$b \rightarrow s \ell^{+} \ell^{-}$perspective from LHCb

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- Measure the decay rates, asymmetries and angular distributions of final state products
- Different final states sensitive to different combinations of Wilson coefficients
$\triangleright$ Allows for precise extraction of LH and RH Wilsons
$\triangleright b \rightarrow d$ vs $b \rightarrow s$ allows to test Minimal Flavour Violation of new physics
- Observables built out of ratios of angular coefficients reduce theory uncertainties due to hadronic form factor

| Operator $\mathcal{O}_{i}$ | $B_{s(d)} \rightarrow X_{s(d)} \mu^{+} \mu^{-}$ | $B_{s(d)} \rightarrow \mu^{+} \mu^{-}$ | $B_{s(d)} \rightarrow X_{s(d)} \gamma$ |
| :--- | :---: | :---: | :---: |
| $\mathcal{O}_{7} \sim m_{b}\left(\overline{s_{L}} \sigma^{\mu \nu} b_{R}\right) F_{\mu \nu}$ | $\checkmark$ |  | $\checkmark$ |
| $\mathcal{O}_{9} \sim\left(\overline{s_{L}} \gamma^{\mu} b_{L}\right)\left(\bar{\ell} \gamma_{\mu} \ell\right)$ | $\checkmark$ |  |  |
| $\mathcal{O}_{10} \sim\left(\overline{\left.s_{L} \gamma^{\mu} b_{L}\right)\left(\bar{\ell} \gamma_{5} \gamma_{\mu} \ell\right)}\right.$ | $\checkmark$ | $\checkmark$ |  |
| $\mathcal{O}_{S, P} \sim(\bar{s} b)_{S, P}(\bar{\ell} \ell)_{S, P}$ | $(\checkmark)$ | $\checkmark$ |  |

$\ln \mathrm{SM} C_{S, P} \propto m_{\ell} m_{b} / m_{W}^{2}$
In SM chirality flipped $\mathcal{O}_{i}$ suppressed by $m_{s} / m_{b}$

## Suite of LHCb measurements

World's most precise measurements

| channel | $\mathcal{L}^{\text {int }}\left(f b^{-1}\right)$ | Publication |
| :---: | :---: | :---: |
| $d \mathcal{B} / d q^{2} B \rightarrow K^{*+} \mu^{+} \mu^{-}$ | 3 | $[1403.8044]$ |
| $d \mathcal{B} / d q^{2} B \rightarrow K^{0} \mu^{+} \mu^{-}$ | 3 | $[1403.8044]$ |
| $d \mathcal{B} / d q^{2} B \rightarrow K^{+} \mu^{+} \mu^{-}$ | 3 | $[1403.8044]$ |
| $d \mathcal{B} / d q^{2} B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-}$ | 1 | [JHEP08(2013)131] |
| $d \mathcal{B} / d q^{2} B_{s}^{0} \rightarrow \phi \mu^{+} \mu^{-}$ | 1 | [JHEP07(2013)084] |
| $d \mathcal{B} / d q^{2} \Lambda_{b} \rightarrow \mu^{+} \mu^{-}$ | 1 | [PLB725(2013)25] |
| $\mathcal{B} B^{0} \rightarrow K^{* 0} e^{+} e^{-}$ | 1 | [JHEP05(2013)159] |
| $\mathcal{B} B^{+} \rightarrow \pi^{+} \mu^{+} \mu^{-}$ | 1 | [JHEP12(2012)125] |
| $A_{/} B \rightarrow K^{(*)} \mu^{+} \mu^{-}$ | 3 | $[1403.8044]$ |
| $A_{C P} B^{+} \rightarrow K^{+} \mu^{+} \mu^{-}$ | 1 | [PRL111,151801(2013)] |
| $A_{C P} B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-}$ | 1 | [PRL110,031801(2013)] |
| Angular $B^{+} \rightarrow K^{+} \mu^{+} \mu^{-}$ | 3 | [JHEP05(2014)082],[PRL111,112003(2013)] |
| Angular $B^{0} \rightarrow K^{0} \mu^{+} \mu^{-}$ | 3 | [JHEP05(2014)082] |
| Angular $B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-}$ | 1 | [JHEP08(2013)131],[PRL111,191801(2013)] |
| Angular $B_{s}^{0} \rightarrow \phi \mu^{+} \mu^{-}$ | 1 | [JHEP07(2013)084] |

