

Framework for Model Independent Analyses of Multiple Extra Quark Scenarios

Daniele Barducci

A. Belyaev, M. Buchkremer, G. Cacciapaglia, A. Deandrea, S. De Curtis,
J. Marrouche, S. Moretti and L. Panizzi

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GDR Terascale, Heidelberg University
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Why Extra Quarks?

A coloured new fermion is a common new particle in BSM theories

- A fourth generation of SM fermions is (almost) ruled out ✗
- Extra Quarks can appear in other ways
 - Model of Composite Higgs ✓
 - Extra Dimensions ✓
 - Little Higgs ✓
 - Non minimal SUSY theories ✓
 - and more...

Usually Extra Quarks appear as Vector Like Quarks

Vector Like Quarks

Many BSM models predict the existence of Vector Like Quarks

- Colored Dirac fermions with $1/2$ spin
- Their right and left handed components transform in the same way under the SM gauge group $SU(3)_c \otimes SU(2)_L \otimes U(1)_Y$

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Why are they called vector-like?

$$\mathcal{L} \supset \frac{g}{\sqrt{2}} (j^{\mu+} W_{\mu}^{+} + j^{\mu-} W_{\mu}^{-}) \quad j^{\mu\pm} = j_L^{\mu\pm} + j_R^{\mu\pm}$$

SM chiral quarks

$$j_L^{\mu} = \bar{f}_L \gamma^{\mu} f_L' \quad j_R^{\mu} = 0$$

$$j^{\mu} = j_L^{\mu} + j_R^{\mu} = \bar{f} \gamma^{\mu} (1 - \gamma^5) f'$$

$V - A$

VLQs

$$j_L^{\mu} = \bar{f}_L \gamma^{\mu} f_L' \quad j_R^{\mu} = \bar{f}_R \gamma^{\mu} f_R'$$

$$j^{\mu} = j_L^{\mu} + j_R^{\mu} = \bar{f} \gamma^{\mu} f'$$

V

Properties of VLQs

Gauge invariant **mass term** without the Higgs mechanism

$$\mathcal{L} \supset -m(\bar{\psi}_L\psi_R + \bar{\psi}_R\psi_L)$$

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They mix with the SM quarks

$$t' \longrightarrow \times \longrightarrow t$$

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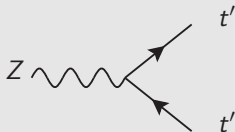
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Quarks with **exotic electric charge** are present (+5/3, -4/3,...)

They mix with the SM quarks

$$t' \longrightarrow \times \longrightarrow t$$

They interact with SM gauge bosons



Properties of VLQs

Assumption: VLQs interact with SM through Yukawa type couplings

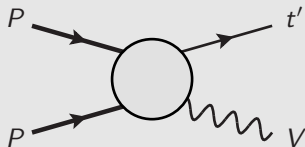
	SM	Singlets	Doublets	Triplets
	$\begin{pmatrix} u \\ d \end{pmatrix} \begin{pmatrix} c \\ s \end{pmatrix} \begin{pmatrix} t \\ b \end{pmatrix}$	$\begin{pmatrix} t' \\ b' \end{pmatrix}$	$\begin{pmatrix} X \\ t' \end{pmatrix} \begin{pmatrix} t' \\ b' \end{pmatrix} \begin{pmatrix} b' \\ Y \end{pmatrix}$	$\begin{pmatrix} X \\ t' \\ b' \end{pmatrix} \begin{pmatrix} t' \\ b' \\ Y \end{pmatrix}$
$SU(2)_L$	2 and 1	1	2	3
$U(1)_Y$	$q_L = 1/6$ $u_R = 2/3$ $d_R = -1/3$	2/3 -1/3	7/6 1/6 -5/6	2/3 -1/3
\mathcal{L}_Y	$\bar{q}_L^i H^c u_R^i$ $\bar{q}_L^i V_{CKM}^{i,j} H d_R^j$	$\bar{q}_L^i H^c t'_R$ $\bar{q}_L^i H b'_R$	$\psi_L H^{(c)} u_R^i$ $\psi_L H^{(c)} d_R^i$	$\bar{q}_L^i T^a H^{(c)} \psi_R^a$
\mathcal{L}_m		$-M \bar{\psi} \psi$ (gauge invariant since vector-like)		

