



Delphes 3
a modular framework for fast simulation
of a generic collider experiment

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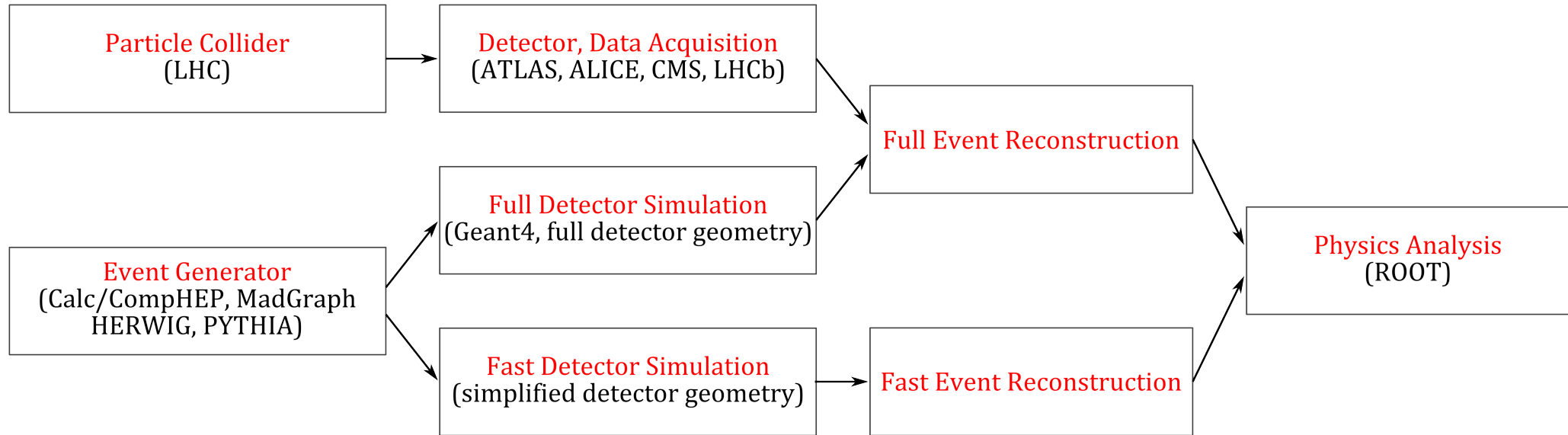
Cosmology, Particle Physics and
Phenomenology (CP3)



July 24, 2014



What is Fast Simulation?



- **Full Detector Simulation** and **Full Event Reconstruction** is very detailed but slow
~ 10 – 1000 s/event
- **Fast Detector Simulation** and **Fast Event Reconstruction** is faster but less detailed
 - **Simplify** the slowest parts of the simulation (e.g., calorimeter response) and of the reconstruction (e.g., track reconstruction). Examples: Atlfast-II, CMS FastSim
~ 1 – 100 s/event
 - Or **parametrize** the whole response of the detector and of the reconstruction algorithms. Examples: Delphes, PGS
~ 0.01 – 1 s/event



What is Delphes?

Here's what the Wikipedia has to say about Delphes:

<http://fr.wikipedia.org/wiki/Delphes>

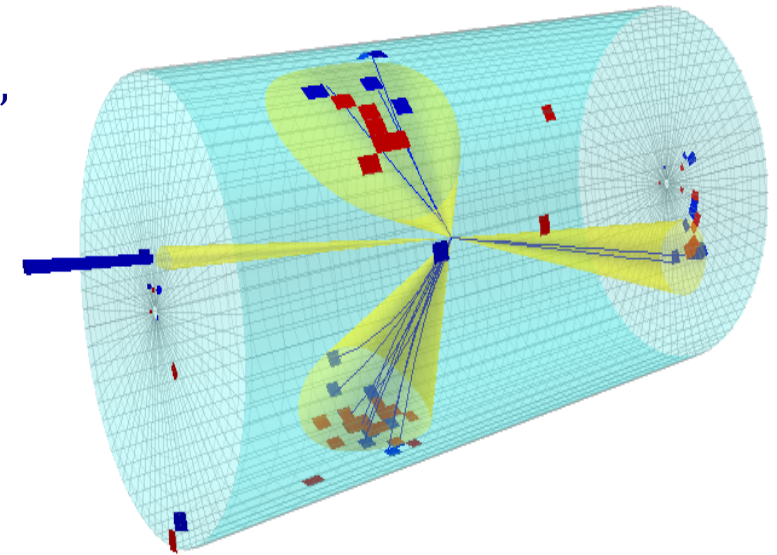
... Delphes (en grec: Δελφοί) est le site d'un sanctuaire panhellénique où parlait l'oracle d'Apollon à travers sa prophétesse, la Pythie...



Origin of Delphes

- Delphes project started back in 2007 at UCL as a side project to allow quick feasibility studies
- Following the guidelines and suggestions of the 2012 LPCC workshop on public fast simulators for the LHC, Delphes has been completely redesigned to meet the needs of all users
- In 2013, Delphes 3 was released:
 - modular structure allowing users to easily introduce new features and modify existing ones
 - library interface to use Delphes inside other programs
 - simulation speed has been improved
 - input file readers have been rewritten from scratch
 - many existing features have been updated
 - important number of bug fixes
- Widely tested and used by the community (pheno, Snowmass, CMS ECFA efforts, etc)

- **Delphes** is a **modular framework** that **parametrizes** the response of a multipurpose detector and of the reconstruction algorithms
- The simulation includes
 - tracking system, embedded into a magnetic field,
 - calorimeters with electromagnetic and hadronic sections,
 - muon system,
 - very forward detectors arranged along the beam-line [JINST 2 (2007) P09005].
- It performs
 - propagation of stable particles,
 - “interaction” with the detector (parametric approach to efficiency and resolution convolution),
 - “reconstruction” of physics objects.





Useful Links

- Website:

<https://cp3.irmp.ucl.ac.be/projects/delphes>

- Documentation:

<https://cp3.irmp.ucl.ac.be/projects/delphes/wiki/WorkBook>

- Paper:

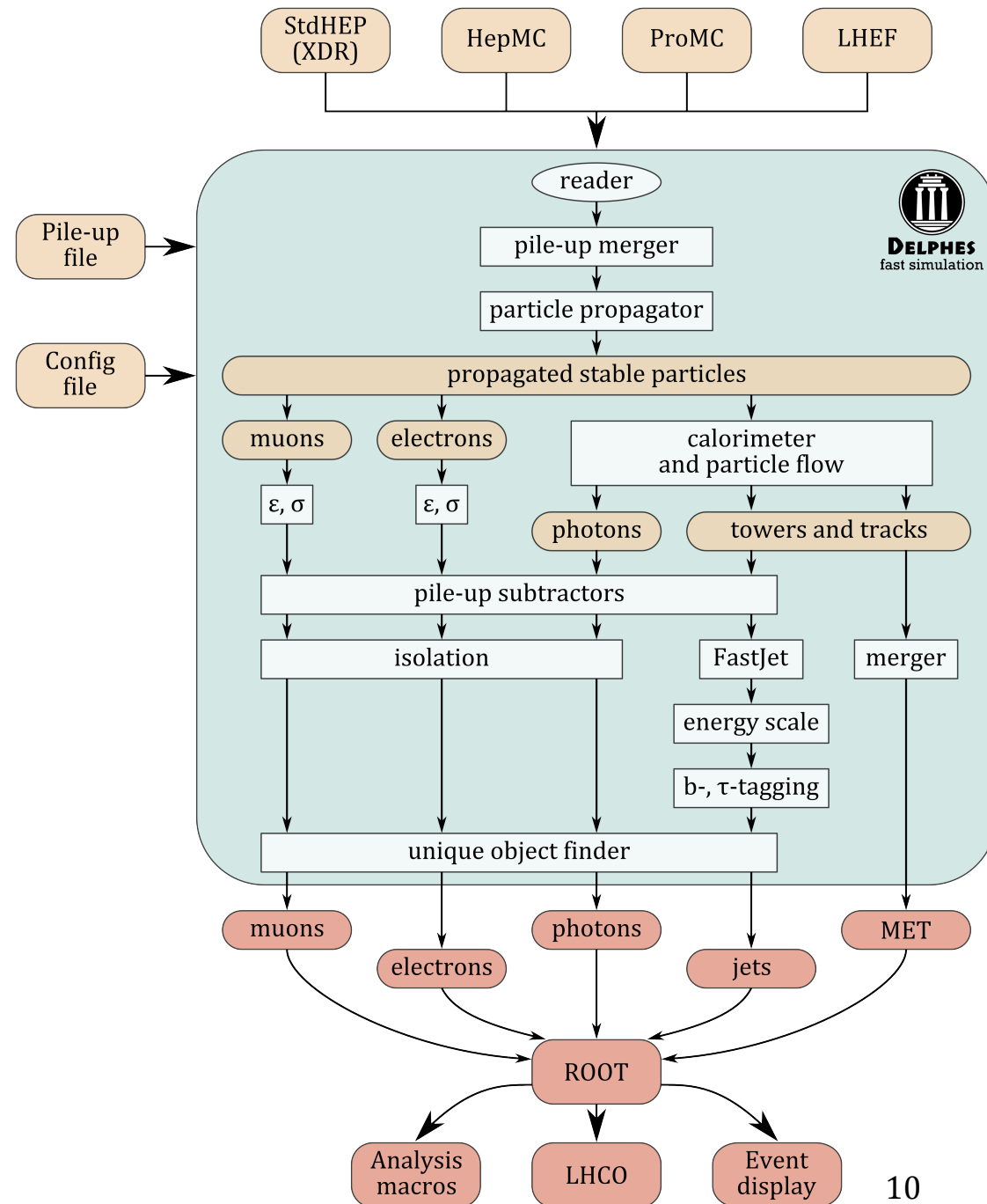
[http://dx.doi.org/10.1007/JHEP02\(2014\)057](http://dx.doi.org/10.1007/JHEP02(2014)057)

<http://arxiv.org/abs/1307.6346>

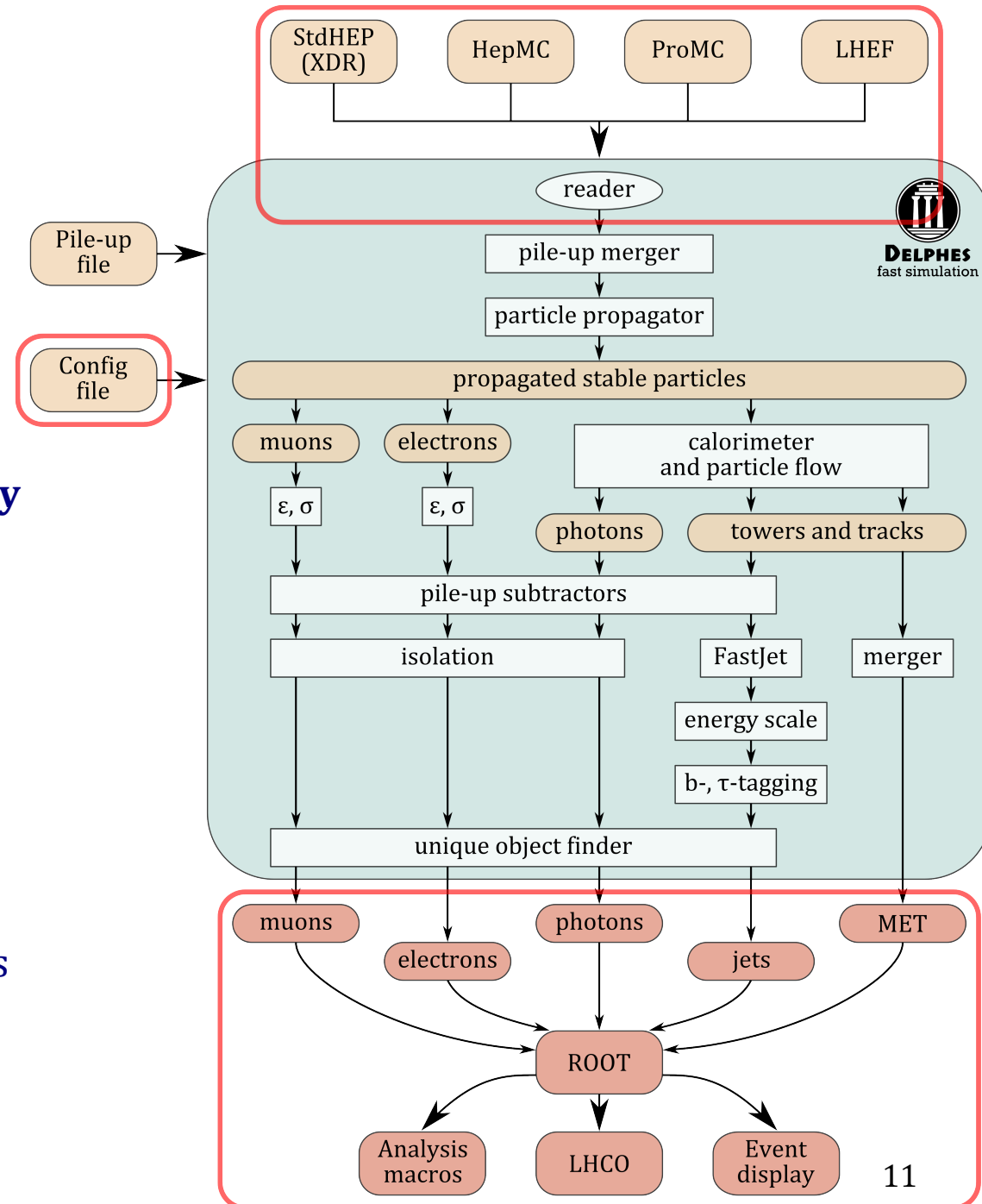


How Delphes Works?