## Branching fraction measurements

Left: $B^{+} \rightarrow K^{+}$, Right: $B^{0} \rightarrow K^{0}$



- Reconstruct $K^{0}$ as $K_{s} \rightarrow \pi^{+} \pi^{-}$and $K^{*+} \rightarrow K_{s} \pi^{+}$
- Large lifetime of $K_{s}$ means reduction in reconstruction efficiency
- Normalise to corresponding $B \rightarrow J / \psi K$ mode
$-d \mathcal{B} / d q^{2}$ for $K^{+} \mu^{+} \mu^{-}$is becoming systematic dominated
- Dominant systematic is value of $\mathcal{B}\left(B \rightarrow J / \psi K^{(*)}\right)$

Theory: Khodjamirian et al. [JHEP09(2010)089], Buchard et al. [PRL111(2013)162002]
$d \mathcal{B} / d q^{2}$ of $B_{d(s)}^{0} \rightarrow K^{*}(\phi) \mu^{+} \mu^{-}$

Left: $B^{+} \rightarrow K^{*+}$, Middle $B_{s} \rightarrow \phi$, Right: $B^{0} \rightarrow K^{* 0}$,




- Reconstruct $K^{*+} \rightarrow K_{s} \pi^{+}$
- Normalise to corresponding $B \rightarrow J / \psi K(\phi)$ mode
- Hint that all BFs are at low side? (theory uncertainties correlated with $q^{2}$ )

Theory: Horgan et al. [PRL111(2013)162002], Bobeth et al. [JHEP07(2011)067], Altmannshofer et al.
[JHEP01(2009)019], Ball et al. [PRD71(2005)014029]

$$
R\left(q^{2}\right)=\frac{\sigma\left(e^{+} e^{-} \rightarrow \text { hadrons }\right)}{\sigma\left(e^{+} e^{-} \rightarrow \mu^{+} \mu^{-}\right)}
$$



| Resonance | Mass $\left[\mathrm{MeV} / c^{2}\right]$ | Width $[\mathrm{MeV}]$ |
| :--- | :---: | :---: |
| $\psi(3770)$ | $3773.2 \pm 0.3$ | $27.2 \pm 1.0$ |
| $\psi(4040)$ | $4039.6 \pm 4.3$ | $84.5 \pm 12.3$ |
| $\psi(4160)$ | $4191.7 \pm 6.5$ | $71.8 \pm 12.3$ |
| $\psi(4415)$ | $4415.1 \pm 7.9$ | $71.5 \pm 19.0$ |

- Charmonium resonances $1^{--}$above open charm (DD) threshold from BES
- Fits account for interference between states
- Watch out. PDG information is misleading! Resonant structures clear in $3 \mathrm{fb}^{-1}$ at low recoil

- Sensitive due to interference with large non-resonant component!
- Assume resonances are $1^{--} \rightarrow$ only $V$ non-resonant interferes, universal lepton couplings
- Take SM value for


$$
m_{\mu^{+} \mu^{-}}\left[\mathrm{MeV} / c^{2}\right]
$$

- Difficult to quantify resonances theoretically
- $\mathcal{B}\left(B^{+} \rightarrow K^{+} \psi_{4160}\left(\mu^{+} \mu^{-}\right)\right)=$ $3.9_{-0.6}^{+0.7} \times 10^{-9}$ !
- Predict rates and observables integrated across resonances
- Presence of resonances has implications on bin choice and interpretation of measurements in this region for all such decays


## Asymmetry measurements

Isospin asymmetry measurements

$$
A_{I}=\frac{\mathcal{B}\left(B^{0} \rightarrow K^{(*) 0} \mu^{+} \mu^{-}\right)-\frac{\tau_{0}}{\tau_{+}} \mathcal{B}\left(B^{+} \rightarrow K^{(*)+} \mu^{+} \mu^{-}\right)}{\mathcal{B}\left(B^{0} \rightarrow K^{(*) 0} \mu^{+} \mu^{-}\right)+\frac{\tau_{0}}{\tau_{+}} \mathcal{B}\left(B^{+} \rightarrow K^{(*)+} \mu^{+} \mu^{-}\right)}
$$




- More precise prediction than $\mathcal{B}$
- In SM expected due to:
$\triangleright$ Photon coupling to $u$ and $d$
$\triangleright C_{u u b s}$ at tree level but $C_{d d b s}$ only loop level


## Isospin asymmetry measurements [נHep of (2012) 133]

- LHCb's $1 \mathrm{fb}^{-1}$ analysis revealed a significantly negative $A_{l}$ in $B \rightarrow K \mu^{+} \mu^{-}$
- Measurements from B-factories also hint at low $A_{I}$


- Significance from SM between 3 and $4 \sigma$ (depending on definition of test statistic)
- Very difficult to accomodate in SM or NP models!