Limited number of $SU(2)_L$ representations that can be used

Production modes

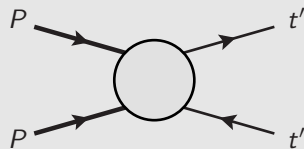
At the LHC VLQs can mainly be produced via

Single production



Also with a SM quark or Higgs

Pair production

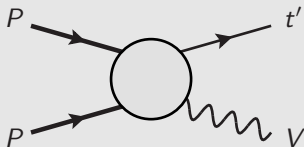


Sensitive to

Production modes

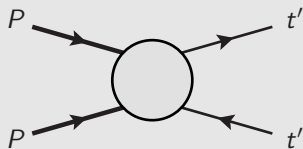
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Sensitive to

VLQ mass

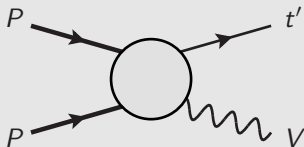
Mixing parameters/couplings

Model dependent

Production modes

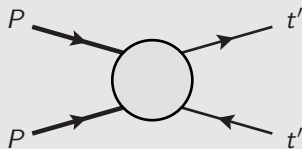
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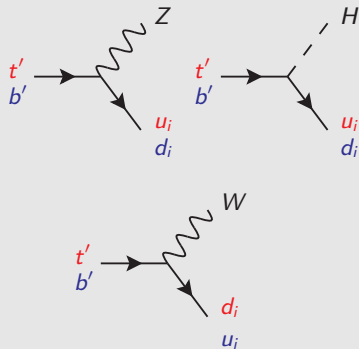
Model dependent

VLQ mass
(QCD process)

Model independent

Decay modes

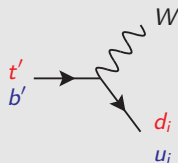
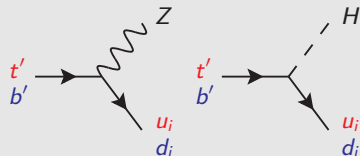
SM partner



- Both Neutral and Charged Currents

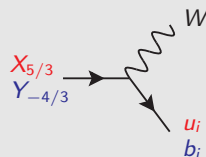
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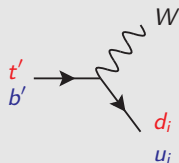
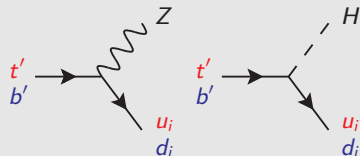
Exotic partner



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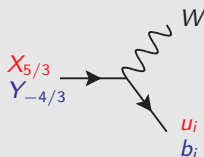
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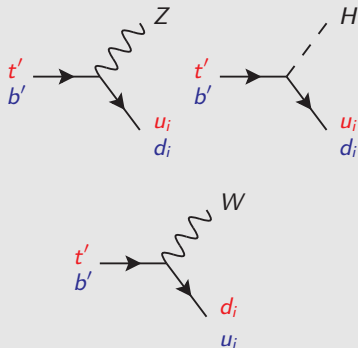


