows promising significances for FCNH top decays applying simple cut-and-count techniques
- MVA and template fitting not useful due to lack of discriminating power in kinematic variables
- Need to turn to heavy flavour tagging information for CMS analysis
- Pheno study **finished** → Turn to CMS study (TopTree framework)

# Backup

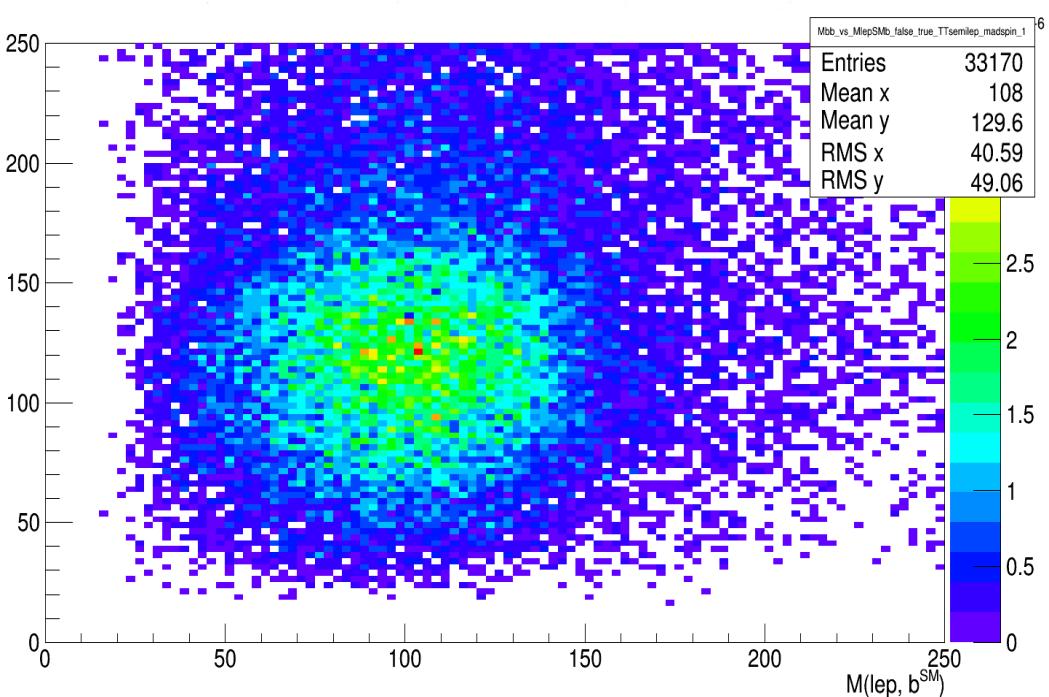
	initial	$\equiv 1$ lepton	$M_T(\text{lep}, \text{MET}) > 50 \text{ GeV}$	$\geq 4$ jets	$\geq 3$ CSVM jets
TT+jets	$3.84e+07 \pm 9.82e+03$	$1.19e+07 \pm 5.59e+03$	$7.53e+06 \pm 4.43e+03$	$1.48e+06 \pm 2.02e+03$	$8.23e+04 \pm 481$
TTH	$1.44e+04 \pm 13.9$	$4.77e+03 \pm 7.97$	$3.03e+03 \pm 6.34$	$2.13e+03 \pm 5.46$	$1.11e+03 \pm 3.94$
W+jets	$8.18e+07 \pm 1.77e+04$	$1.94e+07 \pm 9.04e+03$	$1.34e+07 \pm 7.4e+03$	$5.57e+05 \pm 1.67e+03$	$462 \pm 48$
tHq	$1.84e+04 \pm 8.11$	$6.01e+03 \pm 4.58$	$3.86e+03 \pm 3.65$	$560 \pm 1.39$	$327 \pm 1.06$
T+jets	$2.78e+07 \pm 2.47e+04$	$3.16e+06 \pm 7.69e+03$	$2.2e+06 \pm 6.49e+03$	$3.23e+04 \pm 331$	$99.4 \pm 10.6$
ZToLL	$3.27e+07 \pm 1.5e+04$	$3.08e+06 \pm 3.46e+03$	$7.72e+05 \pm 1.39e+03$	$5.15e+04 \pm 243$	$76.9 \pm 9.24$
TT+V+jets	$1.41e+04 \pm 25.7$	$3.36e+03 \pm 12.3$	$2.08e+03 \pm 9.78$	$724 \pm 6.06$	$39.8 \pm 1.43$
VV+jets	$9.17e+05 \pm 1.07e+03$	$1.28e+05 \pm 400$	$9.08e+04 \pm 338$	$4.59e+03 \pm 76$	$27.7 \pm 5.9$
$\kappa_{hct}$ TTbar	$4.23e+05 \pm 210$	$8.13e+04 \pm 90.7$	$4.92e+04 \pm 70.5$	$1.47e+04 \pm 38.6$	$5.6e+03 \pm 23.8$
$\kappa_{hct}$ SingleTop	$2.14e+04 \pm 27.6$	$2.83e+03 \pm 10$	$1.75e+03 \pm 7.89$	$132 \pm 2.17$	$52.5 \pm 1.37$
$\kappa_{hut}$ TTbar	$4.37e+05 \pm 637$	$8.25e+04 \pm 277$	$5.57e+04 \pm 228$	$1.13e+04 \pm 103$	$3.26e+03 \pm 55.1$
$\kappa_{hut}$ SingleTop	$1.72e+05 \pm 206$	$2.22e+04 \pm 74$	$1.4e+04 \pm 58.8$	$850 \pm 14.5$	$317 \pm 8.84$