## Isospin asymmetry measurements

- Updating to full dataset $\left(3 \mathrm{fb}^{-1}\right)$


- Assume $A_{\text {I }}$ in $J / \psi K^{*}$ modes is zero
$\triangleright$ Uncertainties related to $\mathcal{B}$ cancel
- Estimate p -value for difference from zero assuming data have a constant non-zero value of $A_{I}$
- Results consistent with SM, p-value of $11 \%(1.5 \sigma)$ for $B \rightarrow K \mu^{+} \mu^{-}$

CP asymmetry measurements
$A_{C P}=\frac{\Gamma\left(\bar{B}^{0} \rightarrow \bar{K}^{* 0} \mu^{+} \mu^{-}\right)-\Gamma\left(B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-}\right)}{\Gamma\left(\bar{B}^{0} \rightarrow \bar{K}^{* 0} \mu^{+} \mu^{-}\right)+\Gamma\left(B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-}\right)}$
Left: $B^{+} \rightarrow K^{+}$, Right: $B^{0} \rightarrow K^{* 0}$


- Expected to be small in SM $\left(10^{-4}\right)$
- Sensitive to NP affecting imaginary part of Wilsons
- Extract detector and production asymmetries using $B \rightarrow J / \psi K$ relative mode
- Consistent with zero.


## Angular analyses

Angular analysis of $B^{+(0)} \rightarrow K_{(s)}^{+(0)} \mu^{+} \mu^{-}$

$$
\frac{1}{\Gamma} \frac{\mathrm{~d} \Gamma}{\mathrm{~d} \cos \theta_{l}}=\frac{3}{4}\left(1-F_{\mathrm{H}}\right)\left(1-\cos ^{2} \theta_{l}\right)+\frac{1}{2} F_{\mathrm{H}}+A_{\mathrm{FB}} \cos \theta_{l}
$$

Left: $1.1<q^{2}<6.0 \mathrm{GeV}^{2}$, Right: $15.0<q^{2}<22.0 \mathrm{GeV}^{2}$



- $B \rightarrow P \mu^{+} \mu^{-}$means only one angle of interest and two observables
$\triangleright F_{H}$ : "Flat" parameter sensitive to scalar and tensor contributions
$\triangleright A_{F B}$ : Forward-backward asymmetry of the muons. Deviation from zero would indicate new physics with scalar or tensor couplings (sensitivity to NP vector couplings suppressed by $m_{\ell}$ )
- Best fit point and SM lie at boundary of physical region
- Good agreement with SM
- Confidence intervals for $1 \mathrm{GeV} q^{2}$ bins available in ascii format


## Angular analysis of $B_{d, s}^{0} V \mu^{+} \mu^{-}$

- Vector meson described by 3 helicity amplitudes (excluding S-wave and scalar contributions)
- Eight independent observables per B-flavour ( $J_{i} \mathrm{~s}$ )
- Can choose basis such that reduce dependence on FF's

$$
\begin{align*}
& \frac{d^{4} \Gamma}{d q^{2} d \cos \theta_{K} d \cos \theta_{l} d \phi}=\frac{9}{32 \pi}\left[J_{1 s} \sin ^{2} \theta_{K}+J_{1 c} \cos ^{2} \theta_{K}+\left(J_{2 s} \sin ^{2} \theta_{K}+J_{2 c} \cos ^{2} \theta_{K}\right) \cos 2 \theta_{l}\right. \\
& \quad+J_{3} \sin ^{2} \theta_{K} \sin ^{2} \theta_{l} \cos 2 \phi+J_{4} \sin 2 \theta_{K} \sin 2 \theta_{l} \cos \phi+J_{5} \sin 2 \theta_{K} \sin \theta_{l} \cos \phi \\
& \quad+\left(J_{6 s} \sin ^{2} \theta_{K}+J_{6 c} \cos ^{2} \theta_{K}\right) \cos \theta_{l}+J_{7} \sin 2 \theta_{K} \sin \theta_{l} \sin \phi+J_{8} \sin 2 \theta_{K} \sin 2 \theta_{l} \sin \phi \\
& \left.\quad+J_{9} \sin ^{2} \theta_{K} \sin ^{2} \theta_{l} \sin 2 \phi\right], \tag{1}
\end{align*}
$$