- Only Charged Currents

- No decay into extra quarks
- No extra gauge boson
- No DM candidate

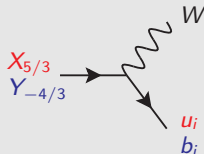
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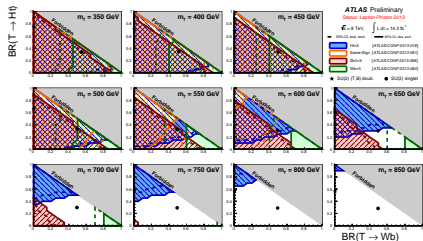
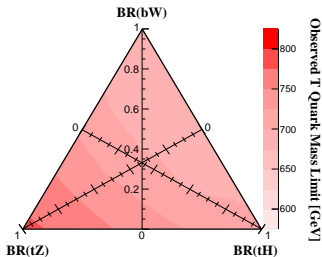
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Rich phenomenology to explore at the LHC!!

Experimental status

ATLAS and **CMS** bounds on VLQs, assuming QCD pair production cross section, are between 600 and 800 GeV

CMS preliminary $\sqrt{s} = 8 \text{ TeV}$ 19.6 fb^{-1}

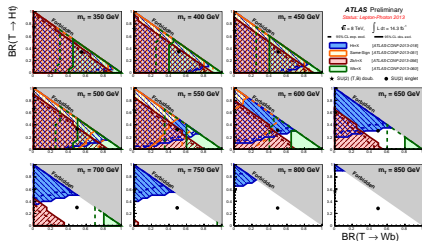
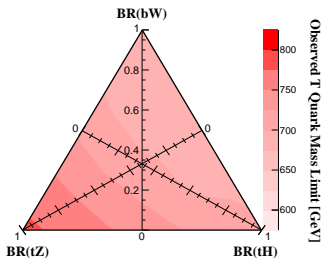


However...

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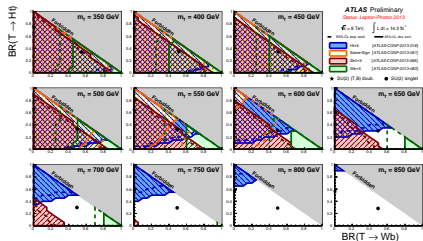
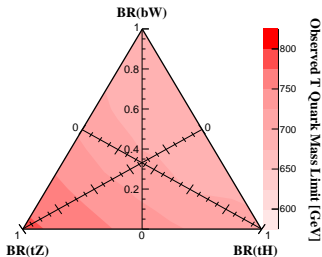
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Just one VLQ in the spectrum

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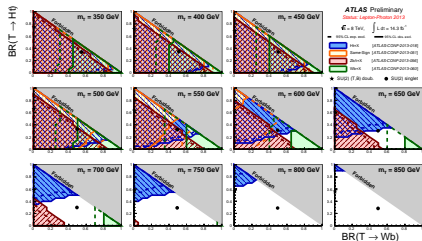
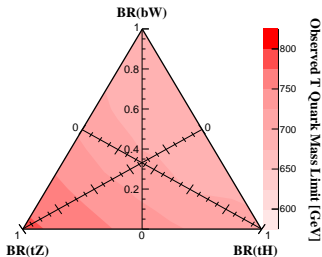
Theoretical "reality"

Realistic model present a VLQ sector

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Experimental assumptions

Just one VLQ in the spectrum

Decay just in 3rd generation

$t' \rightarrow Zt$ $t' \rightarrow Ht$ $t' \rightarrow W^-t$

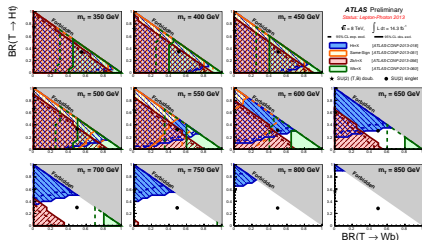
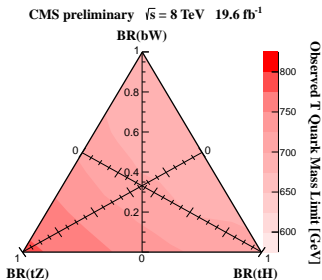
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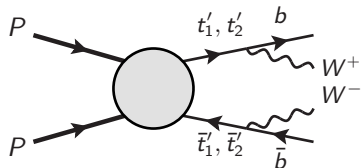
Theoretical "reality"