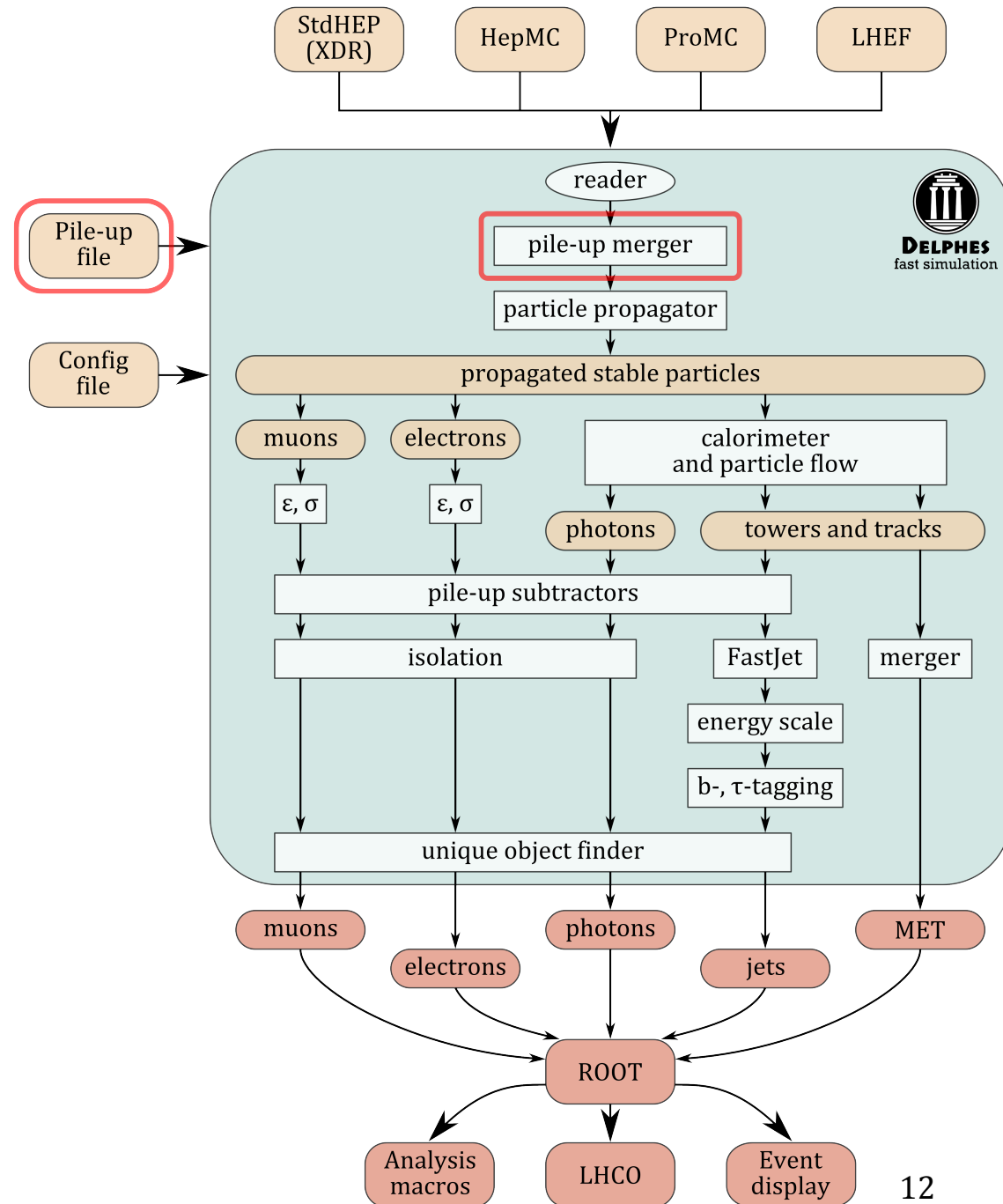
- every physics object in Delphes is a **Candidate** (four-vector like object)
- all **modules** consume and produce **arrays of Candidates**
- modular system allows you to:
 - define your own output collections
 - store variants of object collections
 - define the isolation criteria for each type of object
 - define efficiency and resolution formulae for all objects
 - ...
- Delphes includes a set of modules and example configuration files well tested against expected response of ATLAS and CMS



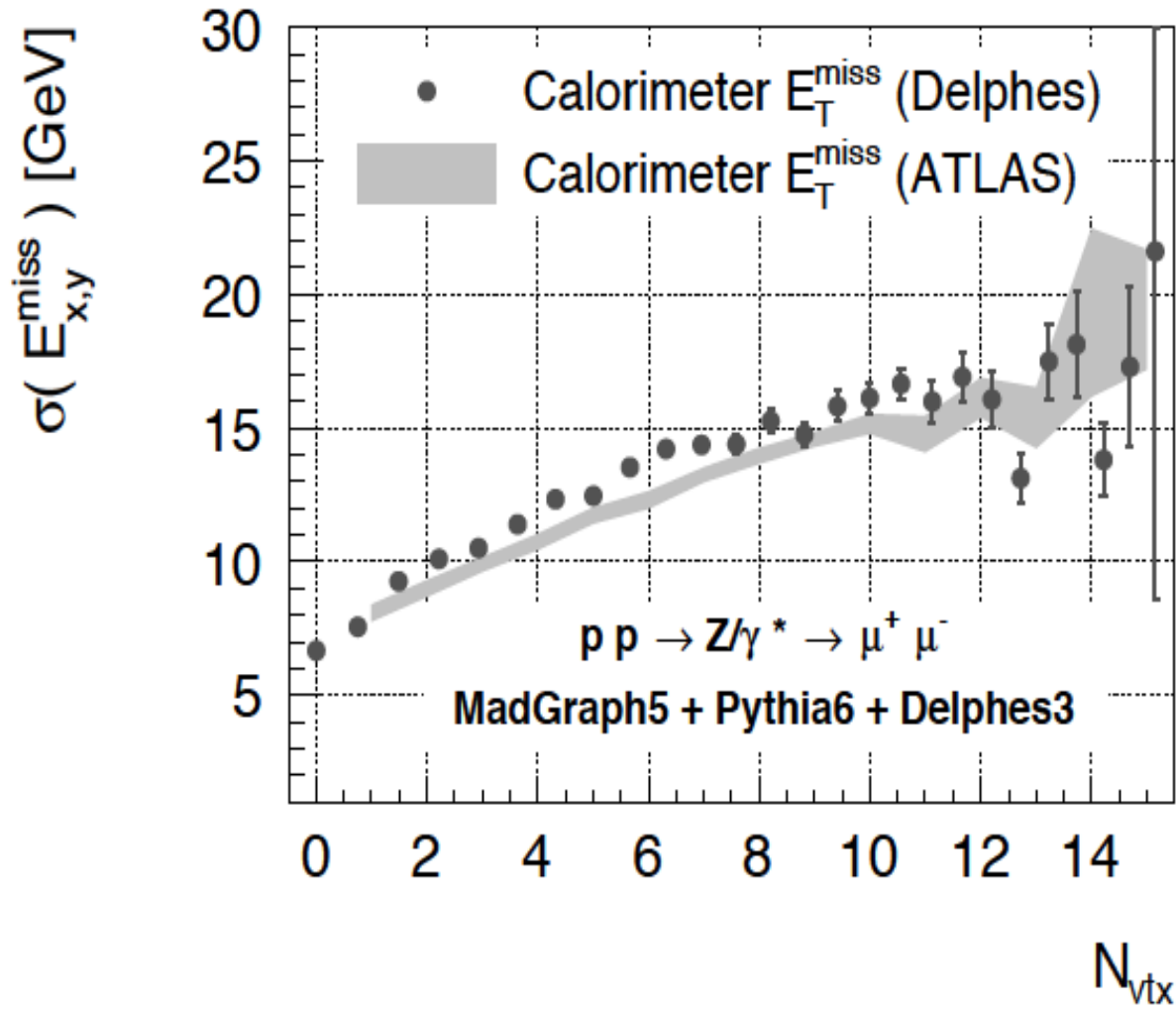
- Delphes' **input** is a list of particles produced by an event generator
- files in various formats can be read
- readers for new formats can be easily added
- Delphes also can be used as a **library** inside other programs
- Delphes' **output** is a ROOT tree containing the analysis objects
- **configuration file:**
 - modules interconnection, execution order and parameters
 - output object collections



- pile-up mixing is implemented in the following way:
 - a random (Poissonian) number of **pre-generated** minimum bias events is added to the main event
 - minimum bias events are
 - spread along z-axis
 - rotated by a random angle φ w.r.t. z-axis

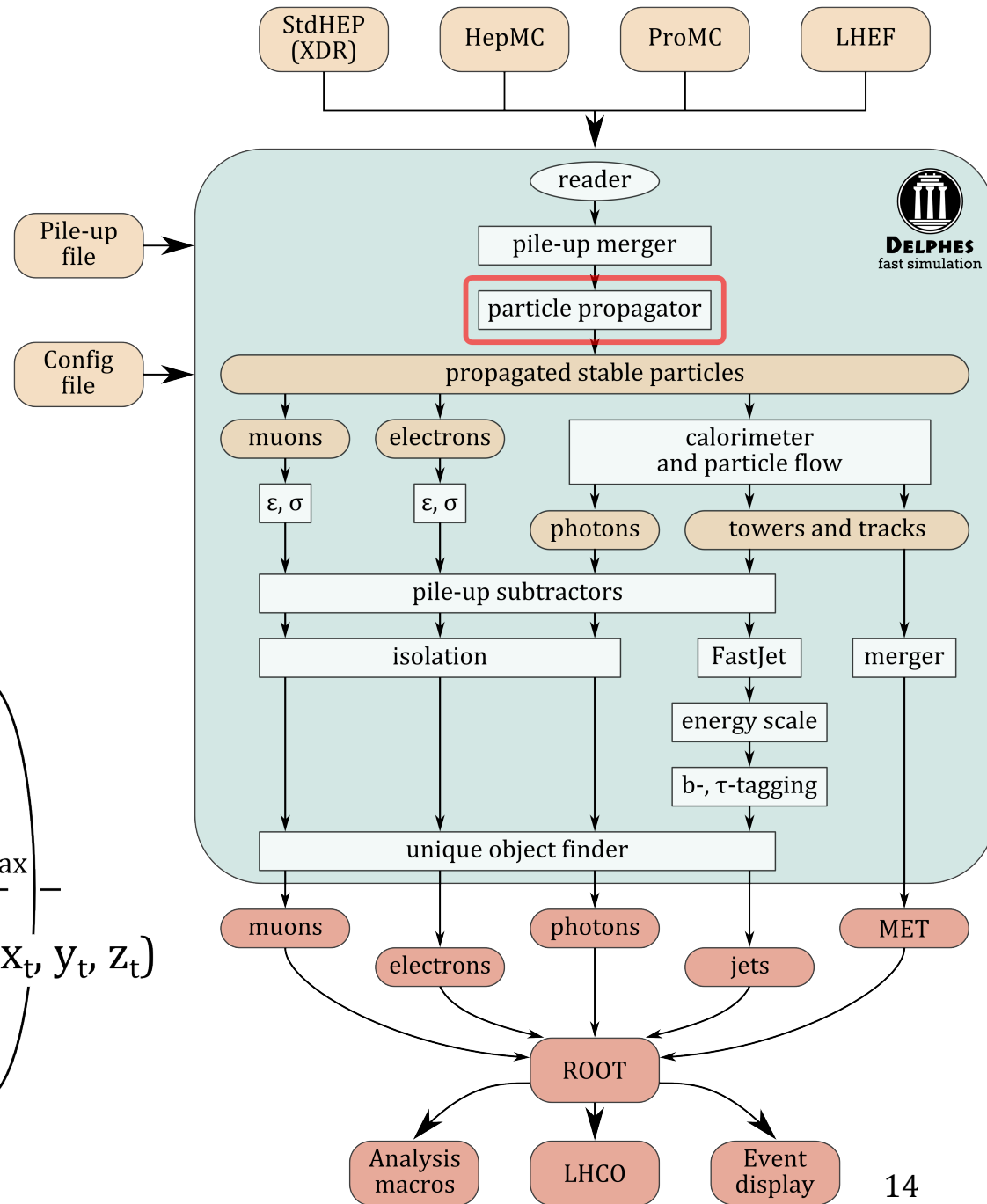
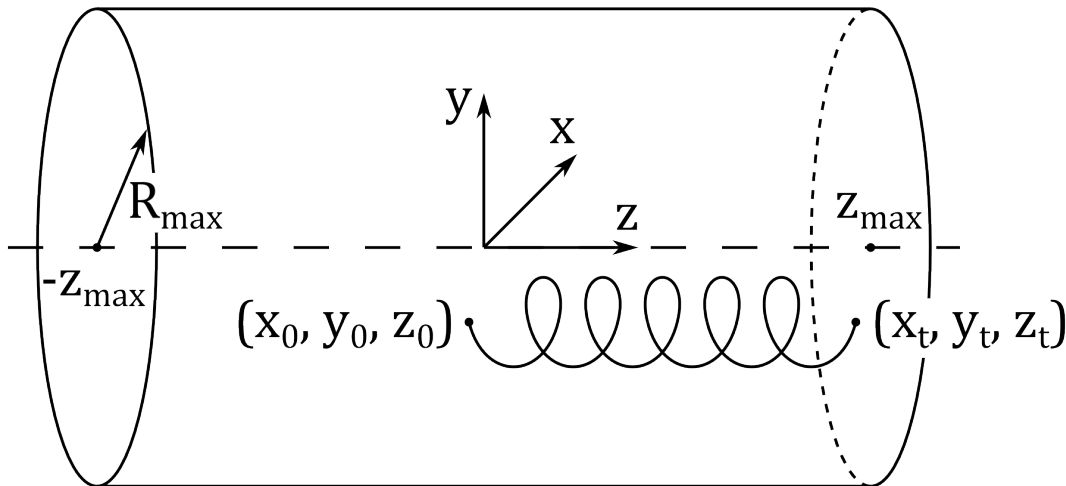