- $\mathcal{O}(1 K)$ stats for $K^{* 0}$ and $\mathcal{O}(200)$ for $\phi$ means full angular fit not possible
$\triangleright$ Either fit projections or use angle transformations to extract observables from multiple fits
- $B_{s} \rightarrow \phi \mu^{+} \mu^{-}$not self-tagging
$\triangleright$ Sensitive to subset of observables


## Results: New observables [PRL 111,191801(2013)]

$B_{s} \rightarrow \phi$ Left: $F_{L}$, Middle: $S_{3}$, Right: $A_{6}$


Theory: Altmannshofer et al. [JHEP01(2009)019], Ball et al. [PRD71(2005)014029]

- $S_{i}=\left(J_{i}+\bar{J}_{i}\right) /(d \Gamma+d \bar{\Gamma})$
- $A_{i}=\left(J_{i}-\bar{J}_{i}\right) /(d \Gamma+d \bar{\Gamma})$
- $P_{5}^{\prime}=\left(J_{5}+\bar{J}_{5}\right) / \sqrt{F_{L}\left(1-F_{L}\right)}$
- $1 \mathrm{fb}^{-1}$ of 2011 data
- $3.7 \sigma$ local tension in $P_{5}^{\prime}$

Theory: Descote-Genon et al. [JHEP 05(2013)137]


## Hint of new physics?

- Combine $B_{s} \rightarrow \mu \mu, B \rightarrow K^{(*)} \mu \mu, B \rightarrow X_{\mathrm{s}} \gamma, B \rightarrow K^{*} \gamma$ measurements to constrain New Physics
- Indicate significant deviation in di-leptonic vector operator $\left(C_{9}\right)$

Descote-Genon et al. [arXiv:1307.5683]]

- Numerous theory papers: Descotes-Genon et al [1307.5683], Beaujean et al [1310.2478], Gauld et al [1308.1959], Hurth et al [1312.5267], Straub et al [1308.1501], Horgan et al [1310.3887],Altmannshofer et al [1403.1269], Biancofiore et al [1403.2944]...
- Consistent with $Z^{\prime}$ of mass:
$\sim 35 \mathrm{TeV}$ for $\mathcal{O}(1)$ couplings (tree)
$\sim 7 \mathrm{TeV}$ for CKM-like couplings (tree) Straub et al [1308.1501]
- Demonstrates the power of these searches!
- Difficult to accomodate within MSSM


Theory uncertainties

- Unfortunately not that simple...Observables are theoretically clean at leading order

- But! Uncertainties of higher order corrections can potentially dilute the significance
- Lattice QCD predictions can help clarify situation at high $q^{2} \rightarrow$ picture consistent with other interpretations!



## A consistent picture emerging?

Branching Fraction measurements at high $q^{2}$ in tension with SM predictions from the Lattice, but consistent with best fit point for NP from low $q^{2}$ data! $\rightarrow$ NP or unaccounted QCD effects? Something new to understand!
$B \rightarrow K$ prediction,

$O_{1 . .6}, O_{8}$ @ 1-loop. 2-loop moves $\mathcal{B}$ closer to experiment

## A consistent picture emerging?

Branching Fraction measurements at high $q^{2}$ in tension with SM predictions from the Lattice, but consistent with best fit point for NP from low $q^{2}$ data! $\rightarrow$ NP or unaccounted QCD effects? Something new to understand!