Realistic model present a VLQ sector

Decay in light quarks cannot be excluded a priori

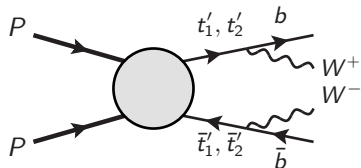
More than one VLQ in the spectrum

Case 1: two VLQs of the same specie

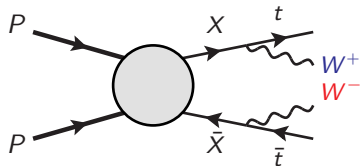
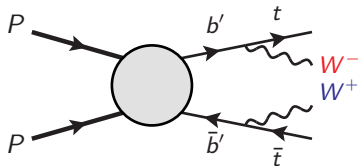


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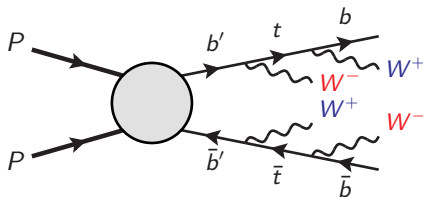


Case 2: two VLQs of different specie



The same final state can be fed by different channels with **different kinematics**

Decay also in 1st generation

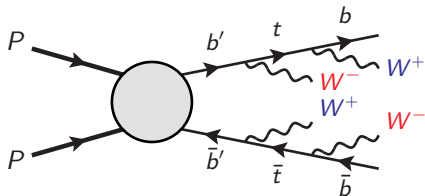


Decay channel: $b' \rightarrow Wt$

- Same Sign dilepton channel
- Eventual b-tagging

Relaxing the third generation exclusive decay hypothesis

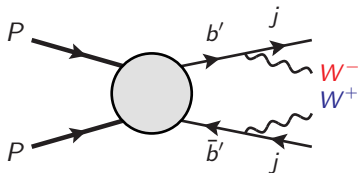
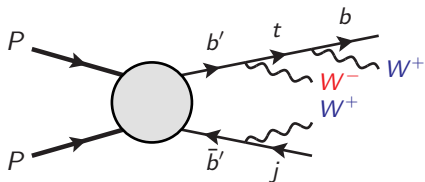
Decay also in 1st generation



Decay channel: $b' \rightarrow Wt$

- Same Sign dilepton channel
- Eventual b-tagging

Relaxing the third generation exclusive decay hypothesis



Less events in the Same Sign dilepton channel and less b-jets

How to constrain VLQs models with **generic couplings** and **spectrum**?

1th Approach

- Simulate events for a given model's parameter points
- Apply experimental analysis to generated events

2th Approach

- Rely on a database of pre-simulated efficiencies for selected signal topologies
- No need to simulated events

Tools on the market

- MadAnalysis
- CheckMate

Tools on the market

- XQCAT
- FastLim, SModels (SUSY)

XQCAT: <https://launchpad.net/xqcat>

The database include a direct search for VLQs and SUSY searches

Reconstructing the signal

Knowing the efficiencies for given VLQ mass and decay channel is it possible to reconstruct any signal arising from a general VLQ spectrum

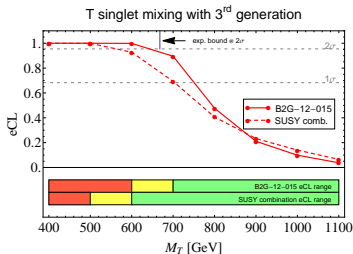
$$N_{ev} = \mathcal{L} \sum_{n=1}^{N_{VLQ}} \sigma(m_{T_n}) \sum_{i,j} Br(T_n \rightarrow i) Br(\bar{T}_n \rightarrow j) \epsilon(m_{T_n}, i, j)$$