Pile-up Mixing: Validation



→ good agreement

- **charged** and **neutral** particles are propagated in a solenoidal magnetic field until they reach the calorimeters
- propagation parameters:
 - magnetic field (B)
 - radius and half-length (R_{\max}, z_{\max})

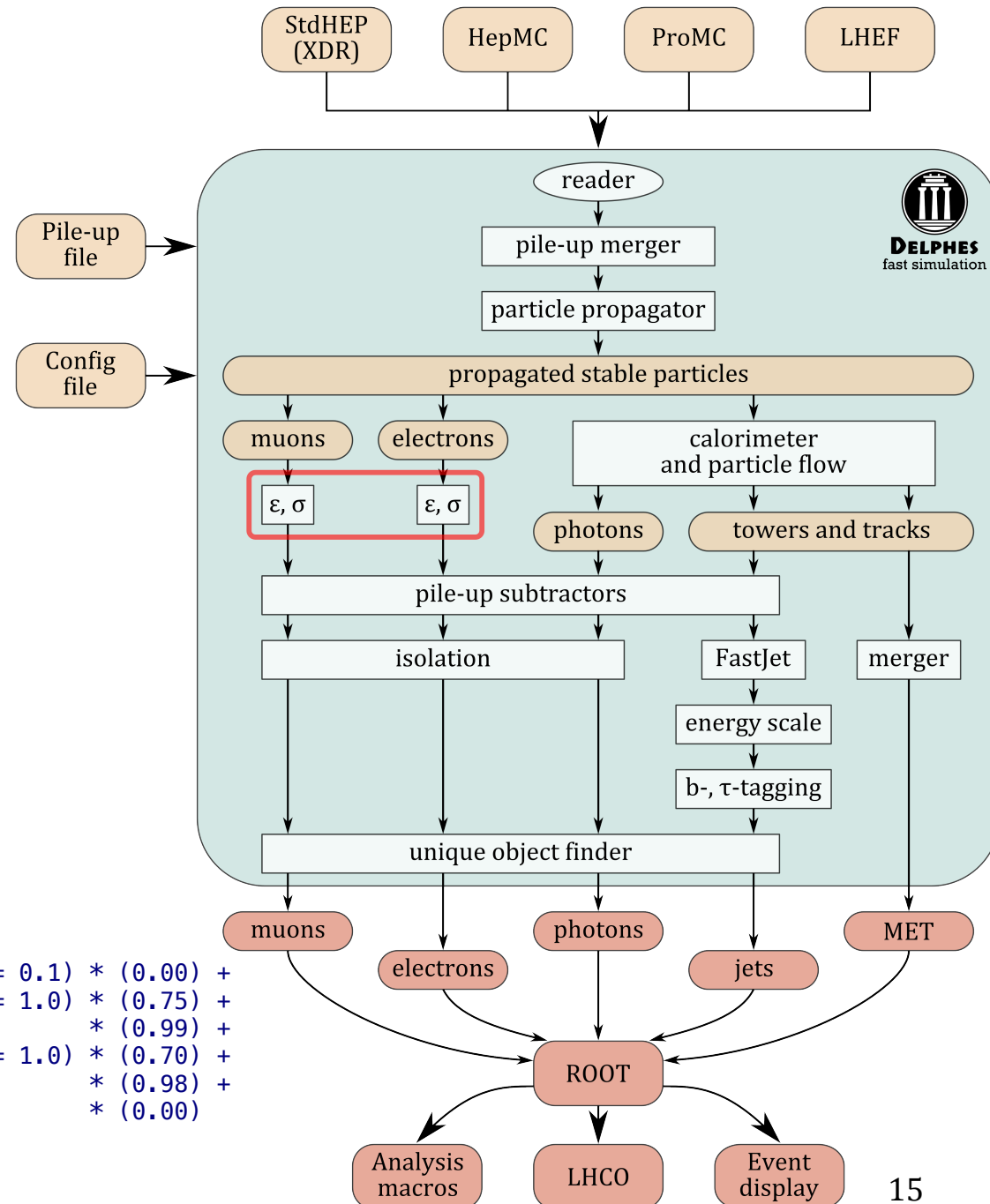


- efficiency and resolution depend on
 - particle type (charged, photon, electron, muon)
 - transverse momentum
 - pseudo-rapidity
- not real tracking/vertexing:
 - no fake tracks/conversions
 - no dE/dx measurements
- for example, here is how the tracking efficiency for muons can be encoded:

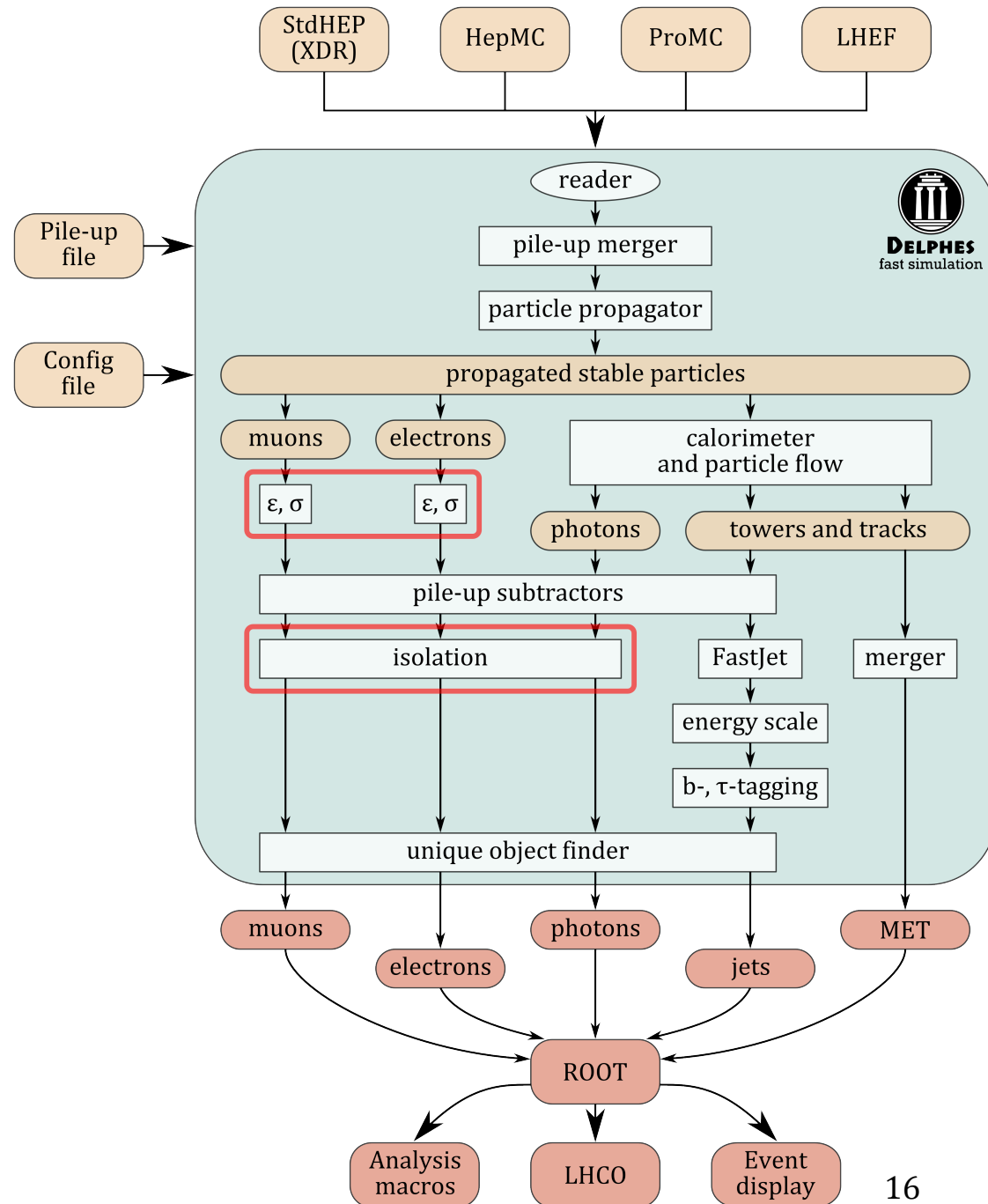
```
# tracking efficiency formula for muons
set EfficiencyFormula {
```

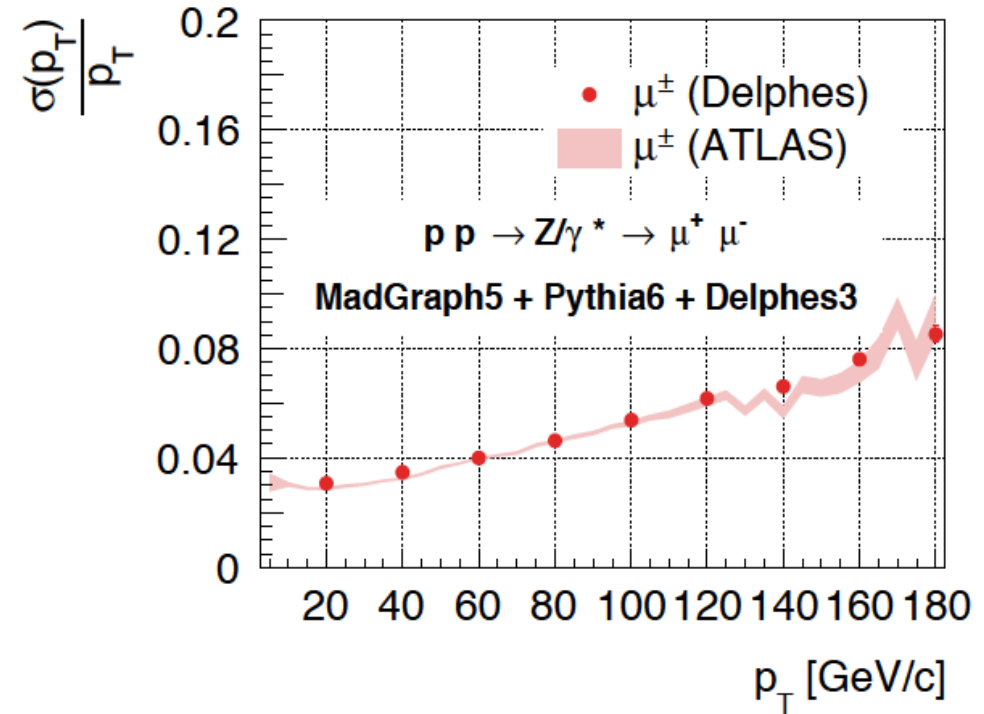
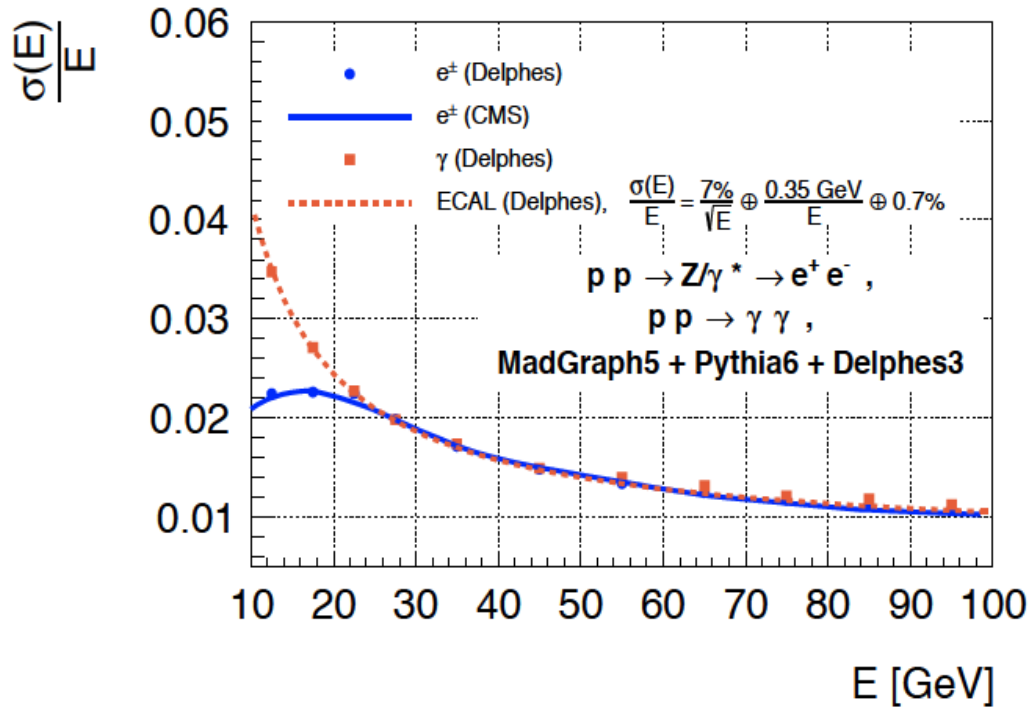
```

    (pt <= 0.1) * (0.00) +
    (abs(eta) <= 1.5) * (pt > 0.1 && pt <= 1.0) * (0.75) +
    (abs(eta) <= 1.5) * (pt > 1.0) * (0.99) +
    (abs(eta) > 1.5 && abs(eta) <= 2.5) * (pt > 0.1 && pt <= 1.0) * (0.70) +
    (abs(eta) > 1.5 && abs(eta) <= 2.5) * (pt > 1.0) * (0.98) +
    (abs(eta) > 2.5) * (0.00)
}
```