# M(bb) vs M(lep,b) at MC truth level



**Signal**  
 $M(b_{\text{true}}^H, b_{\text{true}}^H)$   
 vs  
 $M(\text{lep}_{\text{true}}^{\text{SM}}, b_{\text{true}}^{\text{SM}})$

~ 38.2% of signal

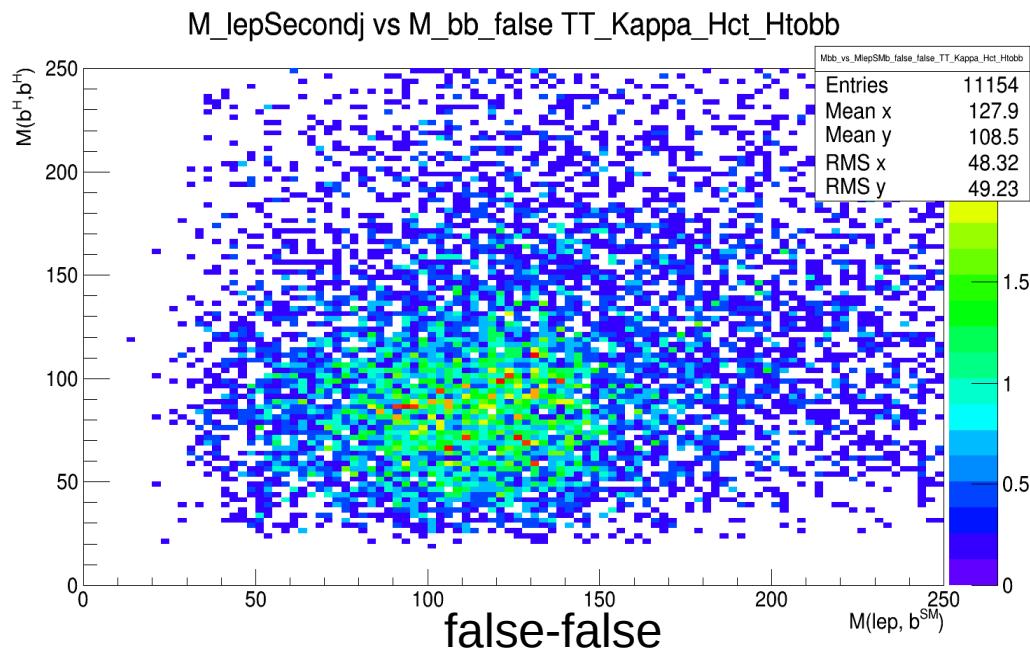
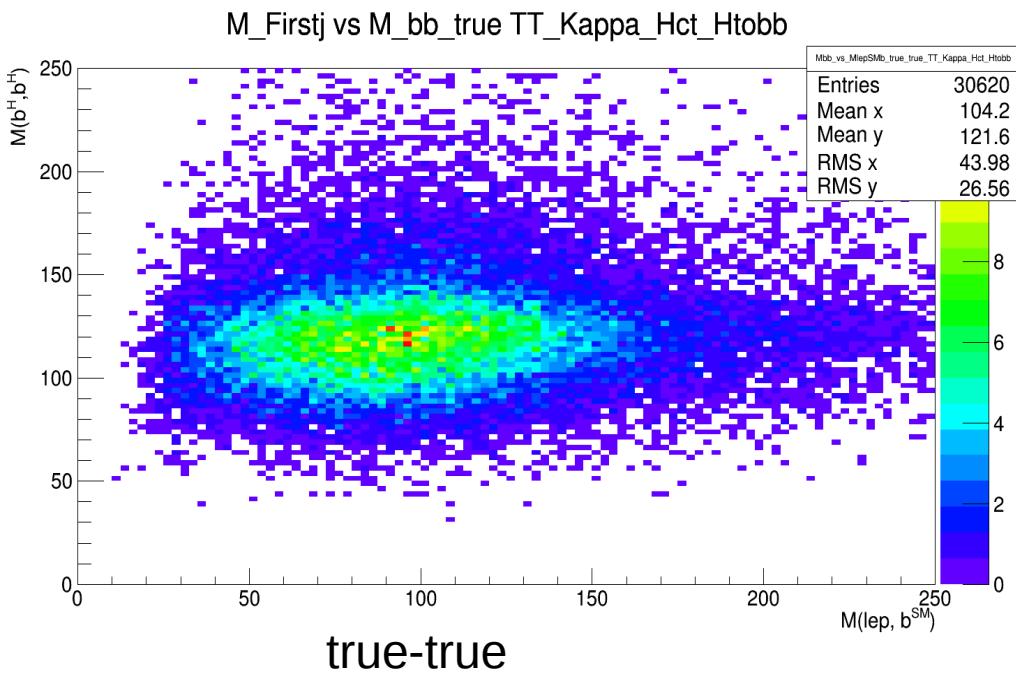