The total number of events allows to compute an exclusion confidence level for the, given SM Background and experimental data

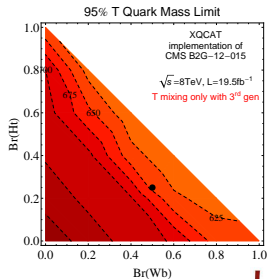
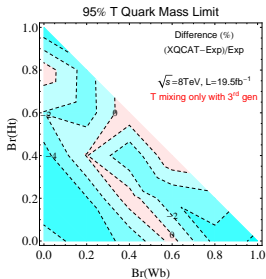
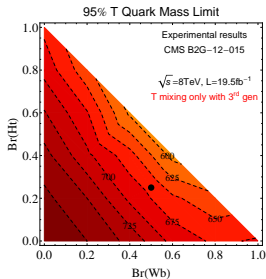
Just need to know

- Mass of the VLQs
- Decay channels (BRs) of the VLQs

Single top partner



- Exclusion within 5% discrepancy from CMS results
- SUSY reach not too far from the direct analysis

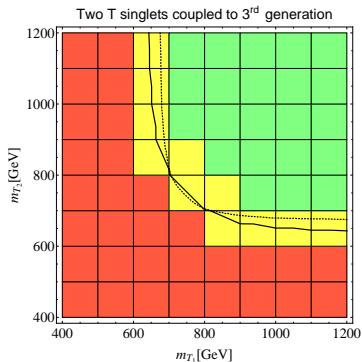


Multiple VLQs

Simplified model: Two T type quarks

$$Br(t' \rightarrow Zt) = Br(t' \rightarrow Ht) = 25\%$$

$$Br(t' \rightarrow Wb) = 50\%$$



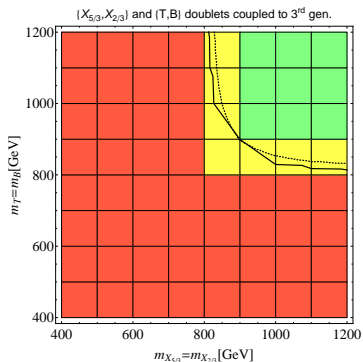
Composite Higgs model:

De Simone et al, arXiv:1211.5663 [hep-ph]

$$Br(X_{5/3} \rightarrow Wb) = Br(B \rightarrow Wt) = 100\%$$

$$Br(X_{2/3} \rightarrow Zt) = Br(X_{2/3} \rightarrow Ht) = 50\%$$

$$Br(t' \rightarrow Zt) = Br(t' \rightarrow Ht) = 50\%$$



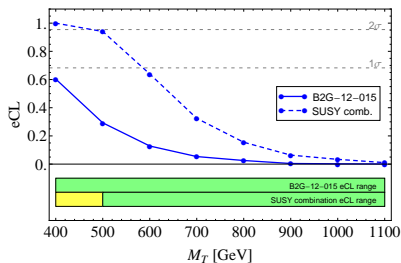
Strong increase of the mass limit in the (quasi) degenerate regime

Complementarity with other searches

One T type quark:

mixing with light generations

T singlet mixing with 1st gen.



- SUSY search can give a bound when mixing is only with light generations

Modified CHM model:

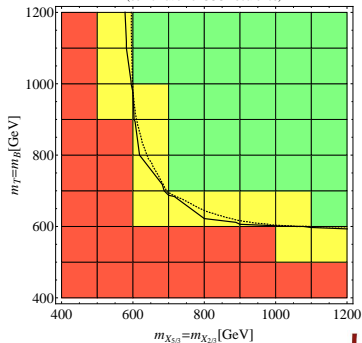
exclusive mixing with light generations

$$Br(X_{5/3} \rightarrow Wj) = Br(B \rightarrow Wj) = 100\%$$

$$Br(X_{2/3} \rightarrow Zj) = Br(X_{2/3} \rightarrow Hj) = 50\%$$

$$Br(t' \rightarrow Zj) = Br(t' \rightarrow Hj) = 50\%$$

($X_{5/3}$ $X_{2/3}$) and (T B) doublets coupling to light generation
(combination of SUSY searches)