- identified via their PDG ID
- **photons** are smeared according to the ECAL resolution
- **electrons** are smeared according to the tracker and ECAL resolution
- **muons** do not deposit energy in the calorimeter (independent smearing parametrized in p_T and η)
- modular structure allows to easily define various **isolation** criteria
- **not implemented (yet):**
 - misidentification,
 - punch-through,
 - brehmstrahlung,
 - conversions



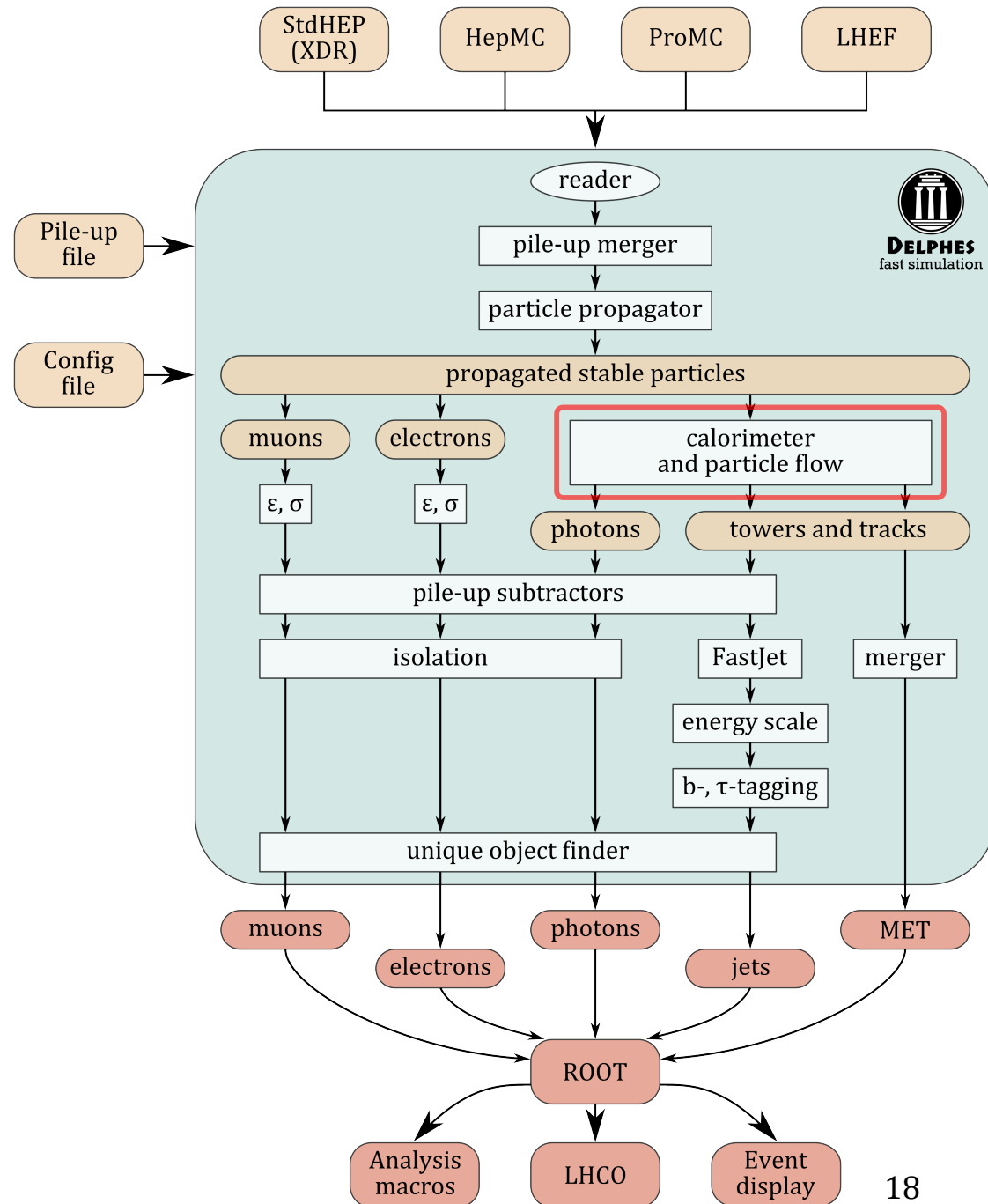


→ excellent agreement

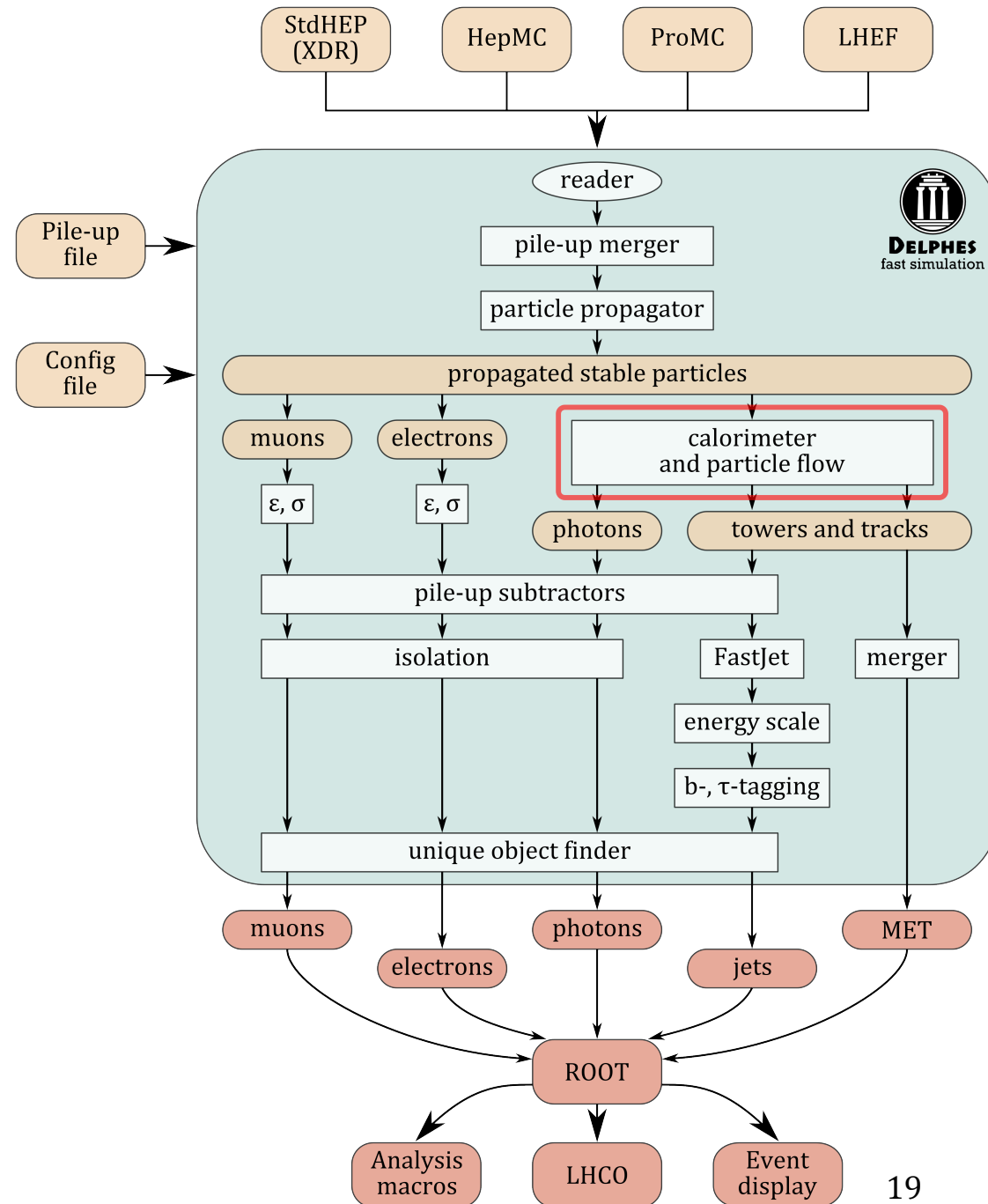
- ECAL/HCAL calorimeters have same **segmentation** in η and ϕ
- each particle that reaches the calorimeters **deposits a fraction of its energy** in one ECAL cell (f_{ECAL}) and one HCAL cell (f_{HCAL}):

particles	f_{ECAL}	f_{HCAL}
$e \gamma \pi^0$	1	0
$K^0_S \Lambda^0$	0.3	0.7
$\nu \mu$	0	0
others	0	1

- particle energy is **smeared** according to the calorimeter region it reaches
- **no energy sharing between the neighboring cells**
- **no longitudinal segmentation in the calorimeters**



- Delphes attempts to **reproduce** performance of the Particle Flow algorithm
- **tracking** and **calorimeter** information allows to reconstruct high resolution objects for later use (jets, missing E_T , H_T)
- assume $\sigma(\text{trk}) < \sigma(\text{calo})$
- separate neutral and charged calorimeter deposits has crucial implications for pile-up subtraction



- Example 1:

- pion of 10 GeV

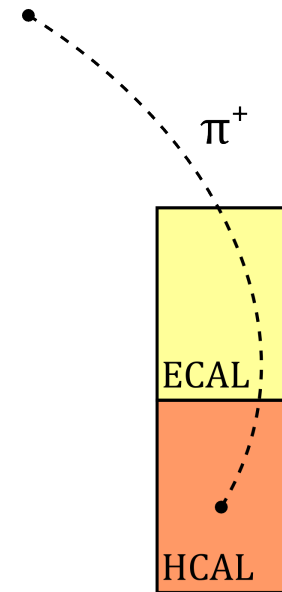
$$E_{\text{HCAL}}(\pi^+) = 15 \text{ GeV}$$

$$E_{\text{trk}}(\pi^+) = 11 \text{ GeV}$$

- Particle Flow algorithm creates:

$$\text{PF-track, with energy } E_{\text{PF-trk}} = 11 \text{ GeV}$$

$$\text{PF-tower, with energy } E_{\text{PF-tower}} = 4 \text{ GeV}$$



- Example 2:

- pion of 10 GeV and photon of 20 GeV

$$E_{\text{ECAL}}(\gamma) = 18 \text{ GeV}$$

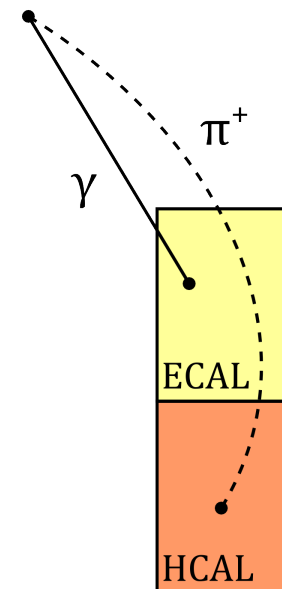
$$E_{\text{HCAL}}(\pi^+) = 15 \text{ GeV}$$

$$E_{\text{trk}}(\pi^+) = 11 \text{ GeV}$$

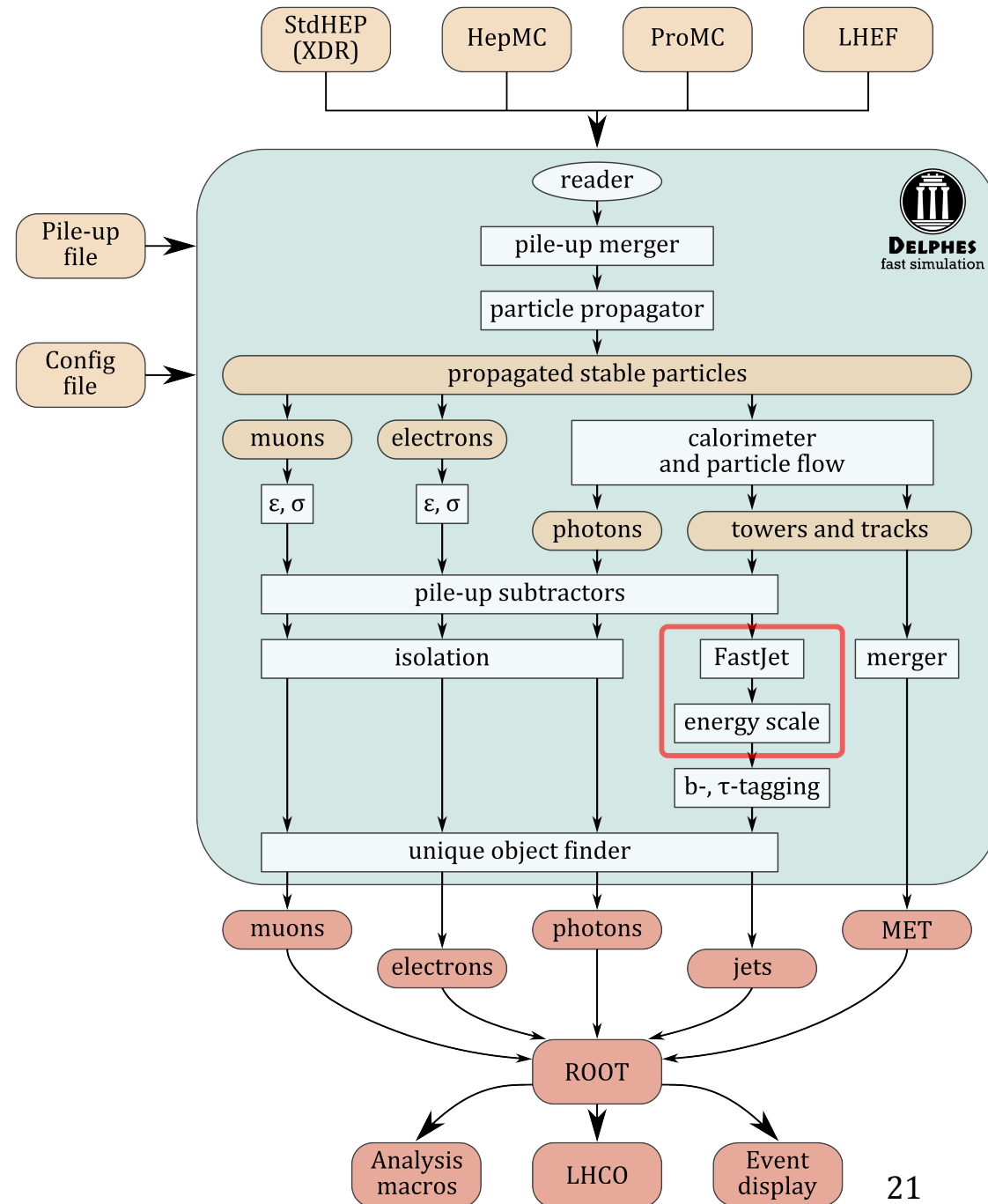
- Particle Flow algorithm creates:

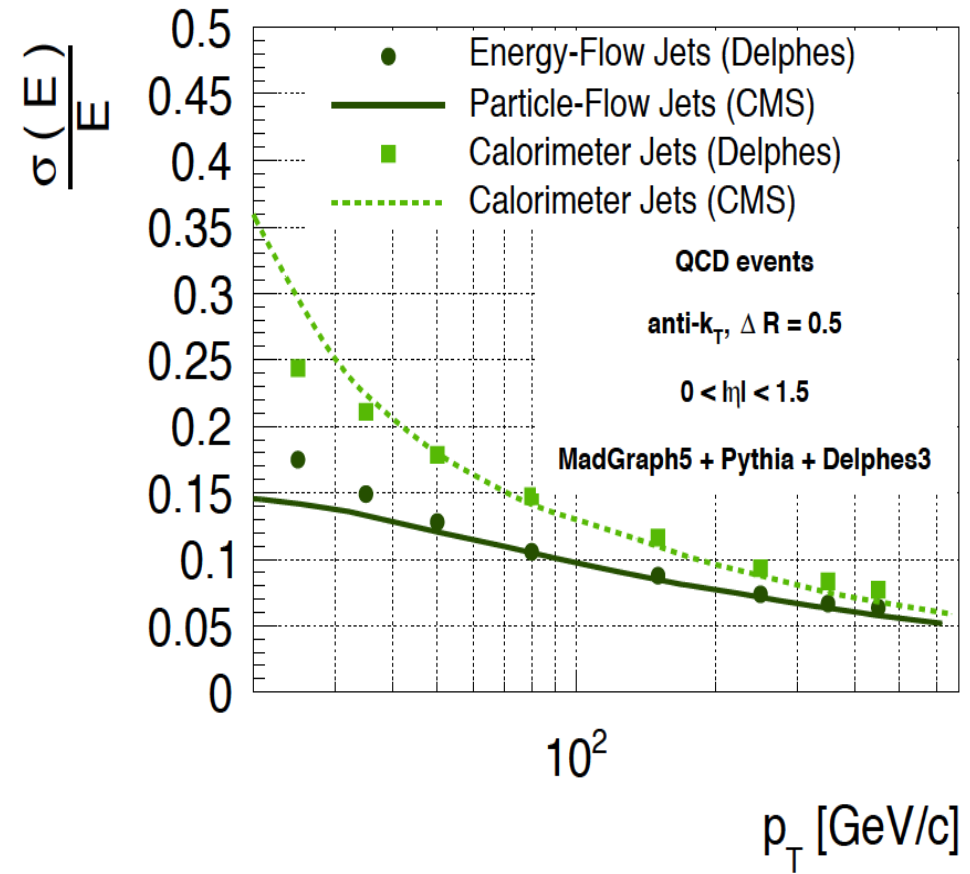
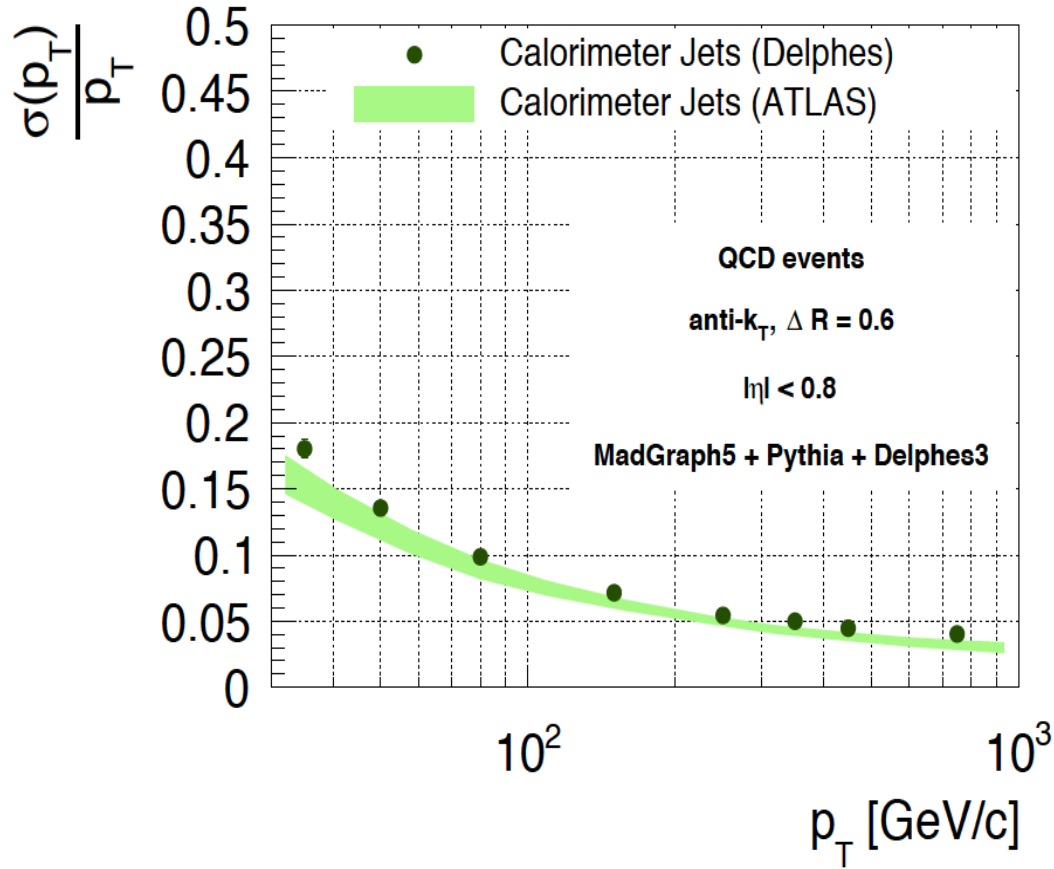
$$\text{PF-track, with energy } E_{\text{PF-trk}} = 11 \text{ GeV}$$

$$\text{PF-tower, with energy } E_{\text{PF-tower}} = 18 + 4 \text{ GeV}$$



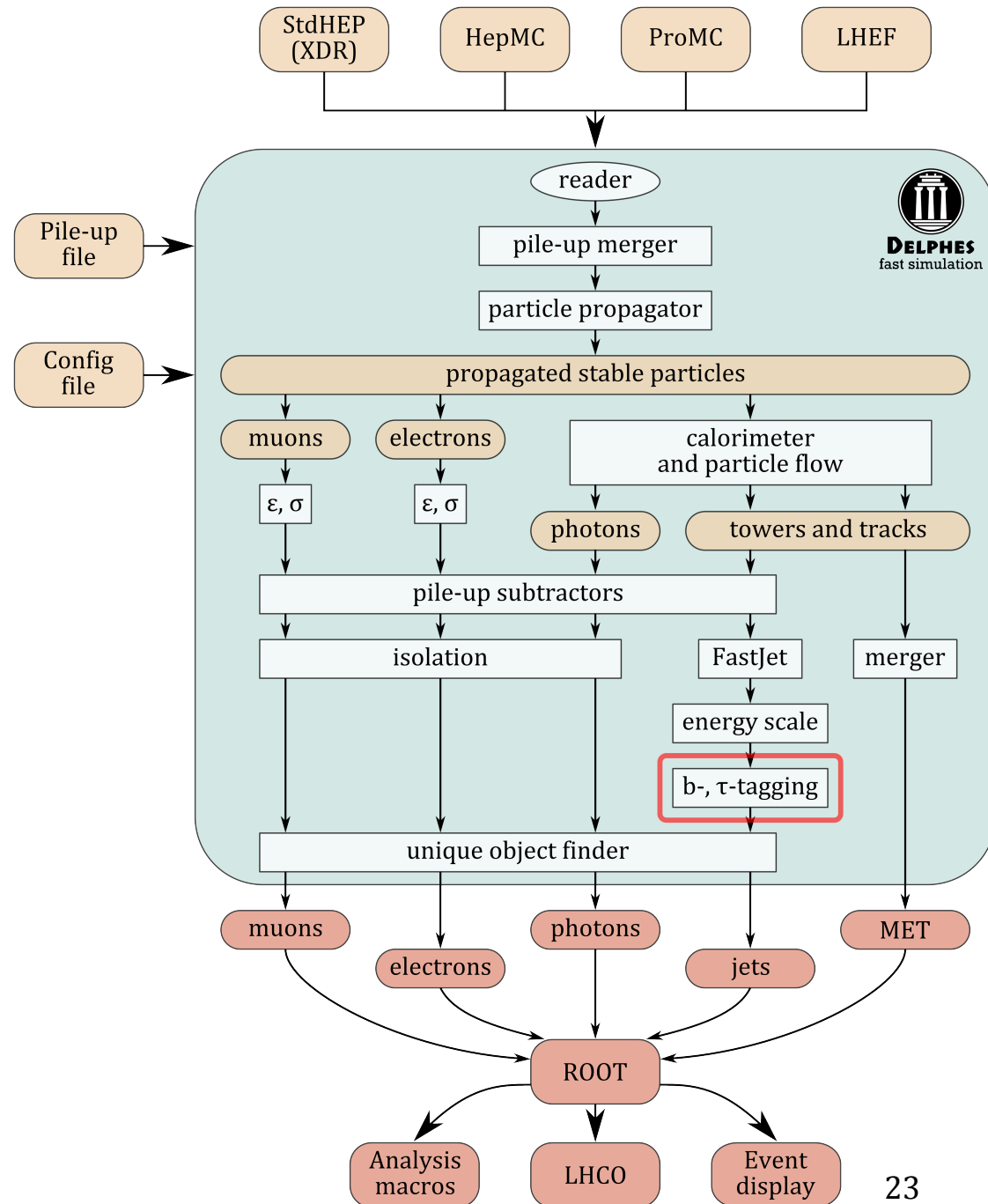
- Delphes uses the FastJet library [Eur.Phys.J. C72 (2012) 1896] to reconstruct jets
- wide set of algorithms available
- possible inputs:
 - particles produced by an event generator
 - calorimeter towers
 - Particle Flow objects
- jet energy scale corrections can be applied