**Semileptonic  $t\bar{t}$**   
 $M(b_{\text{random}}, b_{\text{random}})$   
 vs  
 $M(\text{lep}_{\text{true}}^{\text{SM}}, b_{\text{true}}^{\text{SM}})$

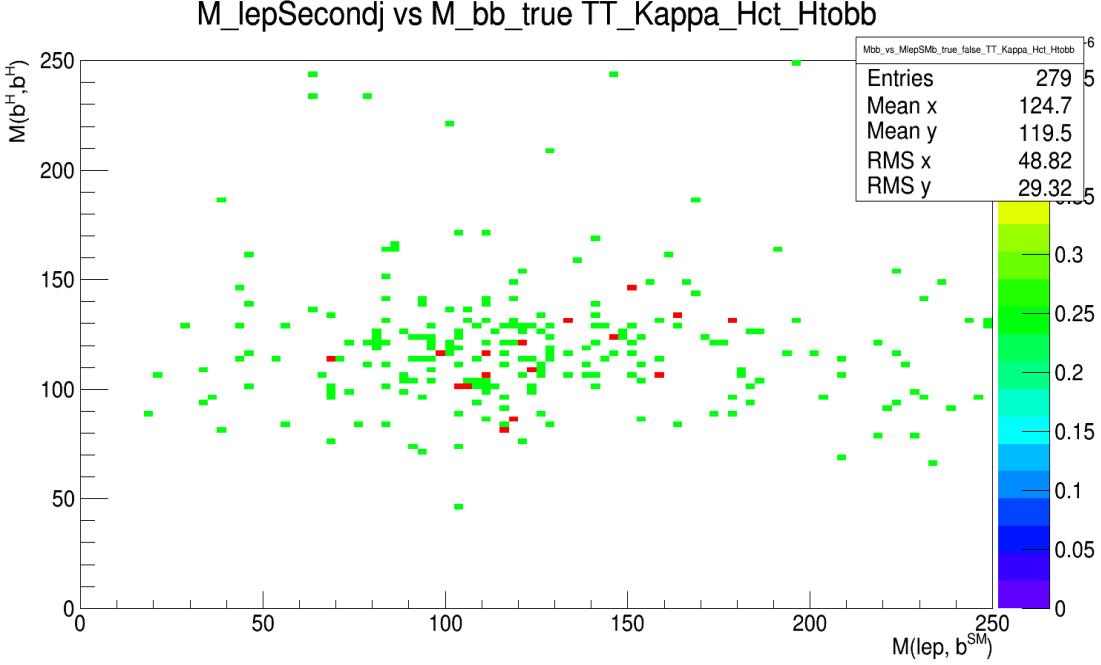
> 90% of sample

Best case scenario: 38% of signal gives distinguishable mass distributions.  
 Remaining 62% will look like semileptonic  $t\bar{t}$