Conclusions

- VLQs have a rich phenomenology to be explored at the LHC
- Reinterpret ATLAS and CMS results on VLQs is crucial to set bounds on generic models
- The reinterpretation can be done in a model independent way using a pre simulated database of efficiencies
- Models with a rich VLQ spectrum can be severely constrained already with the 8 TeV LHC data
- The Reinterpretation of SUSY inspired searches can be used to put constraints on scenarios not (yet) explored by the experimental collaborations

Thank you!!!

Future upgrade of the code

- Inclusion of the latest available direct searches
- Inclusion of the EW single production
Also this can be done in a model independent way
Buchkremer et al., Model Independent Framework for Searches of Top Partners,
[arXiv:1305.4172 \[hep-ph\]](https://arxiv.org/abs/1305.4172)
- Inclusion of decay into DM particles
- Inclusion of chain decays between VLQs
- (Possible) generalization to other states
Heavy vectors, heavy scalars...

Stay tuned!

Example

Suppose to have a b' decaying only into $W^- t$ and $W^- u$:
how many possible final state we have?

$$PP \rightarrow b'\bar{b}' \rightarrow \begin{cases} W^+ W^- u\bar{u} \\ W^+ W^- u\bar{t} \rightarrow W^+ W^- W^- u\bar{b} \\ W^+ W^- t\bar{u} \rightarrow W^+ W^+ W^- b\bar{u} \\ W^+ W^- t\bar{t} \rightarrow W^+ W^+ W^- W^- b\bar{b} \end{cases}$$

Distinguishing the channel through the W boson multiplicity the relative rates into WW , WWW and $WWWW$ channels are given by

$$Br(b' \rightarrow Wu)^2 : 2Br(b' \rightarrow Wu)Br(b' \rightarrow Wt) : Br(b' \rightarrow Wt)^2$$

Each channel has a different selection efficiency for a given search
However is enough to simulate the channels **just once** and calculate the total signal as a **weighted sum** of all channels with the **saved** efficiencies

Example

Just one bin and integrated luminosity of 5 fb^{-1}

- $\sigma_{QCD}(m_{t'}) = 100 \text{ fb}$
- $Br(t' \rightarrow Wb) = 10\%$
 $Br(t' \rightarrow Zt) = 90\%$
- $\epsilon(m_{t'}, WbW\bar{b}) = 1\%$
 $\epsilon(m_{t'}, WbZ\bar{t}) = 2\%$
 $\epsilon(m_{t'}, ZtW\bar{b}) = 3\%$
 $\epsilon(m_{t'}, ZtZ\bar{t}) = 4\%$
- $\sigma_{QCD}(m_X) = 200 \text{ fb}$
- $Br(X \rightarrow Wt) = 100\%$
- $\epsilon(m_X, WtW\bar{t}) = 5\%$

$$N_{ev.} = \mathcal{L} \cdot \left(\sigma_{QCD}(m_{t'}) Br(t' \rightarrow Wb)^2 \epsilon(m_{t'}, WbW\bar{b}) + \right. \\ \left. + \sigma_{QCD}(m_{t'}) Br(t' \rightarrow Wb) Br(t' \rightarrow Zt) \epsilon(m_{t'}, WbZ\bar{t}) + \dots \right) = 68.5$$

The number of signal events has been easily computed knowing the efficiencies for each subprocess with given mass