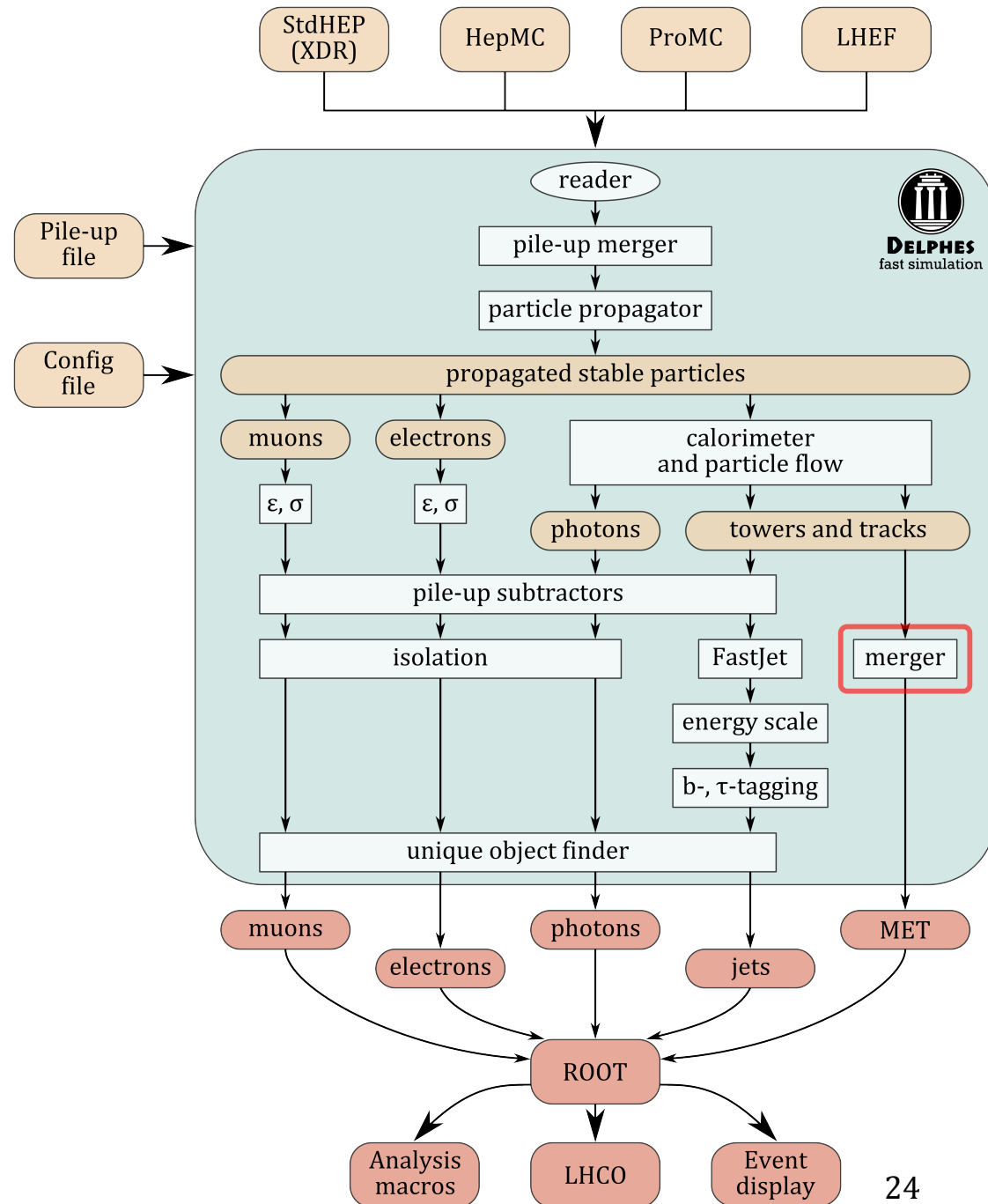
→ good agreement

- **parametrized b- (τ -) tagging**
 - find the heaviest quark (or τ) within a cone of radius ΔR around the jet axis
 - apply corresponding efficiency or mistag rate
- **track counting b-tagging**
 - **count** tracks within jet with **large impact parameter significance**
 - apply a selection criterion

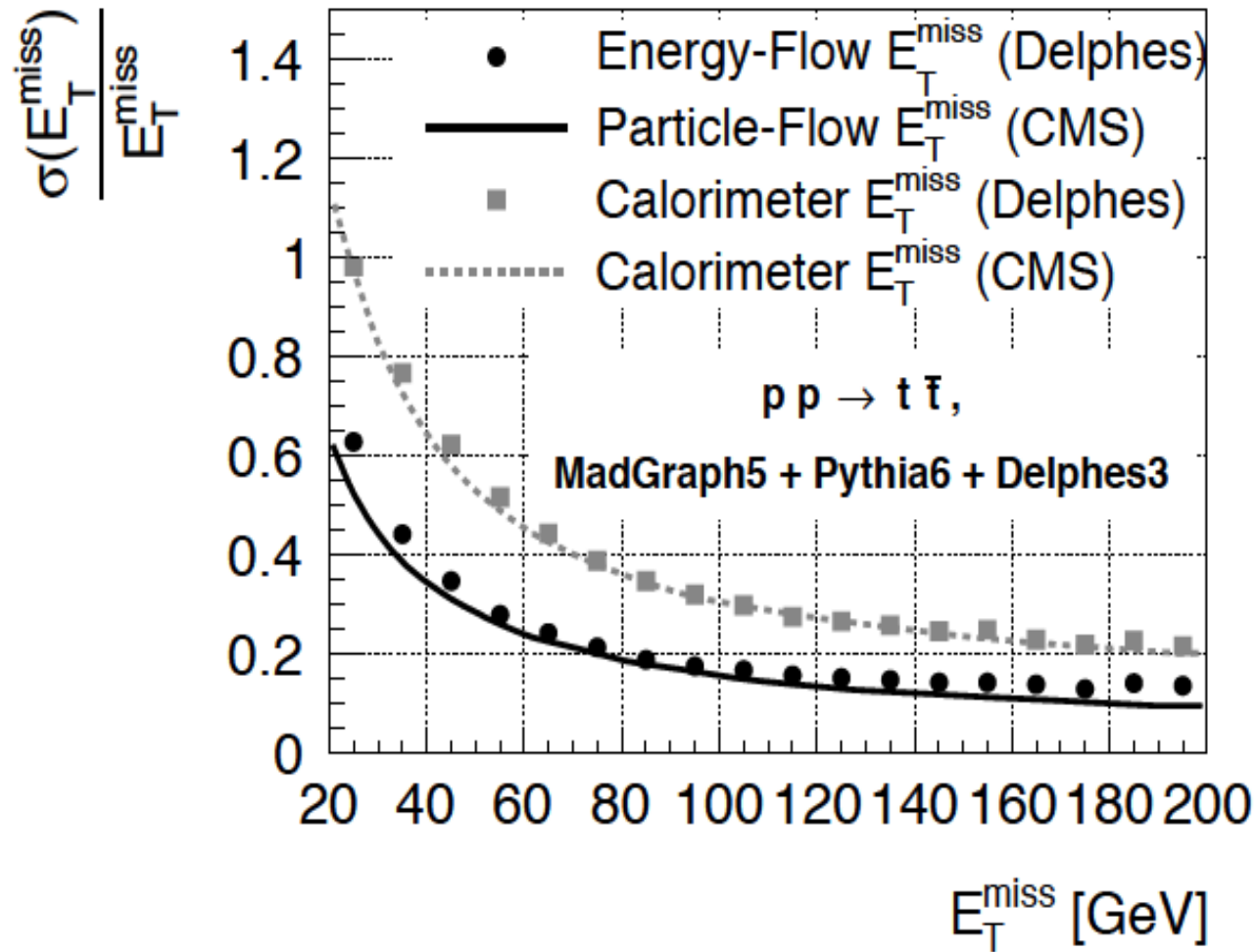


- $$\vec{E}_T^{\text{miss}} = - \sum_i \vec{p}_T(i)$$

- possible inputs:
 - particles produced by an event generator
 - calorimeter towers
 - Particle Flow objects