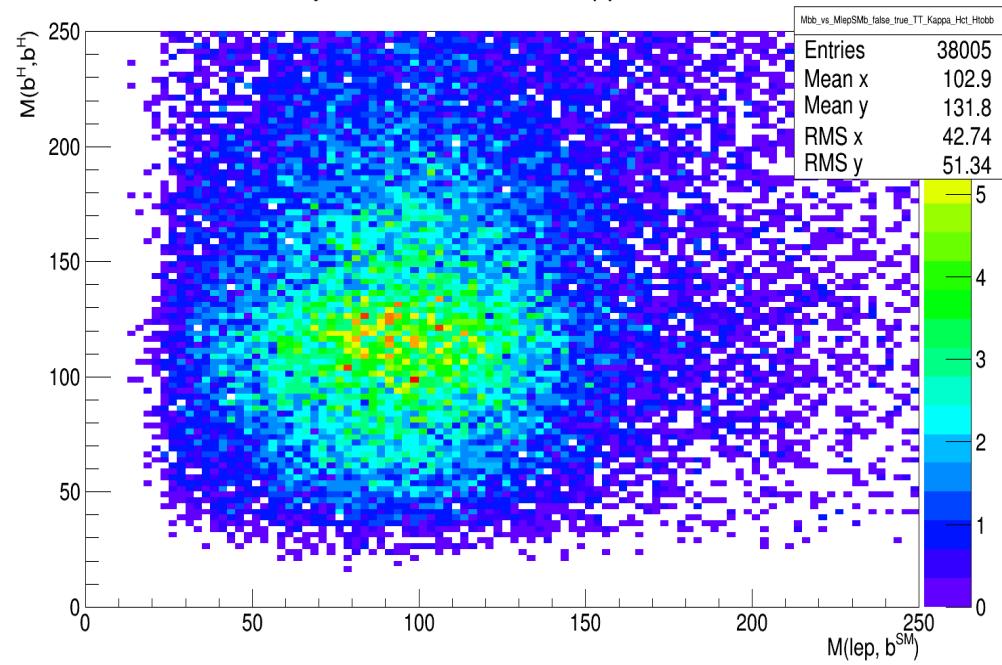
# M(bb) vs M(lep,b) - signal



true-false

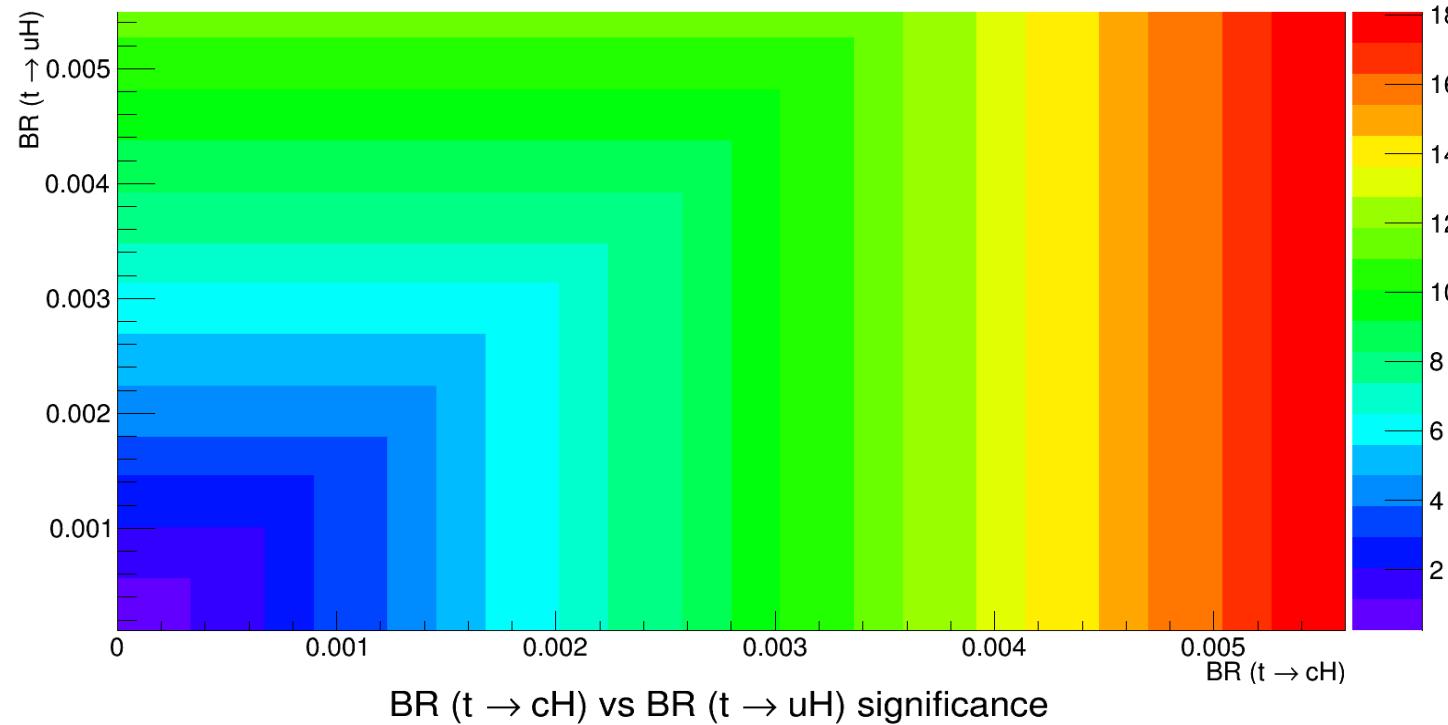


false-true  
M\_Firstj vs M\_bb\_false TT\_Kappa\_Hct\_Htobb