Total number of channels

t' quark decays: W^+j W^+b Zj Zt Hj Ht

$$PP \rightarrow t'\bar{t}' \rightarrow \left(\begin{array}{cccccc} W^+jW^-j & W^+jW^-b & W^+jZj & W^+jZ\bar{t} & W^+jHj & W^+jH\bar{t} \\ W^+bW^-j & W^+bW^-b & W^+bZj & W^+bZ\bar{t} & W^+bHj & W^+bH\bar{t} \\ ZjW^-j & ZjW^-b & ZjZj & ZjZ\bar{t} & ZjHj & ZjH\bar{t} \\ ZtW^-j & ZtW^-b & ZtZj & ZtZ\bar{t} & ZtHj & ZtH\bar{t} \\ HjW^-j & HjW^-b & HjZj & HjZ\bar{t} & HjHj & HjH\bar{t} \\ HtW^-j & HtW^-b & HtZj & HtZ\bar{t} & HtHj & HtH\bar{t} \end{array} \right)$$

Just 36 possible final state, since light quarks are seen as jets

b' quark decays: W^-j W^-t Zj Zb Hj Hb

$PP \rightarrow b'\bar{b}'$: 36 possible final state into SM states

X quark decays: W^+j W^+t

4 combinations

Y quark decays: W^-j W^-b

4 combinations

In total **80 channels** for decays of pair produced VLQ into SM particles

Generation of the efficiency database

Numerical Simulation

$pp \rightarrow QQ \rightarrow V, H, q$
MadGraph

Hadronization
Pythia

Detector Simulation
Delphes

Signal

1st search

bin 1	bin 2	bin n
↓	↓	↓
ϵ_1	ϵ_2	ϵ_{n_1}

2nd search

bin 1	bin 2	bin n
↓	↓	↓
ϵ_1	ϵ_2	ϵ_{n_2}

Nth search

bin 1	bin 2	bin n
↓	↓	↓
ϵ_1	ϵ_2	ϵ_{n_N}

Eff. Database

Generation of the efficiencies database

Database of efficiencies

- Per VLQs pair: $t'\bar{t}', b'\bar{b}', X\bar{X}, Y\bar{Y}$
- Per decay channel: $t'\bar{t}' \rightarrow ZtZ\bar{t}, ZtZ\bar{u}, \dots, b'\bar{b}' \rightarrow ZbZ\bar{b}, ZtZ\bar{d}, \dots$
- Per search: CMS and ATLAS search
- Per mass: simulation at 100 GeV step in the 400-2000 GeV range
- Per chirality: L and R, VLQs couplings are mainly chiral

80 channels · 2 chirality · 17 mass = 2720 simulations

Knowing the efficiencies for all final state it is possible to reconstruct any signal
Any scenario with any number of VLQ with general couplings can be analysed!!!

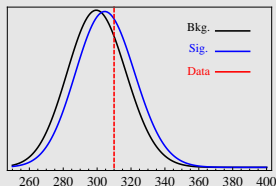
Computing the exclusion confidence level