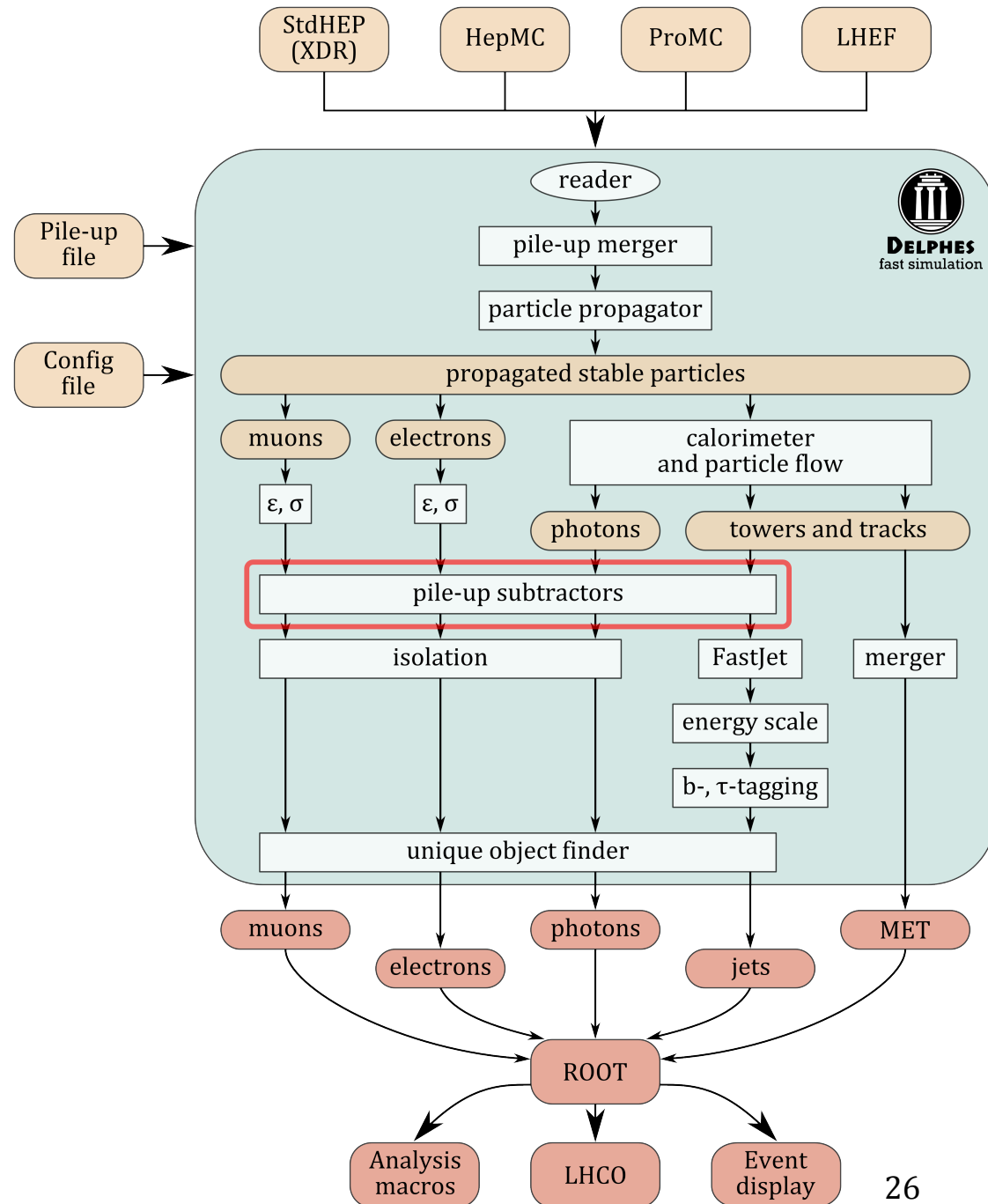


Missing E_T : Validation



→ excellent agreement

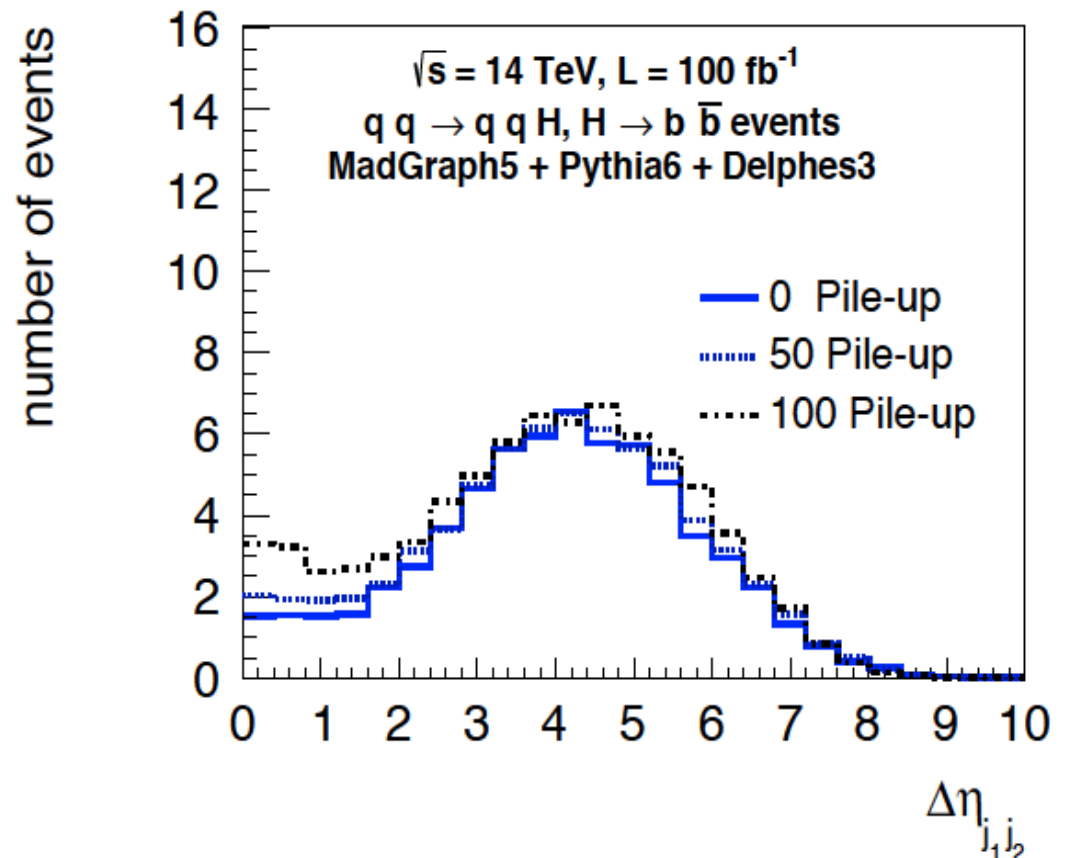
- **charged** pile-up subtraction
(most effective if used with the particle flow algorithm)
 - remove all charged particles with $z_0 > |Z_{res}|$
- **residual** pile-up subtraction
(needed for jets and isolation)
 - use FastJet to compute **pile-up density (ρ)** and **jet area (A)**
 - jet correction: $p_T \rightarrow p_T - \rho A$
(JetPileUpSubtractor module)
 - lepton isolation correction:
 $\sum p_T \rightarrow \sum p_T - \rho \pi R^2$
(Isolation module)
 - subtraction can be $|\eta|$ dependent



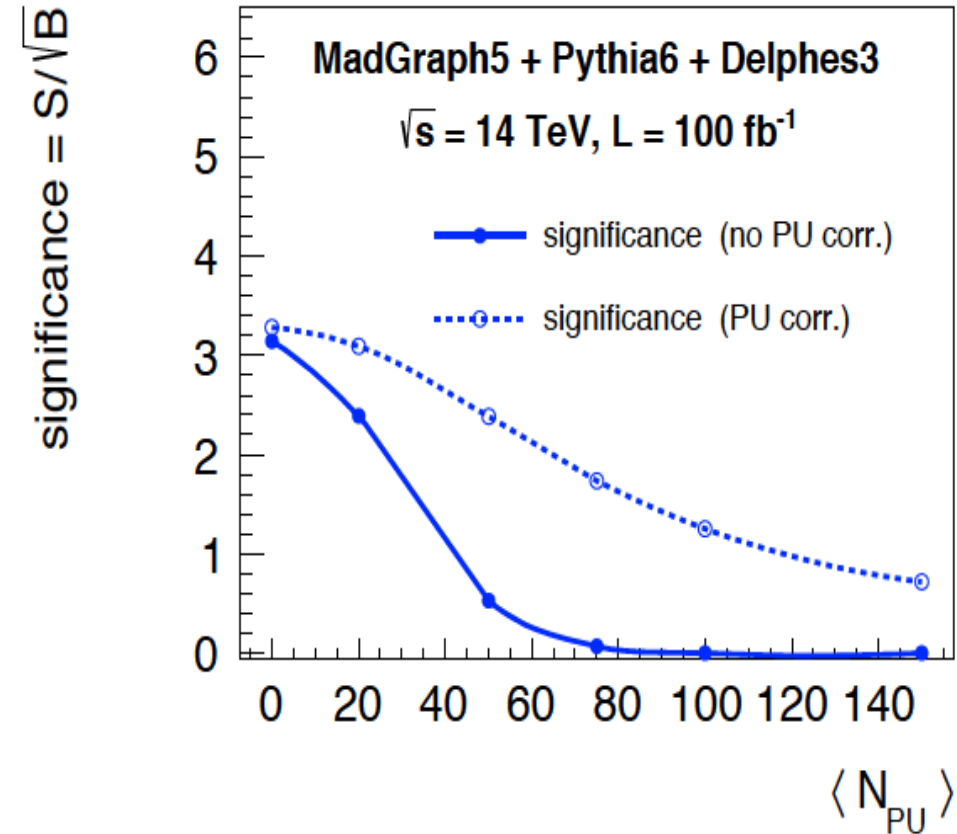
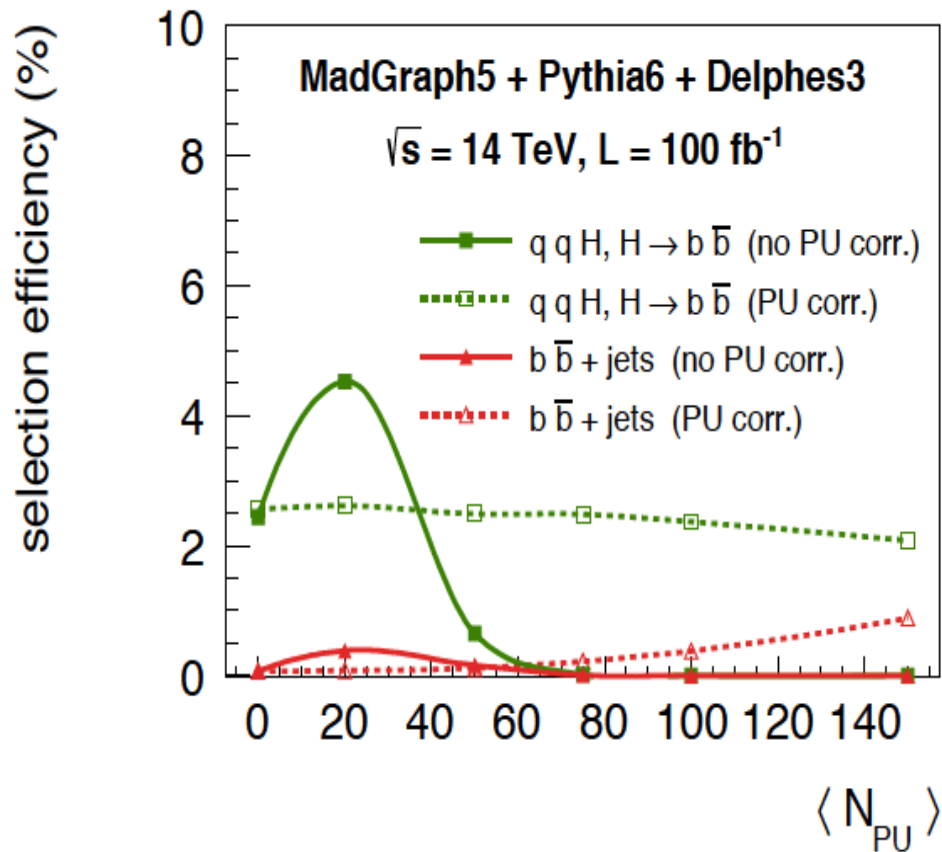
- $H \rightarrow bb$ in VBF channel expected to be highly affected by pile-up
- irreducible background: $bb + \text{jets}$
- select at least 4 jets with $p_T > 80, 60, 40, 40$ (at least 2 b-tagged jets, at least 2 light jets)

- emergence of pile-up jets in the central region:

→ depletion of rapidity gap



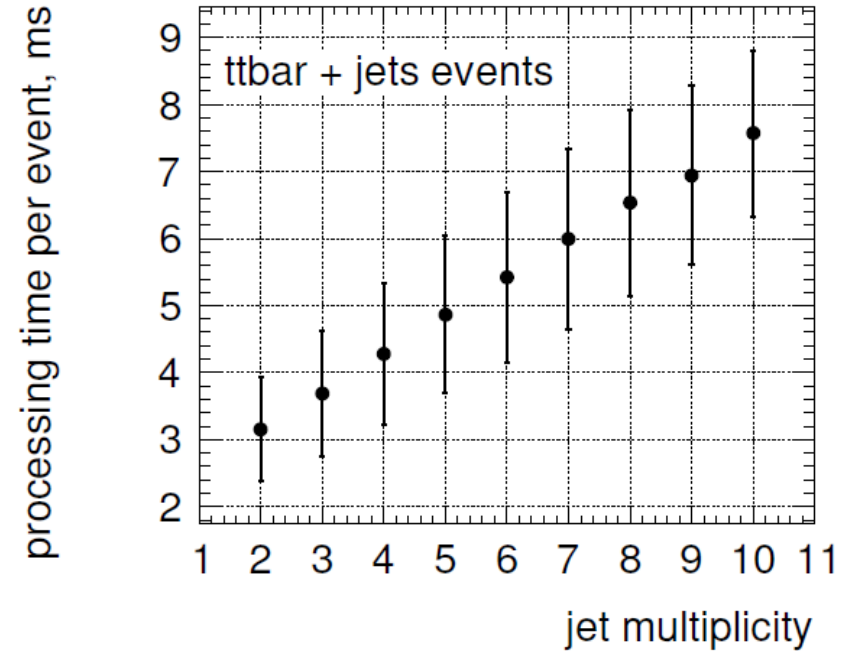
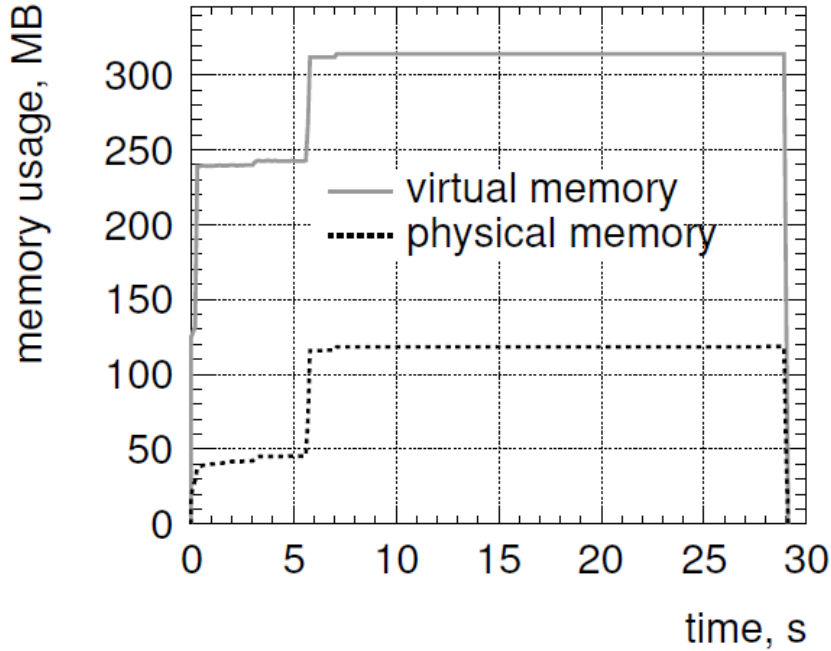
- require large rapidity gap between light jets, no hadronic activity in between
- $100 < m(bb) < 200$ GeV





Performance, Analysis and Visualization

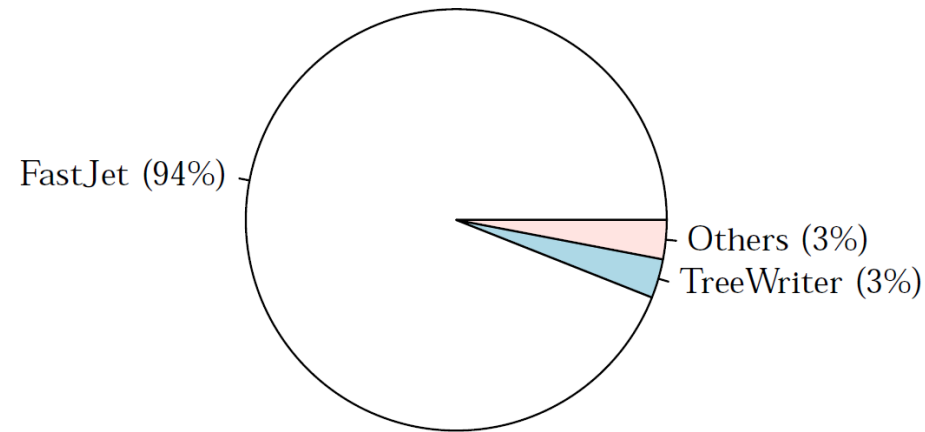
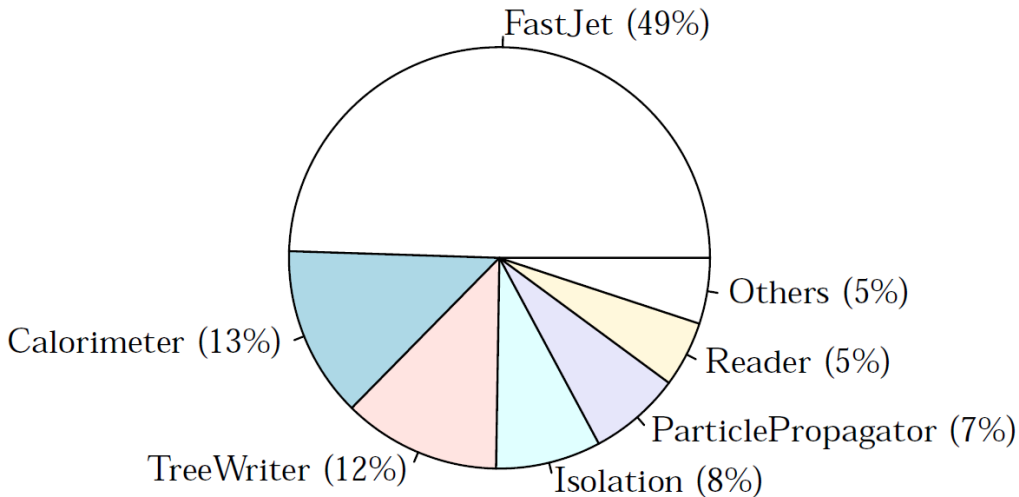
Performance