- Perform measurements in related channels (e.g $b \rightarrow d \mu^{+} \mu^{-}$reveal information on MFV nature of NP)
- The data can help us understand QCD effects (e.g c $\bar{c}$ contributions)
$\triangleright$ Fit entire $q^{2}$ spetrum of $B \rightarrow K^{*} \ell \ell$ including light and charm resonances
$\triangleright$ Test extent of applicability of OPE and factorisation
- Measurements quantities with prestine theory predictions
$\triangleright$ Inclusive $B \rightarrow X_{s, d} \ell^{+} \ell^{-}$c.f Belle [1402.7134], BaBar [1312.5364]


## An example: $B^{+} \rightarrow \pi^{+} \mu^{+} \mu^{-}$

- First observation, $B_{F}=2.3 \pm 0.6($ stat. $) \pm 0.1($ syst. $) \times 10^{-8}$
- Can measure $R=\frac{B_{F}\left(B^{+} \rightarrow \pi^{+} \mu^{+} \mu^{-}\right)}{B_{F}\left(B^{+} \rightarrow K^{+} \mu^{+} \mu^{-}\right)}$and tranlsate into $\left|V_{t d}\right| /\left|V_{t s}\right|$ measurement from penguin decays


- $R=0.053 \pm 0.014$ (stat.) $\pm 0.001$ (syst.)
- $\left|V_{t d}\right| /\left|V_{t s}\right|=0.266 \pm 0.035$ (stat.) $\pm 0.007$ (syst.)
- Neglecting FF uncertainties
- Compatible with previous measurements in $b \rightarrow s(d) \gamma(0.177 \pm 0.043)$ [PRL102,161803(2009)]


## So what is next

Full exploitation of available data:

- Update of $B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-}$measurements with $3 \mathrm{fb}^{-1}$ in preparation (including S -wave extraction)
- New and updates of all analyses to $3 \mathrm{fb}^{-1}: B_{s} \rightarrow \phi \mu^{+} \mu^{-}, B^{+} \rightarrow \pi^{+} \mu^{+} \mu^{-}$, $B_{s, d} \rightarrow \pi \pi \mu^{+} \mu^{-}, \Lambda_{b} \rightarrow \Lambda \mu^{+} \mu^{-}, \Lambda_{b} \rightarrow p K \mu^{+} \mu^{-}, B \rightarrow K^{* 0} e^{+} e^{-}$, $B_{d} \rightarrow 3 h \mu^{+} \mu^{-}$
Runll data means $\sim 5 \mathrm{fb}^{-1}$ expected to be collected
- Large datasets open up precision era in $B \rightarrow d$ transitions and measurements of $\left|V_{t d} / V_{t s}\right|$ (requires precise FF calculations for $b \rightarrow d \ell \ell$ )
- Look at higher $J K^{*}$ states (e.g increase sensitivity to tensor NP)
- Look for final states with $\tau$ 's $B \rightarrow K^{* 0} \tau^{+} \tau^{-}$
- Perform fully inclusive measurements

Post 2020 data means experiment catches and surpases current theory precision

## Backup

Flavour measurements are critical

- NP at $\Lambda_{N P} \sim 1 \mathrm{TeV}$ motivated to tame fine tuning in Higgs sector
$-N P$ at $\Lambda_{N P} \sim 1 \mathrm{TeV}$ refuted by flavour measurements (ire LHC)
$\rightarrow$ CKM-like NP couplings (MFV)
- As LHC pushes $\Lambda_{N P}$ to $\gg 1 \mathrm{TeV}$ lift MFV constraints $\triangleright$ increase chances to see NP in flavour



## Experimental aspects

## Selection:

- Reduce combinatorial background using Multivariate classifiers, (typically Boosted Decision Tree)
$\triangleright$ Using kinematic and topological information
$\triangleright$ Variable choice based on minimising correlation with mass
- Reduce "peaking" backgrounds using particle-ID information
$\triangleright$ Exclusive decays with final state hadron(s) mis-ld
$\triangleright$ Estimate by mixture of MC and data-driven studies



## Experimental aspects

## Normalisation:

- Make use of proxy-decay (same topology) of known $\mathcal{B}$ to normalize against

$$
\mathcal{B}(s i g)=\frac{N_{s i g} \epsilon_{s i g}}{N_{p r x} \epsilon_{p r x}} \mathcal{B}(p r x)
$$

$\triangleright$ Reduces experimental uncertainties

## Acceptance correction:

- Efficiency parametrised depending on type of measurement of $\mathcal{B}$ $\triangleright$ Differential with respect to di-muon mass squared $\left(q^{2}\right)$ or angular distribution of decay products of the b-Hadron
- Efficiency $(\epsilon)$ obtained from MC corrected from data