Suppose to have just one bin

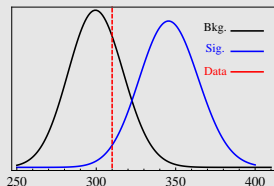
Background: 300 events

Observation: 310 events

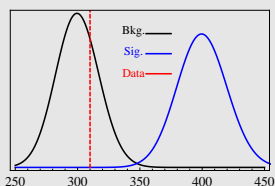
$$eCL = 1 - \frac{CL(s + b)}{CL(b)}$$



Signal: 5
eCL=14%

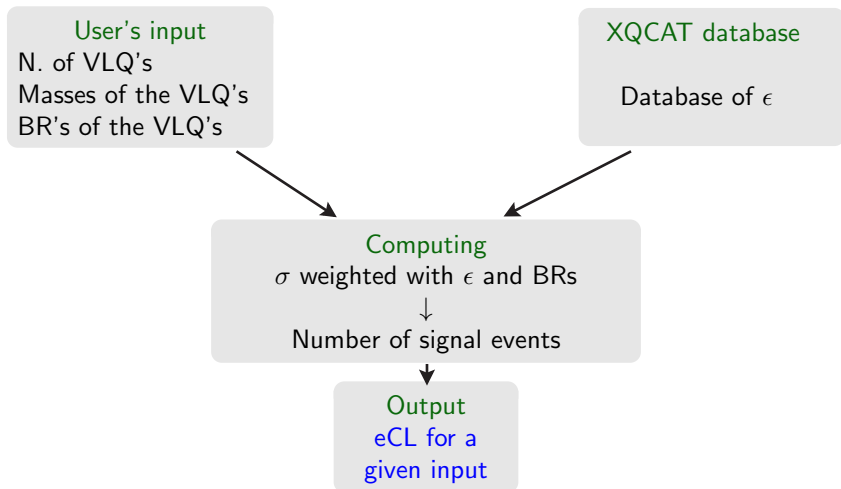


Signal: 46
eCL=96%



Signal: 100
eCL=99.9997%

Flowchart of the project



Exclusion confidence level for a give scenario **without** any simulation!!!

Search implemented in the tool

CMS searches

VLQs direct searches

- B2G-12-015:
 $t' \rightarrow Wb, Zt, Ht$ 8 TeV

SUSY searches

- α_T : 7 and 8 TeV
- L_p : 7 TeV
- SS : 7 and 8 TeV
- OS : 7 TeV

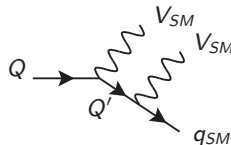
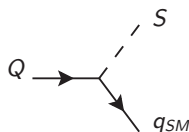
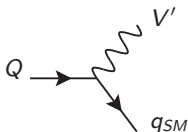
No problem in considering non VLQs searches, since we are only interested in the **final state signature!**

Other decay modes

We want to a **conservative** bound

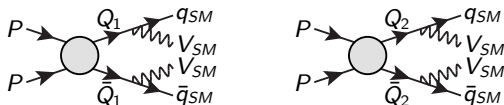
- A non exclusion doesn't mean that the scenario is allowed
- Possible other effect can increase the signal

Other decay modes



Adding new decay channels will only increase the final state signal
An exclusion is therefore **robust!**

Interference effects



$$\sigma \propto |\mathcal{A}_1|^2 + |\mathcal{A}_2|^2 + 2\text{Re}[\mathcal{A}_1\mathcal{A}_2^*]$$

Within the NWA is it possible to estimate the interference effects knowing the couplings and the widths

$$\sigma'_Q(M_i) = \sigma_Q(M_i) \left(1 + \sum_{j \neq i}^{n_Q} y_{ij}\right) \quad \text{with} \quad y_{ij} = \frac{2\text{Re} \left[g_a g_b^* g_c g_d^* \left(\int \mathcal{P}_i \mathcal{P}_j^* \right)^2 \right]}{g_a^2 g_b^2 \left(\int \mathcal{P}_i \mathcal{P}_i^* \right)^2 + g_c^2 g_d^2 \left(\int \mathcal{P}_j \mathcal{P}_j^* \right)^2}$$

DB et al., Model independent approach for the analysis of interference effects in pair production of new heavy quarks, 1311.3977 [hep-ph]

Quantum mixing between states

- With VLQ (quasi) degenerate in mass the off diagonal propagator effects might be relevant
- Need to diagonalize the matrix of the propagators

$$i\Delta_{ij} = \begin{pmatrix} Q_1 \rightarrow \text{blob} \rightarrow Q_1 & Q_1 \rightarrow \text{blob} \rightarrow Q_2 \\ Q_2 \rightarrow \text{blob} \rightarrow Q_1 & Q_2 \rightarrow \text{blob} \rightarrow Q_2 \end{pmatrix}$$

These effects are strongly model dependent