Relative CPU time used by the Delphes modules

0 pile-up

50 pile-up

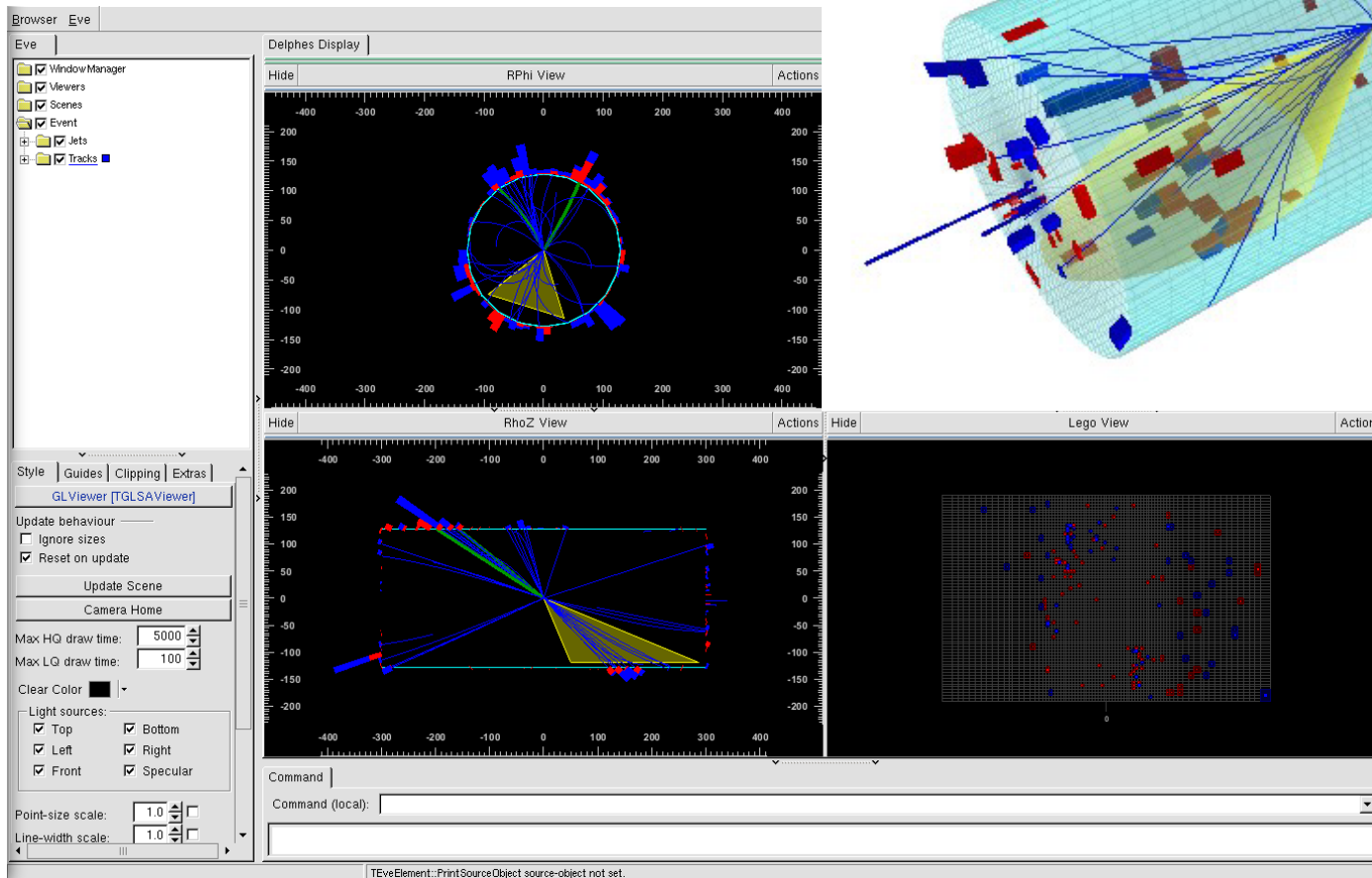
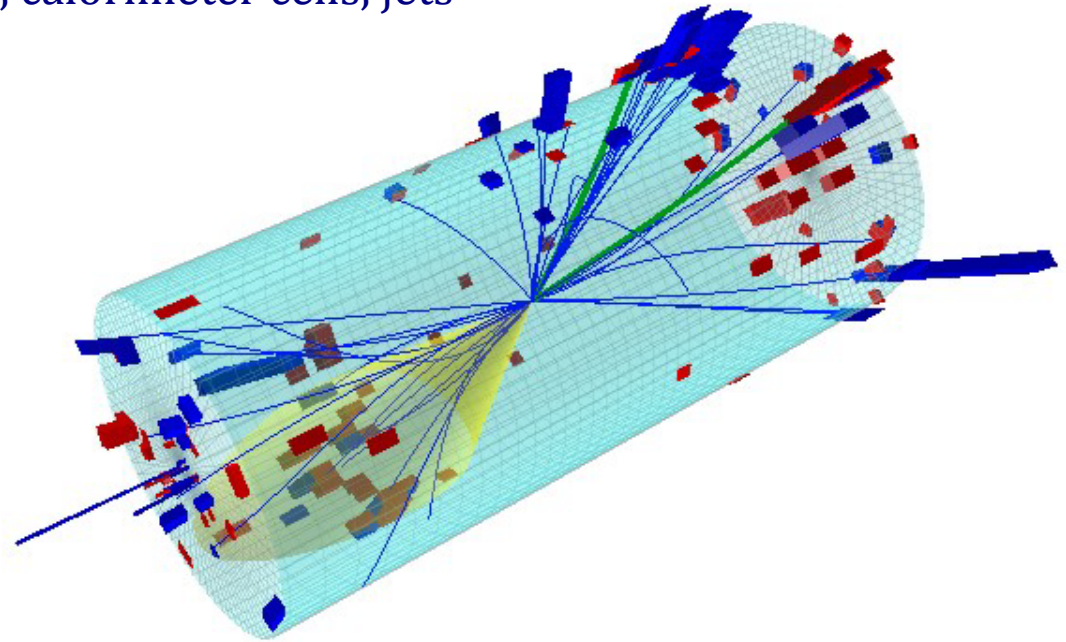


- Analyzing Delphes' output is simplified as much as possible, by providing intuitive tools:
 - ExRootAnalysis
 - C++/ROOT
 - helper classes for easier access to ROOT trees
 - DelphesAnalysis
 - Python/pyROOT
 - helper classes for event selection and control plots
- In both cases, examples are provided for immediate start
- No need to learn a big framework like in large experimental collaborations or to redo everything from scratch:
 - full analysis can be written in $O(\text{minutes}) \sim O(\text{hours})$
 - tell what you want to see and get the histogram
- Of course, you can use your favorite code... Delphes output is a standard ROOT tree...

→ see the tutorial later this afternoon

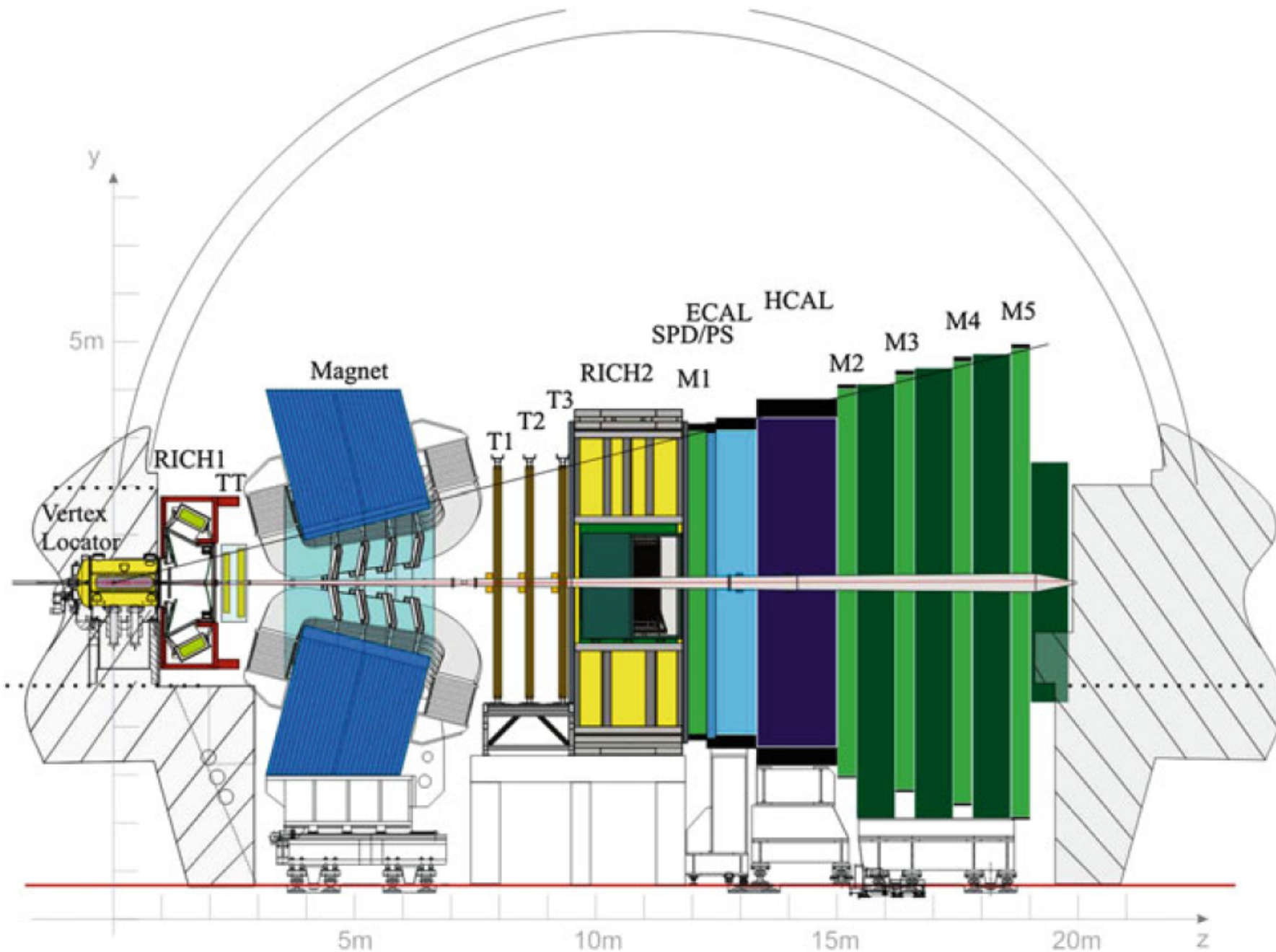
A basic event display is provided, based on ROOT EVE

- displays tracks, electrons, muons, calorimeter cells, jets
- more detailed version planned





How to Simulate LHCb and AFTER@LHC?





Questions

- Output collections (γ , e, μ , π , K, p, jets, ???)
- Jet input collections
- Calorimeters or parametrized resolution $\sigma(\text{PID}, E, \theta, \varphi, \text{???})$
- Particle propagation (parabolic trajectories?)
- Magnetic field (map or parametrization?)
- Vertexes
- ???



AFTER@LHC

?



Final Remarks and Conclusions

- **When to use Delphes?**
 - more advanced than parton-level studies
 - testing analysis methods (multivariate/Matrix Element)
 - test your model (CheckMATE)
 - scan big parameter space (SUSY-like)
 - preliminary tests of new geometries/resolutions (upgrades, Snowmass)
 - educational purpose (bachelor/master thesis)
- **When not to use Delphes?**
 - high precision studies
 - very exotic topologies (heavy stable charged particles)
 - study is sensitive to tails

- **Delphes 3** has been out for more than one year now, with **major improvements**:
 - modularity
 - pile-up implementation
 - revamped particle flow emulation
 - visualization tool based on ROOT EVE
 - example configuration files giving results on par with published performance of the LHC experiments (ATLAS and CMS)
 - fully integrated within MadGraph5
- To-do:
 - energy sharing between the neighboring calorimeter cells
 - longitudinal segmentation in the calorimeters
 - understand how to simulate LHCb and AFTER@LHC



People

Jerome de Favereau

Christophe Delaere

Pavel Demin

Andrea Giammanco

Vincent Lemaitre

Alexandre Mertens

Michele Selvaggi

the community...