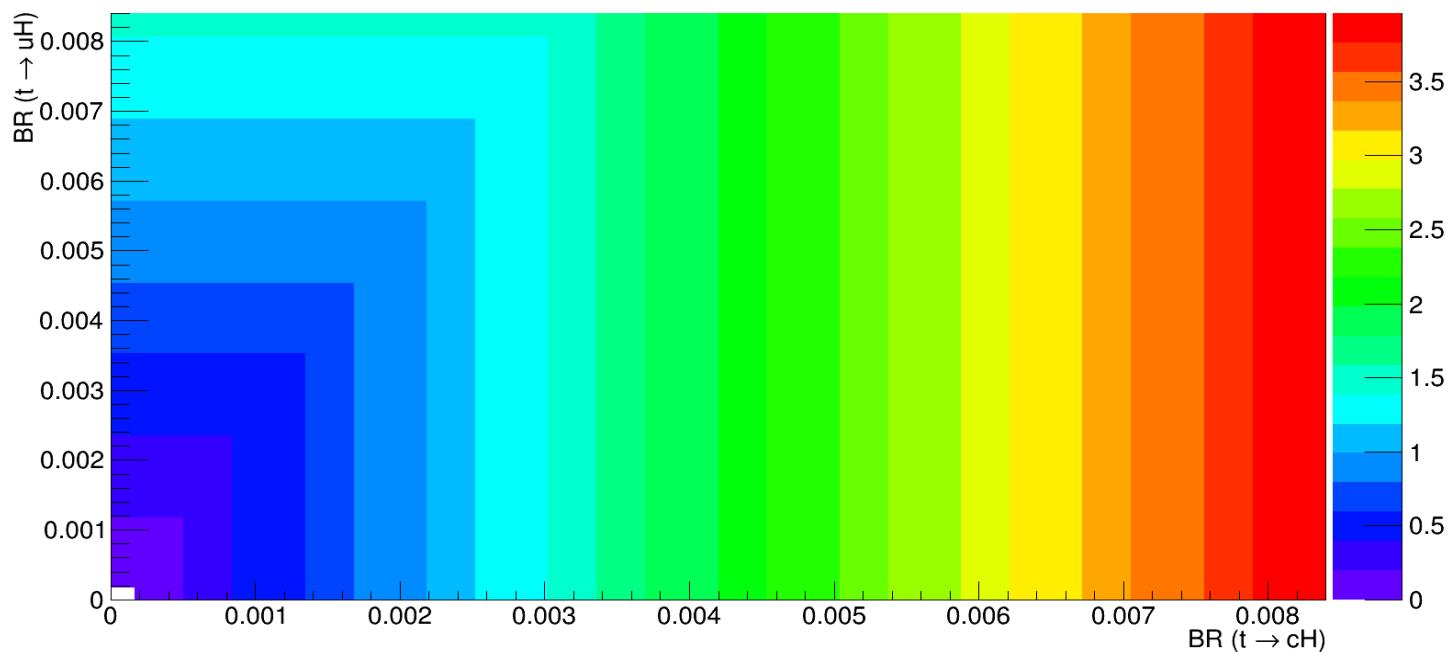


# BR scan

BR ( $t \rightarrow cH$ ) vs BR ( $t \rightarrow uH$ ) significance



No systematic uncertainty



10% systematic uncertainty on background