## Theoretical Formalism

- Model independent approach
- "Integrate" out heavy ( $m \geq m_{W}$ ) field(s) and introduce set of Wilson coefficients $C_{i}$, and operators $\mathcal{O}_{i}$ encoding long and short distance effects

$$
\mathcal{H}_{\text {eff }} \approx-\frac{4 G_{F}}{\sqrt{2}} V_{t b} V_{t s(d)}^{*} \sum_{i=1}^{10, S, P, T}\left(C_{i}^{S M}+\Delta C_{i}^{N P}\right) \mathcal{O}_{i}
$$

- c.f. Fermi interaction and $G_{F}$

- New physics enters at the $\Lambda_{N P}$ scale


## Experimental concerns

$\sim 1 \mathrm{~K}$ reconstructed/selected $B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-}$candidates in $1 \mathrm{fb}^{-1}$ (more than all B-factory experiments combined!), not enough to perform full angular fit in infinitesimally small bins of $q^{2}$

- Notice that can simplify angular distribution by "folding" angles

$$
\begin{aligned}
& \triangleright \text { e.g } \phi \rightarrow \phi+\pi \text { for } \phi<0, \\
& \quad \text { removes } \cos \phi \text { and } \sin \phi \text { terms }
\end{aligned}
$$

$$
\begin{aligned}
\frac{1}{\mathrm{~d} \Gamma / \mathrm{d} q^{2}} \frac{\mathrm{~d}^{4} \Gamma}{\mathrm{~d} q^{2} \mathrm{~d} \cos \theta_{\ell} \mathrm{d} \cos \theta_{K} \mathrm{~d} \hat{\phi}}=\frac{9}{16 \pi}[ & F_{\mathrm{L}} \cos ^{2} \theta_{K}+\frac{3}{4}\left(1-F_{\mathrm{L}}\right)\left(1-\cos ^{2} \theta_{K}\right)- \\
& F_{\mathrm{L}} \cos ^{2} \theta_{K}\left(2 \cos ^{2} \theta_{\ell}-1\right)+ \\
& \frac{1}{4}\left(1-F_{\mathrm{L}}\right)\left(1-\cos ^{2} \theta_{K}\right)\left(2 \cos ^{2} \theta_{\ell}-1\right) \\
& S_{3}\left(1-\cos ^{2} \theta_{K}\right)\left(1-\cos ^{2} \theta_{\ell}\right) \cos 2 \hat{\phi}+ \\
& \frac{4}{3} A_{\mathrm{FB}}\left(1-\cos ^{2} \theta_{K}\right) \cos \theta_{\ell}+ \\
& \left.A_{9}\left(1-\cos ^{2} \theta_{K}\right)\left(1-\cos ^{2} \theta_{\ell}\right) \sin 2 \hat{\phi}\right]
\end{aligned}
$$

- Different foldings can give access to different observables
- Perform fit in bins of $q^{2}$.
- Bias from not accounting for S-wave in $K \pi$ negligible with these stats. Needs to be dealt with with $3 \mathrm{fb}^{-1}$ Egede et al. [JHEP 03(2013)027]


## LHCb upgrade



- Current conditions: $L_{\text {inst }}$ up to $4 \times 10^{32} \mathrm{~cm}^{-2} s^{-1}, \mu \sim 1.7$
- 2020 conditions: $L_{\text {inst }}=2 \times 10^{33} \mathrm{~cm}^{-2} s^{-1}, \mu \sim 5$

Higher luminosities:

- More interactions per crossing, more vertices, higher track multiplicities, more ghost tracks...
- Current trigger design has bottleneck at 1 MHz of LO
- More flexible trigger, reading out full detector at 40 MHz and HLT output at 20 kHz
- Upgrade VELO and tracking
- New photo detectors for RICH1,2 and re-optimise optics of RICH1


## LHCb upgrade

| Type | Observable | Current precision | $\begin{gathered} \hline \hline \text { LHCb } \\ 2018 \end{gathered}$ | Upgrade $\left(50 \mathrm{fb}^{-1}\right)$ | $\begin{gathered} \hline \text { Theory } \\ \text { uncertainty } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $B_{s}^{0}$ mixing | $2 \beta_{s}\left(B_{s}^{0} \rightarrow J / \psi \phi\right)$ | 0.10 [9] | 0.025 | 0.008 | $\sim 0.003$ |
|  | $2 \beta_{s}\left(B_{s}^{0} \rightarrow J / \psi f_{0}(980)\right.$ ) | 0.17 [10] | 0.045 | 0.014 | $\sim 0.01$ |
|  | $A_{\text {fs }}\left(B_{s}^{0}\right)$ | $6.4 \times 10^{-3}[18]$ | $0.6 \times 10^{-3}$ | $0.2 \times 10^{-3}$ | $0.03 \times 10^{-3}$ |
| Gluonic penguin | $2 \beta_{s}^{\text {eff }}\left(B_{s}^{0} \rightarrow \phi \phi\right)$ | - | 0.17 | 0.03 | 0.02 |
|  | $2 \beta_{s}^{\text {eff }}\left(B_{s}^{0} \rightarrow K^{* 0} \bar{K}^{* 0}\right)$ | - | 0.13 | 0.02 | $<0.02$ |
|  | $2 \beta^{\text {eff }}\left(B^{0} \rightarrow \phi K_{S}^{0}\right)$ | 0.17 [18] | 0.30 | 0.05 | 0.02 |
| Right-handed currents | $2 \beta_{s}^{\text {eff }}\left(B_{s}^{0} \rightarrow \phi \gamma\right)$ | - | 0.09 | 0.02 | < 0.01 |
|  | $\tau^{\text {eff }}\left(B_{s}^{0} \rightarrow \phi \gamma\right) / \tau_{B_{s}^{0}}$ | - | 5\% | 1\% | 0.2\% |
| $\begin{aligned} & \text { Electroweak } \\ & \text { penguin } \end{aligned}$ | $S_{3}\left(B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-} ; 1<q^{2}<6 \mathrm{GeV}^{2} / c^{4}\right)$ | 0.08 [14] | 0.025 | 0.008 | 0.02 |
|  | $s_{0} A_{\text {FB }}\left(B^{0} \rightarrow K^{* 0} \mu^{+} \mu^{-}\right)$ | 25\% [14] | 6\% | $2 \%$ | 7\% |
|  | $A_{\mathrm{I}}\left(K \mu^{+} \mu^{-} ; 1<q^{2}<6 \mathrm{GeV}^{2} / c^{4}\right)$ | 0.25 [15] | 0.08 | 0.025 | $\sim 0.02$ |
|  | $\mathcal{B}\left(B^{+} \rightarrow \pi^{+} \mu^{+} \mu^{-}\right) / \mathcal{B}\left(B^{+} \rightarrow K^{+} \mu^{+} \mu^{-}\right)$ | $25 \%$ [16] | 8\% | 2.5\% | $\sim 10 \%$ |
| Higgs | $\mathcal{B}\left(B_{s}^{0} \rightarrow \mu^{+} \mu^{-}\right)$ | $1.5 \times 10^{-9}[2]$ | $0.5 \times 10^{-9}$ | $0.15 \times 10^{-9}$ | $0.3 \times 10^{-9}$ |
| penguin | $\mathcal{B}\left(B^{0} \rightarrow \mu^{+} \mu^{-}\right) / \mathcal{B}\left(B_{s}^{0} \rightarrow \mu^{+} \mu^{-}\right)$ | - | $\sim 100 \%$ | ~ $35 \%$ | $\sim 5 \%$ |
| Unitarity triangle angles | $\gamma\left(B \rightarrow D^{(*)} K^{(*)}\right)$ | $\sim 10-12^{\circ}$ [19, 20] | $4^{\circ}$ | $0.9^{\circ}$ | negligible |
|  | $\gamma\left(B_{s}^{0} \rightarrow D_{s} K\right)$ |  | $11^{\circ}$ | $2.0^{\circ}$ | negligible |
|  | $\beta\left(B^{0} \rightarrow J / \psi K_{S}^{0}\right)$ | $0.8^{\circ}$ [18] | $0.6{ }^{\circ}$ | $0.2^{\circ}$ | negligible |
| Charm | $A_{\Gamma}$ | $2.3 \times 10^{-3}[18]$ | $0.40 \times 10^{-3}$ | $0.07 \times 10^{-3}$ | - |
| $C P$ violation | $\Delta A_{C P}$ | $2.1 \times 10^{-3}[5]$ | $0.65 \times 10^{-3}$ | $0.12 \times 10^{-3}$ | - |

